



U. S. TOOL & DIE, INC.

An NPS Corp. Subsidiary

4030 ROUTE 8 • ALLISON PARK, PENNSYLVANIA 15101

MECHANICAL ANALYSIS
SPENT FUEL STORAGE RACKS
MODIFIED TO 100% STORAGE DENSITY
(IN REGION 2)

R. E. GINNA NUCLEAR STATION

December, 1983
8369-00-0014
March 6, 1984
Revision 1

PREPARED FOR
ROCHESTER GAS AND ELECTRIC CORP.
ROCHESTER, N.Y.
P.O. N-BU-37225

PREPARED BY Harold W. Witsch DATE 2/20/84
REVIEWED BY James J. Diamond DATE 2/23/84
APPROVED BY Ray Linder DATE 2/24/84
Ray Linder
Manager of Engineering
APPROVED BY Frank E. Witsch DATE 2-27-84
Frank E. Witsch
Quality Assurance Manager

RECORD OF REVISIONS
FOR REPORT 8369-00-0014

DATE	REV NO	RECORD OF REVISION
3-6-84	1	TABLE OF CONTENTS
3-6-84	1	SECTION 1 PAGE 1 OF 3 PAGE 2 OF 3 PAGE 3 OF 3 ADDED
3-6-84	1	SECTION 2 PAGE 2 OF 7 PAGE 5 OF 7
3-6-84	1	SECTION 3 PAGE 2 OF 6
3-6-84	1	SECTION 4 PAGE 2 OF 2
3-6-84	1	SECTION 7 PAGE 3 OF 3
3-6-84	1	SECTION 8 PAGE 1 OF 2 ADDED PAGE 2 OF 2 ADDED

8367-00-0014
TABLE OF CONTENTS

SECTION	SUBJECT
1.0	INTRODUCTION
2.0	EQUIPMENT DESCRIPTION
3.0	SUMMARY OF RESULTS
4.0	REFERENCES
5.0	CALCULATION OF FORCES ON WELDS
6.0	FORCES AND STRESSES ON INDIVIDUAL WELDS AND BOX PLATES
7.0	CALCULATION OF FLOOR LOADS
8.0	EXTERNAL LOADINGS





SECTION 1 0
INTRODUCTION

INTRODUCTION

THE SPENT FUEL STORAGE RACKS ARE CLASSIFIED AS CATEGORY 1 PER NRC REGULATORY GUIDE 1.29. THEIR PRIMARY FUNCTION IS TO MAINTAIN STORED FUEL ASSEMBLIES IN A SUBCRITICAL ARRAY WHILE PROTECTING THEM FROM MECHANICAL DAMAGE DURING ALL CREDIBLE STORAGE CONDITIONS. THIS MECHANICAL ANALYSIS PRESENTS ANALYTICAL PROOF OF STRUCTURAL INTEGRITY.

THE ANALYSIS FOLLOWS NRC GUIDANCE AS DELINEATED IN THE POSITION PAPER "REVIEW AND ACCEPTANCE OF SPENT FUEL STORAGE AND HANDLING APPLICATIONS", DATED APRIL 14, 1978 AND MODIFIED JANUARY 18, 1979. THE DESIGN CALCULATIONS ARE BASED ON SUBSECTION NF OF ASME BOILER AND PRESSURE VESSEL CODE, SECTION III AND APPENDIX D OF THE STANDARD REVIEW PLAN (SRP) 3.8.4. THE PERMISSIBLE WELD STRESSES ARE TAKEN FROM TABLE NF-3324.5(a)-1, 1983 EDITION. THIS IS THE SAME AS TABLE NF-3292-1, 1977 EDITION, REFERRED TO IN THE POSITION PAPER AND IN NF-3321. THIS TABLE NO LONGER EXISTS IN THE 1983 EDITION.

THE LOAD COMBINATIONS USED IN THIS ANALYSIS ARE ONLY SUBMERGED DEADWEIGHT PLUS SRSS COMBINATIONS OF OBE AND SSE LOADS. THESE LOAD COMBINATIONS ARE THE RMS VALUES TAKEN DIRECTLY FROM THE SEISMIC ANALYSIS (REF. 2). THE RACKS ARE NOT SUBJECTED TO LIVE LOADS NOR TO THERMAL LOADS. THUS THE LOAD COMBINATIONS, $D+L+T_o$ (OR T_a) + E AND $D+L+T_a+E$ BECOME $D+E$ AND $D+E$.

ANALYSES ARE PERFORMED FOR TWO STORAGE ARRANGEMENTS, ONE REFERRED TO AS "STANDARD" WHEREIN ONE FUEL ASSEMBLY (179 FUEL RODS) IS STORED IN EACH CELL IN REGION 2, THE OTHER REFERRED TO AS "CONSOLIDATED" WHEREIN THE FUEL RODS FROM TWO ASSEMBLIES (358 FUEL RODS) IN A CANISTER ARE STORED IN EACH CELL IN REGION 2.

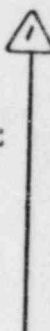
THE INTERFACE BETWEEN THE RACKS AND BASES IS THE CRUCIFORM BOTTOM PLATE AT THE RACK CORNERS WHICH SPAN THREE BOXES IN EACH DIRECTION. THUS THE PLANE AT THE THIRD ROW LOCATION, AS SHOWN ON FIGURES 2.2 AND 2.3, AND THE THREE-BOX CORNER SQUARE ARE THE WELD PLANES ANALYZED.

FLOOR LOADS FOR REGION 2 ARE TRANSFERRED THROUGH THE BASE TO THE 11" X 11" FLOOR PLATES. BECAUSE OF THE INCREASED STORAGE IN REGION 2 SHIMS ARE INSTALLED BETWEEN THE BASE CORNER AND EACH FLOOR PLATE TO PROVIDE GREATER LOAD TRANSFER AREA THAN THE PRESENT JACKSCREWS. IN REGION 1, HOWEVER, SINCE NO CHANGE IN STORAGE IS BEING MADE THERE IS NO CHANGE IN BASE TO FLOOR PLATES. THE JACKSCREWS REMAIN, ~~NOR ARE~~ THE REGION 1 RACKS BEING MOVED FROM THEIR PRESENT LOCATIONS WITH THE JACKSCREWS CENTERED ON THE 11" X 11" FLOOR PLATES. THERE IS ENOUGH EDGE DISTANCE TO TAKE CARE OF ANY REGION 2 INDUCED SLIDING.

to the dac

THERE ARE NO CALCULATIONS FOR WALL LOADS BECAUSE, AS FREE-STANDING RACKS AND BASES, DUE TO REMOVAL OF THE WALL SEISMIC RESTRAINTS, THERE ARE RELATIVELY LARGE DIMENSIONS BETWEEN THE RACKS AND WALLS AND CONSEQUENTLY SMALL HYDRODYNAMIC FORCES.

A POSTULATED DROP ACCIDENT OF A FUEL ASSEMBLY STRAIGHT DOWN INTO A STORAGE CELL IS INCLUDED BECAUSE IT WAS NOT ADDRESSED IN THE ORIGINAL REPORT



SECTION 2.0
EQUIPMENT DESCRIPTION
AND
SUMMARY OF SEISMIC LOADS

2.1 EQUIPMENT DESCRIPTION

SIX OF THE NINE PRESENTLY INSTALLED RACKS ARE MODIFIED FOR 100% STORAGE DENSITY, AND DESIGNATED AS REGION 2 FOR STORAGE OF DEPLETED FUEL AND/OR CONSOLIDATED PIN STORAGE, IN CANISTERS ON A 2:1 RATIO. THE REMAINING THREE RACKS, UNMODIFIED, ARE DESIGNATED REGION 1 FOR STORAGE OF UNIRRADIATED OR FRESHLY DISCHARGED FUEL AT 50% STORAGE DENSITY.

ALL SIX RACKS IN REGION 2 ARE THE SAME SIZE, 140 STORAGE CELLS. MODIFICATION CONSISTS OF REMOVING THE PRESENT BOLT CONNECTIONS BETWEEN RACKS AND BASES AND THE WALL SEISMIC RESTRAINTS, RESULTING IN A FREE-STANDING ARRAY. THE WALL SEISMIC RESTRAINTS ARE ALSO REMOVED FROM REGION 1. ADDITIONALLY A FULL-LENGTH RIGHT ANGLE POISON INSERT IS WELDED IN EACH REGION 2 CELL, AS SHOWN ON THE CROSS-SECTION, FIGURE 2.3 OF THE SEISMIC ANALYSIS (REF. 2) AND THE LONGITUDINAL SECTION, FIGURE 2.4 OF THE SEISMIC ANALYSIS (REF. 2).

A SKETCH OF RACK, BASE, SHIMS, AND FLOOR PLATES IS REPRESENTED IN FIGURE 2.1. THE SHIMS ARE ADDED BETWEEN THE BASE AND FLOOR PLATES IN ORDER TO PROVIDE MORE LOAD CARRYING AREA THAN THE PRESENT JACKSCREWS.

2.2 LOADS FROM THE SEISMIC ANALYSIS (REF. 2)

TABULATION OF LOADS FROM THE SEISMIC ANALYSIS ARE INCLUDED AS PAGES 3 AND 4. THE LOAD COMBINATIONS OF D+E (OBE) AND D+E' (SSE) ARE THE RMS VALUES LISTED AT SET #3. MAXIMUM VERTICAL LOADS ARE THOSE OCCURRING ON 2 OF THE 4 RACK CORNERS AT RETURN IMPACT FOLLOWING LIFT-OFF. SET #4 IS HALF OF SET #3 OR THE LOAD ON A SINGLE CORNER.

SUMMARY OF RESULTS FOR 140 CELL RACK - STANDARD FILE RGSUM 1A

-----SET #1 - MAX FORCES (KIPS)-----

DIR EVT	AT GAP ELEMENT#					SUPPORT	
	1	2	3	4	5	Fvt	Fhz
NS OBE	31.4	53.2	53.3	64.4	83.5	271.7	170.0
EW OBE	0.0	55.6	72.4	73.2	73.2	393.3	156.2
NS SSE	8.9	62.0	98.3	77.7	97.6	404.7	231.5
EW SSE	16.6	66.5	115.8	83.9	103.3	381.6	164.2

-----SET #2 - LOADS ON INDIVIDUAL F/A'S (LBS) AND SUPPORTS (KIPS)-----

NS OBE	224.	380.	381.	460.	596	135.9	85.0
EW OBE	0.	397.	517.	523.	523.	196.7	78.1
NS SSE	64.	443.	702.	555.	697.	202.4	115.8
EW SSE	119.	475.	827.	599.	738.	190.8	82.1

	-SET #3 - MAX. FORCES AT SUPPORT (LBS)		-SET #5 - MOVEMENT AT BASE (INS)		
	Fvert	Fhoriz	ELASTIC	SLIDING	LIFTOFF
NS OBE	63,510.	170,000.	0.019	0.080	0.009
EW OBE	185,110.	156,200.	0.046	0.088	0.048
VT OBE	53,728.	00,000.			
RMS	411,133.	230,865.			
NS SSE	196,510.	231,500.	0.026	0.308	0.050
EW SSE	173,410.	164,300.	0.048	0.513	0.067
VT SSE	53,728.	00,000.			
RMS	475,723.	283,878.			

-SET #4 - MAX. FORCES ON SUPPORT (LBS)--

NS OBE	31,755.	85,000.
EW OBE	92,555.	78,100.
VT OBE	26,864.	00,000.
RMS	205,567.	115,432.
NS SSE	98,255.	115,750.
EW SSE	86,705.	82,150.
VT SSE	26,864.	00,000.
RMS	237,862.	141,939.

DWT = 233,600 LBS
 BWT = 25,410 LBS
 SWT = 208,190 LBS

FRICITION FORCES
 @ 0.2 FACTOR (LBS)
 NSOBE = 41,640
 EWOBE = 82,210
 NSSSE = 59,760
 EWSSE = 101,600

SUMMARY OF RESULTS FOR 140 CELL RACK - CONSOLIDATED. FILE RGSUM.2A

-----SET #1 - MAX. FORCES (KIPS)-----

AT GAP ELEMENT*

DIR EVT	AT GAP ELEMENT*					SUPPORT	
	1	2	3	4	5	Fvt	Fhz
NS OBE	0.0	0.0	100.0	98.4	159.3	312.4	160.2
EW OBE	0.0	53.6	178.3	176.0	180.1	405.2	153.0
NS SSE	14.8	214.9	225.6	217.5	250.7	455.7	239.3
EW SSE	0.0	148.4	249.3	223.2	235.0	512.1	184.7

-----SET #2 - LOADS ON INDIVIDUAL F/A'S (LBS) AND SUPPORTS (KIPS)-----

NS OBE	00.	00.	714.	703.	1138.	156.2	80.1
EW OBE	00.	383.	1274.	1257.	1286.	202.6	76.5
NS SSE	106.	1535.	1611.	1554.	1791.	227.9	119.7
EW SSE	00.	1060.	1781.	1594.	1679.	256.1	92.4

-SET #3 - MAX. FORCES AT SUPPORT (LBS)		-SET #5 - MOVEMENTS AT BASE (INS)		
	Fvert	Fhoriz	ELASTIC SLIDING	LIFTOFF
NS OBE	* 00.	160,200	0.018	0.028
EW OBE	64,140.	153,000.	0.045	0.024
VT OBE	89,470.	00,000.		0.015
RMS	451,146.	221,524.		
NS SSE	114,640.	239,300.	0.027	0.094
EW SSE	171,040.	184,000.	0.054	0.128
VT SSE	89,470.	00,000.		0.072
RMS	565,564.	302,289.		

-SET #4 - MAX. FORCES ON SUPPORT (LBS)--

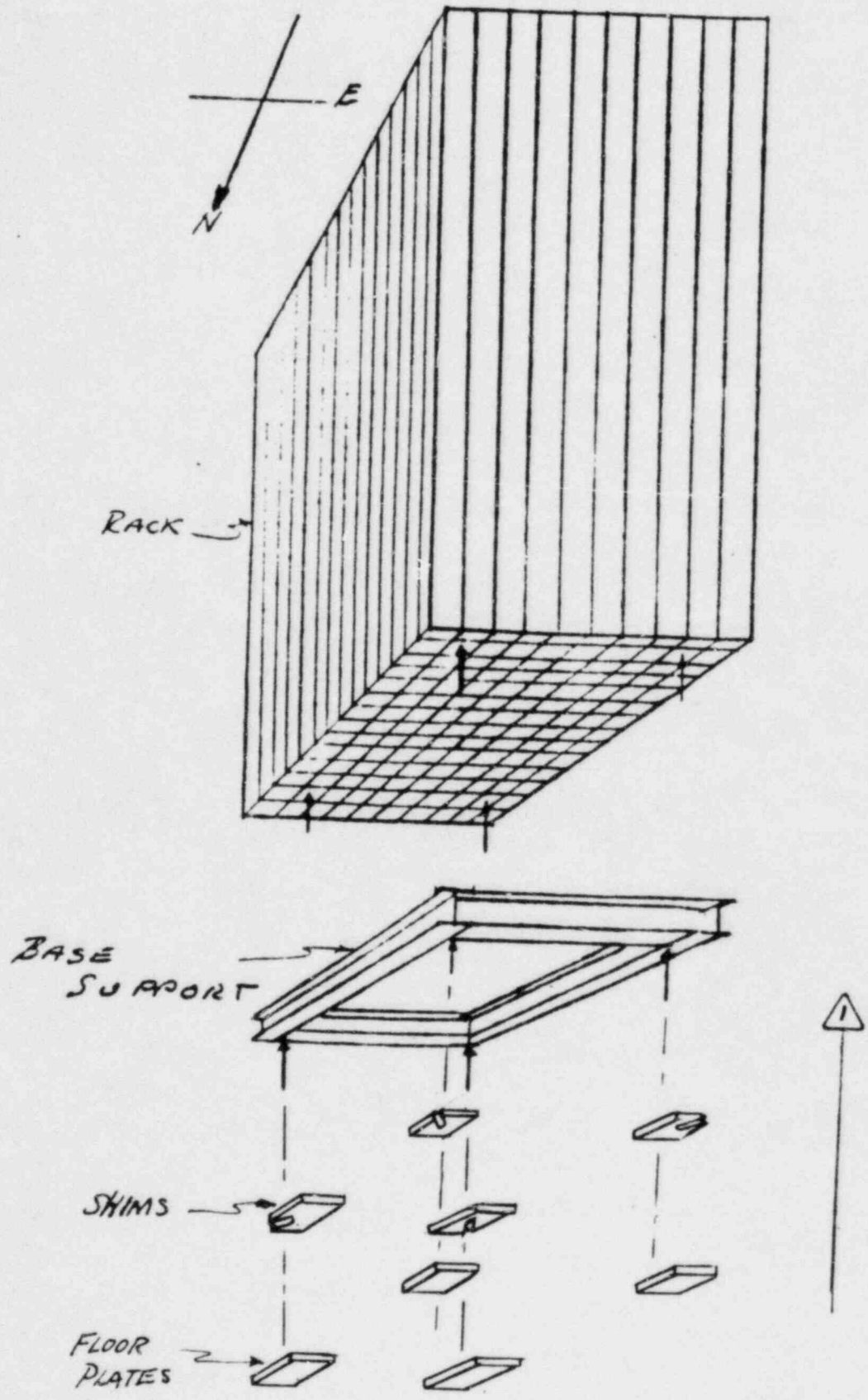
NS OBE	00.	80,100.
EW OBE	32,070	76,500
VT OBE	44,735	00,000.
RMS	225,573	110,762.
NS SSE	57,320.	119,650.
EW SSE	85,520	92,350.
VT SSE	44,735.	00,000.
RMS	282,782.	151,144.

HWT = 397,400. LBS
 DWT = 389,000. LBS
 BWT = 47,940. LBS
 SWT = 341,060. LBS

FRICITION FORCES
 @ 0.2 FACTOR (LBS)
 NSOBE = 49,640
 EW OBE = 51,630
 NSSSE = 68,210
 EWSSE = 68,210

* BECAUSE OF NO LIFTOFF.

FIG 2.1



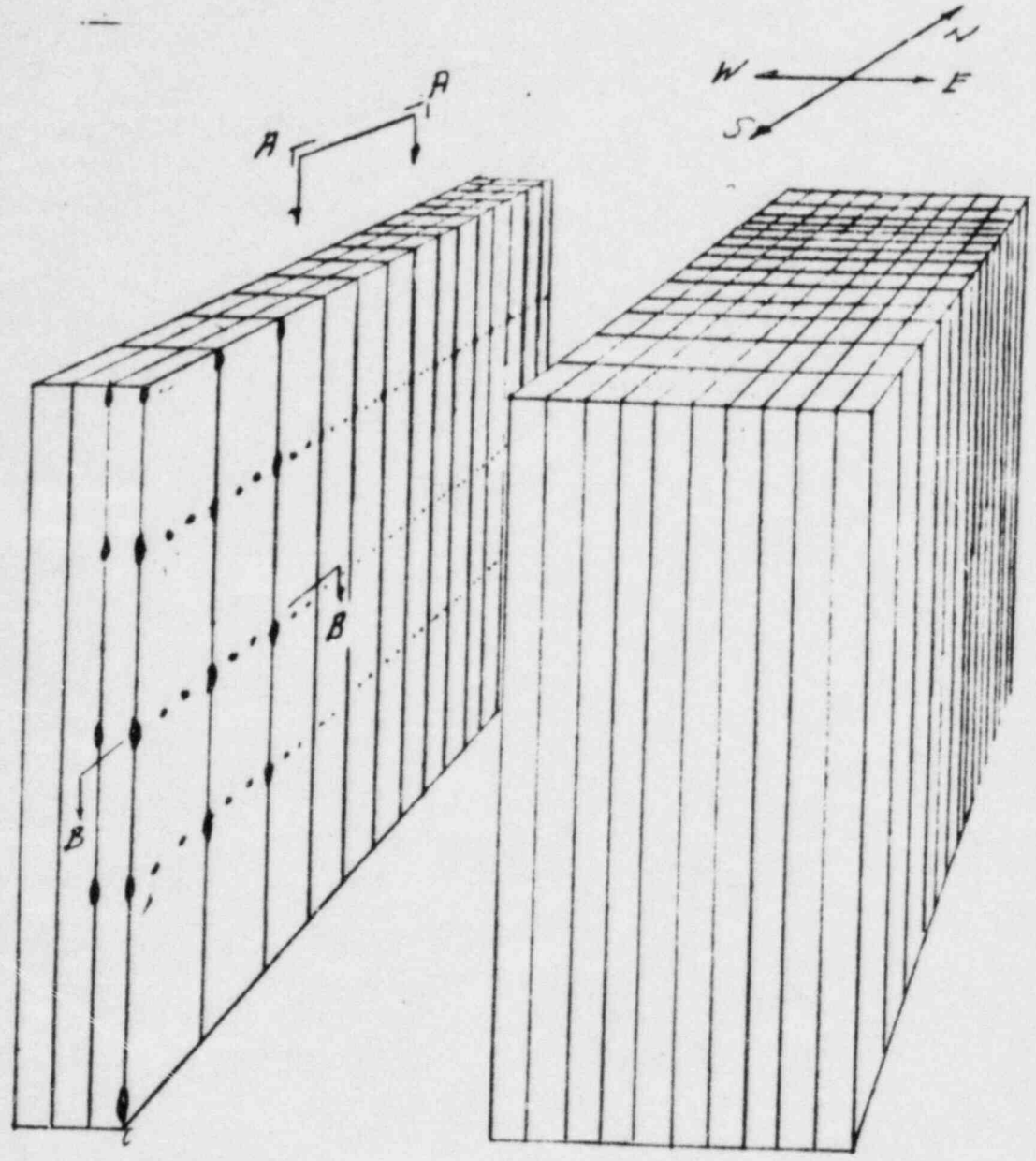
BY Hlw DATE 12/12/82 SUBJECT RACK WELDS 2

SH 6 OF 7

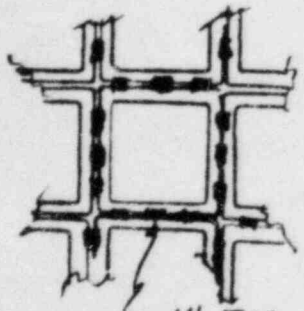
CHKD. BY LD DATE 2/23/87 NORTH-SOUTH PLANE

