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# RAGTIME: A FORTRAN IV Implementation of a Time-Dependent Model for Radionuclides in Agricultural Systems

# **First Progress Report**

J. C. Pleasant L. M. McDowell-Boyer G. G. Killough



Prepared for the U.S. Nuclear Regulatory Commission Division of Safeguards, Fuel Cycle, and Environmental Research Under Interagency Agreement DOE 40-550-75

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RAGTIME: A FORTRAN IV IMPLEMENTATION OF A TIME-DEPENDENT MODEL FOR RADIONUCLIDES IN AGRICULTURAL SYSTEMS

FIRST PROGRESS REPORT

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# NOTICE

This document contains information of a preliminary nature. It is subject to revision or correction and therefore does not represent a final report.

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# HIGHLIGHTS

RAGTIME is a FORTRAN IV program that calculates radionuc.ide concentrations in food crops, beef, and milk which are contaminated as a result of deposition of radioactivity on an agricultural area. Contamination of these foods is assumed to occur as a result of the deposition of radioactivity onto the surface of above-ground food crops, pasture grass, the soil surface below crops, and the soil surface or root mat below pasture grass, with ingrowth of radioactive daughters being computed explicitly. The input source of radioactivity may be prescribed by the user as a step function for each nuclide in the chain. The model employs time-dependent interception fractions for deposition of activity on food crops; the interception fractions for deposition on pasture grass or pasture soil are at present constants, but the facility for use of time-dependent values is provided. Seasonal aspects of the transfer of radionuclides between various compartments of the model include the provision for specifying the dates of emergence and harvest for various crop categories.

The system of differential equations describing the model is solved by use of a discrete-variable numerical integration (the GEAR package), and the accuracy of this solution is monitored by comparing the total radioactivity in the system as calculated by the numerical procedure with that calculated by use of an explicit solution of the Bateman equations.

This report discusses the development of the model which is presently on-going, and thus, does not represent the final version envisioned for implementation. Output for a sample run of the current version is provided in this report.

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### 1. INTRODUCTION

A number of terrestrial food-chain transport models have been developed over the past several years for use in assessing ingestion dose to man from aerially deposited radionuclides.<sup>1</sup> Included among these is a transport model described in the U. S. Nuclear Regulatory Commission's (USNRC) Regulatory Guide 1.109, a model which NRC considers acceptable for assessing terrestrial transport of radionuclides released during normal operation of light-water-cooled nuclear power plants.<sup>2</sup> Limitations of these models with respect to dynamic seasonal considerations as well as radioactive daughter ingrowth prompted model development work, the initial progress of which is reported here.

RAGTIME (Radionuclides in AGricultural systems: a TIME-dependent model) computes radionuclide concentrations in food crops, beef, and milk which are contaminated by radionuclide deposition. The model assumes a known rate of deposition of radioactivity (microcuries per square meter per day,  $\mu$ Ci m<sup>-2</sup> day<sup>-1</sup>) at a given environmental location and uses interception fractions  $S_1$ ,  $S_2$ ,  $S_3$ , and  $S_4$  to calculate radioactivity input rates to the model compartments representing aboveground food, the soil surface below the food crop, pasture grass, and pasture soil or root mat, respectively, at that location. RAGTIME is basically an adaptation of the previously developed TERMOD code<sup>3</sup> to consider both seasonality of agricultural processes and the dynamics of daughter ingrowth of radionuclides during food-chain transport. Because the development of RAGTIME is still in progress, some parameters and concepts believed to be inadequate for the intended use of this code have been carried over from TERMOD until appropriate revisions can be made.

The system of linear ordinary differential equations describing the model accounts explicitly for ingrowth of radioactive daughters and provides for an input source of each member of a radionuclide chain. This system is solved by use of the GEAR package<sup>4</sup> for solution of systems of ordinary differential equations. A subroutine, CHECK, of RAG-TIME provides a check on the accuracy of this solution. At each output

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time, CHECK makes use of an explicit solution of the Bateman equations to calculate the total amount of radioactivity in the system; this value is compared with the total obtained by summing the amounts of radioactivity in all model compartments as computed by the GEAR subroutine.

In Sect. 2 of this report, we describe in broad outline the RAG-TIME methodology and present the equations which describe the model. Sections 3 and 4 provide details concerning the interception fractions  $S_1$ ,  $S_2$ ,  $S_3$ , and  $S_4$  and the transfer coefficients of the system. Section 5 is devoted to a discussion of the use of the GEAR package in solving the system of differential equations of the model and to a description of the way the Bateman equations are used. Finally, a description of the RAGTIME computer code is provided in Sect. 6, giving details regarding input, logical structure, and calls to the GEAR subroutines as well as the procedure employed by subroutine CHECK to monitor the accuracy of the numerical solution.

As mentioned previously, there are a number of limitations of the present version of the RAGTIME model which remain to be addressed. Principal among planned refinements is the inclusion of the seasonal cycle in the dairy and beer pathways. Aside from an example run for the 90Sr-90Y chain, this report will not present a data base, the development of which is presently in progress. The present code uses an arroy of output times with a fixed size; whereas the integration interval may be of indefinite length, this fixed array limits the output density which is possible without recompilation. It may be desirable to remove this dependence on a fixed array in a future version.

Among planned revisions is the conversion of the RAGTIME code to the International System of Units (SI), thus effecting a change in the expression for radioactivity from curie (Ci) to becquerel (Bq), where

$$1 \text{ Ci} = 3.7 \times 10^{10} \text{Bq.}$$
(1.1)

The current version of the code uses Ci to represent activity, and the following documentation is consistent with this convention although the output may easily be converted to Bq using the relationship given above.

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# 2. DESCRIPTION OF THE MODEL

The RAGTIME model is represented schematically in Fig. 2.1. The subscript i associated with the compartments  $E_i$ ,  $S_i$ ,  $P_i$ , etc. refers to the ith nuclide of a radionuclide decay chain. Certain of the transfer coefficients are nuclide-, or element-, dependent; this is also signified by the use of the subscript i, [e.g.,  $(\tau_{p,t})_i$ ]. The deposition source F<sub>i</sub> represents the input source of radioactivity corresponding to the *ith* nuclide of a radionuclide chain. This source strength may vary with time and may be represented in the computer code as a step function for each nuclide in the chain. The fractions of input radioactivity which are intercepted by above-ground crops, soil surface below the food crop, pasture grass, and pasture soil are represented by  $S_1$ ,  $S_2$ ,  $S_3$ , and  $S_4$ , respectively. These fractions may be time-dependent with respect to growth dynamics of the crop land or pasture. In Sect. 3.1, we describe models for calculation of time-dependent interception fractions  $S_1$  and  $S_2$ . The present version of the code uses values of  $S_3$  and S4 which are constant with respect to time; however, the same subroutine is used to return values for all interception fractions, so that a convenient method is available should the user desire to prescribe time-dependent values for  $S_3$  and  $S_4$ .

A general outline of the terrestrial pathways considered in RAG-TIME follows, along with a brief description of parameters used in implementing the computer simulation. A more rigorous definition and the rationale behind the particular quantifications used for each parameter are given in Sects. 3 and 4 of this report.

# 2.1 Radioactivity Transfer to Crops

Radioactivity deposited on the surface of the above-ground food crop passes to the soil surface below the food crop with an environmental half-time of usually less than 30 days.<sup>5</sup> We have used 14 days for this value [ $\tau_{e,s} = \ln 2/(14 \text{ days}) = 0.0495 \text{ day}^{-1}$ ].<sup>3,6</sup> For transfer

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Fig. 2.1. Schematic representation of radioactivity transfer to food crops, milk, and beef as simulated by the RAGTIME computer code.

from the soil surface below the food crop to the subsurface soil pool, we have assumed a 1000-day environmental half-time, giving  $\tau_{s,p} =$ ln 2/(1000 days) = 6.93 x 10<sup>-4</sup> day<sup>-1</sup>. Radioactivity in the subsurface soil pool is available for uptake by plant roots. The plant interior compartment T<sub>i</sub> simulates radioactivity which is transferred to the edible parts of crops as a result of root uptake.

In Sect. 3.2 and Appendix B, we describe a model for calcultion of a nuclide-and time-dependent rate coefficient  $(\tau_{p,t})_i$  representing this transfer of activity. We have assumed a loss rate of 4% per year from the subsurface soil compartment P<sub>i</sub> to the soil compartment below the roots, H<sub>i</sub>, giving  $\tau_{p,h} = 0.04/(365 \text{ days}) = 1.096 \times 10^{-4} \text{ day}^{-1}$  (Refs. 3,7). The dotted lines from compartments E<sub>i</sub> (surface of above-ground food crop) and T<sub>i</sub> (plant interior) to (EH)<sub>i</sub> (crop holdup compartment) represent harvest of crops.

The level of radioactivity in all compartments associated with crops at a given time is dependent on the histories of both the deposition source strength and on the growth of these crops. The effect of crop growth upon the activity level on crop surfaces (compartment  $E_i$ ) is simulated through use of the time-dependent interception fraction  $S_1$ . The time-dependent transfer coefficient  $(t_{p,t})_i$  serves this function with regard to the plant interior compartment  $T_i$ . Before the emergence of plants, the value of  $S_1$  is zero, as is that for  $(\tau_{p,t})_i$ . At harvest time, the entire food crop is assumed to be stored in a holdup compartment (EH);, after which time the radioactivity concentration level in this food is assumed to be affected only by the radioactivity decay process. Thus, the activity level in the compartments representing crops in the field (compartments  $E_i$  and  $T_i$ ) is zero except at times between the emergence and harvest of crops. Harvest of crops is simulated numerically by reinitialization of the state variables representing these compartments at harvest time, [i.e., the compartments  $E_i$  and  $T_i$  which represent activity associated with crops in the field are set to zero, and the compartment (EH); representing harvested crops is assigned a value (in microcuries per kilogram) to reflect its receipt of all radioactivity from E; and T;].

# 2.2 Radioactivity Transfer to Beef and Milk

As in the case of transfer from the surface of the above-ground food crop to the soil surface, we have assumed a 14-day environmental, or retention, half-time for the loss of radioactivity from pasture grass to pasture soil  $[t_{q,r} = \ln 2/(14 \text{ days}) = 0.0495 \text{ day}^{-1}].^{3,6}$  To account for uptake of radioactivity by pasture grass from soil, we have assumed a transfer rate of 1% per year from R<sub>i</sub> to G<sub>i</sub> [ $\tau_{r,g} = 0.01/(365)$ days) = 2.74 x  $10^{-5}$  day<sup>-1</sup>].<sup>3,7</sup> As in the determination of  $\tau_{p,h}$ , a transfer rate of 4% per year from the pasture soil compartment  $R_i$  to the soil below the roots  $D_{i}$  [ $\tau_{r,d} = 0.04/(365 \text{ days}) = 1.096 \times 10^{-4}$ day-1] was assumed. 3,7 The rate coefficient for loss of activity from pasture grass resulting from grass consumption by a cow is denoted by  $\tau_{q,\star}$ . The derivation of a value for this coefficient is discussed in Sect. 4.1. The beef compartment B; represents the concentration of activity in the muscle of a steer and  $C_i$  simulates the concentration of activity in milk in the udder of a cow. It is not assumed that the total loss from the pasture grass compartment, G;, due to a cow's grass consumption is accounted for by gains to the beef and milk compartments  $B_i$  and  $C_i$ . Rather, the transfer coefficients  $(\tau_{g,b})_i$  and  $(\tau_{g,c})_i$ account for only portions of the total activity transferred to the cow through consumption of grass, those portions being the activity transferred to beef  $(B_i)$  and milk  $(C_i)$ , respectively. The remainder of the loss from G; due to a cow's consumption is considered only for the purpose of allowing a mass-balance check of total radioactivity in the system. This remainder, being the complement of  $(\tau_{g,b})_i$  and  $(\tau_{g,c})_i$ with respect to  $\tau_{q,\star}$ , is indicated in Fig. 2.1 as a dashed line drawn to the compartment  $M_i^!$ . The compartment  $M_i^!$  is used only in connection with the performance of a mass-balance check. Details concerning the procedure used by the code to perform this check are given in Sects. 5.2 and 6.3.

The dotted lines from the beef and milk compartments  $B_i$  and  $C_i$  to the holdup compartments (BH)<sub>i</sub> and (CH)<sub>i</sub>, respectively, represent the effect of storage on the radionuclide concentration in these foods. At

each output time, the computer prints, in addition to the activity concentrations of beef  $(B_i)$  and milk  $(C_i)$  at the given time, the concentration levels which these foods would reach if stored for a userspecified period of time  $(t_b^h$  for beef,  $t_c^h$  for milk). Thus, at a given output time t, (BH); represents the activity concentration ( $\mu$ Ci kg<sup>-1</sup>) of nuclide i in beef at time  $t + t_b^h$  which was stored from time t to time t +  $t_b^h$ , assuming a concentration level  $B_i$  at time t. The definition of (CH); ( $\mu$ Ci liter<sup>-1</sup>) is similar. Since the determination of the values of (BH); and (CH); from those for  $B_i$  and  $C_i$  involves only the application of the process of radioactive decay (using the Bateman equations), the system of differential Eqs. (2.1) through (2.11) representing the model depicted in Fig. 2.1 does not contain equations corresponding to these holdup compartments. In Sect. 6.2 we present details concerning calls to a subroutine, RESDNS, which uses an explicit solution of the Bateman equations to calculate values for (BH); and (CH);.

# 2.3 The System of Equations

The following system of equations describes the transfer of deposited radioactivity to food crops, beef, and milk as depicted in Fig. 2.1. As pointed out in Sect. 2.2, the compartments  $(BH)_i$  and  $(CH)_i$  are not represented by differential equations since their values are calculated using only the Bateman equations (see Sect. 6.2). Furthermore, the differential equation for the compartment  $M_i^t$ , which is used only in connection with a mass-balance check, is not included here but is discussed in Sect. 6.2. Definitions of the compartments used in the RAG-TIME model follow the system of equations. Descriptions of all other quantities used in these equations along with the values used for certain of those which represent constants (at present) are given in Table 2.1. Values of nuclide-dependent and crop-specific parameters for a sample run of RAGTIME are given in Appendix B (Table B.1) along with a description of how these values are derived from empirical data.

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Crop surface

$$\frac{dE_{i}}{dt} = S_{1}F_{i}(t) - (\lambda_{i}^{R} + \tau_{e,s})E_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}E_{j}$$
(2.1)

Crop soil surface

$$\frac{dS_{i}}{dt} = S_{2}F_{i}(t) + \tau_{e,s}E_{i} - (\lambda_{i}^{R} + \tau_{s,p})S_{i} + \lambda_{i}^{R}\sum_{j=1}^{i-1} B_{ij}S_{j}$$
(2.2)

Crop soil pool

$$\frac{dP_{i}}{dt} = A\tau_{s,p}S_{i} - [\lambda_{i}^{R} + (\tau_{p,t})_{i} + \tau_{p,h}]P_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}P_{j}$$
(2.3)

Pasture grass

$$\frac{dG_{i}}{dt} = S_{3}F_{i}(t) - (\lambda_{i}^{R} + \tau_{g,r} + \tau_{g,*}) G_{i} + \tau_{r,g}R_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}G_{j}$$
(2.4)

Pasture soil

$$\frac{DR_{i}}{dt} = S_{4}F_{i}(t) + \tau_{g,r}G_{i} - (\lambda_{i}^{R} + \tau_{r,g} + \tau_{r,d})R_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}R_{j}$$
(2.5)

Pasture soil sink

$$\frac{dD_i}{dt} = \tau_{r,d}R_i - \lambda_i^R D_i + \lambda_i^R \sum_{j=1}^{j-1} B_{ij}D_j$$
(2.6)

Milk

$$\frac{dC_i}{dt} = (\tau_{g,c})_i G_i - (\lambda_i^R + \tau_{milk}) C_i + \lambda_i^R \sum_{j=1}^{i-1} B_{ij} C_j \qquad (2.7)$$

$$\frac{dB_{i}}{dt} = (\tau_{g,b})_{i}G_{i} - [\lambda_{i}^{R} + \tau_{beef} + (\tau_{exc})_{i}]B_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}B_{j} \quad (2.8)$$

Interior of crops

$$\frac{dT_{i}}{dt} = (\tau_{p,t})_{i}P_{i} - \lambda_{i}^{R}T_{i} + \lambda_{i}^{R}\sum_{j=1}^{i-1} B_{ij}T_{j}$$
(2.9)

Crop soil sink

$$\frac{dH_i}{dt} = (\tau_{p,h}/A)P_i - \lambda_j^RH_i + \lambda_j^R \sum_{j=1}^{i-1} B_{ij}H_j$$
(2.10)

Stored orops

$$\frac{d(EH)_{i}}{dt} = -\lambda_{i}^{R}(EH)_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}(EH)_{j}$$
(2.11)

The RAGTIME compartments are described as follows:

- E<sub>1</sub> Radioactivity present on the surface of the aboveground food crop per square meter of surface on which the crop is grown (μCi m<sup>-2</sup>)
- S<sub>i</sub> Radioactivity present at the soil surface below food crops (μCi m<sup>-2</sup>)
- P<sub>i</sub> Radioactivity present in the subsurface soil pool associated with one man's food supply (μCi)
- $G_{1}$  Radioactivity present in the pasture grass compartment ( $\mu\text{Ci}\ \text{m}^{-2}$ )
- R<sub>i</sub> Radioactivity present in the pasture soil from ground surface to the root depth of the grass (µCi m<sup>-2</sup>)
- $D_i$  Radioactivity present in the pasture soil below the root depth ( $\mu$ Ci m<sup>-2</sup>)

- $C_{1}$  Concentration of radioactivity in the milk (µCi liter  $^{-1})$
- B; Concentration of radioactivity in beef (µCi kg<sup>-1</sup>)
- T<sub>i</sub> Radioactivity present in the interior of plants produced for human consumption (μCi)
- $H_{1}$  Radioactivity present in the crop soil below the root depth ( $\mu\text{Ci}\ \text{m}^{-2}$ )
- (EH)<sub>i</sub> Concentration of radioactivity in food which is stored following harvest of crops (µCi kg<sup>-1</sup>)
- (BH)<sub>i</sub> Concentration of radioactivity in the beef holdup compartment (μCi kg<sup>-1</sup>)
- (CH); Concentration of radioactivity in the milk holdup compartment (µCi liter<sup>-1</sup>)

Symbol	FORTRAN Name	Description	Type $^{a}$
A	A	Soil surface area $(m^2)$ required to furnish food crops for one man	
Ag	ASUBG	Pasture area per cow (m²)	
B <sub>ij</sub>	B(I,J)	Radioactive branching ratio from species $j$ to species $i$ ( $j < i$ )	b
<sup>B</sup> iv	BSUBIV(I)	Concentration of nuclide i per unit fresh weight in plant ( $\mu$ Ci kg <sup>-1</sup> ) divided by concentration of nuclide per unit dry weight in soil ( $\mu$ Ci kg <sup>-1</sup> )	Ь
d	SMALLD	Depth of plow layer (cm)	
Dg	DSUBG	Dry weight areal grass density (kg m <sup>-2</sup> )	
F <sub>i</sub> (t)	F(I,T)	Input rate ( $\mu$ Ci m <sup>-2</sup> day <sup>-1</sup> ) for i th nuclide at time t (days)	b, c
(F <sub>f</sub> ) <sub>i</sub>	FSUBF(I)	Fouction of the daily intake of nuclide i by a beef cow which appears per kg of flesh at time of slaughter (day kg <sup>-1</sup> )	Ъ
(F <sub>m</sub> ) <sub>i</sub>	FSUBM(1)	Fraction of the daily intake of nuclide i by a dairy cow which appears per liter of milk at equilibrium (day liter <sup>-1</sup> )	b
$\lambda_i^R$	LAMRR(I)	Radioactive decay rate for $ith$ nuclide (day <sup>-1</sup> )	Ъ
Mb	MSUBB	Mass of muscle on a steer at time of slaughter (kg)	
ρ	RHØ	Density of the soil (g cm <sup>-3</sup> )	
$S_1$	51	Interception fraction for surface of above-ground food crop	e, d

Table 2.1 Description of symbols used in the RAGTIME model

# Table 2.1 (continued)

Symbol	FORTRAN Name	Description	Type <sup>a</sup>
$S_2$	52	Interception fraction for soil surface below food crop $(1 - S_1)$	c, d
$S_3$	\$3	Interception fraction for pasture grass (0.25)	
S4	S4	Interception fraction for soil surface or root mat below pasture grass (0.75)	
$\tau_{\text{beef}}$	TAUBEF	Fraction of the beef herd slaughtered per day (day $^{-1}$ )	
τ <sub>e,s</sub>	TAUES	Transfer coefficient from $E_i$ to $S_i$ (day <sup>-1</sup> )	
(t <sub>exc</sub> );	TAUEXC(I)	Excretion rate of stable isotope of the nuclide from the muscle of a steer $(day^{-1})$	b
<sup>t</sup> g,*		Rate coefficient representing loss of radioactivity from pasture grass due to cow's consumption of grass $(day^{-1})$ ; defined to be $V_c/(A_dD_d)$	
(τ <sub>g,b</sub> ) <sub>i</sub>	TAUGB(I)	Transfer coefficient from $G_i$ to $B_i$ (m <sup>2</sup> kg <sup>-1</sup> day <sup>-1</sup> )	Ъ
(r <sub>g,c</sub> ) <sub>i</sub>	TAUGC(I)	Transfer coefficient from G <sub>i</sub> to C <sub>i</sub> (m <sup>2</sup> liter <sup>-1</sup> day <sup>-1</sup> )	Ъ
τ <sub>g,r</sub>	TAUGR	Transfer coefficient from $G_i$ to $R_i$ (day <sup>-1</sup> )	
<sup>t</sup> milk	TAUMLK	Transfer rate of milk from the udder (day <sup>-1</sup> )	
τ <sub>p,h</sub>	TAUPH	Transfer coefficient from $P_i$ to $H_i$ (day <sup>-1</sup> )	
( <sup>t</sup> p,t <sup>)</sup> i	TAUPT(I)	Transfer coefficient from P <sub>i</sub> to T <sub>i</sub> (day <sup>-1</sup> )	b, c, d

FORTRAN Type a Symbol Description Name Transfer coefficient from R, to D; TAURD Tr,d  $(day^{-1})$ Transfer coefficient from R; to G; τ<sub>r,g</sub> TAURG  $(day^{-1})$ Transfer coefficient from  $S_i$  to  $P_i$  (day<sup>-1</sup>) τ<sub>s</sub>,p TAUSP t<sub>b</sub> Holdup time for beef (days) TIMBH t<sub>c</sub>h Holdup time for milk (days) TIMCH U U Milk capacity of the udder (liters)

Table 2.1 (continued)

 $^{\alpha}$ No type specified means parameter is nuclide- and time-independent.  $^{b}$ Nuclide-dependent.

Dry weight consumption per day by

<sup>C</sup>Time-dependent.

