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**SOLA-LOOP: A Nonequilibrium, Drift-Flux Code
for Two-Phase Flow in Networks**

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SOJA-LOOP: A NONEQUILIBRIUM, DRIFT-FLUX CODE FOR TWO-PHASE FLOW IN NETWORKS

by

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ABSTRACT

A new, highly flexible computer code for transient, nonequilibrium, two-phase flow in networks is described. Each component may have a one-dimensional representation with a variable cross-sectional area. The flow dynamics is governed by a set of nonlinear conservation laws based on a generalized drift-flux model for two-phase mixtures. The equations are solved by a partially implicit method that can use different time steps in different components.

In addition to being simple and modular, the code can use almost any set of constitutive relations, property tables, or other special purpose features required for different applications.

An example problem is provided to verify proper implementation of the code on the user's system. It illustrates the automatic treatment of such phenomena as critical two-phase flow without introducing special assumptions and the use of various input options to initiate a pipe break.

I. INTRODUCTION

The increasing demand for more accurate and more detailed predictions of two-phase flow processes has prompted a flurry of activity in recent years. Much of this activity has been generated and supported by efforts to provide better theoretical tools for the analysis of postulated nuclear reactor accidents. Leading this activity are numerous efforts in the US and abroad to make better use of the many sophisticated numerical techniques developed during the last twenty years for single-phase flows. These efforts include several highly detailed models for transient, two-phase flows in two and three dimensions.^{1,2} Although such models are essential for understanding complex, two-phase flow processes in localized regions, they cannot be used directly for systems consisting of many coupled flow regions of various sizes, geometries, and other physical characteristics. For large systems, zero- and one-dimensional flow models must be coupled together in, so-called, network codes. Some higher dimensional models may be used for one or two parts of a system, but their use is limited by the higher computing costs that they entail. Thus, for now, multidimensional numerical computations will be confined largely to studies

of fundamental two-phase flow processes, to detailed calculations in isolated regions, and to the definition and verification of the simplified lower dimensional models.

To make the best use of the new developments for the practical analysis of full systems, we must develop network codes that are compatible with the advanced multidimensional codes. Advanced network codes should use one-dimensional representations wherever possible to maintain the minimum spatial definition that is necessary for flow transients. Furthermore, advanced network codes should permit finite rate exchanges of mass, momentum, and energy between phases as well as unequal phase velocities to adequately describe the many possible types of two-phase flows.

In this report we describe SOLA-LOOP, an advanced network code derived from SOLA-DF, a transient, two-dimensional code.³ SOLA-DF is based on a drift-flux approximation for the dynamics of a two-phase mixture.⁴ SOLA-LOOP is a relatively simple code that has no flow regime maps, property tables, or other complicating features. Although developed for use in nuclear reactor safety analysis, its simple structure offers a framework that may be used as the basis for developing other types of special-purpose network codes.

Section II presents the differential equations that define the drift-flux model and describes the simple approximations for the equation-of-state and other necessary constitutive relations for water. Section III describes the numerical solution techniques used for one-dimensional components and for coupling components into a network. Section IV lists the input parameters and COMMON storage variables. The example problem results in Sec. V provide a means for verification of the code when implemented at other installations or on other machines. A complete listing of the code is provided in the Appendix.

II. EQUATIONS, CONSTITUTIVE RELATIONS, AND EXCHANGE RATES

There are various forms for the drift-flux equations that describe the dynamics of two-phase fluid mixtures.⁵ For our purpose we chose as dependent variables the mixture density ρ , the macroscopic vapor density ρ_v (vapor mass per unit volume of mixture), the center of mass velocity \underline{u} , and the mixture specific internal energy I . Important auxiliary variables are the void volume fraction θ , the relative velocity between phases $\underline{u}_r = \underline{u}_v - \underline{u}$, and the mixture pressure p .

A. Equations of Motion

In terms of these dependent variables, the basic drift-flux equations used in SOLA-LOOP are

- (1) The continuity equations,

$$\frac{\partial \rho}{\partial t} + \frac{1}{A} \frac{\partial A \rho u}{\partial y} = 0 \quad (2.1)$$

and

$$\frac{\partial \rho_v}{\partial t} + \frac{1}{A} \frac{\partial}{\partial y} A \left(\rho_v u + \frac{\rho_v \rho_l}{\rho} u_r \right) = \Gamma, \quad (2.2)$$

(2) the momentum equation,

$$\frac{\partial \rho u}{\partial t} + \frac{1}{A} \frac{\partial}{\partial y} A \left(\rho u^2 + \frac{\rho_v \rho_l}{\rho} u_r^2 \right) = - \frac{\partial p}{\partial y} + \rho g_y + f_{vis} \quad (2.3)$$

(3) and the internal energy equation,

$$\begin{aligned} \frac{\partial \rho I}{\partial t} + \frac{1}{A} \frac{\partial}{\partial y} A \left[\rho I u + \frac{\rho_v \rho_l}{\rho} (I_v - I_l) u_r \right] \\ = - \frac{p}{A} \frac{\partial}{\partial y} \cdot \left[u + \frac{\rho_v \rho_l}{\rho} \left(\frac{1}{\rho_v^0} - \frac{1}{\rho_l^0} \right) u_r \right] + K u_r^2 + W_{vis} + Q \end{aligned} \quad (2.4)$$

In these equations, the independent variables are time t and axial position y . The exchange functions for mass and momentum are Γ and K , respectively. The effects of wall heat transfer or bulk heating are described by the heat source function Q . Subscripts v and l refer to properties in the vapor and liquid states. Superscript zero on the densities refers to microscopic quantities, whereas densities without superscripts are macroscopic values. The microscopic and macroscopic densities are related through the void fraction as $\rho_v = \theta \rho_v^0$ and $\rho_l = (1 - \theta) \rho_l^0$, where θ is defined as

$$\theta = (\rho_l^0 - \rho + \rho_v) / \rho_l^0 \quad (2.5)$$

The axial component of the gravitational acceleration is denoted by g_y . The quantity A is the time-independent, cross-sectional area of the flow channel or pipe. In addition to representing variable area ducts, suitably defined A values may be used to represent cylindrical coordinates ($A = r$, the circumferential area per unit azimuthal angle), closed-off pipes ($A = 0$), or approximations for orifices, valves, and abrupt area changes. In the latter cases, local flow losses from rapid area changes are accounted for by adding the necessary pressure loss and energy dissipation to Eqs. (2.3) and (2.4) through the terms f_{vis} and W_{vis} . Pipe wall friction is treated similarly.

To complete these equations, constitutive relations and exchange rates must be specified. Considerable care must be exercised when defining these relations. The choices made are governed by the intended use of the code. The best choices are those that can be tested against suitable experimental data. Even with careful testing, however, the prejudices of different researchers often lead to different relations. In the following we describe one set of simple models used in the initial development of the SOLA-DF and SOLA-LOOP codes. These models are not the best possible and, therefore, should not be taken as invariant features of these codes. Instead, the codes are to be regarded as skeletons offering a numerical solution algorithm that will work with various choices.

B. Constitutive Relations

The equation of state in SOLA-LOOP is a relation that gives pressure as a function of density and internal energy. Although fits to steam table data could be inserted in the equation-of-state subroutines, for developmental purposes we chose a simpler approach. When the void fraction is below a small, predetermined value θ_c (typically $\theta_c = 0.001$), the fluid is assumed to be a pure liquid with the equation of state

$$p = p_0 + a^2 (\rho - \rho_l^0) \quad ,$$

where a is the speed of sound in the liquid phase and p_0 is chosen [see Eq. (2.6)] to ensure pressure continuity between the pure liquid and two-phase states when $\theta = \theta_c$. In the two-phase region $\theta > \theta_c$, the mixture pressure is equal to that of the vapor and is given by the polytropic gas equation

$$p = (\gamma - 1) \rho_v^0 I_v$$

These equations are combined into one equation

$$p = (\gamma - 1) \rho_v I_v / \theta^* + a^2 \rho_l^0 (\theta^* - \theta) \quad (2.6)$$

where

$$\theta^* = \begin{cases} \theta & \text{if } \theta \geq \theta_c \\ \theta_c & \text{if } \theta < \theta_c \end{cases}$$

For saturated conditions we have found that $\gamma = 1.07$ and $a^2 \approx 10^4 \text{ cm}^2/\text{ms}^2$ offer reasonable approximations for many reactor safety problems.

In Eqs. (2.4) and (2.6), separate values for vapor and liquid internal energies are required. Because the basic dependent energy variable is the mixture internal energy, a separate prescription must be given for determining the individual phase energies. Two prescriptions are used. In one the phases are considered to be at equal temperatures. In the other the vapor phase is considered to be saturated. For many applications there is little difference between the two because the large heat content of the liquid phase keeps the liquid temperature nearly invariant. For simplicity the vapor and liquid internal energies are specified as functions of the vapor and liquid temperatures as

$$I_v = E_v + C_v(T_v - T_0) - C_{v1}(T_v - T_0)^2$$

and

$$I_l = E_l + C_l(T_l - T_0) - C_{l1}(T_l - T_0)^2 \quad (2.7)$$

where E_v and E_l are the saturated internal energies at temperature T_0 , and C_v , C_l , C_{v1} , and C_{l1} are constants chosen to fit steam table data in the temperature range of interest. For example, in the system of units g, cm, K, and ms, the values $E_v = 2.506 \times 10^4$, $E_l = 0.4174 \times 10^4$, $C_v = 6.67$, $C_l = 44.34$, $C_{v1} = 0.0302$, and $C_{l1} = 0.0129$ are good approximations for temperatures up to about $T = 600 \text{ K}$.

For equal-phase temperatures, the mixture temperature can be computed from the mixture internal energy as the solution of a quadratic equation

$$\rho I = \rho_v I_v + \rho_l I_l \quad (2.8)$$

When the vapor is considered to be saturated, its temperature is determined from the mixture pressure by the relation

$$T_v = 255.2 + 117.8 p^{0.223} \quad (2.9)$$

where p is in bars. When the vapor temperature is known, one can easily compute the separate liquid and vapor internal energies and liquid temperature using Eqs. (2.7) and (2.8).

C. Momentum and Mass Exchange

An equation of motion for the relative velocity can be derived from equations that describe a complete two fluid model.

$$\frac{\partial u_r}{\partial t} + \frac{1}{2} \frac{\partial}{\partial y} u_r \left[2u + \frac{u_r}{\rho} (\rho_l - \rho_v) \right] = \left(\frac{1}{\rho_l} - \frac{1}{\rho_v} \right) \frac{\partial p}{\partial y} - \kappa \frac{\rho}{\rho_v \rho_l} u_r \quad (2.10)$$

The quadratic term in u_r , on the left side of Eq. (2.10), is neglected because it generally is small compared to the linear term. This significantly simplifies the numerical solution. Assuming the vapor is a dispersed phase of small bubbles when θ is small, or the liquid is a dispersed phase of small droplets when θ is large, we can estimate κ from the drag on an individual bubble (or droplet) times the number of bubbles (droplets) per unit volume N . The result is

$$\kappa = \frac{\rho S}{8\theta_1} \left(C_d |u_r| + \frac{12\nu}{r_o} \right), \quad (2.11)$$

where θ_1 and ν are functions of θ and the kinematic viscosities of the phases,

$$\theta_1 = \theta, \quad \nu = \nu_l (1 - \theta)^{-2.5} \quad \text{for } \theta \leq 0.5$$

$$\theta_1 = 1 - \theta, \quad \nu = \nu_v \theta^{-2.5} \quad \text{for } \theta > 0.5$$

Also, C_d is a drag coefficient (generally of order unity) and S is the surface area per unit volume of bubbles (droplets) with mean radius r_o .

$$S = \begin{cases} 3\theta/r_o & \text{for } \theta \leq 1/2 \\ 3(1 - \theta)/r_o & \text{for } \theta > 1/2 \end{cases} \quad (2.12)$$

The mean radius is related to the number density by the expressions

$$r_o = \left(\frac{3\theta}{4\pi N} \right)^{1/3} \quad \text{for } \theta \leq 1/2$$

$$r_o = \left[\frac{3(1 - \theta)}{4\pi N} \right]^{1/3} \quad \text{for } \theta > 1/2 \quad (2.13)$$

The bubble number N often is assumed to be a constant, independent of space and time. Because this is an approximation, it will not work when preferential nucleating sites exist or when significant bubble breakup or coalescence occurs. The following discussion on mass exchange describes how a locally variable N can sometimes be estimated in terms of a critical Weber number.

The form of the phase change model embodied in Γ is crucial if nonequilibrium effects are to be predicted correctly. The model described here is still being developed and is not yet sophisticated enough for use as a predictive tool without some adjustment. Nevertheless, it has

proved useful in numerous applications and is presented here to illustrate the types of considerations necessary in the development of such models.

If we define q as the interfacial heat flux, a simple energy balance shows that

$$\Gamma = \frac{qS}{\lambda},$$

where λ is the latent heat of vaporization and S is related to the bubble radius, r , according to $S = 3\theta/r$. The heat flux can be further defined as

$$q = k_l(T_l - T_s)/\ell,$$

where T_s is the saturation temperature and k_l is the thermal conductivity of the liquid whose bulk temperature is T_l . The length ℓ characterizes the thickness of the thermal boundary layer over which the liquid temperature changes from its interior, bulk value T_l to the value T_s , assumed to exist at the two-phase interface. Thus,

$$\Gamma = \frac{k_l(T_l - T_s)S}{\lambda\ell}. \quad (2.14)$$

For a single, nontranslating bubble growing in an infinite fluid region, Ref. 6 shows that $\ell = \ell_c$, where

$$\ell_c = r \left[\frac{6}{\pi} \frac{\rho_l^0 C_l |T_l - T_s|}{\rho_v^0 \lambda} \right]^{-1}.$$

In this expression r is the instantaneous bubble radius, which we define below.

When the bubbles are translating with respect to the surrounding liquid with speed U , then $\ell = \ell_u$. Moalem and Sideman⁷ give the general expression

$$\ell_u = r \left(\frac{\pi}{Re_b Pr} \right)^{1/2},$$

where $Re_b = 2rU\rho_l^0/\mu_l$ is the bubble Reynolds number, $Pr = C_l\mu_l/k_l$ is the liquid Prandtl number, and μ_l is the liquid shear viscosity. As the relative speed U increases, the length ℓ_u rapidly decreases below the value of ℓ_c , which represents stripping away of the thermal boundary layer by relative flow. In an attempt to combine both of these effects, we have defined ℓ as the reciprocal average of these limiting characteristic lengths,

$$\frac{1}{\ell} = \frac{1}{\ell_c} + \frac{1}{\ell_u}. \quad (2.15)$$

Equation (2.14), with ℓ defined by the above equation, is a vapor generation rate that includes both finite heat conduction and relative velocity effects. However, the model still requires the definition of r and U .

If the number of bubbles per unit volume is known, we can calculate the mean bubble radius by Eq. (2.13) and use $r = r_0$. Unfortunately, the number of bubbles generally does not remain constant in the dynamic flow environment because bubbles larger than a certain size will break

up. The maximum stable bubble radius, r_w , can be estimated in terms of a critical Weber number W_c ,

$$r_w = \frac{\sigma W_c}{2\rho_l^o U^2}, \quad (2.16)$$

where σ is the interfacial surface tension. The value of W_c often is taken as 4 for turbulent flow conditions.⁸ Thus, we define r as equal to the minimum of r_o and r_w and reserve N as an input parameter that defines the initial number of nucleating sites per unit volume (or more correctly, the minimum number of bubbles).

Finally, the relative speed U could be set equal to the magnitude of the average relative speed $|\underline{u}_r|$ between phases, but this would not account for local turbulent fluctuations that have been averaged out in the definition of \underline{u}_r . Fluctuations in \underline{u}_r can locally strip away the individual bubble thermal boundary layers and break up large bubbles. To account for such local effects we define

$$U = |\underline{u}_r| + \beta |\underline{u}|, \quad (2.17)$$

where \underline{u} is the mass averaged mixture velocity and β is a parameter that accounts for turbulent fluctuations. We might expect β to have a magnitude of 0.1 or less because large turbulent velocity fluctuations often have magnitudes as large as 10% of the mean velocities. In general, the best value of β must be determined by comparison with experimental data.

Again we stress that the vapor generation rate described above is preliminary and must be critically tested against various situations before it can be recommended for general use. Nevertheless, this model does include, as special cases, the models used by many other investigators. Also, it has produced good results in several different applications.

D. Flow Losses

Flow losses affect the momentum and energy of the flow through the terms f_{vis} and W_{vis} in Eqs. (2.3) and (2.4), respectively. The term f_{vis} accounts for both distributed losses, such as pipe wall friction, and local losses that occur at sudden area changes

$$f_{vis} = -\frac{f}{R} \left[\frac{\rho}{\rho_l^o} (1 - \psi) \Phi_{TP} \right]^2 \rho_l^o u^2 - \frac{f_1}{2} \rho_l^o u^2. \quad (2.18)$$

The friction coefficient f depends on the relative roughness (k/R) and the Reynolds number $Re = 2uR/\nu_l$

$$f = a + b Re^{-c}, \quad (2.19)$$

where

$$a = 0.026 (k/2R)^{0.225} + 0.133 (k/2R),$$

$$b = 22.0 (k/2R)^{0.44}, \text{ and}$$

$$c = 1.62 (k/2R)^{0.134},$$

and R is the hydraulic radius. The quantity ϕ_{TP} is a two-phase friction multiplier

$$\phi_{TP}^2 = (1 - \theta)^{-1.75} ,$$

and ψ accounts for the relative velocity effects

$$\psi = \rho_v [1 + (\rho - \rho_v) u_r / \rho u]^2 / \rho .$$

The coefficient f_l relates to the local losses and is given by

$$f_l = f(L/2R)/\Delta y , \quad (2.20)$$

where $(L/2R)$ is the number of hydraulic diameters of an equivalent straight channel and Δy is the segment length over which the loss occurs. The hydraulic radius can be specified as different from the component's geometric radius to treat flow through components with noncircular cross sections and to model the effects of internal structure. By suitably specifying the hydraulic radius in subroutine DEMXC and the number of flow passages CFRS, a simple model can be made of a steam generator or core that consists of a bundle of many small flow passages. The latter quantity is used to multiply the friction factor determined by Eq. (2.19).

The value of W_{vis} is determined from the rate of change of the fluid kinetic energy associated with the flow loss.

E. Wall Heat Flux

To represent heat exchanges in a core or steam generator, or to account for heat transfer with pipe walls, the code has a variable designated WT(J) that may be used as a wall temperature. The locally added or removed rate of heat energy Q can be input for segments as QJS(JS) or defined in terms of WT(J) in subroutine WALLT reserved for this purpose. Because the specification of wall heat flux is problem dependent, WALLT has been left blank.

III. NUMERICAL SOLUTION METHOD

Different schemes can be used to solve numerically the equations given in Sec. II, although each one will vary in accuracy, numerical stability, programming simplicity, flexibility, and computational efficiency. Unfortunately, these desirable traits are often mutually exclusive. For example, the use of implicit difference equations to achieve unconditional numerical stability can result in poor accuracy and generally requires more complex programming and more computer memory. Because different applications require different mixtures of the desirable features, the choice of an optimum solution algorithm rarely can be made. Thus, the choice of a numerical solution procedure generally requires a balance primarily between programming simplicity and the flexibility for future evolution vs stability, accuracy, and computational speed. Inevitably, the choice rests on the developer's experience and prejudices.

In the SOLA-LOOP code, we tried to keep the programming simple and to use a limited implicitness. In all cases, point relaxation methods rather than direct solvers were used for coupled sets of equations. Although point relaxation methods generally are recognized as simple, but inferior to direct methods for linear equation systems, this is not necessarily true for nonlinear equations where iterative methods are used. Point relaxation methods permit considerable

latitude for adding new features, changing boundary conditions, varying time steps, and making other substantial changes in the basic code to adapt it to new applications.

Additionally, the code is written in a modular form consisting of numerous subroutines that isolate individual logical and physical processes. This structure makes the code particularly easy to modify and extend for new applications.

The numerical algorithms used naturally separate into two classes: those used to solve the basic flow equations in a single, one-dimensional component and those used to couple the components into a network.

A. Mesh Construction for Components

The mesh for component I consists of JCEL(I) cells. In many components one typically uses a mesh of cells that have identical properties such as radius, length, etc. Sometimes a component may consist of a few uniform segments, but rarely are the cell properties in a component different in every cell. We took advantage of this typical mesh structure and built SOLA-LOOP so that its cells can be grouped into JSXI(I) segments having uniform properties. Thus, we do not have to store all the cell quantities for all the cells in the mesh. This generally leads to a considerable savings in storage and simplifies problem setups. If necessary, we can define different properties for every cell by making each cell a segment. The first two cells JB0 and JB1 and the last cell JT1 in the component are dummy or fictitious cells used to set boundary conditions and accomplish coupling of components (see Fig. 1). Two cells are needed at the beginning of a component to set boundary conditions because velocities are located at the cell boundaries. All other dependent variables are located at the cell centers. This staggered mesh arrangement is convenient for many of the finite difference approximations. Throughout this report we refer to the cell JB0 as the first or bottom cell and to the cell JT1 as the last or top cell in component I.

B. Solution Algorithm for Components

A calculation cycle is broken down into four tasks. First, the momentum equation, Eq. (2.3), is advanced explicitly in subroutine TILDE using the previous cycle values for evaluating all contributions. Next, an iteration is made in subroutine PITERP to replace the pressure used in the

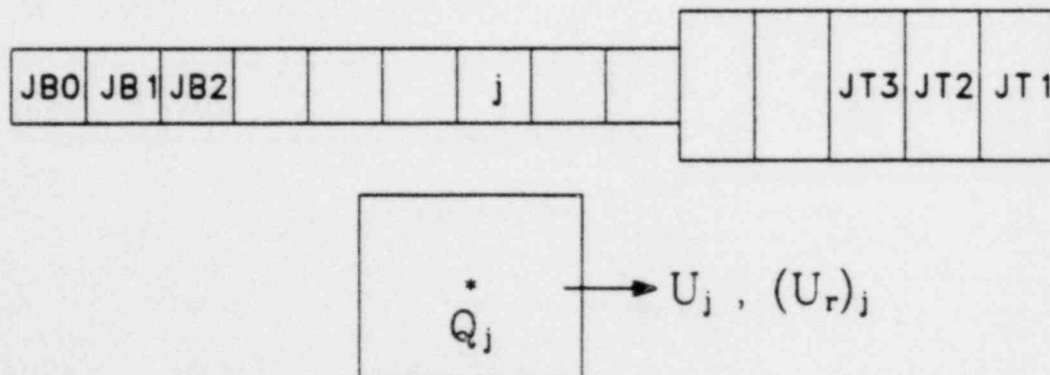


Fig. 1.

Arrangement of fictitious cells at the bottom and top of a component and location of dependent variables in cell j .

first task with advanced time values. An iteration is needed because the advanced pressures depend on the velocities being calculated. This part of the cycle contains the main implicitness of the numerical scheme. The pressure iteration permits sound waves to propagate more than one mesh cell per cycle. In fact, this scheme is a variant of the ICE technique,⁹ which may be used for very low speed (incompressible) flows as well as for high-speed flows that contain shock waves and rarefactions. The third task in a cycle, performed in subroutine UPDATP, is to update all other dependent variables. Finally, the fourth task consists of data output (subroutine DIAG), time step controls (subroutine TIMCT), and bookkeeping operations (subroutine RESET).

For a purely explicit calculation, the iteration making up the second task may be omitted by setting the input number IMP equal to zero. When two or more components are coupled, one iteration pass is made through each component during task two. This is followed by updating the boundary conditions that define the coupling between components (in subroutines JCTPIP and BC) before the next iteration pass is started.

A simple flagging scheme may be used to omit iterations in selected components when such iterations are not needed. For example, every component would be considered during the first iteration; those components satisfying the convergence test would be flagged to indicate that they should be omitted on a successive iteration. If the boundary conditions of any component were changed significantly during the coupling calculations, the flag would have to be set to start the iterations again. Such variations are particularly simple to implement with the point relaxation method.

1. Explicit Updating of Velocities. Before introducing finite difference approximations for the momentum equation, Eq. (2.3), it is first written in the equivalent differential form,

$$\frac{\partial u}{\partial t} + u \frac{\partial u}{\partial y} + \frac{1}{\rho A} \frac{\partial}{\partial y} \left(\frac{A \rho_v \rho_l}{\rho} u^2 \right) = - \frac{1}{\rho} \frac{\partial p}{\partial y} + g_y + \frac{1}{\rho} f_{vis}, \quad (3.1)$$

which is a carryover from previous codes in the SOLA series.¹⁰ Its advantage is that u^{n+1} , rather than $(\rho u)^{n+1}$, is calculated directly. Its disadvantage is that it is not in conservation form, so we do not get rigorous conservation of momentum in the difference approximation. However, when percentage changes in dependent variables from one cell to the next are not large, the nonconservation form of the momentum equation should not cause any problems. Although it probably would be beneficial to monitor the total momentum of the system to check the accuracy of Eq. (3.1), this has not been included in this version of the code. The difference equation used to approximate Eq. (3.1) is

$$\tilde{u}_j = u_j + \delta t \left[-FUX - FDU + \frac{2(p_j - p_{j+1})}{\rho_{j+\frac{1}{2}}(\delta y_j + \delta y_{j+1})} + g_y + \left(\frac{1}{\rho} f_{vis} \right)_j \right], \quad (3.2)$$

where $\rho_{j+\frac{1}{2}} = (\delta y_{j+1} \rho_j + \delta y_j \rho_{j+1}) / (\delta y_j + \delta y_{j+1})$ and \tilde{u}_j is the explicit estimate for u_j^{n+1} . Unless otherwise noted, the boundary value of cell-centered quantities is always defined by linear interpolation, as in $\rho_{j+\frac{1}{2}}$ used above. The indexing in Eq. (3.2) looks uncentered, but recall from Fig. 1 that u_j refers to the velocity at the boundary between cells j and $j+1$. All terms on the right side of Eq. (3.2) are evaluated in subroutine TILDE using time level n quantities. The convective fluxes are defined as

$$FUX = \frac{1}{2} \left\{ u_j \left[(u_j - u_{j-1}) / \delta y_j + (u_{j+1} - u_j) / \delta y_{j+1} \right] \right. \\ \left. + \alpha |u_j| \left[(u_j - u_{j-1}) / \delta y_j - (u_{j+1} - u_j) / \delta y_{j+1} \right] \right\}$$

and

$$\begin{aligned} \text{FDU} = & \frac{1}{\rho_{j+\frac{1}{2}}(A_j + A_{j+1})(\delta y_j + \delta y_{j+1})} \left(A_{j+1} \left(\frac{\rho_v \rho_\ell}{\rho} \right)_{j+1} \left\{ [(u_r)_j + (u_r)_{j+1}]^2 \right. \right. \\ & + \alpha |(u_r)_j + (u_r)_{j+1}| [(u_r)_j - (u_r)_{j+1}] \left. \left. \right\} - A_j \left(\frac{\rho_v \rho_\ell}{\rho} \right)_j \left\{ [(u_r)_{j-1} + (u_r)_j]^2 \right. \right. \\ & \left. \left. - \alpha |(u_r)_{j-1} + (u_r)_j| [(u_r)_{j-1} - (u_r)_j] \right\} \right) . \end{aligned}$$

The parameter α , shown in the convective fluxes, gives a variable amount of upstream differencing. When α is zero, the approximations reduce to the usual centered differenced form; however, this results in an unstable algorithm.¹¹ When α is unity, the approximations are the so-called donor cell or fully upstream (or upwind) difference expressions, which are stable provided fluid does not convect through more than one mesh cell in one time step. In general, numerical stability is expected (see Ref. 11) when α is chosen such that

$$\alpha > \max \left[\left(\frac{u \delta t}{\delta y} \right), \frac{\rho_v \rho_\ell u_r \delta t}{\rho^2 \delta y} \right] .$$

2. Implicit Pressure Calculation. In this part of the calculational cycle the n level pressures in Eq. (3.2) are replaced by approximations for the $n + 1$ level pressures. This is done for components in subroutine PITERP by solving for the pressure in each cell that satisfies the implicit equation

$$F = p - f(\bar{\rho}, \bar{\rho}_v, \bar{I}) = 0 , \quad (3.3)$$

where $f(\bar{\rho}, \bar{\rho}_v, \bar{I})$ is the equation of state that was evaluated using

$$\bar{\rho} = \rho^n / (1 + D) ,$$

$$\bar{\rho}_v = \rho_v^n / (1 + D) ,$$

and

$$\bar{I} = I^n - \frac{p^n}{\rho^n} D , \quad (3.4)$$

where D is an approximation to cell volume change per unit volume

$$D = \frac{\delta t}{A} \frac{\partial}{\partial y} Au \approx \frac{1}{A_j} \frac{\delta}{\delta y_j} (A_{j+\frac{1}{2}} u_j - A_{j-\frac{1}{2}} u_{j-1}) . \quad (3.5)$$

For the cell boundary areas, instead of a linearly interpolated value we prefer to use a combined geometric and arithmetic average

$$A_{j+\frac{1}{2}} = 2A_j A_{j+1} / (A_j + A_{j+1}) \quad (3.6)$$

because $A_{j+1/2}$ vanishes when either A_j or A_{j+1} is zero. The $n + 1$ level velocities must be used to evaluate D , that is,

$$u_j^{n+1} = \tilde{u}_j - \frac{2\delta t}{\rho_{j+1/2}(\delta y_j + \delta y_{j+1})} (p_{j+1} - p_{j+1}^n - p_j + p_j^n). \quad (3.7)$$

Because the $n + 1$ level velocities depend on p , the implicit nature of Eq. (3.3) is obvious. The pressure that satisfies Eqs. (3.3)-(3.7) is not quite p^{n+1} because convective fluxes are omitted from the estimates of the new densities $\bar{\rho}$, $\bar{\rho}_v$, and energy \bar{I} . The pressure would be equal to p^{n+1} if the rest of the equations were in Lagrangian form. The difference is not significant, however, because for every cycle the iteration is always trying to drive p to its equation-of-state value. In this sense p is a stored variable and is not identically equal to the equation-of-state value unless the iterations are omitted and an explicit calculation is used. Note that densities and energies are not actually changed during the iteration, because Eq. (3.4) is used only to estimate the new values. To solve Eqs. (3.3)-(3.7) a local Newton-Raphson procedure is followed, in which an estimate is needed for $\partial F/\partial p$ in each cell. In SOLA-LOOP, estimates for these values are computed at the beginning of each cycle in subroutine RESET by a numerical differentiation and the values are stored. Once the iteration begins, new values are computed and stored after each iteration. In summary, the following steps are performed for a single cell j .

