



UNITED STATES  
NUCLEAR REGULATORY COMMISSION  
WASHINGTON, D. C. 20555

RELATED CORRESPONDENCE

June 14, 1985

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USNRC

Joseph Gallo, Esq.  
Isham, Lincoln & Beale  
Suite 840  
1120 Connecticut Avenue, N.W.  
Washington, DC 20036

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In the Matter of  
Commonwealth Edison Company  
(Braidwood Nuclear Power Station, Units 1 and 2)  
Docket Nos. 50-456 and 50-457OL

Dear Mr. Gallo:

Enclosed please find the NRC Staff material concerning the calculation of the probability of occurrences for rail car explosion which you requested in the May 17, 1985 deposition of Mr. Charles M. Ferrell. Tr. 75-76. These are the work papers of Dr. Jacque Read dealing with construction permit stage analyses performed by the NRC Staff.

To the best of my knowledge these are the only work papers available.

Sincerely,

*Elaine I. Chan*

Elaine I. Chan  
Counsel for NRC Staff

Enclosure: As stated

cc w/encl.: Board Members  
C. Allen Bock, Esq.  
Lorraine Creek

cc w/o encl.: Remainder of Service List

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From information supplied by the applicant, U.S. railroads bore  $7.3 \times 10^{10}$  train-miles of traffic between 1917 and 1972, this number being a slight overestimate due to non-uniform reporting during the interval. This traffic experienced 46 explosive incidents, 24 of which occurred while the train was in transit and the remainder while loading and unloading. The overall explosion rate is therefore  $5 \times 10^{-10}$  per train-mile. Note, however, that the train-miles include passenger and freight traffic that have no explosive contents and the explosions include chemical and minor explosions which had only very localized effect. We may deduce, however, that the passage of 200 randomly chosen trains, along a mile of randomly chosen track would have an a priori probability density of  $10^{-7}$  per year for an explosion to occur there. The rail traffic adjacent to the Bradwood site differs from the overall

experience in that an explosion, should it occur, would involve 100 to 500 tons of TNT, and the stretch of track near Braidwood is, by virtue of its maintenance and inspection classification for express traffic, less likely to have any of the more common types of railroad accidents than an average stretch of track.

The applicant has computed the explosion probability density for Joliet Arsenal traffic passing the Braidwood site by three methods. The first method takes the overall railroad experience as described above, but weighted to emphasize recent years, and yields an estimate of  $2.1 \times 10^{-7} \text{ year}^{-1}$ . The second method attempts to estimate the train-miles which contained explosives, and estimates  $1.65 \times 10^{-5} \text{ year}^{-1}$ . The third method is similar to the second except that a weighted average was employed, and it yields  $1.05 \times 10^{-5} \text{ year}^{-1}$ . The applicant has scaled all of these estimates

by 0.036, this scaling factor being the product of three fractions claimed to represent advantages of fritted cargoes over general cargoes:

- 1) 0.135, the ratio of TNT-containing train-miles to total explosive train-miles. The use of this factor in methods two and three reduces the data base from total explosive train-miles to TNT train-miles, and is inappropriate in method one.
- 2) 0.533, representing the "sensitivity factor" of flake TNT, or the fraction of flake TNT explosions that would occur under a variety of accident conditions such that general explosive cargoes would explode.
- 3) 0.5, the fraction of all railroad explosions which were of large scale. The use of this factor is inappropriate, since it is known beforehand that the quantity of TNT in each fritted shipment is significant.

(d)

All of the applicants' estimates are based on a site exposure of 150 train-miles per year, which is at the low end of the staff's estimated range of 100 to 500 train-miles per year, dependent upon military munition demand. Discarding the applicants' first method and the use of the third factor described as inappropriate above, the estimates become:

$$\text{Method 2: } 1.2 \times 10^{-6} \text{ year}^{-1}$$

$$\text{Method 3: } 8. \times 10^{-7} \text{ year}^{-1}$$

The above are point estimates. They take no account for the high quality of the track adjacent to the Braidwood site, but they are subject to an increase of a factor of four or five if Joint Arsenal should ever operate again at full war-time capacity. The reliability of the "sensitivity factor" of 0.533 is at least of a 50% confidence level, since at least one TNT boxcar derailment has occurred

without explosion. The applicant has repeated the staff's upper bound computation yielding a 95% confidence limit at less than or equal to  $4 \times 10^{-6} \text{ year}^{-1}$ . The applicants first method indicates that the plant risk is most likely greater than  $2 \times 10^{-7} \text{ year}^{-1}$ . We must conclude that the actual probability, <sup>density</sup>, lies between  $4 \times 10^{-6}$  and  $2 \times 10^{-7}$  and has a most probable value of about  $1 \times 10^{-6} \text{ year}^{-1}$