**VSUBC** 

V<sub>c</sub>

 $^{\vec{d}}{\rm Crop-specific}$  parameters necessary to derive these quantities are described and quantified in Appendix B of this report.

a cow (kg day-1)

# 3. PARAMETERS DESCRIBING TRANSFER TO CROPS

Modes of contamination of edible portions of crop plants include the interception and retention of aerially depositing radionuclides by crops as well as root uptake following deposition onto crop soils. In addition, interception and retention by crops of radionuclides resuspended from soil may contribute to the contamination of foodstuffs, although this pathway is not represented in the model at present. The relative importance of each of these modes of contamination will depend on many factors including the mobility of the radionuclide in soil, the availability of the colide for root uptake, the radiological half-life (-lives) involved, as well as the types of crops being considered.

In developing a model to describe these pathways of contamination, it is neessary to consider seasonal cycles of crops (i.e., when the crops are and are not present during the year) as well as the time dependency of parameters describing contamination. Much of this time dependency is due to physiological and morphological changes in plants due to growth and maturation, and to changes which may be occurring in the chemical form of the radionuclide which is deposited either on plant or soil surfaces. Although time dependency due to chemical transformations has not been considered to date, the present model can potentially incorporate parameters of this type. At present, the time dependency of the interception parameters  $S_1$  and  $S_2$  (see Fig. 2.1) and of the root ptake parameter  $(\tau_{p,t})_i$  have been studied, and preliminary approaches to characterizing the dynamic nature of these parameters are discussed below.

A holdup compartment,  $(EH)_i$ , is utilized in this model in order to account for radioactive decay and daughter buildup that may occur between harvest of crops and consumption by man (Fig. 2.1). The length of this interval is left to the user's discretion.

3.1 Time-dependent Aerosol Interception  $(S_1 \text{ and } S_2)$ 

The interception of airborne radionuclides by edible portions of crop plant will depend on these major factors:

- 1. the surface area exposed to depositing particles,
- the shape of the edible portion and its orientation to depositing particles, and
- 3. the particle density of the depositing material.

Because some of these parameters are specific for different plant species, edible crops have been divided into cateories representing plant parts with similar morphological characteristics. The following categories have been recognized:

- root crops and other crops with protected edible parts,
- 2. leafy vegetables,
- 3. exposed-grain crops,
- 4. cylindrical vegetables, and
- 5. spherical vegetables.

Ideally, empirical data regarding interception of airborne particles over the growth cycles of crops should be used to represent the time dependency of this mode of contamination. However, because data of this type are not readily available, certain simplifying assumptions were made to account for the factors affecting interception. It is hoped that the adequacy of these assumptions will be tested at a later date through validation studies and sensitivity analyses.

At present, we have attempted to model the dynamics of interception by assuming that interception is a direct function of the projected surface area of the edible portion, and that interception occurs at a  $90^{\circ}$  angle to the plane of the projected surface area. The time dependency of interception thus relies on the relationship of the projected surface area of the edible portion to the mass of that portion during plant growth. This relationship may be characterized either through the use of empirical data - for example, that obtained by the Stanford increarch Institute<sup>9</sup> for several crops - or by assuming the density of the vegetative matter remains constant during growth and using geometric procedures to derive projected areas as a function of plant growth.

The mathematical representation of the crop compartment  $E_i$ , which intercepts depositing radionuclides, was given in Sect. 2.3 [Eq. (2.1)] as

$$\frac{dE_{i}}{dt} = S_{1}F_{i}(t) - (\lambda_{i}^{R} + \tau_{e,s})E_{i} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{ij}E_{j}.$$

The fraction  $S_1$  of depositing radionuclides intercepted by the edible portion may be defined in two ways, depending on whether this fraction represents an empirically derived or theoretical (geometric) relationship with time. An empirical approach is

$$S_1 = S_L^0 m^{(1-n_L)} w$$
, (3.1)

where

S<sup>0</sup><sub>L</sub> and n<sub>L</sub> = empirical constants, m = time-dependent mass of the plant part (g dry- weight), w = number of plant parts per square meter.

An example of a time-dependent curve for m is given in Appendix B. This representation of  $S_1$  is adapted from a document prepared by the Stanford Research Institute,<sup>9</sup> which supplies values for the empirical constants  $S_1$  and  $n_L$  for certain plant species. The empirical constants were derived for considerations of specific surface area (m<sup>2</sup> g<sup>-1</sup>) alone, for a given planting density w, and thus may be appropriate only for similar planting configurations. A geometric approach for estimating the relationship of  $S_1$  with time is provided by Miller,<sup>9</sup> where the change in projected surface area with time may be calculated by assigning a geometric configuration that best approximates the plant part of interest. The output for a sample run of RAGTIME, which considers grains in compartment  $E_i$  (surface of above-ground crops) and is listed in Appendix B, was obtained by using the empirical approach for estimating the time dependency of  $\mathcal{E}_i$ . Empirical constants, used in Eq. (3.1), are also available for edible parts of a few other plant species, including beans, cabbage, peppers, and squash.<sup>9</sup>

The value of  $S_2$ , shown in Fig. 2.1, representing deposition of airborne radionuclides onto the soil surface below the food crop  $(S_j)$ , is calculated by assuming that

$$S_2 = 1 - S_1 . (3.2)$$

It is recognized that this approach may overestimate the soil deposition since inedible parts of food crops will intercept depositing radionuclides. Radionuclides intercepted by inedible portions may all eventually reach the soil when the field is plowed following harvest, less any radioactive decay during retention on plant surfaces.

3.2 Time-dependent Root Uptake (tp.t);

Time dependence of root uptake is especially important when considering radioactive daughter ingrowth and soil depletion of a particular radionuclide. It is expected that root uptake will be a function of the increase in biomass of a plant or plant part over time as well as of the physiological stage in the life cycle of the plant. Both biomass increase and physiologic maturation may involve active and passive processes by which plant tissues incorporate elements. Many essential elements are both actively and passively acquired, while other elements may only be passively acquired. Because many radionuclides are radioactive isotopes or chemical analogs of essential elements, root uptake rates should be described in an element-, as well as time-, dependent sense.

Literature reviewed to date indicates a paucity of data regarding time-dependent root uptake of most elements. What is available indicates that the shape of the uptake curve, however, is similar to that of the growth curve for some elements and crop species studied.<sup>10-16</sup> Therefore, the approach adopted in RAGTIME is either to characterize uptake rates by edible portions of crops on the basis of any empirical data available, or to assume that the uptake rate follows growth curve for the edible portion in the absence of empirical uptake data.

The uptake curve obtained via either of these two approaches is then adjusted such that the concentration in the edible portion for a chosen harvest time is related to the soil concentration at that time by the empirically derived concentration factor,  $B_{iv}$ . The value for  $B_{iv}$  is obtained from empirical studies which measure the final crop concentration with respect to a soil concentration believed to be approximately constant throughout the growth cycle. Thus, for elements whose concentrations are significantly decreased in the root zone either by movement downward into the soil sink  $\sim$  uptake by crops, concentration factors derived from initial soil concentrations and final crop concentrations may not be appropriate.

3.3 Time-independent Parameters  $(\tau_{e,s}, \tau_{s,p} \text{ and } \tau_{p,h})$ 

Retention, both initial and long-term, of intercepted radionuclides will depend on<sup>8</sup>

- 1. the surface characteristics of the edible portion,
- 2. the particle size,
- 3. the wind velocity, and
- 4. the relative humidity and amount of rainfall.

The effect each of these will have on retention will vary from site to site, and thus, the value of  $\tau_{e,s}$ , the retention coefficient, may vary greatly. For the present, we have assumed an average, time-dependent value of  $\tau_{e,s}$  of 0.0495 day<sup>-1</sup>, consistent with that provided in TER-MOD,<sup>3</sup> until further research into this parameter can be undertaken.

The movement of radionuc ides deposited on surface soil to the root zone has been characterized in TERMOD as  $\tau_{s,p}$ . The definition and value of this parameter has been carried over to RAGTIME, pending future investigation into its appropriateness. It is possible that

this parameter might best be described in a time-dependent sense, with empirical data being derived from soil distribution coefficients, or  $K_d$ 's, available in the literature. Because these  $K_d$ 's are element-specific, it may also be necessary to incorporate nuclide-specificity into the definition of  $\tau_{s,p}$ .

The downward movement of radionuclides out of the root zone into the soil sink is again characterized by a time- and nuclide-independent parameter,  $\tau_{p,h}$ , adopted from TERMOD. As with  $\tau_{s,p}$ , further research into the appropriateness of the value and interpretation of this parameter is pending.

#### 4. PARAMETERS DESCRIBING TRANSFER TO BEEF AND MILK

Contamination of beef and milk may occur as a result of the interception or root uptake of depositing radionuclides by forage crops, and the subsequent ingestion by beef or dairy cattle. The RAGTIME code, to date, considers that this contamination occurs only through grazing of exposed pasture grasses by cattle. Thus, the loss and/or buildup of radionuclides present in stored feeds and hay, upon which cattle may depend for a large portion of the year, are not considered at this time. Furthermore, inhalation of radioactivity by cattle is not yet treated explicitly.

# 4.1 Contamination of Pasture Grass

As with food crops (Sect. 3), pasture grass (G;) may be contaminated through interception of depositing radionuclides, including resuspended particulates, and through root uptake of nuclides deposited on the soil or root mat  $(R_i)$  below the pasture grass. At present, a pasture exposed to depositing radionuclides is assumed to maintain an approximately constant plant biomass throughout the year, and that the interception fraction for grasses,  $S_3$ , remains constant. The assumed value of  $S_3$ , equal to 0.25, is equivalent to the value originally used in TERMOD,<sup>3</sup> and falls in the range of empirical measurements reported by Chamberlain<sup>17</sup> for initial retention (where sampling is done immediately after contamination) by grasslands. This parameter would be expected to vary with plant density and other environmental factors, and thus represents an average value here. The fraction, S3, is applied directly to the aerosol source term, F; (see Fig. 2.1), and thus the model does not explicitly account for interception of radionulides resuspended from the soil or root mat below the pasture grass.

The fraction  $S_4$ , in Fig. 2.1, represents the fraction of depositing activity not initially intercepted by grass leaves and thus the fraction deposited on the surface soil or root mat below the leaves. Therefore, this value is assigned a constant value of 0.75, being defined as follows:

$$S_4 = 1 - S_3$$
.

The value of the parameter  $\tau_{r,g}$ , representing additional input into the pasture grass compartment from surface soil, is consistent with the TERMOD value<sup>3</sup> adopted from a paper by Menzel,<sup>7</sup> which indicates that an upper limit for uptake of radionuclides in the surface soil by a single crop is 1%. Considered on an annual basis,  $\tau_{r,g}$  becomes 2.74 x 10<sup>-5</sup> day<sup>-1</sup>.

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Three aspects of root uptake by pasture grasses have not been considered at present. First, the element dependency of this parameter,  $\tau_{r,g}$ , has been neglected, yet may be quite important when root uptake is significant with respect to foliar contamination. Second, an additional mode or root absorption of radionuclides which does not involve the soil may be quite significant. This latter mode of uptake involves the radionuclide availability for uptake from the root mat, which is a "thatch" of dead and decomposing tissues around the plant-base region in which grasses may root.<sup>7</sup> Finally, the time dependency of  $\tau_{r,g}$  has not been investigated. All of these aspects will be addressed as work continues on KAGTIME.

Loss of radionuclides from the grass compartment,  $G_i$  (see Fig. 2.1), may occur through ingestion of grass by grazing cattle  $(\tau_{g,\star})$ , radioactive decay  $(\lambda_i^R)$ , and by weathering of surface-deposited radionuclides  $(\tau_{g,r})$ . The value of  $\tau_{g,r}$  is assumed to be equivalent to the weathering coefficient,  $\tau_{e,s}$ , discussed in Sect. 3, and chus represents a 14 day half-time for retention of intercepted materials. This value is consistent with data reported by Chamberlain<sup>17</sup> for grasslands, although it may vary with seasons and climatic factors. In particular, this weathering coefficient, when measured, will incorporate loss of surface material due to shedding of the protective leaf cuticle during plant growth,<sup>17</sup> thus suggesting a seasonal and species dependency of  $\tau_{g,r}$ . As with  $\tau_{e,s}$ ,  $\tau_{g,r}$  is assumed to be time independent until further research dictates that a different approach should be taken.

(4.1)

The value of  $\tau_{g,\star}$  (day<sup>-1</sup>) will depend on the rate of loss of radionuclides in pasture grass through consumption by grazing beef and dairy cattle. For this model, an average ingestion rate, V<sub>c</sub>, of 10 kg day<sup>-1</sup> dry matter was assumed, consistent with the value used in TER-MOD.<sup>3</sup> Using this ingestion rate and a dry-weight areal grass density, D<sub>a</sub>, of 0.15 kg m<sup>-2</sup> (Ref. 3), we define the value of  $\tau_{g,\star}$  to be

$$r_{g,\star} = \frac{V_c}{A_g D_g} = \frac{6.67 \times 10^{-1} \text{ day}^{-1}}{A_g} , \qquad (4.2)$$

where

 $A_{\alpha}$  = pasture area per cow (m<sup>2</sup>).

At present, it is assumed that  $\tau_{g,*}$  is constant throughout the year. Further work on incorporating seasonal aspects into the model will modify this approach.

The rate of loss of radionuclides from the surface soil (R<sub>i</sub>) beneath pasture grass is represented by the parameter  $\tau_{r,d}$ . As with the similarly defined parameter,  $\tau_{p,h}$ , for crop soil (Sect. 3), an elementindependent rate of 1.096 x 10<sup>-4</sup> day<sup>-1</sup> is used, as given in documentation of the TERMOD code.<sup>3</sup> Again, further research may indicate a more appropriate value or representation of this process.

# 4.2 Contamination of Beef and Milk

Transfer of radionuclides from pasture grass to beef or milk is parameterized by  $(\tau_{g,F})_i$ , in m<sup>2</sup> kg<sup>-1</sup> day<sup>-1</sup>, or  $(\tau_{g,C})_i$ , in m<sup>2</sup> liter<sup>-1</sup> day<sup>-1</sup>, respectively (see Fig. 2.1). These parameters represent transfer rates and are assumed to be time independent pending further investigation into data available regarding their time dependency. Elementspecific values of  $(\tau_{g,b})_i$  and  $(\tau_{g,C})_i$  were calculated from empirically derived transfer coefficients,<sup>18, 19</sup> (F<sub>f</sub>)<sub>i</sub> and (F<sub>m</sub>)<sub>i</sub>, which characterize the ratios between beef or milk concentrations of an element and the equilibrium concentration of that element in pasture grass or feed. By definition

- Ff = the fraction of the daily intake of an element by a beef cow which appears per kg of flesh at time of slaughter (day kg<sup>-1</sup>), and
- F<sub>m</sub> = the fraction of the daily intake of an element by a dairy cow which appears per liter of milk at equilibrium (day liter<sup>-1</sup>).

Therefore, the empirical coefficients represent the theoretical coefficients only if pasture grass (or feed) is the only source of the element in question in the cow's diet. The parameter  $(\tau_{g,b})_i$  was derived by assuming that the concentration in beef at time of slaughter approximates an equilibrium concentration, given an equilibrium concentration in pasture grass. Thus, if  $(B_{cow}^{eq})_i$  is taken to represent the equilibrium concentration of an element, i, in the muscle of a single cow  $(\mu \text{Ci kg}^{-1})$ , and  $G_i^{eq}$  is the equilibrium concentration in grass  $(\mu \text{Ci} m^{-2})$ , then from the equilibrium equation

$$\frac{d(B_{cow})_{i}}{dt} = (\tau_{g,b})_{i}G_{i}^{eq} - (\tau_{exc})_{i}(B_{cow}^{eq})_{i} = 0, \qquad (4.3)$$

it follows that

$$\frac{(B_{cow}^{eq})_{i}}{G_{i}^{eq}} = \frac{(\tau_{g,b})_{i}}{(\tau_{exc})_{i}} , \qquad (4.4)$$

where

 $(\tau_{exc})_i = loss rate of the element, i, from the muscle of a steer (day<sup>-1</sup>). Since$ 

$$(\tau_{g,b}) = \frac{(B_{cow}^{eg})_i}{G_i^{eq}} (\tau_{exc})_i$$
(4.5)

and

$$(F_{f})_{i} = \frac{(B_{cow}^{eq})_{i}}{(G_{i}^{eq} \times V_{c}/D_{g})} , \qquad (4.6)$$

where

 $D_{g} = dry$ -weight area, grass density (0.15 kg m<sup>-2</sup>),

it follows that the expression for  $(\tau_{q,b})_i$  is related to  $(F_f)_i$  by:

$$(\tau_{g,b})_i = \frac{(F_f)_i (\tau_{exc})_i V_c}{D_q}$$
, (4.7)

Assuming the animal's diets to consist solely of pasture grass, the loss rate of the element from the muscle of a steer,  $(\tau_{exc})_i$ , may be interpreted to represent both the element-specific metabolic turnover, as well as the element-independent dilution of the concentration due to increase in muscle mass during growth. This approach has been adopted from the TERMOD code<sup>3</sup> for the present, but will probably be revised to reflect a dynamic, rather than steady-state, approach to modeling this pathway as model development progresses. In doing so, the dilution due to growth may be handled explicitly rather than incorporated into a term such as  $(\tau_{exc})_i$ .

Similarly for  $(\tau_{g,c})_i$ , representing transfer of element, i, to milk  $(C_i)$ ,

$$(\tau_{g,c})_{i} = \frac{(F_{m})_{i}(\tau_{milk})V_{c}}{D_{g}},$$
 (4.8)

where

$$\tau_{milk}$$
 = the element-independent loss rate from the udder (2 day<sup>-1</sup>).

The value of  $\tau_{milk}$  in this case corresponds to the frequency of milking, assumed to be twice daily, and other losses are considered negligible. Equation (4.8) was derived in a manner similar to Eq. (4.7), from

$$\frac{d(C_{cow})_{i}}{dt} = (\tau_{g,c})_{i}G_{i}^{eq} - \tau_{milk}(C_{cow}^{eq})_{i} = 0, \qquad (4.9)$$

and

$$(F_{\rm m})_{\rm i} = \frac{(C_{\rm cow}^{\rm eq})_{\rm i}}{(G_{\rm i}^{\rm eq} \times V_{\rm c}/D_{\rm g})}$$
 (4.10)

Again, dynamics related to maturation and milking practices for a single cow have been neglected at this time, but will be considered as model development progresses.

The equation describing radionuclide concentrations in the beef compartment as whole [Eq. (2.8)], given in Sect. 2.3 of this report, as

$$\frac{dB_i}{dt} = (\tau_{g,b})_i G_i - [\lambda_i^R + \tau_{beef} + (\tau_{exc})_i]B_i + \lambda_i^R \sum_{i=1}^{i-1} B_{ij}B_j$$

differs from that for a single cow given in Eq. (4.3) due to the presence of an additional element-independent loss parameter,  $\tau_{beef}$ . The interpretation of this aspect of the beef compartment has been adopted here from TERMOD,<sup>3</sup> in that the compartmental equation considers losses from beef in the herd as a whole by including the term,  $\tau_{beef}$ , to account for slaughter of contaminated cattle. This interpretation then implies instantaneous replacement of the slaughtered portion with uncontaminated cattle and a subsequent reduction or loss of radioactivity from the compartment. The uncompartmented cattle then begin to accumulate radioactivity at a rate determined by  $(\tau_{q,b})_i$ . If, however, the radionuclide concentration in the beef compartment is to be used as an indication of man's radiation exposure via ingestion of beef, the present methodology may underestimate concentrations in beef of cattle being slaughtered. That is, this latter portion of the herd will likely be the more mature segment which has been exposed to contaminated pasture for the greatest length of time, although the concentration calculated will be an average of all members of the herd. In light of this potential deficiency, work is ongoing to revise the homogeneous herd concept, where uncontaminated and contaminated beef are indiscriminately mixed to produce an average concentration in the beef which may be lower than that in cattle ready for slaughter.

The milk compartment may also be interpreted to represent concentrations in milk obtained from the dairy herd as a whole. In this case, however, instantaneous replacement of milk removed from the udder by uncontaminated milk does not result in a reduction in concentration below that to which man might be exposed, because each lactating cow, as well as the herd, is subject to this same removal process. That is, while slaughtering will not affect the radionuclide concentration in beef of any particular cow, milking will affect the concentration in milk of each individual lactating cow in the herd, and thus can be considered when considering the herd as a whole.

For both milk and beef compartments, radionuclide loss and buildup of daughters due to radioactive decay during storage prior to human consumption is considered. Compartments  $(CH)_i$  and  $(BH)_i$ , representing concentrations of each nuclide in milk and beef, respectively, following storage were devised to provide this information.

# 5. SOLUTION OF THE SYSTEM OF DIFFERENTIAL EQUATIONS

#### 5.1 Use of the GEAR Subroutine

The system of differential Eqs. (2.1) through (2.11) is solved in the RAGTIME code by use of the GEAR package<sup>4</sup> for solution of systems of ordinary differential equations. The subroutine CALC of RAGTIME makes a call to the subroutine GEAR of the GEAR package at each output time to determine the values of the state variables,

 $E_i$ ,  $S_i$ ,  $P_i$ ,  $G_i$ ,  $R_i$ ,  $D_i$ ,  $C_i$ ,  $B_i$ ,  $T_i$ ,  $H_i$ , and  $(EH)_i$ ,

where i = 1 to n (the number of nuclides in the chain) at the given time. In the notation of the GEAR package, the system of differential Eqs. (2.1) through (2.11), with i varying from 1 to n, has the form

dY/dT = F(Y,T)

where Y = [Y(1), Y(2), ..., Y(N)] is the state vector at time T, with N representing the number of state variables. The present version of RAGTIME uses N = 12 x n state variables (n = the number of nuclides in the chain). The correspondence between RAGTIME state variable names and those used in the GEAR package is shown in Table 5.1.

The user of the GEAR package furnishes a subroutine DIFFUN(N,T,Y, YDØT) which computes the function YDØT = F(Y,T), the right-hand side of the system of ordinary differential equations, where N, T, and Y are as described above. The correspondence indicated above between RAGTIME state variable names and those used by the GEAR package implies a similar correspondence between the two notations for derivatives (Table 5.2).

