

**A SIMPLIFIED METHOD OF COMPUTING
CLAD AND FUEL STRAIN AND STRESS
DURING IRRADIATION**

POOR
ORIGINAL

University of California at Los Angeles
for
U. S. Nuclear Regulatory Commission

7909120488

733 040

NOTICE

This report was prepared as an account of work sponsored by the United States Government. Neither the United States nor the United States Nuclear Regulatory Commission, nor any of their employees, nor any of their contractors, subcontractors, or their employees, makes any warranty, express or implied, nor assumes any legal liability or responsibility for the accuracy, completeness or usefulness of any information, apparatus, product or process disclosed, nor represents that its use would not infringe privately owned rights.

POOR
ORIGINAL

Available from
National Technical Information Service
Springfield, Virginia 22161
Price: Printed Copy \$9.75 ; Microfiche \$3.00

The price of this document for requestors outside of the North American Continent can be obtained from the National Technical Information Service.

733-041

A SIMPLIFIED METHOD OF COMPUTING CLAD AND FUEL STRAIN AND STRESS DURING IRRADIATION

Y-H Sun and D. Okrent

Principal Investigators
I. Catton
W. E. Kastenberg

Manuscript Completed: January 1977
Date Published: June 1977

School of Engineering and Applied Science
University of California
Los Angeles, CA 90024

Prepared for
Division of Reactor Safety Research
Office of Nuclear Regulatory Research
U. S. Nuclear Regulatory Commission
Under Contract No. AT(49-24)-0246

733 042

PREFACE

This report represents one aspect of the research program "Safety Considerations of Commercial Liquid Metal Fast Breeder Reactors" (AT(04-3) PA223 and AT(49-24)-0246) funded by the U.S. Nuclear Regulatory Commission, Division of Reactor Safety Research. The research program is divided into the following tasks; a) transient analysis of fuel elements, b) accident analysis, c) post accident heat removal, d) fuel-coolant interactions and e) thermodynamic effects.

Reports prepared previously under this grant include the following:

1. Post Accident Heat Removal with Advanced LMFBR Fuels, R.D. Gasser, UCLA-ENG-7518 (March 1975).
2. Dry-out of a Fluidized Particle Bed with Internal Heat Generation; R.S. Keowen and I. Catton, UCLA-ENG-7519 (March 1975).
3. Laminar Natural Convection From Blunt Bodies with Arbitrary Surface Heat Flux or Surface Temperature; G.M. Harpole, UCLA-ENG-7527 (April 1975).
4. Preliminary Assessments of Carbide Fuel Pins During Mild Overpower Transients; G.M. Nickerson, UCLA-ENG-7582 (October 1975).
5. A Simplified Method of Computing Clad and Fuel Strain and Stress During Irradiation; Y. Sun and D. Okrent, UCLA-ENG-7591 (Part I) (October 1975).
6. An Experimental Study of the Thermal Interaction for Molten Tin Dropped into Water; V.M. Arakeri, I. Catton, W.E. Kastenberg and M.S. Plesset, UCLA-ENG-7592 (December 1975).
7. A Mechanistic Study of Fuel Freezing and Channel Plugging During Fast Reactor Overpower Excursions; V.K. Dhir, K. Wong and W.E. Kastenberg, UCLA-ENG-7679 (July 1976).

8. A Simulation of Thermal Phenomenon Expected in Fuel Coolant Interactions In LMFBR's; J. Yasin, UCLA-ENG-76100, (September 1976).
9. On the Nonequilibrium Behavior of Fission Gas Bubbles With Emphasis on the Effects of Equation of State; W. G. Steele, UCLA-ENG-76118 (December 1976).
10. A Method for the Determination of the Equation of State of Advanced Fuels Based on the Properties of Normal Fluids; M. J. Hecht, UCLA-ENG-76122 (December 1976).

TABLE OF CONTENTS

LIST OF FIGURES vi

ACKNOWLEDGMENT viii

VITA AND PUBLICATIONS ix

ABSTRACT x

CHAPTER I. INTRODUCTION 1

CHAPTER II. THEORY 5

 II.1 The Displacement-Inelastic Strain and
 the Stress-Inelastic Strain Relations 5

 II.2 Inelastic Strain 10

 II.2.1 The Stress and Strain Relation
 in Creep Deformation 10

 II.2.2 The Creep Strain Rate 12

 II.2.3 The Swelling Strain 13

 II.2.3.1 The Swelling Strains in Cladding 13

 II.2.3.2 The Swelling Strain in the
 Fuel Region 14

 II.2.4 Hot Pressing 16

 II.2.5 Fission Gas Release and
 the Gas Pressure 17

CHAPTER III. THE PROCESS OF PROBLEM SOLVING 21

 III.1 The Basic Process

 III.2 Determination of the Mechanical Force (P_{fc})
 Between the Fuel and the Clad After the
 Gap is Closed 25

 III.3 Interaction for Creep Precision in the Fuel 28

 III.4 A Simplified Flow Chart 31

CHAPTER IV. PRELIMINARY CALCULATIONS 35

 IV.1 Calculations for Fuel Pin PNL-10-23 35

 IV.2 Calculations for 6 kW/ft and 15 kW/ft
 Fuel Pins Irradiated in EBR-II 37

733 0-5

TABLE OF CONTENTS (Cont'd.)

IV.2.1.	The Low Power Case (6kW/ft)	37
IV.2.2	The High Power Case (15.2 kW/ft).	39
CHAPTER V.	APPLICATIONS	41
V.1	List of Applications	41
V.2	Calculation of the Fuel Element Behavior in CRBR	43
V.3	Calculations for Fuel Element Behavior in a Conceptual 1000 MW LMFBR	65
V.4	The Rate of the Fuel Swelling	73
V.5	Discussion of Applications	73
V.5.1	The Fuel-Clad Mechanical Interaction.	73
V.5.2	The Stress in the Clad.	75
V.5.3	The Strain in the Clad	78
V.5.4	Sensitivity of the Clad Swelling Correlation	79
V.5.4.1	High Power Case	79
V.5.4.2	Mid-Power Case	82
V.5.4.3	Low Power Case	85
V.5.4.4	The Average Values of t_G , P_{fc} , $(\sigma_{\theta}^c)_{max}$, and (e_{θ}^c)	87
V.5.5	The Rate of Fuel Swelling	88
V.6	Results and Discussion of Sensitivity Calculation for the Fuel Properties	88
V.6.1	The 12 kW/ft Fuel Element	88
V.6.2	The 9 kW/ft Fuel Element	91
V.6.3	The 6 kW/ft Fuel Element	93
CHAPTER VI.	CONCLUSIONS	97
REFERENCES	259
APPENDIX:	LIST OF THE PROGRAM	261

733 046

LIST OF FIGURES

Figure II-1. Effect of Alloying UO_2 with PuO_2 15

Figure II-2. Predicted Gas Release for a Mixed-Oxide Fueled Pin 19

Figure III-1 Radial Section of the Fuel Element 22

Figure III-2 Free Body Diagram of the Fuel Region 24

Figure III-3 Free Body Diagram of the Cladding 24

Figure III-4 The Determination of $(DP)_2$ 27

Figure III-5 The Determination of (DP) 27

Figure III-6 Adjusted Time Increment, Δt , Versus Maximum Fractional Stress Increment - First Trial 30

Figure III-7 Adjusted Time Increment, Δt , Versus Maximum Fractional Stress Increment - m^{th} Trial 30

Figure III-8 Flow Chart for Creep Precision Iteration 33

Figure III-9 Simplified Flow Chart 34

PRELIMINARY CALCULATIONS

Figure E-1 through E-6 99-104

CRBR CALCULATIONS

12 kW/ft Cases

Case A0: Figure A0-1 through A0-7 105-111

Case A1: Figure A1-1 through A1-7 112-118

Case A3: Figure A3-1 through A3-7 119-125

Case A4: Figure A4-1 through A4-8 126-133

Case R1: Figure R1-1 through R1-3 134-136

9 kW/ft Cases

Case B0: Figure B0-1 through B0-7 137-143

Case B1: Figure B1-1 through B1-5 144-148

Case B3: Figure B3-1 through B3-8 149-156

Case B4: Figure B4-1 through B4-8 157-164

Case R2: Figure R2-1 through R2-3 165-167

733 047

LIST OF FIGURES (Cont'd.)

6 kW/ft Cases

Case N0: Figure N0-1 through N0-6 168-173
Case N1: Figure N1-1 through N1-6 174-179
Case N3: Figure N3-1 through N3-6 180-185
Case N4: Figure N4-1 through N4-6 186-191

CONCEPTUAL LMFBR CALCULATIONS

15 kW/ft Cases

Case H0: Figure H0-1 through H0-9 192-200
Case H1: Figure H1-1 through H1-7 201-207
Case H5: Figure H5-1 through H5-3 208-210

9 kW/ft Cases

Case M0: Figure M0-1 through M0-7 211-217
Case M1: Figure M1-1 through M1-5 218-222

RATE OF FUEL SWELLING

Figure SFW 223

SENSITIVITY CALCULATIONS FOR FUEL PROPERTIES

12 kW/ft Cases

Figure SA-1 through SA-12. 224-235

9 kW/ft Cases

Figure SB-1 through SB-12 236-247

6 kW/ft Cases

Figure SN-1 through SN-10 248-257

ACKNOWLEDGMENT

I would like to express my great appreciation to all members of my Ph.D. Committee for their support and interest. I would like to thank especially Professor D. Okrent for his continued help and his patience, and for providing me with the financial support necessary to develop my ideas and incorporate them into computer codes. I am also grateful to Professor R. A. Westmann for many useful discussions.

Mrs. V. Temes provided great help by editing the whole of this thesis. Mr. J. C. Cherng prepared the figures through many hours of effort. Their help is greatly appreciated.

733 049

VITA

January 5, 1946--Born, Chen-Do, Republic of China
1968--B.S., National Tsing-Hua University (Taiwan, Republic of China)
1969-1970--Teaching Assistant, National Tsing-Hua University
1970-1971--Laboratory Assistant, National Tsing-Hua University
1971--M.S., National Tsing-Hua University
1972-1976--Research Assistant, School of Engineering and Applied
Science, University of California at Los Angeles

PUBLICATIONS

- YANG-HO SUN, J. P. CHIEN
"Rossi-Alpha Experiments in ZPR-L," Tsing-Hua Nuclear News,
1, 25, 1971.
- Y. SUN, D. OKRENT, A. WAZZAN
"Probabilistic Formulation of Fission Gas Release in Uranium
Alloy Fuels," Trans. Amer. Nucl. Soc., 16, 81, June, 1973.
- A. MADRID, Y. SUN, J. CERMAK, D. OKRENT
"On the Failure Modes of Irradiated LMFBR Fuel Pin During
Transients," Trans. Amer. Nucl. Soc., 18, 203, June, 1974.
- Y. SUN, D. OKRENT
"A Simplified Method of Computing Clad and Fuel Strain and
Stress During Irradiation," UCLA-ENG-7591, Oct., 1975.
- Y. SUN, D. OKRENT
"On the Fuel-Clad Stress-Strain State at the Beginning of a
Transient," International Meeting Fast Reactor Safety and
Related Physics, Chicago, Oct., 1976.

733 070

ABSTRACT OF THE DISSERTATION
A Simplified Method of Computing
Clad and Fuel Strain and Stress
During Irradiation

by

Yang-Ho Sun

Doctor of Philosophy in Engineering
University of California, Los Angeles, 1977

Professor David Okrent, Chairman

This dissertation develops a simplified, fast-running axisymmetric computer code, named KRASS (Kwik Running Analysis for Stress and Strain), intended for the prediction of fuel element conditions after long-term steady-state operation in a LMFBR. KRASS assumes that fuel restructuring has already occurred, and divides the fuel pellets into two zones, an inner, highly plastic hot region, and an outer, cooler region which together with the cladding can undergo creep.

This code allows for fission gas pressure, fuel swelling, hot pressing, and it also includes alternative correlations for stainless steel swelling. Fuel cracking is not included. The output of KRASS includes the radial and axial stress and strain distribution of the fuel and clad as a function of the burn-up. It takes KRASS 11×10^2 machine unit seconds on the IBM 360-91 to calculate the fuel element behavior to 15% burn-up, with seven axial sections in the fuel column.

733 051

The results of the calculations indicate that the axial variation of the fuel-clad mechanical interaction greatly depends on the fluence-to-burnup ratio, as well as on the applicable stainless steel swelling correlation. The results also show that transient fuel element behavior studies of the pre-irradiated fuel must make allowance for these differences. At higher linear power ratings the largest fuel-clad mechanical interaction generally occurs in the lower third of the fuel element while at low power ratings, this interaction is largest at the axial midsection.

At high fluence-to-burnup ratios, the central axial nodes frequently exhibit gap reopening tendencies.

733 052

THERE IS NO TEXT ON THIS PAGE

CHAPTER I. INTRODUCTION

The study of steady-state fuel element behavior is important for long-term reactor operation; however, it is also important for transient accident analysis. The steady state behavior of fuel pins must be predicted with reasonable success if an acceptably accurate description of their behavior in transients is to be obtained. The ultimate course of a transient overpower accident depends on the mode of fuel pin failure. This, in turn, depends on the stress and strain conditions of the fuel and clad, due to fission gas release and retention, fuel and clad swelling, creep, loss of ductility, etc. Whether or not (and where) the fuel clad gap is open or closed prior to the transient, may be of major importance in predicting the time and location of the failure.

In principle, the distribution of stress and strain in the fuel and in the cladding can be predicted from the knowledge of the fuel element geometry, the material properties, the temperature distribution, and the operating conditions. The fuel clad gap closure and the fuel clad mechanical interaction can also be predicted from the parameters given above.

Ordinarily, in a code such as LIFE [1], the computations of the axial and radial variations in the fuel pin behavior involve a considerable amount of computer time. This dissertation develops a simplified code, named KRASS (Kwik Running Analysis for Stress and Strain), for the predictions of fast reactor fuel element behavior.

In large LMFBR, the creep rate in the fuel may be enhanced by the high neutron flux, and thus, it can be twice that at the same

733 054

power rating for a fuel element in EBR II. A scheme is included in KRASS to provide a means for relatively precise creep calculations at higher creep rates in order to assure that this code can be applied to fuel element behavior prediction in a large LMFBR.

Assuming plane strain and axial symmetry for a long cylinder, elastic equivalent analysis [2] is applied to give a system of displacement-inelastic strain and stress-inelastic strain relations. The inelastic strains, which include the creep strain and the swelling strain accumulated in one time step in the cylinder, are first determined from existing empirical formulae and from the stress state in the previous time step. The displacement-inelastic strain and the stress-inelastic strain are then used, so that the stress variation and the boundary movements in this cylinder (that are induced by the corresponding type of inelastic strain) can be determined. Creep and the irradiation-induced swelling are considered both in the fuel and in the cladding. Hot pressing has also been considered in the fuel region.

After the fuel-clad gap closes, the mechanical interaction force between the fuel and the cladding can be determined by an iteration process, so that the displacement of the fuel outer boundary equals that of the clad inner boundary.

The fuel region is considered as two separate regions in the radial direction. The hot region has temperatures higher than 1500°C , the cool region has temperatures lower than 1500°C . In the hot region of the fuel the temperature is much higher than the brittle-to-ductile transition temperature ($T_c = 1350^{\circ}\text{C}$) [3]; plastic flow occurs

rapidly and the material is weak. Hence, for the sake of simplicity, we have assumed that this region is stress free, and the gas pressure in the central void is transmitted directly to its outer boundary through this region. The thermal stress that builds up as a result of a high temperature in the fuel region during the first start-up, will be quickly relaxed by creep and by fuel restructuring. It is assumed that the thermal stress originating from start-up effects in the fuel region can be neglected. Also, since fuel restructuring is usually completed in the first stage of operation, we assume that this effect has been completed prior to the beginning of our calculation. Fuel cracks are also neglected.

The temperature distribution in the fuel element may change due to the burn-up effects in the fuel region. This variation is usually small and slow; thus it is neglected in the current version of the code. In the preliminary calculations KRASS was used to compute results which could then be compared with those obtained from post-irradiation measurements and with results calculated using the LIFE III code. Then it was used for calculations involving actual applications. The fuel element behavior in CRBR, and in a conceptual CMFBR, has been studied using different correlations for the clad swelling. The major fuel properties have also been studied parametrically for CRBR fuel pins. It takes KRASS eleven hundred machine unit seconds on the UCLA IBM-360-91 to calculate fuel element behavior to 15% burn-up, with seven axial sections in the fuel column.

733 056

THERE IS NO TEXT ON THIS PAGE

733 057

CHAPTER II. THEORY

II.1 The Displacement-Inelastic Strain and the Stress-Inelastic Strain Relations.

The inelastic strain (consisting of the swelling strain and the creep strain) changes its value during fuel and clad irradiation in a nuclear reactor, thus changing the stress level within the material. Dimensional changes may also result.

In this section relations will be introduced between displacement and inelastic strain, and between stress and inelastic strains.

Let us consider a long cylinder with inner radius "a" and outer radius "b", subject to a uniform internal pressure P_i , and an outer pressure P_o . Let r, θ, z be a set of cylindrical coordinates, and u, v, w the displacement along these three axes. The displacement w is initially assumed to be zero. Axial symmetry of the structure and of the loading is also assumed. The three principal stresses are σ_r, σ_θ , and σ_z . The shear stresses and shear strains on these principal planes are zero.

Under the conditions described above, the strain-displacement relations are:

$$e_r = du/dr \quad \text{II-1}$$

$$e_\theta = u/r \quad \text{II-2}$$

where e_r, e_θ are the strain components.

According to the elastic equivalent relation the stress and the elastic component of the total strain should follow [2]:

733 058

$$\left\{ \begin{array}{l} \sigma_r = \lambda(e - e'') + 2\mu(e_r - e_r'') \\ \sigma_\theta = \lambda(e - e'') + 2\mu(e_\theta - e_\theta'') \\ \sigma_z = \lambda(e - e'') + 2\mu(e_z - e_z'') \end{array} \right\} \quad \text{II-3}$$

Here e_r'' , e_θ'' and e_z'' are the inelastic strain components. e_r , e_θ , and e_z are the components of the total strain and

$$e'' = e_r'' + e_\theta'' + e_z''$$

$$e = e_r + e_\theta + e_z \quad .$$

Substituting Equations II-1 and II-2 into Equation II-3, we get:

$$\left\{ \begin{array}{l} \sigma_r = (\lambda+2\mu) \left(\frac{du}{dr} - e_r'' \right) + \lambda \left(\frac{u}{r} - e_\theta'' \right) - \lambda e_z'' \\ \sigma_\theta = (\lambda+2\mu) \left(\frac{u}{r} - e_\theta'' \right) + \lambda \left(\frac{du}{dr} - e_r'' \right) - \lambda e_z'' \\ \sigma_z = -(\lambda+2\mu) e_z'' + \lambda \left(\frac{du}{dr} - e_r'' \right) + \lambda \left(\frac{u}{r} - e_\theta'' \right) \end{array} \right. \quad \text{II-4}$$

The governing equation of equilibrium for a cylinder is:

$$\frac{d\sigma_r}{dr} + \frac{\sigma_r - \sigma_\theta}{r} = 0 \quad \text{II-5}$$

Substituting Equation II-4 into Equation II-5, and then integrating twice with respect to r , yields:

$$\begin{aligned} (\lambda+2\mu)u &= \frac{\lambda}{r} \int_a^r (e_r'' + e_\theta'' + e_z'') r dr + \frac{2\mu}{r} \int_a^r r e_r'' dr \\ &+ \frac{2\mu}{r} \int_a^r r \int_a^r \frac{e_r'' - e_\theta''}{r} dr dr + \frac{c_1 r}{2} + \frac{c_2}{r} \end{aligned} \quad \text{II-6}$$

Substituting Equation II-6 into the first equation in II-4 we get:

$$\begin{aligned}
\sigma_r = & -\frac{2\mu\lambda}{(\lambda+2\mu)} \frac{1}{r^2} \int_a^r (e_r'' + e_\theta'' + e_z'') r dr - \frac{4\mu^2}{\lambda+2\mu} \frac{1}{r^2} \int_a^r r e_r'' dr \\
& - \frac{4\mu^2}{(\lambda+2\mu)} \frac{1}{r^2} \int_a^r r \int_a^r \frac{e_r'' - e_\theta''}{-r} dr dr + 2\mu \int_a^r \frac{e_r'' - e_\theta''}{r} dr \\
& + \left(\frac{\lambda+\mu}{\lambda+2\mu}\right) c_1 - \frac{2\mu}{\lambda+2\mu} \frac{1}{r^2} c_2
\end{aligned} \tag{II-7}$$

The boundary conditions are:

$$\sigma_r = -P_i \quad \text{at} \quad r = a \tag{II-8}$$

$$\sigma_r = -P_o \quad \text{at} \quad r = b \tag{II-9}$$

The values of c_1 and c_2 can be obtained from Equation II-7, using Equations II-8 and II-9. Resubstituting these values of c_1 and c_2 into Equation II-7 we get:

$$\sigma_r(r) = (\sigma_r(r))_e + (\sigma_r(r))_p \tag{II-10}$$

$$u(r) = (u(r))_e + (u(r))_p \tag{II-11}$$

Similarly, we can write:

$$\sigma_\theta(r) = (\sigma_\theta(r))_e + (\sigma_\theta(r))_p \tag{II-12}$$

$$\sigma_z(r) = (\sigma_z(r))_e + (\sigma_z(r))_p \tag{II-13}$$

Here:

$$(\sigma_r(r))_e = \frac{a^2}{b^2 - a^2} (P_i - P_o) \left(1 - \frac{b^2}{r^2}\right) - P_o \tag{II-14}$$

$$(\sigma_\theta(r))_e = \frac{a^2}{b^2 - a^2} \left(1 + \frac{b^2}{r^2}\right) (P_i - P_o) - P_o \tag{II-15}$$

$$(\sigma_z(r))_e = \frac{\lambda}{\lambda + \mu} \frac{1}{b^2 - a^2} (a^2 P_i - b^2 P_o) \tag{II-16}$$

$$(u(r))_e = \frac{a^2}{2(b^2 - a^2)} \left[\frac{r}{\lambda + \mu} + \frac{b^2}{\mu r} \right] (P_i - P_o) - \frac{r}{2(r + \mu)} P_o \tag{II-17}$$

753 060

$$\begin{aligned}
 (\sigma_r(r))_p &= -[I_1(r)+I_2(r)+I_3(r)-I_4(r)] \\
 &+ \frac{b^2}{b^2-a^2} \left(1 - \frac{a^2}{r^2}\right) [I_1(b)+I_2(b)+I_3(b)-I_4(b)] \quad \text{II-18}
 \end{aligned}$$

$$\begin{aligned}
 (\sigma_\theta(r))_p &= I_1(r)+I_2(r)+I_3(r) + \frac{\lambda}{\lambda+2\mu} I_4(r) - \frac{2\mu\lambda}{\lambda+2\mu} (e_\theta'' + e_z'') - 2\mu e_\theta'' \\
 &+ \frac{b^2}{b^2-a^2} \left(1 + \frac{a^2}{r^2}\right) [I_1(b)+I_2(b)+I_3(b)-I_4(b)] \quad \text{II-19}
 \end{aligned}$$

$$\begin{aligned}
 (\sigma_z(r))_p &= \frac{\lambda}{\lambda+2\mu} I_4(r) - \frac{2\mu\lambda}{\lambda+2\mu} (e_\theta'' + e_z'') - 2\mu e_z'' \\
 &+ \frac{\lambda}{\lambda+\mu} \frac{b^2}{b^2-a^2} [I_1(b)+I_2(b)+I_3(b)-I_4(b)] \quad \text{II-20}
 \end{aligned}$$

$$\begin{aligned}
 (u(r))_p &= \frac{r}{2\mu} [I_1(r)+I_2(r)+I_3(r)] \\
 &+ \frac{b^2}{2(b^2-a^2)} \left[\frac{r}{\lambda+\mu} + \frac{a^2}{\mu r} \right] [I_1(b)+I_2(b)+I_3(b)-I_4(b)] \quad \text{II-21}
 \end{aligned}$$

Here the integrals are:

$$I_1(r) = \frac{2\mu\lambda}{\lambda+2\mu} \frac{1}{r^2} \int_a^r e'' r dr \quad \text{II-22}$$

$$I_2(r) = \frac{4\mu^2}{\lambda+2\mu} \frac{1}{r^2} \int_a^r e'' r dr \quad \text{II-23}$$

$$I_3(r) = \frac{4\mu^2}{\lambda+2\mu} \frac{1}{r^2} \int_a^r r \int_a^r \frac{e_r'' - e_\theta''}{r} d_r d_r \quad \text{II-24}$$

$$I_4(r) = 2\mu \int_a^r \frac{e_r'' - e_\theta''}{r} d_r \quad \text{II-25}$$

$$e'' = e_r'' + e_\theta'' + e_z'' \quad \text{II-26}$$

733 051

λ and μ are Lamé's Constants,

$$\lambda = \frac{2\mu\nu}{1-2\nu}, \quad \mu = \frac{E}{2(1+\nu)} \quad \text{II-27}$$

E and ν are the Young's modulus and the Poisson's ratio, respectively.

In the formulae listed above, an axial force must be applied to the ends of the cylinder to keep the axial displacement equal to zero. Saint-Venant's principle [4] can be applied for this effect. If the real restriction in the axial direction is F_z and we superimpose a uniform axial stress C_3 so that the resultant axial force is equal to the restrictive force F_z , C_3 can be determined from:

$$\pi(b^2 - a^2)C_3 + \int_a^b 2\pi r(\sigma_z)_{w=0} dr = F_z$$

i.e.

$$C_3 = \frac{F_z - \int_a^b 2\pi r(\sigma_z)_{w=0} dr}{\pi(b^2 - a^2)} \quad \text{II-28}$$

Here $(\sigma_z)_{w=0}$ is the axial stress for zero axial strain ($w=0$), described in Equation II-13.

The real axial stress should thus be:

$$\sigma_z = (\sigma_z)_{w=0} + C_3 = (c_z)_{w=0} + \frac{F_z - \int_a^b 2\pi r(\sigma_z)_{w=0} dr}{\pi(b^2 - a^2)} \quad \text{II-29}$$

The displacement u is also affected by the superposed axial stress C_3 . Therefore, the term, $\nu C_3 r/E$ [4] must be added to the right hand side of Equation II-11.

733 062

In Equations II-10 through II-13, the first term on the right hand side represents the effect induced by the pressure on the walls of the fuel and the cladding. The second term on the right hand side represents those effects that were induced by inelastic strains, e.g. the creep, the swelling, and the hot pressing strains. Thus:

$$e_i'' = e_i^c + e_i^{sw} + e_i^{hp} = e_i^c + e_i^{sw} \quad \text{II-30}$$

where e_i^c is the creep strain

e_i^{sw} is the swelling strain

e_i^{hp} is the hot pressing strain

i represents the components in r , θ , and z directions.

Applying Equation II-30 to Equations II-22 through II-28, we can find the I values corresponding to the creep and swelling effects. If we substitute these I values into Equations II-10, II-11, II-12, II-13, and into Equations II-28 and II-29, the creep and swelling-induced stresses can be found.

II.2 Inelastic Strains

The inelastic strain includes creep strain and irradiation induced strain.

II.2.1 The Stress and Strain Relations in Creep Deformation

At low temperatures, the stress-strain curves are essentially time-independent. However, if the temperature of the material exceeds about half of its melting-point, a departure from this idealization becomes noticeable and the strain increases under constant load.

The creep strains should follow the Prandtl and Reuss assumption, i.e., the plastic-strain increment at any instant is proportional to

the deviatoric stress. Using the principal stress axes, we get:

$$\frac{de_r^c}{s_r} = \frac{de_\theta^c}{s_\theta} = \frac{de_z^c}{s_z} = d_K, \quad \text{II-31}$$

where de_r^c , de_θ^c , and de_z^c are the increment of creep strains in the r, θ and z directions, respectively.

S_r , S_θ and S_z are the deviatoric stress components.

d_K is an instantaneous, positive constant of proportionality, which may vary during the loading process.

Equation II-31 satisfies the condition of zero dilation, i.e.,

$$de_r^c + de_\theta^c + de_z^c = 0 \quad \text{II-32}$$

The effective stress σ^* and strain e^* , are defined (in terms of the principal stresses and creep strains) as:

$$\sigma^* = \frac{1}{\sqrt{2}} \sqrt{(\sigma_r - \sigma_\theta)^2 + (\sigma_\theta - \sigma_z)^2 + (\sigma_r - \sigma_z)^2} \quad \text{II-33}$$

$$e^* = \frac{\sqrt{2}}{3} \sqrt{(e_r^c - e_\theta^c)^2 + (e_\theta^c - e_z^c)^2 + (e_r^c - e_z^c)^2} \quad \text{II-34}$$

It can be shown [5] that σ^* is proportional to the total shear stress, which gives an accurate measurement for the gross amount of plastic creep deformation in a polycrystalline material.

In a uniaxial case σ^* reduces to σ_r and e_c^* to e_r^c . Equation II-31 gives the relative proportion of the incremental plastic-strain components to the corresponding deviatoric-stress components. Also, in the uniaxial case $\sigma^* = \sigma_r = \frac{3}{2} S_r$. From these:

$$d_K = \frac{3}{2} \frac{de_c^*}{\sigma^*} \quad \text{II-35}$$

733-064

Equation II-35 can be generalized to multiaxial cases by using σ^* and e_c^* defined in Equation II-33 and II-34.

II.2.2. The Creep Strain Rate

The creep strain rate can be represented by the following:

$$\frac{de_c^*}{dt} = A e^{-\theta/RT} \sigma^{*m} + \left[\frac{A_1}{d^2} e^{-\theta_1/RT} + B \phi \right] \sigma^{*n} \quad [1] \quad \text{II-36}$$

For mixed oxide fuel, we are presently using

$$A = \frac{1.376 \times 10^{-4}}{-90.5 + D}$$

D = fuel density percentage.

If the calculated D value is less than 92, we shall substitute

D = 92.

$$\theta = 132000 \text{ cal/mole}$$

$$\theta_1 = 90000 \text{ cal/mole}$$

$$A_1 = 9.726 \times 10^6 / (-87.7 + D)$$

$$d = \text{grain diameter, } \mu (\sim 10)$$

$$B = 8.0 \times 10^{-24}$$

$$m = 4.5$$

$$n = 1$$

$$\phi = \text{flux}$$

II-37

For 316 cw S.S., used presently, the parameters are:

$$A = 2.7 \times 10^{-11}$$

$$\theta = 95000 \text{ cal/mole}$$

$$A_1 = 0$$

$$B = 4.655 \times 10^{-34}$$

$$m = 7$$

$$n = 3$$

II-38

733 065

Knowing σ^* , de_c^* can be determined from Equation II-36. Then, from Equations II-31 and II-35 the increment of the creep components, i.e. de_r^c , de_θ^c and de_z^c , within a time step can be obtained.

II.2.3. The Swelling Strain

It is assumed that all swelling strain components are equal, i.e.:

$$e_r^{sw} = e_\theta^{sw} = e_z^{sw} = \frac{1}{3} e^{sw} \quad \text{II-39}$$

where e^{sw} is the total volumetric swelling strain.

II.2.3.1. The Swelling Strains in the Cladding

For 20% cw, 316 stainless steel, four options have been included in the code as possible correlations for irradiation-induced swelling. These are:

$$a) \quad \frac{\Delta V}{V_0} = R \left[\phi t 10^{-22} + \frac{1}{\alpha} \ln \left\{ \frac{1 + \text{Exp} [\alpha(\tau - \phi t)]}{1 + \text{Exp}(\alpha\tau)} \right\} \right] \quad [6] \quad \text{II-40}$$

where

$\Delta V/V_0$ = fractional volume change

ϕt = fluence, unit = n/cm^2 ($E > 0.1$ Mev)

$$R = \beta \text{Exp} \left[-88.5499 + 0.531072T - 1.24156 \times 10^{-3} T + 1.37215 \times 10^{-6} T^3 - 6.14 \times 10^{-10} T^4 \right]$$

$$\alpha = -1.12 + 6.89 \times 10^{-3} T$$

$$\tau = \text{Exp} \left[-16.7382 + 0.130532T - 3.81081 \times 10^{-4} T^2 + 5.51979 \times 10^{-7} T^3 - 3.26491 \times 10^{-10} T^4 \right]$$

T = neutron irradiation temperature in $^\circ\text{C}$

β = multiplicative factor to describe confidence limits, $\beta = 0.01$ for nominal swelling

In this correlation there is a swelling threshold that is temperature dependent.

733 066

$$b) \frac{\Delta V}{V} = \frac{1}{2} (9 \times 10^{-35}) (\phi t)^{1.5} (4.028 - 3.712 \times 10^{-2} T + 1.0145 \times 10^{-4} T^2 - 7.879 \times 10^{-8} T^3) [7] \quad \text{II-41}$$

The limits of applicability of this formula are $\phi t < 10^{23}$ n/cm², $E > 0.1$ Mev, and $360^\circ\text{C} < T < 600^\circ\text{C}$. The confidence limits are $\pm 50\%$.

$$c) \frac{\Delta V}{V} = 9.71574 \times 10^{-41} (\phi t)^{1.6877368} \text{Exp}[-(1.214 \times 10^{-2} T - 6.0696)^2] [8] \quad \text{II-42}$$

This gives a swelling which peaks at $T = 500^\circ\text{C}$.

$$d) \frac{\Delta V}{V} = 9.71574 \times 10^{-41} (\phi t)^{1.6877368} \text{Exp}[-(1.214 \times 10^{-2} T - 7.284)^2] [8] \quad \text{II-43}$$

This gives a swelling which peaks at $T = 600^\circ\text{C}$.

II.2.3.2. Swelling Strain in the Fuel Region

The isothermal tests described in Chubb's paper [9] give relation between the temperature and the strain rate induced by the fission gas swelling at a burnup rate of 2×10^{13} fissions/cc-sec.

The curves in Figure II-1 follow the formula:

$$\dot{\Delta} = 10^{(0.001046T - 5.08378)}, \quad \text{II-44}$$

where

$\dot{\Delta} = \frac{\Delta \dot{u}}{b}$ is the ratio of the displacement rate to the radius of the outer boundary.

T is the temperature in $^\circ\text{F}$.

Assuming a linear relation between the fission gas swelling rate and the burnup rate in the fuel, the displacement of the fuel outer boundary during Δt time will be:

733 007

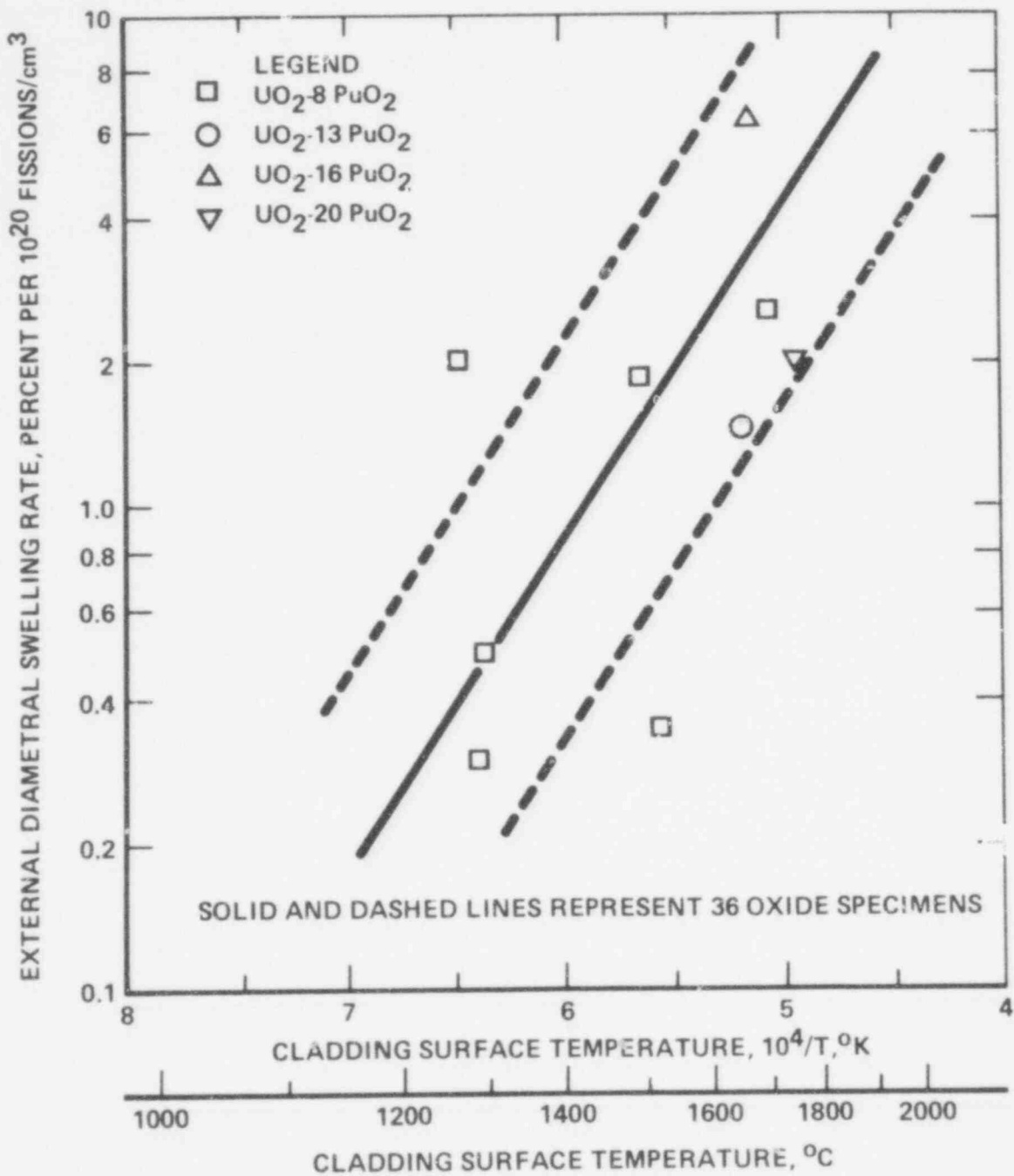


Figure II - 1. Effect of Alloying UO_2 with PuO_2 .

733 068

$$\Delta u = b \dot{\Delta} \frac{(3600x\Delta t)B}{10^{20}} = 3.6 \times 10^{-17} b \dot{\Delta} B(\Delta t), \quad \text{II-45}$$

where B is the burnup rate in fission/cc-sec.

On the other hand, from Equations II-21 and II-39, the relation between the swelling strains and the outer boundary displacement can be expressed by:

$$u(b) = \left(\lambda + \frac{2\mu}{3} \right) \frac{1}{\lambda+2\mu} \frac{1}{b} \left\{ 1 + \frac{\mu}{\lambda+\mu} \right\} c_{sw} \int_a^b r dr \quad \text{II-46}$$

Since the experiment in Reference [9] is almost isothermal, e_{sw} is assumed to be constant across the fuel region.

By equating Equations II-45 and II-46, we get the fission gas swelling in the fuel as follows:

$$e_{sw}^F = 3.6 \times 10^{-17} \frac{b}{G} \dot{\Delta} B(\Delta t) \quad , \quad \text{II-47}$$

where

$$G = \left(\lambda + \frac{2\mu}{3} \right) \frac{1}{\lambda+2\mu} \frac{1}{b} \left\{ 1 + \frac{\mu}{\lambda+\mu} \right\} \int_a^b r dr \quad \text{II-48}$$

In order to achieve best fit to the results obtained from the LIFE-III code, an adjustable parameter $AG = 3.4$ is introduced in Equation II-47 for the low power calculations. This adjustment gives a fuel swelling rate that approximates the upper binding curve in Fig. II.1.

II.2.4 Hot Pressing

The temperature in the fuel region is usually high. Dislocation glide and stress-enhanced diffusional creep can reduce the volumetric strain under hydrostatic compression. The amount of change in the volumetric strain Δe^{hp} caused by this hot pressing process can be expressed as: [8]

733 009

$$\Delta e^{hp} = \frac{c}{T} \exp\left(-\frac{\theta}{T}\right) \sigma \left(1 - \frac{\rho}{\rho_{th}} - e^{sw}\right) \Delta t$$

II-49

where

$$\sigma = \frac{1}{3} (\sigma_r + \sigma_\theta + \sigma_z) \text{ is the hydrostatic pressure (dyne/cm}^2\text{)}$$

$$c = 4.7 \times 10^6 \frac{\text{cm}^2 \text{K}^\circ}{\text{dyne sec}}$$

$$Q = 4.43 \times 10^4 \text{ }^\circ\text{K}$$

Δt = time increment (sec)

ρ = fuel density

ρ_{th} = the theoretical fuel density

e^{sw} = fission gas swelling in the fuel region

T = temperature in $^\circ\text{K}$

It is assumed that all hot pressing strain components are equal, i.e.

$$\Delta e_r^{hp} = \Delta e_\theta^{hp} = \Delta e_z^{hp} = \frac{1}{3} \Delta e^{hp}$$

II.2.5 Fission Gas Release and the Gas Pressure

The fission gas bubbles migrate in the fuel region as a result of temperature and the stress gradient, and can be released through the grain boundaries and cracks that interconnect to the surface. The gas release percentage in the undisturbed fuel zone [10] can be expressed by:

$$F = 1 - \frac{\left\{ \frac{1 - \exp(-6.84 \times 10^{-5} B)}{(6.84 \times 10^{-5}) B} \right\}}{\left\{ 0.421 / \exp(10.05Q) \right\}}$$

II-50

where B is the burnup (MWD/MTM)

and Q is the linear heat rate (kw/ft).

733 070

100% gas release is assumed in the equiaxial grain zone and in the columnar grain zone. The relation between F and B is shown in Figure II-2.

At first, most of the gas atoms are released to the central void, and then to the plenum through the interconnected voids, cracks, and any separation between the fuel pellets. It is assumed that the gas pressure in the central void is equal to that in the plenum. The gas pressure can thus be determined by the ideal gas law as follows:

$$P_p = P_{cv} = \frac{(FN_F + N_I)RT}{V_p + V_{cv}} \quad , \quad \text{II-51}$$

P_p , P_{cv} , V_p , V_{cv} are the pressures and the volumes of the plenum and of the central void, respectively.

N_F is the number of total gas atoms generated

N_I is the initial number of gas atoms

F is the fraction of total gas atoms released

\bar{T} is the average temperature in the plenum and in the central void.

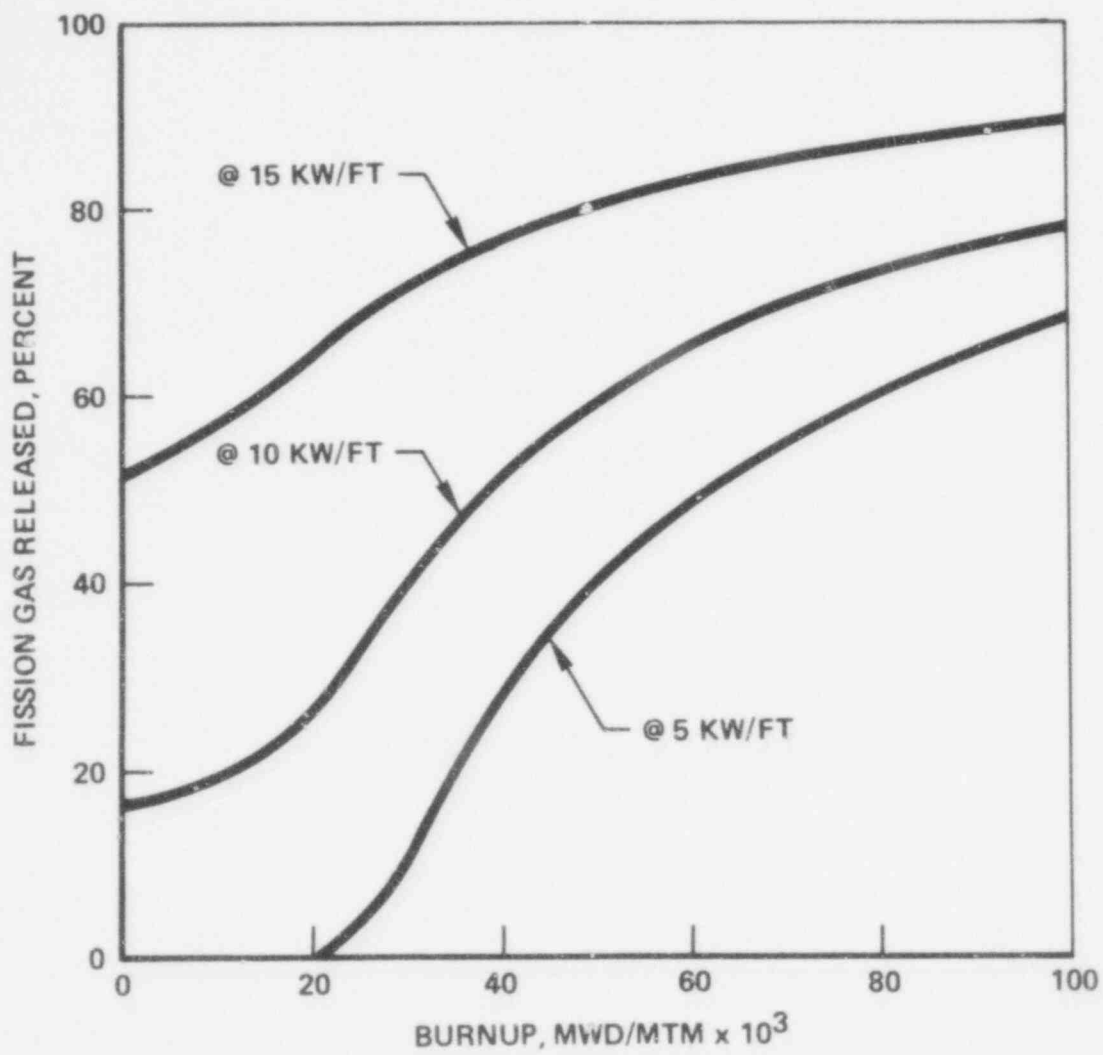


Figure II - 2. Predicted Gas Release for a Mixed-Oxide Fueled Pin.

THERE IS NO TEXT ON THIS PAGE

733 073

CHAPTER III. THE PROCESS OF PROBLEM SOLVING

III.1. The Basic Process

In the cooler fuel region the creep strain rate is about 10^{-4} /hour, corresponding to a 10^3 psi load. In the hot fuel region the creep strain rate is much higher. The thermal stress that has built up during the start-up period can thus be released quickly and should have negligible effect on fuel element behavior at later times. It is assumed in the code that this thermal stress is negligible.

The brittle-to-ductile transition temperature is approximately 1350°C for the fuel material. In the higher temperature region there is a heavy plastic flow and the material is very weak. This region can be considered stress free, with the gas pressure in the central void transmitted directly to the cooler boundary of the columnar region (Figure III.1).

This code treats steady state operations only. During such operation the variations of creep, swelling, and fission gas pressure are slow processes, therefore, the change in the stress state is also relatively slow. If the time intervals are small enough, it is a good assumption to calculate the creep strain using the stress state in the previous time step. An iteration process has been built into the code to assure that the ratio of the stress variation caused by the creep effect to the total stress state is less than a prescribed value. (See the simplified flow chart.) If this ratio is larger than the assigned value, the time interval of this step is linearly reduced to meet the prescribed value (Section III-3).

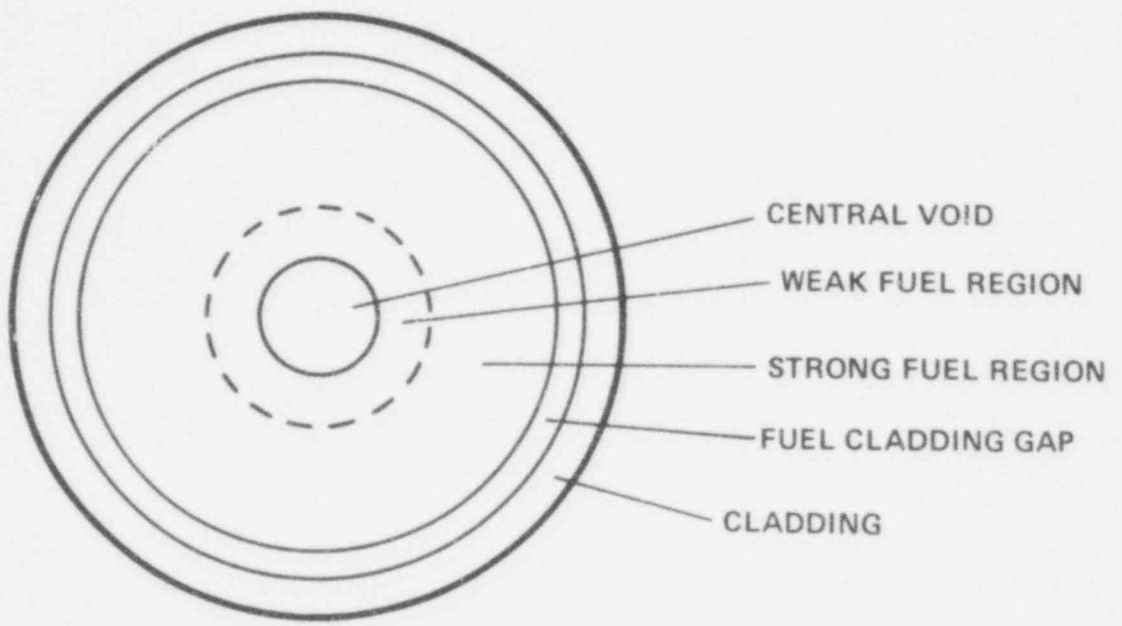


Figure III - 1. Radial Section of the Fuel Element.

733 075

The boundary displacements of the fuel and the cladding are calculated in each time step. Thus the closure of the fuel-cladding gap can be calculated by the differential displacement of the fuel and cladding boundaries. Before the gap closes, the plenum gas pressure acts on the fuel outer wall and on the cladding inner wall. After gap closure the mechanical interaction force can be determined by an iteration process so that the displacement of the fuel outer wall is equal to that of the cladding inner wall. A fast-converging iteration subroutine is included in the code to provide means for a fast determination of the interacting forces between the fuel and the clad after gap closure (Section III.2).

Once the pressure at the fuel and clad walls has been determined, the stress and strain distribution, caused by different physical effects, can be determined by the formulae in Chapter II.

The axial restriction F_z , used in Equation II-28, is different for the fuel column and for the cladding.

For the fuel column, as described in Figure III-2, the axial restriction is the plenum pressure P_r , acting at the end. After the fuel-clad gap is closed, the friction force F_r , acting between the fuel and the cladding, contributes to the axial restriction too. So, the total axial restriction, F_z for the fuel column is:

$$F_z^F = \pi(b_f^2 - a_f^2) P_r + (2\pi b_f L) F_r \quad \text{III-1}$$

Here $F_r = \mu P_{fc}$,

μ is the friction coefficient,

P_{fc} is the mechanical interaction between the fuel and the cladding.

733 076

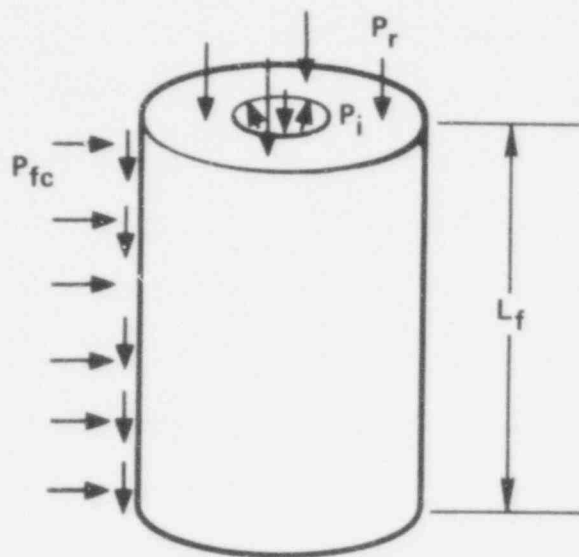


Figure III - 2. Free Body Diagram of the Fuel Region.

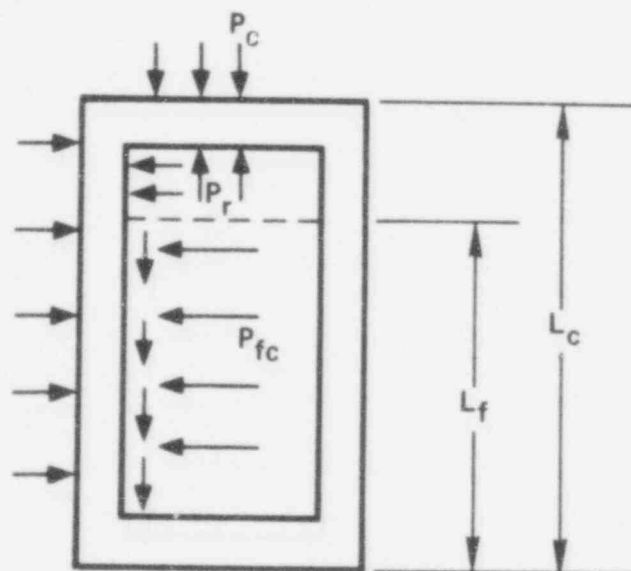


Figure III - 3. Free Body Diagram of the Cladding.

L is the distance to the upper end of the
fuel column

$q = 0$, if the fuel-clad gap is open

$q = 1$, if the fuel-clad gap is closed.

As shown in Figure III-3, the axial restriction for the cladding can be written as:

$$F_z^c = \pi(b_c^2 P_c - a_c^2 P_r) + (2\pi a_c L) F_r q \quad . \quad \text{III-2}$$

III.2. Determination of the Mechanical Force (P_{fc}) Between the Fuel and the Clad After the Gap Is Closed

After the fuel-clad gap is closed, there is a mechanical interaction force (P_{fc}) between the fuel and the clad. The increment of P_{fc} in each time step should be such that the displacement of the outer boundary of the fuel and of the inner boundary of the clad is equal. An iteration process has been included in the code (see the simplified flow chart) to determine the change of P_{fc} (DP) in each time step.

Let us consider a coordinate system with ΔU_F displacement of the fuel outer wall along the X-axis, and with ΔU_c displacement of the clad inner wall along the Y-axis (see Figures III-4 and III-5) in a time interval Δt_i . $(DP)_1$, the first approximation of DP is equal to the change of P_{fc} in the last time step. If the fuel-clad gap is still open in the last time step, then $(DP)_1$ is equal to the gas pressure change during the last time step. By applying $(DP)_1$ we get $(\Delta U_c)_1$ and $(\Delta U_F)_1$. If the absolute value of $\left[(\Delta U_c)_1 - (\Delta U_F)_1 \right] / (\Delta U_c)_1$ is not smaller than a prescribed value (5% in this code), a second approximation, $(DP)_2$ should be tried.

733 079

As shown in Figure III-4, it is assumed that $(DP)_2$ is located at the crossing of lines \bar{m} and \bar{n} . \bar{m} contains all those points where $(\Delta U_c) = (\Delta U_F)$, \bar{n} passes through point $(DP)_1$ and is perpendicular to line \bar{m} . Thus, $(DP)_2$ is expected to have a corresponding $(\Delta U_c)_2$ and $(\Delta U_F)_2$, so that $(\Delta U_c)_2 = (\Delta U_F)_2$. As shown in Figure III.4, $(\Delta U_c)_2$ and $(\Delta U_F)_2$ can be expressed by $(\Delta U_c)_1$ and $(\Delta U_F)_1$ as:

$$(\Delta U_F)_2 = (\Delta U_c)_2 = \frac{(\Delta U_c)_1 + (\Delta U_F)_1}{2} .$$

In Figure III-4, $(DP)_1$ corresponds to a $(\Delta U_c)_1$ displacement of the cladding wall. As ΔP_{fc} varies from $(DP)_1$ to $(DP)_2$, the variation of ΔU_c is: $(\Delta U_c)_2 - (\Delta U_c)_1$. By assuming that

$$\frac{(DP)_1}{(DP)_2} = \frac{(\Delta U_c)_1}{(\Delta U_c)_2 - (\Delta U_c)_1}$$

$(DP)_2$ can be determined as:

$$(DP)_2 = (DP)_1 \frac{[(\Delta U_c)_1 + (\Delta U_F)_1]/2 - (\Delta U_c)_1}{(\Delta U_c)_1} \quad \text{III-3}$$

If the absolute value of $\frac{(\Delta U_c)_2 - (\Delta U_F)_2}{(\Delta U_c)_2}$ is still not smaller than the allowed number, a more effective process is used to assure a fast convergence.

As shown in Figure III-5, \bar{P} is the line connecting points $(DP)_1$ and $(DP)_2$. Point (DP) is assumed to be on \bar{P} also and have $\Delta U_c = \Delta U_F$ displacement.

Figure III-5 shows that ΔU_c and ΔU_F can be expressed by the first and second trials as:

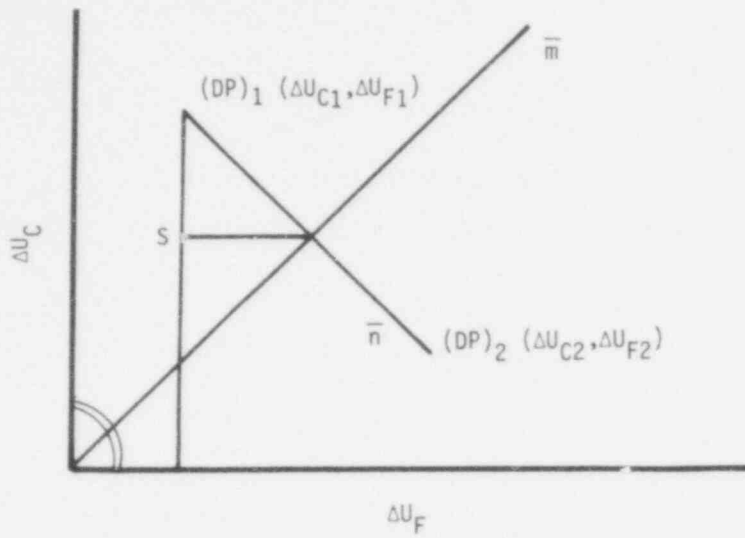


Figure III - 4. The Determination of $(DP)_2$

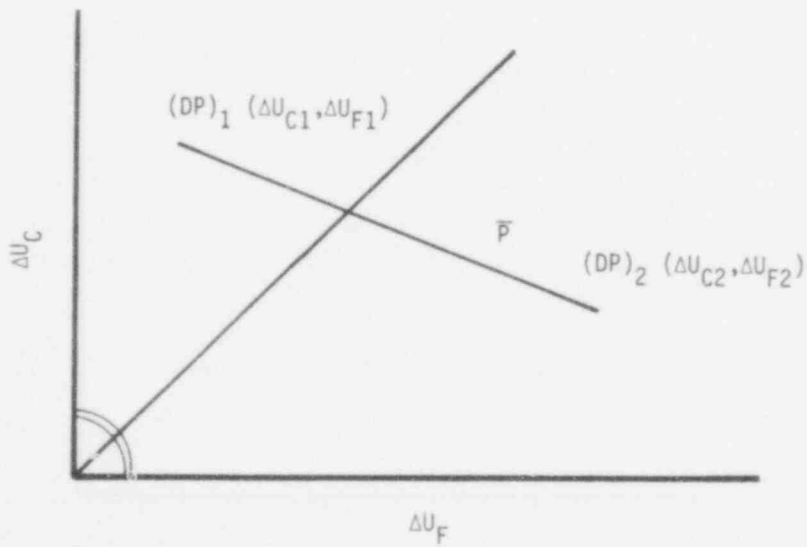


Figure III - : The Determination of (DP)

$$\Delta U_c = \Delta U_F = b/(1-a) \quad \text{III-4}$$

$$\text{where } a = \frac{(\Delta U_c)_2 - (\Delta U_c)_1}{(\Delta U_F)_2 - (\Delta U_F)_1}$$

$$\text{and } b = (\Delta U_c)_2 - a(\Delta U_F)_2$$

It can also be shown that the distance between points (DP) and (DP)₂ is:

$$LP2 = \sqrt{[(\Delta U_F) - (\Delta U_F)_2]^2 + [(\Delta U_c) - (\Delta U_c)_2]^2} \quad \text{III-5}$$

and the distance between points (DP)₁ and (DP)₂ is:

$$L12 = \sqrt{[(\Delta U_F)_1 - (\Delta U_F)_2]^2 + [(\Delta U_c)_1 - (\Delta U_c)_2]^2} \quad \text{III-6}$$

Corresponding to the different (ΔU_c) and (ΔU_F) values in the first and second trial, the following relation is used to determine the third trial (DP):

$$(i) (\Delta U_F)_1 > (\Delta U_c)_1 \text{ and } (\Delta U_F)_2 > (\Delta U_c)_2$$

$$DP = DP_2 - |DP_1 - DP_2| \frac{LP2}{L21} \quad \text{III-7}$$

$$(ii) (\Delta U_F)_1 < (\Delta U_c)_1 \text{ and } (\Delta U_F)_2 < (\Delta U_c)_2$$

$$DP = DP_2 + |DP_1 - DP_2| \frac{LP2}{L21} \quad \text{III-8}$$

(iii) all other cases

$$DP = DP_2 + (DP_1 - DP_2) \frac{LP2}{L21} \quad \text{III-9}$$

If $(DP)_{i-2} = (DP)_1, (DP)_2, \dots, (DP)_i$ are the steps of the iteration process, then the DP value will be reached when $(\Delta U_c - \Delta U_F)/\Delta U_c$ is smaller than the prescribed number.

III-3. Iteration for Creep Precision in the Fuel

The increment of creep strain within a time step is determined by an empirical formula corresponding to the stress level in the previous

time step. In order to achieve precision in the creep increment calculation, a suitable time increment should be chosen for the time step, so that the creep increment and the stress variation (caused by this creep increment) is kept lower than a certain value (RV1).

If PH, PR and PZ are defined as:

$$\left. \begin{aligned} \text{PH} &= \Delta\sigma_{\theta} / \sigma_{\theta} \\ \text{PR} &= \Delta\sigma_{r} / \sigma_{r} \\ \text{PZ} &= \Delta\sigma_{z} / \sigma_{z} \end{aligned} \right\} \quad \text{III-10}$$

where $\Delta\sigma_{\theta}$, $\Delta\sigma_{r}$, $\Delta\sigma_{z}$ are the stress increments caused by the creep affect within this time step, and σ_{θ} , σ_{r} , σ_{z} are the components of the total stress level in the previous time step. Also, let us designate:

$$\text{AMX} = \max\{\text{PH}, \text{PR}, \text{PZ}\}. \quad \text{III-11}$$

To assure precision of the calculation, AMX should be kept smaller than RV1. But, in order to save computing time, AMX should be larger than another value RV2. We can thus adjust the time increment (Δt), so that $\text{RV1} < \text{AMX} < \text{RV2}$ (See Fig. III-6).

Let Δt_0 be the initial time increment and let us determine AMX_0 . If AMX_0 is not within the allowed interval for AMX, we adjust Δt by a linear relation between AMX_0 and RV1, as described in Figure III-6. Thus, the first trial of time increment Δt is:

$$\Delta t_1 = \Delta t_0 \frac{\text{RV1}}{(\text{AMX})_0} \quad \text{III-12}$$

We can calculate $(\text{AMX})_1$ by using t_1 in Equation III-7. If $(\text{AMX})_1$ is still not in the allowed interval for AMX, we shall readjust Δt . As described in Figure III.11, the second trial of the time increment Δt_2 will be:

733 002

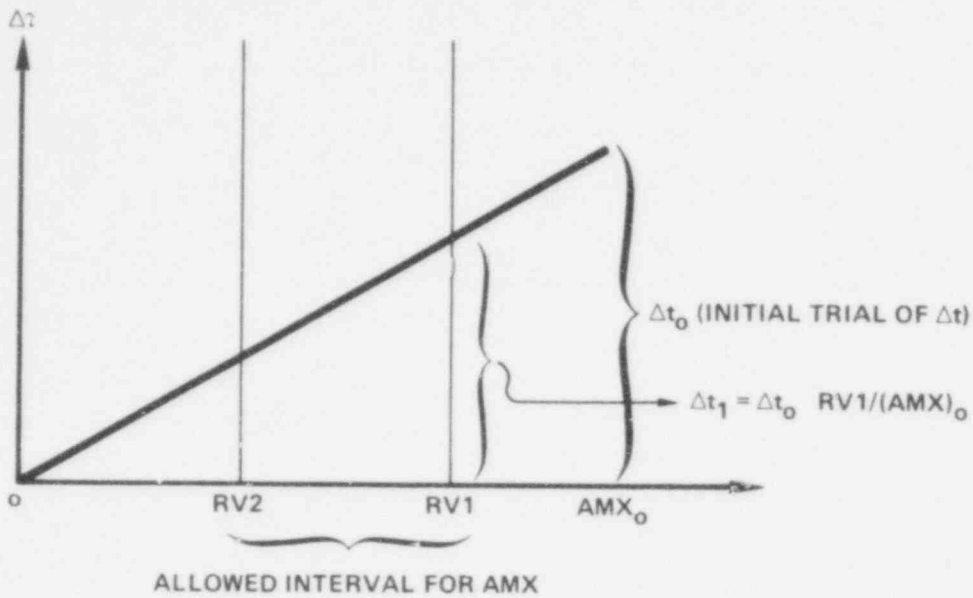


Figure III - 6. Adjusted Time Increment, Δt , Versus Maximum Fractional Stress Increment - First Trial.

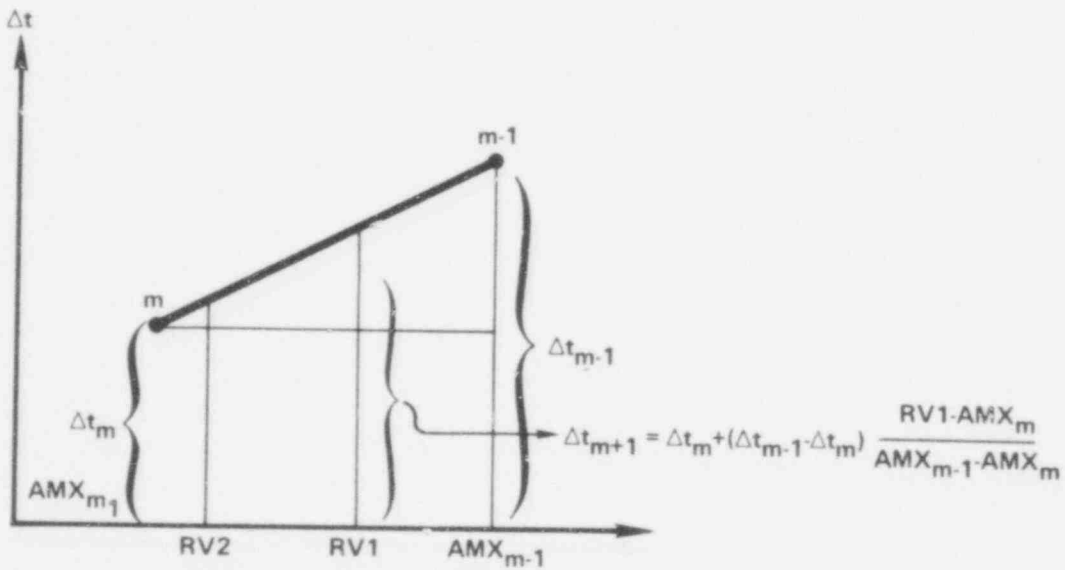


Figure III - 7. Adjusted Time Increment, Δt , Versus Maximum Fractional Stress Increment - m^{th} Trial.

$$\Delta t_2 = \Delta t_1 + (\Delta t_0 - \Delta t_1) \frac{RV1 - AMX_1}{AMX_0 - AMX_1} \quad \text{III-13}$$

This process can be repeated by using

$$\Delta t_{m+1} = \Delta t_m + (\Delta t_{m-1} - \Delta t_m) \frac{RV1 - AMX_m}{AMX_{m-1} - AMX_m} \quad \text{III-14}$$

until AMX has a value inside the allowed interval.

A flow chart for the creep precision iteration is shown in Figure III-8.

III.4. A Simplified Flow Chart.

Figure III-9 illustrates the calculation of the strain change, boundary displacements, fuel-clad gap thickness and stress distribution. The process consists of the computation of:

1. The strain change ($\Delta \epsilon^C$) and the stress change ($\Delta \sigma^C$) caused by the creep effect. An iteration process is used to adjust Δt so, that $\Delta \sigma^C / \sigma$ is small enough to result precise creep values.

2. The increment of the swelling strain and of the fission gas release. By knowing the available gas volume, the fission gas pressure can be determined.

3. The boundary displacements within this time step.

4. The fuel-clad gap thickness. If the gap is still open, the fission gas pressure acts at the outer boundary of the fuel and at the inner boundary of the clad. If the gap is closed, an iteration process is used to determine the fuel-clad mechanical interaction force (P_{fc}).

5. The stress distribution. This can be determined after the stress change (due to the swelling effect) and the pressures are calculated.

This process is repeated for all the axial sections and for all the time steps.

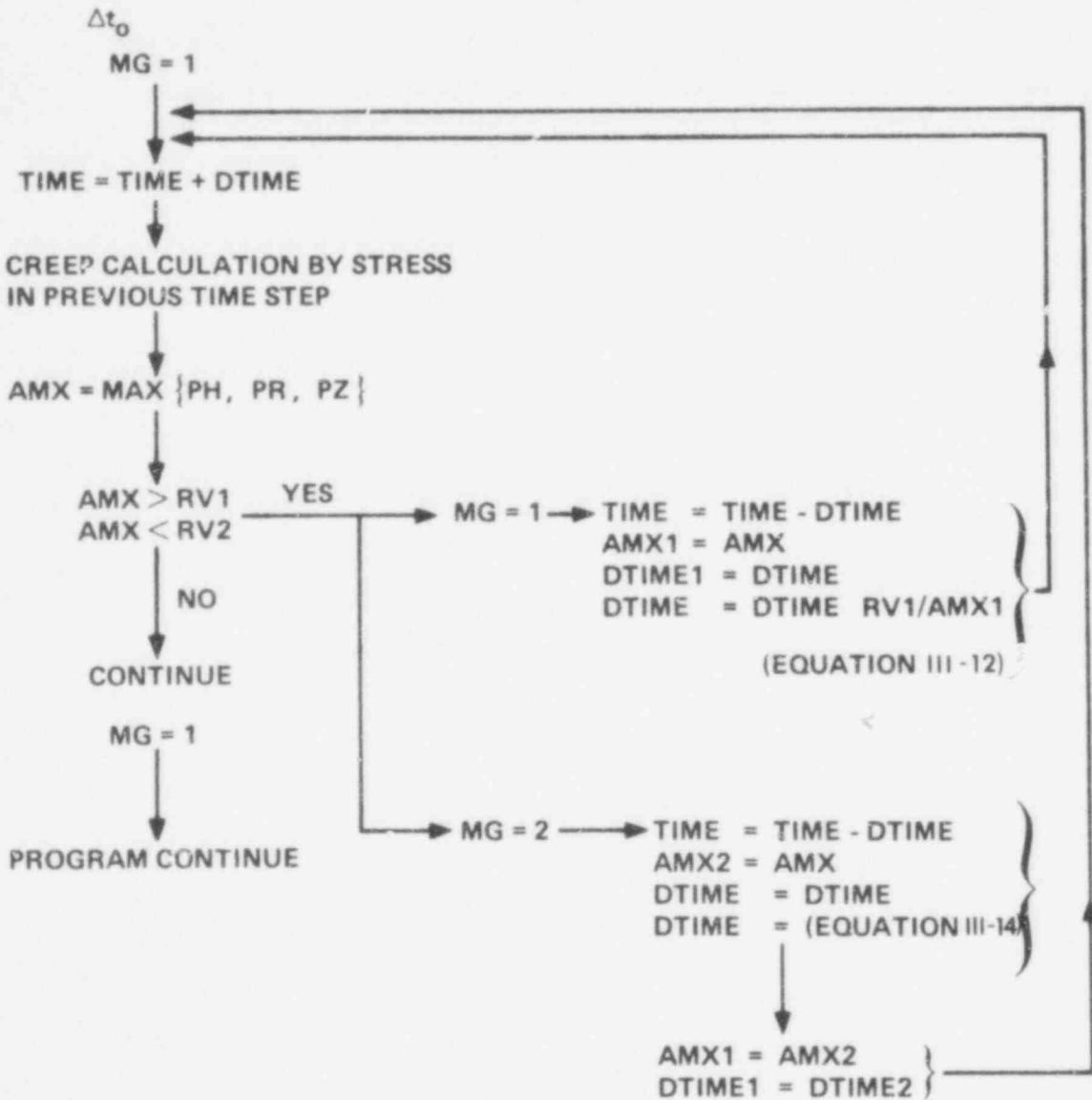


Figure III - 8. Flow Chart for Creep Precision Iteration.

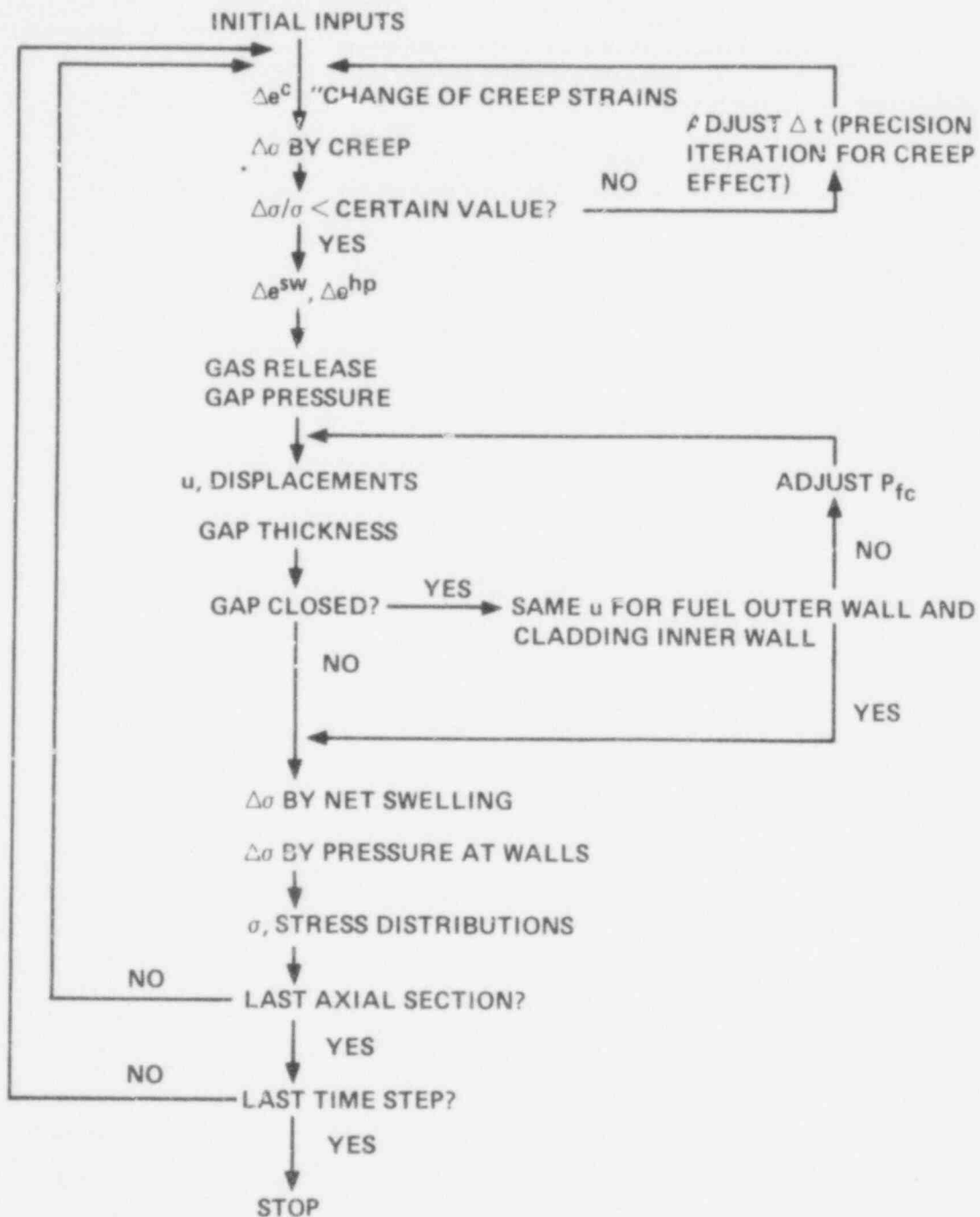


Figure III - 9. Simplified Flow Chart

733 087

CHAPTER IV. PRELIMINARY CALCULATIONS

IV.1. Calculations for Fuel Pin PNL-10-23

The fuel pin PNL-10-23, which had been irradiated in the EBR--II, has been chosen for comparison with the code. The specification of this fuel are the following: (11)

Fuel $UO_2 - PuO_2$ (65 wt % enriched U-235)

Fuel pellet diameter: 0.194 in., density: 90.9% TD

Fuel columnar length: 13.5 in.

Fuel smear density: 85.5% TD

Fuel-cladding gap width: 3 mils

Cladding material: 20% CW 316 S.S.

Cladding dimension: 0.23 in. OD x 0.015 in. thick

Gap plenum volume: 6.1 cm^3

Peak linear heat rating: 9.87 kW/ft

Peak burn-up: 5%

The post-irradiated fuel zone boundaries at the mid-plane are the following:

Central Void Radius (mils)	Columnar Grain Radius (mils)	Equiaxed Grain Radius (mils)
6.4	52.5	69.1

The mixed oxide fuel should be restructured completely above $\sim 1650^\circ\text{C}$ (columnar grain growth region), and the equiaxed grain growth is observed at about 1300°C . By normalizing the radius of the columnar zone and the equiaxial grain zone to 1650°C and 1300°C , respectively, the radial temperature distribution in the fuel region can be determined. The reported cladding surface temperature can also be used to determine the radial temperature distribution in the cladding.

By using the above values as inputs, the stresses, strains, boundary deformations, and the gap closures for the fuel PIN PNL-10-23 have been calculated.

A second sample case, with a smaller (2.4 mils) initial gap, has also been calculated. The gap closed at a 3.5% burn-up.

The results of these two primary calculations are shown in Figure E-1 through Figure E-3.

Figure E-1 shows the boundary movements of the fuel outer wall and the clad inner wall. In the first case, the initial gap thickness is larger, and the gap does not close before a 5% burn-up. In the second case, a small initial gap has been used that closed at 3.2% burn-up after 10,800 hours of irradiation. After 2 years of irradiation (5% burn-up), the post irradiation measurement of the clad boundary displacement was 1.26 mils. The calculated value is 1.5 mils; it is close to the measured value.

Figure E-2 shows the displacement of the clad wall (U_c) in the first and in the second case, after the clad has been irradiated for 10,800 hours. The fuel-clad mechanical interaction (P_{fc}) in the second case is also shown in this figure. Because the gap is closed and P_{fc} acts on the cladding boundary, U_c is larger than it was in the first case.

The maximum radial hoop stress $(\sigma_{\theta}^C)_{\max}$ acts in the outer wall of the clad. Figure E-3 shows the time behavior of this stress.

$(\sigma_{\theta}^C)_{\max}$, that was induced by the start-up heating, is first relaxed by the creep effect, then, it is increased by the irradiation-induced

swelling of the clad. After the gap closure in the second case, $(\sigma_{\theta}^c)_{\max}$ is increased by the P_{fc} acting on the clad inner wall.

IV.2. Calculations for 6 kW/ft and 15 kW/ft Fuel Pins Irradiated in EBR-II.

In order to compare the results of our code to that of LIFE III, two sample calculation inputs of the LIFE III code (6 kW/ft and 15 kW/ft) have been used as inputs for the KRASS code.

IV.2.1. The Low Power Case (6kW/ft).

This is a calculation for a test fuel element that was irradiated in EBR. The specifications of the fuel element are the following:

Fuel: $UO_2 - PuO_2$ (65% wt enriched)

Fuel pellet radius: 0.11148 inch

Fuel density: 92.9% TD

Fuel columnar length: 13.5 inch

Cladding length: 36 inch

Fuel-cladding gap width: 1 mils

Cladding materials: 20% CW 316 S.S.

Cladding dimension: 0.25 inch OD x 12.5 mils thickness

Peak linear heat rating: 9.87 kW/ft

Coolant inlet temperature: 700°F

Coolant outlet temperature: 980°F

Neutron Flux: 0.65×10^{15} neut/cm²sec

The temperature after the start-up period (printed by LIFE III) was used as the input for the KRASS code. The stresses, strains, boundary movements and the gap closures were calculated for this 6 kW/ft fuel element.

The fuel is divided into three axial components in the computation. The results of the KRASS code were compared to those of the LIFE III code in Figures E-4 and E-5. As Figure E-4 shows, the fuel-clad closure is calculated 980 hours by LIFE III, and at 1150 hours by KRASS. After the gap closure the P_{fc} values given by both codes are very similar. The maximum radial hoop stress in the clad is measured at the outer wall by both codes. Because of fuel-clad interaction P_{fc} at the inner wall, the stress and strain magnitudes start to increase in the clad in about 260 hours after the gap closure. At this time the value of P_{fc} is large enough to compensate the outward swelling of the fuel; the increase rate of P_{fc} is thus reduced, and the hoop stress in the clad starts to be relaxed by the creep effect.

Comparing the results of the two codes after 2750 hours of irradiation (Figure E-4) we find:

	KRASS	LIFE III
$(\sigma_{\theta}^c)_{\max}$	28 ksi	25.4 ksi
e_t^c	0.87%	0.67%

After 7500 hours of irradiation:

	KRASS	LIFE III
$(\sigma_{\theta}^c)_{\max}$	27.5 ksi	29.7 ksi
$(e_{\theta}^c)_t$	2.46%	2.70%

Figure E-5 shows the displacement of the fuel outer wall (U_F) and of the clad inner wall (U_c). As this figure indicates, after 2750 hours and 7500 hours, the U_F and U_c values calculated by the KRASS code are similar to those given by the LIFE-III code.

IV.2.2. The High Power Case (15.2 kW/ft).

This is a calculation for a test fuel element irradiated in the EBR-II. The specifications are the following:

Fuel: $UO_2 - PuO_2$ (65% wt enriched)

Fuel pellet radius: 0.1085 inch

Fuel density: 90.8% TD

Fuel columnar length: 13.5 inch

Cladding length: 36 inch

Fuel-clad gap width: 1.8 mils

Cladding material: 20% CW 316 S.S.

Cladding dimension: 0.22 mils x 28 mils thickness

Peak linear power rating: 15.2 kW/ft

Coolant inlet temperature: 700°F

Coolant outlet temperature: 860° F

Neutron flux: 1.16×10^{15} neut/cm² sec

Figure E6 shows the fuel-clad gap closure, the fuel-clad interaction force, the total hoop strain $(e_{\theta}^c)_t$, and the $(\sigma_{\theta}^c)_{max}$, calculated by the VRASS code. The fuel-clad gap closes at 1600 hours. Before gap closure the irradiation-induced swelling strain is the main contributor to the $(e_{\theta}^c)_t$. After gap closure the creep strain induced by P_{fc} in the clad gives a larger $(e_{\theta}^c)_t$. 150 hours after gap closure P_{fc} reaches a large enough value to compensate the outward swelling of the fuel. The increase rate of P_{fc} is thus reduced. 150 hours after gap closure P_{fc} increases by 750 psi, which results in a 5.9 ksi increase of $(\sigma_{\theta}^c)_{max}$. After 1750 hours, the creep rate in the clad is 1.9×10^{-7} /hr.

733 092

This is three times that of the 6 kW/ft case. This large creep rate is due to the higher neutron flux used in this calculation. Because of this creep in the clad, and the small reduction of P_{fc} due to the fuel creep, $(\sigma_{\theta}^c)_{\max}$ starts to reduce its magnitude 150 hours after the gap closure. At 4% burn-up, P_{fc} , $(\sigma_{\theta}^c)_{\max}$, and $(e_{\theta}^c)_t$ is 550 psi, 4.8 ksi, and 0.06%, respectively.

In this high power case, the available version of LIFE III gave results which oscillate in their values, because the code did not have a subroutine to control creep stability in the fuel region. In the KRASS code, a control scheme was included to assure that in each time step, the change of state caused by the creep effect is small enough to allow accurate calculations.

The results of the KRASS code are within the envelope of the oscillatory results given by LIFE III.

CHAPTER V. APPLICATIONS

V.1. List of Applications.

The KRASS code is used for the calculations of the fuel element behavior in CRBR and in a large conceptual LMFBR. The fuel element specifications in these reactors are the following:

	CRBR	Conceptual LMFBR
Fuel material:	(U - Pu)O ₂	(U - Pu)O ₂
Fuel pellet radius:	0.097 inch	0.135 inch
Fuel density:	91.3% TD	85% TD
Fuel smear density:	85.5% TD	80% TD
Core column length:	36 inch	42.8 inch
Fuel-clad gap:	3.25 mils	2.5 mils
Cladding material:	20% CW, 31% S.S.	20% CW, 31% S.S.
Cladding radius:	0.115 inch	0.14 inch
Cladding thickness:	15 mils	17 mils
Fission gas plenum length:	48 inches	37.6 inches
Peaking linear power:	12 kW/ft	16.03 kW/ft
Coolant inlet temperature:	730°F	760°F
Coolant outlet temperature:	1050°F	1170°F

12 kW/ft, 9 kW/ft and 6 kW/ft fuel elements have been analyzed in CRRB applications and calculations were made for the 15 kW/ft and 9 kW/ft elements used in a conceptual large LMFBR. Different correlations are used to calculate the irradiation swelling in the clad. The creep rate in the fuel, the smear density, and the fuel density are also varied. The cases of calculations are listed in the following.

Symbols: LP: linear power (kW/ft)
 NCSW: options for the correlation of swelling in the clad
 (Equations in Section 2.3.1 of Chapter II).
 NZ: total number of axial sections for the fuel column.
 1st axial section is the bottom section of the fuel pin.
 ϕ : neutron flux ($\times 10^{15}$ neut/cm² sec)

(1) Basic Cases

Case	Reactor	LP	NCSW	NZ	ϕ
A0	CRBR	12	II-40	3	4.7
A1	CRBR	12	II-41	3	4.7
A3	CRBR	12	II-42	3	4.7
A4	CRBR	12	II-43	3	4.7
R1	CRBR	12	II-40	7	4.7
B0	CRBR	9	II-40	3	3.5
B1	CRBR	9	II-41	3	3.5
B3	CRBR	9	II-42	3	3.5
B4	CRBR	9	II-43	3	3.5
R2	CRBR	9	II-40	7	3.5
N0	CRBR	6	II-40	3	2.4
N1	CRBR	6	II-41	3	2.4
N3	CRBR	6	II-42	3	2.4
N4	CRBR	6	II-43	3	2.4
H0	Conceptual LMFBR	15	II-40	3	8.5
H1	Conceptual LMFBR	15	II-41	3	8.5
H5	Conceptual LMFBR	15	II-40	5	8.5
M0	Conceptual LMFBR	9	II-40	3	5.2
M1	Conceptual LMFBR	9	II-41	3	5.2

The ratio of the axial section lengths is:

1:1:1 for NZ = 3 cases in CRBR

1:2:1 for NZ = 3 cases in the conceptual reactor.

The axial section lengths were equal for NZ = 5 and NZ = 7 cases.

(2) Sensitivity of the fuel properties

NCSW = II-40 for all cases

NZ = 3 for all cases

ρ_D = fuel density

ρ_S = smear density

$$\dot{\Delta} = 10^{8.368 \times 10^{-4} T(^{\circ}F) - 4.6628668} \quad (\text{Equation II-44.1})$$

$$\dot{\Delta} = 10^{5.23 \times 10^{-4} T(^{\circ}F) - 4.031495} \quad (\text{Equation II-44.2})$$

Equation II-44.1 and Equation II-44.2 represent two different fuel swelling models from that of Equation II-44. In these two equations the temperature dependence of the fuel swelling has a slope 0.8 and 0.5 times that of Equation II-44. The amount of fuel swelling is the same for all three cases at an average cold fuel region temperature. The cases for this sensitivity study are listed on the following page.

V.2. Calculation of the Fuel Element Behavior in CRBR

(1) Case A0 (CRBR, 12 kW/ft)

Figure A0-1 shows the time history of the fuel-clad gap closure and the fuel-clad mechanical interaction force. As the figure shows, the gap closes after 1831 hours, 1498 hours, and 1971 hours in the 1st, 2nd, and 3rd axial sections, respectively. After the gap closes, the highest P_{fc} is in the 1st axial section. After 13000 hours (12% burn-up), P_{fc} has the value of 5.1 ksi, 1.4 ksi, and 3.3 ksi in the 1st, 2nd and 3rd axial sections, respectively. The plenum pressure is 1.0 ksi at this burn-up.

Case	Reactor	L.P.	ϕ	Changes of Parameters from the Basic Case	Basic Case
AA	CRBR	12	4.7	creep rate in the fuel x 1.5	AO
AB	RBR	12	4.7	creep rate in the fuel x 0.5	AO
AG	CRBR	12	4.7	$\rho_S = 88\% \text{ TD}$	AO
AH	CRBR	12	4.7	$\rho_S = 83\% \text{ TD}$	AO
AI	CRBR	12	4.7	$\rho_D = 85\% \text{ TD}, \rho_S = 80\% \text{ TD}$	AO
AN	CRBR	12	4.7	$\dot{\Delta} = \text{eqn. II-44.1}$	AO
AS	CRBR	12	4.7	$\dot{\Delta} = \text{eqn. II-44.2}$	AO
BA	CRBR	9	3.5	creep rate in the fuel x 1.5	BO
BB	CRBR	9	3.5	creep rate in the fuel x 0.5	BO
BG	CRBR	9	3.5	$\rho_S = 88\% \text{ TD}$	BO
BH	CRBR	9	3.5	$\rho_S = 83\% \text{ TD}$	BO
BI	CRBR	9	3.5	$\rho_D = 85\% \text{ TD}, \rho_S = 80\% \text{ TD}$	BO
BN	CRBR	9	3.5	$\dot{\Delta} = \text{eqn. II-44.1}$	BO
BS	CRBR	9	3.5	$\dot{\Delta} = \text{eqn. II-44.2}$	BO
NA	CRBR	6	2.4	creep rate in the fuel x 1.5	NO
NB	CRBR	6	2.4	creep rate in the fuel x 0.5	NO
NG	CRBR	6	2.4	$\rho_S = 88\% \text{ TD}$	NO
NH	CRBR	6	2.4	$\rho_S = 83\% \text{ TD}$	NO
NI	CRBR	6	2.4	$\rho_D = 85\% \text{ TD}, \rho_S = 80\% \text{ TD}$	NO
NN	CRBR	6	2.4	$\dot{\Delta} = \text{eqn. II-44.1}$	NO
NS	CRBR	6	2.4	$\dot{\Delta} = \text{eqn. II-44.2}$	NO

733 097

Figure A0-2 shows the clad swelling rate at each radial node in each axial section. The difference between the swelling rate curves in each axial section represents the differential swelling rate, which can generate hoop tension across the clad wall. The swelling rate starts to have significant value after 8000 hours, 4800 hours, and 3200 hours irradiation in the first, the second, and the third axial section, respectively. As in Figure A0-2, the differential swelling rate is 10^{-6} /hr at 10500 hours in the first axial section. In the second axial section, the differential swelling rate is 1.4×10^{-6} /hr, 3.0×10^{-6} /hr, and 1.2×10^{-6} /hr at $t = 5200$ hours, 6200 hours and 10000 hours, respectively. In the third axial section the differential swelling rate changes its direction at 6600 hours and has values of 1.2×10^{-6} /hr, 3.8×10^{-6} /hr and 0.8×10^{-6} /hr at $t = 4000$ hours, 5200 hours, and 10000 hours, respectively.

Figure A0-3 shows the stress rate at the clad outer wall, the creep ($\dot{\sigma}_{cp}$), the swelling ($\dot{\sigma}_{sw}$), and the pressure ($\dot{\sigma}_p$) effects.

From the differential swelling rate across the clad wall described above, the behavior of $\dot{\sigma}_{sw}$ in each axial section can be understood. In the first axial section $\dot{\sigma}_{sw}$ becomes significant after 10500 hours radiation. After 13000 hours it has a value of 5 psi/hr. In the second axial section $\dot{\sigma}_{sw}$ becomes significant at 4800 hours with a peak value of 12.5 psi/hr at 6050 hours, and is almost a constant 6 psi/hr after 8000 hours. In the third axial section $\dot{\sigma}_{sw}$ becomes significant at 3400 hours. It has a peak of 21 psi/hr at 5200 hours. Because the differential swelling changes direction, at 6600 hours $\dot{\sigma}_{sw}$ changes to negative and has a constant -4 psi/hr value after 7500 hours.

733 098

Several days after gap closure the P_{fc} induced $\dot{\sigma}_p$ reaches a peak value of 8 psi/hr, 5.5 psi/hr, and 7.1 psi/hr in the first, second, and third axial sections, respectively.

Because of the thin wall geometry of the clad, any change of $\dot{\sigma}_{sw}$ and $\dot{\sigma}_p$ can generate a shear force, which can produce $\dot{\sigma}_{cp}$ in the clad. As Figure A0-3 shows, $\dot{\sigma}_{cp}$ always tries to relax the stress produced by the swelling or the pressure. Before the gap closure there is also a large creep rate in each axial section due to the relaxation of the thermal stress that was induced during the start-up period.

The sum of $\dot{\sigma}_p$, $\dot{\sigma}_{cp}$ and $\dot{\sigma}_{sw}$, in Figure A0.3, represents the net stress rate at the clad outer wall. The stress variation can also be obtained from this net stress rate.

Figure A0-4 shows the time behavior of the maximum clad stress $(\sigma_{\theta}^c)_{max}$ at the clad outer wall. The thermal stress, induced by the start-up heating, at first is relaxed by the creep effect. After the gap closes, the stress suddenly increases due to the effect of P_{fc} . This stress increment induces shear, which in turn relaxes the stress a few hundred hours after the sudden increase. The stress is then increased by the action of P_{fc} . In the time period during which the differential swelling in the clad becomes active, the stress increases its value. This stress increase is followed by a decrease. At 13000 hours (12% burn-up), the maximum clad stress is 19.4 ksi, 9.4 ksi, 13.5 ksi in the first, the second, and the third axial section, respectively.

Figure A0-5 shows the radial distribution of the clad hoop stress as a function of time. The start-up thermal stress has a large radial

slope in each axial section. At 1315 hours (1.3% burn-up), this stress is relaxed by the creep effect. At 4050 hours (3.9% burn-up peak) it increases to a positive value due to the action of P_{fc} after gap closure. At 8053 hours (7.7% burn-up), the radial slopes of the stress distribution increase in the second and the third axial sections. This is the result of the differential swelling in the clad in these two sections. At 12818 hours (11.8% burn-up peak). The clad swelling increases the slope in the first axial section, and the creep decreases the slope in the other two sections.

Figure A0-6 shows the total hoop strain in the clad for each axial section. After 13000 hours of irradiation, the total hoop strain $(e_{\theta}^c)_{tot}$ is 5.1%, 1.9%, and 4.2% in the first, second and third axial section, respectively.

Figure A0-7 shows the radial distribution of the total hoop strain and the swelling strain in the clad. In the first axial section the swelling strain is small; the creep strain induced by P_{fc} is the major contributor to the total strain. In the second and the third axial section the contribution of the swelling strain to the total strain is 67.1% and 25%. The remaining part of the total strain is mainly creep strain.

(2) Case A1 (CRBR, 12 kW/ft)

Figure A1-1 shows the temperature dependence of the swelling in the clad. It also shows the temperature range across the clad wall in each axial section. The differential swelling across the clad wall is small.

Figure A1-2 shows the fuel-clad gap closures and the fuel-clad interaction force (P_{fc}). The gap closes at 1800 hours, 1650 hours, and 2000 hours in the first, second, and third axial sections, respectively. At 13000 hours (12% peak burn-up), the P_{fc} is 4.9 ksi, 1.6 ksi, and 3.4 ksi in each axial section, respectively. The plenum pressure is 1.0 ksi at that time.

Figure A1-3 shows the clad hoop stress rate due to the irradiated swelling ($\dot{\sigma}_{sw}$), the creep ($\dot{\sigma}_{cp}$), and the pressure ($\dot{\sigma}_p$). Because of the small differential swelling, $\dot{\sigma}_{sw}$ is small in all three axial sections. In the second axial section, the fuel temperature is higher, the fuel is softer and so P_{fc} is smaller. The combination of $\dot{\sigma}_{sw}$, $\dot{\sigma}_{cp}$ and $\dot{\sigma}_p$ gives the net hoop stress rate, which determines the stress variation in the clad.

Figure A1-4 shows the history of $(\sigma_{\theta}^c)_{max}$ in each axial section. In the second and third axial sections, the maximum hoop at the clad outer wall is caused by the P_{fc} . After 13000 hours irradiation, $(\sigma_{\theta}^c)_{max}$ is 20 ksi, 10.2 ksi, and 15.7 ksi in each axial section, respectively.

Figure A1-5 shows the radial distribution of the hoop stress across the clad wall. The thermal stress induced by start-up heating is first relaxed by the creep effect. After the fuel-clad gap closes, P_{fc} causes tension across the clad wall.

Figure A1-6 shows the total hoop strain in each clad axial section. At 13000 hours, the total strain is 5.4%, 1.8% and 4.2% in the first, second, and third axial section.

733 101

Figure A1-7 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 1000 hours the creep strain is 86.1%, 34.0%, and 76.9% of the total strain in the first, second and third axial sections, respectively. The rest of the total strain is mainly swelling strain.

(3) Case A3 (CRBR, 12 kW/ft)

Figure A3-1 shows the temperature dependence of the clad swelling and the temperature range across the clad wall in each axial section. The swelling is larger at the hot region (inner wall) in the first axial section while in the second and the third axial sections, it is larger at the cooler region (outer wall). The differential swelling across the clad wall is larger in the first and the second axial sections than in the third one.

Figure A3-2 shows the fuel-clad gap closure and the fuel-clad interaction force. The gaps close at 1900 hours, 1600 hours and 1970 hours in the first, second and third axial sections, respectively. At 13000 hours (12.0% peak burn-up), P_{fc} is 4.7 ksi, 1.2 ksi, and 3.5 ksi in each axial section, respectively.

Figure A3-3 shows the hoop stress rate at the outer wall of the clad due to the pressure ($\dot{\sigma}_p$), the swelling ($\dot{\sigma}_{sw}$), and the creep ($\dot{\sigma}_{cp}$). Because of the differential irradiated swelling across the clad wall, $\dot{\sigma}_{sw}$ is positive in the first axial section and negative in the second and the third axial sections at the outer wall of the clad. The combination of $\dot{\sigma}_p$, $\dot{\sigma}_{sw}$, and $\dot{\sigma}_{cp}$ gives the net hoop stress rate ($\dot{\sigma}_\theta$) which governs the behavior of the hoop stress at the outer wall of the clad.

733 102

Figure A3-4 shows the history of the maximum hoop stresses. In the first axial section, the maximum hoop is 20.5 ksi at 13000 hours at the clad outer wall because of the smaller swelling in this region. In the second axial section, the clad inner wall has smaller swelling and so the maximum hoop stress is found in this region at 13000 hours with a value of 11.5 ksi. In the third axial section, the maximum hoop occurs in the clad inner wall. After 9800 hours, the P_{fc} is large enough to induce larger tensions and causes maximum hoop stress in the clad outer wall. At 13000 hours, the maximum hoop stress is 15.5 ksi in this axial section.

Figure A3-5 shows the hoop stress distribution across the clad wall at 0 hours, 1310 hours, 3920 hours, 7920 hours, and 11730 hours.

Figure A3-6 shows the total hoop strain in the clad. At 13000 hours (12% peak burn-up), it is 6.6%, 4.6%, and 4.3% in the first, second and third axial section, respectively.

Figure A3-7 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 10000 hours, the creep strain is 66.7%, 6.8%, and 75.8% of the total hoop strain in the first, second, and third axial sections, respectively. The rest of the total strain is mainly swelling strain.

(4) Case A4 (CRBR, 12 kW/ft)

Figure A4-1 shows the clad swelling pattern as a function of the temperature. The temperature range across the clad wall in each axial section is also shown. The third axial section has the largest clad swelling, while the second axial section has the largest differential swelling across the clad wall.

Figure A4-2 shows the gap thickness and the fuel-clad interaction force in each axial section. The gap closes at 1830 hours, 1550 hours, and 2100 hours in the first, the second and the third axial section, respectively. After the gap closure P_{fc} is highest in the first axial section because of the lower fuel temperature and less clad swelling. P_{fc} is 5 ksi, 1.4 ksi and 3.5 ksi in the first, the second, and the third axial section, respectively at 13000 hours (12.0% peak burn-up). The plenum pressure is 1 ksi at this time.

Figure A4-3 shows the clad-hoop stress rate due to creep, swelling, and pressure. In the second axial section $\dot{\sigma}_{sw}$ is large because of the large differential swelling across the clad wall. This $\dot{\sigma}_{sw}$ can generate $\dot{\sigma}_{cp}$ and relax the stress induced by the differential swelling effect. Because of the higher fuel temperature in this axial section, the fuel is softer and $\dot{\sigma}_p$ is smaller. In the first and the second axial sections, the stresses induced by swelling and pressure can also be relaxed by the creep effect. In all three axial sections the summation of $\dot{\sigma}_{sw}$, $\dot{\sigma}_{cp}$, and $\dot{\sigma}_p$ represents the net rate for the hoop stress in the clad. The behavior of the hoop stress variation (Figure A4-4) can thus be understood clearly by knowing this net hoop stress.

Figure A4-4 shows the maximum hoop stress in the clad. First the start-up thermal stress is relaxed by the creep effect. After the gap is closed, the stress is first relaxed by the high shear generated by a sudden jump of P_{fc} . Then the stress is increased by the clad differential swelling and the acting of P_{fc} . At 13000 hours (12.0% burn-up peak), the maximum hoop stress is 20.5 ksi, 12.2 ksi, and

16.0 ksi in the first, the second, and the third axial sections, respectively.

Figure A4-5 shows the radial distribution of the hoop stress across the clad wall at different times. Because of the differential thermal expansion during the start-up period, the thermal stress at $t = 0$ hour has a large slope across the clad wall. This stress can be relaxed by the creep effect to a flatter slope. In the second axial section, the differential swelling causes a larger slope even at large burn-ups. In the first and the second axial sections, P_{fc} causes tension across the clad wall.

The total hoop strain is shown in Figure A4-6. The radial distribution of the total strain and the creep strain across the clad wall is shown in Figure A4-7. Because of the large P_{fc} in the first axial section, the creep strain is the main contributor to the total strain. As a result of the large clad swelling in the third axial section, the swelling strain makes the largest contribution to the total strain in that section. At 10000 hours (9.2% peak burn-up), the creep strain is 88.2%, 29.4%, and 45.0% of the total strain in the first, second and the third axial section, respectively. The rest of the total strain is mainly swelling strain. At 13000 hours (12% peak burn-up), the total hoop strain is 4.8%, 3.0%, and 5.9% in each axial section, respectively.

The percentage of the axial displacement for the fuel and the clad is shown in Figure A4-8. Before 1700 hours, the fuel axial displacement is small because the fuel-clad gap is still open and there is no clad confinement in the radial direction. At 12000 hours (11% peak

burn-up), 21.3% and 0.36% of the axial displacement is in the fuel and the clad, respectively.

(5) Case R1 (CRBR, 12 kW/ft)

Figure R1.1 shows P_{fc} in each axial section. After 13000 hours of irradiation, P_{fc} is 6.6 ksi, 3.0 ksi, 1.8 ksi, 1.4 ksi, 1.7 ksi, 2.2 ksi, and 4.5 ksi in each axial section, respectively.

Figure R1.2 shows $(\sigma_{\theta}^C)_{max}$ in each axial section. $(\sigma_{\theta}^C)_{max}$ exhibits peaks at 6400 hours, 5400 hours, and 6500 hours in fourth, fifth and sixth axial sections, respectively. After 13000 hours of irradiation $(\sigma_{\theta}^C)_{max}$ is 23.5 ksi, 14.8 ksi, 10.9 ksi, 8.5 ksi, 9.5 ksi, 12.6 ksi, and 18.4 ksi in each axial section, respectively.

Figure R1.3 shows (e_{θ}^C) . After 13000 hours of irradiation, it is 6.3%, 3.0%, 1.9%, 1.6%, 2.3%, 3.3%, and 5% in each axial section, respectively.

(6) Case B0 (CRBR, 9 kW/ft)

Figure B0-1 shows the fuel-clad gap closure and the fuel-clad interaction force after the closure. The gap closed at 2160 hours, 1780 hours, and 2140 hours in the first, second, and third axial sections, respectively. P_{fc} increases to 3.5 ksi, 0.8 ksi, and 1.7 ksi at 8000 hours (Bu = 6% peak) and is 6 ksi, 1.1 ksi, and 2.4 ksi at 13000 hours (Bu = 9.2% peak) in each axial section, respectively. The plenum pressure is 0.66 ksi at 13000 hours.

Figure B0-2 shows the swelling rate at each radial node across the clad wall. The swelling rate becomes significant at 10000 hours, 7000 hours and 6000 hours in the first, the second and the third axial sections. The differential swelling rate across the clad

733 106

wall can result in stress change. In the first axial section, the differential swelling rate across the clad is 0.7×10^{-6} /hr at 13000 hours. In the second axial section, it is 1.0×10^{-6} /hr, 1.2×10^{-6} /hr and 1.1×10^{-6} /hr at 8000 hours, 10000 hours and 13000 hours, respectively. In the 3rd axial section, it is 0.9×10^{-6} /hr, 2.6×10^{-6} /hr, and -0.2×10^{-6} /hr at 6500 hours, 8000 hours, and 13000 hours, respectively. The differential swelling rate changes its direction at 10000 hours in the third section.

Figure B0-3 shows the rate of the hoop stress, due to creep, swelling and pressure at the outer wall of the clad. In the second axial section, the clad stress rate (due to P_{fc}) is lower than that in the other two sections, because the fuel temperature is higher, and so the fuel is softer. The stress due to swelling becomes significant at 10000 hours, 7000 hours, and 6000 hours in each section, respectively. In the second axial section, the differential swelling rate stays almost constant, and so does the stress rate due to swelling after 9400 hours. In the third axial section, the stress rate due to the swelling reaches a maximum at 8400 hours and then decreases due to a decrease in the differential swelling across the clad wall. After 11200 hours, this swelling stress becomes negative with a value of -0.5 psi/hr at 13000 hours.

As we can see in Figure B0-3, any change in the stress rate, due to pressure and swelling, can induce a creep stress rate which relaxes the stress. The combination of the stress rate due to the pressure, swelling, and creep effects, gives the net stress rate which determines the stress variations.

Figure B0-4 shows the history of $(\sigma_{\theta}^c)_{\max}$ in each axial section. The thermal stresses, induced by the start-up heating, are first relaxed by the creep effect. The gap closure is followed by a stress jump under the influence of P_{fc} . This induces shear to the clad and the creep effect can relax the stress several hundred hours after the stress jump. The clad differential swelling results in stress variations at about 8000 hours in the second and the third axial sections. In the first axial section, the increase of P_{fc} results in stress increment. At 13000 hours (9.2% peak burn-up), the hoop stress at the clad outer wall is 21.5 ksi, 9 ksi, and 13 ksi in the first, second, and third axial sections.

Figure B0-5 shows the radial distribution of the hoop stress across the clad wall at different times. The start-up thermal stress is first relaxed to a flatter shape. After gap closure P_{fc} adds tension to the hoop stress all across the clad wall. The slope increment of the hoop curves in the second and third axial section at 13000 hours and 8075 hours is due to the differential swelling across the clad wall.

Figure B0-6 shows the total hoop strain at the clad outer wall. It is 5.2%, 1.4 % and 2.2% at 13000 hours (9.2% peak burn-up) in each axial section, respectively.

Figure B0-7 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 10000 hours, the creep strain is 90%, 40%, and 60% of the total strain in the first, the second, and the third axial sections, respectively. The remaining part of the total strain is mainly swelling strain.

(7) Case B1 (CRBR, 9 kW/ft)

Figure B1-1 shows the temperature dependence of the swelling in the clad. It also shows the temperature range across the clad wall in each axial section. The swelling is the largest in the third axial section, and is the smallest in the first axial section.

Figure B1-2 shows the gap closure (GAP) and the interaction force between the fuel and the clad. The gap closes at 2100 hours, 1800 hours, and 2200 hours in each axial section, respectively. After gap closure, P_{fc} is largest in the 1st axial section and is smallest in the second axial section. After 13000 hours of irradiation ($Bu = 9.5\%$), P_{fc} is 5.6 ksi, 0.9 ksi, and 2.3 ksi in each axial section, respectively. At this time, the plenum pressure is 0.5 ksi.