DF B369

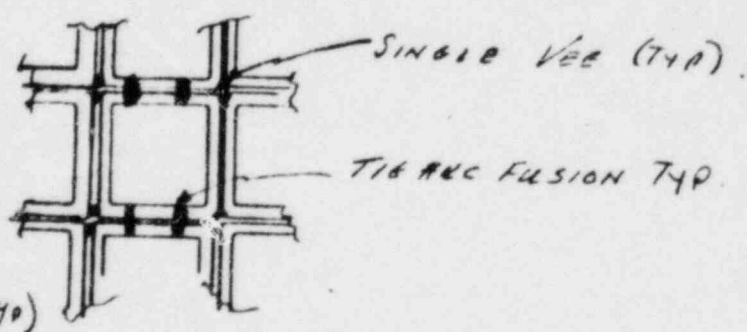
FIG 2.2



SECTION A-A



SECTION B-B

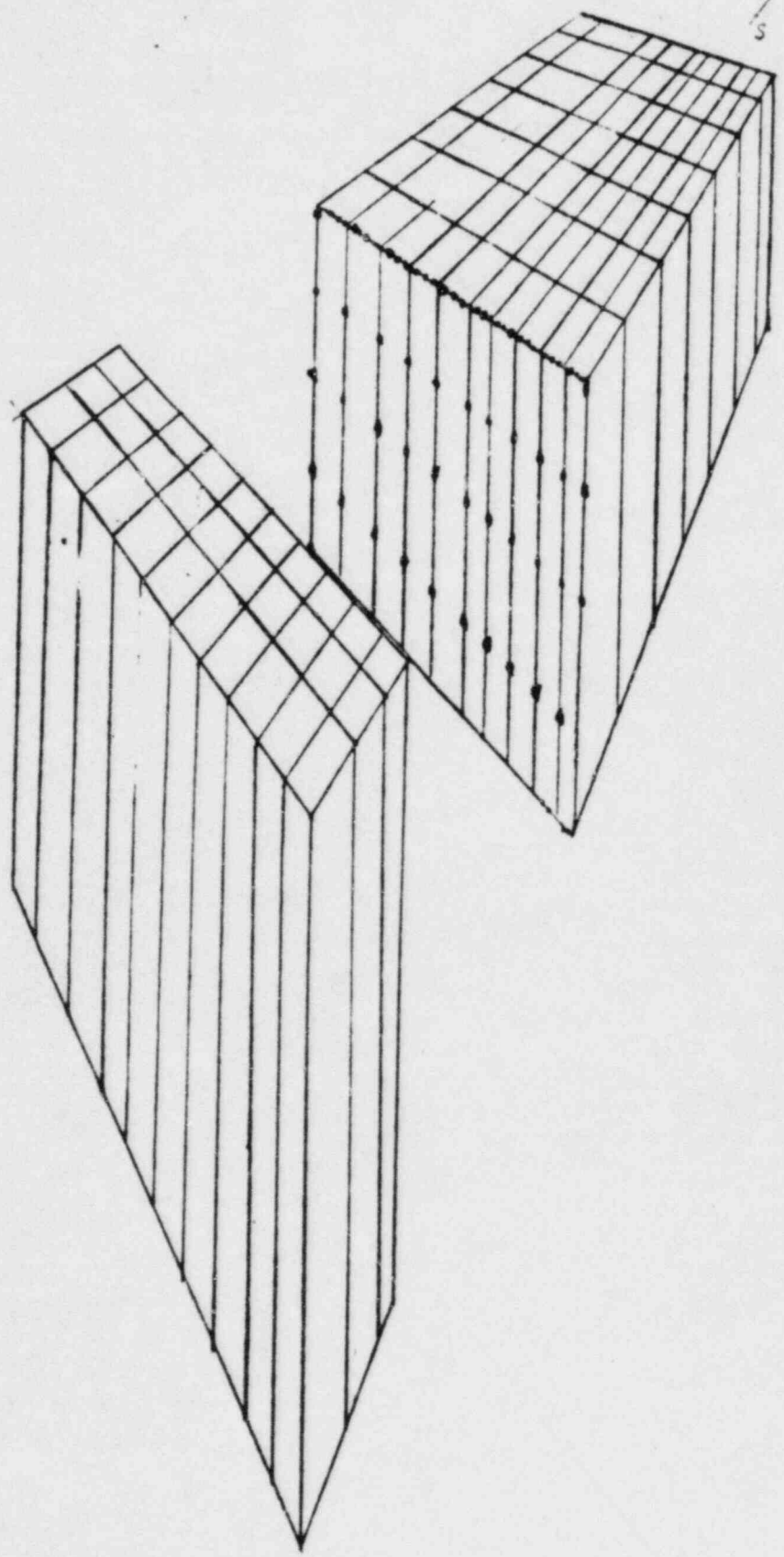
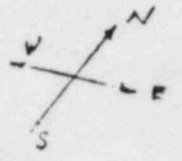


1" TIE FUSION (TYP)

BY AKW DATE 1/5/84 SUBJECT RACK WELD SECT. 2 SHEET 7 OF 7

CHKD. BY JLD DATE 2/22/84 EAST-WEST PLANE PROJ. NO. B369

FIG 2.3



SECTION 3.0
SUMMARY OF STRESSES

THE STRESSES ARE SUMMARIZED IN TABLE 3.1 FOR

- a. SHEAR IN WELDS NO. 1, 2 & 3 SHOWN OF FIGURES 3.1 AND 3.2.
- b. SHEAR OUT OF THE CORNER 9 BOXES (SHADED AREA, FIG. 3.1)
- c. BUCKLING OF THE BOX WALLS
- d. FLOOR LOADS UNDER THE 11 in. X 11 in. BASE PLATE

THE STRESSES IN WELDS NO. 1, 2 & 3 ARE DETERMINED BY CALCULATING THE RMS VALUES OF THE SHEAR LOAD, VERTICAL AND HORIZONTAL TO GET THE NS, EW, VT AND SWT LOADS. THE FORCE IN THE WELD IS CALCULATED BY,

$$F = SWT \pm \sqrt{F_{ns}^2 + F_{ew}^2 + F_{vt}^2}$$

THE SHEAR OUT OF THE CORNER, THE BUCKLING LOAD ON THE PLATE AND THE FLOOR LOAD ARE DETERMINED BY USING THE RMS VALUES FOR THE INDIVIDUAL SUPPORTS GIVEN IN SECTION # 2.

THE MAXIMUM STRESSES IN WELDS 1, 2, & 3 ARE;

STD. RACK, E-W PLANE, OBE, 19,970 psi, WELD #2
" " N-S PLANE, SSE, 21,700 psi, WELD #2
CON. RACK, E-W PLANE, OBE, 16,940 psi, WELD #2
" " E-W PLANE, SSE, 23,340 psi, WELD #1

THE MAXIMUM SHEAROUT STRESSES IN THE CORNERS ARE

STD RACK, OBE, 11,940 psi
" " SSE, 13,800 psi
CON RACK, OBE, 13,110 psi
" " SSE, 16,430 psi

THE MAXIMUM FLOOR LOADS IN THE 11 in. X 11 in. BASE PLATE ARE

STD. OBE, 1700 psi
" SSE, 1965 psi
CON. OBE, 1860 psi
" SSE, 2340 psi

THE ALLOWABLE WELD OBE SHEAR STRESS IS 24,000 psi (REF. 3, SECT. NF 3000, TABLE NF-3292 1-1)

THE ALLOWABLE WELD SSE SHEAR STRESS IS 38,400 psi (1.6 OBE (REF. 7, SRP 3.8.4.5(b)))

THE CRITICAL BUCKLING STRESS IS 19,140 psi (SECT. 6.19)



FLOOR LOADS

THE SIX MODIFIED RACKS ARE IN REGION #2. USING THE SUBMERGED WEIGHT FOR THE RACK THE TOTAL FLOOR LOADS ARE

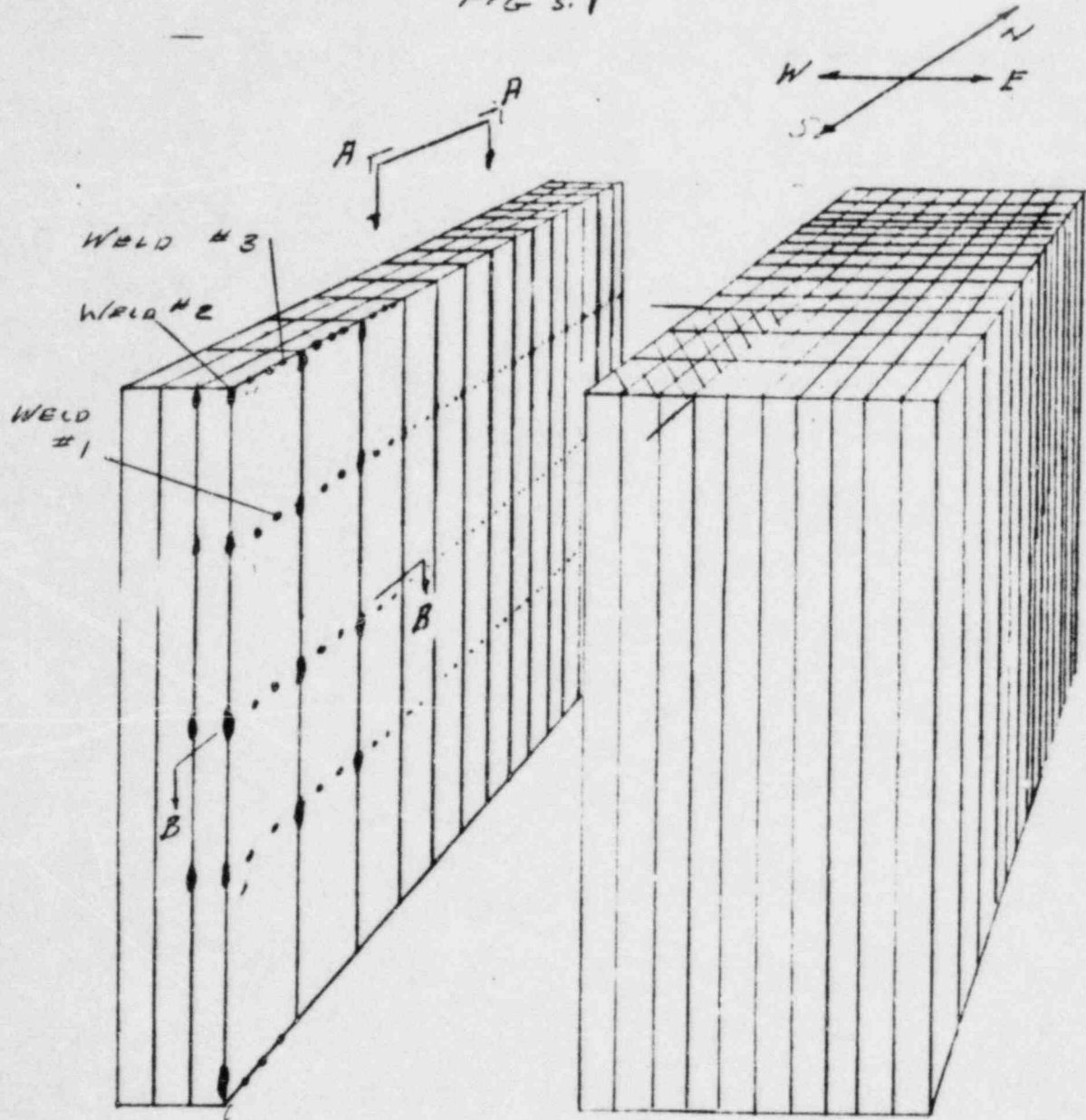
STANDARD RACK	1,249,000 LBS.
CONSOLIDATED RACK	2,046,360 LBS.

THE BEARING STRESS ON THE CONCRETE UNDER THE 11 IN. X 11 IN. X 3/4 IN. SUPPORT PLATES ARE

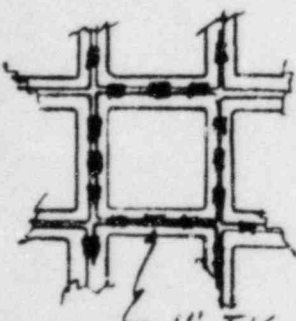
LOADS IN POUNDS	STANDARD RACK		CONSOLIDATE RACK	
	OBE	SSE	OBE	SSE
FLOOR LOAD	205,567	237,862	225,573	282,782
BEARING STRESS	1700	1965	1864	2337

BY Hlw DATE 12/14/83 SUBJECT RACK WELDS SECT. 3 SHEET 4 OF 6
CHKD. BY VLD DATE 2/23/84 ORIT: - SOUTH PLANE PROJ. NO. 8369

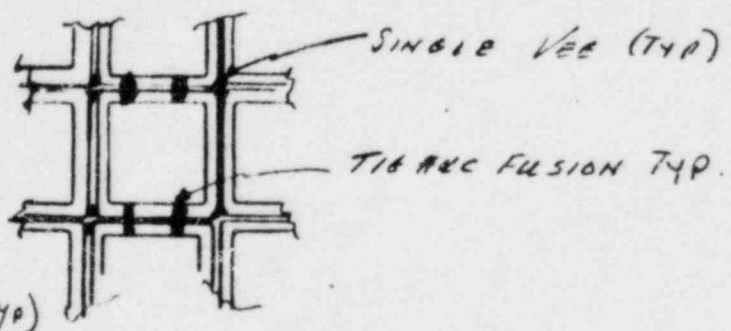
FIG 3.1



SECTION A-A

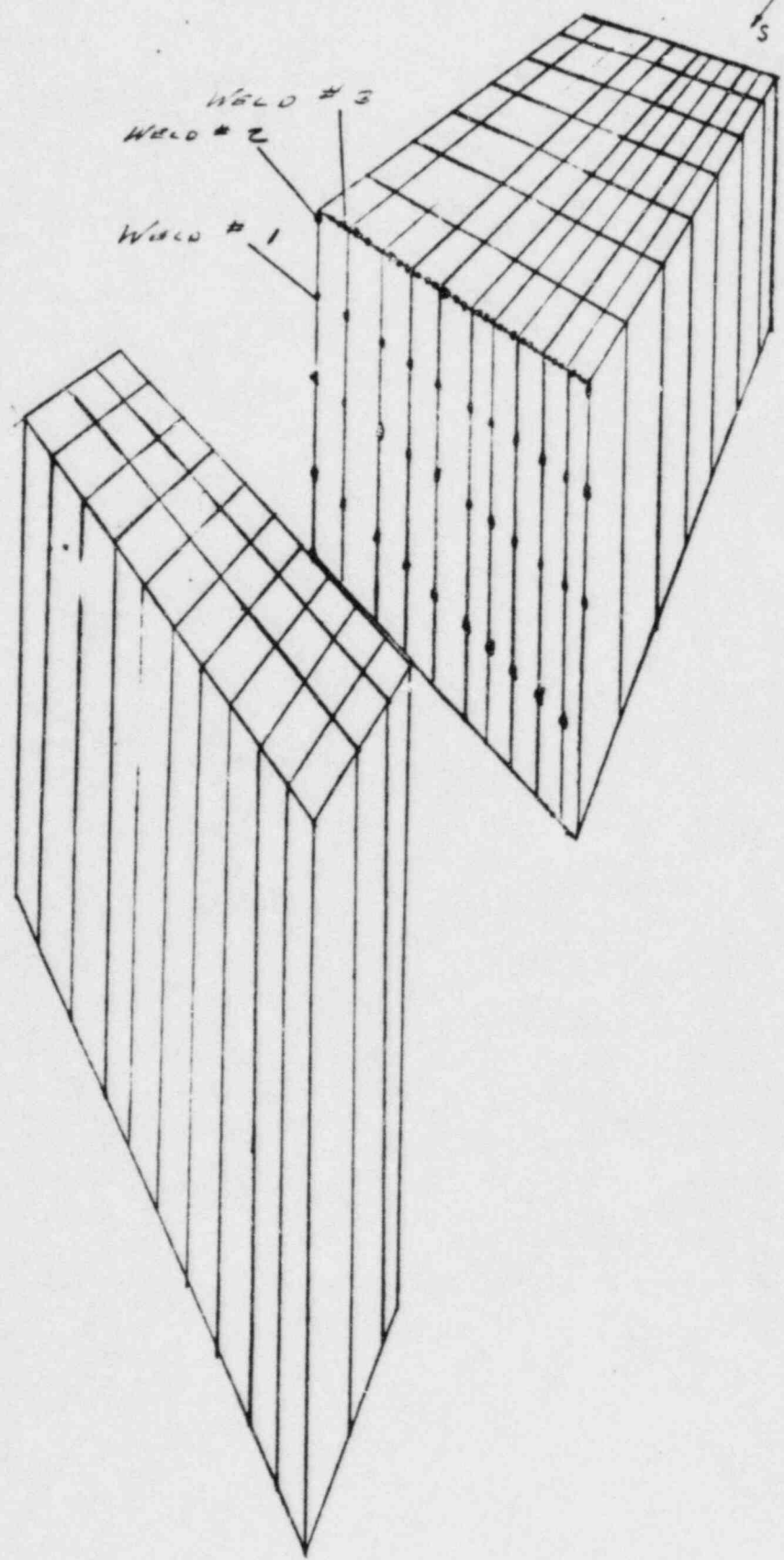
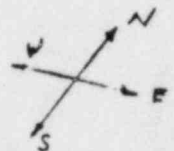


SECTION B-B



BY Atwater DATE 1/5/84 SUBJECT RACK WELD SECT. 3 SHEET 5 OF 6

CHKD. BY JLD DATE 2/23/84 EAST-WEST PLANE PROJ. NO. B369



BY JLD DATE 1/29/84 SUBJECT SUMMARY SECT. 3 SHEET 6 OF 6
 CHKD. BY JLD DATE 2/23/84 OF STRESSES PROJ. NO. B369

TABLE 2.1
SUMMARY OF STRESSES

	NORTH-SOUTH PLANE				EAST WEST PLANE			
	STANDARD		CONSOLIDATED		STANDARD		CONSOLIDATED	
	OBE	SSE	OBE	SSE	OBE	SSE	OBE	SSE
WELD #1	11680	16200	7980	17330	18480	18660	14260	21260
WELD #2	14800	21700	11280	22100	19970	20270	16940	23340
WELD #3	11350	17700	12170	17200	18880	19320	16720	22430
CORNER* SHEAROUT	11,950	13,800	13,110	16,430	11,950	13,820	13,100	16,430
BOX BUCKLING STRESSES	8800	10,200	9670	12,120	8800	10,700	9670	12,120
MAX FLOOR LOADS	1700	1965	1860	2340	1700	2000	1860	2340

* THESE VALUES ARE COMMON TO BOTH PLANES, WELD STRESSES
 1, 2, & 3 ARE FROM SECTIONS 6.10 THRU 6.17
 CORNER SHEAROUT FROM SECTION 6.18
 FLOOR LOADS FROM SECTION 7.0

SECTION 4.0

REFERENCES

4.0 REFERENCES

- | NO. | TITLE |
|-----|---|
| 1. | ROCHESTER GAS AND ELECTRIC CORP. P.O. N-BU-37225 AND RG&E-USTD AGREEMENT, SECTION 1.1.1 THRU 1.1.6 DATED SEPTEMBER 30, 1983. |
| 2. | U.S. TOOL AND DIE Report 8369-00-0013, SEISMIC ANALYSIS SPENT FUEL STORAGE RACKS MODIFIED TO 100 % STORAGE CAPACITY. Dated December 1983. |
| 3. | ASME Boiler and Pressure Vessels, NUCLEAR VESSELS, Section III, 1980 ed |
| 4. | R. D. Blevins, Ph D, FORMULAS FOR NATURAL FREQUENCY AND MODE SHAPE, Van Nostrand Reinhold Co., N Y, N Y., 1979. |
| 5. | O. W. Blodgett, DESIGN OF WELDED STRUCTURES, J. F. Lincoln Arc Welding Foundation, Cleveland, Ohio, 7th Printing 1975. |
| 6. | American Concrete Institute, MANUAL OF CONCRETE PRACTICE, 329-32, Detroit, Michigan |
| 7. | U. S. Nuclear Regulatory Commission, S. R. P. 3 0 4 |

TABLE OF CONTENTS

5.1	DISCUSSION
5.2	RACK WELD AREAS
5.3	FORCES ON WELDS DUE TO MOMENT
5.4	FORCES ON WELDS DUE TO TORSION
5.5	THIS SECTION LEFT BLANK
5.6	INERTIA FORCES
5.7	SUMMARY OF ACCELERATIONS
5.8	RESULTING INERTIA FORCES, NORTH SOUTH LOAD, EAST WEST PLANE
5.9	RESULTING INERTIA FORCES, EAST WEST LOAD, NORTH SOUTH PLANE
5.10	RESULTING INERTIA FORCES, VERTICAL LOAD
5.11	RESULTING INERTIA FORCES, SUBMERGED WEIGHT

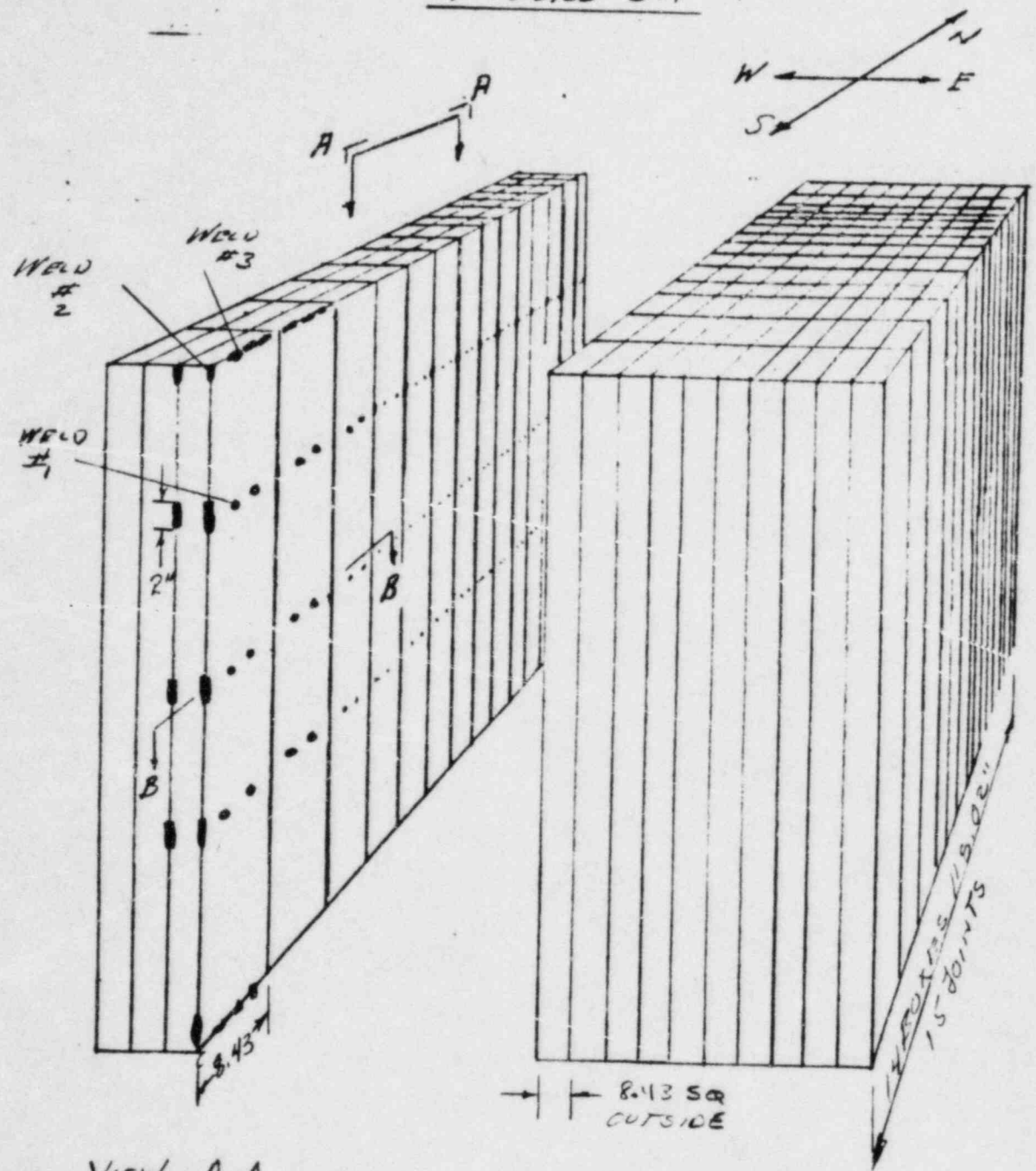
BY AW DATE 12/29/81 SUBJECT GEN DISCUSSION SECT. 5 SHEET 2 OF 47CHKD. BY JLD DATE 2/16/84PROJ. NO. 83695.1 DISCUSSION.

IN THIS SECTION THE FORCES THAT OCCUR IN THE WALL DUE TO SEISMIC LOADINGS ARE DEVELOPED. THE FORCES DEVELOPED IN SECTION 5 ARE FOR SETS OF WALL. THE FORCES ON THE INDIVIDUAL WALLS ARE GIVEN IN SECTION 6.

THE FORCES IN THE WALLS ARE DEVELOPED FOR THE NORTH-SOUTH PLANE AS SHOWN ON FIG 5.1 AND THE EAST WEST PLANE AS SHOWN ON FIGURE 5.2.

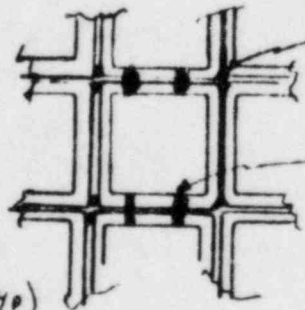
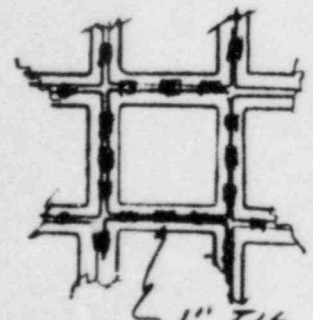
THE CRUCIFORM SUPPORT PLATE ENCOMPASSES 3 ROWS OF BOXES IN BOTH THE NORTH-SOUTH AND EAST-WEST DIRECTION. THE FORCES ARE DEVELOPED ON THE THREE BOX PLANES AS SHOWN IN FIGURES 5.1 AND 5.2.