The notation used in subroutine CALC of RAGTIME for a call to the GEAR subroutine for values of the state variables at the time TØUT is

CALL GEAR (DIFFUN, PEDERV, N, TO, HU, YO, TØUT, APS, MF, INDEX)

RAGTIME state variable	GEAR package notation
Ei	Y[12(i - 1) + 1]
s <sub>i</sub>	Y[12(i - 1) + 2)
Pi	Y[12(i - 1) + 3)
G <sub>i</sub>	Y[12(i - 1) + 4]
R <sub>i</sub>	Y[12(i - 1) + 5]
Di	Y[12(i - 1) + ô)
C <sub>i</sub>	Y[12(i - 1) + 7]
Bi	Y[12(i - 1) + 8]
(EH) <sub>i</sub>	Y[12(i - 1) + 9]
т <sub>i</sub>	Y[12(i - 1) + 10]
н <sub>і</sub>	Y[12(i - 1) + 11]

Table 5.1 Definition of RAGTIME state variables in terms of GEAR package notation

RAGTIME derivatives	GEAR package notation					
dE <sub>i</sub> /dt	YDØT[12(i - 1) + 1]					
dS <sub>i</sub> /dt	YDØT[12(i - 1) + 2]					
dP <sub>i</sub> /dt	YDØT[12(i - 1) + 3]					
dG <sub>i</sub> /dt	YDØT[12(i - 1) + 4]					
dR <sub>i</sub> /dt	YDØT[12(i - 1) + 5]					
dD <sub>i</sub> /dt	YDØT[12: 1) + 6]					
dC <sub>i</sub> ∕dt	YDØT[12(i - 1) + 7]					
dB <sub>i</sub> ∕dt	YDØT[12(; - 1) + 8]					
d(EH) <sub>i</sub> /dt	YDØT[12(i - 1) + 9]					
dT <sub>i</sub> /dt	YDØT[12(i ~ 1) + 10]					
dH <sub>i</sub> /dt	YDØT[12(, - 1) + 11]					

Table 5.2 Definition of RAGTIME derivatives in terms of GEAR package notation

where the parameters have the following meanings:

- DIFFUN is the name of the subroutine described above, which is declared external in subroutine CALC.
- (2) PEDERV is also a subroutine which is declared external in CALC. Under certain options available to the user of the GEAR subroutine, this subroutine is used to define the N by N Jacobian matrix of partial derivatives. However, under the option used by RAGTIME, PEDERV is a dummy subroutine.
- (3) N is the number of state variables (i.e., N = 12 x n in our case).
- (4) TO is the initial value of T, the time variable (used only on the first call).
- (5) HO is the step size for T (used only on the first call).
- (6) YO is a vector of length N (= 12 x n) containing the initial values of Y. This vector is used for input only on the first call.
- (7) TØUT is the value of T at which output is desired.
- (8) EPS is the relative error bound (used only on the first call unless INDEX -1).
- (9) MF is a parameter used to indicate the basic method to be used for integration (Adams method or the stiff method of GEAR) and the method of iteration.
- (10) INDEX is an integer used to indicate the type of call. Initially, INDEX is set to 1. The value returned for INDEX is 0 unless the integration was halted for some reason. For meanings of the values -1, -2, -3, or -4, for an output value of INDEX, see a listing of the GEAR package.
# 5.2 Use of the Bateman Equations as a Check

Since RAGTIME uses a numerical method for solution of the system of differential Eqs. (2.1) through (2.11), it is desirable to have a p:ocedure for checking the accuracy of this solution. Fortunately, it is possible to calculate the total amount of radioactivity in the system at any given time using an explicit solution of the Bateman equations. This value can then be compared with the corresponding value calculated by summing the amounts of radioactivity in the various compartments of the model as calculated by use of the GEAR package. Close agreement of these two values is a necessary but not sufficient condition that the numerical solution of the model equations is accurate to the degree desired. In particular, one should keep in mind that a large relative error in a compartment whose radioactivity contribution is small compared to other compartments would be masked by this summing procedure. Nevertheless, the comparison of total radioactivity as calculated in these two ways provides valuable assistance in evaluating the numerical method since, as most practitioners of numerical analysis would admit, the use of such methods is still largely an empirical science. In particular, this compari on can provide guidance for the selection of appropriate options and parameter values to be used in calls to the GEAR subroutine.

The Bateman equations describe the decay process of a radionuclide chain. Consider a chain of radionuclide species indexed i = 1, ..., n in a compartment into which the exogenous inflow rate of the *ith* species is given by  $I_i(t)(\mu \text{Ci day}^{-1})$  and which is subject to first-order removal processes with removal constant,  $\lambda_i^B$  (day<sup>-1</sup>). Then the following system of differential equations describes the decay process in this compartment:

$$\frac{dA_{i}}{dt} = -(\lambda_{i}^{R} + \lambda_{j}^{B})A_{j} + \lambda_{i}^{R} \sum_{j=1}^{i-1} B_{jj}A_{j} + I_{j}(t), \quad i = 1, ..., n \quad (5.1)$$

where

For the purpose of checking the total amount of activity in the RAGTIME compartments against the value as predicted using the Bateman equations, we may regard the total exogenous inflow rate for species i into the system to be the product of the deposition source  $F_i(t)$  (µCi m<sup>-2</sup> day<sup>-1</sup>) and the quantity

$$S_1 A + S_2 A + S_3 A_{\alpha} + S_4 A_{\alpha} = (S_1 + S_2) A + (S_3 + S_4) A_{\alpha}$$
, (5.2)

where

A = soil surface area (m<sup>2</sup>) assumed for the above-surface food crop,

 $A_g = soil surface area (m^2)$  assumed for the pasture grass compartment.

Subroutine CHECK of RAGTIME makes a call to subroutine TRAFUN for the purpose of calculation of the total radioactivity in the system at various times. TRAFUN requires that the function representing the exogenous input rate be a step function of time, which dictates that  $F_i(t)$  be a step function. Furthermore, TRAFUN requires that the exogenous input rate be prescribed as a doubly dimensioned array rather than as a FORTRAN function. We thus reserve for Sect. 6.3 an explicit description of the call by CHECK to TRAFUN, in order to make use of our description in Sect. 6.1 of the doubly dimensioned inflow rate matrix

FF which is defined in subroutine INPUT and whose values are used to define both the deposition source function  $F_i(t)$  [in FORTRAN, F(I,T)] and the doubly dimensioned exogenous input rate matrix P which is used as an input parameter to TRAFUN.

# 6. THE RAGTIME CODE

### 6.1 Input

The subroutine INPUT reads values for user-supplied data required by RAGTIME. The first value read is that for NUMNUC, the number of nuclides in the chain. Next read are the names of the nuclides [NAMNUC(I), I = 1 to NUMNUC] and the initial ground deposition source (microcuries per square meter) for each nuclide [FO(I), I = 1 to NUM-NUC]. Following these steps values are read for MP and for the arrays

TIMEP(KP), KP = 1 to MP

and

$$FF(I, KP)$$
,  $I = 1$  to NUMNUC,  $KP = 1$  to MP

where

FF(I,KP) = inflow rate of species I (microcuries m<sup>-2</sup> day<sup>-1</sup>)
for the time interval TIMEP(KP) to TIMEP(KP+1)
if KP < MP,
FF(I,MP) = inflow rate at times subsequent to TIMEP(MP).</pre>

The matrix FF defines the exogenous input of radioactivity into the system. This matrix is used to define values of the fallout source function  $F_i(t)$  [in FORTRAN, FUNCTIØN F(I,T)]. Also FF is used in subroutine CHECK to define the exogenous input rate matrix P as discussed in Sects. 5.2 and 6.3. Next read are the number (NUMBRA) of and values for the radioactive branching ratios. The FORTRAN notation B(I,J) is used to denote the radioactive branching ratio from species J to species I(J < I). If NUMBRA = 0, no branching ratios are read. If NUMBRA  $\geq 1$ , then one card is read for each nonzero branching ratio, the READ statement and its associated FØRMAT being

READ(RDR, 50) PARNUC, DAUNUC, BRATIØ

50 FØRMAT(A8,5X,A8,5X,E13.6)

where PARNUC is the name of the "parent" and DAUNUC the name of the "daughter." For example, the card

BI210	PØ210	1	. 0
1	1		
col. 1	col. 14	cols.	27-40

is used to input the branching ratio 1.0 from  $^{210}$ Bi to  $^{210}$ Po. The input subroutine assigns the value BRATIØ to the element B(I,J) of the matrix of branching ratios in such a manner that B(I,J) represents the branching ratio from the nuclide NAMNUC(J) to NAMNUC(I).

Following input of the branching ratios, information regarding desired output times is read. The entire integration interval is specified as consisting of a number (NINTVL) of subintervals, with INCR(I) denoting the interval between successive output times for the subinterval indexed by I. The right endpoint of the subinterval indexed by I is denoted by ENDTIM(I). The READ statement and its associated FØRMAT statement for input of these quantities is

READ(RDR,90) INCR(I), ENDTIM(I)

90 FØRMAT(E13.6,I6)

In subroutine CALCIN, the arrays INCR and ENDTIM are used to define values for the entire array of output times TIM(I), I = 1 to NTIM.

Values for the radionuclide-dependent parameters listed in Table 6.1 are read next. For definitions of these parameters, see Table 2.1. One card is read for each of these parameters, the cards being read in the order indicated in Table 6.1 for each value of I, with I varying from 1 to NUMNUC. The format for each card is (10X,E13.7).

We now consider the input of nuclide-independent parameters. The main program of RAGTIME handles any number of radionuclide chains. The first executable statement of MAIN is

READ(RDR,10) NCHAIN 10 FØRMAT(10X,12)

Parameter symbol	FORTRAN name
λ <sup>R</sup> <sub>i</sub>	LAMRR(I)
(F <sub>m</sub> ) <sub>i</sub>	FSUBM(I)
(F <sub>f</sub> ) <sub>i</sub>	FSUBF(I)
B <sub>iv</sub>	BSUBIV(I)
(t <sub>exc</sub> ) <sub>i</sub>	TAUEXC(I)

Table 6.1 Radionuclide-dependent input parameters for RAGTIME

where NCHAIN is the number of chains to be considered. Following this read statement, the main program makes calls to the subroutine INPUT, ØUTDAT, CALCIN, HARVST, CALC, and CHECK in this order for each chain under consideration. In order to avoid the necessity of inputting the nuclide-independent parameters for each chain, a flag, IFLAG, is set in MAIN and passed as a parameter in the call to INPUT [CALL INPUT(IFLAG)] to enable a branch to be made around the input of these parameters for calls subsequent to the first one. Values are read for the nuclide-independent parameters listed in Table 6.2. For definitions of these parameters, see Table 2.1. One card is read for each of these parameters, the format being (10X,E13.7).

The final segment of code in INPUT reads values for certain GEAR subroutine parameters (see Sect. 5.1).

## 6.2 Logical Structure of the Code

After calling subroutine INPUT for input of data related to a given chain, the main program calls ØUTDAT for a printout of these data. Next a call is made to subroutine CALCIN, which calculates the values of certain coefficients used in the system of differential Eqs. (2.1) through (2.11). These coefficients, the numbers of the equations in which they occur, and their FORTRAN designations are as follows:

Parameter symbol	FORTRAN name
A	A
Ag	ASUBG
d	SMALLD
Dg	DSUBG
Mb	MSUBB
p	RHO
Tbeef	TAUBEF
<sup>t</sup> milk	TAUMLK
<sup>T</sup> e,s	TAUES
<sup>t</sup> g.r	TAUGR
<sup>τ</sup> p,h	TAUPH
<sup>τ</sup> r,d	TAURD
<sup>t</sup> r,g	TAURG
1 <sub>s,p</sub>	TAUSP
U	U
V <sub>c</sub>	VSUBC
tbh	TIMBH
t <sup>h</sup> c	TIMCH

Table 6.2 Nuclide-independent input parameters for RAGTIME

Coefficient	Occurs in equation	FORTRAN
$\lambda_i^R + \tau_{e,s}$	2.1	LAMA(I)
$\lambda_i^{R} + \tau_{s,p}$	2.2	LAMS(I)
$\lambda_{i}^{R} + \tau_{g,r} + \lambda_{g,\star}$	2.4	LAMG(I)
$\lambda_i^R + \tau_{r,g} + \tau_{r,d}$	2.5	LAMR(I)
$\lambda_i^R + \tau_{milk}$	2.7	LAMC(I)

Subroutine CALCIN also defines values of the array of output times TIM(I), I = 1 to NTIM as discussed in Sect. 6.1. Following the call to CALCIN, the main program calls subroutine HARVST in which emergence and harvest times for crop plants are specified. The FORTRAN name for the number of harvests considered is NHARV. Subroutine HARVST assigns values to NHARV and to the arrays EMERGE(I), I = 1 to NHARV, and HAR~TIM(I), I = 1 to NHARV, where

EMERGE(I) = date (days) for Ith emergence time for plants, HARTIM(I) = date (days) for Ith harvest time for plants.

After calling HARVST, M<sup>4</sup> ' calls subroutine CALC which serves the following functions [(1)-(4)]:

- (1) Initializes and prints definitions of compartments  $E_i$ ,  $S_j$ ,  $P_j$ ,  $G_j$ ,  $R_j$ ,  $C_j$ ,  $B_j$ ,  $T_j$ , (EH)<sub>j</sub>, (BH)<sub>j</sub>, and (CH)<sub>j</sub>.
- (2) Assigns values to GEAR subroutine parameters INDEX, TO, HO, and N (Sect. 5.1).
- (3) Assigns values to the arrays TR(INUC), TB(INUC), and PRØRAT (INUC), INUC = 1 to NUMNUC, where

- TR(INUC) = radioactive half-life (days) of nuclide INUC,
- TB(INUC) = biological half-time (days) of nuclide INUC (a large value is assigned to approximate a biological removal factor of zero),

PRØRAT(INUC) = (constant) production rate for nuciide INUC.

These arrays are used as input parameters to the subroutine RESDNS, which is called by CALC for calculation (using an explicit solution of the Bateman equations) of the radioactivity level in the holdup compartments  $(BH)_i$ and  $(CH)_i$  as discussed in Sect. 2.2. The array PRØRAT is used to specify the production rate in compartment  $(BH)_i$  and is therefore assigned zero values since no exogenous input is assumed for this compartment.

(4) Following steps (1) through (3), subroutine CALC executes a loop,

 $D\emptyset 4 I = 1, NTIM$ 

in which the values of the state variables defined by Eqs. (2.1) through (2.11) as well as the holdup compartments  $(BH)_i$  and  $(CH)_i$  are computed and printed. At each time TØUT = TIM(I), a call is made to the GEAR subroutine,

## CALL(DIFFUN, PEDERV, N, TO, HO, YO, TØUT, EPS, MF, INDEX)

for calculation of values of the state variables  $E_i$ ,  $S_i$ ,  $P_i$ ,  $G_i$ ,  $R_i$ ,  $D_i$ ,  $C_i$ ,  $B_i$ ,  $T_i$ ,  $H_i$  and  $(EH)_i$ , where i = 1 to the number (NUMNUC) of nuclides in the chain. These values are returned in the array YO, with the same

correspondence between RAGTIME state variable names and GEAR package names as indicated in Sect. 5.1; for example, the value of  $E_i$  is given by YO[12(i - 1) + 1].

At each output time, CALC calculates and saves in the array TØTUCI the total activity in the system corresponding to each nuclide. We define

# 

If we assume A square meters of land devoted to crop production and  $A_g$  square meters of pasture grass, the appropriate multiplicative factors for converting the values in the various compartments to microcuries are given in Table 6.3. The values of these conversion factors are obvious for all except compartments  $C_i$ ,  $B_i$ , and  $(EH)_i$ . For the milk compartment  $C_i$ , we assume one cow for each  $A_g$  square meters of past grass, with an udder capacity of U liters per cow. Similarly, the conversion factor for the beef compartment follows from our assumption of  $M_b$  kilograms of muscle per steer, with one steer per  $A_g$  square meters of pasture grass. The conversion factor  $M_f^0/1000$  for the crop holdup compartment (iH); is based on the definition

 $M_f^0$  = total mass (grams) of crop per A m<sup>2</sup> at harvest time.

The compartment  $M'_i$  is used only in connection with a mass-balance check. This compartment serves to account for the loss to the system of activity from the beef and milk compartments  $B_i$  and  $C_i$  as well as the complement of the activity represented by transfer coefficients  $(\tau_{g,b})_i$  and  $(\tau_{g,c})_i$  with respect to  $\tau_{g,*}$ . The differential equation for  $M'_i$  is

Compartment	Units	FORTRAN name	Conversion factor
Ei	µCi m <sup>−2</sup>	Y0[12(i - 1) + 1]	A
s <sub>i</sub>	µCi m⁻²	YO[12(i - 1) + 2]	A
Pi	μCi	YO[12(i - 1) + 3]	1
Gi	µCi m−2	YO[12(i - 1) + 4]	Ag(ASUBG)
Ri	- μCi m <sup>-2</sup>	Y0[12(i - 1) + 5]	Ag(ASUBG)
Di	µCi m <sup>−2</sup>	YO[12(i - 1) + 6]	Ag(ASUBG)
C,	µCi liter-1	YO[12(i - 1) + 7]	U
Bi	µCi kg−1	YO[12(i - 1) + 8]	M <sub>b</sub> (MSUBB)
(EH) <sub>i</sub>	µCi kg−1	YO[12(i - 1) + 9]	$M_{f}^{0}/1,000$
T <sub>i</sub>	μCi	YO[12(i - 1) + 10]	1
H	µCi m <sup>−2</sup>	YO[12(i - 1) + 11]	A
Mi	μCi	Y0[12(i - 1) + 12]	1

Table 6.3 Conversion factors used to convert compartmental concentrations to total activity

$$\frac{dM_{i}^{\prime}}{dt} = \tau_{beef}M_{b}B_{i} + \tau_{milk}UC_{i} - \lambda_{i}^{R}M_{i}^{\prime} + \left[V_{c}/D_{g} - (\tau_{g,b})_{i}M_{b} - (\tau_{g,c})_{i}U\right]G_{i}, \qquad (6.1)$$

where

M<sub>b</sub> = mass of muscle on a steer at time of slaughter (kg), U = milk capacity of the under (liters).

The other parameters were defined and discussed in Sects. 2, 3, and 4 of this report. The first two terms on the right-hand side of this quation represent gains to  $M'_i$  resulting from losses to compartments  $B_i$  and  $C_i$  through slaughter of cattle and milking of cows, respectively. The third term accounts for radioactive decay in  $M'_i$ . The last term represents the loss to compartments  $G_i$  which is not accounted for by the terms  $(\tau_{g,b})_i G_i$  and  $(\tau_{g,c})_i G_i$  in Eqs. (2.7) and (2.8), respective-ly.

With MFO as the FORTRAN name for  $M_{\rm f}^0$ , the FORTRAN statement defining TØTUCI(I,1) is therefore

 $T \emptyset T U C I (I,1) = Y O (1)^{*} A + Y O (2)^{*} A + Y O (3) + Y O (4)^{*} A S U B G$   $1 + Y O (5)^{*} A S U B G + Y O (6)^{*} A S U B G + Y O (7)^{*} U + Y O (8)^{*} M S U B B$   $2 + Y O (9)^{*} (M F O / 1000.) + Y O (10) + Y O (11)^{*} A + Y O (13),$ 

(6.2)

the generalization for TØTUCI(I, INUC) being obvious.

After defining values of the array TØTUCI(I,INUC) for a given I and for INUC = 1 to NUMNUC, calls are made to subroutine RESDNS for the calculation of values of the beef and milk holdup compartments (BH)<sub>i</sub> and (CH)<sub>i</sub>. The statements executing these calls are

CALL RESDNS(TIMBH, NUMNUC, TR, TB, B, PRØRAT, QOBEF, QBEF, QWIGL, IDIM) CALL RESDNS(TIMCH, NUMNUC, TR, TB, B, PRØRAT, QOMLK, QMLK, QWIGL, IDIM) where TIMBH, TIMCH, NUMNUC, TR, TB, B (matrix of branching ratios) and FRØRAT are as defined previously. On input, the arrays QOBEF and QOMLK contain the values in the beef and milk compartments  $B_i$  and  $C_i$ , respectively, at the current time TIM(I). The concentration levels ( $\mu$ Ci kg<sup>-1</sup>) which beef and milk would reach if stored for the period of time (days) specified by TIMBH and TIMCH are returned in the arrays QBEF and QMLK, respectively. The array QWIGL contains residence values ( $\mu$ Ci-days) on output and is not used by RAGTIME. The parameter IDIM specifies the maximum dimensions for the matrix of branching ratios as defined in RESDNS (REAL BRANCH(IDIM, IDIM)). Following these calls to RESDNS, values of the various comparaments, including the holdup compartments for beef and milk, are printed for the current time.

The final section of code within the I-loc determines whether or not the current time, TIM(I), is a harvest time, and if so, reinitializes the state variables  $E_i$ ,  $T_i$ , and (EH)<sub>i</sub> to simulate harvest. First the following call is made to subroutine QUERY:

CALL QUERY(TIM(I), IANS)

This subroutine searches the array of harvest times, HARTIM, and returns IANS = 1 if TIM(I) is a harvest time, IANS = 0 if not. If TIM(I) is a harvest time, the crop holdup compartment (EH)<sub>i</sub> is reinitialized to the value

$$\frac{\text{total activity (µCi) in compartments E_i and T_i}{\text{total mass (kg) of crop at harvest time}} = \frac{AE_i + T_i}{M_f^0 \times 0.001}$$
(6.3)

after which the compartments  $E_i$  and  $T_i$  are set to zero. After completion of the I-loop, control returns to the main program.

As pointed out in Sect. 5.1, the system of differential Eqs. (2.1) through (2.11) is defined in subroutine DIFFUN. The GEAR package makes calls to DIFFUN for values of YDØT at various times as described in Sect. 5.1. The deposition source function  $F_i(t)$  of Eqs. (2.1), (2.2),

(2.4), and (2.5) is defined by means of the FORTRAN function F(I,T). This function is defined in terms of the inflow rate matrix

$$FF(I,KP)$$
,  $I = 1$  to NUMNUC,  $KP = 1$  to MP

as described in Sect. 6.1.

The final subroutine called by MAIN is subroutine CHECK. Details concerning this subroutine are discussed in the following section.

# 6.3 Subroutine CHECK

The last subroutine called by MAIN is subroutine CHECK. This subroutine calculates and prints values of

<pre>FØTUCI(ITIM, INUC) =</pre>	total activity ( $\mu\text{Ci})$ due to nuclide INUC
	at time TIM(ITIM) as calculated in sub-
	routine CALC by calls to the GEAR sub-
	routine (discussed in Sect. 6.2)
ACT(INUC,ITIM) =	total activity ( $\mu\text{Ci})$ due to nuclide INUC at time TIM(ITIM) as calculated by sub-
	routine TRAFUN, using the Bateman equa-
	tions,

and the percentage error

(TØTUCI(ITIM, INUC)) - ACT(INUC, ITIM)\*100./ACT(INUC, ITIM)

for times TIM(ITIM), ITIM = 1 to NTIM. The call to TRAFUN is as follows:

CALL TRAFUN(NUMNUC, TR, TB, B, MP, TIMEP, P, NTIM, RTIM, AWIGL, ACT, IDIM)

The meanings of NUMNUC, IR (radioactive half-lives), TB (biological half-times), B (matrix of branching ratios), MP (Sect. 6.1), TIMEP (Sect. 6.1), NTIM (number of output times), and IDIM are as defined

previously. The array RTIM is a real array whose values are the same as those for the double precision array TIM of output times. The matrix

P(INUC, KP), INUC = 1 to NUMNUC, KP = 1 to MP

defines the total exogenous input rate of each nuclide to the system for each of the time intervals TIMEP(KP), KP = 1 to MP. From the definition of the inflow rate matrix FF (Sect. 6.1) and our assumption of A square meters of crop production land and  $A_g$  square meters of pasture land, it follows that the correct expression for P(INUC,KP) is

 $P(INUC, KP) = FF(INUC, KP)^{(S1 + S2)^{A} + (S3 + S4)^{ASUBG}}$ 

Subroutine TRAFUN returns in the array ACT the total activity levels as computed using the Bateman equations. After the call to TRAFUN, the values of the arrays TØTUCI and ACT as well as the percentage errors are printed.