- a. Compute D according to Eq. (3.5) using the most updated values of u from Eq. (3.7).
- b. Compute $\bar{\rho}$, $\bar{\rho}_v$, and \bar{I} from Eq. (3.4).
- c. Evaluate the equation-of-state function and calculate $\delta p = -F/(\partial F/\partial p)_j$.
- d. Replace p_j with $p_j + \delta p$, and u_j and u_{j-1} with

$$u_j = u_j + \frac{2\delta t \delta p}{\rho_{j+1/2}(\delta y_j + \delta y_{j+1})}$$

and

$$u_{j-1} = u_{j-1} - \frac{2\delta t \delta p}{\rho_{j-1/2}(\delta y_{j-1} + \delta y_j)}$$

Continue this iteration process until all cells satisfy the convergence test

$$\left| \frac{p - f(\bar{\rho}, \bar{\rho}_v, \bar{I})}{p + f(\bar{\rho}, \bar{\rho}_v, \bar{I})} \right| < \epsilon,$$

where ϵ is typically equal to 0.001.

3. Updating of Remaining Variables. After completing the implicit portion of the cycle, new time values for the remaining variables are ~~re~~ computed in subroutine UPDATP. The mixture density changes only by convection,

$$\rho_j^{n+1} = \rho_j - \frac{\delta t}{A_j \delta y_j} [A_{j+1/2} (\rho u)_{j+1/2} - A_{j-1/2} (\rho u)_{j-1/2}], \quad (3.8)$$

where

$$(\rho u)_{j+\frac{1}{2}} = \frac{1}{2} \left[u_j (\rho_j + \rho_{j+1}) + \alpha |u_j| (\rho_j - \rho_{j+1}) \right]$$

$$(\rho u)_{j-\frac{1}{2}} = \frac{1}{2} \left[u_{j-1} (\rho_{j-1} + \rho_j) + \alpha |u_{j-1}| (\rho_{j-1} - \rho_j) \right]$$

Quantities on the right side of Eq. (3.8) are evaluated using n level values for ρ and the available $n + 1$ level values of u .

The mixture energy equation then is approximated by

$$I_j^{n+1} = \frac{1}{\rho_j^{n+1}} \left(\rho_j I_j + \delta t \left\{ -FUV - FUL - FWK \right. \right. \\ \left. \left. + \frac{1}{4} K_j \left[(u_r)_j + (u_r)_{j-1} \right]^2 + (W_{vis})_j + Q_j \right\} \right) \quad (3.9)$$

where

$$FUV = \frac{1}{A_j \delta y_j} \left[A_{j+\frac{1}{2}} (\rho_v I_v u_v)_{j+\frac{1}{2}} - A_{j-\frac{1}{2}} (\rho_v I_v u_v)_{j-\frac{1}{2}} \right]$$

$$FUL = \frac{1}{A_j \delta y_j} \left[A_{j+\frac{1}{2}} (\rho_l I_l u_l)_{j+\frac{1}{2}} - A_{j-\frac{1}{2}} (\rho_l I_l u_l)_{j-\frac{1}{2}} \right]$$

This formulation separates the convective fluxes into vapor and liquid contributions where

$$\left(\rho_v I_v u_v \right)_{j+\frac{1}{2}} = \frac{1}{2} \left\{ (u_v)_j \left[(\rho_v I_v)_j + (\rho_v I_v)_{j+1} \right] \right. \\ \left. + \alpha |u_v| \left[(\rho_v I_v)_j - (\rho_v I_v)_{j+1} \right] \right\}$$

and similarly for $(\rho_l I_l u_l)_{j+\frac{1}{2}}$, where the vapor and liquid velocities used in these expressions are defined as

$$(u_v)_j = u_j + (\rho_l)_{j+\frac{1}{2}} (u_r)_j / \rho_{j+\frac{1}{2}} \quad (3.10)$$

$$(u_l)_j = u_j - (\rho_v)_{j+\frac{1}{2}} (u_r)_j / \rho_{j+\frac{1}{2}}$$

Corresponding expressions for the $j - 1/2$ boundary are obtained by replacing j with $j - 1$ in the above definitions.

The pressure work term in Eq. (3.9) is approximated as

$$FWK = \frac{p_j}{A_j \delta y_j} \left(A_{j+\frac{1}{2}} \left\{ u_j + \left[\frac{(\rho_v)_{j+\frac{1}{2}} - \rho_{j+\frac{1}{2}} + \rho_{\ell}^0}{\rho_{\ell}^0} \right] - \frac{(\rho_v)_{j+\frac{1}{2}}}{\rho_{j+\frac{1}{2}}} (u_r)_j \right\} \right. \\ \left. - A_{j-\frac{1}{2}} \left\{ u_{j-1} + \left[\frac{(\rho_v)_{j-\frac{1}{2}} - \rho_{j-\frac{1}{2}} + \rho_{\ell}^0}{\rho_{\ell}^0} \right] - \frac{(\rho_v)_{j-\frac{1}{2}}}{\rho_{j-\frac{1}{2}}} (u_r)_{j-1} \right\} \right)$$

Quantities on the right side of Eq. (3.9) are evaluated using n level values for ρ , ρ_v , and I , whereas $n + 1$ level values are used for u , p , and the overall divisor ρ_j . Finally, the vapor density is updated as

$$(\rho_v)_j^{n+1} = (\rho_v)_j + \delta t (-FRU + \Gamma_j), \quad (3.11)$$

where

$$FRU = \frac{1}{A_j \delta y_j} \left[A_{j+\frac{1}{2}} (\rho_v u_v)_{j+\frac{1}{2}} - A_{j-\frac{1}{2}} (\rho_v u_v)_{j-\frac{1}{2}} \right]$$

and

$$\rho_v u_v_{j+\frac{1}{2}} = \frac{1}{2} \left\{ (u_v)_j \left[(\rho_v)_j + (\rho_v)_{j+1} \right] + \alpha |u_v|_j \left[(\rho_v)_j - (\rho_v)_{j+1} \right] \right\}$$

The $j - 1/2$ boundary flux is obtained by replacing j with $j - 1$ in the above expression.

Care must be taken when approximating the vapor source term Γ . When the mixture is not at equilibrium and the relaxation rate is fast, Γ can be large and Eq. (3.11) may be numerically unstable. To avoid this, the densities in Γ should be evaluated at level $n + 1$. For general formulations of Γ , use of an iterative technique to solve Eq. (3.11) generally is necessary. Subroutine UPDATP provides such an iteration for the Γ given by Eq. (2.14). There is, however, another more serious problem that can arise when phase transitions are important. Because the effect of Γ is included at the end of a calculation cycle, its influence on the pressure, and hence the dynamics, is not accounted for in the implicit pressure iteration. Therefore, some inaccuracies can be introduced in the propagation of compression and rarefaction waves when a large phase change occurs during a single time step. A large phase change also may drive the equation-of-state pressure far from the value obtained in the pressure iteration; excessive iterations, therefore, may be required to solve the implicit equation in the next time cycle. In extreme cases, the iteration may not even converge. This problem can be eliminated by using sufficiently small time increments, δt , although this sometimes leads to long computing times. A better solution, used recently in the multidimensional code K-FIX (see Ref. 2), is to incorporate Γ into the implicit portion of the cycle. Basically, the idea is to include Γ in Eq. (3.4) for the estimated new time vapor density. Because this more complicated formulation is not in SOLA-LOOP, the user should check his results for time-step dependence (accuracy) by performing a smaller time step calculation when necessary.

Thermodynamic equilibrium calculations can be achieved by using a large phase change rate, or by replacing the vapor density equation with a calculation of the saturated vapor density and

using an equilibrium equation of state. The latter procedure often is preferable because it effectively puts Γ into the pressure iteration.

C. Component Boundary Conditions

Various types of boundary conditions may be used at the ends of the one-dimensional component meshes. Prescribed velocities or pressures, together with densities and temperatures, may be used to represent inlet and exit conditions. For example, a guillotine break in a reactor system pipe can be represented by assigning the ambient pressure in the containment structure to the end of the pipe. The closed end of a pipe or a closed valve is a common boundary condition requiring a prescribed velocity of zero. Other boundary conditions that can be specified are uniform or gradient-free outflow and periodic boundaries in which the bottom and top of a component are joined together. As described in Sec. II, abrupt area changes in axially aligned pipes can be approximated through the variable area terms in the equations of motion. However, when the pipes are joined together in elbows or when more than two flow regions are coupled at a common junction, special coupling equations must be solved to get the appropriate boundary conditions for each component.

All component boundary conditions are located in subroutines BC and JCTPIP, which make changes or additions an easy task. The conditions available in these subroutines will be illustrated by considering only the JB0 (bottom) end of a component. The $j = JT1$ end conditions are analogous.

1. Prescribed Velocity. A prescribed zero velocity for $u(JB1)$ at the bottom of component I is obtained by setting $LB\emptyset T(I) = 1$ or 2. A nonzero or time-varying prescription can be obtained easily by a modification to subroutine BC. When $u(JB1)$ is not zero, one must also define values for the pressure $PB(M)$, the void fraction $THB(M)$, and the temperature $TEMB(M)$ as boundary data set M, and assign $MB\emptyset T(I) = M$.

2. Uniform Outflow. A uniform or gradient-free outflow boundary condition at the bottom boundary of component I can be specified by setting $LB\emptyset T(I) = 3$. Use of this boundary condition requires the additional specification of $PB(M)$, $THB(M)$, $TEMB(M)$, and the assignment of $MB\emptyset T(I) = M$.

3. Periodic Coupling. The top and bottom boundaries of component I can be joined together through the periodic boundary condition specified by setting $LBOT(I) = 4$.

4. Prescribed Pressure. When pressure is prescribed at the JB0 end it must be for cell JB1. The $u(JB0)$ is set equal to $u(JB1)$ so that fluid can flow freely into or out of the specified pressure region. Values must be specified for $PB(M)$, $THB(M)$, and $TEMB(M)$ with $MB\emptyset T(I) = M$. This boundary condition is activated by setting $LB\emptyset T(I) = 5$.

5. Coupling Two or More Components. This boundary condition is less well defined than the preceding ones because the multidimensional effects that occur at a junction, where several one-dimensional regions join, cannot be included in detail. The following description outlines the formulation now available in SOLA-LOOP to couple components into a network.

D. Mesh Construction for a Junction Cell

A junction cell is a three-dimensional rectangular control volume that can join up to four components in a plane, as shown in Fig. 2. The planar dimensions of junction cell K are δx_k and δy_k . Flow in the third dimension is not permitted. This restriction allows the use of a two-dimensional

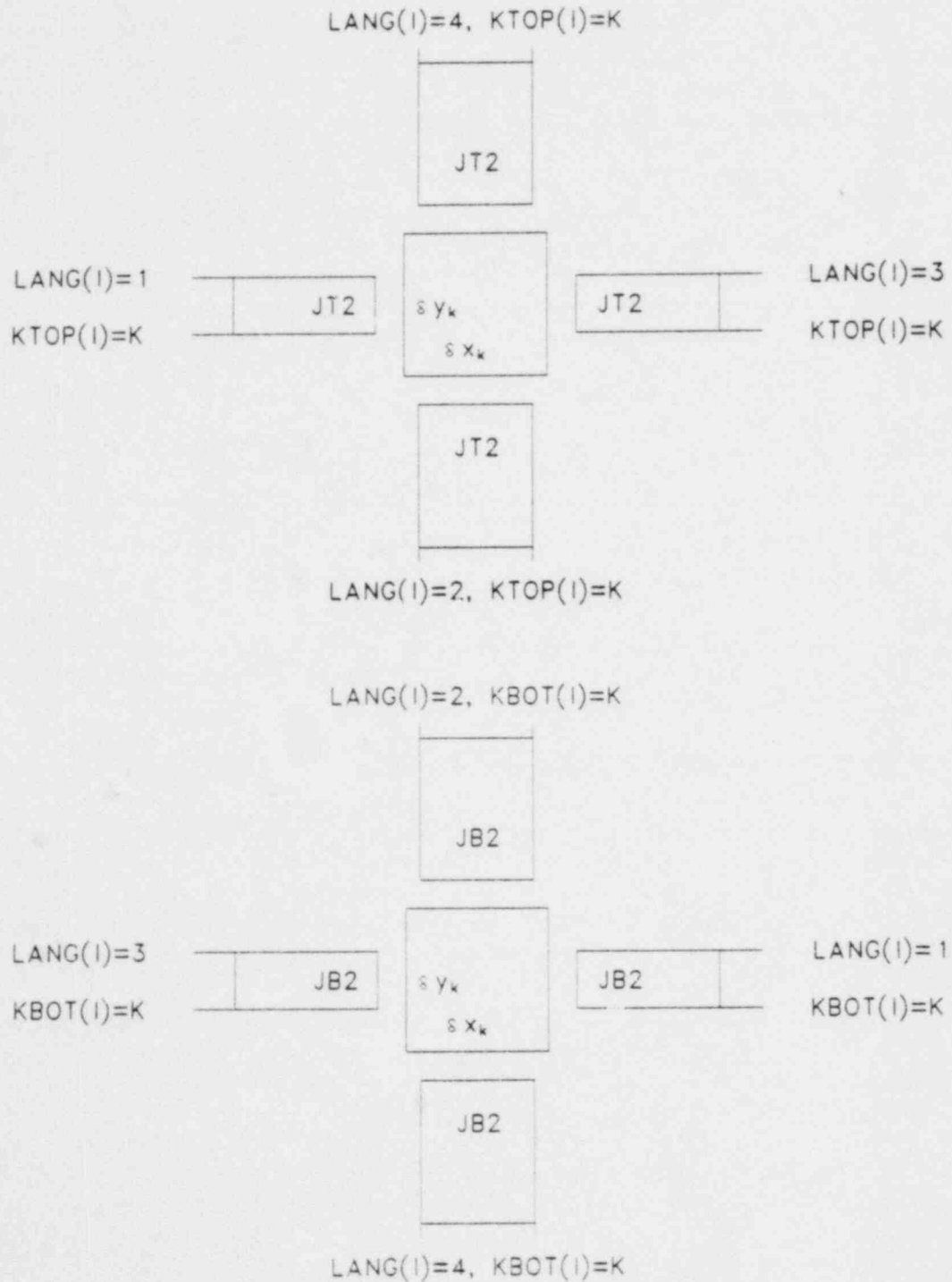


Fig. 2.
Junction cell orientation for component coupling.

rather than a three-dimensional solution algorithm for the junction cell. A one-dimensional component may be attached perpendicular to any of the four faces of the junction, but only one component is allowed per face and components opposite one another must have the same cross-sectional areas at the junction. If no components are attached to a given junction face, it is treated as a rigid wall boundary. The quantities LANG(I), KBOT(I), and KTOP(I) (Fig. 2) provide the information that identifies which component ends are connected to which junction faces.

The coupling of a junction cell and two or more components is accomplished by making the junction cell the neighboring cell to the JB2 or JT2 cells that belong to the adjoining ends of the components. The JB1 or JT1 fictitious cells at the adjoining ends overlap the junction cell. The centers of the overlapping cells coincide with the center of the junction cell so that cell-centered quantities in the junction cell and cells JB1 and JT1 are identical. Furthermore, the boundaries of the overlapping cells on which velocities are stored coincide with the boundaries of the junction cell so that velocities on the common boundaries are identical.

E. Solution Algorithm for a Junction Cell

Junction cell values are calculated using the two-dimensional analogues of the one-dimensional equations of motion, Eqs. (2.1)-(2.4). Likewise, the difference equations for junction cells are the two-dimensional counterparts of the one-dimensional finite difference equations. The only instance in which the two-dimensionality is not maintained is in the cross convection of momentum. Because a one-dimensional component can have momentum only in its axial direction, we cannot allow momentum entering the right or left side of a junction to be convected into components connected to the top or bottom of the junction.

The planar dimensions δx_k and δy_k of junction cell K are calculated automatically by the code from the adjoining component cross-sectional areas and cell sizes. The junction cell size is calculated to provide comparable resolution to that in the adjoining components. To ensure the coincidence between the junction and fictitious cell centers and boundaries, an additional segment is added automatically to the end of the component that adjoins the junction cell. This additional segment contains the required one or two fictitious cells, depending on which end of the component it is added to, and one real cell. Inclusion of this real cell, however, slightly increases the component's overall length. If this is of concern, one can obtain a better approximation of the actual length by specifying input data that are one cell short of the desired length (two cells short if junctions exist at both ends of the components).

The subroutines used to update the junction variables are similar to those used to update components. The implicit pressure iteration is performed in PITERJ, and the remaining variables are updated in UPDATJ. Before entering the junction part of a calculation, junction boundary conditions are computed from the attached components in the subroutine PIPJCT. After the junction computations are finished, their new values are used to get new boundary conditions for the attached components by subroutine JCTPIP.

F. Variable Time Steps and Subcycling

Network systems often contain low-speed flow with slowly varying properties in one region and high-speed flow or flow that requires a finely detailed description in another region. The variable time stepping and subcycling provisions in SOLA-LOOP are designed specifically for such systems to provide efficient and accurate calculations.

SOLA-LOOP contains provisions that allow the use of different time steps for integration in each component and junction cell in the network. Because the time steps can be significantly different in the various components, one component may be integrated several time steps to keep pace with one time integration in another component. This subcycling feature provides the time integration accuracy only where it is specifically needed, which significantly enhances the overall computational efficiency. The time steps are determined by numerical stability requirements and other user-specified conditions.

For numerical stability the time step in each component and junction is limited by the flux criterion that $u\delta t/\delta y(\delta x) \leq 1.0/STABC$, where typically $STABC = 4$. The time steps determined according to this criterion in subroutine TIMCT are then increased or decreased by 1%. The direction of this adjustment is determined by the relative ease of the previous time integration of the system. If fewer than five system iterations were required, the time steps are increased; otherwise, they are decreased. The time step for the system generally is closely related to the maximum time step determined for the components and junctions. The system time step DELTØ is not a computational time step, but rather provides a time level toward which all the components and junctions are integrated simultaneously. The system time step is increased or decreased by 1%, based on the relative ease of the previous system integration and the number of subcycles used. The system time step is increased if the number of subcycles is fewer than that specified as NSUBDT, otherwise it is decreased.

IV. INPUT DATA, COMMON VARIABLES, AND SUBROUTINES AND FORTRAN FUNCTIONS

The input data, COMMON variables, and subroutines and FORTRAN functions in SOLA-LOOP are listed and described in this section. The input quantities are tabulated and defined separately; they also appear in the COMMON variable lists and are identified there simply as an input quantity. The descriptions of the input and COMMON variables, although brief, hopefully will assist the user in relating the methodology, described in Sec. III, to its implementation in the code.

A. Input Data

<u>Default Value</u>	<u>FORTRAN Symbol</u>	<u>Algebraic Symbol</u>	<u>Definition</u>
1.0	ALPHA	α	Parameter that determines the amount of upstream differencing in the convective flux terms. Equal to one gives full donor cell differencing.
1.234×10^4	ASQ	a^2	Square of the speed of sound for the liquid phase.
10^4	BNUM	N	Representative bubble (or droplet) number density per cubic centimeter used in phase change and interfacial friction model.

Default Value	FORTTRAN Symbol	Algebraic Symbol	Definitior
0.50	CDG	C_d	Drag coefficient used in the interfacial friction model.
0.0	CFRL(I,IS)	f_i	Local flow loss coefficient for component I, segment IS [see Eqs. (2.18) and (2.20)].
1.0	CFRS(I,IS)	---	Number of flow passages through component I, segment IS.
44.34	CHL	C_l	Coefficient of the linear term in the liquid internal energy function.
0.0129	CHL1	C_{l1}	Coefficient of the quadratic term in the liquid internal energy function.
6.67	CHV	C_v	Similar to CHL but for the vapor energy function.
0.0302	CHV1	C_{v1}	Similar to CHL1 but for the vapor energy function.
100.0	DELSTP	---	Time interval in milliseconds between mass flux prints.
1.0×10^{-4}	DELT	δt	Starting time step for the calculation.
0.0	DFVEL	---	Program control parameter that determines whether the relative velocity is to be calculated (DFVEL = 1.) or set to zero (DFVEL = 0.).
0.0	DPRST	---	Print delay interval, output begins at time $T = TSTART + DPRST$.
500.0	DTWPRT	---	Time interval between successive prints (subroutine DIAG).
0.0	DXS(I,IS)	δx	Radius of component I, segment IS.
0.0	DYS(I,IS)	δy	Cell length in component I, segment IS.

Default Value	FORTTRAN Symbol	Algebraic Symbol	Definition
4.174×10^8	ECL	E_l	Constant in the liquid internal energy function.
2.506×10^8	ECV	E_v	Similar to ECL but for the vapor energy function.
1.6×10^{-4}	EDL	---	Ratio of the thermal conductivity to the specific heat for the liquid.
1.6×10^{-7}	EDV	---	Ratio of the thermal conductivity to the specific heat for the vapor.
1.76×10^4	ELHT	λ	Latent heat of vaporization.
0.001	EPSI	ϵ	Pressure iteration convergence test parameter.
1.0	ETEM	---	Liquid and vapor phases are maintained at equal temperatures if ETEM = 1.0; if ETEM = 0.0, the vapor temperature is maintained equal to the saturation temperature at the local pressure.
0.07	GAM1	$(\gamma-1)$	Parameter in the equation of state.
0.0	GYS(I,IS)	g_y	Component of gravitational acceleration in component I, segment IS.
1	IDXS(I,IS)	---	IDXS(I,IS) = 1 when the hydraulic radius and the geometric radius DXS are the same in component I, segment IS. Otherwise, IDXS(I,IS) = 2 and the user must furnish the appropriate hydraulic radius in function DEMXC.
1.0	IMP	---	Program control parameter whose value determines whether an implicit (IMP = 1) or explicit (IMP = 0) solution method is used.

<u>Default Value</u>	<u>FORTTRAN Symbol</u>	<u>Algebraic Symbol</u>	<u>Definition</u>
1	JMHI(I)	---	Determines the index JMH of the last cell whose edge quantities are to be computed in component I. $JMH = JT1 - JMHI(I)$.
1	JMLI(I)	---	Determines the index JML of the first cell whose edge quantities are to be computed in component I. $JML = JB0 + JMLI(I)$.
1	JPBI(I)	---	Determines the index JPB of the first cell whose centered quantities are to be computed in component I. $JPB = JB1 + JPBI(I)$.
1	JPTI(I)	---	Determines the index JPT of the last cell whose centered quantities are to be computed in component I. $JPT = JT1 - JPTI(I)$.
0	KBØT(I)	---	Number of junction connected to the bottom of pipe I. A zero value indicates an isolated end.
0	KTØP(I)	---	Number of junction connected to the top of pipe I. A zero value indicates an isolated end.
0	LANG(I)	---	Parameter that indicates the orientation of component I (see Fig. 2).
0	LBØT(I)	---	Parameter that indicates the type of boundary conditions to be applied at the bottom of component I when it is an isolated end (see Sec. III.C).
0	LTØP(I)	---	Similar to LBØT(I) except for an isolated top end.
0	MBØT(I)	---	Parameter that specifies the boundary data set (if applicable) for the bottom end of component I.

<u>Default Value</u>	<u>FORTTRAN Symbol</u>	<u>Algebraic Symbol</u>	<u>Definition</u>
0	MTØP(I)	---	Similar to MBØT(I) except for the top end of component I.
0	NJS(I,IS)	---	Number of real cells in component I, segment IS. NJS values adjusted in subroutine INPUT automatically account for fictitious cells, as required.
1	NSUBDT	---	Desired number of subcycles (see Sec. III.F).
1.0	ØMG	---	Relaxation parameter for the calculation of δp in the pressure iteration. A value of $\text{ØMG} = 1.7$ often improves the rate of convergence for low Mach number flows.
1.0	PHCH	---	Parameter whose value determines whether phase change is computed ($\text{PHCH} = 1$) or omitted ($\text{PHCH} = 0$).
0.0	PB(M)	---	Pressure associated with boundary data set M.
0.0	PI(I)	---	Initial pressure in component I.
0.0	QJS(I,IS)	Q	Rate of change of internal energy density in component I, segment IS caused by heat addition.
0.0	RG	k	Pipe wall roughness.
0.958	RL	ρ_l^0	Microscopic density of the liquid.
4.0	STABC	---	Stability control constant in time step determination, $\Delta t \leq 1/\text{STABC} \delta y/u$.
10^{20}	TBRA(N)	---	Time at which calculation is to be interrupted and input data changed.

<u>Default Value</u>	<u>FORTRAN Symbol</u>	<u>Algebraic Symbol</u>	<u>Definition</u>
373.0	TC	T_0	Reference temperature for liquid and vapor internal energy functions.
0.0	TEMB(M)	---	Temperature associated with boundary data set M.
0.0	TEMI(I)	---	Initial temperature for component I.
0.0	THB(M)	---	Void fraction associated with boundary data set M.
0.001	THC	θ_c	Void fraction below which the fluid is treated as pure liquid.
0.0	THI(I)	---	Initial void fraction for component I.
0.0	TSTART	---	Initial time for the problem.
10^4	TWFIN	---	Time when the problem is complete.
0.0	TWSTP	---	Time at which mass flux prints begin.
0.0	VIS(LIS)	---	Initial velocity in component I, segment IS.
3.0×10^{-4}	VISL	ν_l	Kinematic viscosity of the liquid.
2×10^{-4}	VISV	ν_v	Kinematic viscosity of the vapor.

B. COMMON Variables

<u>FORTRAN Symbol</u>	<u>Algebraic Symbol</u>	<u>Definition</u>
ALPHA	α	Input quantity
ASQ	a^2	Input quantity
BNUM	N	Input quantity
CDG	C_d	Input quantity

FORTRAN Symbol	Algebraic Symbol	Definition
CHL	C_t	Input quantity
CHL1	C_{t1}	Input quantity
CHV	C_v	Input quantity
CHV1	C_{v1}	Input quantity
CPI	π	Constant π
CYCLE	---	Counter advanced by one for each minimum time step calculated.
DELSTP	---	Input quantity
DELT	δt	Input quantity
DELTO	---	System time step—usually equal to NSUBDT \times DTMN.
DFVEL	---	Input quantity
DPRST	---	Input quantity
DTMN	---	Smallest time step for components and junctions.
DTWPRT	---	Input quantity
ECL	E_t	Input quantity
ECV	E_v	Input quantity
EDL	---	Input quantity
EDV	---	Input quantity
ELHT	λ	Input quantity
EPSI	ϵ	Input quantity
ETEM	---	Input quantity
FLG	---	Iteration logic control flag.
GAM1	$(\gamma-1)$	Input quantity
IBREAK	---	Counter for number of interrupts to change input data.
IL	---	Total number of components.
IMP	---	Input data
ISTEP	---	Counter for number of subcycles to advance solution one system time step.
ITER	---	Counter for number of iterations between junctions and components to achieve convergence during one system time step.
JB0	---	Index of first fictitious cell at bottom of a component.
JB1	---	Index of second fictitious cell at bottom of a component.
JB2	---	Index of first real cell at bottom of a component.
JMH	---	Index of last cell whose edge quantities are computed for a given component.
JML	---	Index of first cell whose edge quantities are computed for a given component.
JPB	---	Index of first cell whose centered quantities are computed for a given component.

FORTRAN Symbol	Algebraic Symbol	Definition
JPT	---	Index of last cell whose centered quantities are computed for a given component.
JT1	---	Index of fictitious cell at top of a component.
JT2	---	Index of last real cell at top of a component.
KDØ	---	Index for adjacent cell's edge quantities when top of component I is coupled to the junction and LANG(I) = 1, or when bottom of component I is coupled to the junction and LANG(I) = 3.
KMØ	---	Index for adjacent cell's centered quantities when top of component I is coupled to the junction and LANG(I) = 1, or when bottom of component I is coupled to the junction and LANG(I) = 3.
KØD	---	Index for adjacent cell's edge quantities when top of component I is coupled to the junction and LANG(I) = 2, or when bottom of component I is coupled to the junction and LANG(I) = 4.
KØM	---	Index for adjacent cell's centered quantities when top of component I is coupled to the junction and LANG(I) = 2, or when bottom of component I is coupled to the junction and LANG(I) = 4.
KØØ	---	Index for cell's centered quantities in the junction cell.
KØP	---	Index for adjacent cell's centered quantities when top of component I is coupled to the junction and LANG(I) = 4, or when bottom of component I is coupled to the junction and LANG(I) = 2.
KØU	---	Index for adjacent cell's edge quantities when top of component I is coupled to the junction and LANG(I) = 4, or when bottom of component I is coupled to the junction and LANG(I) = 2.
KPØ	---	Index for adjacent cell's centered quantities when top of component I is coupled to the junction and LANG(I) = 3, or when bottom of component I is coupled to the junction and LANG(I) = 1.
KL	---	Total number of junctions.
KTØU	---	Logic control parameter; KTØU = 1 if there are no junction cells; otherwise, KTØU = 2.
KUØ	---	Index for adjacent cell's edge quantities when top of component I is coupled to the junction and LANG(I) = 3, or when bottom of component I is coupled to the junction and LANG(I) = 1.
ML	---	Total number of boundary data sets.
NSUBDT	---	Input quantity
ØMG	---	Input quantity

FORTRAN Symbol	Algebraic Symbol	Definition
PHCH	---	Input quantity
PNV	---	$4/3 \pi N$
PRST	---	Input quantity
RG	k	Input quantity
RØL	ρ_L^0	Input quantity
SDTC	---	Internal time step control parameter similar to STABC.
T	---	Problem time
TC	T_0	Input quantity
THC	θ_c	Input quantity
THC1	---	$1.0 - \theta_c$
TIMA	---	Advanced system time toward which time step controller attempts to bring all junction and component times.
TSTART	---	Input quantity
TWFIN	---	Input quantity
TWPRT	---	Problem time for next print.
TWSTP	---	Input quantity
VISL	ν_L	Input quantity
VISV	ν_V	Input quantity
BETA(J)	$(\partial F/\partial p)_J^{-1}$	Reciprocal derivative of pressure function given by Eq. (3.3).
BETAK(K)	$(\partial F/\partial p)_K^{-1}$	Similar to BETA(J) but for junctions.
DTIM(I)	δt_I	Time step for component I.
DTIMK(K)	δt_K	Time step for junction K.
DXK(K)	δx_K	Dimension of junction cell K.
DXKC(K)	---	Temporary storage for value of DXK(K).
DYK(K)	δy_K	Dimension of junction cell K.
DYKC(K)	---	Temporary storage for values of DYK(K).
E(J)	I_J^{n+1}	Time n + 1 specific internal energy for component cells.
EB(M)	---	Specific internal energy for boundary data set M.
EINC(I)	---	Initial specific internal energy for component I.
EK(K)	I_K^{n+1}	Time n + 1 specific internal energy for junction K.
EKC(K)	---	Initial specific internal energy for junction K.
EN(J)	I_J^n	Time n specific internal energy for component cells.
ENK(K)	I_K^n	Time n specific internal energy for junction K.
GAM(K)	---	Geometry dependent computational parameter for junctions.
IBØT(I)	---	Logic control parameter for bottom end of component I; IBØT(I) = 1 for an isolated end and 2 if end is coupled to a junction.
ITOP(I)	---	Similar to IBØT(I) but for top end of component I.
JCEL(I)	---	Number of cells in component I, including the three fictitious cells.