FIGURE 5.1



VIEW A-A

SECTION B-B



1" TIG FUSION (TYP) WELD #3

SINGLE VEE (TYP) WELD #2

TIG ARC FUSION (TYP) WELD #1

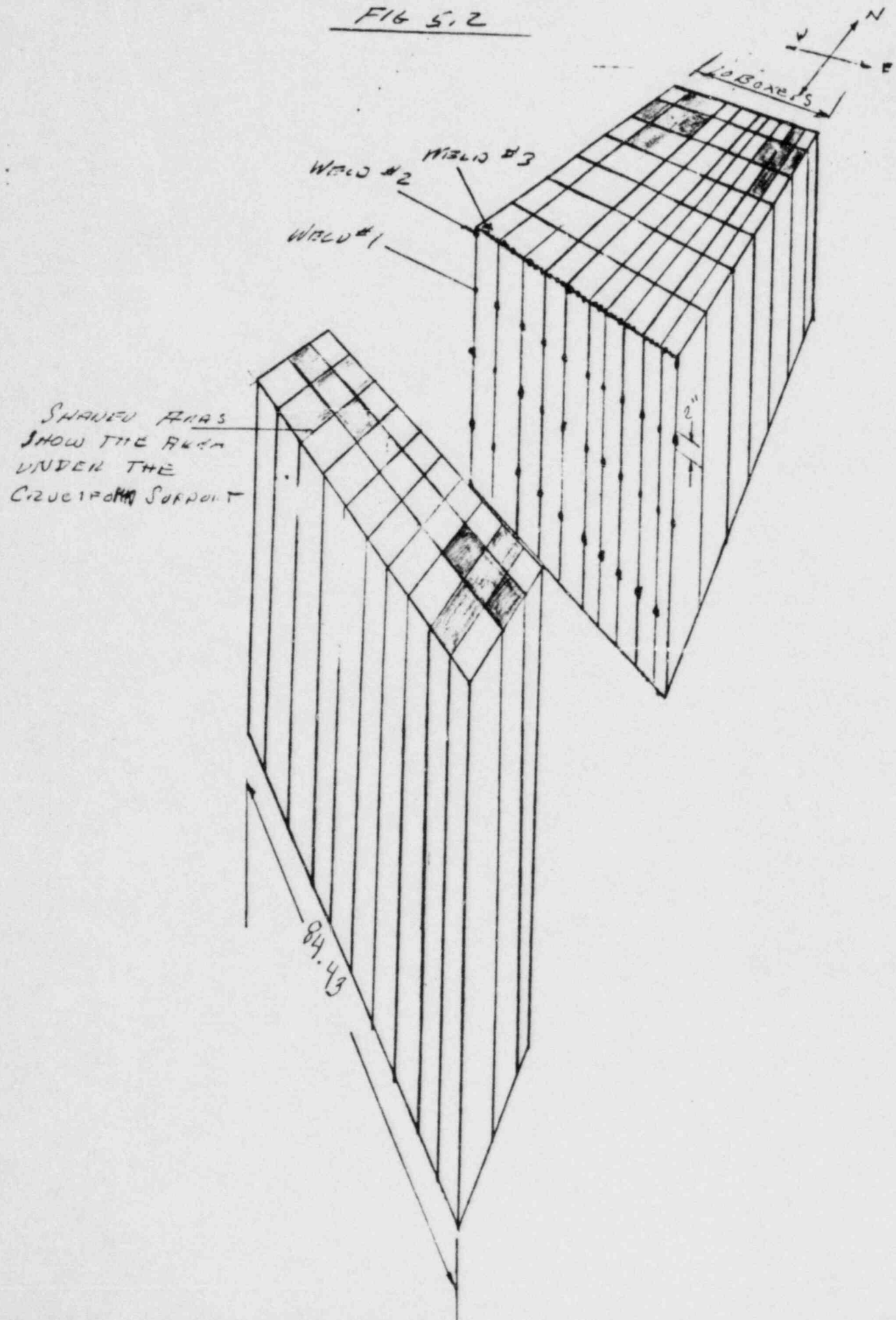
BY AKW DATE 1/5/84 SUBJECT RACK WELD

SHEET 4 OF 42

CHKD. BY JLD DATE 2/16/84 EAST-WEST PLANE

PROJ. N° 8369

FIG 5.2



5.2 RACK WELD AREA

5.2.1 NORTH SOUTH PLANE

THE NORTH SOUTH PLANE CONSIST OF:

WELDS

6 FUSIONS WELDS PER BOX 0.5 in DIAM.

1 $A = \frac{\pi}{4} (0.5)^2 (6) (14 \text{ BOXES}) = 16.5 \text{ in}^2$

3 FILLET WELDS 1 in lg - TOP & BOTTOM.

THE WELD THICKNESS IS APPROXIMATELY 0.18 in ACROSS THE THROAT.

$A = (3)(2) \text{ EA BOX} (1 \text{ in}) (0.18 \text{ in}) (14) \text{ BOXES} = 15.12 \text{ in}^2$

2 5 FILLET WELDS AT EA. BOX INTERSECTION ENDS, 2" lg.

$A/\text{SEAM} = 5 \text{ EA} (2 \text{ in lg}) (0.18 \text{ thk}) = 1.80 \text{ in}^2$

$A = 1.80 (2) = 3.60 \text{ in}^2$

ATNS $16.5 + 15.12 + 3.60 = 35.22 \text{ in}^2$

5.2.2 EAST - WEST PLANE

THE EAST WEST PLANE CONSIST OF:

1 5 FILLET WELDS 2 in lg. X 11 SEAMS.

2 $A = (5)(2)(0.18)(11) = 19.8 \text{ in}^2$

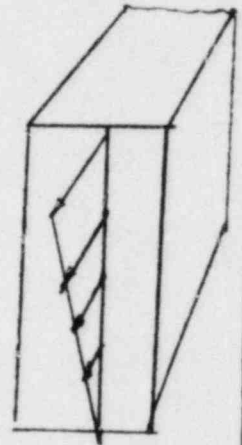
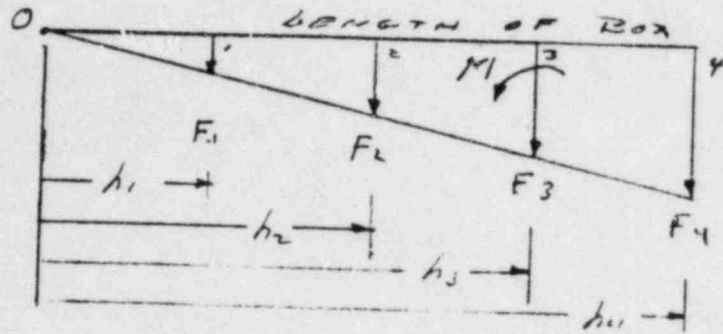
3 FILLET WELD TOP AND BOTTOM 1 in lg

3 $A = (3)(1)(2)(0.18)(10 \text{ BOXES}) = 10.8 \text{ in}^2$

AT-EW = $19.8 + 10.8 = 30.6 \text{ in}^2$

5.3 FORCES ON WELDS DUE TO MOMENT

ASSUME ROTATION WILL TAKE PLACE AROUND TOP OR BOTTOM OF BOX.



$$\frac{\Delta_4}{h_4} = \frac{\Delta_3}{h_3} = \frac{\Delta_2}{h_2} = \frac{\Delta_1}{h_1}$$

$$\Delta = \frac{F \cdot l}{A E}$$

Assume $\frac{l_1}{E_1} = \frac{l_2}{E_2} = \frac{l_3}{E_3} = \frac{l_4}{E_4}$

$$\frac{F_4}{A_4 h_4} = \frac{F_3}{A_3 h_3} = \frac{F_2}{A_2 h_2} = \frac{F_1}{A_1 h_1}$$

$$\sum M_0 = 0$$

$$\begin{aligned} M_0 &= F_1 h_1 + F_2 h_2 + F_3 h_3 + F_4 h_4 \\ &= \frac{F_4 A_1 h_1^2}{A_4 h_4} + \frac{F_4 A_2 h_2^2}{A_4 h_4} + \frac{F_4 A_3 h_3^2}{A_4 h_4} + \frac{F_4 A_4 h_4^2}{A_4 h_4} \end{aligned}$$

$$F_4 = \frac{M A_4 h_4}{A_1 h_1^2 + A_2 h_2^2 + A_3 h_3^2 + A_4 h_4^2}$$

$$F_3 = \frac{M A_3 h_3}{\sum A_i h_i^2} \quad F_1 = \frac{M A_1 h_1}{\sum A_i h_i^2}$$

BY Hand DATE 12/2/84 SUBJECT WELD Areas SECT. 5 SHEET 7 OF 47CHKD. BY JLD DATE 2/16/84PROJ. NO. 03695.3.1 WELD AREAS ASSOCIATED WITH F_c's5.3.1.1-NORTH-SOUTH LOADING - EAST WEST PLANEA₄ (TOP OR BOTTOM ROW)

10 BOXES WIDE X 3EA/BOX X 1in X 0.18

11EA 2in Lg. X 0.18.

$$A_4 = (10)(3)(1" \times 0.18") + (11)(2") (0.18")$$

$$= 5.40 + 3.96 = 9.36 \text{ in}^2$$

$$A_3 = A_2 = A_1$$

11EA 2in Lg X 0.18 FILLET WELDS

$$A_3 = A_2 = A_1 = (11)(2)(0.18) = 3.96 \text{ in}^2$$

5.3.1.2-EAST-WEST LOADING - NORTH-SOUTH PLANEA₄ (TOP OR BOTTOM ROW)

14 BOXES WIDE - 3EA 1in X 0.18

2 EA 2in Lg X 0.18

$$A_4 = (14)(3)(1)(0.18) + (2)(2)(0.18)$$

$$= 7.56 + 0.72 = 8.28 \text{ in}^2$$

$$A_3 = A_2 = A_1$$

14 BOXES - 2 FUSION WELDS/BOX 0.5 in DIAM

2 EA 2in X 0.18

$$A_3 = A_2 = A_1 = (14)(2)\left(\frac{\pi}{4}\right)(0.5)^2 + (2)(2)(0.18) = 6.22 \text{ in}^2$$

$$h_1 = 39.5 \text{ " } h_2 = 79.0 \text{ " } h_3 = 118.5 \text{ " } h_4 = 158.0 \text{ "}$$

BY JHW DATE 12/12/84 SUBJECT FORCES IN WPLDS SECT. 5 SHEET 8 OF 47

CHKD. BY VLD DATE 2/10/84 PROJ. NO. 8369

5.3.2 FORCES F₄ & F₃

5.3.2.1 NORTH - SOUTH LOADING. - E-W PLANE

$$F_4 = \frac{M(9.36)(158.0)}{3.96(39.5^2 + 79^2 + 118.5^2) + 9.36(158)^2}$$

$$= 4.619 E-03 M$$

$$F_3 = \frac{M(3.96)(118.5)}{\sum A_i h_i^2} = 1.466 E-03 M$$

$$F_1 = \frac{M(3.96)(39.5)}{\sum A_i h_i^2} = 0.488 E-03 M$$

5.3.2.2 EAST - WEST LOADING. - N-S PLANE

$$F_4 = \frac{M(8.28)(158.0)}{6.22(39.5^2 + 79^2 + 118.5^2) + 8.28(158)^2}$$

$$= 3.81 E-03 M$$

$$F_3 = \frac{M(6.22)(118.5)}{\sum A_i h_i^2}$$

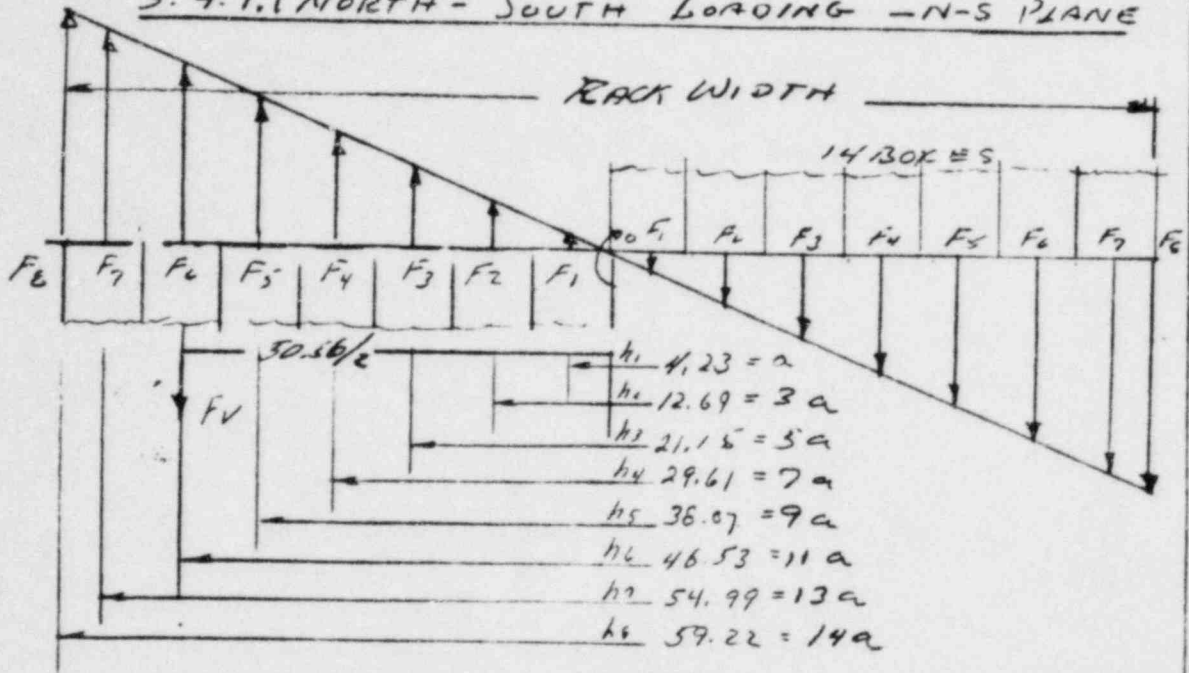
$$= 2.152 E-03 M$$

$$F_1 = \frac{M(6.22)(39.5)}{\sum A_i h_i^2} = 0.717 E-03 M$$

5.4 FORCES ON WELDS DUE TO TORSION-

5.4.1 FORCES DUE TO VERTICAL FORCE FV

5.4.1.1 NORTH-SOUTH LOADING - N-S PLANE



$$\frac{\Delta_1}{h_1} = \frac{\Delta_2}{h_2} = \frac{\Delta_3}{h_3} = \frac{\Delta_4}{h_4} = \frac{\Delta_5}{h_5} = \frac{\Delta_6}{h_6} = \frac{\Delta_7}{h_7} = \frac{\Delta_8}{h_8}$$

$$\Delta_i = \frac{F_i \Delta_i}{A_i E} \quad \text{ASSUME: ALL } \frac{\Delta_i}{E} \text{ ARE EQUAL}$$

$$\Delta_i = \frac{F_i}{A_i}$$

$$T = F_v (50.56a) \quad \text{FROM p5.26 OF REP#2}$$

$$\frac{F_i}{h_i A_i} = \frac{F_8}{h_8 A_8} \quad F_i = F_8 \frac{h_i A_i}{h_8 A_8}$$

$$\begin{aligned} \sum M_0 = 0 \\ 50.56 F_v = 2 [F_1 a + F_2 (3a) + F_3 (5a) + F_4 (7a) \\ + F_5 (9a) + F_6 (11a) + F_7 (13a) \\ + F_8 (14a)] \end{aligned}$$

$$25.28 F_v = a (F_1 + 3F_2 + 5F_3 + 7F_4 + 9F_5 + 11F_6 + 13F_7 + 14F_8)$$

BY HLW DATE 1/12/84 SUBJECT WIND FORCES

5 SHEET 10 OF 47

CHKD. BY JLD DATE 2/16/84

PROJ. NO. 8369

S. 4.1.1 CONT.

$$F = \frac{F_B h_i A_i}{h_B A_B}$$

$$25.28 F_v = \frac{a^2 F_B}{h_B A_B} \left\{ A_0 (1^2 + 3^2 + 5^2 + 7^2 + 9^2 + 11^2 + 13^2) + 14^2 A_B \right\}$$

WHEN $h_B = 14a$

$$F_B = \frac{(25.28) 14 A_0 F_v}{a (455 A_0 + 196 A_B)}$$

$$= \frac{F_v A_0}{a [1.285 A_0 + 0.554 A_B]}$$

$A_B = 1.80 \text{ in}^2$, $A_0 = A_7 = 6 \text{ FUSION WELDS} \times 6$
 $\text{FILLET WELD } 1" \text{ LONG} = 6(0.176 + 0.15)$
 $= 2.256 \text{ IN}^2$

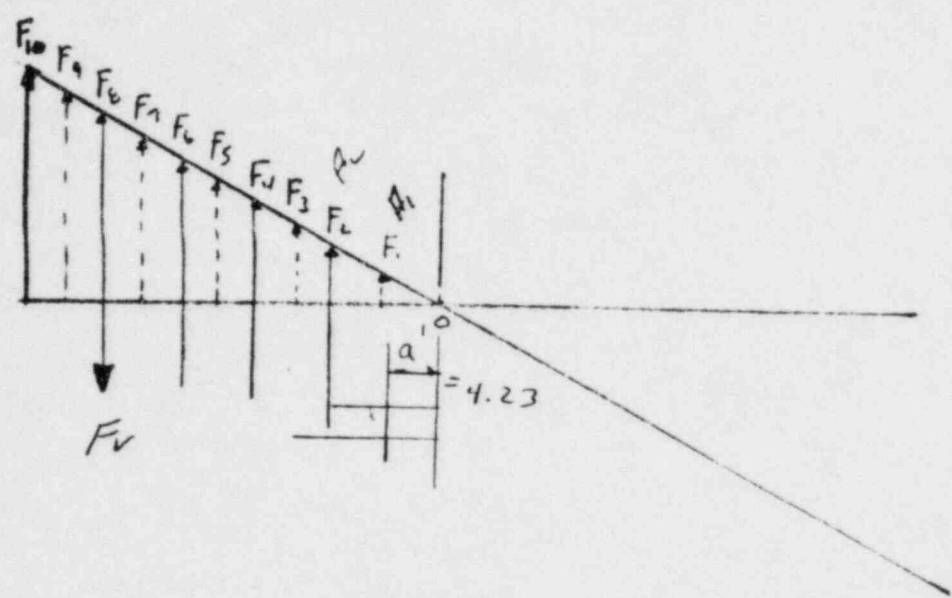
$$F_B = 109.22 E - 0.2 F_v$$

$$F_7 = \frac{25.28 (13) A_7 F_v}{a (455 A_0 + 196 A_B)}$$

$$= \frac{F_v A_7}{a (1.38 A_0 + 0.596 A_B)}$$

$$F_7 = 127.4 E - 0.7 F_v$$

5.4.1.2 EAST WEST LOADING - E-W PLANE



$\sum M_0 = 0$

$8a F_v = 2a (F_1 + 2F_2 + 3F_3 + 4F_4 + 5F_5 + \dots + 10F_{10})$

$\frac{\Delta_i}{h_i} = \frac{\Delta_{10}}{h_{10}} = \frac{\Delta_9}{h_9}$

$A_2 = A_{10} = A_1 = \dots A_L$

$\Delta_i = F_i / A_i$

$A_1 = A_{11} = A_9 = A_7$

$\frac{F_i}{h_i A_i} = \frac{F_{10}}{h_{10} A_{10}} = \frac{F_9}{h_9 A_9}$

$F_i = \frac{F_{10} h_i A_i}{h_{10} A_{10}} = \frac{F_9 h_i A_i}{h_9 A_9}$

$8F_v = \frac{2F_{10} a}{10a A_{10}} [A_1 (1^2 + 3^2 + 5^2 + 7^2 + 9^2) + A_2 (2^2 + 4^2 + 6^2 + 8^2 + 10^2)]$

$= \frac{2F_{10}}{10 A_{10}} [A_1 (165) + 220 A_2]$

$8F_v = \frac{2F_9}{9 A_9} [A_1 (165) + 220 A_2]$

BY Hm DATE 1/24/84 SUBJECT Weld Forces SECT. 5 SHEET 12 OF 47CHKD. BY VLD DATE 2/16/84 PROJ. NO. E2695. 4.1.2 - CONT -

$$A_1 = (3)(2)(1)(0.18) = 1.08 \text{ in}^2$$

$$A_2 = (5)(2)(0.18) = 1.80 \text{ in}^2$$

$$a = 4.23$$

$$8F_v = \frac{2F_{10}}{10(1.80)} (1.08(165) + 220(1.80))$$

$$F_v = 7.975 F_{10}$$

$$F_{10} = 125.4 \text{ E-03 } F_v$$

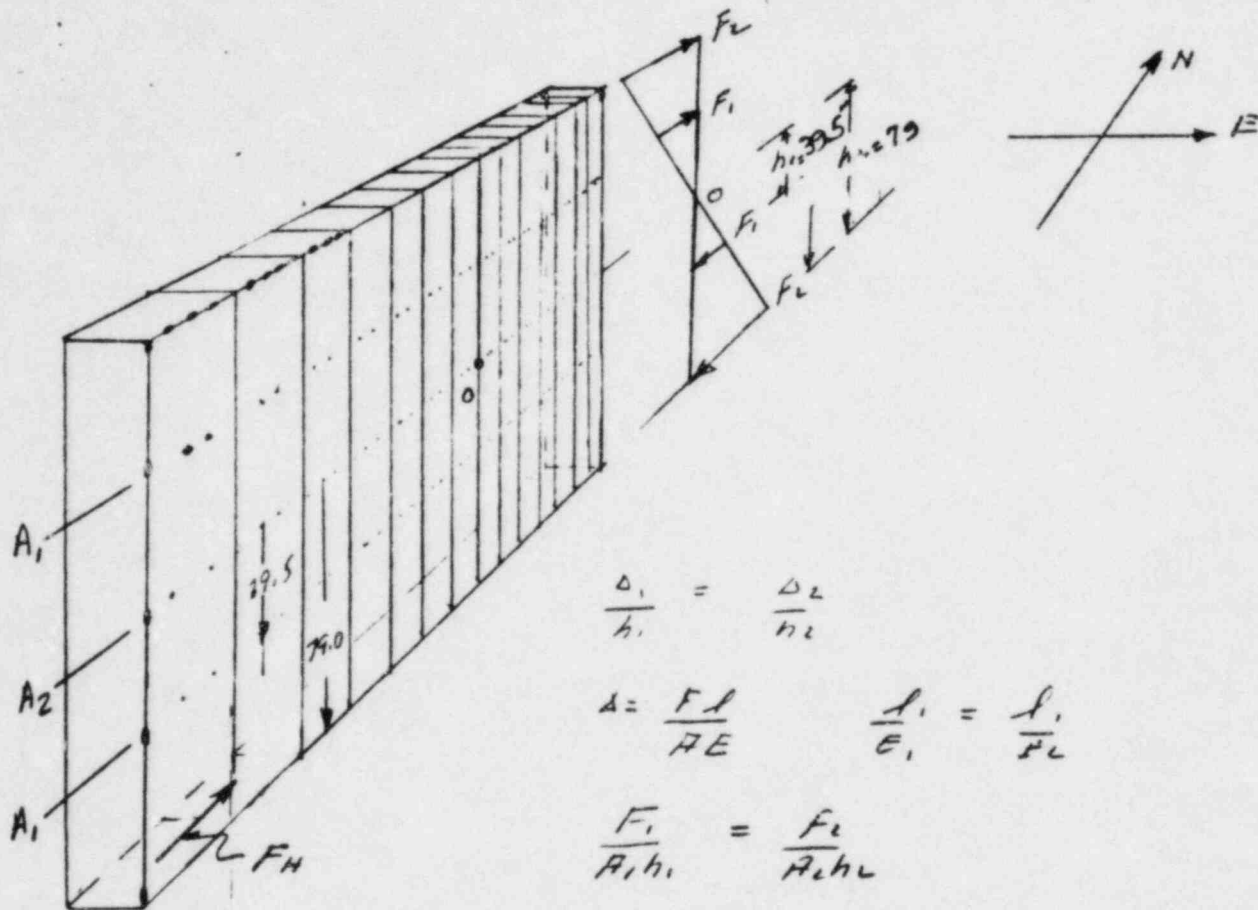
$$8F_v = \frac{2F_9}{(9)(1.08)} (1.08(165) + 220(1.80))$$