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### REFERENCES

- F. O. Hoffman, C. W. Miller, D. L. Shaeffer, C. T. Garten, Jr., R. W. Shor, and J. T. Ensminger, A Compilation of Documented Computer Codes Applicable to Environmental Assessment of Radioactivity Releases, ORNL/TM-5830, Oak Ridge National Laboratory, Oak Ridge, Tennessee (April 1977).
- U. S. Nuclear Regulatory Commission, Calculation of Annual Doses to Man from Routine Releases of Reactor Effluents for the Purpose of Evaluating Compliance with 10 CFR Part 50, Appendix I, Regulatory Guide 1.109, Revision 1, USNRC, Washington, D. C. (October 1977).
- 3. R. S. Booth and S. V. Kaye, A Preliminary Systems Analysis Model of Radioactivity Transfer to Man from Deposition in a Terrestrial Environment, ORNL/TM-3135, Oak Ridge National Laboratory, Oak Ridge, Tennessee (October 1971).
- A. C. Hindmarsh, GEAR: Ordinary Differential Equation System Solver, UCID-30001, Revision 3, Lawrence Livermore Laboratory, Livermore, California (December 1974).
- J. P. Witherspoon and F. G. Taylor, Jr., "Interception and Retention of a Simulated Fallout by Agricultural Plants," *Health Phys.* 19, 493-499 (1970).
- J. D. Zimbrick and P. G. Voilleque, ed., 1967 CERT Progress Report, Controlled Environmental Radioiodine Tests at the National Reactor Testing Station, Progress Report Number Four, IDO-12065, Idaho Falls, Idaho (December 1968).
- R. G. Menzel, "Factors Influencing the Biological Availability of Radionuclides for Plants," *Fed. Am. Soc. Exptl. Biol. Proc.* 22, 1398-1401 (1963).
- 8. C. F. Miller and Hong Lee, Operation Ceniza-Arena: The Retention of Fallout Particles from Volcan Irazu (Costa Rica) by Plants and People, Part One, SRI-MU-4890, Stanford Research Institute, Menlo Park, California (January 1966).
- 9. C. F. Miller, Operation Ceniza-Arena: Retention of Fallout Particles from Volean Irazu (Costa Rica) by Plants and People, Part Three, SRI-MU-4890, Stanford Research Institute, Menlo Park, California (December 1967).
- C. R. Belcher and J. L. Ragland, "Phosphorus Absorption by Sod-Planted Corn (Zea mays L.) from Surface-Applied Phosphorus," Agronomy J. 64, 754-756 (1972).

# REFERENCES (cont'd)

- J. L. Brewster, K. K. S. Bhat, and P. H. Nye, "The Possibility of Predicting Solute Uptake and Plant Growth Response from Independently Measured Soil and Plant Characteristics," *Plant and Soil* 42, 197-226 (1975).
- G. L. Pacques, R. L. Vanderlip, and D. A. Whitney, "Growth and Nutrient Accumulation and Distribution in Grain Sorghum. I. Dry Matter Production and Ca and Mg Uptake and Distribution," Agronomy J. 67, 607-616 (1975).
- 13. L. H. P. Jones and K. A. Handreck, "Studies of Silica in the Oat Plant," *Plant and Soil 23*, 79-96 (1977).
- J. E. Miller, J. J. Hassett, and D. E. Koeppe, "Interactions of Lead and Cadmium on Metal Uptake and Growth of Corn Plants," J. Environ. Qual. 6, 18-20 (1977).
- M. B. Page, J. L. Smalley, and O. Talibudeen, "The Growth and Nutrient Uptake of Winter Wheat," *Plant and Soil* 49, 149-160 (1977).
- C. L. Parks, A. W. White and F. C. Boswell, "Effect of a Plastic Barrier Under the Nitrate Band on Nitrogen Uptake by Plants," Agronomy J. 62, 437-439 (1970).
- A. C. Chamberlain, "Interception and Retention of Radioactive Aerosols by Vegetation," Atmos. Environ. 4, 57-78 (1970).
- R. E. Moore, C. F. Baes III, L. M. McDowell-Boyer, A. P. Watson, F. O. Hoffman, J. C. Pleasant, and C. W. Miller, AIRDOS-EPA: A Computerized Methodology for Estimating Environmental Concentrations and Dose to Man from Airborne Releases of Radionuclides, ORNL-5532, Oak Ridge National Laboratory, Oak Ridge, Tennessee (June 1979).
- Y. C. Ng, C. S. Colsher, D. J. Quinn, and S. E. Thompson, Transfer Coefficients for the Prediction of the Dose to Man via the Forage-Cow-Milk Pathway from Radionuclides Released to the Biosphere, UCRL-51939, Lawrence Livermore Laboratory, Livermore, California (July 1977).

APPENDIX A LISTING OF RAGTIME SOURCE CODE AND JOB CONTROL LANGUAGE

\*

COMPILER OPTIONS - NAME= MAIN, OPT=02, LINECNT=60, STZE=0000K, SOURCE, EBCOIC, NOLIST, NODECK, LOAD, MAP, NOFDIT, ID, NOXREF SUBROUTINE INPUT (IFLAG) ISN 0002 C SUBROUTINE INPUT INPUTS ALL THE DATA C C COMMON /HOLTIM/ TIMBH, TIMCH ISN 0003

LEVEL 21.8 ( JUN 74 )

C\*\*\*

C\*\*\*

ISN 0025

ISN 0024

COMMON /INFLOW/ MP, TIMEP(30), FF(15,30) ISN 0004 COMMON /BRANCH/ B(15,15) ISN 0005 COMMON /DEP/ LAMRR(15), FSUEM(15), TAUEXC(15), FSUBF(15), BSUBIV(15) ISN 0006 COMMON /INDEP/ A,ASUBG,DSUBG,MSUBB, TAUBEF, TAUMLK, 'AUES, TAUGR, ISN 0007 TAUPH, TAURD, TAURG, TAUSP, U, VSUBC, SMALLD, RHO ÷t. COMMON /NAMES/ NAMNUC(15) 15N 0008 COMMON /NUMBRS/ NUMNUC 15N 0009 COMMON /TIME/ TIM(365), INCR(30), ENDTIM(30), NINTVL, NTIM 15N 0010 COMMON /SOURCE/ FO(15) ISN 0011 COMMON /GPARAM/ EPS, MF ISN 0012 COMMON /IDDEV / PTR, RDR 15N 0013 C C C ISN 0014 DOUBLE PRECISION NAMNUC, PARNUC, DAUNUC, TIM, EPS INTEGER ENDTIM, PTR, RDR 15N 0015 ISN 0016 REAL MSUBB, INCR, LAMRR Ċ C C C\*\*\* NUMNUC - THE NUMBER OF NUCLIDES IN THE CHAIN BEING STUDIED. C\*\*\* (\*\*\* ISN 0017 READ (RDR, 10) NUMNUC 10 FORMAT (13) ISN 0018 C\*\*\* NAMNUC - ARRAY OF THE NAMES OF THE NUCLIDES IN THE CHAIN. C\*\*\* - INITIAL GROUND DEPOSITION SOURCE FOR NUCLIDE(1) C\*\*\* FO WHERE I VARIES FROM 1 TO THE NUMBER OF NUCLIDES C\*\*\* (MICROCURIES PER SQUARE METER) C\*\*\* C\*\*\* 00 30 1 = 1, NUMNUC ISN 0019 READ (RDR, 20) NAMNUC(1), FO(1) ISN 0020 FORMAT (A9.E13.6) ISN 0021 20 30 CONTINUE ISN 0022 C INFLOW RATES FOR VARIOUS SPECIES C\*\*\* 1\*\*\* C\*\*\* READ VALUES FOR THE APRAYS C\*\*\* C\*\*\* TIMEP(KP), KP=1 TO MP, AND FF(1,KP), I=1 TO NUMNUC, KP=1 TO MP, WHERE C\*\*\* (\*\*\* FF(1,KP) = INFLOW RATE OF SPECIFS I (UCI/M##2-DAY) FROM C\*\*\* TIMEP(KP) TO TIMEP(KP+1) IF KP .LT. MP C\*\*\* AND FELL, MPI IS THE RATE AT TIMES SUBSEQUENT TO

TIMEPIMPI.

READ (RDR, 200) MP

200 FORMAT(15)

US/360 FORTRAN H

I SN I SN I SN	0025 0026 0027	201	D0 201 I=1,NUMNUC D0 201 KP=1,MP READ (RCP,202) TIMEP(KP),FF(I,KP)
1 214	0.028	C 202	FURMAT(E13.6,2X, E13.6)
		с	
		C C C	MATRIX CONTAINING BRANCHING RATIOS INITIALIZED TO ZERO
		c	
		C***	
		C***	B - MATRIX CONTAINING THE BRANCHING RATIOS.
TCH	0020	C***	22 42 7 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
120	0029		$\frac{1}{10} \frac{1}{40} \frac{1}{1} = \frac{1}{1} \frac{1}{10000000000000000000000000000000000$
ISN	0031		3(1,1) = 0.0
I SN	0032	40	CONTINUE
		c	
		C	
		c	BRANCHING RATIOS FILLED IN MATRIX
		C	· · · · · · · · · · · · · · · · · · ·
		č	
		Cata	
		(***	PARNUC - PARENT NUCLIDE
		C***	DAUNUC - DAUGHTER NUCLIDE
		C***	BRATIO - BRANCHING RATIO
		Caaa	PARNOD - INDEX INTO MATRIX B
		(***	REPRESENTS PARENT NUCLIDE
		C***	PERFECENTS CAUCHTER MICLIFOR
		C***	NUMBER - VUMBER OF NONZERO REANCHING PATTOS
		C***	interest of the second of the second s
ISN	0033		READ (RDR, 10) NUMBRA
ISN	0034		IF LNUMBRA.EQ.01 GO TO 160
ISN	0056		DO 70 I = 1, NUMBRA
1 SN	00.17	5.0	REAU (ROR, 50) PARNUC, DAUNUC, BRATID
1 2 4	0030	- C - 20	FURMAT 140, 04, 40, 04, 110.0)
		ć	
		c	LOOP TO SET APPROPRIATE INDICES INTO MATRIX 8
		Ç	********
		c	
	2020	c	
I SNI	0039		DU 60 J = I.NUMNUC
ISN	0040		[E(DAINHC, EQ, NAMNUC(1))] = J
ESN	0044	60	CONTINUE
I SN	0045	1.1	6(DAUNDO, PARNOD) = BRATIO
ISN	0046	70	CONTINUE
ISN	0047	80	CONTINUE
		C***	
		C***	NINTVL - NUMBER OF INTERVALS SPECIFYING OUTPUT TIMES
		C***	INCKIII - SIEPSILE FUR INTERVAL I
		C***	NOTE THAT ENDINGLY SHOULD BE AN INTERNAL I (DAY)
		C***	AND FOR I GREATER THAN I. ENDIMINE - ENDIMINE IN CHOMO DE AN
		C***	INTEGRAL MULTIPLE OF INCRII.

(\*\*\* 160 READ (RDR, 10) NINTVL 15N 0048 DO 100 I=1, NINTVL 15M 0049 READ (ROR, 90) INCRID, ENDINGL) TSN 0050 15N 0051 90 FORMAT (E15.0, 16) 100 CONTINUE ISN 0052 ISN 0053 110 CONTINUE r C \*\*\* Ctra \*\*\* RADIONUCLIDE DEPENDENT PARAMETERS 6444 \*\*\* C# \*\* C### 1.244 C# \*\* C\*\*\* BSUBIN - CONCENTRATION OF MUCLIDE PER UNIT FRESH WEIGHT IN PLANT (MICROCURIES PER KILOGRAM) DIVIDED BY CONCENTRATION OF 14.8 \* NUCLIDE PER UNIT DRY WEIGHT IN SOIL (MICROCURIES PER C### C \* \* \* KILOGRAMI FSUBE - THE FRACTION OF THE ANIMAL'S DAILY INTAKE OF NUCLIDE(1) 14 \*\* WHICH APPEARS IN EACH KILDGRAM DE FLESH (DAYS PER KILDGRAM) C\*\*\* C\*\*\* FSURM - FRACTION OF THE DAILY INTAKE OF NUCLIDE I BY A COW WHICH APPEARS PER LITER OF MILK AT EQUILIBRIUM C\*\*\* (DAYS PER LITER). 1445 C\*\*\* LAMRR - RADIOACTIVE DECAY PATE OF THE NUCLIDE UNDER STUDY Cat (PER DAY) TAUEXC - EXCRETION RATE OF A STABLE ISOTOPE OF THE NUCLIDE FROM (\*\*\* THE MUSCLE OF A STEER (PER DAY) C\*\*\* (\*\*\*\* C r ISN 0054 00 130 I = 1, NUMNUC REAC (RDR, 120) LAMRR(I) ISN 0055 ICN 0056 READ (RDR, 120) FSUBM(1) READ (RDR, 120) FSUBF(1) 15N 0057 READ (RDR, 120) BSUBIV(I) ISN 0058 READ (RDR, 120) TAUEXC(1) ISN 0059 ISN 0060 120 FORMAT (10X, E13.7) 130 CONTINUE ISN 0061 C C IF ( IFLAS .FQ. 1) GO TO 140 ISN 0062 ISN 0064 IFLAG = 1C \*\*\* C\*\*\* \*\*\* RADIONUCLIDE INDEPENDENT PARAMETERS C### \*\*\* C\*\*\* (\*\*\* C\*\*\* - SOIL SUFFACE AREA REQUIRED TO FURNISH FOOD CROPS FOR ONE C\*\*\* A MAN (SQUARE METERS) C\*\*\* C\*\*\* ASUBG - PASTURE AREA PER COW (SQUARE METERS)

		C*** SMALLD - DEPTH OF THE PLOW LAYER (CENTIMETERS).
		C*** RHO - DENSITY OF THE SOIL (GRAMS PER CUBIC CENTIMETER).
		C*** MSUBB - MASS OF MUSCLE ON A STEER AT THE TIME OF SLAUGHTER
		C*** (KILOGPAMS PER STEER)
		C*** TAUBEF - FRACTION OF THE BEEF HERD SLAUGHTERED (PER DAY)
		C*** TALMLK - TRANSFER RATE OF MILK FROM THE UDDER (PER DAY)
		C*** TA IES - TRANSFER COEFFICIENT FROM E TO S (PER DAY)
		C*** TAL;R - TRANSFER COEFFICIENT FROM G TO R (PER DAY)
		C*** TAU H - TRANSFER COEFFICIENT FROM P TO H (PER DAY)
		C*** TAU AD - TRANSFER COEFFICIENT FROM R TO D (PER DAY)
		C*** TAJRG - TRANSFER COEFFICIENT FROM R TO G (PER DAY)
		C*** TAUSP - TRANSFER COEFFICIENT FROM S TO P (PER DAY)
		CARA U - MILK CAPACITY OF THE UDDER (LITERS)
		CHAR VSUBC - DRY WEIGHT GRASS CONSUMPTION PER DAY BY A COW
		(KILOGRAMS PER DAY)
		CHAR TIMBH - HOLOUP TIME (DAYS) FOR BEEF
		CHAR TIMEH - HOLDOP TIME (DAYS) FOR MILK
I CN	0.06.5	PEAD (PDP. 001) A
TSN	4400	
ISN	0067	
ISN	0068	
ISN	9069	READ (2001) DSUBC
ISN	0070	READ (200, 001) MSIBB
ISN	0071	READ (SCR.001) TAUREE
TSN	0072	READ (ROR, OOL) TAUNIK
TSN	0075	READ (RCR.OOL) TAUES
TSN	0074	READ (BOR. 001) TAUGR
I SN	0075	READ (RCR.001) TAUPH
ISN	0076	READ (RCP.001) TAURD
ISN	0077	READ (RCR.001) TAURG
ISN	0078	READ (RDR.001) TAUSP
ISN	0079	READ (RDR.001) U
ISN	0080	READ (RDR.001) VSUBC
1 SN	0091	READ (RDR.001) TIMBH
ISSI	0082	READ (RDR.001) TIMCH
		c
ISN	0083	001 FOR 4AT (10X, E13.7)
		c
		c
		C \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$ \$\$
		C*** ***
		C*** GEAP SUBROUTINE PARAMETERS ***
		C*** ***
		C * * * * * * * * * * * * * * * * * * *
		C
I SN	0084	READ (RDR,002) EPS
ISN	0085	002 FORMAT (10X,013.6)
		c
ISN	0086	READ (RDR,003) MF
ISN	0087	003 FORMAT (10X,12)
		C
ISN	0088	140 CONTINUE
I SN	0089	RETURN
I S NI	0000	END

LEVEL 21.8 ( JJN 74 )

05/360 FORTRAN H

	CO	MPILER	APTIONS - NAME= MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCOLC, NOLIST, NODECK, LOAD, MAP, NOEDIT, LO, NOXEEF
TSN	2002		SUBPOUT INF ONTDAT
1.2.4	0002	c	Sub-collection
		c	
		č	SUBROUTINE OUTDAT ECHOS THE DATA INPUT IN SUBROUTINE INPUT
		e	
		č	
ISN	0005		COMMON /INFLOW/ MP.TIMEP(30), FF(15,30)
TSN	0004		COMMON /HOLTIM/ TIMBH, TIMCH
TSN	0005		COMMON /BRANCH/ B(15,15)
ISN	0006		COMMON /OEP/ LAMRR(15),FSUBM(15),TAUEXC(15),FSUBF(15),BSUBIV(15)
ISN	0007		COMMON /INDEP/ A,ASUBG,DSUBG,MSUBB,TAUBEF,TAUMLK,TAUES,TAUGR,
			* TAUPH, TAURD, TAURG, TAUSP, U, VSUBC, SMALLO, RHO
ISN	8000		COMMON /NAMES/ NAMNUC(15) *
ISN	0009		COMMON /NUMPRS/ NUMNUC
. SN	0010		COMMON /TIME/ TIM(365), INCR(30), ENDTIM(30), NINTVL, NTIM
15.1	0011		COMMON /SOURCE/ FO(15)
ISN	2012		COMMON /GPARAM/ EPS, MF
ISN	0013		COMMON /IDDEV / PTR, RDR
		C	
		с	
		С	
1 SN	0014		DOUBLE PRECISION NAMNUC, PARNUC, DAUNUC, TIM, EPS
ISN	0015		INTEGER ENDTIM, PTR, RDR
ISN	0016		REAL MSUBB, INCR, LAMRR
		C	
		C	
		c	
		C	NUCLIDE DEPENDENT PARAMETERS
		C.	*****************
		c	
ISN	0017		WRITE (PTR,40)
1 SN	0018	40	FORMAT (11,53X, NUCLIDE DEPENDENT PARAMETERS /////
			* 1,49X,**** DEFINITION OF PARAMETERS *** ///
			* 1,28X, SSUBJY - CUNCENTRATION OF NOLLIDE PER UNIT -
			* PRESH WEIGHT IN PLANT IMIDAD" /
			* · · · · · · · · · · · · · · · · · · ·
			T 1 27 DOV HETER ONLY IN COTH INCODENDIES DED KILOGOANSIN
			* ····································
1.04	0010		UDITE (010 40)
1 SN	0019	60	REDUCT FOR THE AND A TRITIAL GROUND DEPOSITION SOURCE 1.
1.24	0020	00	. INTERCOLLETES PER SOLARE METERI
			* 1.28X SCHRE - THE FRACTION DE THE ANIMAL''S DAILY '.
			. INTAKE OF NUCLIDE WHICH APPEARS ! /
			* 1.37X. IN EACH KILOGRAM OF FLESH LOAYS PER FILOGRAM! 1/
			* INUCLIDE T BY A COW WHICH APPEARS! /
			* * 1, T39, "PER LITER OF MILK AT EQUILIBRIUM ".
			* '(DAYS PER LITER).' )
		0	
T SN	0021		WRITE (PTR.70)
ISN	0022	70	FORMAT ( * +,28X, *LAMRR - RADIOACTIVE DECAY RATE OF THE NUCLIDE '
143			* UNDER STUDY (PER DAY) 1
		C	양양 그 같은 옷 옷을 위해 집에 가지 않는 것이 같아요.
ISN	0023		WRITE (PTR.80)
TCN	0026	60	CODMAT (1 1. 28%. 1 MIEYE - EXCRETION RATE OF A STABLE ISOTOPE OF "

		* 'THE NUCLIDE FROM THE MUSCLE OF' /
		e
[ SN	0025	WRITE (PTP.90)
154	0026	90 FORMAT (////* *,51X, **** VALUES OF PARAMETERS **** ///
		* ',28X,'BSUBIV',12X,'FO',12X,'FSUBF',11X,'FSUBM',11X,
		* 'LAMRR', IIX, 'TAUEXC' /1
		с
ISN	0027	$00\ 110\ I = 1, NUMNUC$
I SN	8500	WRITE (PTR.100) NAMNUC(1), BSUBIV(1), FO(1), FSUBF(1), FSUBM(1),
		<pre>* LAMPR(I), TAUEXC(I)</pre>
ISN	0029	100 FORMAT(17X,A8,6(E13.6,3X),/)
1.84	0030	110 CONTINUE
		c
		C BRANCHING PATIOS
		C ***· ***
		c
1 SN	0031	IF (NUMNUC .EQ. 1) GO TO 35
		C
ISN	0033	WRITE (PTR, 10)
154	0034	10 FORMAT ('1', 54X, 'BRANCHING RATIOS' ///
		* ',48X,'FROM',7X,'TD',9X,'FRACTION' //
1 SN	3030	010 30 I = 1, NUMNUC
1 SN	0036	$30 \ 30 \ J = 1.00 \text{MOV}$
1 SM	0037	1 [B(1,3] . FO. 0.01 GI TO 30
1 SM	0039	WRITE (PTR, 20) NAMNUL(J), NAMNUL(I), B(1, J)
1 CN	0040	20 CONTINUE (492, 48, 27, 48, 27, E13, 5, /)
1 STV	0041	30 CONTINUE
1.24	0.042	35 CONTINUE
		NUCLIDE INDEDENDENT DADANETERS
		G NOULIUE INDEFENDENT FARAMETERS
TSN	0043	WRITE (PTR.140) A
ISN	0044	140 FORMAT (11, 52%, INUCITOE INDEPENDENT DADAMETERS: ////
		I 1.27X. A1.6X. SOTI SUBFACE AREA REQUIRED TO EXPNISE 1.
		* 'FOOD CROPS FOR ONE ' /
		* ', 36X. 'MAN (SQUARE METERS) . 38X. 513.61
		c
ISN	0045	WRITE (PTR.145) ASURG
ISN	0046	145 FORMAT (' ',27X, 'ASUBG - PASTUPE AREA PER COW (SQUARE METERS)'.
		* 21X, E13.6)
		C
ISN	0047	WRITE (PTR, 146) SMALLO
ISN	0048	146 FORMAT (' ',27X, 'SMALLD - DEPTH OF THE PLOW LAYER (CENTIMETERS)',
		* 20X,F13.6 1
		c
ISN	0049	WRITE (PTR,147) RHO
ISN	0050	147 FORMAT (' ',27X, 'RHO - DENSITY OF THE SOIL (GRAMS PER CUBIC',
		<ul> <li>CENTIMETER1',9X,E13.6 )</li> </ul>
		c
ISN	0051	WPITE (PTR.150) DSUBG
ISN	0052	150 FORMAT (* ',27X, DSUBG - DRY WEIGHT AREAL GRASS DENSITY (KILD',
		* 'GRAMS PER SQUARE'/
		* ',36X,'METER)',52X,E13.6)