FORTTRAN Symbol	Algebraic Symbol	Definition
JMHI(I)	---	Input quantity
JMLI(I)	---	Input quantity
JPBI(I)	---	Input quantity
JPTI(I)	---	Input quantity
JREF(I)	---	Reference value used to calculate value of JB0 for component I.
JSF(J)	---	Single subscript used to obtain doubly subscripted quantities.
JSXI(I)	---	Number of segments in component I.
KBØT(I)	---	Input quantity
KTØP(K)	---	Input quantity
LANG(I)	---	Input quantity
LBØT(I)	---	Input quantity
LTØP(I)	---	Input quantity
MBØT(I)	---	Input quantity
MTØP(I)	---	Input quantity
P(J)	p_j	Pressure for component cell J.
PB(M)	---	Input quantity
PK(N)	---	Pressure (five per junction) associated with junction K.
PI(I)	---	Input quantity
RØ(J)	ρ_j^{n+1}	Time n + 1 mixture density for component cell J.
RØB(M)	---	Mixture density for boundary data set M.
RØINC(I)	---	Initial mixture density for cells in component I.
RØK(N)	---	Time n + 1 mixture densities (five per junction) associated with junction K.
RØKC(K)	---	Temporary storage for initial mixture density in junction cell K.
RØN(J)	ρ_j^n	Time n mixture density for component cell J.
RØNK(N)	ρ_k^n	Time n mixture densities (five per junction) associated with junction cell K.
RV(J)	$(\rho_v)_j^{n+1}$	Time n + 1 macroscopic vapor density for component J.
RVB(M)	---	Macroscopic vapor density for boundary data set M.
RVINC(I)	---	Initial macroscopic vapor density for cells in component I.
RVK(N)	$(\rho_v)_k^{n+1}$	Time n + 1 macroscopic vapor densities (five per junction) associated with junction cell K.
RVKC(K)	---	Temporary storage for initial macroscopic vapor densities in junction cell K.
RVN(J)	$(\rho_v)_j^n$	Time n macroscopic vapor density for component cell J.

FORTTRAN Symbol	Algebraic Symbol	Definition
RVNK(N)	---	Time n macroscopic vapor densities (five per junction) associated with junction cell K.
TBRA(I)	---	Input quantity
TEMB(M)	---	Input quantity
TEMI(I)	---	Input quantity
TEMK(K)	---	Input quantity
THB(M)	---	Input quantity
THI(I)	---	Input quantity
THK(K)	---	Input quantity
TIM(I)	---	Time level for component I.
TIMK(K)	---	Time level for junction K.
V(J)	u_j^{n+1}	Time n + 1 center of mass velocity for component cell J.
VD(J)	$(u_r)_j^{n+1}$	Time n + 1 relative velocity for component cell J.
VDK(N)	---	Time n + 1 relative velocities (four per junction) associated with junction cell K.
VK(N)	---	Time n + 1 center of mass velocities (four per junction) associated with junction cell K.
VN(J)	u_j^n	Time n center of mass velocity for component cell J.
VNK(N)	---	Time n center of mass velocities (four per junction) associated with junction cell K.
VP(J)	Γ_j	Vapor production rate for component cell J.
VPK(K)	Γ_k	Vapor production rate for junction cell K.
WT(J)	---	Wall temperature for component cell J.
CFRS(I,IS)	---	Input quantity
DXS(I,IS)	δx_j	Input quantity
DYS(I,IS)	δy_j	Input quantity
GYS(I,IS)	g_j	Input quantity
IDXS(I,IS)	---	Input quantity
NJS(I,IS)	---	Input quantity
QJS(I,IS)	Q_j	Input quantity
VIS(I,IS)	---	Input quantity

C. Subroutines and FORTRAN Functions

ADVANCE	Control program to advance calculation one time step.
ARAV	Defines cell center and edge cross-sectional areas.
BC	Implements specified boundary conditions.
BREAK	Controls calculation interrupt for specification of new input data.
DEMXC	Defines hydraulic radius for components.
DIAG	Control program for printing component and junction cell solution quantities.

DIAGA	Control program to print component times and time increments.
DIAGB	Control program to print mass fluxes at component ends.
DRIFT	Calculates relative velocity between phases.
ELCAL	Calculates liquid internal energy.
EVCAL	Calculates vapor internal energy.
FRIC	Calculates effects of distributed and local friction.
INFNC	Calculates initial state-equation variables.
INPUT	Sets default values, reads and prints input data.
JCTØ	Initializes junction cell data storage arrays.
JCTPIP	Shifts updated junction cell variables to appropriate component cell data arrays.
JSET	Sets indexes required for component cell computations.
KSET	Sets indexes required for junction cell computations.
LØGCPR	Prints program logic control and storage index parameters.
PCAL	Computes pressure from equation of state.
PIPJCT	Shifts updated component cell variables to appropriate junction cell arrays.
PITERJ	Determines $n + 1$ pressures and velocities for junction cells by an iterative procedure.
PITERP	Determines $n + 1$ pressures and velocities for component cells by an iterative procedure.
PSET	Sets component and junction cell pressure arrays from equations of state—used with explicit solution method.
PUMP	Provides capability for specifying a pump model.
RBBNCAL	Calculates bubble (or droplet) radius from number density and void fraction.
RBWNCAL	Calculates critical bubble (or droplet) radius from Weber number.
RESET	Resets cell data arrays for next time step and computes relaxation coefficient $\partial F/\partial p$.
RVCAL	Computes vapor density from vapor equation of state.
SETUP	Sets program constants, initializes cell variable arrays, and prints processed quantities.
SPCAL	Computes saturated pressure from temperature.
STCAL	Computes saturated temperature from pressure.
TEMC	Computes fluid mixture temperature.
THCAL	Computes void fraction from equation of state for $\theta < \theta_c$.
TILDE	Computes time $n + 1$ velocity estimates for all cells.
TINCT	Computes time steps for all components and junctions.
VDKCAL	Computes momentum exchange function.
VDKFCAL	Computes derivative of momentum exchange function with respect to relative velocity.
VPRØ	Computes vapor production rate.

V. EXAMPLE PROBLEM

To verify proper implementation of the SOLA-LOOP code on a user's computing system, an example problem is included. A schematic of the problem geometry is shown in Fig. 3. A constant pressure pump ($p = 7.5$ MPa) induces flow of a 500 K liquid through a single branching system into a pressurized vessel ($p = 7.0$ MPa). The flow is calculated until steady state is achieved. A guillotine break is then made in one of the line branches at its vessel connection and a portion of the blowdown transient is calculated. Figure 4 shows the dimensions and computational zoning for the pipe system, which contains three components and one junction. The bottom end of component (pipe) 1, which is connected to the vessel, is treated as an isolated end with a constant pressure outflow boundary condition. At the time of the break the boundary condition will be changed to ambient conditions to reflect the pipe's separation from the vessel. The top end of pipe 1 and the bottom ends of pipes 2 and 3 are connected to the junction. The top end of pipe 2 remains connected to the vessel during the entire calculation and is described by an isolated constant pressure outflow boundary. The top end of pipe 3 is treated as an isolated constant pressure inflow boundary to simulate the pump.

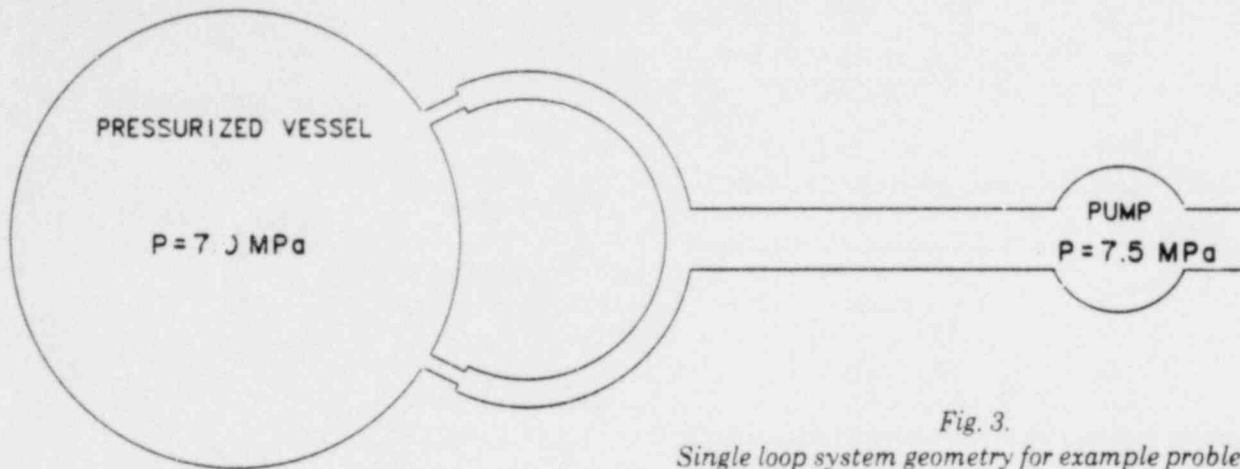


Fig. 3.
Single loop system geometry for example problem.

The input data that specify the problem are as follows. Recall that the pipe cells adjacent to the junction are furnished automatically by the code to provide a compatible coupling with the automatically sized junction cell.

DXS(1,1) = 3.5	DXS(1,2) = 5.0	DXS(2,1) = 5.0
DXS(2,2) = 3.5	DXS(3,1) = 7.5	DYS(1,1) = 5.25
DYS(1,2) = 22.5	DYS(2,1) = 22.5	DYS(2,2) = 5.25
DYS(3,1) = 23.75	EDL = 1.36×10^{-4}	EDV = 1.67×10^{-7}
ELHT = 1.83×10^4	KBØT(2) = 1	KBØT(3) = 1
KTØP(1) = 1	LANG(1) = 2	LANG(2) = 2
LANG(3) = 1	LBØT(1) = 5	LTØP(2) = 5
LTØP(3) = 5	MBØT(1) = 1	MTØP(2) = 1
MTØP(3) = 2	NJS(1,1) = 5	NJS(1,2) = 4
NJS(2,1) = 4	NJS(2,2) = 5	NJS(3,1) = 8
NSUBDT = 5	PB(1) = 70.0	PB(2) = 75.0
PI(1) = 72.0	PI(2) = 72.0	PI(3) = 73.0
RG = 0.05	RØL = 0.83	TBRA(1) = 2000.0
TEMB(1) = 500.	TEMB(2) = 500.	TEMI(1) = 500.
TEMI(2) = 500.	TEMI(3) = 500.	TWFIN = 3000.
VISL = 1.4×10^{-4}	VISV = 1.2×10^{-4}	

At 2.0 s, when the break in pipe 1 occurs, the input data are changed to include the following values.

DELT = 1.0×10^{-4}	MBØT(1) = 3	PB(3) = 1.0
TEMB(3) = 373.	THB(3) = 0.995	

The input data and other processed data and logic control parameters are listed in Table I as part of the standard output. Note that the size and initial data for the junction cell have been determined automatically by the code. Also note that an additional segment has been added to the top of pipe 1, which contains one real and one fictitious cell. This additional real cell alters the pipe length slightly and the user should be cognizant of this in the input data specification. Additional segments are similarly added to the bottom ends of pipes 2 and 3. These segments each contain two fictitious cells and one real cell. The data that specify the initial states in the

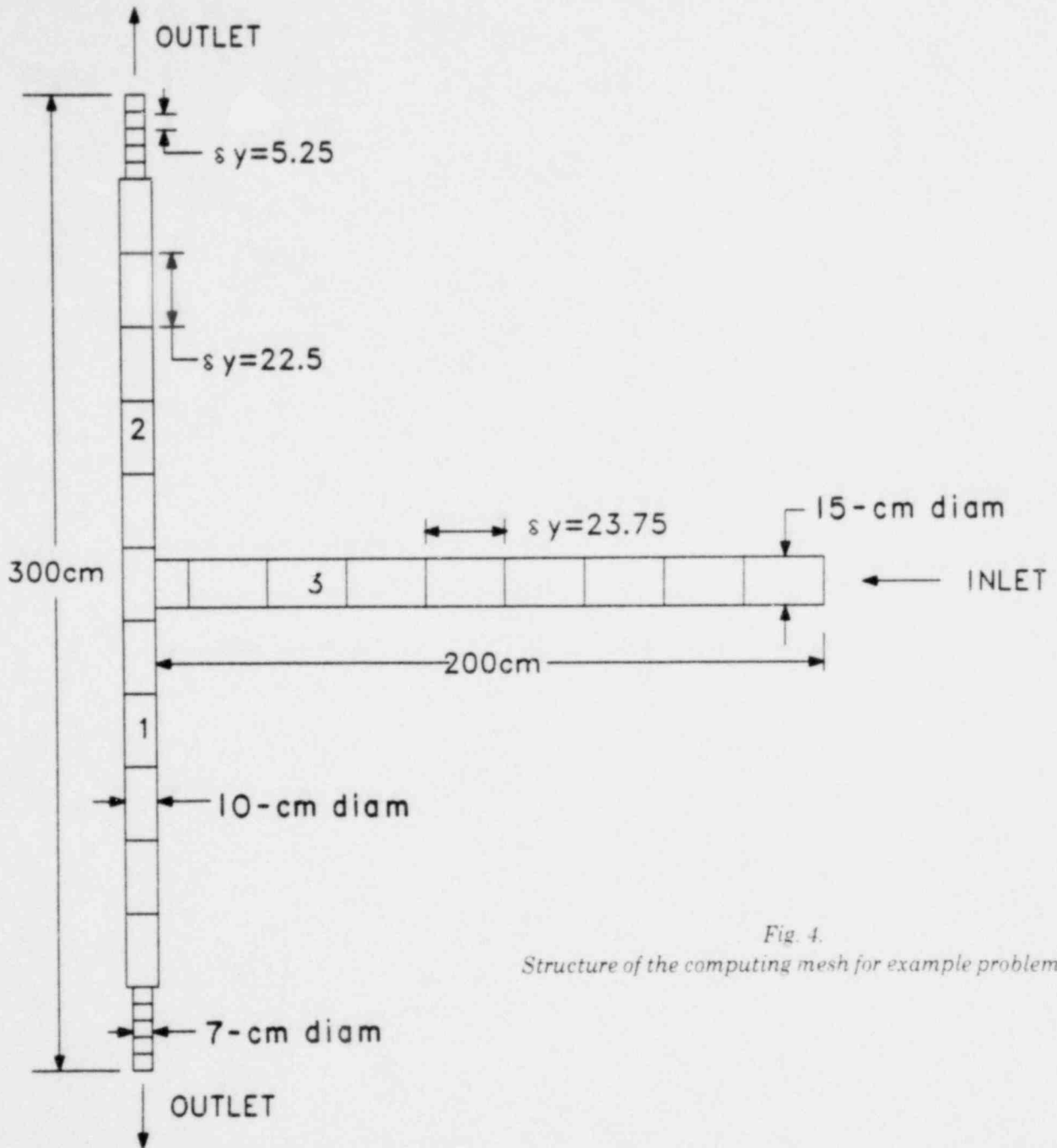


Fig. 4.
Structure of the computing mesh for example problem.

components and junctions are printed in Table II as the CYCLE = 0, TIME = 0 solution. The solution after one system time step is given in Table III to provide the user with an immediate check. The steady state solution at 2 s just before the break in pipe 1 is given in Table IV. The solution during the blowdown transient at 0.5 s after the break is given in Table V.

TABLE I
EXAMPLE PROBLEM INPUT DATA

PROBLEM TITLE * CODE CENTER EXAMPLE JULY 6, 1978 SOLA-LOOP

INPUT CONSTANTS

ALPHA = 1.000000E+00
 ASQ = 1.234000E+04
 BNUM = 1.000000E+04
 CDG = 5.000000E-01
 CHL = 4.434000E+01
 CHL1 = 1.290000E-02
 CHV = 6.670000E+00
 CHV1 = 3.020000E-02
 CPI = 3.1415927E+00
 DELT = 1.000000E-03
 DELSTP = 1.000000E+02
 DFVEL = 0.
 DPRST = 0.
 DTWPRT = 5.000000E+02
 ECL = 4.174000E+03
 ECV = 2.506000E+04
 EDL = 1.420000E-06
 EDV = 1.680000E-07
 ELHT = 1.873000E+04
 EPSI = 1.000000E-03
 ETEM = 1.000000E+00
 GAMI = 7.000000E-02
 IMP = 1.000000E+00
 NSUBOT = 2
 OMC = 1.000000E+00
 PHCH = 1.000000E+00
 RG = 4.000000E-03
 ROL = 8.454000E-01
 STABC = 4.000000E+00
 TC = 3.730000E+02
 THC = 1.000000E-03
 TSTART = 0.
 TWFIN = 2.600000E+03
 TWSTP = 0.
 VISL = 1.500000E-06
 VISV = 1.800000E-05

BOUNDARY CONDITION INPUT ML = 3

M	TEMB	PB	THB
1	4.890000E+02	7.200000E+01	0.
2	4.890000E+02	7.500000E+01	0.
3	3.730000E+02	1.000000E+00	9.950000E-01

TABLE I (cont)

PIPE INPUT IL * 3

I	JCEL	LANG	JSXI	TEMI	PI	THI
1	9	2	2	4.8900000E+02	7.2000000E+01	0.
2	9	2	2	4.8900000E+02	7.2000000E+01	0.
3	8	1	1	4.8900000E+02	7.2000000E+01	0.

JOINT QUANTITIES KL * 1

K	DXK	OYK	TEMK	PK	THK
1	1.0000000E+01	2.2500000E+01	4.8900000E+02	7.2000000E+01	0.

MLSH DEPENDENT PROPERTIES

I	JS	NJS	IDXS	DXS	OYS	VIS	OYS	CFRL	CFRS	QJS
1	1	7	1	3.5000000E+00	5.2500000E+00	0.	0.	0.	1.0000000E+00	0.
1	2	4	1	5.0000000E+00	2.2500000E+01	0.	0.	0.	1.0000000E+00	0.
1	3	2	1	5.0000000E+00	2.2500000E+01	0.	0.	0.	1.0000000E+00	0.
2	1	3	1	5.0000000E+00	2.2500000E+01	0.	0.	0.	1.0000000E+00	0.
2	2	4	1	5.0000000E+00	2.2500000E+01	0.	0.	0.	1.0000000E+00	0.
2	3	6	1	3.5000000E+00	5.2500000E+00	0.	0.	0.	1.0000000E+00	0.
3	1	3	1	7.5000000E+00	1.0000000E+01	0.	0.	0.	1.0000000E+00	0.
3	2	9	1	7.5000000E+00	2.3750000E+01	0.	0.	0.	1.0000000E+00	0.

PROCESSED INITIAL STATE VARIABLES

M	TEMB	PB	THB	ROB	RVB	EB
1	4.8900000E+02	7.2000000E+01	0.	8.4865406E-01	1.2114162E-05	9.1440900E+03
2	4.8900000E+02	7.5000000E+01	0.	8.4869717E-01	1.2114162E-05	9.1440900E+03
3	3.7300000E+02	1.0000000E+00	9.9500000E-01	4.7942101E-03	5.6721012E-04	6.6450537E+03

I	TEMI	PI	THI	ROINC	RVINC	EINC	JSXI	JCEL
1	4.8900000E+02	7.2000000E+01	0.	8.4865406E-01	1.2114162E-05	9.1440900E+03	3	13
2	4.8900000E+02	7.2000000E+01	0.	8.4865406E-01	1.2114162E-05	9.1440900E+03	3	13
3	4.8900000E+02	7.2000000E+01	0.	8.4865406E-01	1.2114162E-05	9.1440900E+03	2	12

K	TEMK	PK	THK	ROKC	RVKC	EKC
1	4.8900000E+02	7.2000000E+01	0.	8.4865406E-01	1.2114162E-05	9.1440900E+03

TABLE I (cont)

LOGIC PRINT

I	JREF	JCEL	JMLI	JMH1	JPBI	JPTI	KBOT	KTOP	LBOT	LTOP	MBOT	MTOP	JB1	JT1	IBOT	ITOP
1	0	13	1	1	1	1	0	1	5	0	1	0	2	13	1	2
2	13	13	1	1	1	1	1	0	0	5	0	1	15	26	2	1
3	26	12	1	1	1	1	1	0	0	5	0	2	28	38	2	1

IP IS J JSF(J)

1	1	1	1
1	1	2	1
1	1	3	1
1	1	4	1
1	1	5	1
1	1	6	1
1	1	7	1
1	2	8	11
1	2	9	11
1	2	10	11
1	2	11	11
1	3	12	21
1	3	13	21
2	1	14	2
2	1	15	2
2	1	16	2
2	2	17	12
2	2	18	12
2	2	19	12
2	2	20	12
2	3	21	22
2	3	22	22
2	3	23	22
2	3	24	22
2	3	25	22
2	3	26	22
3	1	27	3
3	1	28	3
3	1	29	3
3	2	30	13
3	2	31	13
3	2	32	13
3	2	33	13
3	2	34	13
3	2	35	13
3	2	36	13
3	2	37	13
3	2	38	13

TABLE II

EXAMPLE PROBLEM INITIAL DATA

PROBLEM TITLE = CODE CENTER EXAMPLE JULY 6, 1978 SOLA-LOOP

ITER= 0 TIME= 0. DELTO= 1.00000E-03 DTMN= 1.00000E-03 CYCLE= 0 ISTEP= 0
 TIM(1)=-1.00000E-06 DTIM(1)= 0. TIM(2)=-1.00000E-06 DTIM(2)= 0.
 TIM(3)=-1.00000E-06 DTIM(3)= 0.
 TIMK(1)=-1.00000E-06 DTIMK(1)= 0.

I	J	V	VD	P	RO	VP		
1	2	0.	0.	7.2000E+01	8.4865E-01	0.		
1	3	0.	0.	7.2000E+01	8.4865E-01	0.		
1	4	0.	0.	7.2000E+01	8.4865E-01	0.		
1	5	0.	0.	7.2000E+01	8.4865E-01	0.		
1	6	0.	0.	7.2000E+01	8.4865E-01	0.		
1	7	0.	0.	7.2000E+01	8.4865E-01	0.		
1	8	0.	0.	7.2000E+01	8.4865E-01	0.		
1	9	0.	0.	7.2000E+01	8.4865E-01	0.		
1	10	0.	0.	7.2000E+01	8.4865E-01	0.		
1	11	0.	0.	7.2000E+01	8.4865E-01	0.		
1	12	0.	0.	7.2000E+01	8.4865E-01	0.		
1	13	0.	0.	7.2000E+01	8.4865E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
1	2	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	3	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	4	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	5	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	6	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	7	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	8	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	9	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	10	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	11	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	12	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	13	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
I	J	V	VD	P	RO	VP		
2	15	0.	0.	7.2000E+01	8.4865E-01	0.		
2	16	0.	0.	7.2000E+01	8.4865E-01	0.		
2	17	0.	0.	7.2000E+01	8.4865E-01	0.		
2	18	0.	0.	7.2000E+01	8.4865E-01	0.		
2	19	0.	0.	7.2000E+01	8.4865E-01	0.		
2	20	0.	0.	7.2000E+01	8.4865E-01	0.		
2	21	0.	0.	7.2000E+01	8.4865E-01	0.		
2	22	0.	0.	7.2000E+01	8.4865E-01	0.		
2	23	0.	0.	7.2000E+01	8.4865E-01	0.		
2	24	0.	0.	7.2000E+01	8.4865E-01	0.		
2	25	0.	0.	7.2000E+01	8.4865E-01	0.		
2	26	0.	0.	7.2000E+01	8.4865E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
2	15	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	16	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	17	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	18	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	

TABLE II (cont)

2	19	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	20	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	21	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	22	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	23	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	24	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	25	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	26	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
1	J	V	VD	P	RO	VP	

3	28	0.	0.	7.2000E+01	8.4865E-01	0.	
3	29	0.	0.	7.2000E+01	8.4865E-01	0.	
3	30	0.	0.	7.2000E+01	8.4865E-01	0.	
3	31	0.	0.	7.2000E+01	8.4865E-01	0.	
3	32	0.	0.	7.2000E+01	8.4865E-01	0.	
3	33	0.	0.	7.2000E+01	8.4865E-01	0.	
3	34	0.	0.	7.2000E+01	8.4865E-01	0.	
3	35	0.	0.	7.2000E+01	8.4865E-01	0.	
3	36	0.	0.	7.2000E+01	8.4865E-01	0.	
3	37	0.	0.	7.2000E+01	8.4865E-01	0.	
3	38	0.	0.	7.5000E+01	8.4890E-01	0.	

1	J	RV	E	TH	TEM	TSAT	WT
3	28	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	29	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	30	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	31	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	32	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	33	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	34	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	35	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	36	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	37	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	38	1.2114E-05	9.1441E+03	-4.1224E-03	4.8900E+02	5.6372E+02	0.

K	P	RO	RV	E	VP
1	7.2000000E+01	8.4865406E-01	1.2114162E-05	9.1440900E+03	0.

TABLE III

EXAMPLE PROBLEM SOLUTION AFTER ONE CYCLE

PROBLEM TITLE = CODE CENTER EXAMPLE JULY 6, 1978 SOLA-LOOP

ITER= 1 TIME= 1.00000E-03 DELTO= 1.01000E-03 DTMN= 1.01000E-03 CYCLE= 1 ISTEP= 1
 TIM(1)= 9.99000E-04 DTIM(1)= 1.01000E-03 TIM(2)= 9.99000E-04 DTIM(2)= 1.01000E-03
 TIM(3)= 9.99000E-04 DTIM(3)= 1.01000E-03
 TIMK(1)= 9.99000E-04 DTIMK(1)= 1.01000E-03

I	J	V	VD	P	RO	VP		
1	2	5.0012E-15	0.	7.2000E+01	8.4865E-01	0.		
1	3	0.	0.	7.2000E+01	8.4865E-01	0.		
1	4	0.	0.	7.2000E+01	8.4865E-01	0.		
1	5	0.	0.	7.2000E+01	8.4865E-01	0.		
1	6	0.	0.	7.2000E+01	8.4865E-01	0.		
1	7	0.	0.	7.2000E+01	8.4865E-01	0.		
1	8	0.	0.	7.2000E+01	8.4865E-01	0.		
1	9	0.	0.	7.2000E+01	8.4865E-01	0.		
1	10	0.	0.	7.2000E+01	8.4865E-01	0.		
1	11	0.	0.	7.2000E+01	8.4865E-01	0.		
1	12	4.7631E-17	0.	7.2000E+01	8.4865E-01	0.		
1	13	2.2148E-15	0.	7.2000E+01	8.4865E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
1	2	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	3	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	4	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	5	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	6	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	7	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	8	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	9	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	10	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	11	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	12	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
1	13	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
I	J	V	VD	P	RO	VP		
2	15	2.2148E-15	0.	7.2000E+01	8.4865E-01	0.		
2	16	0.	0.	7.2000E+01	8.4865E-01	0.		
2	17	0.	0.	7.2000E+01	8.4865E-01	0.		
2	18	0.	0.	7.2000E+01	8.4865E-01	0.		
2	19	0.	0.	7.2000E+01	8.4865E-01	0.		
2	20	0.	0.	7.2000E+01	8.4865E-01	0.		
2	21	0.	0.	7.2000E+01	8.4865E-01	0.		
2	22	0.	0.	7.2000E+01	8.4865E-01	0.		
2	23	0.	0.	7.2000E+01	8.4865E-01	0.		
2	24	-9.6962E-15	0.	7.2000E+01	8.4865E-01	0.		
2	25	-5.0012E-15	0.	7.2000E+01	8.4865E-01	0.		
2	26	-5.0012E-15	0.	7.2000E+01	8.4865E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
2	15	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	16	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	17	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	
2	18	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.	

TABLE III (cont)

2	19	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	20	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	21	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	22	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	23	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	24	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	25	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
2	26	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
1	J	V	VD	P	RO	VP	

3	28	4.9834E-15	0.	7.2000E+01	8.4865E-01	0.	
3	29	0.	0.	7.2000E+01	8.4865E-01	0.	
3	30	0.	0.	7.2000E+01	8.4865E-01	0.	
3	31	0.	0.	7.2000E+01	8.4865E-01	0.	
3	32	0.	0.	7.2000E+01	8.4865E-01	0.	
3	33	0.	0.	7.2000E+01	8.4865E-01	0.	
3	34	0.	0.	7.2000E+01	8.4865E-01	0.	
3	35	0.	0.	7.2000E+01	8.4865E-01	0.	
3	36	-3.1972E-09	0.	7.2000E+01	8.4865E-01	0.	
3	37	-1.4882E-04	0.	7.2000E+01	8.4865E-01	0.	
3	38	-1.4882E-04	0.	7.5000E+01	8.4890E-01	0.	

1	J	RV	E	TH	TEM	TSAT	WT
3	28	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	29	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	30	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	31	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	32	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	33	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	34	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	35	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	36	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	37	1.2114E-05	9.1441E+03	-3.8348E-03	4.8900E+02	5.6092E+02	0.
3	38	1.2114E-05	9.1441E+03	-4.1224E-03	4.8900E+02	5.6372E+02	0.

K	P	RO	RV	E	VP
1	7.2000000E+01	8.4865406E-01	1.2114162E-05	9.1440900E+03	0.