$$F_v = 14.76 F_9$$

$$F_9 = .6770 \text{ E-03 } F_v$$

5.4.2 FORCES DUE TO HORIZONTAL FORCE FH

5.4.2.1 NORTH-SOUTH LOADING - N-S PLANE



$$\frac{\Delta_1}{h_1} = \frac{\Delta_2}{h_2}$$

$$\Delta = \frac{F L}{A E} \quad \frac{f_1}{E_1} = \frac{f_2}{E_2}$$

$$\frac{F_1}{A_1 h_1} = \frac{F_2}{A_2 h_2}$$

$$F_1 = \frac{F_2 A_1 h_1}{A_2 h_2} \quad F_2 = \frac{F_1 h_2 A_2}{A_1 h_1}$$

$$\sum M_0 = 0 = -F_H h_2 + 2 F_2 h_2 + 2 F_1 h_1$$

$$F_H h_2 = \frac{2 F_2 A_2 h_2^2}{A_2 h_2} + \frac{2 F_1 A_1 h_1^2}{A_2 h_2}$$

$$= \frac{2 F_2}{A_2 h_2} (A_2 h_2^2 + A_1 h_1^2)$$

$$F_H h_2 = \frac{2 F_1 h_2^2 A_2 + 2 F_1 h_1^2 A_1}{A_1 h_1}$$

$$F_2 = \frac{F_H A_2 h_2^2}{(2 A_2 h_2^2 + A_1 h_1^2)}$$

$$F_1 = \frac{h_2 (A_1 h_1) F_H}{2 (A_2 h_2^2 + A_1 h_1^2)}$$

5.4.2.1 - CONT -

$$F_2 = \frac{F_H A_2 h_2^2}{2(A_2 h_2^2 + A_1 h_1^2)}$$

$$F_1 = \frac{F_H h_1 h_2 A_1}{2(A_2 h_2^2 + A_1 h_1^2)}$$

LET A_1 OCCUR @ $h_1 = 39.5''$

WELD AREA $A_1 = (2 \text{ WELDS})(2'' \text{ LONG})(0.18 \text{ IN}^2) = 0.72$

2B FUSION WELDS @ $0.5'' \text{ DIA} = (0.196)(28) = 5.49$

$$\therefore A_1 = 6.21 \text{ IN}^2$$

LET A_2 OCCUR @ $h_2 = 79.0''$

WELD AREA $A_2 = (2 \text{ WELDS})(2'' \text{ LONG})(0.18 \text{ IN}^2) = 0.72$

(3 FILLET WELDS)(1'' LONG)(0.18'')(14 BOXES) = 7.56

$$\therefore A_2 = 8.28 \text{ IN}^2$$

$$F_2 = \frac{F_H (8.28)(79)^2}{2[8.28(79)^2 + 6.22(39.5)^2]}$$

$$F_2 = 420.945 E - 03 F_H$$

$$F_1 = \frac{F_H (6.22)(39.5)(79)}{2[8.28(79)^2 + 6.22(39.5)^2]}$$

$$F_1 = 158.11 - E 03 F_H$$

BY Nhw DATE 1/12/64 SUBJECT E-W LOAD - FORCES SECT. 5 SHEET 15 OF 47
 CHKD. BY JLD DATE 2/16/84 From FH PROJ. NO. B369

5.4.2.2 EAST WEST LOADING - E-W PLANE (FH)

THE LOAD DISTRIBUTION IS THE SAME AS 5.4.2.1

$$F_2 = \frac{F_H A_2 h_2^2}{2(A_2 h_2^2 + A_1 h_1^2)}$$

$$F_1 = \frac{F_H h_1 h_2 A_1}{2(A_2 h_2^2 + A_1 h_1^2)}$$

$$A_1 = 11 \text{ Wires}, 2 \text{ in } l_y, 0.18 \text{ in}$$

$$A_1 = (11)(2)(0.18) = 3.96 \text{ in}^2$$

$$A_2 = A_1 + (10 \text{ Box})(2 \text{ wire } l_y)(0.18 \text{ in}) = 9.36 \text{ in}^2$$

$$h_1 = 39.5 \text{ in} \quad h_2 = 79.0 \text{ in}$$

$$F_2 = \frac{F_H (9.36)(79)^2}{2[9.36(79)^2 + 3.96(39.5)^2]}$$

$$F_2 = 452.17 E - \phi 3 F_H$$

$$F_1 = \frac{F_H (39.5)(79)(3.96)}{2[9.36(79)^2 + 3.96(39.5)^2]}$$

$$F_1 = 95.62 E - \phi 3 F_H$$

BY HW DATE 1/31/84 SUBJECT _____

SECT. 5 SHEET 16 OF 47

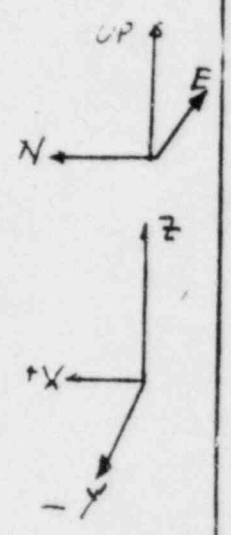
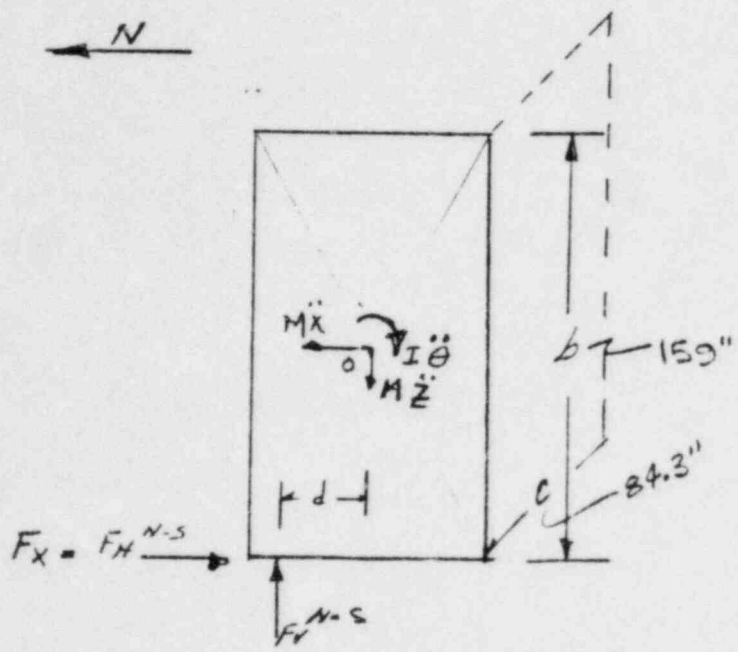
CHKD. BY JLD DATE 2/14/84

PROJ. NO. 8369

S. 5 -

THIS SECTION INTENTIONALLY
LEFT BLANK

5.6 INERTIA FORCES N-S FORCE
ACTING ON E-W PLANE



5.6.1 MASS MOMENT OF INERTIA I_{20}

$$I_{20} = \frac{M}{12} (b^2 + c^2) \text{ Ref: #4 p 33}$$

$$b = 159 \text{ in} \quad c = 84.3''$$

$$M = \text{SWT} / 386 \text{ y}$$

STANDARD RACK DWT = 233,600 lb. (sect. 2.0)

$$I_{20} = 1631.6 \text{ KIP-IN} / \text{SEC}^2$$

CONSOLIDATED HWT = 397,400 lb. (sect 2.0)

$$I_{20} = 2775.75 \text{ KIP-IN} / \text{SEC}^2$$

5.6 INERTIA FORCES - CONT - N-S (E-W PLANE)

5.6.1 NORTH - SOUTH "g" FORCES.

$$F_H^{N-S} = -M \ddot{x} \qquad F_V = -M \ddot{z}$$

$$\sum M_O = -I \ddot{\theta} + F_H^{N-S} (b/2) - F_V^{N-S} (d) = 0$$

$$I \ddot{\theta}^{N-S} = -F_V^{N-S} (d) + F_H^{N-S} (b/2)$$

$$d = l = 50.58 \text{ in}$$

$$I \ddot{\theta}^{N-S} = -50.58 F_V^{N-S} + 79.5 (F_H^{N-S})$$

5.6.1.1 NORTH - SOUTH STANDARD RACK

$$M = 233,600 \text{ lb}$$

$$\ddot{y}_{N-S}^{STD} = - \frac{F_H^{N-S} (g)}{233,600}$$

$$\ddot{z}_{N-S}^{STD} = + \frac{F_V^{N-S} (g)}{233,600}$$

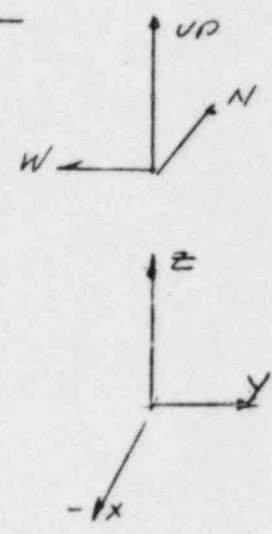
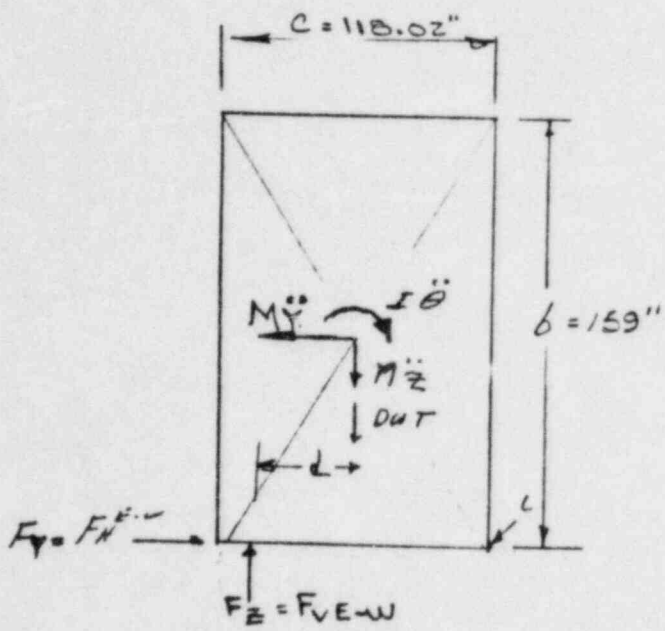
5.6.1.2 NORTH - SOUTH - CONSOLIDATED RACK

$$M = 397,400 \text{ lb}$$

$$\ddot{y}_{N-S}^{CON} = - \frac{F_H^{N-S} g}{397,400}$$

$$\ddot{z}_{N-S}^{CON} = + \frac{F_V^{N-S} g}{397,400}$$

5.6.2 INERTIA FORCES - EAST WEST .
ACTING ON N-S PLANE



MASS MOMENT OF INERTIA.

$$I_{x0}^{\ddot{N}} = \frac{111}{12} (c^2 + D^2) \quad \text{REF 4 P33}$$

$$c = 118.02" \quad b = 159.0"$$

$$III: DWT 1386.4$$

STANDARD RACK DWT = 233,600 LBS.

$$I_{x0}^{\ddot{E-W}} = 1975.4 \text{ KIP-SEC}^2$$

CONSOLIDATED DWT = 397,400 LBS.

$$I_{x0}^{\ddot{E-W}} = 3360.5 \text{ KIP-SEC}^2$$

BY ALW DATE 1/2/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 20 OF 47

CHKD. BY JLD DATE 2/16/84 PROJ. NO. 8269

5.62 INERTIA FORCES - CONT -

5.6.2.1. EAST WEST "g" FORCES

$$F_H^{E-W} = -M \ddot{z}$$

$$\ddot{y}^{E-W} = \frac{-F_H^{E-W}}{M}$$

$$\sum M_0 = -I \ddot{\theta} + F_H^{E-W} (b/2) - F_V^{E-W} (d) = 0$$

$$d = 33.72" \text{ in}$$

$$I \ddot{\theta}^{E-W} = -F_V^{E-W} (33.72") + 79.5" (F_H^{E-W})$$

5.6.2.1.1 EAST WEST - STANDARD RACK

$$M = 233,600 \text{ lb} \quad \text{SECT 2.0}$$

$$\ddot{y} = \frac{-F_H^{E-W} g}{233,600}$$

$$\ddot{z} = \frac{F_V^{E-W} g}{233,600}$$

5.6.2.1.2 EAST-WEST - STANDARD RACK

$$M = 397,400 \text{ lb.}$$

$$\ddot{y} = \frac{-F_H g}{397,400}$$

$$\ddot{z} = \frac{F_V g}{397,400}$$

BY Nhw DATE 1/9/64 SUBJECT ACCELERATIONS SECT. 5 SHEET 21 OF 47

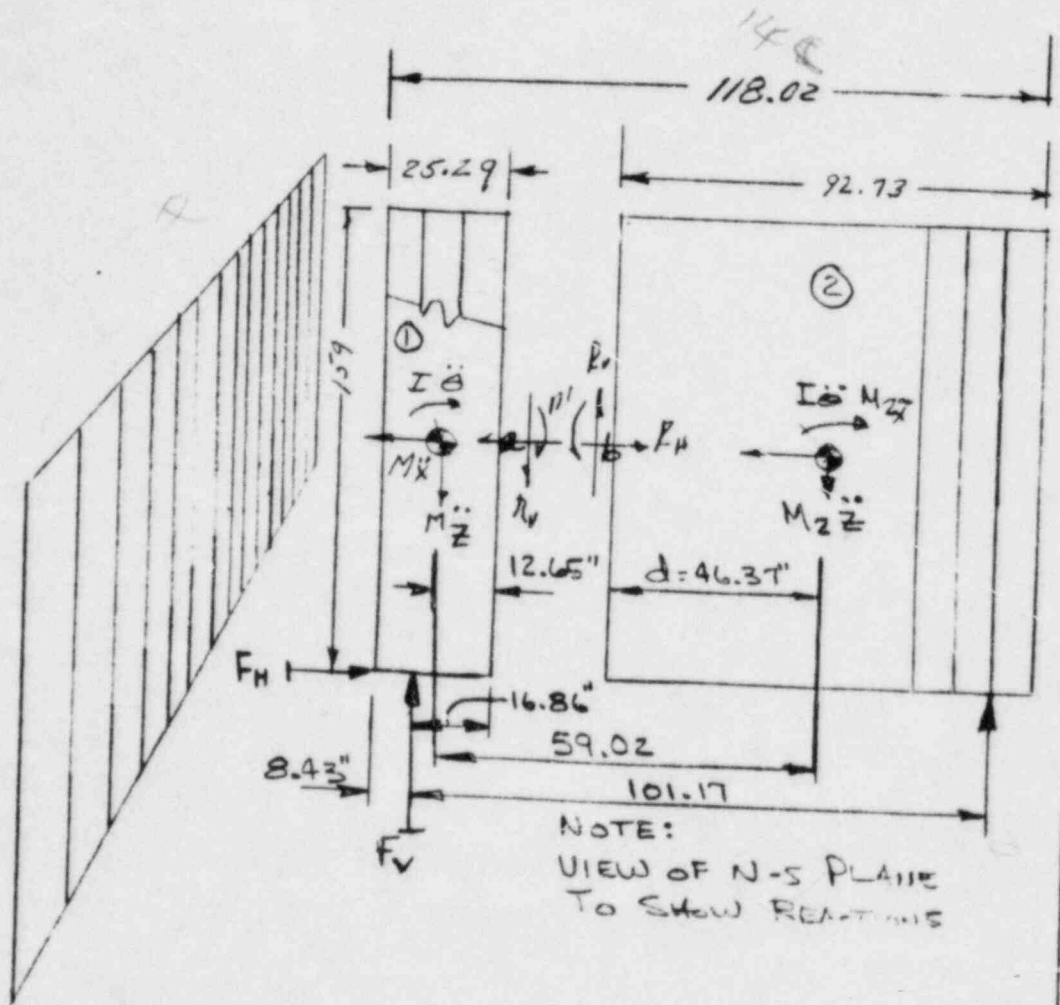
CHKD. BY JLD DATE 2/16/84

PROJ. NO. 8269

5.7 SUMMARY OF ACCELERATIONS

NORTH - SOUTH			EAST WEST		
	STD	CONS		STD	CONS.
\ddot{X}	$\frac{FH \ 3}{233600}$	$\frac{FH \ 3}{397400}$	\ddot{Y}	$\frac{FH \ 3}{233600}$	$\frac{FH \ 3}{397400}$
\ddot{Z}	$\frac{FV \ 3}{233600}$	$\frac{FV \ 3}{397400}$	\ddot{Z}	$\frac{FV \ 3}{233600}$	$\frac{FV \ 3}{397400}$
$I \ddot{\theta}$	$-50.58 FV + 79.5 FH$		$I \ddot{\theta}$	$-33.72 FV + 77.5 FH$	

5.8. RESULTING INERTIA FORCE/C-N-SLOAN (AS IT APPLIES TO E-W PLANE)



5.8.1 STANDARD RACK

- ① 3 BOXES $SWT_{①} = \frac{3}{14} (208,190) = 44,612 \text{ lb}$
- $DWT_{①} = \frac{3}{14} (233,600) = 50,057 \text{ lb}$
- ② 11 BOXES $SWT_{②} = \frac{11}{14} (208,190) = 163,576 \text{ lb}$
- $DWT_{②} = \frac{11}{14} (233,600) = 183,543 \text{ lb}$

BY HW DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 23 OF 47CHKD. BY JLD DATE 2/16/84 PROJ. NO. E 3695.8.1.1 STD RACK - N-S OBE - EW PLANE

FROM SECTION 2.0

$$F_V = 63,510 \text{ lb (w/out SWT, SET "3)}$$

$$F_H = 170,000 \text{ lb}$$

$$\ddot{x} = \frac{-F_H \text{ N-S}}{233,600} = \frac{170,000}{233,600} = 0.728 \text{ g}$$

$$\ddot{z} = \frac{F_V \text{ N-S}}{233,600} = \frac{63,510}{233,600} = 0.272 \text{ g}$$

$$\sum M_a = 0$$

$$M_a = -I \ddot{\theta}_0 + M_1 \ddot{z} (12.645) - F_V (16.86) + F_H (79.5)$$

$$I \ddot{\theta} = -50.58 F_V + 79.5 F_H$$

$$= -50.58 (63,510) + 79.5 (170,000)$$

$$I \ddot{\theta} = 10,302,664$$

$$I \ddot{\theta}_0 (330 \text{ VES}) = (3/14) (I \ddot{\theta}) = 2,207,713$$

$$I \ddot{\theta}_0 (1180 \text{ VES}) = (11/14) (I \ddot{\theta}) = 8,094,950$$

$$\therefore M_a = -2,207,713 + 50,057 (0.272) (12.645) - 63,510 (16.86) + 170,000 (79.5)$$

$$M_a = 10,408,676 \text{ IN-LBS}$$

OK

$$M_b = M_c = I \ddot{\theta}_0 + M_2 \ddot{z}$$

$$= 8,094,950 + 153,543 (0.272) (46.365)$$

$$M_b = M_c = 10,409,662 \text{ IN-LBS. OK}$$

BY HW DATE 1/10/84 SUBJECT INERTIA Forces SECT. 5 SHEET 24 OF 47CHKD. BY LD DATE 2/16/84PROJ. NO. E3695.8.1.1- CONT - STD RACK - N-S LOAD - OBE

$$R_H = -M_1 \ddot{x} + F_H$$

$$= -50,057(0.728) + 170,000$$

$$= 133,558 \text{ lb.}$$

CHK:

$$R_H = M_2 \ddot{x} = 183,543(0.728)$$

$$= 133,619 \text{ lb.}$$

$$R_V = -M_1 \ddot{z} + F_V$$

$$= -50,057(0.272) + 63,510$$

$$= +49894 \text{ LB.}$$

CHK:

$$R_V = M_2 \ddot{z} = 183,543(0.272)$$

$$R_V = 49,923 \text{ LB.}$$

OK

BY H.A. DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 25 OF 47CHKD. BY JLD DATE 2/16/84PROJ. NO. E269G.8.1.2 STD RACK - N-S LOAD - SSE (E-W Plane)

FROM SECTION 2.0

$$F_V = 196,510 \text{ (w/out SWC (SET 43))}$$

$$F_H = 231,500 \text{ lb.}$$

$$\ddot{x} = \frac{-F_H \times 9}{233,600} = \frac{231,500}{233,600} = 0.991 \text{ g}$$

$$\ddot{z} = \frac{F_V \times 9}{233,600} = \frac{196,510}{233,600} = 0.841 \text{ g}$$

$$\epsilon \eta / a = 0$$

$$M_a = -I \ddot{\theta} + M_1 \ddot{z} (12.645) - F_V (16.86) + F_H (79.5)$$

$$I \ddot{\theta} = -50.58 F_V + 79.5 F_H$$

$$= -50.58 (196,510) + 79.5 (231,500)$$

$$I \ddot{\theta} = 8,464,774$$

$$I \ddot{\theta}_D (380 \times 65) = \left(\frac{3}{14}\right) (I \ddot{\theta}) = 1,813,880$$

$$I \ddot{\theta}_B (1180 \times 65) = \left(\frac{11}{14}\right) (I \ddot{\theta}) = 6,650,894$$

$$M_a = -1,813,880 + 50,057 (0.841) (12.645)$$

$$- 196,510 (16.86) + 231,500 (79.5)$$

$$M_a = 13,809,540 \text{ in.-lbs}$$

OK.

$$M_b = M_a = I \ddot{\theta}_B + M_2 \ddot{z} (46.365)$$

$$= 6,650,894 + 183,543 (0.841) (46.365)$$

$$M_a = M_b = 13,807,780 \text{ in.-lbs.}$$

5. B. 1. 2 - CONT - STD RACK - N-S LOAD SSE

$$\begin{aligned}
 R_H &= -M_1 \ddot{x} + F_H \\
 &= -50,057(0.991) + 231,500 \\
 &= 181,894 \text{ lb.}
 \end{aligned}$$

CHK:

$$\begin{aligned}
 R_H &= -M_2 \ddot{x} = 183,543(0.991) \\
 &= 181,891 \text{ lb.}
 \end{aligned}$$

$$\begin{aligned}
 R_V &= -M_1 \ddot{z} + F_V \\
 &= -50,057(0.841) + 196,510 \\
 &= 154,412 \text{ lb.}
 \end{aligned}$$

CHK:

$$\begin{aligned}
 R_V &= -M_2 \ddot{z} \\
 &= 183,543(0.841) \\
 &= 154,360 \text{ lb.}
 \end{aligned}$$

BY AW DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 27 OF 47CHKD. BY JLD DATE 2/16/84 PROJ. NO. 82695.8.2 CONSOLIDATED RACK - N-S LOAD

FROM SECT. 2.0

$$SWT = 341,060 \text{ lb}, HWT = 397,400 \text{ lb.}$$

3 BOXES WIDE

$$SWT = \frac{3}{14} (341,060) = 73,084 \text{ lb.}$$

$$HWT = \frac{3}{14} (397,400) = 85,157 \text{ lb}$$

11 BOXES WIDE

$$SWT = \frac{11}{14} (341,060) = 267,976 \text{ lb.}$$

$$HWT = \frac{11}{14} (397,400) = 312,243 \text{ lb.}$$

5.8.2.1 Cons. Rack - N-S Load OIBFFROM SECT. 2.0 $F_H = 160,200 \text{ lb}, F_V = 0.00 \text{ lb.}$

$$\ddot{X} = \frac{-F_H g}{397,400} = \frac{160.2}{397.4} = 0.403 g$$

$$\ddot{Z} = \frac{F_V g}{397,400} = \frac{0.00}{397.4} = 0.00 g$$

$$\begin{aligned} I \ddot{\theta} &= -50.58 F_V + 79.5 F_H \\ &= -50.58(0.00) + 79.5(160,200) \\ &= +12,735,900 \end{aligned}$$

$$I \ddot{\theta}_{(3 \text{ BOX})} = \frac{3}{14} I \ddot{\theta} = 2,729,121.$$

$$I \ddot{\theta}_{(11 \text{ BOX})} = \frac{11}{14} I \ddot{\theta} = 10,006,779$$

BY Thw DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 28 OF 47CHKD. BY ULD DATE 2/6/84PROJ. NO. 83655.8.2.1 - CONT N-S-LOAD E-W PLANE

$$\Sigma M_a = 0$$

$$\begin{aligned} M_a &= -I \ddot{\theta} + M_1 \ddot{z} (12.645) - F_V (16.92) + F_H (79.5) \\ &= -2,729,121 + 85,157 (0.0) (12.645) \\ &\quad - 0.00 (16.92) + 160,200 (79.5) \\ &= 10,006,779 \text{ in-lb} \end{aligned}$$

$$\begin{aligned} \text{CK: } M_{1a} = M_a &= I \ddot{\theta} + M_2 \ddot{y} (46.37") \\ &= 10,006,779 + 312,243 (0.00) (46.37) \\ &= 10,006,779 \text{ in-lb} \end{aligned}$$

$$\begin{aligned} R_H &= -M_1 \ddot{x} + F_H \\ &= -85,157 (0.403) + 160,200 \\ &= 125,862 \text{ lb} \end{aligned}$$