ISN I	0053	WOITE (DTR, 165) MSUBB
I SN	1954	105 FORMAT ( 1,27X, MSUBB - MASS OF MUSCLE ON A STEEP AT THE TIME ",
1.1.1.	1.1.1.4	* OF SLAUGHTER' /
		AND AND AND AND TANDER
ISN	0055	WRITE (PR. 1901 HADER - CONCTION OF THE REFE HERD SLAUGHTERED ',
ISN	0056	190 FORMAT (* ,27X, TAUSEF - FRACTION OF THE DEE) HERD TEAD
		* (PER DAY)', 10X, E10.61
		c .
TEN	3357	WRITE (PTR. 195) TAUMLK
7 5 41	0059	195 EDRMAT 1 . 27X . TAUMLK - TRANSFER RATE OF MILK FROM THE UDDER
1.204	0030	10050 DAY11,118,615,61
		Contract and a state of the sta
I <v!< td=""><td>0059</td><td>WRITE (PTR. 2001 TAUES TO AUCCON CONSERVCIENT FROM F TO 5 1.</td></v!<>	0059	WRITE (PTR. 2001 TAUES TO AUCCON CONSERVCIENT FROM F TO 5 1.
I SNI	0060	200 FORMAT ( ,27X, TAUES - TRANSFER COEFFICIET FROM
		« (PER DAY)', 15X, E13.67
		c
TON	0061	WRITE (PTR. 205) TAUGR
1 211	0001	TO E EDDMAT 11 1.27% TAUGE - TRANSFER COEFFICIENT FROM G TO R .
120	0002	1(DER DAY)1,15X,F13,61
ISM	0063	WRITE (PTR, 210) TAUPH
I SN	0064	210 FORMAT ( ,27X, TAUPH - TRANSIER OBEFFICIENT FROM F TO M
		* (PER DAY)', 15X, E13.6'
T CAL	3065	WRITE (PTR.215) TAURD
T CAL	3065	215 FORMAT (
124	0000	1056 DAY11, 15X, 513.61
	100	A ALL MALL LAND AND A
		C AND A REAL PROPERTY OF A
154	0067	WRITE (PTR, 220) TAURG
ISN	0068	220 FORMAT (* ,27X, TAURG - TRANSFER COEFFICIENT FRUTER TO S
		* (PER DAY)', 15X, E13.6)
		C
151	0069	WRITE (PTR.225) TAUSP
I SN	0070	225 FORMAT ( 1,27X, TAUSP - TRANSFER COEFFICIENT FROM S TO P ',
1.34	3310	* (PER DAY)'.15X.E13.6'
1.0		10175 (075 235) II
I SN	0071	WEITE (PIR 230) ULL AV 1- WILK CAPACITY OF THE UDDER (LITERS) -
ISN	0072	235 FORMAT ( , , 27X, U, , 0X, - HILK CAPACITY OF THE ODDET
		* 22X,F13.6)
		C
I SN	0073	WRITE (PTR, 240) VSUBC
TSN	0074	240 FORMAT ( ',27X, VSUBC - DRY WEIGHT GRASS CONSUMPTION PER ',
		* 'DAY BY A COW (KILOGRAMS' /
		• • 36X. PER DAY1 . 50X. F13.6)
		C NOTE LATE 2021 TIMPH
ISA	0075	WRITE (PIK, SUT TIME , HOLDID TIME (DAYS) FOR REFE . 31X.F13.6)
T SN	0076	300 FORMAT (*
		C
ISN	0077	WRITE (PTR, 305) TIMCH
TCN	0078	305 FORMAT ( ',27X, 'TIMCH - HOLDUP TIME (DAYS) FOR MILK', 31X, E15. 6)
		C OUTPUT SPECIFICATION TIMES
		C
ISN	0079	WRITE (PTR, 260)
ISN	0080	260 FORMAT (11,52X, OUTPUT SPECIFICATION TIMES ////
		* * .54X, 'INCREMENT', 4X, 'END DF INTERVAL' /

			* *,56X,*(DAY)*,11X,*(DAY)* //)
		C	
TSN.	0081	D0 2	80 I = 1,NINTVL
I SN	0082		WRITE (PTR, 270) INCR(1), ENDTIM(1)
T SN	0083	270	FORMAT (53X, E13, 6, 6X, 16)
1 SN	0084	280 CONT	INUE
		C	
		C*** INFL	UW RATES FOR VARIOUS SPECIES
		c	
		C********	· · · · · · · · · · · · · · · · · · ·
1.551	0085	WRIT	E (PTR, 400)
I SN	3800	400 FORM	AT ('L', 20X, 'INFLOW PATES FOR VARIOUS SPECIES')
		C	
1 SN	0087	WRIT	E (PTR, 401)
LSN	8800	401 FORM	AT ("0",26X, "INITIAL TIME",22X, "RATE")
		C	
ISN	0089	WRIT	E (PTR,402)
ISN	0090	402 FORM	AT (' ', BX, 'NUCLIDE', 14X, '(DAYS)', 20X, '(UCI/SQ.M/DAY)')
		С	
ISN	0091	00	406 I=1, NUMNUC
I SN	0092	WRIT	E (PTR,407)
ISN	0093	407 FORM	AT('')
ISM	0094	00	406 KP=1, MP
ISN	0095	IF (	KP .EQ. 1) WRITE (PTR, 404) NAMNUC(1), TIMEP(KP), FF(1, KP)
TSN	0097	IF (	KP .GT. 1) WRITE (PTR, 405) TIMEP(KP), FF(I, KP)
ISN	0099	406 CONT	INUE
I SN	0100	404 FORM	AT (* ',8X,A8,9X,E10.3,18X,E10.3)
ISN	0101	405 FORM	AT (' '.25X,E10.3,18X,E10.3)
		C	
		C GEAR	SUBPOUTINE PARAMETERS
		Ç #####	*** *************
		C	
ISN	0102	WRIT	E (PTR, 410)
ISN	0105	410 FORM	AT ('1',54X,'GEAR SUBROUTINE PARAMETERS')
		C	
ISN	0104	WRIT	E (PTR,420) EPS
1.54	0105	420 FORM	AT ('0',55X,'EPS = ',013.6)
		C	
ISN	0106	WRIT	E (PTR,421) MF
I SN	0107	421 FORM	AT ('0', 157, 'MF = ', [2])
		C	
ISN	0108	RETU	RN
1 SN	0109	END	

05/360 FORTRAN H LEVEL 21.8 ( JUN 74 ) COMPILER OPTIONS - NAME= MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCDIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF ISN 0002 SUBROUTINE CALCIN C C CALCULATES THE VALUES OF CERTAIN PARAMETERS WHICH ARE USED IN DEFINING THE COEFFICIENTS OF THE SYSTEM OF DIFFERENTIAL EQUATIONS. C r C C COMMON /TIME/ TIM(365), INCR(30), ENDTIM(30), NINTVL, NTIM 15V 0003 COMMON /CROPS/ MFC ISN 0004 ISN 0005 COMMON/LMDA/LAMR(15),LAMC(15),LAMB(15),LAMA(15), C LAMS(15), LAMG(15) COMMON /INDEP/ A.ASUBG, DSUBG, MSUBB, TAUBEF, TAUMLK, TAUES, TAUGR, 15N 0006 TAUPH, TAURD, TAURG, TAUSP, U, VSUBC, SMALLD, RHO \* COMMON INUMBRSI NUMNUC ISN 0007 1SN 0008 COMMON /PARAM/ TAUGC (151, TAUGB(15) COMMON /DEP/ LAMRR(15),FSUBM(15), TAUEXC(15),FSUBF(15),BSUBIV(15) 1SN 0009 C C C DOUBLE PRECISION TIH ISM 0010 INTEGER ENDIIM [SN 0011 ISN 0012 REAL MSUBB, LAMRR, INCR, LAMR, LAMC, LAMB, LAMA, LAMS, LAMG, MFO C C MED = TOTAL MASS (GRAMS) OF CROP AT HARVEST TIME - USED IN SUBROUTINES C CALC AND TIMDEP (RASED ON A SQUARE METERS OF LAND, 250 PLANTS PER SQUARE METER, 1 GRAM PER PLANTI. C C. ISN 0015 MFO = A \* 250.0 C C ISN 0014 DO 1 I=1,NUMNUC TAUGC([]= (TAUMLK\*FSUBM([]\*VSUBC) / DSUBG ISN 0015 TAUGB(1)= (VSUSC\*FSUBF(1)\*TAUEXC(1)) / DSUBG ISN 0016 C DEFINE LAMDAS C LAMR(II = LAMRR(I) + TAURG + TAURD ISN 0017 ISN 0018 LAME ([] = LAMRR([] + TAUMLK LAMB(I) = LAMRR(I) + TAUBEF + TAUEXC(I) ISN 0019 LAMA(I) = LAMRR([) + TAUES ISN 0020 LAMS(I)= LAMRR(I) + TAUSP LAMG(I)= LAMRR(I) + TAUGR + VSUBC/(ASUBG\*DSUBG) ISN 0021 ISN 0022 ISN 0023 1 CONTINUE C C C Č C DEFINE TIME ARRAY FROM THE FOLLOWING INPUT INFORMATION. 0 C NINTVI = NUMBER OF SUBINTERVALS. C ENDTIMIL = THE RIGHT ENDPOINT OF SUBINTERVAL I. C INCRITE = THE TIME INCREMENT FOR SUBINTERVAL I. C NPREV = 0 ISN 0024 NTIM = 0 ISN 0025

		c	
[SN	0026		00 2 1=1,NINTVL
1 SN	0627		[41 = 1 - 1]
ISN	0023		[F(I.EQ.1) STAPT=0.0
ISN	0030		IF(I.NE.1) START= ENDTIM(IM1)
ISN	0032		NUMSUB = (ENDTIM(I)-STAPT) / INCR(I
ISN	0033		NTIM = NTIM + NUMSUB
		c	
ISN	0034		00 3 J=1, NUMSUR
I SN	0035		II = NPREV + J
I SN	0036	3	TIM(II) = START + J*INCRII)
		С	
ISN	0037		NPREV = NUMSUR + NPREV
1 SN	0058	2	CONTINUE
		C	
		C	
I SN	0039		RETURN
I SN	0040		END

05/360 FORTRAN H LEVEL 21.8 1 IUN 74 1 COMPILER OPTIONS - NAME= MAIN, OPT=02, LINECHT=60, SIZE=0000K, SCUPCE, EBCDIC, NOLISI, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF SUBPOUTINE CALC 1 SN 0002 5 CALLS GEAR SUBROUTINE TO CALCULATE AND PRINT VALUES OF STATE VARIABLES Ċ C EXTERNAL PEDEPV.DIFFUN 151: 0003 DIMENSION TR(15), TB(15), PRORAT(15), Q03EF(15), Q0MLK(15), 15N 0004 QBEF(15),QMLK(15),QWIGL(15) \* COMMON /DEP/ LAMRR(15), FSUBM(15), TAUEXC(15), FSUBF(15), BSUBIV(15) 1 SN 0005 ISN 0006 COMMON /BRANCH/ B(15,15) COMMON /HOLTIM/ TIMBH, TIMCH 1SN 0007 CHMMON /GPARAM/ EPS, MF ISN 0008 COMMON /MCHECK/ TOTUCI(365,15) 1 SN 0009 COMMON /NUMBRS/ NUMNUC 15N 0010 COMMON /TIME/ TIM(365), INCR(30), ENDTIM(30), NINTVL, NTIM ISN 0011 COMMON /SOURCE/ FO(15) ISN 0012 15N 0015 COMMON /NAMES/ NAMNUC(15) COMMON /INDEP/ A, ASUBG, DSUBG, MSUBB, TAUBEF, TAUMLK, TAUES, TAUGR, ISN 0014 TAUPH, TAURD, TAURG, TAUSP, U. VSUBC, SMALLD, 9H0 COMMON /HRVST/ HARTIM(30), NHARV ISN 0015 COMMON /CROPS/ MFO 15N 0016 COMMON /10DEV / PTR, RDR ISN 0017 THE DIMENSION OF THE APRAY YO MUST BE AT LEAST 12\*NUMNUC C C DOUBLE PRECISION LOG2, TIM, TOUT, YO(72), NAMNUC, TO, HO, EPS, TIME. 15M 0018 HARTIM INTEGER ENDTIM, PTR. RDR ISN 0019 REAL LAMRR, INCR, MEO, MSUBB ISN 0020 C ISN 0021 DATA IDIM /15/ Ċ WRITE (PTR,100) ISN 0022 100 FORMAT ('1', T55, 'RAGTIME COMPARTMENTS' //// ) ISN 0023 Č WRITE (PTR, 105) ISN- 0024 - RADIOACTIVITY PRESENT ON ABOVE-SURFACE .. FORMAT (' ',28X,'E ISN 0025 105 FOOD PER SQUARE METER OF SURFACE' / 1 1,34X, ON WHICH FOOD CROP IS GROWN (MICROCURIES PER 1, SQUARE METERI. !! C WRITE (PTR, 107) 15N 0026 107 FORMAT ('O', 28X, 'S - RADIOACTIVITY PRESENT AT THE SOIL ', TSN 0027 'SURFACE (MICROCURIES PER SQUARE METERI.') C WRITE (PTR.110) ISN 0028 110 FORMAT ('0',28X,'P - RADIOACTIVITY PRESENT IN THE SUBSURFACE '-ISN 0029 ' ',3.X, 'FOOD SUPPLY (MICROCURIES). ') \* C WRITE (PTR,115) ISN 0030 115 FORMAT ('O', 28X, 'G - RADIOACTIVITY PRESENT IN THE GRASS COM', ISN 0031

		* * * * * * * * * * * * * * * * * * *
1 SN	0032	WRITE (DTO. 170)
151	0033	120 FORMAT (*0',28X,*R - RADIOACTIVITY PRESENT IN THE SOIL FROM *.
		* ',34X, 'OF THE GRASS (MICROCURIES PER SQUARE METER).')
1.5N	0034	WRITE (PTR. 130)
I SN	0035	130 FORMAT (*0',28X,*C - CONCENTRATION OF RADIOACTIVITY IN THE ', * 'MILK (MICROCURIES PER LITER).')
1.54	0038	WRITE (PTR,140) 140 FORMAT ('0',28X,'B - CONCENTRATION OF RADIOACTIVITY IN THE ', * 'BEEF (MICROCHPIES DEP KILOGRAM) ')
		C. C
1 SN	0038	WRITE (PTR, 150)
1 SN	0039	150 FORMAT ('0',28X,'T - RADIOACTIVITY PRESENT IN THE INTERIOR ', * 'OF PLANTS PRODUCED FOR HUMAN CON-'/ * ',34X,'SUMPTION (MICROCURIES).')
* ***	Ante	
1.54	0040	WRITE (PTR, 152)
	0.041	<pre>152 FURMAT ('0',28X,'EH - CONCENTRATION OF RADIOACTIVITY IN FOOD ',</pre>
		C
1 5.14	0042	WRITE (PTR,154)
1.54	0043	<pre>154 FORMAT ('0',28X,'BH - CONCENTRATION OF RADIDACTIVITY IN BEEF ',</pre>
T SN	0044	WRITE (PTR.156) 156 FORMAT ('0',28X,'CH - CONCENTRATION OF RADIOACTIVITY IN MILK ',
		* '',34X, 'PER LITER). ')
		C C C C C C C C C C C C C C C C C C C
		6
		C INITIALITE CTATE HISTORIES
		C VILLE VILLE VARIABLES
		C Y(9)=EH, Y(10)=T, Y(11)=H, Y(12)=MORING
		C
		c
		c
		C DETERMINE S VALUES AT TIME ZERO.
I SN	0046	TZERO = 0.0
T SN	0047	CALL SVAL(TZERD, S1, S2, S3, S4)
ISN	0048	DO 5 I=1,NUMNUC
		C NPREV= NO. OF PREVIOUS STATE VARIABLES. FO(1)=DEPOSITION SOURCE (NUCLIDE
I SN	0049	NPREV = (I-1)*12
ISN	0050	YO(NPREV+1)=S1*FO(1)
ISN	0058	YO(NPREV+2)=S2*F0(I)
ISN	0052	YO(NPREV+5)=0.000
1 SN	0053	YO(NPREV+4)=S3*FO(I)
1 SN	0054	YO(NPREV+5)=S4#FO(I)
1.54	0055	YO(NPREV+6)=0.000
1.24	0026	YG(NPREV+7)=0.000

۱.

ISN 0057	YO(NPREV+8)=0.000
15N 0038	YO(NPREV+9)=0.000
ISN 0059	YO(NPREV+10)=0.000
15N 0060	YO(NPREV+11)=0.000
ISN 0061	YO(NPREV+12)=0.000
ISN 0062	5 CONTINUE
	C INITIALIZE REEF AND MILK HOLDUP COMPARTMENTS BH AND CH RESPECTIVELY
	C
	C OBEF(I) = BURDEN OF NUCLIDE INUC IN COMPARTMENT BH (UCI / KG).
	C QMEK(L) = BURDEN OF NUCLIDE INUC IN COMPARTMENT CH (UCI / L). C
ISN 0063	00 350 [=1,NUMNUC
ISN 0064	QBEF(I) = 0.0
ISN 0065	QMLK(I) = 0.0
15N 0066	350 CONTINUE
	C DEETNE CEAR CHARDUITINE DAGAMETERS
	C DEFINE GEAR SUBROUTINE PARAMETERS
TSN 0067	INDEX = 1
1.34 3301	C TO = INITIAL TIME (DAY).
ISN DOAR	$I_0 = 0.000$
1311 3000	C HO- NEXT STEPSIZE IN T (DAYS), USED ONLY ON FIRST CALL.
ISN 0069	H0 = 1.00-6
	c
	C
	C CALCULATE AND PRINT VALUES OF E,S,P,G,R,C,B,T,EH,BH,CH AT TIMES
	C TIM(I), I=L,NTIM.
	C
	C NEWINGER OF EDUATIONS
TSN 0070	Ne NIMNICA12
1	
	C
	A A A A A A A A A A A A A A A A A A A
	C KOUNT IS THE NUMBER OF OUTPUT SPECIFICATIONS TO BE PRINTED PER PAGE.
	C ITS VALUE IS DETERMINED BY USING AN INTEGER FUNCTION OF THE
	C NUMBER OF NUCLIDES IN THE CHAIN BEING STUDIED PLUS ONE FOR SPACING
	C DIVIDED INTO THE TOTAL NUMBER OF AVAILABLE LINES PER PAGE AFTER
	C HEADINGS HAVE BEEN PRINTED. K IS INITIALLY SET FOUNT TO KOUNT.
	C THUS ENABLING THE HEADINGS TO BE PRINTED THE EIRST TIME THROUGH
	C THE LOOP. ONCE THE HEADINGS ARE PRINTED & IS SET TO ZERO AND IS
	C INCREMENTED BY ONE ON EACH PASS THROUGH THE LOOP UNTIL K IS FOUND
	C TO KOUNT. THEN THE PROCESS OF PRINTING THE HEADINGS AND SETTING
	C K FOUAL TO ZERO CONTINUES.
	c
	e
ISN 0071	KOUNT = 58 / (NUMNUC + 1)
15N 0072	K = KOUNT
	c
	c
	C DEFINE PARAMETERS FOR CALL TO RESONS. THE FOLLOWING PARAMETERS
	C ARE NOT TIME-DEPENDENT AND ARE THEREFORE DEFINED BEFORE ENTERING THE
	C ITIM LOOP.
	С

		0	TR(INUC)=RAD. HALF-LIFE (DAY) OF MUCLIDE INUC.
		5	TH(INUC)=BID. HALF-LIFE (DAY) OF NUCLIDE INUC. USE LARGE VALUE TO
		1.1	APPROXIMATE A BID. REMOVAL FACTOR OF ZERO.
TCM	0073	1.1.12	1062=0106(2,000)
T CN	0076		DO 300 $(N)(C=1, N)(M)(C)$
1 0.4	0075		
1.011	0075		
124	0010		TRAINULA-CONSTANT DESCRIPTION DATE FOR NUCLIDE INC.
		c	PRIMATE INUCCEUNSTANT PRIDUCTION MALE FOR NOCCIDE THOS.
I SN	0077		PROMATIINUCIED.0
I SN	0078		300 CONTINUE
		c	
I SN	0079		00 4 I=1,NTIM
T SN	0080		IF (K .NE. KOUNT) GO TO 160
		C	PRINT HEADING
I SN	0082		WRITE (PTR,1) (NAMNUC(J),J=1,NUMNUC)
1 SN	0083		I FORMAT ('ICONTENTS OF COMPARTMENTS AT VARIOUS TIMES', //,
			* • NUCLIDES IN THE CHAIN ', 14A8)
TSN.	0084		WRITE (PTR.2)
I SN	0085		2 FIOMAT( 'OTIME'. T17. 'E'. T28.'S'. T39. 'P', T50, 'G'. T61, 'R', T72, 'C',
			C T83, '8', T94, 'T', T105, 'EH', T116, 'BH', T125, 'CH')
TCN	4800		WOITE (010.3)
TCM	0097		3 FORMATLY (DAYS) - TT3, ())(CT/SO, 4) - T24, (UCT/SO, 4) - T37. (UCT).
1.34	0001		T T44 1 10 CT/SO M11 T57 10 CT/SO M11 T68 10 CT/L11 T80 10 CT/KG1*
			The full that th
			te to prive very or comparative to the 200
1		1.1	IF TEL, PRIMI VALUES OF COMPARIMENTS AT THE LEGO.
ISN	0088		IF (1.NE.1) GO TO 200
TSN	0090	11.5	$\tau_{\text{IME}} = 0.000$
		C	FIRST NUCLIDE IN CHAIN
ISN	0091		WRITE (PTR, 11) TIME, YO(1), YO(2), YO(3), YO(4), YO(5), YO(7),
			* YO(8),YO(10),YO(9),QBEF(1),QMLK(1)
I SN	0092		IF (NUMNUC.EQ.1) GO TO 200
		C	REMAINING NUCLIDES IN CHAIN
1.SN	0094		DO 201 INUC=2, NUMNUC
T SN	0095		NPREV= $12*(INUC-1)$
ISN	0096		WRITE (PTR, 12) YO(NPREV+1), YO(NPREV+2), YO(NPREV+3),
			C YO(NPREV+4), YO(NPREV+5), YO(NPREV+7), YO(NPREV+8),
			* YO(NPREV+10),YO(NPREV+9),QBEF(INUC),QMLK(INUC)
ISN	10097		201 CONTINUE
I SN	0098		200 K=0
1.3.4	0040	r	TE TEL. ADD 1 TO K TO ACCOUNT FOR PRINTING COMPARTMENT VALUES
		6	IF I'VE FEO.
	0000		
124	0099		
121	0101		
1.214	0105		
ISN	0105		
I SN	0104		CALL GEAR (DIFFUN, PEDERV, N, 10, HO, TO, TUUT, EPS, MP, INDEX)
ISN	0105		IF (INDEX.EQ. )) GO TO 8
I SN	0107		WRITE (PTR,7 TOWT, INDEX
1 SN	0108		7 FORMAT( OINT G. WAS NOT COMPLETED TO TOWT=', EIG. 3. ', INDEX= ', 131
ISN	0109		GO TO 8
		C	
		C	
		C	THE FOLLOWING STATEMENTS ARE USED TO CALCULATE THE TOTAL AMOUNT O
		C	RADIOACTIVITY (MICROCURIES) IN THE SYSTEM FOR EACH NUCLIDE IN THE
		r	CHAIN.
		r	
		r.	TOTUCI(I. INUC) = RADIOACTIVITY FOR NUCLIDE WITH INDEX JNUC
		1.1	