New information, supplied by the applicant, based on a survey of six months' of recent munitions shipment at Joliet Army Ammunition Plant. This survey indicates that only 17% of the munitions shipments leaving Joliet contain two or more box cars of flake TNT, but that a larger number of shipments are made than originally postulated. This result also shows that increases in munition tonnage during periods of warfare occurs through an increase in the average shipment size, rather than only an increase in the number of shipments; indicating a wartime exposure to the Bradwood site approximately 2.5 times larger than peacetime rather than the factor of 5 previously assumed. Since it is widely recognized that loading and unloading operations impose the greatest risks in munitions traffic, it is reasonable to assume that the six month point

surveyed by the applicant adequately represent expected future practice, since it minimizes the risk of accidents at Joliet Army Ammunition Plant within reasonable confines of cost and convenience.

From information submitted by the applicant, explosions occur in transit on domestic railroads at an average rate of 1.5 year<sup>1</sup>, and military munitions comprise an average of  $2 \times 10^7$  train-miles per year. The applicant has surveyed the accident reports of the last 39 railroad explosions, covering a period of comparatively uniform reporting requirements, and has found that 6 of these explosions, or 15.4%, involved a significant amount of explosive. This is in approximate agreement with a staff survey of only the last several years experience, which indicated that about 11% of the reported "railroad explosive incidents" involved military munitions trains,

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the remainder of the explosions involving small amount of diverse civilian explosive and incendiary materials. From this data it may be concluded that the observed overall explosion rate of military arsenal shipments is  $1.2 \times 10^{-8}$  per train-mile while in transit.

The peace-time exposure rate to the Bradwood Site is 350 train-miles per year, based on gross Joliet output since 1971, shipping practice during the first six months of 1974, and the inherent ability of the design to withstand single boxcar explosions. Assuming the applicants' claim that the plant is able to withstand the simultaneous detonation of ~~two~~<sup>one</sup> boxcars of TNT, then the explosion rate can be reduced by that fraction of the shipments which may be expected to occur as fewer than ~~three~~<sup>two</sup> adjacent boxcars. This

reduction results in an estimated exposure to damaging amounts of TNT of 60 train-miles per year during periods of low munitions production, and 150 train-miles per year during periods of high munitions production. From the gross munitions train explosion rate discussed earlier, these exposures lead to unacceptable explosions at expected rates of  $7 \times 10^{-7}$  and  $18 \times 10^{-7}$  per year, respectively, for the two production rates.

The gross munitions train in transit explosion rate includes accidents which have occurred to a large variety of weapons and military explosives. The applicant has submitted expert opinion that the particular munitions transported past the Bradwood Site are significantly less likely to explode inadvertently than other common military shipments. In support of this claim, a survey

of available railroad accident reports indicates that no flake TNT shipment has exploded in transit since 1916, although flake TNT has been involved in three major railroad accidents since then without exploding. Given the frequency of shipment of flake TNT, if it possessed the same likelihood of explosion as average munitions, it would have been most probable that two flake TNT explosions would have been observed during this period.

There is therefore a 75% confidence level that flake TNT is less than half as sensitive to explosion in a railroad accident, based on railroad statistics alone. [

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Reducing the gross accident rate by those railroad accidents which will not cause large-scale high-order explosion of flake TNT, the expected rates of unacceptable explosions in the vicinity of the Braichard site may be estimated at  $3.5 \times 10^{-7}$  year<sup>-1</sup> for current Joliet production levels, and  $9 \times 10^{-7}$  for any period of expanded production.

# Brackwood.

Fact - Flaké TNT appears to blow up as a stochastic process, without discernable precursor events.

Model - divide all flaké TNT into 1 kg lots, such that if fate decrees that kilo to go it will propagate to surrounding TNT.