CK:

$$\begin{aligned} R_H &= M_2 \ddot{x} \\ &= 312,243 (0.403) \\ &= 125,834 \text{ lb} \end{aligned}$$

$$R_V = 0.0$$

BY PHW DATE 1/10/84 SUBJECT INM712 FORCE SECT. 5 SHEET 29 OF 47CHKD. BY JLD DATE 2/16/84 PROJ. NO. 23695.8.2.2 CONSOLIDATED PACK - N-S LOAD SSE

FRONT SECT 2.0

$$FV = 114,640 \text{ lb.}$$

$$FH = 239,300 \text{ lb}$$

$$\ddot{x} = \frac{-FH g}{397,400} = \frac{239.3}{397.4} = 0.602 \text{ g}$$

$$\ddot{z} = \frac{FV g}{397,400} = \frac{114.64}{397.4} = 0.288 \text{ g}$$

$$I\ddot{\theta} = -50.58 FV + 79.5 FH$$

$$= -50.58(114,640) + 79.5(239,300)$$

$$= 13,225,850$$

$$I\ddot{\theta}_1(3 \text{ BOX}) = \frac{3}{14} (I\ddot{\theta}) = 2,834,112$$

$$I\ddot{\theta}_2(11 \text{ BOX}) = \frac{11}{14} (I\ddot{\theta}) = 10,391,745$$

5.8.2.2 - CONT -CONSOLIDATED RACK
N-S LOAD SSE

$$\Sigma I/a = 0$$

$$\begin{aligned} I/a &= -I\ddot{\theta}_0 + M_1\ddot{z}(12.645) - F_V(16.86) + F_H(79.5) \\ &= -2,834,112 + 85,157(0.288)(12.645) \\ &\quad - 114,640(16.86) + 239,300(79.5) \end{aligned}$$

$$M_a = 14,567,528$$

CK:

$$\begin{aligned} M_b = M_a &= I_2\ddot{\theta} + M_2\ddot{z}(46.365) \\ &= 10,391,745 + 312,243(0.288)(46.37) \end{aligned}$$

$$M_b = 14,561,612$$

$$\begin{aligned} R_H &= -M_1\ddot{x} + F_H \\ &= -85,157(0.602) + 239,300 \\ &= 188,035 \text{ lb} \end{aligned}$$

CK:

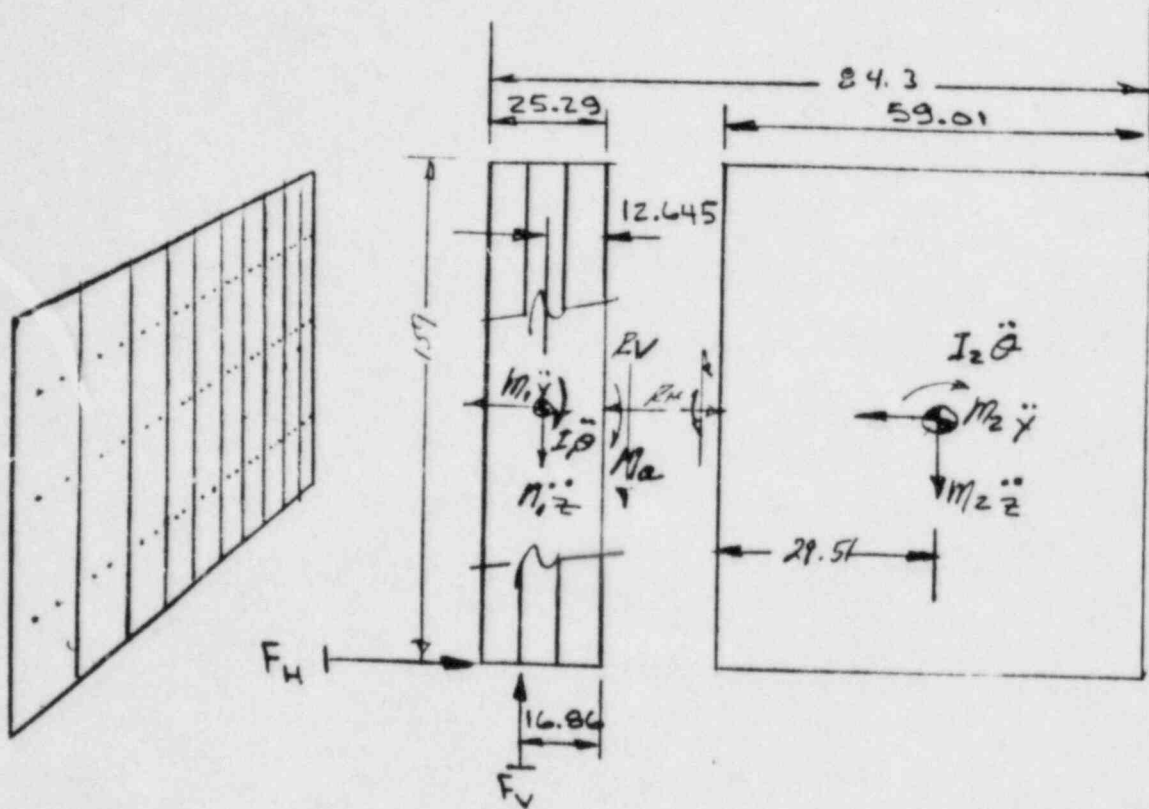
$$\begin{aligned} R_H &= M_2\ddot{x} \\ &= 312,243(0.602) = 187,970 \text{ lb} \end{aligned}$$

$$\begin{aligned} R_V &= -M_1\ddot{z} + F_V \\ &= -85,157(0.288) + 114,640 \\ &= 90,114 \text{ lb} \end{aligned}$$

CK:

$$\begin{aligned} R_V &= M_2\ddot{z} = 312,243(0.288) \\ &= 89,926 \text{ lb} \end{aligned}$$

5.9. INERTIA FORCES - E-W LOAD, N-S PLANE



5.9.1 STANDARD RACK

3 BOXES $S_{WT} = \frac{3}{10} (208, 190) = 62,457 \text{ LB}$

$D_{WT} = \frac{3}{10} (233, 600) = 70,080 \text{ LB}$

7 BOXES $S_{WT} = \frac{7}{10} (208, 190) = 145,733 \text{ LB}$

$D_{WT} = \frac{7}{10} (233, 600) = 163,520 \text{ LB}$

BY AKW DATE 1/10/84 SUBJECT INERTIA FORCES SHEET 5 OF 32

CHKD. BY JLD DATE 2/14/84 PROJ. NO. 8369

5.91.1 STD RACK E-W LOAD ODE

FROM SECT 2.0

$$F_V = 185,110 \text{ lb (SET #3)}$$

$$F_H = 156,200 \text{ lb.}$$

$$\ddot{y} = \frac{-F_{HEW} g}{233,600} = \frac{156,200}{233,600} = 0.669 \text{ g}$$

$$\ddot{z} = \frac{F_{VEW} g}{233,600} = \frac{185,110}{233,600} = 0.792 \text{ g}$$

$$(5.7) \quad I\ddot{\theta} = 79.5(F_H) - 33.72(F_V)$$

$$= 79.5(156,200) - 33.72(185,110)$$

$$I\ddot{\theta} = 6,175,990$$

$$I\ddot{\theta}_0(780\text{r}) = (3/10)(I\ddot{\theta}) = 1,852,797$$

$$I\ddot{\theta}_2(780\text{r}) = (7/10)(I\ddot{\theta}) = 4,323,194$$

$$\sum M_a = 0$$

$$M_a = -I\ddot{\theta}_0 + M_1 \ddot{z} (12.645) - F_V (16.86) + F_H (79.5)$$

$$= -1,852,797 + 70,080(0.792)(12.645)$$

$$- 185,110(16.86) + 156,200(79.5)$$

$$= 8,145,988 \text{ IN-lb.}$$

CHK:

$$M_b = M_a = I\ddot{\theta}_2 + M_2 \ddot{z} (29.61)$$

$$= 4,323,194 + 163,520(0.792)(29.61)$$

$$= 8,144,970 \text{ IN-lb.}$$

OK

BY Hhw DATE 1/10/84 SUBJECT INERTIA FORCE SECT. 5 SHEET 33 OF 47CHKD. BY JLD DATE 2/16/84 PROJ. NO. B3695.9.1.1-CONT - STD RACK - E-LOAD - N-S PLANE

$$R_H = -M_1 \ddot{Y} + F_H = -70,080 (0.669) + 156,200$$

$$= 109,316 \text{ lb}$$

CK:

$$R_H = M_2 \ddot{Y}$$

$$= 163,520 (0.669)$$

$$= 109,395 \text{ lb}$$

$$R_V = -M_1 \ddot{z} + F_V$$

$$= -70,080 (0.792) + 185,110$$

$$= 129,607 \text{ lb}$$

CK:

$$R_V = M_2 \ddot{z}$$

$$= 163,520 (0.792) = 129,509 \text{ lb}$$

BY HLW DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 34 OF 47CHKD. BY JLD DATE 2/16/84PROJ. NO. 83695.9.1.2 STD TRACK - E-W LOAD SSE N-S PL.

FROM SECT 2.0

$$F_v = 173,410 \text{ lb.}$$

$$F_H = 164,300 \text{ lb.}$$

$$\ddot{y} = \frac{-F_H g}{233,600} = \frac{164.3}{233.6} = 0.703 g$$

$$\ddot{z} = \frac{F_v g}{233,600} = \frac{173.41}{233.6} = 0.742 g$$

$$I\ddot{\theta} = 79.5(F_H) - 33.72(F_v) \quad (5.7)$$

$$= 79.5(164,300) - 33.72(173,410)$$

$$I\ddot{\theta} = 7,218,464$$

$$I\ddot{\theta}_0(3 BOX) = (3/10)(I\ddot{\theta}) = 2,164,339$$

$$I\ddot{\theta}_2(7 BOX) = (7/10)(I\ddot{\theta}) = 5,050,125$$

$$\sum M_a = 0$$

$$M_a = -I\ddot{\theta} + M_1\ddot{z}(12.645) - F_v(16.86) + F_H(79.5)$$

$$= -2,164,340 + 70,080(0.742)(12.645)$$

$$- 173,410(16.86) + 164,300(79.5)$$

$$M_a = 8,631,350 \text{ in-lbs.}$$

CK:

$$M_b = M_a = I\ddot{\theta} + 11/2\ddot{y}(29.61)$$

$$= 5,050,125 + 163,520(0.742)(29.51)$$

$$= 8,630,628 \text{ in-lbs.}$$

BY H. V. DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 35 OF 47
 CHAP. BY JLD DATE 2/16/84 PROJ. NO. 8269

5.9.1.2 - CONT

$$R_H = -M_1 \ddot{x} + F_H = 70,080(0.703) + 164,300$$

$$= 115,034 \text{ lb.}$$

CK:

$$R_H = M_2 \ddot{y}$$

$$= 163,520(0.703)$$

$$= 114,955 \text{ lb.}$$

$$R_V = -M_1 \ddot{z} + F_V$$

$$= -70,080(0.742) + 173,410$$

$$= 121,411$$

CK:

$$R_V = M_2 \ddot{z}$$

$$= 163,520(0.742)$$

$$= 121,332 \text{ lb.}$$

BY HL DATE 1/9/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 36 OF 47CHKD. BY LD DATE 2/16/84PROJ. NO. 83695.9.2.1 CONSOLIDATED RACK OBE - E-W

$$3 \text{ BOXES SWT} = \frac{3}{10} (341,060) = 102,318 \text{ lb}$$

$$\text{HWT} = \frac{3}{10} (397,400) = 119,220 \text{ lb}$$

$$7 \text{ BOXES SWT} = \frac{7}{10} (341,060) = 238,742 \text{ lb}$$

$$= \frac{7}{10} (397,400) = 278,180 \text{ lb}$$

FROM SECTION 2.0

$$F_v (\text{w/out SWT}) = 64,140 \text{ lb}$$

$$F_H = 153,000 \text{ lb}$$

$$\ddot{y} = \frac{-F_H^{N-S} g}{397,400} = \frac{153,000}{397,400} = 0.385g$$

$$\ddot{z} = \frac{F_v^{N-S} g}{397,400} = \frac{64,140}{397,400} = 0.1614g$$

$$\sum M_a = 0, \quad \sum I_a = -I \ddot{\theta} + M_1 \bar{z} (12.645) - F_v (16.86) + F_H (79.5)$$

$$I \ddot{\theta} = 79.5 (F_H^{N-S}) - 33.72 (F_v^{N-S})$$

$$= 79.5 (153,000) - 33.72 (64,140)$$

$$= 10,600,700$$

$$I \ddot{\theta}_0 (3 \text{ boxes}) = (3/10) (I \ddot{\theta}) = 3,000,210$$

$$I \ddot{\theta}_0 (7 \text{ boxes}) = (7/10) (I \ddot{\theta}) = 7,000,490$$

* MASS ASSOCIATED WITH HORIZONTAL MOTION

BY HW DATE 1/9/87 SUBJECT INERTIA FORCES SECT. 5 SHEET 37 OF 47
 CHKD. BY JLD DATE 2/16/84 PROJ. NO. 8369

5.9.2.1 CONSOLIDATED RACK - CONT - OBE.

$$\begin{aligned}
 M_a &= -3,000,210 + 119,220 (0.1614) (12.645) \\
 &\quad - 64,140 (16.86) + 153,000 (79.5) \\
 &= 8,325,206 \text{ in-lb.}
 \end{aligned}$$

CHECK: $M_a = M_b = I \ddot{\theta}_z + M_z \ddot{z} (29.51)$

$$\begin{aligned}
 M_a &= +7,000,490 + 278,180 (0.1614) (29.51) \\
 &= 8,325,437 \text{ in-lb.}
 \end{aligned}$$

$$\begin{aligned}
 R_H &= -M_1 \ddot{y} + F_H = -119,220 (0.385) + 153,000 \\
 &= 107,100 \text{ lb.}
 \end{aligned}$$

CHEK: $R_H = M_1 \ddot{y} = 278,180 (0.385) = 107,100 \text{ lb.}$

$$\begin{aligned}
 R_V &= -M_2 \ddot{z} + F_V = -119,220 (0.1614) + 64,140 \\
 &= -44,900 \text{ lb.}
 \end{aligned}$$

CHEK: $R_V = M_2 \ddot{z} = -278,180 (0.1614) = -44,900 \text{ lb.}$

BY HLW DATE 1/10/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 38 OF 47CHKD. BY JLD DATE 2/16/84 PROJ. NO. 82615.9.2.2 CONSOLIDATED RACK - E-W LOAD - SSE

FROM SECT 2.0

$$F_V = 171,040 \text{ LB. (SECT \# 3)}$$

$$F_H = 184,700 \text{ LB}$$

$$\ddot{y} = \frac{-F_{H_{EW}}}{397,400} = \frac{184.7}{397.4} = 0.465 \text{ g}$$

$$\ddot{z} = \frac{F_{V_{EW}}}{397,400} = \frac{171.04}{397.4} = 0.430 \text{ g}$$

$$\begin{aligned} I\ddot{\theta} &= 79.5(F_H) - 33.72(F_V) \\ &= 79.5(184,700) - 33.72(171,040) \\ &= 8,916,181 \end{aligned}$$

$$I\ddot{\theta}_1(330x) = (3/10)(I\ddot{\theta}) = 2,674,854$$

$$I\ddot{\theta}_2(7130x) = (7/10)(I\ddot{\theta}) = 6,241,327$$

$$\Sigma M_a = 0$$

$$\begin{aligned} M_a &= -I\ddot{\theta}_1 + M_1 \ddot{y} (12.69) - F_V (16.86) + F_H (79.5) \\ &= -2,674,854 + 119,220(0.430)(12.645) \\ &\quad - 171,040(16.86) + 184,700(79.5) \\ &= 9,773,302 \text{ IN-LBS.} \end{aligned}$$

CK:

$$\begin{aligned} M_b = M_c &= I\ddot{\theta}_2 + M_2 \ddot{y} \\ &= 6,241,327 + 278,180(0.430)(29.51) \\ &= 9,771,236 \text{ IN. lbs} \\ &\quad \text{OK} \end{aligned}$$

BY Akw DATE 1/1/84

INERTIA FORCES 5

39 OF 47
E 369

CHKD. BY JLD DATE 2/16/84

5.9.2.2 CONSOLIDATED RACK - CONT - SSE

$$R_H = -M_1 \ddot{z} + F_H$$

$$= -119,220 (0.465) + 184,700$$

$$= -129,263 \text{ lb.}$$

CK: $R_H = 1/2 \ddot{y}$

$$= 276,150 (0.465)$$

$$= 129,354 \text{ lb.}$$

$$R_V = -M_2 \ddot{z} + F_V$$

$$= -119,220 (0.430) + 171,040$$

$$= 119,775 \text{ lb.}$$

CK: $R_V = M_2 \ddot{z}$

$$= 276,150 (0.430)$$

$$= 119,617 \text{ lb.}$$

BY H.W. DATE 1/11/64 SUBJECT INERTIA FORCES SHEET 5 OF 47

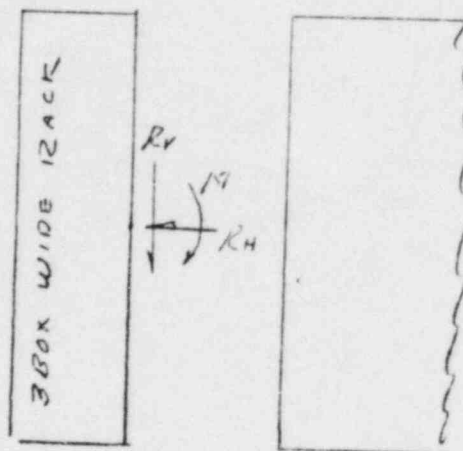
CHKD. BY JLD DATE 2/16/84

PROJ. NO. 8269

5.9.3 SUMMARY OF INERTIA FORCES

	NORTH-SOUTH LOAD EAST-WEST PLANE				EAST-WEST LOAD NORTH-SOUTH PLANE			
	STANDARD RACK		CONSOLIDATED RACK		STANDARD RACK		CONSOLIDATED RACK	
	OBE	SSC	OBE	SSC	OBE	SSC	OBE	SSC
R _V	49.9	154.4	0.0	90.0	129.6	121.4	44.9	119.8
R _H	133.6	141.9	125.9	144.2	125.2	131.2	121.1	129.4
M	10,409	13,810	10,000	11,568	8146	8631	8325	9774

DIMENSIONS: R_V = KIPS, M = IN-KIPS



BY HW DATE 1/11/84 SUBJECT INERTIA FORCE SECT. 5 SHEET 41 OF 47

CHKD. BY JLD DATE 2/16/84

PROJ. NO. 8369

5.9.3.1 F_c' FROM M - CONT.

FROM SECTION 5.3.2.1

NORTH - SOUTH LOADING - E-W PLANE

$$F_2 = 4.619 E - \phi 3 M$$

$$F_{IT} = 0.488 E - \phi 3 M$$

$$F_{IB} = 1.466 E - \phi 3 M$$

EAST WEST LOADING - N-S PLANE

$$F_2 = 3.819 E - \phi 3 M$$

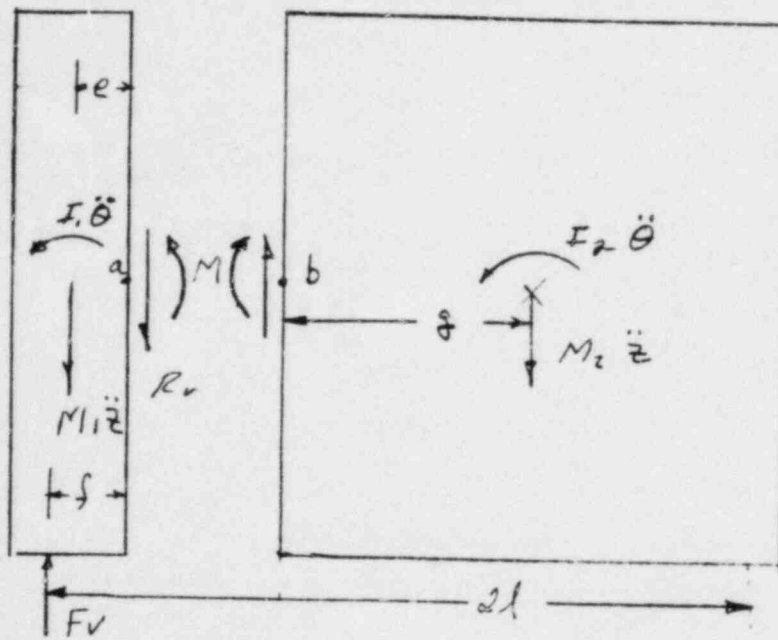
$$F_{IT} = 2.152 E - \phi 3 M$$

$$F_{IB} = 0.719 E - \phi 3 M$$

	NORTH - SOUTH LOADING EAST - WEST PLANE				EAST WEST LOADING NORTH - SOUTH PLANE			
	STANDARD RACK		CONSOLIDATED RACK		STANDARD RACK		CONSOLIDATED RACK	
	OBE	SSE	OBE	SSE	OBE	SSE	OBE	SSE
M	10,407	13,810	10,000	14,568	8146	8631	8325	9374
F ₂	48.1	63.8	46.2	67.3	31.1	33.0	31.8	35.8
F _{IT}	15.3	20.2	14.7	21.4	17.5	18.6	17.9	20.2
F _{IB}	5.1	6.7	4.9	7.1	5.8	6.2	6.0	6.7

5.10 INERTIA FORCES - VERTICAL SEISMIC

ASSUME THE VERTICAL SEISMIC OCCURS AT TIME OF LIFT OFF.