	C THESE VALUES ARE COMPARED TO VALUES CALCULATED USING THE BATEMAN C FOUATIONS IN SUBROUTINE CHECK. C
	C C
15N 0110	6 CONTINUE
154 0111	INDEX = 2
ISN 0112	DO 20 JNUC=1,NUMNUC
1SN 0113	NPREV = $12 * (JNUC-1)$
ISN 0114	<pre>TOTUCI([,JNUC) = YO(NPREV+1)*A + YO(NPREV+2)*A + YO(NPREV+3) + YO(NPREV+4)*ASUBG + YO(NPREV+5)*ASUBG + YO(NPREV+6)*ASUBG * + YO(NPREV+7)*U + YO(NPREV+8)*MSUBB + YO(NPREV+12) + * YO(NPREV+10)*1. + YO(NPREV+11)*A + YO(NPREV+9)*(MFO*.001)</pre>
154 0115	20 CONTINUE
	C DEFINE TIME-DEPENDENT PARAMETERS FOR CALLS TO RESDNS.
	C DOBEFLINUC)=INITIAL BURDEN OF NUCLIDE INUC IN BEEF COMPARIMENT. C DOMLK(INUC)=INITIAL BURDEN OF NUCLIDE INUC IN MILK COMPARIMENT.
154 0116	DD 301 INUC=1, NUMNUC
ISN 0117	NPREV = (1NUC-1)*12
15N 0118	QOBEF(INUC)=YO(NPREV+8)
15N 0119	QOMLK(INJC)= YO(NPREV+7)
ISN 0120	301 CONTINUE
ISN 0121	CALL RESONS (TIMBH, NUMNUC, TR, TB, B, PRORAT, QOBEF, QBEF, QWIGL, 191M)
ISN 0122	CALL RESONS (TIMCH, NUMNUC, TR, TS, 8, PRORAT, QOMEK, UMLK, QWIGE, 1014)
	C PRINT VALUES OF COMPARTMENTS AT TIME TIM(I)
ISN 0123	<pre>wRITE (^TR,11) TOUT, YO(1), YO(2), YO(3), YO(4', YO(5), YO(7),</pre>
ISN 0124	11 FORMAT('0',12 (D10.3.' '))
1SM 0125	IF (NUMNUC . EQ. 1) GO TO 170
	c
	C PRINT VALUES OF E.S.P.G.R.C.B.T.EH, BH, AND CH FOR REMAINING NUCLIDES. C
ISN 0127	DO 9 INUC =2,NUMNUC
ISN 0128	NPREV=12*(INUC-1)
15N 0129	WRITE (PTR,121 YO(NPREV+1),YO(NPREV+2),YO(NPREV+3),
	<pre>C YO(NPREV+4),YO(NPREV+5),YO(NPREV+7), YO(NPREV+8), * YO(NPREV+10),YO(NPREV+9),QBEF(INUC),QMLK(INUC)</pre>
15N 0130	9 CONTINUE
ISN 0151	12 FORMAT(* ', T13, 11 (010.3,* '))
	C
ISN 0132	170 CONTINUE
	C IS TIM(I) A HARVEST TIME? QUERY RETURNS I IF YES, O IF NU.
ISN 0133	CALL QUERY(TIM(I), TANS)
15N 0134	IF (IANS.EQ.0) GO TO 171
	C AT HARVEST TIME, REINITIALIZE STATE VARIABLES.
ISN 0136	TO = TIM(I)
ISN 0137	HO = 1.00-5
15N 0138	INDEX = 1
ISN 0139	00 250 INUC=1,NUMNUC
ISN 0140	NPREV = $(INUC-1)*12$
	C TRANSCER TRANSF CHECK TRANSCER TOTAL ACTIVITY
	C FROM CROP HELDUP COMPARTMENT (EH) TO COMPARTMENT MPRIME.

1 SN	0141	YO(NPREV+12) = YO(VPREV+12) + (MFO * .001) * YO(NPREV+9)
		C DIVIDE TOTAL ACTIVITY (JCI) TRANSFERRED TO CROP HOLDUP COMPARTMENT
I SN	0142	VINDEVAL
1 5 33	0143	VOLAPREVIAL = 0.000
TEN	0144	
ISN	0145	
I CN	0146	
I SN	0147	
		C C C C C C C C C C C C C C C C C C C
		c
		C
		C UPON COMPLETION OF I LGOP, RETURN.
1SN	0148	60 TO 10
		C IF GEAR SUBROUTINE RETURNS INDEX OTHER THAN Q. STOP.
1 SN	0149	8 STOP
		c
		c
TSN.	0150	10 RETURN
ISN	0151	END

LEVEL	21.8	( JUN	74 1	OS/360 FORTRAN H
	(	OMPIL	ER OPTION	S - NAME= MAIN, GPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCDIC, NULIST, NODECK, LOAD, MAP, NOFDIT, ID, NOXREF
I SN	0002		FUNC	TION F(I,T)
		С	F(1.7) =	SCURCE STRENGTH (UC1/SQ. M/DAY) FOR NUCLIDE I AT TIME T (DAYS).
		C		
		č	E IS DEE	INFO IN TERMS OF THE INFLOW RATE MATRIX.
		ć		
		r	FELT	KP) . I=L.NIMNIIC. KP=L.MP
		Ċ		
		č	WHICH IS	DEFINED IN SUBROUTINE INPUT.
TSN	0003		СОММ	ON /INFLOW/ MP. TIMEP(30). FE(15.30)
T SN	0004		СОММ	ON /NAMES/ NAMNUC(15)
ISN	0005		DOUB	LE PRECISION NAMNUC
ISN	0006		F =	0-0
I SN	0007		16	(T. GE. TIMEP(MP) .OR. MP.EO.1) GO TO 3
I SN	0009		MPM1	= *P-1
T SN	0010		00	1 KF=1.MPM1
I SN	0011		IF (	T.GE.TIMEP(KP) .AND. T .LT. TIMEP(KP+L)) GO TO 5
1 SN	0015		1 CONT	INGE
I SN	0014		WRIT	E(3.2) NAMNUC(1). T
I SN	0015		2 FORM	AT ( OF (I,T) NOT DEFINED FOR NUCLIDE ', A8. ' TIME ',E10.5.
			с .	(DAYS) )
I SN	0016		STOP	
154	0017		5 F=	FF(],KP)
ISN	0018		GO T	0.4
ISN	0019		3 F=FF	(I.MP)
· ISN	0020		4 RETU	RN
ISN	0021		END	

05/363 FORTRAN H LEVEL 21.8 ( JUN 74 1 COMPILER OPTIONS - NAME = MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCOIC, NOLIST, NODECK, LOAD, MAP, NOFDIT, ID, NOXREF SUBROUTINE DIFFUNIN. T. Y. YOOT) 15N 0002 C C COMPUTES THE RIGHT HAND SIDE OF YDOT=F(Y, T) C C DIMENSION TAUPT(15) ISM 0003 COMMON /INDEP/ A,ASURG, DSUBG, MSUBB, TAUMEF, TAUMEK, TAUES, TAUGR, ISN 0004 TAUPH, TAURD, TAURG, TAUSO, U, VSUBC, SMALLD, SHO COMMON/LMD4/LAMR(15),LAMC(15),LAM8(15),LAMA(15), ISN 0005 C LAMS(15),LAMG(15) COMMON /DEP/ LAMRR(15), FSUBM(15), TAUEXC(15), FSUBF(15), BSUBIV(15) 15N 0006 COMMON /PARAM/ TAUGC(15), TAUGB(15) 15N 0007 COMMON /NUMBRS/NUMNUC ISN 0008 COMMON /BRANCH/ 8(15,15) 1SN 0009 COMMON /IGDEV / PTR, ROR 154 0010 C 1 C DOUBLE PRECISION T, Y(N), YDOT(N) ISN 0011 REAL LAMBH, LAMCH, MSUBB, LAMRR, II, LAMR, LAMC, LAMB, LAMA, LAMS, ISN 0012 LAMG. IIPRIM. LAMPI \* INTEGER ROR, PTR ISN 0013 C C C THE STATE VARIABLES ARE 0 Y(NPREV+1) = E YINPREVA2) = 5 r YINPREV +31 = P ¢ Y(NPREV+4) = G Ċ. Y(NPREV+5) = R r C Y(NPREV+6) = 0Y(NPREV+7) = C e Y(NPREV+8) = 8 Y(NPREV+9) = EH r YINPREV\*101 = T C Y(NPREV+11) = HY(NPREV+12) = MPRIME C C WHERE NPREV = 0,1,2,..., NUMMUC-1 C C TIME (T) IS SOMETIMES REQUIRED TO BE IN SINGLE PRECISION (X). C. X = T ISN 0014 ISN 0015 CALL SVAL(X. S1, S2, S3, S4) CALL TINDEP(X, TAUPT) ISN 0016 C 00 1 1=1,NUMNUC ISN 0017 C NPREV = NO. OF PREVIOUS FOUATIONS NPREV= (1-11\*12 ISN 0018 C CALCULATE CONTRIBUTION FROM PREDECESSORS IN THE CHAIN. SUM1 = 0.0 ISN 0019 SUM2 = 0.0 154 0020
ISN	0021	SUM3 = 0.0
I SN	0022	S(1)=0.0
TCAL	0025	SUM5 = 0.0
T CA.	0024	50.0
1	0075	5010 - 0.0
1 50	0025	50MT = 0.0
1.5%	0026	20  wB = 0.0
I SN	0027	SUM9 = 0.0
ISM	0028	SUM10 = 0.0
1 SN	0029	SUM11 = 0.0
I SN	0030	SUM12 = 0.0
1 SN	0031	IF (I.LE.1) GO TO 3
TSN	3333	[M]= [-]
		·
T SM	0036	DO 2 1-1. [M]
¥ C 84	0034	100 C - 3 - 110 C
1.577	0035	
124	0000	SUMI = SUMI + LAMRAIII+OLI, JAMIU PECVILI
ISN	0057	SUM2 = SUM2 + LAMOR(11*B(1,J)*Y(JPREV+2)
I SN	0038	SUM3 = SUM3 + LAMRR([]*B([,J]*Y(JPREV+3))
T SN	0039	SUM4 = SUM4 + LAMPR(I) *B(I, J)*Y(JPREV+4)
I SN	0040	SUM5 = SUM5 + LAMRR(I)*B(I,J)*Y(JPREV+5)
I SN	0341	SUM6 = SUM6 + LAMRR(I) * B(I, J) * Y(JPREV + 6)
TSN	0042	SUM7 = SUM7 + LAMRR(1) + B(1, J) + Y(JPREV+7)
T SN	0043	SIJMB = SUMB + LAMRR(I) * B(I, J) * Y(JPREV + B)
T SM	0344	SUMO = SUMO + LAMER (1)*R(1, 1)*Y( IDREV+9)
I SNI	0045	SUM10 = SUM10 +1 AND (11+8(1, 1)+Y ( 100 (V+10)
TCM	0045	
1 54	0048	
124	0041	SUMIZ = SUMIZ *LAMRKIII BIII, JIMI (JPRCV+12)
ISN	0048	2 CONTINUE
		C CALCULATE YDOT
T SN	0049	3 YDDT[NPREV+1]=S1*F(I,X)-LAMA(I)*Y(NPREV+1) + SUM1
ISN	0050	YDOT (NPREV+2)=TAUES*Y(NPREV+1)-LAMS([)*Y(NPREV+2)+S2*F(I,X)+SUM2
		C LAMPI IS TIME DEPENDENT.
1.SN	0051	LAMPI = LAMRR(1) + TAUPT(1) + TAUPH
TSN	0052	YDAT (NPREV+3)=A*TAUSP+YSNPREV+2)-IAMPI +Y(NPREV+3)+SUM3
I SN	0053	YDDT(NPREV+4)=53#E(1,x)-1AMC(1)#Y(NPREV+4)+TAILEC#Y(NPREV+5)+5UM4
I CN	0054	
1.24	0034	
	ADEE	
1.24	0055	TOTT (NPREV+6)=1AUROAT(NPREV+5)
1.011	Second Street	C -LAMRK(I)+Y(NPREV+6)+SUM6
ISN	0056	YDDT (NPREV+7)=TAUGC(I)
		C *Y(NPREV+4) -LAMC(I)*Y(NPREV+7)+SUM7
ISN	0057	YDDT (NPREV+8) = TAUGB([)
		C *Y(NPREV+4)-LAMB(I)*Y(NPREV+8) +SUM8
		C C C C C C C C C C C C C C C C C C C
1 SN	0058	YOOT(NPREV+9) = -LAMRR(11 + Y(NPREV+9) + SUM9
	9429	,
I Chi	0.05.0	VOOTINDECUTION-TAUDTITE VINDECUTI - LANDRITE VINDECUTION
1 24	0059	TODI (MPREVIO) - IAOPITII + TINPREVIS) - CAMERIII + TINPREVIO)
		r. +SOWIO
ISN	0060	YDDT(NPREV+11) = (TAUPH/A)*Y(NPREV+3) - LAMRR(I)*Y(NPREV+11)
		* + SUM11
		C
		C THE COMPARTMENT MPRIME (Y(NPREV+12)) RECEIVES ALL RADIOACTIVITY
		C FROM B AND C. THE TRANSFER COFFEICIENTS FROM B AND C TO MPRIME
		C ARE TOTEM AND TOTEM RESPECTIVELY AND ARE DEFINED AS FOLLOWS.

I SN	0061		TOTBM=TAU9EF#MSUBB
ISN	0062		TOTCM=TAUMLK*U
ISN.	0063		IIPRIM = TOTBM * Y(NPREV+8) * TOTCM * Y(NPREV+7)
ISN	0064		YDOT(NPREV+12) = IIPRIM -LAMRR(I)*Y(NPREV+12) *
			<pre>C (VSUBC/DSUBG - TAUGR(I)*MSUBB - TAUGC(I)*U) * Y(NPREV+4) C + SUM12</pre>
		С	
T SN	0065	c	1 CONTINUE
ISN	0066		RETURN
ISN	0067		END

EVEL	21.8 1 JUN 74	0\$73	53 FORTRAN M
	COMPILER D	PTIONS - NAME= MAIN, OPT=02.LIN SOURCE.EBCDIC, NOLIST, N	ECNT=60,512E=0000K; ODECK,LOAD,MAP,NOED1T,IO,NOXREF
1 SN	0002 C	SUBROUTINE PEDERV(N, T, Y, PD, NO)	
t SN	0003 C	DOUBLE PRECISION T, Y(NO,13),	PD.
T SN T SN	0004 0005	RETURN END	

OS/360 FORTRAN H LEVEL 21.8 ( JUN 74 ) COMPILER OPTIONS - NAME= MAIN. OPT=02. LINECNT=60, SIZE=0000K. SOURCE, EBCDIC, NOLIST, NODECK, LOAG, MAP, NOEDIT, 10, NOXREF SUBPOUTINE CHECK ISN 0002 C CALCULATES AND PRINTS VALUES OF C TOTUCI(ITIM.INUC) = TOTAL ACTIVITY DUE TO NUCLIDE INUC AT TIME ITIM ť. AS CALCULATED BY SUBROUTINE CALC USING THE C GEAR SUBROUTINE = TOTAL ACTIVITY DUE TO NUCLIDE INUC AT TIME ITIM C ACTLINUC. ITIMI AS CALCULATED BY SUBPOUTINE TRAFUN, USING THE C BATEMAN EQUATIONS C AS WELL AS THE PERCENTAGE FRROR 0 (TOTUCI(ITIM, INUC) - ACT(INUC, ITIMI)\*100. / ACT(INUC, ITIM) C C C FOR TIMES TIM(ITIM). ITIM=1 TO NTIM. r DIMENSION TR(15). TB(15). ACT(15,365). P(15,30). RELEP(15). RTIM(305). ISN 0003 AWIGL(15,365) \* COMMON /INFLOW/ MP, TIMEP(30), FF(15,30) ISN 0004 COMMON /BRANCH/ B(15,15) 1SN 0005 15N 0006 COMMON /MCHECK/ TOTUCI(365,15) COMMON /DEP/ LAMPR(15), FSUBM(15), TAUEXC(15), FSUBF(15), 8SUBIV(15) ISN 0007 COMMON /INDEP/ A.ASUBG.DSUBG.MSUBB.TAUBEF.TAUMLK.TAUES.TAUGR. TSN 0008 TAUPH, TAURD, TAURG, TAUSP, U, VSURC, SMALLD, RHO COMMON /NUMBRS/ NUMNUC ISN 0009 154 0010 COMMON /TIME/ TIM(365), INCR(30), ENDTIM(30), NINTVL, NTIM COMMON /INDEV / PTP. RCR TSN 0011 C DOUBLE PRECISION TIM, LOG2 ISN 0012 INTEGER ENDTIN, PTR, RDR ISN 0013 ISN 0014 PEAL MSUBB, INCR. LAMRR C IDIM IS THE MAXIMUM FIRST DIMENSION FOR THE ARRAYS ACT. P. AND AWIGL. IT CORRESPONDS TO THE MAXIMUM NUMBER OF NUCLIDES IN A CHAIN. C DATA IDIM /15/ ISN 0015 C PRINT HEADINGS FOR TIME, TOTAL ACTIVITY COMPUTED BY THE GEAR SUBROUTINE, TOTAL ACTIVITY COMPUTED USING BATEMAN EQUATIONS, AND C Ċ RELATIVE ERROR. C WRITE (PTP, 100) ISN 0016 100 FORMAT ('1',52X, 'COMPARISON OF TOTAL ACTIVITY' / ISN 0017 '0", 10X, 'TIME (DAYS)', 12X, 'TOTAL ACTIVITY (MICROCURIES)'. 12X, 'TOTAL ACTIVITY (MICROCURIES)', 8X, 'PERCENTAGE ', "FRROR" / " ", 35X, "\*\*\* GEAR SUBROUTINE \*\*\*", 17X, "\*\*\* BATEMAN ", \* FEQUATIONS \*\*\*\* C C DEFINE INPUT PARAMETERS FOR SUBROUTINE TRAFUN C TRIINUCH =RADIOACTIVE HALF-LIFE (DAY) OF NUCLIDE 1. C TB(INUC) =BIOLOGICAL HALF-LIFE (DAY) OF NUCLIDE I (USE LARGE VALUE TC APPROXIMATE A BIOLOGICAL REMOVAL FACTOR OF ZERO.) C P(INUC.KP)=SOURCE STPENGTH (MICROCURIES/DAY) FOR NUCLIDE I C FROM TIMEP(KP) TO TIMEP(KP+1) IF KP .LT. MP AND P(INUC, MP) = C SOURCE STRENGTH AT TIMES SUBSEQUENT TO TIMEPIMPI. C BRANCH(1, J)

		C = BRANCHING RATIO FROM SPECIES J TO SPECIES I, J LESS THAN 1
		C =B(I,J) (INPUT DATA - COMMON/BRANCH/ )
		-
TSN	0018	1062 = 0106(2.000)
TSN	0019	DO 1 INUC=1.NUMNUC
TSN	0020	TR(INUC) = LOG2 / DBLE(LAMRR(INUC))
TEN	0021	TB(INUC) = 1.050
TSN	0022	00 6 KP=1.MP
TSN	0023	CALL SVAL (TIMEP(KP), S1, S2, S3, S4)
1 SN	0024	6 P(INUC, KP) = FF(INUC, KP) * ((S1+S2)*A + (S3+S4)*ASUEG)
TSN	0025	1 CONTINUE
		c
		C RTIM IS & REAL ARRAY WHOSE VALUES ARE THE SAME AS THOSE FOR TIM.
TSN.	0026	DO 7 ITIM=1.NTIM
T SN	7500	7 RTIM(ITIM) = TIM(ITIM)
		C THE CALL TO TRAFUN,
		C CALL TRAFUNIN, TR, TB, BRANCH, MP, TIMEP, P, MA, TIMEA, AWIGL, ACTI
		C BECOMES
1 SN	0028	CALL TRAFUN(NUMNUC, TP, TB, B, MP, TIMEP, P, NTIM, RTIM, AWIGL, ACT, 101M)
		C BEGIN ITIM LOOP TO CALCULATE PERCENTAGE ERRORS.
151	0029	00 2 ITIM = 1.NTIM
TSN	0050	DO 4 INUC=1,NUMNUC
I SN	0031	4 RELERIINUC) = (TOTUCI(ITIM, INUC) - ACT(INUC, ITIM))*100./
		C ACT(INUC, ITIM)
1 SN	0032	2 WRITE (PTR.3) TIM(ITIM), (TOTUCI(1714, INUC), ACT(INUC, ITIM),
		C RELEFITNUCH, INUC=1, NUMNUCH
ISN	0035	5 FORMAT (* ',9X,D13.6,18X,E13.6,26X,E13.6,20X,E12.3 / *
		* 14(40X,E13.6,26X,E13.6,20X,F12.3 / * ))
1 SN	0034	RETURN
1 SN	0035	END