TIME = 1.00000E-03

PIPE 1	BOTTOM MASS FLUX =	1.63340E-13	TOP MASS FLUX =	3.17474E-15
PIPE 2	BOTTOM MASS FLUX =	1.47625E-13	TOP MASS FLUX =	-1.63340E-13
PIPE 3	BOTTOM MASS FLUX =	7.47353E-13	TOP MASS FLUX =	-2.23246E-02

TABLE IV

EXAMPLE PROBLEM SOLUTION AT INSTANT OF PIPE BREAK

PROBLEM TITLE = CODE CENTER EXAMPLE JULY 6, 1978 SOLA-LOOP

ITER= 1 TIME= 2.00107E+03 DELTO= 1.00000E-02 DTMN= 1.00000E-02 CYCLE= 4213 ISTEP= 2
 TIM(1)= 2.00038E+03 DTIM(1)= 6.60176E-01 TIM(2)= 2.00038E+03 DTIM(2)= 6.60176E-01
 TIM(3)= 2.00104E+03 DTIM(3)= 1.00000E-02
 TIMK(1)= 2.00104E+03 DTIMK(1)= 1.00000E-02

I	J	V	VD	P	RO	VP		
1	2	-1.8785E+00	0.	1.0000E+00	8.4834E-01	0.		
1	3	-1.8818E+00	0.	7.1837E+01	8.4834E-01	0.		
1	4	-1.8862E+00	0.	7.1682E+01	8.4825E-01	0.		
1	5	-1.8919E+00	0.	7.1572E+01	8.4828E-01	0.		
1	6	-1.8965E+00	0.	7.1542E+01	8.4845E-01	0.		
1	7	-1.4136E+00	0.	7.2352E+01	8.4865E-01	0.		
1	8	-9.2938E-01	0.	7.2777E+01	8.4872E-01	0.		
1	9	-9.2942E-01	0.	7.2851E+01	8.4874E-01	0.		
1	10	-9.3044E-01	0.	7.2934E+01	8.4877E-01	0.		
1	11	-9.3303E-01	0.	7.3072E+01	8.4880E-01	0.		
1	12	-9.3738E-01	0.	7.3309E+01	8.4884E-01	0.		
1	13	9.3587E-01	0.	7.4583E+01	8.4893E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
1	2	1.2106E-05	9.1444E+03	-3.4647E-03	4.8901E+02	3.7300E+02	0.	
1	3	1.2106E-05	9.1444E+03	-3.4647E-03	4.8901E+02	5.6077E+02	0.	
1	4	1.2105E-05	9.1443E+03	-3.3616E-03	4.8901E+02	5.6062E+02	0.	
1	5	1.2105E-05	9.1443E+03	-3.3923E-03	4.8900E+02	5.6052E+02	0.	
1	6	1.2108E-05	9.1443E+03	-3.5956E-03	4.8900E+02	5.6049E+02	0.	
1	7	1.2111E-05	9.1443E+03	-3.8291E-03	4.8900E+02	5.6126E+02	0.	
1	8	1.2112E-05	9.1443E+03	-3.9150E-03	4.8900E+02	5.6166E+02	0.	
1	9	1.2112E-05	9.1442E+03	-3.9417E-03	4.8900E+02	5.6173E+02	0.	
1	10	1.2112E-05	9.1442E+03	-3.9714E-03	4.8900E+02	5.6180E+02	0.	
1	11	1.2113E-05	9.1442E+03	-4.0070E-03	4.8900E+02	5.6193E+02	0.	
1	12	1.2113E-05	9.1442E+03	-4.0534E-03	4.8900E+02	5.6216E+02	0.	
1	13	1.2115E-05	9.1442E+03	-4.1649E-03	4.8900E+02	5.6334E+02	0.	
I	J	V	VD	P	RO	VP		
2	15	9.3569E-01	0.	7.4583E+01	8.4893E-01	0.		
2	16	9.3040E-01	0.	7.3412E+01	8.4889E-01	0.		
2	17	9.2938E-01	0.	7.3276E+01	8.4878E-01	0.		
2	18	9.2909E-01	0.	7.3230E+01	8.4877E-01	0.		
2	19	9.2922E-01	0.	7.3205E+01	8.4876E-01	0.		
2	20	1.4134E+00	0.	7.3188E+01	8.4875E-01	0.		
2	21	1.8978E+00	0.	7.2806E+01	8.4870E-01	0.		
2	22	1.8989E+00	0.	7.2010E+01	8.4864E-01	0.		
2	23	1.8998E+00	0.	7.2001E+01	8.4864E-01	0.		
2	24	1.9003E+00	0.	7.1998E+01	8.4865E-01	0.		
2	25	1.9005E+00	0.	7.1998E+01	8.4866E-01	0.		
2	26	1.9005E+00	0.	7.2000E+01	8.4866E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
2	15	1.2115E-05	9.1442E+03	-4.1649E-03	4.8900E+02	5.6334E+02	0.	
2	16	1.2114E-05	9.1442E+03	-4.1114E-03	4.8900E+02	5.6225E+02	0.	
2	17	1.2113E-05	9.1442E+03	-3.9889E-03	4.8900E+02	5.6212E+02	0.	
2	18	1.2112E-05	9.1442E+03	-3.9713E-03	4.8900E+02	5.6208E+02	0.	
2	19	1.2112E-05	9.1442E+03	-3.9587E-03	4.8900E+02	5.6206E+02	0.	

TABLE IV (cont)

2	20	1.2112E-05	9.1443E+03	-3.9501E-03	4.8900E+02	5.6204E+02	0.
2	21	1.2111E-05	9.1443E+03	-3.8913E-03	4.8900E+02	5.6168E+02	0.
2	22	1.2110E-05	9.1443E+03	-3.8135E-03	4.8901E+02	5.6093E+02	0.
2	23	1.2110E-05	9.1443E+03	-3.8147E-03	4.8901E+02	5.6093E+02	0.
2	24	1.2111E-05	9.1444E+03	-3.8292E-03	4.8901E+02	5.6092E+02	0.
2	25	1.2111E-05	9.1444E+03	-3.8415E-03	4.8901E+02	5.6092E+02	0.
2	26	1.2111E-05	9.1444E+03	-3.8415E-03	4.8901E+02	5.6092E+02	0.
1	J	V	VD	P	RO	VP	

3	28	-8.3352E-01	0.	7.4583E+01	8.4893E-01	0.	
3	29	-8.4048E-01	0.	7.4587E+01	8.5011E-01	0.	
3	30	-8.4390E-01	0.	7.4570E+01	8.4900E-01	0.	
3	31	-8.4701E-01	0.	7.4566E+01	8.4898E-01	0.	
3	32	-8.4962E-01	0.	7.4585E+01	8.4896E-01	0.	
3	33	-8.5168E-01	0.	7.4625E+01	8.4895E-01	0.	
3	34	-8.5320E-01	0.	7.4683E+01	8.4893E-01	0.	
3	35	-8.5421E-01	0.	7.4753E+01	8.4892E-01	0.	
3	36	-8.5474E-01	0.	7.4832E+01	8.4890E-01	0.	
3	37	-8.5481E-01	0.	7.4915E+01	8.4889E-01	0.	
3	38	-8.5481E-01	0.	7.5000E+01	8.4890E-01	0.	

1	J	RV	E	TH	TEM	TSAT	WT
3	28	1.2115E-05	9.1442E+03	-4.1649E-03	4.8900E+02	5.6334E+02	0.
3	29	1.2131E-05	9.1443E+03	-5.5521E-03	4.8900E+02	5.6334E+02	0.
3	30	1.2116E-05	9.1442E+03	-4.2410E-03	4.8900E+02	5.6332E+02	0.
3	31	1.2115E-05	9.1442E+03	-4.2203E-03	4.8900E+02	5.6332E+02	0.
3	32	1.2115E-05	9.1442E+03	-4.1995E-03	4.8900E+02	5.6334E+02	0.
3	33	1.2115E-05	9.1441E+03	-4.1798E-03	4.8900E+02	5.6338E+02	0.
3	34	1.2115E-05	9.1441E+03	-4.1615E-03	4.8900E+02	5.6343E+02	0.
3	35	1.2114E-05	9.1441E+03	-4.1448E-03	4.8900E+02	5.6349E+02	0.
3	36	1.2114E-05	9.1441E+03	-4.1293E-03	4.8900E+02	5.6357E+02	0.
3	37	1.2114E-05	9.1441E+03	-4.1149E-03	4.8900E+02	5.6364E+02	0.
3	38	1.2114E-05	9.1441E+03	-4.1224E-03	4.8900E+02	5.6372E+02	0.

K	P	RO	RV	E	VP
1	7.4582766E+01	8.4893316E-01	1.2114675E-05	9.1441669E+03	0.

TIME = 2.00107E+03

PIPE 1	BOTTOM MASS FLUX = -6.13294E+01	TOP MASS FLUX = -6.24998E+01
PIPE 2	BOTTOM MASS FLUX = 6.23873E+01	TOP MASS FLUX = 6.20713E+01
PIPE 3	BOTTOM MASS FLUX = -1.25216E+02	TOP MASS FLUX = -1.28233E+02

TABLE V

EXAMPLE PROBLEM SOLUTION AT 0.5 s AFTER PIPE BREAK

PROBLEM TITLE = CODE CENTER EXAMPLE JULY 6, 1978 SOLA-LOOP

ITER= 2 TIME= 2.50010E+03 DELTO= 2.22725E-01 DTIM= 1.11362E-01 CYCLE= 10121 ISTEP= 2
 TIM(1)= 2.50007E+03 DTIM(1)= 1.11362E-01 TIM(2)= 2.50007E+03 DTIM(2)= 2.22725E-01
 TIM(3)= 2.50007E+03 DTIM(3)= 2.22725E-01
 TIMK(1)= 2.50007E+03 DTIMK(1)= 2.22725E-01

I	J	V	VD	P	RO	VP		
1	2	-1.1717E+01	0.	1.0000E+00	7.0110E-01	0.		
1	3	-9.8351E+00	0.	1.7208E+01	7.0110E-01	4.3133E-03		
1	4	-9.7472E+00	0.	1.8467E+01	8.3640E-01	2.0635E-04		
1	5	-9.7350E+00	0.	1.9146E+01	8.4379E-01	2.2800E-05		
1	6	-9.7182E+00	0.	1.9860E+01	8.4480E-01	0.		
1	7	-7.2342E+00	0.	4.0855E+01	8.4627E-01	0.		
1	8	-4.7574E+00	0.	5.0876E+01	8.4695E-01	0.		
1	9	-4.7565E+00	0.	5.1305E+01	8.4698E-01	0.		
1	10	-4.7551E+00	0.	5.1793E+01	8.4702E-01	0.		
1	11	-4.7535E+00	0.	5.2325E+01	8.4707E-01	0.		
1	12	-4.7432E+00	0.	5.2919E+01	8.4715E-01	0.		
1	13	4.7312E-01	0.	7.4434E+01	8.4885E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
1	2	2.0550E-03	9.1467E+03	1.7312E-01	4.8791E+02	3.7300E+02	0.	
1	3	2.0550E-03	9.1467E+03	1.7312E-01	4.8751E+02	4.7738E+02	0.	
1	4	1.3126E-04	9.1490E+03	1.0807E-02	4.8908E+02	4.8091E+02	0.	
1	5	2.3505E-05	9.1493E+03	1.9324E-03	4.8912E+02	4.8274E+02	0.	
1	6	1.2056E-05	9.1486E+03	7.2497E-04	4.8911E+02	4.8460E+02	0.	
1	7	1.2077E-05	9.1480E+03	-1.0171E-03	4.8909E+02	5.2463E+02	0.	
1	8	1.2086E-05	9.1476E+03	-1.8154E-03	4.8909E+02	5.3814E+02	0.	
1	9	1.2087E-05	9.1464E+03	-1.8566E-03	4.8906E+02	5.3867E+02	0.	
1	10	1.2087E-05	9.1459E+03	-1.9033E-03	4.8904E+02	5.3927E+02	0.	
1	11	1.2088E-05	9.1455E+03	-1.9556E-03	4.8903E+02	5.3992E+02	0.	
1	12	1.2089E-05	9.1450E+03	-2.0567E-03	4.8902E+02	5.4064E+02	0.	
1	13	1.2114E-05	9.1447E+03	-4.0686E-03	4.8901E+02	5.6320E+02	0.	
I	J	V	VD	P	RO	VP		
2	15	4.7312E-01	0.	7.4434E+01	8.4885E-01	0.		
2	16	4.7298E-01	0.	7.2365E+01	8.4869E-01	0.		
2	17	4.7259E-01	0.	7.2378E+01	8.4869E-01	0.		
2	18	4.7209E-01	0.	7.2383E+01	8.4869E-01	0.		
2	19	4.7159E-01	0.	7.2382E+01	8.4869E-01	0.		
2	20	7.1632E-01	0.	7.2371E+01	8.4869E-01	0.		
2	21	9.6133E-01	0.	7.2259E+01	8.4869E-01	0.		
2	22	9.6122E-01	0.	7.2048E+01	8.4867E-01	0.		
2	23	9.6113E-01	0.	7.2036E+01	8.4867E-01	0.		
2	24	9.6108E-01	0.	7.2024E+01	8.4866E-01	0.		
2	25	9.6107E-01	0.	7.2012E+01	8.4866E-01	0.		
2	26	9.6107E-01	0.	7.2000E+01	8.4866E-01	0.		
I	J	RV	E	TH	TEM	TSAT	WT	
2	15	1.2114E-05	9.1447E+03	-4.0686E-03	4.8901E+02	5.6320E+02	0.	
2	16	1.2111E-05	9.1447E+03	-3.8728E-03	4.8901E+02	5.6127E+02	0.	
2	17	1.2111E-05	9.1447E+03	-3.8732E-03	4.8901E+02	5.6128E+02	0.	
2	18	1.2111E-05	9.1447E+03	-3.8739E-03	4.8901E+02	5.6129E+02	0.	

TABLE V (cont)

2	19	1.2111E-05	9.1447E+03	-3.8732E-03	4.8901E+02	5.6129E+02	0.
2	20	1.2111E-05	9.1447E+03	-3.8722E-03	4.8901E+02	5.6128E+02	0.
2	21	1.2111E-05	9.1447E+03	-3.8795E-03	4.8901E+02	5.6117E+02	0.
2	22	1.2111E-05	9.1447E+03	-3.8565E-03	4.8901E+02	5.6097E+02	0.
2	23	1.2111E-05	9.1447E+03	-3.8501E-03	4.8901E+02	5.6096E+02	0.
2	24	1.2111E-05	9.1447E+03	-3.8433E-03	4.8901E+02	5.6095E+02	0.
2	25	1.2111E-05	9.1447E+03	-3.8368E-03	4.8901E+02	5.6094E+02	0.
2	26	1.2111E-05	9.1447E+03	-3.8368E-03	4.8901E+02	5.6092E+02	0.
I	J	V	VD	P	RO	VP	

3	28	-2.3180E+00	0.	7.4434E+01	8.4885E-01	0.	
3	29	-2.3180E+00	0.	7.4466E+01	8.4886E-01	0.	
3	30	-2.3183E+00	0.	7.4519E+01	8.4886E-01	0.	
3	31	-2.3188E+00	0.	7.4582E+01	8.4886E-01	0.	
3	32	-2.3193E+00	0.	7.4639E+01	8.4887E-01	0.	
3	33	-2.3199E+00	0.	7.4692E+01	8.4887E-01	0.	
3	34	-2.3205E+00	0.	7.4746E+01	8.4888E-01	0.	
3	35	-2.3209E+00	0.	7.4802E+01	8.4888E-01	0.	
3	36	-2.3212E+00	0.	7.4865E+01	8.4889E-01	0.	
3	37	-2.3214E+00	0.	7.4932E+01	8.4889E-01	0.	
3	38	-2.3214E+00	0.	7.5000E+01	8.4890E-01	0.	

I	J	RV	E	TH	TEM	TSAT	WT
3	28	1.2114E-05	9.1447E+03	-4.0686E-03	4.8901E+02	5.6320E+02	0.
3	29	1.2114E-05	9.1447E+03	-4.0764E-03	4.8901E+02	5.6323E+02	0.
3	30	1.2114E-05	9.1447E+03	-4.0777E-03	4.8901E+02	5.6328E+02	0.
3	31	1.2114E-05	9.1446E+03	-4.0840E-03	4.8901E+02	5.6334E+02	0.
3	32	1.2114E-05	9.1445E+03	-4.0895E-03	4.8901E+02	5.6339E+02	0.
3	33	1.2114E-05	9.1444E+03	-4.0945E-03	4.8901E+02	5.6344E+02	0.
3	34	1.2114E-05	9.1444E+03	-4.0994E-03	4.8901E+02	5.6349E+02	0.
3	35	1.2114E-05	9.1443E+03	-4.1045E-03	4.8901E+02	5.6354E+02	0.
3	36	1.2114E-05	9.1442E+03	-4.1099E-03	4.8900E+02	5.6360E+02	0.
3	37	1.2114E-05	9.1442E+03	-4.1160E-03	4.8900E+02	5.6366E+02	0.
3	38	1.2114E-05	9.1441E+03	-4.1224E-03	4.8900E+02	5.6372E+02	0.

K	P	RO	RV	E	VP
1	7.4433858E+01	8.4885173E-01	1.2113513E-05	9.1446877E+03	0.

TIME = 2.50010E+03

PIPE 1 BOTTOM MASS FLUX = -3.16144E+02 TOP MASS FLUX = -3.16225E+02
 PIPE 2 BOTTOM MASS FLUX = 3.15423E+01 TOP MASS FLUX = 3.13885E-01
 PIPE 3 BOTTOM MASS FLUX = -3.47711E+02 TOP MASS FLUX = -3.48232E+02

VI. SUMMARY

We have described a new computer program, SOLA-LOOP, for the solution of transient, two-phase flow in networks composed of one-dimensional components. The fluid dynamics is described by a nonequilibrium, drift-flux formulation of the fluid conservation laws. We have used relatively simple numerical solution procedures and modular programming to provide a framework that can be easily modified and adapted to different kinds of network flow problems. In addition, we used a limited amount of implicitness to relax excessively restrictive time step limitations encountered in purely explicit integration methods. Even though SOLA-LOOP has a simple structure, its flexibility offers capabilities for treating a wide range of two-phase flow problems.

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APPENDIX

FORTRAN IV LISTING OF THE SOLA-LOOP CODE

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*COMDECK,LOOPC                                LOOPC      1
COMMON                                          LOOPC      2
1 ALPHA, ASQ, BNUM, CDG, CHL, CHL1,          LOOPC      3
1 CHV, CHV1, CPI, CYCLE, DELSTP, DELT,       LOOPC      4
1 DELTO, DFVEL, DPRST, DTMN, DTWPRT, ECL,    LOOPC      5
1 ECV, EDL, EDV, ELHT, EPSI, ETEM,          LOOPC      6
1 FLG, GAMI, IBREAK, IL, IMP, ISTEP,        LOOPC      7
1 ITER, JBO, JBI, JB2, JMH, JML,           LOOPC      8
1 JPB, JPT, JTI, JT2, KDO, KL,             LOOPC      9
1 KMO, KOD, KOM, KOO, KOP, KOU,           LOOPC     10
1 KPO, KTOU, KUO, ML, NSUBOT, OMG,         LOOPC     11
1 PHCH, PNV, PRST, RG, ROL, SDTC,         LOOPC     12
1 STABC, T, TC, THC, THCI, TMA,          LOOPC     13
1 TSTART, TWFIN, TWPRT, TWSTP, VISL,     LOOPC     14
C                                              LOOPC     15
COMMON                                          LOOPC     16
1 CFRL(10, 8), CFRS(10, 8), DXS(10, 8),     LOOPC     17
1 IDXS(10, 8), NJS(10, 8), QJS(10, 8),     LOOPC     18
C                                              LOOPC     19
COMMON                                          LOOPC     20
1 BETA(200), BETAK( 6), DTIM(10),           LOOPC     21
1 DXKC( 6), DYK(30), DYKC( 6), E(200),     LOOPC     22
1 EINC(10), EK(30), EK( 6), EN(200),       LOOPC     23
1 GAM(30), IBOT(10), ITOP(10), JCEL(10),   LOOPC     24
1 JMLI(10), JPBI(10), JPTI(10), JREF(10),  LOOPC     25
1 JSXI(10), KBOT(10), KTOP(10), LANG(10),  LOOPC     26
1 LTOP(10), MBOT(10), MTOP(10), P(200),   LOOPC     27
1 PI(10), PK(30), RO(200), ROB( 5),       LOOPC     28
1 ROK(30), ROKC( 6), RON(200), RONK(30),   LOOPC     29
1 RVB( 5), RVINC(10), RVK(30), RVK( 6),   LOOPC     30
1 RVNK(30), TBRA(10), TEMB( 5), TEMI(10), LOOPC     31
1 THB( 5), THI(10), THK( 6), TIM(10),     LOOPC     32
1 V(200), VD(200), VDK(30), VK(30),       LOOPC     33
1 VNK(30), VP(200), VPK( 6), WT(200)     LOOPC     34
C                                              LOOPC     35
COMMON TITLE(8),NP,NS,NJ,NK,NM            LOOPC     36
C                                              LOOPC     37
REAL IMP,NUA,NUC                            LOOPC     38
INTEGER CYCLE                               LOOPC     39
C                                              LOOPC     40
903 FORMAT(///)                             LOOPC     41
950 FORMAT(1H1)                             LOOPC     42
951 FORMAT(18H PROBLEM TITLE = .8A10 /)    LOOPC     43
953 FORMAT(15,7E15.7)                      LOOPC     44
C                                              LOOPC     45
C                                              LOOPC     46

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*COMDECK LOOPCP	LOOPCP	1
C	LOOPCP	2
C	LOOPCP	3
C	LOOPCP	4
C	LOOPCP	5
C	LOOPCP	6
C	LOOPCP	7
C	LOOPCP	8
C	LOOPCP	9
C	LOOPCP	10
C	LOOPCP	11
C	LOOPCP	12
C	LOOPCP	13
C	LOOPCP	14
C	LOOPCP	15
C	LOOPCP	16
C	LOOPCP	17
C	LOOPCP	18
C	LOOPCP	19
C	LOOPCP	20
C	LOOPCP	21
C	LOOPCP	22
C	LOOPCP	23
C	LOOPCP	24
C	LOOPCP	25
C	LOOPCP	26
C	LOOPCP	27

*DECK, LOOP	LOOP	1
PROGRAM MAIN(INP, OUT, FSET9=OUT, FSET10=INP)	LOOP	2
*CALL, LOOPC	LOOP	3
C	LOOP	4
*CALL LOOPCP	LOOP	5
C	LOOP	6
NP=10	LOOP	7
NS=8	LOOP	8
NJ=200	LOOP	9
NK=6	LOOP	10
NM=5	LOOP	11
C	LOOP	12
C----UNITS-GM-CM-MS-K	LOOP	13
C	LOOP	14
C---- INITIALIZATION	LOOP	15
CALL INPUT	LOOP	16
CALL SETUP	LOOP	17
CALL JCTO	LOOP	18
CALL BC	LOOP	19
CALL PIPJCT	LOOP	20
CALL JCTPIP	LOOP	21
CALL DIAG	LOOP	22
CALL RESET	LOOP	23
C	LOOP	24
C CALCULATIONAL LOOP	LOOP	25
1 TIMA=TIMA+DELTO	LOOP	26
DTMY=1.01	LOOP	27
IF(ITER.GT.5.OR.(STEP.GT.NSUBDT) DTMY=0.99	LOOP	28
DELTO=DTMY*DELTO	LOOP	29
IF(T.GT.TWFIN) GO TO 4	LOOP	30
C	LOOP	31
CALL ADVANCE	LOOP	32
C	LOOP	33
C OUTPUT	LOOP	34
IF(T.LT.TWPRT)GO TO 2	LOOP	35
C LONG PRINT	LOOP	36
TWPRT=TWPRT+DTWPRT	LOOP	37
CALL DIAG	LOOP	38
GO TO 3	LOOP	39
2 IF(CYCLE-ISTEP.GT.1)GO TO 3	LOOP	40
CALL DIAG	LOOP	41
3 CONTINUE	LOOP	42
IF(T.LT.TWSTP) GO TO 1	LOOP	43
C SPECIAL PRINT	LOOP	44
CALL DIAGB	LOOP	45
TWSTP=TWSTP+DELSTP	LOOP	46
GO TO 1	LOOP	47
4 CONTINUE	LOOP	48
CALL EXIT(30)	LOOP	49
END	LOOP	50
=====		
SUBROUTINE ADVANCE	LOOP	51
*CALL, LOOPC	LOOP	52

C		LOOP	53
	ISTEP=0	LOOP	54
	1 CONTINUE	LOOP	55
	ISTEP=ISTEP+1	LOOP	56
C----	CALCULATE ONE TIME STEP	LOOP	57
C----	TILDE CALCULATION	LOOP	58
	CALL BREAK	LOOP	59
	CALL PUMPA	LOOP	60
	CALL TILDE	LOOP	61
C----	PRESSURE ITERATION LOOP	LOOP	62
	ITER=0	LOOP	63
	FLG=IMP	LOOP	64
	5 IF (FLG.EQ.0.) GO TO 2	LOOP	65
	FLG=0.	LOOP	66
	ITER=ITER+1	LOOP	67
	CALL PITERP	LOOP	68
	CALL PIPJCT	LOOP	69
	CALL PITERJ	LOOP	70
	CALL JCTPIP	LOOP	71
	CALL BC	LOOP	72
	IF (ITER.GE.505) FLG=0.	LOOP	73
	GO TO 5	LOOP	74
	2 IF (ITER.LT.505) GO TO 4	LOOP	75
	WRITE(9,960)	LOOP	76
	NEX=NEX+1	LOOP	77
	IF (NEX.GE.5) T=1.E+10	LOOP	78
	4 CONTINUE	LOOP	79
C----	FINAL UPDATE	LOOP	80
	CALL UPDATP	LOOP	81
	CALL PIPJCT	LOOP	82
	CALL UPDATJ	LOOP	83
	CALL JCTPIP	LOOP	84
	CALL BC	LOOP	85
	IF (IMP.LT.0.5) CALL PSET	LOOP	86
	CALL WALLT	LOOP	87
	CALL RESET	LOOP	88
	IF (T.LT.TIMA-DTMN/2.0) GO TO 1	LOOP	89
	RETURN	LOOP	90
960	FORMAT(1X,9HITER =505)	LOOP	91
	END	LOOP	92

===== // =====

	FUNCTION ARAV(J1,J1P)	LOOP	93
*CALL	LOOPC	LOOP	94
C----	AREA AVERAGE	LOOP	95
	ARU1=DXS(J1P)**2	LOOP	96
	ARD1=DXS(J1)**2	LOOP	97
	ARAV=2.*ARU1*ARD1/(ARU1+ARD1)	LOOP	98
	RETURN	LOOP	99
	END	LOOP	100

===== // =====

SUBROUTINE BC	LOOP	101
*CALL LOOPC	LOOP	102
C---- BOUNDARY CONDITION CONTROL PROGRAM	LOOP	103
DO 32 I=1,IL	LOOP	104
IF (TIM(I).GT.T)GO TO 32	LOOP	105
DELT=DTIM(I)	LOOP	106
CALL JSET(I)	LOOP	107
II=IBOT(I)	LOOP	108
GO TO (33,44),II	LOOP	109
33 CONTINUE	LOOP	110
RO(JPB-1)=RO(JPB)	LOOP	111
RV(JPB-1)=RV(JPB)	LOOP	112
P(JPB-1)=P(JPB)	LOOP	113
E(JPB-1)=E(JPB)	LOOP	114
LI=LBOT(I)	LOOP	115
GO TO (172,174,176,178,176),LI	LOOP	116
172 V(JML)=0.	LOOP	117
GO TO 180	LOOP	118
174 V(JML)=0.	LOOP	119
GO TO 180	LOOP	120
176 IF(LI.NE.5) GO TO 177	LOOP	121
MI=MBOT(I)	LOOP	122
P(JPB-1)=PB(MI)	LOOP	123
177 IF(ITER.GT.1.AND.FLG.GT.0) GO TO 180	LOOP	124
MI=MBOT(I)	LOOP	125
IF(V(JML).LT.0.) GO TO 181	LOOP	126
E(JPB-1)=(2.0*EB(MI)-(1.0-ALPHA)*E(JPB))/(1.0+ALPHA)	LOOP	127
RO(JPB-1)=(2.0*ROB(MI)-(1.0-ALPHA)*RO(JPB))/(1.0+ALPHA)	LOOP	128
RV(JPB-1)=(2.0*RVB(MI)-(1.0-ALPHA)*RV(JPB))/(1.0+ALPHA)	LOOP	129
181 CONTINUE	LOOP	130
V(JML-1)=V(JML)	LOOP	131
GO TO 180	LOOP	132
178 V(JML-1)=V(JMH)	LOOP	133
RO(JPB-1)=RO(JPT)	LOOP	134
RV(JPB-1)=RV(JPT)	LOOP	135
P(JPB-1)=P(JPT)	LOOP	136
E(JPB-1)=E(JPT)	LOOP	137
180 CONTINUE	LOOP	138
44 II=ITOP(I)	LOOP	139
GO TO (35,36),II	LOOP	140
35 CONTINUE	LOOP	141
RO(JPT+1)=RO(JPT)	LOOP	142
RV(JPT+1)=RV(JPT)	LOOP	143
P(JPT+1)=P(JPT)	LOOP	144
E(JPT+1)=E(JPT)	LOOP	145
LI=LTOP(I)	LOOP	146
GO TO (152,154,156,158,156),LI	LOOP	147
152 V(JMH)=0.	LOOP	148
GO TO 161	LOOP	149
154 V(JMH)=0.	LOOP	150
GO TO 161	LOOP	151
156 MI=MTOP(I)	LOOP	152
IF(LI.NE.5) GO TO 157	LOOP	153
P(JPT+1)=PB(MI)	LOOP	154
157 IF(V(JMH).GT.0.) GO TO 182	LOOP	155
E(JPT+1)=(2.0*EB(MI)-(1.0-ALPHA)*E(JPT))/(1.0+ALPHA)	LOOP	156

	RO(JPT+1)=(2.0*ROB(M1)-(1.0-ALPHA)*RO(JPT))/(1.0+ALPHA)	LOOP	157
	RV(JPT+1)=(2.0*RVB(M1)-(1.0-ALPHA)*RV(JPT))/(1.0+ALPHA)	LOOP	158
182	CONTINUE	LOOP	159
	V(JMH+1)=V(JMH)	LOOP	160
	GO TO 161	LOOP	161
158	V(JMH)=V(JML-1)	LOOP	162
	RO(JPT+1)=RO(JPB)	LOOP	163
	RV(JPT+1)=RV(JPB)	LOOP	164
	P(JPT+1)=P(JPB)	LOOP	165
	E(JPT+1)=E(JPB)	LOOP	166
161	CONTINUE	LOOP	167
36	CONTINUE	LOOP	168
32	CONTINUE	LOOP	169
	RETURN	LOOP	170
	END	LOOP	171

===== // =====

	SUBROUTINE BREAK	LOOP	172
	*CALL,LOOPC	LOOP	173
C----	BREAK CONTROL	LOOP	174
	IF(T.LT.TBRA(IBREAK)) GO TO 1	LOOP	175
	IBREAK=IBREAK+1	LOOP	176
C----	READ INPUT BREAK DATA	LOOP	177
	CALL INPBR	LOOP	178
C	CHECK FOR TIME STEP REDUCTION	LOOP	179
	IF(DELT.GE.DTMN) GO TO 1	LOOP	180
	DO 10 I=1,IL	LOOP	181
	10 DTIM(I)=DELT	LOOP	182
C		LOOP	183
	IF(KTOU.EQ.1) GO TO 1	LOOP	184
	DO 20 K=1,KL	LOOP	185
	20 DTIM(K)=DELT	LOOP	186
C		LOOP	187
	DELTO=DELT	LOOP	188
	1 CONTINUE	LOOP	189
	RETURN	LOOP	190
	END	LOOP	191