WHEN:

$e = 12.645''$

$f =$

$$I_1 \ddot{\theta} = F_v l$$

$$F_v = \frac{DWT \ddot{z}}{g} \quad I_1 \ddot{\theta} = \frac{DWT \ddot{z} (l)}{g}$$

$$\sum M_a = - I_1 \ddot{\theta} - (m_1 \ddot{z})(e) + F_v (f)$$

$$M_a = - F_v (f) + I_1 \ddot{\theta} + M_1 \ddot{z} (e)$$

$$M_a = - \frac{DWT \ddot{z} (f)}{g} + \frac{DWT \ddot{z} (l)(k_1)}{g} + \frac{DWT \ddot{z} e k_1}{g}$$

$$M_a = \frac{DWT \ddot{z}}{g} [f - k_1 (l + e)]$$

STD. RACK N-S PLANE

$$M_a = \frac{(233,600)(0.272g)}{g} [16.86 - 0.21(50.58 + 12.65)]$$

$$M_a = 227,044$$

5.10 - CONT

$$\sum M/B = -I_2 \ddot{\theta} + M_2 \ddot{z} (g) - M_1$$

$$M = +I_2 \ddot{\theta} - M_2 \ddot{z} (g)$$

$$= DWT \ddot{z} \frac{l}{g} K_2 - DWT \ddot{z} (g) K_L$$

$$= DWT \ddot{z} K_2 (-l + g)$$

$$\sum F_v = 0 = F_v - M_1 \ddot{z} - R_v$$

$$R_v = F_v - M_1 \ddot{z}$$

$$= DWT \ddot{z} - K_1 DWT \ddot{z}$$

$$= DWT \ddot{z} (1 - K_1)$$

$$\text{ct. } \sum F_v = 0 = R_v - M_2 \ddot{z}$$

$$R_v = M_2 \ddot{z}$$

$$= DWT \ddot{z} K_2$$

FOR 10WIDE RACK

$$K_1 = 0.3$$

$$K_L = 0.7$$

$$R_{v1} = R_{v2}$$

BY JAW DATE 1/20/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 44 OF 4

CHKD. BY VLD DATE 2/16/84 VART PROJ. NO. 8369

510 - CONT

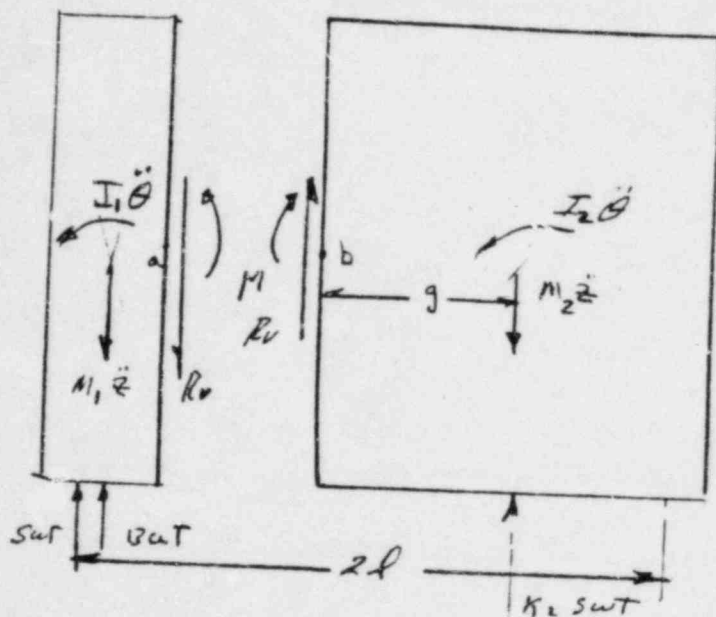
5.10.1 SUMMARY - INERTIA FORCES - VERTICAL

	STANDARD RACK				CONSOLIDATED RACK			
	NORTH-SOUTH PLANE		EAST-WEST PLANE		NORTH SOUTH PLANE		EAST WEST PLANE	
	OBSE	SSSE	OBSE	SSSE	OBSE	SSSE	OBSE	SSSE
Dwt	233,600				389,000			
\ddot{z}	.272g							
e	12.645"							
f	16.86"							
g	46.36		29.51		46.36		29.51	
h	50.56		33.69		50.56		33.69	
K ₁	$\frac{3}{14}$		$\frac{3}{10}$		$\frac{3}{14}$		$\frac{3}{10}$	
K ₂	$\frac{11}{14}$		$\frac{7}{10}$		$\frac{11}{14}$		$\frac{7}{10}$	
R _v	50,196		44,477		83,588		74,066	
M	227,044		187,492		379,083		312,186	
F ₂ [*]	867		865.9		1447.7		1442	
F _{1B} [*]	162.8		274.8		271.8		457.7	
F _{1T} [*]	489		91.5		816		152	

* SEE SECT 5.9.3.1 FOR REF. FORMULA

5.11 INERTIA FORCES SUBMILIGRID WEIGHT

ASSUME RACK HAS LIFTED OFF



$$I_1 \ddot{\theta} = SWT \cdot l$$

$$m_2 \ddot{z} = SWT + DWT = DWT$$

$$\ddot{z} = 1g \quad m_1 \ddot{z} = k_1 DWT$$

$$\sum M_a = 0$$

$$\begin{aligned} M &= - I_1 \ddot{\theta} - m_1 \ddot{z} e + SWT f + DWT (e) \\ &= - k_1 SWT l - k_1 DWT e + SWT f + DWT e \end{aligned}$$

$$DWT - DWT = SWT$$

$$= SWT (-k_1 (l + e) + f)$$

$$= SWT (f - k_1 (l + e))$$

$$\sum M_b = 0$$

$$M = k_2 SWT (l - g)$$

BY ALW DATE 1/24/84 SUBJECT INERTIA FORCES SECT. 5 SHEET 46 OF 47

CHKD. BY JLD DATE 2/17/83 SWT PROJ. NO. 8369

5.11- CONT

$$\Sigma F_v = 0 = -M \ddot{z} - R_v + S_{WT} + K_1 \underline{DWT} (K_1)$$

$$R_v = S_{WT} - K_1 \frac{DWT}{g} \ddot{z} + K_1 S_{WT}$$

$$\ddot{z} = 1g \quad S_{WT} = D_{WT} - B_{WT}$$

$$R_v = S_{WT} (1 - K_1)$$

CR. $\Sigma F_v = 0$

$$R_v = M \ddot{z} = K_2 S_{WT}$$

APPLYING THE VALUES FROM TABLE 5.10.1, TO THE ABOVE FORMULAE, THE FOLLOWING SUMMARY IS DEVELOPED

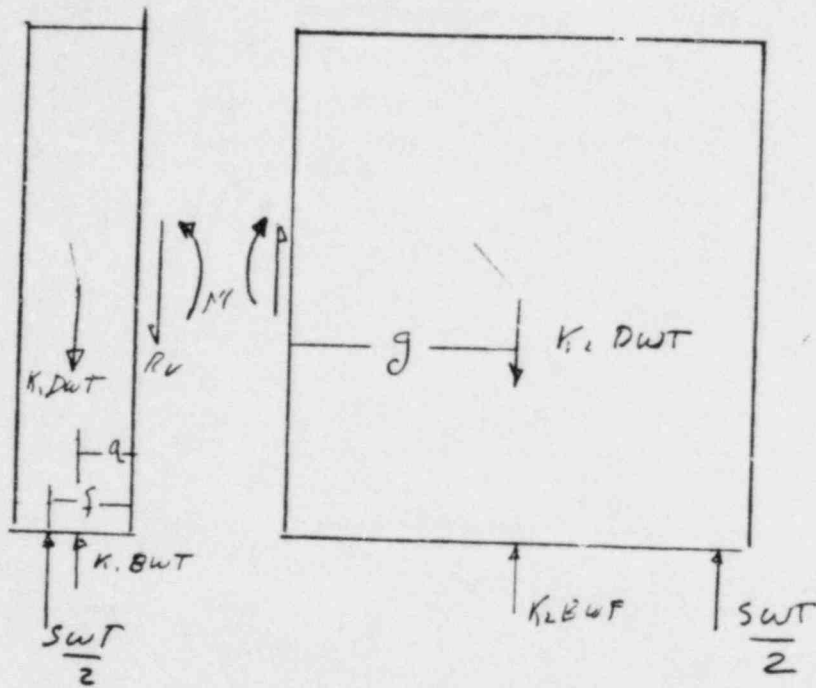
5.11.1 - SUMMARY

PLANE →	STANDARD RACK		CONSERVATIVE RACK	
	NORTH-SOUTH OBS & SS#	EAST-WEST OBS & SS#	NORTH-SOUTH OBS & SS#	EAST-WEST OBS & SS#
SWT	208,190	208,190	341,060	341,060
R _v	164,470	145,730	269,440	238,740
M	745,890	614,260	1,221,932	1,006,300
F ₂ *	2849	3445	4667	5644
F _{1T} *	1605	364	2630	596
F _{1B} *	535	1093	876	1791

* SEE SECT 5.9.3.1.

5.11.2 FORCES FOR SWT WHEN RACK DOES NOT

LIFT OFF



$$\sum F_v = 0 = -R_v - K_1 DWT + K_1 BWT + \frac{SWT}{2}$$

$$R_v = \frac{SWT}{2} - 2K_1 \left(\frac{DWT - BWT}{2} \right)$$

$$= \frac{SWT}{2} (1 - 2K_1)$$

$$CHK: \sum F_v = 0 = R_v - K_2 (DWT - BWT) + \frac{SWT}{2}$$

$$R_v = 2K_2 \frac{SWT}{2} - \frac{SWT}{2}$$

$$= \frac{SWT}{2} (2K_2 - 1)$$

CONSOLIDATED RACK-N.S. SWT = 341,060

$$R_v = \frac{341,060}{2} \left(2 \left(\frac{11}{14} \right) - 1 \right)$$

$$= 97,429 \text{ LBS}$$

SECTION 6.0

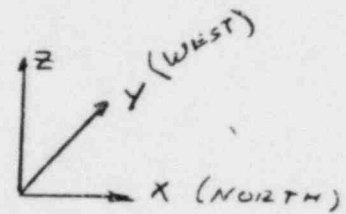
TABLE OF CONTENTS

6.1	GENERAL DISCUSSION							
6.2	NORTH - SOUTH PLANE,			NORTH - SOUTH	LOAD			
6.3	"	"	"	EAST - WEST	LOAD			
6.4	"	"	"	VERTICAL	LOAD			
6.5	"	"	"	SUBMERGED WT	LOAD			
6.6	EAST - WEST PLANE,			EAST - WEST	LOAD			
6.7	"	"	"	NORTH - SOUTH	LOAD			
6.8	"	"	"	VERTICAL	LOAD			
6.9	"	"	"	SUBMERGED WT	LOAD			
6.10	SUMMARY, LOADS AND STRESSES,			STANDARD RACK, N-S PLANE,	OBE			
6.11	"	"	"	"	"			DBE
6.12	"	"	"	CONSOLIDATED RACK,				OBE
6.13	"	"	"	"	"			SSE
6.14	"	"	"	STANDARD RACK, E-W PLANE,	OBE			
6.15	"	"	"	"	"			SSE
6.16	"	"	"	CONSOLIDATED RACK,	"			OBE
6.17	"	"	"	"	"			SSE
6.18	SHEAROUT STRESSES AT CORNERS OF THE RACKS							
6.19	BUCKLING STRESSES IN THE BOX SIDEWALLS							

6.1 DISCUSSION -

IN THIS SECTION THE FORCES DEVELOPED ON WELD SETS IN SECTION 5 ARE BROKEN DOWN INTO FORCES ON THE INDIVIDUAL WELDS SHOWN ON THE FIGURES IN SECT 6.2 & 6.3.

THESE FORCES ARE COMBINED AS FOLLOWS:



IN THE NORTH-SOUTH PLANE

THE SHEAR FORCE FOR EACH DIRECTION IS GIVEN BY $\sqrt{F_x^2 + F_z^2}$

IN THE EAST-WEST PLANE

THE SHEAR FORCE FOR EACH DIRECTION IS GIVEN BY $\sqrt{F_y^2 + F_z^2}$

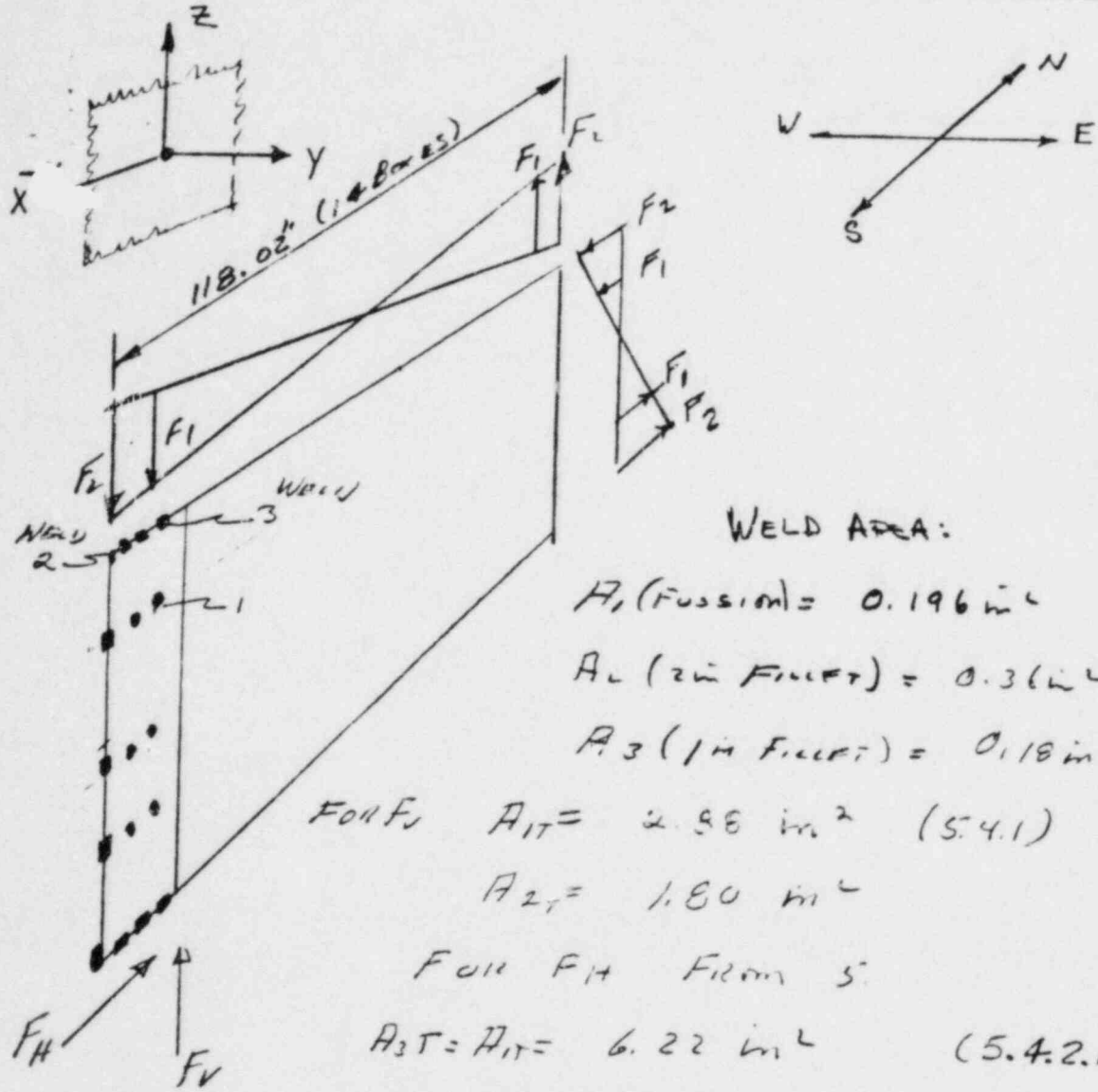
THE RESULTING SHEAR FORCES ARE THEN CALCULATED BY:

$$F_T = SWT \pm \sqrt{F_{N-S}^2 + F_{E-W}^2 + F_{UT}^2}$$

THE TENSILE FORCE IN THE WELD IS CALCULATED BY

$$F_S = SWT \pm \sqrt{F_z(N-S)^2 + F_z(E-W)^2 + F_z(UT)^2}$$

6.2 - NORTH-SOUTH LOADING - N-S PLANE



WELD AREA:

A_1 (Fusion) = 0.196 in²
 A_2 (2 in Fillet) = 0.36 in²
 A_3 (1 in Fillet) = 0.18 in²

For F_V $A_{1T} = 2.98$ in² (5.4.1)
 $A_{2T} = 1.80$ in²
 For F_H From 5.4.2.1
 $A_{3T} = A_{1T} = 6.22$ in² (5.4.2.1)
 $A_{2T} = 8.28$ in²

From 5.4.11 (F_V)
 $F_1 = F_7 = 127.4E-03 F_V$ (5.4.11)
 $F_2 = F_8 = 109.22E-03 F_V$
 From 5.4.2.1 (F_H)
 $F_1 = 158.11E-03 F_H$
 $F_2 = 420.95E-03 F_H$

BY JLD DATE 1/23/84 SUBJECT LOADS AND STRESSES SECT. 6 SHEET 4 OF 34

CHKD. BY JLD DATE 2/21/84 PROJ. NO. 8769

6.2 - CONT -

6.2.1 - FORCES ON INDIVIDUAL WELDS (REF SA.1.1)

F₀₁₂ F_V $F_1 = 0.196(127.4 E-03 F_V) / 2.82 = 8.67 E-05 F_V$

(F_Z) $F_2 = 0.36(109.72 E-03 F_V) / 1.60 = 21.64 E-03 F_V$

$F_3 = 0.18(127.4 E-03 F_V) / 2.236 = 10.25 E-05 F_V$

F₀₁₁ F_H $F_1 = 0.196(158.11 E-03) / 6.22 = 4.98 E-03 F_H$

(F_X) $F_L = 0.36(420.95 E-03) / 8.28 = 18.30 E-03 F_H$

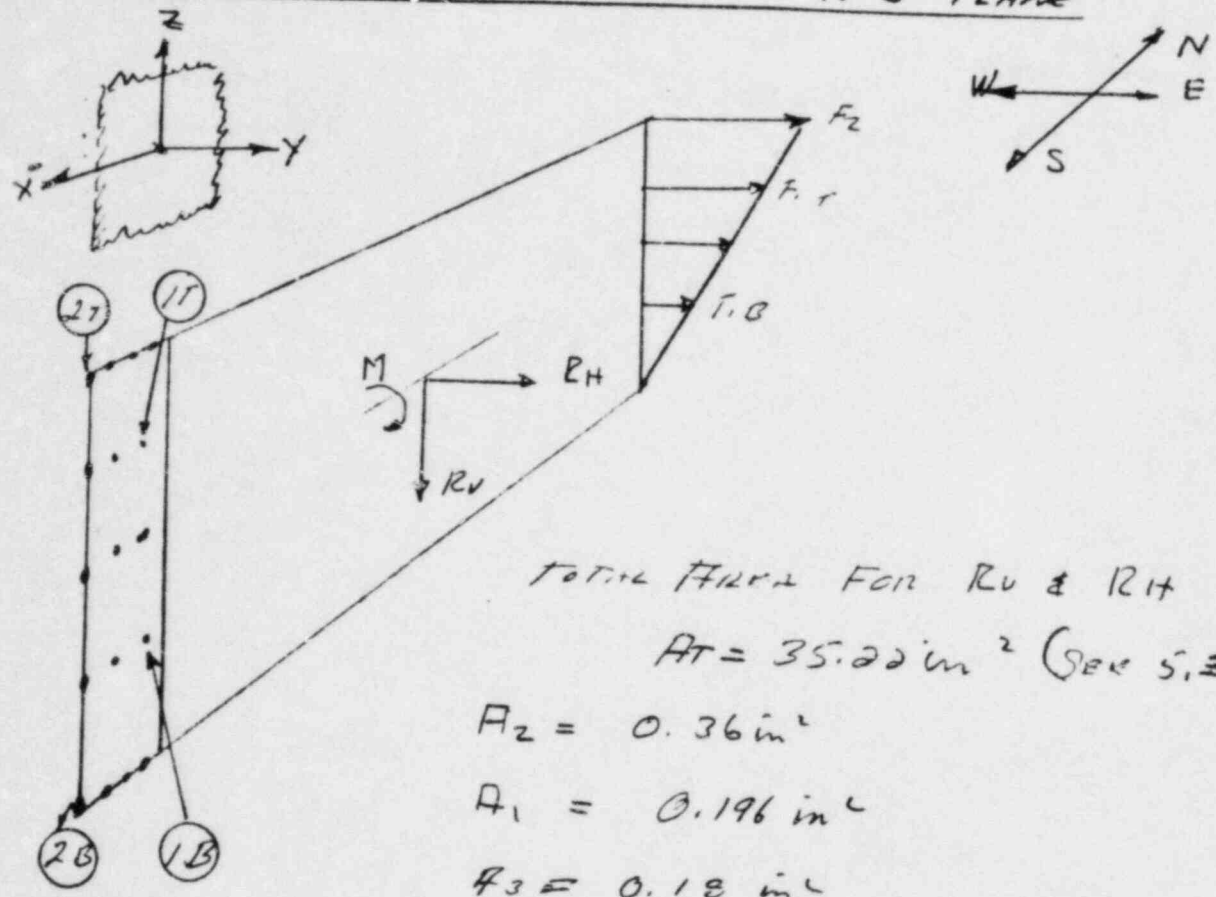
$F_2 = 0.18(158.11 E-03) / 6.22 = 4.576 E-03 F_H$

		STANDARD RACK FORCES IN LBS		CONSOLIDATED RACK FORCES IN LBS	
		OR E	SS E	OR E	SS E
	F _V (F _Z)	63,510	196,510	0	114,640
	F _H (F _X)	170,000	231,500	160,200	239,300
WELD #1	F _X = 4.98 E-03 F _H	847	1153	797	1192
	F _Y = 0	0	0	0	0
	F _Z = 8.67 E-05 F _V	550	1700	0	994

WELD #2	F _X = 18.30 E-03 F _H	3111	4236	2932	4379
	F _Y = 0	0	0	0	0
	F _Z = 21.64 E-03 F _V	1387	4292	0	2504

WELD #3	F _X = 4.576 E-03 F _H	778	1059	733	1095
	F _Y = 0	0	0	0	0
	F _Z = 10.25 E-05 F _V	650	2015	0	1175

6.3 EAST WEST LOADING - N-S PLANE



TOTAL AREA FOR R_V & R_H

$$A_T = 35.22 \text{ in}^2 \text{ (See 5.2.1)}$$

$$A_2 = 0.36 \text{ in}^2$$

$$A_1 = 0.196 \text{ in}^2$$

$$A_3 = 0.18 \text{ in}^2$$

For WELO #1 (R_V & R_H)

$$F_x = 0$$

$$F_y = \frac{0.196}{35.22} R_H = 0.006 R_H$$

$$F_z = \frac{0.196}{35.22} R_V = 0.006 R_V$$

AREAS FOR M

$$A_{3T} = 8.28 \text{ in}^2 \text{ (6.2)}$$

$$A_{1T} = (2)(2)(0.18) + (0.196)(2)(14) = 6.21 \text{ in}^2$$

BY How DATE 1/22/84 SUBJECT WELDS & STITCHES SET 6.0SHEET 6 OF 34CHKD. BY JLD DATE 2/21/84ITEM NO. 82696.3 - CONTCONT - FOR WELD #1 $\frac{F}{M}$

$$F_x = 0$$

$$F_y = \frac{0.196}{6.218} F_1 = 0.032 F_1$$

$$F_z = 0$$

FOR WELD #2

FOR R_V & R_H

$$F_x = 0$$

$$F_y = \frac{0.36}{36.22} R_H = 0.010 R_H$$

$$F_z = \frac{0.36}{35.22} = 0.010 R_V$$

WELD #2 FOR M

$$F_x = 0$$

$$F_y = \frac{0.36}{8.28} F_z = 0.043 F_z$$

$$F_z = 0$$

FOR WELD #3

FOR R_V & R_H

$$F_x = 0$$

$$F_y = \frac{0.18}{35.22} = 0.005 R_H$$

$$F_z = \frac{0.18}{35.22} = 0.005 R_V$$

FOR M $F_x = F_z = 0$

$$F_y = 0.18 F_z / 8.28 = 0.022 F_z$$

BY Hme DATE 1/23/84 SUBJECT Weld Loads SECT. 6 SHEET 7 OF 34

CHKD. BY JLD DATE 2/21/84 AND STRESSES PROJ. NO. 8369

6.3 - CONT. E-W LOAD - N-S PLANE

6.3.2 SUMMARY

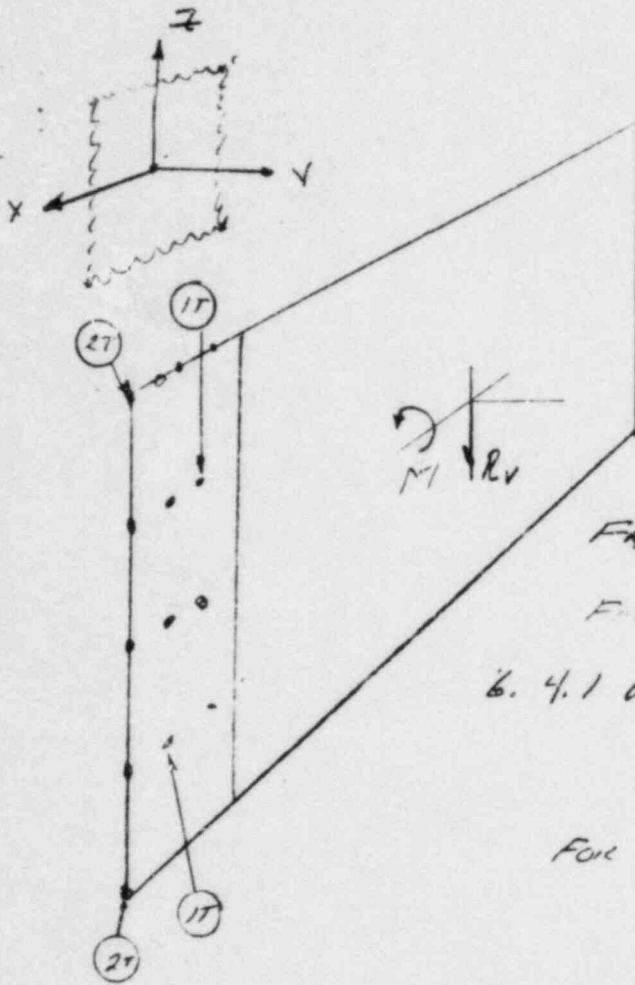
		STANDARD RACK		CONSOLIDATED RACK	
		ORE lb	SSE lb	ORE lb	SSE lb
Weld #1 A = 0.196 in ²	RV	129,600	121,400	44,900	119,900
	RH	109,400	115,000	107,100	129,400
	Fx	0	0	0	0
	Fy 0.006 RH	656	690	643	776
	Fz 0.006 RV	778	728	269	719
	F _(T) M	17,500	18,600	17,900	20,200
	Fx	0	0	0	0
	Fy 0.032 F ₁	560	595	573	646
	Fz	0	0	0	0
Weld #2 A = 0.36 in ²	RV Fx RH	0	0	0	0
	Fy 0.010 RH	1094	1150	1070	1294
	Fx 0.010 RV	1296	1214	449	1198
	F _z (m)	31,100	33,000	31,800	35,800
	Fx	0	0	0	0
	Fy 0.043 F _z	1337	1419	1367	1539
	Fz	0	0	0	0