Assume  $\sim 10^8$  steady state inventory of flaké TNT  
 (military ordnance excluding rockets + civilian explosives  $\approx 3-4 \times 10^9$  / year)  
 (figure  $\approx 1/\text{lb.}$  and 10% of cost goes through flaké TNT, 1 year shelf life,  
 or  $20^{\circ}\text{C}$  " " 6 mm " )

at  $10^1 \text{ year}^{-1}$  unexplained flaké TNT explosions

$\therefore \sim 10^{-9} \text{ year}^{-1} \text{ kg}^{-1}$  = probability density for spontaneous explosion

$5 \times 10^5 \text{ kg / train}$

say 30 MPH train, 1.5 miles of sensitive track

$\therefore 0.05 \text{ hours / train of site exposure}$

say 200 trains/year or 10 hours/year

$\sim 10^3$  of the time explosive bear on plant

$5 \times 10^5 \text{ kg / train} \cdot 10^3 \text{ train} \cdot 10^{-9} \text{ year}^{-1} \text{ kg}^{-1} = 5 \times 10^{-7} \text{ year}^{-1}$  for spontaneous  
 note: (reciprocal metrics in explosive unit)

explosion

note  $10^8 \text{ kg}$  is very large 100,000 metric tonnes

$$P_x \geq 5 \times 10^{-7} \text{ year}^{-1}$$

Shipments of explosives are limited to seven or fewer boxcars of fluke TNT per train by the size of the loading facilities at the Joliet Army Ammunition Plant. Actual shipping practice can be affected by cyclical munitions needs, boxcar availability, railroad rate structure, safety considerations, and the division of work among the many Army arsenals, such that any number of boxcars of TNT within the possible range may appear in a given freight train on a given day.

The commonly accepted method of computing damaging effects of explosions is the "scaled distance", which is defined as the distance in feet between the explosion and the structure in question, divided by the cube root of the weight of the charge in pounds of TNT equivalent. For comparison, the table below lists cumulative track length on which the explosion must occur to yield less than a given scaled distance, assuming a 1500 foot track-plant closest approach, and two possible shipment sizes,  $10^6$  lbs and  $3 \times 10^5$  lbs.

Cumulative track length2

$$W = 10^6 \text{ lbs.}$$

$$W = 3 \times 10^5 \text{ lbs}$$

15	0 feet	0 feet
20	2640	0
25	4000	2160
30	5200	3270

Railroad statistics collected by the applicant indicates that the ratio of all "explosives incidents" to miles of military munitions train traffic is  $7 \times 10^{-8}$  per train mile. Since the bulk of the "explosives incidents" reported do not involve large military shipments, this ratio must be reduced by the ratio of large military explosives accidents to total railroad explosions. The applicant and the staff agree that 0.135 is an apparently conservative estimate of this ratio. Past experience may then be interpreted to indicate a probability of  $1 \times 10^{-8}$  for train miles of large scale explosion in an Army ammunition plant shipment while in transit, based upon the judgement that materials transported past Bradwood are no more likely to explode than the average military ammunition train. The applicant in addition has supplied expert opinion that Duke T-17 is significantly less

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simpler than all other forms of communication  
experience.

## EXPECTED ACCIDENT RATE PER TRAIN-MILE

### 1. NON-OBSERVATION

$1.6 \times 10^8$  train-miles of TNT  
shipments with no applicable events  
95% confidence rate  $\leq 1.9 \times 10^{-8}$   
50% confidence rate  $\leq 6 \times 10^{-9}$

### 2 OBSERVATION PLUS DEDUCTION

$$\text{Rate} = \left[ \frac{\text{explosions per}}{\text{explosive train-}} \right] \times \left[ \frac{\text{fraction applicable}}{\text{mile}} \right]$$

$$= \left[ \frac{\text{RR explosions per year}}{\text{train-miles explosives per year}} \right] \times \left[ \frac{\text{fraction non-trivial}}{\text{}} \right] \times \left[ \frac{\text{sensitivity factor}}{\text{}} \right]$$

$$= 6 \times 10^{-9}$$

80% confidence that sensitivity factor less than or equal to 0.5

## EXPECTED ACCIDENT RATE PER TRAIN-MILE, $\lambda$

### NON-OBSERVATION

- 1) ABOUT  $1.6 \times 10^8$  TRAIN-MILES OF TNT SHIPMENTS HAVE OCCURRED WITHOUT REQUIRED EVENT.

$$\therefore 95\% \text{ CONFIDENCE}, \lambda \leq \cancel{1.6 \times 10^8} \quad 1.9 \times 10^{-8} \text{ TM}^{-1}$$

$$\therefore 50\% \text{ CONFIDENCE}, \lambda \leq 6.2 \times 10^{-9} \text{ TM}^{-1}$$

### OBSERVATION + DEDUCTION

- 2.) ABOUT  $1.9 \times 10^9$  TRAIN-MILES OF ALL CLASS A EXPLOSIVES HAVE OCCURRED  $\{(\text{FRACTION OF RECENT TRAFFIC}) \times (\text{TOTAL 60-YEAR TRAFFIC})\}$  ABOUT 1.5 EXPLOSIONS/YEAR HAVE OCCURRED. THREE RAILROAD ACCIDENTS HAVE HAPPENED WITHOUT REQUIRED EVENT.