===== // =====

	FUNCTION DEMXC(J1,J1P)	LOOP	192
	*CALL,LOOPC	LOOP	193
C----	RADIUS FOR FRICTION FORMULA	LOOP	194
	I1=:DXS(J1)	LOOP	195
	GO TO (1,2),I1	LOOP	196
	1 DEMXC=.5*(DXS(J1)+DXS(J1P))	LOOP	197
	GO TO 3	LOOP	198
C	***** REPLACE NEXT STATEMENT WITH APPLICABLE DEFINITION OF	LOOP	199
C	HYDRAULIC RADIUS IF DIFFERENT THAN STATEMENT 1	LOOP	200
	2 DEMXC=0.	LOOP	201
	3 CONTINUE	LOOP	202

RETURN	LOOP	203
END	LOOP	204

===== // =====

SUBROUTINE DIAG	LOOP	205
*CALL ,LOOPC	LOOP	206
C---- LONG DIAGNOSTIC PRINT	LOOP	207
IF (PRST.GT.T)RETURN	LOOP	208
WRITE(9,950)	LOOP	209
WRITE(9,951) TITLE	LOOP	210
CALL DIAGA	LOOP	211
WRITE(9,904)	LOOP	212
DO 1 I=1,IL	LOOP	213
CALL JSET(I)	LOOP	214
J1=JB1	LOOP	215
J2=JT1	LOOP	216
WRITE(9,47)	LOOP	217
DO 2 J=J1,J2	LOOP	218
WRITE(9,49) I,J,V(J),VD(J),P(J),RO(J),VP(J)	LOOP	219
2 CONTINUE	LOOP	220
WRITE(9,48)	LOOP	221
DO 6 I=J1,J2	LOOP	222
TH=(RUL-RO(J)+RV(J))/ROL	LOOP	223
TEM=TEMC(RO(J),RV(J),E(J),P(J))	LOOP	224
TSAT=STCAL(P(J))	LOOP	225
WRITE(9,50) I,J,RV(J),E(J),TH,TEM,TSAT,WT(J)	LOOP	226
6 CONTINUE	LOOP	227
1 CONTINUE	LOOP	228
GO TO (3,4),KTOU	LOOP	229
4 WRITE(9,904)	LOOP	230
WRITE(9,950)	LOOP	231
DO 5 K=1,KL	LOOP	232
CALL KSET(K)	LOOP	233
WRITE(9,953) K,PK(K00),ROK(K00),RVK(K00),EK(K00),VPK(K)	LOOP	234
5 CONTINUE	LOOP	235
3 CONTINUE	LOOP	236
WRITE(9,903)	LOOP	237
RETURN	LOOP	238
47 FORMAT(2X,1H1,3X,1HJ,11X,1HV,13X,2HVD,11X,1HP,11X,2HRO,11X,2HVP)	LOOP	239
48 FORMAT(2X,1H1,3X,1HJ,8X,2HRV,13X,1HE,12X,2HTH,12X,3HTEM,12X,14HTSAT,12X,2HWT)	LOOP	240
49 FORMAT(1X,12,1X,13,3X,1PE11.4,3X,1PE11.4,3X,1PE11.4,3X,1PE11.4,3X,11PE11.4)	LOOP	241
50 FORMAT(1X,12,1X,13,3X,1PE11.4,3X,1PE11.4,3X,1PE11.4,3X,1PE11.4,3X,11PE11.4,3X,1PE11.4)	LOOP	242
904 FORMAT(//)	LOOP	243
960 FORMAT(4X,1HK,7X,1HP,14X,2HRO,13X,2HRV,13X,1HE,13X,2HVP)	LOOP	244
END	LOOP	245
	LOOP	246
	LOOP	247
	LOOP	248

===== // =====

SUBROUTINE DIAGA	LOOP	249
*CALL ,LOOPC	LOOP	250
C	LOOP	251

C	DIMENSION BFLUX(NP),TFLUX(NP)	LOOP	252
	DIMENSION BFLUX(10),TFLUX(10)	LOOP	253
C----	SHORT DIAGNOSTIC PRINT	LOOP	254
	WRITE(9,50) ITER,T,DELTO,DTMN,CYCLE,ISTEP	LOOP	255
	IF(IL.EQ.1) GO TO 5	LOOP	256
	II=IL	LOOP	257
	IF(MOD(IL,2).EQ.0) GO TO 4	LOOP	258
	II=IL-1	LOOP	259
4	WRITE(9,55) (I,TIM(I),I,DTIM(I),I=1,II)	LOOP	260
	IF(II.EQ.IL) GO TO 6	LOOP	261
5	WRITE(9,45) IL,TIM(IL),IL,DTIM(IL)	LOOP	262
6	IF(KL.EQ.0) RETURN	LOOP	263
	IF(KL.EQ.1) GO TO 8	LOOP	264
	KI=KL	LOOP	265
	IF(MOD(KL,2).EQ.0) GO TO 7	LOOP	266
	KI=KL-1	LOOP	267
7	WRITE(9,60) (K,TIMK(K),K,DTIMK(K),K=1,KI)	LOOP	268
	IF(KI.EQ.KL) RETURN	LOOP	269
8	WRITE(9,65) KL,TIMK(KL),KL,DTIMK(KL)	LOOP	270
	RETURN	LOOP	271
	ENTRY DIAGB	LOOP	272
C	SHORT PRINT OF MASS FLUX AT BOTTOM AND TOP OF PIPES	LOOP	273
	DO 10 I=1,IL	LOOP	274
	CALL JSET(I)	LOOP	275
	JSB=JSF(JB1)	LOOP	276
	JST=JSF(JT2)	LOOP	277
	J1=JB1	LOOP	278
	IF(V(JB1).LT.0.)J1=JB2	LOOP	279
	J2=JT2	LOOP	280
	IF(V(JT2).LT.0.)J2=JT1	LOOP	281
	BFLUX(I)=RO(J1)*V(JB1)*(DXS(JSB)**2)*CPI	LOOP	282
	TFLUX(I)=RO(J2)*V(JT2)*(DXS(JST)**2)*CPI	LOOP	283
10	CONTINUE	LOOP	284
	WRITE(9,85) T,(I,BFLUX(I),TFLUX(I),I=1,IL)	LOOP	285
	RETURN	LOOP	286
45	FORMAT(3X,4HTIM(,12,2H)=,1PE12.5,3X,5HDTIM(,12,2H)=,1PE12.5)	LOOP	287
50	FORMAT(1H0,5HITER=,13,7H TIME=,1PE12.5,8H DELTO=,1PE12.5	LOOP	288
	17H DTMN=,1PE12.5,8H CYCLE=,16,8H ISTEP=,12)	LOOP	289
55	FORMAT(2(3X,4HTIM(,12,2H)=,1PE12.5,3X,5HDTIM(,12,2H)=,1PE12.5))	LOOP	290
60	FORMAT(2(3X,5HTIMK(,12,2H)=,1PE12.5,3X,6HDTIMK(,12,2H)=,1PE12.5))	LOOP	291
65	FORMAT(3X,5HTIMK(,12,2H)=,1PE12.5,3X,6HDTIMK(,12,2H)=,1PE12.5)	LOOP	292
85	FORMAT(1H0,7HTIME = ,1PE12.5 / (5X,5HPIPE ,12,3X,	LOOP	293
	1 19HBOTTOM MASS FLUX = ,1PE12.5,3X,16HTOP MASS FLUX = ,1PE12.5))	LOOP	294
	END	LOOP	295
	===== //====		
	SUBROUTINE DRIFT	LOOP	296
	*CALL ,LOOPC	LOOP	297
	IF(DFVEL.LT..5) GO TO 204	LOOP	298
C----	COMPUTE DRIFT VELOCITY	LOOP	299
	DO 1 I=1,IL	LOOP	300

IF(TIM(I).GT.T)GO TO 1	LOOP	301
DELT=DTIM(I)	LOOP	302
CALL JSET(I)	LOOP	303
DO 36 J=JML,JMH	LOOP	304
JC=JSF(J)	LOOP	305
JCP=JSF(J+1)	LOOP	306
DLYU2=DYS(JCP)+DYS(JC)	LOOP	307
ROU=(DYS(JCP)*RO(J)+DYS(JC)*RO(J+1))/DLYU2	LOOP	308
RVU=(DYS(JCP)*RV(J)+DYS(JC)*RV(J+1))/DLYU2	LOOP	309
IF(J.GT.JB1) GO TO 28	LOOP	310
RO1=RO(J+1)	LOOP	311
RV1=RV(J+1)	LOOP	312
GO TO 29	LOOP	313
28 IF(J.LT.JT2) GO TO 40	LOOP	314
RO1=RO(J)	LOOP	315
RV1=RV(J)	LOOP	316
GO TO 29	LOOP	317
40 RO1=ROU	LOOP	318
RV1=RVU	LOOP	319
29 CONTINUE	LOOP	320
TH=(RO1+RV1-RO)/RO1	LOOP	321
IF(TH.GT.THC.AND.TH.LT.THC1) GO TO 4700	LOOP	322
VD(J)=0.	LOOP	323
GO TO 36	LOOP	324
4700 CONTINUE	LOOP	325
TH1=TH	LOOP	326
IF(TH1.GT.0.5)TH1=1.0-TH1	LOOP	327
RB=RBBNCAL(TH1)	LOOP	328
VDN=VD(J)	LOOP	329
AREA=3.*TH1/RB	LOOP	330
NUC=VISL	LOOP	331
IF(TH.GT..5) NUC=VISV	LOOP	332
NUA=NUC/(1.-TH1)**2.5	LOOP	333
VDO=DELT*(1.0/RO1-TH/RV1)/(0.5*DLYU2)*(P(J+1)-P(J))	LOOP	334
VDM=DELT*RO1/(RV1*(RO1-RV1))	LOOP	335
UDM=ABS(VD(J))+1.0E-10	LOOP	336
4950 UDMT=UDM	LOOP	337
VDKD=VDKCAL(RO1,UDM,TH1,AREA,NUA,RB)	LOOP	338
VDKDP=VDKPCAL(RO1,VD(J),TH1,AREA)	LOOP	339
VD(J)=VD(J)-(VD(J)+VDM*VDKD*VD(J)-VDO-VDN)	LOOP	340
1/(1.0+VDM*(VDKD+VDKDP*VD(J)))	LOOP	341
UDM=ABS(VD(J))+1.E-10	LOOP	342
IF(ABS((UDMT-UDM)/(UDMT+UDM)).GT..01) GO TO 4950	LOOP	343
36 CONTINUE	LOOP	344
1 CONTINUE	LOOP	345
204 CONTINUE	LOOP	346
RETURN	LOOP	347
END	LOOP	348

===== // =====

FUNCTION EVCAL(T1)	LOOP	349
*CALL .LOOPC	LOOP	350
EVCAL=ECV+CHV*(T1-TC)-CHV1*(T1-TC)**2	LOOP	351
RETURN	LOOP	352

END LOOP 353

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FUNCTION ELCAL(T1)	LOOP	354
*CALL,LOOPC	LOOP	355
ELCAL=ECL+CHL*(T1-TC)-CHL1*(T1-TC)**2	LOOP	356
RETURN	LOOP	357
END	LOOP	358

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SUBROUTINE FRIC(I,J,V1)	LOOP	359
*CALL,LOOPC	LOOP	360
C---- COMPUTE FRICTION EFFECT	LOOP	361
IF(RG.LE.0.) RETURN	LOOP	362
VA1=ABS(V(J))	LOOP	363
IF(VA1.GE.EPS1)GO TO 11	LOOP	364
V1=V(J)	LOOP	365
RETURN	LOOP	366
11 CONTINUE	LOOP	367
V1=V(J)	LOOP	368
JC=JSF(J)	LOOP	369
JCP=JSF(J+1)	LOOP	370
IF(CFRS(JC).NE.0..OR.CFRL(JC).NE.0.) GO TO 1	LOOP	371
RETURN	LOOP	372
1 CONTINUE	LOOP	373
DLYU2=DYS(JCP)+DYS(JC)	LOOP	374
ROU=(DYS(JCP)*RO(J)+DYS(JC)*RO(J+1))/DLYU2	LOOP	375
RVU=(DYS(JCP)*RV(J)+DYS(JC)*RV(J+1))/DLYU2	LOOP	376
IF(J.GT.JB1) GO TO 12	LOOP	377
RV1=RV(J+1)	LOOP	378
RO1=RO(J+1)	LOOP	379
GO TO 13	LOOP	380
12 IF(J.LT.JT2) GO TO 14	LOOP	381
RV1=RV(J)	LOOP	382
RO1=RO(J)	LOOP	383
GO TO 13	LOOP	384
14 RV1=RVU	LOOP	385
RO1=ROU	LOOP	386
13 CONTINUE	LOOP	387
TH=(ROL+RV1-RO1)/ROL	LOOP	388
IF(TH.LT.TH1)TH=TH1	LOOP	389
IF(TH.GT.TH1)TH=TH1	LOOP	390
CHI=RV1/RO1*(1.+(RO1-RV1)/RO1*VD(J)/V(J))**2	LOOP	391
DEMEX=DEMEXC(JC,JCP)	LOOP	392
REN=2.*DEMEX*VA1/VISL	LOOP	393
RGR=.5*RG/DEMEX	LOOP	394
FLA=.026*RGR**225+.133*RGR	LOOP	395
FLB=22.*RGR**44	LOOP	396
FLC=1.62*RGR**134	LOOP	397
FLC2=(FLA+FLB/REN**FLC)	LOOP	398

PHIS=1./((1.-TH)**1.75	LOOP	399
FLC=FLC2*(RO1/ROL)*(1.-CH1)**2/DEM*PHIS	LOOP	400
IF(TH.EQ.THC1) FLC=FLC2/DEM	LOOP	401
CFRS1=(DYS(JC)*CFRS(JC)+DYS(JCP)*CFRS(JCP))/DLYU2	LOOP	402
FLCT=2.*DELTA*FLC*CFRS1	LOOP	403
CFRL1=(DYS(JC)*CFRL(JC)+DYS(JCP)*CFRL(JCP))/DLYU2	LOOP	404
FLCL=DELTA*CFRL1*2.*ROL/(RO(J)+RO(J+1))	LOOP	405
FLCT=FLCT+FLCL	LOOP	406
VI=SIGN(1.,V(J))*(-1.+(1.+2.*FLCT*VA1)**.5)/FLCT	LOOP	407
EE=.25*(VA1**2-VI**2)	LOOP	408
EN(J)=EN(J)+EE	LOOP	409
EN(J+1)=EN(J+1)+EE	LOOP	410
RETURN	LOOP	411
END	LOOP	412

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SUBROUTINE INFNC(TIN,PIN,THIN,RO1,RV1,E1)	LOOP	413
*CALL LOOPC	LOOP	414
C---- SETS UP STATE VARIABLES	LOOP	415
IF(THIN.LT.THC1) GO TO 36	LOOP	416
C---- VAPOR STATE (P,T)	LOOP	417
TH=THIN	LOOP	418
EVT=EVCAL(TIN)	LOOP	419
ELT=ELCAL(TIN)	LOOP	420
RV1=RVCAL(EVT,PIN,TH)	LOOP	421
RO1=RV1+(1.-TH)*ROL	LOOP	422
E1=(RV1*EVT+(RO1-RV1)*ELT)/RO1	LOOP	423
GO TO 40	LOOP	424
36 CONTINUE	LOOP	425
TSAT=STCAL(PIN)	LOOP	426
EVSAT=EVCAL(TSAT)	LOOP	427
ELSAT=ELCAL(TSAT)	LOOP	428
IF(THIN.LT.THC) GO TO 38	LOOP	429
C---- SATURATED STATE (P,TH)	LOOP	430
RV1=RVCAL(EVSAT,PIN,THIN)	LOOP	431
RO1=RV1+(1.-THIN)*ROL	LOOP	432
E1=(RV1*EVSAT+(1.-THIN)*ROL*ELSAT)/RO1	LOOP	433
TIN=TSAT	LOOP	434
GO TO 40	LOOP	435
38 CONTINUE	LOOP	436
C---- LIQUID STATE (P,T)	LOOP	437
ELT=ELCAL(TIN)	LOOP	438
PSAT=SPCAL(TIN)	LOOP	439
EVSAT=EVCAL(TIN)	LOOP	440
RV1=RVCAL(EVSAT,PSAT,THC)	LOOP	441
TH=THCAL(EVSAT,PIN,RV1)	LOOP	442
RO1=RV1+(1.-TH)*ROL	LOOP	443
E1=(RV1*EVSAT+(1.-TH)*ROL*ELT)/RO1	LOOP	444
40 CONTINUE	LOOP	445
RETURN	LOOP	446
END	LOOP	447

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	SUBROUTINE INPUT	LOOP	448
	*CALL LOOPC	LOOP	449
C		LOOP	450
	NAMelist / DATUMS /	LOOP	451
	1 ALPHA, ASQ, BNUM, CDG, CFRL, CFRS,	LOOP	452
	1 CHL, CHLI, CHV, CHVI, DELSTP, DELT,	LOOP	453
	1 DFVEL, DPRST, DTWPRT, DXS, DYS, ECL,	LOOP	454
	1 ECV, EDL, EDV, ELHT, EPSI, ETEM,	LOOP	455
	1 GAM1, GYS, IOXS, IMP, JMHI, JMLI,	LOOP	456
	1 JPB1, JPTI, KBOT, KTOP, LANG, LBOT,	LOOP	457
	1 LTOP, MBOT, MTOP, NJS, NSUBDT, OMG,	LOOP	458
	1 PHCH, PB, PI, QJS, RG, ROL,	LOOP	459
	1 STABC, TBPA, TC, TEMB, TEMI, THB,	LOOP	460
	1 THC, THI, TITLE, TSTART, TWFIN, TWSTP,	LOOP	461
	1 VIS, VISL, VISV	LOOP	462
C		LOOP	463
	N1=NP	LOOP	464
	N2=NS	LOOP	465
	N3=NJ	LOOP	466
	N4=NK	LOOP	467
	N5=NM	LOOP	468
C		LOOP	469
C	ZERO OUT THE ARRAYS **** * * * *	LOOP	470
	LENA=9*N1*N2	LOOP	471
	LENB=25*N1+76*N4+14*N3+6*N5	LOOP	472
C	ALTER IF ADDITIONAL VARIABLES ADDED TO COMMON	LOOP	473
	DO 100 L=1,LENA	LOOP	474
100	CFRL(L)=0.	LOOP	475
	DO 105 L=1,LENB	LOOP	476
105	BETA(L)=0.	LOOP	477
C	***** * * * *	LOOP	478
C----	DEFAULT VALUES SETUP	LOOP	479
	ALPHA=1.	LOOP	480
	ASQ=1.234E+4	LOOP	481
	BNUM=10000.	LOOP	482
	CDG=.5	LOOP	483
	CHL=44.34	LOOP	484
	CHLI=.0129	LOOP	485
	CHV=6.67	LOOP	486
	CHVI=.0302	LOOP	487
	CPI=3.14159265	LOOP	488
	DELSTP=100.	LOOP	489
	DELT=.001	LOOP	490
	DFVEL=0.	LOOP	491
	DPRST=0.	LOOP	492
	DTWPRT=500.	LOOP	493
	ECL=.4174E+4	LOOP	494
	ECV=2.506E+4	LOOP	495
	EDL=1.6E-6	LOOP	496
	EDV=1.6E-7	LOOP	497
	ELHT=1.76E+4	LOOP	498
	EPSI=.001	LOOP	499
	ETEM=1.	LOOP	500
	GAM1=.07	LOOP	501
	IMP=1.0	LOOP	502

NSUBDT=1	LOOP	503
OMG=1.	LOOP	504
PHCH=1.	LOOP	505
RG=0.	LOOP	506
ROL=.958	LOOP	507
STABC=4.0	LOOP	508
TC=373.	LOOP	509
THC=.001	LOOP	510
TITLE(1)=10H	LOOP	511
TITLE(2)=10H	LOOP	512
TITLE(3)=10H	LOOP	513
TITLE(4)=10H	LOOP	514
TITLE(5)=10H	LOOP	515
TITLE(6)=10H	LOOP	516
TITLE(7)=10H	LOOP	517
TITLE(8)=10H	LOOP	518
TSTART=0.	LOOP	519
TWFIN=10000.	LOOP	520
TWSTP=0.	LOOP	521
VISL=3.0E-6	LOOP	522
VISV=2.0E-4	LOOP	523
DO 15 I=1,N1	LOOP	524
JML(I)=1	LOOP	525
JMHI(I)=1	LOOP	526
JPBI(I)=1	LOOP	527
JPTI(I)=1	LOOP	528
15 CONTINUE	LOOP	529
DO 18 N=1,N1	LOOP	530
TBRA(N)=1.E+20	LOOP	531
DO 18 M=1,N2	LOOP	532
CFRS(N,M)=1.	LOOP	533
IDXS(N,M)=1	LOOP	534
18 CONTINUE	LOOP	535
C	LOOP	536
READ(10,DATUMS)	LOOP	537
C	LOOP	538
C---- LIST INPUT CONSTANTS	LOOP	539
WRITE(9,950)	LOOP	540
WRITE(9,951) TITLE	LOOP	541
WRITE(9,988)	LOOP	542
WRITE(9,921) ALPHA	LOOP	543
WRITE(9,971) ASQ	LOOP	544
WRITE(9,968) BNUM	LOOP	545
WRITE(9,923) CDG	LOOP	546
WRITE(9,973) CHL	LOOP	547
WRITE(9,935) CHL1	LOOP	548
WRITE(9,924) CHV	LOOP	549
WRITE(9,936) CHV1	LOOP	550
WRITE(9,934) CPI	LOOP	551
WRITE(9,965) DELT	LOOP	552
WRITE(9,938) DELSTP	LOOP	553
WRITE(9,928) DFVEL	LOOP	554
WRITE(9,940) DPARST	LOOP	555
WRITE(9,964) DTWPRT	LOOP	556
WRITE(9,926) ECL	LOOP	557
WRITE(9,925) ECV	LOOP	558
WRITE(9,931) EDL	LOOP	559
WRITE(9,930) EDV	LOOP	560

WRITE(9,929)ELHT	LOOP	561
WRITE(9,966)EPSI	LOOP	562
WRITE(9,961)STEM	LOOP	563
WRITE(9,962)GAMI	LOOP	564
WRITE(9,937)IMP	LOOP	565
WRITE(9,941)NSUBDT	LOOP	566
WRITE(9,920)OMG	LOOP	567
WRITE(9,932)PHCH	LOOP	568
WRITE(9,972)RG	LOOP	569
WRITE(9,967)ROL	LOOP	570
WRITE(9,942) STABC	LOOP	571
WRITE(9,927)TC	LOOP	572
WRITE(9,960)THC	LOOP	573
WRITE(9,970)TSTART	LOOP	574
WRITE(9,963)TWFIN	LOOP	575
WRITE(9,939)TWSTP	LOOP	576
WRITE(9,974)VISL	LOOP	577
WRITE(9,975)VISV	LOOP	578
WRITE(9,903)	LOOP	579
C	LOOP	580
C CALCULATE NUMBER OF PIPES, JOINTS, AND BOUNDARY SETS	LOOP	581
DO 30 I=1,N1	LOOP	582
JCEL(I)=0	LOOP	583
DO 25 J=1,N2	LOOP	584
IF(NJS(I,J).EQ.0) GO TO 25	LOOP	585
JSXI(I)=J	LOOP	586
JCEL(I)=JCEL(I)+NJS(I,J)	LOOP	587
IL=I	LOOP	588
25 CONTINUE	LOOP	589
30 CONTINUE	LOOP	590
KL=0	LOOP	591
DO 35 I=1,IL	LOOP	592
KL=MAX0(KL,KBOT(I),KTOP(I))	LOOP	593
35 CONTINUE	LOOP	594
ML=0	LOOP	595
DO 40 M=1,N5	LOOP	596
IF((TEMB(M)+PG(M)+ROB(M)).NE.0.) ML=M	LOOP	597
40 CONTINUE	LOOP	598
C	LOOP	599
C---- BOUNDARY CONDITION CONSTANTS	LOOP	600
IF(ML.EQ.0) GO TO 13	LOOP	601
WRITE(9,950)	LOOP	602
WRITE(9,976)ML	LOOP	603
WRITE(9,977)	LOOP	604
DO 9 M=1,ML	LOOP	605
WRITE(9,953)M,TEMB(M),PB(M),THB(M)	LOOP	606
9 CONTINUE	LOOP	607
13 CONTINUE	LOOP	608
C---- ELEMENT DEPENDENT CONSTANTS	LOOP	609
IF(IL.NE.0) GO TO 14	LOOP	610
WRITE(9,989)	LOOP	611
CALL EXIT(20)	LOOP	612
14 CONTINUE	LOOP	613
WRITE(9,903)	LOOP	614
WRITE(9,978)IL	LOOP	615
WRITE(9,979)	LOOP	616
DO 10 I=1,IL	LOOP	617
WRITE(9,980)I,JCEL(I),LANG(I),JSXI(I),TEMI(I),PI(I),THI(I)	LOOP	618

10 CONTINUE	LOOP	619
C---- JOINT QUANTITIES	LOOP	620
IF (KL.EQ.0) GO TO 3	LOOP	621
DO 50 K=1,KL	LOOP	622
NPIPX=0	LOOP	623
NPIPY=0	LOOP	624
DO 49 I=1,IL	LOOP	625
IF (KBOT(I).NE.K) GO TO 46	LOOP	626
IF (LANG(I).EQ.1.OR.LANG(I).EQ.3) GO TO 45	LOOP	627
NPIPY=NPIPY+1	LOOP	628
IF (NPIPY.EQ.1) DYK(K)=DYS(I,1)	LOOP	629
IF (DYS(I,1).LT.DYK(K)) DYK(K)=DYS(I,1)	LOOP	630
RADY=DXS(I,1)	LOOP	631
GO TO 48	LOOP	632
45 NPIPX=NPIPX+1	LOOP	633
IF (NPIPX.EQ.1) DXK(K)=DYS(I,1)	LOOP	634
IF (DYS(I,1).LT.DXK(K)) DXK(K)=DYS(I,1)	LOOP	635
RADX=DXS(I,1)	LOOP	636
GO TO 48	LOOP	637
46 IF (KTOP(I).NE.K) GO TO 49	LOOP	638
NSEG1=JSX(I)	LOOP	639
IF (LANG(I).EQ.1.OR.LANG(I).EQ.3) GO TO 47	LOOP	640
NPIPY=NPIPY+1	LOOP	641
IF (NPIPY.EQ.1) DYK(K)=DYS(I,NSEG1)	LOOP	642
IF (DYS(I,NSEG1).LT.DYK(K)) DYK(K)=DYS(I,NSEG1)	LOOP	643
RADY=DXS(I,NSEG1)	LOOP	644
GO TO 48	LOOP	645
47 NPIPX=NPIPX+1	LOOP	646
IF (NPIPX.EQ.1) DXK(K)=DYS(I,NSEG1)	LOOP	647
IF (DYS(I,NSEG1).LT.DXK(K)) DXK(K)=DYS(I,NSEG1)	LOOP	648
RADX=DXS(I,NSEG1)	LOOP	649
48 PK(K)=PK(K) + PI(I)	LOOP	650
TEMK(K)=TEMK(K) + TEMI(I)	LOOP	651
THK(K)=THK(K) + THI(I)	LOOP	652
49 CONTINUE	LOOP	653
RNP1P=1.0/FLOAT(NPIPX + NPIPY)	LOOP	654
PK(K)=PK(K)*RNP1P	LOOP	655
TEMK(K)=TEMK(K)*RNP1P	LOOP	656
THK(K)=THK(K)*RNP1P	LOOP	657
IF (NPIPX.EQ.0) RADX=SQRT(RADY*DYK(K))	LOOP	658
IF (NPIPY.EQ.0) RADY=SQRT(RADX*DXK(K))	LOOP	659
IF (NPIPX.EQ.0) DXK(K)=RADY	LOOP	660
IF (NPIPY.EQ.0) DYK(K)=RADX	LOOP	661
DZONE=RADY**2/DXK(K)	LOOP	662
DZTWO=RADX**2/DYK(K)	LOOP	663
DZMAX=AMAX1(DZONE,DZTWO)	LOOP	664
DXK(K)=RADY**2/DZMAX	LOOP	665
DYK(K)=RADX**2/DZMAX	LOOP	666
50 CONTINUE	LOOP	667
WRITE(9,903)	LOOP	668
WRITE(9,984)KL	LOOP	669
WRITE(9,985)	LOOP	670
DO 5 K=1,KL	LOOP	671
WRITE(9,953)K,DXK(K),DYK(K),TEMK(K),PK(K),THK(K)	LOOP	672
5 CONTINUE	LOOP	673
3 CONTINUE	LOOP	674
C---- MESH DEPENDENT PROPERTIES	LOOP	675
DO 60 I=1,IL	LOOP	676

IF(KBOT(I).EQ.0) GO TO 65	LOOP	677
JL=JSXI(I)	LOOP	678
DO 54 J=1,JL	LOOP	679
L=JL+2-J	LOOP	680
NJS(I,L)=NJS(I,L-1)	LOOP	681
IDXS(I,L)=IDXS(I,L-1)	LOOP	682
DXS(I,L)=DXS(I,L-1)	LOOP	683
DYS(I,L)=DYS(I,L-1)	LOOP	684
VIS(I,L)=VIS(I,L-1)	LOOP	685
GYS(I,L)=GYS(I,L-1)	LOOP	686
CFRL(I,L)=CFRL(I,L-1)	LOOP	687
CFRS(I,L)=CFRS(I,L-1)	LOOP	688
54 CONTINUE	LOOP	689
JSXI(I)=JSXI(I)+1	LOOP	690
JCEL(I)=JCEL(I)+3	LOOP	691
NJS(I,1)=3	LOOP	692
K=KBOT(I)	LOOP	693
DYS(I,1)=DXK(K)	LOOP	694
IF(LANG(I).EQ.2.OR.LANG(I).EQ.4) DYS(I,1)=DYK(K)	LOOP	695
GO TO 55	LOOP	696
65 NJS(I,1)=NJS(I,1)+2	LOOP	697
JCEL(I)=JCEL(I)+2	LOOP	698
55 IF(KTOP(I).EQ.0) GO TO 75	LOOP	699
JSXI(I)=JSXI(I)+1	LOOP	700
L=JSXI(I)	LOOP	701
NJS(I,L)=2	LOOP	702
IDXS(I,L)=IDXS(I,L-1)	LOOP	703
DXS(I,L)=DXS(I,L-1)	LOOP	704
VIS(I,L)=VIS(I,L-1)	LOOP	705
GYS(I,L)=GYS(I,L-1)	LOOP	706
CFRL(I,L)=CFRL(I,L-1)	LOOP	707
CFRS(I,L)=CFRS(I,L-1)	LOOP	708
QJS(I,L)=QJS(I,L-1)	LOOP	709
K=KTOP(I)	LOOP	710
DYS(I,L)=DXK(K)	LOOP	711
IF(LANG(I).EQ.2.OR.LANG(I).EQ.4) DYS(I,L)=DYK(K)	LOOP	712
JCEL(I)=JCEL(I)+2	LOOP	713
GO TO 60	LOOP	714
75 L=JSXI(I)	LOOP	715
NJS(I,L)=NJS(I,L)+1	LOOP	716
JCEL(I)=JCEL(I)+1	LOOP	717
60 CONTINUE	LOOP	718
WRITE(9,903)	LOOP	719
WRITE(9,981)	LOOP	720
WRITE(9,983)	LOOP	721
DO 4 I=1,IL	LOOP	722
JL=JSXI(I)	LOOP	723
DO 4 J=1,JL	LOOP	724
JS=I+(J-1)*N1	LOOP	725
WRITE(9,982) I,J,NJS(JS),IDXS(JS),DXS(JS),DYS(JS),VIS(JS),GYS(JS),	LOOP	726
CFRL(JS),CFRS(JS),QJS(JS)	LOOP	727
4 CONTINUE	LOOP	728
RETURN	LOOP	729
C	LOOP	730
ENTRY INPBR	LOOP	731
C	LOOP	732
READ(10,DATUMS)	LOOP	733
RETURN	LOOP	734