Figure B1-3 shows the maximum hoop stress in the clad. The radial maximum of the hoop stress is located at the outer wall of the clad in all three axial sections. Because of the larger P_{fc} in the first axial section, $(\sigma_{\theta}^C)_{max}$ is larger there than in the other two sections. After 13000 hours of irradiations, P_{fc} is 20.6 ksi, 9.8 ksi, and 13.9 ksi, in each axial section, respectively.

Figure B1-4 shows the total hoop strain in the clad. Because of the large P_{fc} in the first axial section, the total hoop strain is also larger there than in the other two sections. After 13000 hours of irradiation, the total hoop strain is 5.3%, 2.5%, and 3.5%, in each axial section, respectively.

Figure B1-5 shows the radial distribution of the hoop strain across the clad wall. It also shows the creep strain. The creep

strain is 94%, 26.7%, and 28.6% of the total hoop strain in each axial section, respectively.

(8) Case B3 (CRBR, 9 kW/ft)

Figure B3-1 shows the temperature dependence of the swelling pattern in the clad. It also shows the temperature range across the clad wall in each axial section. The clad has larger swelling at the cooler region (outer wall) in the second and the third axial section. In the first axial section, the swelling is larger in the hotter region (inner wall). The differential swelling across the clad wall is large in the first and third axial section and small in the second axial section.

Figure B3-2 shows the fuel-clad gap closure, and the fuel-clad interaction force after the closure. The gap closes at 2212 hours, 2008 hours, and 2187 hours in the first, second, and third axial section, respectively. P_{fc} has its highest value in the first axial section. At 13000 hours (9.2% peak burn-up), it is 5.6 ksi, 1.0 ksi, and 2.9 ksi in each axial section, respectively. At 12000 hours, the plenum pressure is 0.6 ksi.

Figure B3-3 shows the hoop stress rate at the clad outer wall due to differential swelling ($\dot{\sigma}_{sw}$), creep ($\dot{\sigma}_{cp}$), and pressure ($\dot{\sigma}_p$). In the first axial section the $\dot{\sigma}_{sw}$ is positive and $\dot{\sigma}_p$ is larger than in the other two axial sections. In the second and the third axial section $\dot{\sigma}_{sw}$ is negative. The combination of the $\dot{\sigma}_{sw}$, $\dot{\sigma}_{cp}$, and $\dot{\sigma}_p$ gives the net stress rate which determines the stress variation in the clad.

733 110

Figure B3-4 shows the maximum hoop stress in the clad in each axial section. The stress behavior at the clad outer wall can be understood by examining Figure B3-3. In the second and the third axial sections the maximal hoop stress occurs at the inner wall of the clad. This is due to the larger swelling at the outer wall, results in hoop tension to the inner wall, and hoop compression to the outer wall of the clad. At 13000 hours (9.2% peak burn-up), the maximum hoop stress is 22.5 ksi, 7.7 ksi, and 15.5 ksi in the first, second, and third axial section, respectively.

Figure B3-5 shows the radial distribution of the hoop stress across the clad wall. The thermal stresses, induced by the start-up heating, are first relaxed to a flatter shape by the creep effect (1380 hours). At 4130 hours, 8000 hours, and 12000 hours, P_{fc} induces tension to all three axial sections, and the differential swellings increase the slope of the curves. Because of the different direction of the differential swelling, the sign of the slope of the hoop curve in the first axial section is opposite to those in the other two axial sections.

Figure B3-6 shows the total hoop strain in the clad. At 13000 hours, the total strain is 5.9%, 4.2% and 2.4% in the first, second, and third axial section, respectively.

Figure B3-7 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 10000 hours (7% peak burn-up), the contribution of the creep strain to the total strain is 70.4%, 3.3%, and 44.4% in each axial section, respectively. The remainder is mostly swelling strain.

733 111

(9) Case B4 (CRBR, 9 kW/ft)

Figure B4-1 shows the temperature dependence of the swelling in the clad and the temperature range across the clad wall in each axial section. The swelling is highest in the third axial section and lowest in the first axial section. The differential swelling across the clad wall is highest in the second axial section.

Figure B4-2 shows the fuel-clad gap closure and the fuel-clad interaction force in each axial section. The gaps close at 2150 hours, 1800 hours, and 2250 hours in the first, second and third axial section, respectively. At 13000 hours, P_{fc} is 5.4 ksi, 1.0 ksi, and 2.9 ksi in each axial section. The plenum pressure is 0.55 ksi at that time.

Figure B4-3 shows the hoop stress rate, at the outer wall of the clad, due to the differential swelling ($\dot{\sigma}_{sw}$), the creep effect ($\dot{\sigma}_{cp}$), and the pressure ($\dot{\sigma}_p$). As this figure shows, $\dot{\sigma}_{sw}$ is high and $\dot{\sigma}_p$ is low in the second axial section. The summation of $\dot{\sigma}_{sw}$, $\dot{\sigma}_{cp}$, and $\dot{\sigma}_p$ gives the net stress rate at the outer wall of the clad. The net stress rate is low in the second axial section.

Figure B4-4 shows the time history of the maximum hoop stress in the clad. The hoop stress is maximal at the outer wall of the clad in all three axial sections. At 13000 hours the maximum hoop stress is 21 ksi, 10.5 ksi, and 16.2 ksi in the axial sections.

Figure B4-5 shows the radial distribution of the hoop stress across the clad wall. The thermal stress induced by the start-up heating is first relaxed by the creep effect. After an irradiation of 4020 hours, 8060 hours, and 11700 hours, P_{fc} is the main contributor

to the hoop tensile in the first axial section. The differential clad swelling causes the larger slope in the second axial section. In the third axial section, both the P_{fc} and the differential clad swelling contribute to the stress change across the clad wall.

Figure B4-6 shows the time history of the total hoop strain in the clad. At 13000 hours it is 5.0%, 1.75%, and 3.9% in each axial section, respectively.

Figure B4-7 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 10000 hours, the creep strain is 97%, 25%, and 22.5% of the total strain in each axial section, respectively. The rest of the total strain is mainly the swelling strain.

Figure B4-8 shows the percentage of the axial displacement for the fuel and the clad. At 13000 hours, it is 24.5% for the fuel and 0.24% for the clad.

(10) Case R2 (CRBR, 9 kW/ft)

Figure R2-1 shows the gap closure and the interaction force between the fuel and the clad, in each axial section. This figure shows that the gap closes at 2400 hours, 1900 hours, 1750 hours, 1750 hours, 2100 hours, 2200 hours, and 2450 hours in each axial section, respectively. After 13000 hours of irradiation ($Bu = 9.5\%$), P_{fc} is 6.4 ksi, 4.0 ksi, 1.8 ksi, 0.7 ksi, 1.0 ksi, 2.8 ksi, and 5.9 ksi in each axial section.

Figure R2-2 and Figure R2-3 show $(\sigma_{\theta}^c)_{\max}$ and the total hoop strain in each axial section. After 13000 hours of irradiation, $(\sigma_{\theta}^c)_{\max}$ is 22.8 ksi, 18.3 ksi, 11.6 ksi, 7.7 ksi, 6.1 ksi, 15 ksi,

and 16.6 ksi; the total hoop strain is 6.2%, 3.6%, 1.7%, 1.5%, 1.6%, 2.6%, and 4.3% in each axial section, respectively.

(11) Case NO (CRBR, 6 kW/ft)

Figure NO-1 shows the fuel-clad gap closure and the fuel-clad interaction forces. The gap closes at 7200 hours, 3700 hours, and 5800 hours in the first, second, and the third axial sections, respectively. At 17000 hours (Bu = 8%) the fuel-clad interaction force is 1.4 ksi, 2.6 ksi, and 1.7 ksi in each axial section, respectively. The plenum pressure is 500 psi.

Figure NO-2 shows the hoop stress rate, at the outer wall of the clad, due to swelling ($\dot{\sigma}_{sw}$), the creep effect ($\dot{\sigma}_{cp}$), and the pressure ($\dot{\sigma}_p$). $\dot{\sigma}_p$ becomes significant after the gap closes. $\dot{\sigma}_{sw}$ becomes significant at 12800 hours, 11200 hours, and 13200 hours in the first, second, and third axial sections. The combination of $\dot{\sigma}_{cp}$, $\dot{\sigma}_{sw}$, and $\dot{\sigma}_p$ is the net stress rate $\dot{\sigma}$ which governs the behavior of the hoop stress at the outer wall of the clad.

Figure NO-3 shows the maximum hoop stress in the clad. It appears at the outer wall in all three axial sections. At 17000 hours, it is 9.4 ksi, 14.0 ksi, and 10.6 ksi in the axial sections, respectively.

Figure NO-4 shows the radial distribution of the hoop stress across the clad wall.

Figure NO-5 shows the total hoop strain in the clad. At 17000 hours, the total hoop strain is 0.60%, 2.7%, and 1.7% in the first, second, and third axial sections, respectively.

Figure NO-6 shows the radial distribution of the total hoop strain and the creep strain across the clad wall. At 15100 hours, the creep strain is 46.7%, 57.3%, and 33.3% of the total strain in each axial section, respectively. The rest of the total strain is mainly swelling strain.

(12) Case N1 (CRBR, 6 kW/ft)

Figure N1-1 shows the temperature dependence of irradiation induced swelling in the clad, and the temperature range across the clad wall.

Figure N1-2 shows the fuel-clad gap closure and the fuel-clad interaction force in each axial section. The gap closes at 7100 hours, 3800 hours, and 5800 hours in the first, second, and third axial sections, respectively. At 17000 hours, the P_{fc} is 1.2 ksi, 2.4 ksi, and 1.6 ksi in each axial section, respectively. The plenum pressure is 0.5 ksi.

Figure N1-3 shows the maximum hoop stress in the clad. It occurs at the outer wall of the clad in all three axial sections. At 17000 hours, it is 11.0 ksi, 14 ksi, and 12.5 ksi in the axial sections, respectively.

Figure N1-4 shows the radial distribution of the hoop stress across the clad walls at 0 hour, 1310 hours, 3870 hours, 8040 hours, and 10140 hours.

Figure N1-5 shows the total hoop strain in the clad. At 17000 hours, it is 1.5%, 2.6%, and 2.0% in the first, the second, and the third axial section, respectively.

Figure N1-6 shows the radial distribution of the total hoop strain and the creep strain across the clad wall at 5000 hours, 7500 hours, and 10000 hours. The rest of the total strain is mainly the swelling strain.

(13) Case N3 (CRBR, 6 kW/ft)

Figure N3-1 shows the temperature dependence of swelling in the clad, and the temperature range across the clad wall in each axial section. The swelling in the clad is high in the second and the third axial sections and is lower in the first axial section.

Figure N3-2 shows the fuel-clad gap closures and the fuel-clad interaction forces. The gap closes at 8100 hours, 4500 hours, and 7700 hours in the first, second, and third axial section, respectively. At 17000 hours, the P_{fc} is 0.94 ksi, 1.62 ksi, and 1.04 ksi in each axial section, respectively. The plenum pressure is 0.5 ksi.

Figure N3-3 shows the maximum hoop stress in the clad. It occurs at the outer wall in the first and the second axial section, and at the clad inner wall in the third axial section. At 17000 hours, it is 10.8 ksi, 12.6 ksi and 8.4 ksi in each axial section, respectively.

Figure N3-4 shows the radial distribution of the hoop stress across the clad wall at 0 hr, 4600 hrs, 8100 hrs, and 100000 hrs. The slope of the hoop curves in the third axial section have an opposite sign from those in the other two axial sections. This is due to the different direction of the differential swelling across the clad wall and in the axial sections.

Figure N3-5 shows the total hoop strain in the clad. At 17000 hours, it is 2.7%, 5.9%, and 4.4% in each axial section, respectively.

Figure N3-6 shows the radial distribution of the total hoop strain and the creep strain across the clad wall at 5000 hrs, 7500 hrs, and 10000 hrs. At 10000 hrs, the creep strain is 6.7%, 8.3%, and 2.8% of the total strain in each axial section, respectively. The rest of the total strain is mainly the swelling strain.

(14) Case N4 (CRBR, 6 kW/ft)

Figure N4-1 shows the temperature dependence of the swelling in the clad, and the temperature range across the clad wall in each axial section. The clad swelling is small in the first axial section and larger in the third axial section. The swelling is larger at the clad inner wall (hotter region) than that at the clad outer wall (cooler region) in all three axial sections.

Figure N4-2 shows the fuel-clad gap closures and the fuel-clad interaction forces. The gap closes at 7170 hours, 3700 hours, and 6000 hours in the first, second, and third axial sections, respectively. The plenum pressure is 0.5 ksi.

Figure N4-3 shows the maximum hoop stress in the clad. It occurs at the outer wall of the clad in all three axial sections. At 17000 hours, it is 7.0 ksi, 13.8 ksi, and 11.4 ksi in each axial section, respectively.

Figure N4-4 shows the radial distribution of the hoop stress across the clad wall at 0 hr, 1314 hrs, 3870 hrs, 7930 hrs, and 10030 hrs.

Figure N4-5 shows the total hoop strain in each axial section. At 17000 hours, it is 0.2%, 1.8%, and 2.1% in the first, second, and third axial sections, respectively.

Figure N4-6 shows the distribution of the total hoop strain and the creep strain across the clad wall at 5000 hours, 7500 hours, and 10000 hours. At 10000 hours, the creep strain is 50%, 60%, and 15.3% of the total strain in each axial section, respectively. The rest of the total strain is mainly the swelling strain.

V.3. Calculations for Fuel Element Behavior in a Conceptual 1000 MW LMFBR

(1) Case HO (LMFBR, 15 kW/ft)

Figure HO-1 shows the time history of the fuel-clad gap closures and the fuel-clad interaction forces. The gap closes at 1915 hours, 830 hours, and 2270 hours in the first, second and third axial sections, respectively. The gap of the second axial section reopens at 3230 hours and has a value of 4.4 mils at 13000 hours. The P_{fc} increases with time and has a value of 860 psi and 840 psi at 13000 hours in the first and third section, respectively. The plenum pressure is 810 psi at that time.

Figure HO-2 shows the displacement of the fuel outer boundary (FUB) and the clad inner boundary in the second axial section. Before the fuel-clad gap closure, the movement of the fuel outer boundary reduces the gap and closes it at 830 hours. After 830 hours, the clad confinement reduces the rate of FUB. After 2800 hours, the swelling in the clad becomes higher, the clad starts to swell faster than the fuel boundary, and the gap reopens at 3230 hours.

Figure HO-3 shows the effect of clad confinement on the fuel boundary movement. During the 400 hours of gap closure in the second

axial section, the clad limits the fuel movement in the radial direction within two mils.

Figure HO-4 shows the rate of swelling strain at the radial nodes across the clad wall. The swelling rate becomes significant at 4000 hours, 2000 hours, and 600 hours in the first, second and third axial sections, respectively. The differential swelling strain across the clad wall can induce stresses in the clad. In the first axial section, the differential swelling is $2 \times 10^{-6}/\text{hr}$ and $3.8 \times 10^{-6}/\text{hr}$ at 4800 hours and 6800 hours, respectively. After 4800 hours, it is constant. The hotter region always has larger swelling and the cooler region has smaller swelling in the second axial section. The differential swelling is $3 \times 10^{-6}/\text{hr}$, $1.1 \times 10^{-6}/\text{hr}$, and $4.5 \times 10^{-6}/\text{hr}$ at 2200 hrs, 3000 hrs, and 3400 hrs, respectively in this region. After 3440 hrs, the peak of the swelling rate shifts to the center node (b). The differential swelling rate is about $2 \times 10^{-6}/\text{hr}$ after 4200 hours. In the third axial section, the differential swelling is $1.8 \times 10^{-6}/\text{hr}$ and $3.5 \times 10^{-6}/\text{hr}$ at 800 hours and 1400 hours. Before 1440 hours, the hotter node (a) has a higher swelling rate and the cooler node (c) has a smaller swelling rate. After 2400 hours, the direction of the differential swelling changes, i.e., the cooler node (c) has the higher swelling rate and the hotter node (a) has the smaller one. The differential swelling is $4.1 \times 10^{-6}/\text{hr}$ and stays almost constant after 2450 hours.

Figure HO-5 shows the hoop stress rate at the outer wall of the clad due to swelling ($\dot{\sigma}_{sw}$) and the creep ($\dot{\sigma}_{cp}$). $\dot{\sigma}_{sw}$ is caused by the differential swelling rate across the clad wall, described in

733 119

Figure HO-4. In the first axial section, $\dot{\sigma}_{sw}$ becomes significant at 3900 hours and stays almost constant (20 psi/hr) after 5800 hours. In the second axial section, $\dot{\sigma}_{sw}$ becomes significant at 1900 hours and reaches a peak value of 65 psi/hr, at 3050 hours. After 4400 hours, $\dot{\sigma}_{sw}$ is small because the differential swelling across the clad wall is small. In the third axial section $\dot{\sigma}_{sw}$ becomes significant at 750 hours and reaches a peak of 23 psi/hr at 1600 hours. After 1900 hours $\dot{\sigma}_{sw}$ becomes negative because the direction of the differential swelling across the clad wall is changed. The change of $\dot{\sigma}_{sw}$ is always followed by the change of $\dot{\sigma}_{cp}$ in the same direction to relax the swelling stress in the clad. Because of the high temperature and neutron flux in this case, the fuel-clad mechanical interaction force is small. The combination of $\dot{\sigma}_{sw}$ and $\dot{\sigma}_{cp}$ represents the net stress rate ($\dot{\sigma}$) which governs the stress variations at the outer wall of the clad. The net stress is negative in the first several hundred hours because the creep relaxes the thermal stress, induced by the start-up heating. $\dot{\sigma}$ becomes positive at 3900 hours, 2000 hours, and 600 hours in the first, second, and third axial section, respectively. In the first axial section, $\dot{\sigma}$ is positive and small after 6000 hours. In the second axial section $\dot{\sigma}$ is positive between 2000 hours and 3000 hours, and is negative between 3000 hours and 4600 hours. After 4600 hours $\dot{\sigma}$ is positive, but small. In the third axial section, $\dot{\sigma}$ is positive between 600 hours and 1570 hours and becomes negative at 1570 hours.

Figure HO-6 shows the maximum hoop stress in the clad. It occurs at the outer wall in the first axial section and at the inner wall in the second and the third axial sections after 800 hours and 2500 hours,

respectively. The hoop stress has a peak at 3200 hours and 1500 hours, 10.5 ksi and 8.2 ksi in the second and the third axial section. The time variation of the hoop stress at the outer wall of the clad can be seen in Figure HO-5. At 14000 hours, the maximum hoop stress is 9.2 ksi, 6.4 ksi, and 7.6 ksi in the first, second and third axial sections, respectively. The maximal hoop stress is 10.5 ksi at 3200 hours at the outer wall of the clad in the second axial section.

Figure HO-7 shows the radial distribution of the hoop stress across the clad wall. The thermal stress is relaxed at $t = 0$ by the creep effect and then it is influenced by the differential swelling rate and the creep relaxation across the clad wall.

Figure HO-8 shows the total hoop strain at the outer wall of the clad at 13000 hours. It is 2.5%, 6.2% and 3.7% in the first, second and third axial sections, respectively.

Figure HO-9 shows the radial distribution of the total hoop strain and the swelling strain across the clad wall. At 12000 hours the swelling strain is 80%, 93.8%, and 82.2% in each axial section, respectively.

Case H1 (LMFBR, 15 kW/ft)

Figure H1-1 shows the temperature dependence of the irradiation-induced swelling in the cladding and the temperature range across the clad wall.

The first axial section has higher differential swelling across the clad wall than the other two axial sections.

Figure H1-2 shows the fuel-clad gap closure and the fuel-clad interaction forces in each axial section. The gap closes at

2230 hours, 1000 hours, and 2100 hours in each axial section, respectively. At 13500 hours, the clad swells away from the fuel and the fuel-clad gap reopens in the second axial section. At 12000 hours, the P_{fc} is 830 psi, 775 psi, and 800 psi in each axial section, respectively. The fission gas pressure is 760 psi at that time.

Figure H1-3 shows the maximum hoop stress in the clad. It occurs at the clad outer wall in the first and second axial sections and at the clad inner wall in the third axial section. At 13000 hours, the maximum hoop stress is 7.5 ksi, 6.8 ksi, and 6.3 ksi in the first, second, and third axial sections, respectively.

Figure H1-4 shows the radial distribution of the hoop stress across the clad wall. The thermal stress, induced by the start-up heat, at first is relaxed by the creep effect. The slope of the curves in the third axial section is opposite to those in the first and second axial sections after 8300 hours and 16000 hours. This is due to the differential irradiated swelling of the clad in the third axial section. Its direction is opposite to those in the other two axial sections.

Figure H1-5 shows the total hoop strain in the clad. At 13000 hours, the total strain is 2.5%, 4.5%, and 3.4% in each axial section, respectively.

Figure H1-6 shows the radial distribution of the total hoop strain and the swelling strain across the clad wall. At 15000 hours, the swelling strain is 88.9%, 94%, and 84.6% of the total strain in each axial section, respectively.

733 122

Figure H1-7 shows the percentage of the axial displacement for the fuel and the clad. At 13000 hours it is 16% for the fuel and 1.1% for the clad.

(3) Case H5 (LMFBR, 15 kW/ft)

Figure H5-1 shows the gap closure and P_{fc} . The gap closes at 2100 hours, 1400 hours, 800 hours, 1200 hours, 2500 hours in each axial section, respectively. The gaps in the second, the third, and the fourth axial sections reopen at 4400 hours, 3200 hours, and 2700 hours, respectively. The gaps in the first and the fifth section do not reopen. After 13000 hours irradiation, P_{fc} is 960 psi and 900 psi, respectively in these two gaps.

Figure H5-2 shows $(\sigma_{\theta}^c)_{\max}$ in the clad. It reaches a peak value at 3200 hours, 2300 hours, and 1400 hours in the third, fourth, and fifth axial section, respectively. In the first and second axial section $(\sigma_{\theta}^c)_{\max}$ starts to increase rapidly at 4100 hours and 3200 hours, respectively, and appears at the outer wall of the clad. In the other axial sections $(\sigma_{\theta}^c)_{\max}$ occurs at the inner wall of the clad after 5000 hours of irradiation.

Figure H5-3 shows the hoop strain in the clad. After 13000 hours of irradiation, (e_{θ}^c) is 2.6%, 5.1%, 6.7%, 6.0%, and 4.2% in each axial section, respectively.

(4) Case M0 (LMFBR, 9 kW/ft)

Figure M0-1 shows the fuel-clad gap closures and the fuel-clad interaction forces. The gap closes at 2100 hours, 1300 hours, and 2600 hours in the first, second, and third axial sections, respectively. After 14000 hours of irradiation, P_{fc} is 1280 psi,

500 psi, and 660 psi in each axial section, respectively. Because of the faster clad swelling, P_{fc} reduces its magnitude at 4400 hours and at 5000 hours in the second and the third axial sections, respectively. The plenum pressure is 450 psi at 14000 hours.

Figure MO-2 shows the swelling rate of the radial nodes in each axial section of the clad. The differential swelling across the clad wall becomes significant at 5400 hours, 5000 hours, and 4400 hours in the first, second, and third axial sections, respectively. The smallest swelling rate occurs at the outer wall of the clad in all three axial sections. The differential swelling across the clad wall is constant after 6600 hours, 6200 hours, and 7200 hours. The differential swelling induces tension to the hoop stress at the outer wall of the clad.

Figure MO-3 shows the hoop stress rate at the outer wall of the clad due to swelling ($\dot{\sigma}_{sw}$), creep ($\dot{\sigma}_{cp}$), and pressure ($\dot{\sigma}_p$). As an effect of the differential swelling across the clad wall, $\dot{\sigma}_{sw}$ is positive in each axial section. The combination of $\dot{\sigma}_{sw}$, $\dot{\sigma}_{cp}$, and $\dot{\sigma}_p$ gives the net hoop stress rate ($\dot{\sigma}_\theta$), which governs the variation of the hoop stress at the outer wall of the clad. $\dot{\sigma}_\theta$ has a significant positive value between 5200 hours and 6600 hours, 4600 hours and 6000 hours, and 4200 hours and 6200 hours in the first, second, and third axial sections, respectively. In the third axial section $\dot{\sigma}_\theta$ is negative between 6300 hours and 7200 hours.

Figure MO-4 shows the maximum hoop stress in the clad. It occurs at the outer wall of the clad in all three axial sections. In the third axial section there is a peak at 6300 hours with a

7.5 ksi magnitude. The time behavior of the maximum hoop stress can be understood by knowing the net hoop stress rate (Figure MO-3). At 14000 hours, the maximum hoop stress is 9.3 ksi, 7.6 ksi, and 6.8 ksi in the first, second, and third axial section, respectively.

Figure MO-5 shows the distribution of the hoop stress across the clad wall at 0 hr, 1260 hrs, 4020 hrs, 8150 hrs, and 12030 hrs.

Figure MO-6 shows the total hoop strain in the clad. At 14000 hrs, it is 1.4%, 2.9%, and 3.3% in the first, second, and third axial section, respectively.

Figure MO-7 shows the distribution of the total hoop strain and the creep strain across the clad wall. At 10000 hours, the swelling strain is 43%, 78.7%, and 85.8% of the total strain in each axial section, respectively. The rest of the total strain is mostly creep strain.

(5) Case M1 (LMFBR, 9 kW/ft)

Figure M1-1 shows the fuel-clad gap closure (GAP) and the fuel-clad interaction forces (P_{fc}). The gap closes at 2100 hours, 1800 hours, and 3400 hours in the first, second, and third axial sections, respectively. At 14000 hrs, the P_{fc} is 128 ksi, 0.5 ksi, and 0.76 ksi in each axial section, respectively. The plenum pressure is 0.45 ksi.

Figure M1-2 shows the maximum hoop stress in the clad. It appears at the outer wall of the clad in all three axial sections. At 14000 hrs, it is 8.7 ksi, 5.6 ksi, and 5.4 ksi in each axial section, respectively.

Figure M1-3 shows the radial distribution of the hoop stress across the clad wall at 0 hr, 1580 hrs, 4080 hrs, 8200 hrs, and 11810 hrs.

Figure M1-4 shows the total hoop strain in the clad. At 14000 hours, it is 1.4%, 2.1%, and 2.0% in the first, second, and third axial sections, respectively.

Figure M1-5 shows the radial distribution of the total hoop strain and the creep strain across the clad wall at 5000 hours, 7500 hours, and 10000 hours. At 10000 hours the swelling strain is 77.8%, 92%, and 90% of the total strain in each axial section, respectively.

V.4. The Rate of the Fuel Swelling

The calculated rates of the fuel swelling for cases H0, M0, and N0 are shown in Figure FSW. Some other data for the fuel swelling are also shown in this figure.

V.5. Discussion of Applications

In sections V.5.1, V.5.2, and V.5.3 the fuel-clad mechanical interaction, the stress in the clad, and the strain in the clad are discussed for cases A0, B0, N0, R1 and R2 in CRBR, and cases H0, M0, and H5 are for the conceptual reactor. In section V.5.4, the sensitivity of the clad-swelling correlation is discussed.

V.5.1 The Fuel-Clad Mechanical Interaction

In the 12 kW/ft linear power case for CRBR, a large portion of the fuel is in the columnar and equiaxed zone. The undisturbed zone is relatively small. This undisturbed fuel is mechanically strong and can prevent the outward swelling of the weak fuel region. After the fuel-clad gap closure, the interaction force is dependent on the amount of mechanically strong fuel which can push the clad effectively as it swells. In 12 kW/ft and 9 kW/ft fuel elements the amount of

the strong fuel is relatively small in the second axial section, the fuel temperature and the creep rate are higher; P_{fc} is thus smaller than in the other sections. Because of the lower temperature distribution in the first axial section, there is more cold fuel zone and less fuel creep rate. The fuel can push the clad stronger after gap closure. P_{fc} is thus higher in this section than in the other two sections.

As Figure A0-1 and Figure B0-1 show, P_{fc} is larger in the first, and smaller in the second axial section throughout the whole irradiation history. After 10800 hours of irradiation ($Bu = 10.0\%$) in the 12 kW/ft case, the calculated P_{fc} is 4.2 ksi, 1.2 ksi, and 2.8 ksi in the first, second, and third axial section, respectively. After 13700 hours of irradiation ($Bu = 9.8\%$) in the 9 kW/ft case, the calculated P_{fc} is 6.2 ksi, 1.1 ksi, and 2.6 ksi, in the axial sections, respectively. Figures R1-1 and R2-1 also show larger P_{fc} in the bottom half of the fuel pin.

In the 9 kW/ft case, the temperature distribution and the neutron flux are lower, hence the creep rate in the fuel is lower than 12 kW/ft case. Consequently the strong fuel can push the clad more effectively and at the same burn-up it results in a higher P_{fc} for the 9 kW/ft than for the 12 kW/ft fuel element.

In 6 kW/ft fuel elements, the linear power is low and the fuel is strong. In this case, the higher linear power and the relatively higher temperature in the second axial section causes the fuel to swell faster and push the clad stronger. As Figure N0-1 shows, P_{fc} is larger in the second axial section than in the other sections.

After 17000 hours of irradiation (Bu=8%), the calculated P_{fc} is 1.4 ksi, 2.6 ksi, and 1.7 ksi in each axial section, respectively.

As the neutron flux increases from the assumed 4.6×10^{15} neut/cm²-sec in CRBR to 8.5×10^{15} neut/cm²-sec in the conceptual LMFBR, there is a faster generation rate of interstitials and vacancies in the fuel, which enhances the creep rate. This effect reduces the fuel-clad interaction forces after gap closure. Also, the high flux leads to faster swelling in the clad which further reduces the mechanical interaction. For fuel elements irradiated 19000 hours in the conceptual reactor, and 10900 hours in CRBR, both with 8% burn-up, the calculated P_{fc} in the first axial section is 1.6 ksi in the conceptual LMFBR and 4.9 ksi in CRBR (Figures MO-1 and BO-1). In the case of 15 kW/ft fuel element in the conceptual LMFBR, the fuel-clad gap closes after 1300 hours of irradiation in the second axial section. This gap reopens after 3200 hours of irradiation (Figure HO-1). If the fuel column has five axial sections instead of three, the gap reopens at 4400 hours, 3200 hours, and 2800 hours in the second, third, and fourth axial sections, respectively (Figure HO-0). This gap reopening is caused by the larger rate of clad swelling. No gap reopening has been calculated for CRBR's with 4.6×10^{15} neut/cm²-sec flux.

V.5.2 The Stress in the Clad

The stresses in the clad are induced mainly by the action of P_{fc} and by the differential irradiation-induced swelling across the clad wall. For the 12 kW/ft and the 9 kW/ft fuel element in CRBR, P_{fc} , and thus $(\sigma_{\theta}^c)_{max}$, is higher in the first section than those in the

other two sections. Because of the low P_{fc} in the second section, $(\sigma_{\theta}^c)_{max}$ has its lowest value there. As Figures A0-4 and B0-4 show, at a 10% of burn-up (10800 hours irradiation in 12 kW/ft case and 13700 hours in 9 kW/ft case), $(\sigma_{\theta}^c)_{max}$ is 17.6 ksi, 8.5 ksi, and 12.6 ksi for the 12 kW/ft case, and is 22.0 ksi, 9.2 ksi, and 13.5 ksi in 9 kW/ft case, in each axial section, respectively. The calculations, performed for seven axial sections in 12 kW/ft and 9 kW/ft fuel elements, show that the bottom half of the fuel pin has larger $(\sigma_{\theta}^c)_{max}$ than the upper half (Figures R1-2 and R2-2).

In 6 kW/ft fuel elements in CRBR, P_{fc} , $(\sigma_{\theta}^c)_{max}$ have the highest value in the second section, while their lowest value is in the first section. At an 8% burn-up (after 17000 hours of irradiation), $(\sigma_{\theta}^c)_{max}$ is 9.4 ksi, 14 ksi and 10.6 ksi in each axial section, respectively (Figure N0-3).

In the conceptual LMFBR, $(\sigma_{\theta}^c)_{max}$ is much lower than in CRBR. This is due to a much lower P_{fc} in the conceptual reactor, where the fuel creep rate is much larger. In the first and third axial sections of a 9 kW/ft fuel element, $(\sigma_{\theta}^c)_{max}$ is about half of that in CRBR.

As Figures M0-4 and B0-4 show, a 9 kW/ft fuel element irradiated for 19000 hours in conceptual reactor or 10900 hours in CRBR (8% burn-up), $(\sigma_{\theta}^c)_{max}$ is 10.4 ksi, 8 ksi and 7.4 ksi in the conceptual reactor, and is 20 ksi, 9 ksi and 11.5 ksi in CRBR, for each axial section, respectively.

At certain burn-ups, depending on the clad temperature distribution, the vacancies, induced by the neutron irradiation in

the clad, reach supersaturation. The rate of the void growth, which causes the irradiation-induced swelling in the clad, can thus increase rapidly (Figure AO-2). Because of the differential temperature, there is also a differential swelling, which generates stress peaks in the clad. This stress peak appears in the third section of the fuel elements in CRBR after 5200 hours and 8700 hours of irradiation, in the 12 kW/ft and the 9 kW/ft cases, respectively. These peaks are smaller than the axial maximum of the hoop stress in the first section. There is no stress peak in the first section because of the relatively low temperature. In the 6 kW/ft fuel elements, the neutron flux and the differential swelling across the clad wall are low, therefore no stress peak is observed (Figure NO-3).

Because of the higher neutron flux in the conceptual LMFBR, the stress peaks occur earlier, at 3200 hours and at 1500 hours of irradiation, in the second and third sections, respectively, for the 15 kW/ft case. Because of the higher temperature and the larger differential swelling in the clad, these peaks are high. The one in the second section is the highest stress in the life-time of the fuel element (Figure HO-6). The peak magnitudes are 10.5 ksi and 8.2 ksi, in the second and the third sections, respectively. There is also a rapid increase of $(\sigma_{\theta}^c)_{\max}$ in the first section at 4300 hours, with an increase of 5.6 ksi in a 1300 hour time interval.

The 9 kW/ft fuel elements in the conceptual LMFBR have lower temperatures than the 15 kW/ft element, so the stress peaks are reduced in the clad. The maximum stress peak is 7.5 ksi in the third axial section which is lower than most of the $(\sigma_{\theta}^c)_{\max}$ in the first axial

action during the irradiation history. $(\sigma_{\theta}^c)_{\max}$ rapidly increases in the first and the second axial sections too, at 5200 hours and 4600 hours, respectively. The magnitude of increase is 2.8 ksi and 4.0 ksi in these two sections, respectively (Figure MO-4).

V.5.3. The Strain in the Clad

The total strain in the clad results from the clad swelling and from the creep strain induced by the acting P_{fc} at the inner boundary of the clad. Because of the relatively large P_{fc} for fuel elements in CRBR, a significant part of the total strain in the clad is the creep strain. Because of the larger P_{fc} in the first section of 12 kW/ft and 9 kW/ft fuel elements in CRBR, the contribution of the creep strain to the total strain is large, more than 90%. In the second axial section about 33% and 40% of the total hoop strain is the creep strain. In 6 kW/ft fuel elements in CRBR, the creep strain in the clad is 46.7%, 53.7%, and 33.3% in the first, second, and third axial sections, respectively. The larger creep strain in the second section is caused by the larger P_{fc} . For fuel elements of 8% burn-up (irradiated 8640 hours in the 12 kW/ft, 10900 hours in 9 kW/ft, and 17000 hours in 6 kW/ft case) in CRBR, the total hoop strain in the clad is 2.4%, 0.6%, and 1.6% for the 12 kW/ft, 3.7%, 0.8%, and 1.4% for the 9 kW/ft, and 0.6%, 2.7%, and 1.7% in 6 kW/ft case, in the first, second, and third axial sections, respectively. At the same burn-up of irradiation, the larger hoop strain in the first axial section in 9 kW/ft and 12 kW/ft case is caused by a larger creep strain. There is a larger hoop strain in the second

axial section in the 6 kW/ft than in the 12 kW/ft and the 9 kW/ft case, because of the larger creep strain.

In the conceptual LMFBR the P_{fc} is small; therefore, the creep strain is a smaller fraction of the total strain in the clad. In the first axial section, where the largest P_{fc} occurs at 15 kW/ft and 9 kW/ft, about 20% of the total hoop strain in the clad is the creep strain. For fuel element of 8% burn-up after 13000 hours (15 kW/ft), and 19000 hours (9 kW/ft) irradiation in the conceptual reactor, the total hoop strain in the clad is 2.8%, 7.1%, and 4.0% in 15 kW/ft case, and 2.5%, 4.6%, and 5.1% in the 9 kW/ft case in the axial sections, respectively. The total strain in the first axial section is less than in the other sections because there is less clad swelling resulting from the cooler temperature in this section. In the 15 kW/ft case, the maximum clad swelling occurs in the second section, the total strain is thus higher there than in the other sections. In the 9 kW/ft case the maximal clad swelling occurs in the third axial section; the total strain is thus higher there. Because of the cooler temperature in the 9 kW/ft case, the average clad swelling, and therefore the average total strain, is smaller than in the 12 kW/ft case.

V.5.4. Sensitivity of the Clad Swelling Correlation

As different correlations are used for the clad swelling, different fuel pin behavior may follow.

V.5.4.1. High Power Case

For 12 kW/ft fuel elements in CRBR, different correlations are used for the irradiated swelling in the clad for cases A0, A1, A3, and

and A4. In these cases, the fuel boundary movements, induced by the fuel creep and by the fuel swelling, are the major contributors to the t_G and P_{fc} values. Since the same fuel creep and fuel swelling model are used, t_G and P_{fc} values are similar in these cases. The average t_G is 1850 hours, 1590 hours, and 1960 hours, the average P_{fc} at 13000 hours is 4.9 ksi, 1.5 ksi, and 3.4 ksi in the first, second, and third axial sections, respectively. The variation of t_G and P_{fc} relative to their average value is within 9%. Right after the gap closure, a rapid increase of P_{fc} and of $(\sigma_{\theta}^C)_{max}$ follows. The average time for these fast increases is 96 hours. In that period the average P_{fc} increase is 1.1 ksi, 0.5 ksi, and 0.9 ksi and the average $(\sigma_{\theta}^C)_{max}$ increase is 6.2 ksi, 2.7 ksi, and 5.3 ksi in the first, second, and third axial sections, respectively. The smaller P_{fc} increase in the second section is due to the higher fuel temperature, which induces softer mechanical properties. In cases A1, A3 and A4, the swelling in the clad is a linear function of time. There is thus no peak of $(\sigma_{\theta}^C)_{max}$ in these cases. If the peak of the clad swelling is at 600°C, the swelling strain is larger at the hotter region (inner wall) than at the cooler region (outer wall), so, as in cases A0, A1, and A4, $(\sigma_{\theta}^C)_{max}$ occurs at the outer wall of the clad. When the clad swelling peak shifts to 500°C (case A3), the differential swelling across the clad wall reverses its direction in the second and the third sections, and so, $(\sigma_{\theta}^C)_{max}$ shifts to the inner wall of the clad. But, in case A3, because of the increased P_{fc} (2.6 ksi after 8300 hours irradiation), $(\sigma_{\theta}^C)_{max}$ in the third axial section shifts to the outer wall of the clad. As in case A0, A1, A3, and A4 cases have

their highest $(\sigma_{\theta}^C)_{\max}$ in the first section and the lowest $(\sigma_{\theta}^C)_{\max}$ in the second section. Because of the large P_{fc} in the first section, the change of the clad swelling has small effect on $(\sigma_{\theta}^C)_{\max}$ in this section. After 13000 hours of irradiation ($Bu = 12\%$), the average $(\sigma_{\theta}^C)_{\max}$ in the first axial section is 20.1 ± 0.3 ksi. In the second axial section, P_{fc} is smaller, the variation of $(\sigma_{\theta}^C)_{\max}$ is larger due to the changing of the clad swelling. In cases A0, A1, and A4, the average $(\sigma_{\theta}^C)_{\max}$ is 10.8 ± 1.1 ksi.

The hoop strain magnitude in the clad is affected significantly by the change of the clad swelling model. In cases A0 and A1, their values are similar. The average of the total hoop strain after 13000 hours of irradiation is 5.3%, 1.8%, and 4.2% in each axial section, respectively.

In case A3, the peak of the clad swelling moves to 500°C , the swelling strain in the first and the second section increases significantly; $(e_{\theta}^C)_{\text{tot}}$ is larger than in cases A0 and A1. The largest (e_{θ}^C) is in the first axial section. After 13000 hours of irradiation, it is 6.6%, and is larger in the second section than in the third one. In case A4, because of the larger swelling in the second and the third axial sections of the clad, (e_{θ}^C) is larger than in cases A0 and A1. The swelling in the third axial section is also significantly increased. The largest e_{θ}^C is 5.9% in this axial section after 13000 hours of irradiation.

For 15 kW/ft fuel element in the conceptual reactor with 8×10^{15} neut/cm²-sec neutron flux, the variation of t_C and P_{fc} in the first and the third sections are small as the swelling model in the

733 134

clad is varied. The average t_G is 2100 hours, 950 hours, and 2150 hours in each axial section, respectively. The average variation is 5.6%. Because of the high neutron flux level in the second axial section, the time variation of the gap reopening is large. It reopens after 3200 hours of irradiation in case H0, and after 13500 hours of irradiation in case H1. The gap is 5.7 mils in case H0 and 0.2 mils in case H1 after 15000 hours of irradiation ($Bu = 9\%$). In case H1, the rate of clad swelling is a linear function of time, thus there is no peak for $(\sigma_\theta^C)_{\max}$. In the conceptual reactor fuel element P_{fc} is relatively small; a change of the swelling in the clad can thus have a more significant effect on $(\sigma_\theta^C)_{\max}$ than in CRBR. As Figures H0-6 and H1-3 show, $(\sigma_\theta^C)_{\max}$ behaves differently in cases H0 and H1. After 8000 hours of irradiation, this difference is 2.3 ksi, 0.2 ksi, and 1.7 ksi; after 13000 hours of irradiation, it is 1.6 ksi, 0.7 ksi, and 1.3 ksi in the first, second and third axial sections, respectively. As Figures H0-7 and H1-4 show, the hoop stress radial distribution across the clad wall is very different in the two cases. All these relatively large differences are caused by the effect of the clad swelling model if P_{fc} is low. In the conceptual reactor (e_θ^C) is less in case H1 than in case H0. Especially in the second axial section, where it is 64% of that in case H0. These decreases are due to the small clad swelling in case H1.

V.5.4.2. Mid-Power Case

For 9 kW/ft fuel elements in CRBR, different irradiated swelling correlations are used for cases B0, B1, B3 and B4. The effect of the changed model for the clad swelling is similar to those in the 12 kW/ft

cases. t_G and P_{fc} variations are small, within 11%. The average t_G is 2190 hours, 1860 hours, and 2210 hours; the average P_{fc} is 5.1 ksi, 0.9 ksi, and 2.6 ksi, in the first, second and third axial sections, respectively. After gap closure the average duration of P_{fc} and of the hoop stress increase in the clad is 89 hours. In this time the average P_{fc} increase is 1.2 ksi, 0.4 ksi, and 0.8 ksi, and the average $(\sigma_{\theta}^C)_{max}$ increase is 6.6 ksi, 1.9 ksi, and 3.6 ksi in each axial section, respectively. Both P_{fc} and $(\sigma_{\theta}^C)_{max}$ show the largest magnitude in the first section and the smallest one in the second section in all, B0, B1, B3 and B4 cases. In B1, B3, and B4 cases, the swelling is a linear function of time, so there is no peak of $(\sigma_{\theta}^C)_{max}$. In cases B0, B1, and B4, the swelling is larger in the hotter region (inner wall) than in the cooler region (outer wall) of the clad, so $(\sigma_{\theta}^C)_{max}$ occurs at the outer wall. In case B3, the direction of the differential swelling across the clad wall changes its direction in the second and the third sections, so $(\sigma_{\theta}^C)_{max}$ is at the inner wall in these two sections. After 12000 hours of irradiation ($Bu = 8.9\%$) the average $(\sigma_{\theta}^C)_{max}$ is 20.8 ksi, 8.6 ksi and 15.0 ksi in each axial section, respectively. The average variation is 8.5%.

(e_{θ}^C) is greatly dependent on the swelling model in the clad. In case B4, the swelling strain in the third section is increased; therefore, (e_{θ}^C) increases significantly and exceeds that in the second section, it is 1.8 times larger in case B4 than in case B0. As the peak of the clad swelling model shifts to 500°C (case B3), the swelling strain in the second and third sections is increased. In the second axial section it is 2.8 times larger than that in case B0.

Because of a large P_{fc} , and a large creep strain in the first section, the maximum value of e_{θ}^c is in this section for all B0, B1, B3, and B4 cases. The average (e_{θ}^c) in the first axial section is 5.37%. The average variation of this value is 9%.

For 9 kW/ft fuel elements in the conceptual reactor with 8.5×10^{15} neut/cm²-sec neutron flux, as the model of the clad swelling is changed in cases M0 and M1, the average t_G is 2075 hours, 1425 hours, and 2950 hours in the first, second, and third axial sections, respectively. After 13000 hours of irradiation, the average P_{fc} is 1.14 ksi and 0.6 ksi in the first and in the third axial sections, respectively. The average variation of t_G is 10%, the average variation of P_{fc} in the first and in the third axial section is 5.8%. No gap reopening has been calculated for either the M0 or the M1 case.

The swelling rate in the clad is linear in time in case M1, thus there is no peak for $(\sigma_{\theta}^c)_{max}$. As Figure M0-4 and Figure M1-3 show, the difference of $(\sigma_{\theta}^c)_{max}$ in these two cases at 6000 hours is relatively large, 1.3 ksi, 1.9 ksi, and 1.35 ksi in each axial section, respectively. The differences are small at 16000 hours, 0.3 ksi, 1.2 ksi, and 0.9 ksi in each axial section, respectively. $(\sigma_{\theta}^c)_{max}$ is smaller in case M1 than in case M0 throughout the calculated history. As Figures M0-5 and M1-4 show, the slope of (σ_{θ}^c) across the clad wall is larger in case M0 than in case M1.

In case M1 (e_{θ}^c) is less in the second and the third section than in case M0. It is 0.73 and 0.61 of the value in case M0 for the second and the third axial sections, respectively. In the first axial

section (e_{θ}^C) is similar in the two cases. The differences in the (e_{θ}^C) values are due to the different swelling of the clad.

V.5.4.3. Low Power Case

Different swelling correlations are used in cases N0, N1, N3, and N4 for 6 kW/ft fuel element calculations in CRBR. In cases N0, N1, and N4 the t_G and P_{fc} differences are small. The average t_G is 7150 hours, 3717 hours, and 5817 hours in the first, second, and third axial section, respectively. After 17000 hours of irradiation, the average P_{fc} is 1.20 ksi, 2.41 ksi, and 1.53 ksi in each section, respectively. In case N3, the peak swelling shifts from 600°C to 500°C, thus there will be more clad swelling within the same temperature range. Because of the small rate of the fuel swelling in the low linear power cases, the clad swelling effects are relatively large. Hence, the changes of t_G and P_{fc} in case N3 are significant. Because of the larger clad swelling, t_G is larger and P_{fc} is smaller in case N3 than in case N0. t_G is 8100 hours, 4500 hours and 7700 hours in the first, second and third axial sections, respectively. After 17000 hours of irradiation ($Bu = 8\%$), P_{fc} is 1.62 ksi in the second axial section, (1.0 ksi lower than in case N0). Right after the gap closure, the average time for the rapid increases of P_{fc} and of $(\sigma_{\theta}^C)_{max}$ is 67 hours. In this time, the average increase of P_{fc} is 0.49 ksi, 0.59 ksi, and 0.57 ksi, and the average $(\sigma_{\theta}^C)_{max}$ increase is 2.7 ksi, 3.3 ksi, and 2.9 ksi in each axial section, respectively. Because of the linear time function of the swelling rate in cases N1, N3, and N4, the $(\sigma_{\theta}^C)_{max}$ behavior is almost linear in time after gap closure.

In cases N0, N1, and N4 $(\sigma_{\theta}^C)_{\max}$ occurs at the outer wall of the clad. In case N3, in the first and the second axial sections it is at the outer wall, and in the third axial section at the inner wall of the clad. This is due to the larger swelling at the outer wall of the clad for the third axial section in case N3. In all cases with 6 kW/ft fuel elements, $(\sigma_{\theta}^C)_{\max}$ has a higher magnitude in the second axial section than in the other ones. After 17000 hours of irradiation the average $(\sigma_{\theta}^C)_{\max}$ is 9.5 ksi, 13.6 ksi and 10.7 ksi in each axial section, respectively. The variation of this average value is within 2.6% in the second, and within 5.6% in the first and third sections.

(e_{θ}^C) is greatly dependent on the swelling model in the clad. In case N1, because of a larger swelling strain in the first axial section, (e_{θ}^C) is twice that of case N0. In the first and the second axial sections of case N4, the smaller swelling strain and creep strain result in smaller (e_{θ}^C) than in case N0. It is 0.3 and 0.7 that of case N0. In the third axial section, (e_{θ}^C) is 1.3 times larger in case N4 than in case N0. In case N3, the peak of the clad swelling shifts from 600°C to 500°C, the swelling strain is significantly increased in all the three axial sections, and (e_{θ}^C) thus is 4.5, 2.2, and 2.6 times that of case N0 for the first, second, and third axial sections, respectively.

After 17000 hours of irradiation (Bu = 8%) in cases N0, N1, and N4 the average (e_{θ}^C) is 1.0%, 2.3%, and 1.9% in each axial section, respectively. The variation from this average value is 37%. In case N3, (e_{θ}^C) is 2.7%, 5.9%, and 4.4% in each axial section,

respectively. For cases N0, N1, N3, and N4, the average creep strain is 26% of the total strain.

V.5.4.4. The Average Values of t_G , P_{fc} , $(\sigma_\theta^c)_{max}$, and (e_θ^c) .

As discussed previously, different correlations for the clad swelling give different results. For fuel pins with 8% burn-up, the average t_G , P_{fc} , $(\sigma_\theta^c)_{max}$, and (e_θ^c) is listed as follows:

$$\overline{t_G} \pm \overline{\Delta t_G}$$

Reactor	Linear Power (kW/ft)	Axial Section	$\overline{t_G} \pm \overline{\Delta t_G}$ hr	$\overline{P_{fc}} \pm \overline{\Delta P_{fc}}$ ksi	$\overline{\sigma_\theta} \pm \overline{\Delta \sigma_\theta}$ ksi	$\overline{e_\theta} \pm \overline{\Delta e_\theta}$ %
CRBR	12	1	1850 \pm 25	3.3 \pm 0.10	16.4 \pm 0.4	2.4 \pm 0.3
		2	1550 \pm 75	1.0 \pm 0.25	9.1 \pm 1.4	1.3 \pm 0.7
		3	2075 \pm 74	2.3 \pm 0.03	12.4 \pm 0.5	2.1 \pm 0.6
	9	1	2217 \pm 22.3	4.7 \pm 0.25	19.9 \pm 0.6	3.9 \pm 0.3
		2	1767 \pm 44.3	0.87 \pm 0.1	8.8 \pm 0.7	1.8 \pm 0.8
		3	2117 \pm 55.7	1.90 \pm 0.30	12.8 \pm 0.9	2.2 \pm 0.5
	6	1	7387 \pm 356	1.1 \pm 0.17	9.6 \pm 1.30	1.2 \pm 0.80
		2	3912 \pm 294	2.2 \pm 0.30	13.6 \pm 0.50	3.3 \pm 1.40
		3	6325 \pm 172	1.4 \pm 0.25	10.6 \pm 0.80	2.6 \pm 0.90
Conceptual LMFBR	15	1	2100 \pm 200	0.9 \pm 0.02	8.4 \pm 0.8	2.6 \pm 0.2
		2	900 \pm 50	(open)	6.5 \pm 0.3	5.7 \pm 1.3
		3	2100 \pm 10	0.85 \pm 0.02	6.8 \pm 0.7	3.7 \pm 0.3
	9	1	2075 \pm 75	1.6 \pm 0.01	10.5 \pm 0.1	2.4 \pm 0.2
		2	1425 \pm 162.5	0.68 \pm 0.01	7.3 \pm 0.7	4.0 \pm 0.7
		3	2950 \pm 450	0.96 \pm 0.02	7.6 \pm 0.2	2.6 \pm 0.5

This table shows that for the 12 kW/ft and 9 kW/ft fuel pin in CRBR with 8% burn-up, the axial maximum of $\overline{P_{fc}}$, $(\overline{\sigma_\theta^c})$, and $(\overline{e_\theta})$ is in the first axial section, thus the axial weak point of the clad is in that section. In a 6 kW/ft fuel pin, the weak point of the clad shifts to the second axial section.

733 140

In the conceptual LMFBR, $\overline{P_{fc}}$ and $(\overline{\sigma_{\theta}^c})$ is smaller than in CRBR. In the 15 kW/ft fuel pin, the fuel-clad gap reopens at 8200 hours average irradiated time. In both the 15 kW/ft and 9 kW/ft fuel pins, the axial maximum of P_{fc} and $(\sigma_{\theta}^c)_{\max}$ occurs in the first axial section, while that of $(\overline{e_{\theta}})$ is in the second axial section.

V.5.5. The Rate of Fuel Swelling

As Figure FSW shows, the calculated rates of the fuel swelling are close to the results reported in CONF-731004.

V.6. Results and Discussion of Sensitivity Calculation for the Fuel Properties

Because of the higher neutron flux and temperature, the fuel is soft in the conceptual LMFBR. The fuel properties thus are less sensitive to the clad behavior than in CRBR. Fuel creep rate, fuel density, smear density and fuel swelling have been studied parametrically for CRBR fuel pins. Cases A0, B0, and N0 have been used as bases for these studies for the 12 kW/ft, 9 kW/ft, and 6 kW/ft cases, respectively.

V.6.1. The 12 kW/ft Fuel Element

For the 12 kW/ft cases, Figures SA-1 through SA-3 show the variations of P_{fc} , the clad stress, and the clad hoop strain, by varying the fuel creep to 1.2 (Case AA) and 0.5 (Case AB) times that in case A0. As we can see in these figures, the gap closure times (t_G) are not changed significantly. The P_{fc} reduces by 250 psi, and increases by 205 psi as the fuel creep rate is varied to 1.5 and 0.5 times its value in A0, respectively.

Because of the changing P_{fc} , the stress differences in the clad (cases A0, AA, and AB) are significant, especially prior to 6000 hours irradiation. At 3000 hours, the clad stress for case AB increases by 1.8 ksi, 2.0 ksi, and 1.4 ksi, with respect to that in case A0, for the first, second and third axial sections, respectively. After 6000 hours, the differences of clad stress for these three cases decrease by several hundred psi.

The strains in the clad decrease by increasing the fuel creep and increase by decreasing the fuel creep. This changing clad strain is mainly due to the change of the creep strains induced by the fuel-clad interaction forces. After 13000 hours of irradiation, the average variation of the hoop strain is 0.3%.

In case A0, the fuel density is 91.3% and the smear density is 85.5% of the theoretical density (with 3 mils initial fuel-clad gap). In case AG, the smear density is changed to 88%, which is equivalent to a initial gap that closes at 400 hours, 100 hours, and 550 hours in each axial section, respectively. After the gap is closed, the P_{fc} magnitudes, and consequently the stress and the strain in the clad, do not change significantly with respect to those in case A0. In case AH, the smear density is changed to 83% which is equivalent to a 5 mils initial gap. t_G is thus 2900 hours, 2800 hours and 3200 hours in each axial section, respectively (Figure SA-4). P_{fc} , the stress, and the strain in the clad are smaller than in case A0. At 13000 hours, the difference in the clad stress is 800 psi, 500 psi, and 750 psi, and in the hoop strain is 0.6%, 0.28%, and 0.4% in each axial section, respectively (Figures SA-5, SA-6).

In case AI, the initial gap is 3 mils and the fuel density is 85% of the theoretical density (with 80% smear density). Because of the same initial gap as in case A0, t_G will also be similar (Figure SA-7). The reduction of the fuel density enhances the creep rate in the fuel, thus, P_{fc} , the stress, and the strain in the clad are reduced in case AI. At 13000 hours, the reduction of P_{fc} with respect to that in case A0, is 1 ksi, 0.3 ksi, and 0.65 ksi (Figure SA-7). The reduction of the maximum hoop stress in the clad is 2.2 ksi, 0.6 ksi, and 1.3 ksi. The reduction of the hoop strain in the clad is 1.2%, 0.32%, and 0.91% in each axial section, respectively (Figures SA-8 and SA-9).

In cases AN and AS, the model of the fuel swelling is varied. As shown in Figure SA-10, t_G and P_{fc} are reduced significantly in all axial sections. In the first axial section, where the highest P_{fc} occurs, it is reduced by 25.7% and by 50.5%, compared to case A0. This reduction of P_{fc} is caused by less bulk swelling in the fuel.

Figure SA-11 shows the maximum hoop stress in the clad for AN, AS, and A0. Because of the great reduction of P_{fc} in cases AN and AS, the maximum clad stresses are also reduced significantly. At 13000 hours, the maximum hoop stress in the first axial section is reduced by 14% and by 31% for cases AN and AS, respectively.

Figure SA-12 shows the total hoop strain in the clad. This is reduced in all three axial sections because P_{fc} is reduced, and as a consequence, the creep strain in the clad will also be reduced. At 13000 hours, the total hoop strain in the first axial section is reduced by 1.8% and 3.5% for cases AN and AS, respectively.

V.6.2. The 9 kW/ft Fuel Element

For the 9 kW/ft fuel element, Figures SB-1 through SB-12 show the values of t_G , P_{fc} , the stress, and the strain in the clad for cases B0, BA, and BB. In case BA, t_G , P_{fc} and $(\sigma_\theta^c)_{max}$ are not changed significantly. At 13000 hours, P_{fc} is smaller than in case B0 by 200 psi. The average decrease of e_θ^c is 0.2%.

In case BB, t_G is larger than in case B0, it is 2550 hours, 1800 hours, and 2250 hours in each axial section, respectively. P_{fc} , (σ_θ^c) and (e_θ^c) are larger than in case B0. After 13000 hours of irradiation, the average changes of P_{fc} , (σ_θ^c) , and (e_θ^c) are 250 psi, 750 psi and 0.4%, respectively (Figures SB-1 through SB-3).

In cases BG and BH, the smear density is changed to 88% and 83%, respectively. This is equivalent to an initial gap of 1.87 mils for case BG and 5 mils for case BH. As shown in Figure SB-4 for case BG, the gap closes at 860 hours, 280 hours, and 630 hours, in each axial section, respectively. After the gap closure P_{fc} is similar in cases B0 and BG. In case BH the gap closes at 3400 hours, 3200 hours, and 3480 hours in the first, second and third axial section, respectively. The P_{fc} is slightly smaller in each axial section. At 14000 hours in case BH, P_{fc} is 420 psi, 108 psi, and 230 psi lower in each axial section than in case B0.

Figure SA-5 shows $(\sigma_\theta^c)_{max}$ in cases B0, BG, and BH. After the fuel-clad gap closes, the difference of $(\sigma_\theta^c)_{max}$ is induced by the P_{fc} variation. After 5000 hours, $(\sigma_\theta^c)_{max}$ is similar for cases B0 and BG, and is lower in case BH than in case B0. At 14000 hours, it is lower by 850 psi, 500 psi, and 690 psi than that in case B0. Figure SB-6

shows the total hoop strain in these cases. It is similar to that in case B0. In case BH at 14000 hours it is lower by 0.38%, 0.2%, and 0.22% than that in case B0, for each axial section, respectively.

In case BI, the initial gap is kept the same (i.e. 3 mils) as that in case B0, but the fuel density is reduced to 85% of the theoretical density. This effect hastens the fuel creep, and thus reduces P_{fc} in each axial section. As shown in Figure SB-7, the gap closure time is not changed significantly. After the gap closes, P_{fc} is lower in case BI than in case B0. At 14000 hours, this difference is 910 psi, 130 psi, and 330 psi for each axial section, respectively.

Figure SB-8 shows the $(\sigma^C)_{max}$ for cases B0 and BI. The differences of $(\sigma^C)_{max}$ are mainly due to the differences of P_{fc} . In case BI at 14000 hours it is lower by 1600 psi, 510 psi, and 900 psi than that in case B0 in each axial section, respectively. Figure SB-9 shows the total hoop strain in the clad for these two cases. Because of the lower P_{fc} in case BI, the total hoop strain in the clad is lower. At 14000 hours, the difference of the total hoop strain in the clad for cases B0 and BI is 0.9%, 0.14% and 0.3%, in each axial section, respectively.

In cases BN and BS, the model of the fuel swelling is varied. Because of slower fuel swelling in these two cases, P_{fc} , the clad stress, and the strain are lower than in case B0. As shown in Figure SB-10, the reduction of P_{fc} is 6.4 ksi, 4.3 ksi, and 2.6 ksi in the first axial section; 1.2 ksi, 0.9 ksi, and 0.7 ksi in the second axial section; and 2.7 ksi, 1.7 ksi, and 1.0 ksi in the third axial section, for cases B0, BN, and BS, respectively.

Figure SB-11 shows the $(\sigma_{\theta}^c)_{\max}$ in the clad. Because the same clad swelling model has been used, the shape of $(\sigma_{\theta}^c)_{\max}$ is similar in each axial section for cases B0, BN, and BS. The difference in the $(\sigma_{\theta}^c)_{\max}$ magnitude is due to the difference in P_{fc} . At 14000 hours, $(\sigma_{\theta}^c)_{\max}$ is 22.5 ksi, 19 ksi, and 15 ksi in the first axial section; 9.3 ksi, 8.8 ksi, and 8.2 ksi in the second axial section; and 13.7 ksi, 10.2 ksi, and 7.0 ksi in the third axial section for cases B0, BN, and BS, respectively.

Figure SB-12 shows the hoop strain in the clad for these three cases. Because of the lower P_{fc} and creep strain, the total hoop strain in the clad is lower for cases BN and BS than that in case B0. At 14000 hours, the total hoop strain is 5.9%, 3.7%, and 1.5% in the first axial section; 1.9%, 1.7%, and 1.3% in the second axial section; 2.6%, 2.1%, and 1.4% in the third axial section, for cases B0, BN, and BS, respectively.

V.6.3. The 6 kW/ft Fuel Element

For 6 kW/ft cases, Figures SN-1 through SN-10 show the variation caused in P_{fc} , t_G , the stress, and the strain in the clad by varying the fuel creep to 1.5 (case NA) and 0.5 (case NE) times that in case NO.

As Figure SN-1 shows, the gaps close earlier in case NA than in case NB. This happens because in case NA the fuel boundary movement is retarded by the slower creep rate in the fuel. The magnitude of P_{fc} is not changed significantly. At 14000 hours, P_{fc} is similar for cases NO and NA. In case NB it is 130 psi and 204 psi lower for the second and the third axial section than that of case NO.

Figure SN-2 shows the maximum clad hoop stress $(\sigma_{\theta}^C)_{\max}$ for cases NO, NA, and NB. Because of the same swelling model for each case, the shape of $(\sigma_{\theta}^C)_{\max}$ is similar and its magnitude is influenced by the gap closure time and by the magnitude of P_{fc} . After 12400 hours, the magnitudes of $(\sigma_{\theta}^C)_{\max}$ are similar in cases NO and NA. In case NB it is 340 psi and 580 psi lower for the second and the third axial sections, respectively.

Figure SN-3 shows the hoop strain in the clad in cases NO, NA, and NB. Because of the similar clad swelling and P_{fc} , the amount of the total strain is similar in each case. At 14000 hours, it is 0.1% and 0.07% lower, in case NB, for the second and the third axial sections, respectively. These differences are caused by the lower P_{fc} .

Figures SN-4 and SN-5 show P_{fc} , the gap closure times, and the clad stress for cases NO, NG, and NH. In cases NG and NH, the smear density is changed to 88% and 83%, respectively, i.e., the initial gap is changed to 3 mils in case NO, to 1.87 mils and 5 mils in cases NG and NH. Figure SN-4 shows that the gaps close earlier in case NG and later in case NH. Because of the same swelling rate in the fuel, the P_{fc} is almost the same in these low power cases after gap closure.

Figure SN-5 shows $(\sigma_{\theta}^C)_{\max}$ in cases NO, NG, and NH. Because P_{fc} is almost the same after the gap closure, and the swelling model is the same for the fuel and the clad, the $(\sigma_{\theta}^C)_{\max}$ values are the same for all three cases. The total hoop strain change in the clad is not significant.

Figures SN-6 and SN-7 show case NI, where the initial gap is kept at 3 mils and the fuel density is changed from 91.3% in case NO,

to 85% of the theoretical density in case NI. As the density is lowered, there is a faster creep effect in the fuel and so the fuel-clad gap can close earlier. In case NI, the gap closes at 6700 hours, 3750 hours, and 5700 hours in each axial section, respectively. The P_{fc} is also smaller in case NI than that in case N0. At 12000 hours, this difference is about 150 psi in each axial section. Figure SN-7 shows $(\sigma_{\theta}^c)_{max}$ for cases N0 and NI. The differences of $(\sigma_{\theta}^c)_{max}$ in these two cases are mainly due to the differences in t_G . Because the difference of P_{fc} is not significant, the $(\sigma_{\theta}^c)_{max}$ differences are negligible after gap closure. The difference of the total hoop strain in the clad is insignificant.

The model for the fuel swelling is varied in cases NN and NS. Because of the lower fuel temperature and lower fuel swelling, the changes of P_{fc} and of $(\sigma_{\theta}^c)_{max}$ are not as significant as in higher linear power fuel elements. As shown in Figure SN-8, at 14000 hours, in case NN P_{fc} is lower by 160 psi, and by 70 psi than in case N0 for the second and third axial sections, respectively. In case NS P_{fc} is lower by 510 psi and 208 psi than in case N0 for the second and third axial section, respectively. These P_{fc} differences induce $(\sigma_{\theta}^c)_{max}$ differences in each axial section. As Figure SN-9 shows, in case NS at 14000 hours, $(\sigma_{\theta}^c)_{max}$ is lower by 1240 psi and 720 psi than that in case N0 for the second and third axial section, respectively. The total hoop strains in cases N0, NN and NS are shown in Figure SN-10. In case NS at 14000 hours, the hoop strain is 0.4% and 0.1% lower than in case N0 for the second and the third axial sections, respectively.

THERE IS NO TEXT ON THIS PAGE

733 149

CHAPTER VI. CONCLUSIONS

1. The KRASS code is a simplified computer code which can be used for the prediction of axial and radial variations of fuel element behavior in an LMFBR under steady state irradiation. It takes eleven hundred machine unit seconds on the UCLA IBM-360-91 to calculate fuel element behavior to 15% burn-up with seven axial sections in the fuel column.
2. At 12 kW/ft and 9 kW/ft, the axial maximum of P_{fc} and $(\sigma_{\theta}^c)_{max}$ occurs in the bottom section, while at 6 kW/ft, it occurs in the mid-section of the fuel element.
3. The higher neutron flux in the large LMFBR may enhance the creep rate in the fuel and lower the fuel-clad mechanical interactions. The hoop stress in the clad is thus lower in the large LMFBR than in the CRBR in most cases.
4. Because of the high neutron flux in the large LMFBR, the fuel-clad gap in the mid-section of the fuel pin with higher linear power may reopen. The time for this reopening is greatly dependent on the clad swelling model. No gap reopening has been calculated for fuel pins in the CRBR.
5. As the temperature changes from 600°C to 500°C for peak clad swelling, the radial maximum of the hoop stress can move from the clad outer wall to the clad inner wall in some of the axial sections. The radial stress distribution across the clad wall is also significantly changed.
6. Because of the larger P_{fc} in CRBR, a large fraction of the total strain in the clad is due to creep strain. In the bottom section

733-100

of the 12 kW/ft element, where P_{fc} is high and the clad swelling is low, the fraction of the creep strain could be 80%. In large LMFBR, P_{fc} is low, thus irradiation induced swelling is the main contributor to the total strain.

7. The amount of the total clad strain is greatly dependent on the irradiation induced swelling model. In CRBR, the total strain in the clad is also significantly influenced by the P_{fc} -induced creep strain.
8. As the correlation of the clad swelling with the swelling threshold (Equation II-40) used in the calculation shows, a stress peak is induced in the clad by the larger differential swelling across the clad wall near the threshold burn-up. In the large LMFBR, these stress peaks are high and occur at low burn-up.
9. As the creep rate of the fuel, the fuel pin smear density, or the fuel density is varied, modest variations of the fuel pin behavior are calculated. As the fuel swelling model is varied, the variations in fuel pin behavior become significant.

733 151

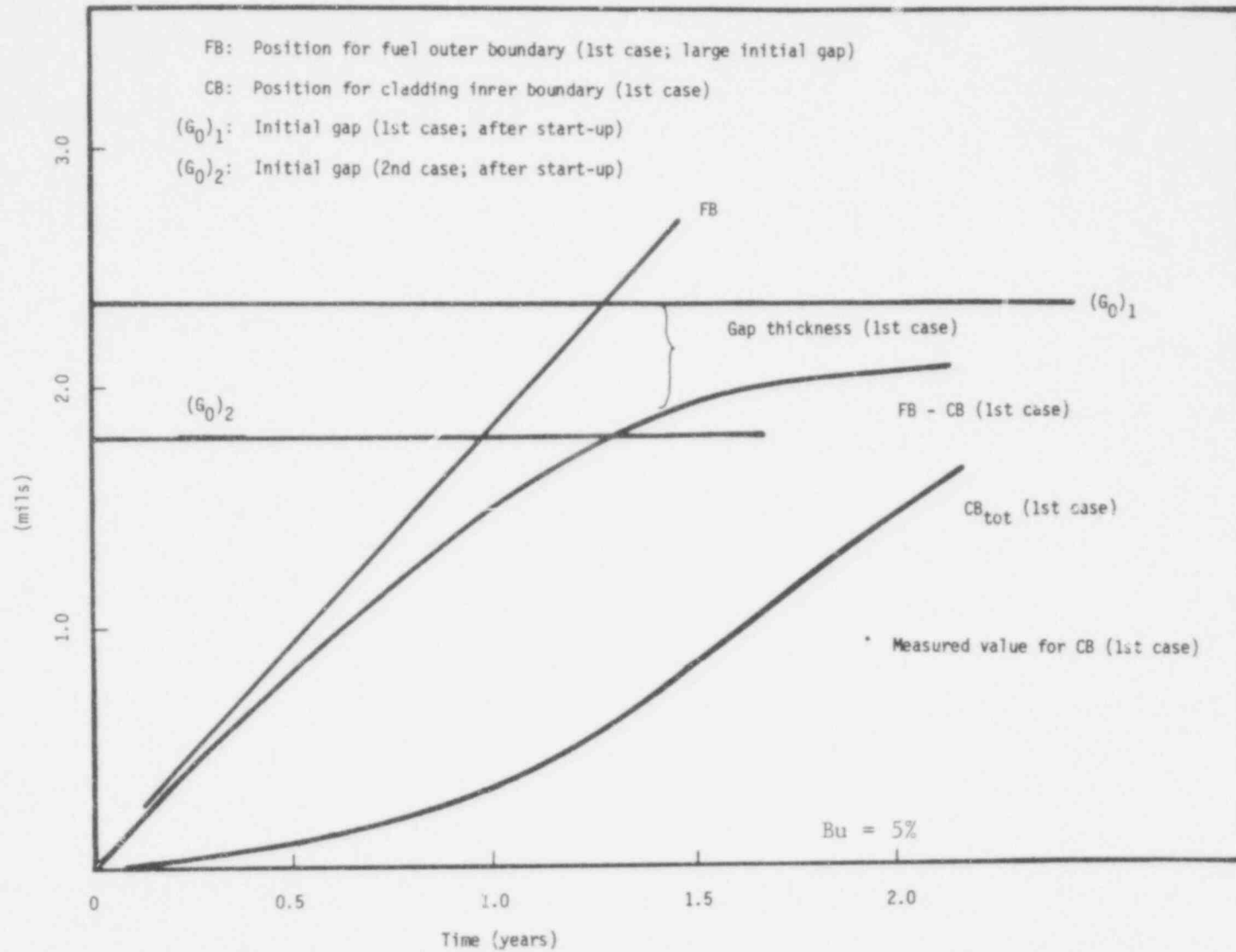


Figure E - 1. Fuel Element Boundary Positions.

100

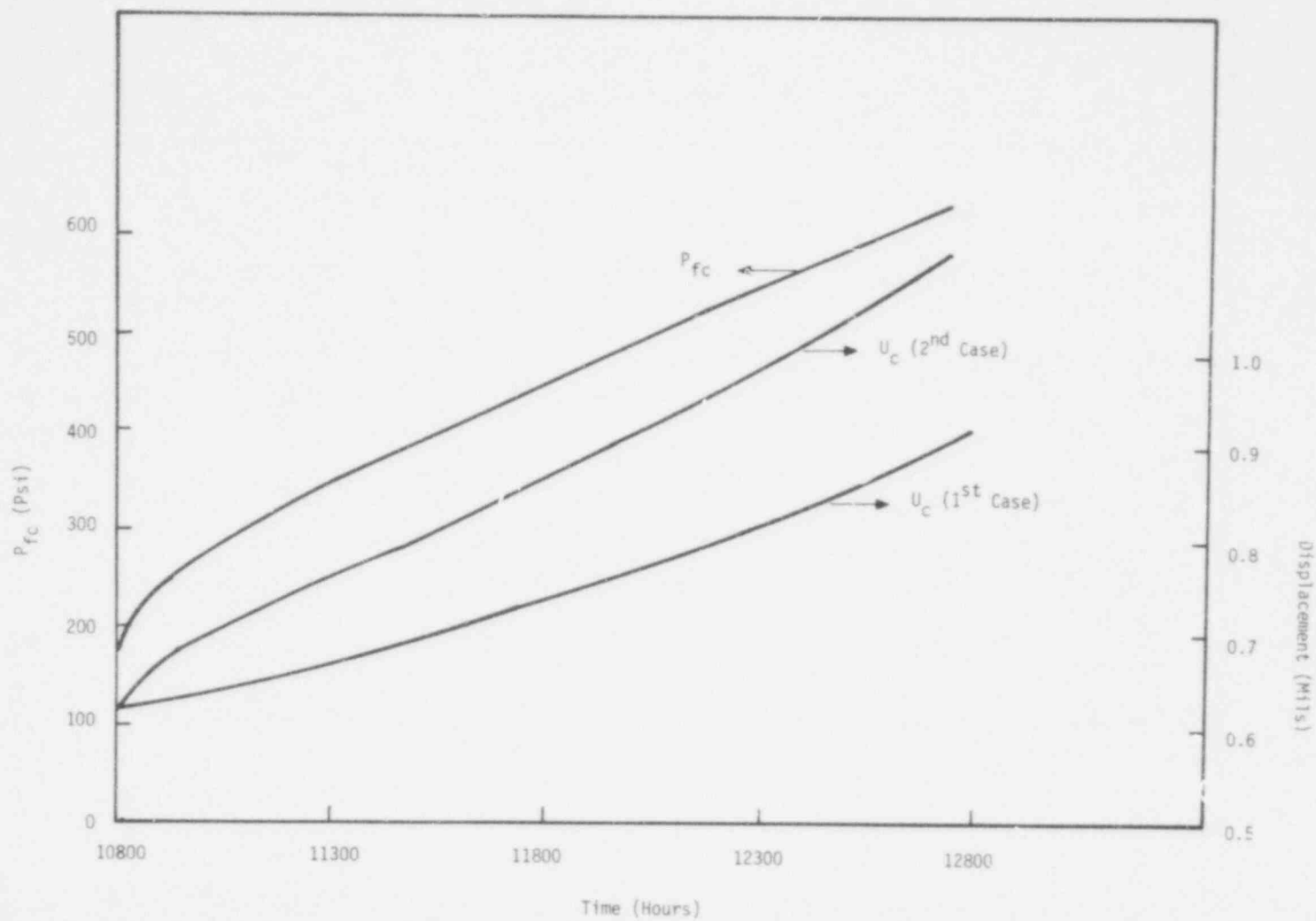
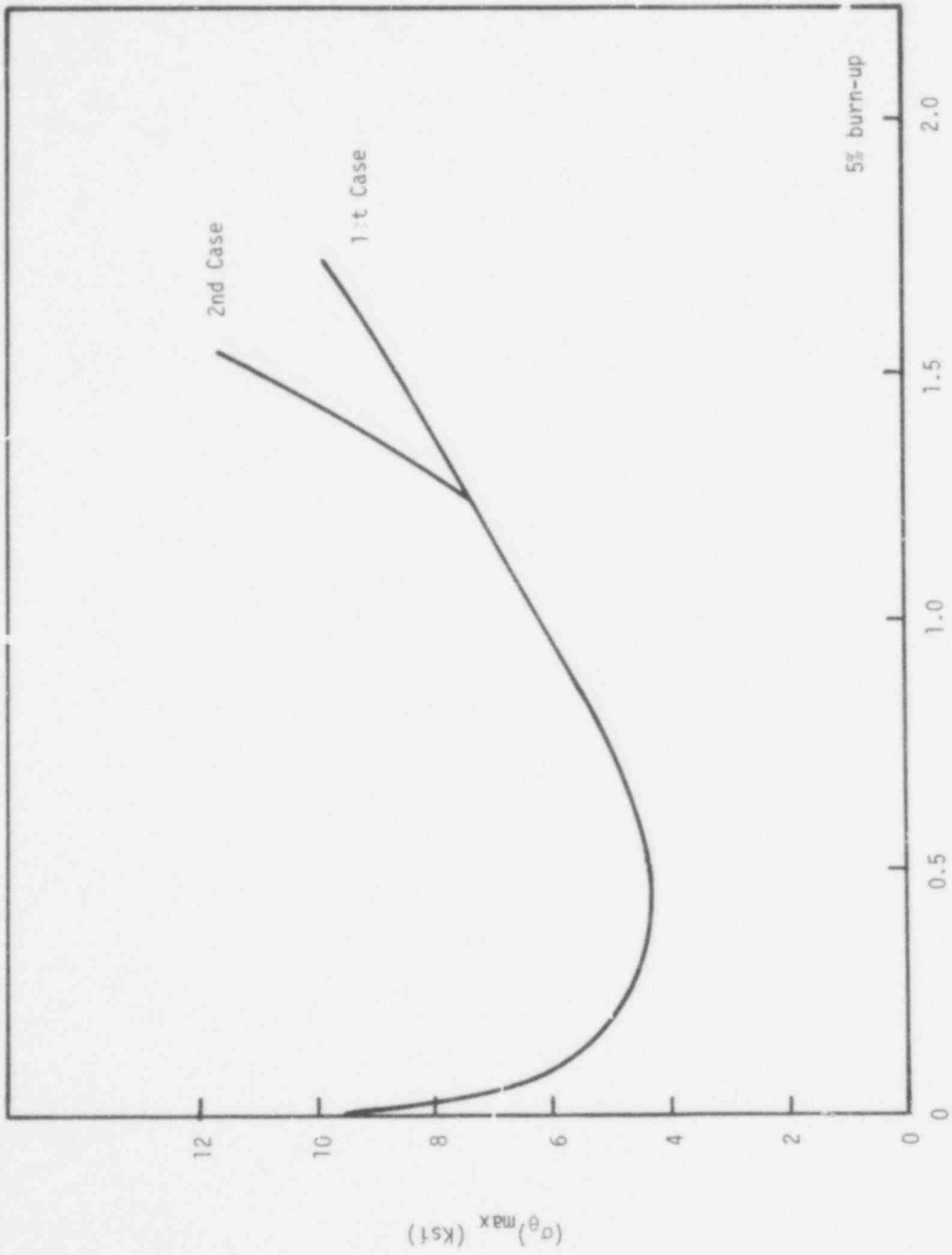


Fig.E-2 The Fuel-Clad Mechanical Interaction(P_{fc}), and the Displacement of the Cladding Inner Surface (U_c)

733 153



Time (Years)

Figure E-3. The Maximum Hoop Stress in the Clad.

733 154

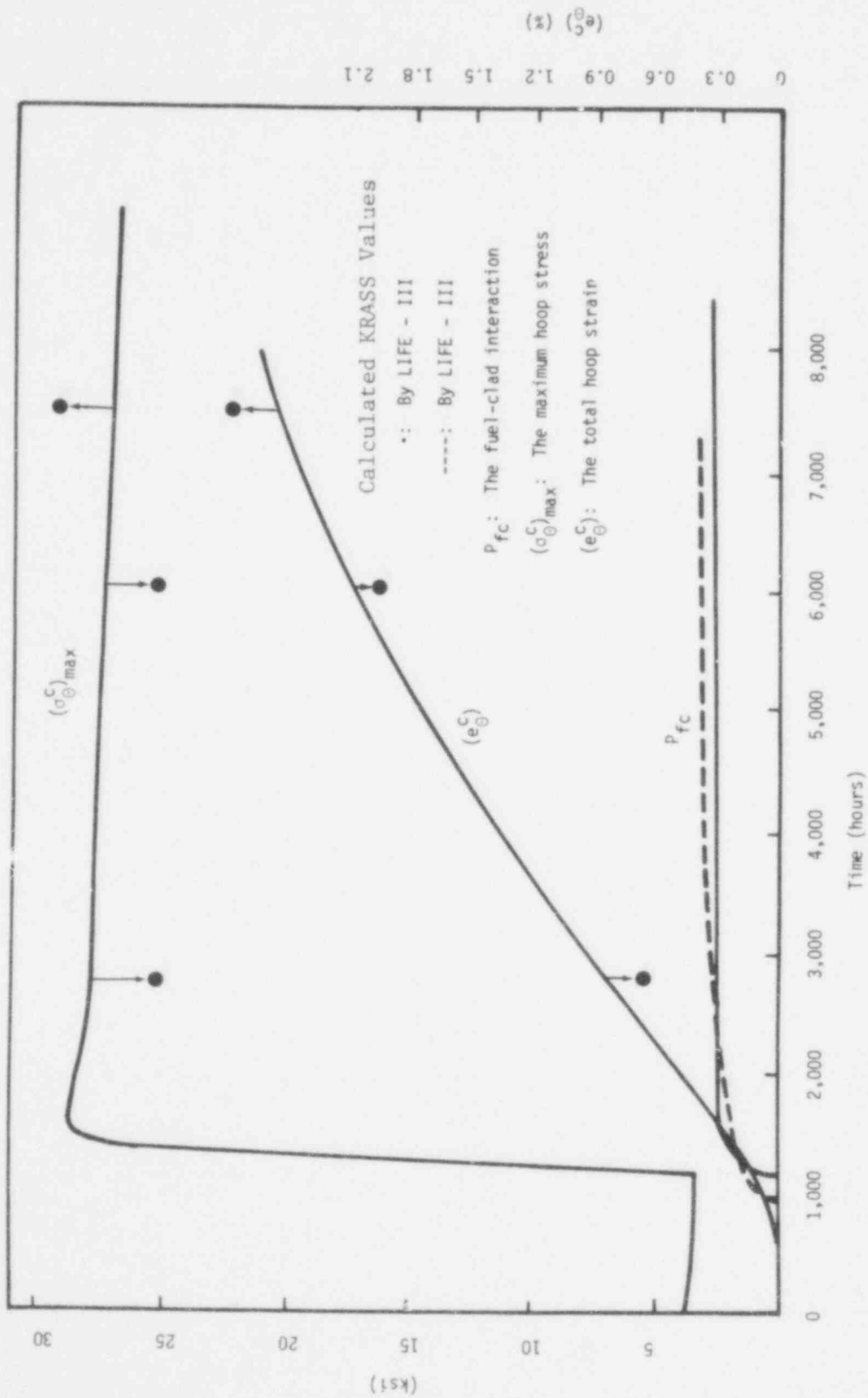


Figure E - 4. The Fuel-Clad Interaction, the Maximum Hoop Stress, and the Total Hoop Strain in the Clad.

733 155

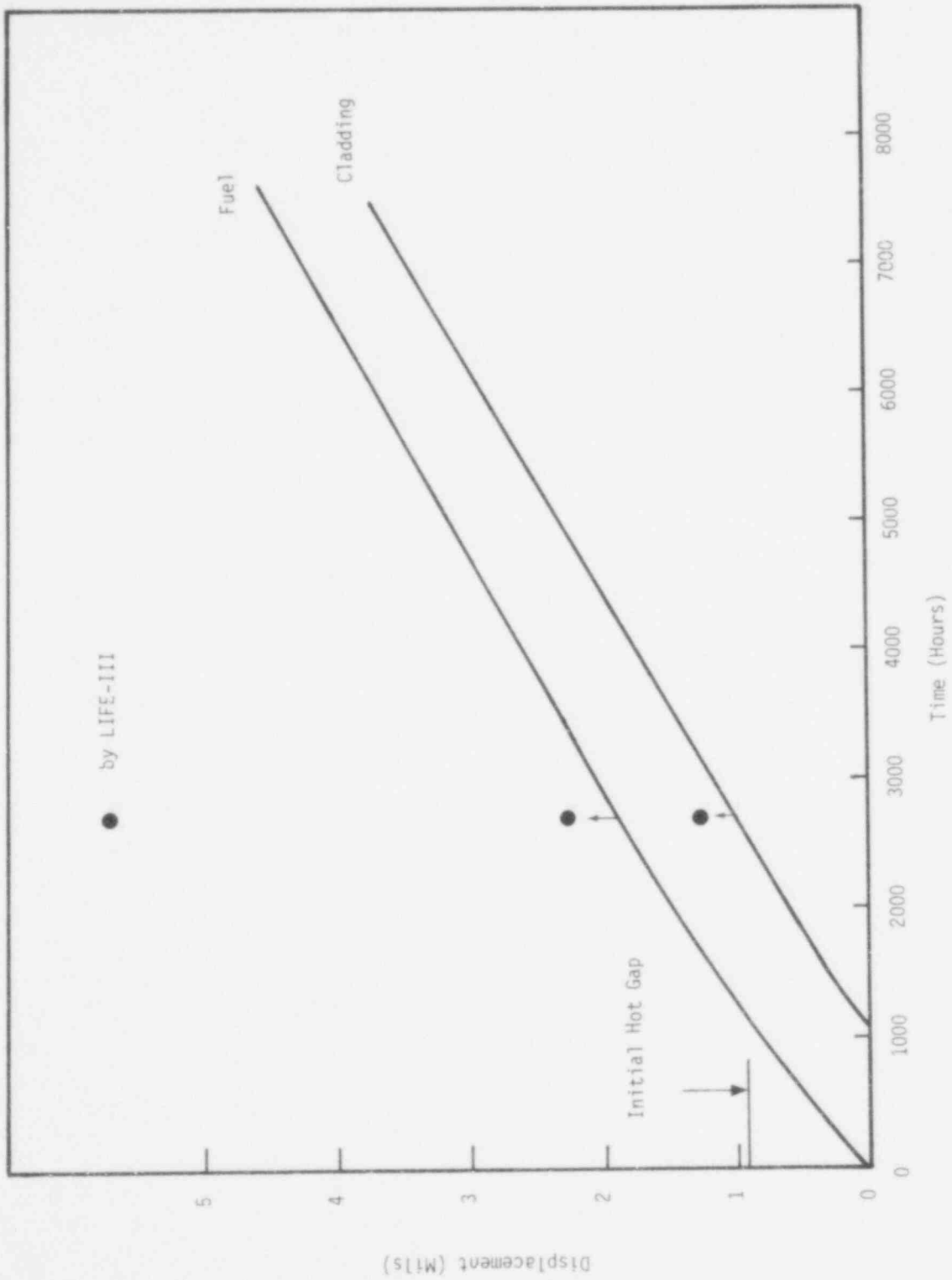


Fig. E-5 The Fuel and the Cladding Boundary Movements

733 156

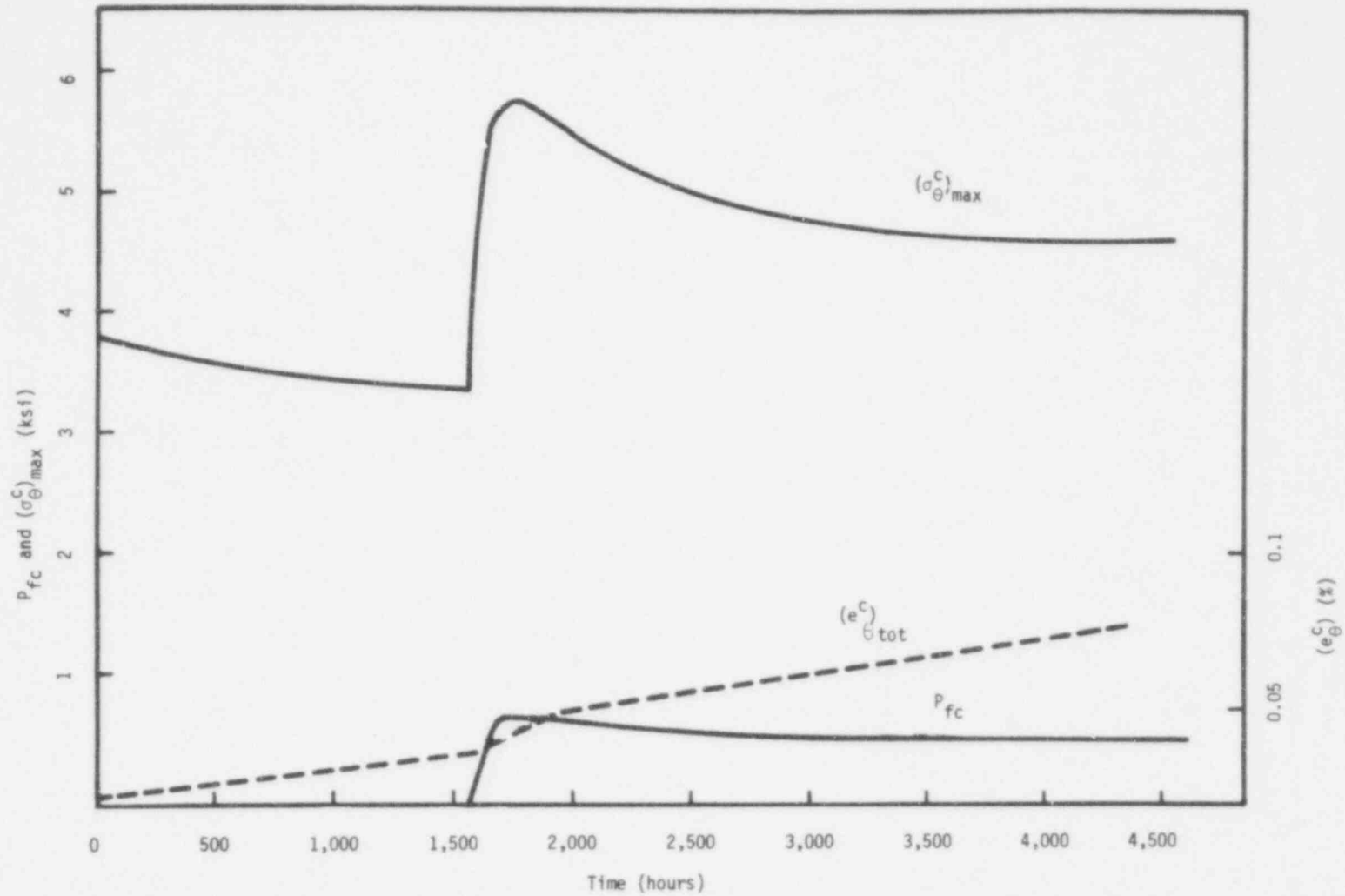
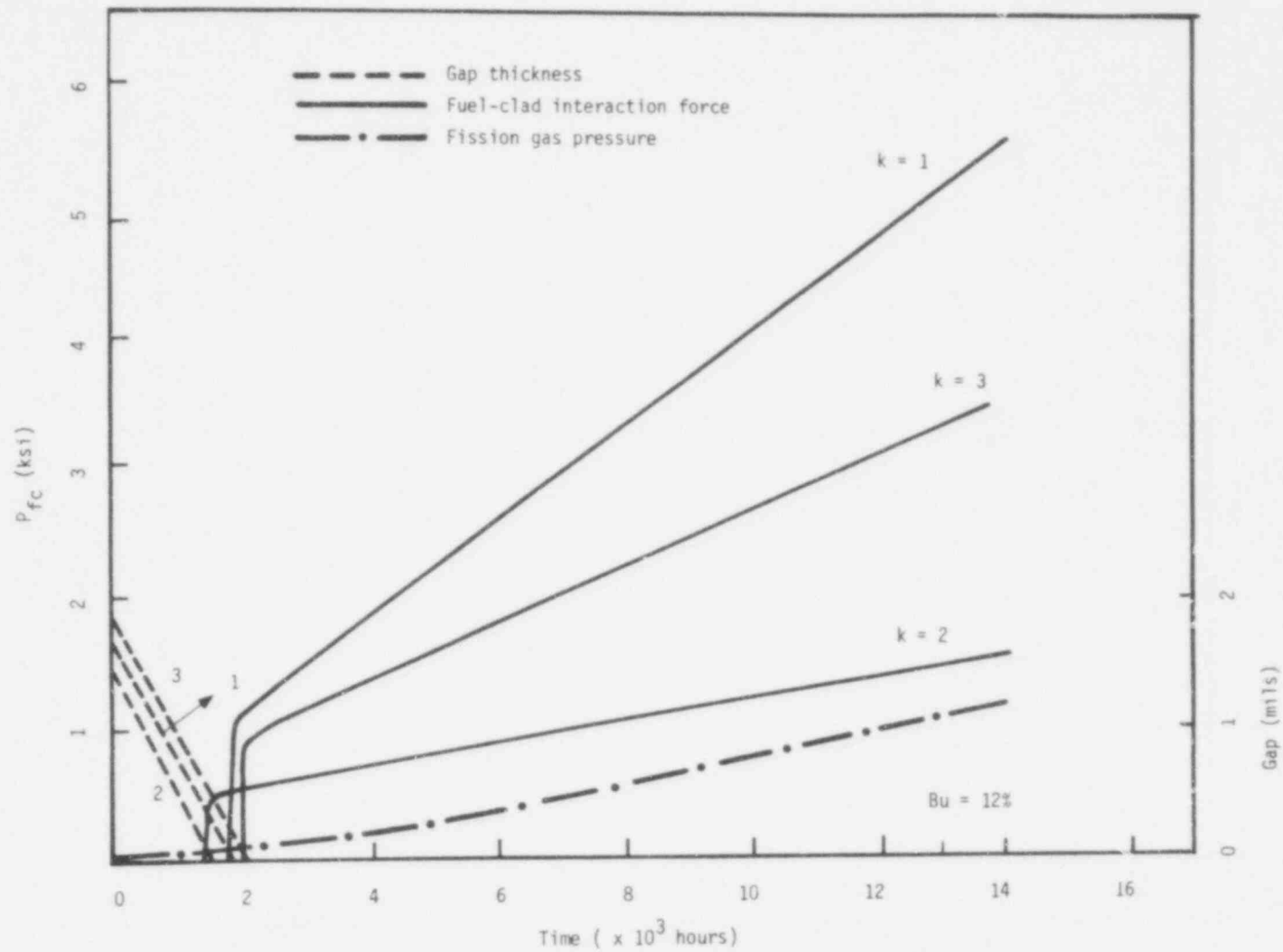


Figure E - 6. The Fuel-Clad Interaction (P_{fc}), the Maximum Hoop Stress $((\sigma_{\theta}^C)_{max})$, and the Hoop Strain (e_{θ}^C) in the Clad (Case EBR - 15 KW/Ft).

733 158



CRBR Calculations
12 kW/Ft Cases

Figure A0 - 1. The Gap Thickness, the Fuel-Clad Interaction Force, and the Fission Gas Pressure. (Case A0)

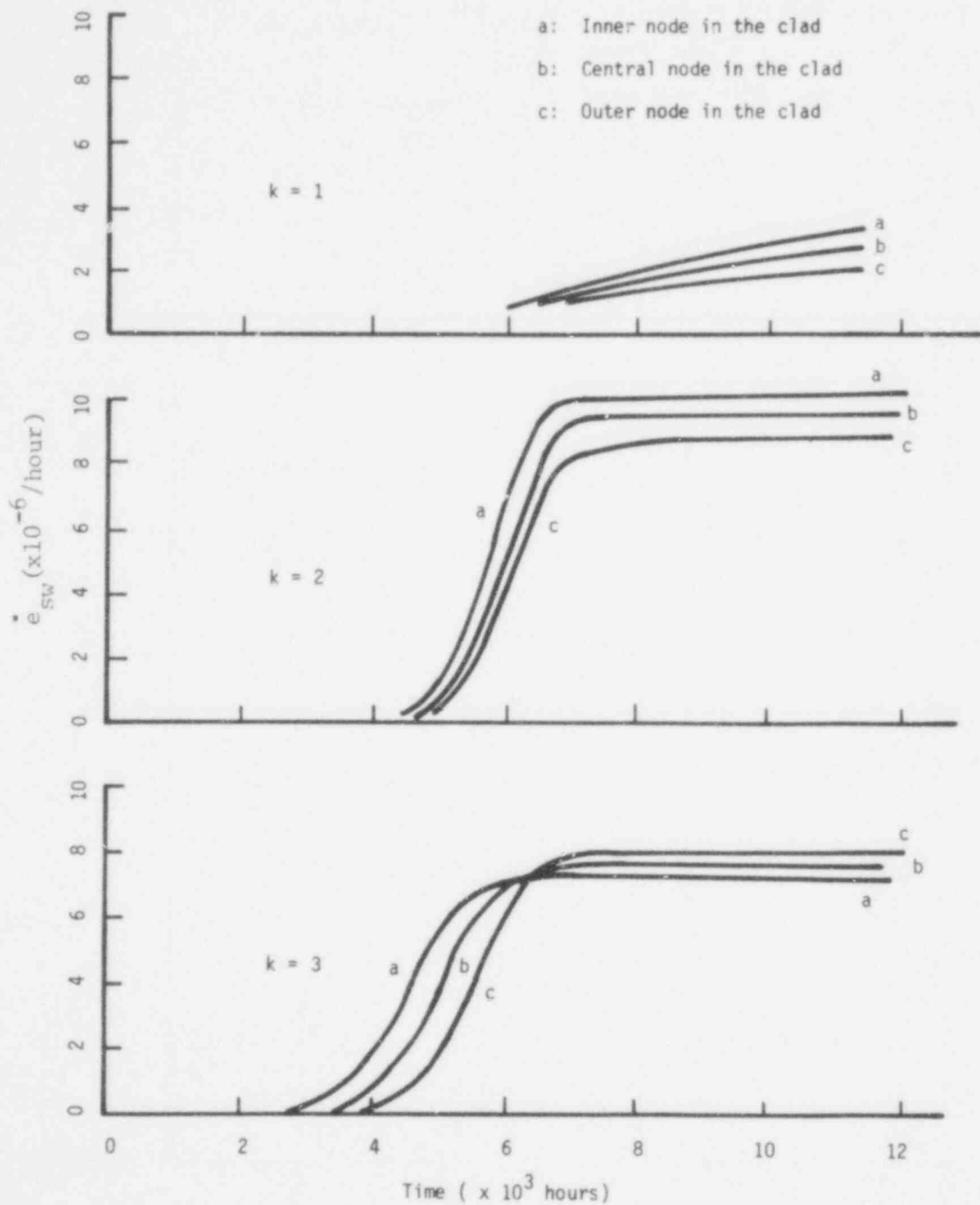


Figure A0 - 2. The Swelling Strain Rate (per hour) in Each Axial Section. (Case A0)

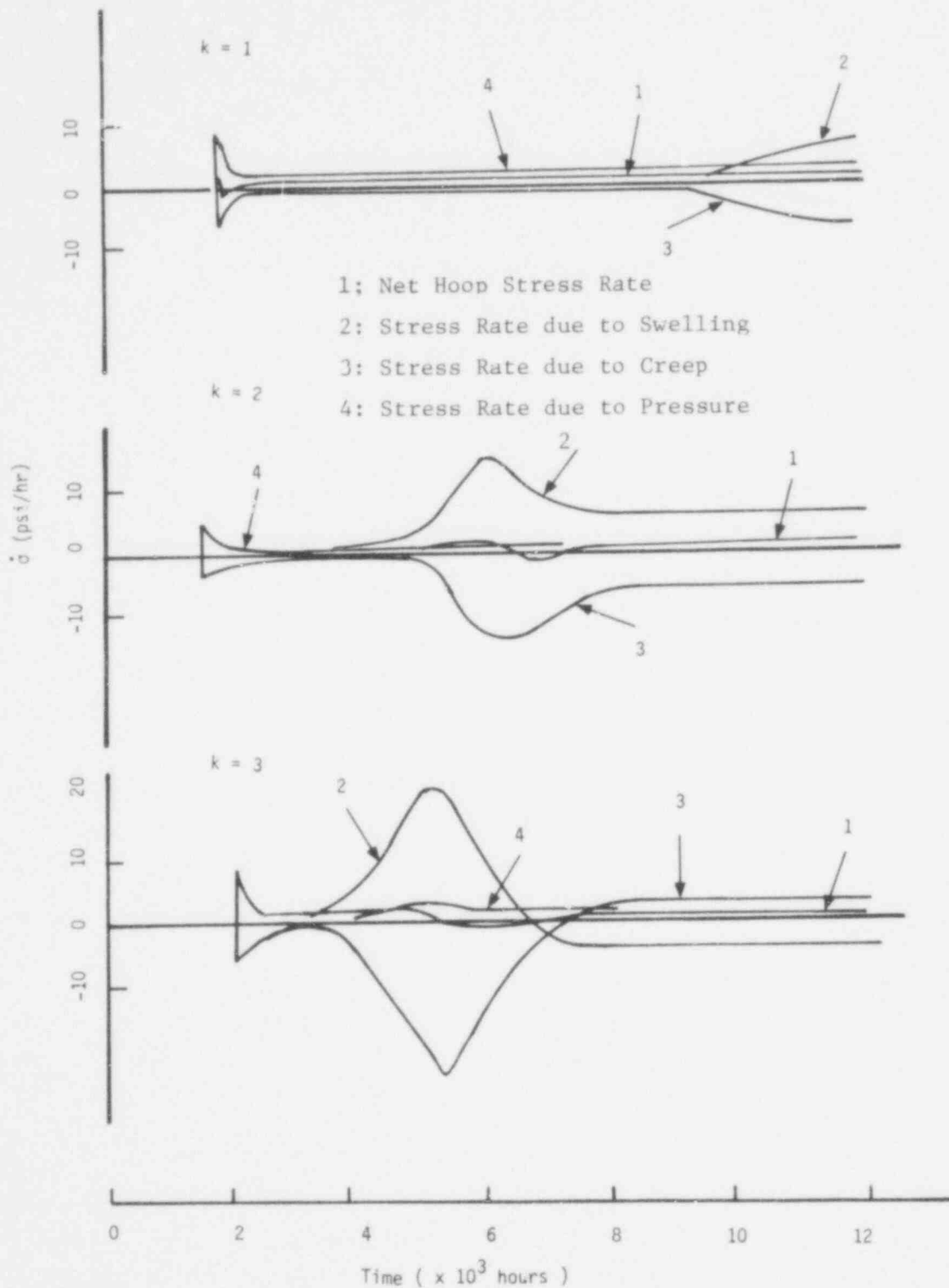


Figure A0-3. The Net Hoop Stress and the Stress Rate, Due to Swelling, Creep, and Pressure at the Outer Wall of the Clad.

733 100

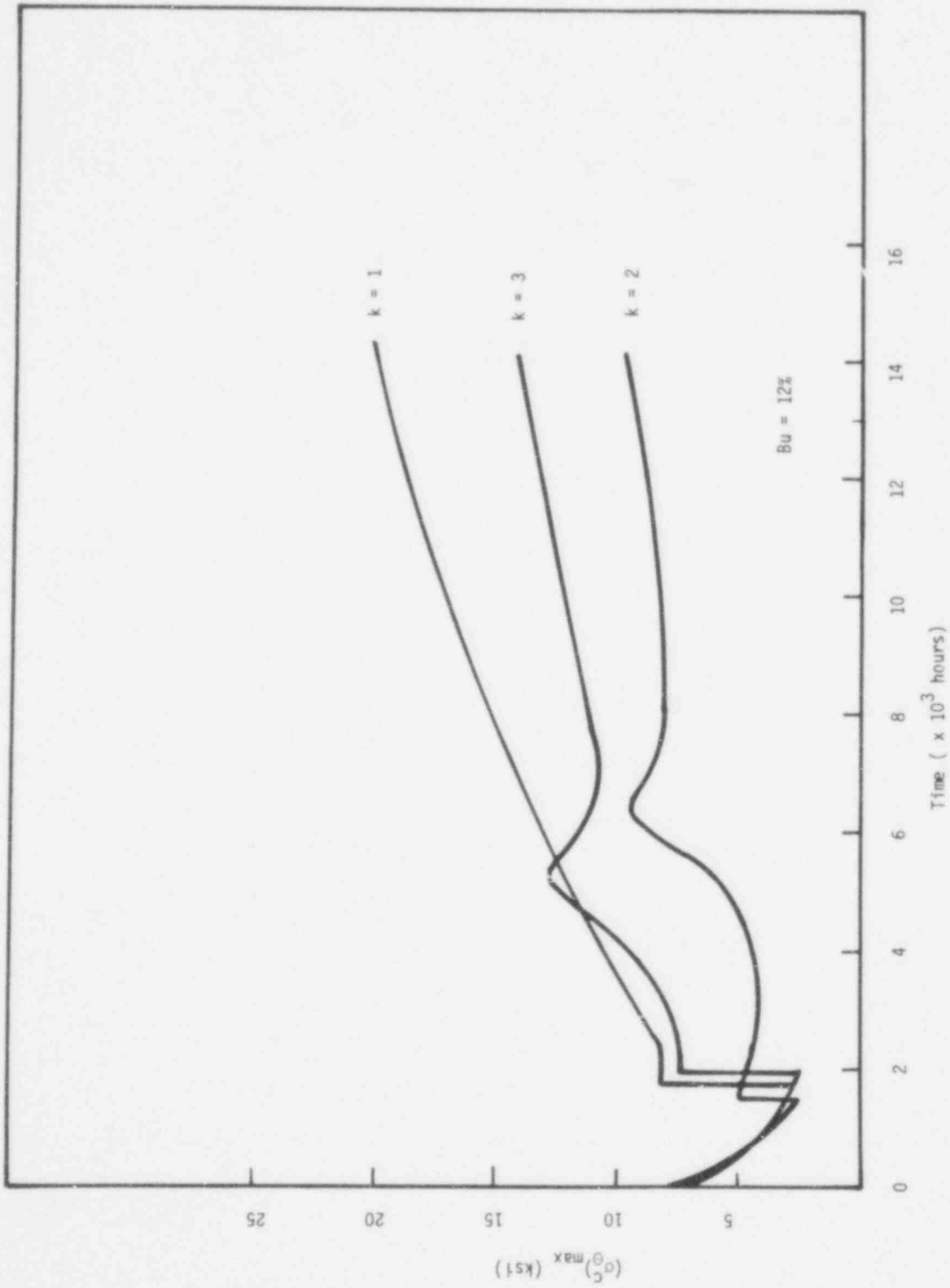


Figure A0 - 4. The Maximum Clad Stress in Each Axial Section. (Case A0)

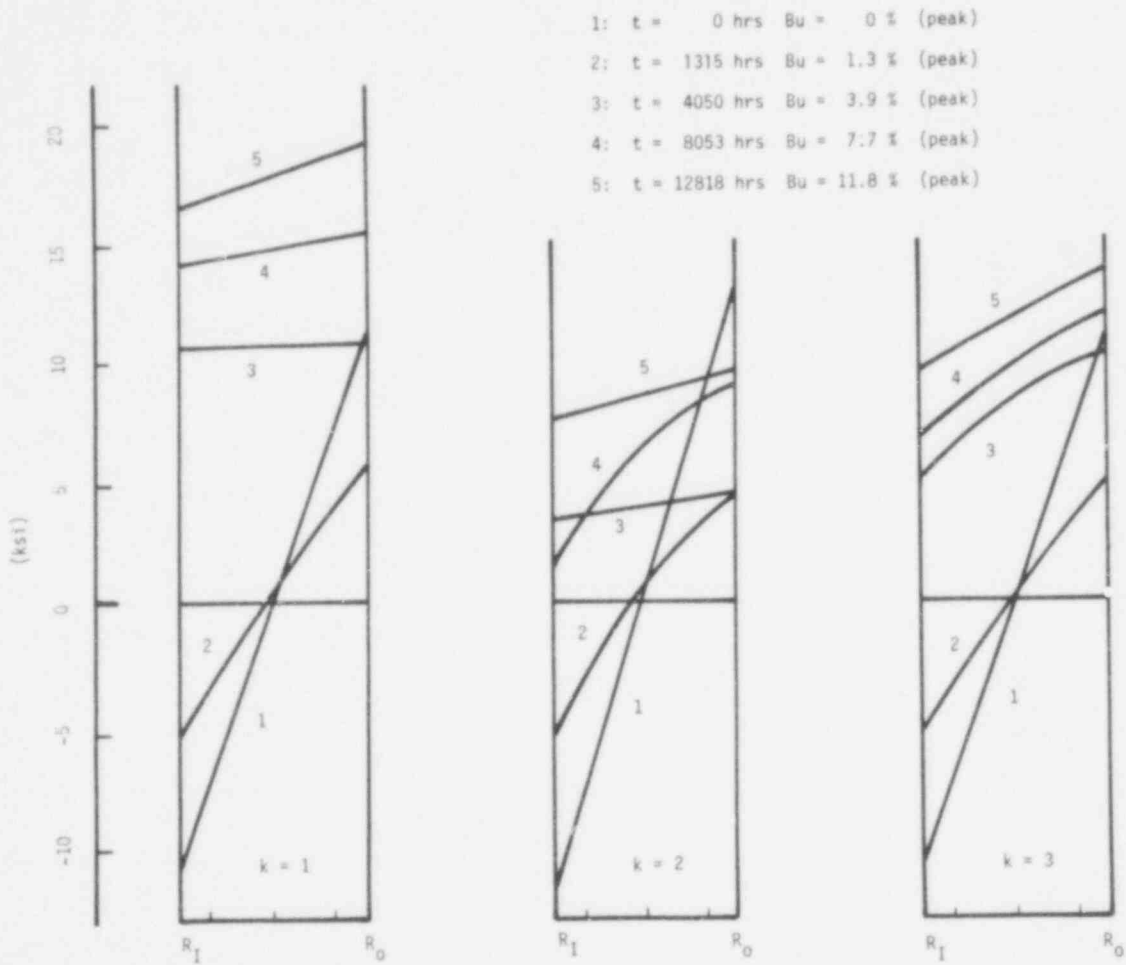


Figure AD-5. The Hoop Stress Distribution Across the Clad Wall.