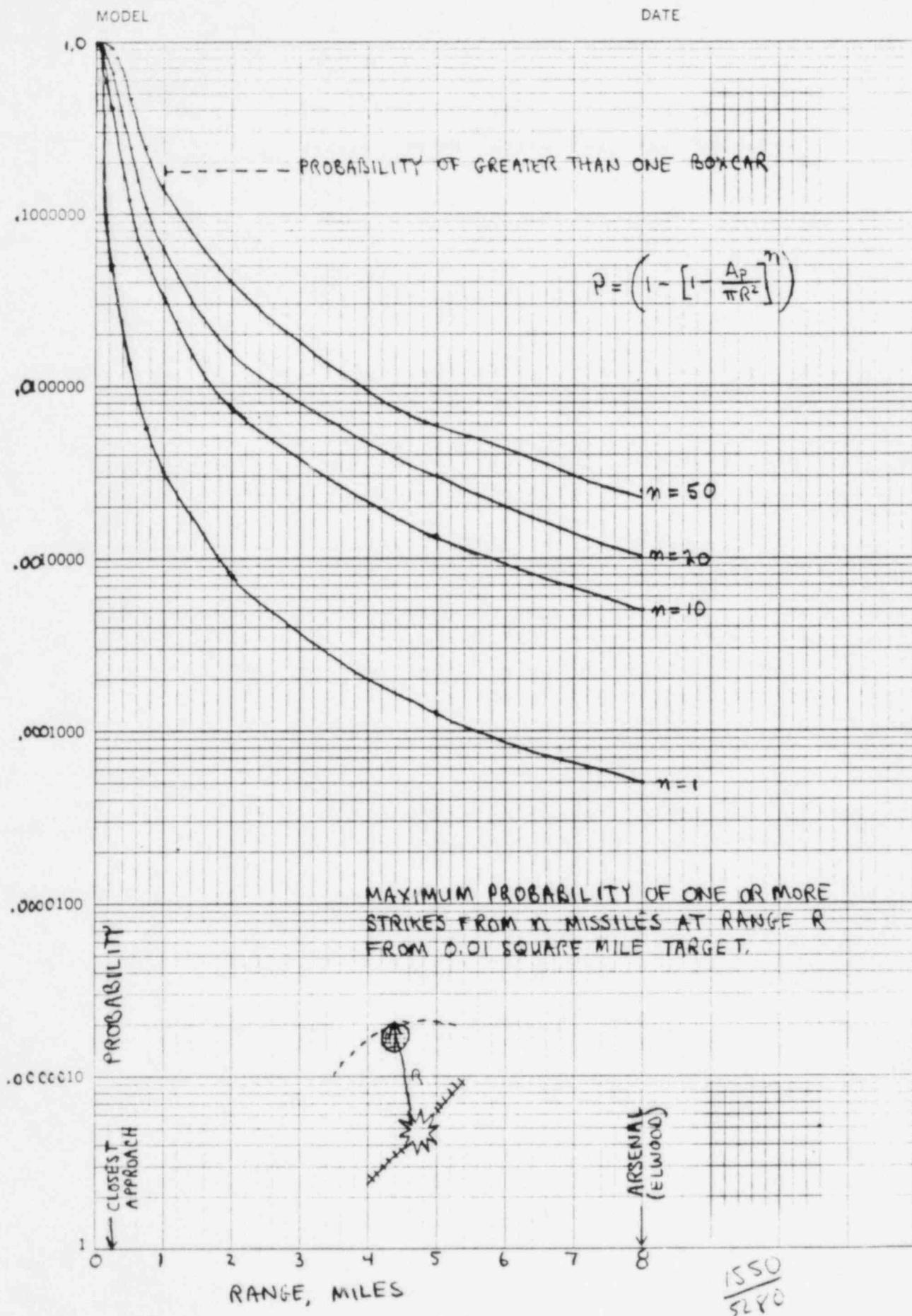
$$\therefore 80\% \text{ CONFIDENCE THAT RATIO}$$

$$\frac{(\text{SENSITIVITY FLAKE TNT})}{(\text{SENSITIVITY ALL CLASS A})} \leq 0.5$$