C

920	FORMAT(10X, 9H	OMG = ,1PE15.7)	LOOP	735
921	FORMAT(10X, 9H	ALPHA = ,1PE15.7)	LOOP	736
922	FORMAT(10X, 9H	CDG = ,1PE15.7)	LOOP	737
923	FORMAT(10X, 9H	CDG = ,1PE15.7)	LOOP	738
924	FORMAT(10X, 9H	CHV = ,1PE15.7)	LOOP	739
925	FORMAT(10X, 9H	ECV = ,1PE15.7)	LOOP	740
926	FORMAT(10X, 9H	ECL = ,1PE15.7)	LOOP	741
927	FORMAT(10X, 9H	TC = ,1PE15.7)	LOOP	742
928	FORMAT(10X, 9H	DFVEL = ,1PE15.7)	LOOP	743
929	FORMAT(10X, 9H	ELHT = ,1PE15.7)	LOOP	744
930	FORMAT(10X, 9H	EDV = ,1PE15.7)	LOOP	745
931	FORMAT(10X, 9H	EDL = ,1PE15.7)	LOOP	746
932	FORMAT(10X, 9H	PHCH = ,1PE15.7)	LOOP	747
934	FORMAT(10X, 9H	CPI = ,1PE15.7)	LOOP	748
935	FORMAT(10X, 9H	CHLI = ,1PE15.7)	LOOP	749
936	FORMAT(10X, 9H	CHVI = ,1PE15.7)	LOOP	750
937	FORMAT(10X, 9H	IMP = ,1PE15.7)	LOOP	751
938	FORMAT(10X, 9H	DELSTP = ,1PE15.7)	LOOP	752
939	FORMAT(10X, 9H	TWSTP = ,1PE15.7)	LOOP	753
940	FORMAT(10X, 9H	DRST = ,1PE15.7)	LOOP	754
941	FORMAT(10X, 9H	NSUBDT = ,13)	LOOP	755
942	FORMAT(10X, 9H	STABC = ,1PE15.7)	LOOP	756
960	FORMAT(10X, 9H	THC = ,1PE15.7)	LOOP	757
961	FORMAT(10X, 9H	ETEM = ,1PE15.7)	LOOP	758
962	FORMAT(10X, 9H	GAMI = ,1PE15.7)	LOOP	759
963	FORMAT(10X, 9H	TWFIN = ,1PE15.7)	LOOP	760
964	FORMAT(10X, 9H	DTWPR = ,1PE15.7)	LOOP	761
965	FORMAT(10X, 9H	DELT = ,1PE15.7)	LOOP	762
966	FORMAT(10X, 9H	EPSI = ,1PE15.7)	LOOP	763
967	FORMAT(10X, 9H	ROL = ,1PE15.7)	LOOP	764
968	FORMAT(10X, 9H	BNUM = ,1PE15.7)	LOOP	765
970	FORMAT(10X, 9H	TSTART = ,1PE15.7)	LOOP	766
971	FORMAT(10X, 9H	ASQ = ,1PE15.7)	LOOP	767
972	FORMAT(10X, 9H	RG = ,1PE15.7)	LOOP	768
973	FORMAT(10X, 9H	CHL = ,1PE15.7)	LOOP	769
974	FORMAT(10X, 9H	VISL = ,1PE15.7)	LOOP	770
975	FORMAT(10X, 9H	VISV = ,1PE15.7)	LOOP	771
976	FORMAT(10X, 39H	BOUNDARY CONDITION INPUT ML = ,15//)	LOOP	772
977	FORMAT(42H	M TEMB PB THB//)	LOOP	773
978	FORMAT(10X, 25H	PIPE INPUT IL = ,15//)	LOOP	774
979	FORMAT(43H	I JCEL LANG JSXI TEMI PI	LOOP	775
	114H	THI//)	LOOP	776
980	FORMAT(415, 6E	15.7)	LOOP	777
981	FORMAT(10X, 25H	MESH DEPENDENT PROPERTIES//)	LOOP	778
982	FORMAT(415, 7E	14.6)	LOOP	779
983	FORMAT(45H	I JS NJS IDXS DXS DYS	LOOP	780
	156H	VIS GYS CFRL CFRS	LOOP	781
	2 10X, 3HQJS	//)	LOOP	782
984	FORMAT(10X, 30H	JOINT QUANTITIES KL = ,15//)	LOOP	783
985	FORMAT(45H	K DXK DYK TEMK	LOOP	784
	125H	PK THK//)	LOOP	785
988	FORMAT(10X, 15H	INPUT CONSTANTS//)	LOOP	786
989	FORMAT(39H	ERROR *** THIS SYSTEM HAS NO PIPES	LOOP	787
	END		LOOP	788

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SUBROUTINE JCTO	LOOP	789
*CALL,LOOPC	LOOP	790
C---- INITIALIZATION OF JUNCTION CELL	LOOP	791
C---- CREATES AND INITIALIZES ADJACENT STORAGE CELLS	LOOP	792
GO TO (17,18),KTOU	LOOP	793
18 DO 30 K=1,KL	LOOP	794
PK(K)=0.	LOOP	795
DXKC(K)=DXK(K)	LOOP	796
DYKC(K)=DYK(K)	LOOP	797
DYK(K)=0.	LOOP	798
DXK(K)=0.	LOOP	799
30 CONTINUE	LOOP	800
DO 1 K=1,KL	LOOP	801
IF(TIMK(K).GT.T)GO TO 1	LOOP	802
DELT=DTIMK(K)	LOOP	803
CALL KSET(K)	LOOP	804
DXK(KOO)=DXKC(K)	LOOP	805
DXK(KPO)=DXKC(K)	LOOP	806
DXK(KOP)=DXKC(K)	LOOP	807
DXK(KMO)=DXKC(K)	LOOP	808
DXK(KOM)=DXKC(K)	LOOP	809
DYK(KOO)=DYKC(K)	LOOP	810
DYK(KPO)=DYKC(K)	LOOP	811
DYK(KOP)=DYKC(K)	LOOP	812
DYK(KMO)=DYKC(K)	LOOP	813
DYK(KOM)=DYKC(K)	LOOP	814
ROK(KOO)=ROKC(K)	LOOP	815
ROK(KPO)=ROKC(K)	LOOP	816
ROK(KOP)=ROKC(K)	LOOP	817
ROK(KMO)=ROKC(K)	LOOP	818
ROK(KOM)=ROKC(K)	LOOP	819
RVK(KOO)=RVKC(K)	LOOP	820
RVK(KPO)=RVKC(K)	LOOP	821
RVK(KOP)=RVKC(K)	LOOP	822
RVK(KMO)=RVKC(K)	LOOP	823
RVK(KOM)=RVKC(K)	LOOP	824
EK(KOO)=EKC(K)	LOOP	825
EK(KPO)=EKC(K)	LOOP	826
EK(KOP)=EKC(K)	LOOP	827
EK(KMO)=EKC(K)	LOOP	828
EK(KOM)=EKC(K)	LOOP	829
PK(KOO)=PCAL(EK(KOO),ROK(KOO),RVK(KOO))	LOOP	830
PK(KPO)=PK(KOO)	LOOP	831
PK(KOP)=PK(KOO)	LOOP	832
PK(KMO)=PK(KOO)	LOOP	833
PK(KOM)=PK(KOO)	LOOP	834
VK(KUO)=0.	LOOP	835
VK(KOU)=0.	LOOP	836
VK(KDO)=0.	LOOP	837
VK(KOD)=0.	LOOP	838
GAM(KUO)=0.	LOOP	839
GAM(KOU)=0.	LOOP	840
GAM(KDO)=0.	LOOP	841
GAM(KOD)=0.	LOOP	842
1 CONTINUE	LOOP	843
DO 2 I=1,IL	LOOP	844

IF(TIM(I).GT.T)GO TO 2	LOOP	845
DELT=DTIM(I)	LOOP	846
CALL JSET(I)	LOOP	847
JSB=JSF(JB)	LOOP	848
JST=JSF(JT)	LOOP	849
I1=IBOT(I)	LOOP	850
GO TO (3,4),I1	LOOP	851
4 K1=KBOT(I)	LOOP	852
L1=LANG(I)	LOOP	853
CALL KSET(K1)	LOOP	854
GO TO (5,6,7,8),L1	LOOP	855
5 CONTINUE	LOOP	856
DXK(KPO)=DYS(JSB)	LOOP	857
GAM(KUO)=1.	LOOP	858
GO TO 9	LOOP	859
6 CONTINUE	LOOP	860
DYK(KOP)=DYS(JSB)	LOOP	861
GAM(KOU)=1.	LOOP	862
GO TO 9	LOOP	863
7 CONTINUE	LOOP	864
DXK(KMO)=DYS(JSB)	LOOP	865
GAM(KDO)=1.	LOOP	866
GO TO 9	LOOP	867
8 CONTINUE	LOOP	868
DIK(KOM)=DYS(JSB)	LOOP	869
GAM(KOD)=1.	LOOP	870
9 CONTINUE	LOOP	871
3 CONTINUE	LOOP	872
I1=ITOP(I)	LOOP	873
GO TO (10,11),I1	LOOP	874
11 K1=KTOP(I)	LOOP	875
L1=LANG(I)	LOOP	876
CALL KSET(K1)	LOOP	877
GO TO (14,15,12,13),L1	LOOP	878
12 CONTINUE	LOOP	879
DXK(KPO)=DYS(JST)	LOOP	880
GAM(KUO)=1.	LOOP	881
GO TO 16	LOOP	882
13 CONTINUE	LOOP	883
DYK(KOP)=DYS(JST)	LOOP	884
GAM(KOU)=1.	LOOP	885
GO TO 16	LOOP	886
14 CONTINUE	LOOP	887
DXK(KMO)=DYS(JST)	LOOP	888
GAM(KDO)=1.	LOOP	889
GO TO 16	LOOP	890
15 CONTINUE	LOOP	891
DYK(KOM)=DYS(JST)	LOOP	892
GAM(KOD)=1.	LOOP	893
16 CONTINUE	LOOP	894
10 CONTINUE	LOOP	895
2 CONTINUE	LOOP	896
17 CONTINUE	LOOP	897
RETURN	LOOP	898
END	LOOP	899

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SUBROUTINE JCTPIP	LOOP	900
*CALL LOOPC	LOOP	901
C---- JUNCTION TO PIPE SHIFT	LOOP	902
DO 1 I=1,IL	LOOP	903
CALL JSET(I)	LOOP	904
JSB=JSF(JB1)	LOOP	905
JST=JSF(JT2)	LOOP	906
I1=IBOT(I)	LOOP	907
GO TO (2,3),I1	LOOP	908
3 K1=KBOT(I)	LOOP	909
L1=LANG(I)	LOOP	910
IF(TIMK(K1).GT.T)GO TO 2	LOOP	911
CALL KSET(K1)	LOOP	912
RO(JB1)=ROK(K00)	LOOP	913
RV(JB1)=RVK(K00)	LOOP	914
E(JB1)=EK(K00)	LOOP	915
P(JB1)=PK(K00)	LOOP	916
VP(JB1)=VPK(K1)	LOOP	917
GO TO (4,5,6,7),L1	LOOP	918
4 V(JB0)=(DYS(JSB)*VK(K00)+(DXK(K00)-DYS(JSB))*VK(K00))/DXK(K00)	LOOP	919
V(JB1)=VK(K00)	LOOP	920
GO TO 8	LOOP	921
5 V(JB0)=(DYS(JSB)*VK(K00)+(DYK(K00)-DYS(JSB))*VK(K00))/DYK(K00)	LOOP	922
V(JB1)=VK(K00)	LOOP	923
GO TO 8	LOOP	924
6 V(JB0)=-((DYS(JSB)*VK(K00)+(DXK(K00)-DYS(JSB))*VK(K00))/DXK(K00))	LOOP	925
V(JB1)=-VK(K00)	LOOP	926
GO TO 8	LOOP	927
7 V(JB0)=-((DYS(JSB)*VK(K00)+(DYK(K00)-DYS(JSB))*VK(K00))/DYK(K00))	LOOP	928
V(JB1)=-VK(K00)	LOOP	929
8 CONTINUE	LOOP	930
2 CONTINUE	LOOP	931
I1=ITOP(I)	LOOP	932
GO TO (9,10),I1	LOOP	933
10 K1=KTOP(I)	LOOP	934
L1=LANG(I)	LOOP	935
IF(TIMK(K1).GT.T)GO TO 9	LOOP	936
CALL KSET(K1)	LOOP	937
RO(JT1)=ROK(K00)	LOOP	938
RV(JT1)=RVK(K00)	LOOP	939
E(JT1)=EK(K00)	LOOP	940
P(JT1)=PK(K00)	LOOP	941
VP(JT1)=VPK(K1)	LOOP	942
GO TO (11,12),L1	LOOP	943
11 V(JT1)=-((DYS(JST)*VK(K00)+(DXK(K00)-DYS(JST))*VK(K00))/DXK(K00))	LOOP	944
V(JT2)=-VK(K00)	LOOP	945
GO TO 15	LOOP	946
12 V(JT1)=-((DYS(JST)*VK(K00)+(DYK(K00)-DYS(JST))*VK(K00))/DYK(K00))	LOOP	947
V(JT2)=-VK(K00)	LOOP	948
GO TO 15	LOOP	949
13 V(JT1)=(DYS(JST)*VK(K00)+(DXK(K00)-DYS(JST))*VK(K00))/DXK(K00)	LOOP	950
V(JT2)=VK(K00)	LOOP	951
GO TO 15	LOOP	952
14 V(JT1)=(DYS(JST)*VK(K00)+(DYK(K00)-DYS(JST))*VK(K00))/DYK(K00)	LOOP	953
V(JT2)=VK(K00)	LOOP	954

15 CONTINUE	LOOP	955
9 CONTINUE	LOOP	956
1 CONTINUE	LOOP	957
RETURN	LOOP	958
END	LOOP	959

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SUBROUTINE JSET(I)	LOOP	960
*CALL ,LOOPC	LOOP	961
C---- PIPE INDEX ALGEBRA	LOOP	962
JB0=JREF(I)+1	LOOP	963
JB1=JB0+1	LOOP	964
JB2=JB1+1	LOOP	965
JT1=JB0+JCEL(I)-1	LOOP	966
JT2=JT1-1	LOOP	967
JML=JB0+JML1(I)	LOOP	968
JMH=JT1-JMH1(I)	LOOP	969
JPB=JB1+JPB1(I)	LOOP	970
JPT=JT1-JPT1(I)	LOOP	971
RETURN	LOOP	972
END	LOOP	973

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SUBROUTINE KSET(K)	LOOP	974
*CALL ,LOOPC	LOOP	975
C---- JUNCTION INDEX ALGEBRA	LOOP	976
K1=(K-1)*5	LOOP	977
K00=K1+1	LOOP	978
KPO=K00+1	LOOP	979
KOP=K00+2	LOOP	980
KMO=K00+3	LOOP	981
KOM=K00+4	LOOP	982
KU0=K1+1	LOOP	983
KOU=KU0+1	LOOP	984
KDO=KU0+2	LOOP	985
KOD=KU0+3	LOOP	986
RETURN	LOOP	987
END	LOOP	988

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SUBROUTINE LOGCPR	LOOP	989
*CALL ,LOOPC	LOOP	990
WRITE(9,950)	LOOP	991
WRITE(9,960)	LOOP	992
WRITE(9,961)	LOOP	993
DO 1 I=1,IL	LOOP	994

CALL JSET(I)	LOOP	995
WRITE(9,905) I, JREF(I), JCEL(I), JMLI(I), JMHI(I), JPBI(I), JPTI(I)	LOOP	996
1, KBOT(I), KTOP(I), LBOT(I), LTOP(I), MBOT(I), MTOP(I), JBI, JTI, IBOT(I),	LOOP	997
2ITOP(I)	LOOP	998
1 CONTINUE	LOOP	999
WRITE(9,903)	LOOP	1000
WRITE(9,962)	LOOP	1001
J=0	LOOP	1002
DO 40 I=1, IL	LOOP	1003
JSL=JSXI(I)	LOOP	1004
DO 35 JS=1, JSL	LOOP	1005
N1=NJS(I, JS)	LOOP	1006
DO 30 N=1, N1	LOOP	1007
J=J+1	LOOP	1008
WRITE(9,905) I, JS, J, JSF(J)	LOOP	1009
30 CONTINUE	LOOP	1010
35 CONTINUE	LOOP	1011
40 CONTINUE	LOOP	1012
RETURN	LOOP	1013
905 FORMAT(20I5)	LOOP	1014
960 FORMAT(10X, 11HLOGIC PRINT//)	LOOP	1015
961 FORMAT(52H I JREF JCEL JMLI JMHI JPBI JPTI KBOT KTOP LBOT ,	LOOP	1016
135H LTOP MBOT MTOP JBI JTI IBOT ITOP //)	LOOP	1017
962 FORMAT(25H 1P 1S J JSF(J) //)	LOOP	1018
END	LOOP	1019

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FUNCTION PCAL(ET, ROT, RVT)	LOOP	1020
*CALL, LOOPC	LOOP	1021
C---- PRESSURE CALCULATION	LOOP	1022
TH=(ROL+RVT-ROT)/ROL	LOOP	1023
THTM=TH	LOOP	1024
IF (TH.LT.TH) THTM=THC	LOOP	1025
EEMT=EEM	LOOP	1026
IF (TH.GT.TH) EEMT=1.	LOOP	1027
TEM=TEMC(ROT, RVT, ET, 0.)	LOOP	1028
IF (EEMT.LT..5) TEM=255.2	LOOP	1029
EV1=EVCAL(TEM)	LOOP	1030
PT=GAM1*RVT*EV1/THTM+ASQ*ROL*(THTM-TH)	LOOP	1031
PTT=PI	LOOP	1032
IF (EEMT.GT..5) GO TO 6265	LOOP	1033
PCC0=117.8*GAM1*RVT/THTM	LOOP	1034
PCC=PCC0*(CHV-CHV1*(510.4-2.*TC))	LOOP	1035
PCC1=PCC0*CHV1*117.8	LOOP	1036
PT=PTT+2.*(.223*PCC)**1.287	LOOP	1037
6260 PTG=PT	LOOP	1038
PTA=PCC*PTG** .223-PCC1*PTG** .446	LOOP	1039
PT=PTG+(PTT+PTA-PTG)/(1.-.223*PTA/PTG)	LOOP	1040
IF (ABS((PT-PTG)/(PT+PTG)).GT..01) GO TO 6260	LOOP	1041
6265 CONTINUE	LOOP	1042
PCAL=PT	LOOP	1043
RETURN	LOOP	1044
END	LOOP	1045

===== // =====

SUBROUTINE PIPJCT	LOOP	1046
*CALL, LOOPC	LOOP	1047
C---- PIPE TO JUNCTION SHIFT	LOOP	1048
DO 1 I=1,IL	LOOP	1049
IF (TIM(I).GT.T) GO TO 1	LOOP	1050
CALL JSET(I)	LOOP	1051
I1=IBOT(I)	LOOP	1052
GO TO (2,3),I1	LOOP	1053
3 K1=KBOT(I)	LOOP	1054
L1=LANG(I)	LOOP	1055
CALL KSET(K1)	LOOP	1056
GO TO (4,5,6,7),L1	LOOP	1057
4 ROK(KP0)=RO(JB2)	LOOP	1058
RVK(KP0)=RV(JB2)	LOOP	1059
EK(KP0)=E(JB2)	LOOP	1060
PK(KP0)=P(JB2)	LOOP	1061
VK(KU0)=V(JB1)	LOOP	1062
VDK(KU0)=VD(JB1)	LOOP	1063
GO TO 8	LOOP	1064
5 ROK(KOP)=RO(JB2)	LOOP	1065
RVK(KOP)=RV(JB2)	LOOP	1066
EK(KOP)=E(JB2)	LOOP	1067
PK(KOP)=P(JB2)	LOOP	1068
VK(KOU)=V(JB1)	LOOP	1069
VDK(KOU)=VD(JB1)	LOOP	1070
GO TO 8	LOOP	1071
6 ROK(KMO)=RO(JB2)	LOOP	1072
RVK(KMO)=RV(JB2)	LOOP	1073
EK(KMO)=E(JB2)	LOOP	1074
PK(KMO)=P(JB2)	LOOP	1075
VK(KDO)=-V(JB1)	LOOP	1076
VDK(KDO)=-VD(JB1)	LOOP	1077
GO TO 8	LOOP	1078
7 ROK(KOM)=RO(JB2)	LOOP	1079
RVK(KOM)=RV(JB2)	LOOP	1080
EK(KOM)=E(JB2)	LOOP	1081
PK(KOM)=P(JB2)	LOOP	1082
VK(KOD)=-V(JB1)	LOOP	1083
VDK(KOD)=-VD(JB1)	LOOP	1084
8 CONTINUE	LOOP	1085
2 CONTINUE	LOOP	1086
I1=ITOP(I)	LOOP	1087
GO TO (9,10),I1	LOOP	1088
10 K1=KTOP(I)	LOOP	1089
L1=LANG(I)	LOOP	1090
CALL KSET(K1)	LOOP	1091
GO TO (13,14,11,12),L1	LOOP	1092
11 ROK(KP0)=RO(JT2)	LOOP	1093
RVK(KP0)=RV(JT2)	LOOP	1094
EK(KP0)=E(JT2)	LOOP	1095
PK(KP0)=P(JT2)	LOOP	1096
VK(KU0)=-V(JT2)	LOOP	1097
VDK(KU0)=-VD(JT2)	LOOP	1098

GO TO 15	LOOP	1099
12 ROK(KOP)=RO(JT2)	LOOP	1100
RVK(KOP)=RV(JT2)	LOOP	1101
EK(KOP)=E(JT2)	LOOP	1102
PK(KOP)=P(JT2)	LOOP	1103
VK(KOU)=-V(JT2)	LOOP	1104
VDK(KOU)=-VD(JT2)	LOOP	1105
GO TO 15	LOOP	1106
13 ROK(KMO)=RO(JT2)	LOOP	1107
RVK(KMO)=RV(JT2)	LOOP	1108
EK(KMO)=E(JT2)	LOOP	1109
PK(KMO)=P(JT2)	LOOP	1110
VK(KDO)=V(JT2)	LOOP	1111
VDK(KDO)=VD(JT2)	LOOP	1112
GO TO 15	LOOP	1113
14 ROK(KOM)=RO(JT2)	LOOP	1114
RVK(KOM)=RV(JT2)	LOOP	1115
EK(KOM)=E(JT2)	LOOP	1116
PK(KOM)=P(JT2)	LOOP	1117
VK(KOD)=V(JT2)	LOOP	1118
VDK(KOD)=VD(JT2)	LOOP	1119
15 CONTINUE	LOOP	1120
9 CONTINUE	LOOP	1121
1 CONTINUE	LOOP	1122
RETURN	LOOP	1123
END	LOOP	1124

===== // =====

SUBROUTINE PITERJ	LOOP	1125
*CALL .LOOPC	LOOP	1126
C---- PRESSURE ITERATIONS FOR JUNCTION CELLS	LOOP	1127
GO TO(100,200),KTOU	LOOP	1128
200 CONTINUE	LOOP	1129
DO 1 K=1,KL	LOOP	1130
IF(TIMK(K).GT.T)GO TO 1	LOOP	1131
DELT=DTIMK(K)	LOOP	1132
CALL KSET(K)	LOOP	1133
SM=-1.0E+10	LOOP	1134
ICT=0	LOOP	1135
XX=1.0E+10	LOOP	1136
XMN=0.0	LOOP	1137
PBB=0.0	LOOP	1138
10 PBAR=PK(K00)	LOOP	1139
D=DELT*((VK(KUO)-VK(KDO))/DXK(KOO)+(VK(KOU)-VK(KOD))/DYK(KOO))	LOOP	1140
ROT=RONK(KOO)/(1.+D)	LOOP	1141
RVT=RVK(KOO)/(1.+D)	LOOP	1142
ET=ENK(KOO)-PK(KOO)*D/ROK(KOO)	LOOP	1143
PT=PCAL(ET,ROT,RVT)	LOOP	1144
S=PBAR-PT	LOOP	1145
IF(1CT.NE.0.AND.S.NE.SM) BETAK(K)=(PBAR-PBB)/(S-SM)	LOOP	1146
PK(KOO)=PBAR-BETAK(K)*S	LOOP	1147
IF(S.GE.0.0)GO TO 20	LOOP	1148
XMN=PBAR	LOOP	1149
IF(PK(KOO).GE.XX)PK(KOO)=0.5*(XMN+XX)	LOOP	1150

GO TO 30	LOOP	1151
20 XMX=PBAR	LOOP	1152
IF (PK(K00) .LE. XMN) PK(K00)=0.5*(XMN+XMX)	LOOP	1153
30 CONTINUE	LOOP	1154
DELP=PK(K00)-PBAR	LOOP	1155
IF (ABS(DELP) .LE. EPS!*PK(K00)) ICT=100	LOOP	1156
DLXR2=DXK(K00)+DXK(KP0)	LOOP	1157
DLXL2=DXK(KM0)+DXK(K00)	LOOP	1158
DLYT2=DYK(K00)+DYK(K0P)	LOOP	1159
DLYB2=DYK(K0M)+DYK(K00)	LOOP	1160
ROKR=(DXK(KP0)*ROK(K00)+DXK(K00)*ROK(KP0))/DLXR2	LOOP	1161
ROKL=(DXK(KM0)*ROK(K00)+DXK(K00)*ROK(KM0))/DLXL2	LOOP	1162
ROKT=(DYK(K0P)*ROK(K00)+DYK(K00)*ROK(K0P))/DLYT2	LOOP	1163
ROKB=(DYK(K0M)*ROK(K00)+DYK(K00)*ROK(K0M))/DLYB2	LOOP	1164
DUR=2.*DELT*DELP/(ROKR*DLXR2)	LOOP	1165
DUL=-2.*DELT*DELP/(ROKL*DLXL2)	LOOP	1166
DVT=2.*DELT*DELP/(ROKT*DLYT2)	LOOP	1167
DVB=-2.*DELT*DELP/(ROKB*DLYB2)	LOOP	1168
DUR=DUR*GAM(KU0)	LOOP	1169
DUL=DUL*GAM(KD0)	LOOP	1170
DVT=DVT*GAM(KOU)	LOOP	1171
DVB=DVB*GAM(KOD)	LOOP	1172
VK(KU0)=VK(KU0)+DUR	LOOP	1173
VK(KD0)=VK(KD0)+DUL	LOOP	1174
VK(KOU)=VK(KOU)+DVT	LOOP	1175
VK(KOD)=VK(KOD)+DVB	LOOP	1176
SM=S	LOOP	1177
PBB=PBAR	LOOP	1178
ICT=ICT+1	LOOP	1179
IF (ICT.GT.10) GO TO 1	LOOP	1180
FLG=1.0	LOOP	1181
GO TO 10	LOOP	1182
1 CONTINUE	LOOP	1183
100 CONTINUE	LOOP	1184
RETURN	LOOP	1185
END	LOOP	1186

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SUBROUTINE PITERP	LOOP	1187
*CALL LOOPC	LOOP	1188
C---- PRESSURE ITERATION FOR PIPES	LOOP	1189
DO 1 I=1,IL	LOOP	1190
IF (TIM(I).GT.T) GO TO 1	LOOP	1191
DELT=DTIM(I)	LOOP	1192
CALL JSET(I)	LOOP	1193
DO 100 J=JPB,JPT	LOOP	1194
JC=JSF(J)	LOOP	1195
JCP=JSF(L+1)	LOOP	1196
JCM=JSF(J-1)	LOOP	1197
ARU=ARAV(JC,JCP)	LOOP	1198
ARD=ARAV(JCM,JC)	LOOP	1199
SM=-1.0E+10	LOOP	1200
ICT=0	LOOP	1201
XMX=1.0E+10	LOOP	1202

	XMN=0.	LOOP	1203
	PBB=0.0	LOOP	1204
10	PBAR=P(J)	LOOP	1205
	D=(DELT/(DXS(JC)**2*DYS(JC)))*(ARU*V(J)-ARC*V(J-1))	LOOP	1206
	D=AMAX1(D,-0.99)	LOOP	1207
	ROT=RON(J)/(1.+D)	LOOP	1208
	RVT=RVN(J)/(1.+D)	LOOP	1209
	ET=EN(J)-P(J)*D/RO(J)	LOOP	1210
	PT=PCAL(ET,ROT,RVT)	LOOP	1211
	S=PBAR-PT	LOOP	1212
	IF(1CT.NE.0.AND.S.NE.SM) BETA(J)=(PBAR-PBB)/(S-SM)	LOOP	1213
	P(J)=PBAR-BETA(J)*S	LOOP	1214
	IF(S.GE.0.0)GO TO 20	LOOP	1215
	XMN=PBAR	LOOP	1216
	IF(P(J).GE.XMX)P(J)=0.5*(XMN+XMX)	LOOP	1217
	GO TO 30	LOOP	1218
20	XMX=PBAR	LOOP	1219
	IF(P(J).LE.XMN)P(J)=0.5*(XMN+XMX)	LOOP	1220
30	CONTINUE	LOOP	1221
	DELP=P(J)-PBAR	LOOP	1222
	IF(ABS(DELP).LE.EPS)*P(J)1CT=100	LOOP	1223
	DLYU2=DYS(JC)+DYS(JCP)	LOOP	1224
	DLYD2=DYS(JCM)+DYS(JC)	LOOP	1225
	ROU=(DYS(JCP)*RO(J)+DYS(JC)*RO(J+1))/DLYU2	LOOP	1226
	ROD=(DYS(JC)*RO(J-1)+DYS(JCM)*RO(J))/DLYD2	LOOP	1227
	DVU=2.*DELT*DELP/(ROU*DLYU2)	LOOP	1228
	DVD=-2.*DELT*DELP/(ROD*DLYD2)	LOOP	1229
	V(J)=V(J)+DVU	LOOP	1230
	V(J-1)=V(J-1)+DVD	LOOP	1231
	SM=S	LOOP	1232
	PBB=PBAR	LOOP	1233
	1CT=1CT+1	LOOP	1234
	IF(1CT.GT.10)GO TO 100	LOOP	1235
	FLG=1.0	LOOP	1236
	GO TO 10	LOOP	1237
100	CONTINUE	LOOP	1238
1	CONTINUE	LOOP	1239
	RETURN	LOOP	1240
	END	LOOP	1241