LEVEL 21.8 ( JUN 74 ) OS/360 FORTRAN H COMPILER OPTIONS - NAME: MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCDIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF TSN 0002 SUBROUTINE RESONSET.N. TR. TB. BRANCH, P. 90, Q. OWIGL. COIMI C THIS SUBROUTINE COMPUTES THE MICROCURIES Q AND THE MICROCURIE-CAYS OWIGE OF A SPECIES OF A RADIONUCLIDE C CHAIN. EVALUATION IS AT TIME T (DAYS) IN A COMPARTMENT C WITH FIRST-CROER REMOVAL PROCESSES WITH HALF-TIME TR(1) C (DAYS) FOR THE 1-TH NUCLIDE AND CONSTANT PRODUCTION C RATE P(I) (MICROCURIES/DAY). TR(I) (DAYS) IS THE C RADIOACTIVE HALF-LIFE OF THE I-TH NUCLIDE. THE I THE INITIAL C BURDEN IS QUILL IMICROCURIESI. BRANCHII, JI IS THE C FRACTION OF SPECIES J WHICH DISINTEGRATES TO SPECIES I, C WHERE J IS LESS THAN I. THUS ALL NON-ZERO ENTRIES IN C BRANCH ARE BELOW THE MAIN DIAGONAL. C ALL DIMENSICIS OF SIZE 20 CORRESPOND TO N. THE NUMBER OF C RADIDACTIVE SPECIES IN THE CHAIN. C IDIM IS THE MAXIMUM FIRST DIMENSION FOR THE ARRAYS ACT, P. AND AWIGL. 0 IT CORRESPONDS TO THE MAXIMUM NUMBER OF NUCLIDES IN A CHAIN. c REAL TR (N), TB(N), BRANCH(IDIM, IDIM), P(N), Q0(N), Q(N), OWIGL(N) ISN 0005 ISN 0004 DOUBLE PRECISION LM(20).LMR(20),D(20),C(20,20). LOG2, TEMPQ, TEMPQW, EXLI, EXILI, EXPFUN, EXPF1 ISN 0005 IF (T.GT.0.0) GO TO 10 ISN 0007 00 5 I=1.N ISN 0008 (1)00=(1)0 ISN 0009 QWIGL(1)=0.0 ISN 0010 5 CONTINUE GO TO 120 ISN 0011 10 LOG2=0L06(2.000) ISN 0012 C COMPUTE DECAY AND REMOVAL CONSTANTS FROM HALF-TIMES. 00 20 I=1,N ISN 0013 LMR(!)=LOG2/DBLE(TR(!)) ISN 0014 ISN 0015 LM([)=LOG2/DBLE(TB([)) + LMR([) 20 CONTINUE ISN 0016 C IF TWO LM(I) ARE NEARLY EQUAL, SEPARATE THEM. C SKIP SEPARATION ROUTINE IF N=1. ISN 0017 IF(N.FO.1) GO TO 45 C BEGINNING OF SEPARATION ROUTINE .. C N1=N-1 ISN 0019 C KODE IS A SWITCH FOR WHICH THE VALUE 1 MEANS ANOTHER C PASS SHOULD BE MADE. 15N 0020 KODE=1 25 IF (KODE.NE.1) GO TO 45 ISN 0021 KODE=0 [SN 0023 C BEGIN PASS. 15N 0024 DO 40 K=1.N! K1=K+1 ISN 0025 DO 35 L=K1,N ISN 0026 C IF LM(L) AND LM(K) ARE NEARLY EQUAL, SEPARATE THEM. ISN 0027 IF (DABS(LM(L)/LM(K)-1.000).GE.1.00-6) GO TO 35 ISN 0029 LM(L)=LM(K)\*1.0000100 ISN 0030 KODE=1 1SN 0031 35 CONTINUE

1 SN	0032	c	40	CONTINUE IN FOR POSSIBLY ANOTHER PASS.
TON	0033	~	0	1 10 26
1 3/4	0000	c	END D	SEPARATION FOUTINE.
T CN	0024	21	45 0	ANT FAILE
1 3/4	3034		42.0	MALINOE
		ř	COMPL	TE CORRETCIENTS DITL. CIT. IL
	0035		1.04+0	ALL-DILLIMILL
154	0035			
1.2.4	0030		11 - L	THE THE N
1 CN	0030		· · · ·	011-0.0
1 24	0039			
1 SIN	00400			
TCN	0041			
1 214	0042		50.0	
I CAL	0045		50 0	AUNTINUE
1 514	0044		66 P	CONTINUE
1 214	0045		50 C	
1.599	0040		eut	
1 514	0047			
1 54	0049			10 65 1=2,14
1 514	0050			
1 514	0051			
124	0052			
154	0053			
154	0054		20	ClisJ)=ClisJ + DRANCHIISN/+ClasJ
ISN	0055		10	
1 SN	0056			
ISN	0057		15	CUNTINUE CONTRACTOR
154	0058			
1 5/4	0059			
154	0000		0.0	
124	1000		00	CONTINUE
1.5%	0002	r.	67 L	TALCHATION OF DUIL CUL IN
	0.04 5	6	ENU C	ONTINUE
124	0005		COMOL	ATE OUT ONTOUTH THE N
	0061	6	COMPT	DIE UTT, UNICETT, I-LIN
1 5 74	0004			TCH00-0 0
124	0000			TEMPORED D
150	0000			
154	0067			
154	0068			EXILIZEAPPIILMII, OBLEIIII
150	0069			
ISN	0070			
154	0071			TEMPON-TEMPONACIT, 1)+1EXPEDITEMENT DELETITI-EXLIT
154	0072		1.00	CONTINUE
154	0073		100	
ISN	0074			
154	0075		110	WIGELD = (EMPOWEDIDELDELDELEDELE) = EXTERNADOLITEXILI
1 SN	0076		110 0	JUNI INUC
ISN	0077		150	CE TURN
154	8100			E 10 1 2

#### LEVEL 21.8 ( JUN 74 ).

### OS/360 FORTRAN H

COMPILER OPTIONS - NAME= MAIN.OPT=02.LINECNT=60.SIZE=0000K, SOURCE.EBCDIC.NOLIST.NODECK.LOAD.MAP.NOEDIT.ID.NOXREF ISN 0002 DOUBLE PRECISION FUNCTION EXPFUN(T) ISN 0003 DOUBLE PRECISION T ISN 0004 FXPFUN=C.000 ISN 0005 IF(T.LT.-180.0D0) GD TO 10 ISN 0007 EXPFUN=DEXP(T) ISN 0008 10 RETURN ISN 0009 END

EVEL	21.0	8 1	UUL )	74	DS/360 FORTRAN H
		CI	OMPILE	R ()	PTIONS - NAME: MAIN, OP7=02.LINECNT=60.SIZE=0000K, SOURCE, EBCDIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF
1 SN	0002	2			DOUBLE PRECISION FUNCTION EXPENILM, T)
1 SN	000	3			DOUBLE PRECISION LM, T, LMT, _ PFUN
1 SN	0004	4			LMT=LM#T
I SN	0001	£,			IF(LMT.LT.0.03D0) GC TO 10
I SN	000	7			GO TO 20
154	000	8		10	<pre>XPF1=T*((((((LMT/7.000-1.000)*LMT/6.000+1.000) *LMT/5.000-1.000)*LMT/4.000+1.000)*LMT/3.000-1.000) *LMT/2.000+1.000]</pre>
I SAL	0001	0			60 10 30
ISN	001	0		20	EXPF1=(1.000-EXPFUNI-LMT))/LM
TSN	001	1		30	RETURN
1 SN	001	ž			END

LEVEL	21.8 1 3	ÚN.	74 1 OS/360 FORTRAN H
	COMP		P OPTIONS - NAME- MAIN, OPT-02, I INFONT-40, SIZE-0000K
T SN	0002		SOURCE, EBCOIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF SUBROUTINF TRAFUNIN, TR, TB, BRANCH, MP, TIMEP, P, MA, TIMEA, AWIGL, ACT,
		c	TRAFUN SUGGESTS TRANSFER FUNCTION.
			WE ARE CONSIDERING N RADIOACTIVE SPECIES IN A CHAIN IN A BIOLOGICAL COMPARTMENT. TR(I) AND TB(I) ARE THE RADIOACTIVE HALF-LIFE (DAYS) AND BIOLOGICAL HALF-TIME (DAYS), @ESPECTIVELY, OF THE I-TH SPECIES IN THE COMPARTMENT. BRANCHII,J) IS THE BRANCHING RATIO OF SPECIES J TO SPECIES I, WHERE J IS LESS THAN I. THE INFLOW RATE OF EACH SPECIES IS GIVEN AS A DISCRETE FUNCTION OF TIME BY THE ARRAYS TIMEP (DAYS) AND P (MICROCURIES/DAY). P(I,KP) IS THE INFLOW RATE
		000	OF SPECIES I FROM TIMEP(KP) TO TIMEP(KP+1), AND P(I,MP) IS THE RATE AT TIMES SUBSEQUENT TO TIMEP(MP). AWIGL(I,KA) IS THE CUNUMATED ACTIVITY (MICROCUPIE-DAYS) IN THE COMPARTMENT UP TO
		0000	TIMEA(KA). THE TIME ARRAYS MUST BE ARRANGED IN INCREASING ORDER. ACTII.KA] IS THE ACTIVITY FOR NUCLIDE I (MICROCURIES) IN THE COMPARIMENT AT TIMEA(KA).
		9	and the second
		0000	TOIM IS THE MAXIMUM FIRST DIMENSION FOR THE ARRAYS ACT, P, AND AWIGL. TT CORRESPONDS TO THE MAXIMUM NUMBER OF NUCLIDES IN A CHAIN. THE MAXIMUM DIMENSION 20 FOR THE ARRAYS PTEMP.ATEMP AND AWTEMP CORRES-
1.51	0003		PONDS TO N (THE NUMBER OF RADIOACTIVE NUCLIDES IN THE CHAIN).
ESN.	0004		REAL TIMEP(30), P(IDIM, 30), TIMEA(MA), AWIGI (IDIM, 365)
T SN	0005		REAL PTEMP(20), ATEMP(20), AWTEMP(20)
		0	
		-2	END SAFE TINEDINDA AND THE CORDECOMPTING COLUMN DIA YOL OF
		ĉ	RATES. USE RESID ITERATIVELY TO CALCULATE THE CONTRIBUTION
		Ċ.	TO AWIGL (*, KA) AT TIME TIMEA(KA). FIRST INITIALIZE AWIGL AND ACT
		0	YO ZERO.
I SN	0006		COMMEN /INDEP/ A, ASUBG, OSUBG, MS'/08, TAUBEF, TAUMLK, TAUES, TAUGR,
T SN	0007		COMMON /SOURCE/ FOLISI
1 SN	0008		CALL ZEROM(IDIM, MA, AWIGL)
T SN	0009		CALL ZEROM(IDIM, MA, ACT)
ISN	0010		00 25 KP=1,MP
I SN	0011		DO 10 I=1,N
ISN	0012		PTEMP([]=P][,KP]
ISN	0013		10 CONTINUE
1 SN	0014		DO 20 KA=1, MA
1.54	0015	621	CALL ZERDY(N, ATEMP)
		2	IF APEL, SET INITIAL TOTAL ACTIVITY IN THE SYSTEM EQUAL TO THAT
TSN	0016	1	THE FUEL OF FUEL 1, 1=1 TO N AND S1, 52, 53, 54.
1.514	0010	e .	IF LEF THE IF OUTUND
		Č	CALCULATE TOTAL INITIAL ACTIVITY (MICROSURIES) IN RAGTIME COMPARTMENTS
I SN	1018	C.	TZERO = 0.0
ISN	0019		CALL SVAL (77580, S1, S2, S3, S4)
ISN	0020		00 41 [=1.N
ISN	0021		41 ATEMP(() = ((S1+S2)*A + (S3+S4)*ASUBG) * FO(1)
ISN	0022		40 CALL ZEROV(N, AWTEMP)
TSN	0023		T1=TIMEP(KP)
ISN	0024		IF (TI.GT.TIMEA(KA)) GO TO 20
ISN	0026		IF (KP.LT.MP) T2=TIMEP(KP+1)
15%	0028		IF (KP.EQ.MP) T2=TIMEA(KA)

I SN	0030	CALL RESIDIN, TR, TB, BRANCH, ATEMP, PTEMP, T1, T2,
		S AWTEMP, TIMEA(KA), IDIM)
ISN	0031	00 15 I=1.N
I SN	0032	AWIGL(I,KA)=AWIGL(I,KA)+AWTEMP(I)
ISN	0033	ACT(I,KA) = ATEMP(I) + ACT(I,KA)
1 SN	0034	15 CONTINUE
ISN	0035	20 CONTINUE
I SN	0036	25 CONTINUE
ISN	0057	RETURN
I SN	0038	END

### LEVEL 21.8 ( JUN 74 )

### CCMPILER OPTICHS - NAME= MAIN.OPT=02.LINECNT=60.SIZE=0000K, SOURCE.EBCDIC.NOLIST.NODECK.LOAD,MAP.NOEDIT.ID.NOXEEF ISN 0002 SUBROUTINE ZEROM(N.M.A) ISN 0003 DIMENSION A(N.M)

SN	0004	DO 10 1=1,N
ISN	0005	DO 10 J=1.4
SN	0006	A(I,J)=0.0
SN	0007	10 CONTINUE
SN	0008	RETURN
N.2	0009	END

### LEVEL 21.8 ( JUN 74 1

## 05/360 FORTRAN H

COMPILER OPTIONS - NAME: MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCOIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF ISN 0002 SUBROUTINE ZEROV(N,V) ISN 0003 DIMENSION V(N)

1	SM.	0004		00 10 1=1,N	
t	54	0005	10	V(I)=0.0	
Ţ	54	0006		RETURN	
Ţ	54	0007		END	

## LEVEL 21.8 ( JUN 74 )

# 05/360 FORTRAN H

		MPILER OPTIONS - NAME= MAIN, OPT=02, LINECNT=60, SIZE=0000K,
		SAUSCE, FBCDIC, NOLIST, NODECK, LOAD, MAP, NDEDIT, ID, NOXREF
1.24	0005	SUBROUTINE RESIDIN, TR, TB, BRANCH, A, P, T1, T2, AW, T, IDIM)
		C COMPUTES MICROCURIE-DAYS PESIDENCE AW(1) OF THE I-TH RADIOACTIVE
		C SPECIES IN A CHAIN OF N NUCLIDES. PARAMETERS TR, TB, AND
		C BRANCH ARE AS IN SUBRIUTINE TRAFUN. INPUT IS A PULSE VECTOR
		C P (MICROCURIES/DAY) FROM TIME TI TO TZ (DAYS). INITIAL VECTOR
		C OF ACTIVITIES IS A (MICPOCURIES), AND A IS UPDATED TO SHOW
		C FINAL ACTIVITIES. AW IS EVALUATED AT TIME T. IN CASE T IS
		C LESS THAN TI, S IS UNCHANGED AND AW IS ZERD.
		C IDIM IS THE MAXIMUM FIRST DIMENSION OF THE ARRAY BRANCH.
		C THE MAXIMUM DIMENSION 20 FOR THE APRAYS AL, PL AND AWI CORRESPONDS TO
		C N (THE NUMBER OF NUCLIDES IN THE CHAIN).
154	0003	REAL TR(N), TB(N), A(N), P(N), AW(N), BRANCH(IDIM, IDIM)
154	0004	REAL A1(20), P1(20), AW1(20)
1 SN	0005	CALL ZEROV(N,P1)
ISN	2006	1F (11.5T.T2) GO TO 20
154	0008	TTEMP=AMAX1(0.0, AMIN1(T, T2) - T1)
154	0009	CALL RESONS (TTEMP, N, TR, TB, BRANCH, P, A, A1, AW, IDIM)
154	0010	00 10 I=1,N
154	0011	10  A(I) = AI(I)
1 SN	0012	IF (T.LF.T2) GO TO 30
159	0014	TTEMP=T-T2
150	0015	CALL RESONS(TTE +P, N, TR, TB, BRANCH, P1, A, A1, AW1, IDIM)
154	0016	00 15 1=1.N
TSN	0017	A(T) = AI(T)
ISN	0018	4 I ] WA + I ] WA + I ] WA + I ] WA = 0 ] ] WA
TSN	00:9	15 CONTINUE
TSN	0020	20 CONTINUE
ISN	1500	TTEMP=AMAX1(0.0,T-T1)
1 SN	0022	CALL RESONS(TTEMP, N, TR, TB, BRANCH, PI . A, AI, AN)
ISN	0023	00 25 I=I,N
I SN	0024	25  A(I) = AI(I)
ISN	0025	30 RETURN
ISN	0026	END

LEV	FL	21.8 ( .	UN 74 1 DS/360 FORTRAN H
		COMP	PILER OPTIONS - NAME = MAIN. OPT=02. LINECNT=60. SIZE=0000K.
			SOURCE.EBCOIC.NOLIST.NODECK.LOAD. HAP.NOEDIT.ID.NOXREF
Ŧ	SN	0002	SUBROUTINE SVAL(T.S1.S2.S3.S4)
			C C C C C C C C C C C C C C C C C C C
			C RETURNS VALUES OF INTERCEPTION FRACTIONS \$1,52,53,54 AT TIME T (DAYS).
			c
1	SN	0003	COMMON /HRVST / HARTIM (30), NHARV
1	SN	0004	COMMON /EMERG/ EMERGE(30)
1	SN	0005	DOUBLE PRECISION HARTIM
I	SN	0006	REAL M.MFOS1
Ţ	SN	0007	MFOS1 = 1.0
I	SN	8000	\$L0=0.00075
1	SN	0009	ATAU=1 - 24 E-4
I	SN	0010	\$1=0.0
I	SN	0011	00 1 I=1. NHARV
1	SN	0012	IF(T.GE.EMERGE(I).AND.T.LT.HARTIM(I)) GO TO 2
1	SN	0014	1 CONTINUE
			C (F T DOES NOT LIE BETWEEN EMERGE(I) AND HARTIM(I) FOR ANY I=1 TO
			C NHARV. THEN S1=0.
I	SN	0015	GO TO 3
Ţ	SN	0016	2 TO=EMERGE(1)
Ţ	SN	0017	M = MFOS1*(1.0-EXP(-ATAU*(T**2-TO**2)))
1	SN	0018	$S_{1} = S_{1} O_{*}(M_{**}O_{*}S_{5})_{*}S_{5}O_{*}O_{*}O_{*}O_{*}O_{*}O_{*}O_{*}O_{*$
I	SN	0019	5 CONTINUE
1	SN	0020	IF(S1.LE.1.0) GO TO 4
			C SI SHOULD NOT EXCEED 1.
I	SN	0022	WRITE(3.5) SI
1	SN	0023	5 FORMAT( 1051 VALUE (
T	SN	0024	STOP
i	SN	0025	$4 S_{2=1}^{2=0} - S_{1}$
1	SN	0026	\$3= 0.25
Ť	SN	0027	S4= 0.75
i	SN	0028	RETURN
Ť	SN	0029	END
	1000	and the second s	

EVEL	21.8 t J	UN 74 1		0\$7363	FORTRAN H	
	COMP	PILER OPTI	ONS - NAME: MAIN, OP SOURCE, FBCDIC,	T=02,LINECN NOLIST,NODE	T=60,512E=0000K CK,LOAD,MAP,NOE	DIT, ID, NOXREF
I SN	0002	C DEELNE	BROUTINE HARVST	51		
		C HA	RTIM(I), I=1 TO NHAL			
		C AND CO C COMMON	MMUNICATES THESE VAL BLOCK /HRVST/.	UES TO SURR	OUTINE CALC VIA	
I SN I SN	0003	C Dn CO	UBLE PRECISION HARTI MMON /EMERG/ EMERGEL	M 301		
I SN I SN I SN	0005 0006 0007	C O NH EM	$\frac{1}{1000} = 1$ $\frac{1}{1000} = 70.$	301, NH AR V		
I SN I SN I SN	0008	HA RE EN	RTIM(1) = 175.000 TURN			

LEVE	21.	8 (	JUN 74	1	05/360	FORTRAN H
		COM	PILER D	PTIONS - NAME - MAIN,	OPT=02.LINECN	IT=60,512E=0000K,
				SOURCE, EBCDI	C, NOLIST, NODE	CK, LOAD, MAP, NOEDIT, ID, NOXREE
1.51	000 0	12		SUBPOUTINE TIMDEP (T	, TAUPTI	
			с			
			C ***	********	***	
			C * 5	USROUTINE TIMDE	p #	
			C ***	* ***** *****	<b>单</b> 卒卒	
			C			
			C T1	MDEP RETURNS TAUPT(1)	= TRANSFER (	OEFFICIENT FROM P TP T ISUBSUR-
			C FA	CE SOIL POOL TO PLANT	INTERIORI FO	DR NUCLIDES NAMNUCIII, 1=1, NUMNUC.
			C TA	UPT IS BASED ON THE T	IME INTERVAL	CONTAINING T.
			C			
15	N 000	3		DIMENSION TAUPT(15)		
			с	and the second second	المتعادية المحاصية	
15	1 0.00	) 4		COMMON PHRYSTY HARTI	MISOI, NHARV	
15	1 000	) 5		COMMON /EMERG/ EMERG	E(30)	
15	00 0	) 6		COMMON /CROPS/ MFO		
15	N 00	7 (		COMMON INAMESI NAMNU	C(15)	
1 S	N 001	38		COMMON INUMERSINUMNU	C	THEY CLICK CONCLICK, DOUDLY/151
15	N 30	) 9		COMMON /DEP/ LAMRR(1	51, FSUBM(15)	TAUEXCLIDI, FSUBFLIDI, 05001 VILDI
15	1 00	10		COMMON /INDEP/ A.ASO	86,05086,M501	TAUCO IL VEIDE CHALLO DHO
				а тапин	A TAURUATAURO	1403P+0+43060+384260+880
			ç		MARINE MARTIN	
15	N 00	11		DOUBLE PRETISTION NA	MNU , MARILM	
15	N 00	1.2		REAL LAMRA, MSUBB, MP	0	
			.Ç.:	ATAU - 1 265-6		
15	N 00	1.5	~	A ( AU = 1 + 240 - 4		
			C 61	NO THE TIME INTERVAL	CEMERGEL IN TO	HARTIMLI ) CONTAINING T.
10		1.6	10 10	OO TO IST. NHARY	seneroes of the	
15	N 30	15		IF IT GE. EMERGEI	JI . AND. T .I	LT. HARTIM(J)) GO TO 20
15	N DO	17	1.0	CONTINUE		
			c			
			C T	IS NOT IN ANY OF THE	GIVEN TIME IN	NTERVALS (EMERGE(J) TO HARTIM(J)
TS	N 00	1.8		00 15 1=1.NUMNUC		
15	1 00	19		TAUPT(1) = 0.0		
15	N 00	20	15	CONTINUE		
			C			
			C F!	O OF PROCESS IF T IS	OUTSIDE OF TH	HE GIVEN TIME INTERVALS.
15	N 00	21		GO TO 30		
			C			
			с т	IS IN THE TIME INTERN	AL EMERGE(J)	TO HARTIMIJI. TO IS EQUAL
			C TI	THE EMERGENCE TIME	OR THE CROP	INTERVAL.
1 9	N 00	22	20	TO = EMERGE(J)		
			C			
			C C	ALCULATE TAUPT FOR EAG	CH NUCLIDE IN	THE CHAIN.
15	1 00	23		00 25 I=1,NUMNUC		
19	N 00	24		UDOT = 2.0 * ATAU	* T * EXP(-A	TAU * (T**2 - TO**2))
19	N 30	25		TAUPT(I) = (MFO *	UDNT * BSUBI	V(1)) / (10000.0 * A * SMALLO*RHO
15	N 00	3.6	25	CONTINUE		
		1.1	C	a subsection of the section of the s		
15	N 00	27	30	RETURN		
15	N 00	2.8		END		