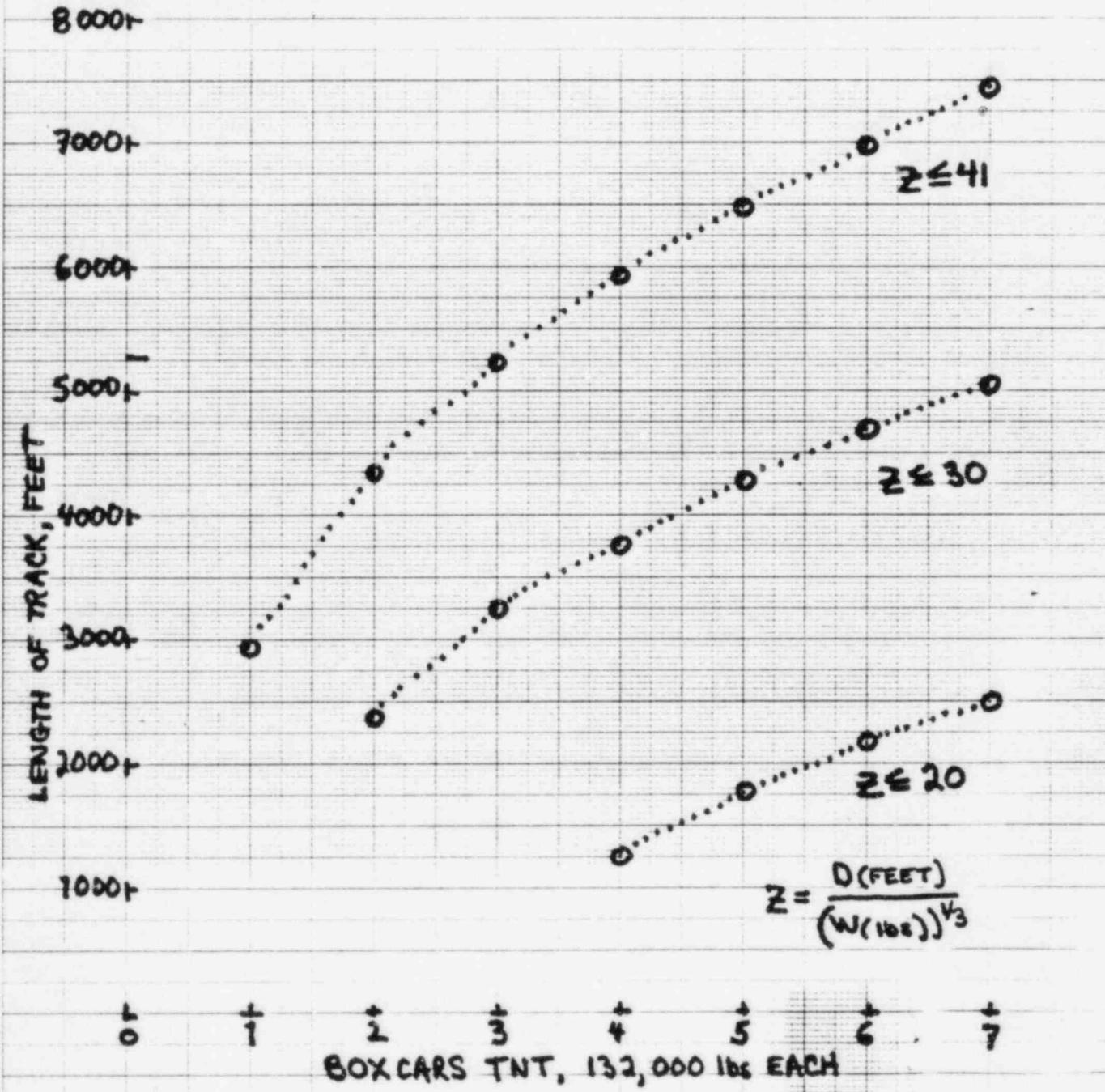
$$\lambda \approx \frac{[\text{RAILROAD EXPLOSIONS}]_{\text{PER YEAR}}}{[\text{CLASS A TRAIN-MILES}]_{\text{PER YEAR}}} \left[ \begin{array}{l} [\text{FRACTION OF RECENT RAILROAD EXPLOSIONS}] \\ [\text{THAT ARE NON-TRIVIAL}] \end{array} \right] \left[ \begin{array}{l} [\text{ESTIMATED FRACTION}] \\ [\text{OF FLAKE TNT EXPLN.}] \\ [\text{PER CLASS A EXPLN.}] \\ [\text{GIVEN SAME INITIATION}] \end{array} \right] =$$

$$\lambda \approx \frac{\left[ 1.5 \text{ year}^{-1} \right]}{\left[ 2 \times 10^7 \cancel{\text{TM year}^{-1}} \right]} [0.15][0.5] \approx 6 \times 10^{-9} \text{ TM}^{-1}$$