===== // // =====

	SUBROUTINE PSET	LOOP	1242
*CALL	.LOOPC	LOOP	1243
C----	SET PRESSURE	LOOP	1244
	DO 1 I=1,IL	LOOP	1245
	CALL JSET(I)	LOOP	1246
	DO 1 J=JPB,JPT	LOOP	1247
	P(J)=PCAL(E(J),RO(J),RV(J))	LOOP	1248
1	CONTINUE	LOOP	1249
	GO TO (2,3),KTOU	LOOP	1250
3	DO 4 K=1,KL	LOOP	1251
	CALL KSET(K)	LOOP	1252
	PK(K00)=PCAL(EK(K00),ROK(K00),RVK(K00))	LOOP	1253
4	CONTINUE	LOOP	1254

2 CONTINUE	LOOP	1255
RETURN	LOOP	1256
END	LOOP	1257

===== // =====

SUBROUTINE PUMP(J,PHEAD)	LOOP	1258
*CALL,LOOPC	LOOP	1259
C---- PUMP PACKAGE	LOOP	1260
PHEAD=0.	LOOP	1261
RETURN	LOOP	1262
ENTRY PUMPA	LOOP	1263
RETURN	LOOP	1264
END	LOOP	1265

===== // =====

FUNCTION RBBNCAL(TH1)	LOOP	1266
*CALL,LOOPC	LOOP	1267
RBBNCAL=(TH1/PNV)**0.3333	LOOP	1268
RETURN	LOOP	1269
END	LOOP	1270

===== // =====

FUNCTION RBWNCAL(J1,RO1,KTRAN)	LOOP	1271
*CALL,LOOPC	LOOP	1272
J=J1	LOOP	1273
GO TO (1,2) KTRAN	LOOP	1274
1 VAVE=0.5*ABS(V(J)+V(J-1))	LOOP	1275
VDAVE=0.5*ABS(VD(J)+VD(J-1))	LOOP	1276
GO TO 3	LOOP	1277
2 VAVE=0.5*SQRT((VK(KOU)+VK(KOD))**2+(VK(KOU)+VK(KOD))**2)	LOOP	1278
VDAVE=0.5*SQRT((VDK(KOU)+VDK(KOD))**2+(VDK(KOU)+VDK(KOD))**2)	LOOP	1279
3 VTB=0.1*VAVE+VDAVE	LOOP	1280
RBWNCAL=0.0009/(RO1*VTB**2+1.0E-10)	LOOP	1281
RETURN	LOOP	1282
END	LOOP	1283

===== // =====

SUBROUTINE RESET	LOOP	1284
*CALL,LOOPC	LOOP	1285
DATA BETAC / .98 /	LOOP	1286
C---- RESET FOR NEXT TIME STEP	LOOP	1287
DO 1 I=1,IL	LOOP	1288

IF (TIM(I).GT.T)GO TO 1	LOOP	1289
DELT=DTIM(I)	LOOP	1290
CALL JSET(I)	LOOP	1291
DO 2 J=JB0,JT1	LOOP	1292
VN(J)=V(J)	LOOP	1293
RON(J)=RO(J)	LOOP	1294
RVN(J)=RV(J)	LOOP	1295
EN(J)=E(J)	LOOP	1296
2 CONTINUE	LOOP	1297
1 CONTINUE	LOOP	1298
GO TO (8,9),KTOU	LOOP	1299
9 DO 7 K=1,KL	LOOP	1300
IF (TIMK(K).GT.T)GO TO 7	LOOP	1301
DELT=DTIMK(K)	LOOP	1302
CALL KSET(K)	LOOP	1303
VNK(KUO)=VK(KUO)	LOOP	1304
VNK(KDO)=VK(KDO)	LOOP	1305
VNK(KOU)=VK(KOU)	LOOP	1306
VNK(KOD)=VK(KOD)	LOOP	1307
RONK(KOO)=ROK(KOO)	LOOP	1308
RONK(KPO)=ROK(KPO)	LOOP	1309
RONK(KMO)=ROK(KMO)	LOOP	1310
RONK(KOP)=ROK(KOP)	LOOP	1311
RONK(KOM)=ROK(KOM)	LOOP	1312
RVNK(KOO)=RVK(KOO)	LOOP	1313
RVNK(KPO)=RVK(KPO)	LOOP	1314
RVNK(KMO)=RVK(KMO)	LOOP	1315
RVNK(KOP)=RVK(KOP)	LOOP	1316
RVNK(KOM)=RVK(KOM)	LOOP	1317
ENK(KOO)=EK(KOO)	LOOP	1318
ENK(KPO)=EK(KPO)	LOOP	1319
ENK(KMO)=EK(KMO)	LOOP	1320
ENK(KOP)=EK(KOP)	LOOP	1321
ENK(KOM)=EK(KOM)	LOOP	1322
7 CONTINUE	LOOP	1323
8 CONTINUE	LOOP	1324
C---- ADJUST TIME STEP	LOOP	1325
CALL TIMCT	LOOP	1326
C---- RELAXATION FACTOR	LOOP	1327
DO 3 I=1,IL	LOOP	1328
DELT=DTIM(I)	LOOP	1329
CALL JSET(I)	LOOP	1330
DO 3 J=JB2,JT2	LOOP	1331
JC=JSF(J)	LOOP	1332
JCP=JSF(J+1)	LOOP	1333
JCM=JSF(J-1)	LOOP	1334
DLYU2=DYS(JCP)+DYS(JC)	LOOP	1335
DLYD2=DYS(JCM)+DYS(JC)	LOOP	1336
ROU=(DYS(JCP)*RO(J)+DYS(JC)*RO(J+1))/DLYU2	LOOP	1337
ROD=(DYS(JC)*RO(J-1)+DYS(JCM)*RO(J))/DLYD2	LOOP	1338
IF (J.EQ.JB2) ROD=RO(J)	LOOP	1339
IF (J.EQ.JT2) ROU=RO(J)	LOOP	1340
PTO=PCAL(E(J),RO(J),RV(J))	LOOP	1341
DELP=-EPSI*PTO	LOOP	1342
VT=2.*DELT*DELP/(ROU*DLYU2)	LOOP	1343
VB=-2.*DELT*DELP/(ROD*DLYD2)	LOOP	1344
ARU=ARAV(JC,JCP)	LOOP	1345
ARD=ARAV(JCM,JC)	LOOP	1346

DT=(DELT/(DXS(JC)**2*DYS(JC)))*(ARU*VT-ARD*VB)	LOOP	1347
ROT=RO(J)/(1.0+DT)	LOOP	1348
RVT=RV(J)/(1.0+DT)	LOOP	1349
ET=E(J)-PTO/RO(J)*DT	LOOP	1350
PT=PCAL(ET,ROT,RVT)	LOOP	1351
BETA(J)=OMG*DELP/(DELP-(PT-PTO))	LOOP	1352
BETA(J)=AMINI(BETA(J),BETAC)	LOOP	1353
IF(BETA(J).LE.0.) BETA(J)=BETAC	LOOP	1354
3 CONTINUE	LOOP	1355
GO TO (5,6),KTOU	LOOP	1356
6 DO 4 K=1,KL	LOOP	1357
DELT=DT/MK(K)	LOOP	1358
CALL KSET(K)	LOOP	1359
ET=E(KOO)	LOOP	1360
ROT=RO(KOO)	LOOP	1361
RVT=RV(KOO)	LOOP	1362
PT=PCAL(ET,ROT,RVT)	LOOP	1363
PTO=PT	LOOP	1364
DELP=-EPSI*PTO	LOOP	1365
UR=2.*DELT*DELP/DXK(KOO)/(ROK(KOO)+ROK(KPO))	LOOP	1366
UL=-2.*DELT*DELP/DXK(KOO)/(ROK(KMO)+ROK(KOO))	LOOP	1367
VT=2.*DELT*DELP/DYK(KOO)/(ROK(KOO)+ROK(KOP))	LOOP	1368
VB=-2.*DELT*DELP/DYK(KOO)/(ROK(KOM)+ROK(KOO))	LOOP	1369
UR=UR*GAM(KOU)	LOOP	1370
UL=UL*GAM(KOO)	LOOP	1371
VT=VT*GAM(KOU)	LOOP	1372
VB=VB*GAM(KOD)	LOOP	1373
DT=DELT*((UR-UL)/DXK(KOO)+(VT-VB)/DYK(KOO))	LOOP	1374
F	LOOP	1375
J)/(1.+DT)	LOOP	1376
K(KOO)-PTO*DT/ROK(KOO)	LOOP	1377
PT=PCAL(ET,ROT,RVT)	LOOP	1378
BETAK(K)=OMG*DELP/(DELP-(PT-PTO))	LOOP	1379
BETAK(K)=AMINI(BETAK(K),BETAC)	LOOP	1380
IF(BETAK(K).LE.0.) BETAK(K)=BETAC	LOOP	1381
4 CONTINUE	LOOP	1382
5 CONTINUE	LOOP	1383
RETURN	LOOP	1384
END	LOOP	1385

===== // =====

FUNCTION RVCAL(EI,PI,THI)	LOOP	1386
*CALL .LOOPC	LOOP	1387
RVCAL=THI*PI/(GAMI*EI)	LOOP	1388
RETURN	LOOP	1389
END	LOOP	1390

===== // =====

SUBROUTINE SETUP	LOOP	1391
*CALL .LOOPC	LOOP	1392

	LOOP	1393
C---- INITIALIZE PARAMETERS	LOOP	1394
N2=NP	LOOP	1395
FLG=1.	LOOP	1396
THC1=1.-THC	LOOP	1397
PNV=BNUM*4.1888	LOOP	1398
NEX=0	LOOP	1399
IPLTG=0	LOOP	1400
T=TSTART	LOOP	1401
TIMA=TSTART-1.0E-6	LOOP	1402
DTMN=DELT	LOOP	1403
SDTC=3.0	LOOP	1404
ITAG=0	LOOP	1405
ITER=0	LOOP	1406
CYCLE=0	LOOP	1407
DELTO=DELT	LOOP	1408
PRST=TSTART+OPRST	LOOP	1409
TWPRT=PRST	LOOP	1410
IBREAK=1	LOOP	1411
C----- INITIALIZE STATE VARIABLES	LOOP	1412
DO 18 I=1,IL	LOOP	1413
CALL INFNC(TEM(I),PI(I),TH(I),ROINC(I),RVINC(I),EINC(I))	LOOP	1414
18 CONTINUE	LOOP	1415
DO 11 M=1,ML	LOOP	1416
CALL INFNC(TEMB(M),PB(M),THB(M),ROB(M),RVB(M),EB(M))	LOOP	1417
11 CONTINUE	LOOP	1418
IF(KL.EQ.0) GO TO 61	LOOP	1419
DO 60 K=1,KL	LOOP	1420
CALL INFNC(TEMK(K),PK(K),THK(K),ROK(K),RVK(K),EK(K))	LOOP	1421
60 CONTINUE	LOOP	1422
61 CONTINUE	LOOP	1423
WRITE(9,950)	LOOP	1424
WRITE(9,960)	LOOP	1425
WRITE(9,961)	LOOP	1426
DO 15 M=1,ML	LOOP	1427
WRITE(9,953)M,TEMB(M),PB(M),THB(M),ROB(M),RVB(M),EB(M)	LOOP	1428
15 CONTINUE	LOOP	1429
WRITE(9,903)	LOOP	1430
WRITE(9,962)	LOOP	1431
DO 14 I=1,IL	LOOP	1432
WRITE(9,955)I,TEM(I),PI(I),TH(I),ROINC(I),RVINC(I),	LOOP	1433
EINC(I),JSXI(I),JCEL(I)	LOOP	1434
14 CONTINUE	LOOP	1435
IF(KL.EQ.0) GO TO 13	LOOP	1436
WRITE(9,903)	LOOP	1437
WRITE(9,963)	LOOP	1438
DO 10 K=1,KL	LOOP	1439
WRITE(9,953)K,TEMK(K),PK(K),THK(K),ROK(K),RVK(K),EK(K)	LOOP	1440
10 CONTINUE	LOOP	1441
13 CONTINUE	LOOP	1442
C---- LOGIC SETUP	LOOP	1443
JREF(1)=0	LOOP	1444
IF(IL.EQ.1) GO TO 8	LOOP	1445
DO 7 I=2,IL	LOOP	1446
JREF(I)=JREF(I-1)+JCEL(I-1)	LOOP	1447
7 CONTINUE	LOOP	1448
8 CONTINUE	LOOP	1449
DO 4 I=1,IL	LOOP	1450

IBOT(I)=1	LOOP	1451
K1=KBOT(I)	LOOP	1452
IF(K1.GT.0) JOT(I)=2	LOOP	1453
ITOP(I)=1	LOOP	1454
K1=KTOP(I)	LOOP	1455
IF(K1.GT.0) ITOP(I)=2	LOOP	1456
4 CONTINUE	LOOP	1457
KTOU=1	LOOP	1458
IF(KL.GT.0) KTOU=2	LOOP	1459
J=0	LOOP	1460
DO 40 I=1,IL	LOOP	1461
JSL=JSX(I)	LOOP	1462
DO 35 JS=1,JSL	LOOP	1463
N1=NJS(I,JS)	LOOP	1464
DO 30 N=1,N1	LOOP	1465
J=J+1	LOOP	1466
JSF(J)=I+(JS-1)*N2	LOOP	1467
30 CONTINUE	LOOP	1468
35 CONTINUE	LOOP	1469
40 CONTINUE	LOOP	1470
CALL LOGCPR	LOOP	1471
C---- INITIALIZE MESH VARIABLES	LOOP	1472
DO 1 I=1,IL	LOOP	1473
CALL JSET(I)	LOOP	1474
TIM(I)=TSTART-1.0E-6	LOOP	1475
DTIM(I)=0.0	LOOP	1476
DO 1 J=JB0,JT1	LOOP	1477
JC=JSF(J)	LOOP	1478
V(J)=VIS(JC)	LOOP	1479
VD(J)=0.	LOOP	1480
RO(J)=ROINC(I)	LOOP	1481
RV(J)=RVINC(I)	LOOP	1482
E(J)=EINC(I)	LOOP	1483
WT(J)=0.0	LOOP	1484
P(J)=PCAL(E(J),RO(J),RV(J))	LOOP	1485
1 CONTINUE	LOOP	1486
DO 62 I=1,IL	LOOP	1487
CALL JSET(I)	LOOP	1488
DO 62 J=JB0,JT1	LOOP	1489
VN(J)=V(J)	LOOP	1490
RON(J)=RO(J)	LOOP	1491
RVN(J)=RV(J)	LOOP	1492
EN(J)=E(J)	LOOP	1493
62 CONTINUE	LOOP	1494
GO TO (2,3),KTOU	LOOP	1495
3 DO 5 K=1,KL	LOOP	1496
CALL KSET(K)	LOOP	1497
TIM(K)=TSTART-1.0E-6	LOOP	1498
DTIM(K)=0.0	LOOP	1499
VK(KU0)=0.	LOOP	1500
VK(KD0)=0.	LOOP	1501
VK(KOU)=0.	LOOP	1502
VK(KOD)=0.	LOOP	1503
VDK(KU0)=0.	LOOP	1504
VDK(KD0)=0.	LOOP	1505
VDK(KOU)=0.	LOOP	1506
VDK(KOD)=0.	LOOP	1507
ROK(KO0)=ROK(K)	LOOP	1508

RVK(K00)=RVKC(K)	LOOP	1509
EK(K00)=EKC(K)	LOOP	1510
PK(K00)=PCAL(EK(K00),ROK(K00),RVK(K00))	LOOP	1511
VNK(KU0)=0.	LOOP	1512
VNK(KD0)=0.	LOOP	1513
VNK(KOU)=0.	LC JP	1514
VNK(KOD)=0.	LOOP	1515
RONK(K00)=ROK(K00)	LOOP	1516
RVNK(K00)=RVK(K00)	LOOP	1517
ENK(K00)=EK(K00)	LOOP	1518
5 CONTINUE	LOOP	1519
2 CONTINUE	LOOP	1520
RETURN	LOOP	1521
	LOOP	1522
	LOOP	1523
955 FORMAT(15,6E15.7,18,15)	LOOP	1524
960 FORMAT(10X,33HPROCESSED INITIAL STATE VARIABLES///)	LOOP	1525
961 FORMAT(42H M TEMB PB THB	LOOP	1526
142H ROB RVB EB ///	LOOP	1527
962 FORMAT(42H I TEMI PI THI	LOOP	1528
146H ROINC RVINC EINC	LOOP	1529
211X,4HJSXI,5H JCEL ///	LOOP	1530
963 FORMAT(42H K TEMK PK THK	LOOP	1531
145H ROKC RVKC EKC ///	LOOP	1532
END		

===== // =====

FUNCTION SPCAL(T1)	LOOP	1533
*CALL,LOOPC	LOOP	1534
SPCAL=((T1-255.2)/117.8)**4.48	LOOP	1535
RETURN	LOOP	1536
END	LOOP	1537

===== // =====

FUNCTION STCAL(P1)	LOOP	1538
*CALL,LOOPC	LOOP	1539
STCAL=255.2+117.3*P1**.223	LOOP	1540
RETURN	LOOP	1541
END	LOOP	1542

===== // =====

FUNCTION TEMC(RO1,RV1,E1,P1)	LOOP	1543
*CALL,LOOPC	LOOP	1544
C---- TEMPERATURE CALCULATION	LOOP	1545
TMT=1	LOOP	1546
TMT=0.0	LOOP	1547
TCA=-((RO1-RV1)*CHL1-RV1*CHV1	LOOP	1548

TCB=(RO1-RV1)*CHL+RV1*CHV	LOOP	1549
TCC=RO1*(E1-ECL)+RV1*(ECL-ECV)	LOOP	1550
IF(ETEM.GT.0.5)GO TO 5	LOOP	1551
TSATT=STCAL(P1)	LOOP	1552
EVAP=EVCAL(TSATT)	LOOP	1553
TCA=TCA+RV1*CHV1	LOOP	1554
TCB=TCB-RV1*CHV	LOOP	1555
TCC=TCC+RV1*(ECV-EVAP)	LOOP	1556
5 CONTINUE	LOOP	1557
TMT=(TCC+TCA*TMT1**2)/(TCB+2.0*TCA*TMT1)	LOOP	1558
IF(ABS(TMT-TMT1).LT.0.005*TMT)GO TO 10	LOOP	1559
ITMT= TMT+1	LOOP	1560
IF(ITMT.GT.10)GO TO 10	LOOP	1561
TMT1=TMT	LOOP	1562
GO TO 5	LOOP	1563
10 CONTINUE	LOOP	1564
TEMC=TMT+TC	LOOP	1565
RETURN	LOOP	1566
END	LOOP	1567

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FUNCTION THCAL(E1,P1,RV1)	LOOP	1568
*CALL .LOOPC	LOOP	1569
C THETA ASSUMED LESS THAN THC	LOOP	1570
THCAL=(GAMI*RV1*E1/THC-P1)/(ASQ*ROL)+THC	LOOP	1571
RETURN	LOOP	1572
END	LOOP	1573

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SUBROUTINE TILDE	LOOP	1574
*CALL .LOOPC	LOOP	1575
C---- TILDE CALCULATION	LOOP	1576
DO 1 I=1,IL	LOOP	1577
IF(TIM(I).GT.T)GO TO 1	LOOP	1578
DELT=DTIM(I)	LOOP	1579
CALL JSET(I)	LOOP	1580
DO 11 J=JML,JMH	LOOP	1581
JC=JSF(J)	LOOP	1582
JCP=JSF(J+1)	LOOP	1583
T1=(VN(J)-VN(J-1))/DYS(JC)	LOOP	1584
T2=(VN(J+1)-VN(J))/DYS(JCP)	LOOP	1585
FVY=.5*(VN(J)*(T1+T2)+ALPHA*ABS(VN(J))*(T1-T2))	LOOP	1586
ARU=DXS(JCP)**2	LOOP	1587
ARD=DXS(JC)**2	LOOP	1588
DLYB2=DYS(JCP)+DYS(JC)	LOOP	1589
ROBAR=(DYS(JCP)*RO(J)+DYS(JC)*RO(J+1))/DLYB2	LOOP	1590
DEN=ROBAR*(ARU+ARD)*DLYB2	LOOP	1591
VDU2=VD(J)+VD(J+1)	LOOP	1592
VDD2=VD(J-1)+VD(J)	LOOP	1593
ROSU=RV(J+1)*(RO(J+1)-RV(J+1))/RO(J+1)	LOOP	1594

ROSD=RV(J)*(RO(J)-RV(J))/RO(J)	LOOP	1595
T3=ARU*ROSD*(VDU2**2+ALPHA*ABS(VDU2)*(VD(J)-VD(J+1)))	LOOP	1596
T4=ARD*ROSD*(VDD2**2-ALPHA*ABS(VDD2)*(VD(J-1)-VD(J)))	LOOP	1597
FVDY=(T3-T4)/DEN	LOOP	1598
VISY=0.	LOOP	1599
CALL PUMP(J,PHEAD)	LOOP	1600
T6=P(J)-P(J+1)	LOOP	1601
T3=2.*T6/(ROBAR*DLYB2)	LOOP	1602
GYB=(DYS(JCP)*GYS(JC)+DYS(JC)*GYS(JCP))/DLYB2	LOOP	1603
T5=T3+GYB-FVY+VISY-FVDY+PHEAD*2./DLYB2	LOOP	1604
V(J)=VN(J)+DELTA*T5	LOOP	1605
CALL FRIC(I,J,V(J))	LOOP	1606
11 CONTINUE	LOOP	1607
1 CONTINUE	LOOP	1608
RETURN	LOOP	1609
END	LOOP	1610

===== // =====

SUBROUTINE TIMCT	LOOP	1611
*CALL ,LOOPC	LOOP	1612
SMLP=0.99	LOOP	1613
IF(ITER.GT.5)SMLP=1.01	LOOP	1614
SDTC=AMAX1(STABC,SDTC*SMLP)	LOOP	1615
DO 1 I=1,IL	LOOP	1616
IF(TIM(I).GT.T)GO TO 1	LOOP	1617
TIM(I)=TIM(I)+DTIM(I)	LOOP	1618
TIMN=TIMA	LOOP	1619
IF(TIM(I).GT.TIMA-DTMN/2.0)TIMN=TIMA+DELTO	LOOP	1620
DVMX=1.0E-10	LOOP	1621
CALL JSET(I)	LOOP	1622
DO 2 J=JML,JMH	LOOP	1623
JC=JSF(J)	LOOP	1624
VDM=ABS(VD(J))	LOOP	1625
VMM=ABS(V(J))	LOOP	1626
DVMX=AMAX1(DVMX,VDM/DYS(JC),VMM/DYS(JC))	LOOP	1627
2 CONTINUE	LOOP	1628
DVMX=SDTC*DVMX	LOOP	1629
ANDT=AINT(1.0+DVMX*(TIMN-TIM(I)))	LOOP	1630
DTIM(I)=(TIMN-TIM(I))/ANDT	LOOP	1631
1 CONTINUE	LOOP	1632
GO TO (10,20),KTOU	LOOP	1633
20 DO 4 K=1,KL	LOOP	1634
IF(TIMK(K).GT.T)GO TO 4	LOOP	1635
TIMK(K)=TIMK(K)+DTIMK(K)	LOOP	1636
TIMN=TIMA	LOOP	1637
IF(TIMK(K).GT.TIMA-DTMN/2.0)TIMN=TIMA+DELTO	LOOP	1638
DVMX=1.0E-10	LOOP	1639
CALL KSET(K)	LOOP	1640
V1=ABS(VDK(KUO))	LOOP	1641
V2=ABS(VDK(KOU))	LOOP	1642
V3=ABS(VDK(KDO))	LOOP	1643
V4=ABS(VDK(KOD))	LOOP	1644
V5=ABS(VK(KUO))	LOOP	1645
V6=ABS(VK(KOU))	LOOP	1646

V7=ABS(VK(K00))	LOOP	1647
V8=ABS(VK(K00))	LOOP	1648
DVMX=AMAX1(V2,V4,V6,V8)/DYK(K00)	LOOP	1649
DUMX=AMAX1(V1,V3,V5,V7)/DXK(K00)	LOOP	1650
DVMX=AMAX1(DVMX,DUMX)	LOOP	1651
DVMX=2.0*SDTC*DVMX	LOOP	1652
ANDT=AINT(1.0+DVMX*(TIMN-TIMK(K)))	LOOP	1653
DTIMK(K)=(TIMN-TIMK(K))/ANDT	LOOP	1654
4 CONTINUE	LOOP	1655
10 CONTINUE	LOOP	1656
C ADVANCE TIME AND CYCLE	LOOP	1657
IF((TIM(1)-TSTART).LT.0.01*DELTO) GO TO 25	LOOP	1658
T=T+DTMN	LOOP	1659
CYCLE=CYCLE+1	LOOP	1660
25 CONTINUE	LOOP	1661
C COMPUTE NEW DT MIN AND MAX	LOOP	1662
DTMN=DELTO	LOOP	1663
DO 30 I=1,IL	LOOP	1664
DTMN=AMIN1(DTMN,DTIM(I))	LOOP	1665
30 CONTINUE	LOOP	1666
GO TO(40,50),KTOU	LOOP	1667
50 DO 55 K=1,KL	LOOP	1668
DTMN=AMIN1(DTMN,DTIMK(K))	LOOP	1669
55 CONTINUE	LOOP	1670
40 CONTINUE	LOOP	1671
IF(NSUBDT.NE.1) RETURN	LOOP	1672
DO 60 I=1,IL	LOOP	1673
60 DTIM(I)=DTMN	LOOP	1674
GO TO(90,70),KTOU	LOOP	1675
70 DO 80 K=1,KL	LOOP	1676
80 DTIMK(K)=DTMN	LOOP	1677
90 CONTINUE	LOOP	1678
RETURN	LOOP	1679
END	LOOP	1680

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SUBROUTINE UPDATJ	LOOP	1681
*CALL ,LOOPC	LOOP	1682
C---- FINAL UPDATE FOR JUNCTION CELLS	LOOP	1683
GO TO(100,200),KTOU	LOOP	1684
200 CONTINUE	LOOP	1685
DO I K=1,KL	LOOP	1686
IF(TIMK(K).GT.T)GO TO 1	LOOP	1687
DELT=DTIMK(K)	LOOP	1688
CALL KSET(K)	LOOP	1689
DLXR2=DXK(K00)+DXK(KP0)	LOOP	1690
DLXL2=DXK(KM0)+DXK(K00)	LOOP	1691
DLYT2=DYK(K00)+DYK(K0P)	LOOP	1692
DLYB2=DYK(K0M)+DYK(K00)	LOOP	1693
ROKR=(DXK(KP0)*ROK(K00)+DXK(K00)*ROK(KP0))/DLXR2	LOOP	1694
ROKL=(DXK(KM0)*ROK(K00)+DXK(K00)*ROK(KM0))/DLXL2	LOOP	1695
ROKT=(DYK(K0P)*ROK(K00)+DYK(K00)*ROK(K0P))/DLYT2	LOOP	1696
ROKB=(DYK(K0M)*ROK(K00)+DYK(K00)*ROK(K0M))/DLYB2	LOOP	1697
RONKR=(DXK(KP0)*RONK(K00)+DXK(K00)*RONK(KP0))/DLXR2	LOOP	1698