733 162

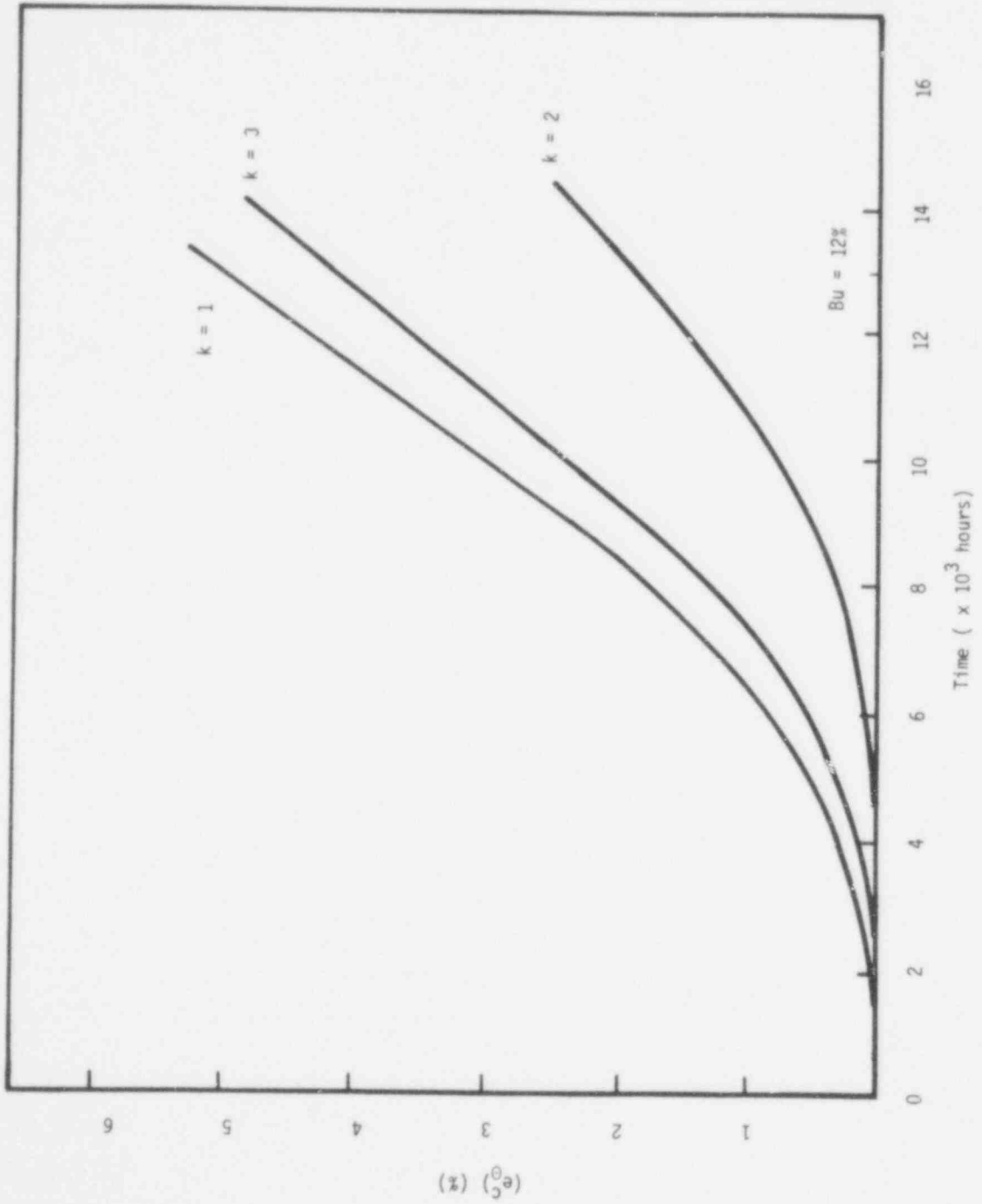


Figure A0 - 6. The Hoop Strain in the Clad. (Case A0)

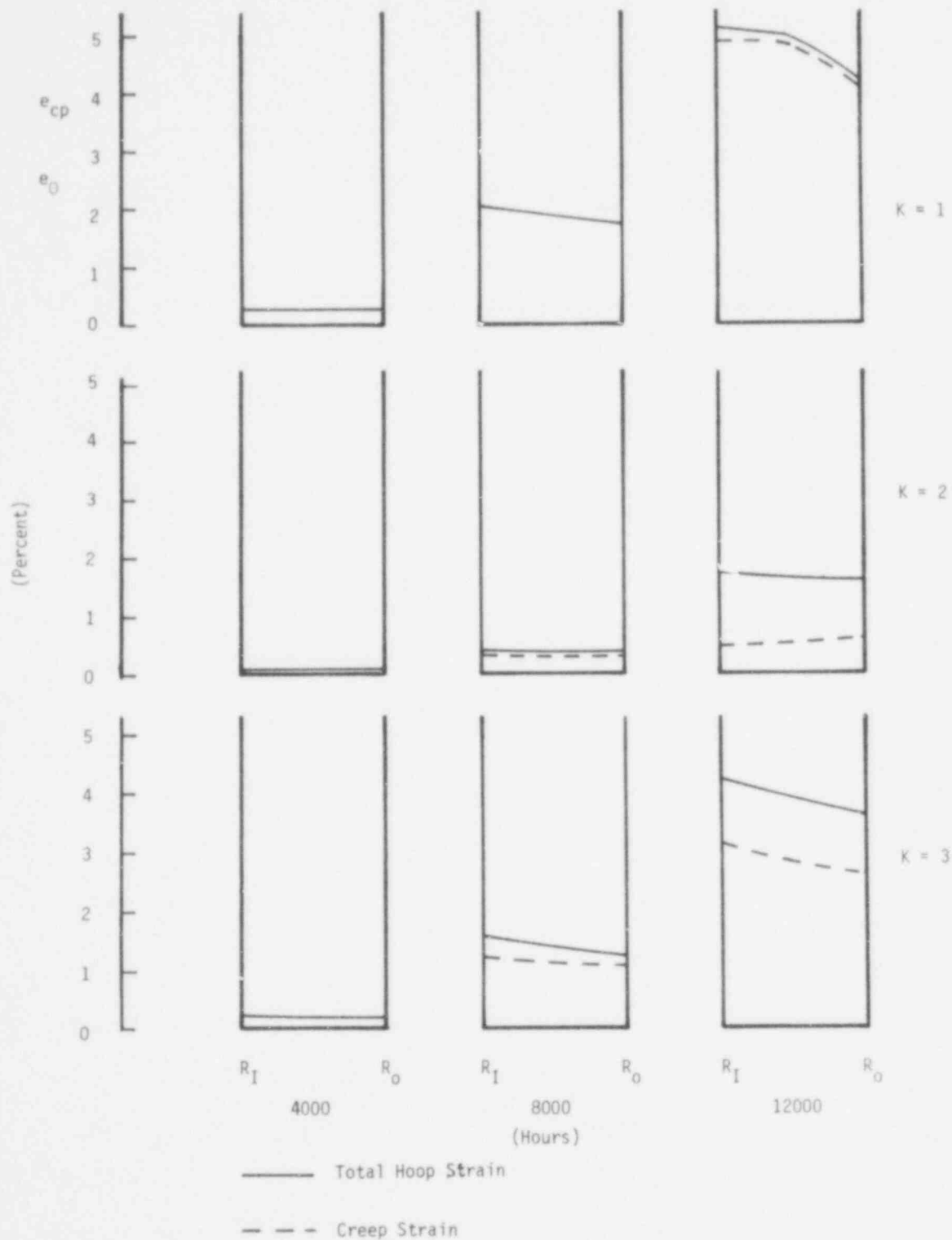


Fig. A0.7 The Total Hoop Strain and the Creep Strain Across the Clad Wall (Case A0)

733 164

12 kW/ft Cases
Case A1

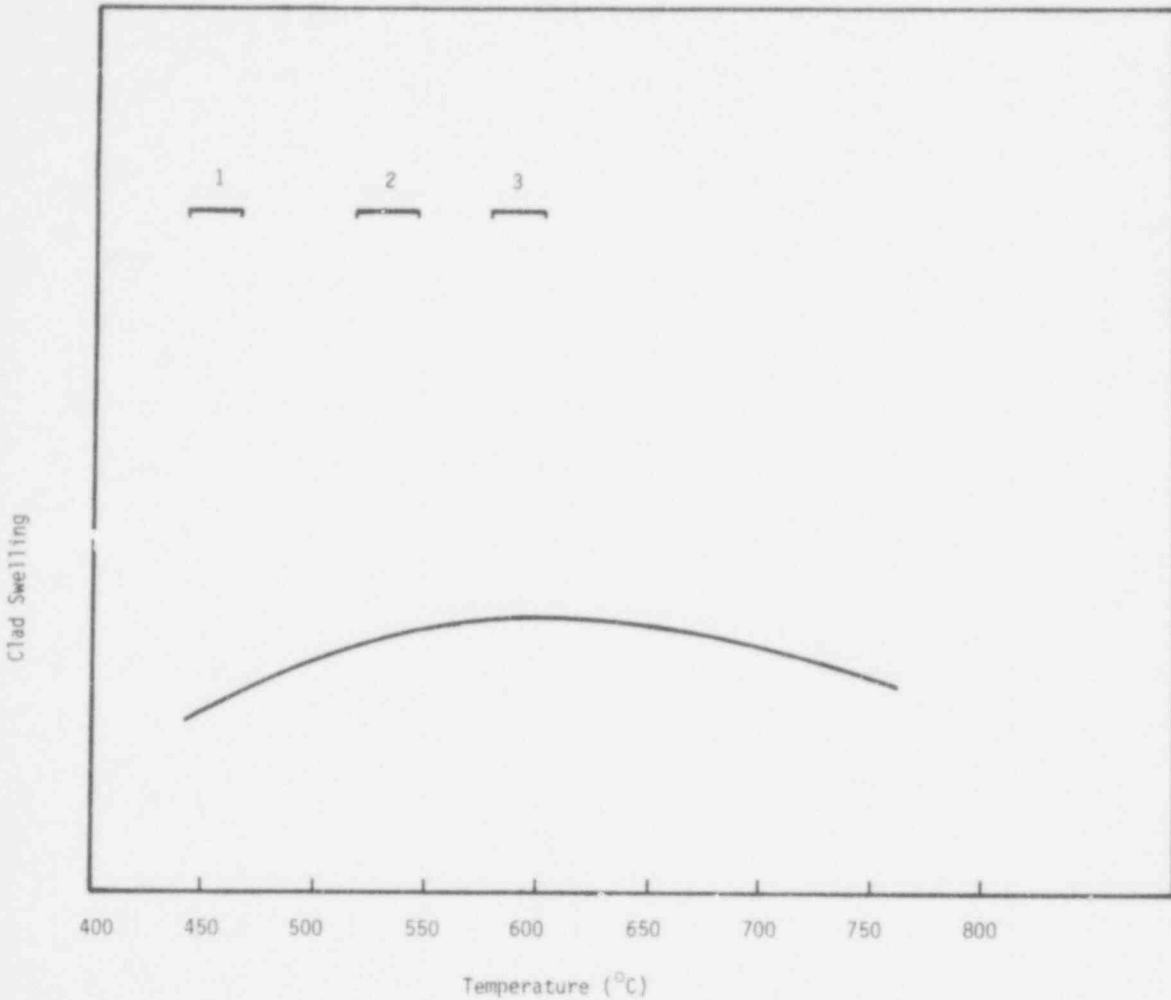


Figure A1.1 The Temperature Dependence of the Irradiation Swelling and the Temperature Range Across the Clad Wall (Case A1-1)

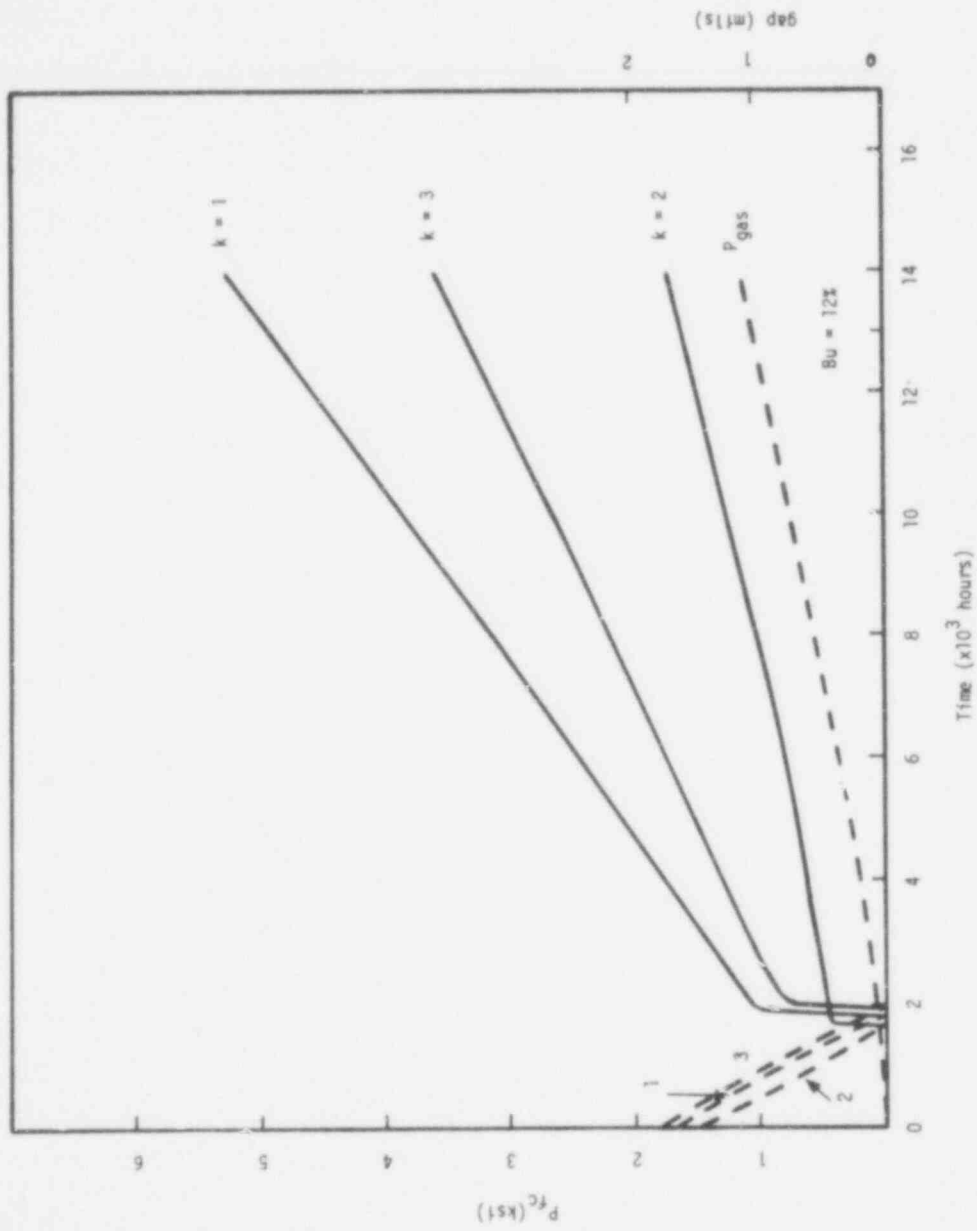


Figure A1 - 2 The Plenum Pressure (P_{gas}), The Gap Thickness and The Fuel-Clad Interaction Force In Each Axial Section. (Case A1)

733 166

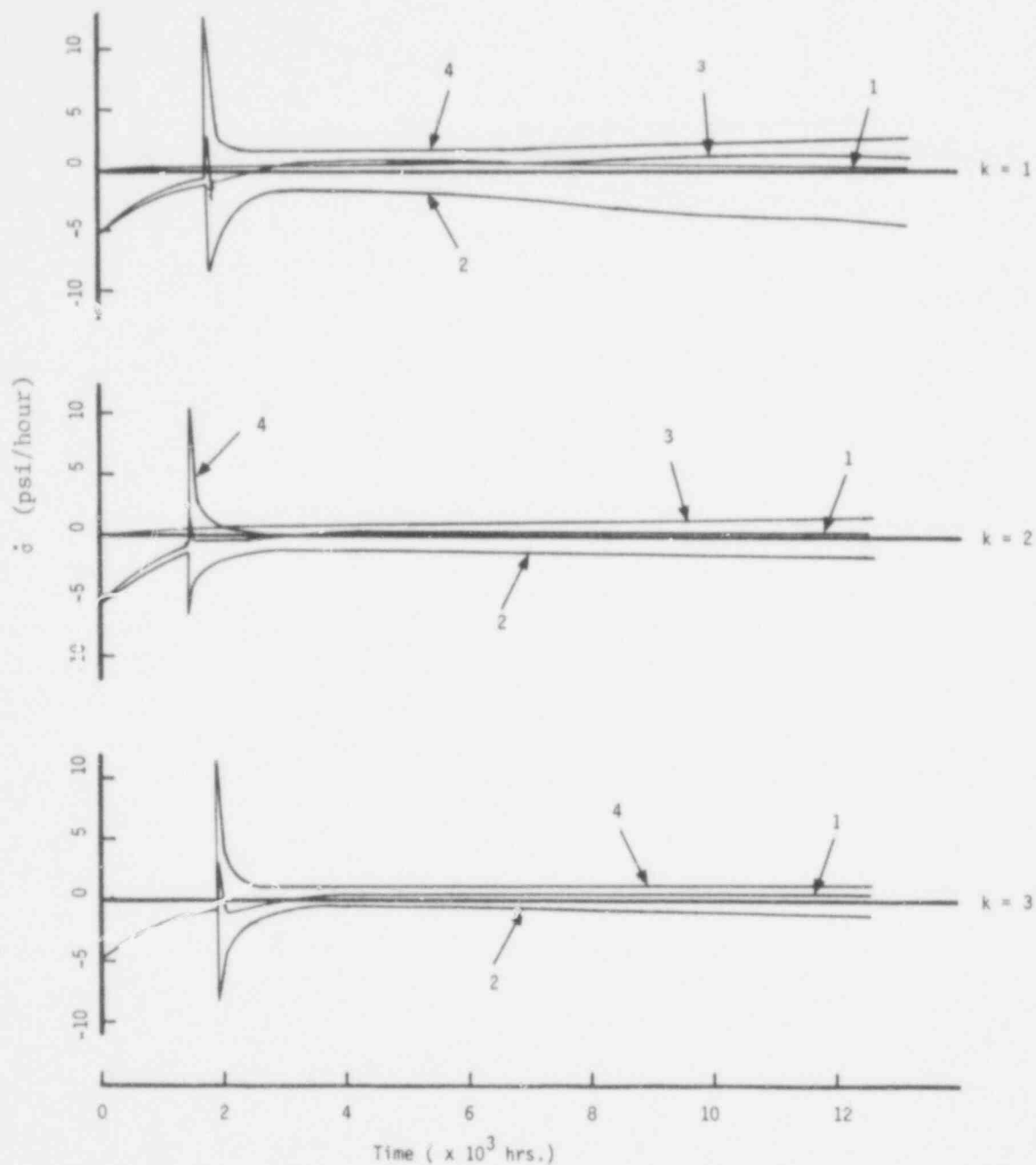


Fig. A1-3. The Net Hoop Stress Rate (1) and the Stress Rate at the Clad Outer Wall Due to the Creep (2), the Swelling (3), and the Pressure (4). (Case A-1)

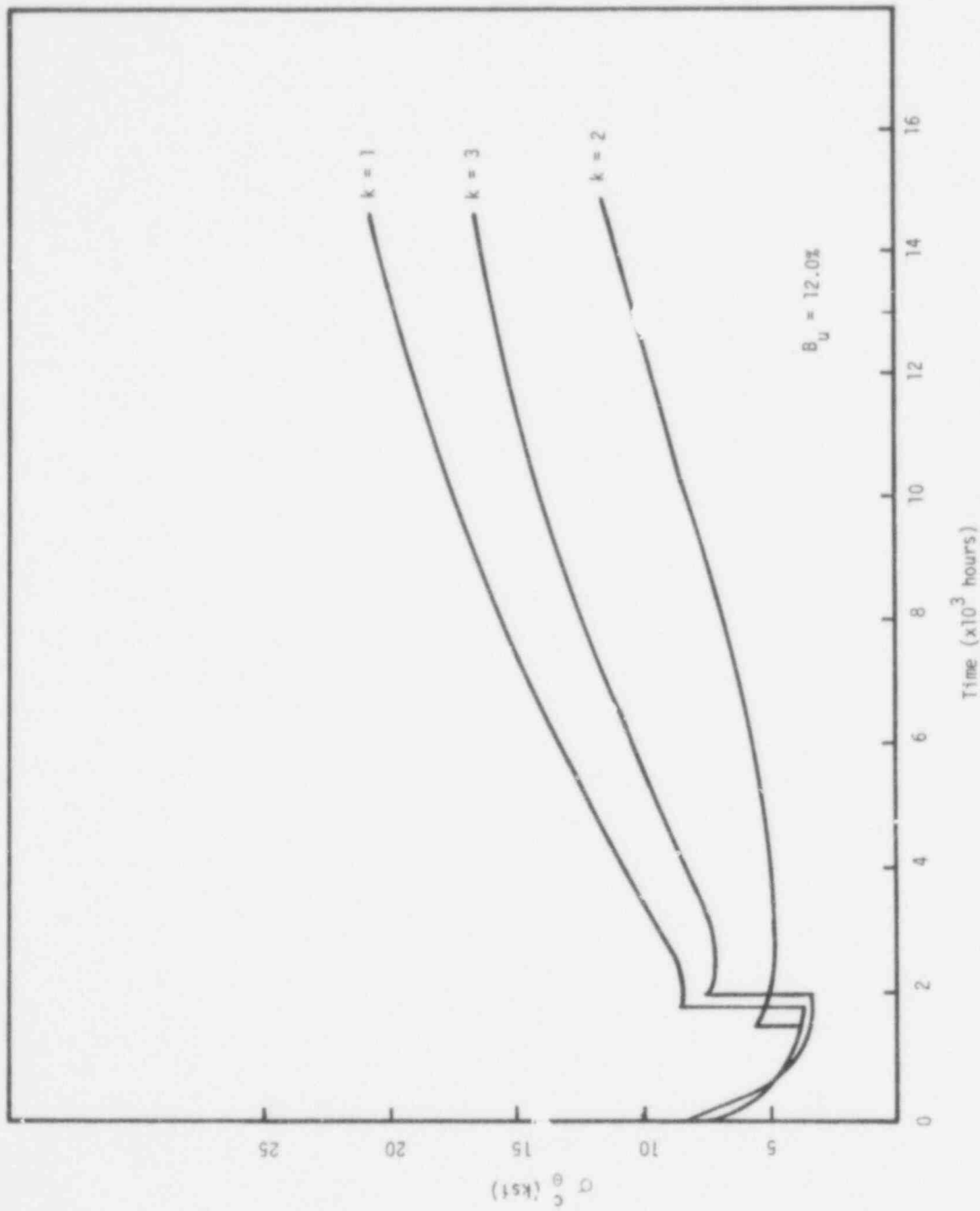


Figure A1-4 The Maximum Clad Hoop Stress in Each Axial Section.
(Case A1)

- 1: t= 0 hrs Bu=0 % (peak)
- 2: t= 1300 hrs Bu=1.3 % (peak)
- 3: t= 4050 hrs Bu=3.9 % (peak)
- 4: t= 8061 hrs Bu=7.6 % (peak)
- 5: t=12600 hrs Bu=11.7% (peak)

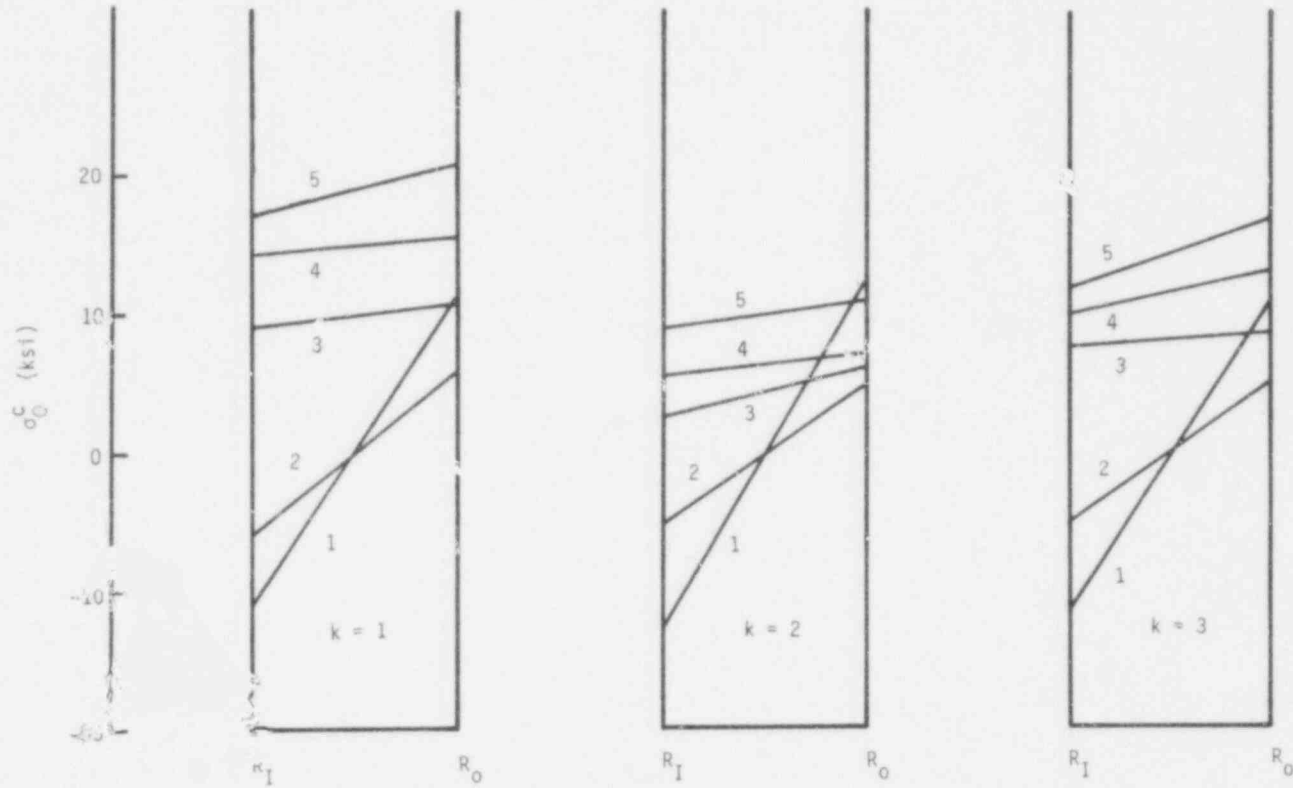


Figure A1-5. The Distribution of the Hoop Stress Across the Clad Wall.

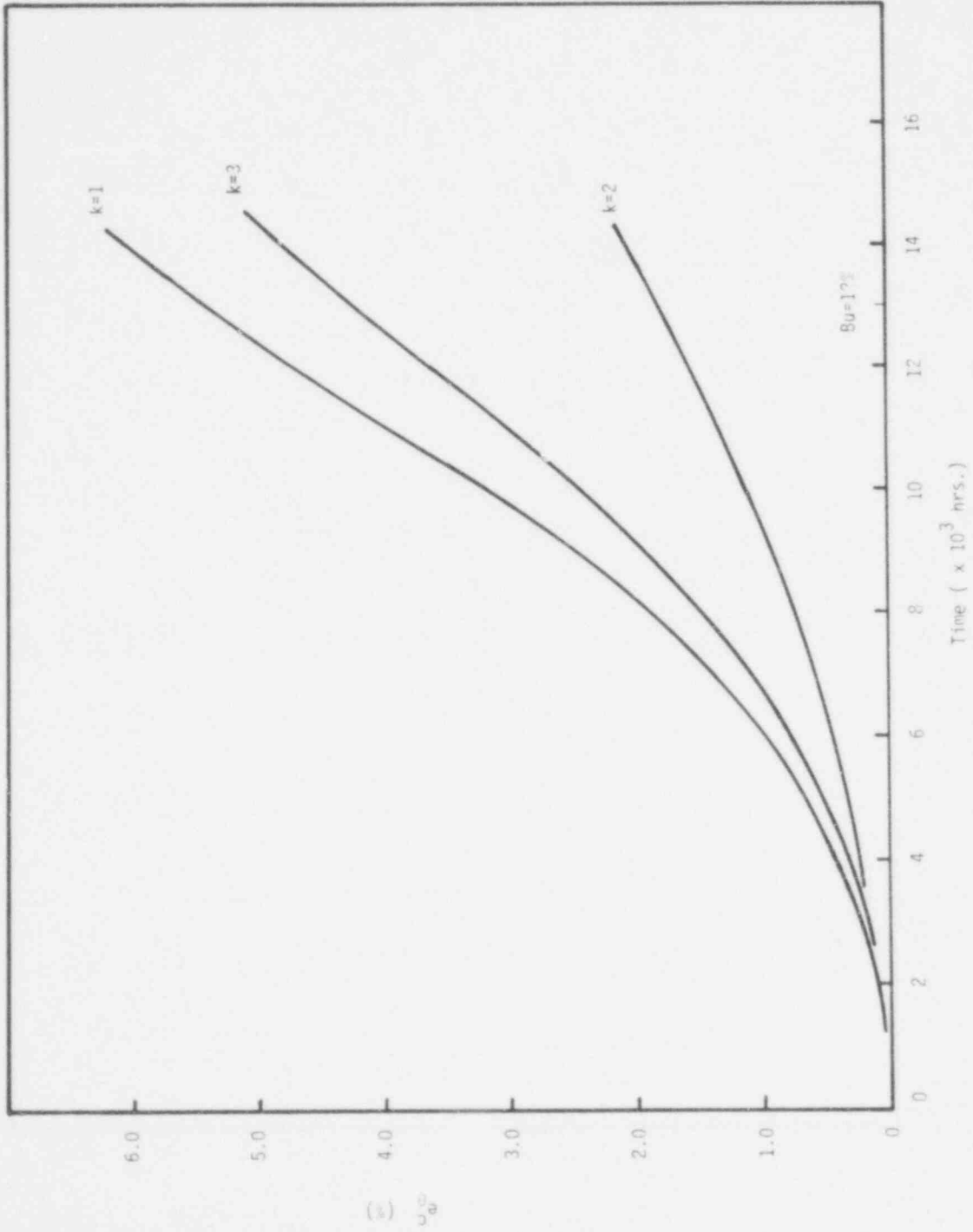
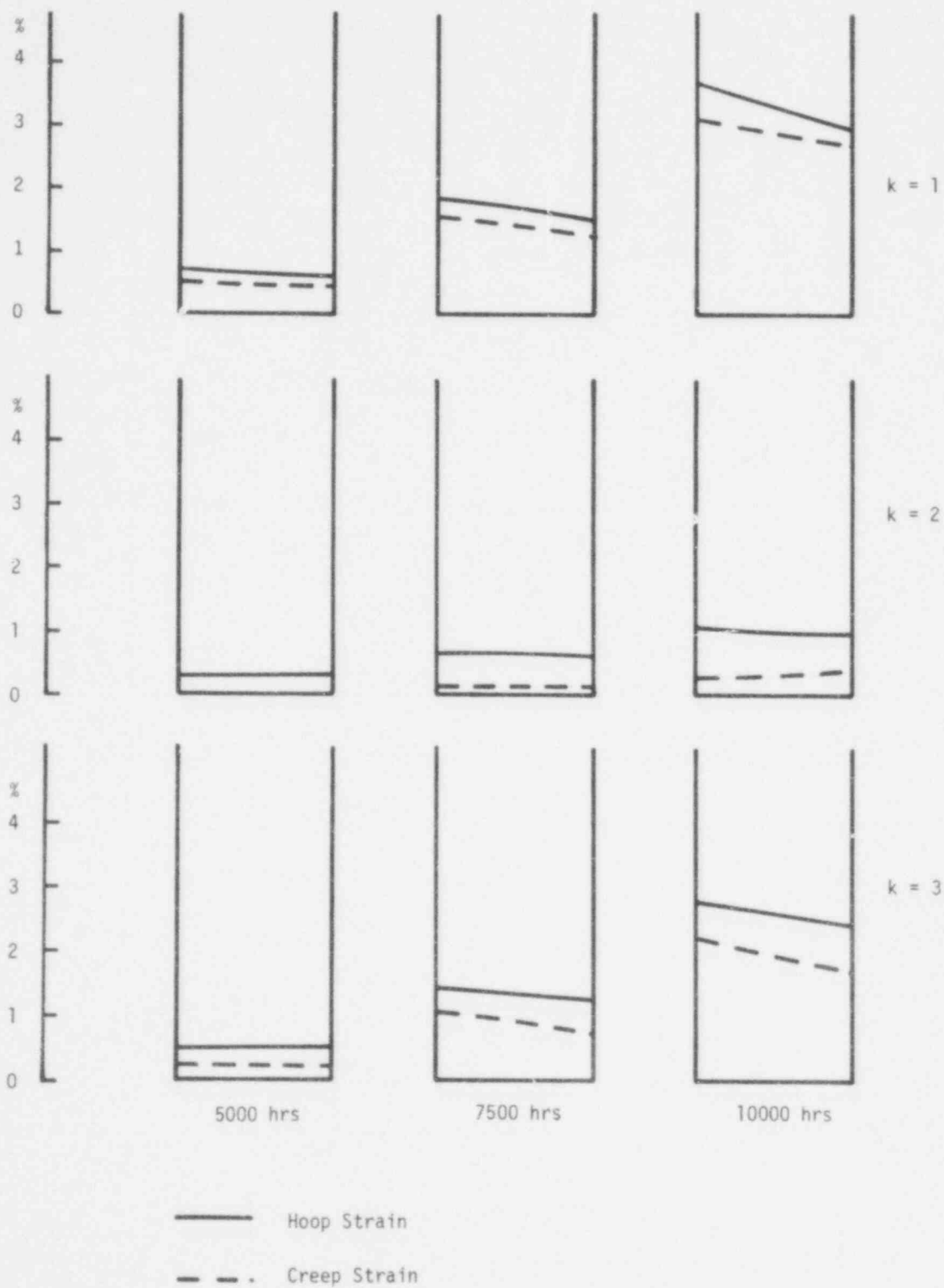


Fig. A1.6 The Hoop Strain in the Clad. (Case A1)



A1-7 The Distribution of the Total Hoop Strain and the Creep Strain Across the Clad Wall (Case A1)

733 171

12 kW/ft Cases
Case A3

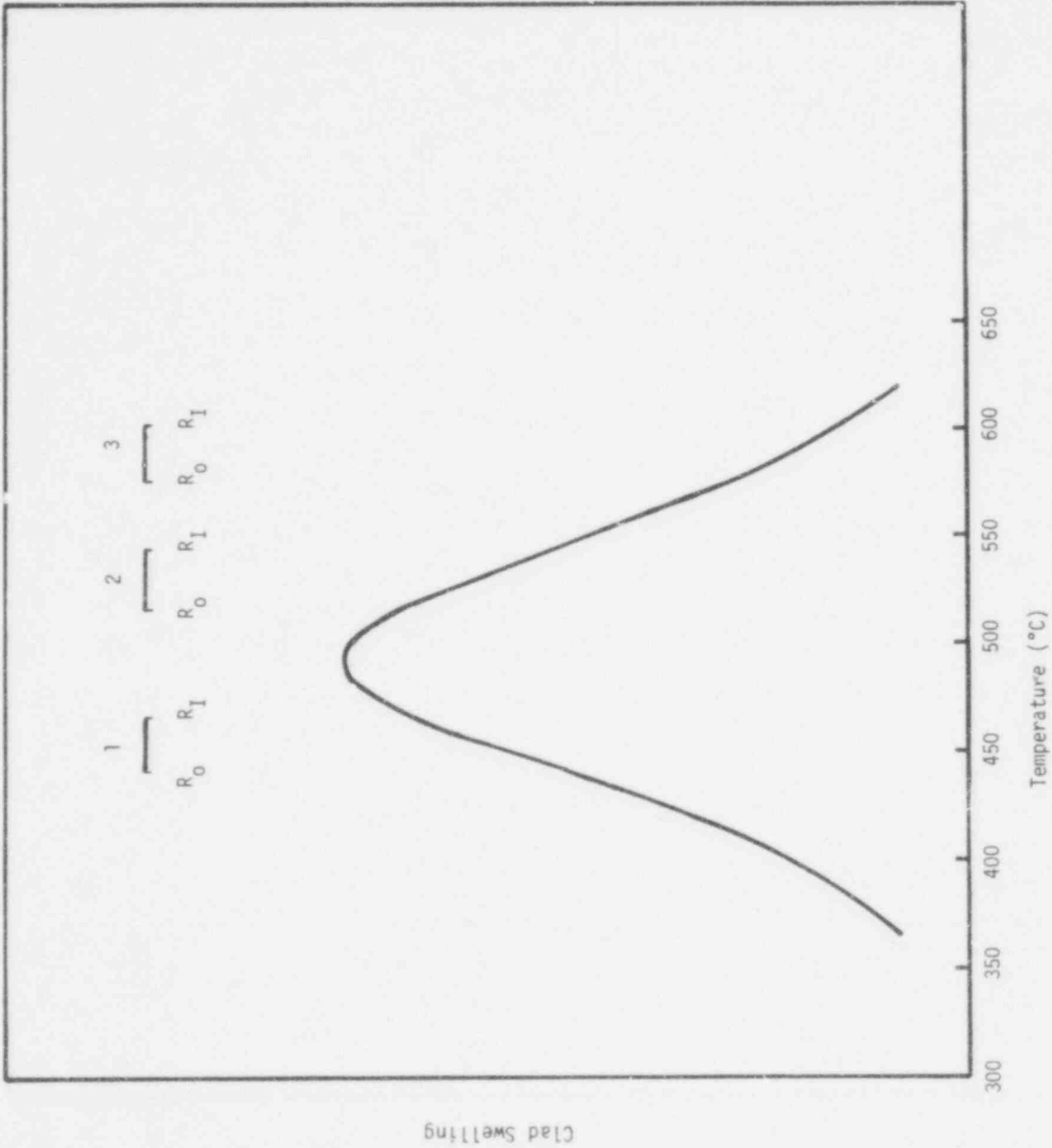


Figure A3-1 The Temperature of the Irradiated Swelling, and the Temperature Range Across the Clad Wall.

733 172

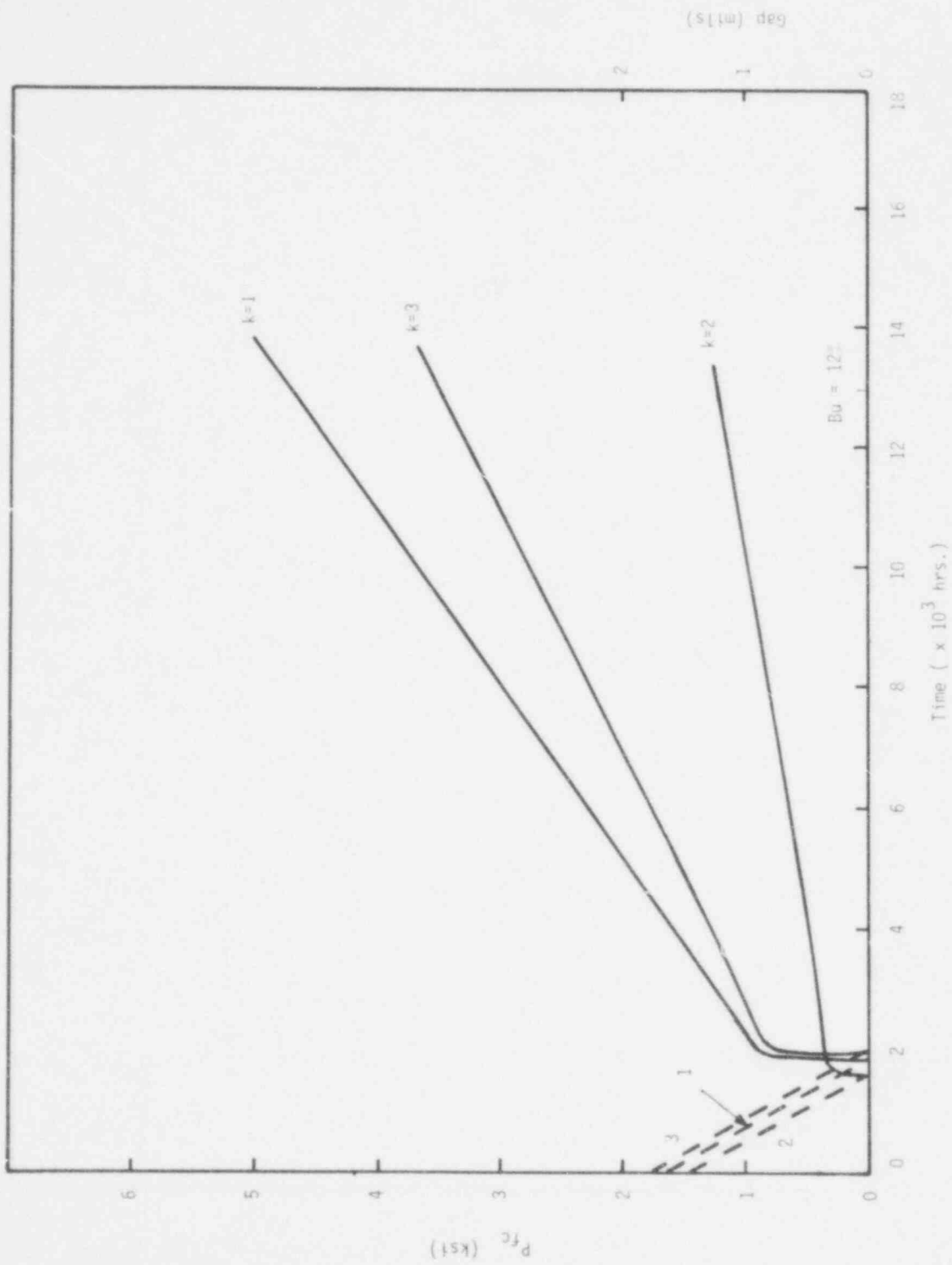


Fig. A3.2 The Fuel-Clad Gap Thickness and the Fuel-Clad Interaction Force. (Case A3)

- 1: Net Hoop Stress Rate
- 2: Stress Rate due to Pressure
- 3: Stress Rate due to Swelling
- 4: Stress Rate due to Creep

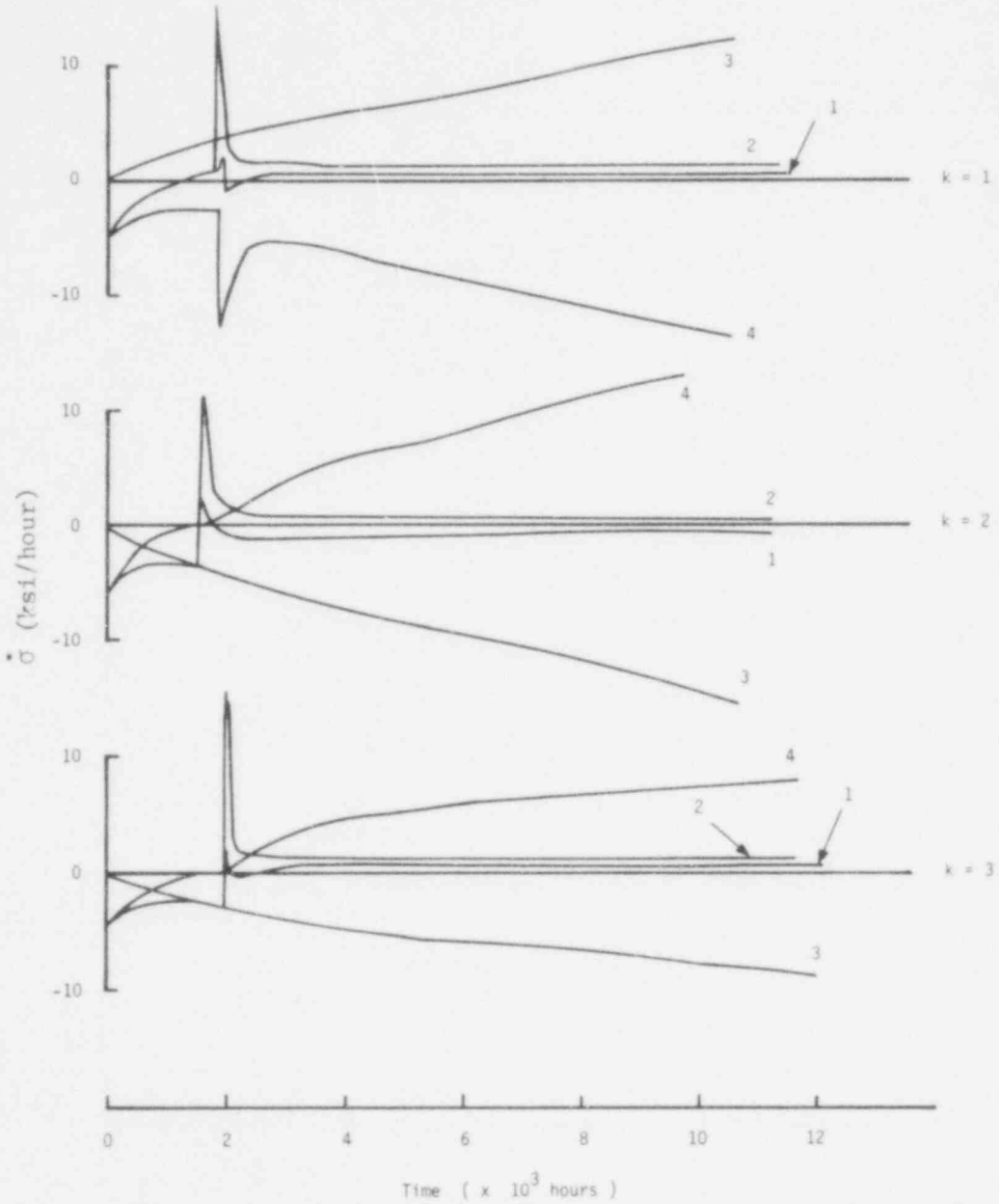


Figure A3-3. The Net Hoop Stress Rate and the Stress Rate, Due to Pressure, Swelling, and Creep at the Outer Wall of the Clad.

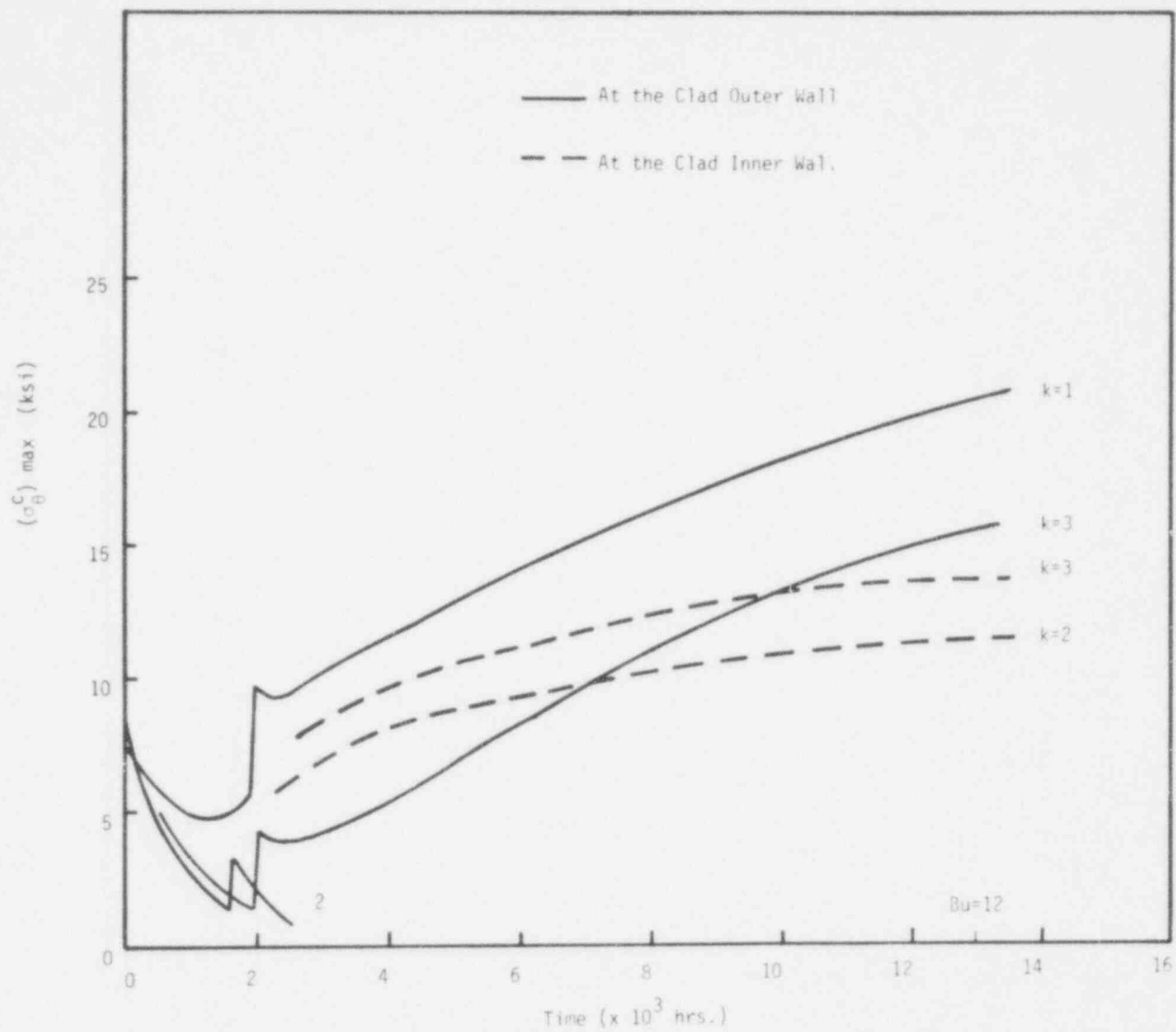


Fig. A3.4 The Maximum Hoop Stress in the Clad. (Case A3)

733 175

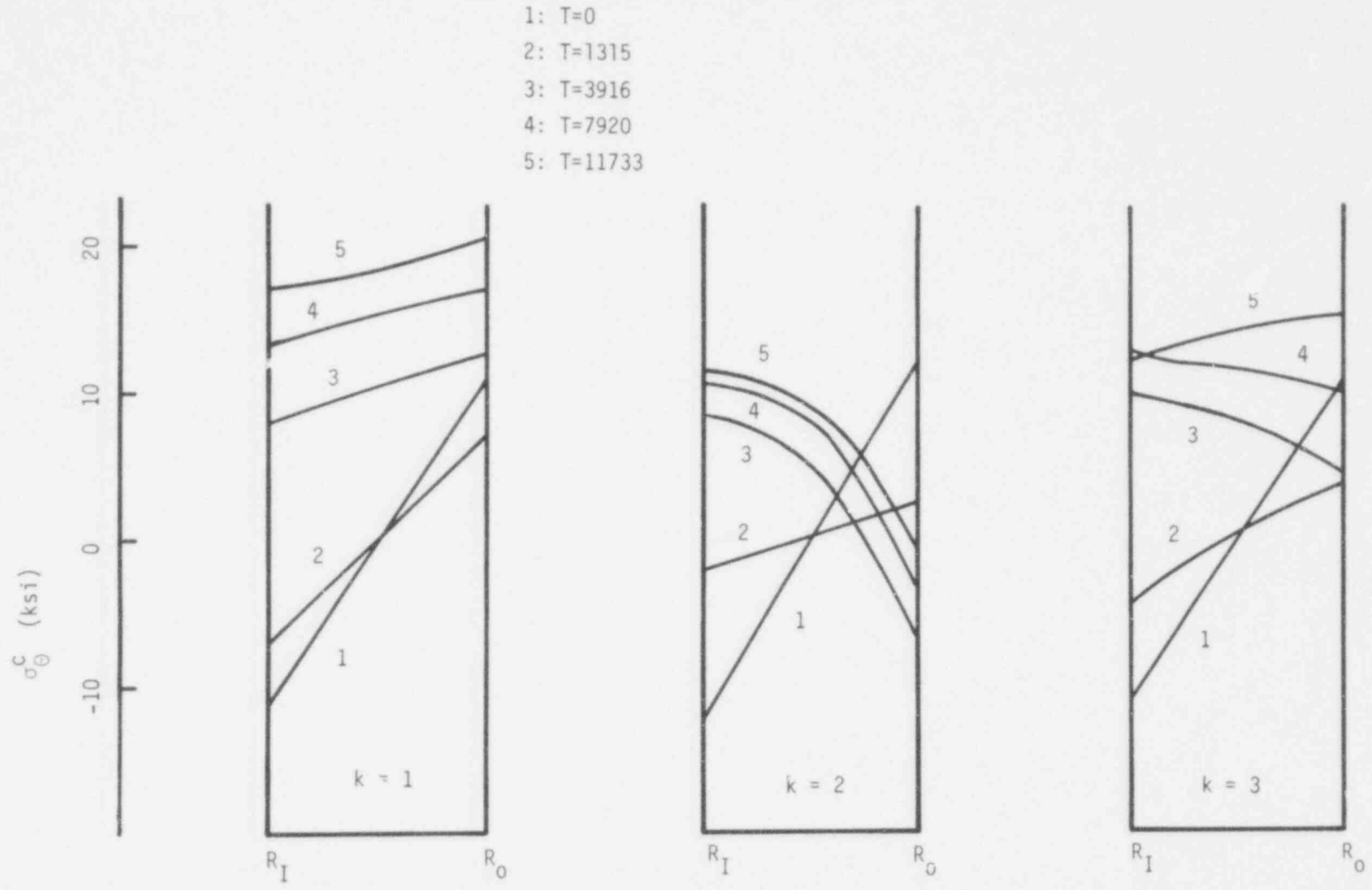


Figure A3-5. The Distribution of the Hoop Stress Across the Clad Wall

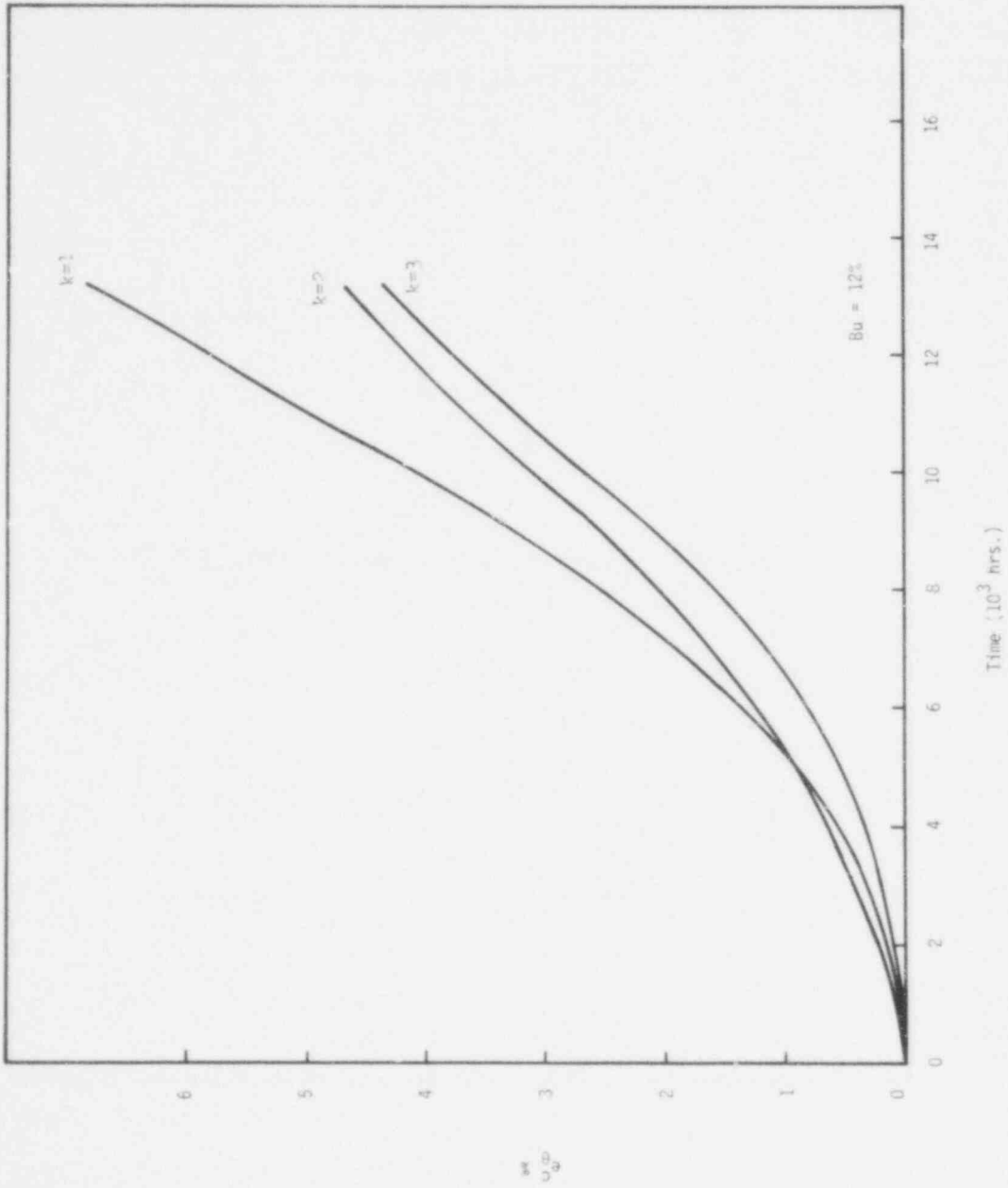


Fig. A3-6 The Hoop Strain in the Clad (Case A3)

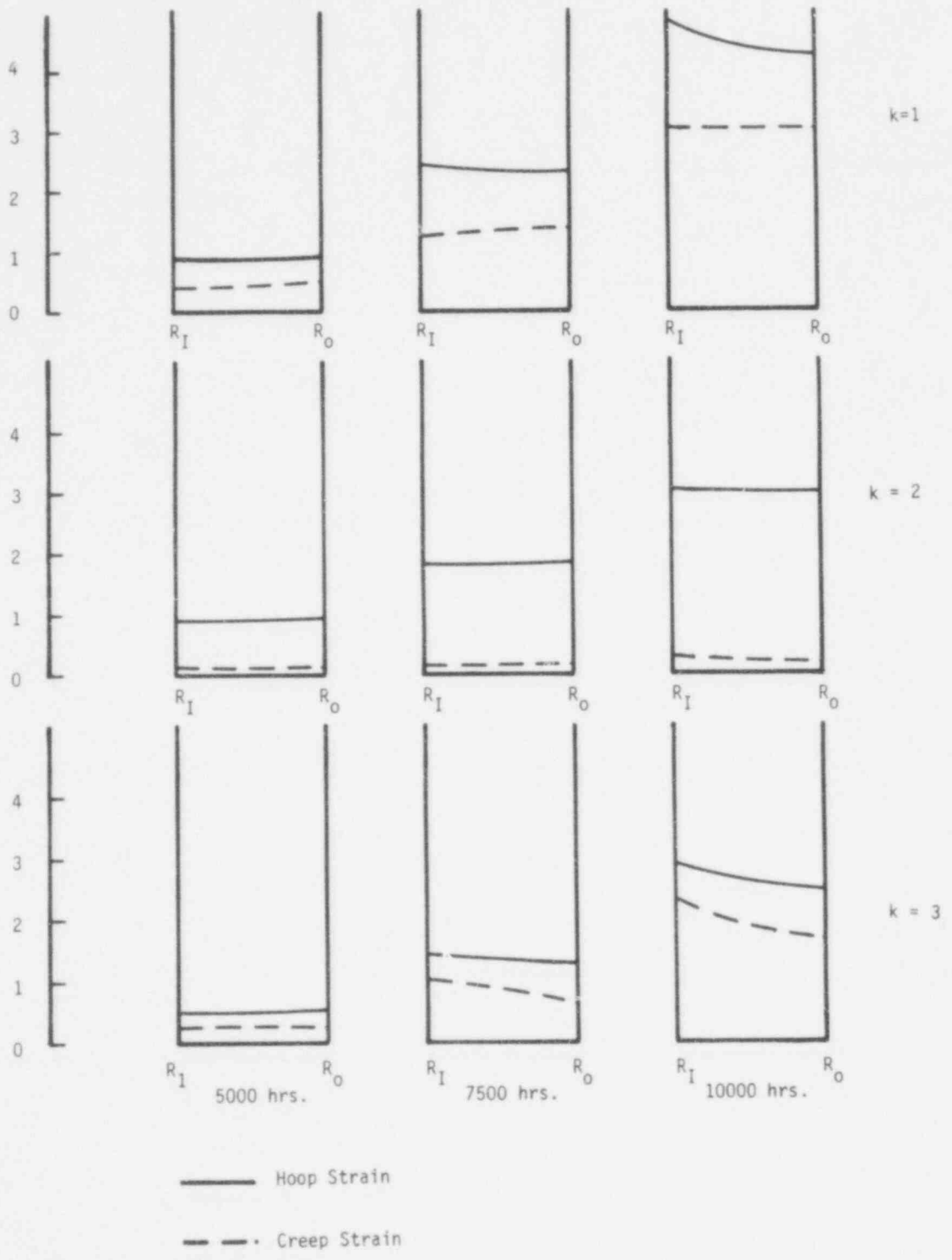


Figure A5 - 7. The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall.

12 kW/ft Cases
Case A4

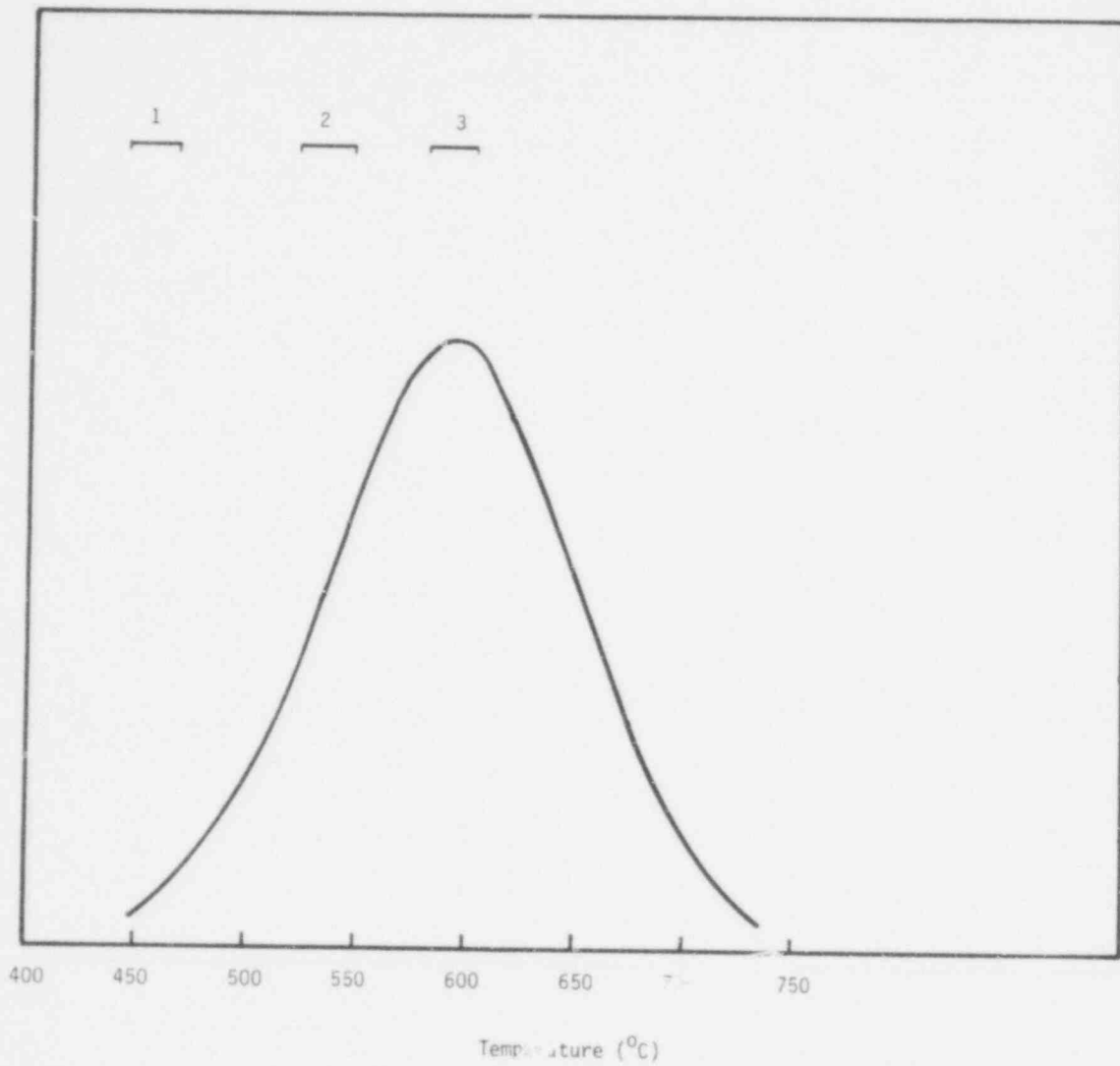


Fig. A4-1 The Temperature Dependence of the Irradiated Swelling and the Temperature Range Across the Clad Wall.

733 179

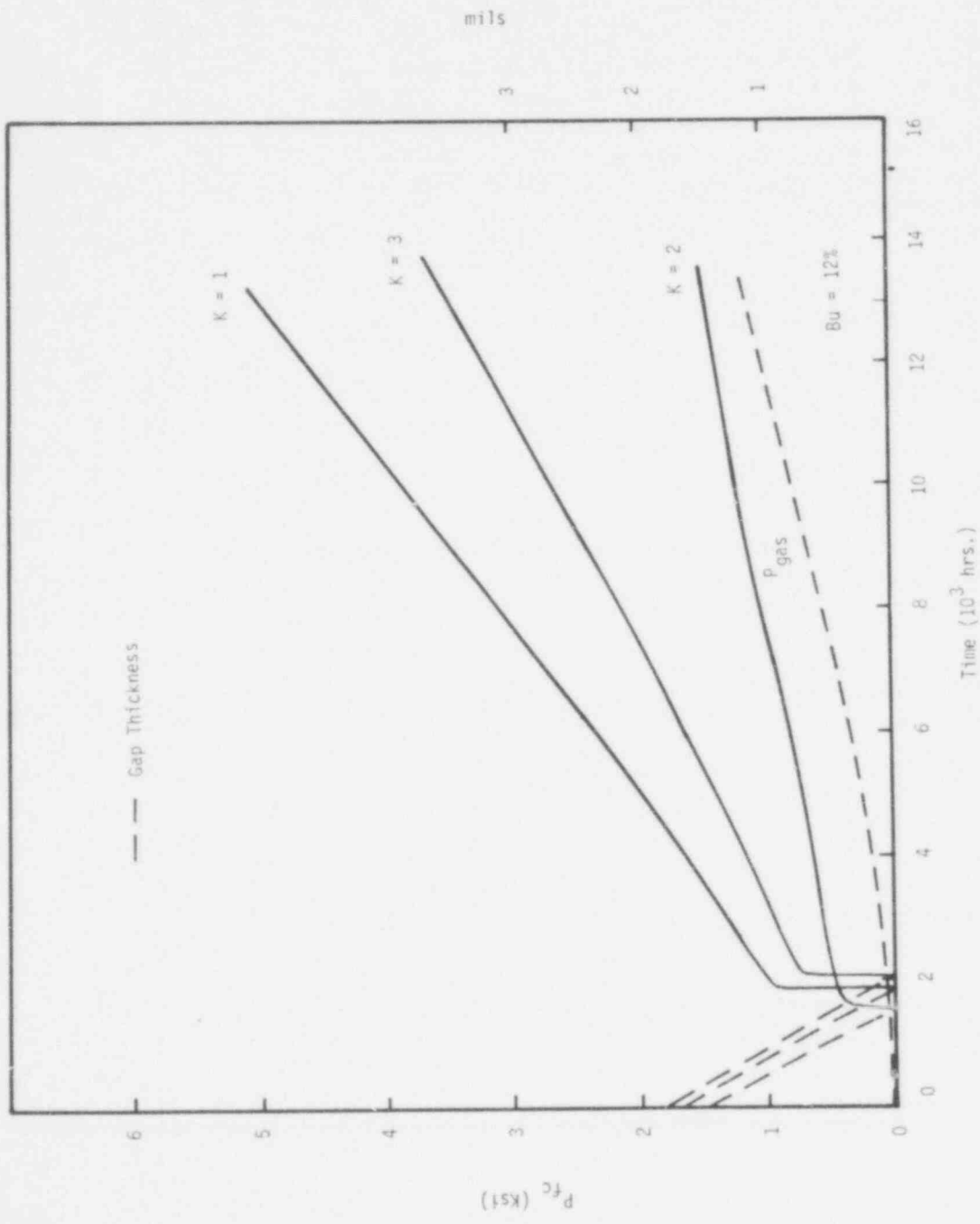


Fig. A4-2 The Fuel-Clad Interaction Force (P_{fc}), the Gap Thickness, and the Pleum Pressure in Each Axial Section (Case A4).

733 100

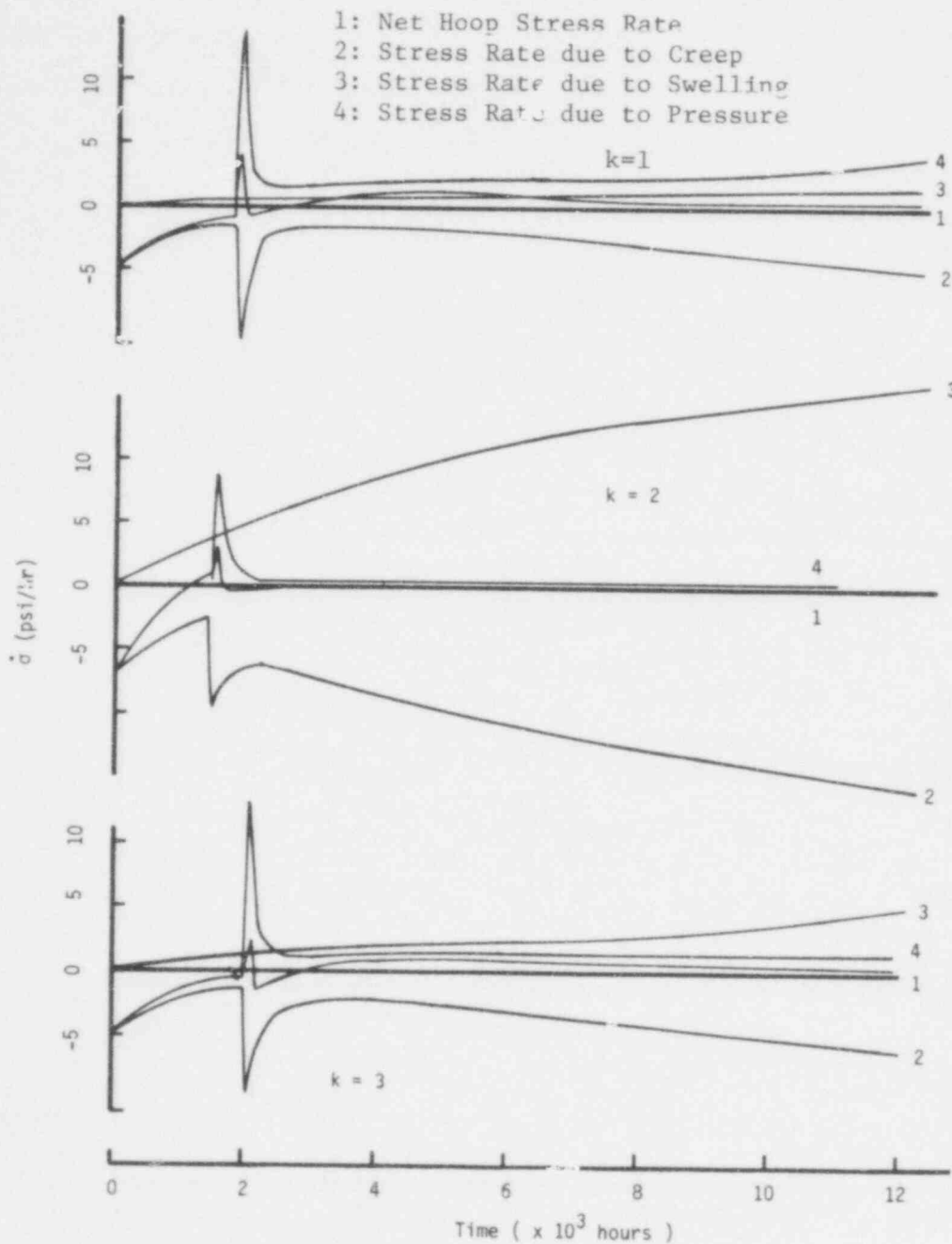


Figure . The Net Hoop Stress Rate and the Stress Rate Due to Swelling, Creep, and Pressure at the Clad Outer Wall.

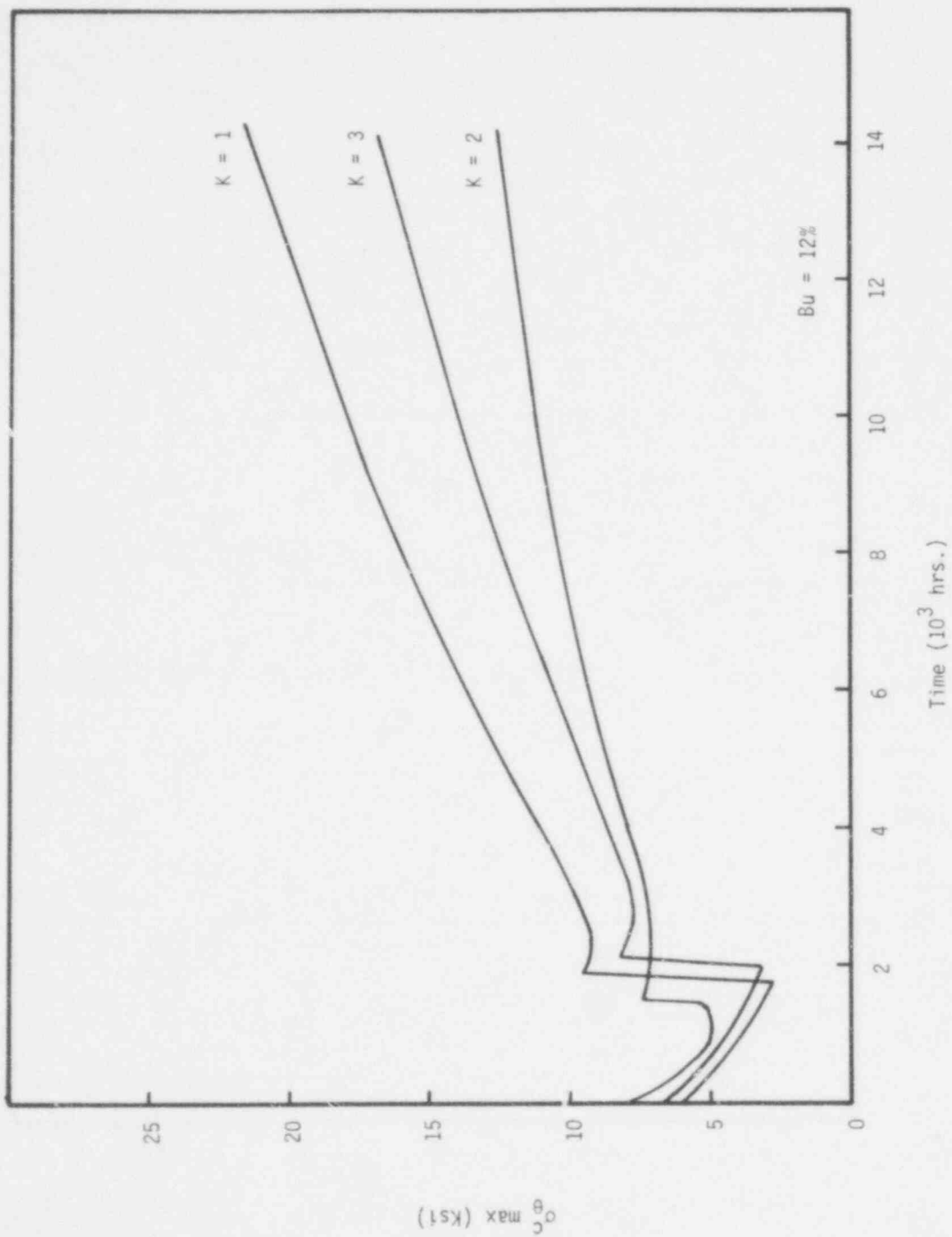


Fig. A4-4 The Maximum Hoop Stress in the Clad (Case A4).

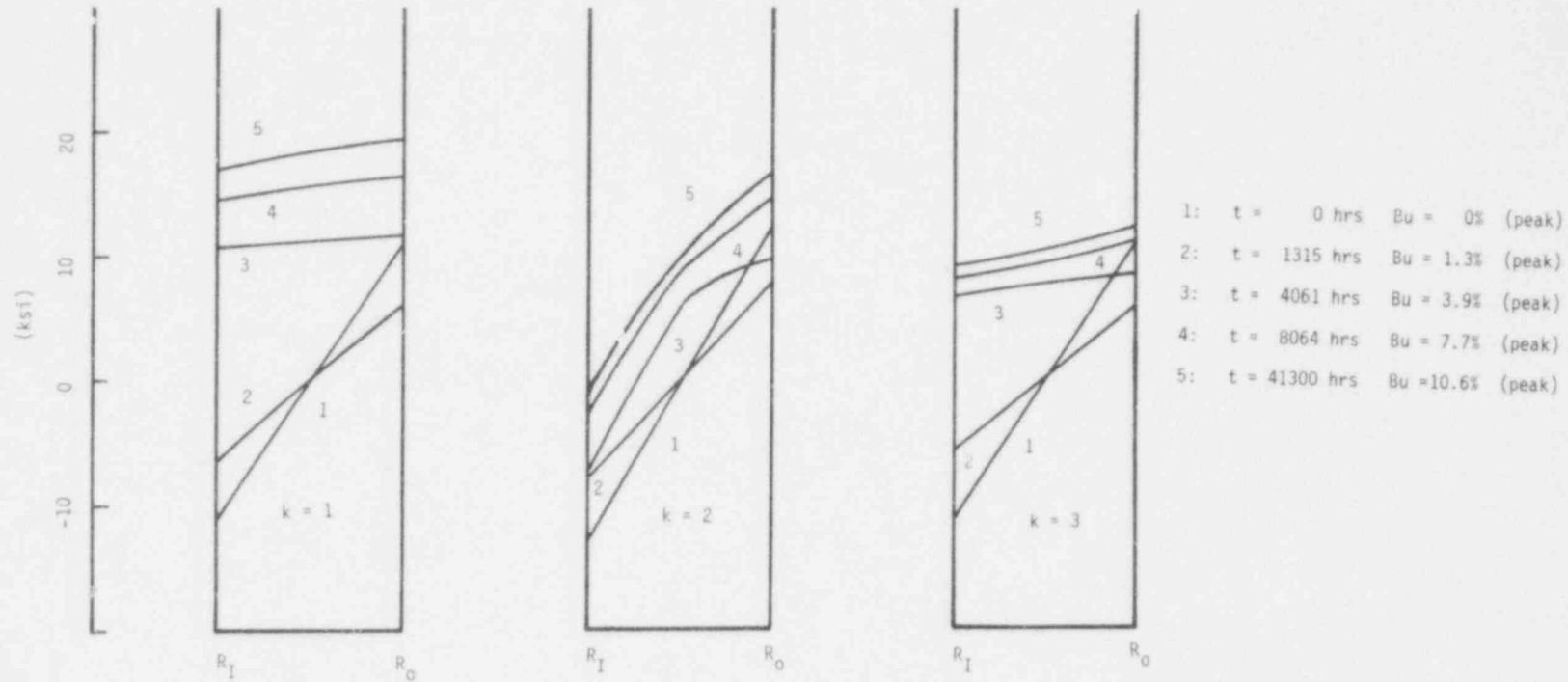


Figure A4-5. The Hoop Stress Distribution Across the Clad Wall.

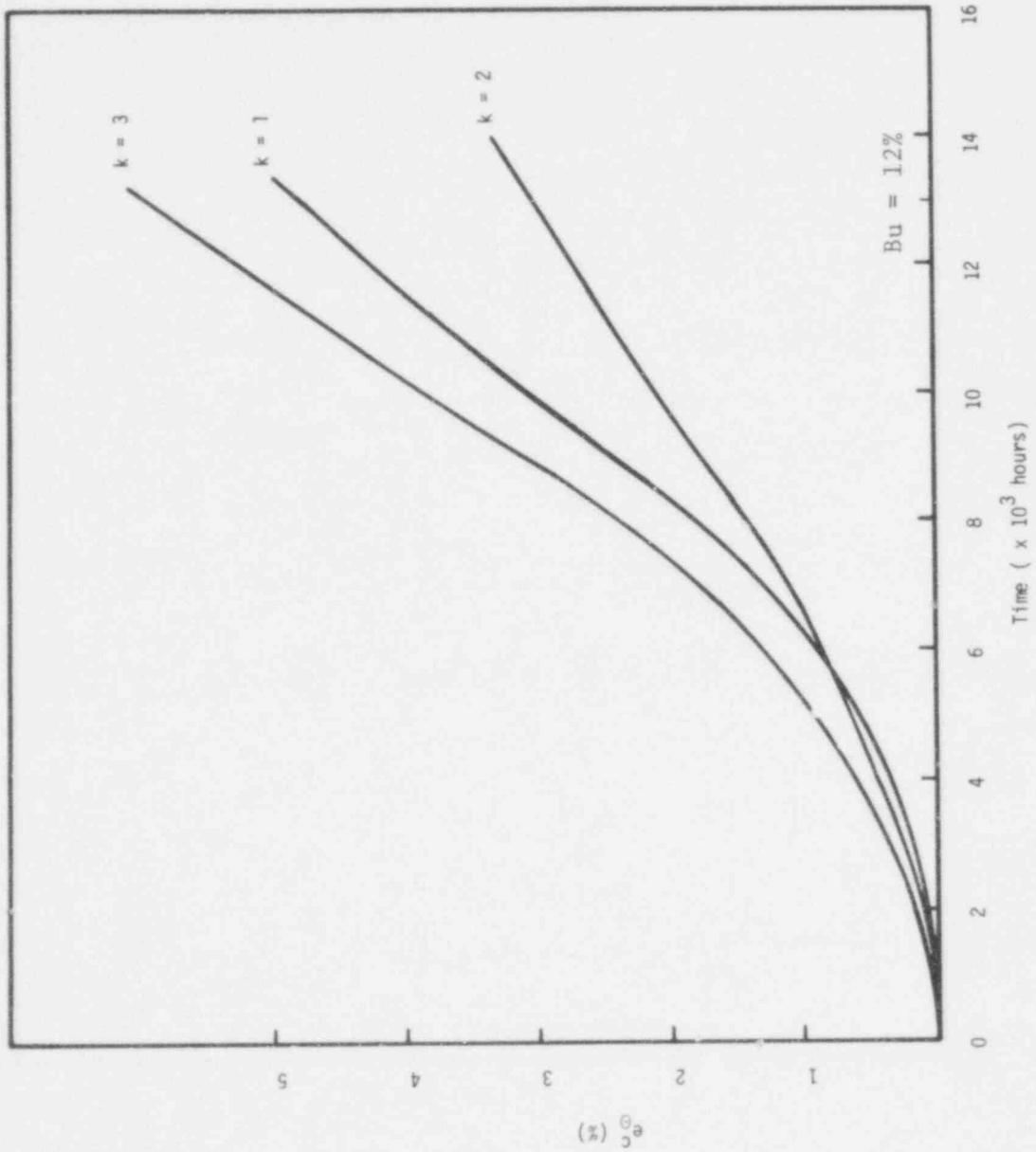


Figure A4 - 6. The Hoop Strain in the Clad. (Case A4)

733 104

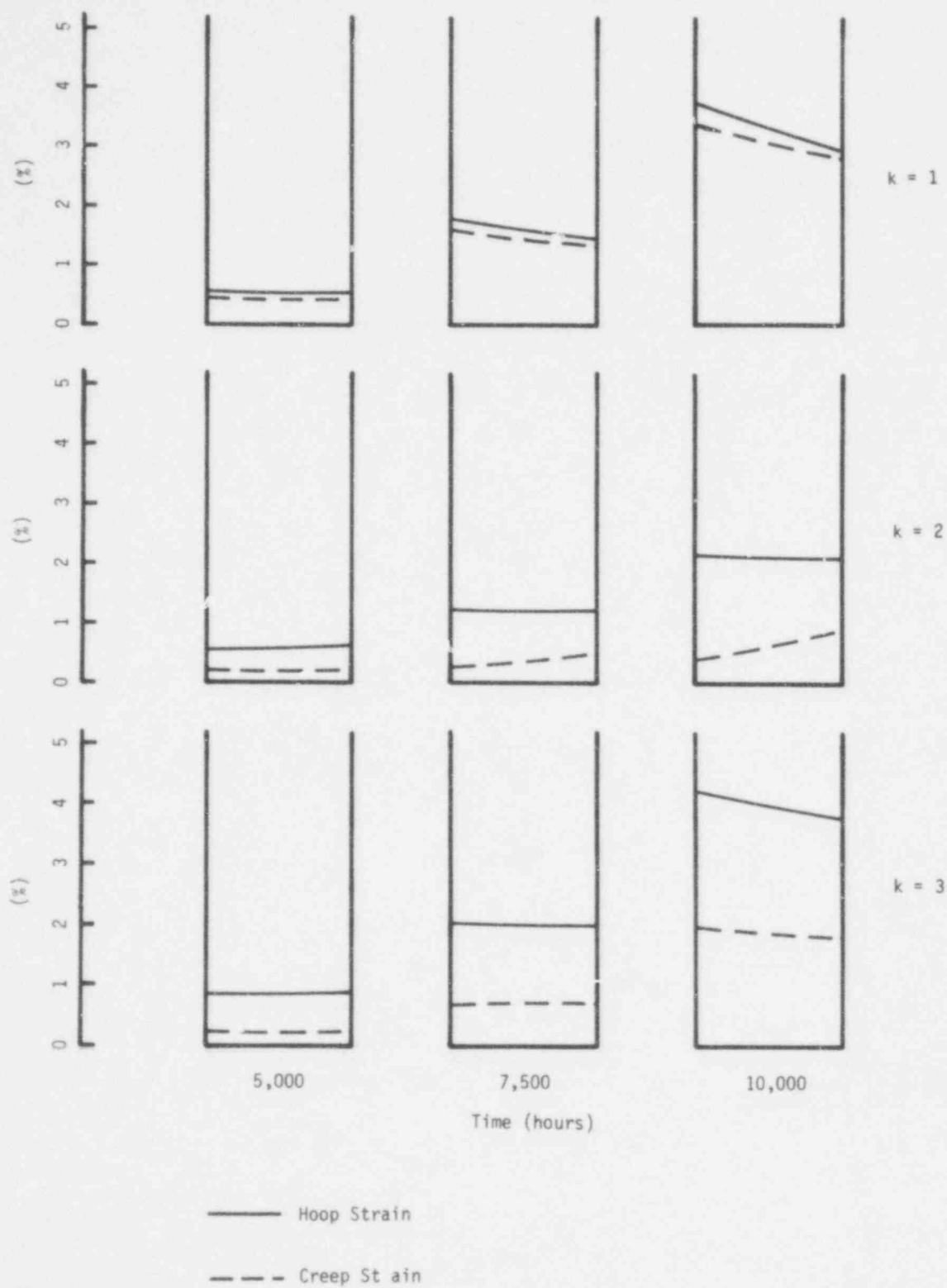


Figure A4 - 7. The Hoop Strain and the Creep Strain Across the Clad Wall. (Case A4)

733 195

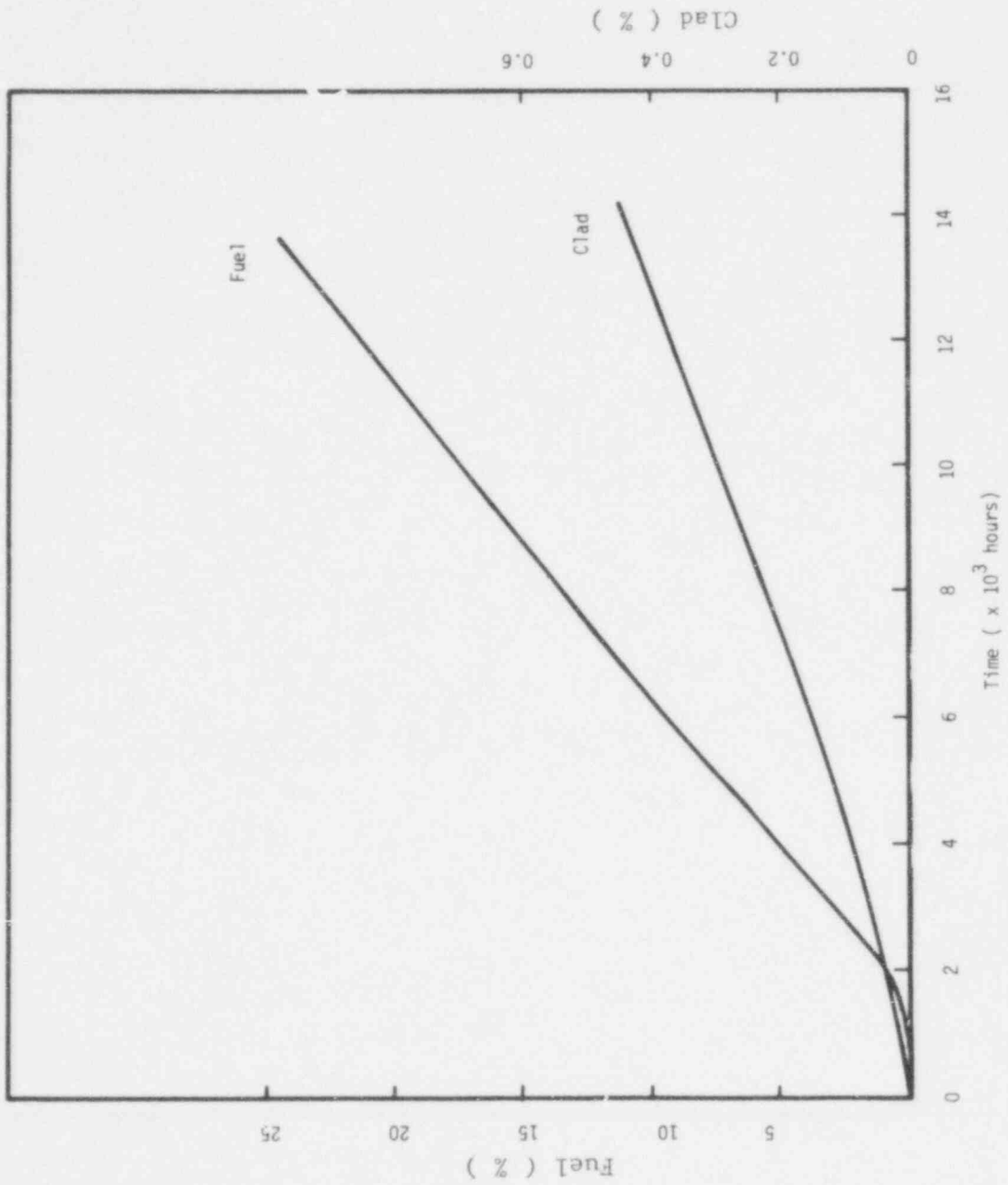


Figure A4 - 8. The Percentage of the Axial Displacement for the Fuel and the Clad (Case A4)

733 186

12 kW/ft Cases
Case R1

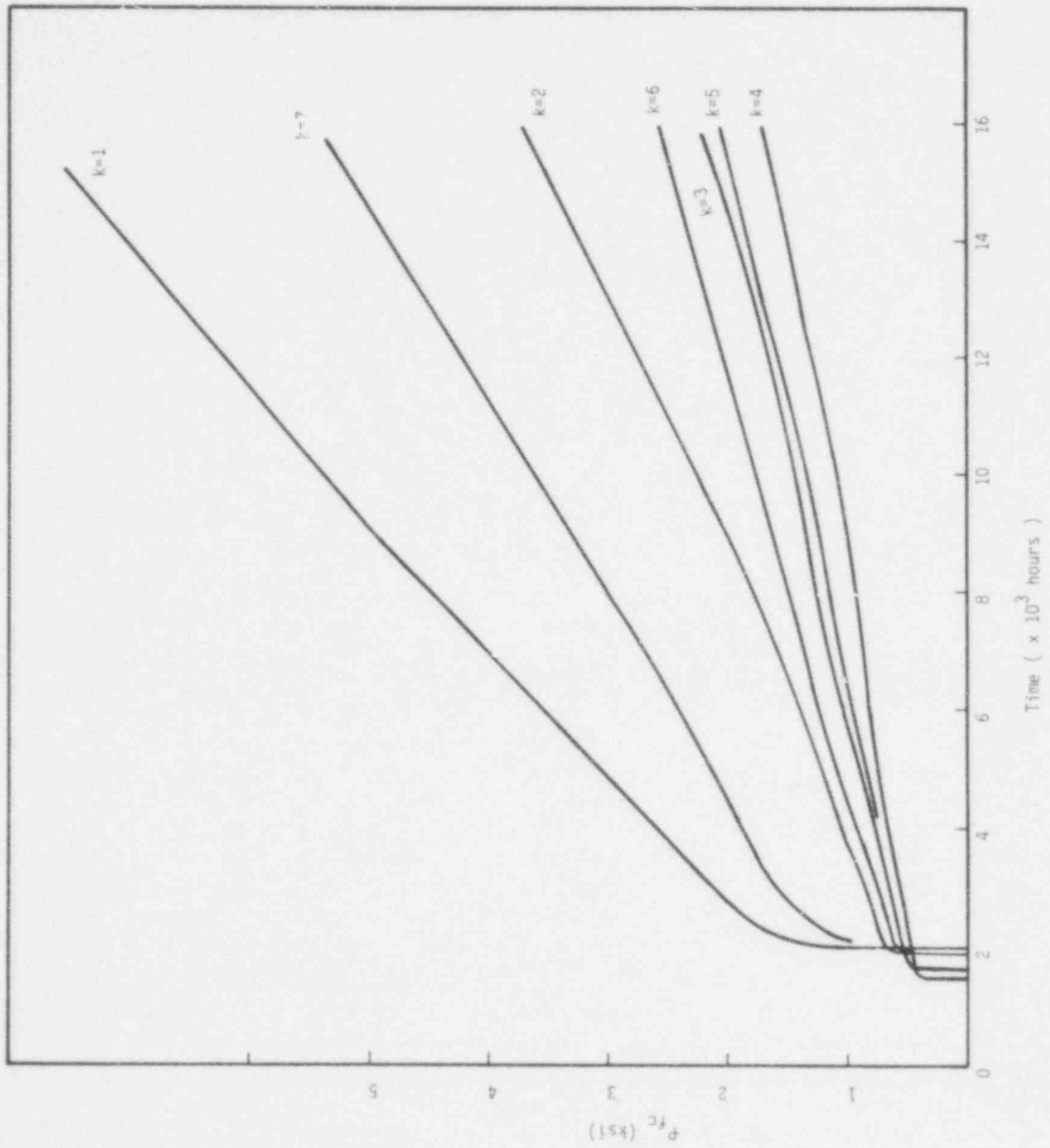


Figure R1 - 1. The Fuel-Clad Interaction Force.

133 187

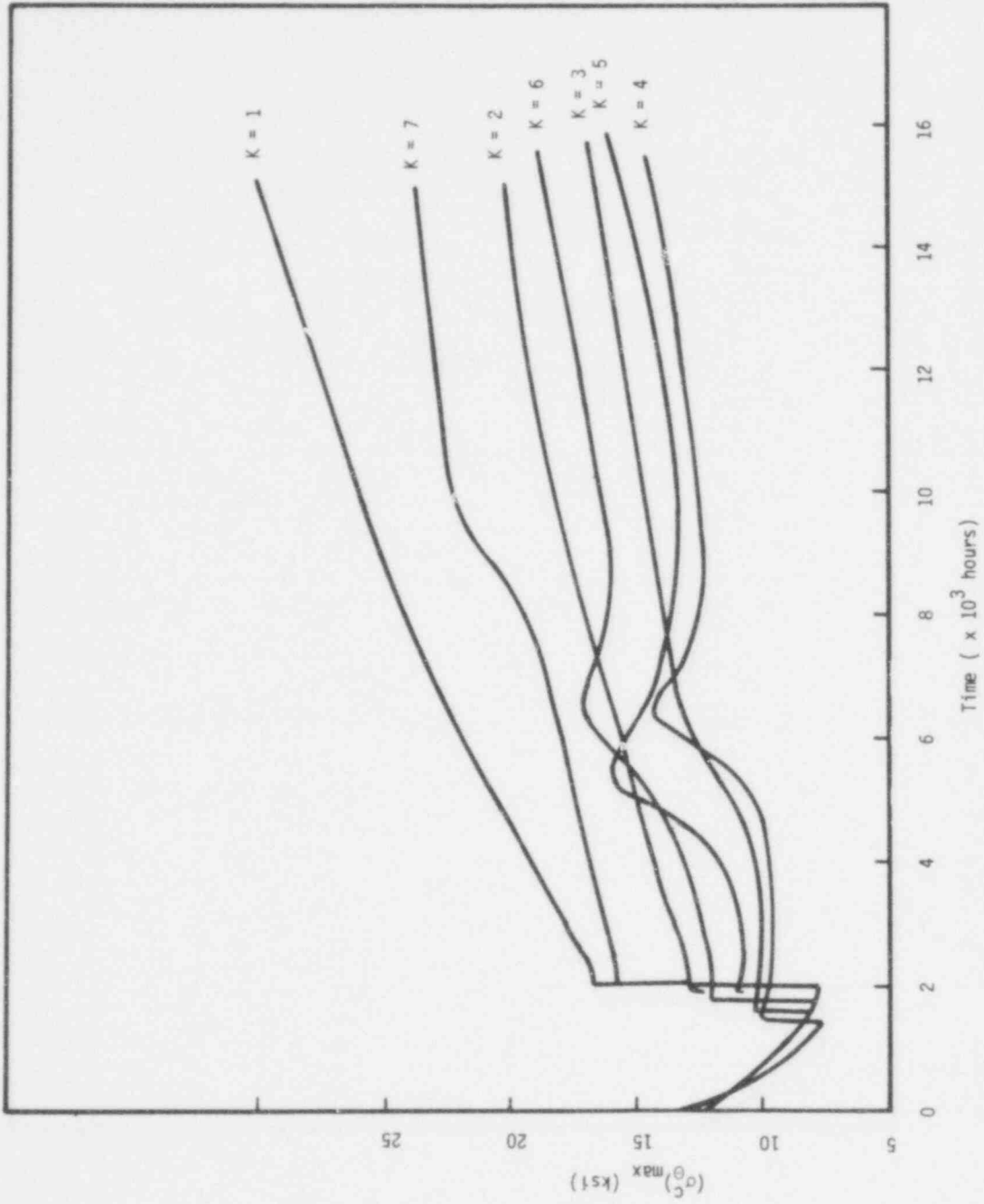


Figure R1 - 2. The Maximum Hoop Stress in the Clad. (Case R1)

733 180

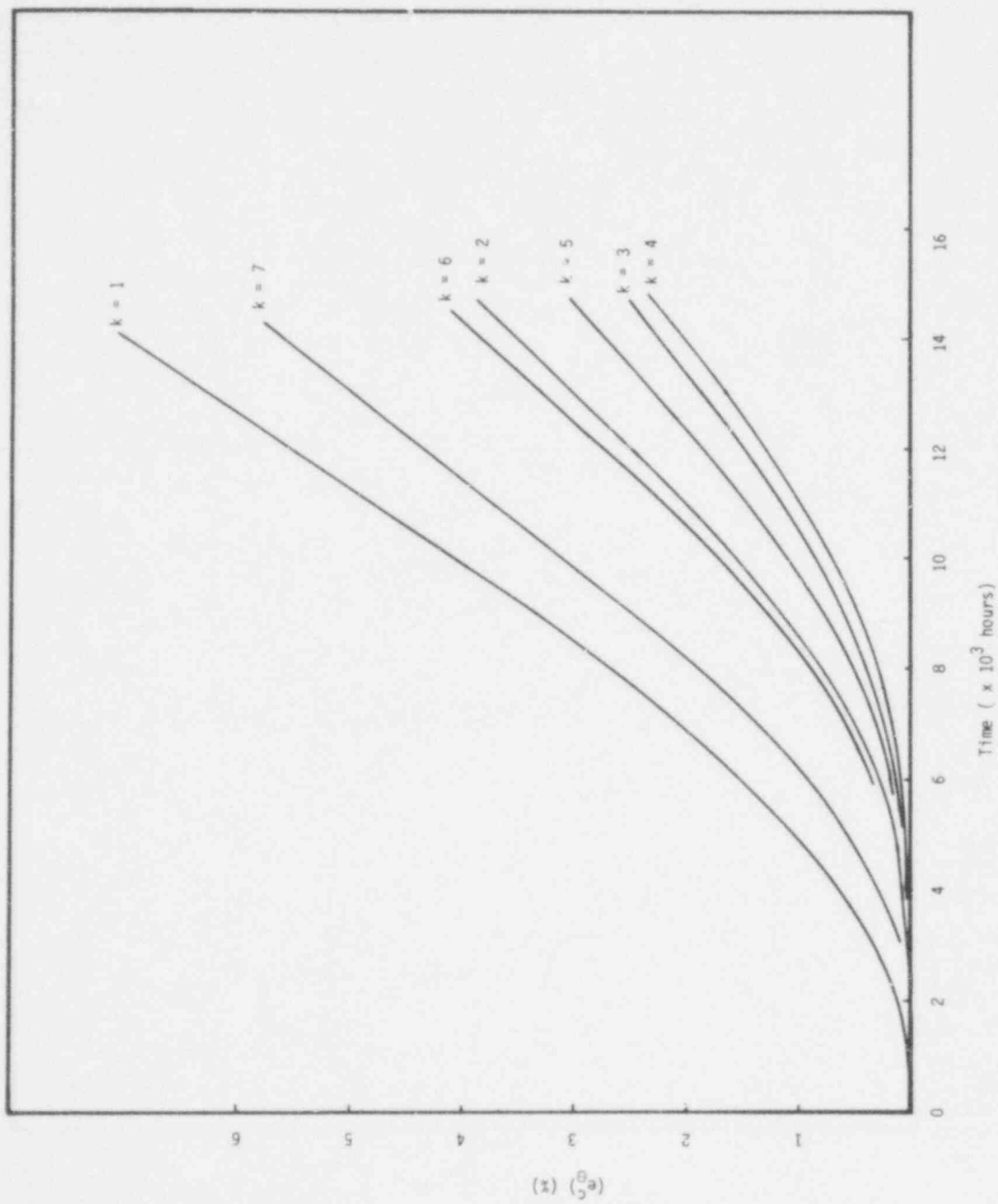


Figure R1 - 3. The Hoop Strain in the Clad. (Case R1)

733 109

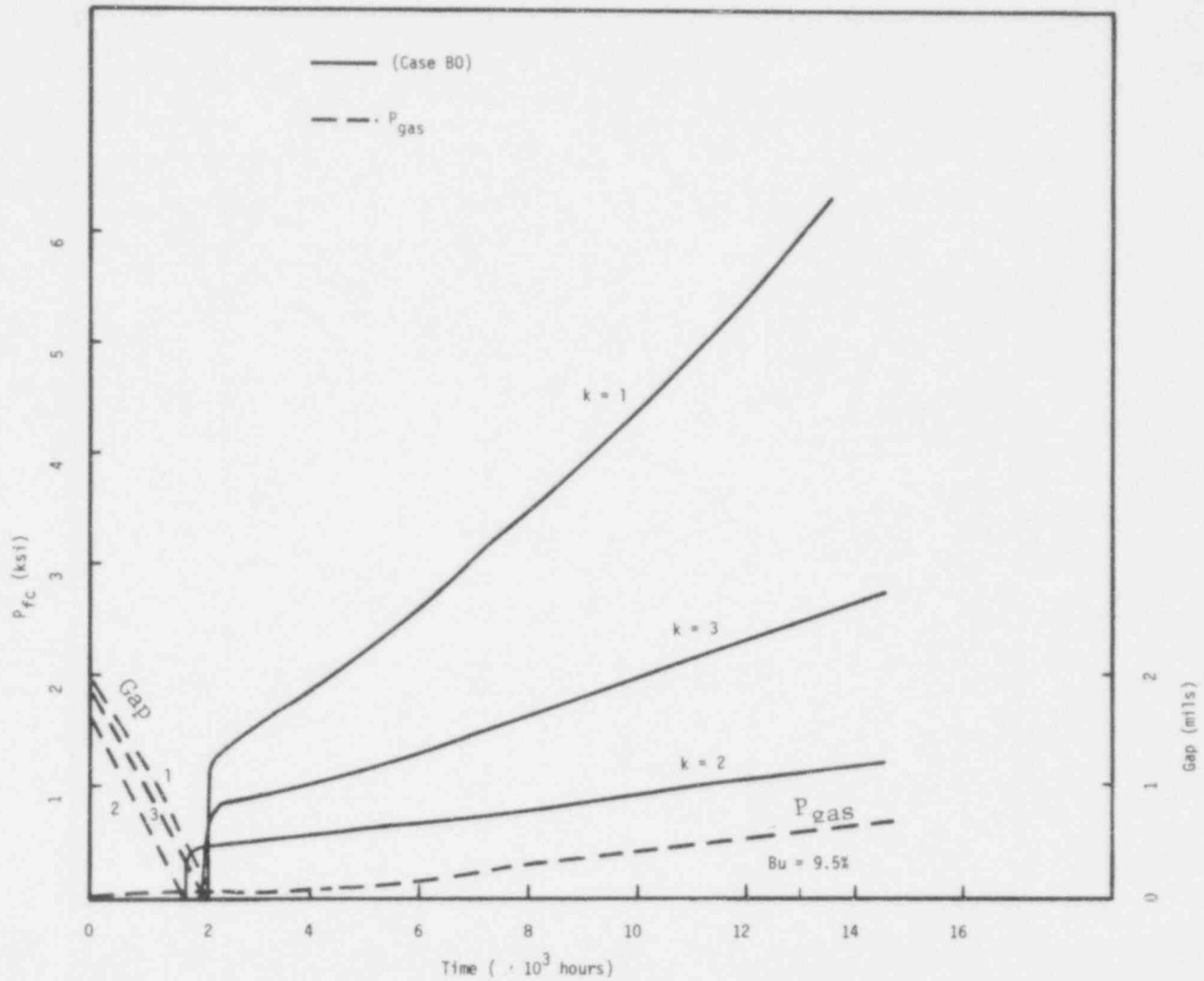


Figure B0 - 1. The Fuel-Clad Interaction Force, the Gap Thickness, and the Plenum Pressure in Each Axial Section (Case B0)

9 kW/ft Cases
Case B0

733 110

- a: Inner node in the clad
- b: Central node in the clad
- c: Outer node in the clad

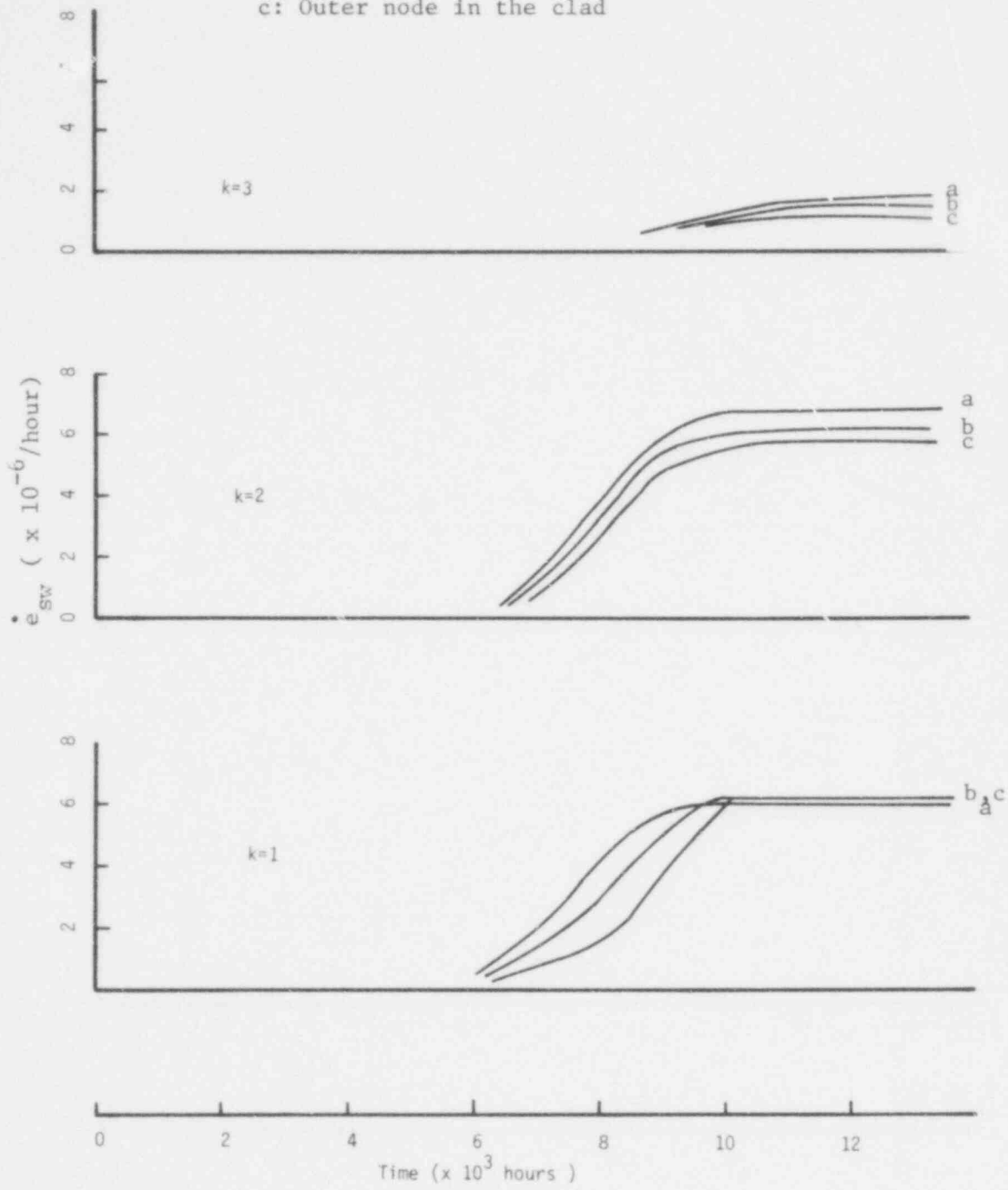


Figure B0 - 2. The Swelling Rate Across the Clad Wall.