LEVEL.	21.8	( JUN	74 1	
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## OS/360 FORTRAN H

	c	OMPILER OPTIONS - NAME: MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOUPCE, ERCDIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, IO, NOXREF
1 SN	0.02	SUBROUTINE QUERY(T, IANS)
		C IS CALLED BY SUBROUTINE CALC TO DETERMINE WHETHER OF NOT TIME T (DAYS) IS
		C A HARVEST TIME. THE VALUE OF IANS IS SET TO C
		C 1 IF T IS A HARVEST TIME.
		C O LE NOT-
		C OHERY SEARCHES THE ARRAY HARTIN, WHICH IS DEELNED BY SUBROUTINE HARVST.
		C IN ORDER TO OFFERMINE WHETHER OF NOT TILS & HARVEST TIME, I.E. WHETHER
		C DE SADER TO DETERMITE AND THE A DE HER TO A MARTER THEFT THE AND THE
1.044	0007	
1.59	00005	
ISN	0004	DOUBLE PRECISION HAR IM,
1 SM	0005	IANS = 0
ISN	0006	DO I J=1,NHARV
ISN	0007	IF (T.EC.HARTIM(J)) IANS=1
I SN	0009	IF(IANS.EQ.1) GO VO 2
I SN	0011	1 CONTINUE
ISN	0012	2 RETURN
ISN	0013	END

EVEL	21.8	( JU!	174) DS/363 FORTRAN H
	(	OMPIL	ER OPTIONS - NAME= MAIN, OPT=02, LINECNT=60, SIZE=0000K, SOURCE, EBCDIC, NOLIST, NODECK, LOAD, MAP, NOEDIT, ID, NOXREF
			RAGTIME
			PROGRAM AUTHORS : J.C.PLEASANT, L.M.MCDOWELL-BOYER, AND G.G.KILLOUGH HEALTH AND SAFETY RESEARCH DIVISION DAK RIDGE NATIONAL LABORATORY DAK RIDGE, TENNESSEE 37830
		1	PTR IS USED TO REPRESENT THE UNIT NUMBER ASSOCIATED WITH THE LINE PRINTER. RDR IS USED TO REPRESENT THE UNIT NUMBER ASSOCIATED WITH THE CARD READER.
	0002 0003 0004		COMMON /IDDEV / PTR.RDR INTEGER PTR.RDR RDR = 5 PTR = 6
I SN	0006	(	IFLAG = 0
			IFLAG IS A PARAMETER PASSED IN SUBROUTINE INPUT WHICH DIRECTS THE FLOW OF THE PROGRAM. IF IFLAG IS SET TO ZERO, THE ENTIRE SUBROUTINE IS EXECUTED AND IFLAG IS SET EQUAL TO ONE. THIS ENABLES A BRANCH TO BE MADE AROUND THE PORTION OF CODE THAT INPUTS THE NUCLIDE INDEPENDENT PARAMETERS ON SUCCESSIVE CALLS FOR THE VARIOUS CHAINS BEING STUDIED.
I SN I SN	0007		READ (RDR.10) NCHAIN 10 FORMAT (10X,12)
ISN ISN ISN ISN ISN ISN	0009 0010 0011 0012 0013 0014 0015		DO 20 I = 1.NCHAIN CALL INPUT (IFLAG) CALL OUTDAT CALL CALCIN CALL HARVST CALL CALC CALL CHECK 20 CONTINUE
1.314	0010		

ISN 0017 ISN 0018

С

STOP END

# Job Control Language (JCL) fcm RAGTIME

Job control language varies from one computer installation to another. For execution of RAGTIME on the IBM 360/91 at Oak Ridge National Laboratory, the following JCL arrangement has been used:

```
//jobname JØB (charge no.),'X-10 7509 PLEASANT'
//*CLASS CPU9I=44S,IØ=2.8,REGIØN=270K
/*RØUTE XEQ CPU91
// EXEC FØRTHCLG,REGION.GØ=270K,PARM.GØ='EU=-1'
//FØRT.SYSIN DD *
```

source decks (RAGTIME MAIN and subroutines)

//LKED.GEAR DD DSN=T.GGK05716.GEAR,DISP=SHR,UNIT=SPDA, // DCB=(RĒCFM=FB,LRECL=80,BLKSIZE=800) //LKĒD.SYSIN DD \* INCLUDE\_GEĀR /\* //GØ.FT03F001\_DD\_SYSØUT=A,DCB=(RECFM=VBA,LRECL=137,BLKSIZE=1000) //GØ.FT01F001\_DD \*

data deck

1\* 11

The underline (\_) is used to indicate a space. The JCL shown above makes use of compiled code for GEAR stored in the system as a catalogued data set and made available to the Linkage Editor through the JCL statements comprehended by the brace. If the subroutines of the GEAR package are to be compiled along with RAGTIME, they should be included with the source decks and the JCL statements in the brace deleted. The additional compilation time would require that the limits on the CLASS card be revised. We note also that other sets of input data (e.g., radionuclide chains with more than two species or multiple problems within one job) will require longer running times. Moreover, the running times will vary greatly with the model of IBM system and other local factors. APPENDIX B SAMPLE RUN OF THE RAGTIME CODE

### APPENDIX B

Output from a sample run of the currently implemented version of RAGTIME is provided in this appendix. Values for all state variables are listed, and concentrations in grains, milk, and beef are plotted versus time in Fig. B.1, B.2, and B.3. A number of parametric values had to be specified and options chosen to complete this run (see Table B.1). Table B.2 exhibits a listing of the data cards used for the sample run.

Following is a brief description of values and options specified for the sample run conducted, which considers a chronic deposition term  $(F_i)$  of 1 µCi <sup>90</sup>Sr per m<sup>2</sup> per day, beginning 70 days prior to emergence of the grain. Compartment  $E_i$ , representing direct contamination of the surface of above-ground food crops through interception of depositing radionuclides, was considered to consist only of grain crops. In doing so, the time-dependent intercepting efficiency of the edible portion of the crop, the grain, was modeled using empirical values describing projected surface area as a function of plant mass, rather than using the geometric approach (see Sect. 3 discussion). Both empirical values and plant growth curves were obtained mainly from work documented by Miller<sup>1</sup> of the Stanford Research Institute. An equation describing the mass m of the grain per plant (grams/plant) was adopted from Miller; at any time  $t \ge t_0$ ,

$$m = m_{f}^{0} \left[ 1 - e^{-a_{\tau}(t^{2} - t_{0}^{2})} \right] , \qquad (B.1)$$

where  $m_f^0$  = final mass of grain at harvest (grams/plant);  $t_0$  = time of emergence of grain (days), and  $a_{\tau}$  = growth coefficient (day<sup>-2</sup>). All of these input parameters represent averages for a number of grain varieties. For the sample run of RAGTIME, the following values were used:

$$m_f^0 = 1 \text{ gram/plant}$$
  
 $t_0 = 70 \text{ days}$   
 $a = 1.24 \times 10^{-4} \text{ day}^{-2}$ 



Fig. B.1. Predicted concentrations of  $^{90}\text{Sr}$  and  $^{90}\text{Y}$  in grain vs time (1  $\mu\text{Ci}$  m^-2 day^-1 deposition of  $^{90}\text{Sr}$ ).







Fig. B.3. Predicted concentrations of  $^{90}\text{Sr}$  and  $^{90}\text{Y}$  in beef vs time (1  $\mu\text{Ci}$  m^{-2} day^{-1} deposition of  $^{90}\text{Sr}$ ).

Parameter	FORTRAN name	Specific for	√alue used	Reference or section of report containing discussion
A	A		$1,000 m^2$	4
A	ASUBG		$10,000 \text{ m}^2$	4
a,	ATAU	grains	$1.24 \times 10^{-4} \text{ day}^{-2}$	App. B
B <sub>21</sub>	B(2,1)		1 (= radioactive branching radio from <sup>90</sup> Sr to <sup>90</sup> Y)	Sect. 6.1
B <sub>iv</sub>	BSUBIV(I)		0.290 for <sup>90</sup> Sr, 0.00430 for <sup>90</sup> Y	2, 3
d	SMALLD		20 cm	4
D	DSUBG		0.15 kg m <sup>-2</sup>	4
F <sub>i</sub> (t)	F(1,T)		$F_1(t) = 1 \ \mu Ci \ m^{-2} \ day^{-1}$ $F_2(t) = 0 \ \mu Ci \ m^{-2} \ day^{-1}$	App. B
(F <sub>f</sub> ) <sub>i</sub>	FSUBF(I)		3.0 x 10 <sup>-4</sup> for ${}^{90}$ Sr 5.8 x 10 <sup>-3</sup> for ${}^{90}$ Y	2
(F <sub>m</sub> ) <sub>i</sub>	FSUBM(I)		2.4 x $10^{-3}$ for ${}^{90}$ Sr 2.0 x $10^{-5}$ for ${}^{90}$ Y	2

Table B.1. Values of parameters and other quantities used in sample run of RAGTIME for the  $^{90}{\rm Sr},~^{90}{\rm Y}$  decay chain  $^{\alpha}$ 

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Parameter	FORTRAN name	Specific for	Value used	Reference or section of report containing discussion
$\lambda_i^R$	LAMRR(I)		$\lambda_1 = 6.66 \times 10^{-5} \text{ day}^{-1}$ $\lambda_2 = 0.26 \text{ day}^{-1}$	6
m	М	grains	$ \begin{array}{c} & & -a_t(t^2 - t_0^2) \\ m_f \left[ 1 - e^{-t} \right], \ t \ge t_0, \\ & \text{where $t$ represents time (days)} \end{array} $	1
Mb	MSUBB		200 kg	4
M <sub>f</sub>	MF0S1	grains	l g/plant	App. B
M <sub>f</sub>	MFO	grains	250,000 g	App. B
nL	NSUBL	grains	0.455	1
ρ	RHØ	soil	1.4 g/cm <sup>-3</sup>	4
$S_1$	S1	grains	0.00075 m <sup>0.545</sup> w	1
S2	S2	grains	1 - S1	Sect. 3.1
$S_{3}$	\$3	pasture	0.25	Sect. 4.1
-S <sub>4</sub>	S4	pasture	0.75	Sect. 4.1
SL	SL	grains	0.00075m <sup>-0</sup> .455	1
sL	SLO	grains	0.00075	1

Table B.1 (continued)

Parameter	FORTRAN name	Specific for	Value used	Reference or section of report containing discussion
tbeef	TAUBEF		$3.81 \times 10^{-3} \text{ day}^{-1}$	4
τ <sub>e.s</sub>	TAUES		0.0495 day -1	4, 7
τ <sub>exc</sub>	TAUEXC(I)		2.0 x 10 <sup>-3</sup> day <sup>-1</sup> for ${}^{90}$ Sr, 2.0 x 10 <sup>-3</sup> day <sup>-1</sup> for ${}^{90}$ Y	4
τ <sub>α.*</sub>			$V_c/(A_0D_q) = 6.67 \times 10^{-3} \text{ day}^{-1}$	Sect. 4.1
(r <sub>a,b</sub> ) <sub>i</sub>	TAUGB(I)		$[(F_f)_i(\tau_{exc})_iV_c]/D_q$	Sect. 4.2
(t <sub>a.c</sub> ) <sub>i</sub>	TAUGC(I)		[(F <sub>m</sub> ) <sub>i</sub> T <sub>milk</sub> V <sub>c</sub> ]/D <sub>q</sub>	Sect. 4.2
t <sub>a</sub> r	TAUGR		0.0495 day-1	4, 7
T <sub>milk</sub>	TAUMLK		2 day-1	4
T <sub>D</sub> .h	TAUPH		1.096 x 10 <sup>-4</sup> day <sup>-1</sup>	4, 8
$(\tau_{n,t})_i$	TAUPT(I)	grains	$[M_{f}^{0}\dot{U}(t)B_{iv}]/(10,000 \times Adp)$	App. B
T <sub>r.d</sub>	TAURD		1.096 x 10 <sup>-4</sup> day <sup>-1</sup>	4, 8
T <sub>r</sub> a	TAURG		$2.74 \times 10^{-5} \text{ day}^{-1}$	Sect. 4.1
T <sub>c</sub> p	TAUSP		$6.93 \times 10^{-4} \text{ day}^{-1}$	Sect. 2.1
th	TIMBH		20 days	5

Table B.1 (continued)

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Parameter	FCRTRAN name	Specific for	Value used	Reference or section of report containing discussion
t <sub>c</sub> <sup>h</sup>	TIMCH		2 days	App. B
to	ТО	grains	70 days	App. B
U	U		5.5 liters	4
Ů(t)	UDØT	grains	$\begin{array}{c} -a_{\tau}(t^2 - t_0^2) \\ 2a_{\tau}te & , t \ge t_0, \\ \text{where t represents time (days)} \end{array}$	1
V <sub>c</sub>	VSUBC		10 kg day-1	4
w	W	grains	∠50 plants m <sup>-2</sup>	App. B

Tabl	e 6.	1 (	con	ti	nued	0
		- 1	Sec. 26. 2. 2		1.1.66.00.00	1

 $^{\alpha}$  The subscript i used with parameter names refers to the  $i\, th$  nuclide (i = 1 for  $^{90}\text{Sr},$  i = 2 for  $^{90}\text{Y}).$ 

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1.1.1.1.1.1.1

Table B.2.	Format of input	parameters	for RAGTI
NCHAIN	1		
5890 790	0 • 0 0 • 0		
0	.0E0	1.0E0 0.0E0	
SR 90	<b>X 3</b> 0	1.0	
1 AMPR SR9 FSUHF SR9 FSUHF SR9 BSUHIVSR9 TAUEXCSR9 LAMRR Y90 FSUHF Y90 FSUHF Y90 BSUHIVY90 TAUEXCY90	365           06.66         E=0           02.4         E=0           03.0         E=0           02.9         E=0           02.002         E=0           2.0         E=0           2.0         E=0           5.8         E=0           4.3         E=0           0.002         E=0	5341	
ASUBG DSUBF DSUBG SMALLD D1 D2 D3 D4 MSUBB RHO TAUBEF	1000.0 10000.0 0.1 0.15 20.0 0.25 1.0 1.0 1.0 200.1 1.0 200.1 1.0 200.1 1.0 200.1 1.0 200.1 1.0 200.1 1.0 2.0 1.0 2.0 1.0 2.0 1.0 1.0 1.0 1.0 1.0 1.0 1.0 1		
TAURM TAUES	2 • 0 0 • 3 1 • 0 0 • 0495 0 • 0495 0 • 0001096 0 • 0000274 0 • 000693 • 00 5 • 5 0 • 25 10 • 0 280000000 • 0 1 • 0E + 0 5 • 0E = 0 5 • 0E = 0	1	

The specified values were derived from a minimum of data, for the grain of one variety of wheat, and thus may not be the best values to use for other simulations.

We have made use of Eq. (B.1) in deriving time-dependent values for the interception fraction  $S_1$  and a normalized version of this equation in the derivation of values for the transfer coefficient  $(\tau_{p,t})_i$ . The fraction  $S_1$  may be viewed as the ratio of the projected surface area  $(m^2)$  of the grain to the area  $(m^2)$  of the land on which the crop is grown. Thus,  $S_1$  is related to the specific area,

$$S_L = \frac{\text{projected surface area of grain }(m^2)}{\text{mass of grain }(\text{grams})}$$

by the equation

$$S_1 = S_1 mw$$
 (B.2)

where m = mass of grain per plant (grams), and w = number of plants per square meter of land. The specific area,  $S_L$ , may be fitted to an equation of the form

$$s_{L} = s_{L}^{0} m$$
(B.3)

in which  $S_L^0$  and  $n_L$  are empirical constants and m is the time-dependent mass of the grain per plant as given in Eq. (B.1). This model is adopted from ref. 1 (p. 177). Using the values  $S_L^0 = 0.00075$  and  $n_L = 0.455$  from this document, the value of  $S_1$  is calculated from Eqs. (B.2) and (B.3) to be

 $S_1 = 0.00075 \text{ m}^{0.545} \text{ w}$ 

For the root uptake compartment  $T_i$ , again only grains were considered in the sample run. The rate (microcuries day<sup>-1</sup>) at which radioactivity is absorbed by plant roots is represented in Eq. (2.9) by

the term  $(\tau_{p,t})_i P_i$ , where  $P_i$  represents the radioactivity (µCi) present in the subsurface soil iool associated with one man's food supply. As in our discussion of Eq. (B.1), it follows that the total mass (grams), as time  $t \ge t_0$ , of grain in compartment  $T_i$  is given by  $M_f^0U(t)$ , where

$$U(t) = 1 - e^{-a_{t}(t^{2} - t_{0}^{2})}$$
(B.4)

and  $M_f^0$  = total mass (grams) of crop at harvest time grown on land associated with one man's food supply. The rate of root absorption of radioactivity,  $(\tau_{p,t}) P_i$  (microcuries day<sup>-1</sup>) is assumed to be the product of the rate of increase of grain mass  $M_f^0U(t)$ (grams day<sup>-1</sup>) and the radioactivity concentration in grain (microcuries gram<sup>-1</sup>), the latter quantity being approximated by

$$\frac{B_{iv}P_{i}}{mass (grams) of soil} = \frac{B_{iv}P_{i}}{10,000 \times Ad\rho}$$
(B.5)  
in compartment P;

where  $B_{iv}$  = concentration of nuclide i per unit fresh weight in plant (µCi kg<sup>-1</sup>) divided by concentration of nuclide per unit dry weight in soil (µCi kg<sup>-1</sup>); A = soil area used for crop production, chosen as  $10^3$  m<sup>2</sup> here; d = plow depth, assumed to be 20 cm; and  $\rho$  = soil density, assumed to be 1.4 g cm<sup>-3</sup> (dry weight). This derivation then leads to the equation

$$(\tau_{p,t})_{i} = \frac{M_{f}^{0} \dot{U}(t) B_{iv}}{10,000 \times Ad\rho} , \qquad (B.6)$$

where

$$\hat{U}(t) = 2a_{\tau}t \cdot e^{-a_{\tau}(t^2 - t_0^2)}$$
 (B.7)

Factors describing growth rate [i.e.,  $\dot{U}(t)$  and  $a_{\tau}$ ] were again derived from empirical data available for grains<sup>1</sup> and are consistent with those used in estimating interception of airborne radionuclides by grains. Values of  $B_{iv}$  (see Tatine B.1) were derived from empirically obtained data for the elements Sr and Y.<sup>2</sup>,<sup>3</sup>

For compartments  $B_i$  and  $C_i$ , respectively representing beef and milk concentrations of  ${}^{90}\text{Sr}$  and  ${}^{90}\text{Y}$ , all parameters were defined and assigned values in Sect. 4 of this document, with the exception of  $(\tau_{exc})_i$ ,  $(F_f)_i$ ,  $(F_m)_i$ ,  $t_b^h$ , and  $t_c^h$ . A constant value of 0.002 day<sup>-1</sup>, adopted from TERMOD,<sup>4</sup> has temporarily been assigned to  $(\tau_{exc})_i$ . This value for  $(\tau_{exc})_i$  represents the fractional weight gain per day for a mature steer, and thus implies that dilution of the elemental concentration is due only to growth. In this sense, it represents the lower limit for  $(\tau_{exc})_i$ , and thus may underestimate loss from the beef compartment because metabolic turnover, which may be element-specific, is neglected. Values for  $F_f$  and  $F_m$  (Table B.1) were taken from a review of literature concerning uptake of these elements by cattle and subsequent transfer to meat and milk, respectively.

The holdup times for compartments  $B_i$  and  $C_i$  were specified using values either given in, or derived from, the U. S. Nuclear Regulatory Commission's (USNRC) Regulatory Guide 1.109 (October, 1977).<sup>5</sup> The assumed time between slaughter and consumption of beef  $(t_b^h)$  was 20 days, and between milking and milk consumption  $(t_c^h)$  was 2 days, the latter representing one-half of the total time given for transfer from feed, through milk, to man. For compartments  $E_i$  and  $T_i$ , holdup times were not specified, but rather the concentrations after harvest are printed at each output time so that the value of this parameter is left to the user's discretion.

# REFERENCES - APPENDIX B

- C. F. Miller, Operation Ceniza-Arena: Fetention of Fallout Particles from Volcan Irazu (Costa Rica) by Plants and People, Part Three, SRI-MU-4890, Stanford Research Institute, Menlo Park, California (December 1967).
- R. E. Moore, C. F. Baes III, L. M. McDowell-Boyer, A. P. Watson, F. O. Hoffman, J. C. Pleasant, and C. W. Miller, AIRDOS-EPA: A Computerized Methodology for Estimating Environmental Concentrations and Dose to Man from Airborne Releases of Radionuclides, ORNL-5532, Oak Ridge National Laboratory, Oak Ridge, Tennessee (June 1979).
- E. M. Romney, J. W. Neal, H. Nishita, J. H. Olafson, and K. H. Larson, "Plant Uptake of Sr90, Y91, Ru106, CS137, and Cel44 from Soils," *Soil Sci.* 83, 369-376 (1957).
- R. S. Booth and S. V. Kaye, A Preliminary Systems Analysis Model of Radioactivity Transfer to Man from Deposition in a Terrestrial Environment, ORNL/TM-3135, Oak Ridge National Laboratory, Oak Ridge, Tennessee (October 1971).
- 5. U. S. Nuclear Regulatory Commission, Calculation of Annual Doses to Man from Routine Releases of Reactor Effluents for the Purpose of Evaluating Compliance with 10 CFR Part 50, Appendix I, Regulatory Guide 1.109, Revision 1, USNRC, Washington, D. C. (October 1977).
- D. C. Kocher, Nuclear Decay Data for Radionuclides Occurring in Routine Releases from Nuclear Fuel Cycle Facilities, ORNL/NUREG/ TM-102, Oak Ridge National Laboratory, Oak Ridge, Tennessee (August 1977).
- J. D. Zimbrick and P. G. Voilleque, ed., 1967 CERT Progress Report, Controlled Environmental Radioiodine Tests at the National Reactor Testing Staticn, Progress Report Number Four, IDO-12065, Idaho Falls, Idaho (December 1968).
- R. G. Menzel, "Factors Influencing the Biological Availability of Radionuclides for Plants," *Fed. Am. Soc. Exptl. Biol. Proc.* 22, 1398-1401 (1963).

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