RONKL=(DXK(KMO)*RONK(KOO)+DXK(KOO)*RONK(KMO))/DLXL2	LOOP	1699
RONKT=(DYK(KOP)*RONK(KOO)+DYK(KOO)*RONK(KOP))/DLYT2	LOOP	1700
RONKB=(DYK(KOM)*RONK(KOO)+DYK(KOO)*RONK(KOM))/DLYB2	LOOP	1701
RVNKR=(DXK(KPO)*RVNK(KOO)+DXK(KOO)*RVNK(KPO))/DLXR2	LOOP	1702
RVNKL=(DXK(KMO)*RVNK(KOO)+DXK(KOO)*RVNK(KMO))/DLXL2	LOOP	1703
RVNKT=(DYK(KOP)*RVNK(KOO)+DYK(KOO)*RVNK(KOP))/DLYT2	LOOP	1704
RVNKB=(DYK(KOM)*RVNK(KOO)+DYK(KOO)*RVNK(KOM))/DLYB2	LOOP	1705
ULR=VK(KUO)-VDK(KUO)*RVNKR/ROKCR	LOOP	1706
ULL=VK(KOO)-VDK(KOO)*RVNKL/ROKCL	LOOP	1707
ULT=VK(KOU)-VDK(KOU)*RVNKT/ROKCT	LOOP	1708
ULB=VK(KOD)-VDK(KOD)*RVNKB/ROKCB	LOOP	1709
UVR=VK(KUO)+VDK(KUO)*(ROKCR-RVNKR)/ROKCR	LOOP	1710
UVL=VK(KOO)+VDK(KOO)*(ROKCL-RVNKL)/ROKCL	LOOP	1711
UVT=VK(KOU)+VDK(KOU)*(ROKCT-RVNKT)/ROKCT	LOOP	1712
UVB=VK(KOD)+VDK(KOD)*(ROKCB-RVNKB)/ROKCB	LOOP	1713
FLR=ULR*(RONK(KOO)-RVNK(KOO)+RONK(KPO)-RVNK(KPO))+ALPHA*ABS(ULR)*	LOOP	1714
(RONK(KOO)-RVNK(KOO)-RONK(KPO)+RVNK(KPO))	LOOP	1715
FLL=ULL*(RONK(KMO)-RVNK(KMO)+RONK(KOO)-RVNK(KOO))+ALPHA*ABS(ULL)*	LOOP	1716
(RONK(KMO)-RVNK(KMO)-RONK(KOO)+RVNK(KOO))	LOOP	1717
FLT=ULT*(RONK(KOO)-RVNK(KOO)+RONK(KOP)-RVNK(KOP))+ALPHA*ABS(ULT)*	LOOP	1718
(RONK(KOO)-RVNK(KOO)-RONK(KOP)+RVNK(KOP))	LOOP	1719
FLB=ULB*(RONK(KOM)-RVNK(KOM)+RONK(KOO)-RVNK(KOO))+ALPHA*ABS(ULB)*	LOOP	1720
(RONK(KOM)-RVNK(KOM)-RONK(KOO)+RVNK(KOO))	LOOP	1721
FVR=UVR*(RVNK(KOO)+RVNK(KPO))+ALPHA*ABS(UVR)*(RVNK(KOO)-RVNK(KPO))	LOOP	1722
FVL=UVL*(RVNK(KMO)+RVNK(KOO))+ALPHA*ABS(UVL)*(RVNK(KMO)-RVNK(KOO))	LOOP	1723
FVT=UVT*(RVNK(KOP)+RVNK(KOP))+ALPHA*ABS(UVT)*(RVNK(KOP)-RVNK(KOP))	LOOP	1724
FVB=UVB*(RVNK(KOM)+RVNK(KOO))+ALPHA*ABS(UVB)*(RVNK(KOM)-RVNK(KOO))	LOOP	1725
C---- UPDATE RO	LOOP	1726
ROK(KOO)=RONK(KOO)-.5*DELT*((FLR+FVR-FLL-FVL)/DXK(KOO)	LOOP	1727
+ (FLT+FVT-FLB-FVB)/DYK(KOO))	LOOP	1728
C---- ENERGY EQUATION	LOOP	1729
DLXR2=DXK(KOO)+DXK(KPO)	LOOP	1730
DLXL2=DXK(KMO)+DXK(KOO)	LOOP	1731
DLYT2=DYK(KOO)+DYK(KOP)	LOOP	1732
DLYB2=DYK(KOM)+DYK(KOO)	LOOP	1733
ROKR=(DXK(KPO)*ROK(KOO)+DXK(KOO)*ROK(KPO))/DLXR2	LOOP	1734
ROKL=(DXK(KMO)*ROK(KOO)+DXK(KOO)*ROK(KMO))/DLXL2	LOOP	1735
ROKT=(DYK(KOP)*ROK(KOO)+DYK(KOO)*ROK(KOP))/DLYT2	LOOP	1736
ROKB=(DYK(KOM)*ROK(KOO)+DYK(KOO)*ROK(KOM))/DLYB2	LOOP	1737
RVKR=(DXK(KPO)*RVK(KOO)+DXK(KOO)*RVK(KPO))/DLXR2	LOOP	1738
RVKL=(DXK(KMO)*RVK(KOO)+DXK(KOO)*RVK(KMO))/DLXL2	LOOP	1739
RVKT=(DYK(KOP)*RVK(KOO)+DYK(KOO)*RVK(KOP))/DLYT2	LOOP	1740
RVKB=(DYK(KOM)*RVK(KOO)+DYK(KOO)*RVK(KOM))/DLYB2	LOOP	1741
RLKR=ROKR-RVKR	LOOP	1742
RLKL=ROKL-RVKL	LOOP	1743
RLKT=ROKT-RVKT	LOOP	1744
RLKB=ROKB-RVKB	LOOP	1745
ROEC=RONK(KOO)*ENK(KOO)	LOOP	1746
ROER=RONK(KPO)*ENK(KPO)	LOOP	1747
ROEL=RONK(KMO)*ENK(KMO)	LOOP	1748
ROET=RONK(KOP)*ENK(KOP)	LOOP	1749
ROEB=RONK(KOM)*ENK(KOM)	LOOP	1750
IF(ITEM.GT..5) GO TO 425	LOOP	1751
TVC=STCAL(PK(KOO))	LOOP	1752
TVR=STCAL(PK(KPO))	LOOP	1753
TVL=STCAL(PK(KMO))	LOOP	1754
TVT=STCAL(PK(KOP))	LOOP	1755
TVB=STCAL(PK(KOM))	LOOP	1756

GO TO 430	LOOP	1757
425 TVC=TEMC(RONK(KOO),RVNK(KOO),ENK(KOO),PK(KOO))	LOOP	1758
TVR=TEMC(RONK(KPO),RVNK(KPO),ENK(KPO),PK(KPO))	LOOP	1759
TVL=TEMC(RONK(KMO),RVNK(KMO),ENK(KMO),PK(KMO))	LOOP	1760
TVT=TEMC(RONK(KOP),RVNK(KOP),ENK(KOP),PK(KOP))	LOOP	1761
TVB=TEMC(RONK(KOM),RVNK(KOM),ENK(KOM),PK(KOM))	LOOP	1762
430 REVC=RVNK(KOO)*EVCAL(TVC)	LOOP	1763
REVR=RVNK(KPO)*EVCAL(TVR)	LOOP	1764
REVL=RVNK(KMO)*EVCAL(TVL)	LOOP	1765
REVT=RVNK(KOP)*EVCAL(TVT)	LOOP	1766
REVB=RVNK(KOM)*EVCAL(TVB)	LOOP	1767
RELC=ROEC-REVC	LOOP	1768
RELR=ROER-REVR	LOOP	1769
RELL=ROEL-REVL	LOOP	1770
RELT=ROET-REVT	LOOP	1771
RELB=ROEB-REVB	LOOP	1772
FRER=0.5*(UVR*(REVC+REVR)+ALPHA*ABS(UVR)*(REVC-REVR)	LOOP	1773
1+ULR*(RELC+RELR)+ALPHA*ABS(ULR)*(RELC-RELR)	LOOP	1774
FREL=0.5*(UVL*(REVL+REVC)+ALPHA*ABS(UVL)*(REVL-REVC)+ULL*	LOOP	1775
1*(RELL+RELC)+ALPHA*ABS(ULL)*(RELL-RELC)	LOOP	1776
FRET=0.5*(UVT*(REVC+REVT)+ALPHA*ABS(UVT)*(REVC-REVT)+ULT*(RELC+	LOOP	1777
1*RELT)+ALPHA*ABS(ULT)*(RELC-RELT)	LOOP	1778
FREB=0.5*(UVB*(REVB+REVC)+ALPHA*ABS(UVB)*(REVB-REVC)+ULB*(RELB+	LOOP	1779
1*RELC)+ALPHA*ABS(ULB)*(RELB-RELC)	LOOP	1780
FEC=(FRER-FREL)/DXK(KOO)+(FRET-FREB)/DYK(KOO)	LOOP	1781
FPW=-PK(KOO)*((VK(KOU)-VK(KOD))/DXK(KOO)+(VK(KOU)-VK(KOD))/DYK(KOO	LOOP	1782
1))	LOOP	1783
TH=(ROL+RVNK(KOO)-RONK(KOO))/ROL	LOOP	1784
TH=AMAX1(TH,THC)	LOOP	1785
TH=AMINI(TH,THC)	LOOP	1786
TH1=TH	LOOP	1787
IF(TH1.GT.0.5)TH1=1.0-TH1	LOOP	1788
RB=RBBNCAL(TH1)	LOOP	1789
CKN=.5*CDG*((VDK(KOU)+VDK(KOD))**2+(VDK(KOU)+VDK(KOD))**2)**.5	LOOP	1790
1+12.0*VISV/RB	LOOP	1791
FDIS=0.25*CKN*(0.375*TH1/RB)*((VDK(KOU)+VDK(KOD))**2+(VDK(KOU)+	LOOP	1792
1*VDK(KOD))**2)*ROK(KOO)	LOOP	1793
FDP=-PK(KOO)*(((RVNKR-ROK(ROL)/ROL-(RVNKR/ROK(RONKR))*VDK(KOU)	LOOP	1794
1-((RVNKL-ROK(RONKL)/ROL-ROK(RVNKL/ROK(RONKL))*VDK(KOD))/DXK(KOO)	LOOP	1795
2+(((RVNKT-ROK(RONKT)/ROL-ROK(RVNKT/ROK(RONKT))*VDK(KOU)	LOOP	1796
3-(((RVNKB-ROK(RONKB)/ROL-ROK(RVNKB/ROK(RONKB))*VDK(KOD))/DYK(KOO))	LOOP	1797
C---- HEAT CONDUCTION	LOOP	1798
TEM=ENK(KOO)	LOOP	1799
TEMR=ENK(KPO)	LOOP	1800
TEML=ENK(KMO)	LOOP	1801
TEMT=ENK(KOP)	LOOP	1802
TEMBS=ENK(KOM)	LOOP	1803
THR=(ROL+RVNK(KPO)-RONK(KPO))/ROL	LOOP	1804
THR=AMAX1(THR,THC)	LOOP	1805
THR=AMINI(THR,THC)	LOOP	1806
THL=(ROL+RVNK(KMO)-RONK(KMO))/ROL	LOOP	1807
THL=AMAX1(THL,THC)	LOOP	1808
THL=AMINI(THL,THC)	LOOP	1809
THT=(ROL+RVNK(KOP)-RONK(KOP))/ROL	LOOP	1810
THT=AMAX1(THT,THC)	LOOP	1811
THT=AMINI(THT,THC)	LOOP	1812
THBS=(ROL+RVNK(KOM)-RONK(KOM))/ROL	LOOP	1813
THBS=AMAX1(THBS,THC)	LOOP	1814

THBS=AMINI (THBS,THC1)	LOOP	1815
EKR=0.5*(EDV*(TH+THR)+EDL*(2.0-TH-THR))	LOOP	1816
EKT=0.5*(EDV*(TH+THT)+EDL*(2.0-TH-THT))	LOOP	1817
EKL=0.5*(EDV*(TH+THL)+EDL*(2.0-TH-THL))	LOOP	1818
EKB=0.5*(EDV*(TH+THBS)+EDL*(2.0-TH-THBS))	LOOP	1819
DIFE=(EKR*(TEM-TEM)-EKL*(TEM-TEML))/DXK(KOO)**2	LOOP	1820
I*(EKT*(TEM-TEM)-EKB*(TEM-TEMBS))/DYK(KOO)**2	LOOP	1821
C---- UPDATE ENERGY	LOOP	1822
EK(KOO)=(ROEC+DELT*(-FEC+FDIS+FDP+DIFE+FPW))/ROK(KOO)	LOOP	1823
C---- VAPOR DENSITY EQUATION	LOOP	1824
RVK(KOO)=RVNK(KOO)-.5*DELT*((FVR-FVL)/DXK(KOO)+(FVT-FVB)/DYK(KOO))	LOOP	1825
RVK(KOO)=AMINI (RVK(KOO),ROK(KOO))	LOOP	1826
RVK(KOO)=AMAXI (RVK(KOO),0.)	LOOP	1827
C---- PHASE CHANGE	LOOP	1828
IF(PHCH.LT.0.5)GO TO 4500	LOOP	1829
VPK(K)=0.	LOOP	1830
ROT=ROK(KOO)	LOOP	1831
RVO=RVK(KOO)	LOOP	1832
RVT=RVO	LOOP	1833
ET=EK(KOO)	LOOP	1834
TH=(ROL-ROT+RVO)/ROL	LOOP	1835
TH1=TH	LOOP	1836
IF(TH.LT.TH1.OR.TH.GT.TH1)GO TO 4500	LOOP	1837
IF(TH.GT.0.5)TH1=1.0-TH	LOOP	1838
RB=RBBNCAL (TH1)	LOOP	1839
RBW=RBBNCAL (K,ROT,2)	LOOP	1840
RB=AMINI (RB,RBW)	LOOP	1841
AREA=3.0*TH1/RB	LOOP	1842
TLQ=TEMC (ROT,RVO,ET,P(KOO))	LOOP	1843
PSAT=SPCAL (TLQ)	LOOP	1844
EVSAT=EVCAL (TLQ)	LOOP	1845
RSAT=RVCAL (EVSAT,PSAT,TH)	LOOP	1846
IVSL=0	LOOP	1847
RBETA=1.0E-5*ROL	LOOP	1848
IRVT=0	LOOP	1849
C---- START ITERATION	LOOP	1850
4412 CONTINUE	LOOP	1851
RVT=RVK(KOO)	LOOP	1852
PT=PCAL (ET,ROT,RVT)	LOOP	1853
TVAP=STCAL (PT)	LOOP	1854
TLQ=TEMC (ROT,RVT,ET,PT)	LOOP	1855
VPK(K)=VPRO (K,TH,RSAT,RB,TLQ,TVAP,AREA,2)	LOOP	1856
RATE=VPK(K)*DELT	LOOP	1857
RVEQ=RVT-RVO-RATE	LOOP	1858
IF (ABS (RVEQ/RSAT) .LT. 0.001) GO TO 4500	LOOP	1859
IF (IRVT .LE. 23) GO TO 4420	LOOP	1860
WRITE (9,4413)	LOOP	1861
WRITE (9,4414) K, IRVT, RSAT, RVO, RVT, RATE, TVAP, TLQ	LOOP	1862
4413 FORMAT (6X, 1HJ, 8X, 4HIRVT, 10X, 4HRSAT, 16X, 3HRVO, 12X, 3HRVT, 12X,	LOOP	1863
14HRSAT, 12X, 4HTVAP, 16X, 3HTLQ)	LOOP	1864
4414 FORMAT (5X, 12, 6X, 15, 6X, 1PE12.5, 6X, E12.5, 6X, E12.5, 6X, E12.5, 6X, E12.5,	LOOP	1865
16X, E12.5)	LOOP	1866
4420 CONTINUE	LOOP	1867
IRVT=IRVT+1	LOOP	1868
IF (IRVT .GT. 25) GO TO 4500	LOOP	1869
IF (IRVT .EQ. 1) SRH=SIGN (1.0, RVEQ)	LOOP	1870
IF (IVSL .EQ. 1) GO TO 4418	LOOP	1871
IF (RVEQ .GE. 0.0) GO TO 4415	LOOP	1872

C----	SEEK BOUNDS	LOOP	1873
	FMN=RVEQ	LOOP	1874
	RVMN=RVK(K00)	LOOP	1875
	IF(SRH.GE.0.0)IVSL=1	LOOP	1876
	RVK(K00)=AMINI(RVT-RBETA,ROT)	LOOP	1877
	IF(IVSL.EQ.1)RVK(K00)=.5*(RVMN+RVMX)	LOOP	1878
	RBETA=2.0*RBETA	LOOP	1879
	GO TO 4412	LOOP	1880
4415	FMX=RVEQ	LOOP	1881
	RVMX=RVK(K00)	LOOP	1882
	IF(SRH.LT.0.0)IVSL=1	LOOP	1883
	RVK(K00)=AMAX1(RVT-RBETA,0.)	LOOP	1884
	IF(IVSL.EQ.1)RVK(K00)=.5*(RVMN+RVMX)	LOOP	1885
	RBETA=2.0*RBETA	LOOP	1886
	GO TO 4412	LOOP	1887
4418	CONTINUE	LOOP	1888
C----	CONVERGE BOUNDS	LOOP	1889
	IF(RVEQ.LT.0.0)GO TO 4422	LOOP	1890
	RVTP=RVT-RVEQ*(RVMX-RVT)/(FMX-RVEQ)	LOOP	1891
	FMX=RVEQ	LOOP	1892
	RVMX=RVT	LOOP	1893
	RVK(K00)=RVTP	LOOP	1894
	IF(RVTP.LT.RVMN)RVK(K00)=.5*(RVMN+RVMX)	LOOP	1895
	GO TO 4412	LOOP	1896
4422	RVTP=RVT-RVEQ*(RVT-RVMN)/(RVEQ-FMN)	LOOP	1897
	FMN=RVEQ	LOOP	1898
	RVMN=RVT	LOOP	1899
	RVK(K00)=RVTP	LOOP	1900
	IF(RVTP.GT.RVMX)RVK(K00)=.5*(RVMN+RVMX)	LOOP	1901
	GO TO 4412	LOOP	1902
4500	CONTINUE	LOOP	1903
1	CONTINUE	LOOP	1904
100	CONTINUE	LOOP	1905
	RETURN	LOOP	1906
	END	LOOP	1907

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	SUBROUTINE UPDATP	LOOP	1908
*CALL	,LOOPC	LOOP	1909
C----	FINAL UPDATE FOR PIPES	LOOP	1910
	DO 3 I=1,IL	LOOP	1911
	IF(TIM(I).GT.T)GO TO 3	LOOP	1912
	DELT=DTIM(I)	LOOP	1913
	CALL JSET(I)	LOOP	1914
	DO 1 J=JPB,JPT	LOOP	1915
	JC=JSF(J)	LOOP	1916
	JCP=JSF(J+1)	LOOP	1917
	JCM=JSF(J-1)	LOOP	1918
	T1=.5*(V(J)*(RON(J)+RON(J+1))+ALPHA*ABS(V(J))*(RON(J)-RON(J+1)))	LOOP	1919
	T2=.5*(V(J-1)*(RON(J-1)+RON(J))+ALPHA*ABS(V(J-1))*(RON(J-1)-RON(J)))	LOOP	1920
	1))	LOOP	1921
	ARU=ARAV(JC,JCP)	LOOP	1922
	ARD=ARAV(JCM,JC)	LOOP	1923
	RO(J)=RON(J)-(DELT/(DXS(J)**2*DYS(J)))*(ARU*T1-ARD*T2)	LOOP	1924

1	CONTINUE	LOOP	1925
C----	ENERGY EQUATION	LOOP	1926
	CALL JSF(J)	LOOP	1927
	DO 2 J=JPB,JPT	LOOP	1928
	JC=JSF(J)	LOOP	1929
	JCP=JSF(J+1)	LOOP	1930
	JCM=JSF(J-1)	LOOP	1931
	ARU=ARAV(JC,JCP)	LOOP	1932
	ARD=ARAV(JCM,JC)	LOOP	1933
	DLYU2=DYS(JCP)+DYS(JC)	LOOP	1934
	DLYD2=DYS(JCM)+DYS(JC)	LOOP	1935
	ROU=(DYS(JCP)*RON(J)+DYS(JC)*RON(J+1))/DLYU2	LOOP	1936
	ROD=(DYS(JC)*RON(J-1)+DYS(JCM)*RON(J))/DLYD2	LOOP	1937
	RVU=(DYS(JCP)*RVN(J)+DYS(JC)*RVN(J+1))/DLYU2	LOOP	1938
	RVD=(DYS(JC)*RVN(J-1)+DYS(JCM)*RVN(J))/DLYD2	LOOP	1939
	RLU=ROU-RVU	LOOP	1940
	RLD=ROD-RVD	LOOP	1941
	VVU=V(J)+RLU*VD(J)/ROU	LOOP	1942
	VVD=V(J-1)+RLD*VD(J-1)/ROD	LOOP	1943
	VLU=V(J)-RVU*VD(J)/ROU	LOOP	1944
	VLD=V(J-1)-RVD*VD(J-1)/ROD	LOOP	1945
	ROE=RON(J)*EN(J)	LOOP	1946
	ROEM=RON(J-1)*EN(J-1)	LOOP	1947
	ROEP=RON(J+1)*EN(J+1)	LOOP	1948
	IF(ITEM.GT.5) GO TO 425	LOOP	1949
1000	CONTINUE	LOOP	1950
	TEMA=STCAL(P(J))	LOOP	1951
	IF(J.EQ.JB2) GO TO 1001	LOOP	1952
	TEMAM=STCAL(P(J-1))	LOOP	1953
	GO TO 1002	LOOP	1954
1001	TEMAM=TEMA	LOOP	1955
1002	IF(J.EQ.JT2) GO TO 1003	LOOP	1956
	TEMAP=STCAL(P(J+1))	LOOP	1957
	GO TO 1004	LOOP	1958
1003	TEMAP=TEMA	LOOP	1959
1004	CONTINUE	LOOP	1960
	GO TO 430	LOOP	1961
425	CONTINUE	LOOP	1962
	TEMA=TEMC(ROU(J),RVN(J),EN(J),P(J))	LOOP	1963
	TEMAM=TEMC(ROU(J-1),RVN(J-1),EN(J-1),P(J-1))	LOOP	1964
	TEMAP=TEMC(ROU(J+1),RVN(J+1),EN(J+1),P(J+1))	LOOP	1965
430	EEV=EVCAL(TEMA)	LOOP	1966
	EEVM=EVCAL(TEMAM)	LOOP	1967
	EEVP=EVCAL(TEMAP)	LOOP	1968
	REV=RVN(J)*EEV	LOOP	1969
	REVM=RVN(J-1)*EEVM	LOOP	1970
	REVP=RVN(J+1)*EEVP	LOOP	1971
	REL=ROE-REV	LOOP	1972
	RELM=ROEM-REVM	LOOP	1973
	RELP=ROEP-REVP	LOOP	1974
	RIUVU=.5*(VVU*(REV+REVP)+ALPHA*ABS(VVU)*(REV-REVP))	LOOP	1975
	RIUVD=.5*(VVD*(REVM+REV)+ALPHA*ABS(VVD)*(REVM-REV))	LOOP	1976
	RIULU=.5*(VLU*(REL+RELP)+ALPHA*ABS(VLU)*(REL-RELP))	LOOP	1977
	RIULD=.5*(VLD*(RELM+REL)+ALPHA*ABS(VLD)*(RELM-REL))	LOOP	1978
	DEN=DXS(JC)**2*DYS(JC)	LOOP	1979
	FVV=(ARU*RIUVU-ARD*RIUVD)/DEN	LOOP	1980
	FVL=(ARU*RIULU-ARD*RIULD)/DEN	LOOP	1981
	T3=((RVU-ROU+RLU)/(ROL-RVU/ROU))*VD(J)	LOOP	1982

T4=((RVD-ROD*ROL)/ROL-RVD/ROD)*VD(J-1)	LOOP	1983
T1=V(J)+T3	LOOP	1984
T2=V(J-1)+T4	LOOP	1985
FWK=(P(J)/(DXS(JC)**2*DYS(JC)))*(ARU*T1-ARD*T2)	LOOP	1986
TH=(ROL+RVN(J)-RON(J))/ROL	LOOP	1987
TH=AMAX1(TH,THC)	LOOP	1988
TH=AMIN1(TH,THC1)	LOOP	1989
TH1=TH	LOOP	1990
IF(TH1.GT..5)TH1=1.-TH1	LOOP	1991
RB=RBBNCAL(TH1)	LOOP	1992
CKN=.5*CDG*ABS(VD(J)+VD(J-1))+12.*VISV/RB	LOOP	1993
FDIS=.25*CKN*(.375*TH1/RB)*(VD(J)+VD(J-1))**2	LOOP	1994
FQ=QJS(JC)	LOOP	1995
T9=-FVV-FVL-FWK+FDIS+FQ	LOOP	1996
T10=RON(J)*EN(J)+DELT*T9	LOOP	1997
E(J)=T10/RO(J)	LOOP	1998
C---- DRIFT FLUX TERMS	LOOP	1999
T1=.5*(VVIJ*(RVN(J)+RVN(J+1))	LOOP	2000
+ALPHA*ABS(VVU)*(RVN(J)-RVN(J+1)))	LOOP	2001
T2=.5*(VVD*(RVN(J-1)+RVN(J))	LOOP	2002
+ALPHA*ABS(VVD)*(RVN(J-1)-RVN(J)))	LOOP	2003
RV(J)=RVN(J)-(DELT/(DXS(JC)**2*DYS(JC)))*(ARU*T1-ARD*T2)	LOOP	2004
C---- PHASE CHANGE	LOOP	2005
IF(PHCH.LT..5) GO TO 4500	LOOP	2006
VP(J)=0.	LOOP	2007
ROT=RO(J)	LOOP	2008
RVO=RV(J)	LOOP	2009
RVT=RVO	LOOP	2010
ET=E(J)	LOOP	2011
TH=(ROL-ROT+RVO)/ROL	LOOP	2012
TH1=TH	LOOP	2013
IF(TH.LT.TH.C.OR.TH.GT.TH.C1) GO TO 4500	LOOP	2014
IF(TH.GT..5) TH1=1.-TH	LOOP	2015
RB=RBBNCAL(TH1)	LOOP	2016
RBW=RBWNCAL(J,ROT,1)	LOOP	2017
RB=AMIN1(RB,RBW)	LOOP	2018
AREA=3.*TH1/RB	LOOP	2019
TLQ=TEMC(ROT,RVO,ET,P(J))	LOOP	2020
PSAT=SPCAL(TLQ)	LOOP	2021
EVSAT=EVCAL(TLQ)	LOOP	2022
RSAT=RVCAL(EVSAT,PSAT,TH)	LOOP	2023
IVSL=0	LOOP	2024
RBETA=1.E-5*ROL	LOOP	2025
IRVT=0	LOOP	2026
4412 CONTINUE	LOOP	2027
IF(RV(J).LT.0)RV(J)=0.0	LOOP	2028
RVT=RV(J)	LOOP	2029
PT=PCAL(ET,ROT,RVT)	LOOP	2030
TVAP=STCAL(PT)	LOOP	2031
TLQ=TEMC(ROT,RVT,ET,PT)	LOOP	2032
VP(J)=VPRO(J,TH,RSAT,RB,TLQ,TVAP,AREA,1)	LOOP	2033
RATE=VP(J)*DELT	LOOP	2034
RVEQ=RVT-RVO-RATE	LOOP	2035
IF(ABS(RVEQ/RSAT).LT..001) GO TO 4500	LOOP	2036
IF(IRVT.LE.24) GO TO 4420	LOOP	2037
WRITE(9,4413)	LOOP	2038
WRITE(9,4414)J,IRVT,RSAT,RVO,RVT,RATE,TVAP,TLQ	LOOP	2039
4420 CONTINUE	LOOP	2040

IRVT=IRVT+1	LOOP	2041
IF(IRVT.GT.25) GO TO 4500	LOOP	2042
IF(IRVT.EQ.1) SRH=SIGN(1.,RVEQ)	LOOP	2043
IF(IVSL.EQ.1) GO TO 4418	LOOP	2044
IF(RVEQ.GE.0.) GO TO 4415	LOOP	2045
FMN=RVEQ	LOOP	2046
RVMN=RV(J)	LOOP	2047
IF(SRH.GE.0.) IVSL=1	LOOP	2048
RV(J)=RV(J)+RBETA	LOOP	2049
IF(IVSL.EQ.1) RV(J)=.5*(RVMN+RVMX)	LOOP	2050
RBETA=2.*RBETA	LOOP	2051
GO TO 4412	LOOP	2052
4415 FMX=RVEQ	LOOP	2053
RVMX=RV(J)	LOOP	2054
IF(SRH.LT.0.) IVSL=1	LOOP	2055
RV(J)=RV(J)-RBETA	LOOP	2056
IF(IVSL.EQ.1) RV(J)=.5*(RVMN+RVMX)	LOOP	2057
RBETA=2.*RBETA	LOOP	2058
GO TO 4412	LOOP	2059
4418 CONTINUE	LOOP	2060
IF(RVEQ.LT.0.) GO TO 4422	LOOP	2061
RVTP=RVT-RVEQ*(RVMX-RVT)/(FMX-RVEQ)	LOOP	2062
FMX=RVEQ	LOOP	2063
RVMX=RVT	LOOP	2064
RV(J)=RVTP	LOOP	2065
IF(RVTP.LT.RV.MN) RV(J)=.5*(RVMN+RVMX)	LOOP	2066
GO TO 4412	LOOP	2067
4422 RVTP=RVT-RVEQ*(RVT-RVMN)/(RVEQ-FMN)	LOOP	2068
FMN=RVEQ	LOOP	2069
RVMN=RVT	LOOP	2070
RV(J)=RVTP	LOOP	2071
IF(RVTP.GT.RVMX) RV(J)=.5*(RVMN+RVMX)	LOOP	2072
GO TO 4412	LOOP	2073
4500 CONTINUE	LOOP	2074
2 CONTINUE	LOOP	2075
3 CONTINUE	LOOP	2076
CALL CC1PT	LOOP	2077
RETURN	LOOP	2078
4413 FORMAT(6X,1HJ,8X,4HIRVT,10X,4HRSAT,16X,3HRVO,12X,3HRVT,12X,	LOOP	2079
14HRATE,12X,4HTVAP,16X,3HTLQ)	LOOP	2080
4414 FORMAT(5X,12.6X,15.6X,1PE12.5,6X,E12.5,6X,E12.5,6X,E12.5,6X,E12.5,	LOOP	2081
16X,E12.5)	LOOP	2082
END	LOOP	2083

===== //====

FUNCTION VDKCAL(RO1,UD1,TH1,A1,ONU,RB1)	LOOP	2084
*CALL LOOPC	LOOP	2085
TH=TH1+1.E-10	LOOP	2086
VDKCAL=0.125*RO1*A1/TH*(CDG*UD1+12.*ONU/RB1)	LOOP	2087
RETURN	LOOP	2088
END	LOOP	2089

===== //====

FUNCTION VDKPCAL (R01,VD1,TH1,A1)	LOOP	2090
*CALL,LOOPC	LOOP	2091
TH=TH1+1.E-11	LOOP	2092
VDKPCAL=0.125*R01*A1/TH*CDG*SIGN(1.,VD1)	LOOP	2093
RETURN	LOOP	2094
END	LOOP	2095

===== //====

FUNCTION VPRO(J1,TH1,RST1,RB1,T1,T2,A1,KTRAN)	LOOP	2096
*CALL,LOOPC	LOOP	2097
C PHASE CHANGE RATE	LOOP	2098
J=J1	LOOP	2099
GO TO (1,2),KTRAN	LOOP	2100
1 VAVE=0.5*ABS(V(J)+V(J-1))	LOOP	2101
VDAVE=0.5*ABS(VD(J)+VD(J-1))	LOOP	2102
GO TO 3	LOOP	2103
2 VAVE=0.5*SQRT((VK(KOU)+VK(KDO))**2+(VK(KOU)+VK(KOD))**2)	LOOP	2104
VDAVE=0.5*SQRT((VDK(KOU)+VDK(KDO))**2+(VDK(KOU)+VDK(KOD))**2)	LOOP	2105
3 VTBI=0.1*VAVE+VDAVE	LOOP	2106
E1=(1.91*ROL*TH1/RS11*CHL/ELHT*ABS(T1-T2)+	LOOP	2107
1(0.637*VTBI*RB1*ROL/EDL)**0.5)/RB1	LOOP	2108
VPRO=E1*A1/ELHT*EDL*CHL*(T1-T2)	LOOP	2109
RETURN	LOOP	2110
END	LOOP	2111

===== //====

SUBROUTINE WALLT	LOOP	2112
*CALL,LOOPC	LOOP	2113
C----WALL TEMPERATURE EQUATION	LOOP	2114
RETURN	LOOP	2115
END	LOOP	2116

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