733 191

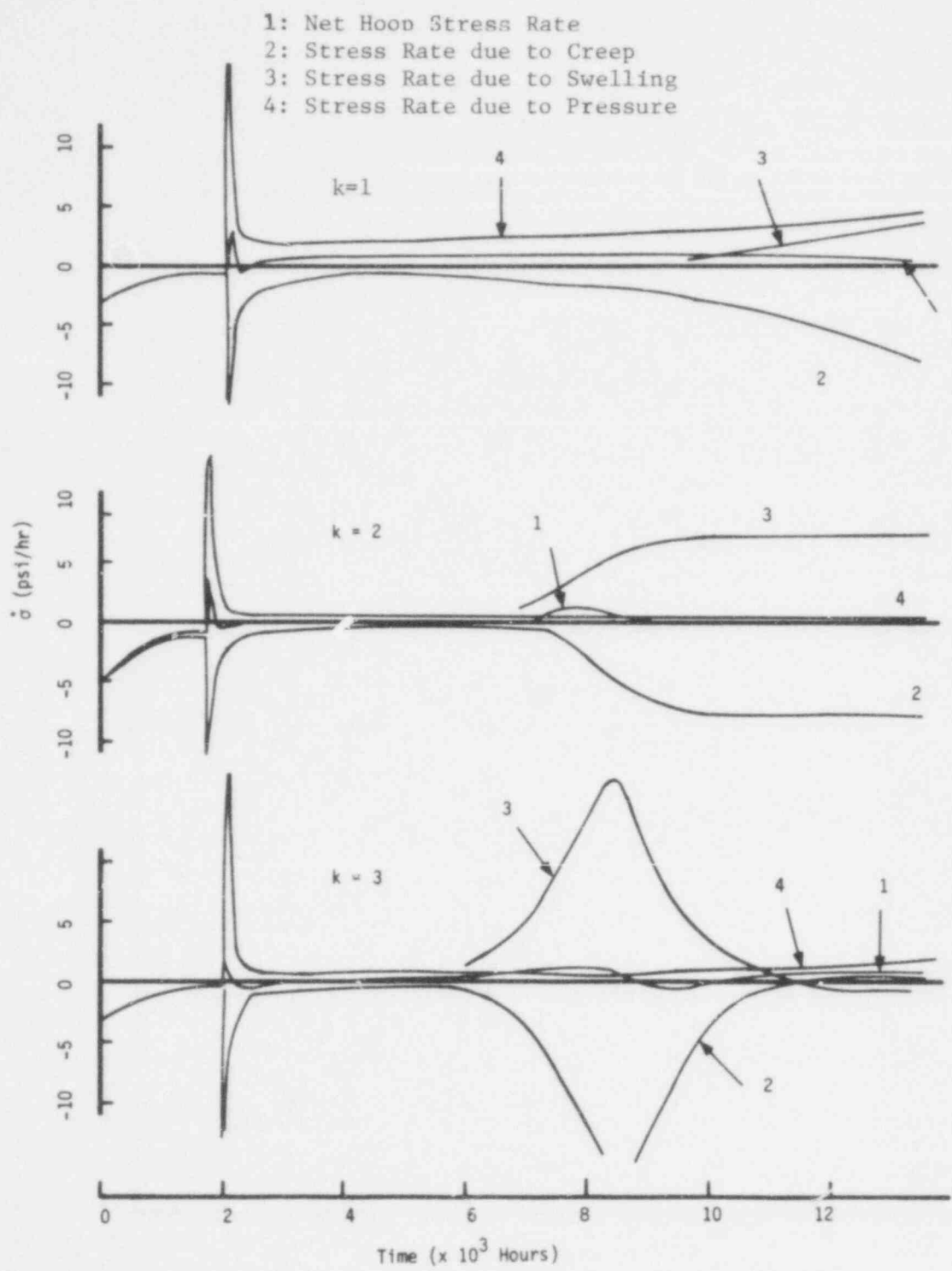


Figure 80-3. The Net Hoop Stress Rate and the Stress Due to Pressure, Creep, and Swelling at the Clad Outer Wall.

733 192

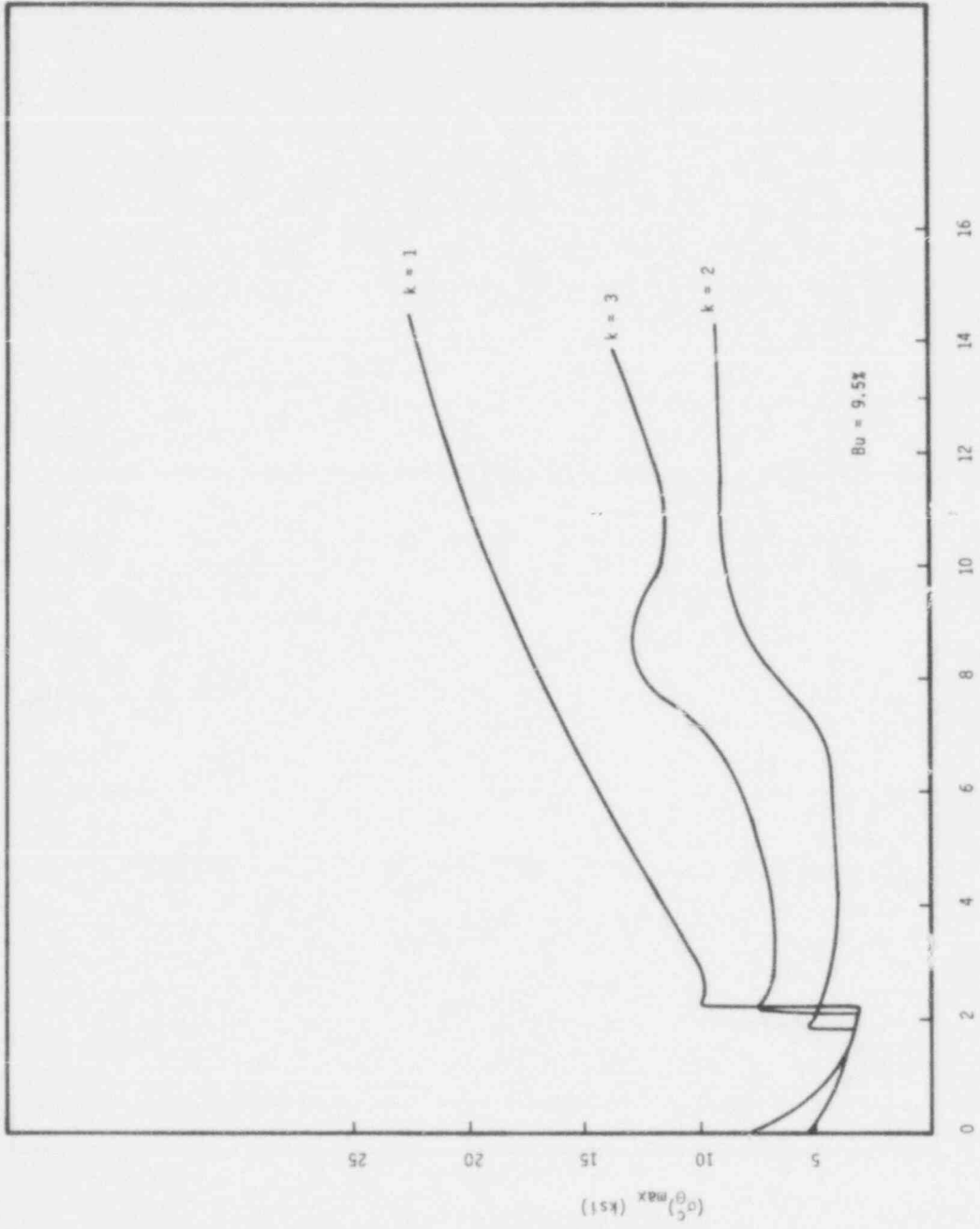


Figure B0 - 1. The Maximum Hoop Stress in the Clad. (Case B0)

733 193

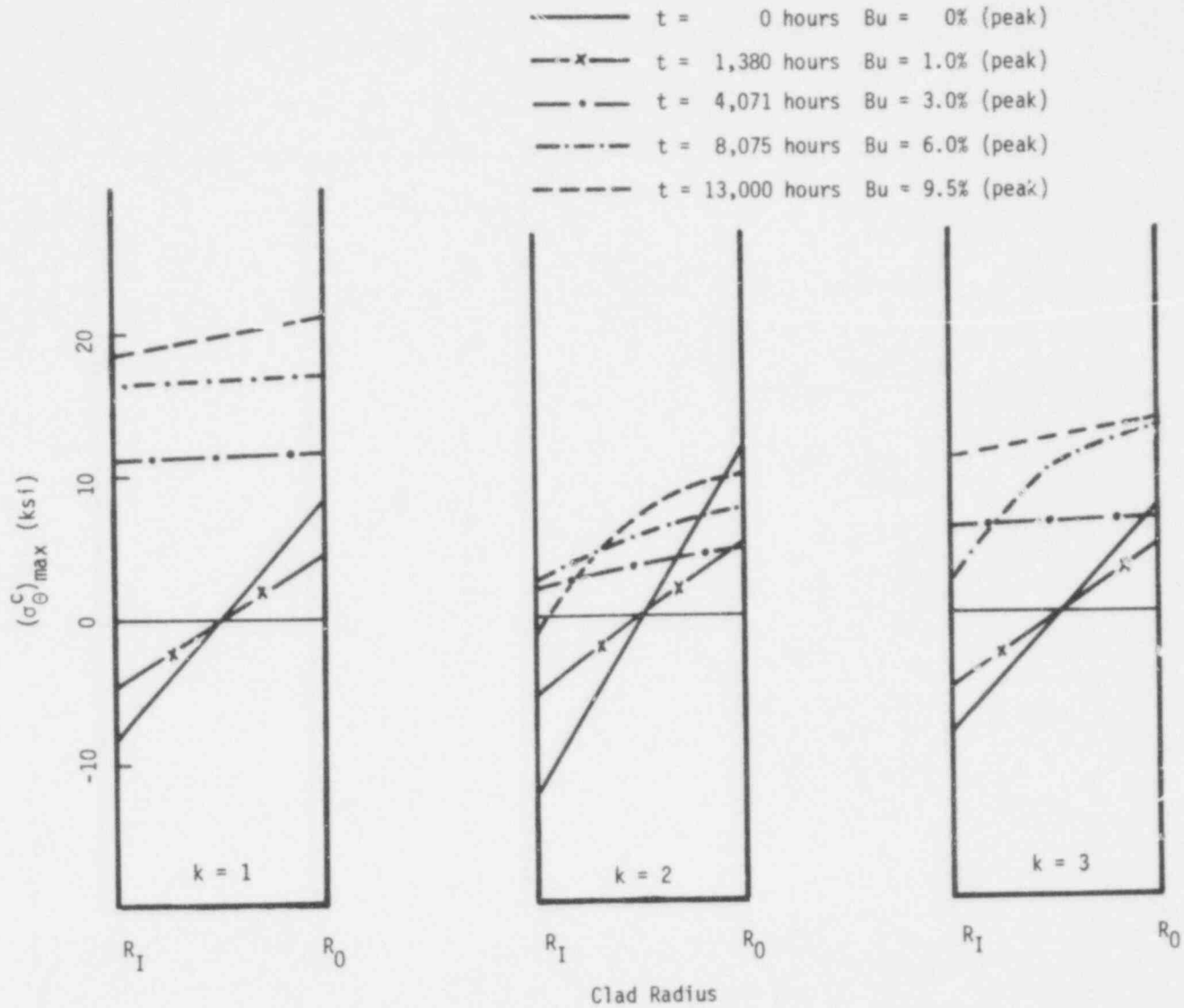


Figure B0 - 5. The Hoop Stress Distribution Across the Clad Wall. (Case B0)

753 194

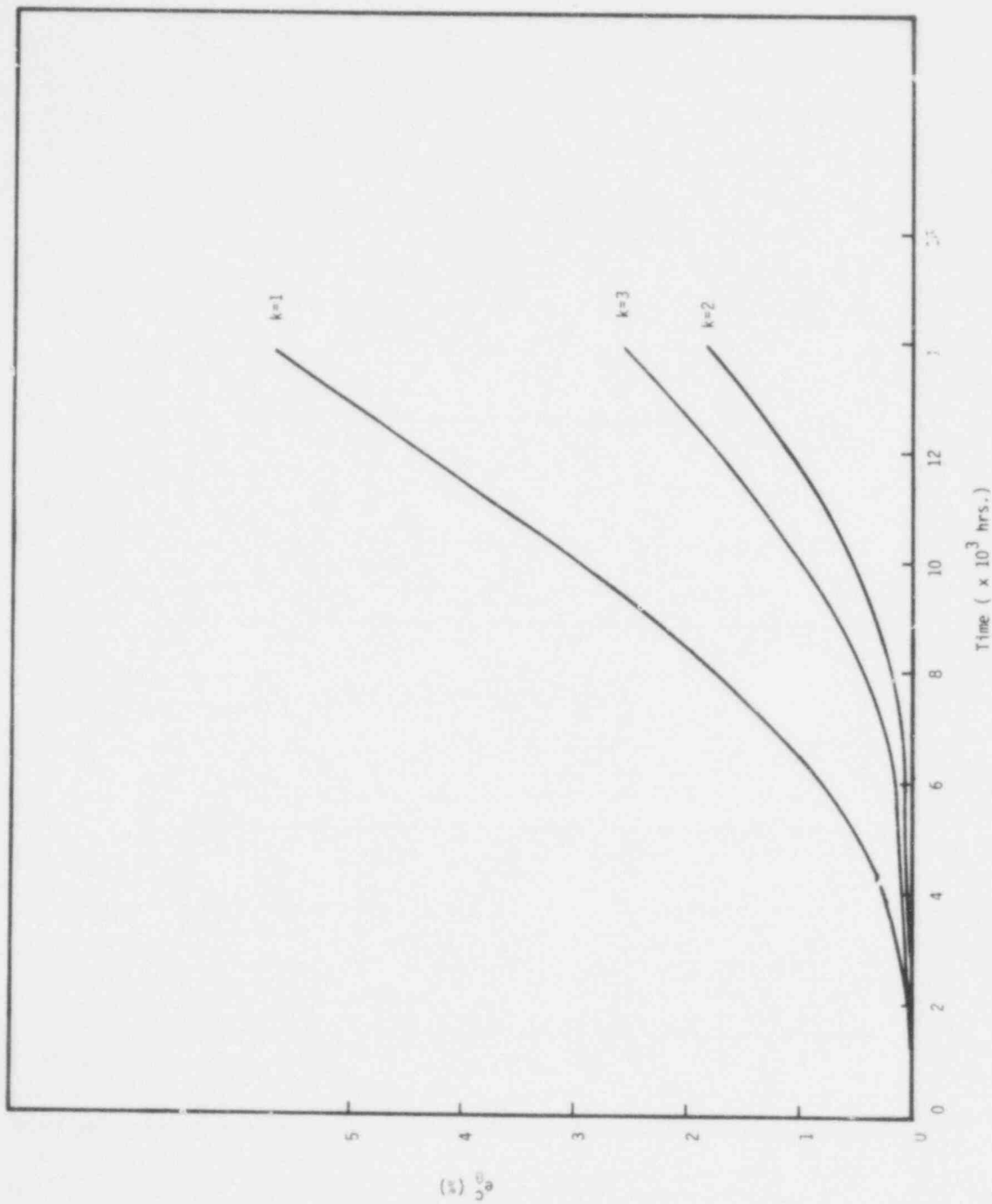


Figure B0-6. The Hoop Strain in the Clad. (Case B0)

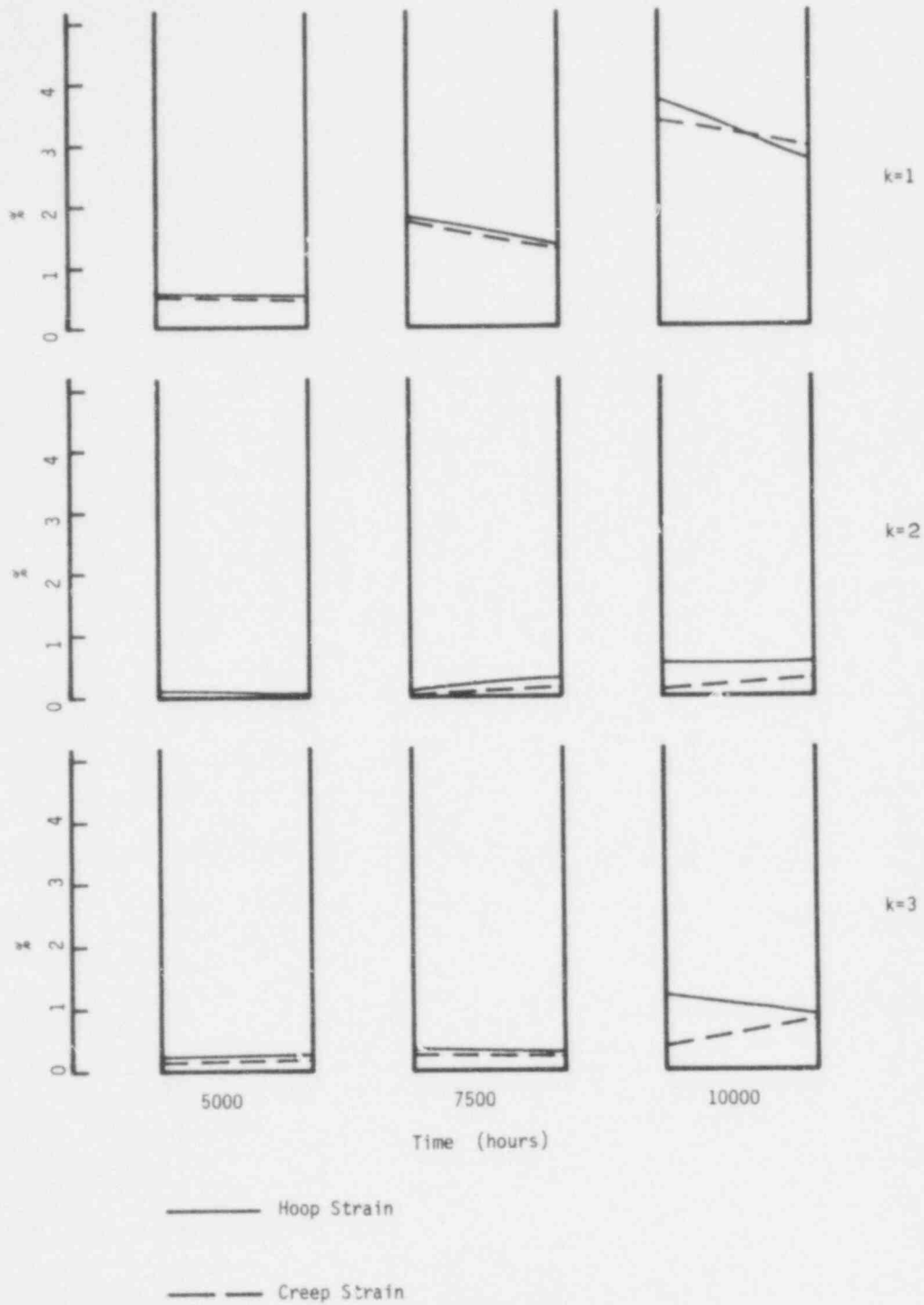
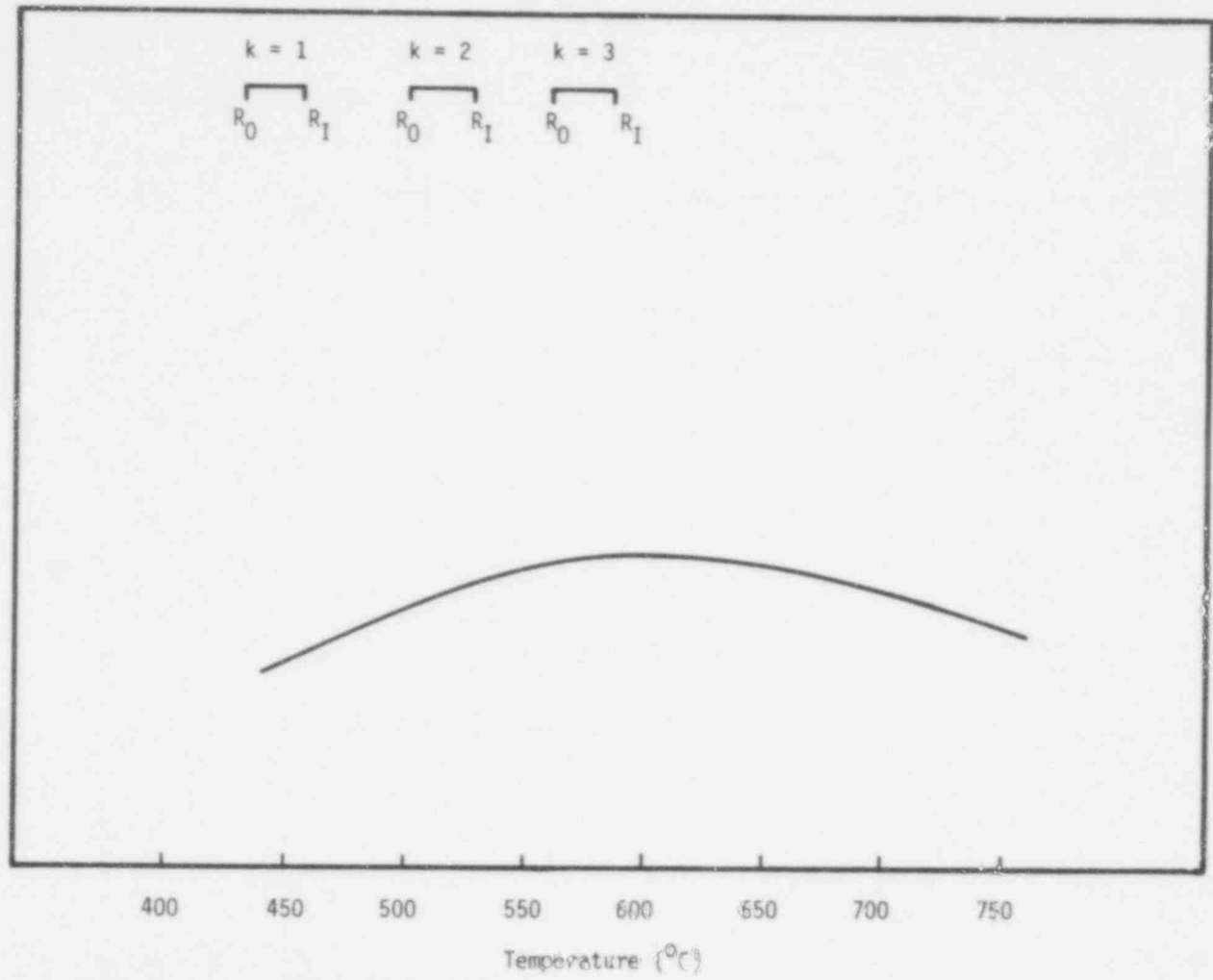


Figure B0 - 7. The Hoop Strain and the Creep Strain Across the Clad Wall

733 776

Swelling



9 kW/ft Cases
Case B1

Figure B1 - 1. The Temperature Dependence of the Irradiated Swelling and the Temperature Range Across the Clad Wall. (Case B1)

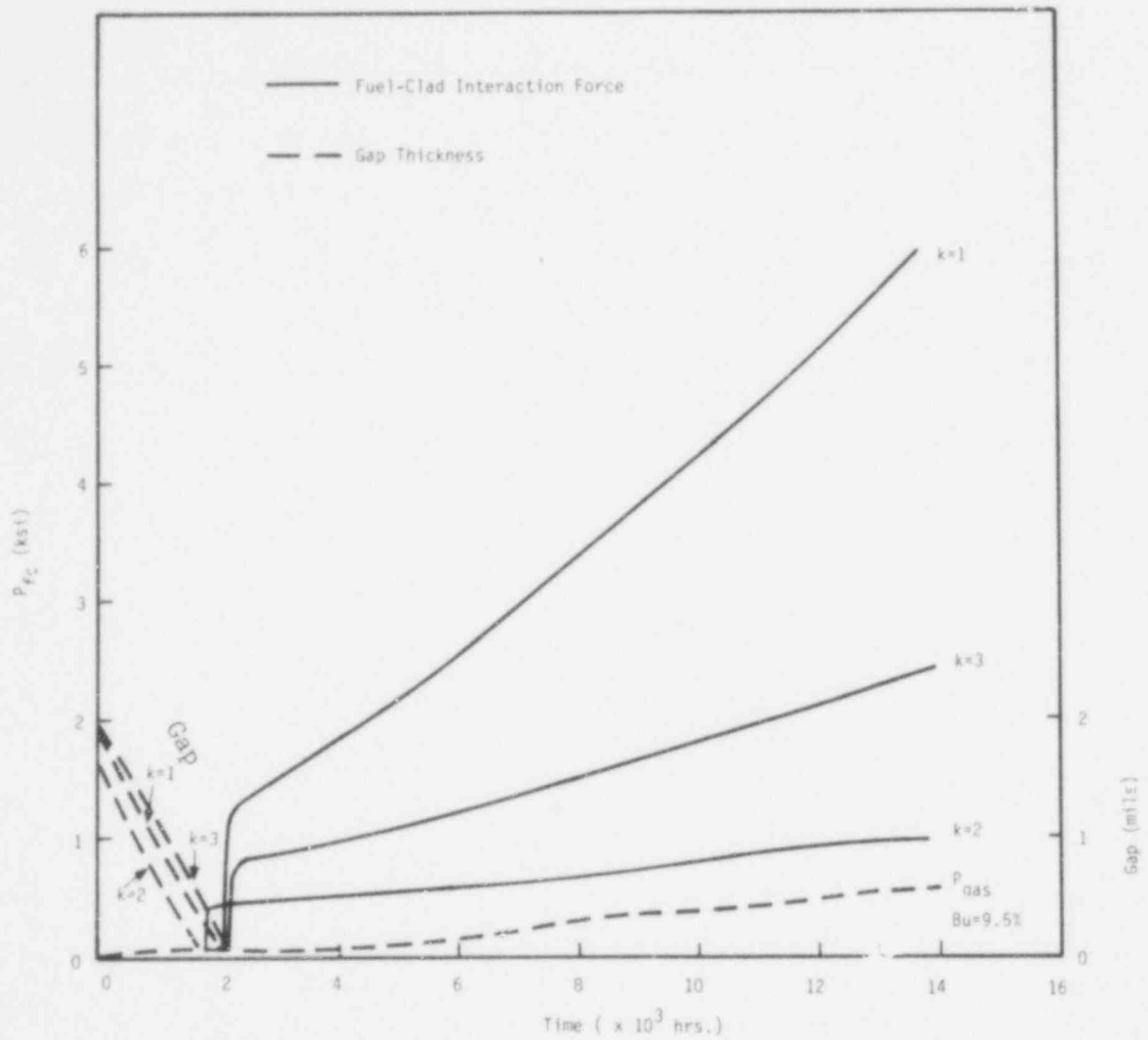


Fig. B1.2 The Fuel-Clad Interaction Force (P_{fc}), the Gap Thickness, and the Plenum Pressure (P_{gas}) in each Axial Section. (Case B1)

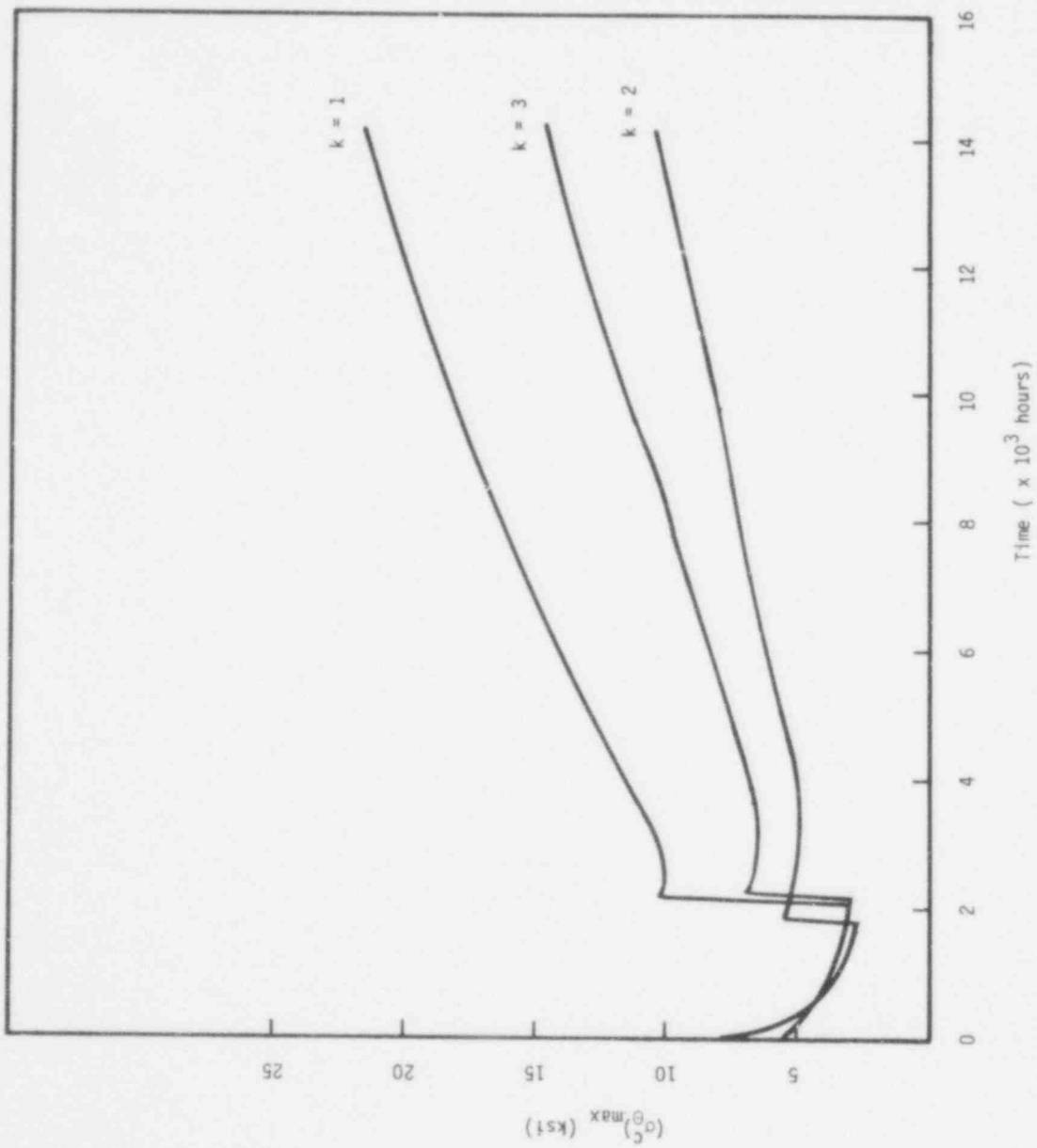


Figure B1 - 3. The Maximum Hoop Stress in the Clad. (Case B1)

733 199

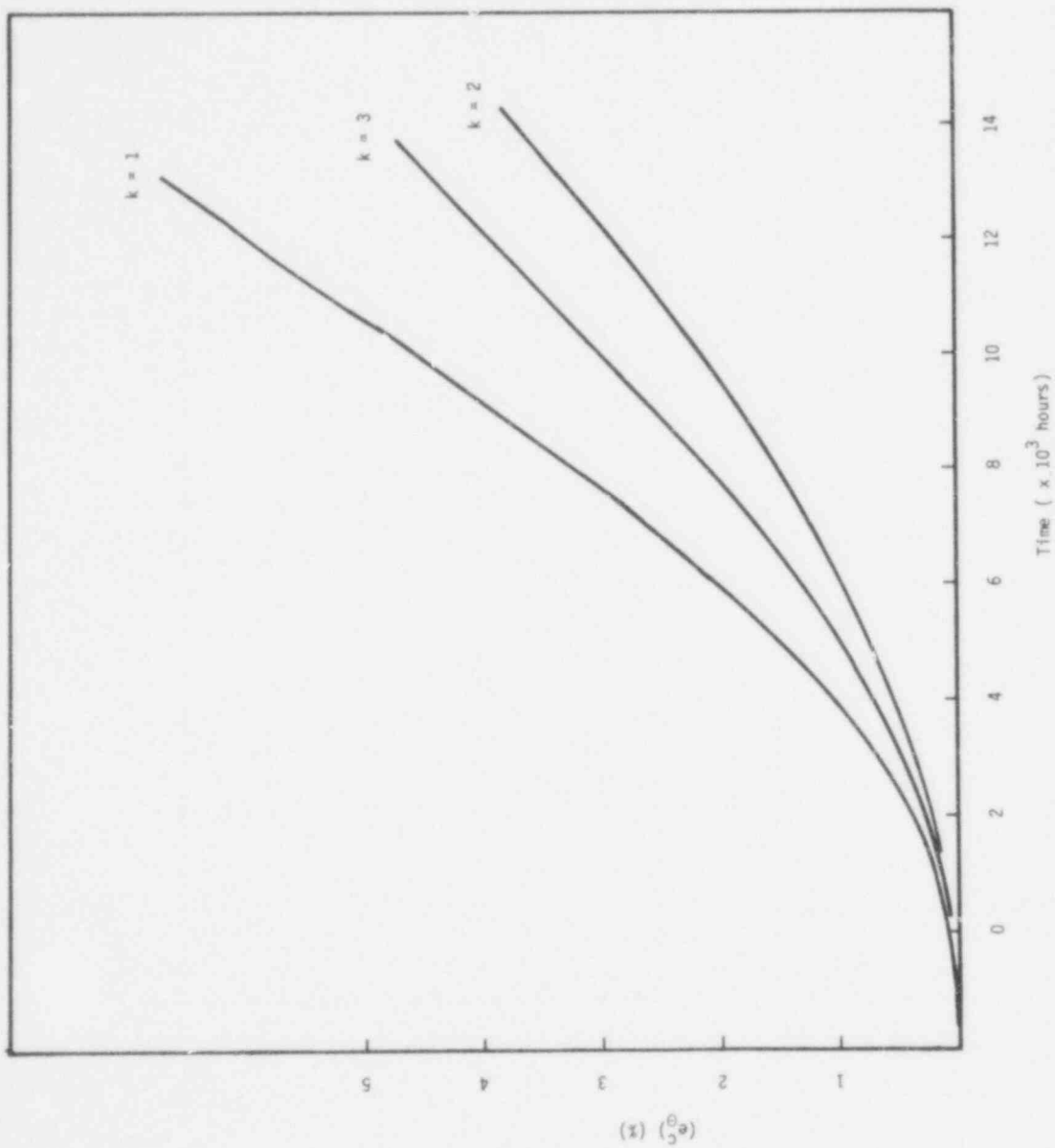


Figure B1 - 4. The Hoop Strain in the Clad. (Case B1)

733 200

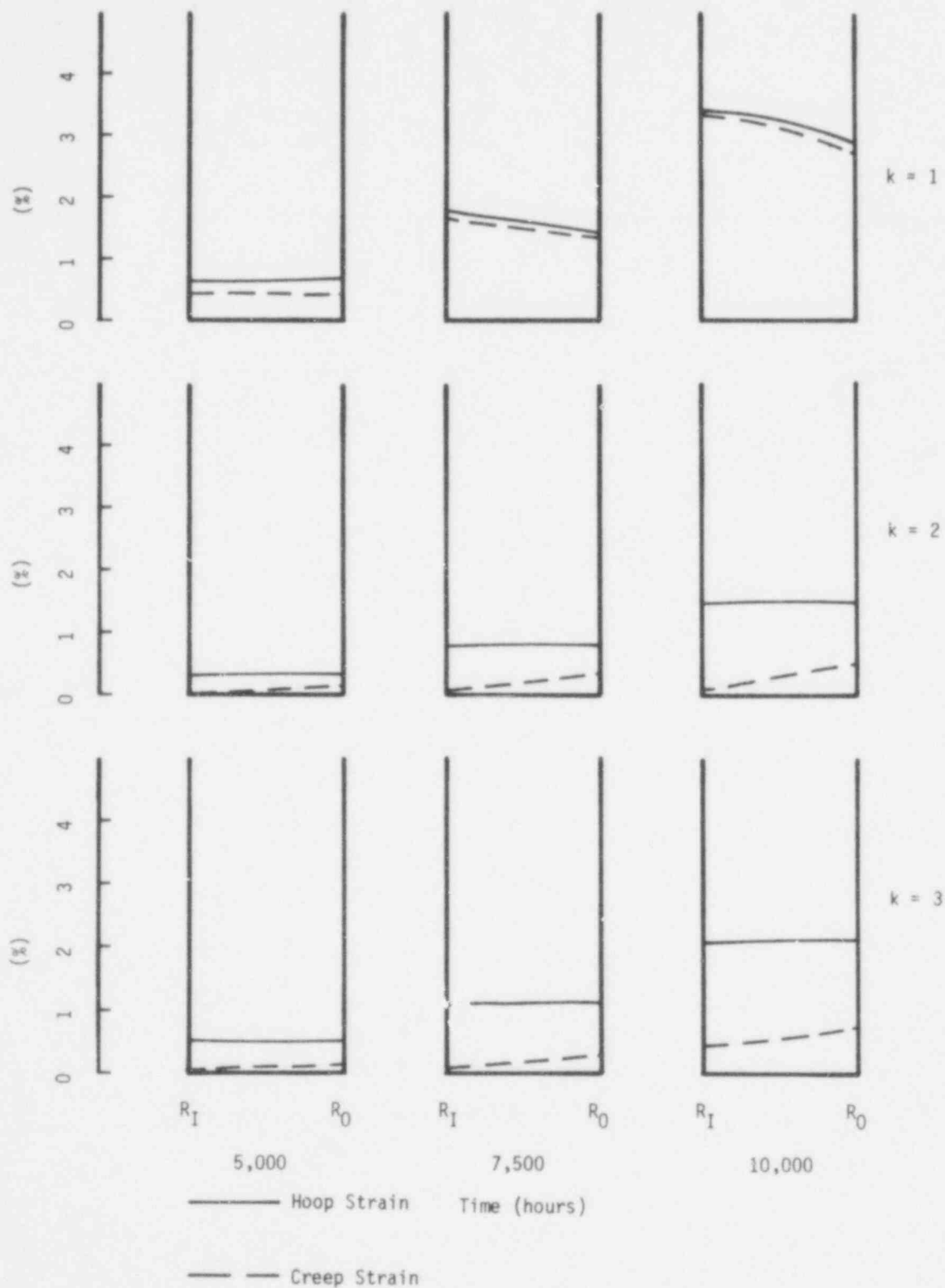


Fig. B1-5. The Distribution of the Total Hoop Strain and the Creep Strain Across the Clad Wall.

733 201

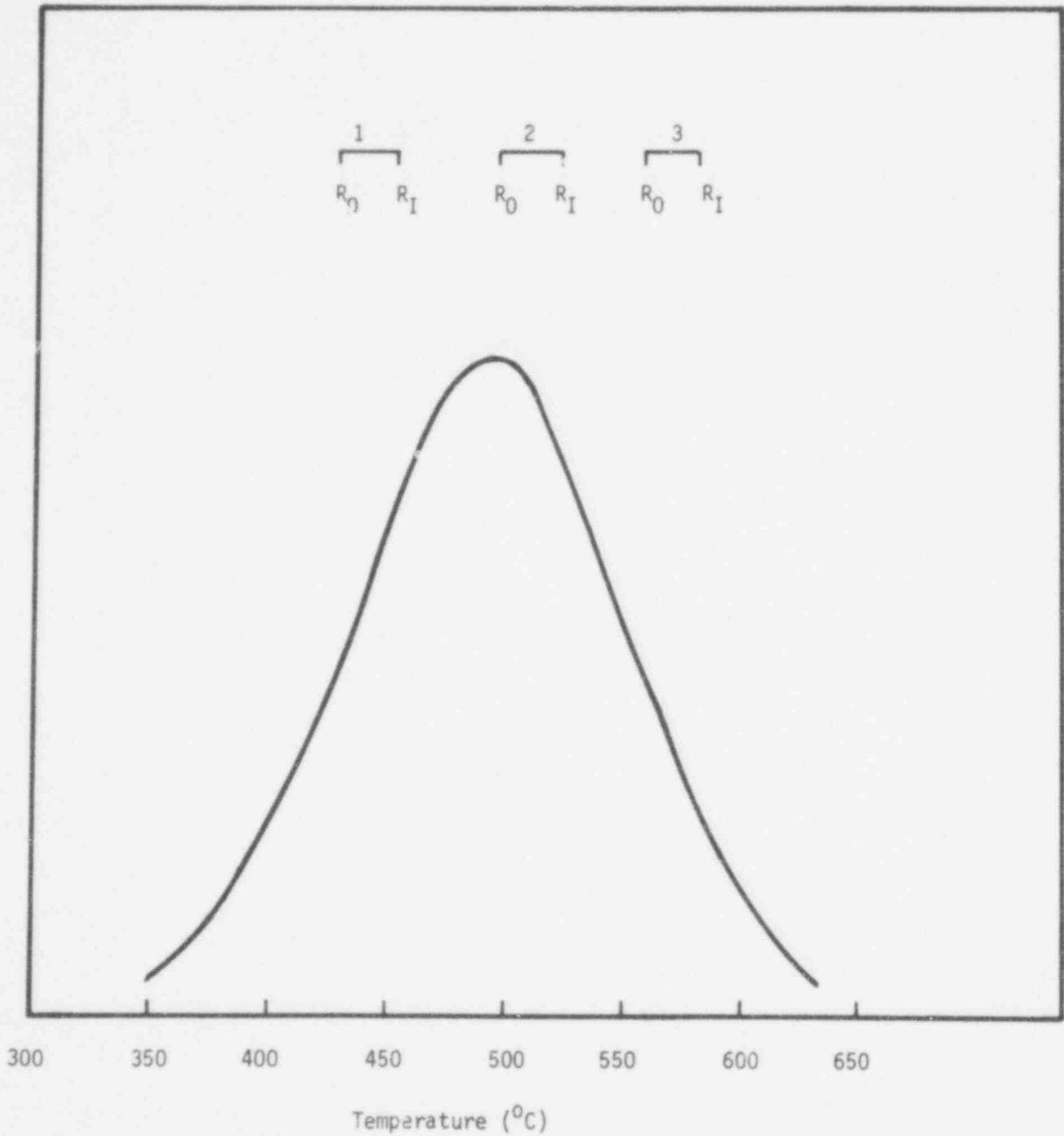


Figure B3 - 1. The Temperature Dependence of the Irradiated Strain, and the Temperature Range across the Clad Wall.

733 202

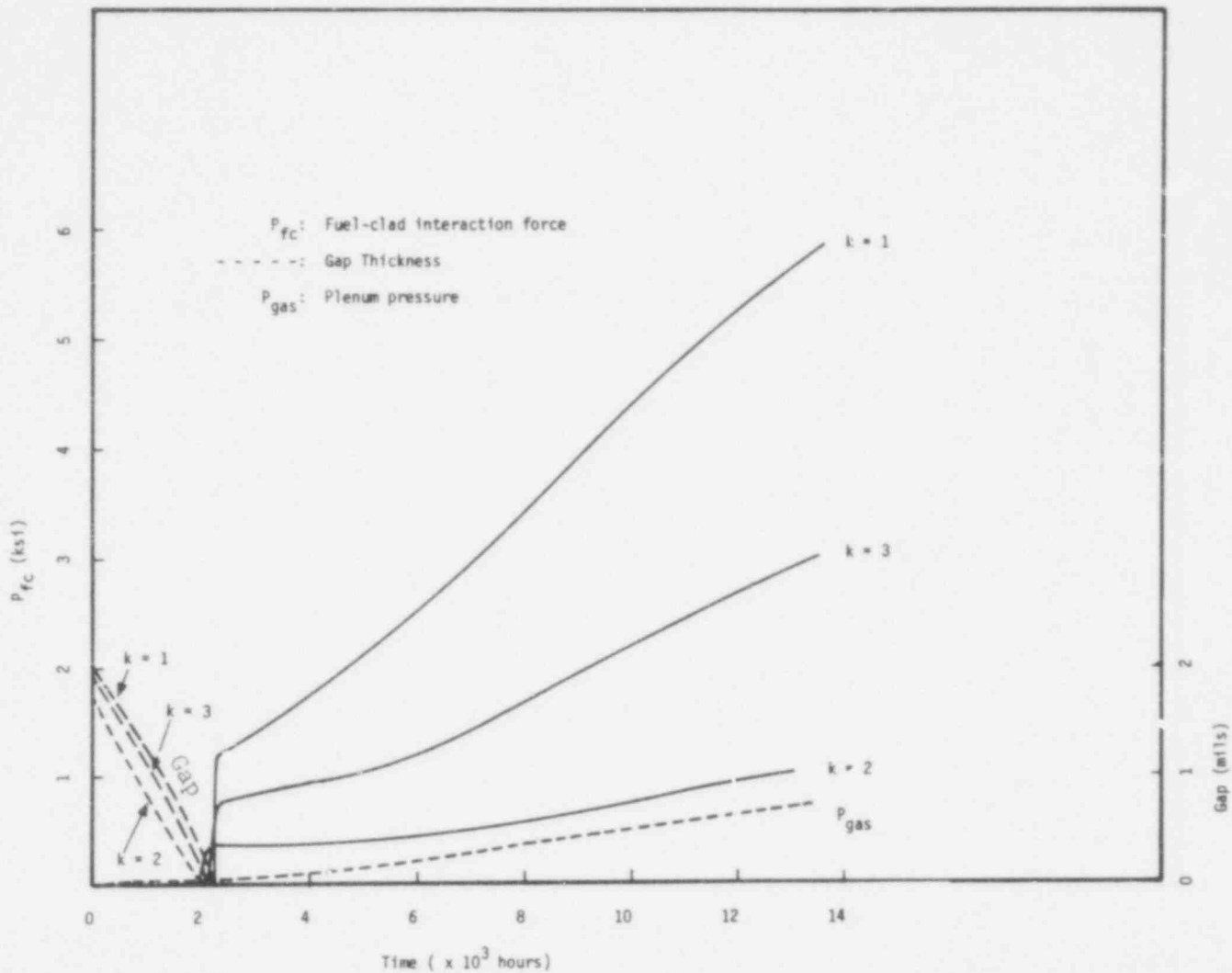


Figure B3 - 2. The Fuel-Clad Interaction Force, the Gap Thickness, and the Plenum Pressure in Each Axial Section.

(Case B3)

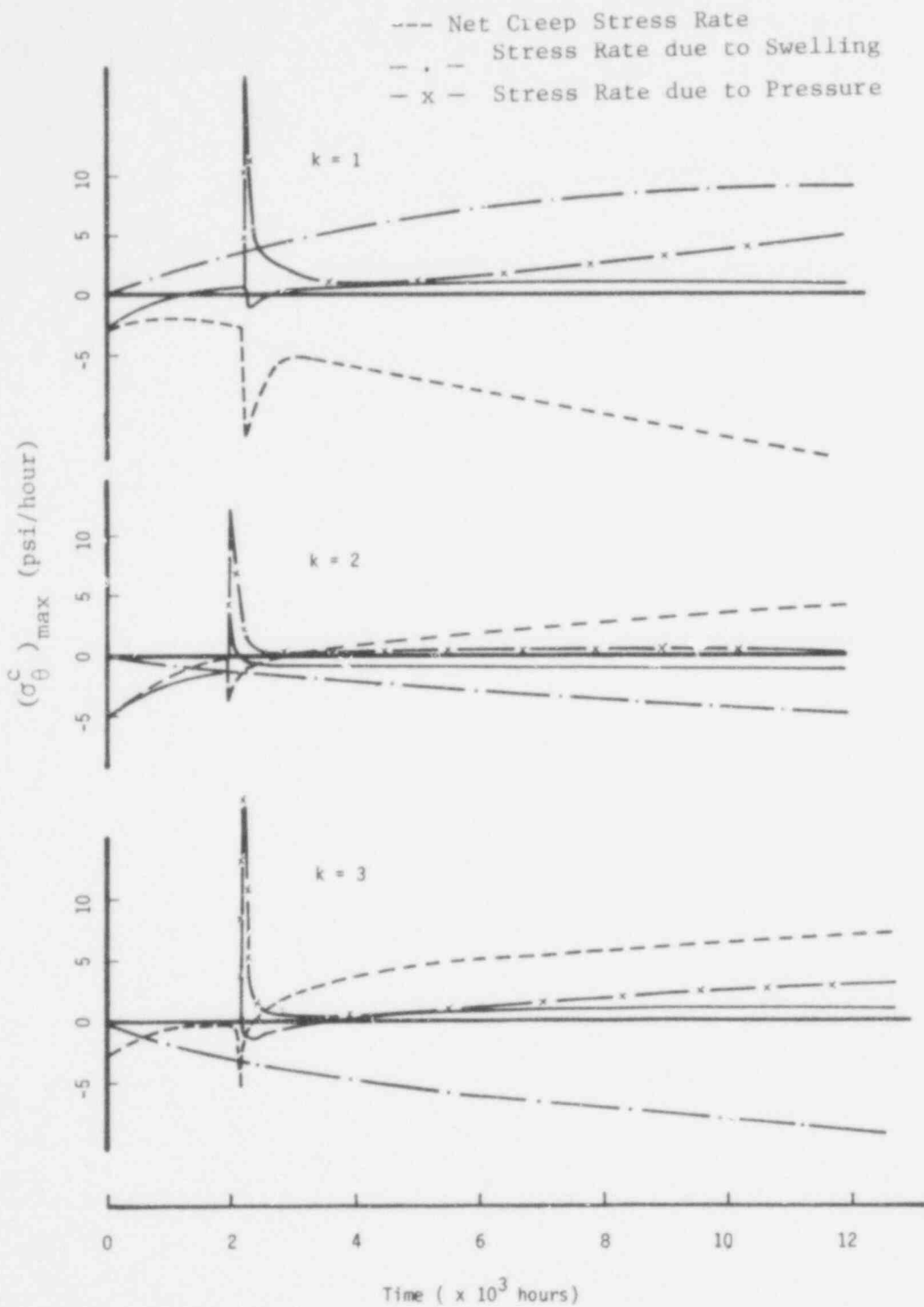


Figure B3 - 3. The Net Rate of the Hoop Stress, the Stress Rate Due to the Creep, the Clad Swelling, and the Pressure at the Clad Outer Wall. (Case B3)

POOR ORIGINAL

733 204

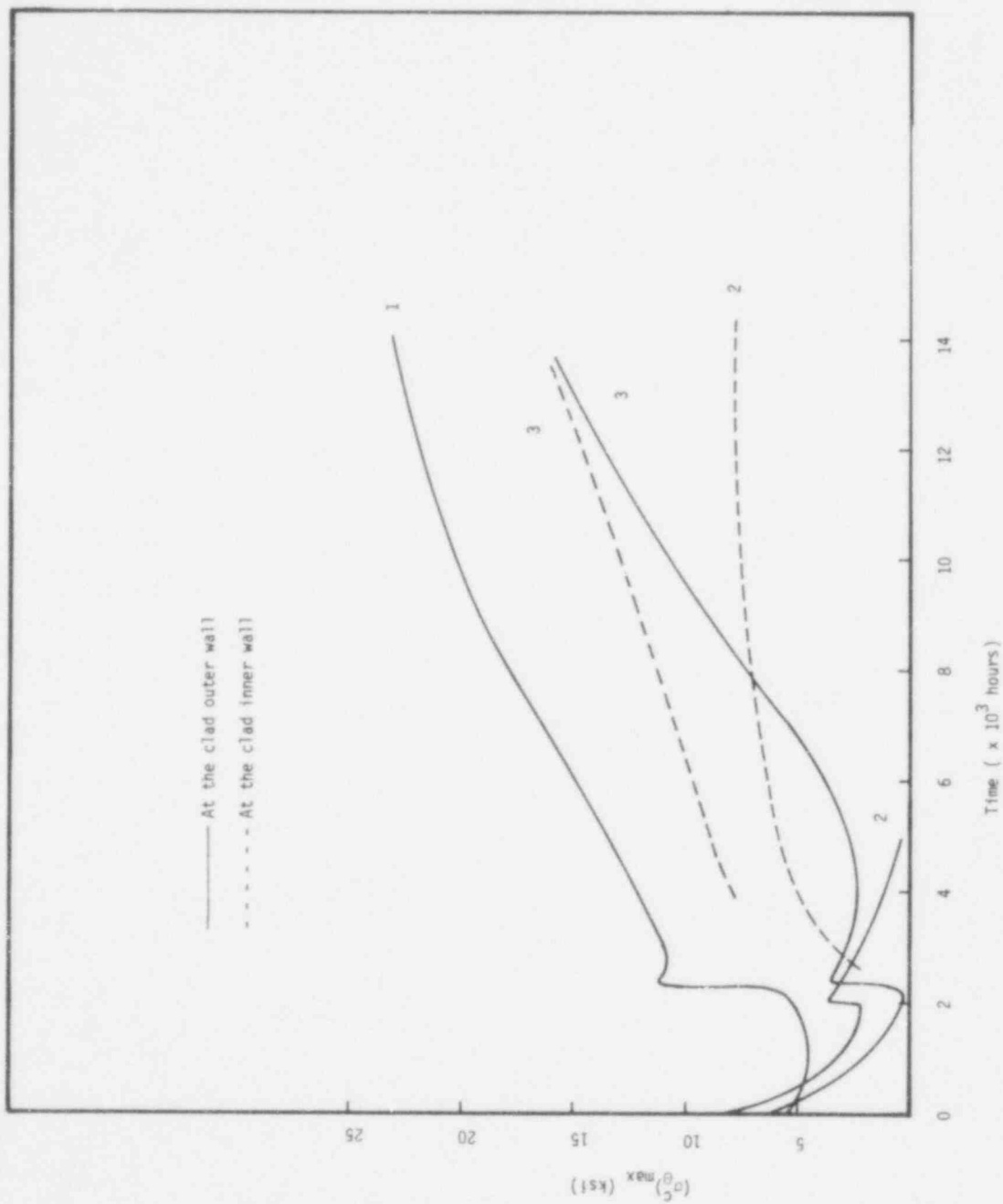


Figure B3 - 4. The Maximum Hoop Stress in the Clad. (Case B3)

733 205

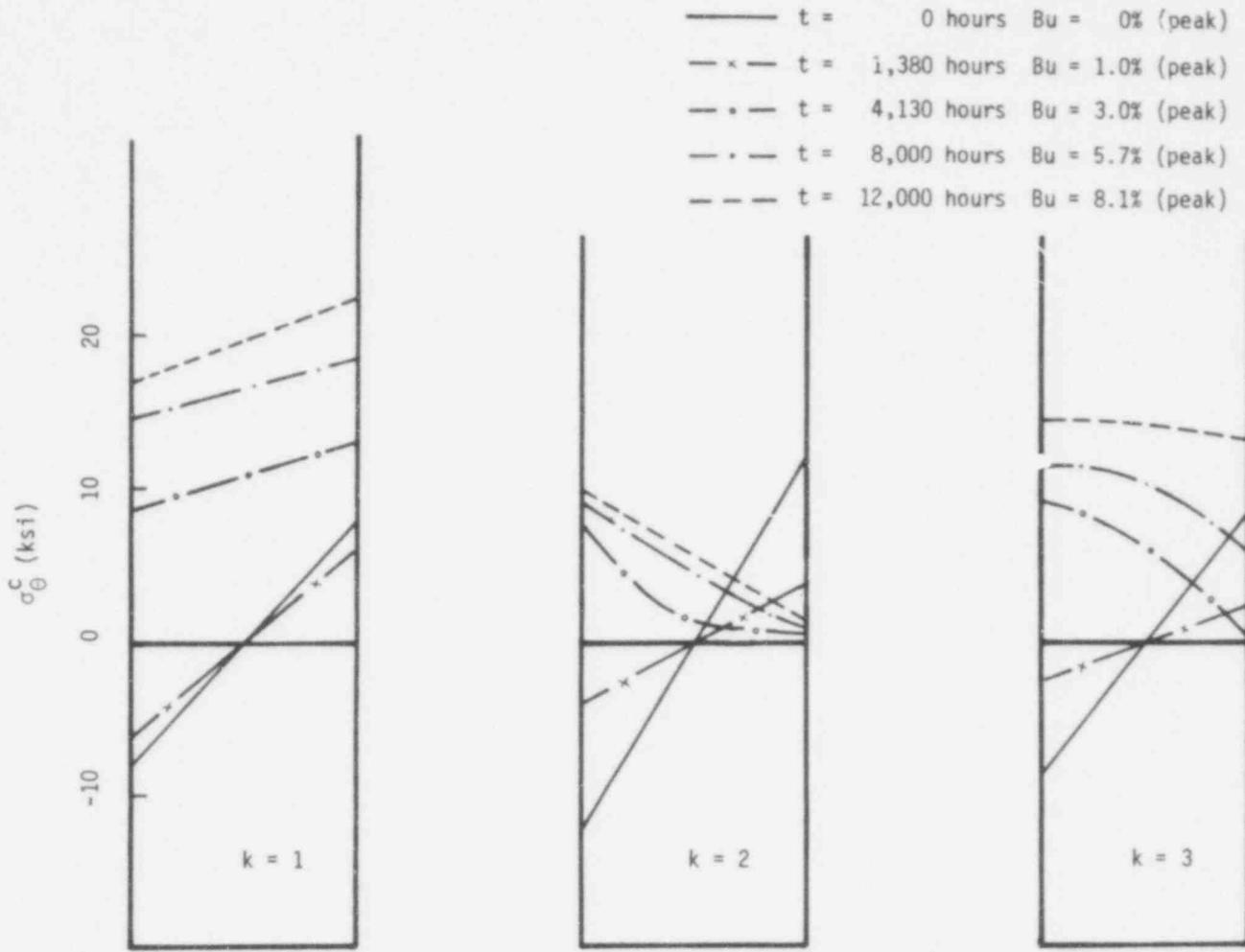


Figure B3 - 5. The Distribution of the Hoop Stress across the Clad Wall. (Case B3)

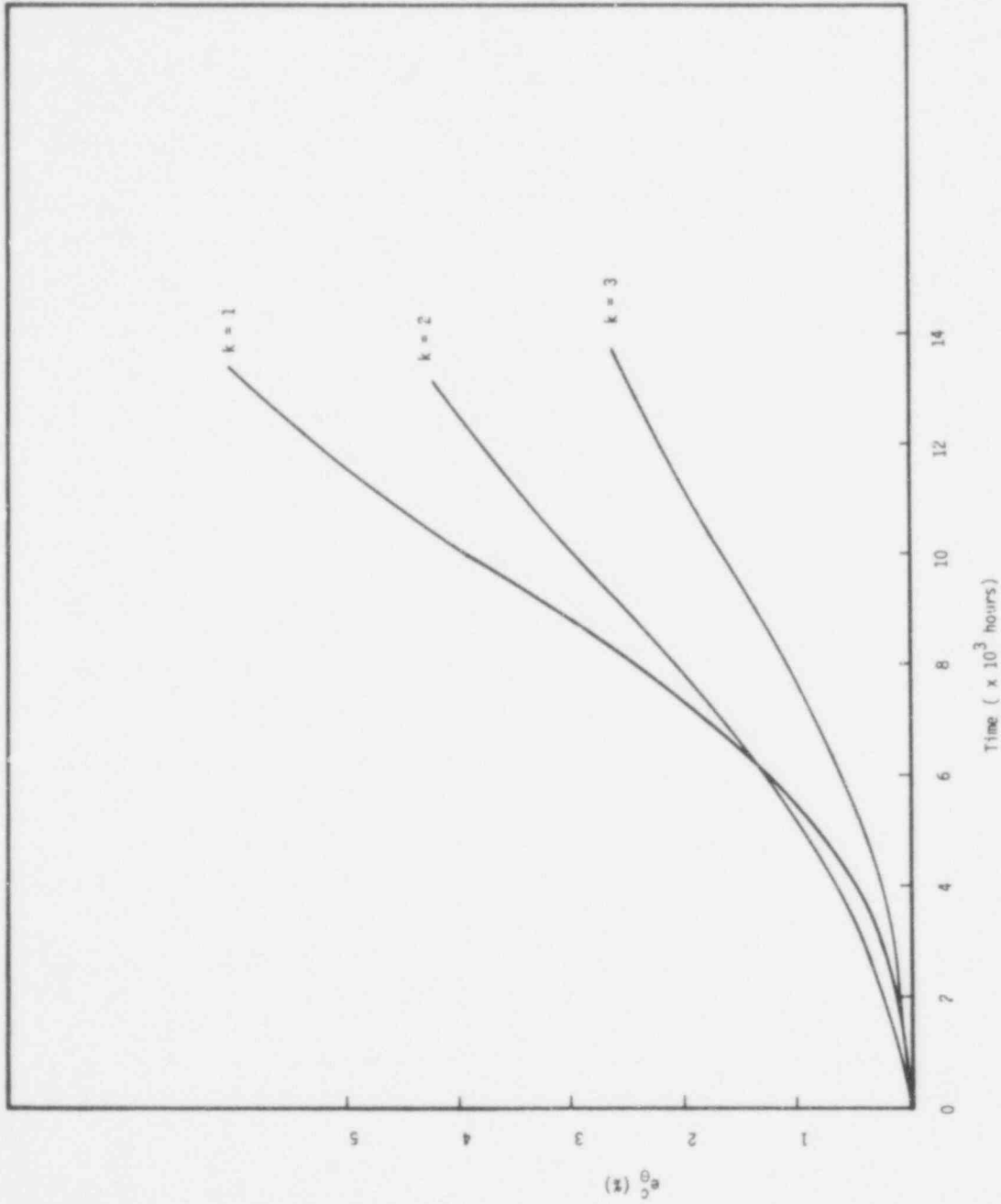


Figure B3 - 6. The Hoop Strain in the Clad. (Case B3)

733 207

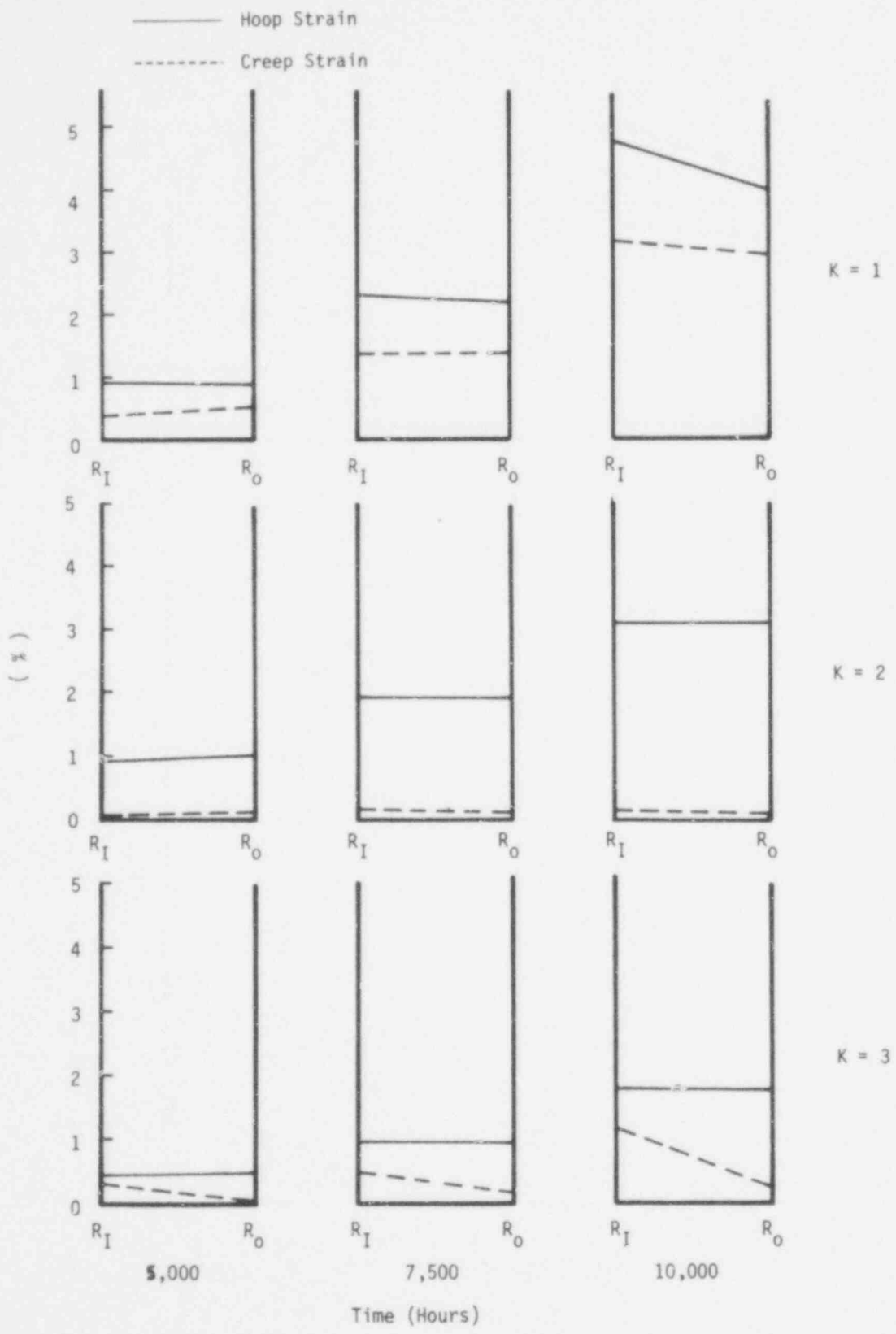


Figure B3 - 7. The Hoop Strain and the Creep Strain Across the Clad Wall (Case B-3)

733 208

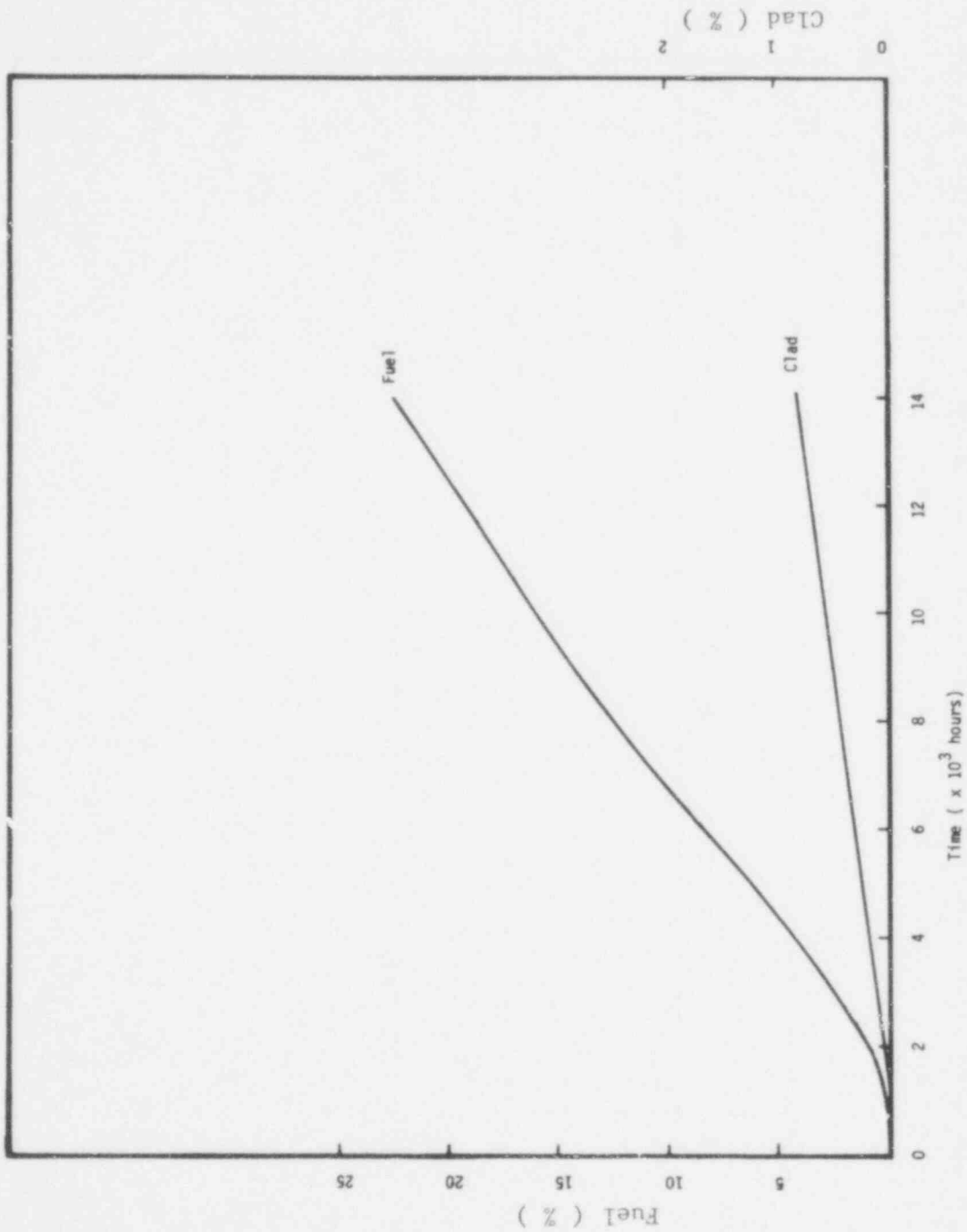


Figure B3 - 8. The Percentage of the Axial Displacement for the Fuel and the Clad. (Case B3)

733 209

9 kW/ft Cases
Case B4

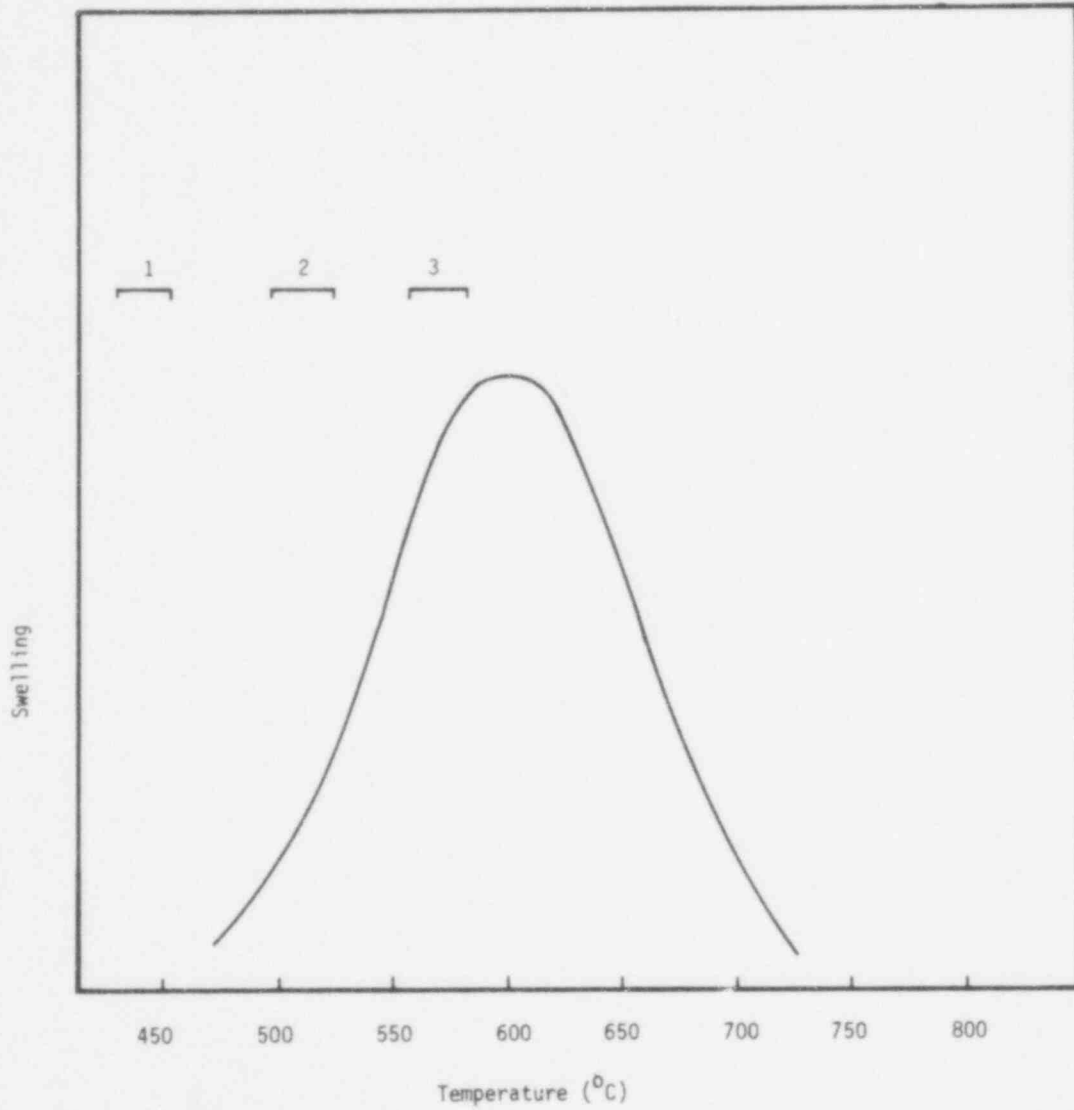


Figure B4 - 1. The Temperature Dependence of the Irradiated Swelling, and the Temperature Range Across the Clad Wall

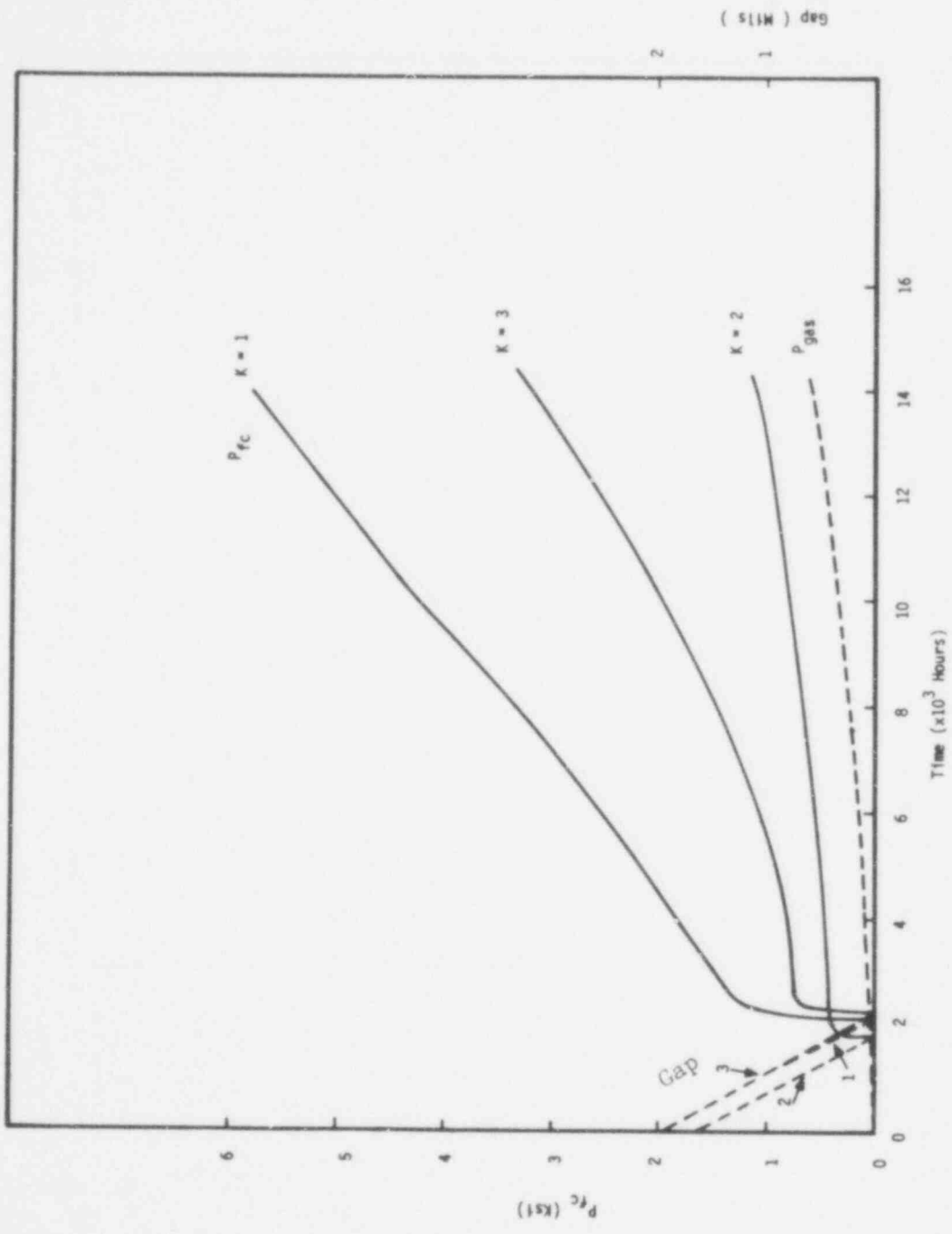


Figure B4 - 2. The Fuel Clad Gap Closure, the Fuel-Clad Interaction Force (P_{fc}), and the Plenum Pressure (Case B4)

733 211

- 1: Net Hoop Stress Rate
- 2: Stress Rate due to Creep
- 3: Stress Rate due to Swelling
- 4: Stress Rate due to Pressure

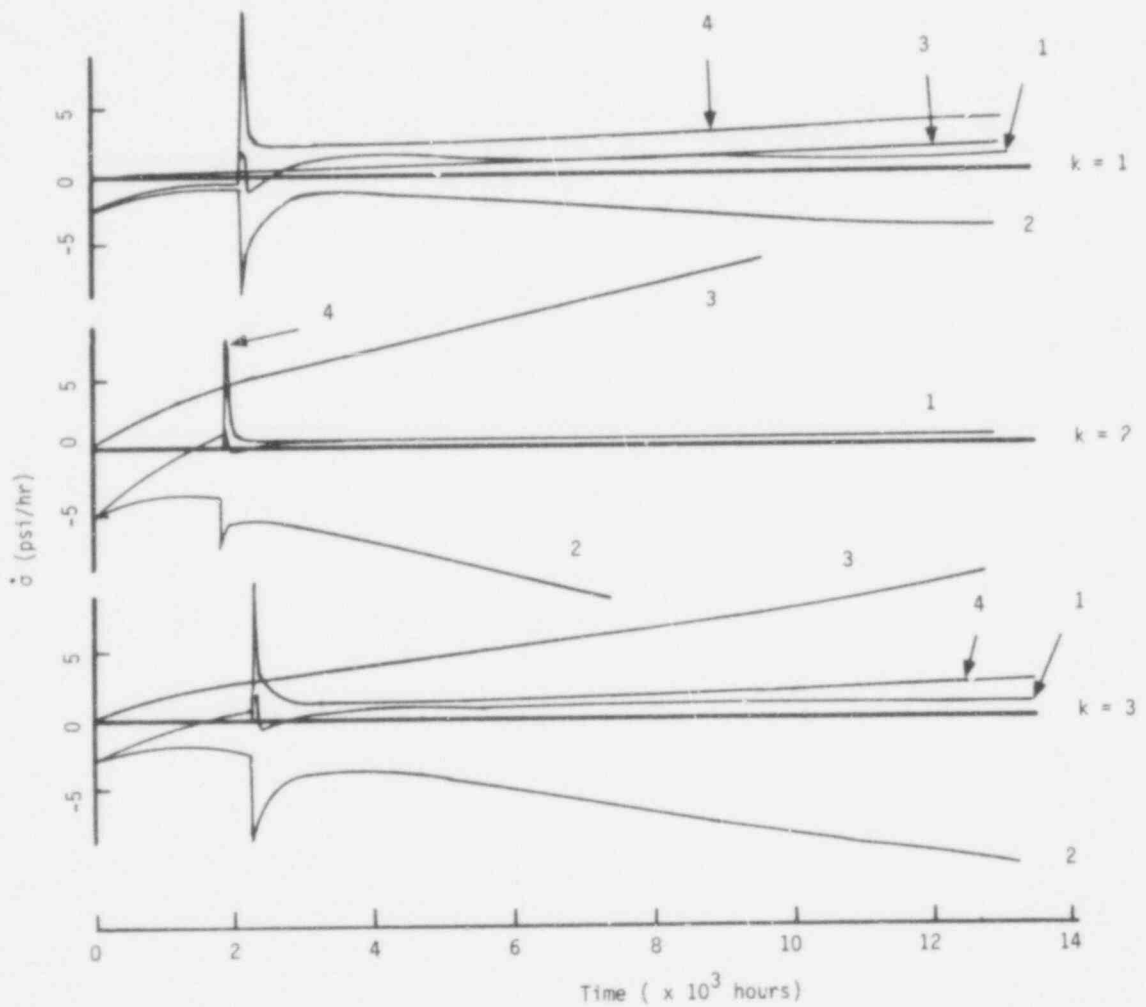


Figure B4-3.

The Net Hoop Stress Rate and the Stress Rate, Due to Creep, Swelling, and Pressure at the Outer Wall of the Clad.

733 212

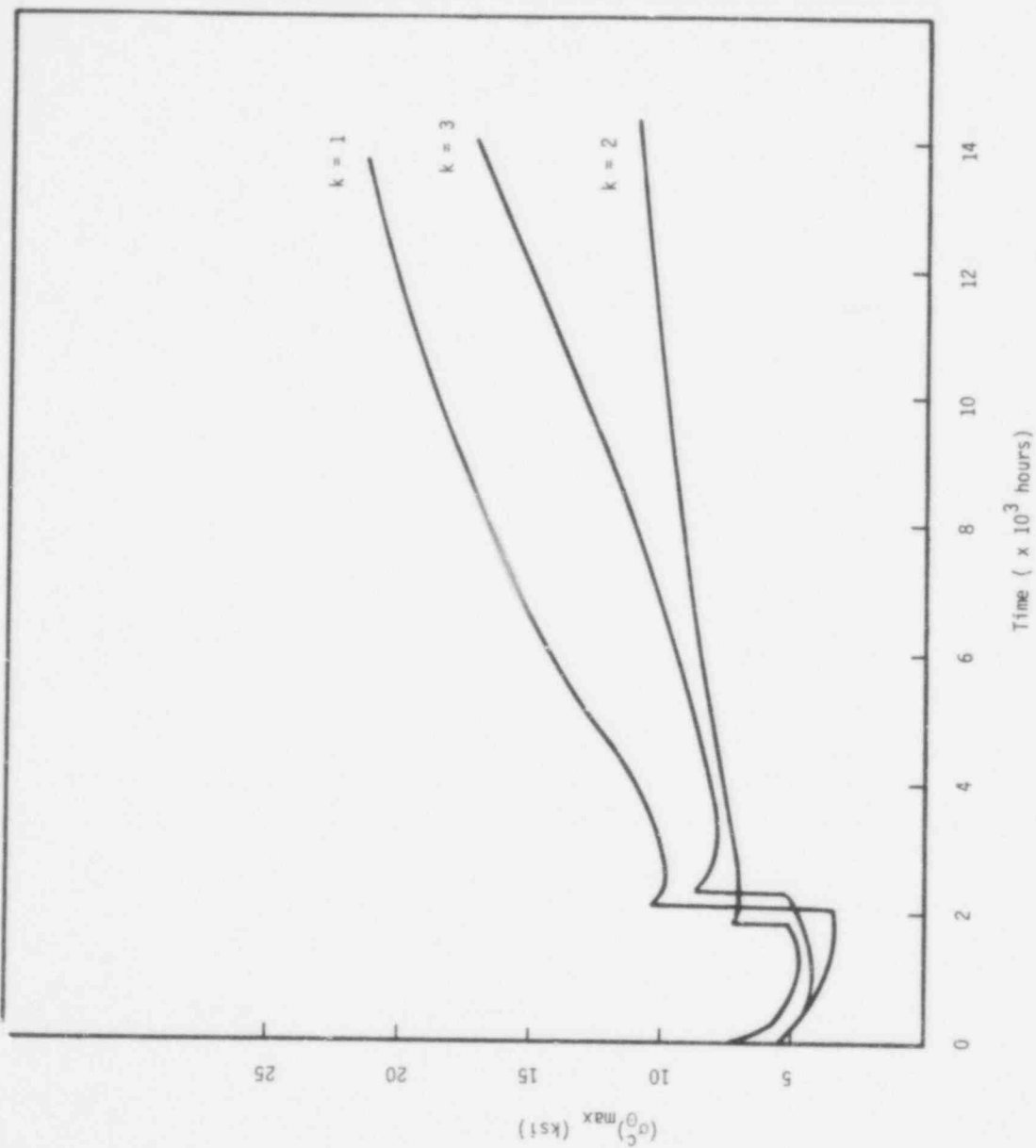


Figure B4 - 4. The Maximum Hoop Stress in the Clad. (Case B4)

733 213

- 1: $t = 0$ hrs Bu = 0 % (peak)
 2: $t = 1250$ hrs Bu = 0.9 % (peak)
 3: $t = 4020$ hrs Bu = 3.0 % (peak)
 4: $t = 8050$ hrs Bu = 6.0 % (peak)
 5: $t = 11700$ hrs Bu = 8.6 % (peak)

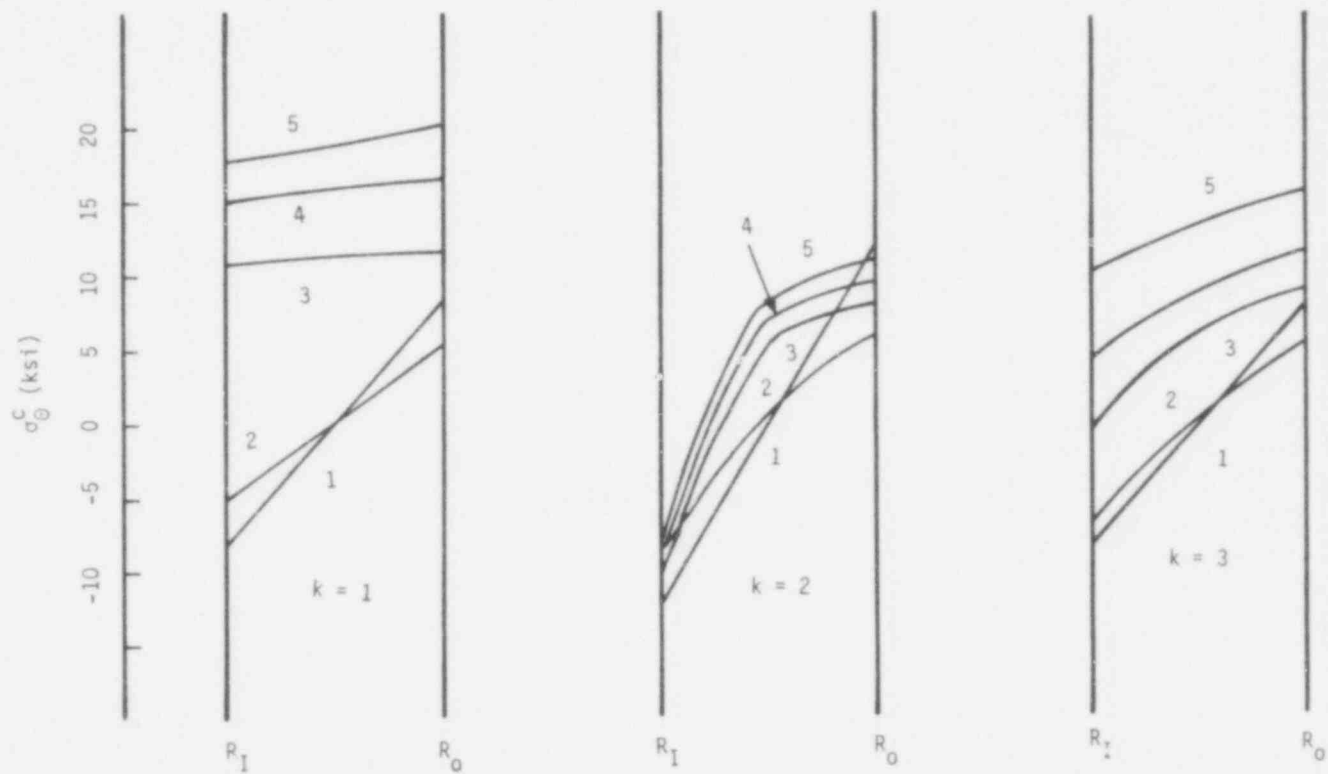


Figure B4-5. The Hoop Stress Distribution Across the Clad.