BY AW DATE 1/22/84 SUBJECT LOADS & STRESSES SECT. 6 SHEET 8 OF 34
 CHKD. BY LD DATE 2/21/84 PROJ. NO. 8269

2.3.2 - Summary - CONT

		STW		CONS	
		CSA	SEE	CSA	SEE
WELD #3 A ₃ = 0.18 IN ²	F _x	0	0	0	0
	F _y = 0.005 R _H	547	575	536	647
	F _z = 0.005 R _V	648	607	225	599
	F _z / R ¹	31,100	23,000	31,800	35,800
	F _x	0	0	0	0
	F _y 0.022 F _z	684	126	700	1788
	F _z	0	0	0	0

6.4 VERTICAL LOADING - NORTH SOUTH PLANE



SEE SECTION 5.10
(VERT. SEISMIC)

From SECTION 6.3

For R_v $F_x = 0$
 6.4.1 WFLD #1 $F_y = 0$
 $F_z = 0.006 R_v$
 For (11) $F_x = 0$
 $F_y = 0.032 F_1$
 $F_z = 0$

When #2
 For R_v $F_x = 0$
 $F_y = 0$
 $F_z = 0.010 R_v$
 For M $F_x = 0$
 $F_y = 0.043 F_2$
 $F_z = 0$

BY AW DATE 1/24/64 SUBJECT LOADS AND STRESSES CT. 6 SHEET 10 OF 34
 CHKD. BY JLD DATE 2/21/64 PROJ. NO. B369

6.4.2 SUMMARY - VERTICAL - N-S PLANE.

		STANDARD RACK		CONSOLIDATED RACK	
		GBR	SSE	OIBR	SSE
WELD #1	RV	50,196		83,588	
	Fx	0	0	0	0
	Fy	0	0	0	0
	Fz (0.006)(RV)	301		501	
	F ₁ M T	163 489		272 816	
	Fx	0	0	0	0
	Fy 0.032 F _{1B} 0.032 F _{1T}	5.2 15.6	8.8 2.9	8.7 26.1	14.6 4.9
	Fz	0	0	0	0
WELD #2	RV Fx	0	0	0	0
	Fy	0	0	0	0
	Fz (0.010)(RV)	502		836	
	Fz (M)	867		1448	
	Fx	0	0	0	0
	Fy 0.043 Fz	37.3	37.3	62.3	62.3
	Fz	0	0	0	0

BY Hand DATE 1/29/84 SUBJECT LOADS & STRESSES SECT. 6 SHEET 11 OF 30

CHKD. BY JLD DATE 2/21/84

PROJ. NO. 8369

6.4 - CONT

VERTICAL

6.4.2 - SUMMARY - CONT

WPC# #		STD		CONS	
		OVER	SSR	OVER	SSR
3	F_x	0	0	0	0
	$F_y = 0.005 F_H$	0	0	0	0
	$F_z = 0.005 F_H$	212	212	353	353
	$F_2 (M) B$	866	866	1442	1442
	T	0	0	0	0
	F_x	0	0	0	0
	$F_y = 0.022 F_L$	19.1	19.1	31.7	31.7
F_z	0	0	0	0	

BY ALD DATE 1/24/84 SUBJECT SWT LOOPS

SECT. 6 SHEET 12 OF 34

CHKD. BY JLD DATE 2/22/84

PROJ. NO. 8369

6.5 SWT LOADING - NORTH-SOUTH PLANE

THE F_x , F_y & F_z 'S ARE SAME AS FOR 6.4

		STANDARD PACK		CONSOLIDATED PACK	
		OBE	SSE	OBE	SSE
WELL #1	R_v		164,470	97,429*	269,440
	F_x	0	0	0	0
	F_y	0	0	0	0
	F_z 0.006 R_v		987	584	1617
	F_y T B		1605 535		2630 876
	F_x	0	0	0	0
	F_y T 0.032 (F_x) B		51 17		34 28
	F_z	0	0	0	0
WELL #2	R_v F_x	0	0	0	0
	F_y	0	0	0	0
	F_z 0.010 R_v		1645	974	2695
	F_z (m)		2849		4667
	F_x	0	0	0	0
	F_y 0.043 F_z		123		201
	F_z	0	0	0	0

* NO LIFT OFF

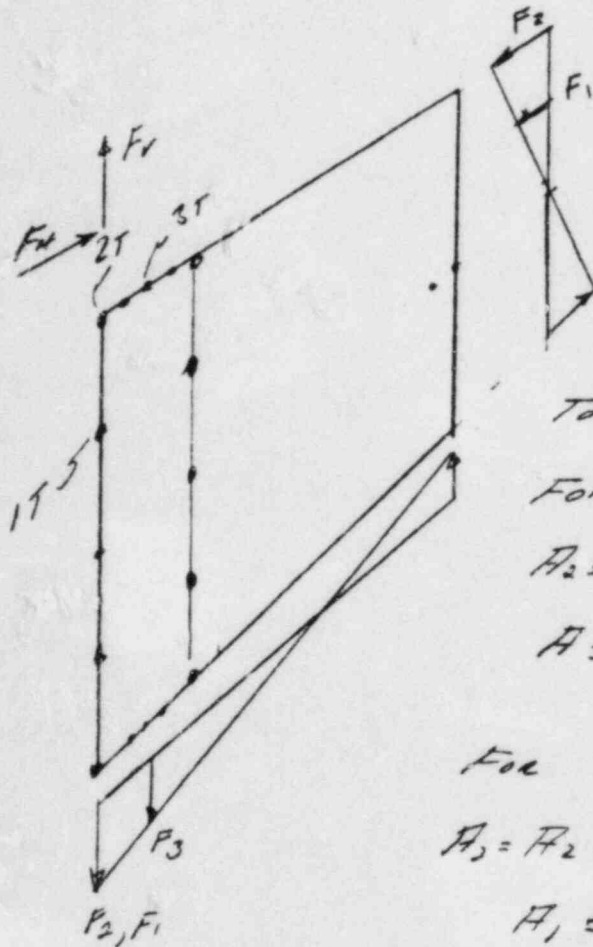
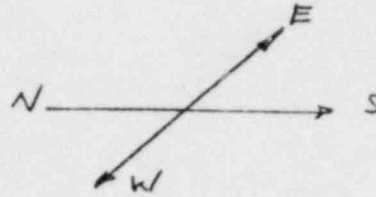
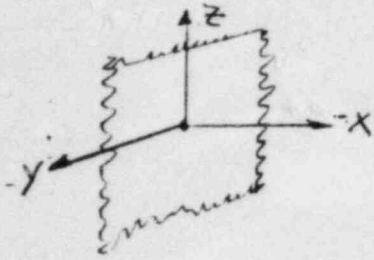
BY JLD DATE 1/29/84 SUBJECT LEADER SWT SECT. 6 SHEET 13 OF 34

CHKD. BY JLD DATE 2/22/84 PROJ. NO. 8264

6.5 - CONT.

		STD		CONS	
		OBE	SSE	OBE	SSE
Well # 3	F _x	0	0	0	0
	F _y	0	0	0	0
	F _z 0.005 R _N	822		487	1347
	F _z (in) B r	1835		3056	
	F _x	0	0	0	0
	F _y 0.022 F _z	40	40	67	67
	F _z	0	0	0	0

6.6 EAST WEST LOAD - E-W PLANE



SINGLE WOOD AREA
RESISTING FORCE

$$A_3 = 0.10 \text{ in}^2$$

$$A_2 = A_1 = 0.36 \text{ in}^2$$

TOTAL AREAS

FOR F_v

$$A_2 = A_1 = (5)(0.36) = 1.80 \text{ in}^2$$

$$A_3 = (6)(0.10) = 1.08 \text{ in}^2$$

FOR F_h

$$A_2 = A_1 = (11)(0.36) + 10(3)(0.10) = 9.36 \text{ in}^2$$

$$A_1 = (11)(0.36) = 3.96 \text{ in}^2$$

FROM S. 4.1.2 $F_2 = F_1 = F_{12} = 125.4 \text{ E-}03 \text{ F}_v$

$F_3 = F_{11} = 67.70 \text{ E}03 \text{ F}_v$

FROM S. 4.2.2 $F_2 = 452.17 \text{ E-}03 \text{ F}_h$

$F_1 = 95.65 \text{ E-}03 \text{ F}_h$

BY AW DATE 1/25/89 SUBJECT WELD LOADS SECT. 6.0 SHEET 15 OF 34CHKD. BY JLD DATE 2/22/89 PROJ. NO. E2696.6 - CONT E-W LOAD, E-W PLANE6.6.1 - FORCES ON INDIVIDUAL WELDS.FOR F_V -

$$F_3 = \frac{0.18}{1.08} (67.70 E-03 F_V) = 11.28 E-03 F_V$$

$$F_2 = F_1 = \frac{0.36}{1.80} (125.4 E-03 F_V) = 25.08 E-03 F_V$$

FOR F_H

$$F_3 = \frac{0.18}{9.36} (452.17 E-03 F_H) = 8.695 E-03 F_H$$

$$F_2 = \frac{0.36}{9.36} (452.17 E-03 F_H) = 17.391 E-03 F_H$$

$$F_1 = \frac{0.36}{3.96} (956.5 E-03 F_H) = 86.95 E-03 F_H$$

BY AW DATE 1/25/84 SUBJECT Weld Loads

SECT. 6 SHEET 16 OF 34

CHKD. BY JLD DATE 2/22/84

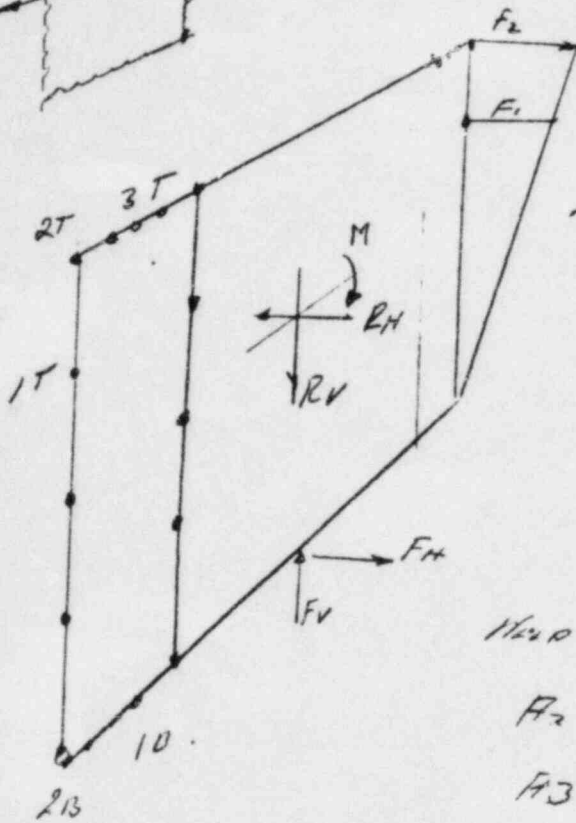
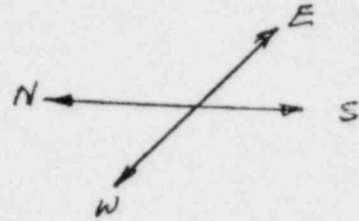
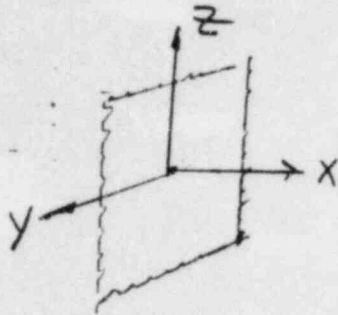
PROJ. NO. 8369

6.6 - CONT -

6.6.2 SUMMARY

		STANDARD RACK LBS		CONSOLIDATED RACK LBS	
		OBE	SSB	OBE	SSB
FH		156,200	164,300	153,000	184,700
	FV	185,110	173,410	64,140	171,040
Weld #1	FX	0	0	0	0
	Fy = 8.695 E-03 FH	1358	1428	1330	1606
	Fz = 25.08 E-03 FV	4643	4349	1609	4290
Weld #2	FX	0	0	0	0
	Fy = 17.391 E-03 FH	2716	2857	2661	3212
	Fz = 25.08 E-03 FV	4643	4349	1609	4290
Weld #3	FX	0	0	0	0
	Fy = 8.695 E-03 FH	1358	1428	1330	1606
	Fz = 11.28 E-03 FV	2082	1956	723	1929

6.7 NORTH-SOUTH LOAD - E-W PLANE



$A_{TOTAL} F_2 = A_{2T} = A_{3T} = 9.36 \text{ in}^2$

$F_1 A_1 = 3.96 \text{ in}^2$

From S. 2. 2 $F_{1H} = R_H = R_V$

$A_T = 30.6 \text{ in}^2$

WELD AREA RESISTING FORCE

$A_2 = A_1 = 0.36$

$A_3 = 0.18 \text{ in}^2$

WELD #1

$F_x = * 0(R_H) + \frac{0.36}{3.96} F_1 = 0.091 F_1$

$F_y = 0$

$F_z = \frac{0.36}{30.6} R_V = 0.012 R_V$

* COMPRESSIVE STRESSES ACT ON BOXES, NOT THE WELDS

BY HW DATE 1/26/84 SUBJECT WELD JOINTS SECT. 6 SHEET 18 OF 34CHKD. BY WLD DATE 2/22/84PROJ. NO. 82696. 7-CONT-

N-S LOAD, E-W FLANGE

WELD # 2

$$F_x = 0(R_v) + \frac{0.36}{9.36} F_z = 0.038 F_z$$

$$F_y = 0$$

$$F_z = \text{SAME AS \#1} = -0.012 R_v$$

WELD # 3

$$F_x = 0(R_v) + \frac{0.18}{9.36} F_z = 0.019 F_z$$

$$F_y = 0$$

$$F_z = \frac{0.18}{30.6} R_v = 0.006 R_v$$

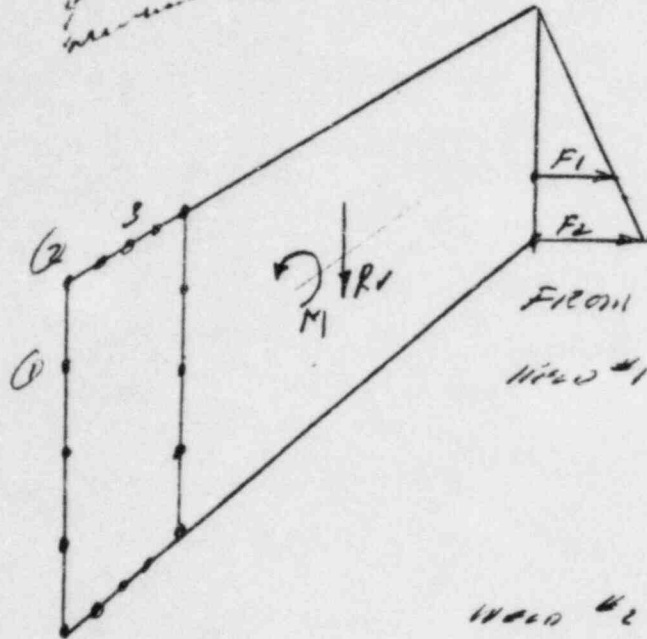
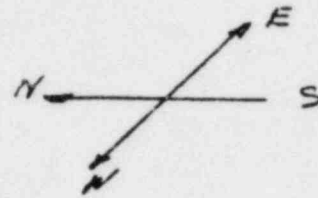
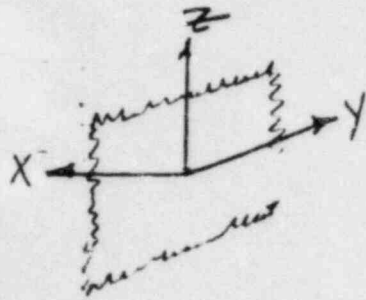
BY John DATE 1/25/84 SUBJECT WELD LOADS SECTION 6 SHEET 19 OF 34

CHKD. BY JLD DATE 2/22/84 PROJ. NO. 8269

6.7 - SUMMARY - NORTH-SOUTH LOAD - E-W PLANE

		STANDARD RACK		CONSOLIDATED RACK	
		03# LBS	55# LBS	113# LBS	55# LBS
Sec 5.9.3	RH	133,600	181,900	125,900	188,000
	Rv	49,900	154,400	0.0	90,000
WELD #1	Fx	0	0	0	0
	Fy	0	0	0	0
	Fz = 0.012Rv	598	1853	0.0	1080
	F _L (M)	15,300	20,200	14,700	21,400
	F _A 0.091 F _L	1329	1838	1338	1915
	Fy	0	0	0	0
	Fz	0	0	0	0
WELD #2	Fx	0	0	0	0
	Fy	0	0	0	0
	Fz = 0.012Rv	617	1853	0.0	1080
	F _L (M)	48,100	63,800	46,200	67,300
	F _A 0.038F _L	1828	2424	1756	2557
	Fy	0	0	0	0
	Fz	0	0	0	0
WELD #3	Fx	0	0	0	0
	Fy	0	0	0	0
	Fz = 0.006Rv	300	926	0.0	510
	F _L (M)	48,100	63,800	46,200	67,300
	F _A 0.019(F _L)	914	1212	878	1278
	Fy	0	0	0	0
	Fz	0	0	0	0

6.8. VERTICAL LOAD - E-W-PLANE



FROM SECTION 6.7

WELD #1 $F_x = 0 + 0.091 F_1$

$F_y = 0$

$F_z = 0.012 R_v$

WELD #2 $F_y = 0 + 0.038 F_2$

$F_x = 0$

$F_z = 0.012 R_v$

WELD #3 $F_x = 0 + 0.019 F_2$

$F_y = 0$

$F_z = 0.006 R_v$

BY JLW DATE 1/25/84 SUBJECT WELD LOADS

SECT. 6 SHEET 21 OF 30

CHKD. BY JLD DATE 2/22/84

PROJ. NO. 8269

G.E. Summary - VERTICAL - E-W-PLANE.

		STANDARD RACK		CONSOLIDATED RACK	
		ORE	SSE	ORE	SSE
RH		0	0	0	0
RV		44477	44477	74066	74066
WELD #1 A=0.36	FX	0	0	0	0
	FY	0	0	0	0
	Fz 0.012RV	533	533	888	888
	F _i (M)	275	275	458	458
	FX 0.091F _i	25	25	42	42
	FY	0	0	0	0
	Fz	0	0	0	0
WELD #2	FX	0	0	0	0
	FY	0	0	0	0
	Fz 0.012RV	533	533	888	888
	F _i (M)	866	866	1442	1442
	FX 0.028F _i	33	33	55	55
	FY 0	0	0	0	0
	Fz	0	0	0	0
WELD #3	FX	0	0	0	0
	FY	0	0	0	0
	Fz 0.006RV	267	267	445	445
	F _i (M)	866	866	1442	1442
	FX 0.049F _i	33	33	55	55
	FY	0	0	0	0
	Fz	0	0	0	0

6.9 SWT LOADING - E-W PLANE

THE F_x , F_y & F_z 'S ALL SAME FORMULA AS 6.8

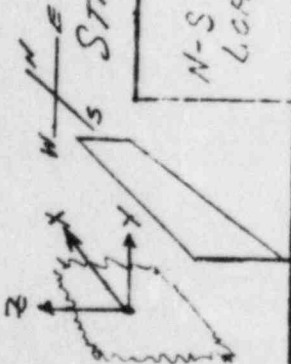
		STANDARD, RACK		CONSOLIDATED RACK	
		OBE	SSE	OBE	SSE
RV		145730	145730	238740	238740
F _x		0	0	0	0
F _y		0	0	0	0
WELD # 1	F _z 0.012RV	1749	1749	2864	2864
	F _z (M)	1093	1093	1791	1791
	F _x 0.091 F _z	100	100	163	163
	F _y	0	0	0	0
	F _z	0	0	0	0
	F _x	0	0	0	0
	F _y	0	0	0	0
WELD # 2	F _z 0.012RV	1749	1749	2864	2864
	F _z M	3445	3445	5644	5644
	F _x 0.038F _z	130	130	215	215
	F _y	0	0	0	0
	F _z	0	0	0	0
	F _x	0	0	0	0
WELD # 3	F _y	0	0	0	0
	F _z 0.006RV	875	875	1432	1432
	F _z M	3445	3445	5644	5644
	F _x 0.019F _z				
	F _y	0	0	0	0
	F _z	0	0	0	0
	F _x	0	0	0	0

BY AW DATE 1/2/84 SUBJECT SUMMARY - SECT. 6 SHEET 23 OF 34

CHKD. BY JLD DATE 2/23/84 LOADS & STRESSES PROJ. NO. 8369

6.10

SUMMARY - LOADS AND STRESSES
STAND AND RACK - NORTH - SOUTH PLANE - OBE



WELD #1 R= 0.196	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		$F_{30}(F_1^2 + F_2^2)^{1/2}$ $F_3 = 5W \pm T$ $(F_{N-S}^2 + F_{E-W}^2)^{1/2}$	$\gamma = F_3 / A$	* S = F_r / A
	F _X	F _Y	F _Z	(F _X ² + F _Z ²) ^{1/2}	T	B	T	B			
	+ 847	0	0	0	0	0	0	0			T 1374
	0	T + 1354 B + 970	T + 4.2 B 12.5	T + 20 B + 42							ST 7010
	+ 550	- 778	- 301	- 981							B 1012
	1009	778	301	981					2290	11,680	S 5164

WELD #2 R= 0.36	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		$F_{30}(F_1^2 + F_2^2)^{1/2}$ $F_3 = 5W \pm T$ $(F_{N-S}^2 + F_{E-W}^2)^{1/2}$	$\gamma = F_3 / A$	* S = F_r / A
	F _X	F _Y	F _Z	(F _X ² + F _Z ²) ^{1/2}	T	B	T	B			
	+ 3111	0	0	0	0	0	0	0			T 2787
	0	T 2672 B 0	T = 0 B = 7	115							S = 7742
	+ 1387	- 1296	- 502	- 1645							
	3406	1296	+ 502	1645					5325	14,800	

WELD #3 R= 0.18	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		$F_{30}(F_1^2 + F_2^2)^{1/2}$ $F_3 = 5W \pm T$ $(F_{N-S}^2 + F_{E-W}^2)^{1/2}$	$\gamma = F_3 / A$	* S = F_r / A
	F _X	F _Y	F _Z	(F _X ² + F _Z ²) ^{1/2}	T	B	T	B			
	+ 770	0	0	0	0	0	0	0			T 1412
	0	T 1412 B 0	T = 0 B = 16.4	822							S = 7844
	+ 650	648	212	- 822							
	1013	648	212	822					2043	13,350	

* THE "T" OR "B" No 15 F_{TOR} OR F_{COMI} = 9WC ± √(F_{E-W} + F_{B-W} + F_{UT})

BY JHW DATE 1/27/84 SUBJECT SUMMARY

SEC: 6 SHEET 24 OF 34

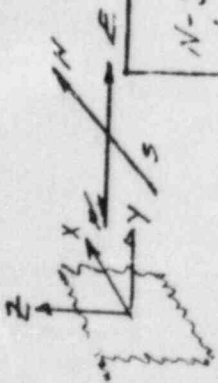
CHKD. BY JLD DATE 2/23/84

LOADS AND STRESSES

PROJ. NO. 8269

6.11

SUMMARY - LOADS AND STRESSES
STANDARD RACK - N-S PLANE - SSE



	N-S LOAD	E-W LOAD	VEAR LOAD	SWC LOAD	$F_{00}(F^2 + F_z^2)^{1/2}$ $F_s = \sqrt{F_{00}^2 + F_{00}^2}$ $(F_{N1}^2 + F_{N2}^2 + F_{N3}^2)^{1/2}$	$F = F_s / A$	$S = F_r / A$
F_x	N+ 1153 S-	0	0	0			T 1838 B 931 ST 9376 SD 1862
F_y	0	T+ 1396 B+ 930	T- 4.2 B 12.5	T+ 502 B 1506			
F_z	N+ 1700 S-	-728	-301	-981			
$(F_x^2 + F_z^2)^{1/2}$	2051	728	301	981	3178	16210	