(average of ratio, ratio of averages)



EXPOSURE PER TRANSIT AT BRAIDWOOD  
LENGTH OF TRACK AT VARIOUS CUMULATIVE HAZARD LEVELS  
AS A FUNCTION OF NUMBER OF BOXCARS SIMULTANEOUSLY  
DETONATED



3/IX/74

# METHODS OF COMPUTING BRAIDWOOD RAILROAD ACCIDENT PROBABILITY

<u>METHOD</u>	<u>BASIS</u>	<u>APPLICANT</u>	<u>STAFF</u>	<u>COMMENTS</u>
		<u>PEACE</u>	<u>PEACE</u>	<u>WAR</u>
I	ALL TRAFFIC, ALL EXPLOSIVES	$2.1 \times 10^{-7}$ year <sup>-1</sup>	—	—
				{ TRAFFIC INCLUDES NON-EXPLOSIVES }
II	EXPLOSIVES TRAFFIC 60 YEAR LINEAR AVERAGE, ALL EXPLOSIVES	$1.65 \times 10^{-5}$	$\sim 2 \times 10^{-5}$	$\sim 1 \times 10^{-4}$
	SAME, BUT TAKING CREDIT FOR ONLY TNT	$6 \times 10^{-7}$	$1.2 \times 10^{-6}$	$5 \times 10^{-6}$
				{ STAFF ASSUMES ALL JOLIET TRAFFIC ( EXPLOSIVES LARGE ) }
III	EXPLOSIVES TRAFFIC, 60 YEAR WEIGHTED AVERAGE, ALL EXPLOSIVES	$1.05 \times 10^{-5}$	$\sim 1 \times 10^{-5}$	$\sim 5 \times 10^{-5}$
	SAME, BUT TAKING CREDIT FOR ONLY TNT	$3.78 \times 10^{-7}$	$\sim 8 \times 10^{-7}$	$\sim 3 \times 10^{-6}$
				{ SAME AS ABOVE }

$$(1.5) \quad \begin{aligned} & (\text{Average railroad explosions/year}) (\text{average fraction of road explosions due to military trains}) \\ & - (\text{average military train-mile/year}) \end{aligned}$$

$$= \frac{\text{average}}{\text{military shipment explosion rate/train mile}}$$

$$(\text{above}) \times \left( \begin{array}{l} \text{fraction of accidents to military shipment} \\ \text{which would cause explosion to assembled} \\ \text{warheads but not to flake TNT} \end{array} \right)^{0.5}$$

$$(B) \quad \left( \begin{array}{l} \text{train-miles of TNT traffic} = \frac{\text{total production of TNT}}{(\text{std's shipment})(\text{average average size of unit shipped})} \\ 1.61 \times 10^8 \text{ TNT train miles} \end{array} \right) \quad \begin{array}{l} \text{for 95% confidence} \\ \text{and no detonation} \end{array}$$

$$\lambda = \frac{2}{1.61 \times 10^8} \times 10^{-8} \quad (95\%)$$

$$\lambda = \frac{6}{1.61 \times 10^8} \times 10^{-9} \quad (50\%)$$

TETRIL trinitrophenyl methyl nitramine

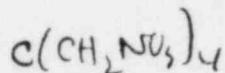
RDX cyclotrimethylenetrinitramine

PETN pentaerythritol tetranitrate

TORPEX 41% RDX, 41% TNT, 18% Al

COMP B 110% blast, 80% energy, 130% brisance

PETN  
Pentaerythritol tetra nitrate



Ammonium

80% to 50%  $NH_4NO_3$   
and TNT

TETR-TBZ  $\xrightarrow{NNO_3}$   
trinitrobenzene

Pentilite PETN-TNT

Comp B is 60:40 Cyclotol & PETN  
110% blast, 70% energy,  
130% brisance