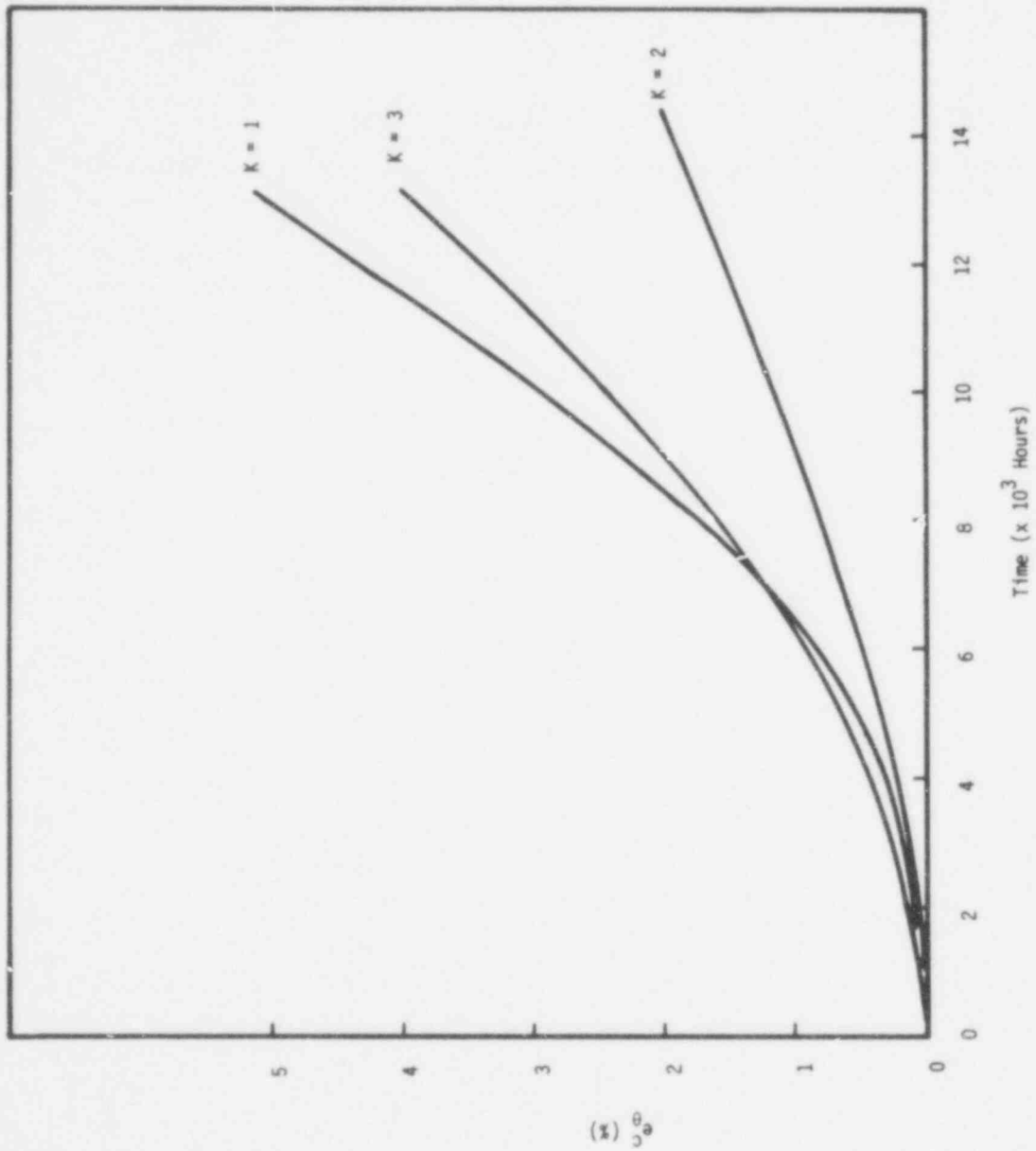


Figure B4 - 6. The Hoop Strain in the Clad (Case B4)

733 215

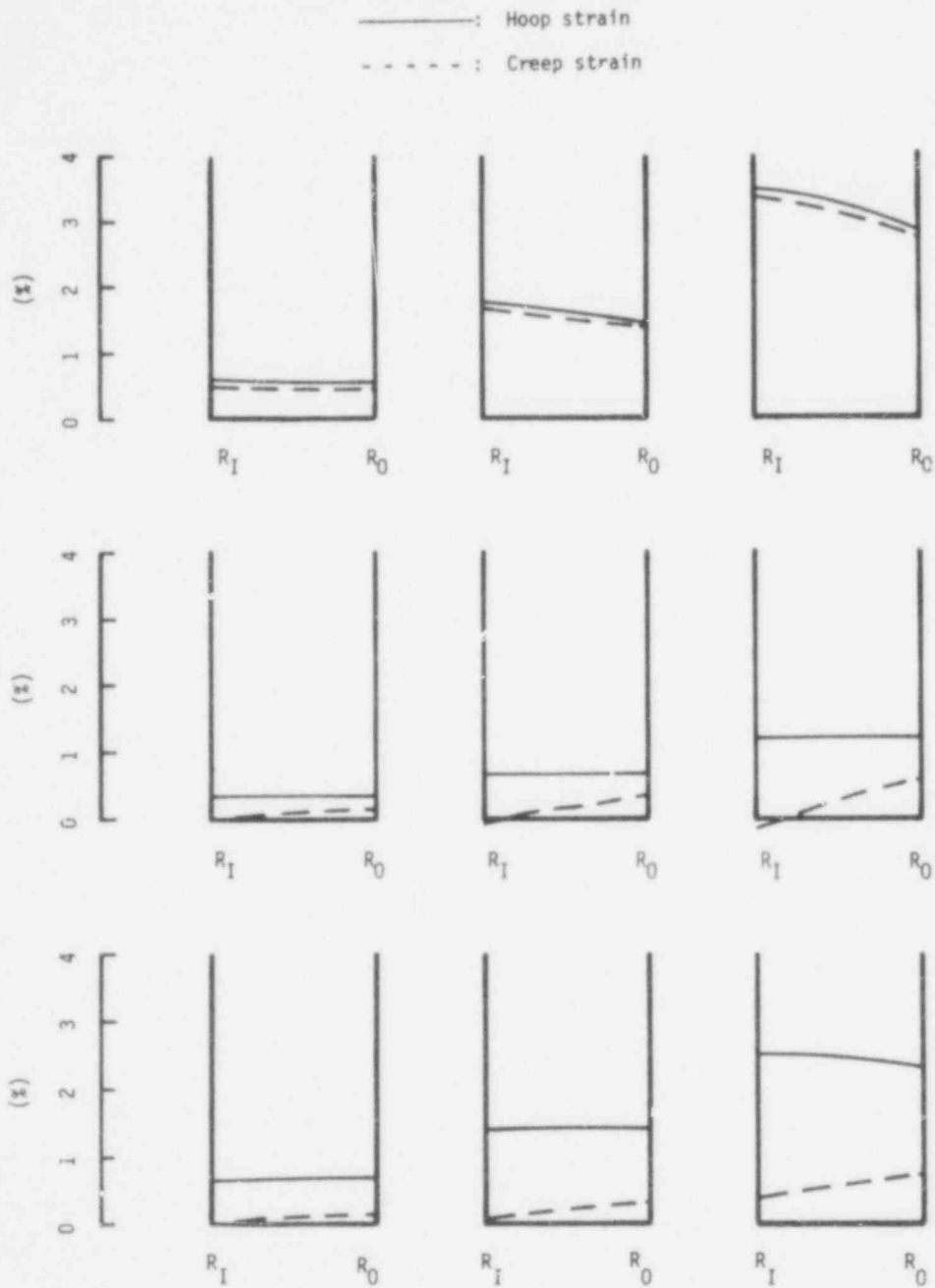


Figure B4 - 7. The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall.
(Case B4)

733 216

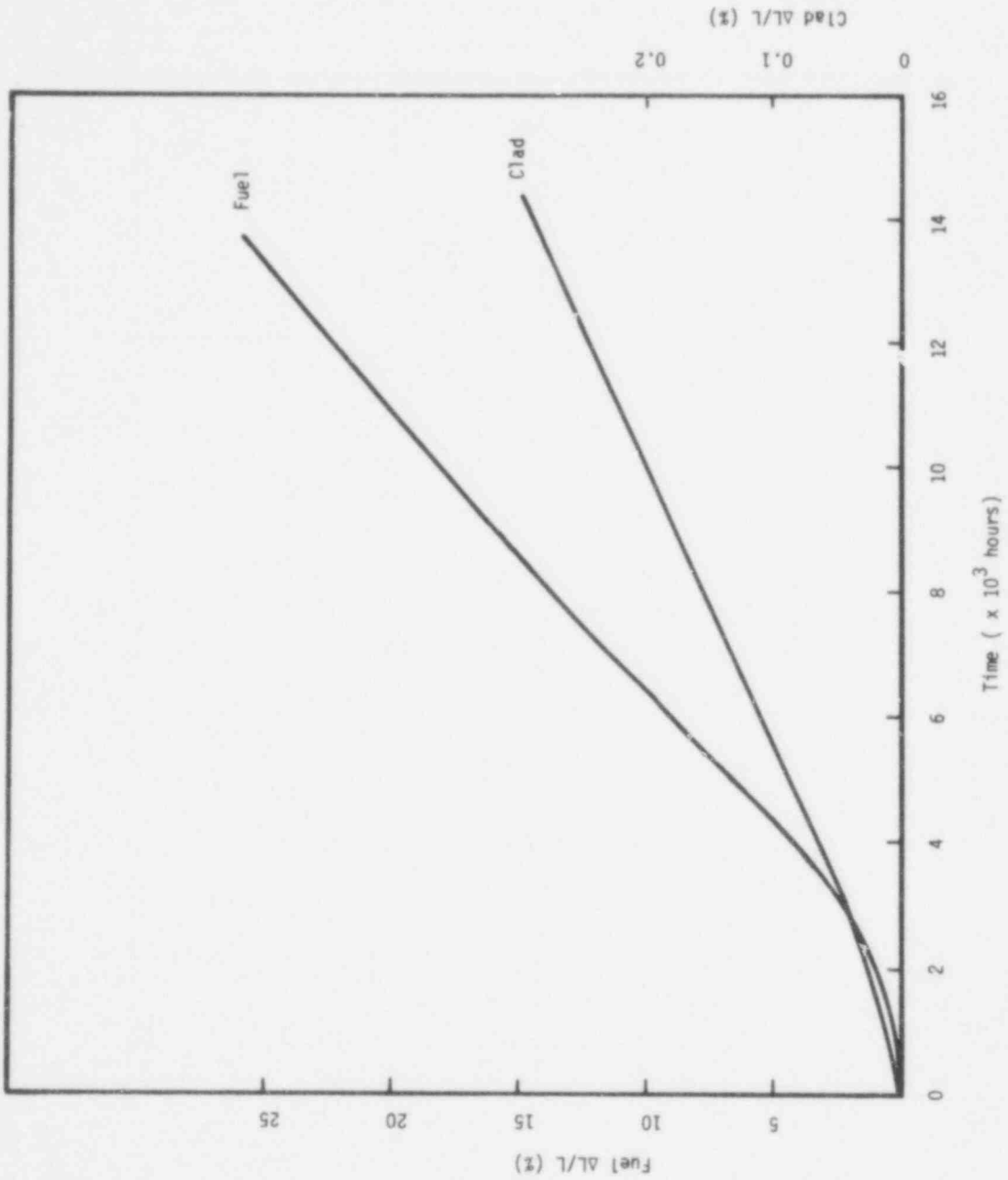


Figure 84 - 8. The Percentage of Axial Displacement for the Fuel and the Clad. (Case 84)

733 217

9 kW/ft Cases

Case R2

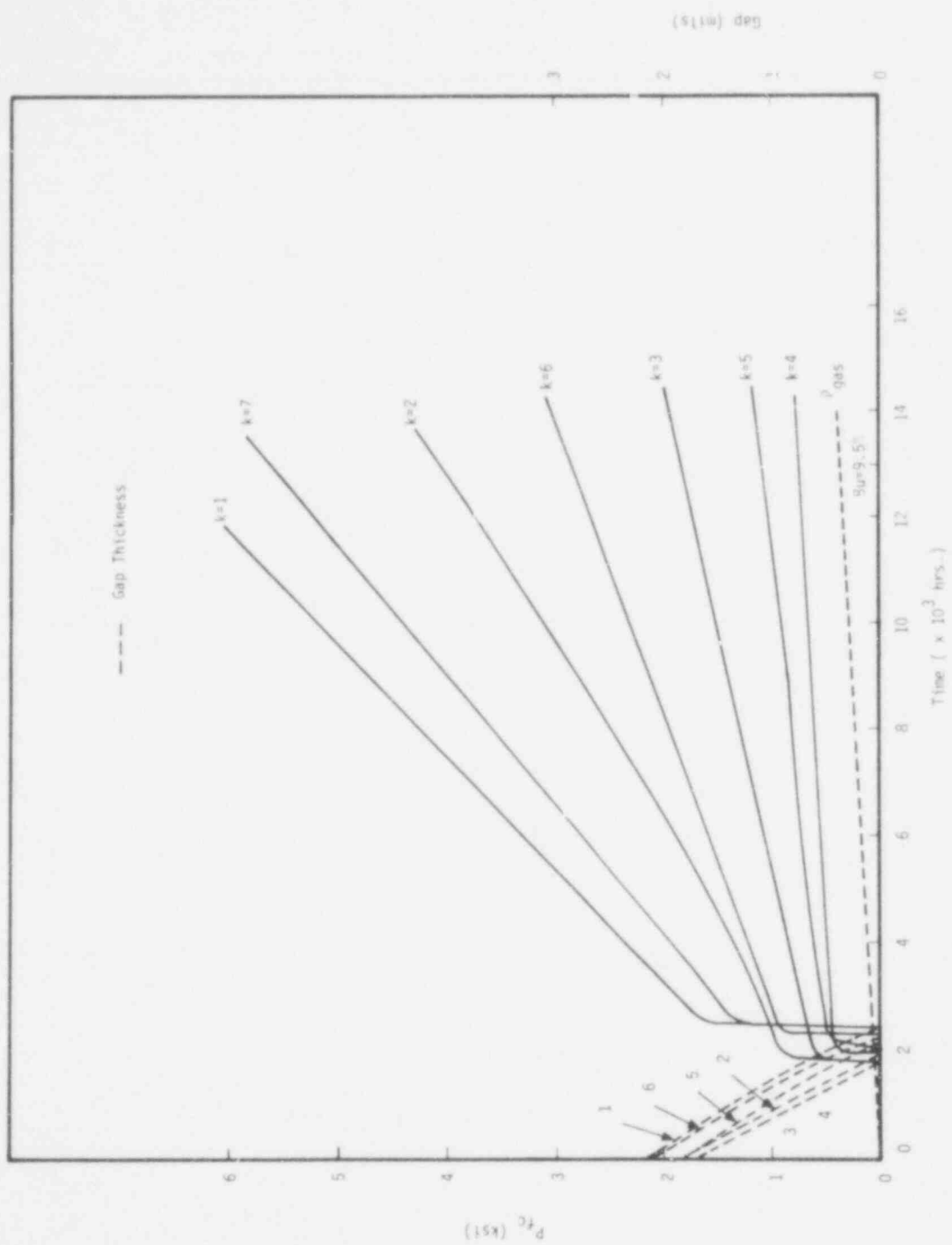


Fig. R2.1 The Fuel-Clad Interaction Force (P_{fc}), the Gap Thickness, and the Plenum Pressure (P_{gas}) in Each Axial Section. (Case R2)

733 218

POOR ORIGINAL

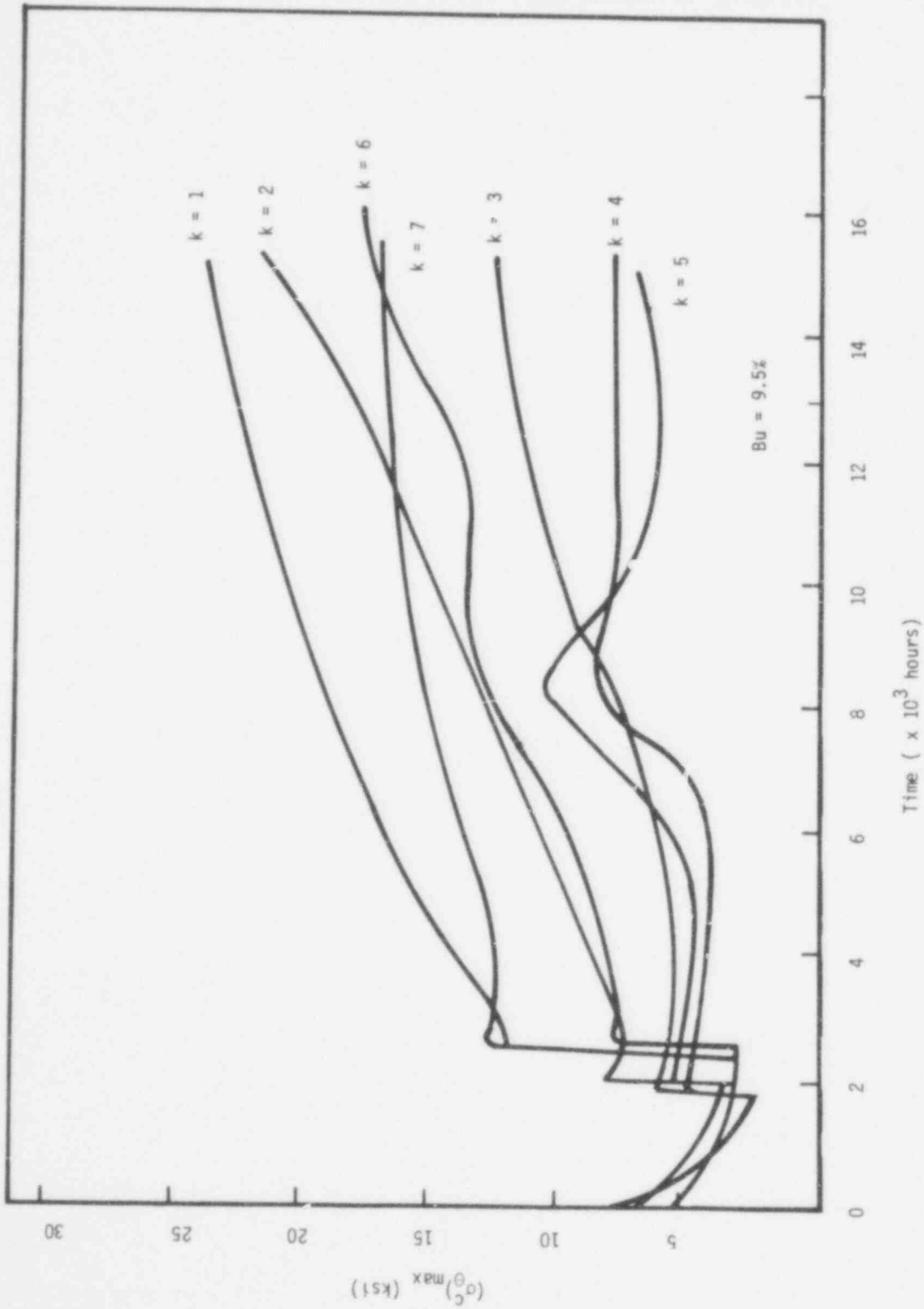


Figure R2 - 2. The Maximum Hoop Strain in the Clad. (Case R2)

733 219

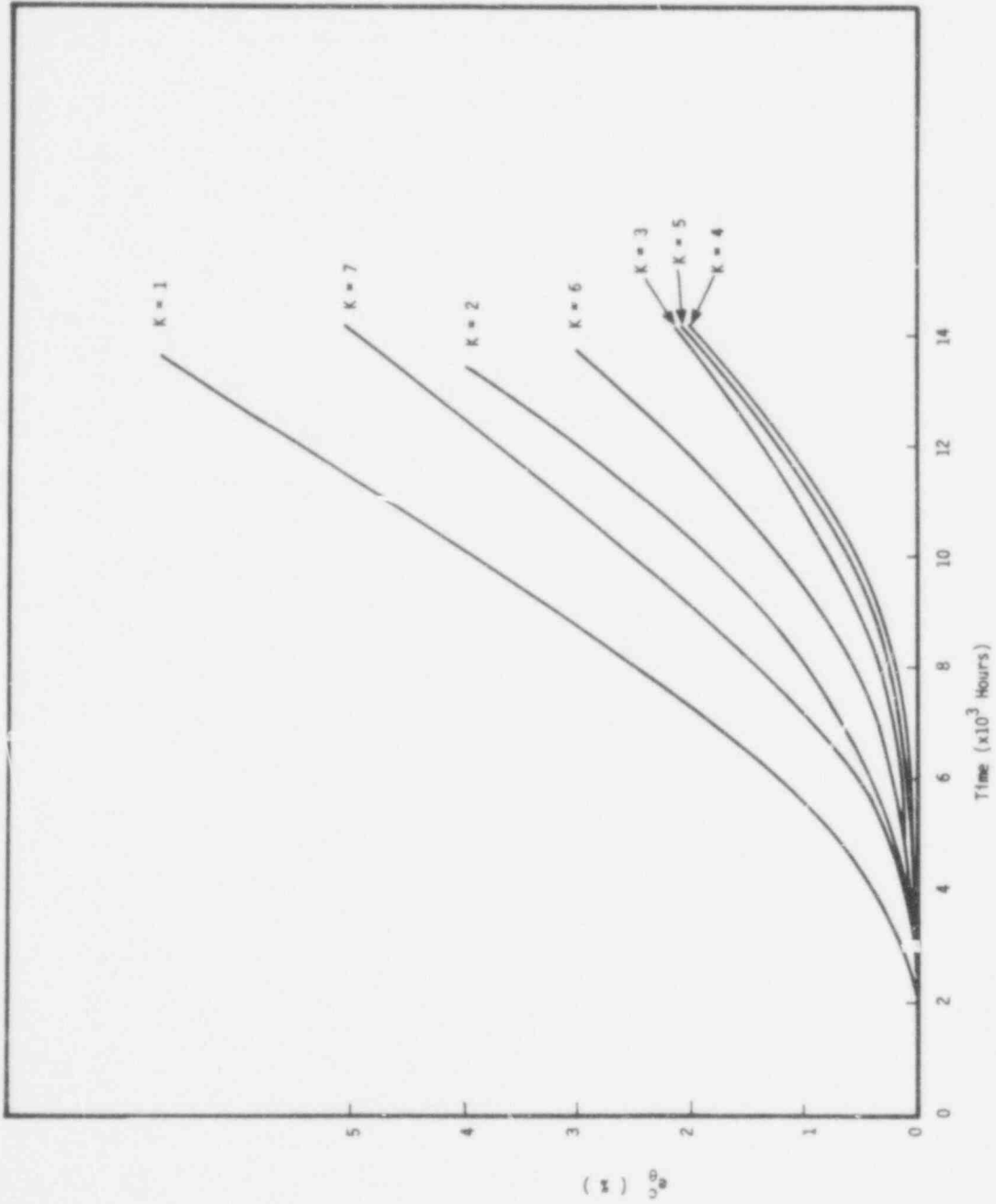


Figure R2 - 3. The Hoop Strain in the Clad (Case R2)

733 220

6 kW/ft Cases
Case NO

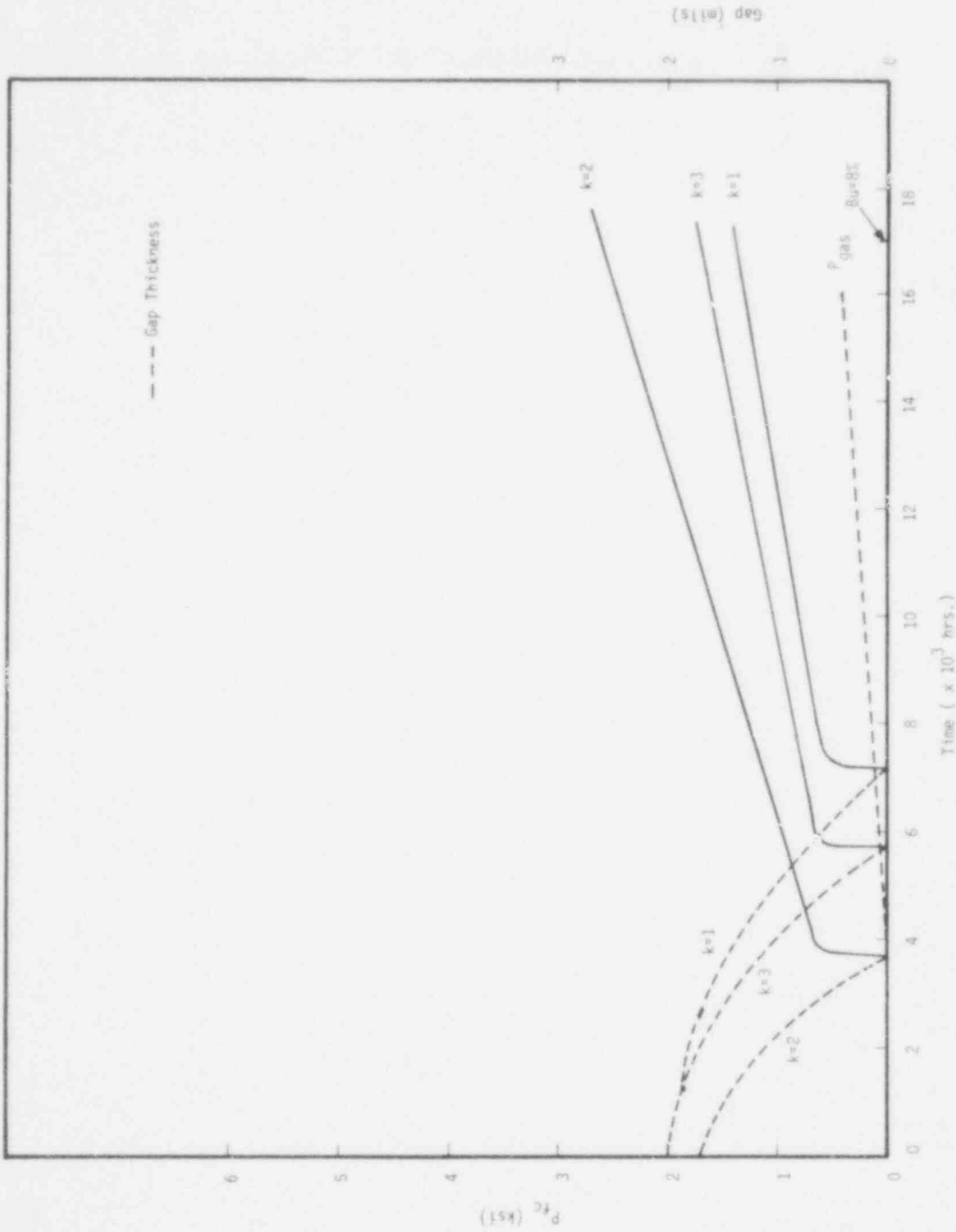
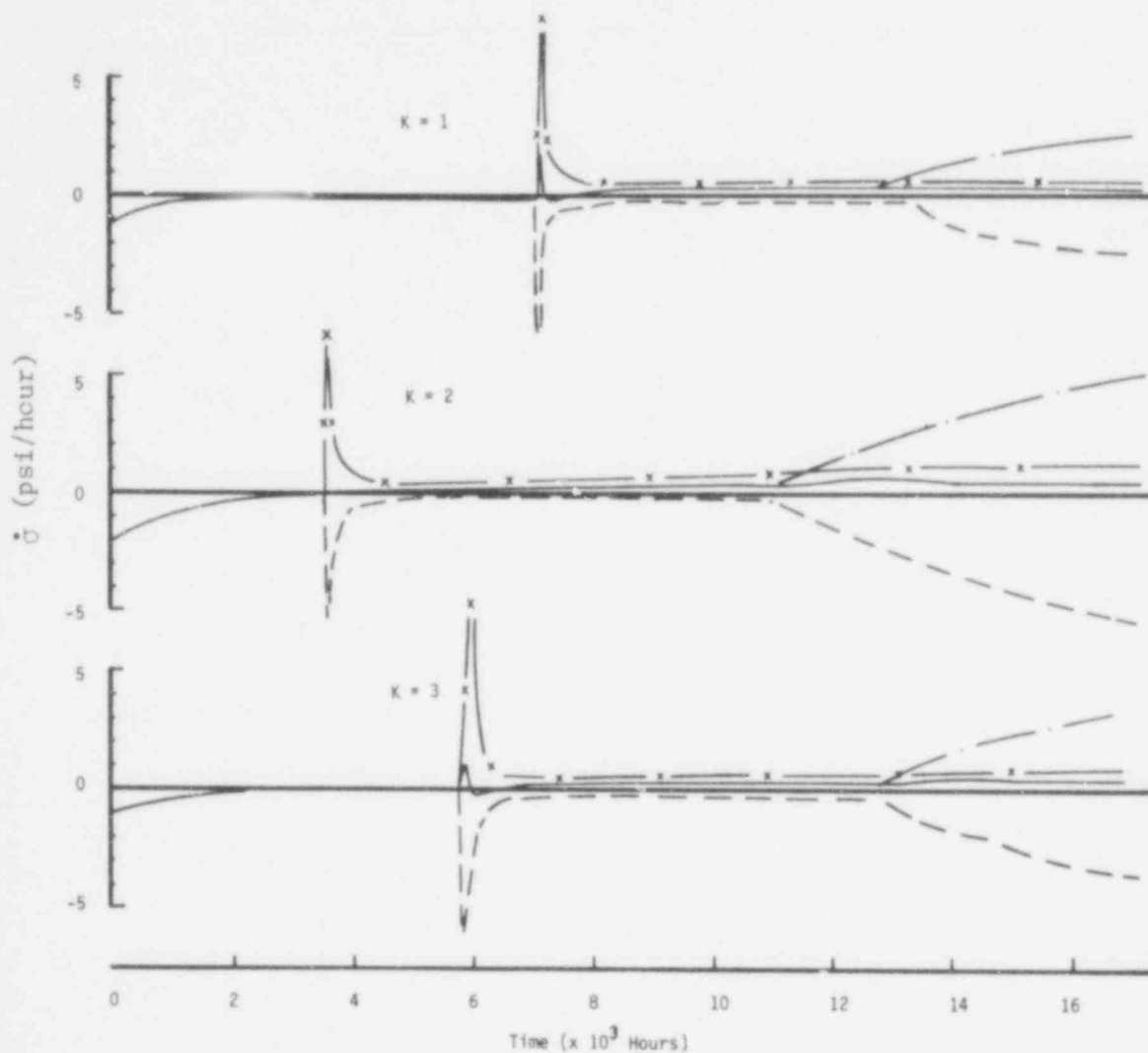


Fig. NO.1. The Fuel-Clad Interaction Force (P_{fc}), the Gap Thickness, and the Plenum Pressure (P_{gas}) in Each Axial Section (Case No)

POOR ORIGINAL

733 221



- Net Hoop Stress Rate
- - - - Stress Rate due to Swelling
- · - · Stress Rate due to Creep
- x - Stress Rate due to Pressure

Figure NO - 2. The Net Hoop Stress Rate, and the Stress Rates Due to the Swelling, the Creep and the Pressure at the Outer Wall of the Clad

733 222

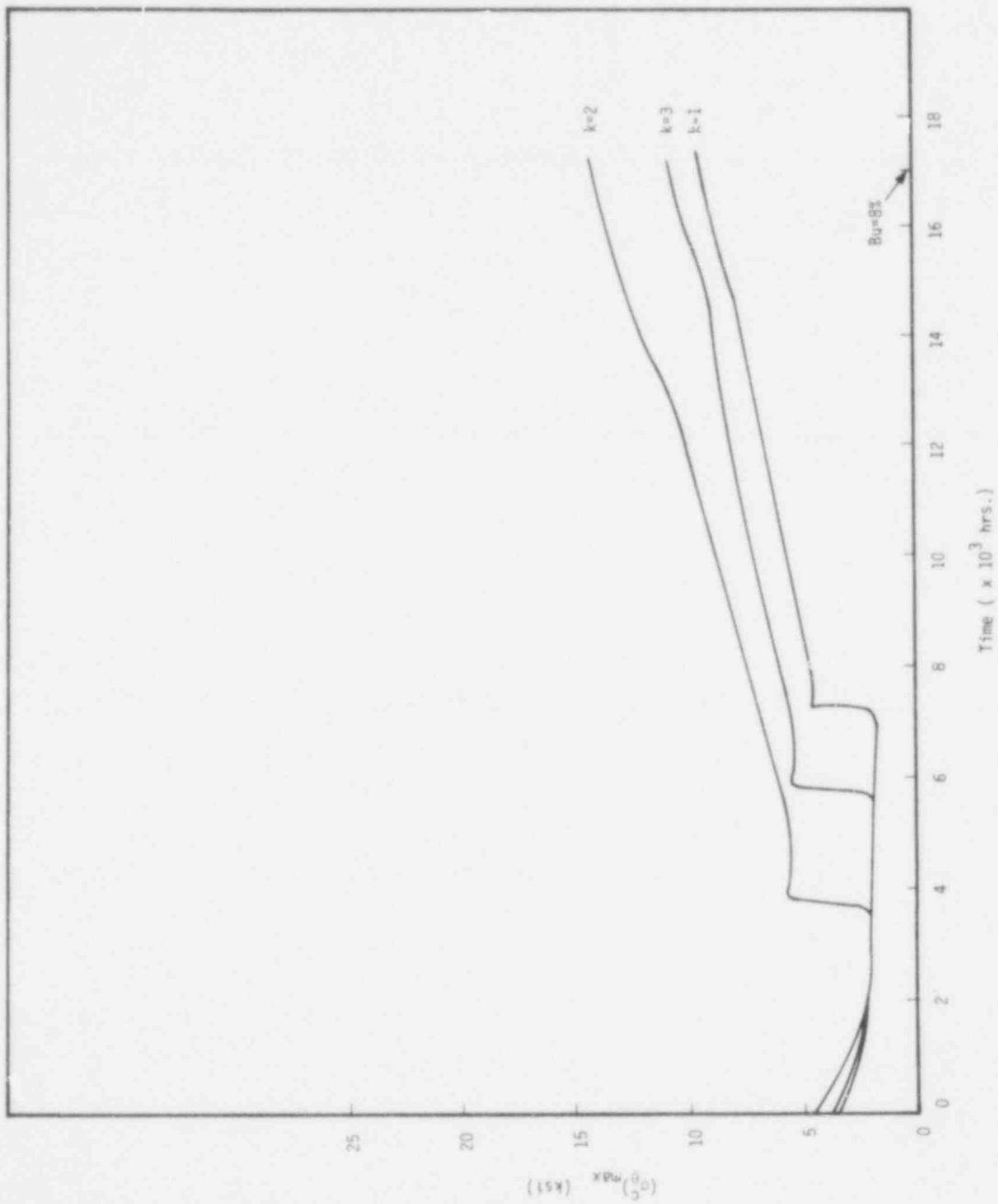


Fig. NO.3 The Maximum Hoop Stress in the Clad (Case NO).

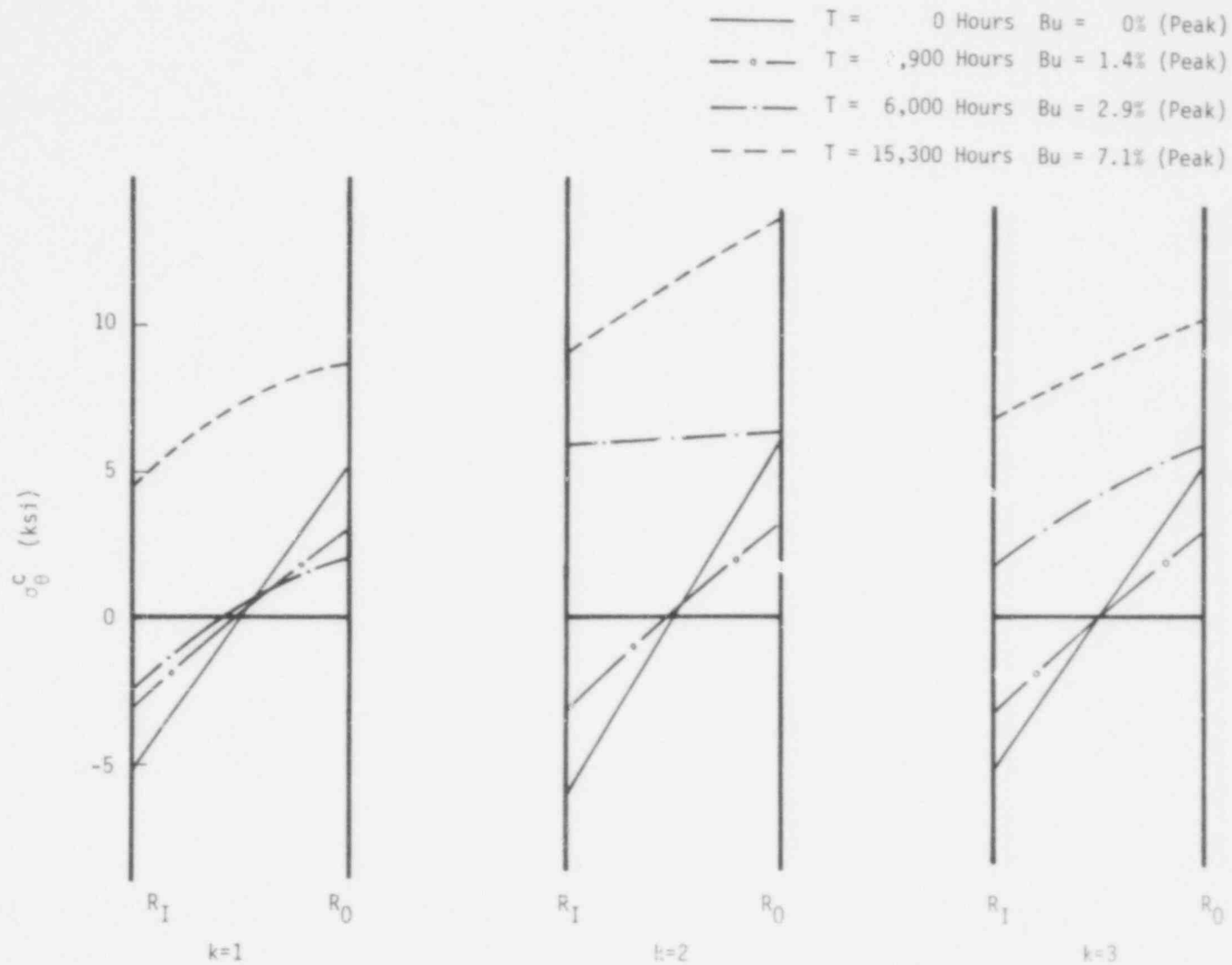


Fig. NO.4 The Distribution of the Hoop Stress Across the Clad Wall (Case NO)

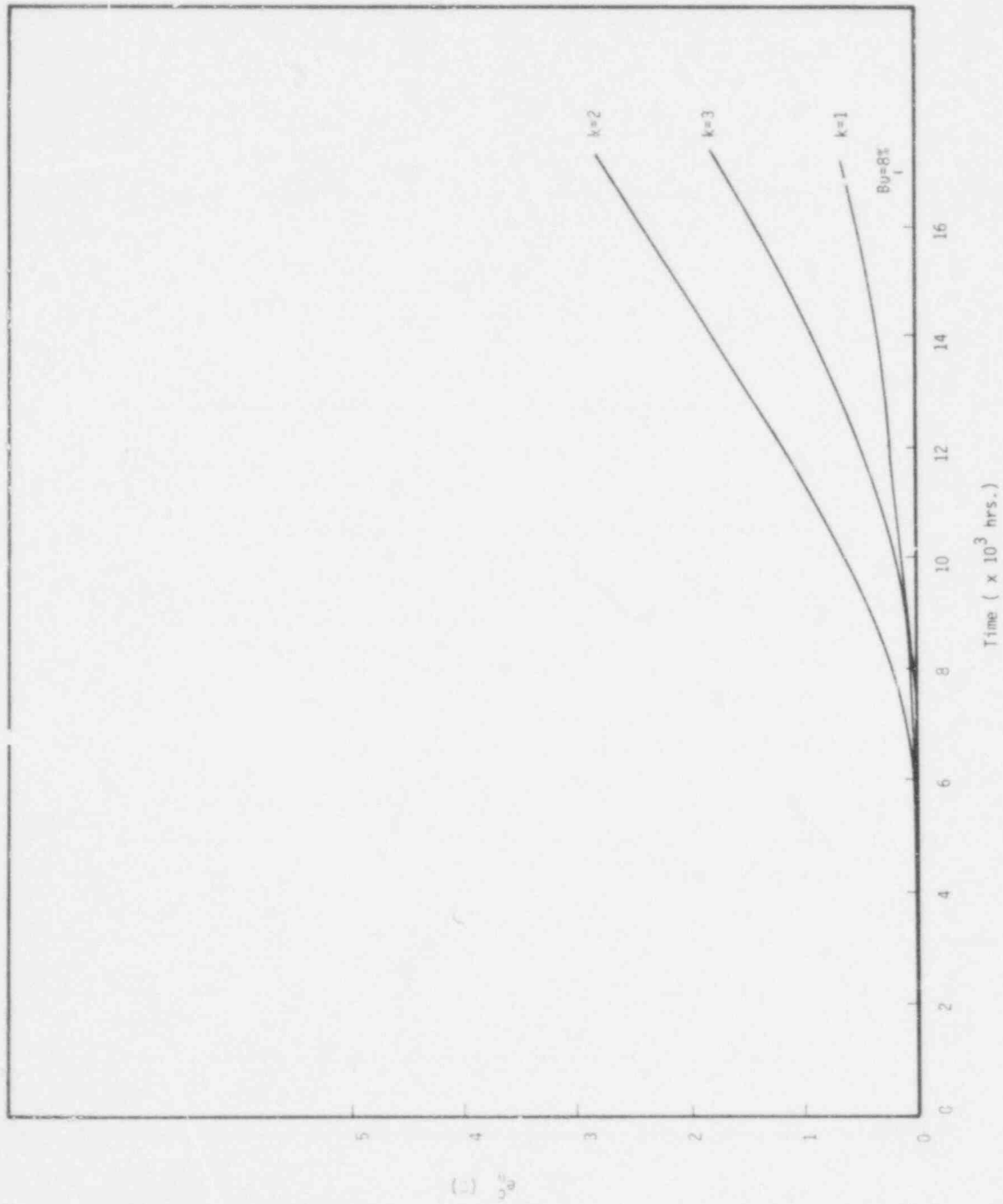


Fig. NO.5 The Hoop Strain in the Clad. (Case NO)

(1) σ_a

733 225

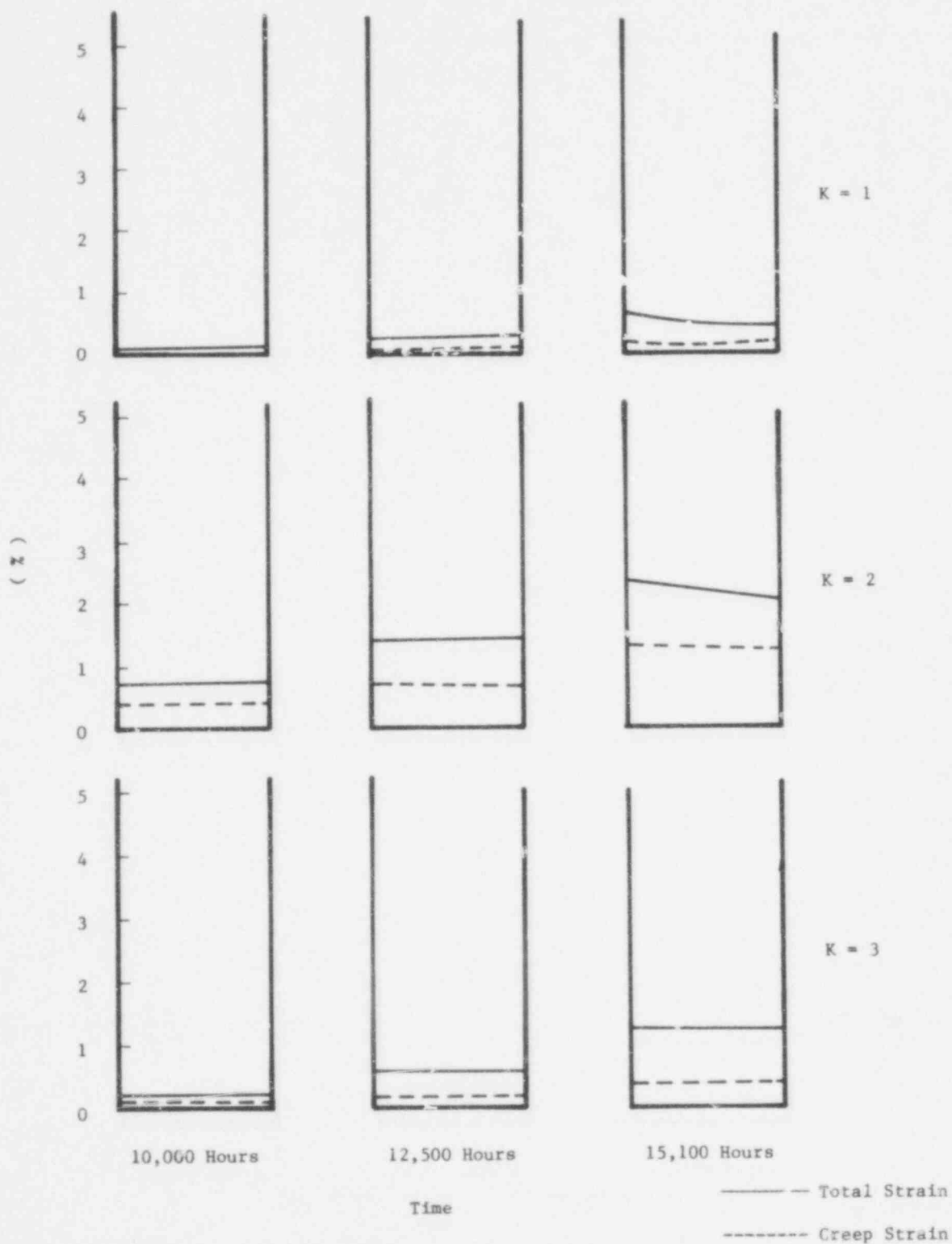


Figure NO - 6. The Total Strain and the Creep Strain Across the Clad Wall (Case NO)

733 226

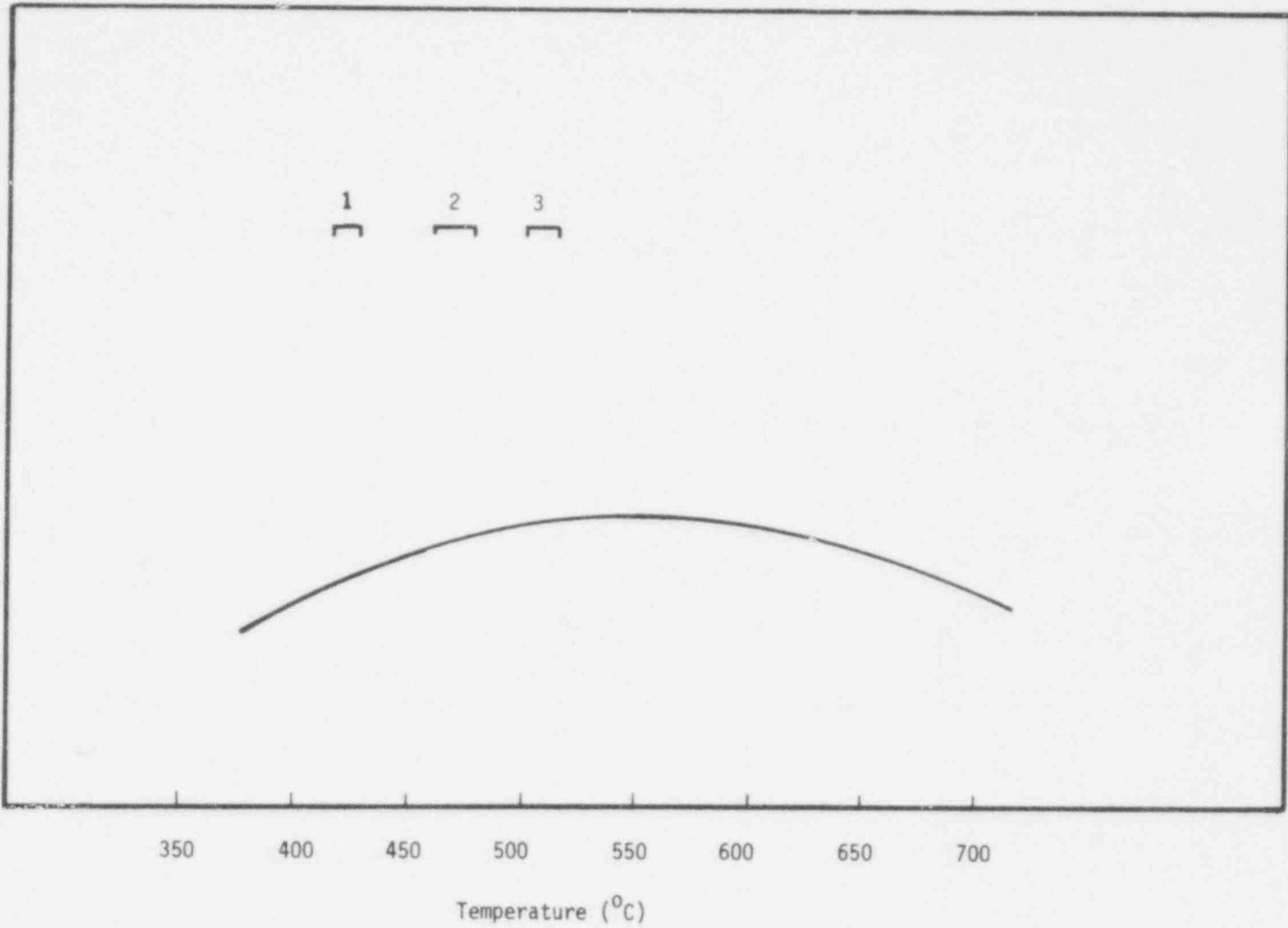


Figure N1 - 1. The Temperature of the Irradiated Swelling, and the Temperature Range Across the Clad Wall

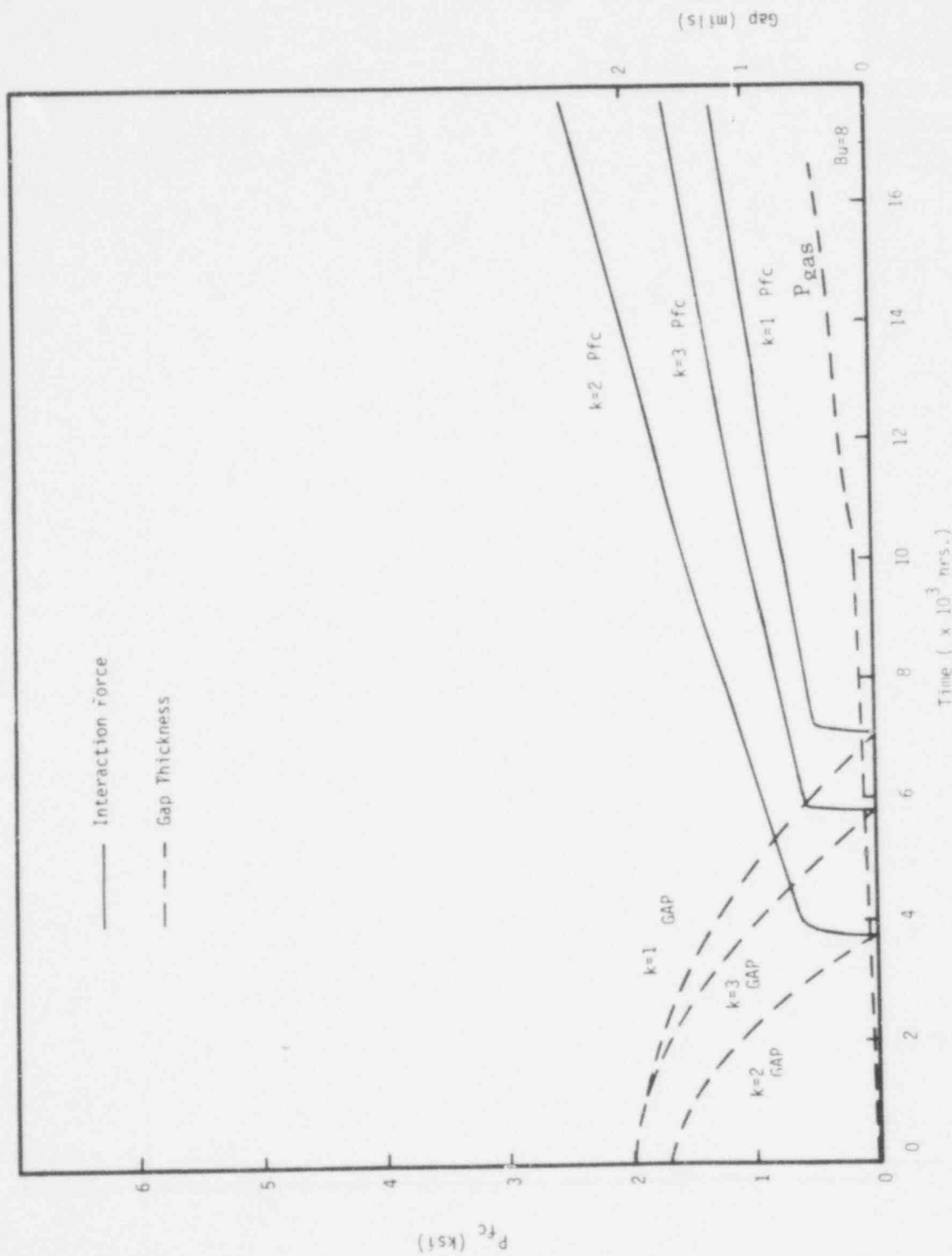


Fig. M1.2 The Fuel-Clad Gap Thickness and the Fuel-Clad Interaction Force. (Case M1)

733 228

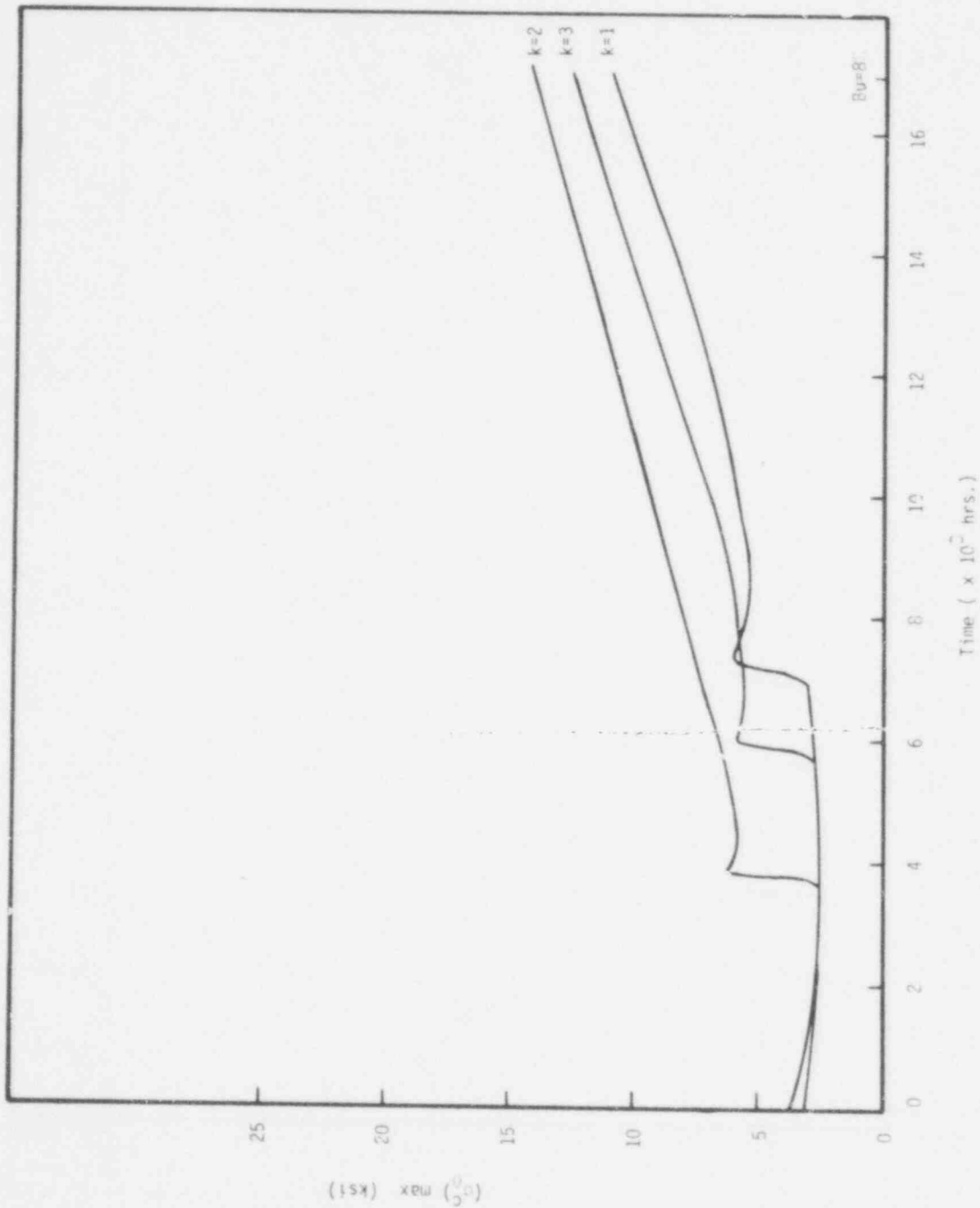


Fig. 11.3 The Maximum Hoop Stress in the Clad.

733 229

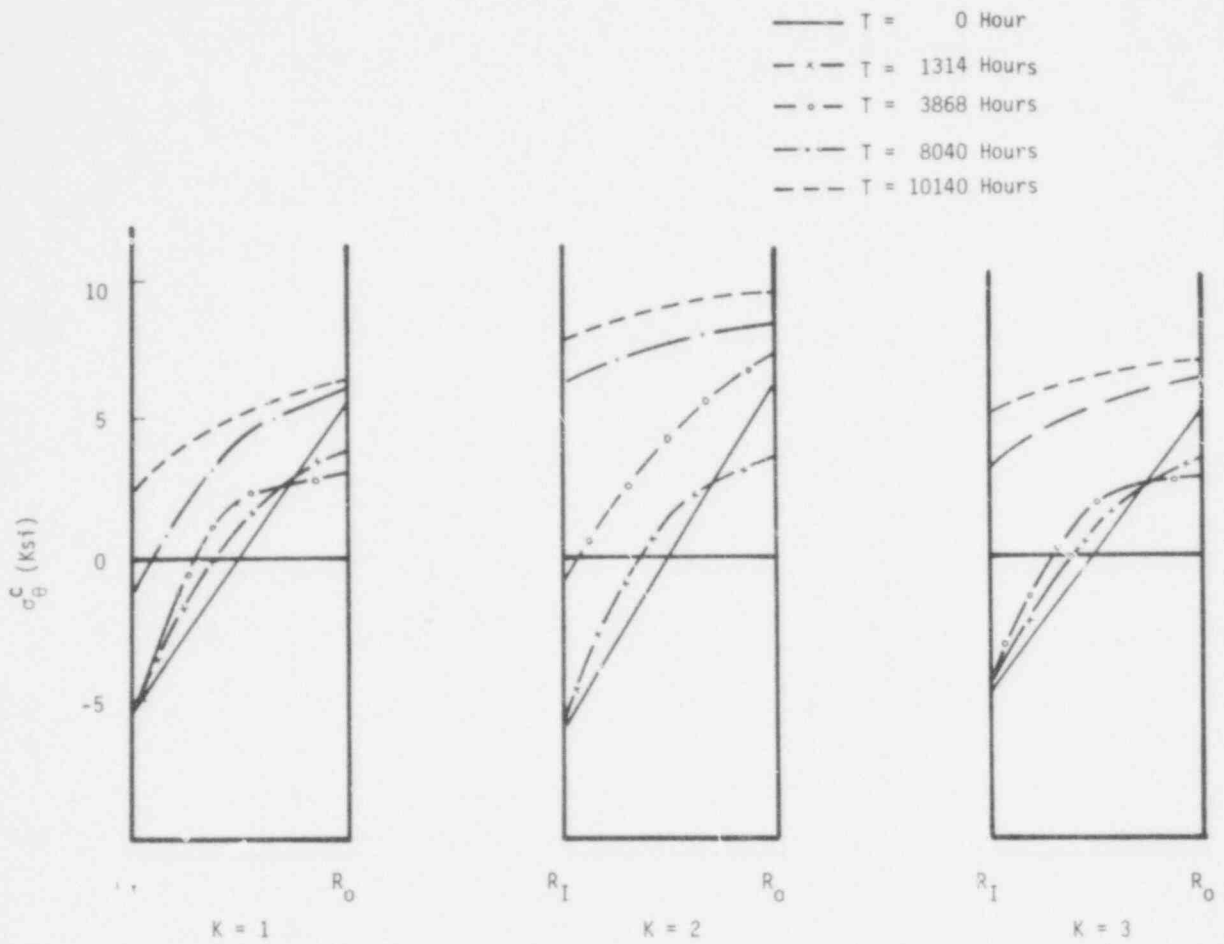


Figure N1 - 4. The Distribution of the Hoop Stress Across the Clad Wall (Case N1)

733 230

POOR ORIGINAL

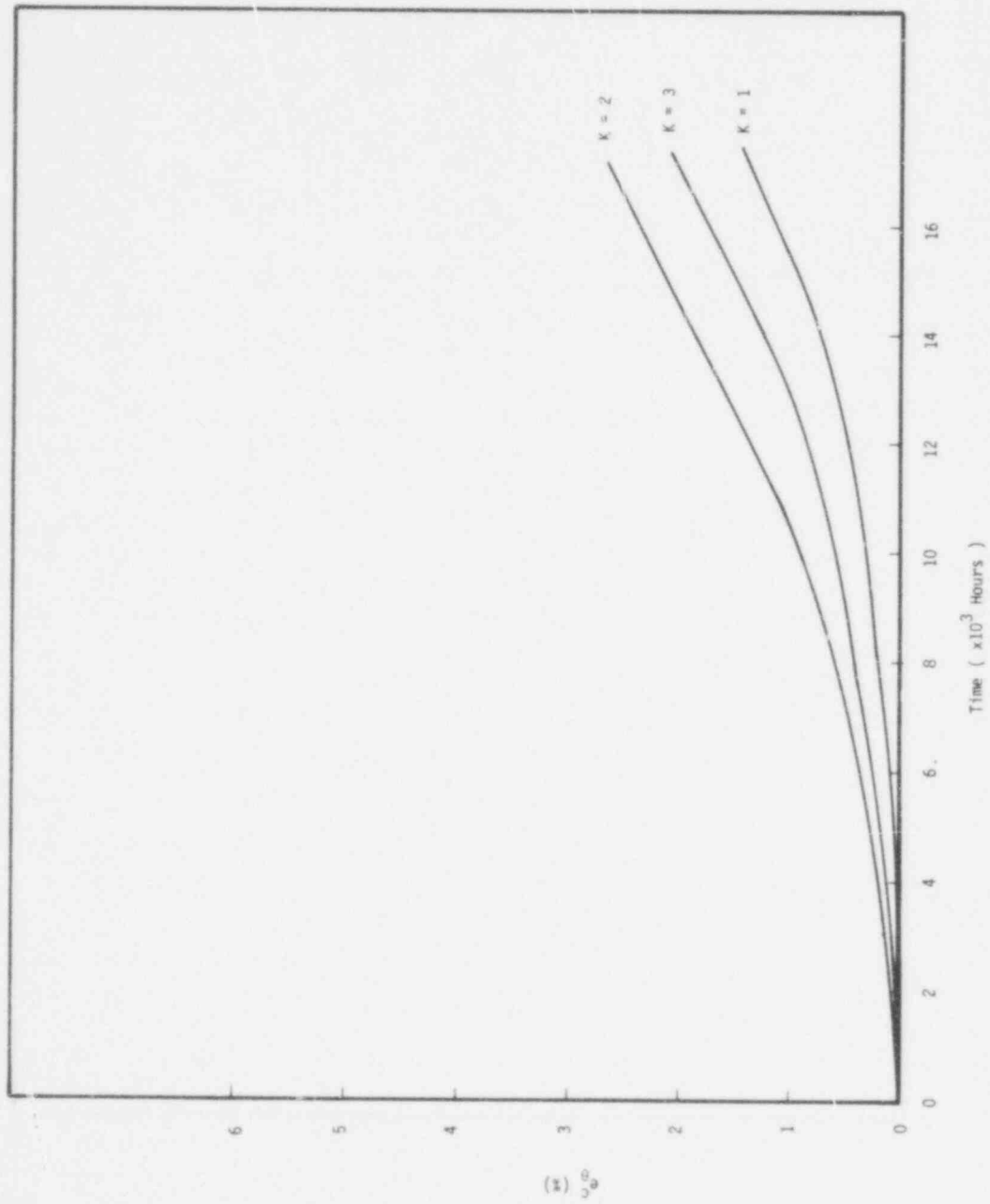


Figure N1 - 5. The Hoop Strain in the Clad (Case N1)

733 231

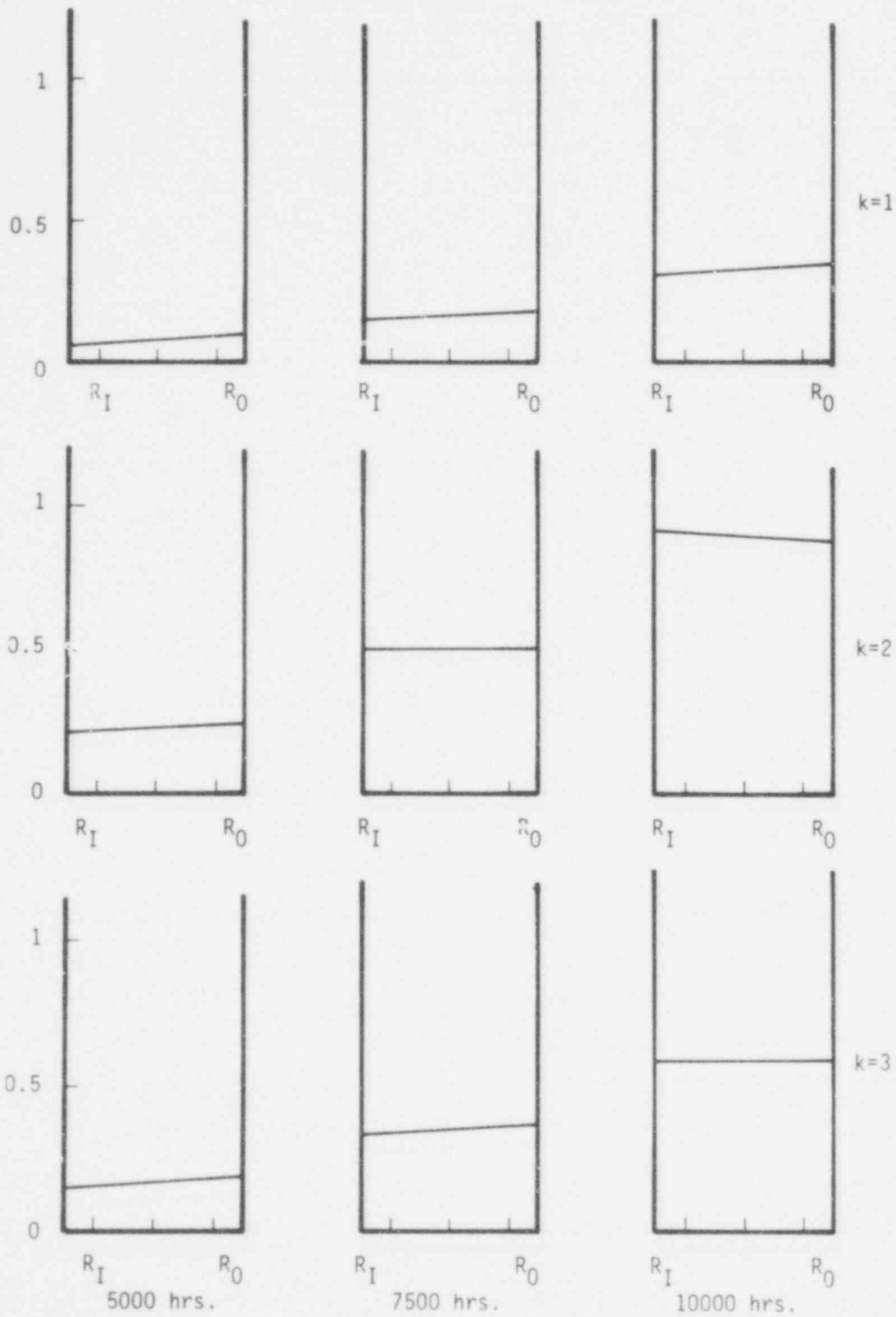


Fig. N1.6 The Distribution of the Hoop Strain (—) and the Creep Strain (---) Across the Clad Wall. (Case N1)

6 kW/ft Cases

Case N3

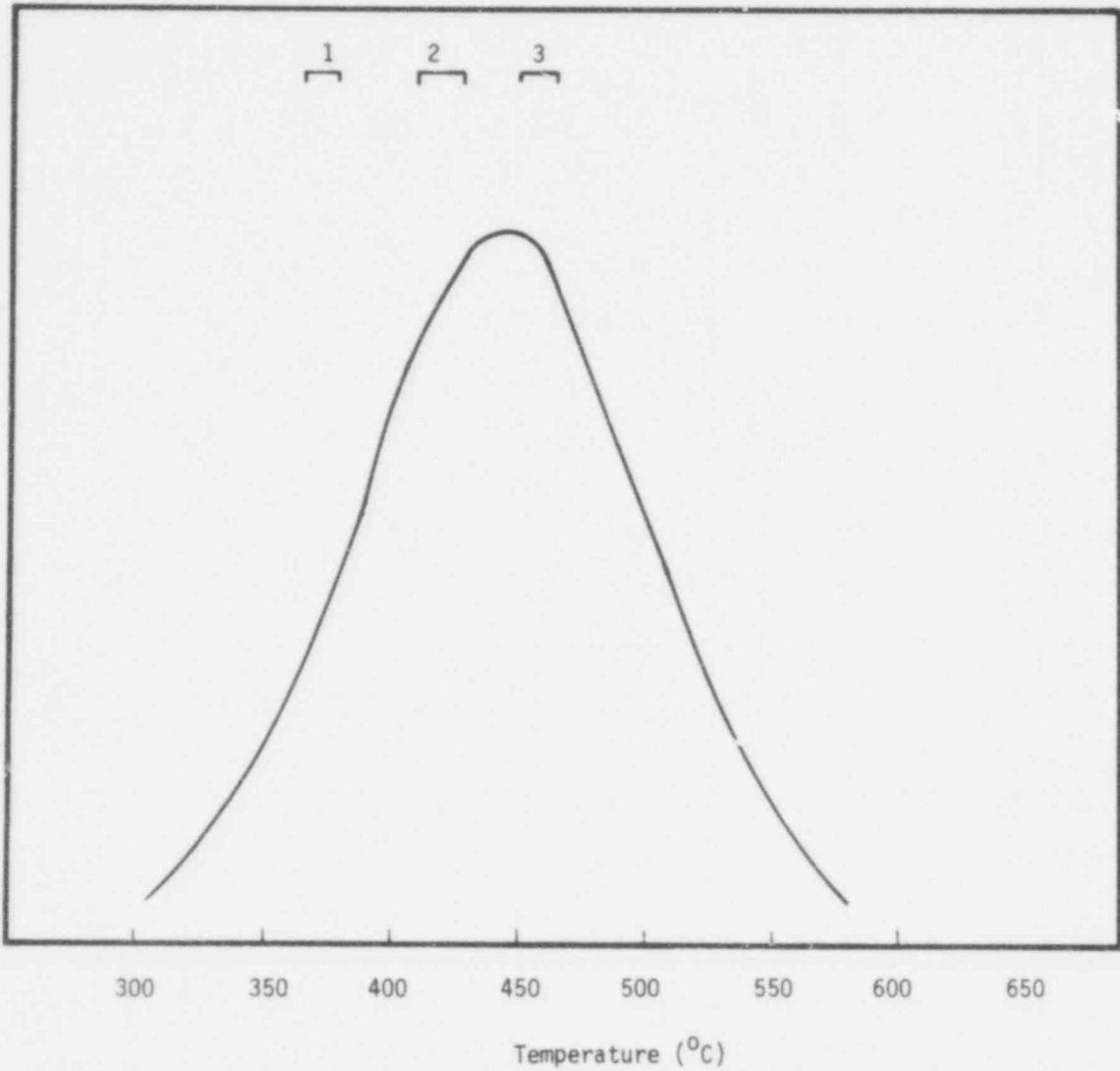


Figure N3 - 1. The Temperature of the Irradiated Swelling, and the Temperature Range Across the Clad Wall

733 233

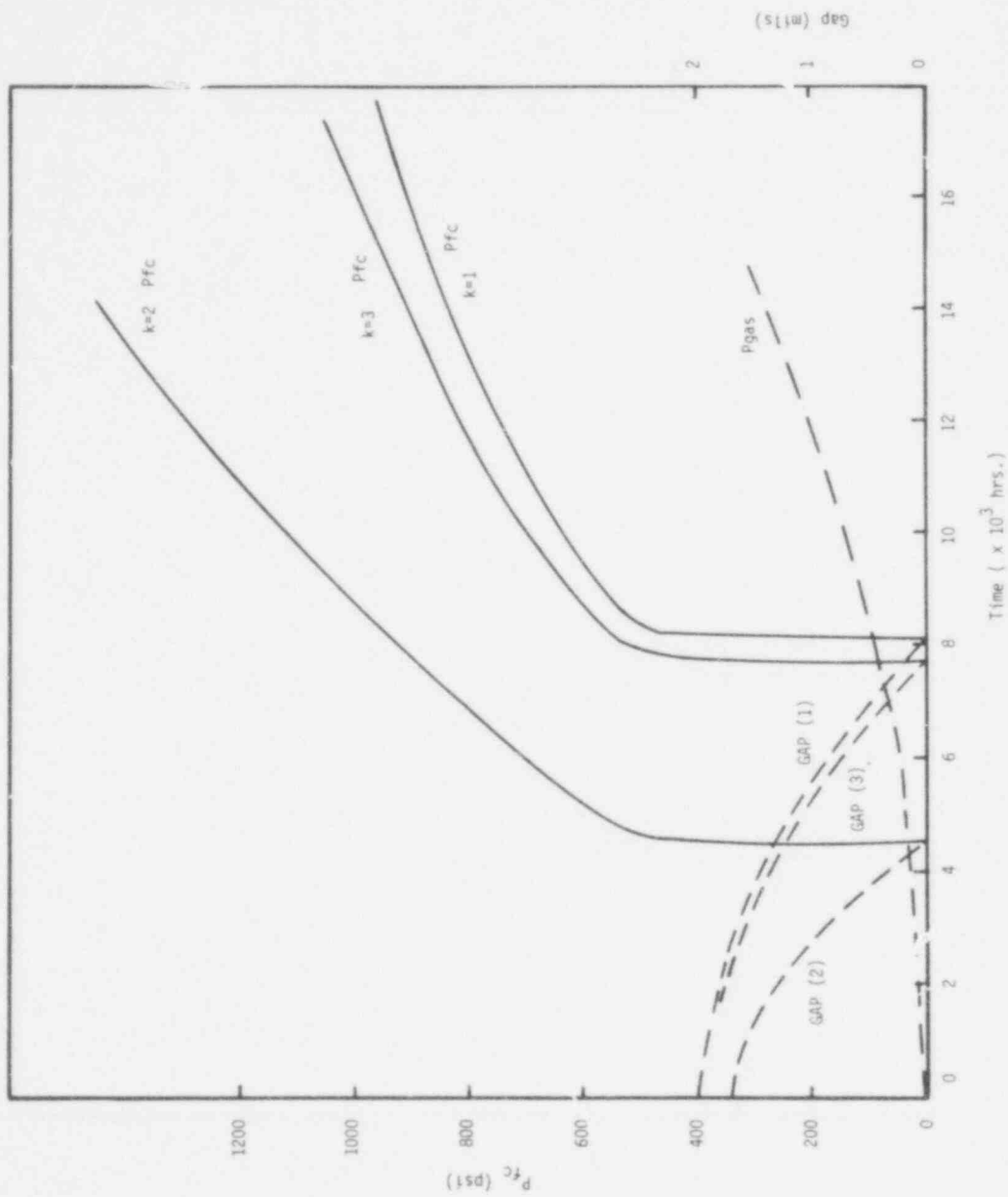


Fig. N3.2 The Fuel-Clad Gap Closure (GAP), the Fuel-Clad Interaction Force (P_{fc}), and the Plenum Pressure (P_{gas}). (Case N3)

733 234

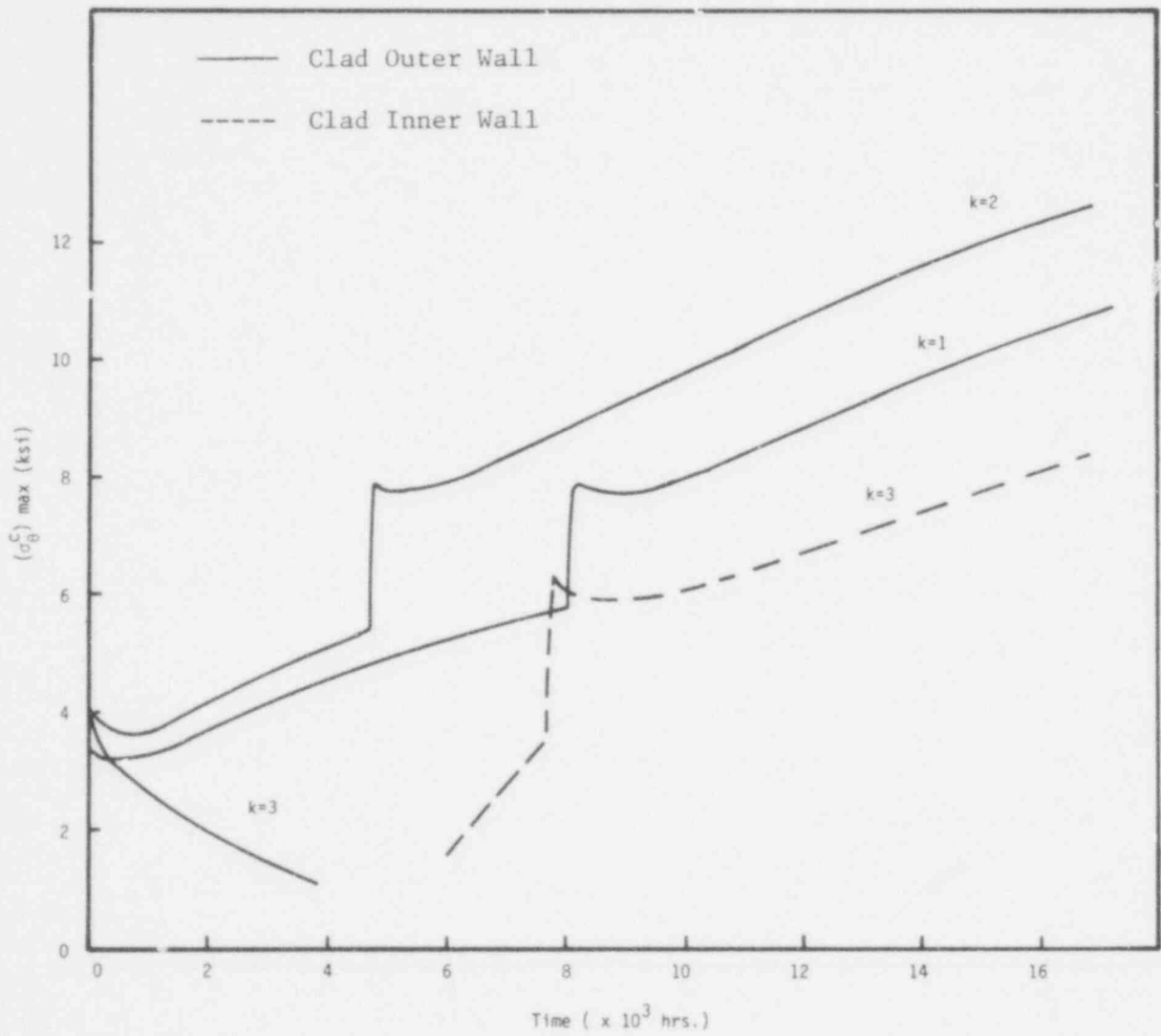


Fig. N3.3 The Maximum Hoop Stress in the Clad (Case N3).

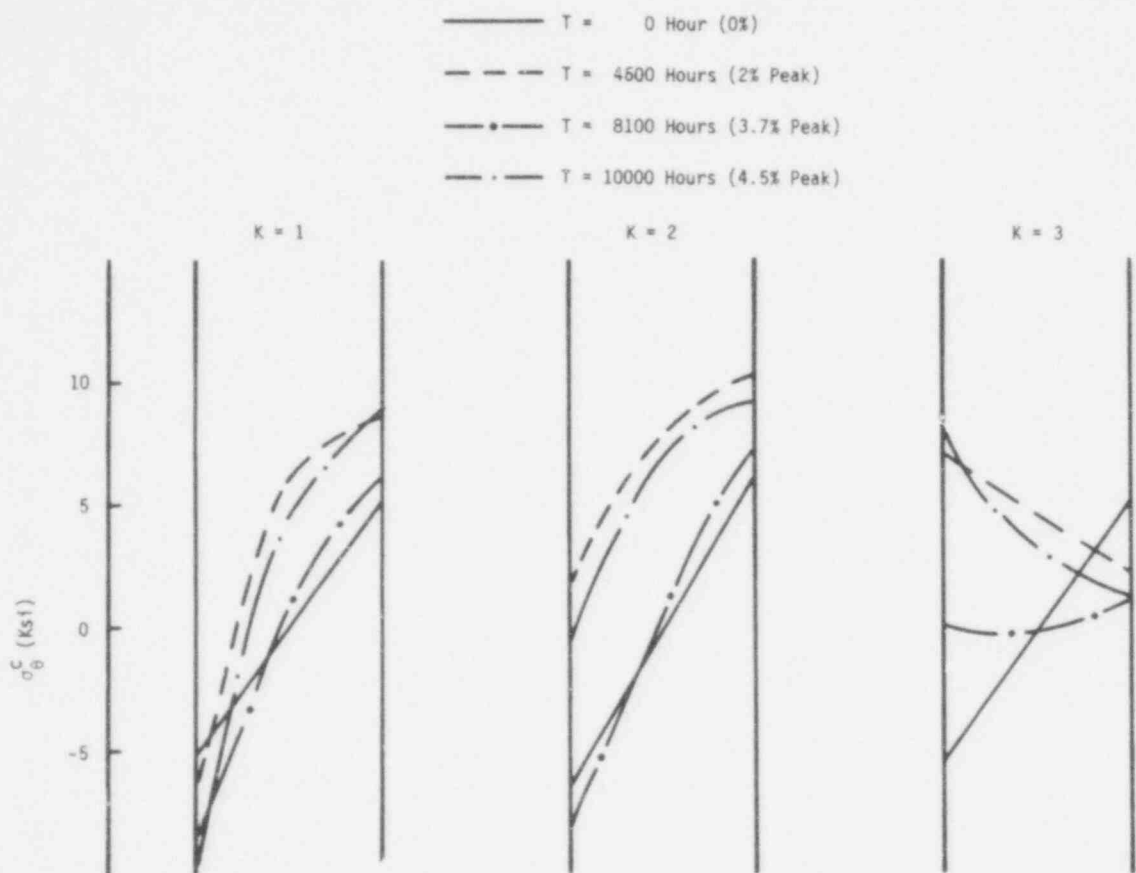


Figure N3 - 4. The Distribution of the Hoop Stress Across the Clad Wall (Case N3)

733 236

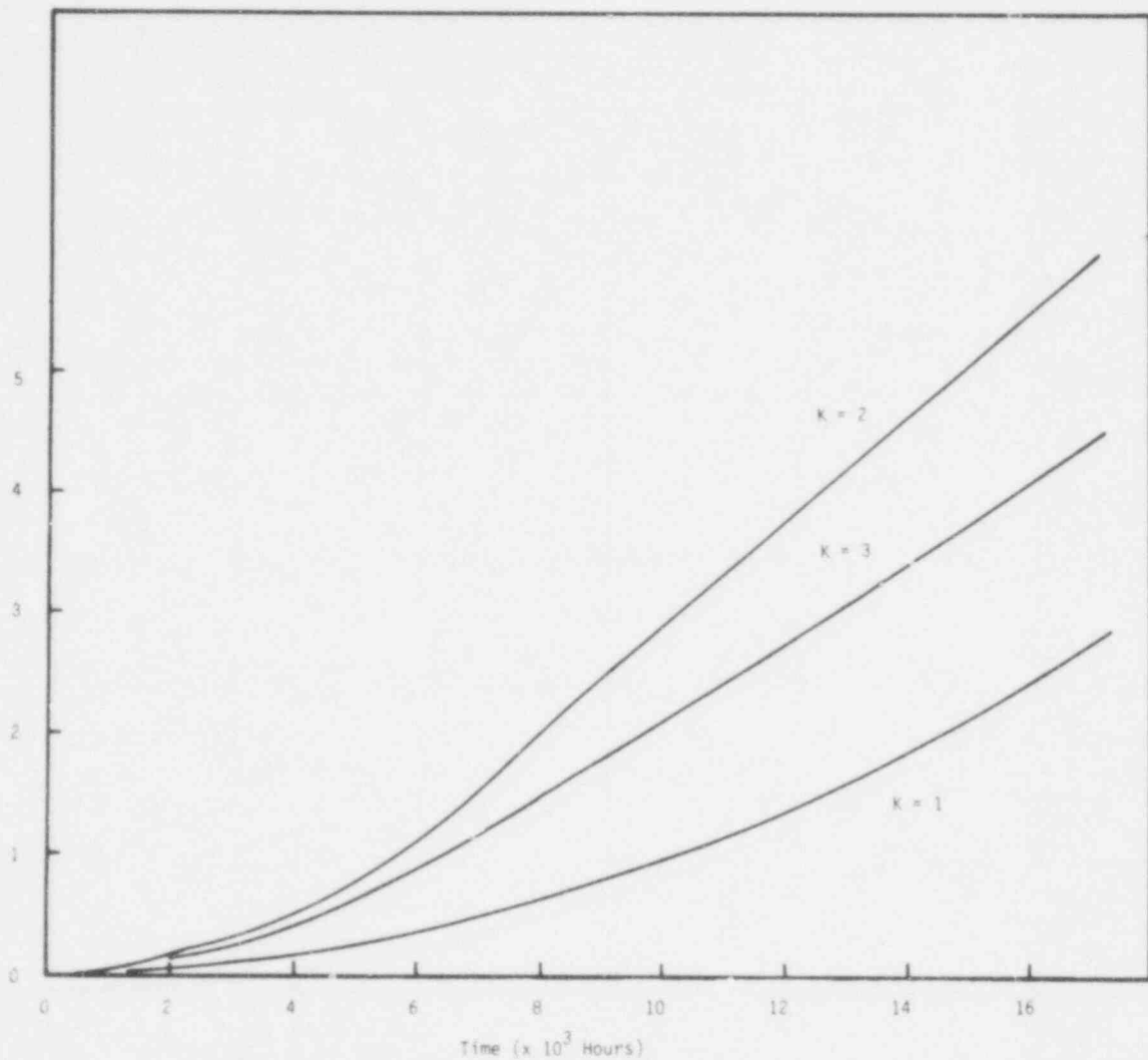


Figure N3 - 5. The Hoop Strain in the Clad (Case N3)

733 237

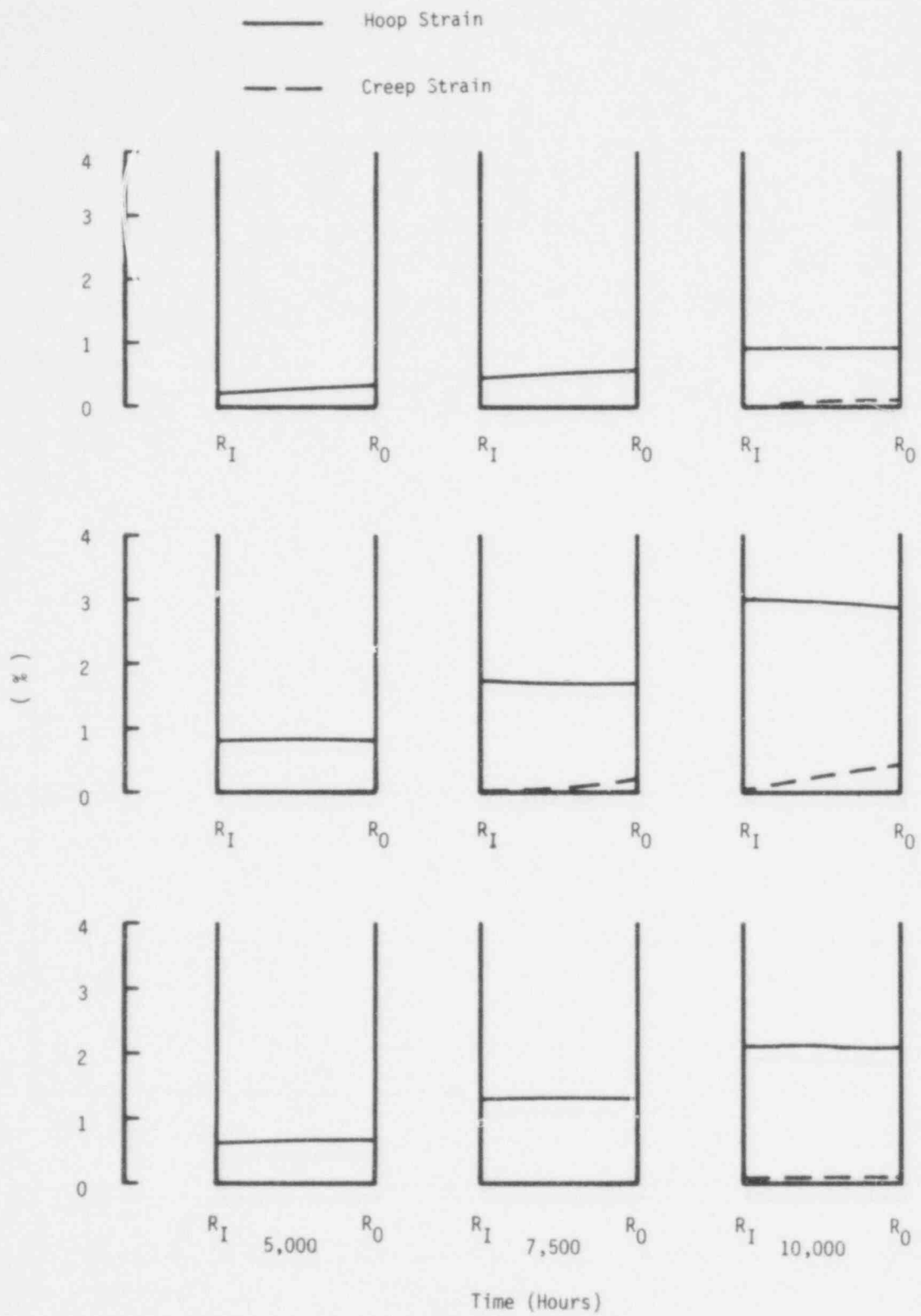


Figure N3 - 6. The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall (Case N3) 33 238

6 kW/ft Cases
Case N4

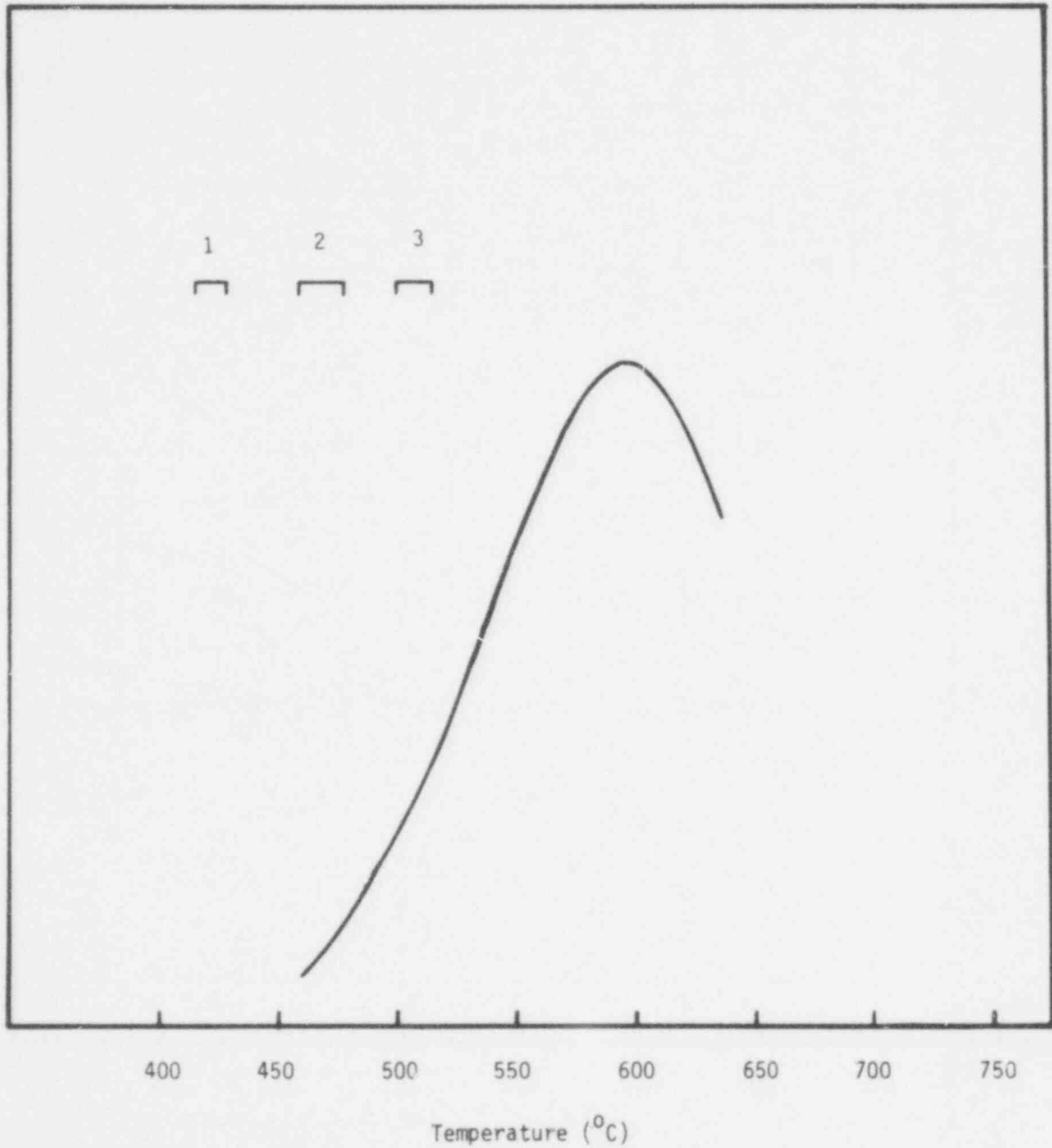


Figure N4 - 1. The Temperature Dependence of the Irradiated Swelling, and the Temperature Range Across the Clad

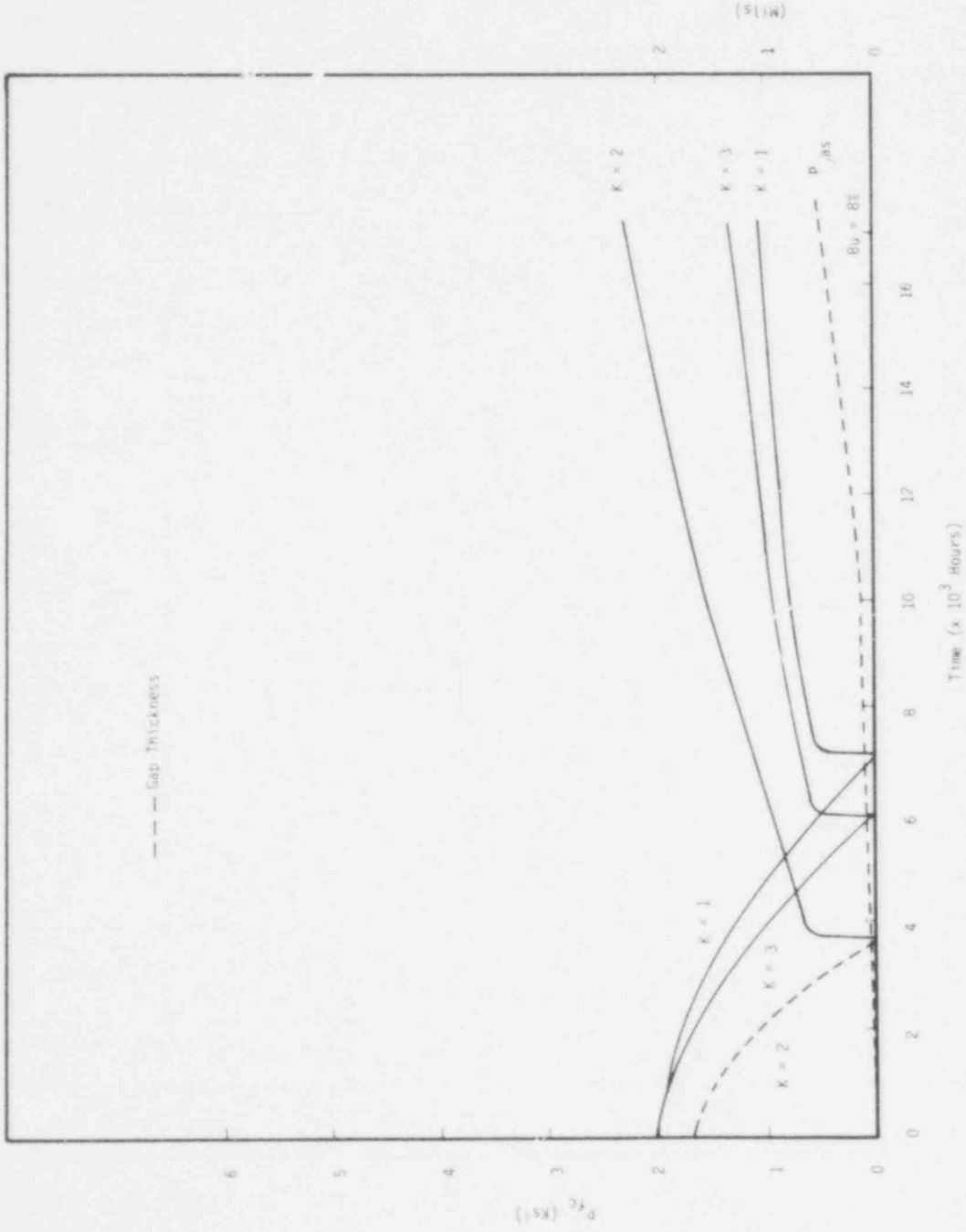


Figure N4 - 2. The Fuel-Clad Interaction Force (P_{fc}), the Gap Thickness and the Plenum Pressure (P_{gas}) in Each Axial Section (Case N4)

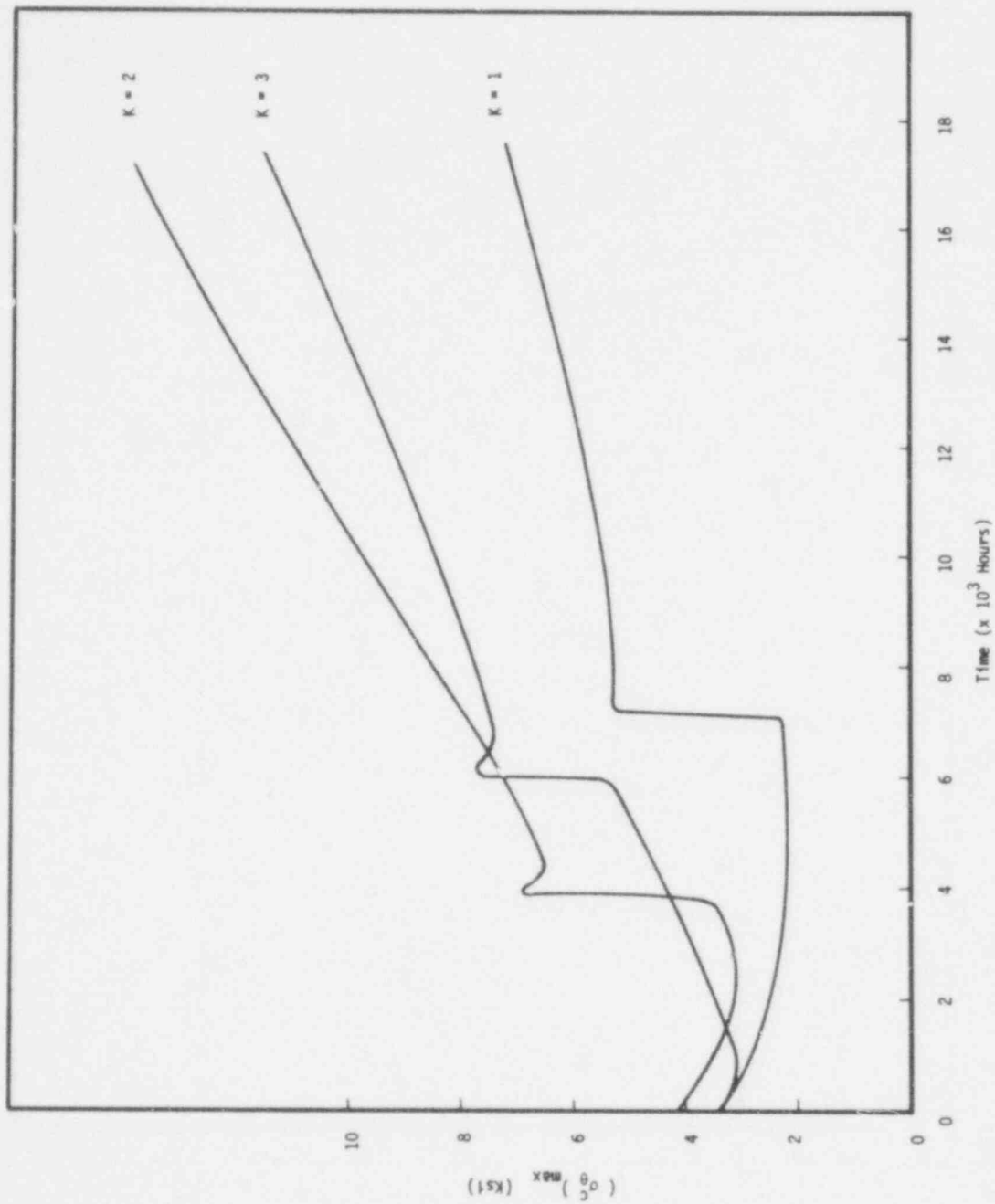


Figure M4 - 3. The Maximum Hoop Stress in the Clad (Case M4)

733 241

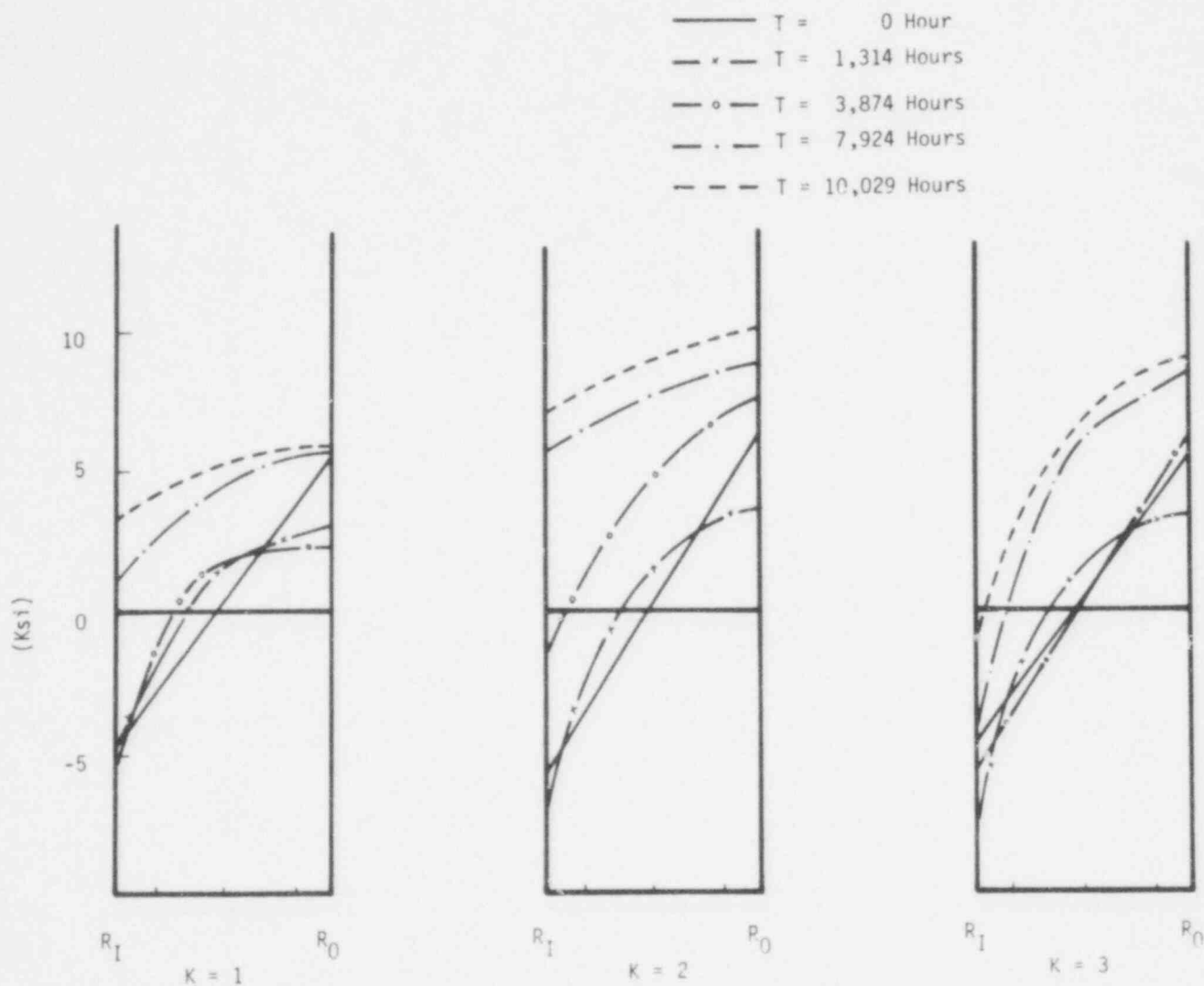


Figure N4 - 4. The Distribution of Hoop Stress Across the Clad Wall (Case N4)

733 242

POOR ORIGINAL

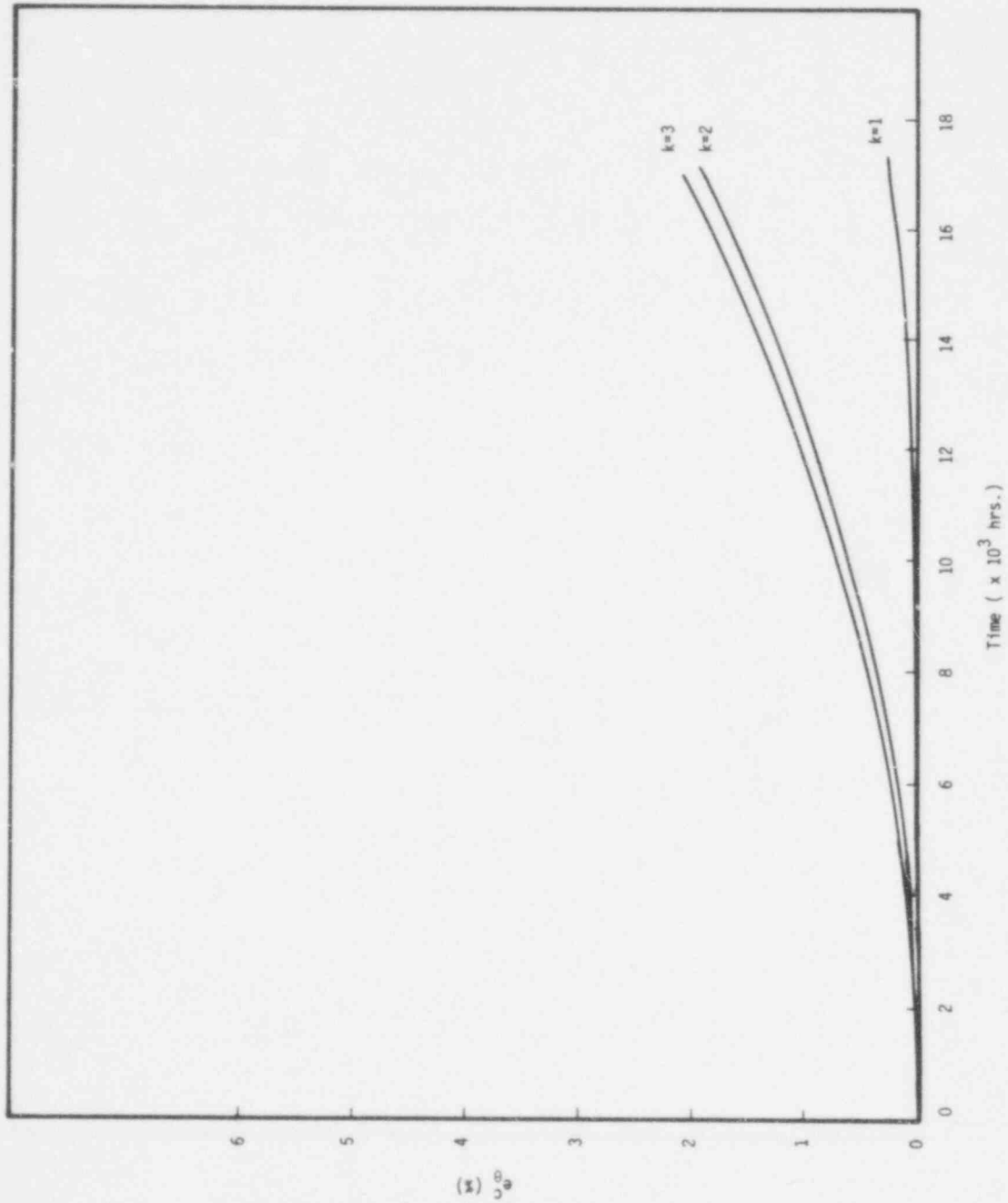


Fig. M.5 The Hoop Strain in the Clad.

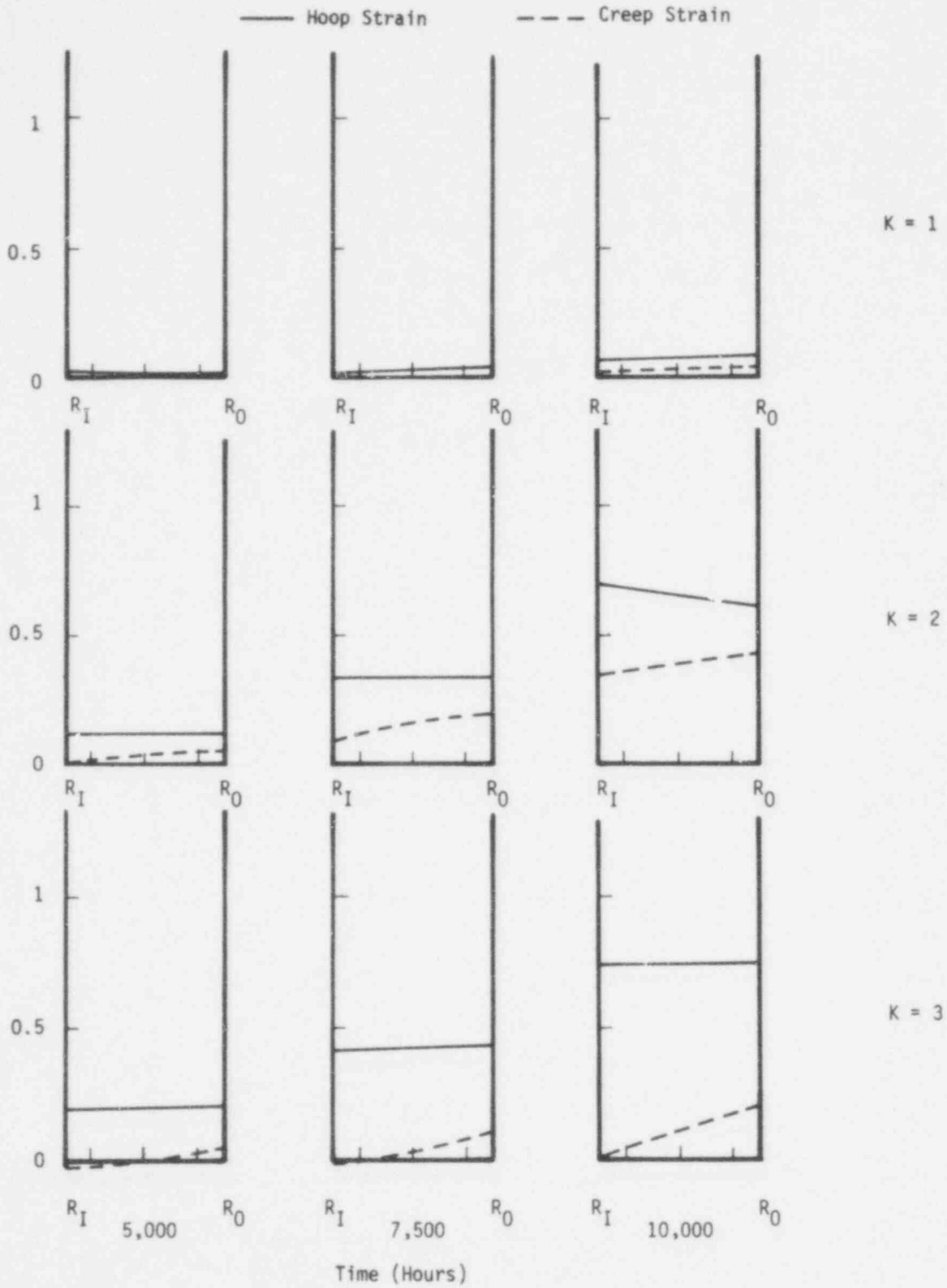


Figure N4 - 6. The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall (Case N4)

733 211

CONCEPTUAL LMFBR CALCULATIONS
 15 kW/ft Cases
 Case H0

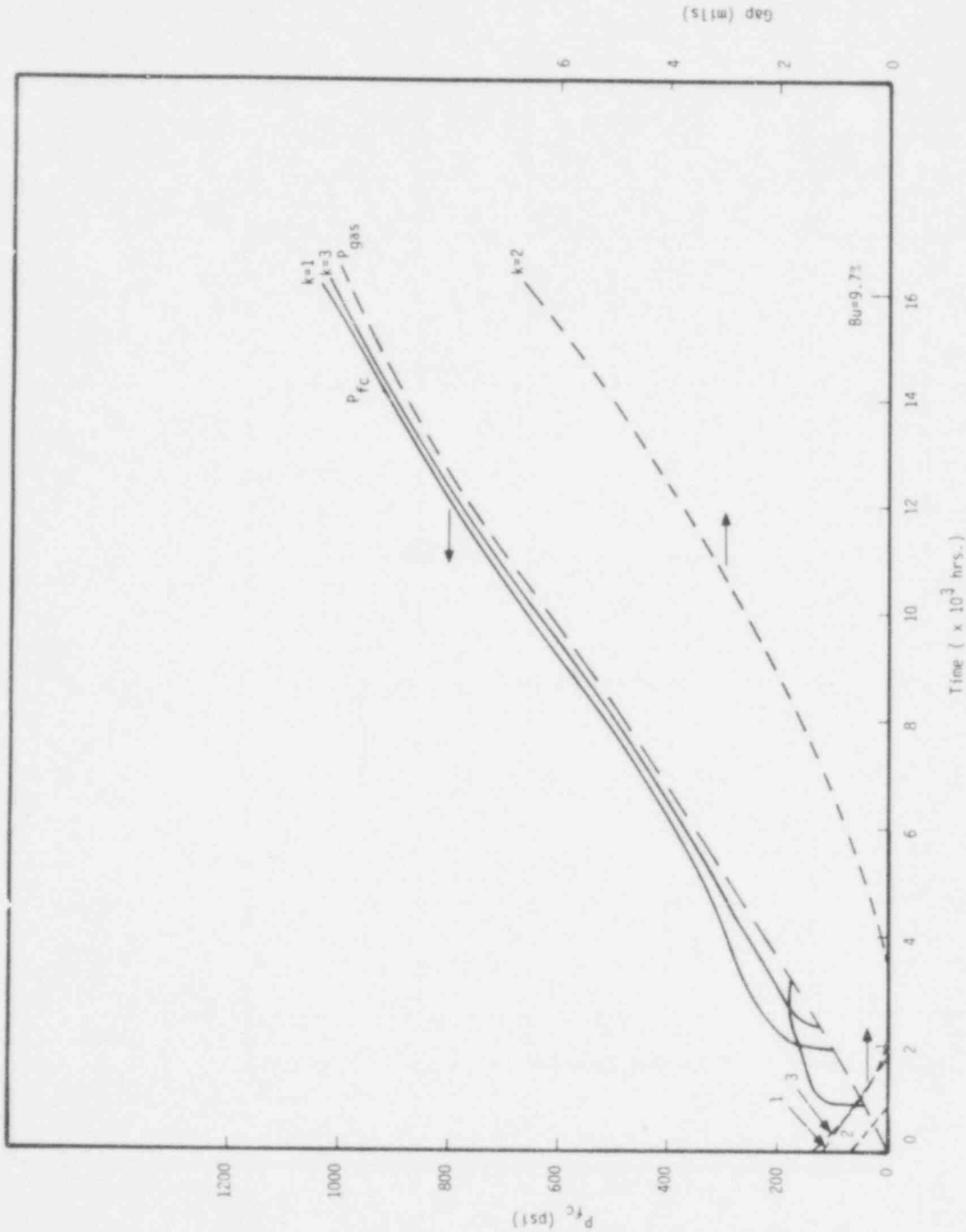


Fig. H0.1 The Fuel-Clad Gap Closure, the Fuel-Clad Interaction Force (P_{fc}), and the Plenum Pressure (Case H0)

POOR ORIGINAL

733 245

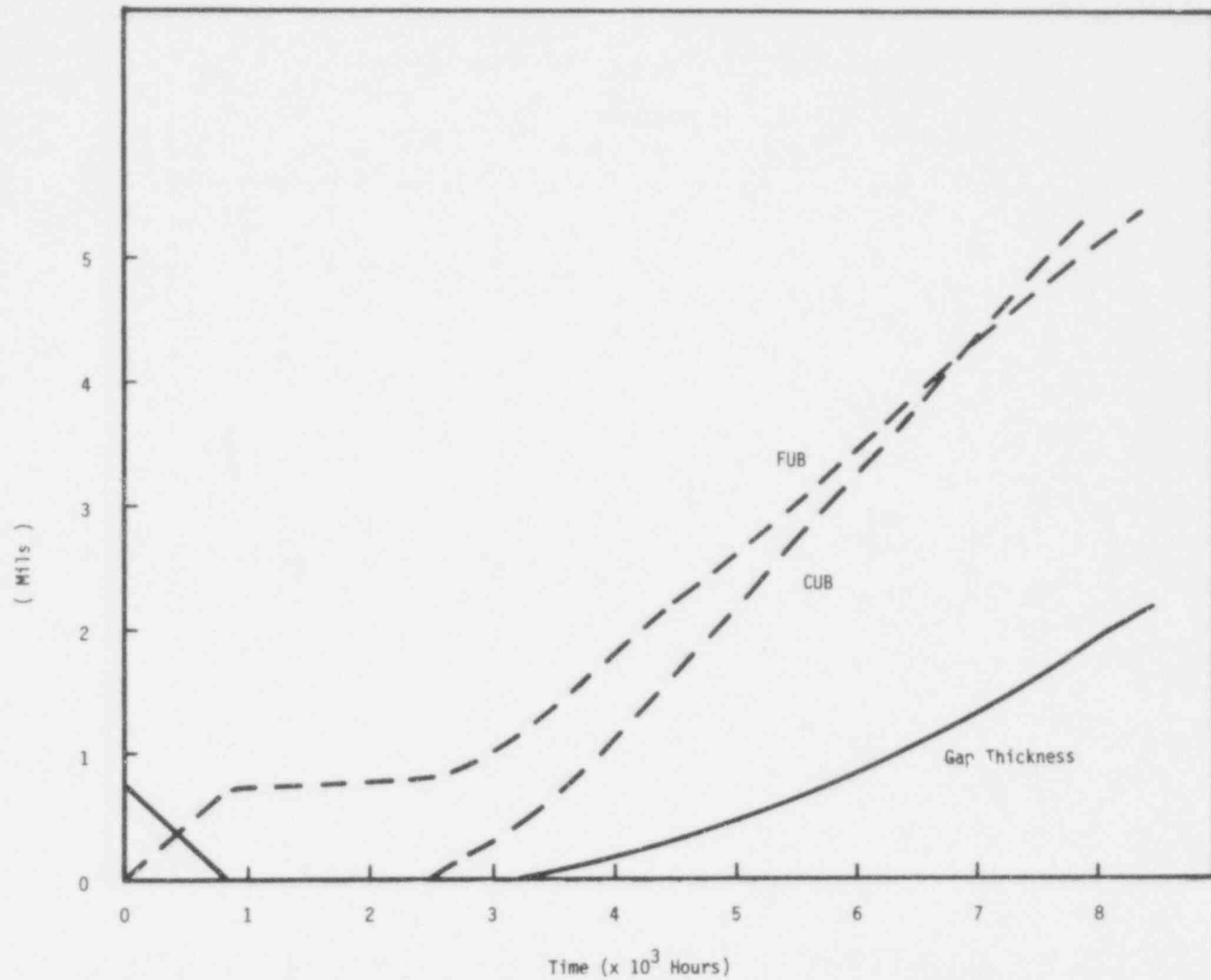


Figure H0 - 2. Fuel Outer Boundary Displacement (FUB), Clad Inner Wall Displacement (CUB) and Gap Thickness of 2nd Axial Section in Case H0

733
246

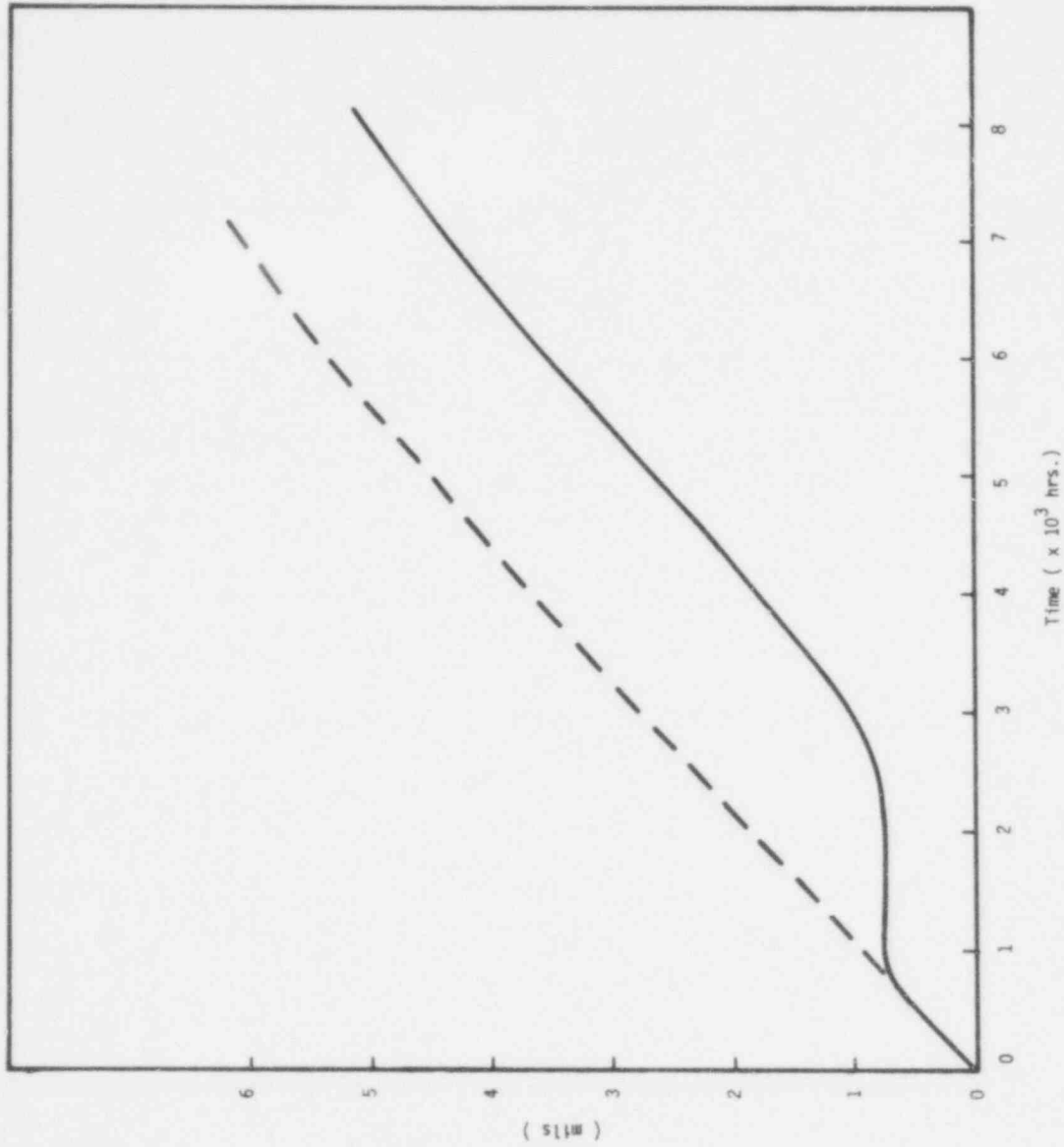


Fig. H0.3 Fuel Boundary Movement and the Effect of Clad Confinement in the Second Axial Section. (Case H0)

733 247

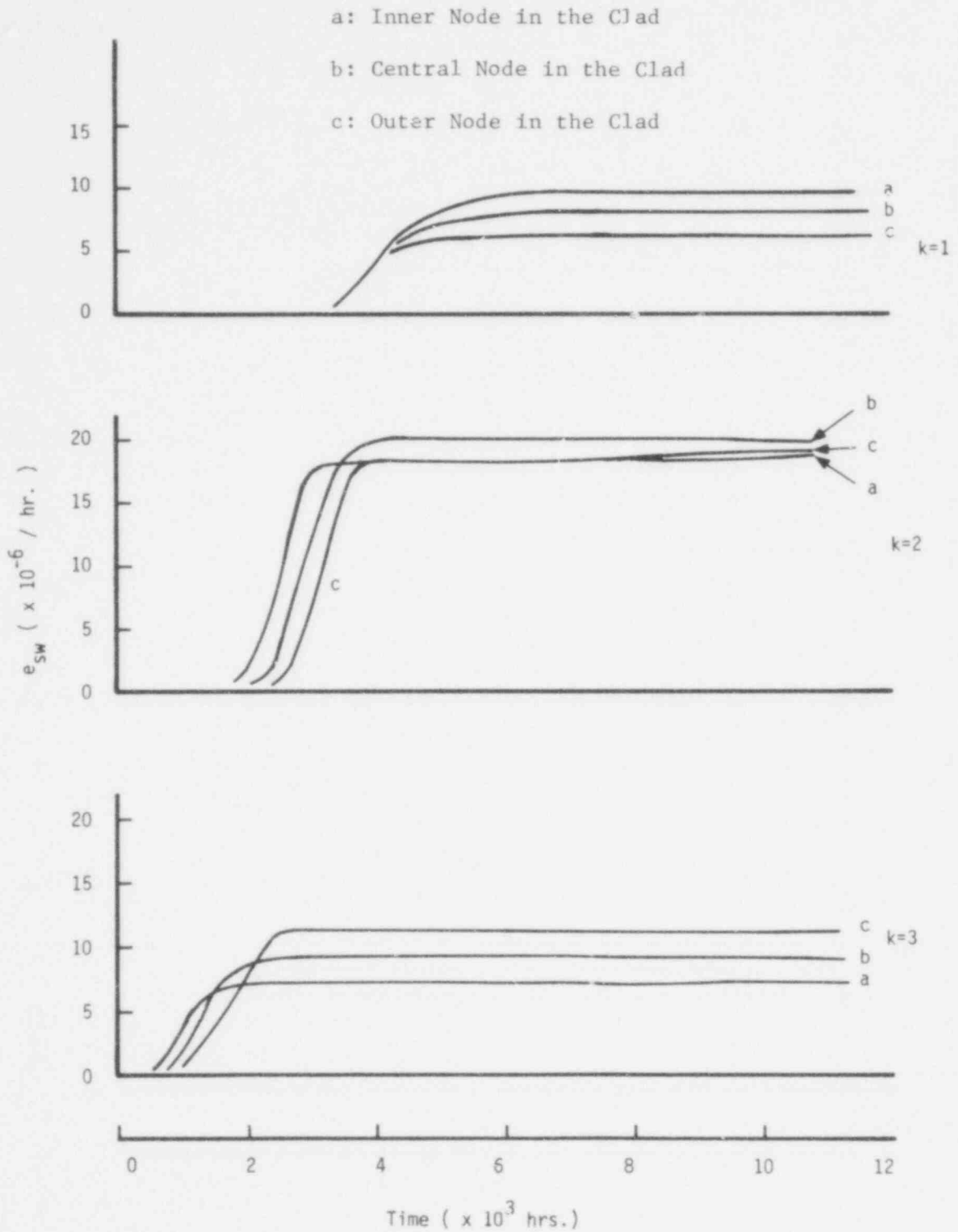


Fig. H0.4 The Rate of the Irradiated Swelling Strain Across the Clad Wall. (Case H0)

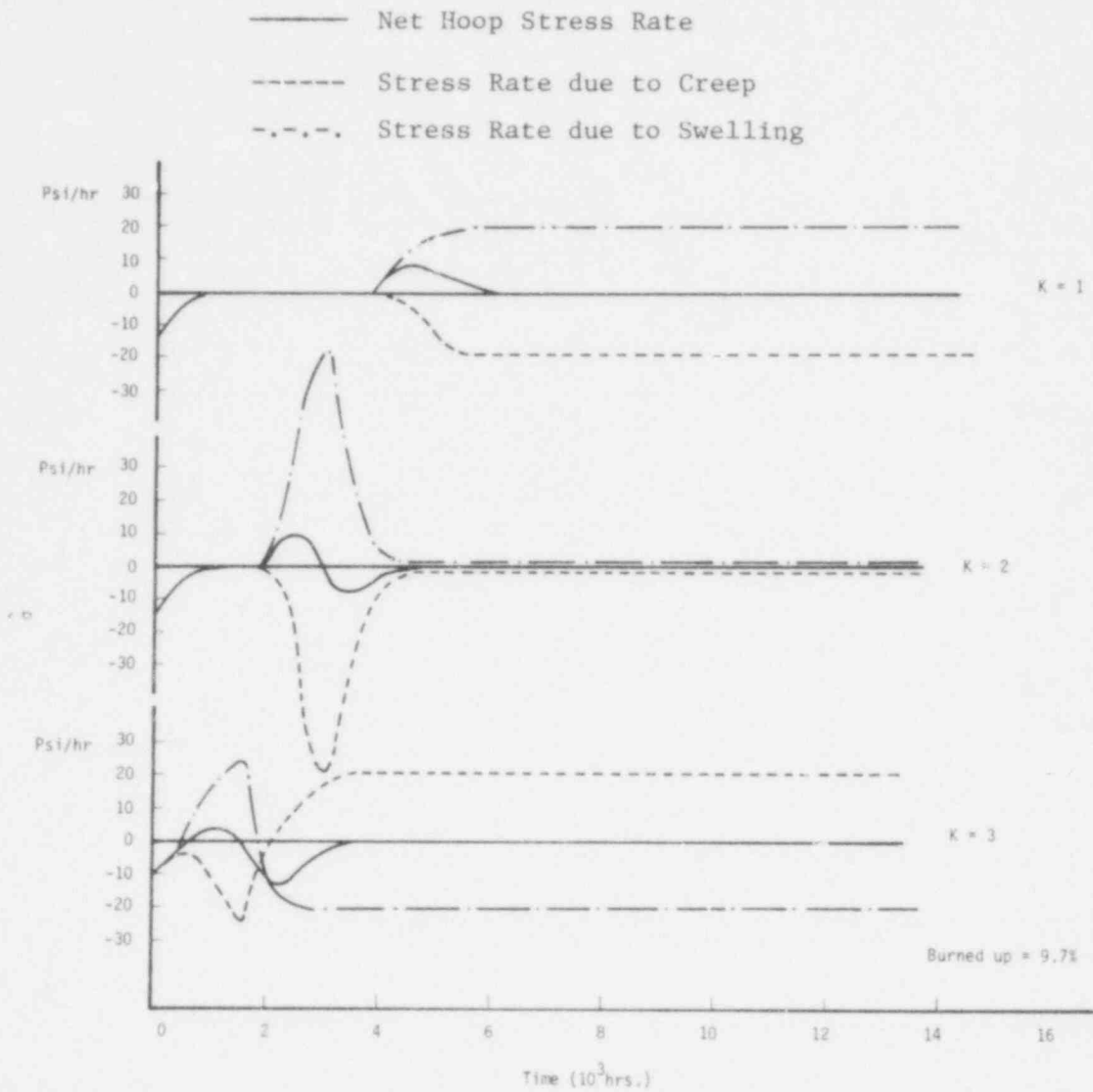


Fig. HO-5 The Net Hoop Rate, and the Hoop Stress Rate Due to the Creep and the Swelling at the Outer Wall of the Clad (Case HO).