	N-S LOAD	E-W LOAD	VEAR LOAD	SWC LOAD	$F_{00}(F^2 + F_z^2)^{1/2}$ $F_s = \sqrt{F_{00}^2 + F_{00}^2}$ $(F_{N1}^2 + F_{N2}^2 + F_{N3}^2)^{1/2}$	$F = F_s / A$	$S = F_r / A$
F_x	N+ 4236 S-	0	0	0			T 2782 Sf = 7728
F_y	0	T+ 2667 B 0	6.9	115			
F_z	N+ 4296 S-	-1214	-502	-1645			
$(F_x^2 + F_z^2)^{1/2}$	6033	1214	502	1645	7819	21720	

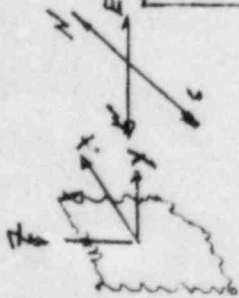
	N-S LOAD	E-W LOAD	VEAR LOAD	SWC LOAD	$F_{00}(F^2 + F_z^2)^{1/2}$ $F_s = \sqrt{F_{00}^2 + F_{00}^2}$ $(F_{N1}^2 + F_{N2}^2 + F_{N3}^2)^{1/2}$	$F = F_s / A$	$S = F_r / A$
F_x	N+ 1059 S-	0	0	0			T 1342 Sf = 7456
F_y	0	T+ 1342 B 0	T- 0 B+ 18.4	T- 0 B- 40			
F_z	N+ 2015 S-	607	212	822			
$(F_x^2 + F_z^2)^{1/2}$	2276	607	212	822	3187	17,710	

* SEE 6.10.1

BY HW DATE 12/2/84 SUBJECT SUMMARY 4 SLCT. 6 SHEET 26 OF 34
 CHKD. BY JLD DATE 2/23/84 LOADS AND STRESSES PROJ. NO. 8269

6.13

SUMMARY - LOADS AND STRESSES
 CONSOLIDATED RACK - NORTH-SOUTH PLANE - SSE



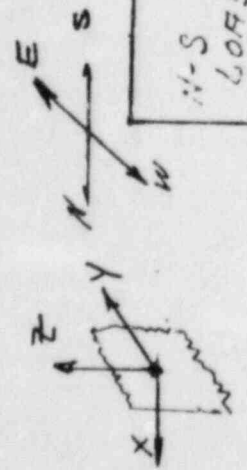
		N-S LOAD	E-W LOAD	VEAR LOAD	SWC LOAD	$F_{01}(F_X^2 + F_Z^2)^{1/2}$	$F_S = \sqrt{F_{01}^2 + F_{02}^2}$	$\gamma = F_S / A$	$* S = F_r / A$
N-S 0.196	F_X	1192	0	0	0				T 1417 D 1022 ST=7230
	F_Y	0	T 1391 B 943	T 7 B 14	T R6 B 379				
	F_Z	929	719	501	1617				S ₀ = 5214
	$(F_X^2 + F_Z^2)^{1/2}$	1549	719	501	1617	3397	17,330		
N-S 0.126	F_X	4379	0	0	0				T 2802 ST=7783
	F_Y	0	T 2802 B 0	T 0 B 12	T 0 B 208				
	F_Z	2504	1198	836	2695				
	$(F_X^2 + F_Z^2)^{1/2}$	5044	1198	836	2695	7946	22,070		
N-S 0.118	F_X	1095	0	0	0				T 620 ST=3444
	F_Y	0	T 620 B 0	T 0 B 27	T 0 B 67				
	F_Z	1175	599	343	-1347				
	$(F_X^2 + F_Z^2)^{1/2}$	1606	599	343	1347	3095	17,200		

* SEE 6.10.1

BY HLW DATE 1/27/84 SUBJECT Summary SECT. 6 SHEET 27 OF 34
 CHKD. BY WLD DATE 2/23/84 LOADS AND STRESSES PROJ. NO. 8269

6.14

SUMMARY - LOADS AND STRESSES
 STANDARD RACK - EAST MOST PLANS ORB



New #1 A = 0.36	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F^2 + F_z^2)^{1/2}$ $F_s = \sqrt{SWT^2 + (F_{N3}^2 + F_{W3}^2 + F_{T3}^2)}$	$\gamma = F_s / A$	X $S = F_r / A$
	T	B	T	B	T	B	T	B			
	T-1392	B 464	0		T 7	B-32	T 65				T 1457
	0		T 1358		0		0				ST=4047
	T 598		T 4643		-533		1749				
	598		4878		533		1749		6653	18480	

New #4 A = 0.36	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F^2 + F_z^2)^{1/2}$	$\gamma = F_s / A$	X $S = F_r / A$
	T	B	T	B	T	B	T	B			
	T-1828	B-0	0		T 0	B 28	T 0				T 1828
	0		T 2716		0		0				ST=5078
	T 617		T 4642		533		1749				
	617		5378		533		1749		7188	19,970	

New #18 A = 0.18	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F^2 + F_z^2)^{1/2}$	$\gamma = F_s / A$	X $S = F_r / A$
	T	B	T	B	T	B	T	B			
	T-914	B-0	0		T 0	B 14	T 0				T 1014
	0		T 1358		0		0				ST=5633
	T 300		T 2088		266		875				
	300		2491		266		875		3397	18876	

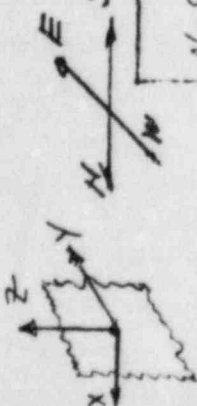
* SEE 6.10.1

BY Hand DATE 4/22/84 SUBJECT SUMMARY SECT. 6 SHEET 20 OF 34

CHKD. BY Hand DATE 2/23/84 LOADS AND STRESSES PROJ. NO. E269

6.15

SUMMARY - LOADS AND STRESSES
STANDARD RACK - EAST WPST PLANE - SSE



	N-S LOAD	E-W LOAD	VERT LOAD	SWC LOAD	$F_s = \sqrt{F_1^2 + F_2^2}$ $(F_{s1}^2 + F_{s2}^2)^{1/2}$	$\gamma = F_s / A$	$\sigma = F_r / A$
F_x	T 1866	0	T 7	T 657			T 1936
F_y	B 619	0	B 32	B 194			SF-5378
F_z	0	T ₆ 1428	0	0			
$(F_y^2 + F_z^2)^{1/2}$	1853	T ₆ 4349	533	1749	6715	18,660	
$(F_x^2 + F_y^2 + F_z^2)^{1/2}$	1853	4577	533	1749			

	T 2451	T 0	T 0	T 0	T 0	T 2451
F_x	B 0	0	B 325	B 255	0	SF=6800
F_y	0	T ₆ 2857	0	0		
F_z	1853	T ₆ 4349	533	1749	7298	
$(F_y^2 + F_z^2)^{1/2}$	1853	5203	533	1749		20,270

	T 914	T 0	T 0	T 0	T 0	T 914
F_x	B 0	0	B 14	B 1000	0	B-1014
F_y	0	T ₆ 1428	0	0		SF-5633
F_z	308	T ₆ 1952	266	875	3478	
$(F_y^2 + F_z^2)^{1/2}$	926	2418	266	875		19,320

SEE 6.10.1

BY HL DATE 1/27/84 SUBJECT SUMMARY SECT. 6 SHEET 29 OF 34

CHKD. BY ULD DATE 2/23/84 LOAD & STRESSES PROJ. NO. 6369

6.16

SUMMARY - LOADS AND STRESSES
CON SOLIDATED RACK - EAST WEST PLANE - OBE



Node #1 R = 0.36	N-S LOAD **		E-W LOAD		VERT LOAD		SWC LOAD		$\frac{500(F_x^2 + F_y^2)^{1/2}}{F_z = SWT + (F_N^2 + F_{E+W}^2)^{1/2}}$	$\gamma = \frac{F_s}{A}$	$\sigma = \frac{F_r}{A}$
	T	B	T	B	T	B	T	B			
	1338	446	0	0	131	379	106	318			1455
	0	0	1330	0	0	0	0	0			ST = 4043
	0	0	1609	888	888	-2864					
	0	0	2088	888	888	2864			5132	14,260	

Node #2 R = 0.36	N-S LOAD **		E-W LOAD		VERT LOAD		SWC LOAD		$\frac{500(F_x^2 + F_y^2)^{1/2}}{F_z = SWT + (F_N^2 + F_{E+W}^2)^{1/2}}$	$\gamma = \frac{F_s}{A}$	$\sigma = \frac{F_r}{A}$
	T	B	T	B	T	B	T	B			
	1756	0	0	0	0	418	0	0			1756
	0	0	2661	0	0	0	0				ST = 4878
	0	0	1609	888	888	-2864					
	0	0	3110	888	888	2864			6098	16,940	

Node #3 R = 0.19	N-S LOAD **		E-W LOAD		VERT LOAD		SWC LOAD		$\frac{500(F_x^2 + F_y^2)^{1/2}}{F_z = SWT + (F_N^2 + F_{E+W}^2)^{1/2}}$	$\gamma = \frac{F_s}{A}$	$\sigma = \frac{F_r}{A}$
	T	B	T	B	T	B	T	B			
	878	0	0	0	0	1000	0	0			131000
	0	0	1330	0	0	0	0				SG = 2775
	0	0	723	-445	-445	1432					
	0	0	1514	445	445	1432			3009	14,720	

* SEE 6.10.1
** NO DISTORF

BY HLW DATE 1/27/84 SUBJECT SUMMARY

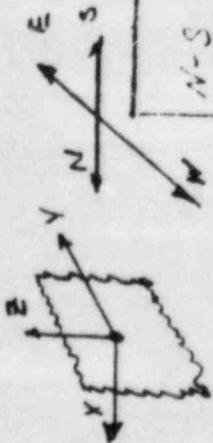
SECT. 6 SHEET 30 OF 34

CHKD. BY JLD DATE 2/23/84

LOAD AND STRESSES PC PROJ. NO. 8269

6.17

SUMMARY - LOADS AND STRESSES
CONSOLIDATED RACT - EAST-WEST FRAME - SSE



New #1 A = 0.36	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F_1^2 + F_2^2)^{1/2}$ $F_2 = SWT +$ $(F_{N1}^2 + F_{S1}^2 + F_{E1}^2)^{1/2}$	$\gamma = F_2/A$	* S = F_1/A
	F_x	F_y	T_A	T_B	T-131 B-379	0	T-106 B-318	0			
	T-1993 B-655	0	0	0	0	0	0	0			T 2043 ST 5676
	0	0	T_A 1606 T_B	0	0	0	0	0			
	1080	0	T_A 4290 T_B	888	888	888	-2864				
	$(F_1^2 + F_2^2)^{1/2}$	1080	4521	888	888	888	2864	7653	21260		

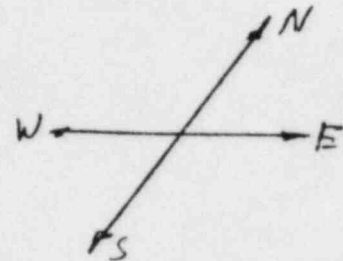
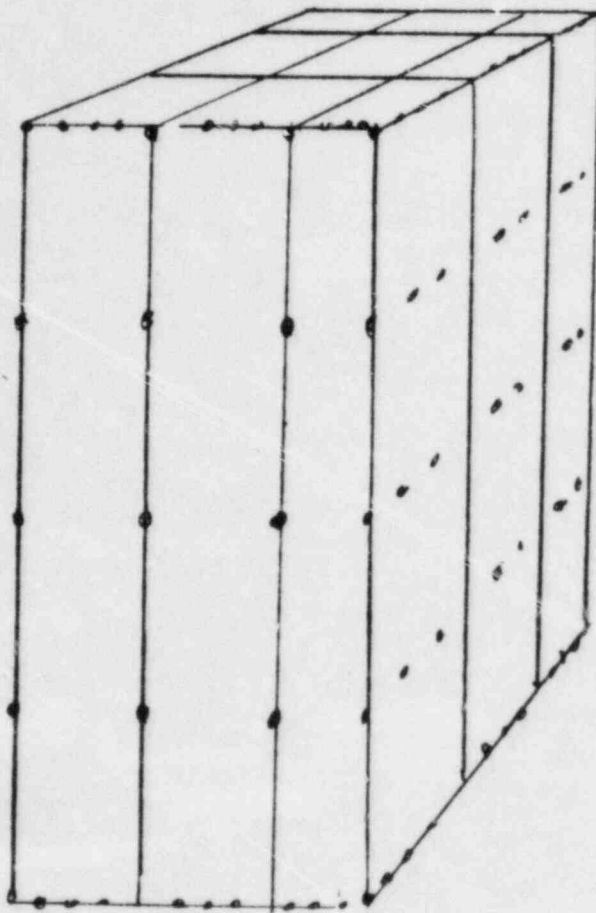
New #2 A = 0.36	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F_1^2 + F_2^2)^{1/2}$ $F_2 = SWT +$ $(F_{N1}^2 + F_{S1}^2 + F_{E1}^2)^{1/2}$	$\gamma = F_2/A$	* S = F_1/A
	F_x	F_y	T_A	T_B	T-0 B-47	0	T-0 B-418	0			
	T-2573 B-0	0	0	0	0	0	0	0			T 2573 ST 7147
	0	0	T_A 3212 T_B	0	0	0	0	0			
	1080	0	T_A 4290 T_B	888	888	888	2864				
	$(F_1^2 + F_2^2)^{1/2}$	1080	5257	888	888	888	2864	8402	23340		

New #3 A = 0.18	N-S LOAD		E-W LOAD		VERT LOAD		SWC LOAD		FOR $(F_1^2 + F_2^2)^{1/2}$ $F_2 = SWT +$ $(F_{N1}^2 + F_{S1}^2 + F_{E1}^2)^{1/2}$	$\gamma = F_2/A$	* S = F_1/A
	F_x	F_y	T_A	T_B	T-0 B-7	0	T-0 B-1000	0			
	T-1286 B-0	0	0	0	0	0	0	0			T=1268 ST=7014
	0	0	T_A 1606 T_B	0	0	0	0	0			
	540	0	T_A 1929 T_B	-445	-445	-445	1432				
	$(F_1^2 + F_2^2)^{1/2}$	540	2510	445	445	445	1432	4037	22430		

* SEE 6.10.1

BY Z/hw DATE 1/27/84 SUBJECT STRESSES AT SECT. 6 SHEET 31 OF 34
 CHKD. BY JLD DATE 2/22/84 CORNERS PROJ. NO. 8269

6.18 SHEAROUT STRESSES AT CORNERS.



THE CRUISE IN SUPPORT CAUSES THREE
 BOXES TO ACT TOGETHER AT THE CORNERS.

WELD AREA

12 SETS OR 3-1in FILLER WELD - 0.18 CK

$$A = (12)(3)(0.18) = 6.48 \text{ in}^2$$

4 SETS OR 5-2in FILLER WELD - 0.18 CK

$$A = (4)(5)(2)(0.18) = 7.20 \text{ in}^2$$

3 SETS OR 6 - FUSION WELDS $A = 0.196 \text{ in}^2$

$$A = (3)(6)(0.196) = 3.53 \text{ in}^2$$

BY Ahw DATE 1/27/84 SUBJECT STRESSES AT SECT. 6 SHEET 32 OF 34

CHKD. BY JLD DATE 2/22/84 CORNERS PROJ. NO. 0269

6.18 - CONT -

TOTAL WELD AREA =

$$A_T = 6.48 + 7.70 + 3.03 = 17.21 \text{ in}^2$$

THE RMS VALUES FROM SET #4 OF THE SUMMARY OF LOADS FROM SECTION 2.0

ARE:

MAXIMUM VERTICAL FORCES

	STANDARD RACK		CONSOLIDATED RACK	
	OBE	SSE	OBE	SSE
RMS LOAD	205,567	237,862	225,573	280,782
$Y = F/A$	11,945	13,821	13,107	16,431

F.S. - OBE

$$F.S. = 24,000 / 13,110$$

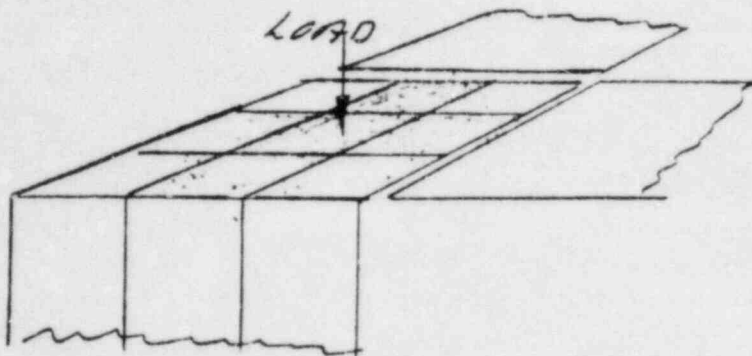
$$F.S. = 1.83$$

F.S. - SSE

$$F.S. = 36,000 / 16,450$$

$$F.S. = 2.2$$

6.19 - BUCKLING STRESS IN BOX SIDES.



THE LOAD IS DISTRIBUTED OVER THE CRUCIFORM SUPPORT PLATE AS SHOWN. THE TOTAL NUMBER OF SIDES SEEING THE LOAD IS

INTERNAL - 28 SIDES (2 AT EACH BOX)

EXTERNAL - 2 SIDES

TOTAL AREA -

30 SIDES X 8.64 in LONG PER SIDE X 0.09 in THK.

$$= 23.33 \text{ in}^2$$

THE CRITICAL BUCKLING STRESS IS GIVEN

BY:
$$\sigma_{CR} = \frac{K \pi^2 E}{12(1-\mu^2)} \left(\frac{t}{b}\right)^2$$
 REF #5 p 2.12

WHERE:

t = PLATE THICKNESS = 0.09

b = PLATE WIDTH = 8.64

E = YOUNG'S MODULUS = 28,000,000

μ = POISSON'S RATIO = 0.3

K = CONSTANT - (FIXED-FIXED) = 6.97

$$\sigma_{CR} = \frac{(6.97)(\pi)^2 (28,000,000)}{10.92} \left(\frac{0.09}{8.64}\right)^2 = 19,140$$

BY HW DATE 1/27/84 SUBJECT SUMMARY SECT. 6 SHEET 34 OF 39
 CHKD. BY JLD DATE 2/22/84 BOX PLATE BUCKLING PROJ. NO. 8369

6.19 - CONT

	STANDARD RACK		CONSOLIDATED RACK	
	OBE	SSE	OBE	SSE
LOAD = F MISS ⁴	205,567	237,862	225,573	282,782
S = F/A	8811	10196	9670	12120

$\sigma_{cr} = 19,140 \text{ Psi}$

$\therefore \text{F.S.} = 19,140 \text{ Psi} / 12,120 = 1.58$

SECTION 7.0 PAGE 1 OF 3
PROJECT 8369
FILE RCF7A.1

SECTION 7.0
FLOOR LOADS DEVELOPED FROM SEISMIC EVENTS

7.0 FLOOR LOADS

7.1 TOTAL FLOOR LOAD

THE MODIFIED RACKS ARE IN REGION #2.
 THERE ARE SIX (6) RACKS IN THIS
 REGION. THE TOTAL FLOOR LOAD
 FOR THE SIX RACKS IS

(6) (SUBMICROED WT.)

THE SWT VALUES ARE GIVEN IN SECT. 2.0

	SWT (LB)	TOTAL FLOOR LOAD (LB)
STANDARD RACK	208,190	1,249,000
CONSOLIDATED RACK	346,060	2,046,360

7.2 BEARING STRESS ON CONCRETE

THE FLOOR PLATES ARE

$$11 \text{ in} \times 11 \text{ in} \times \frac{3}{4} \text{ in} = 121 \text{ in}^2 \text{ (BEARING)}$$

THE MAXIMUM LOADS ARE THOSE SHOWN IN THE
 SUMMARY OF RESULTS FROM THE SEISMIC ANALYSIS.
 THESE VALUES ARE GIVEN IN SECT. 2, SET #4,
 THIS VALUES ARE USED TO DETERMINE
 THE BEARING STRESS.

BY AKW DATE 2/1/84 SUBJECT FLOOR GOADS SECT. 7 SHEET 3 OF 7

CHKD. BY JLD DATE 2/23/84 PROJ. NO. 8369

REV 1, 3/6/84 JLD

7.2 - CONT.

	STANDARD RACK		CONSOLIDATED RACK	
	OBE	SSR	OBE	SSE
FLOOR LOAD (LB)	205,567	237,862	225,573	282,782
BEARING STRESS	1700	1965	1864	2337

ALLOWABLE CONCRETE BEARING STRESS

$$S_B = 0.85 \phi f'_c = (0.85)(0.7)(3000 \text{ PSI}) \quad (\text{REF. 6})$$

$$S_B = 1785 \text{ PSI}$$

"AS THE SUPPORTING SURFACE IS WIDER ON ALL SIDES THAN THE LOADED AREA, THE PERMISSIBLE BEARING STRESS ON THE LOADED AREA MAY BE MULTIPLIED BY $\sqrt{A_1/A_2}$ BUT NOT MORE THAN 2

$$\therefore S_B = (1785 \text{ PSI})(2) = \underline{\underline{3570 \text{ PSI}}}$$

$$\text{MIN. F.S.} = 3570 \text{ PSI} / 2337 = 1.53$$





SECTION 8.0
EXTERNAL LOADINGS



8.1 STRAIGHT DROP OF A FUEL ASSEMBLY THROUGH AN INDIVIDUAL CELL

THE FUEL BUNDLE DROP CONSIDERED IS A STRAIGHT DROP INTO A FUEL SPACE. THE PROBABILITY OF THIS IS MORE REMOTE THAN ANY OTHER ACCIDENT. IT IS MOST LIKELY THAT THE FUEL BUNDLE WILL STRIKE THE TOP OF THE FUEL BOX AND BE DEFLECTED SO THAT THE ENERGY IS DISSIPATED IN DEFORMATION OF THE BOX OR FUEL BUNDLE ITSELF

THIS POSTULATED DROP ACCIDENT WOULD CAUSE THE FUEL ASSEMBLY TO IMPACT THE BOTTOM PLATE IN THE CELL. THE CLEARANCE BETWEEN FUEL DIMENSIONS AND BOX DIMENSIONS ARE QUITE CLOSE; THUS THE FUEL ASSEMBLY WOULD BECOME A LEAKY PISTON AND THE FUEL BOX WOULD BECOME A LEAKY CYLINDER. THE HYDRAULIC FORCES GENERATED WHEN THE FUEL ASSEMBLY INITIALLY ENTERS THE FUEL BOX ARE QUITE LARGE AND SERVE TO RETARD THE FUEL ASSEMBLY DURING THE NEXT 13.25 FEET OF ITS DESCENT. THUS IT IS UNKNOWN AS TO THE AMOUNT OF ENERGY IMPARTED TO THE BOTTOM PLATE. THE CAPACITY OF THE 0.090" WELDS WHICH ATTACH THE BOTTOM PLATE TO THE CELL ARE ESTIMATED TO BE PLASTICALLY DEFORMED TO FAILURE IF LOADED HIGH ENOUGH. THIS FAILURE LOAD ESTIMATE IS BASED ON 30,000 psi ULTIMATE SHEAR STRENGTH AND A TYPICAL PLASTIC DEFORMATION OF 20%. THE AREA IN SHEAR IS

$$0.090" \times 4(8.25") = 2.97 \text{ in.}$$
$$\text{ENERGY} = 30,000 \text{ psi} \times (20\% \times 0.090") \times 2.97 \text{ in.} = 1604 \text{ in-lbs}$$

COMPARING THIS VALUE TO THE ENERGY AVAILABLE FROM THE STRAIGHT DROP ON THE RACK, WHICH IS 43,500 in-lb WHEN THE FUEL ASSEMBLY IS CONSIDERED AS A RIGID BODY FOR A 30" DROP, THE BOTTOM PLATE WELDS WOULD FAIL.

THIS ACCIDENT WOULD RENDER ONE STORAGE LOCATION UNUSABLE. HOWEVER, THE PHYSICAL CONFIGURATION OF THE SPENT FUEL STORAGE CELLS WILL NOT BE CHANGED; THEREFORE, THE SUB-CRITICAL ARRAY OF THE RACK WILL BE MAINTAINED.