POOR ORIGINAL

733 249

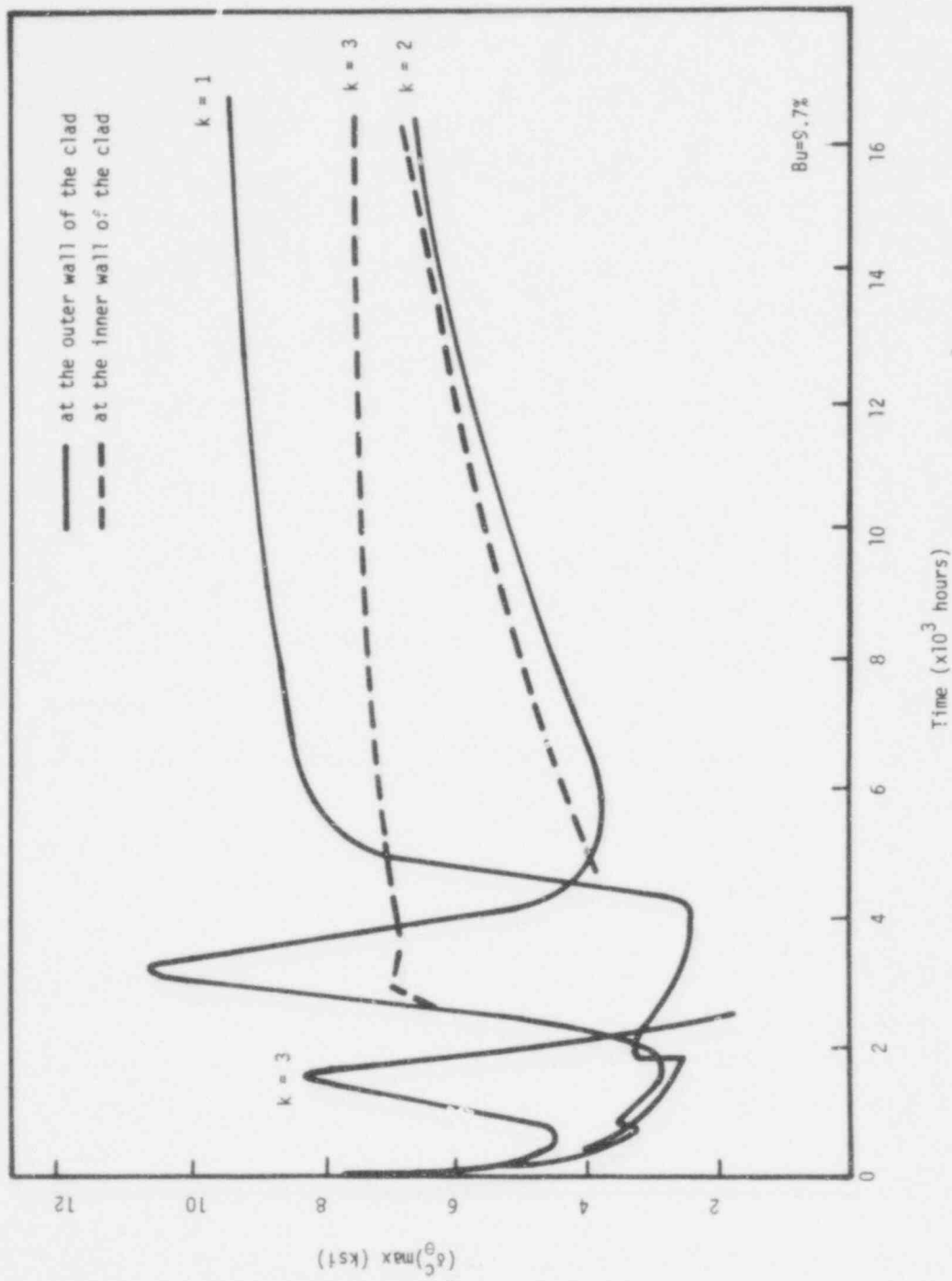


Figure H0 - 6. The Maximum Hoop Stress in the Clad for Each Axial Section (Case H0)

733 250

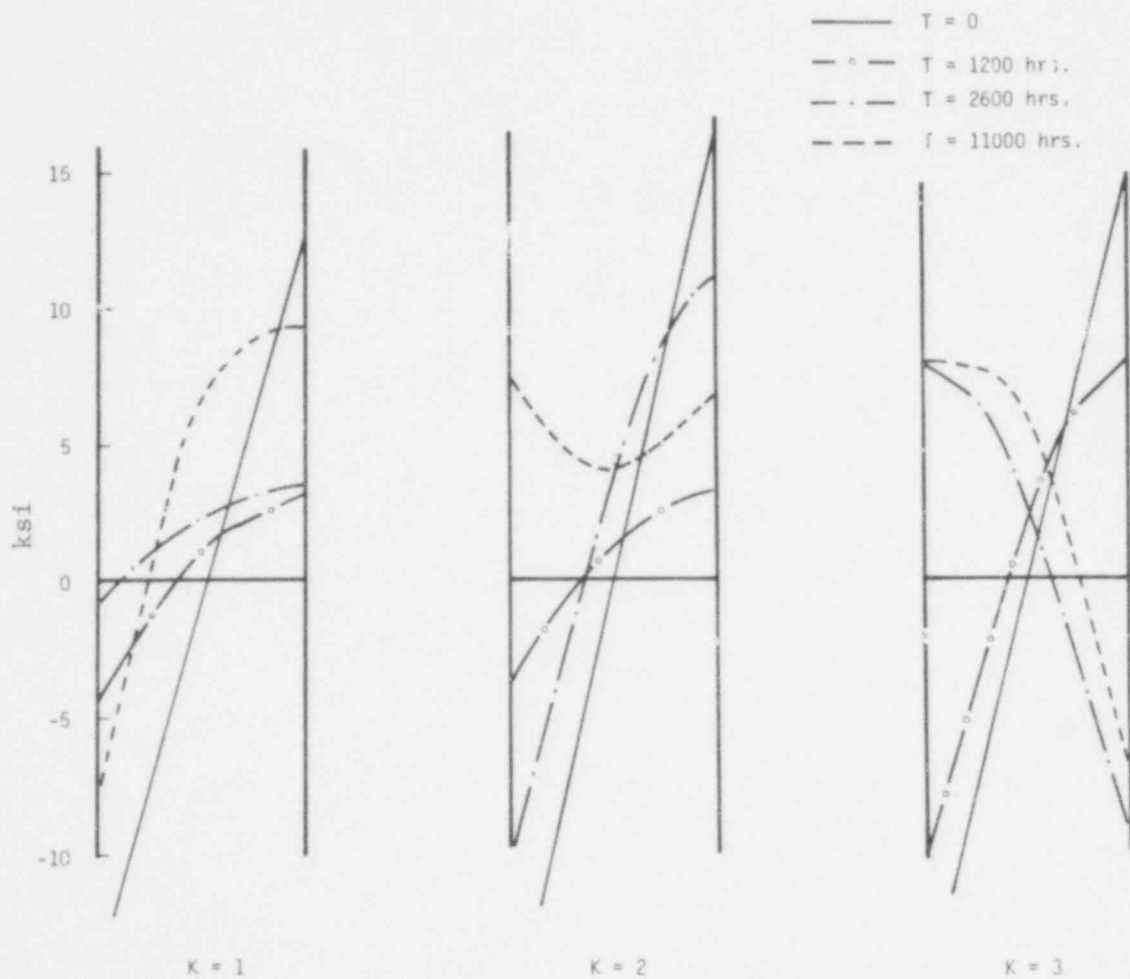


Fig. HO-7 The Distribution of Hoop Stress Across the Clad Wall (Case HO).

POOR ORIGINAL

733 251

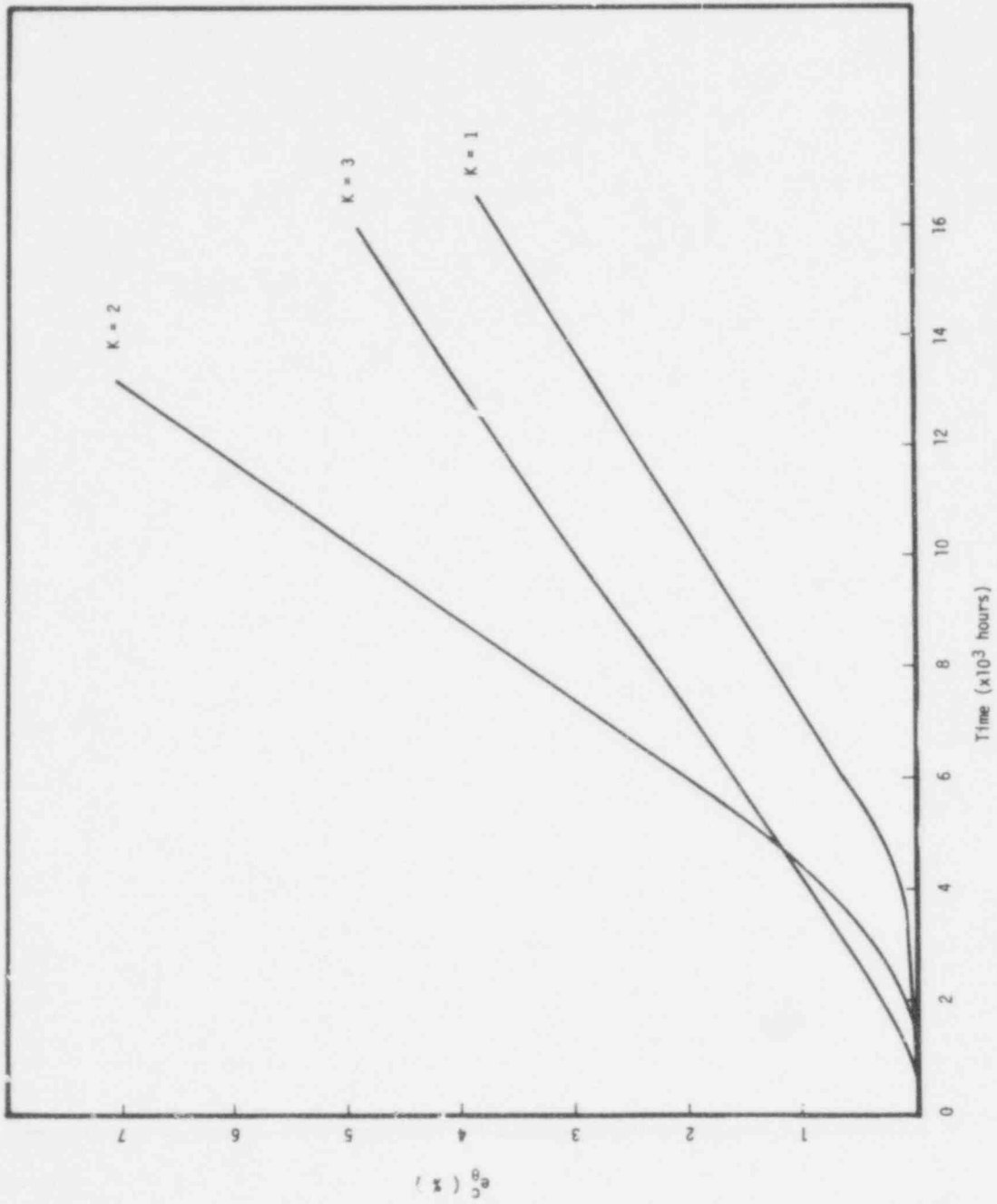


Figure Ho-8 The Hoop Strain at the Outer Wall of the Clad (Case Ho)

733 252



Figure H0 - 9. The Distribution of the Hoop Strain and the Swelling Strain Across the Clad Wall (Case H0)

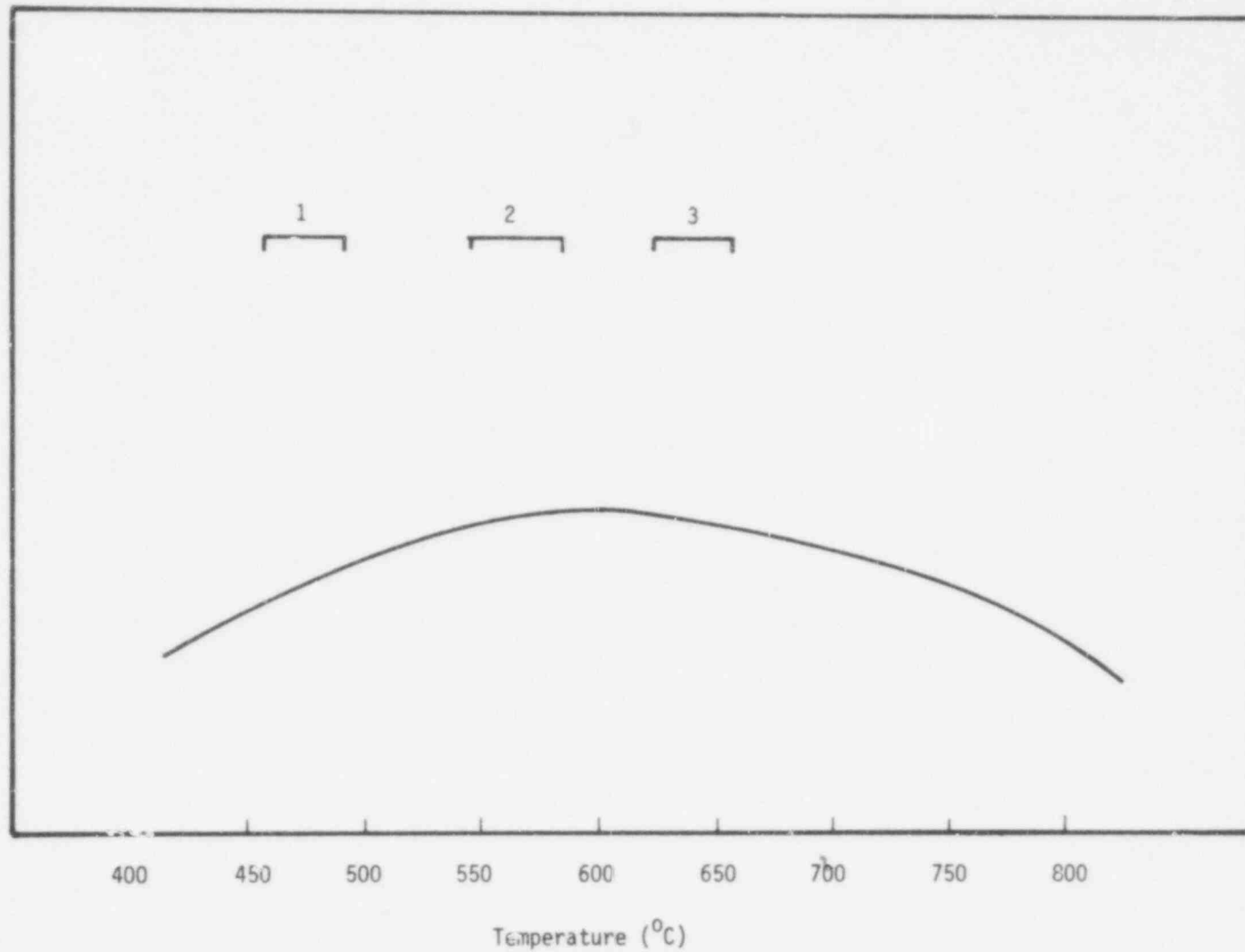


Fig. H1.1 The Temperature Dependence of the Irradiated Swelling, and the Temperature Range Across the Clad Wall.

753
254

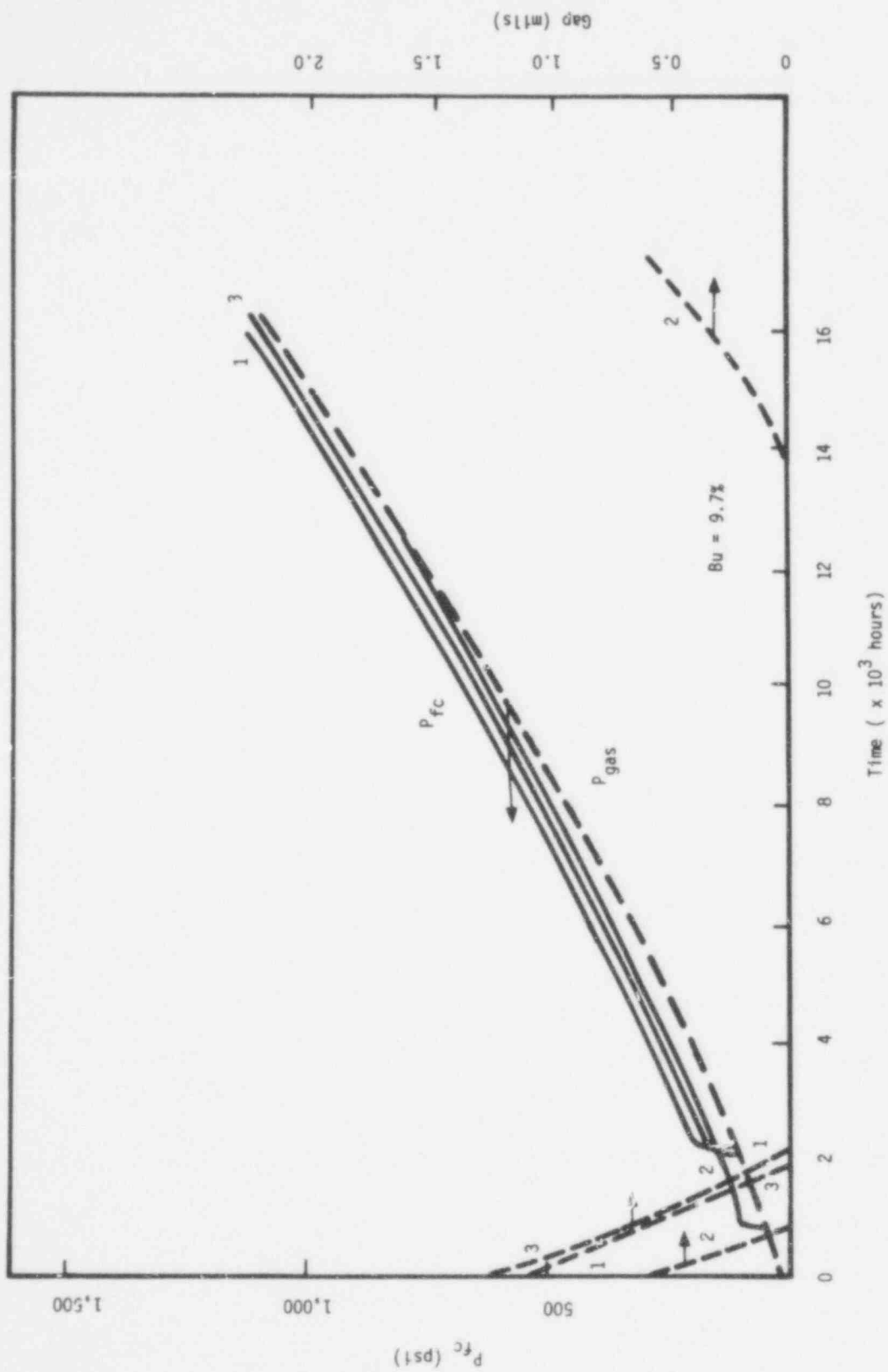


Figure H1 - 2. The Plenum Pressure (P_{gas}), the Fuel-Clad Interaction Force (P_{fc}), and the Fuel-Clad Gap Closure. (Case H1)

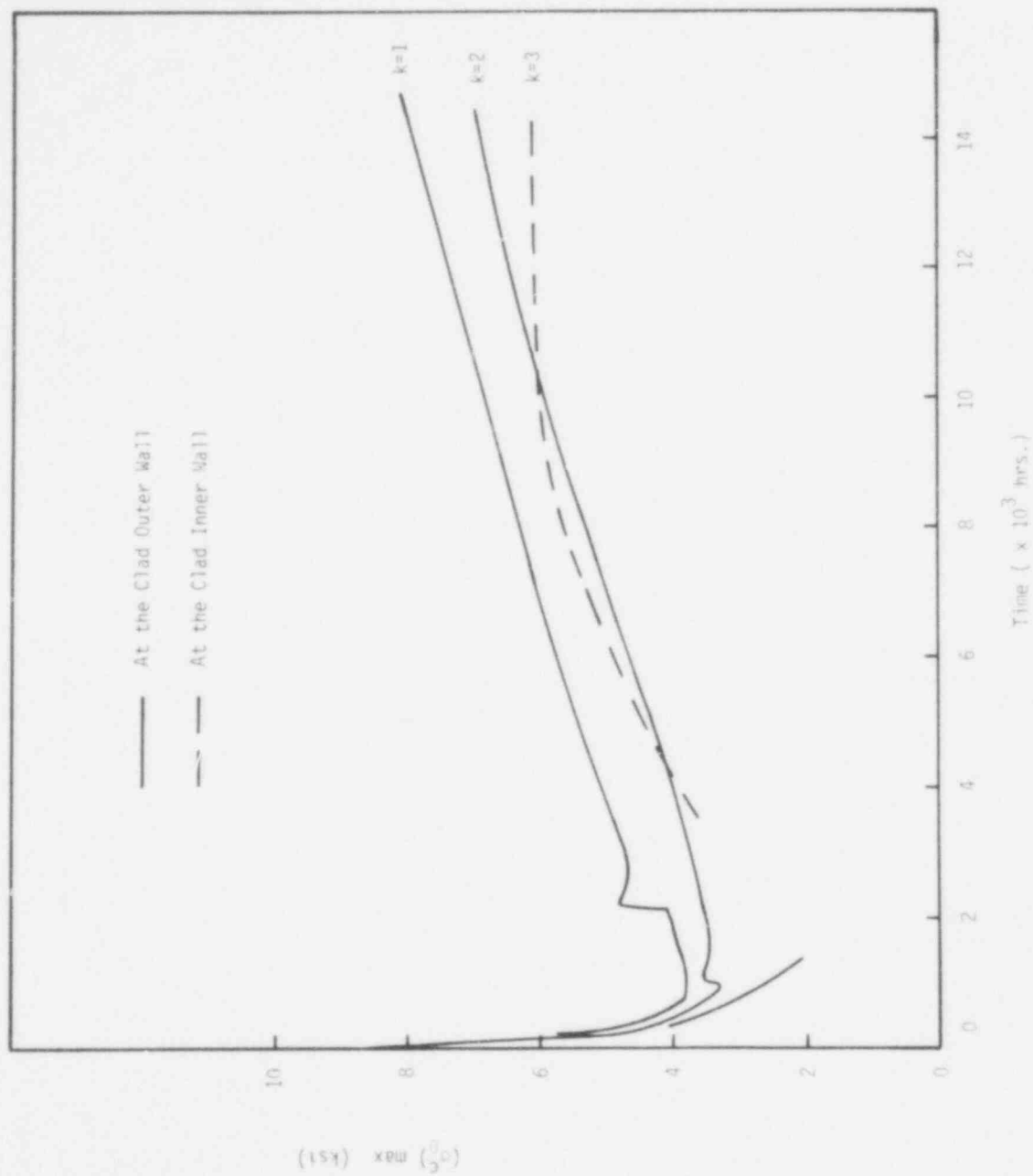


Fig. HI.3 The Maximum Hoop Stress in the Clad. (Case HI)

733 256

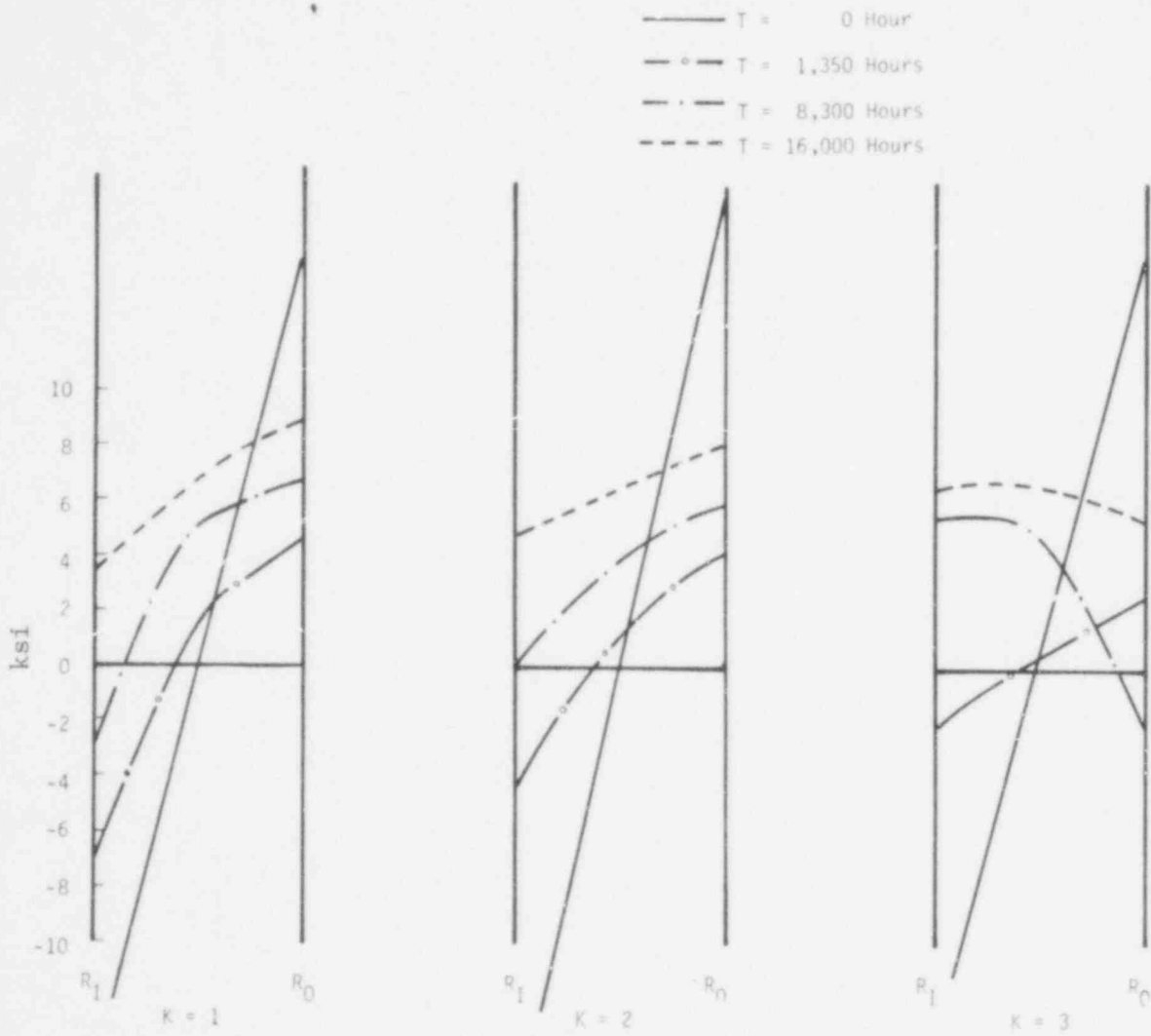


Figure H1 - 4. The Radial Distribution of the Hoop Stress Across the Clad Wall (Case H1)

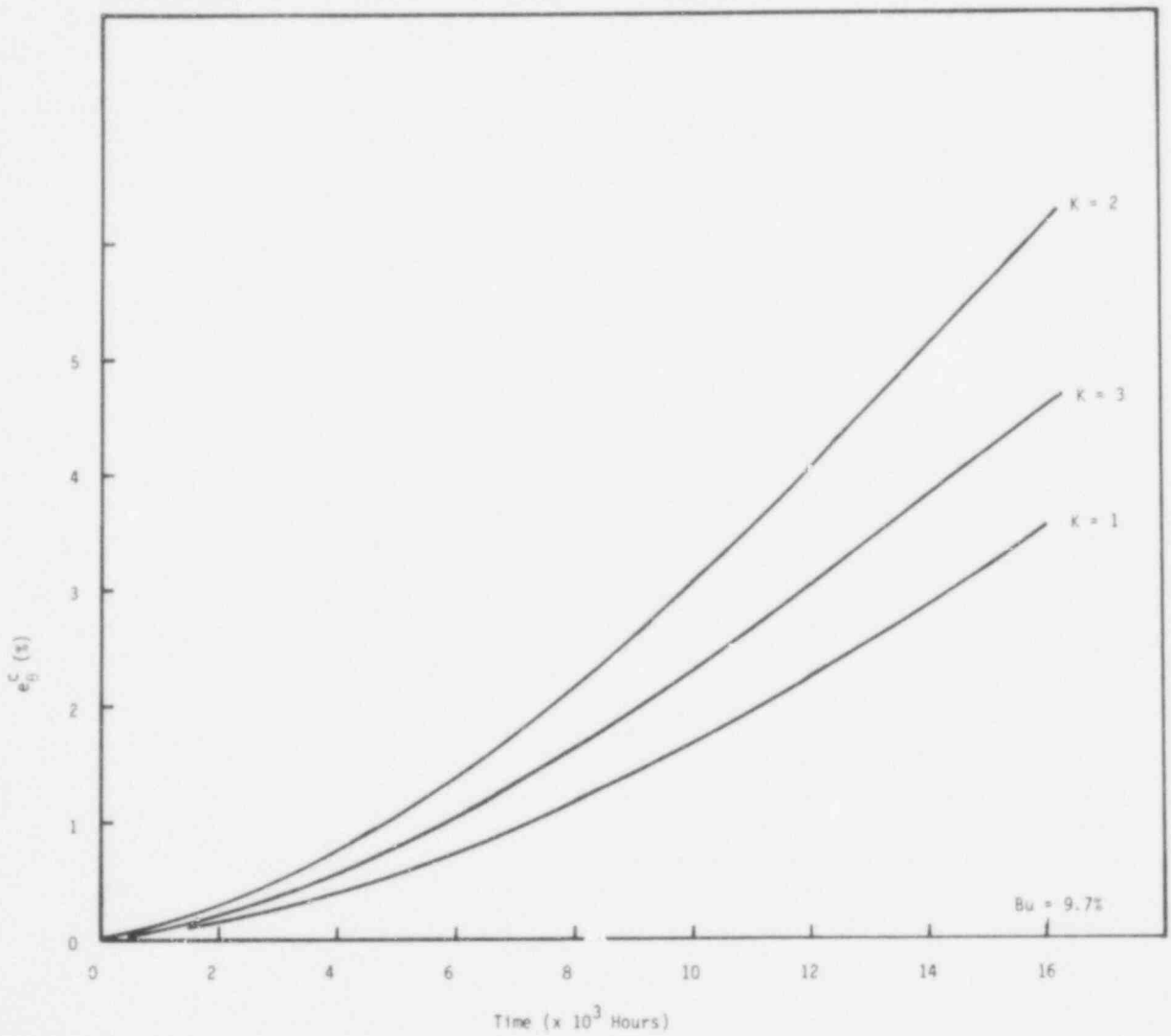


Figure H1 - 5. The Hoop Strain in the Clad (Case H1)

733 258

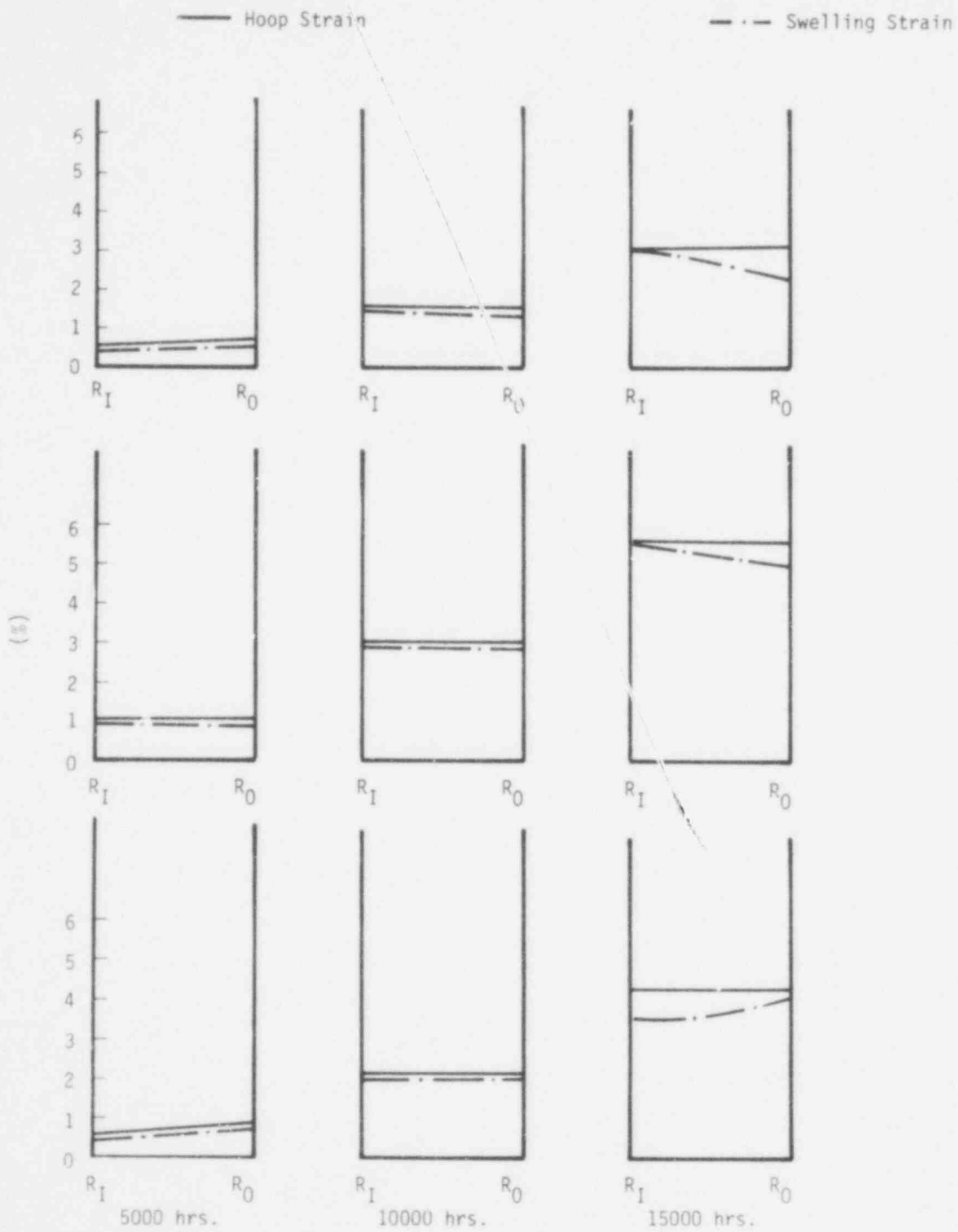


Fig. H1.6 The Distribution of the Hoop Strain and the Irradiated Swelling Strain Across the Clad Wall. (Case H1)

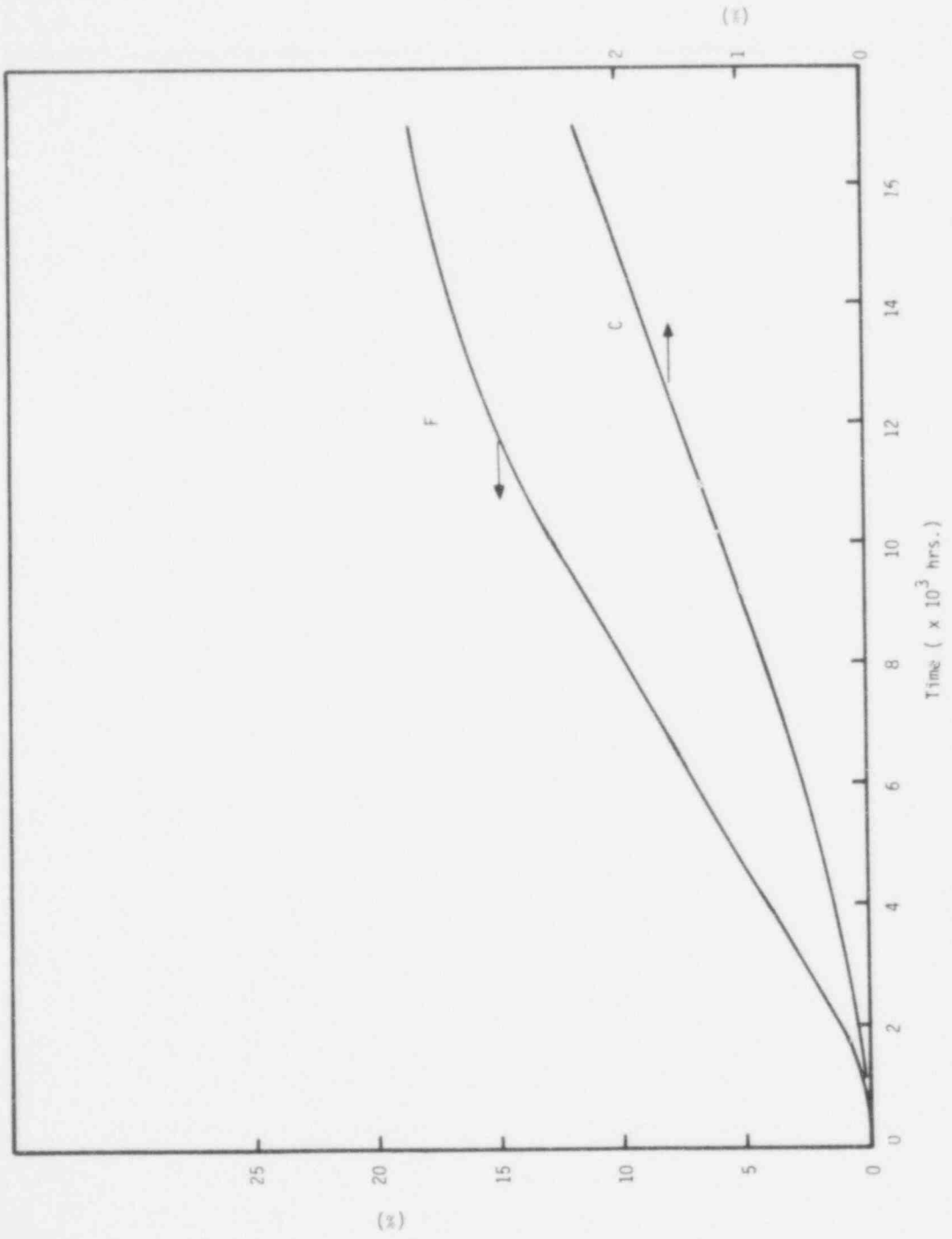


Fig. H1.7 The Percentage of Axial Displacement for the Fuel and the Clad. (Case H1)

733 200

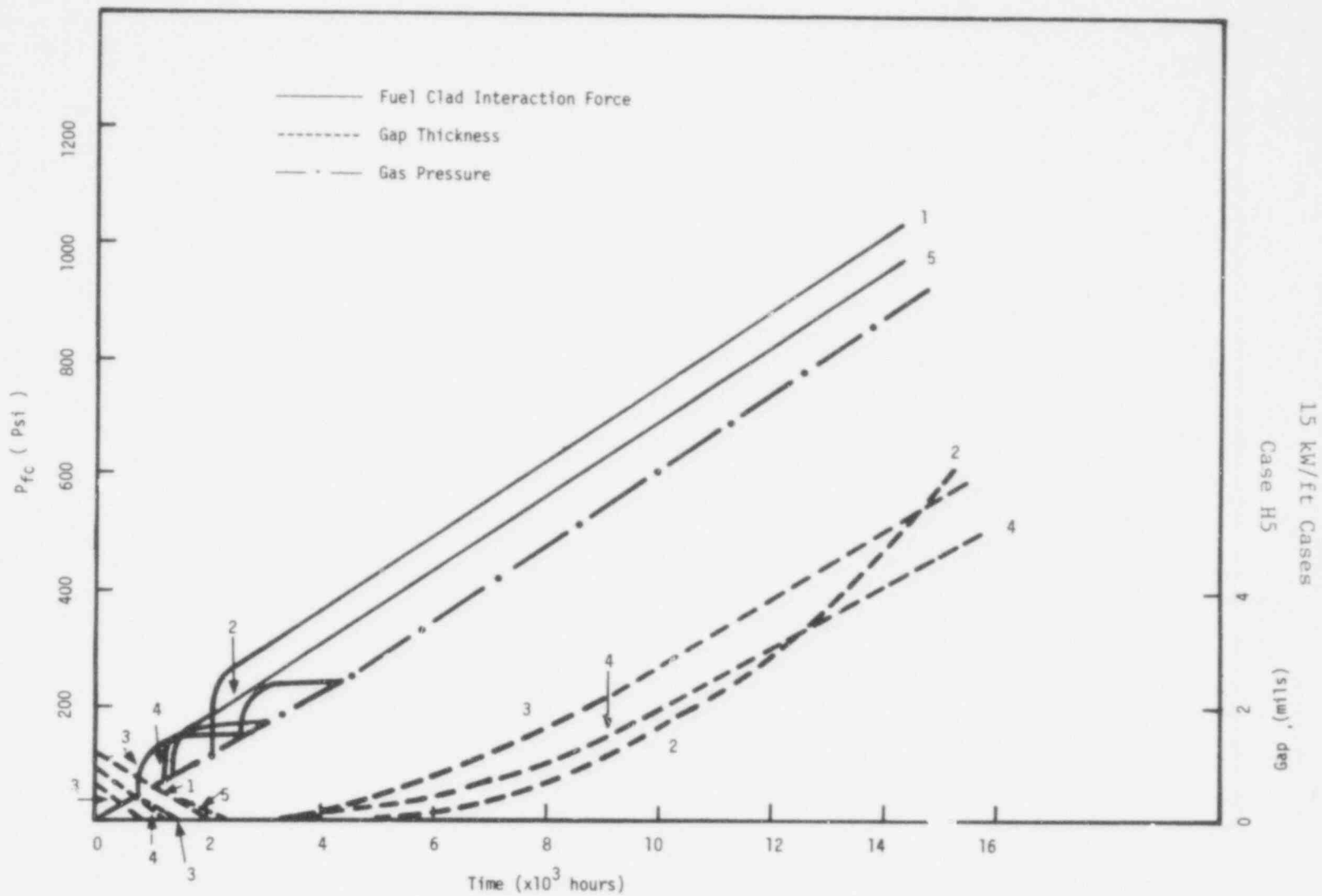


Figure H5 - 1. The Gap Thickness, the Fuel Clad Interaction Force and the Gas Pressure (Case H5).

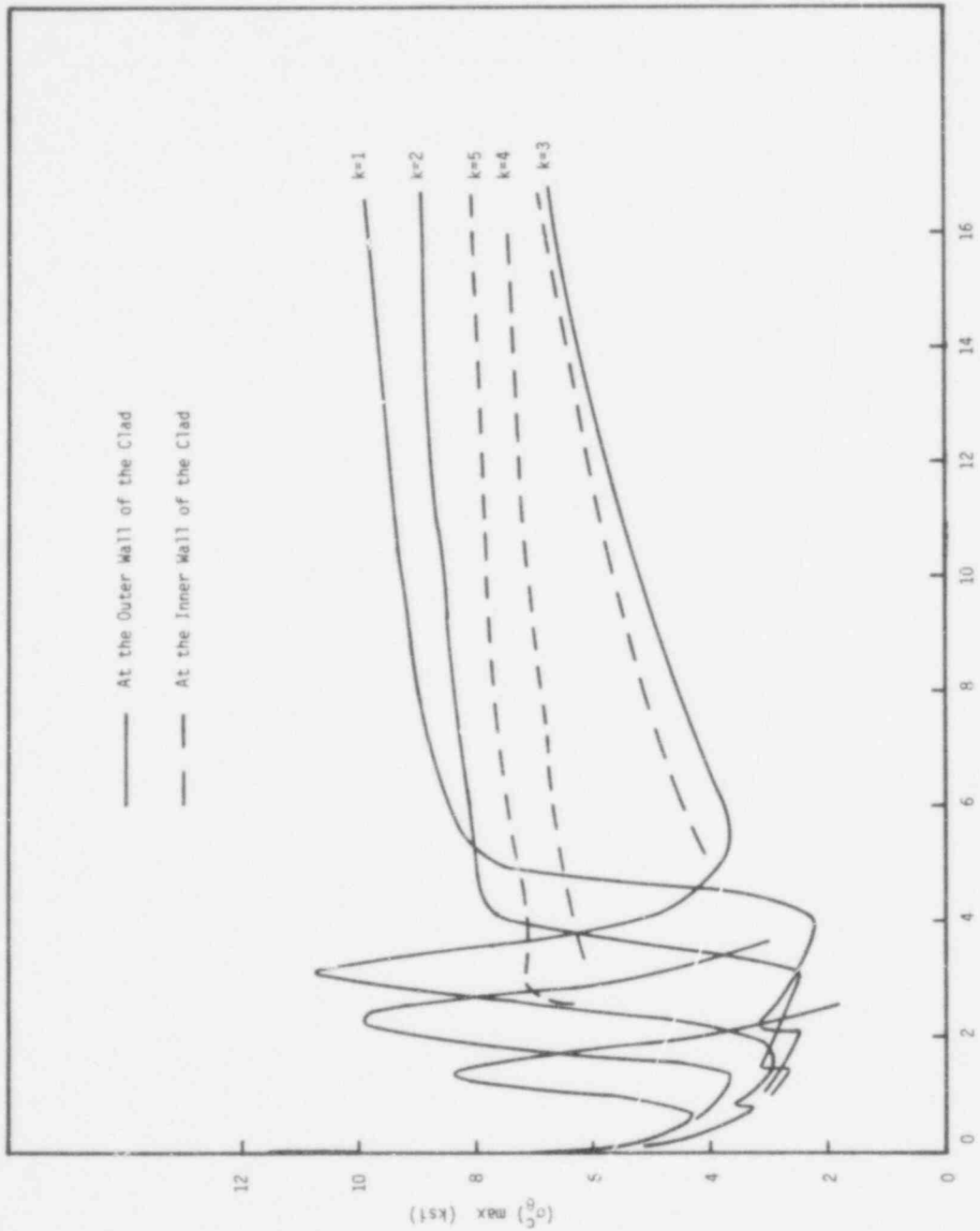


Fig. H5.2 The Maximum Hoop Stress in the Clad. (Case H5)

733 262

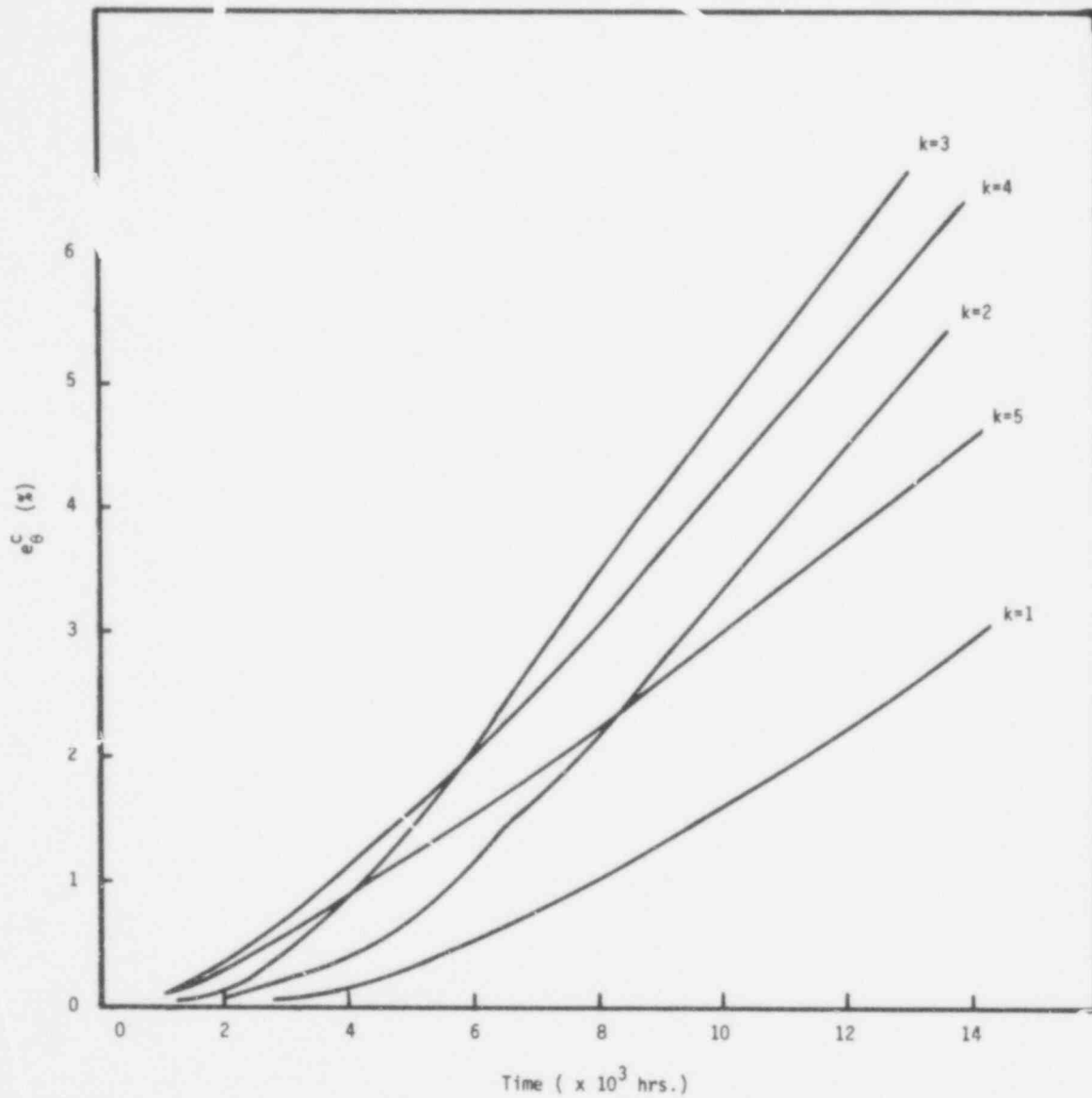


Fig. H5.3 The Hoop Strain in the Clad. (Case H5)

9 kW/ft Cases
Case M0

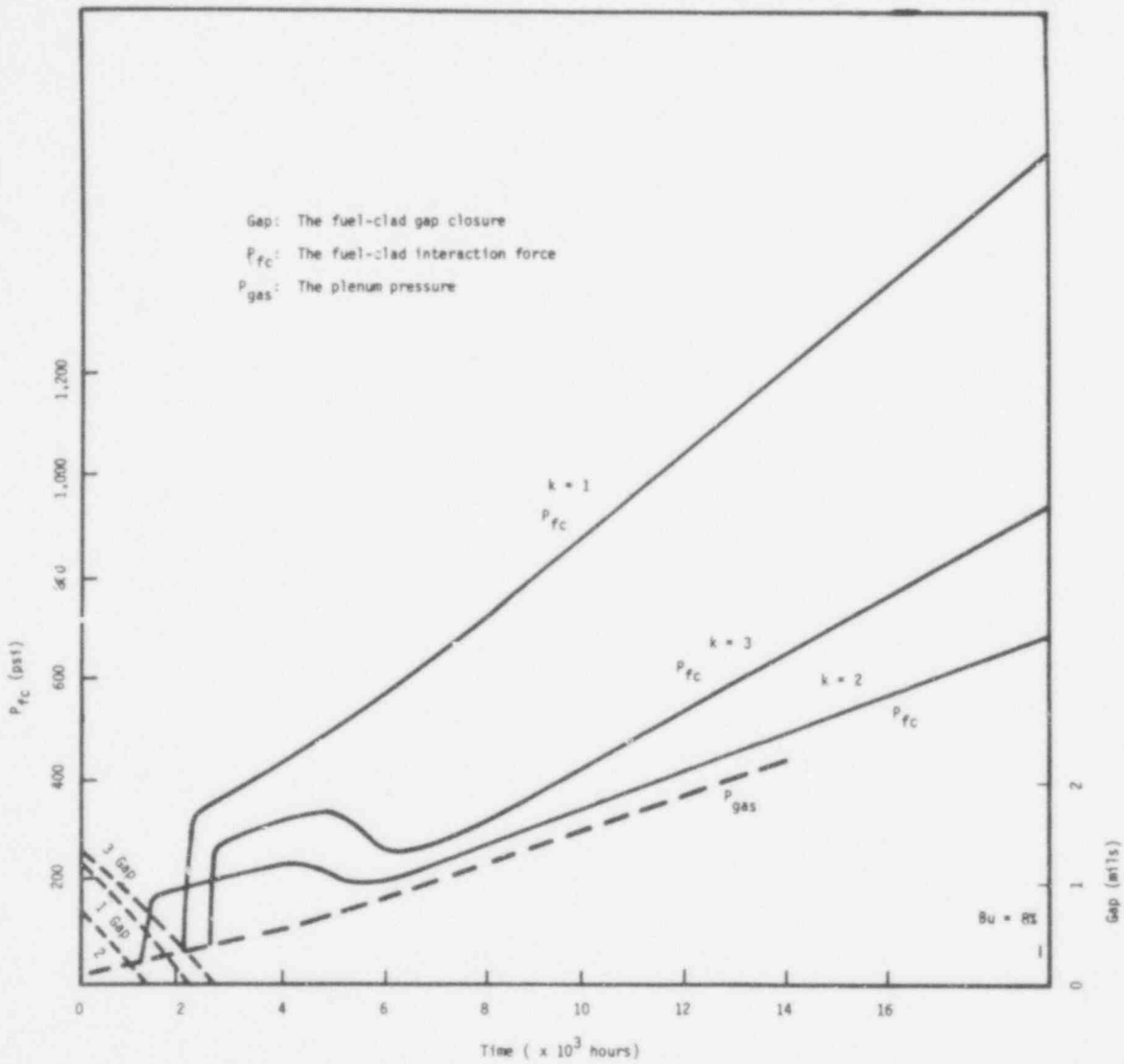


Figure M0 - 1. The Fuel-Clad Gap Closure, the Fuel-Clad Interaction Force, and the Plenum Pressure. (Case M0)

733 264

a: Inner Node in the Clad
 b: Central Node in the Clad
 c: Outer Node in the Clad

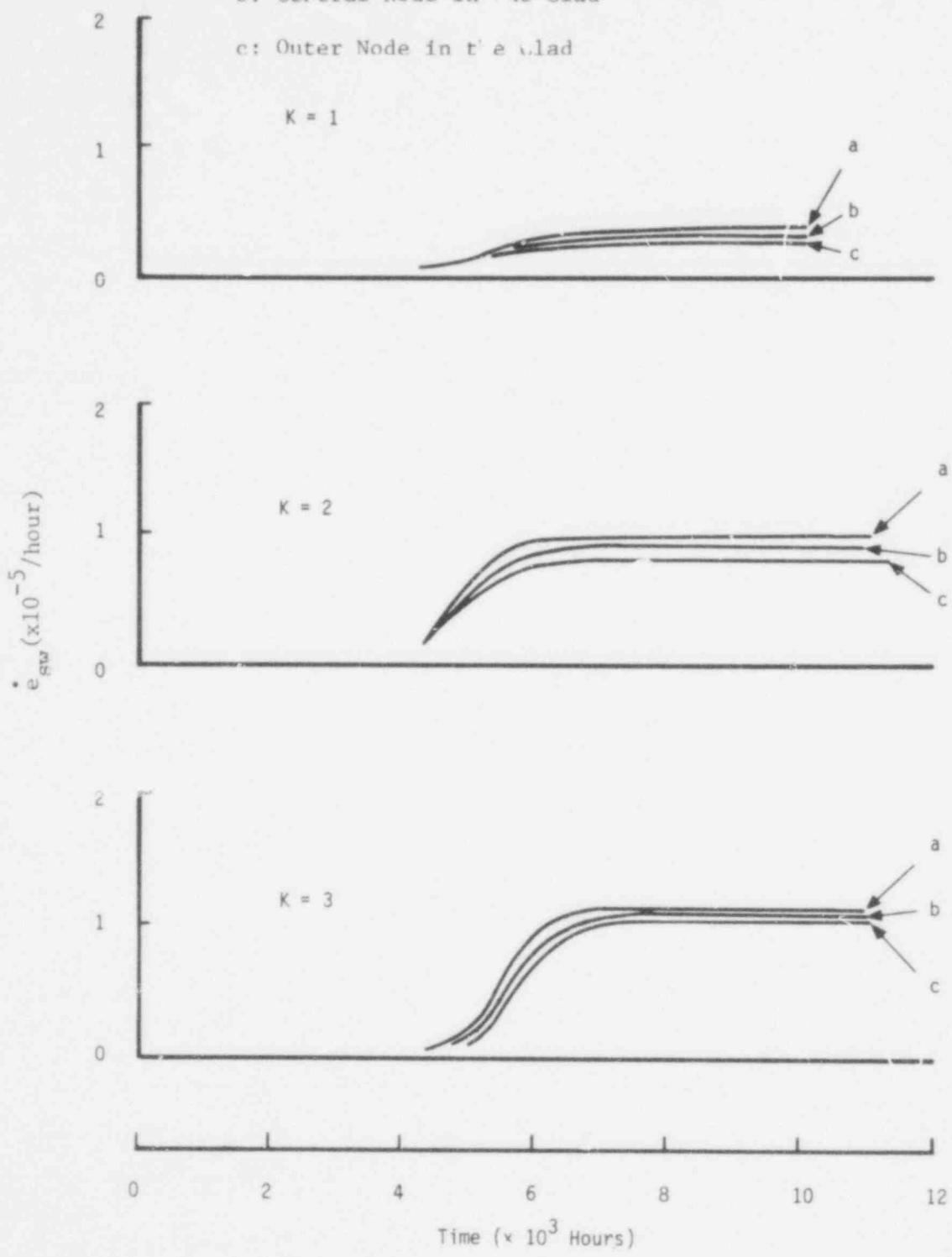


Figure MO - 2. The Rate of Irradiated Swelling on Radial Nodes of the Clad

733 205

- Net Hoop Stress Rate
- · - · - · Stress Rate due to Swelling
- x - x - x Stress Rate due to Pressure
- Stress Rate due to Creep

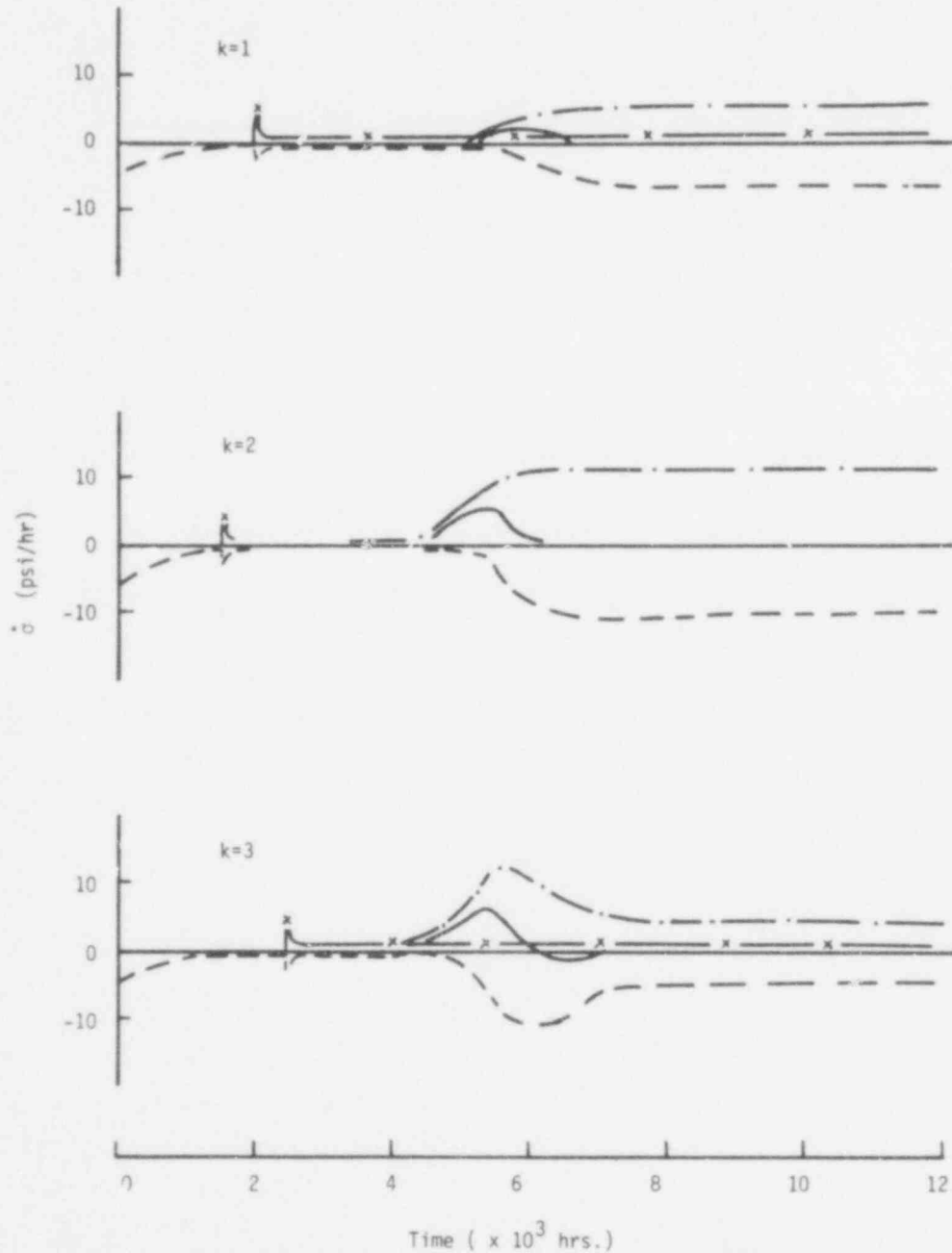


Fig. M0.3 The Net Hoop Rate and the Stress Rate Due to the Creep, the Swelling, and the Pressure at the Outer Wall of the Clad.

POOR ORIGINAL

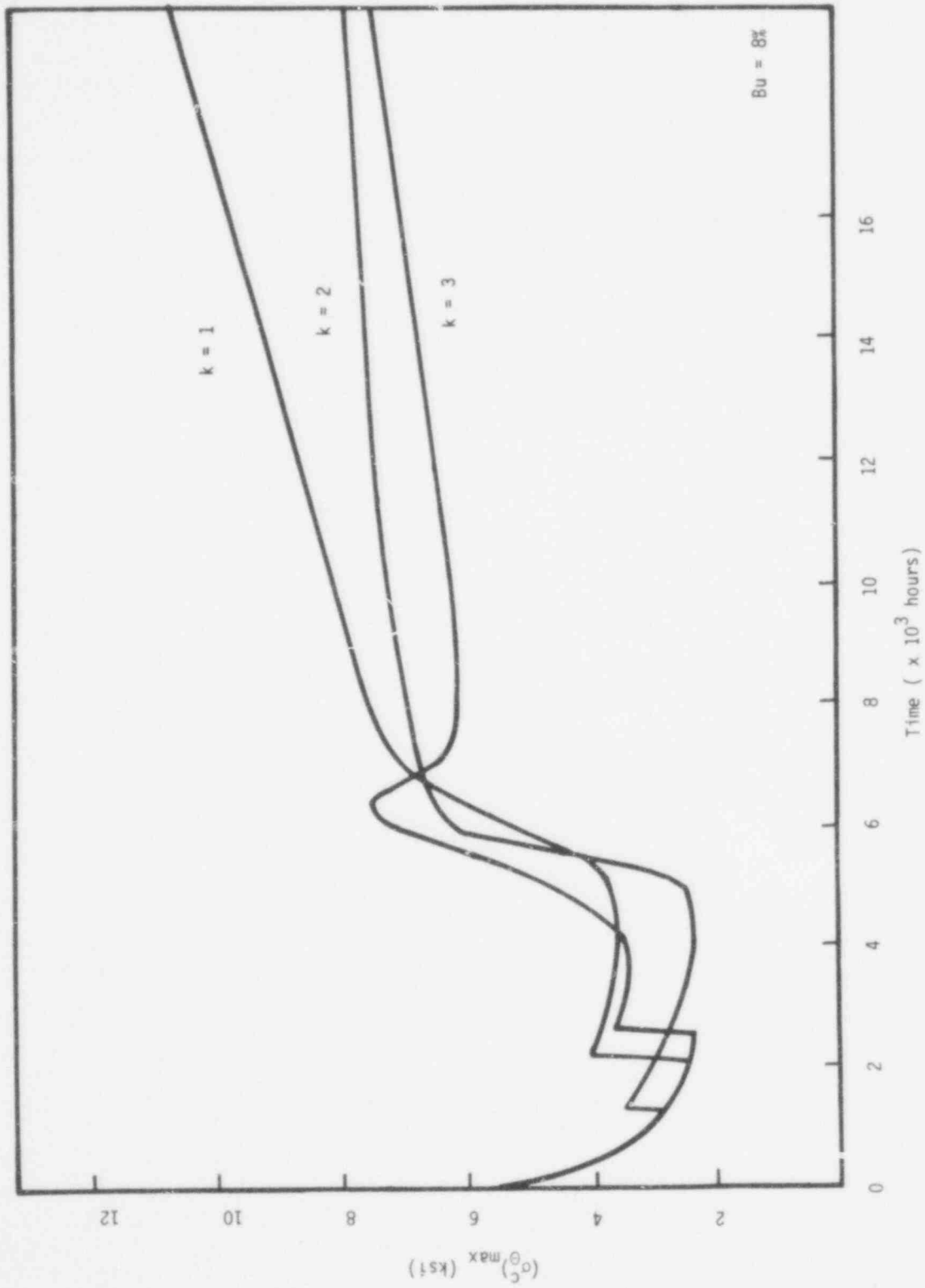


Figure M0 - 4. The Maximum Hoop Stress in the Clad. (Case M0)

733 267

- T = 0 Hour
- x - T = 1,260 Hours
- • - T = 4,010 Hours
- . - T = 8,095 Hours
- - T = 12,047 Hours

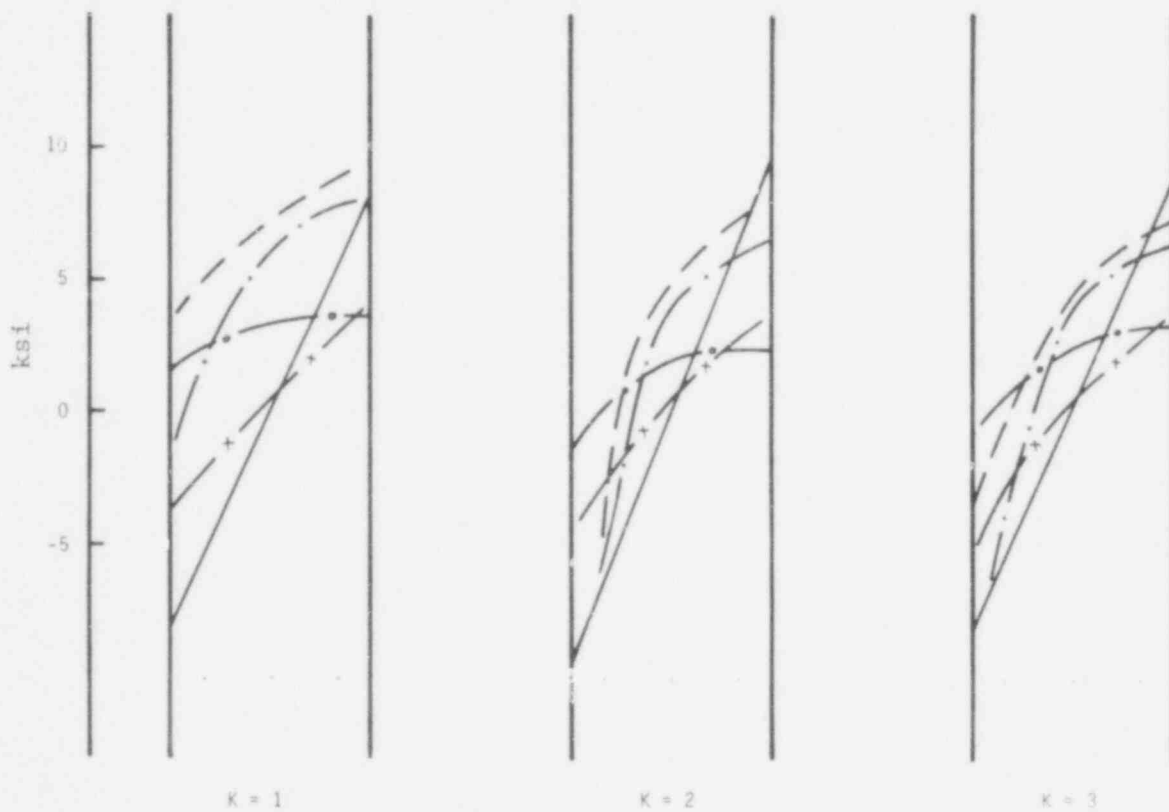


Figure M0 - 5. The Distribution of the Hoop Stress Across the Clad Wall

733 268

POOR ORIGINAL

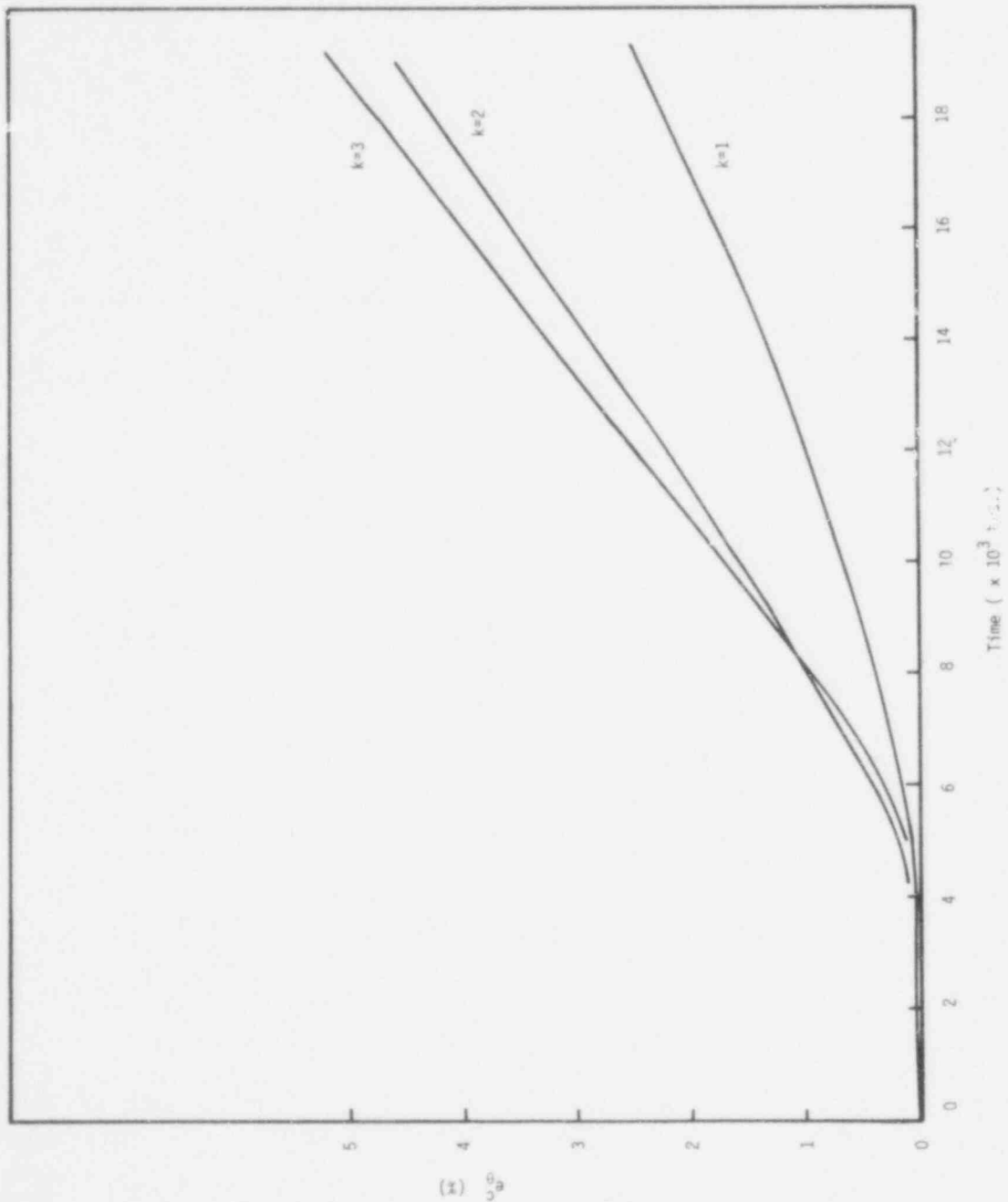


Fig. M0.6 The Total Hoop Strain in the Clad. (Case M0)

733 269

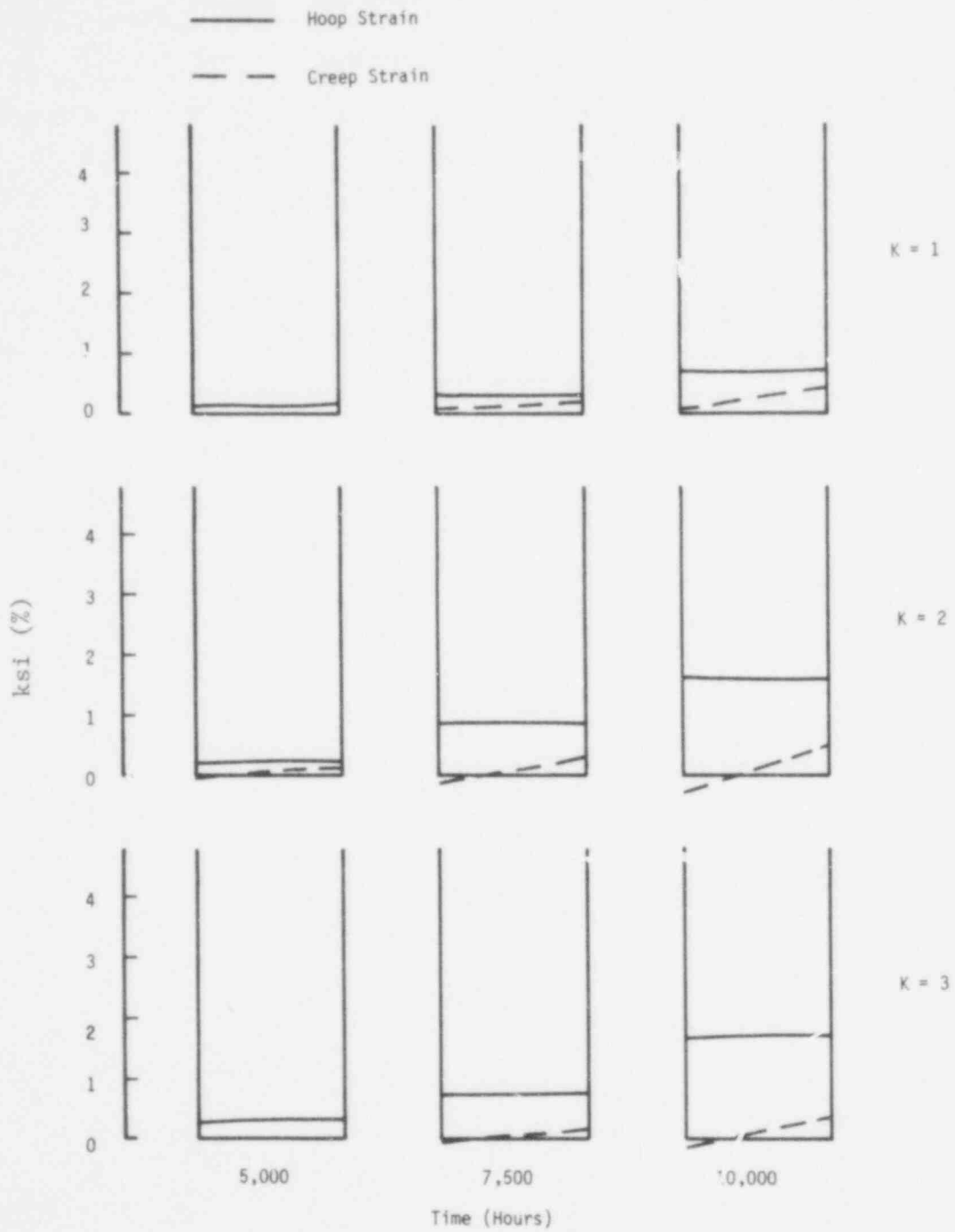


Figure M0 - 7. The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall

733 270

9 kW/ft Cases
Case M1

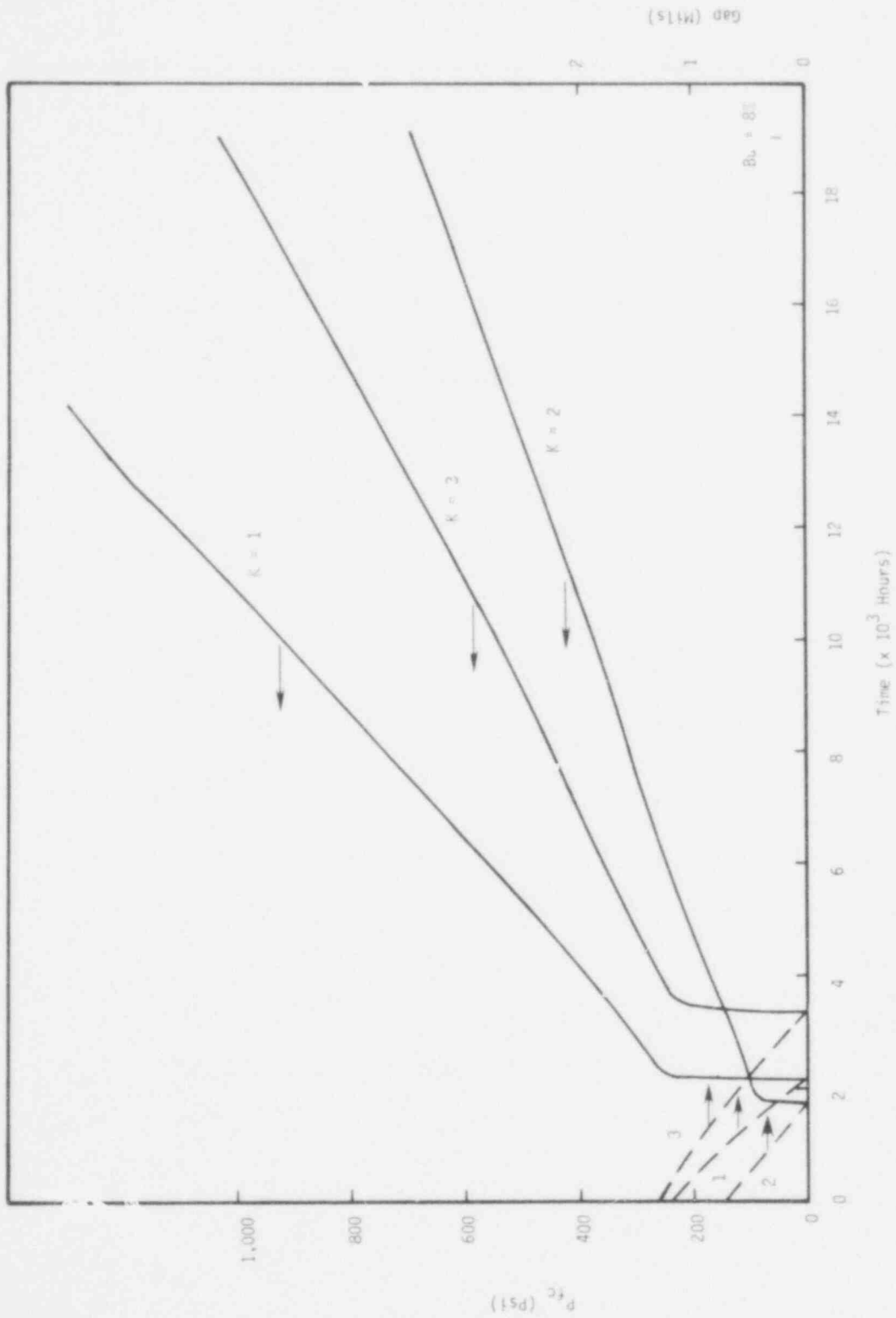


Figure M1 - 1. The Fuel-Clad Gap Thickness and the Fuel-Clad Interaction Force (Case M1)

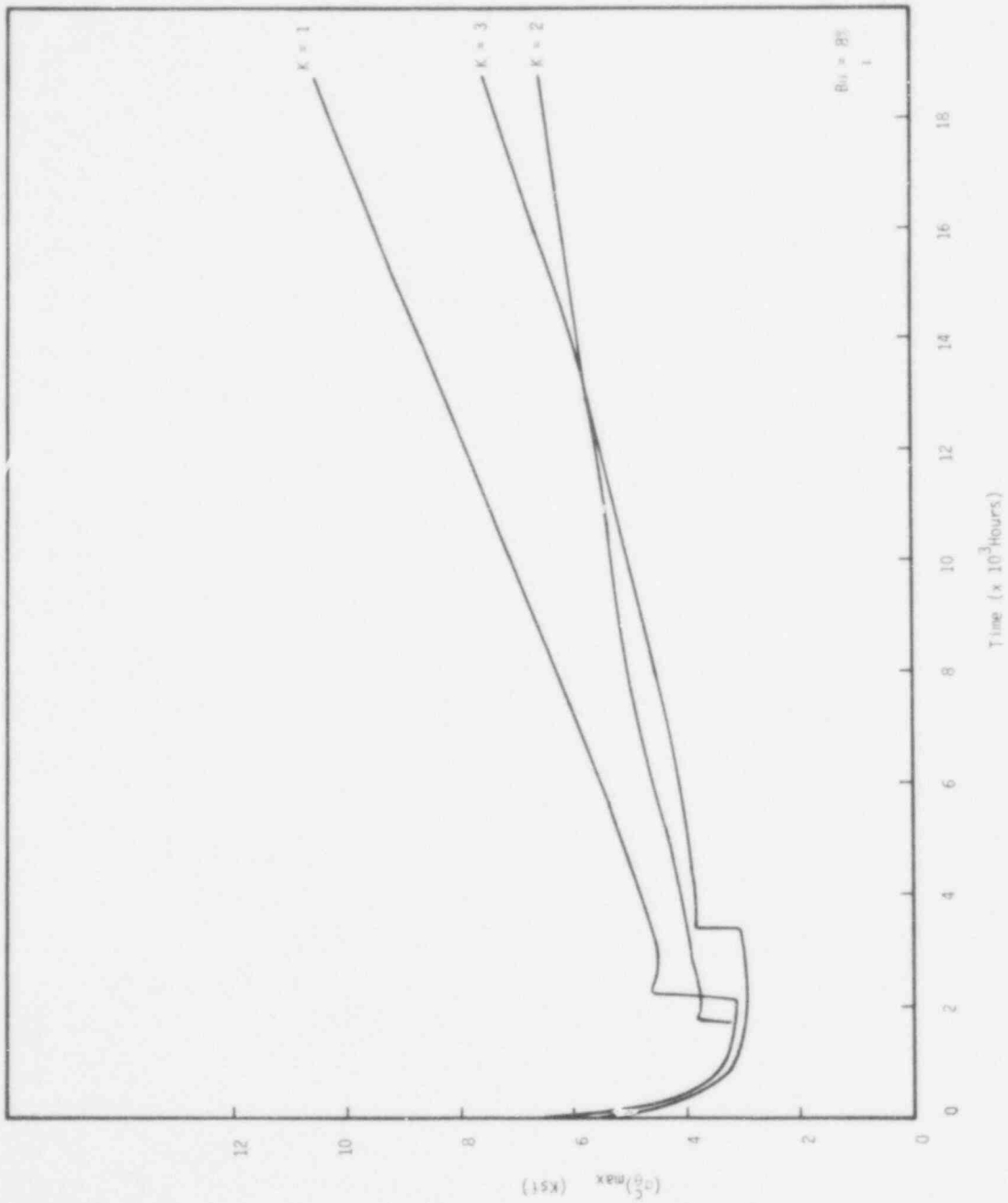
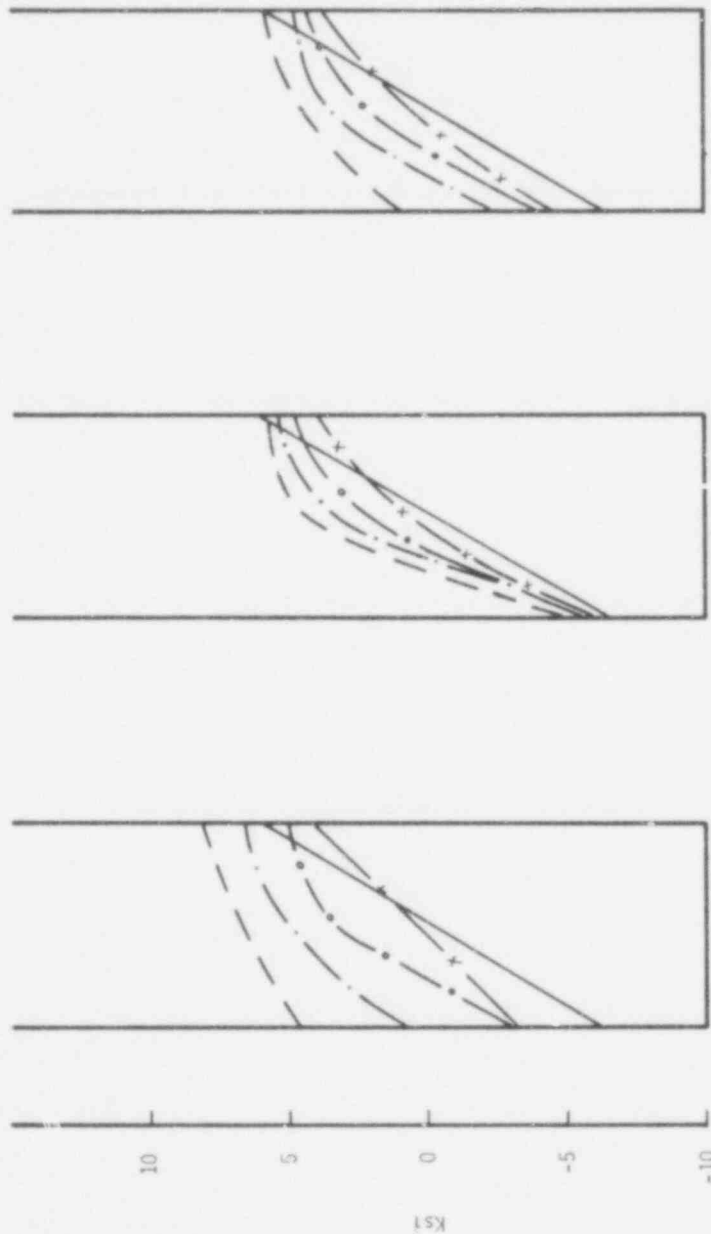


Figure M1 - 2. The Maximum Hoop Stress in the Clad (Case M1)

733 772

- $T = 0$
- $T = 1583$
- o-o-o- $T = 4085$
- $T = 8204$
- x-x-x- $T = 11879$



K = 3

K = 2

K = 1

Fig. M1-3 The Radial Distribution of the Hoop Stress Across the Clad Wall.

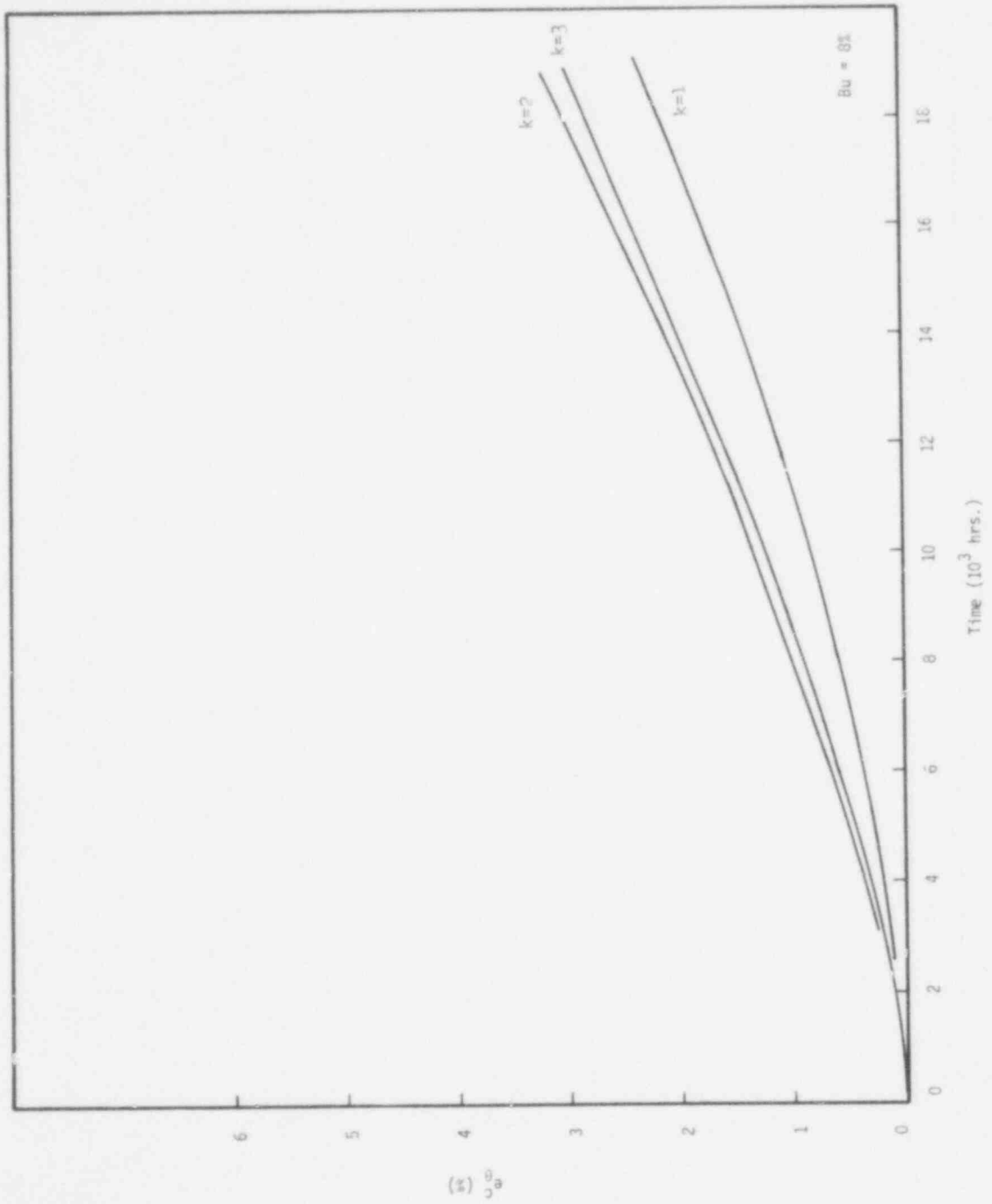


Fig. M1-4 The Total Hoop Strain in the Clad (Case M1).

733 274

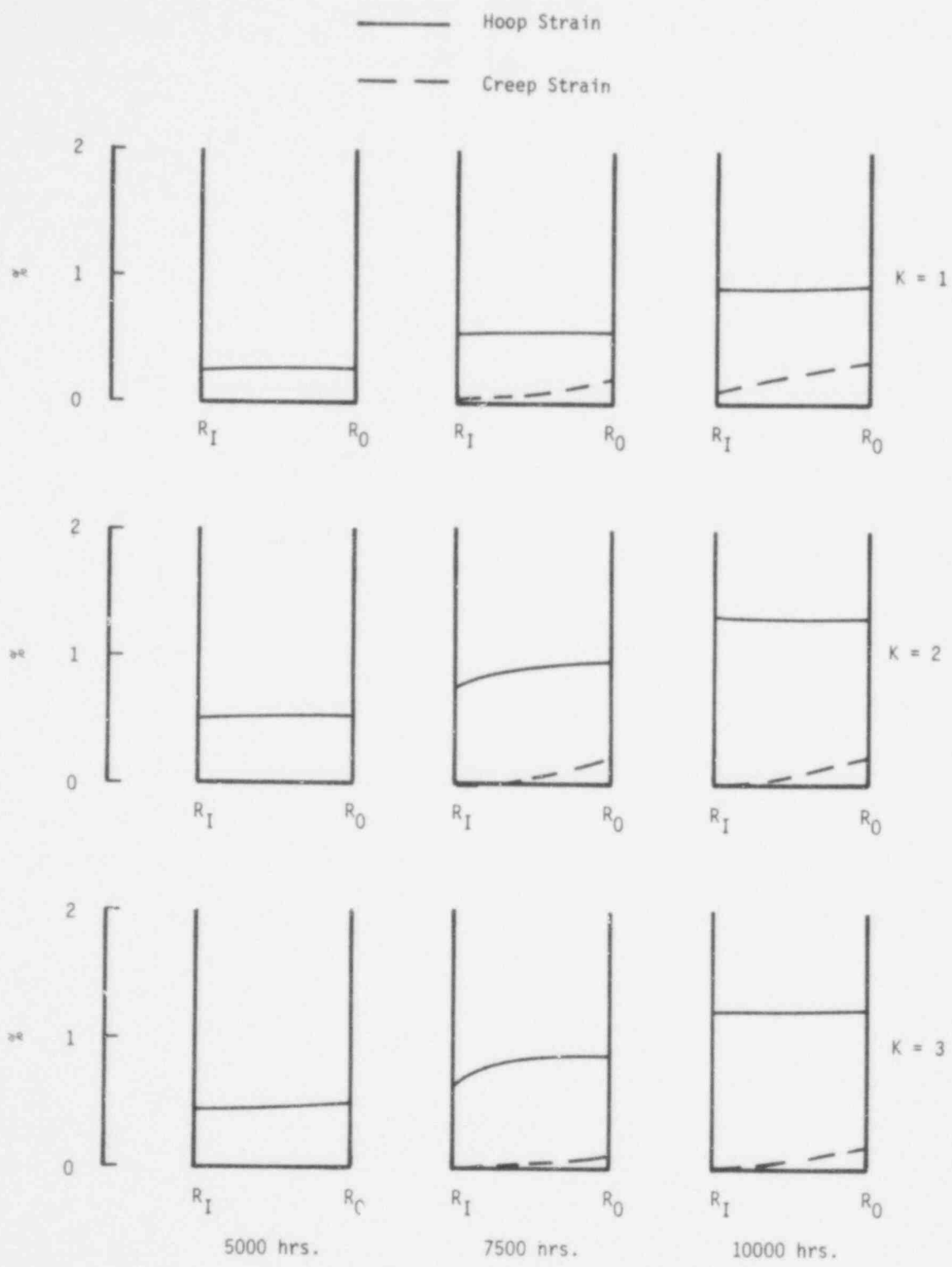


Fig. M1-5 The Distribution of the Hoop Strain and the Creep Strain Across the Clad Wall (Case M-1).

733 - 275

RATE OF FUEL SWELLING

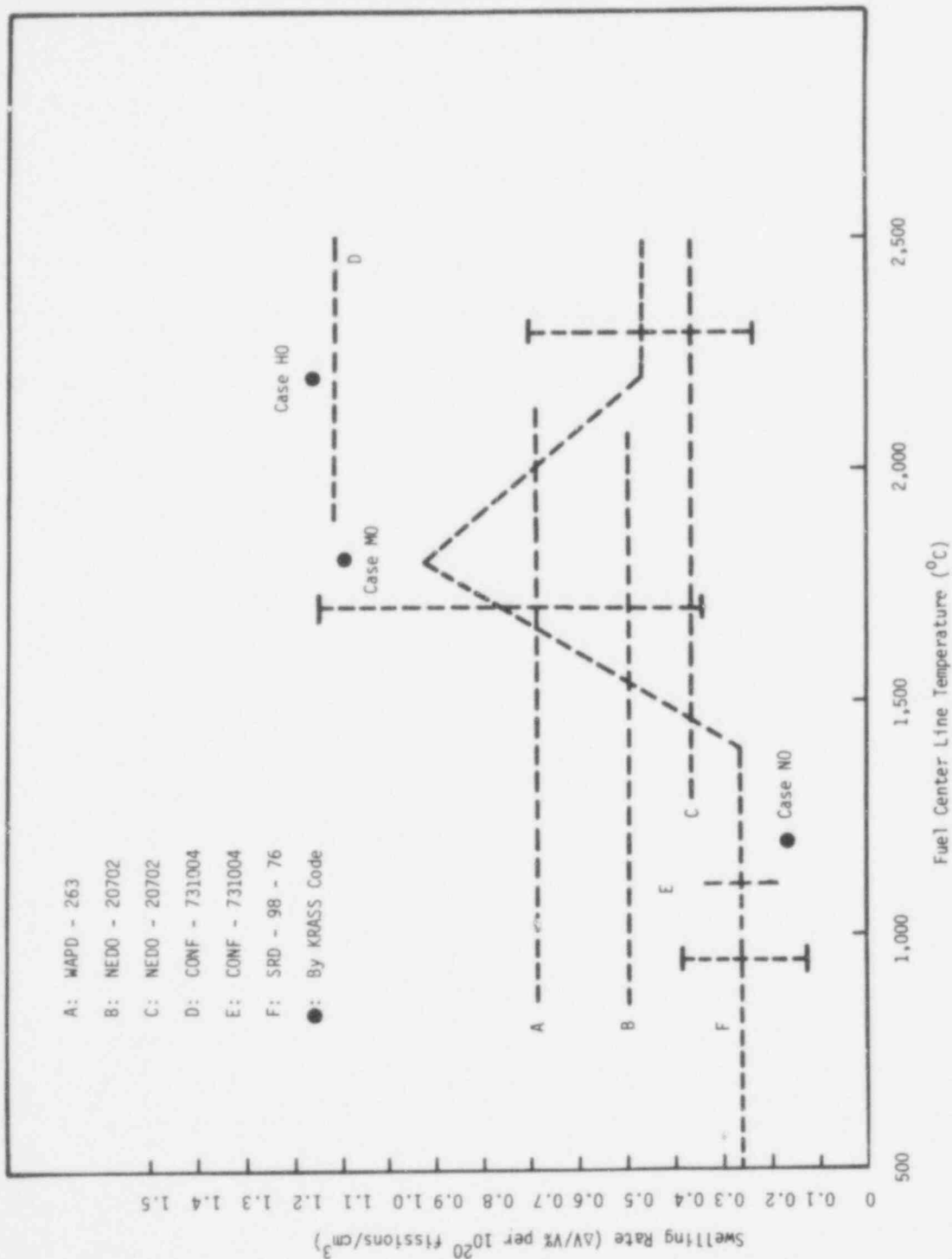


Figure FSW. The Rate of Fuel Swelling.

733 276

SENSITIVITY CALCULATIONS FOR FUEL PROPERTIES
 12 kW/ft Cases

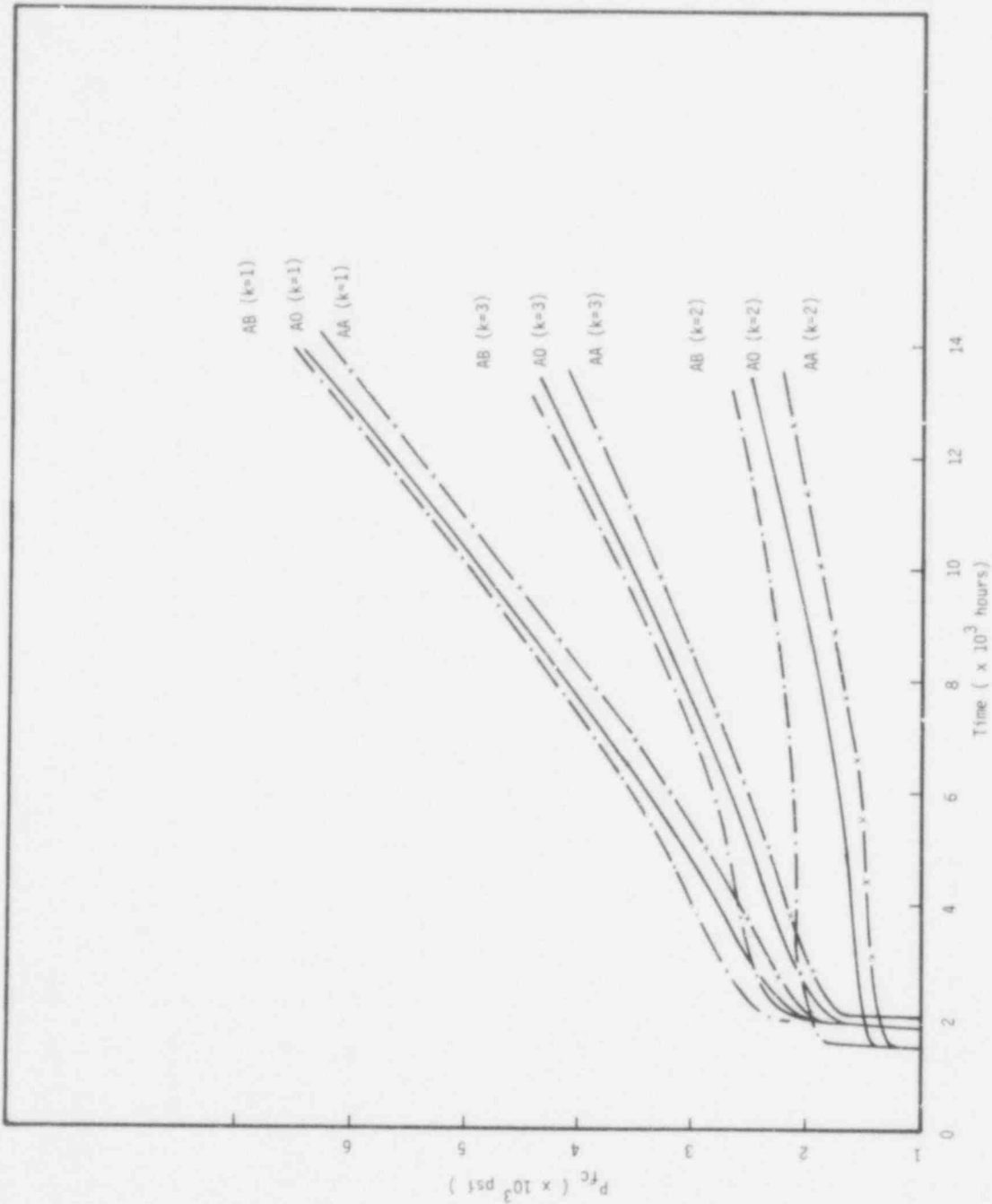


Figure SA - 1. The Fuel - Clad Interaction Forces.

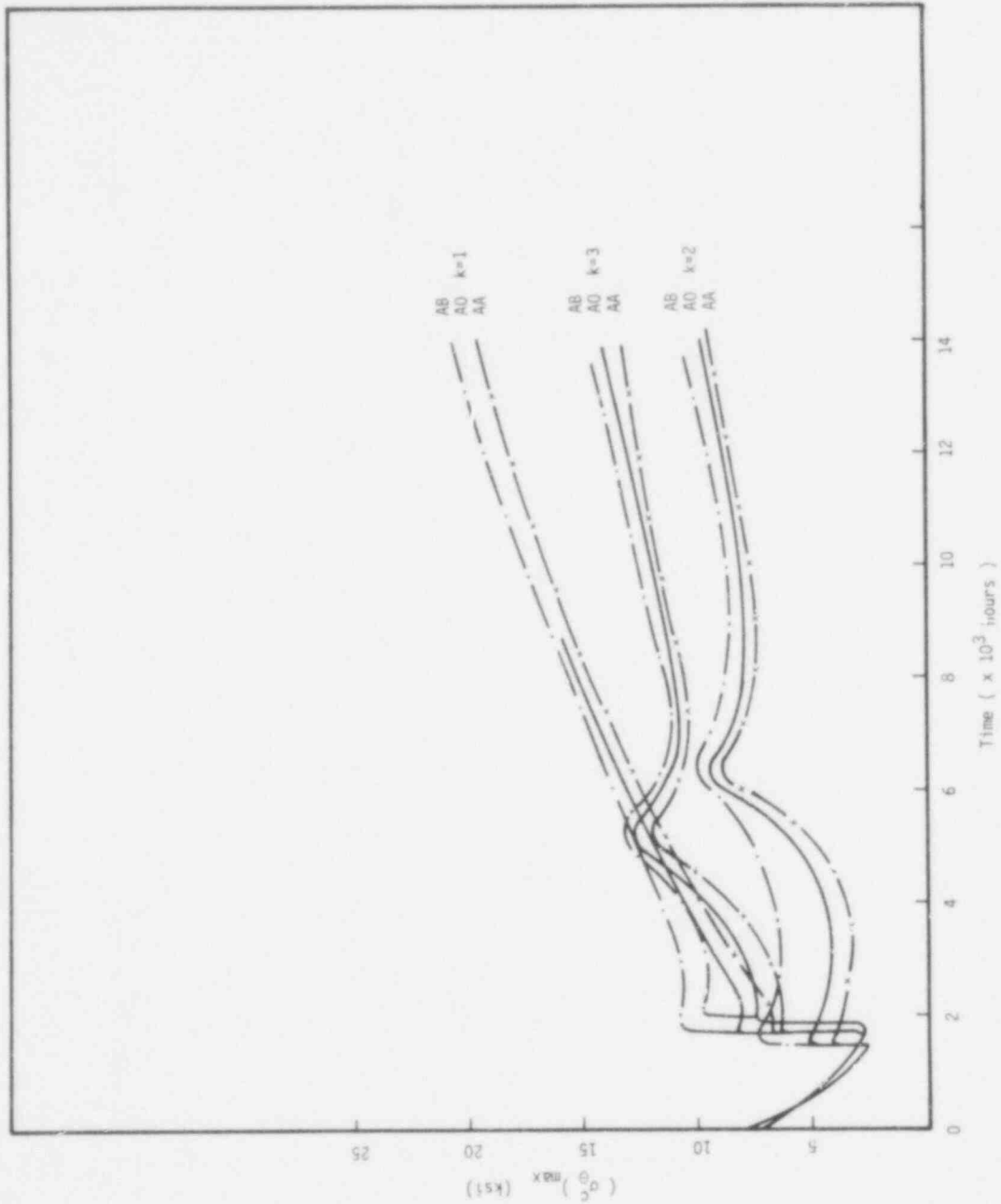


Figure SA - 2. The Maximum Hoop Stress in the Clad.

733 278

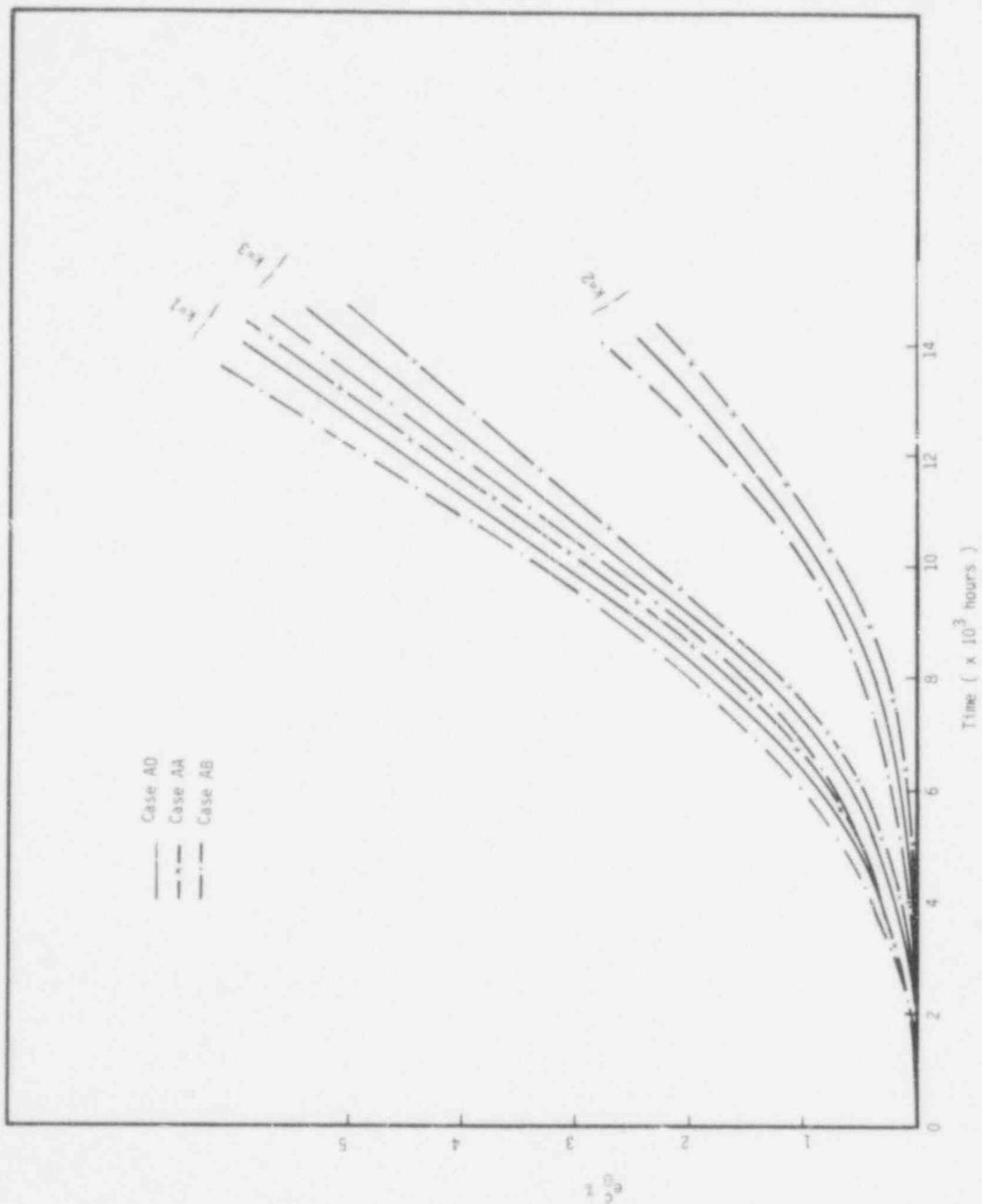


Figure SA - 3. The Total Strain in the Clad.

733 279

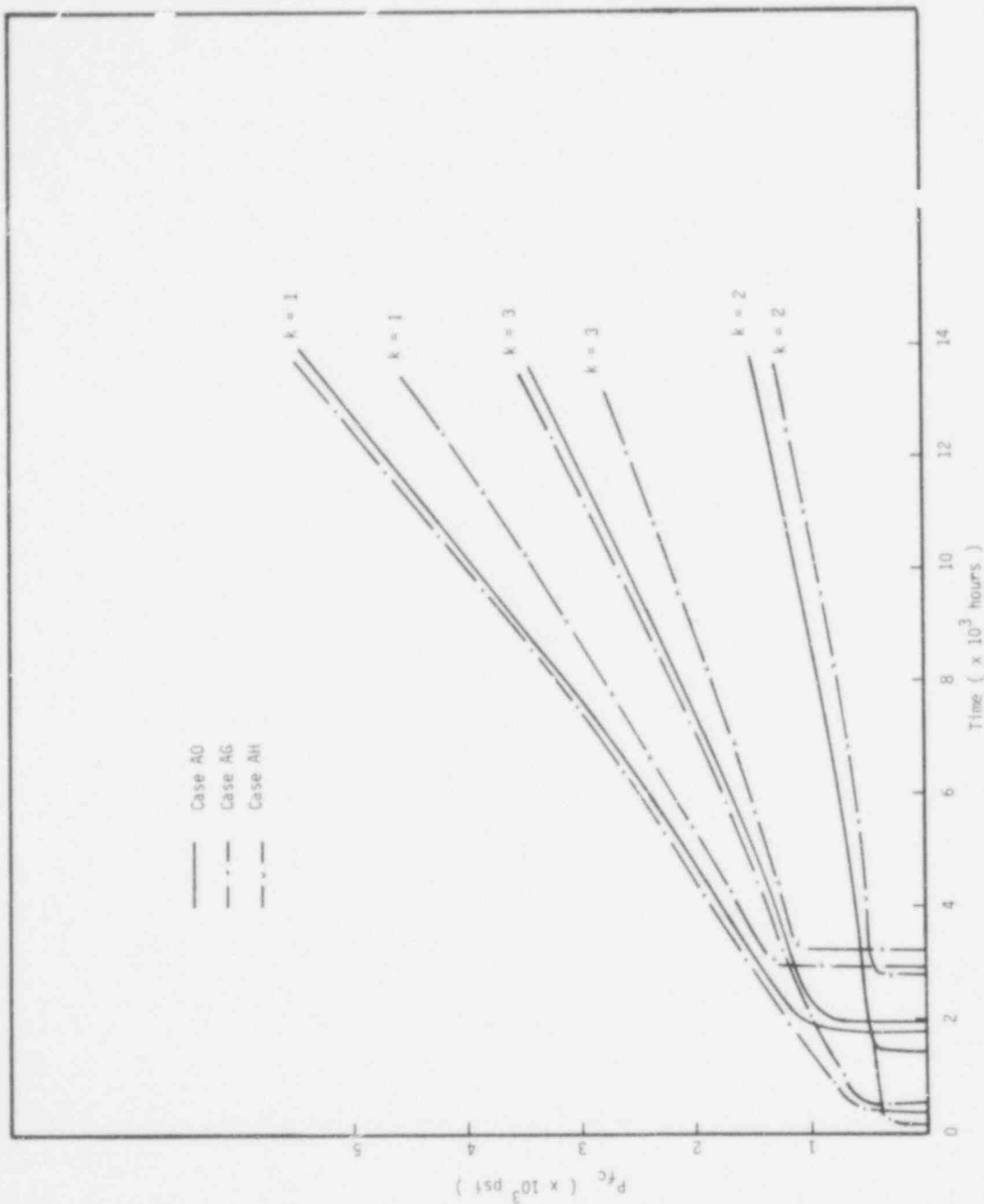


Figure SA - 4. The Fuel-Clad Interaction Force.

POOR ORIGINAL

733 200

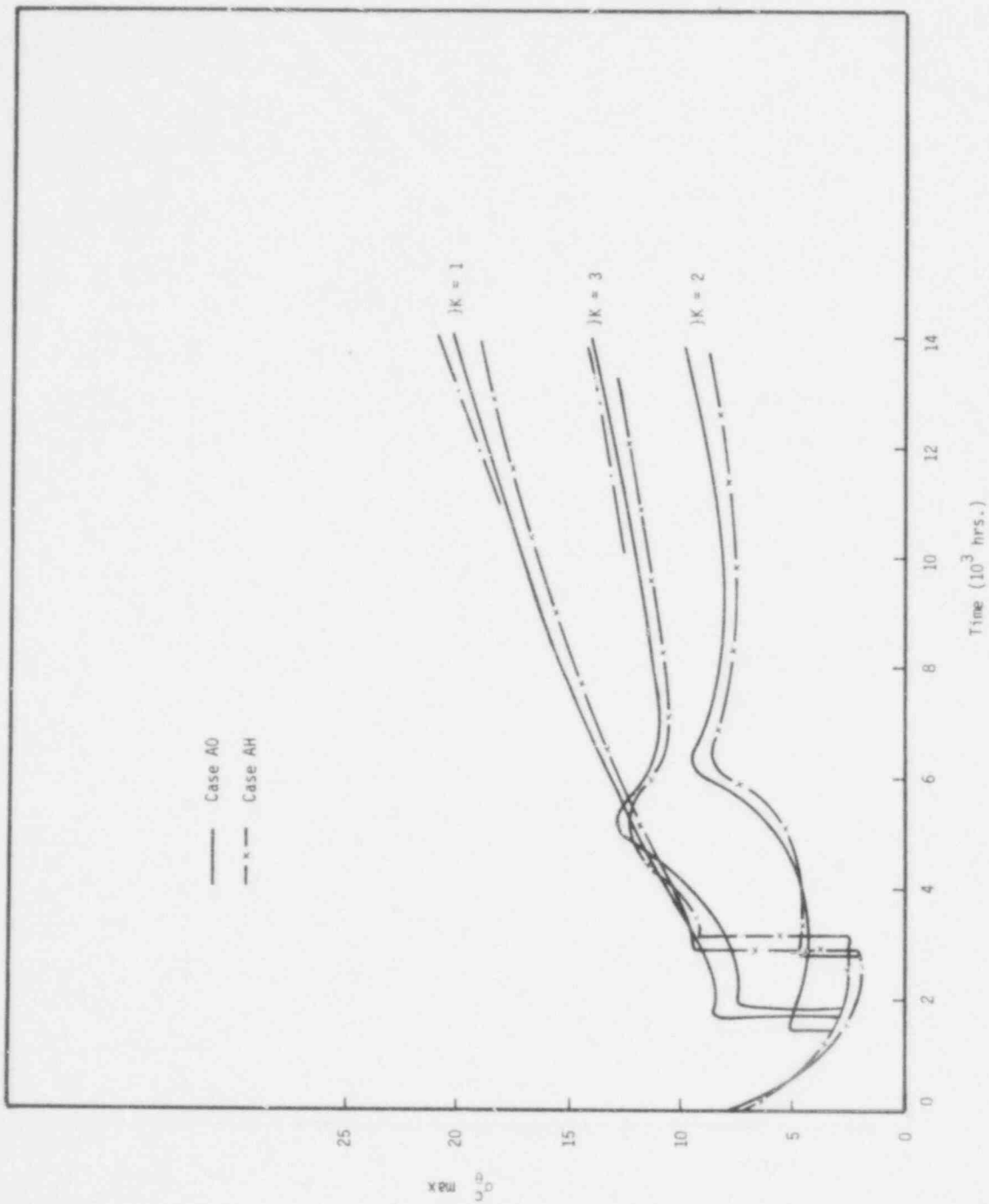


Fig. SA-5 The Maximum Hoop Stress in the Clad.

733 281

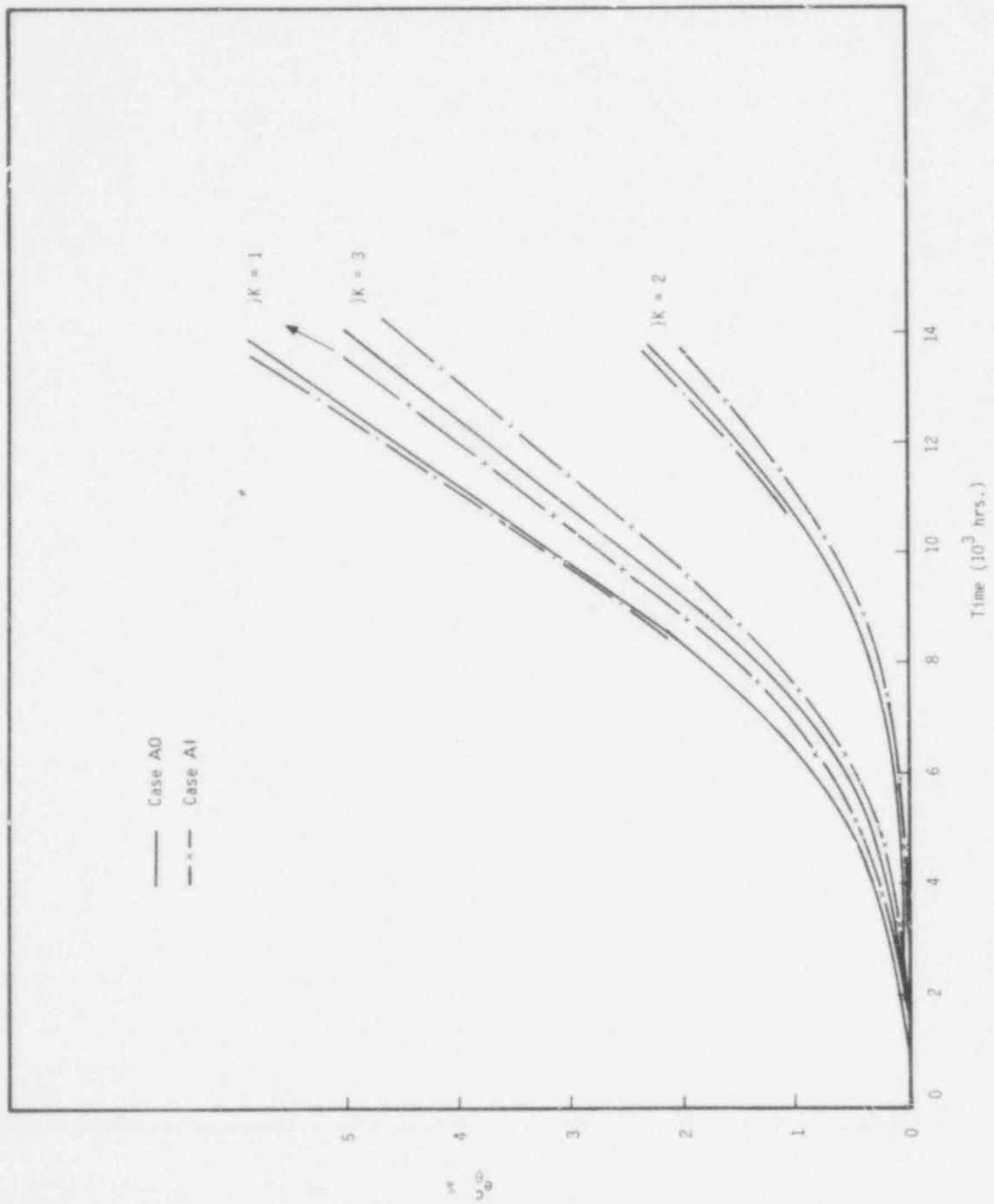


Fig. SA-6 The Total Strain in the Clad.

733 202

POOR ORIGINAL

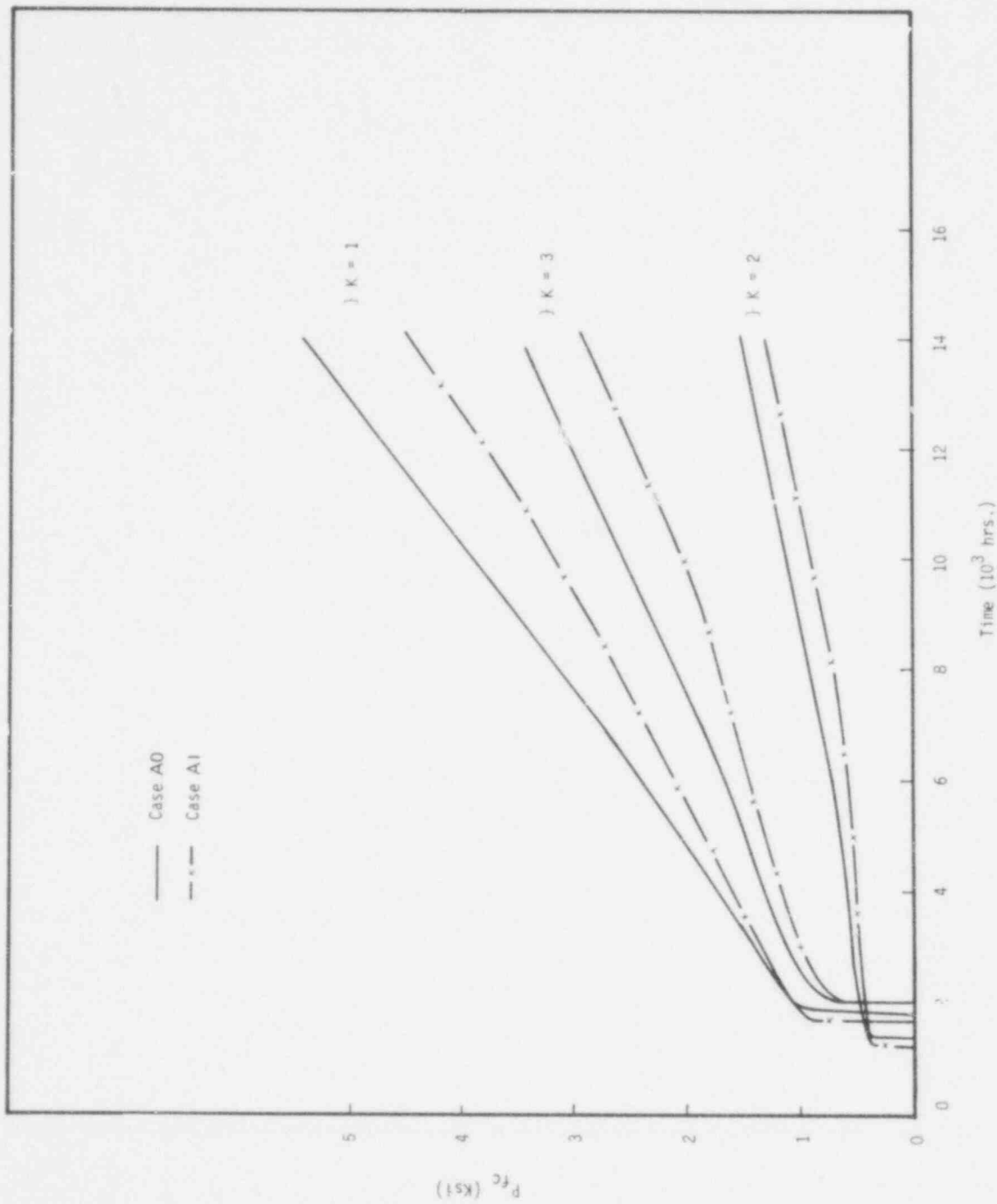


Fig. SA-7 The Fuel-Clad Interaction Force.

POOR ORIGINAL

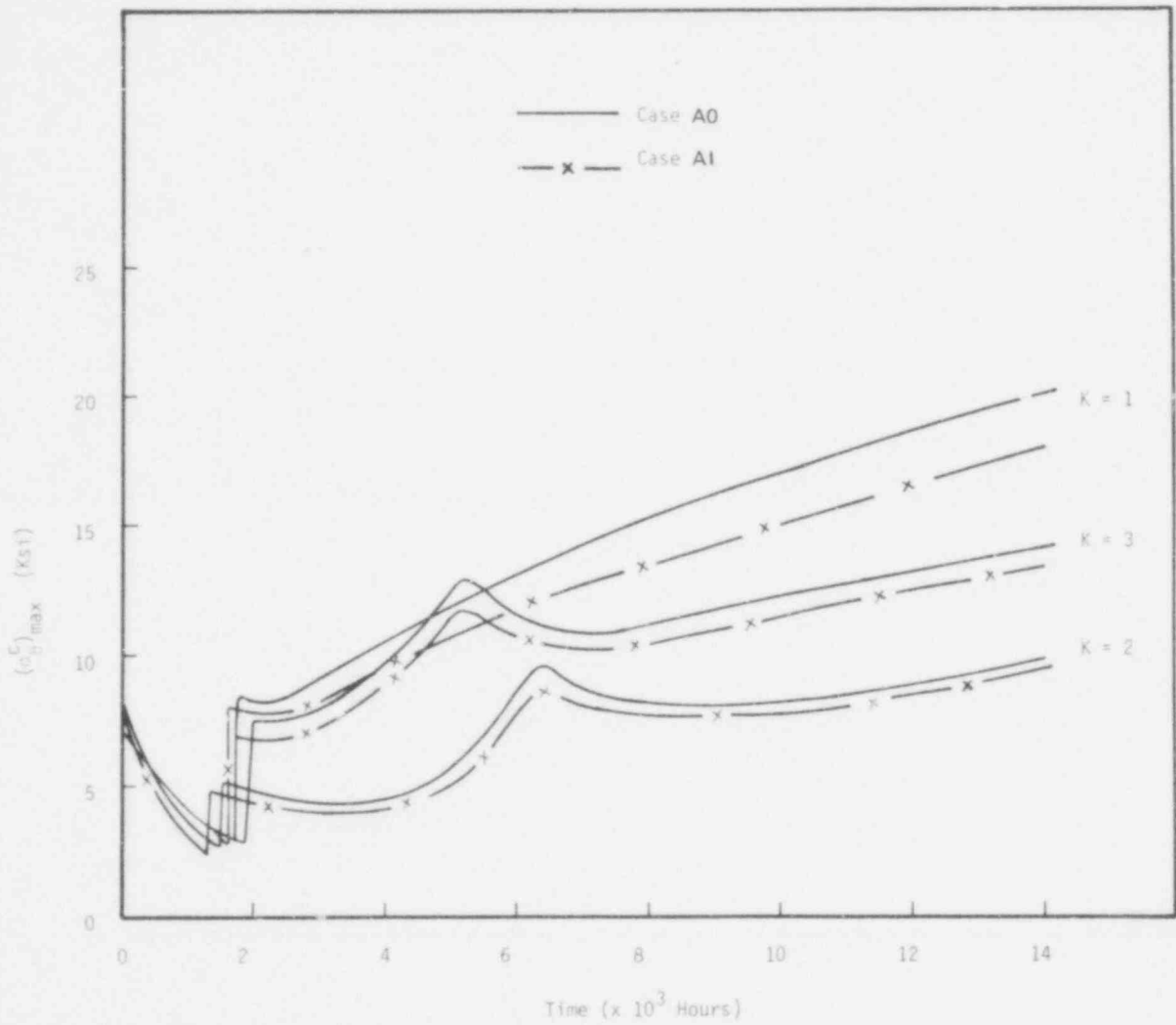


Figure SA - 8. The Maximum Hoop Stress in the Clad

733 294

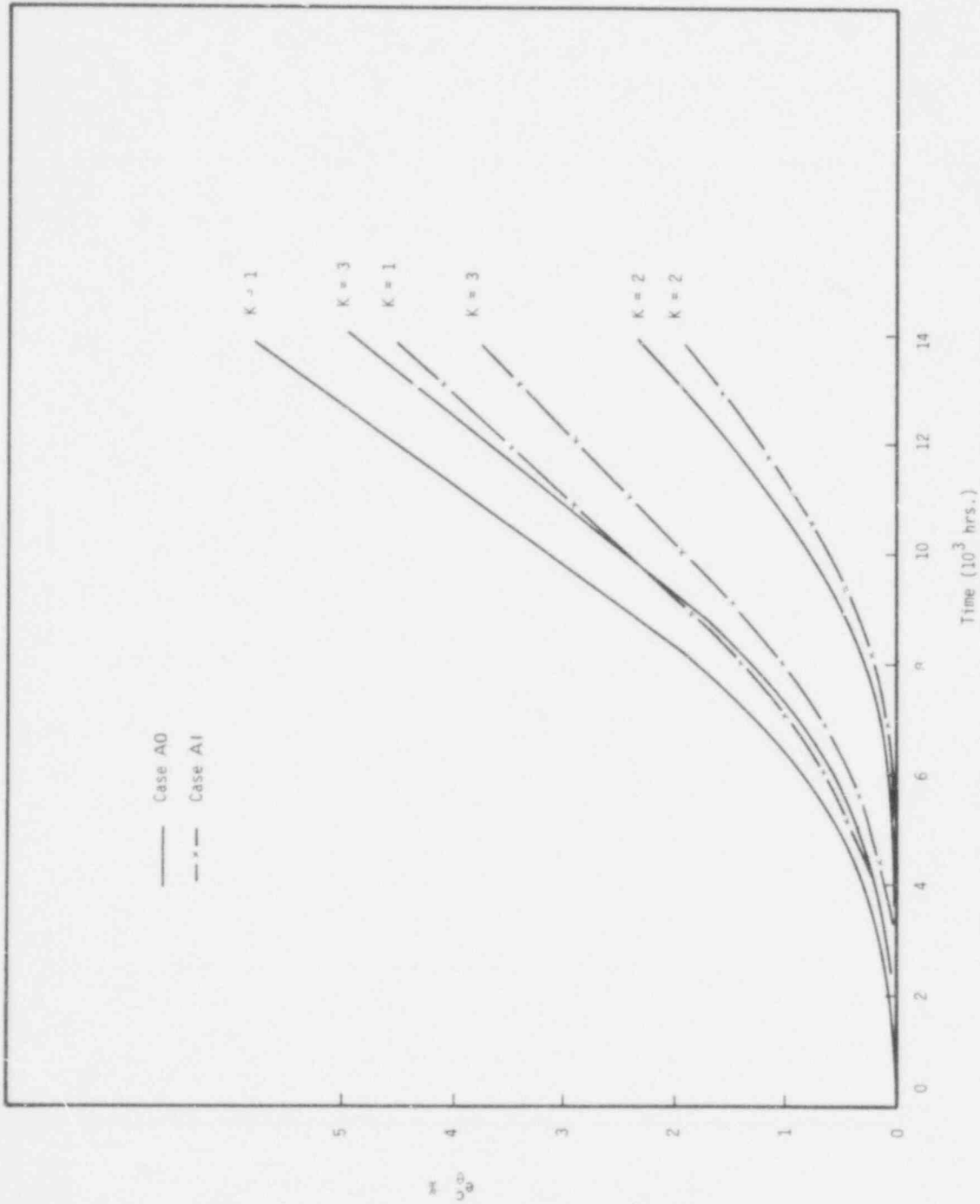


Fig. SA-9 The Total Strain in the Clad.

POOR ORIGINAL

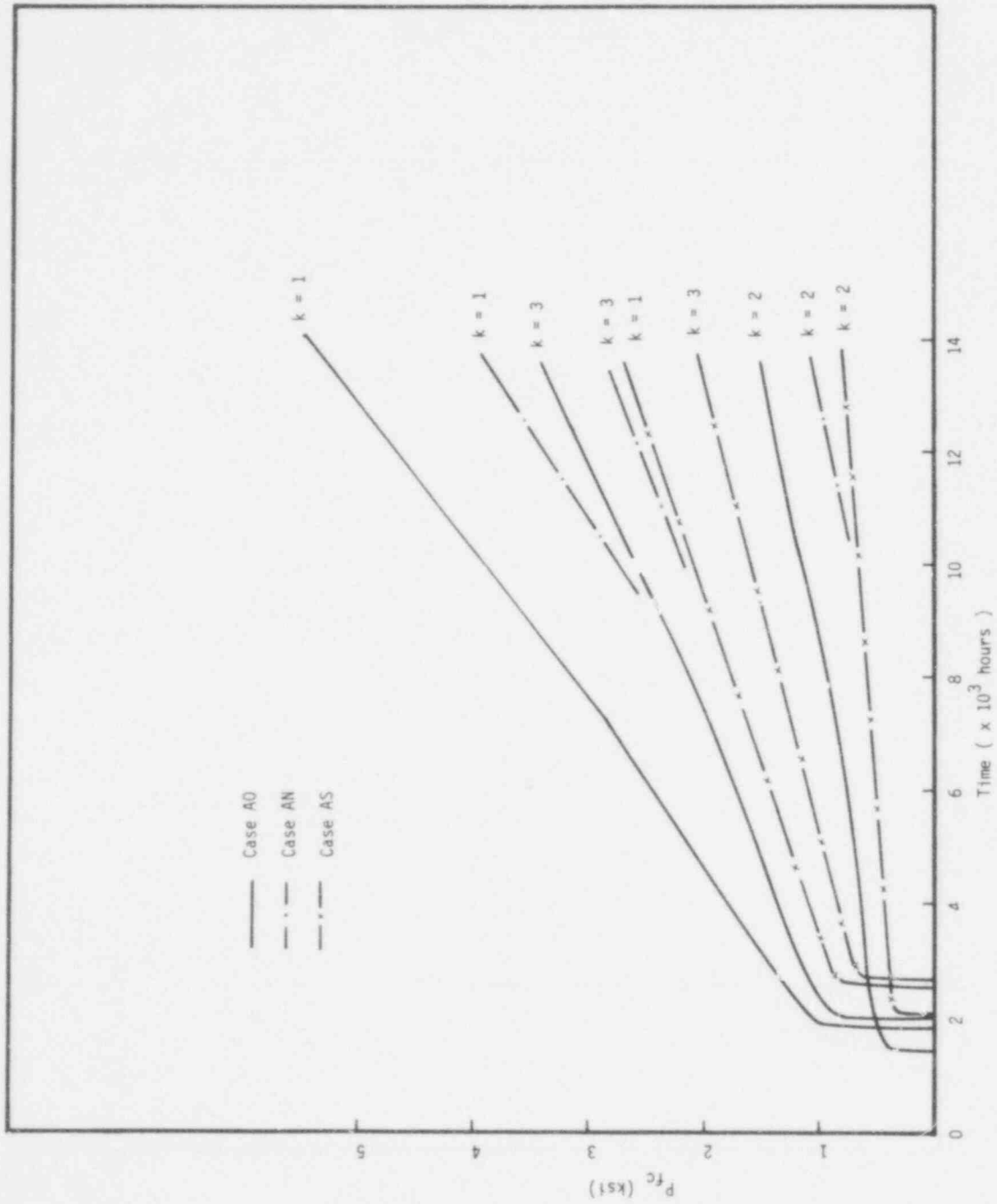


Figure SA - 10. The Fuel-Clad Interaction Force.

POOR ORIGINAL

733 286

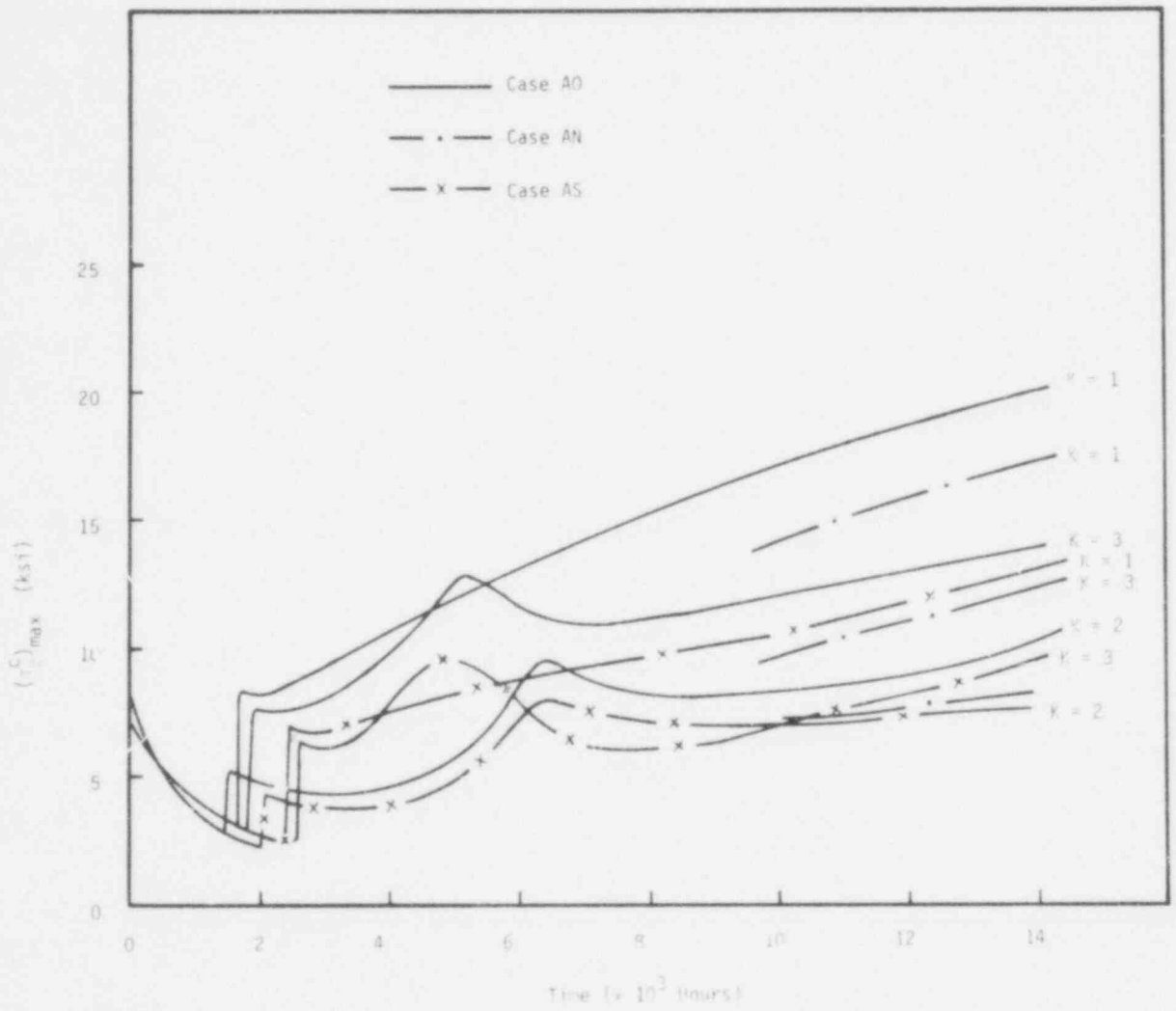


Figure SA-11. The Maximum Hoop Stress in the Clad

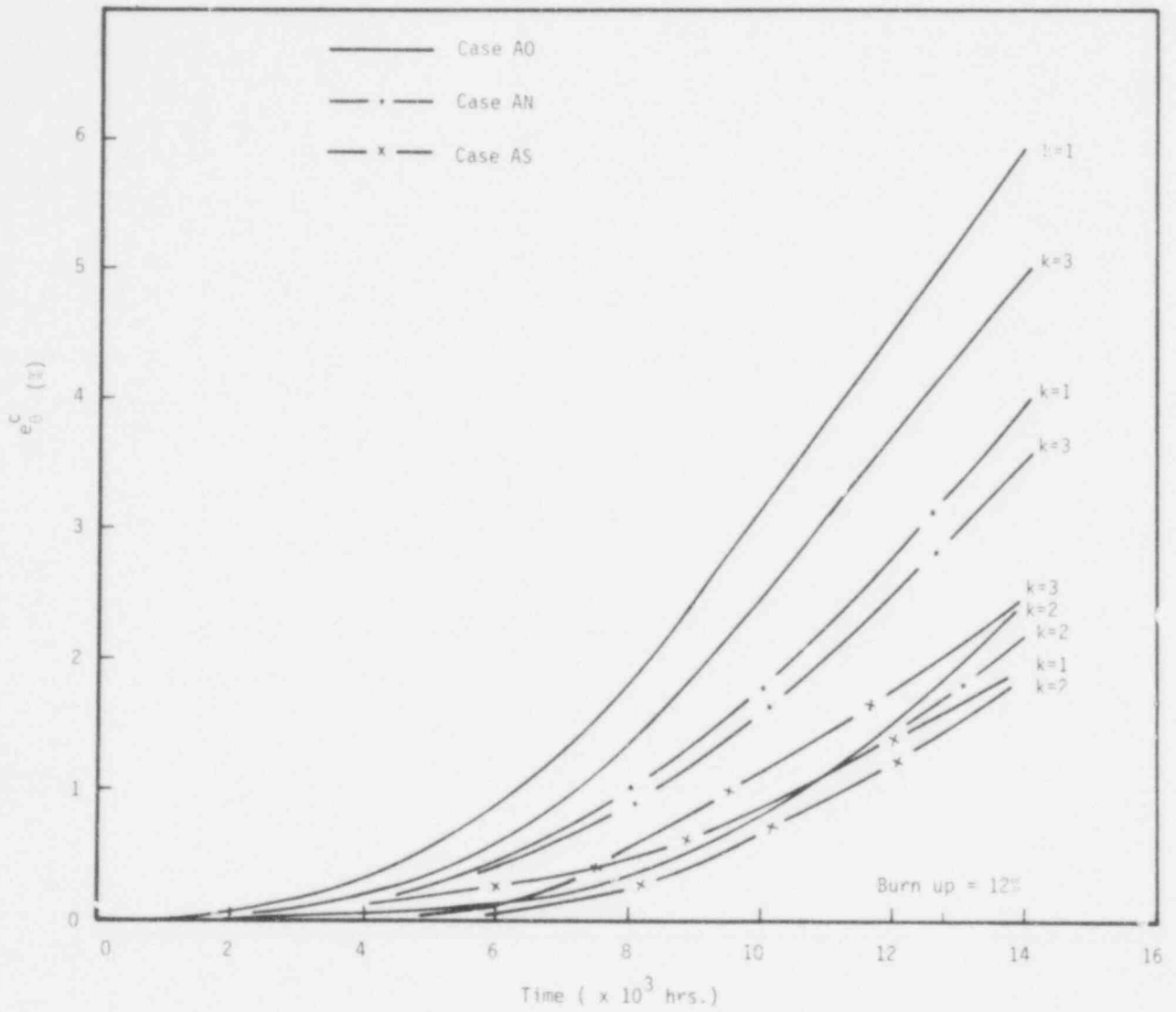


Fig. SA-12 The Total Hoop Strain in the Clad.

POOR ORIGINAL

733 288

9 kW/ft Cases

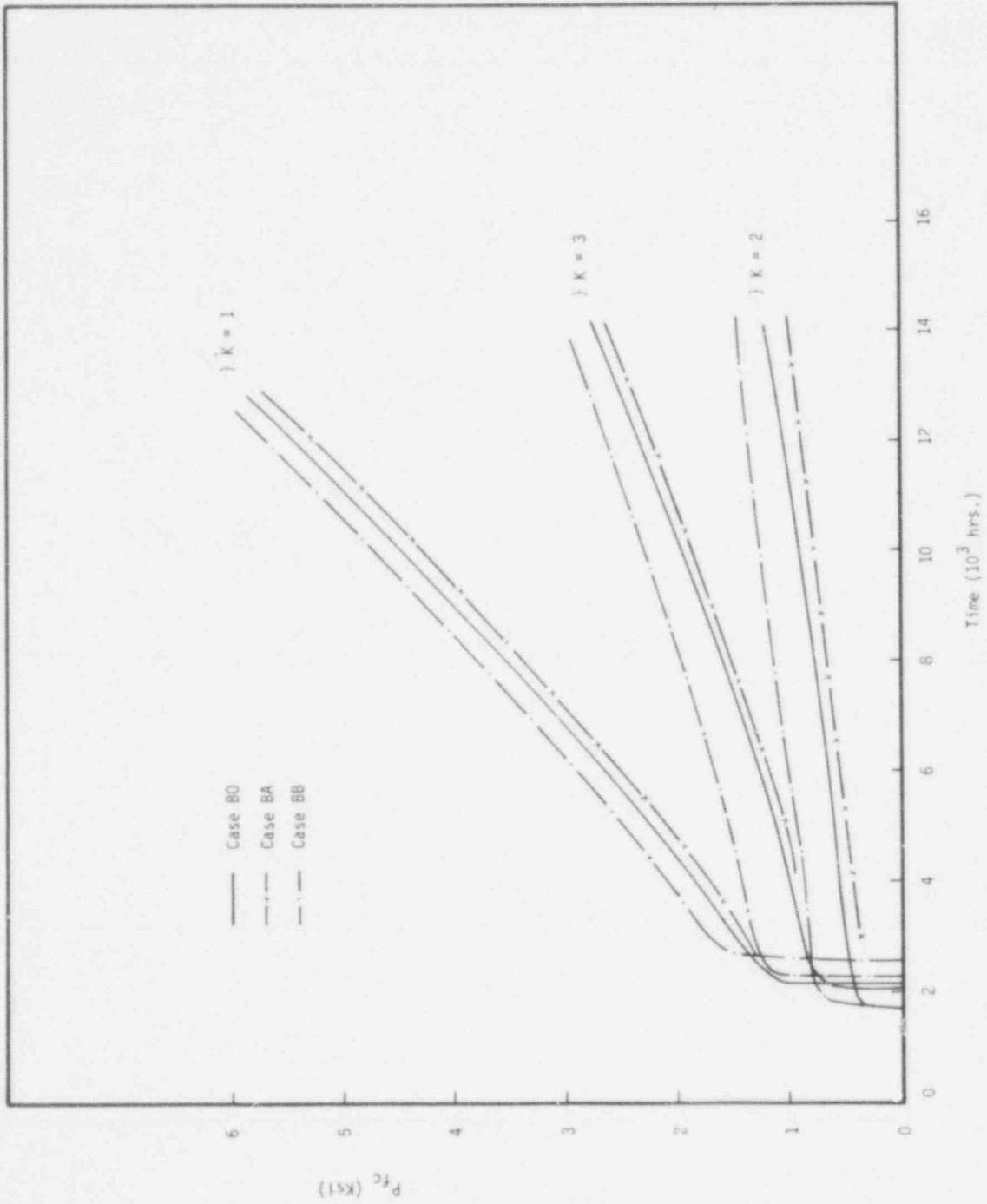


Fig. SB-1 The Fuel-Clad Interaction Force.

POOR ORIGINAL

733 209

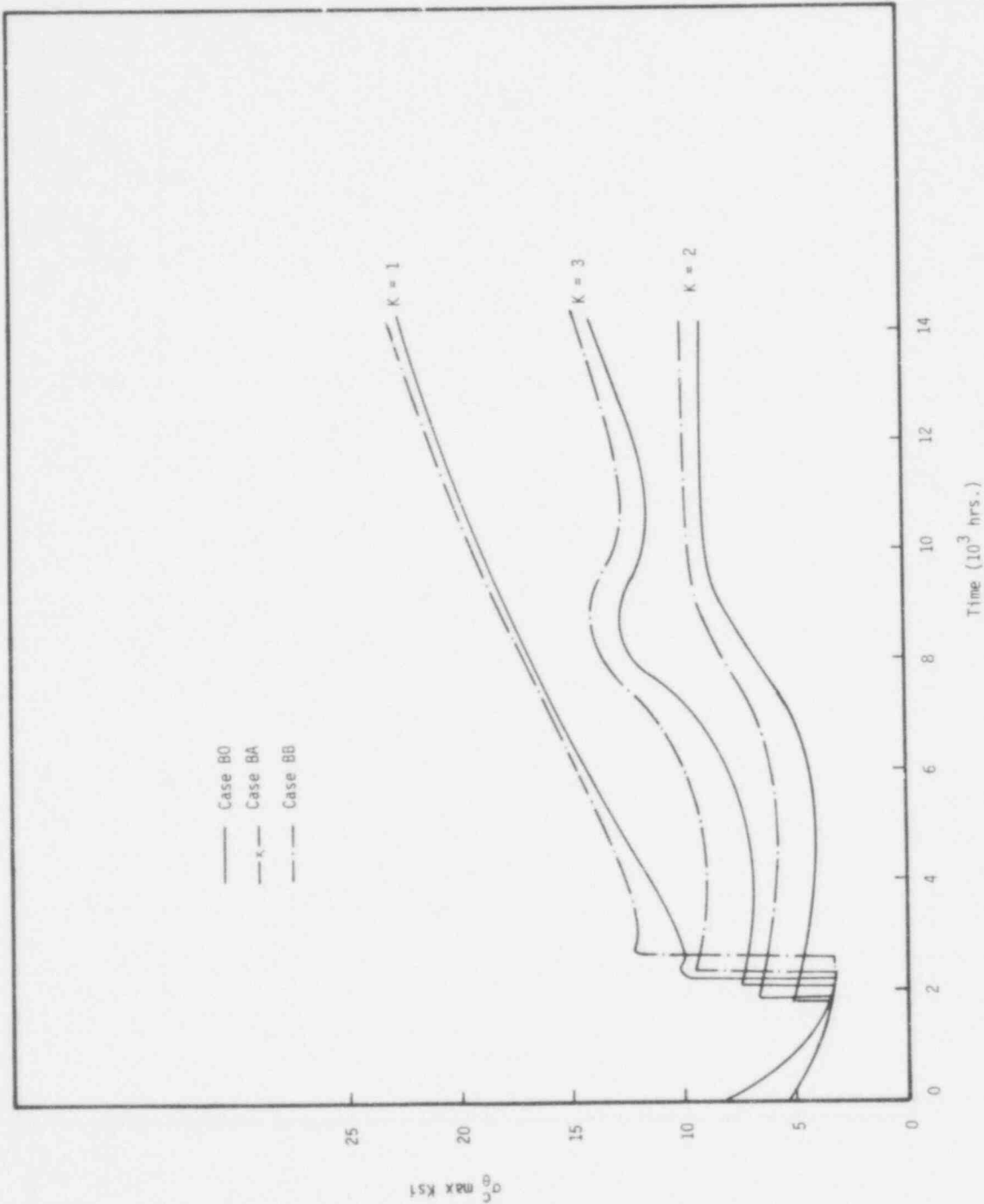


Fig. SB-2 The Maximum Hoop Stress in the Clad.

POOR ORIGINAL

733 290

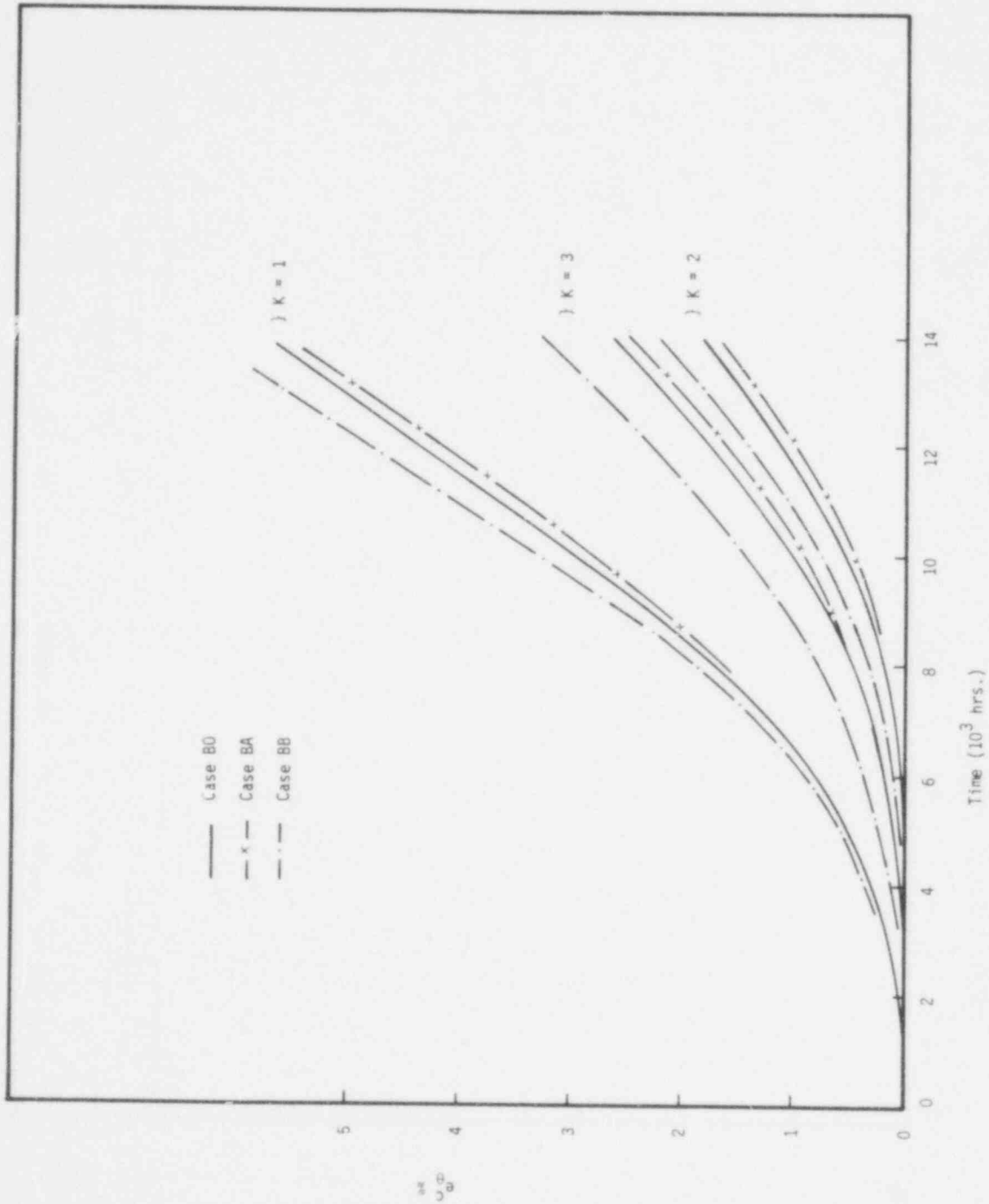


Fig. SB-3 The Total Strain in the Clad.

POOR ORIGINAL

733 291

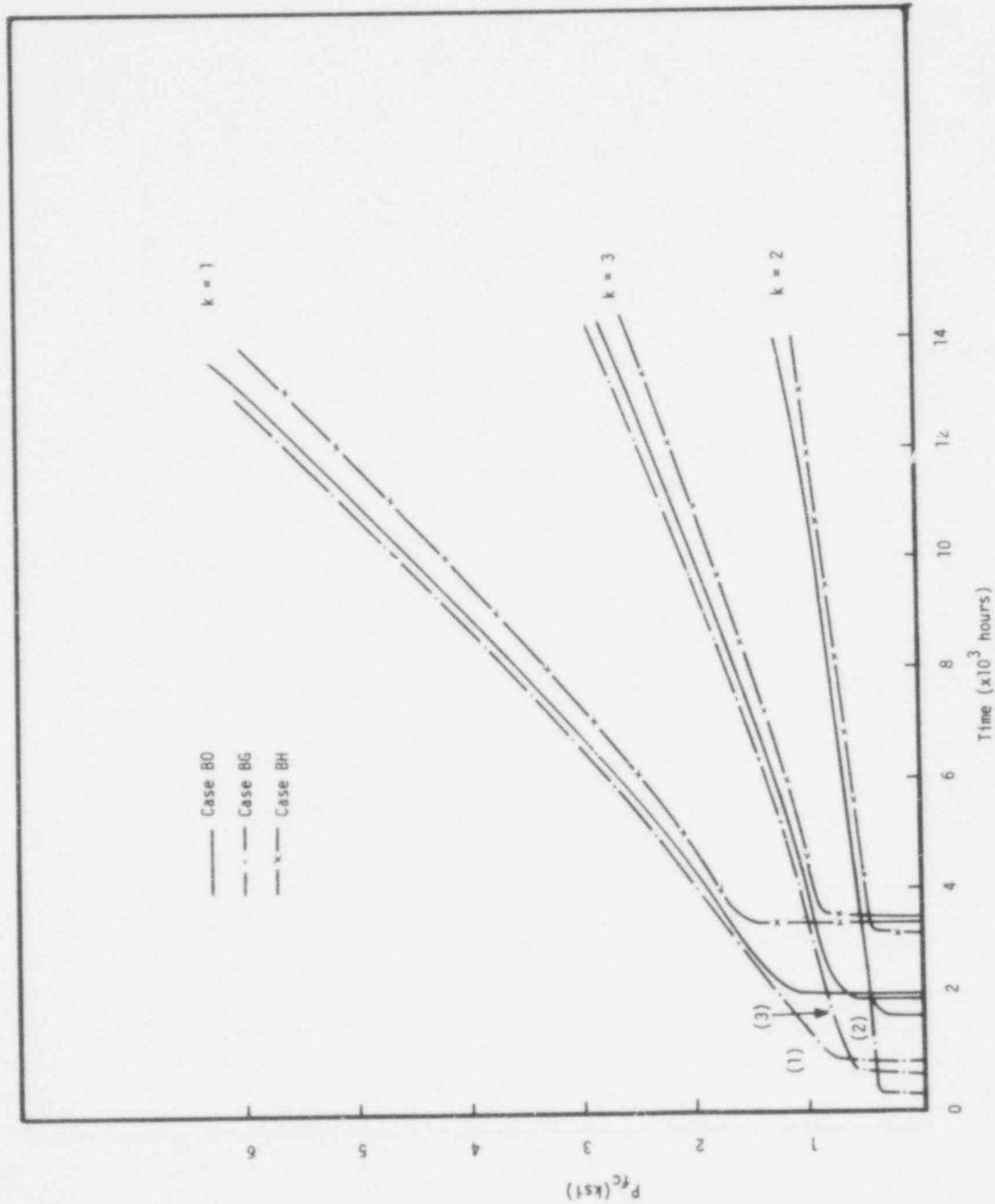


Figure SB - 4. The Fuel-Clad Interaction Force

733 292

POOR ORIGINAL
239

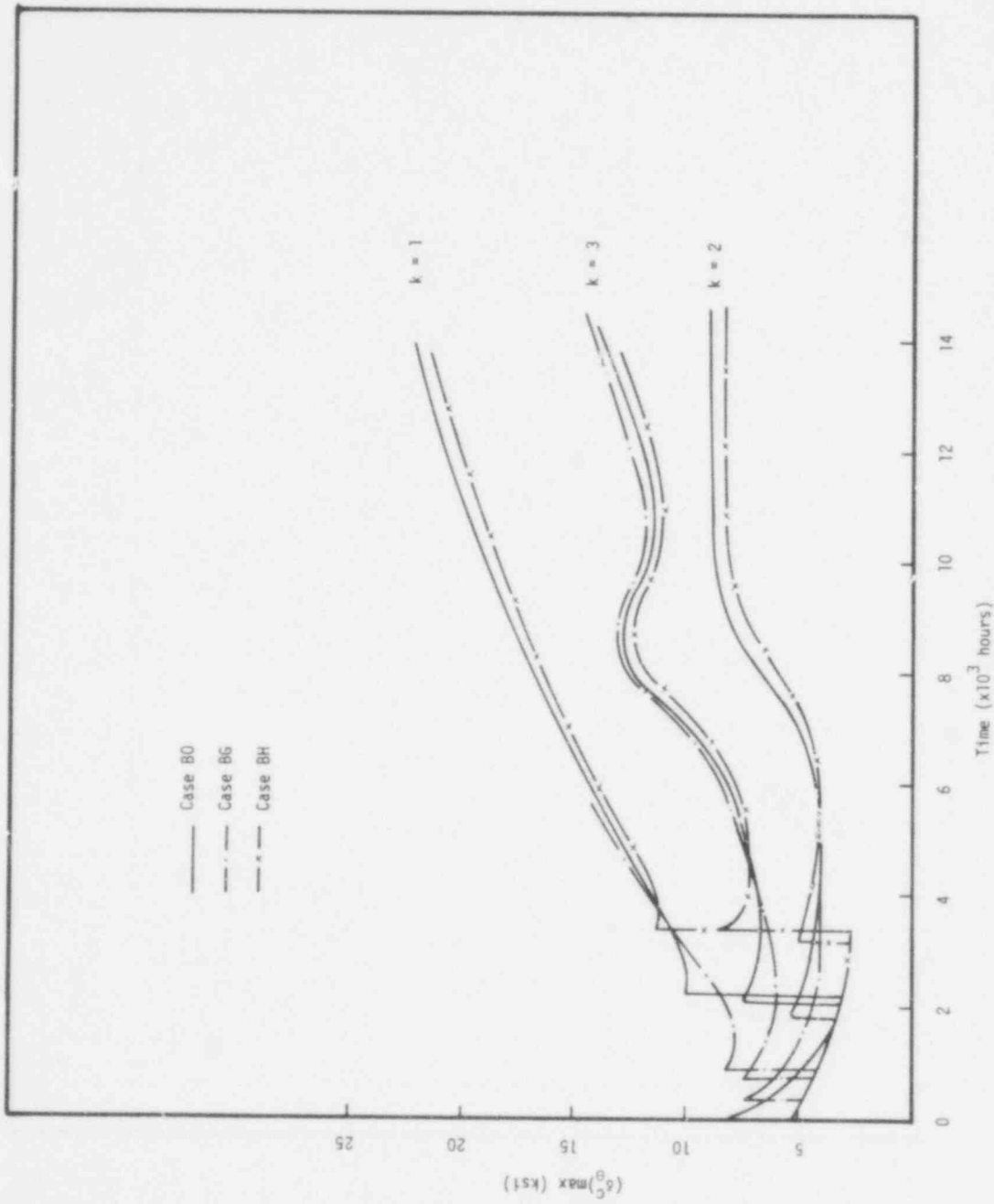


Figure SB-5 The Maximum Hoop Stress in the Clad

POOR ORIGINAL

733 293

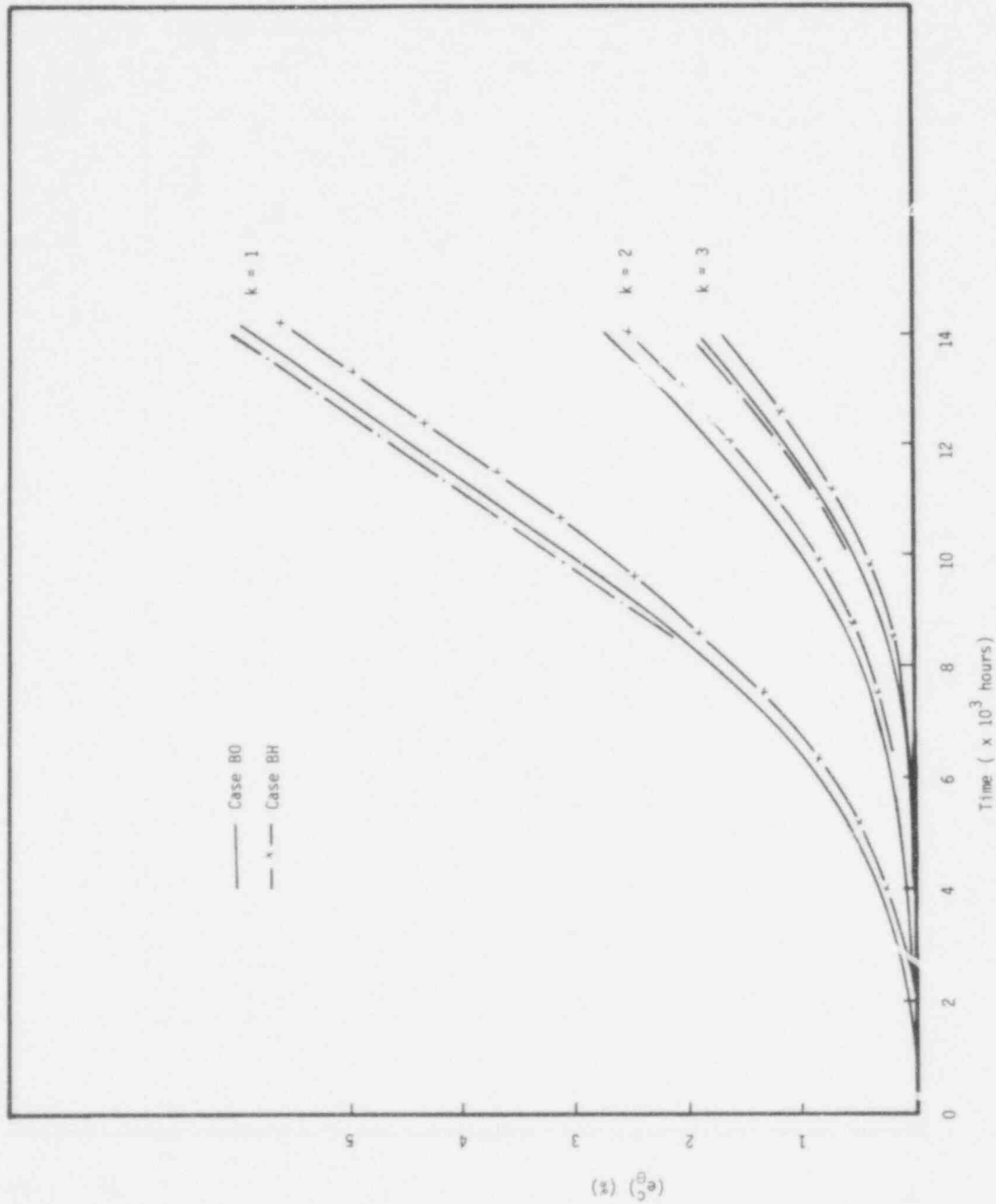


Figure SB - 6. The Total Strain in the Clad.

733 294

POOR ORIGINAL

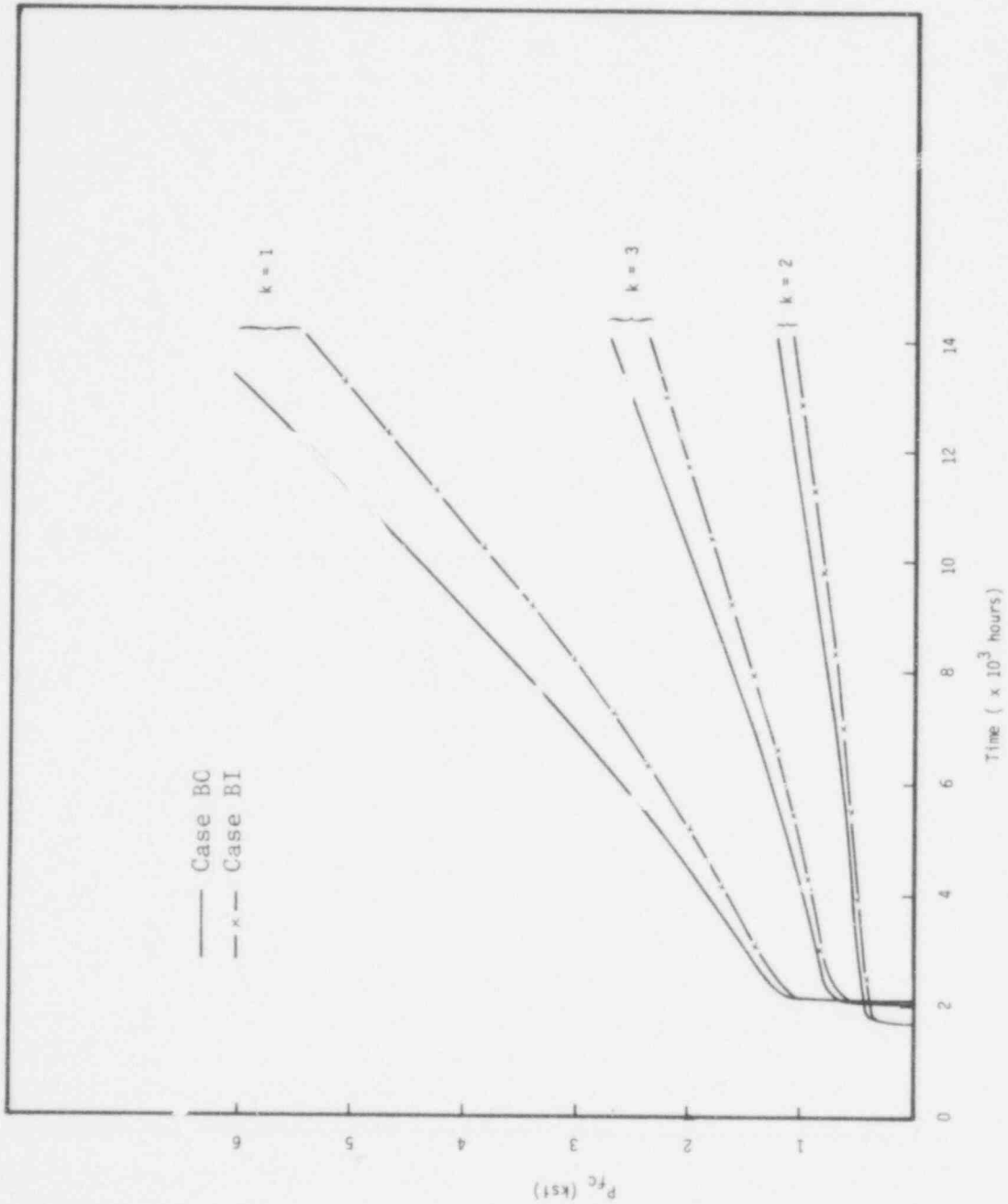


Figure SB - 7. The Fuel-Clad Interaction Force.

POOR ORIGINAL

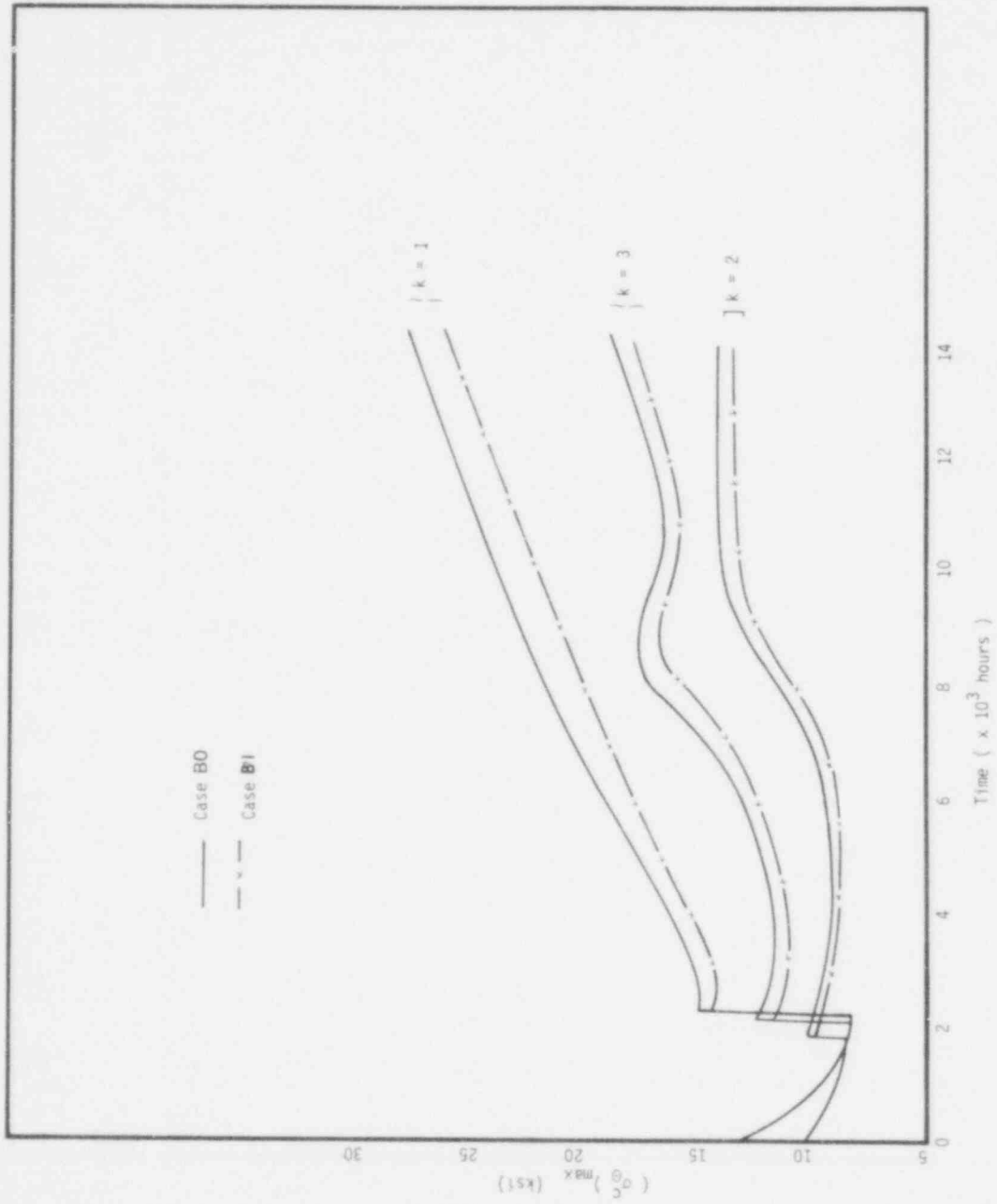


Figure SB - 8. The Maximum Hoop Stress in the Clad.

733 296

POOR ORIGINAL
243

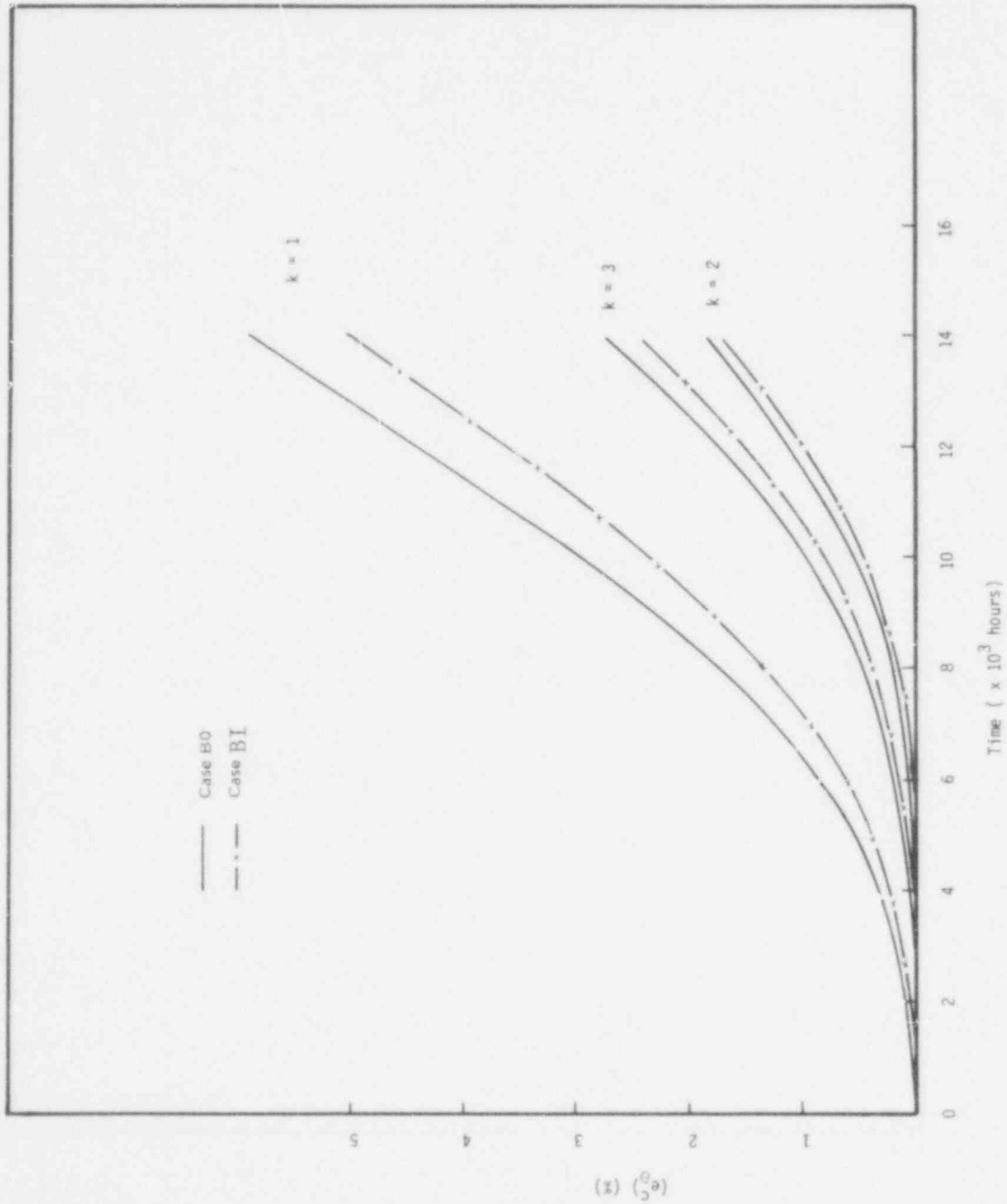


Figure SB - 9. The Total Strain in the Clad.

POOR ORIGINAL

733 297

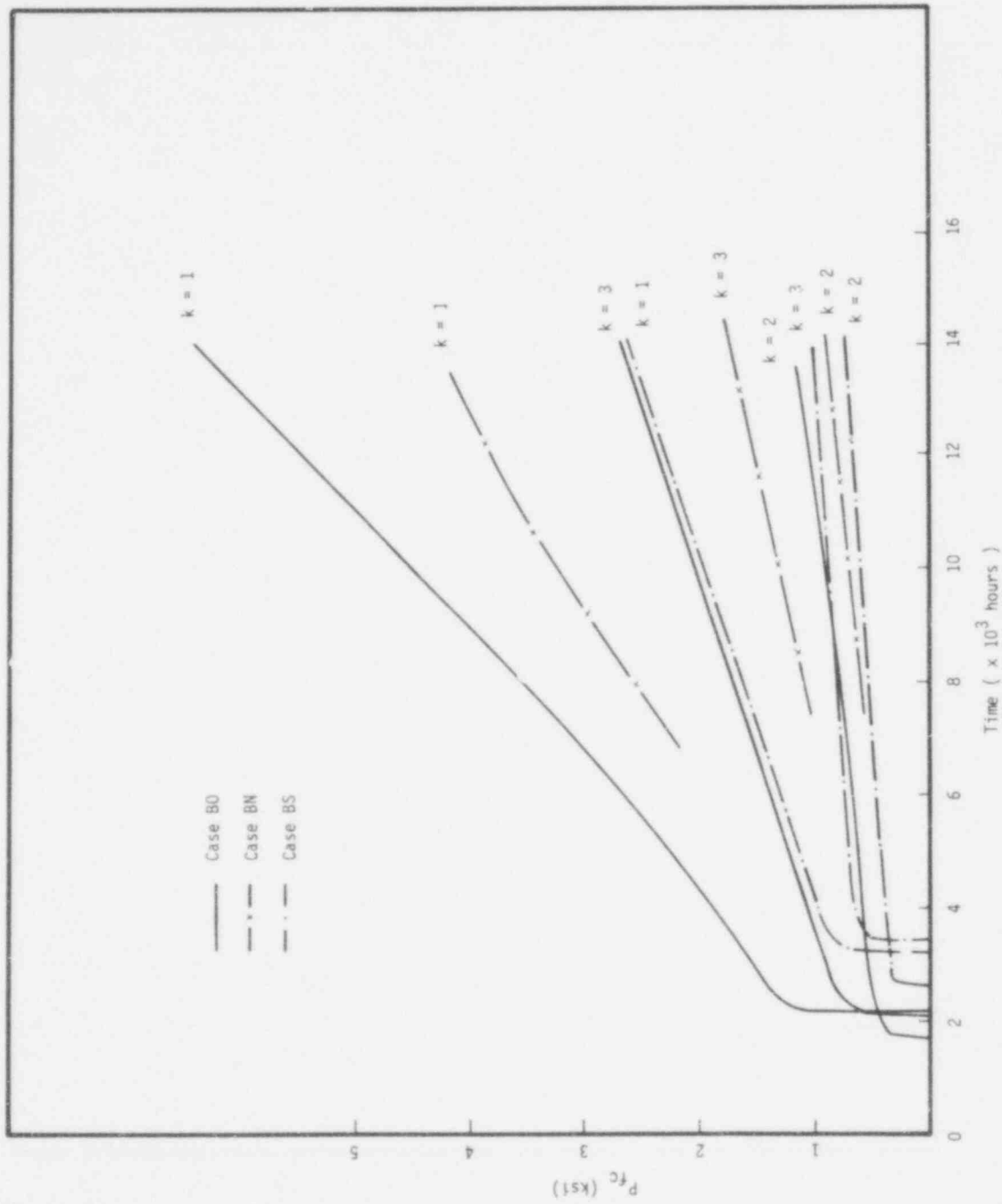


Figure SB - 10. The Fuel-Clad Interaction Force.

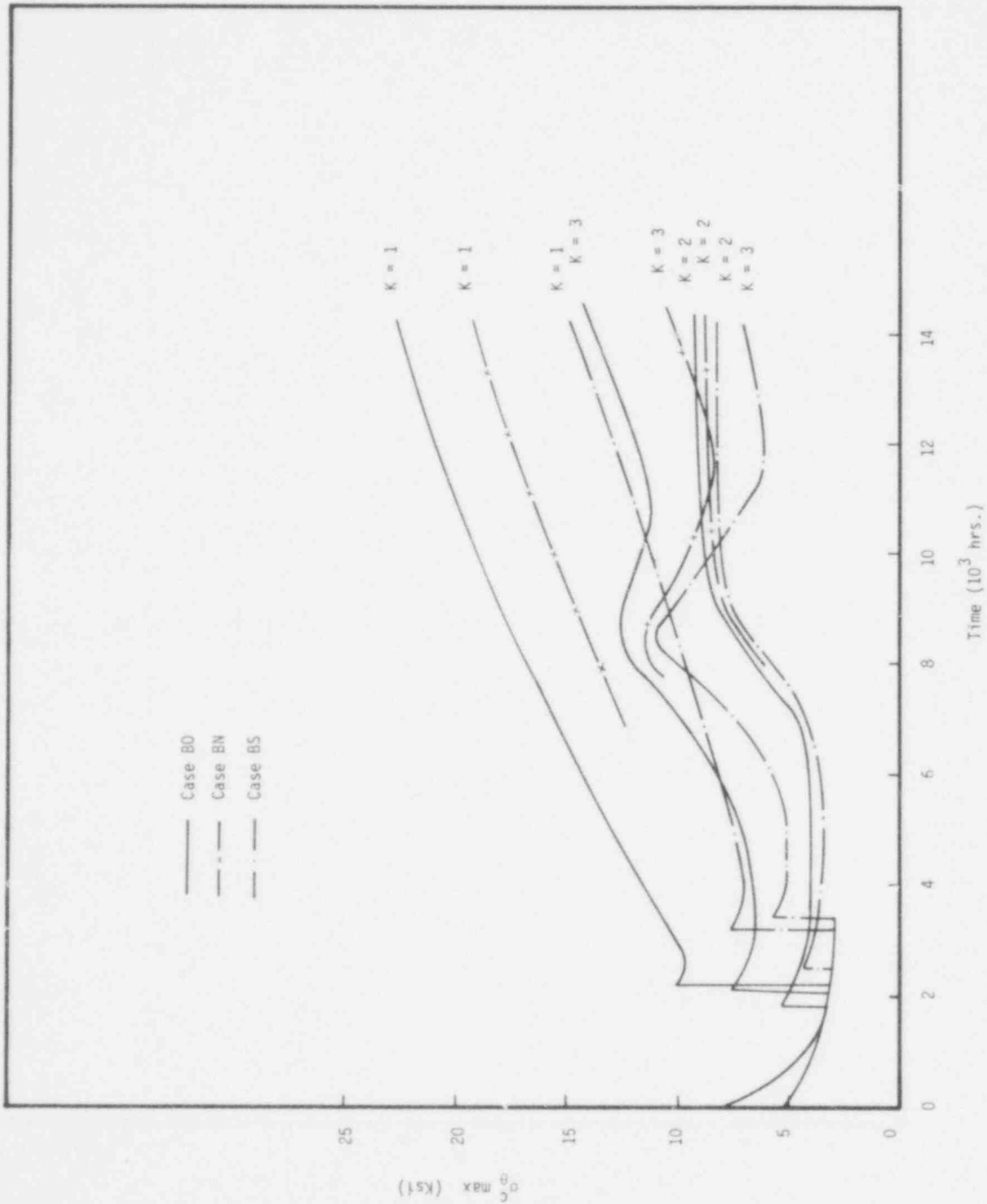


Fig. SB-11 The Maximum Hoop Stress in the Clad.

POOR ORIGINAL

733 299

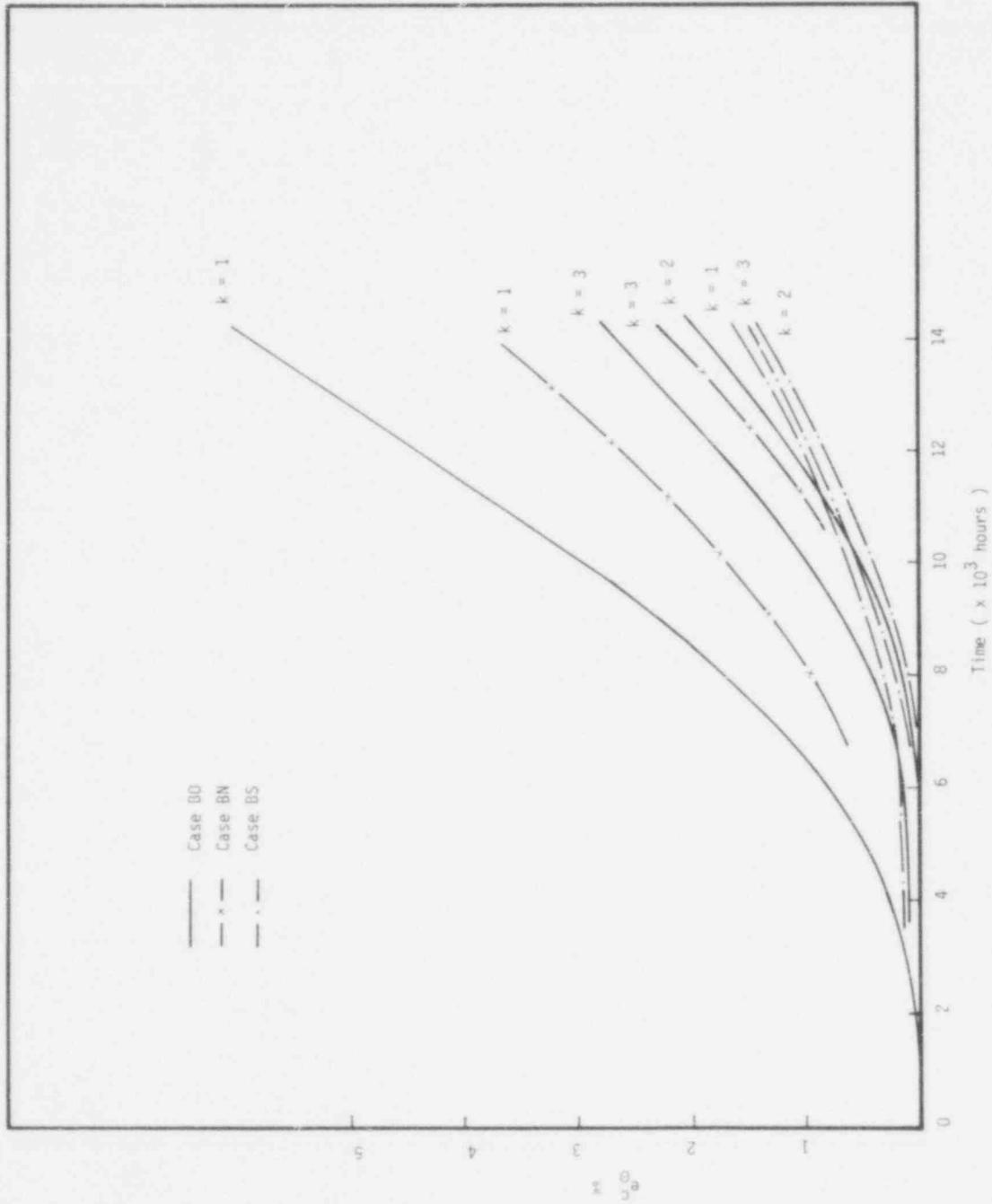


Figure SB - 12. The Total Strain in the Clad.

POOR ORIGINAL 733 300

6 kW/ft Cases

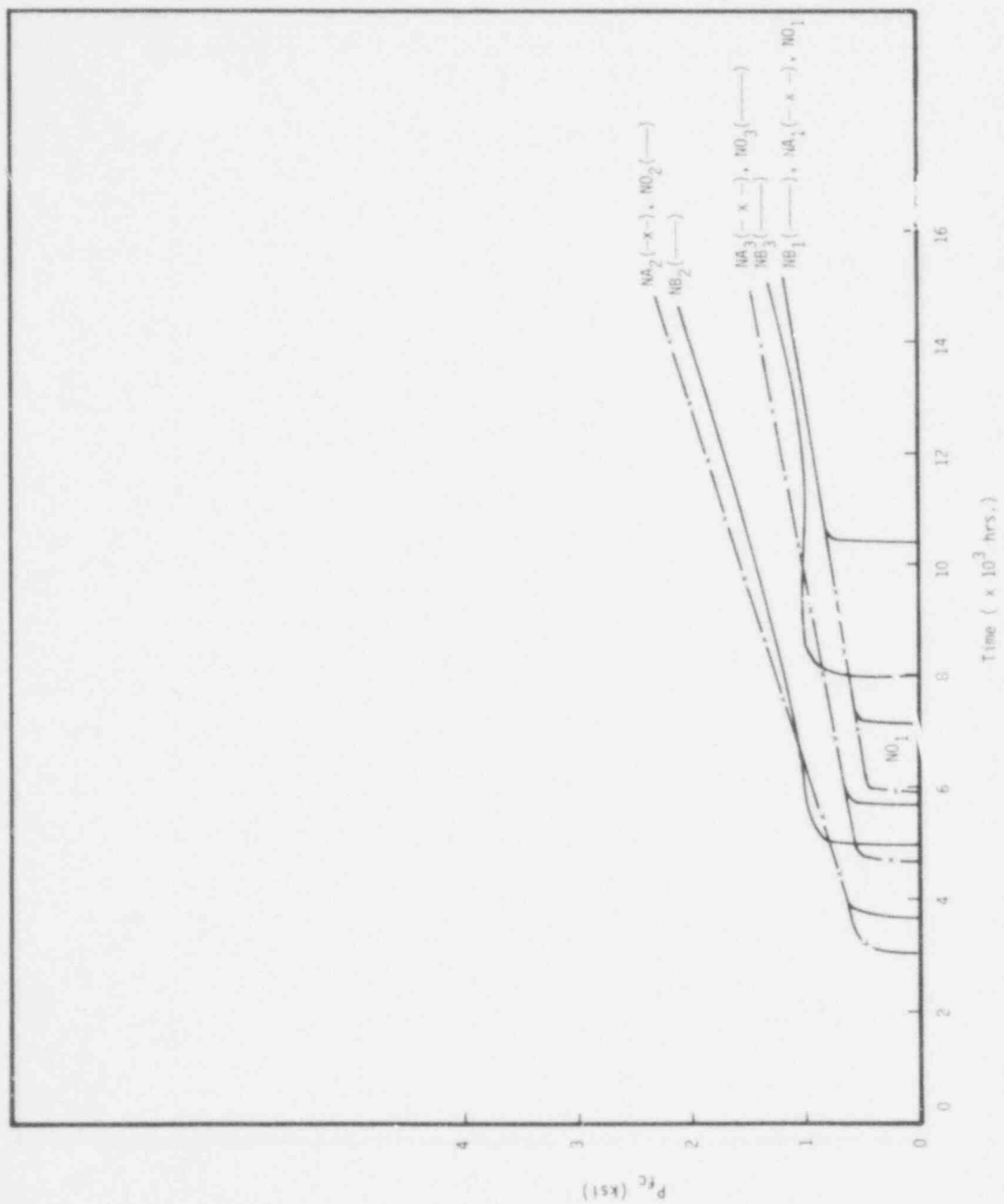


Fig. SN-1 The Fuel-Clad Interaction Force.

POOR ORIGINAL

733 301

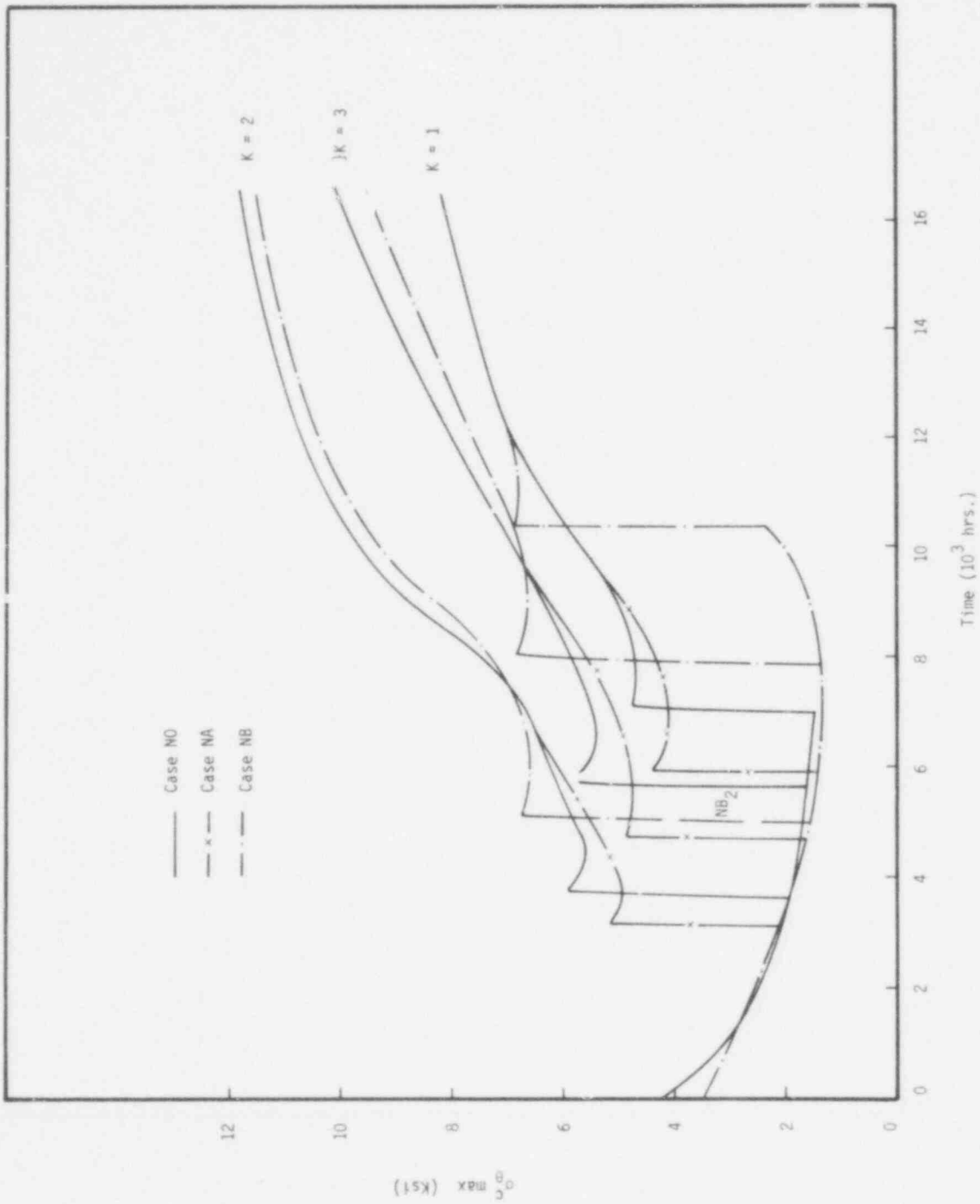


Fig. SN-2 The Maximum Stress in the Clad.

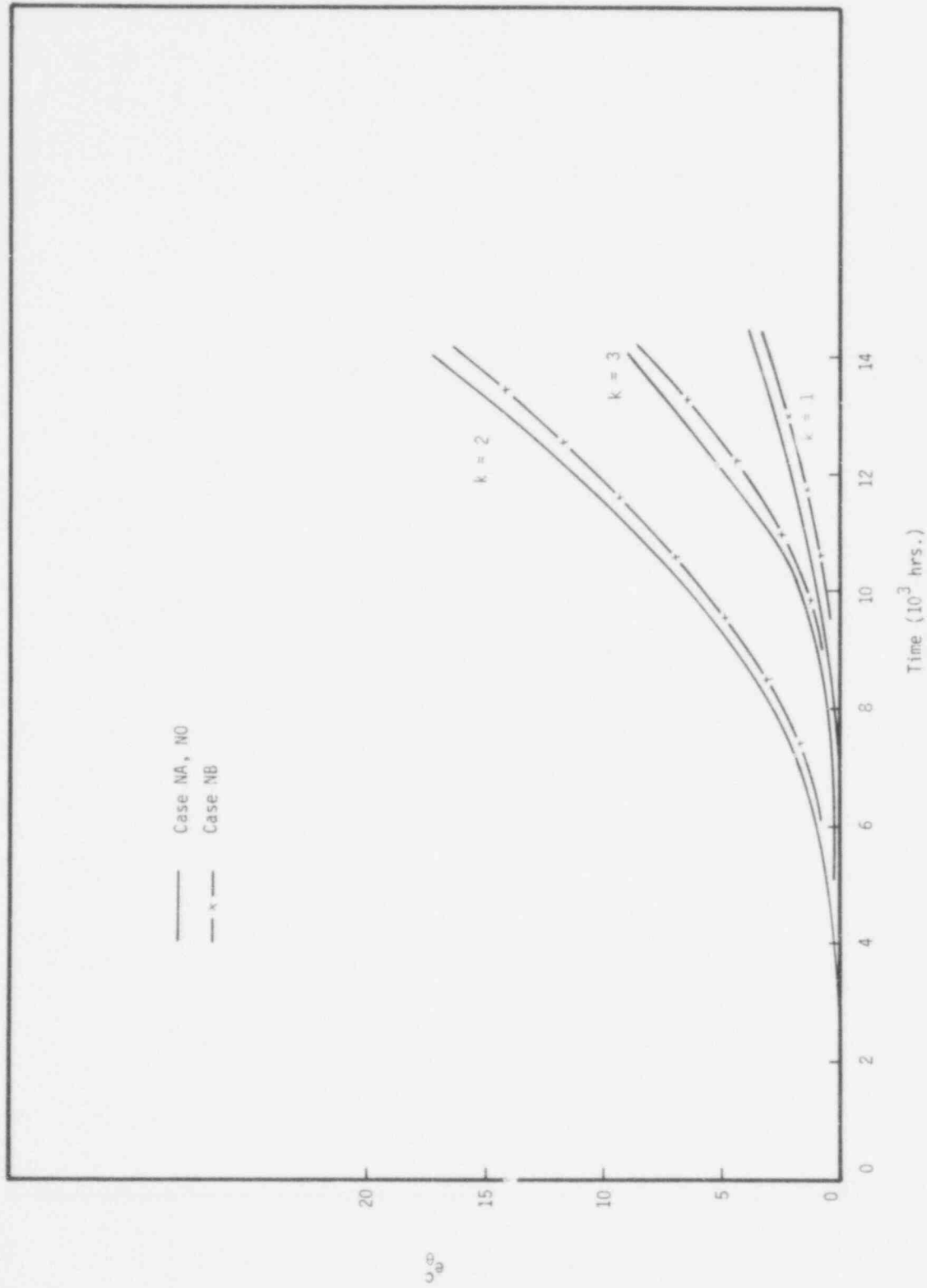


Fig. SN-3 The Total Strain in the Clad.

POOR ORIGINAL

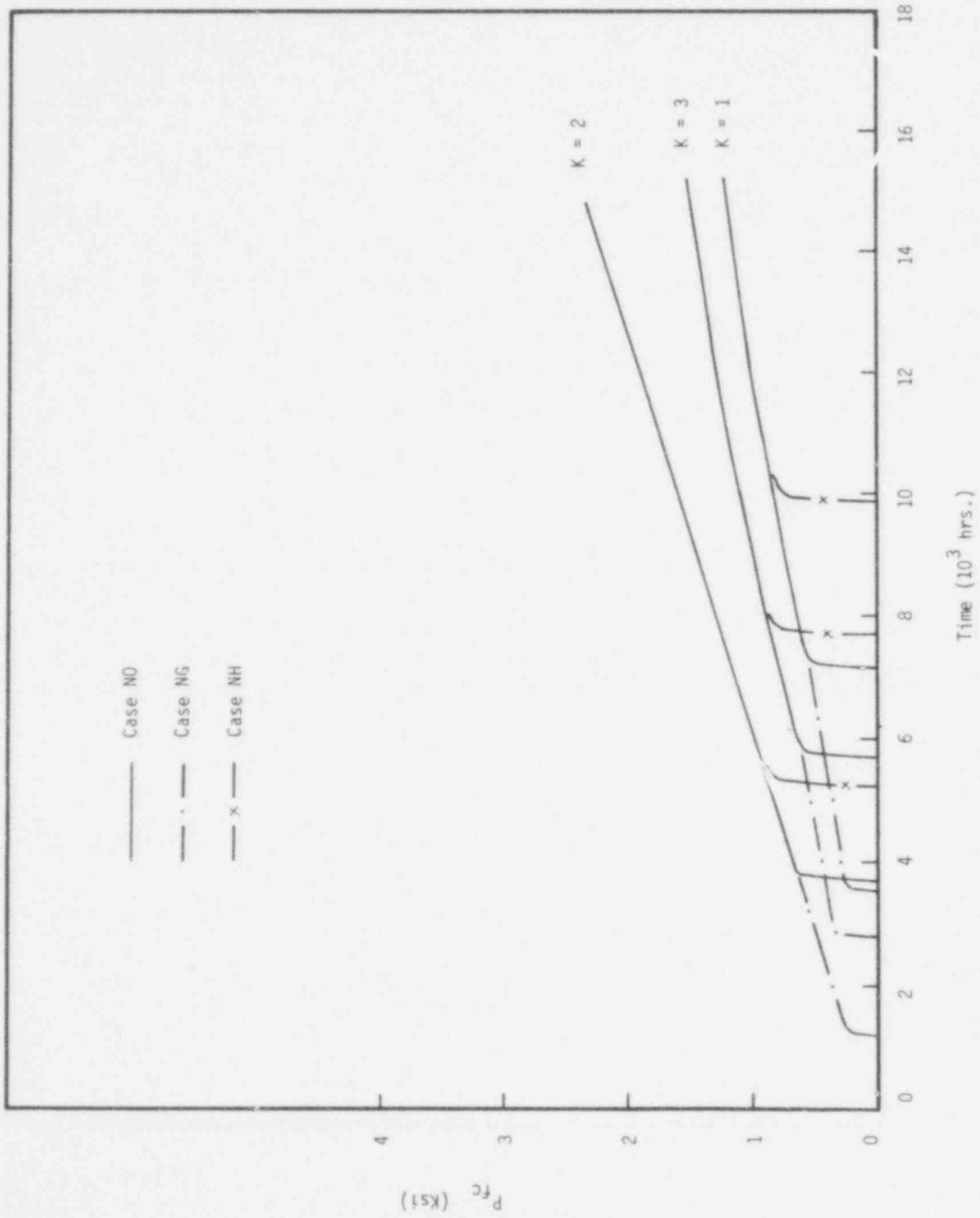


Fig. SN-4 The Fuel-Clad Interaction Force.

POOR ORIGINAL

733, 104

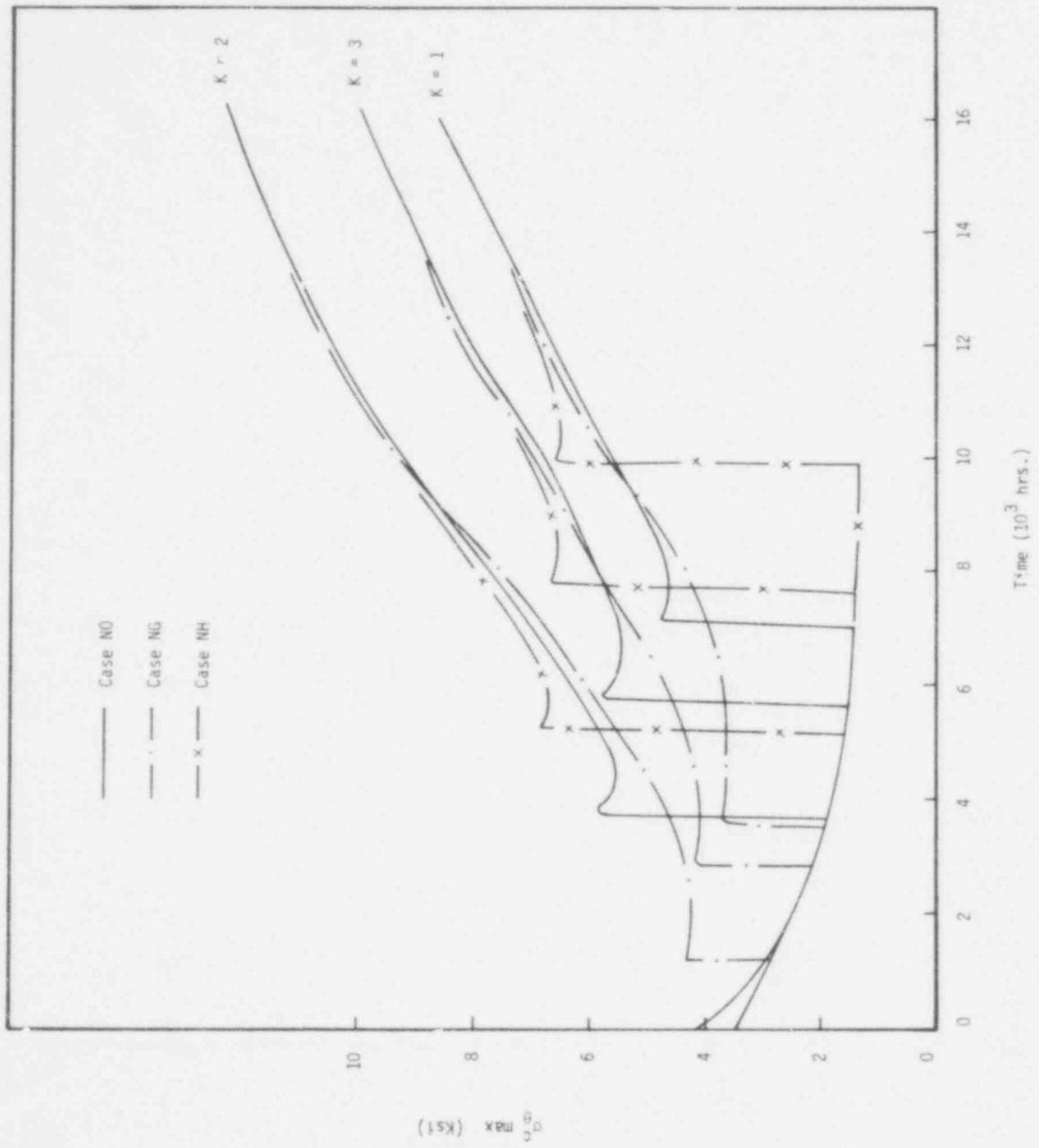


Fig. 2N-5 The Maximum Hoop Stress in the Clad.

POOR ORIGINAL

733 305

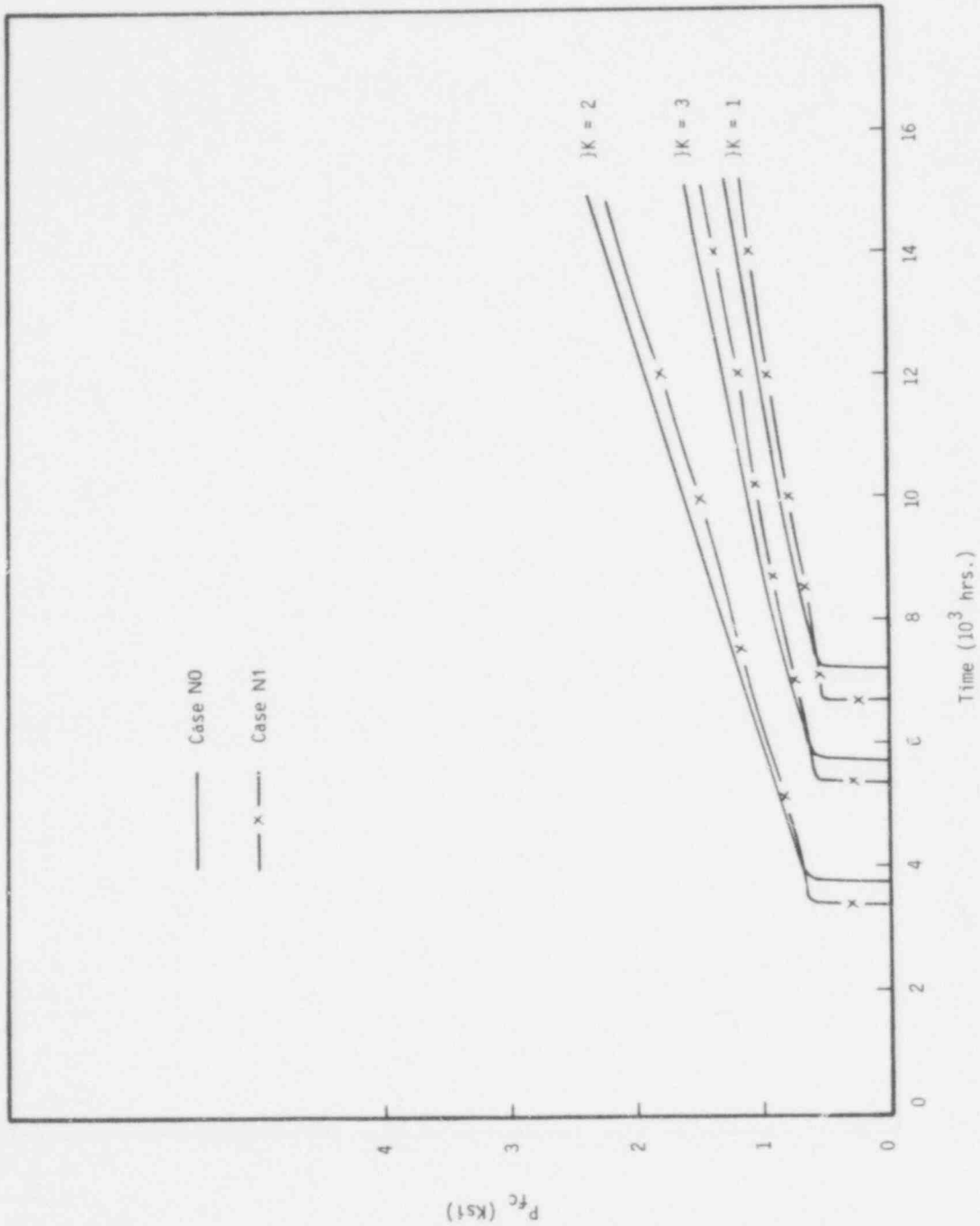


Fig. SN-6 The Fuel-Clad Interaction Force.

POOR ORIGINAL

733 306

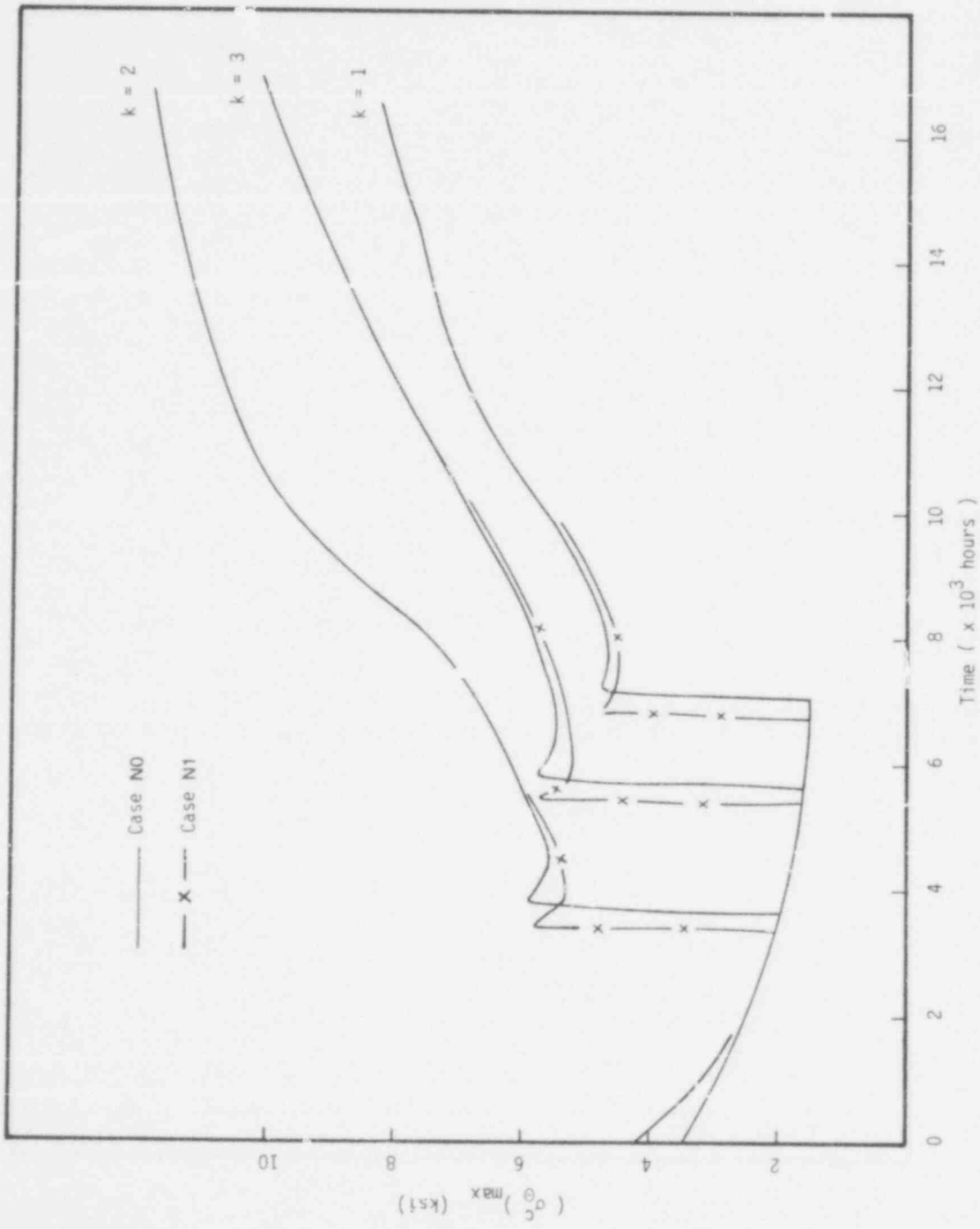


Figure SN - 7. The Maximum Hoop Stress in the Clad.

POOR ORIGINAL

733 307

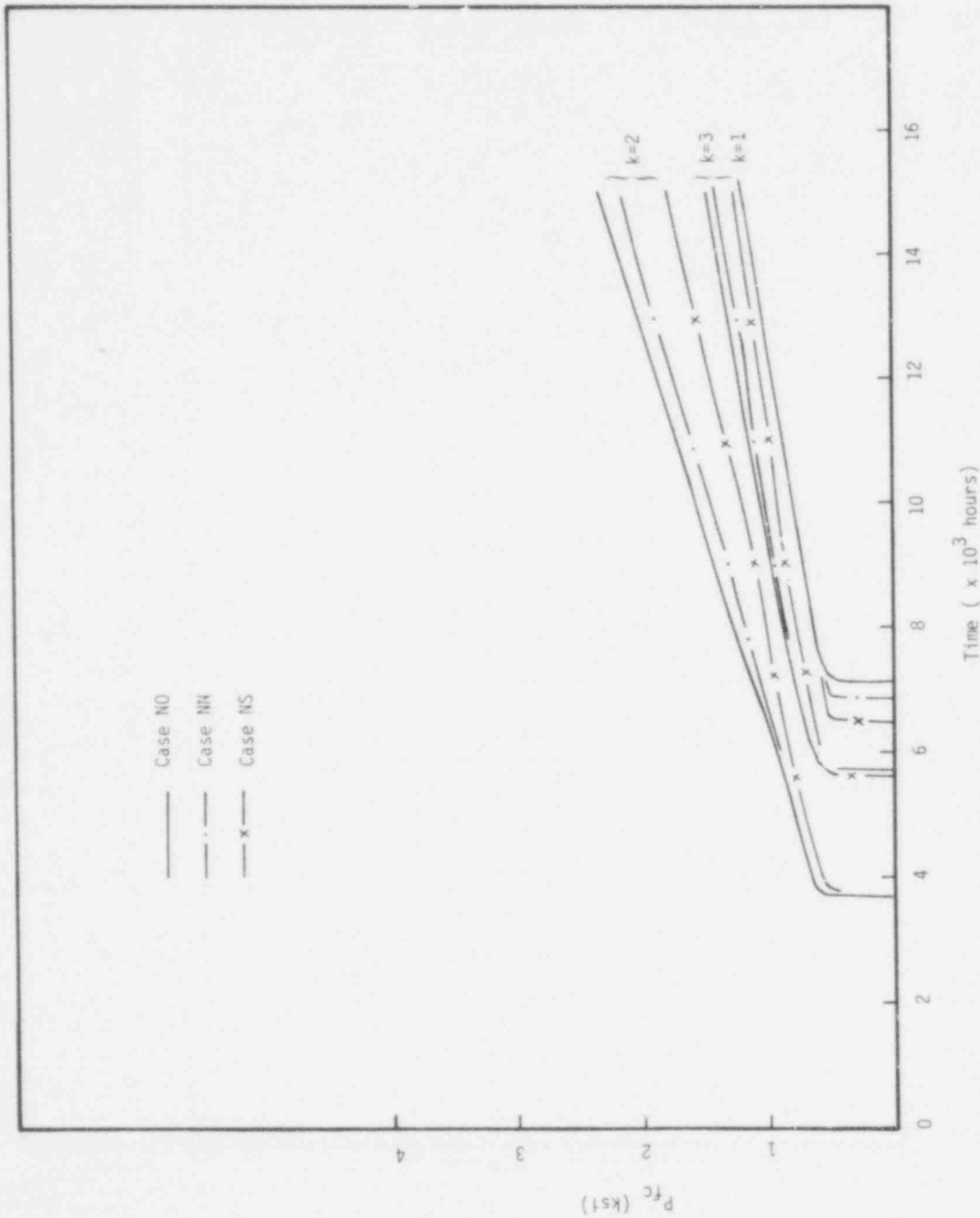


Figure SII-8. The Fuel - Clad Interaction Force.

POOR ORIGINAL

733 308

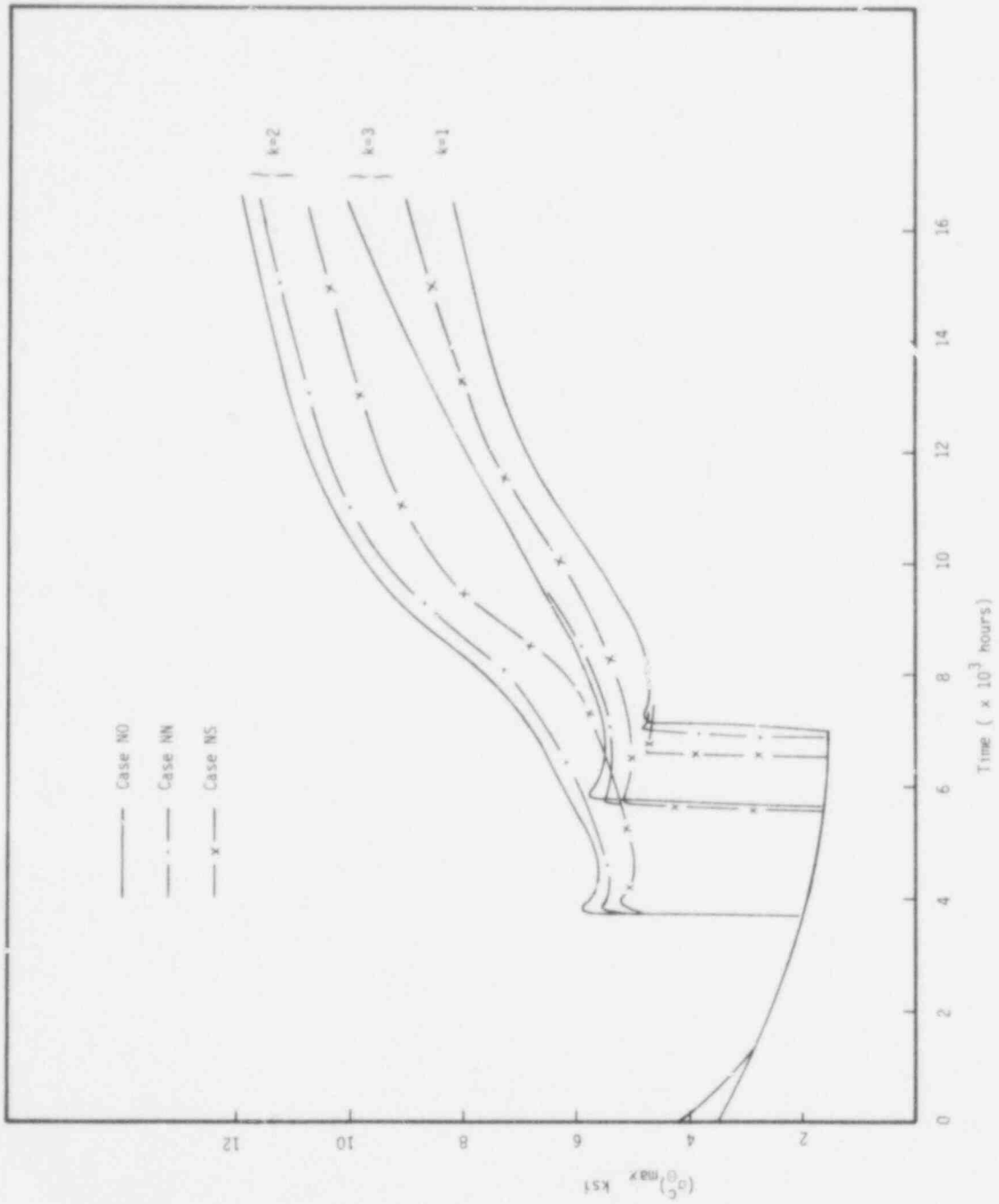


Figure 5B-3. The Maximum Hoop Stress in the Clad

POOR ORIGINAL

733 309

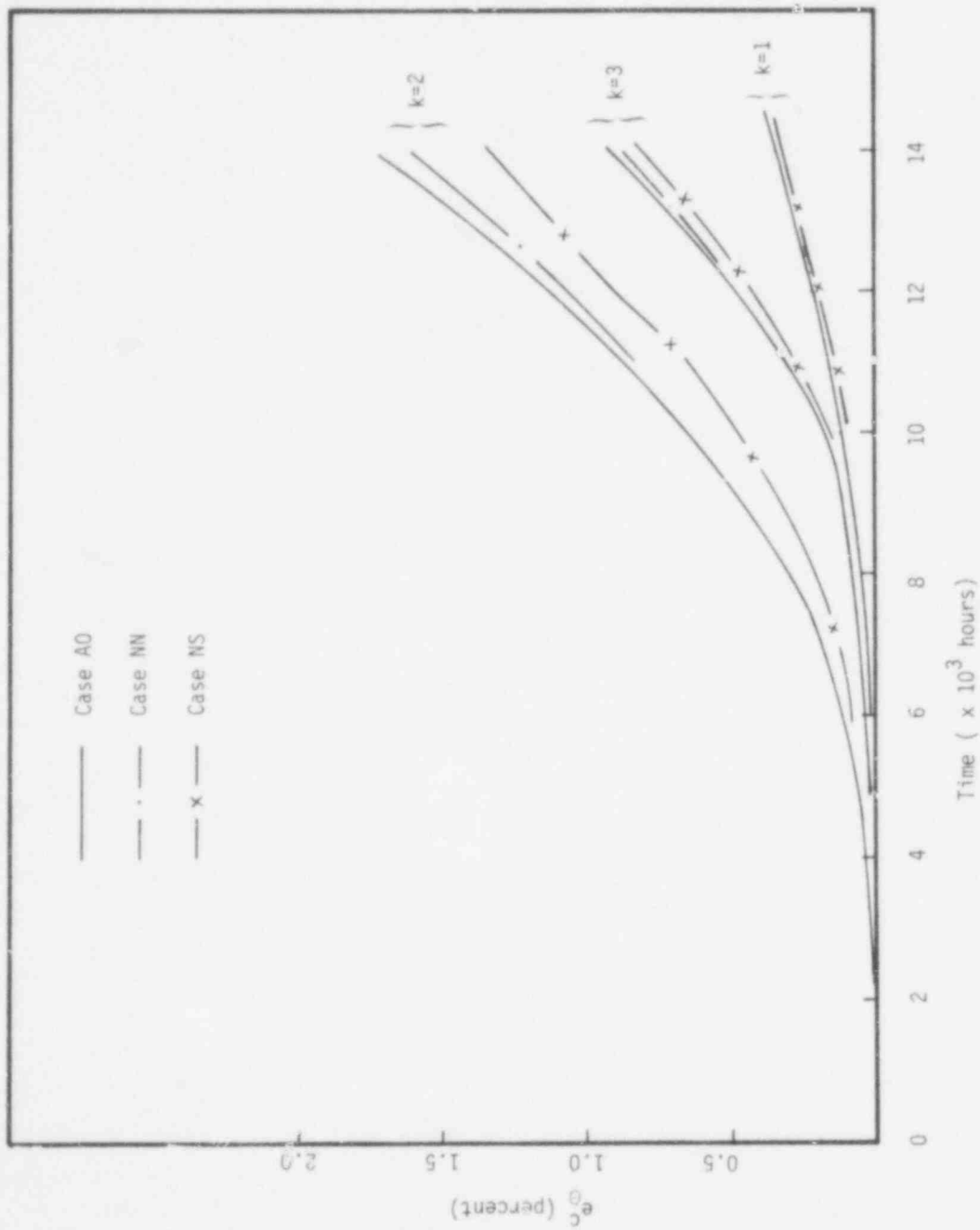


Figure SN-10. The Total Hoop Strain In the Clad

733 310

POOR ORIGINAL

THERE IS NO TEXT ON THIS PAGE

REFERENCES

1. V. Z. Jankus and R. W. Weeks, "LIFE-I, a Fortran-IV Computer Code for the Prediction of Fast Reactor Fuel Element Behavior," ANL-7736, 1970.
2. T. H. Lin, "Theory of Inelastic Structures," John Wiley and Sons, Inc., 1968.
3. J. T. A. Roberts and E. J. Wrona, "Deformation and Fracture of $UO_2 - 20\% PuO_2$," ANL-7945, June 1972.
4. Timoshenko and Goodier, "Theory of Elasticity," McGraw-Hill Book Co.
5. George Sines, "Elasticity and Strength," a UCLA Engineering Syllabus.
6. Nuclear System Handbook, Vol. 1, Design Data, June 19, 1974 Revision.
7. P. Soo, et al., "Type 304 and Type 316 Stainless Steel Data for High Temperature Design," WARD-3045T2C-3, Nov. 1972.
8. Private communication with ANL.
9. W. Chubb, V. W. Storhok, and D. L. Keller, "Factors Affecting the Swelling of Nuclear Fuels at High Temperatures," Nucl. Tech., Vol. 18, p. 231, June 1973.
10. D. S. Dutt, et al., "A Correlated Fission Gas Release Model for Fast Reactor Fuels," ANS Trans. 15, No. 1, p. 198, 1972.
11. J. H. Scott, et al., "Post Irradiation Examination of Fuel Pins PNL-10-23 and PNL-10-63," HEDO-TME-74-23, May 1974.

735 312

THERE IS NO TEXT ON THIS PAGE

733 313


```

*****
QCK2501 UCL CARD ENCOUNTERED->NLR211LL,LIST,LEE
*****FUEL STRESSES AND BOUNDARY DISPLACEMENT BY CREEP,SWELLING, JH000280
*****HOT PRESS.,AND GAS PRESS., AT STEADY STATE />CD DK000300
***** STRESSES ALL RELAXED WITHIN REGION T ,GT. 1000 DEGREE C DK000320
***** CLADDING STRESSES AND DISPLACEMENT AT STEADY STATE DK000340
***** CREEP AND SWELLING DK000360
***** BAOLEE=1 : GAP UPEN DK000380
***** BAOLEE=2 : GAP CLUSED DK000400
COMMON/FCBV/ACB(15),BC(15),AFB(15),BFB(15),FTIME,T,ET,RF1, YH000100
1 RF2,DP0,MP,MG,JF,MPRINT,RV1,RV2,MPUNCH,MBULE,TCLB,TFLB,RF5(15) YH000120
2,VDLM,VOLU,VOL,AVETK,GAS,AC(15),BC(15),AF(15),BF(15),FL(15)
COMMON/COMFC/J,K,T(4E),DTIME,FR(5,15),FDR(5,15),FSTSH(5), YH000160
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5), YH000180
2 CSTSZ(5),NZ,NR,MFR,MP,BAOLEE,MTLST,FLUX(15) YH000200
COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,CE,CP,CTF(5,15), YH000220
1 CUA(15),CUB(15),TCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,UA2BA2, YH000240
2 CUA3UU,CADEA2,CDBA2 YH000260
COMMON/CONSTF/FA,FB,FA2,F32,FBA2,FL,FP,FU2,FUA1,FUA2,FUA3, YH000280
1 FUA5,FUA6,FTF(5,15),TFA,TFB,FDB,FDB(15),FAA,FUU,FBA2, YH000300
2 FBA22,FBB26,FUA3UU,U1,U3,FUA2A2,FUBA2,FA1U YH000320
COMMON/FCREPM/FC3,FOTSH(5),FOTSR(5),FOTSZ(5),FS1(5),FS2(5), YH000340
1 FS3(5),FDSTRH(5),FUSTRH(5),FDSSTRZ(5),FSTSHB(5,15),FSTSRB(5,15), YH000360
2 FSTS2B(5,15),SHB(5,15),SRB(5,15),S2B(5,15),PN(5),SE(5),SH(5), YH000380
3 SR(5),SZ(5),FMX YH000400
COMMON/CCREPM/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTRB(5), YH000420
1 CDSTRZ(5),S1(5),S2(5),S3(5),CP3,CSTSHB(5,15),CSTSRB(5,15), YH000440
2 CSTSZB(5,15),SHCB(5,15),SRCB(5,15),SZCB(5,15),CN(5),CSE(5), YH000460
3 CSH(5),CSR(5),CSZ(5) YH000480
COMMON/CSWLM/CSWB(5),CSW1(5),CSW(5),CSWH(5),CSWR(5),CSWZ(5), YH000500
1 CUSWA(15),CUSWB(15),CT5W(5),CSWB(5,15) YH000520
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15), YH000540
1 PL(15),CUEA(15),CUEB(15),FUBA(15),BULE(15),CUAB(15),CUEB(15), YH000560
2 UCPAB(15),UCPBB(15),CUEA3(15),CUEB3(15),CUSWA6(15),CUSWB6(15), YH000580
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3, YH000600
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPRB(5,15), YH000620
5 FCPHB(5,15),CCPHB(5,15),CCPR3(5,15),CCPZB(5,15),FSWUBB(15), YH000640
6 FCPBB(15),FUEB(15),FUER3(15),FERH(5),FERR(5),FENZ(5),FCPZ(5,15) YH000660
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CLPN(5,15),CCPZ(5,15), YH000680
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5), YH000700
9 CTRZ(5),CTRH(5),CERR(5),CERZ(5) YH000720
COMMON/MIX2/DPGAS,PgAS,FPJ,FDPJ,FP1,FDP1,PFC(15),DPFC,CP0,CP1, YH000740
1 FDSWB,FDSWH(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDP1,CDP3,CDCHE(5) YH000760
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFP2,DP1,DP2, YH000780

```

POOR ORIGINAL

```

3 FTSW(5,15)
DIMENSION FGR(5,15),VV(5,15),FGVP1(5,15),FGVP2(5,15),V1(5),
1 V2(5), MPPFC(15),REOPEN(15),TDHP(5),DDHP(5),V(5),
2 S11(5),S12(5),SEK(5,15),CPR(5),DCP(5),F(5),CTZ(5),DSTu(5),
3 CPRK(5,15),H(5),RR(5),Z(5),PCB(5,15),GAP(15),SSW(5),UM(15),
4 V3(5),FDTS(5),CDTS(5),PEF( 5),NBOLE(15),FTSWH(5,15),DPFCK(15),
5 FFLUX(15)
CALL READ(CTR,DTIMEL,DPFCK,MPPFC,CIPFC,FJMX,NBOLE,VRC,
1 FSO1,F5Q2,TF5Q1,TF5Q2,NF5W,NC5W,FT5WB,SHFC,PFPC,SPU,TCLOSE,
2 DCL,DFL,REOPEN,MSHP,TGRM,TGM,AVCV,FPDEN,FFLUX)
PDR0=1,-FPDEN
FE=(3.292E7)*(1,-2.35*PDR0)
FP=0.317*(1,-0.46*PDR0)
FP=0.91986*FP+0.0401
CP=0.3
CE=2.9E7
CALL WINP
J=J+1
MFM1=MFR-1
MFM2=MFR-2
NZ1=NZ-1
DO 60 K=1,NZ1
DO 60 I=1,MFR
PNB(I,K)=(FSTSHB(I,K)+FSTSRB(I,K)+FSTSZB(I,K))/3.
SHB(I,K)=FSTSHB(I,K)-PNB(I,K)
SRB(I,K)=FSTSRB(I,K)-PNB(I,K)
60 SZB(I,K)=FSTSZB(I,K)-PNB(I,K)
DO 61 K=1,NZ
DO 61 I=1,MR
PCB(I,K)=(CSTSHB(I,K)+CSTSRB(I,K)+CSTSZB(I,K))/3.
SHCB(I,K)=CSTSHB(I,K)-PCB(I,K)
SRCB(I,K)=CSTSRB(I,K)-PCB(I,K)
61 SZCB(I,K)=CSTSZB(I,K)-PCB(I,K)
CAA=1.32E7
CUU=0.88E7
FDPA=(1.+FP)*(1.-2.*FP)
FAA=FP*FE/FDPA
FUU=FE/(2.*(1.+FP))
FA1U=FAA+FUU
FA2U=FAA+2.*FUU
FAA1=4.*(FUU**2)/FA2U
FAA2=FAA/FA2U
FAA3=2.*FUU*FAA/FA2U
FU2=2.*FUU
FAA5=FAA/(FAA+FUU)
FAA6=FAA5*FAA1
FAA2=FU2*FAA
FUA3UU=(FUA3+FUU)*2./3.
A1U=CAA+CUU
A2U=CAA+2.*CUU
UA1=4.*(CUU**2)/A2U
UA2=CAA/A2U
UA3=2.*CUU*CAA/A2U
U2=2.*CUU
UA5=CAA/(CAA+CUU)
UA6=UA5*UA1
UA2=U2*CAA
CUA3UU=(UA3+CUU)*2./3.
GF=(FAA+2.*FUU/3.)*(1.+FUU/FA1U)*0.1/(2.*FA2U)
AVPL=0.

```

0001320
0001340

0001360
0001380
0001390
0001320
0001340
0001350
0001360
0001370
0001380
0001390
0001400
0001410
0001420
0001430
0001440
0001450
0001460
0001470

0001480
0001490
0001500
0001510
0001520
0001530
0001540
0001550
0001560
0001570
0001580
0001590
0001600

```

205 IF(BOLE(K) .EQ. 2.) GAP(K)=0.
    DO 206 K=1,NZ1
    IF(BOLE(K) .EQ. 2. .AND. NBOLE(K) .EQ. 1 ) GO TO 207
    GO TO 206
207 NBOLE(K)=2
    TCLOSE=TIME
    GO TO 208
206 CONTINUE
208 CONTINUE
    TTS=(1.-1./FSQ1)*TIME/TFSQ1
    CRLM=CTR*(TTS+1./FSQ1)
    IF(TIME.GT. TFSQ1) CRLM=CTR
    DO 209 K=1,NZ1
    IF(BOLE(K) .EQ.2.) GO TO 202
209 CONTINUE
    GO TO 203
202 T1=(TIME-TCLOSE)/TFSQ2
    T2=CTR/FSQ2
    CRLM=T1*(CTR-T2)+T2
203 CONTINUE
    NZD2=NZ/2
    IF /CPRK(1,NZD2) .LT. 1.E-10) CPRK(1,NZD2)=1.E-10
    DTIME=(CRLM )/CPRK(1,NZD2)
    IF(DTIME.GT.DTIMEL) DTIME=DTIMEL
    IF(TIME .LT. 5.) DTIME=0.5
    NZ2=NZ-2
    GP=PFC(1)
    DO 75 K=1,NZ2
    K1=K+
75 GP=AMAX1(GP,PFC(K1))
    APFC=(1./SPD-1.)*DTIMEL/(PFPC-SPFC)
    BPFC=DTIMEL-APFC*SPFC
    IF(GP.GT. SPFC)DTIME=APFC*GP+BPFC
    IF(GP.GT. FPFC)DTIME=DTIMEL/SPD
    TIME=TIME+DTIME
    VCV=0.
    VGAP=0.
    DO 70 K=1,NZ1
70 FL(K)=TFLB/NZ1
    DO 71 K=1,NZ1
    VCV=VCV+3.1416*( AVCV**2)*FL(K)
71 VGAP=VGAP+3.1416*FL(K)*(ACB(K)**2-BFB(K)**2)
    VPL=3.1416*(TCLB-TFLB)*(ACB(NZ)**2)
    VOL=VCV+VGAP+VPL
    VOLN=0.
    VOLU=0.
    DO 72 K=1,NZ1
72 VOLM=3.1416*FL(K)*(RRES(K)**2 )+VOLM
    VOLU=3.1416*FL(K)*(BFB(K)**2-RRES(K)**2)+VOLU
    DTCK=0.
    DTFK=0.
    BUAV=(2.56567E-6)*AVPL*TIME/3.1416/AVBF2
    F1=0.66427*BUAV
    RUF=1.-{[1.-EXP(-F1)]/F1}/(0.421*EXP(0.05*AVPL))
    IF(RUF .LT. 0.) RUF=0.
    GFFM=GAS*3600./[6.02E23]
    TGRMN=GFFM* TIME*(RUF*VOLU+VOLM)
    TGMN=GFFM* TIME*(VOLU+VOLM)
    DGRN=TGRMN-TGMN
    TGRM=TGRMN

```

ORIGINAL
POOR

```

AVBF=0.
DO 73 K=1,NZ1
AVPL=AVPL+PL(K)/NZ1
73 AVBF=AVBF+BFB(K)/NZ1
AVBF2=AVBF**2
GAS=(6.1474E11)*AVPL/...1416*AVBF2)
TGRM=0.
FVQ=RF2+(RF1-RF2)/4.
CVO=RV2+(RV1-RV2)/4.
GO TO 23
C***** ITERATION FOR DEEP PRECISION
350 IF (MF .EQ. 1) GO TO 351
IF (MF .EQ. 2) GO TO 352
351 TIME=TIME-DT*MF
FMX1=FMX
DTIME1=DTIME
DTIME=DTIME+FVQ/FMX
MF=2
GO TO 23
352 TIME=TIME-DTIME
FMX2=FMX
DTIME2=DTIME
IF (FMX1 .EQ. FMX2) GO TO 353
DTIME=DTIME2+(DTIME1-DTIME2)*(RF1-FMX2)/(FMX1-FMX2)
FMX1=FMX2
DTIME1=DTIME2
GO TO 23
23 CONTINUE
CSCPD=0.
FSCPD=0.
DO 58 K=1,NZ1
DO 59 I=1,MFR
SS=(FSTSXB(I,K)-FSTSXB(I,K))**2+(FSTSXB(I,K)-FSTSXB(I,K))**2
1 *(FSTSXB(I,K)-FSTSXB(I,K))**2
SEK(I,K)=(SS/2.)*.5
FTR=FTF(I,K)+459.64
TS=SEK(I,K)**.5
EXP1=EXP((-1.1963E5)/FTR)
EXP2=EXP((-8.1566E4)/FTR)
C75 FORMAT(2X,'T1,T2,SE,EXP1,EXP2,TS',6E14.3)
FPDEN1=FPDEN
IF (FPDEN .LT. 0.92) FPDEN1=0.92
FCPA=(1.376E-4)/(-90.5+100*FPDEN1)
FCPA1=(9.726E 6)/(-87.7+100*FPDEN1)/100.
CPRK(I,K)=(FCPA )*EXP1*TS+((FCPA1 )*(EXP2)+(8.E-24)
1 *FLUX(K))*SEK(I,K)
59 CONTINUE
58 CONTINUE
PPP=0.
DO 205 K=1,NZ1
BOLE(K)=2.
GAP(K)=ACB(K)-BFB(K)
IF (GAP(K) .GT. 0.) BOLE(K)=1.
IF (BOLE(K) .EQ. 2. .AND. PFC(K) .LT. PGAS) REOPEN(K)=2.
IF (REOPEN(K) .EQ. 2.) GO TO 355
GO TO 356
355 BOLE(K)=1.
IF (GAP(K) .LT. 0.) GAP(K)=0.
356 CONTINUE
IF (BOLE(K) .EQ. 2.) PPP=PPP+1.

```

```

DR001980
DR002320
DR002000
DR002020
DR002040
DR002060
DR002080
DR002100
DR002120
DR002140
DR002160
DR002180
DR002200
DR002220
DR002240
DR002260
DR002280
DR002300
DR002040
DR010440
DR010720
DR011080

```

POOR ORIGINAL

263

733 316

```

PERGR=(TGRMN/TGGM)*100.
AVETK=(CTF(1,NZ)-32.)#0.550+27J.
DPGAS=73.578*AVETK*DGRR/VOL
PGAS=PGAS+DPGAS
K=1
FKMX=0.
SFTRZK=0.
SCTRZK=0.
26 CONTINUE
IF(K.EQ.NZ) GO TO 67
CA=ACB(K)
CB=BCB(K)
67 CONTINUE
IF(K.EQ.NZ) GO TO 65
FA=AFB(K)
FB=BBB(K)
DO 66 I=1,MFR
CPR(I)=CPRK(I,K)
SE(I)=SEK(I,K)
66 CONTINUE
DO 5 I=1,MFM2
AI=I-1
FDR(I,K)=(FB-FA)/MFM1
5 FR(I,K)=FA+FDR(I,K)*(AI+0.5)
FDR(MFM1,K)=FDR(MFM2,K)/2.
FDR(MFR,K)=FDR(MFM1,K)
FR(MFM1,K)=FR(MFM2,K)+FDR(MFM2,K)/2.+FDR(MFM1,K)/2.
FR(MFR,K)=FR(MFM1,K)+FDR(MFM1,K)/2.+FDR(MFR,K)/2.
FGR(I,K)=FA
MPR1=MFR+1
DO 69 I=2,MPR1
I1=I-1
69 FGR(I,K)=FGR(I1,K)+FDR(I1,K)
FGVP2(I,K)=0.
DO 400 I=1,MFR
I1=I+1
FGVP1(I,K)=(FR(I,K)**2-FGR(I,K)**2)/2.
FGVP2(I1,K)=(FGR(I1,K)**2-FGR(I,K)**2)/2.
400 CONTINUE
999 CONTINUE
FA2=FA**2
FB2=FB**2
FBA2=FB2-FA2
A2=CA**2
B2=CB**2
BA2=B2-A2
FBA2=FB2/FBA2
FBA22=FBA2/2.
FBB26=FUAS*FBA2
FADBA2=FA2/FBA2
FBDDBA2=FB2/FBA2
CADBA2=A2/BA2
CBDDBA2=B2/BA2
U1=FA2*FB/(2.*FBA2)/FA1U
U3=FA2*FB2 /FU2/FB/FBA2
C***** FUEL CREEP
CALL FCREP(DSTB,KGG,JF,CPR,FGVP1,FGVP2,FGR,FS1),FS25,FS3R )
BU=(2.56567E-6)*PL(K) /3.1416/(F3*FB)
DBU=BU*DTIME
BU=BU*TIME

```

DR002080

DR002920

DR002750

DR002820

DR003060

DR003140

DR003160

DR003180

DR015960

DR015980

DR016000

DR014680

DR013500

DR003200

ORIGINAL
POOR

DRJ03420

```

MF=1
C***** ELASTIC PRESSURE EFFECTS
CALL FPE(FGVP2,DPFCK,MDFC)
CALL FSWHP(FGR,FGVP1,FGVP2,S1B,DBU,NFSW,FTSW)
C***** BOUNDARY CONDITIONS IN AXIAL DIRECTION
FC3=0.
DO 74 I=1,MFR
  I1=I+1
  FDT5(I)=FDT5Z(I)+FDSWZ(I)+FDZE(I)
74 FC3=FC3+FDT5(I)*FGVP2(I1,K)*2.
  IF(BOLE(K).EQ.1.) GO TO 76
  QP=1.
  IF(DFL.GT.DCL) QP=-1.
  IF(DFL.EQ.DCL) QP=0.
  DFRZ=2.*FBRCC*DPFCK(K)*QP*TELB*PPP/NZ1-DPGA.*(FBAZ)
  GO TO 77
76 DFRZ=0.-CPGAS*(FBAZ)
77 FC3=(DFRZ-FC3)/FBAZ
  DO 78 I=1,MFR
  FDT5(I)=FDT5(I)+FC3
78 FST5Z(I)=FST5Z(I,K)+FDT5(I)
  DTFK=DTFK+FC3
  FMX=0.
  PPGS=1.E-10
  DO 83 I=1,MFR
  SS=(FST5H(I)-FST5R(I))*2+(FST5H(I)-FST5Z(I))*2
  I1=(FST5R(I)-FST5Z(I))*2
  SEFC=(SS/2.)*0.5
  IF(SE(I).LT.PPGS) GO TO 84
  PEF(I)=ABS(I1.-SEFC/SE(I))
  GO TO 85
84 PEF(I)=0.
85 CONTINUE
  FMX=FMX+PEF(I)
83 CONTINUE
  FMX=FMX/MFR
  IF(J.GT.JF) GO TO 354
  GO TO 353
354 CONTINUE
  IF(K.GT.1) GO TO 353
  IF(FMX.EQ.0.) GO TO 353
  IF(FMX.GT.RF1) GO TO 353
  IF(FMX.LT.RF2) GO TO 350
353 CONTINUE
C***** FUEL BOUNDARY DISPLACEMENT
CALL FUBCWP(FS1B,FS2B,FS3B,S1B)
65 CONTINUE
DO 6 I=1,NR
  AI=I-1
  ANR=NR
  CDR(I,K)=(CB-CA)/ANR
  CR(I,K)=CA+CDR(I,K)*(AI+0.5)
C***** CLADDING CREEP EFFECT
CALL CCREP(S1B,S2B,S3B)
MG=1
C***** WALL PRESSURE EFFECT
CALL CGP(DPFCK)
C***** CLADDING SWELLING
CALL CSWL(DUSWA,DUSWB,ST5C,NCSW,FFLUX)
CP3=0.

```

DRJ03340

DRJ03360

DRJ03380

DRJ03400

DRJ04100

DRJ02840

DRJ02860

DRJ02900

DRJ04120

DRJ04140

DRJ04740

DRJ04760

DRJ04800

DRJ04840

ORIGINAL POOR

```

DO 79 I=1,NR
I1=I+1
COTS(I)=CSWZ(I)+CDTSZ(I)+CDCZE(I)
79 CP3=CP3+CDTS(I)*CR(I,K)*CDR(I,K)*2.
DCRZ=-DFRZ
CP3=(DCRZ-CP3)/BA2
DO 82 I=1,NR
COTS(I)=COTS(I)+CP3
82 CSTSZ(I)=CSTS2B(I,K)+COTS(I)
DTCK=DTCK+CP3
CALL CBCWP (DUFA, DUFB, S1B, S2B, S3B, S1BC
IF(K .EQ. NZ) GO TO 101
IF(BOLE(K).EQ. 1.) GO TO 101
BDD=TDCA-TDFB
BDC=BDD/TDCA
ABDD=ABS(BDC)
IF(ABDD .LT. CIPFC ) GO TO 101
CALL PPRCI(DPFCK,MPFC
IF(MP .GT. 20) GO TO 1000
GO TO 999
101 CONTINUE
MP=1
IF(K .EQ. NZ) GO TO 30
BF(K)=BF3(K)+TDFB
DO 8 I=1,MFM2
A1=I-1
FDR(I,K)=(BF(K)-FA)/MFM1
8 FR(I,K)=FA +FDR(I,K)*(A1+0.5)
FDR(MFM1,K)=FDR(MFM2,K)/2.
FDR(MFR,K)=FDR(MFM1,K)
FR(MFM1,K)=FR(MFM2,K)+FDR(MFM2,K)/2.+FDR(MFM1,K)/2.
FR(MFR,K)=FR(MFM1,K)+FDR(MFM1,K)/2.+FDR(MFR,K)/2.
FGR(I,K)=FA
DO 12 I=2,MFR
I1=I-1
12 FGR(I,K)=FGR(I1,K)+FDR(I1,K)
30 AC(K)=ACB(K)+TDCA
BC(K)=BCB(K)+TDCB
DO 9 I=1,NR
A1=I-1
ANR=NR
CDR(I,K)=(BC(K)-AC(K))/ANR
9 CR(I,K)=AC(K)+CDR(I,K)*(A1+0.5)
IF(K.EQ.NZ) GO TO 103
IF(BOLE(K).EQ.2.) AC(K)=BF(K)
103 CONTINUE
EXT=ET
IF(TIME.LT. EIT) EXT=0.
IF(K .EQ. NZ) GO TO 105
DO 150 I=1,MFR
SS=(FSTSH(I)-FSTSR(I))*2+(FSTSH(I)-FSTSZ(I))*2+(FSTSR(I)-
1 FSTSZ(I))*2
SE(I)=(SS/2.)*0.5
PN(I)=(FSTSH(I) +FSTSR(I) +FSTSZ(I) )/3.
SH(I)=FSTSH(I) -PN(I)
SR(I)=FSTSR(I) -PN(I)
SZ(I)=FSTSZ(I) -PN(I)
150 PNB(I,K)=PN(I)
DO 151 I=1,MFR
SHB(I,K)=SH(I)

```

```

DR004980
DR005000
DR005020
DR005040
DR005060
DR005200
DR005220
DR005240
DR005260
DR005280
DR005360
DR005380
DR005440
DR005460
DR005500
DR005520
DR005540
DR005560

```

```

DR006200

```

POOR ORIGINAL

```

SRB(I,K)=SR(I)
SZB(I,K)=SZ(I)
151 DO 152 I=1,MFR
FSTSHB(I,K)=SHB(I,K)+PNB(I,K)
FSTSRB(I,K)=SRB(I,K)+PNB(I,K)
152 FSTSZB(I,K)=SZB(I,K)+PNB(I,K)
FUBB(K)=FUB(K)
BFB(K)=BF(K)
DO 153 I=1,MFR
FCPHB(I,K)=FCPH(I,K)
FCPRB(I,K)=FCPR(I,K)
153 FCPZB(I,K)=FCPZ(I,K)
DO 154 I=1,MFR
FSWUBB(K)=FSWUB(K)
FCPBB(K)=FCPB(K)
154 FUEBB(K)=FUEB(K)
DO 155 I=1,MFR
FERH(I)=(FSTSH(I)-FP*(FSTSR(I)+FSTSZ(I)))/FF
FERR(I)=(FSTSR(I)-FP*(FSTSH(I)+FSTSZ(I)))/FF
155 FERZ(I)=(FSTSZ(I)-FP*(FSTSH(I)+FSTSR(I)))/FF
DO 156 I=1,MFR
FNTSW3=FNTSW(I,K)/3.
FTRH(I)=FERH(I)+FNTSW3+FCPH(I,K)
FTRR(I)=FERR(I)+FNTSW3+FCPR(I,K)
156 FTRZ(I)=FERZ(I)+FNTSW3+FCPZ(I,K)
105 DO 100 I=1,NR
SS=(CSTSH(I)-CSTS(I))*2+(CSTS(I)-CSTSZ(I))*2+(CSTSH(I)-
1 CSTSZ(I))*2
CSE(I)=(SS/2.)*.5
CN(I)=(CSTSH(I)+CSTS(I)+CSTSZ(I))/3.
CSH(I)=CSTSH(I)-CN(I)
CSR(I)=CSTSR(I)-CN(I)
CSZ(I)=CSTSZ(I)-CN(I)
100 PCB(I,K)=CN(I)
DO 110 I=1,NR
SHCB(I,K)=CSH(I)
SRCB(I,K)=CSR(I)
110 SZCB(I,K)=CSZ(I)
DO 111 I=1,NR
CSWB(I,K)=CSWB2(I,K)
CSTSHB(I,K)=SHCB(I,K)+PCB(I,K)
CSTSRB(I,K)=SRCB(I,K)+PCB(I,K)
111 CSTSZB(I,K)=SZCB(I,K)+PCB(I,K)
DO 112 I=1,NR
CCPHB(I,K)=CCPH(I,K)
CCPRB(I,K)=CCPR(I,K)
112 CCPZB(I,K)=CCPZ(I,K)
DO 113 I=1,NR
CERH(I)=(CSTSH(I)-CP*(CSTSR(I)+CSTSZ(I)))/CF
CERR(I)=(CSTSR(I)-CP*(CSTSH(I)+CSTSZ(I)))/CF
113 CERZ(I)=(CSTSZ(I)-CP*(CSTSH(I)+CSTSR(I)))/CF
DO 114 I=1,NR
CSW3=CSW(I)/3.
CTRH(I)=CERH(I)+CSW3+CCPH(I,K)
CTRR(I)=CERR(I)+CSW3+CCPR(I,K)
114 CTRZ(I)=CERZ(I)+CSW3+CCPZ(I,K)
CUAB(K)=CUA(K)
CUBB(K)=CUB(K)
UCPAB(K)=UCPA(K)
UCPBB(K)=UCPB(K)

```

POOR ORIGINAL

133 321


```

CUEAB(K)=CUEA (K)
CUEBB(K)=CUEB (K)
CUSWAB(K)=CUSWA (K)
CUSWBB(K)=CLSWB (K)
ACB(K)=AC (K)
BCB(K)=BC (K)
MTEST=MOD(J,MPRINT)
IF(MTEST .NE. 0) GO TO 24
IF (K.EQ.NZ) GO TO 200
CALL FWRITE(FDTS )
200 CALL CWRITE (CDTS )
IF (K.EQ.NZ) GO TO 35
IF(BOLE(K).EQ. 1.) GO TO 361
WRITE(6,370)
370 FORMAT(' GAP IS CLOSED')
WRITE(6,373) PFC(K),DPFCK(K)
GO TO 31
361 WRITE(6,371) GAP(K)
371 FORMAT(' GAP IS OPEN,GAP(K)='',c12.4)
CONTINUE
373 FORMAT(' PFC = ,E12.4,' JPFC =',E12.4)
WRITE(6,378) AC(K),BC(K),BF(K)
WRITE(6,379) (CR(I,K),I=1,NR)
WRITE(6,380) (FR(I,K),I=1,MFR)
378 FORMAT(' AC(K)='',1PE14.6,' BC(K)='',1PE14.6,' HF(K)='',
1 1PE14.6)
379 FORMAT(' CR(K)='',5E12.4)
380 FORMAT(' FR(K)='',4E12.4,/)
GO TO 24
35 CONTINUE
WRITE(6,381) AC(K),BC(K)
WRITE(6,379) (CR(I,K),I=1,NR)
381 FORMAT(' AC(K)='',L12.4,' IC(K)='',L12.4)
24 CONTINUE
IF(K .EQ. NZ) GO TO 1210
SFTRZ=0.
SCTRZ=0.
DO 1219 I=1,MFR
1219 SFTRZ=SFTRZ+FTNZ(I)/MFR
DO 1218 I=1,NR
1218 SCTRZ=SCTRZ+CTRZ(I)/NR
1210 CONTINUE
IF(K.EQ.NZ) GAP(K)='111.
IF (K.EQ.NZ) GO TO 36
IF(BOLE(K) .EQ. 1.) PFC(K)=PGAS
36 K=K+1
IF(K .GT. NZ) GO TO 25
FKMX=FKMX+FMX/NZ1
SFTRZK=SFTRZK+SFTRZ/NZ1
SCTRZK=SCTRZK+SCTRZ/NZ1
GO TO 26
25 CONTINUE
DFL=SFTRZK*TFLB
DCL=SCTRZK*TFLB
TCL=TCLB+DCL
TFL=TFLB+DFL
FJMX=FJMX+FKMX
FJAV=FJMX/J
MSHO=MOD(J,MSHP)
IF(MSHO .NE. 0) GO TO 1891

```

DR004040
DR005080
DR004080
DR005720
DR005740
DR005760
DR005780
DR005840
DR005860
DR005880
DR005940
DR005960
DR006020
DR006060
DR006080
DR006120
DR006140
DR006160
DR006180
DR006500
DR006640
DR006660
DR006680
DR006700

259

733
322

ORIGINAL
POOR

```

CALL QPRINT (NZ1,CPRK,GAP
1891 CONTINUE
IF (NTEST .NE. 0) GO TO 1215
WRITE(6,374) PGAS,DPGAS
374 FORMAT(' PGAS=',E12.4,' DPGAS=',E12.4)
PRINT 1217,TGRM,PERGR
1217 FORMAT(2X,'TOTAL GAS RELEASE(MULES)=' ,E12.7,' %RELEASE IN THE FISS
ION GAS =' ,F10.3)
WRITE(6,1214) DCL,TCL,DFL,TFL,FJAV
1214 FORMAT(2X,'DCL,TCL',2E13.4,5X,'DFL,TFL',2E13.4,8X,'FJAV',
1 E13.4,/)
1215 CONTINUE
MPUN=MOD(J,MPUNCH)
IF (MPUN .NE. 5) GO TO 1002
CALL PUNCH(CTR,DTIME,DPFCK,MPFC,CIPF,J,FJMX,NRDL,PLC,
1 FSO1,FSO2,IFSO1,IFSO2,NFSW,NCF,FTSW,,SPFC,FPFC,SPL,TCLDSE,
2 DCL,DFL,REOPEN,MSHP,TGRM,TGGM,, ,FPDEN,FFLUX)
1002 CONTINUE
J=J+1
IF (J .GT. JF) GO TO 1000
IF (TIME .LT. FTIME) GO TO 23
1000 CONTINUE
1001 STOP
END
SUBROUTINE QPRINT (NZ1,CPRK,GAP
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BAQLEE,MTLST,FLUX(15)
COMMON/MIX2/DPGAS,PGAS,FPJ,FDPJ,FP1,FDP1,PF(15),DPFC,CPD,CPI,
1 FDSWUB,FDSWB(5),FDSWZ(5),FDSW(5,15),CDPI,CDPL,CDCH(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DF1,DF2,
3 FTSW(5,15)
DIMENSION GAP(15),CPRK(5,15)
PRINT ,980, J,TIME,DTIME,CPRK(1,3),PF(1),PF(2),PF(3),PF(4),
1 PF(5),PF(6),GAP(1),GAP(2),GAP(3),GAP(4),GAP(5),GAP(6)
1980 FORMAT(17,F7.1,F5.2,E9.2,6F5.1, 1X,6E9.2)
RETURN
END
SUBROUTINE FSWHP(FGR,FGVP1,FGVP2,SIB,DBU,NFSW,FTSWB )
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BAQLEE,MTLST,FLUX(15)
COMMON/CONSTF/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),TDFB,TDFB,FDEB,FUB(15),FAA,FUU,FBA2,
2 FBA22,FBB26,FUA3UU,U1,U3,FADBA2,FBDBA2,FAIU
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FCPB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUEB(15),FUB(15),BOLE(15),CUAB(15),CUB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CJSWAJ(15),CUSWB(15),
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3,
4 TCE3,TCW3,TCP3,CJ,FW3,TFE,TFP,TFW,FCPB(5,15),FCPB(5,15),
5 FCPB(5,15),CCPB(5,15),CCPB(5,15),CCPB(5,15),FSWUB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FERZ(5),FCPZ(5,15),
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(5),FCPB(15),FTRH(5),FTRR(5),FTRR(5),CTRH(5),CTRP(5),
9 CTRZ(5),CERR(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPJ,FDPJ,FP1,FDP1,PF(15),DPFC,CPD,CPI,
1 FDSWUB,FDSWB(5),FDSWZ(5),FDSW(5,15),CDPI,CDPL,CDCH(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DF1,DF2,
3 FTSW(5,15)
DIMENSION FGVP1(5,15),FGVP2(5,15),FTSWB(5,15)

```

DR006740
DR006300
DR006320

YH500160
YH500180
YH500200
YH500740
YH500760
YH500780
YH500800

YH500150
YH500180
YH500200
YH500280
YH500300
YH500320
YH500540
YH500560
YH500580
YH500600
YH500620
YH500640
YH500660
YH500680
YH500700
YH500720
YH500740
YH500760
YH500780
YH500800

ORIGINAL
POOR

```

DIMENSION TDHP(5),VV(5),V(5),S11(5),S12(5),FGR(5,15)
SUM=0.
DO 111 I=1,MFR
C***** FUEL SWELLING FROM ISOTHERMAL EXPERIMENT
DD1=0.001046*FTF(I,K)-5.08378
DD=10.**DD1
FS=(2.0712E-6)*0.1*DD*PL(K)/(GF*FB*FB)
FDSW(I,K)=FS*DTIME
FTSW(I,K)=FS*TIME
C**** HOT PRESSING TO COMPACT THE SWELLING BY CREEP
TFK=(FTF(I,K)-32.)*0.556+273.
HPHP=PNB(I,K)*(1.45E-5)
IF(HPHP.GT.0.)GO TO 237
EQHP=EXP((-4.43E4)/TFK)
HPDW=1.-0.900-FNTSW(I,K)
TDHP(I)=(1.692E10/TFK)*EQHP*HPHP*HPDW*DTIME
C
WRITE(6,456)HPDW,HPHP,EQHP
C456 FORMAT(2X,'HPDW,HPHP,EQHP',3E11,3)
GO TO 238
237 TDHP(I)=0.
238 CONTINUE
FDSW(I,K)=TDHP(I)+FDSW(I,K)
FNTSW(I,K)=FNTSW(I,K)+FDSW(I,K)
WRITE(5,1) FDSW(I,K),TDHP(I),FNTSW(I,K),FNTSW(I,K)
IF(FDSW(I,K).LT.0.)FDSW(I,K)=0.
C
111 CONTINUE
DO 101 I=1,MFR
101 VV(I)=FDSW(I,K)*FGVP1(I,K)
VP=0.
DO 100 I=1,MFR
I1=I+1
V(I)=VP+VV(I)
100 VP=VP+FDSW(I,K)*FGVP2(I1,K)
99 CONTINUE
DO 102 I=1,MFR
S11(I)=(FUA3)*V(I)/(FR(I,K)**2)
102 S12(I)=(FUA1/3.)*V(I)/(FR(I,K)**2)
SIB=(FUA3+FUA1/3.)*VP/FB2
DO 113 I=1,MFR
R2=FR(I,K)**2
FDSWH(I)=S11(I)+S12(I)-FUA3UU*FDSW(I,K)
FDSWH(I)=FDSWH(I)+FBB2*(1.+FA2/R2)*SIB
FDSWR(I)=-S11(I)-S12(I)+FBB2*(1.0-FA2/R2)*SIB
113 FDSWZ(I)=FBB26*SIB-FUA3UU*FDSW(I,K)
DO 104 I=1,MFR
FSTSH(I)=FSTSH(I)+FDSWH(I)
FSTSR(I)=FSTSR(I)+FDSWR(I)
104 CONTINUE
RETURN
END
SUBROUTINE FCREP(DSTB,KGG,JF,CPR,FGVP1,FGVP2,FGR,FS13,FS2B,FS3B)
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BAOLEE,MTEST,FLUX(15)
COMMON/CONSTF/FA,FB,FA2,F32,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUAS,FUA6,FTF(5,15),TDFB,TDFB,FDEB,FUB(15),FAA,FUU,FBB2,
2 FBA22,FBB26,FUA3UU,U1,U3,FAD2,FDB2,FA1U
COMMON/FCREPM/FC3,FDTSH(5),FDTSR(5),FDTSZ(5),FS1(5),FS2(5),
1 FS3(5),FDSTRH(5),FDSTRR(5),FDSTRZ(5),FSTSHB(5,15),FSTSRH(5,15),
2 FSTSZB(5,15),SHB(5,15),SHB(5,15),SZB(5,15),PN(5),SE(5),SH(5),

```

```

DR014020
DR014040
DR014060
DR014080
DR014140
DR014200
DR014400
DR014420
DR014460
DR014480
DR014500
DR014520
DR014640
DR014660
DR014900
DR014980
DR015000
DR015040
DR015120
DR015140
YHS00160
YHS00180
YHS00200
YHS00280
YHS00260
YHS00300
YHS00320
YHS00340
YHS00360
YHS00380

```

ORIGINAL
 POOR

271
 733
 324

```

3 SR(5),SZ(5),FMX
  COMB(4)/MIX1/FDHE(15),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PL(1),,CUEA(15),CUEB(15),FUBB(15),BULE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CTSWB(15),CSWB2(5,15),BU-GF,PNB(5,15),FNTSW(5,15),CE3,CW3,
4 ICE3,TCY3,7CP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPHB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUBB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FEKZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTR(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
  DIMENSION CPR(5),DCP(5),F(5),CTZ(5),PEF(5),DSTB(5)
  DIMENSION FGVP1(5,15),FGVP2(5,15),V1(5),V2(5),V3(5),FGR(5,15)
78 DO 81 I=1,MFR
  DCP(I)=CPR(I)*DIME
  IF(SE(I).EQ.0.)GO TO 12
  DK=(DCP(I)/SE(I))*1.5
  GO TO 14
12 DK=0.
14 FCSTRH(I)=DK*SHB(I,K)
  DSTRR(I)=DK*SRB(I,K)
  FDSTRZ(I)=DK*SZB(I,K)
C WRITE(6,100) CPR(I),DCP(I),SE(I),DK,I
C 100 FORMAT(2X,'CPR,DCP,SE,DK,I,Z',A12.3,14)
C WRITE(6,101)FCSTRH(I),FDSTRR(I),FDSTRZ(I)
C 101 FORMAT('*DSTRH,DSTRR,DSTRZ',JE12.4)
81 CONTINUE
C WRITE(6,93) DIME
C 93 FORMAT(2X,'DIMEB',F10.5)
  DO 70 I=1,MFR
  FCPH(I,K)=FCPHB(I,K)+FDSTRH(I)
  FCPR(I,K)=FCPRB(I,K)+FDSTRR(I)
  FCPZ(I,K)=FCPZB(I,K)+FDSTRZ(I)
70 DO 63 I=1,MFR
  V1(I)=FDSTRR(I)*FGVP1(I,K)
  V3(I)=(ALOG(FR(I,K))-ALOG(FGR(I,K)))*(FDSTRR(I)-FDSTRH(I))
63 CONTINUE
  VP=0.
  DO 64 I=1,MFR
  I1=I+1
  FS1(I)=VP+V1(I)
  VP=VP+FDSTRR(I)*FGVP2(I,K)
64 CONTINUE
  FS1B=VP
  VP=0.
  DO 65 I=1,MFR
  I1=I+1
  FS3(I)=VP+V3(I)
  VP=VP+(ALOG(FGR(I1,K))-ALOG(FGR(I,K)))*(FDSTRR(I)-FDSTRH(I))
65 CONTINUE
  FS3B=VP
  VP=0.
  DO 66 I=1,MFR
  I1=I+1
  V2(I)=FS3(I)*FGVP1(I,K)
  FS2(I)=VP+V2(I)
  VP=VP+FS3(I)*FGVP2(I,K)
66 CONTINUE
  FS2B=VP
  R1=FR(I,K)

```

YHS00400
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720

DRD10860

DRD10900

POOR ORIGINAL

```

T1=(R1**2)*(0.5*ALOG(R1)-0.25)
T2=FA2*(0.5*ALOG(FA)-0.25)
T3=0.5*(R1**2-FA2)*ALOG(FA)
FS2(I)=(FDSTRR(I)-FDSTRH(I))*T1-T2-T3
DC 61 I=1,MFR
R2=FR(I,K)**2
RA2=(R2+FA2)
T1=FS1(I)/R2+FS1B *RA2/(R2*FBA2)
T2=FS2(I)/R2+FS2B *RA2/(R2*FBA2)
T3=FS3(I)*FUA2 -FS3B *RA2*FBDBA2/(R2)
FDTSH(I)=(FUA1)*(T1+T2)+(FU2)*T3-(FUA3)*(FDSTRH(I)+FDSTRZ(I))
1 -(FU2)*FDSTRH(I)
RR2=R2-FA2
D1=-FS1(I)/R2+FS1B *RR2/(R2*FBA2)
D2=-FS2(I)/R2+FS2B *RR2/(R2*FBA2)
D3=FS3(I)-FS3B *RR2*FB2/(R2*FBA2)
FDTSR(I)=(FUA1)*(D1+D2)+(FU2)*D3
Z1=((FUA6)/FBA2)*(FS1B+FS2B,
Z2=(FU2)*(FUA2*FS3(I)-FUA5*(FBBA2)*FS3B)
Z3=(FUA3)*(FDSTRH(I)*FDSRZ(I))+FU2*(FDSTRZ(I))
FDTSZ(I)=Z1+Z2-Z3
61 CONTINUE
DO 77 I=1,MFR
FSTSH(I)=FSTSHB(I,K)+FDTSH(I)
FSTSR(I)=FSTSRB(I,K)+FDTSR(I)
77 CONTINUE
RETURN
END
SUBROUTINE CCREP(S1B,S2P,S3B)
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDH(5,15),FSTSH(5,
1 FSTSR(5),FSTSZ(5),CR(5,15),CUR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BADLEE,MTBST,FLUX(15)
COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,Cc,CP,CTF(5,15),
1 CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
2 CUA3UU,CADEA2,CBDBA2
COMMON/CCREP/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTR(5),
1 CDSTRZ(5),S1(5),S2(5),S3(5),CP3,CSTSHR(5,15),CSTSRB(5,15),
2 CSTSZB(5,15),SHCB(5,15),SRCB(5,15),SZCB(5,15),CN(5),CSE(5),
3 CSH(5),CSR(5),CSZ(5)
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCFB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUE3(15),FUBB(15),BULE(15),CUAB(15),CUEB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSAB(15),CUSBB(15),
3 CTSWB(15),CSWB2(5,15),BU,CF,PNB(5,15),FNTSW(5,15),C3,CW3,
4 TCE3,TCW3,ICP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPRB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERB(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPB(5,15),CCPB(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
DIMENSION SE(5),CPR(5),DCP(5),F(5),FF(5)
DC 59 I=1,NR
R2=CR(I,K)**2
R4=R2**2
SS=(CSTSHB(I,K)-CSTSRB(I,K))**2+(CSTSHB(I,K)-CSTSZB(I,K))**2
1 *(CSTSRB(I,K)-CSTSZB(I,K))**2
SE(I)=(SS/2.)*0.5
TC=CTF(I,K)+60.
WRITE(6,1840)S,U
C1840 FORMAT(' S,U*,2E8.2)
IF(SE(I).EQ.0.)GO TO 160

```

DRJ11420

DRJ11440

DRJ11460

DRJ11600

DRJ11680

DRJ11740

DRJ11840

DRJ11900

DRJ11980

DRJ12000

DRJ12040

DRJ12080

YHS00160

YHS00180

YHS00200

YHS00220

YHS00240

YHS00260

YHS00280

YHS00300

YHS00320

YHS00340

YHS00360

YHS00380

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

YHS00390

ORIGINAL
 POOR

```

G1=(- 8.61E4/TC)+ 7*ALOG(SE(I))-11.*ALOG(10.)+ALOG(2.7)
G2=ALOG(FLUX(K))+ 3*ALOG(SE(I))-34.*ALOG(10.)+ALOG(4.655)
IF( G1 .LT.-170. ) GO TO 140
  E1=EXP(G1)
  GO TO 141
140 E1=0.
141 CONTINUE
IF( G2 .LT.-170. ) GO TO 150
  E2=EXP(G2)
  GO TO 151
150 E2=0.
151 CONTINUE
CPR(I)=E1+E2
GO TO 161
160 CPR(I)=0.
161 DCP(I)=CPR(I)*DIME
  IF(SE(I) .EQ. 0.) GO TO 12
  DK =(DCP(I)/SE(I))*1.5
  GO TO 14
12 DK =0.
14 CDSTRH(I)=DK*SHCB(I,K)
  CDSTRR(I)=DK*SRCB(I,K)
  CDSTRZ(I)=DK*SZCB(I,K)
C WRITE(6,100) SDH(I),SDR(I),SDZ(I),SE(I),CPR(I),DCP(I),DK(I)
C 100 FORMAT('#####',7E15.4)
C WRITE(6,101)DSTRH(I),DSTRR(I),DSTRZ(I)
C 101 FORMAT('#####',3E15.4)
59 CONTINUE
DO 70 I=1,NR
  CCPH(I,K)=CCPHB(I,K)+CDSTRH(I)
  CCPR(I,K)=CCPRB(I,K)+CDSTRR(I)
  CCPZ(I,K)=CCPZB(I,K)+CDSTRZ(I)
  SF=0.
  DO 58 I=1,AR
    GG=(CDSTRR(I)-CDSTRH(I))*CDR(I,K)*0.5/CR(I,K)
    AI=SF+GG
    SF=SF+(CDSTRR(I)-CDSTRH(I))*CDR(I,K)/CR(I,K)
  FF(I)=SF
58 F(I)=AI
  S3B=SF
  S1S=0.
  S2S=0.
  S3S=0.
  DO 60 I=1,NR
    G1=CDSTRR(I)*CR(I,K)*CDR(I,K)*0.5
    G2=F(I)*CR(I,K)*CDR(I,K)*0.5
    AI1=S1S+G1
    AI2=S2S+G2
    S1S=S1S+CDSTRR(I)*CR(I,K)*CDR(I,K)
    S2S=S2S+FF(I)*CR(I,K)*CDR(I,K)
    S1(I)=AI1
    S2(I)=AI2
60 S3(I)=F(I)
  S1B=S1S
  S2B=S2S
C WRITE(6,115) (S1(I),I=1,5)
C WRITE(6,116) (S2(I),I=1,5)
C WRITE(6,117) (S3(I),I=1,5)
C 115 FORMAT(2X,'S1(I)',SE12.4)
C 116 FORMAT(2X,'S2(I)',SE12.4)

```

DRU16540

DRU16550

DRU16560

DRU16600

DRU16640

DRU16650

DRU16680

DRU16700

DRU16750

DRU16940

DRU16980

DRU17080

DRU17100

DRU17120

DRU17140

DRU17160

DRU17280

DRU17500

DRU17520

DRU17540

DRU17560

DRU17580

POOR
ORIGINAL

```

C117   FORMAT(2X,'S3(I)',5E12.4)
      DO 61 I=1,NR
      R2=CR(I,K)**2
      RA2=(R2+CA**2)
      T1=S1(I)/R2+ S1B*RA2/(R2*BA2)
C      WRITE(6,119) TG1,TG2,T1
C 119   FORMAT(2X,'TG1,TG2,T1',3E12.4)
      T2=S2(I)/R2+S2B *RA2/(R2*BA2)
      T3=S3(I)*UA2 -S3B *RA2*CBDBA2/R2
      T4=(UA3)*(CDSTRH(I)+CDSTRZ(I))*(U2)*(CDSTRH(I))
      CDTSH(I)=(UA1)*(T1+T2)+(U2)*T3-T4
      RR2=R2-A2
      D1=-S1(I)/R2+S1B *RR2/(R2*BA2)
      D2=-S2(I)/R2+S2B *RR2/(R2*BA2)
      D3=S3(I)-S3B*RR2*CBDBA2/R2
      CDTSR(I)=(UA1 )*(D1+D2)+(U2 )*D3
      Z1=(UA6)/BA2)*(S1B+S2B)
      Z2=(U2)*(UA2)*S3(I)-UA5 *CBDBA2*S3B )
      Z3=(UA3 )*(CDSTRH(I)+CDSTRZ(I))*(U2 )*(CDSTRZ(I))
      CDTSZ(I)=Z1+Z2-Z3
C      WRITE(6,110) DTSH(I ),T1,T2,T3,T4,TT
C      WRITE(6,111) D1,D2,D3,Z1,Z2,DTSZ(I,J)
C110   FORMAT(2X,'DTSH ',T1,T2,T3,T4,TT',6E12.4)
C111   FORMAT(2X,'DTSZ ',D1,D2,D3,Z1,Z2',6E12.4)
      CONTINUE
      JTT=J
      DO 133 I=1,NR
      CSTSH(I )=CSTSHB(I,K)+CDTSH(I)
      CSTSR(I )=CSTSRB(I,K)+CDTSR(I)
      CONTINUE
      RETURN
      END
      SUBROUTINE WINP
      COMMON/FCBV/ACB(15),BCB(15),AFB(15),DFB(15),FTIME,ET,EIT,RF1,
1  RF2,DPO,MF,NG,JF,MPRINT,RV1,RV2,MPUNCH,MOOLE,TCLH,TFLB,RRS(15)
      YHS00100
      VOLM,VOLU,VOL,AVETK,GAS,AC(15),BC(15),AF(15),RF(15),FL(15)
      YHS00120
      COMMON/COMFC/J,K,TIME,OTIME,FR(5,15),FDR(5,15),FSTSH(5),
2  FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
      YHS00 0
      CSTSZ(5),NZ,NR,MFR,MP,BAOLEE,MTEST,FLUX(15)
      COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,CE,CP,CTF(5,15),
      Y
      CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
      YHS0024
      CUA3UU,CADBA2,CBDBA2
      COMMON/CONSTF/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
      YHS
      FUA5,FUA6,FTF(5,15),TDFa,TDFB,FDEd,FUB(15),FAA,FUU,FBBa2,
      YHS003
      FBA22,FBB26,FUA3UU,U1,U3,FADBA2,FBDBA2,FA1U
      COMMON/FCREPM/FC3,FDTSH(5),FDTSR(5),FDTSZ(5),FS1(5),FS2(5),
      YHS00360
      YHS
      FSTSRB(5,15),FSTSR(5),FSTSRZ(5),FSTSRB(5,15),FSTSRB(5,15),
      YHS
      FSTSZB(5,15),SHB(5,15),SRB(5,15),SZB(5,15),PN(5),SE(5),SH(5),
      Y
      SR(5),SZ(5),FMX
      COMMON/CCREPM/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTRR(5),
      Y
      CDSTRZ(5),S1(5),S2(5),S3(5),CP3,CSTSHB(5,15),CSTSRB(5,15),
      YH
      CSTSZB(5,15),SHCB(5,15),SRCB(5,15),SZCB(5,15),CN(5),CSE(5),
      Y
      CSH(5),CSR(5),CSZ(5)
      COMMON/CSWLM/CSW(5),CSWI(5),CSW(5),CSWH(5),CSWR(5),CSW2(5),
      Y
      CUSWA(15),CUSWB(15),CYSW(5),CSWB(5,15)
      COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
      YH
      PL(15),CUEA(15),CUEB(15),FUBB(15),BULE(15),CUAB(15),CUBB(15),
      YHS00
      UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
      YHS0060
      CTSWB(15),CSWB2(5,15),BU,GP,PNB(5,15),FNYSW(5,15),CE3,CW3,
      YHS
      TCE3,TCW3,TCP3,CJ,FWT,TFE,TFP,TFW,FCPB(5,15),FCPRB(5,15),

```

ORIGINAL
 POOR

275

733 328

```

5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15,15)
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
  NZ1=NZ-1
  PRINT 2,(BFB(K),K=1,NZ1)
  PRINT 3,(ACB(K),K=1,NZ)
  PRINT 4,(BCB(K),K=1,NZ)
  PRINT 5,(PL(K),K=1,NZ)
  PRINT 6,(FLUX(K),K=1,NZ)
  PRINT 7,((FTF(I,K),I=1,MFR),K=1,NZ1)
  PRINT 8,((CTF(I,K),I=1,NR),K=1,NZ)
  PRINT 9,((FSTSHB(I,K),I=1,MFR),K=1,NZ1)
  PRINT 9,((FSTSRB(I,K),I=1,MFR),K=1,NZ1)
  PRINT 9,((FSTSZB(I,K),I=1,MFR),K=1,NZ1)
  PRINT 10,((CSTSHB(I,K),I=1,NR),K=1,NZ)
  PRINT 10,((CSTSRB(I,K),I=1,NR),K=1,NZ)
  PRINT 10,((CSTSZB(I,K),I=1,NR),K=1,NZ)
2  FORMAT('  BF ',15F8.5)
3  FORMAT('  AC ',15F8.5)
4  FORMAT('  BC ',15F8.5)
5  FORMAT('  PL ',15F8.2)
6  FORMAT('  FLUX',15E8.1)
7  FORMAT('  FTF ',12F9.1)
8  FORMAT('  CTF ',12F9.1)
9  FORMAT('  FSTRESS',12F9.1)
10 FORMAT('  CSTRESS',12F9.1)
  RETURN
  END
  SUBROUTINE CSWL(DUSWA,DUSWB,SIBC,NCSW,FFLUX,I)
  COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1  FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2  CSTSZ(5),NZ,NR,MFR,MP,BADLEE,MTEST,FLUX(15)
  COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,CE,CP,CIF(5,15),
1  CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
2  CUA3UU,CADBA2,CBDBA2
  COMMON/CCREPN/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTRR(5),
1  CDSTRZ(5),S1(5),S2(5),S3(5),CF3,CSTSHB(5,15),CSTSRB(5,15),
2  CSTSZB(5,15),SHCB(5,15),SRCB(5,15),S2CB(5,15),CN(5),CSE(5),
3  CSH(5),CSR(5),CSZ(5)
  COMMON/CSWLH/CSWL(5),CSW(5),CSWH(5),CSWR(5),CSWZ(5),
1  CUSWA(15),CUSWB(15),CTSW(5),CSWB(5,15)
  COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1  PL(15),CUEA(15),CUEB(15),FUEB(15),BOLE(15),CUAB(15),CUBB(15),
2  UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWB(15),CUSWBB(15),
3  CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),C23,CW3,
4  TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPRB(5,15),
5  FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15),
6  FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FERZ(5),FCPZ(5,15)
7  ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8  FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9  CTRZ(5),CERH(5),CERR(5),CERZ(5)
  DIMENSION SSW(5),S11(5),S12(5),UW(5),TCK(5,15),P1T(5),PS(5)
1  ,P2T(5),P3T(5),FFLUX(15)
  TIMES=TIME*3600.
  DO 5 I=1,NR
  TCK(I,K)=(CTF(I,K)-32.)*5./9.
  CNB=(CSTSHB(I,K)+CSTSRB(I,K)+CSTSZB(I,K))/3.
  PS(I)=1.

```

YHS006
YHS
YHS0
YH

YHS00160
YHS00180
YHS00200
YHS00220
YHS00240
YHS00260
YHS00280
YHS00300
YHS00320
YHS00340
YHS00360
YHS00380
YHS00400
YHS00420
YHS00440
YHS00460
YHS00480
YHS00500
YHS00520
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720

ORIGINAL
POOR


```

P=(1.214E-2)*TCK(I,K)
P1T(I)=EXP(-(P-6.070)**2)
P2T(I)=EXP(-(P-7.284)**2)
P3T(I)=EXP(-(P-8.498)**2)
51 CONTINUE
IF(NCSW .EQ. 1) GO TO 20
IF(NCSW .EQ. 2) GO TO 21
IF(NCSW .EQ. 3) GO TO 22
IF(NCSW .EQ. 4) GO TO 23
IF(NCSW .EQ. 5) GO TO 24
IF(NCSW .EQ. 10) GO TO 40
20 CONTINUE
C***** CLAD SW. LING FROM LIFE-1
DO 60 I=1,NR
TC=TCK(I,K)
FF=4.028-(3.712E-2)*TC+(1.0145E-4)*(TC**2)-(7.879E-6)*(TC**3)
CSW(I)=(4.5E-37)*((FLUX(K)*TIMES)**1.5)*FF
50 CONTINUE
GO TO 50
21 CONTINUE
C***** ANL MODEL 1
DO 61 I=1,NR
P1=(FLUX(K)*TIMES)**1.63354
CSW(I)=(1.20078E-39)*P1*P1T(I)*PS(I)
61 CONTINUE
GO TO 50
22 CONTINUE
C***** ANL MODEL 4
DO 62 I=1,NR
P1=(FLUX(K)*TIMES)**1.6877368
CPP=(9.71574E-41)*P1*P1T(I)
CSW(I)=CPP*PS(I)
62 CONTINUE
GO TO 50
23 CONTINUE
C***** ANL MODEL 5
DO 63 I=1,NR
P1=(FLUX(K)*TIMES)**1.6877368
CSW(I)=(9.71574E-41)*P1*P2T(I)*PS(I)
63 CONTINUE
GO TO 50
24 CONTINUE
C***** ANL MODEL 6
DO 64 I=1,NR
P1=(FLUX(K)*TIMES)**1.6877368
CSW(I)=(9.71574E-41)*P1*P3T(I)*PS(I)
64 CONTINUE
GO TO 50
40 CONTINUE
C***** CLAD SW MODEL FROM WASHINGTON
DO 65 I=1,NR
TC=TCK(I,K)
T2=TC**2
T3=TC**3
T4=TC**4
TC2=-(1.24156E-3)*T2
TC3=-(1.37215E-6)*T3
TC4=(-6.14E-10)*T4
CSWP=-88.5499+0.531072*TC+TC2+TC3+TC4
CSWP= EXP(CSWP)*0.01

```

DKU19560

YHS00300
YHS00340
YHS00360
YHS00380
YHS00400
YHS00420
YHS00440
YHS00460

ORIGINAL
POOR

277

733 370

```

TC2=-(3.81081E-4)*T2
TC3=(5.51979E-7)*T3
TC4=-(3.26491E-10)*T4
CSWT=-16.7382+0.130532*TC+TC2+TC3+TC4
CSWT=EXP(CSWT)
CAL=-1.12+(6.289E-3)*TC
P1=FFLUX(K)*TIME5/(1.E22)
P2=EXP(CAL*(CSWT-P1))
P3=EXP(CAL*CSWT)
P4=(1.+P2)/(1.+P3)
P4=ALOG(P4)
65 CSWB(I)=CSWP*(P1+P4/CAL)
GO TO 50
50 CONTINUE
DO 9 I=1,NR
CSW(I)=CSWB(I)-CSWB(I,K)
9 CSWB2(I,K)=CSWB(I)
SI=0.
DO 10 I=1,NR
R2=CR(I,K)**2
GG=CSW(I)*CR(I,K)*CCR(I,K)+0.5
A1=SI+GG
SI=SI+CSW(I)*CR(I,K)*CCR(I,K)
10 SI1(I)=UA3*A1/R2
SI2(I)=(UA1/3.)*A1/R2
SI1B=UA3*SI/B2
SI2B=(UA1/3.)*SI/B2
SIB=SI1B+SI2B
DO 11 I=1,NR
R2=CR(I,K)**2
SMH2=CDBA2*(1.+A2/R2)*SIB
CSW(I)=SMH2+SI1(I)+SI2(I)-CUA3UU*CSW(I)
CSWR(I)=-(SI1(I)+SI2(I))+C3DBA2*(1.-A2/R2)*SIB
CSWZ(I)=UA5*CDBA2*SIB-(CUA3UU*CSW(I))
CSTSH(I)=CSTSH(I)+CSW(I)
CSTSR(I)=CSTSR(I)+CSWR(I)
11 UUI=(CR(I,K)/(U2 ))*(SI1(I)+SI2(I))
UUZ=CDBA2/2.*(CP(I,K)/A1U+(A2/CUU)/CR(I,K))*SIU
UW(I)=UUI+UUZ
SIBC=SIB
S=0.
DO 102 I=1,NR
S=S+CR(I,K)*CSW(I)*CDR(I,K)
102 SSW(I)=S
RETURN
END
SUBROUTINE READ (CTH,DTIME1,DPFCK,MPFC,CIPFC,FJMX,NJULE,RCC,
1 FSO1,FSQ2,TFSQ1,TFSQ2,NFSW,NCSW,FTSWB,SPFC,FPFC,SPD,TCLUSE,
2 DCL,DFL,REOPEN,MSHP,TGRM,TGGM,AVCV,FPDEN,FFLUX)
COMMON/FCBV/ACB(15),BCB(15),AFB(15),BFB(15),FTIME,ET,EIT,RF1,
1 RF2,DPD,MF,MG,JF,MPRINT,RV1,RV2,MPUNCH,MBGLE,TCLB,TFLB,RFES(15)
2 VOLM,VOLU,VOL,AVETK,GAS,AC(15),BC(15),AF(15),BF(15),FL(15)
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FUR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BAQLEF,MTEST,FLUX(15)
COMMON/CONSTC/CA,CB,AZ,B2,BA2,UA1,CAA,CUU,CE,CP,CTF(5,15),
1 CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
2 CUA3UU,CADBA2,CDBA2
COMMON/CONSTF/FA,FB,FA2,F32,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),TDF4,TDFB,FDEB,FUB(15),FAA,FUU,FBEA2,

```

YHS00520
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720

DRJ19520

DRJ20000
DRJ20040

DRJ20180
DRJ20200

DRJ20260

DRJ20400
DRJ20420
DRJ20440
DRJ20460
DRJ20800
DRJ20820

YHS00100
YHS00120
YHS00140
YHS00160
YHS00180
YHS00200
YHS00220
YHS00240
YHS00260
YHS00280
YHS00300

ORIGINAL
POOR

```

2 FBA22,FBB26,FUA30U,U1,U3,FADBA2,FBOBA2,FAIU          YHS00320
COMMON/FCREPM/FC3,FDTSH(5),FDTSR(5),FDTSZ(5),FS1(5),FS2(5), YHS00340
1 FS3(5),FDSTRH(5),FDSTRR(5),FDSTRZ(5),FSTSHB(5,15),FSTSRB(5,15), YHS00360
FSTSZB(5,15),SHB(5,15),SRB(5,15),SZB(5,15),PN(5),SE(5),SH(5), YHS00380
3 SR(5),SZ(5),FMX YHS00400
COMMON/CCREPM/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTRR(5), YHS00420
1 CDSTRZ(5),S1(5),S2(5),S3(5),CP3,CSTSHB(5,15),CSTSRB(5,15), YHS00440
2 CSTSZB(5,15),SHCB(5,15),SRCB(5,15),SZCB(5,15),CN(5),CSE(5), YHS00460
3 CSH(5),CSR(5),CSZ(5) YHS00480
COMMON/CSWLM/CSW(5),CSW1(5),CSW(5),CSWH(5),CSWH(5),CSW2(5), YHS00500
1 CUSWA(15),CUSWB(15),CTSW(5),CSWB(5,15) YHS00520
COMMON/NI X1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15), YHS00540
1 PL(15),CUEA(15),CUEB(15),FUBB(15),BOLE(15),CUAB(15),CUBB(15), YHS00560
2 UCPCB(15),UCPCBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15), YHS00580
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CF3,CW3, YHS00600
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPRB(3,15), YHS00620
5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15), YHS00640
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERH(5),FERZ(5),FCPZ(5,15) YHS00660
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15), YHS00680
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5), YHS00700
9 CTRZ(5),CERH(5),CERR(5),CERZ(5) YHS00720
COMMON/MI X2/DPGAS,PGAS,FPO,FDPQ,FP1,FUP1,PF(15),DPFC,CPD,CP1, YHS00740
1 FDSWUB,FDSWH(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDPI,CDPU,CDCH(5) YHS00760
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DP1,DP2, YHS00780
3 FTSW(5,15) YHS00800
DIMENSION DPFC(15),MPFC(15),NBOLE(15),FTSWB(5,15),REOPEN(15),
1 FFLUX(15)
READ 51, TIME,FTIME, ET,EIT ,JF,MPRINT,RF1,RF2,RV1,RV2,MPUNCH,
1 J,MSHP
READ 52, NR,NZ,MFR,WG,MP,MF,DPO,CPD,CDPU,PGAS,CTR,DTIMEL
NZ1=NZ-1
READ 55, NFSW,NCSW,CIPFC,FJMX ,SPFC,FPFL,SPD
READ 54 ,RCC,FSQ1,FSQ2,TFQ1,TFQ2,TCLUSE,DFL,OCL
READ 10, (REOPEN(K),K=1,NZ1)
READ 14, (DPFC(K),K=1,NZ1)
READ 11, (PFC(K),K=1,NZ1)
READ 12, (MPFC(K),K=1,NZ1), (NBOLE(K),K=1,NZ1)
READ 13, (RES(K),K=1,NZ1)
READ 6, (AFB(K),K=1,NZ1)
READ 6, (BFB(K),K=1,NZ1)
READ 6, (ACB(K),K=1,NZ)
READ 6, (BCB(K),K=1,NZ)
READ 5, TFLB,TCLB,AVCV,FPOEN,TGRM,TGGM
READ(5,7) (PL(K),K=1,NZ)
READ(5,6) (FLUX(K),K=1,NZ)
READ 6, (FFLUX(K),K=1,NZ)
READ(5,7) ((FTF(I,K),I=1,MFR),K=1,NZ1)
READ(5,4) ((CTF(I,K),I=1,NR),K=1,NZ)
READ(5,2) ((FSTSHB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FSTSRB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FSTSZB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FNTSW(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FTSWB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FCPHB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FCPRB(I,K),I=1,MFR),K=1,NZ1)
READ(5,2) ((FCPZB(I,K),I=1,MFR),K=1,NZ1)
READ(5,4) ((CSTSHB(I,K),I=1,NR),K=1,NZ)
READ(5,4) ((CSTSRB(I,K),I=1,NR),K=1,NZ)
READ(5,4) ((CSTSZB(I,K),I=1,NR),K=1,NZ)
READ(5,3) ((CSWB(I,K),I=1,NR),K=1,NZ)

```

DRU07360

DRU07440

ORIGINAL
POOR

```

READ (5,3) ((CCPHB(I,K),I=1,NR),K=1,NZ)
READ (5,3) ((CCPRB(I,K),I=1,NR),K=1,NZ)
READ (5,3) ((CCPZB(I,K),I=1,NR),K=1,NZ)
READ(5,6) (FSWUBB(K),K=1,NZ1)
READ(5,6) (FCPBB(K),K=1,NZ1)
READ(5,6) (FUEBB(K),K=1,NZ1)
READ(5,6) (CUEAB(K),K=1,NZ)
READ (5,6) (CUEBB(K),K=1,NZ)
READ (5,6) (CUAB(K),K=1,NZ)
READ(5,6) (CUBB(K),K=1,NZ)
READ(5,6) (UCPAB(K),K=1,NZ)
READ(5,6) (UCPBB(K),K=1,NZ)
READ(5,6) (CUSWAB(K),K=1,NZ)
READ(5,6) (CUSWBB(K),K=1,NZ)
READ(5,6) (FUBB(K),K=1,NZ1)
51 FORMAT(4F8.1,18.15,4F5.2,215.12 )
52 FORMAT(6I2,5E12.4,F4.1)
55 FORMAT(215,F10.3,E15.4,3F10.2)
54 FORMAT(E10.3,4F5.1, F10.2,2E12.4)
2 FORMAT(4E15.7)
3 FORMAT(6E13.7)
4 FORMAT(6F10.2)
5 FORMAT(2F10.2,2F5.3,2E15.8)
6 FORMAT(5E15.7)
7 FORMAT(8F10.2)
10 FORMAT(13F4.1)
11 FORMAT(8F10.3)
12 FORMAT(26I3)
13 FORMAT(13F6.4)
14 FORMAT(8F10.5)

```

```

RETURN
END

```

```

SUBROUTINE FWRITE(FDTS )

```

```

COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BAGLEE,MTEST,FLUX(15)
COMMON/CONSTF/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),YDFA,TDFF,FOEB,FUB(15),FAA,FUU,FBA2,
2 FBA22,FBB26,FUA3UU,U1,U3,FADBA2,FBDDBA2,FAIU
COMMON/FCREPM/FCJ,FDTSH(5),FDTSR(5),FDTSZ(5),FS1(5),FS2(5),
1 FS3(5),FDSTRH(5),FDSTRR(5),FDSTRZ(5),FSTSHB(5,15),FSTSRB(5,15),
2 FSTSZB(5,15),SHB(5,15),SRB(5,15),SZB(5,15),PN(5),SE(5),SH(5),
3 SR(5),SZ(5),FMX
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUEB(15),FUBB(15),BOLE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3,
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPRB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUBB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CAPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9 CTRZ(5),CERR(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPO,FDP0,FP1,FDPI,PF(15),DPFL,CPO,CPI,
1 FDSWUB,FDSWB(5),FDSWR(5),FDSWZ(5),FDSW(5,15),COP1,COPC,COCHE(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFA1,TDFA2,DP1,DP2,
3 FTSW(5,15)
DIMENSION FDTS(5)
WRITE(6,20)
IF(K.GT.1) GO TO 18

```

```

DR007600
DR007820
DR007640
YH500160
YH500180
YH500200
YH500280
YH500300
YH500320
YH500340
YH500360
YH500380
YH500400
YH500540
YH500560
YH500580
YH500600
YH500620
YH500640
YH500660
YH500680
YH500700
YH500720
YH500740
YH500760
YH500780
YH500800
DR008180
DR008200

```

ORIGINAL
POOR

```

18 PRINT 17, J, TIME, DTIME                                DRU08220
   CONTINUE                                                DRU08260
PRINT 19, K, BU
WRITE(6, 10)                                              DRU08320
PRINT 15, (PN(I), I=1, MFR), (SE(I), I=1, MFR)
PRINT 16, (SH(I), I=1, MFR), (SR(I), I=1, MFR), (SZ(I), I=1, MFR)
PRINT 1, (FSTSH(I), I=1, MFR), (FSTSR(I), I=1, MFR),
1 (FSTSZ(I), I=1, MFR)
PRINT 2, (FDTSH(I), I=1, MFR), (FDTSR(I), I=1, MFR),
1 (FDTS(I), I=1, MFR)
PRINT 4, (FDHE(I), I=1, MFR), (FDRE(I), I=1, MFR)
PRINT 5, (FDSWH(I), I=1, MFR), (FDSWR(I), I=1, MFR)
PRINT 8, (FTRH(I), I=1, MFR), (FTRR(I), I=1, MFR), (FTRZ(I), I=1, MFR)
PRINT 7, (FERH(I), I=1, MFR), (FERR(I), I=1, MFR), (FERZ(I), I=1, MFR)
PRINT 6, (FCPH(I, K), I=1, MFR), (FCPR(I, K), I=1, MFR),
1 (FCPZ(I, K), I=1, MFR)
PRINT 9, (FCSTRH(I), I=1, MFR), (FCSTRR(I), I=1, MFR),
1 (FCSTRZ(I), I=1, MFR)
PRINT 11, (FDSW(I, K), I=1, MFR), (FNTSW(I, K), I=1, MFR),
1 (FTSW(I, K), I=1, MFR)
PRINT 12, FCPB(K), FSWUB(K), FUEB(K), FUB(K)
PRINT 13, FDCPB, FDSWUB, FDEB, TDFB
1 FORMAT(2X, 'FSTSH ', 4F9.1, 2X, 'FSTSR ', 4F9.1, 2X, 'FSTSZ ', 4F9.1 ) 0
2 FORMAT(2X, 'FDTSH ', 4F9.1, 2X, 'FDTSR ', 4F9.1, 2X, 'FDTS ', 4F9.1 ) DRU08420
4 FORMAT(2X, 'FDHE ', 4F9.1, 2X, 'FDRE ', 4F9.1 )
5 FORMAT(2X, 'FDSWH ', 4F9.1, 2X, 'FDSWR ', 4F9.1, /)
6 FORMAT(2X, 'FTCPH ', 4E9.2, 2X, 'FTCPR ', 4E9.2, 2X, 'FTCPZ ',
1 4E9.2 )
7 FORMAT(2X, 'FTEH ', 4F9.5, 2X, 'FTRH ', 4F9.5, 2X, 'FTRZ ', 4F9.5 )
8 FORMAT(2X, 'FTRH ', 4F9.5, 2X, 'FTRR ', 4F9.5, 2X, 'FTRZ ', 4F9.5 )
9 FORMAT(2X, 'FDCPH ', 4E9.2, 2X, 'FDCPR ', 4E9.2, 2X, 'FDCPZ ', 4E9.2 ) DRU08580
10 FORMAT(' FUEL REGION', /) DRU086340
11 FORMAT(2X, 'FDSW ', 4E9.2, 2X, 'FNTSW ', 4E9.2, 2X, 'FTSW ', 4E9.2 )
12 FORMAT(2X, 'FCPB', E11.3, 2X, 'FSWUB', E11.3, 2X, 'FUEB', E11.3, 2X,
1 'FUB', E11.3 )
13 FORMAT(2X, 'FDCPB', E10.2, 2X, 'FDSWUB', E11.3, 2X, 'FDEB', E11.3, 2X,
1 'TDFB', 1PE14.6, /)
20 FORMAT('-----') DRU08680
15 FORMAT(2X, 'PN ', 4F9.1, 2X, 'SE ', 4F9.1 )
16 FORMAT(2X, 'SH ', 4F9.1, 2X, 'SR ', 4F9.1, 2X, 'SZ ', 4F9.1 )
17 FORMAT(' J=', I5, ' TIME=', F10.2, ' DTIME=', F6.2 ) DRU08740
19 FORMAT(' K=', I2, ' BU #=', F5.2, /)
RETURN                                                    DRU08700
END                                                        DRU08720
SUBROUTINE CWRITE(CDTS )
COMMON/COMFC/J, K, TIME, DTIME, FR(5, 15), FDR(5, 15), FSTSH(5),
1 FSTSR(5), FSTSZ(5), CR(5, 15), CDR(5, 15), CSTSH(5), CSTSR(5),
2 CSTSZ(5), NZ, NR, MFR, MP, BAQLEE, MTEST, FLUX(15)
COMMON/CONSTC/CA, CB, A2, B2, BA2, UA1, CAA, CUU, CE, CP, CTF(5, 15),
1 CUA(15), CUB(15), TDCa, TDCb, A1U, A2U, UA2, UA3, U2, UA5, UA6, b2bA2,
2 CUA3UU, CADBA2, CBDAA2
COMMON/CCREPM/CDTSH(5), CDTSR(5), CDTSZ(5), CDSTRH(5), CDSTRR(5),
1 CDSTRZ(5), S1(5), S2(5), S3(5), CP3, CDTSHB(5, 15), CDTSRB(5, 15),
2 CSTSZB(5, 15), SHCB(5, 15), SRCB(5, 15), SZCB(5, 15), CN(5), CSE(5),
3 CSH(5), CSR(5), CSZ(5)
COMMON/CSWLM/CSWI(5), CSW(5), CSWH(5), CSWR(5), CSWZ(5),
1 CUSWA(15), CUSWB(15), CTSW(5), CSWB(5, 15)
COMMON/MIX1/FDHE(5), FDRE(5), FDZE(5), FDCPB, UCPA(15), UCPB(15),
1 PL(15), CUEA(15), CUEB(15), FUBB(15), BULE(15), CUAB(15), CUBB(15),
2 UCPAB(15), UCPBB(15), CUEAB(15), CUEBB(15), CUSWA(15), CUSWB(15),

```

281

733 334

ORIGINAL
POOR

```

3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3, YH500600
4 TCE3,1CW3,TCP3,CJ,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPR(5,15), YH500620
5 FCPNB(5,15),CCPNB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15), YH500640
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERH(5),FERZ(5),FCPZ(5,15) YH500660
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15), Y500680
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTKZ(5),CTRH(5), Y500700
9 CTRZ(5),CERH(5),CERR(5),CERZ(5) YH500720
COMMON/MIX2/DPGAS,PGAS,FPO,FDPO,FP1,FOP1,FFC(15),DPFC,CPU,CPI, YH500740
1 FDSWUB,FDSWH(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDP1,CDPL,CDCHE(5) YH500760
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TOFB1,TOFB2,DP1,DP2, YH500780
3 FTSW(5,15) YH500800
DIMENSION COTS(5)
IF(K.EQ.NZ) GO TO 2
WRITE(6,1)
GO TO 4
2 PRINT J,K
WRITE(6,3)
CONTINUE
4 PRINT 10,(CN(I),I=1,NR),(CSE(I),I=1,NR)
PRINT 11,(CSH(I),I=1,NR),(CSR(I),I=1,NR),(CSZ(I),I=1,NR)
PRINT 12,(CSTSH(I),I=1,NR),(CSTSR(I),I=1,NR),(CSTSZ(I),I=1,NR)
PRINT 13,(COTSH(I),I=1,NR),(COTSR(I),I=1,NR),(COTS(I),I=1,NR)
PRINT 14,(CDCHE(I),I=1,NR),(CDCRE(I),I=1,NR)
PRINT 15,(CSWH(I),I=1,NR),(CSWR(I),I=1,NR)
PRINT 16,(CTRH(I),I=1,NR),(CTRR(I),I=1,NR),(CTRZ(I),I=1,NR)
PRINT 17,(CERH(I),I=1,NR),(CERR(I),I=1,NR),(CERZ(I),I=1,NR)
PRINT 18,(CCPH(I,K),I=1,NR),(CCPR(I,K),I=1,NR),(CCPZ(I,K),I=1,NR)
PRINT 19,(CDSTRH(I),I=1,NR),(CDSTRR(I),I=1,NR),(CDSTRZ(I),I=1,NR)
PRINT 20,(CSW(I),I=1,NR),(CSW(I),I=1,NR)
PRINT 21,UCPA(K),UCPB(K),CUSWA(K),CUSWB(K),CUFA(K),CUEB(K),
1 CUA(K),CUB(K),TDCA
1 FORMAT(' CLADDING REGION',/)
3 FORMAT(' CLADDING(PLENUM REGION)',/)
5 FORMAT(' K=',I2,/)
10 FORMAT(2X,'CN ',3F9.1,11X,'CSE ',3F9.1)
11 FORMAT(2X,'CSH ',3F9.1,11X,'CSR ',3F9.1,11X,'CSZ ',3F9.1)
12 FORMAT(2X,'CSTSH ',3F9.1,11X,'CSTSR ',3F9.1,11X,'CSTSZ ',3F9.1)
13 FORMAT(2X,'COTSH ',3F9.4,11X,'COTSR ',3F9.4,11X,'COTS ',3F9.4)
14 FORMAT(2X,'CDHE ',3F9.4,11X,'CDRE ',3F9.4)
15 FORMAT(2X,'CDSWH ',3E12.4,2X,'CDSWR ',3E12.4,/)
16 FORMAT(2X,'CTRH ',3E9.2,11X,'CTRR ',3E9.2,11X,'CTRZ ',3E9.2)
17 FORMAT(2X,'CERH ',3E11.3,5X,'CERR ',3E11.3,5X,'CERZ ',3E11.3)
18 FORMAT(2X,'CCPH ',3E11.3,5X,'CCPR ',3E11.3,5X,'CCPZ ',3E11.3)
19 FORMAT(2X,'CDCPH ',3E11.3,5X,'CDCPR ',3E11.3,5X,'CDCPZ ',3E11.3)
20 FORMAT(2X,'COTSH ',3E11.3,6X,'COTSR ',3E10.2)
21 FORMAT(2X,'UCPA,UCPB',2E9.2,' USWA,USWB',2E9.2,' UCA,UEB',
1 2E9.2,' CLA,CUB',2E9.2,' TDCA',1PE13.6,/)
RETURN
END
SUBROUTINE FUBCWP(FS1B,FS2B,FS3B,S1B )
COMMON/COMFC/J,K,TIME,OTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,BADLEE,MTEST,FLUX(15)
COMMON/CONST/PA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),TDF A,TDFB,FDEB,FUB(15),FAA,FUU,F3B2,
2 FBA22,FBB26,FUA300,U1,U3,FADBA2,FBD2A2,FALU
COMMON/FCREP/FC3,FOTSH(5),FOTSR(5),FOTSZ(5),FS1(5),FS2(5),
1 FS3(5),FDSTRH(5),FDSTRR(5),FDSTRZ(5),FSTSHB(5,15),FSTSRB(5,15),
2 FSTSzb(5,15),SHB(5,15),SH3(5,15),SZB(5,15),PN(5),SE(5),SH(5),
3 SR(5),SZ(5),FMX
YH500160
YH500180
YH500200
YH500280
YH500300
YH500320
YH500340
YH500360
YH500380
YH500400

```

DR009120
DR009140
DR009180
DR009240
DR009280

DR009160
DR009180
DR009220

DR010180
DR010200

ORIGINAL
POOR

```

COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUEB(15),FUBB(15),BULE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNLSW(5,15),CE3,CW3,
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPHB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPB(5,15),CCPZB(5,15),FSWUBB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERB(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRB(5),FTRZ(5),CTRH(5),CTRB(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPD,FDPO,FP1,FDPI,PF(15),DPFC,CPD,CP1,
1 FDSWUB,FDSWB(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDPI,CDPC,CDCE(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DP1,DP2,
3 FTSW(5,15)
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720
YHS00740
YHS00760
YHS00780
YHS00800

***** PRESSURE EFFECTS
FD1=FDPI
FDD=FDPO
FU1=U1*(FD1-FDD)
FU5=FDD*FB/2./FA1U
FU3=U3*(FD1-FDD)
FDEB=FU1-FU5+FU3
FUEB(K)=FUEBB(K)+FDEB

***** CREEP EFFECTS
FCORT=FUA1/FBA2
FS1B=FS1B*FCORT
FS2B=FS2B*FCORT
FS3B=FS3B*2.*FUU
UF1=FB*(FS1B+FS2B)/FU2
UFF2=FB2/2./FBA2
UFF1=FB/(FAA+FUU)+FA2/(FUU+FB)
UFF2=UFF2*UFF1*(FS1B+FS2B-FS3B)
FDCPB=UF1+UF2
FCPB(K)=FCPBB(K)+FDCPB

***** SWELLING EFFECTS
UA2B=FA2/FU2/FB
FDSWUB=(FB*SB/FU2+FB2A2*(FB/FA1U+UA2B)*SB)
FSWUB(K)=FSWUBB(K)+FDSWUB
TDFB=FDEB+FDCPB+FDSWUB-FP*FC3*(FB-FA)/FE
FUB(K)=FUBB(K)+TDFB
RETURN
END
SUBROUTINE FPE (FGVP2,DPFC,MPEC)
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NJ,MFR,MP,BADLEE,MTEST,FLUX(15)
COMMON/CONST/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),TDFB,TDFB,FDEB,FUB(15),FAA,FUU,FBBA?,
2 FBA22,FB226,FUA300,U1,U3,FADBA2,FB2BA2,FA1U
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUEB(15),FUBB(15),BULE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CTSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNLSW(5,15),CE3,CW3,
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPHB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPB(5,15),CCPZB(5,15),FSWUBB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERB(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRB(5),FTRZ(5),CTRH(5),CTRB(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPD,FDPO,FP1,FDPI,PF(15),DPFC,CPD,CP1,
1 FDSWUB,FDSWB(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDPI,CDPC,CDCE(5)
YHS00160
YHS00180
YHS00200
YHS00280
YHS00300
YHS00320
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720
YHS00740
YHS00760

```

DR015440

DR015460

DR015560

DR015580

POOR ORIGINAL

733 336

```

2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DP1,DP2,
3 FTSM(5,15)
DIMENSION FGVP2(5,15),DPFCK(15),MPFC(15)
IF(BOLE(K).EQ.2.) GO TO 400
403 FPO=PGAS
FPI=PGAS
FDPO=DPGAS
FDPI=DPGAS
GO TO 401
400 CONTINUE
IF(TIME .EQ. DTIME .AND. MP .EQ. 1) GO TO 402
IF(MPFC(K) .EQ. 1 .AND. MP.EQ.1) PFC(K)=PGAS
IF(MPFC(K) .EQ. 1 .AND. MP.EQ.1) DPFCK(K)=DPGAS
IF(MP .EQ. 1) PFC(K)=PFC(K)+DPFCK(K)
FPU=PFC(K)
FPI=PGAS
FDPO=DPFCK(K)
FDPI=DPGAS
GO TO 401
402 PFC(K)=PGAS
DPFCK(K)=PGAS
DPFC=PGAS
GO TO 403
401 CONTINUE
FDI=FDPI
FOO=FDPO
DO 523 I=1,MFR
R2=FR(I,K)**2
BR2=FB2/R2
AR2=FA2/R2
FDHE(I)=(FADBA2)*(1.+BR2)*FDI -(FBD3A2)*(1.+AR2)*FOO
FDRE(I)=(FADBA2)*(1.-BR2)*FDI -(FBD3A2)*(1.-AR2)*FOO
523 FDZE(I)=(2.*FP/F3A2)*(FA2*FDI -FB2*FOO)
DC 666 I=1,MFR
FSTSH(I)=FSTSH(I)+FDHE(I)
FSTSR(I)=FSTSR(I)+FDRE(I)
666 CONTINUE
RETURN
END
SUBROUTINE CGP(DPFCK)
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FOR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),COR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,MFR,MP,RADLEE,MTEST,FLUX(15)
COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,CF,CP,CTF(5,15),
1 CUA(15),CUB(15),TDCA,TCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
2 CUA3UU,CADEA2,CBDBA2
COMMON/MIX1/FDHE(5),FDRE(5),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PA(15),CUEA(15),CUEB(15),FUEB(15),BOLE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CYSWB(15),CSWB2(5,15),BU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3,
4 TCE3,TCW3,TCP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPHB(5,15),
5 FCPHB(5,15),CCPHB(5,15),CCPRB(5,15),CCPZB(5,15),FSWUB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERR(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPH(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9 CTRZ(5),CERN(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPO,FDP,FP1,FDP1,PFC(15),DPFC,CPG,CP1,
1 FDSWUB,FDSWH(5),FDSWR(5),FDSWZ(5),FDSWZ(5,15),CDP1,CDPC,CDCHE(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DP1,DP2,
3 FTSM(5,15)

```

```

YHS00760
YHS00800
DR012720
DR012740
DR012760
DR012780
DR012800
DR012820
DR012840
DR012900
DR012920
DR012960
DR012980
DR013080
DR013100
DR013120
DR013140
DR013160
DR013180
DR013200
DR01
DR013620
DR013740
DR013760
DR013780
YHS00220
YHS00240
YHS00260
YHS00280
YHS00300
YHS00320
YHS00340
YHS00360
YHS00380
YHS00400
YHS00420
YHS00440
YHS00460
YHS00480
YHS00500
YHS00520
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720
YHS00740
YHS00760
YHS00780
YHS00800

```

ORIGINAL
 POOR

733 337


```

DIMENSION DPFCK(15)
IF(K .EQ. N2) GO TO 50
IF(BOLE(K).EQ. 2.) GO TO 400
50 CPI=PGAS
CDPI=DPGAS
GO TO 401
400 CONTINUE
IF(TIME .EQ. DTIME .AND. MP .EQ. 1) GO TO 402
CPI=PFC(K)
CDPI=DPFCK(K)
GO TO 401
402 CPI=PGAS
CDPI=PGAS
401 CONTINUE
CDI=CDPI
CDQ=CDPI
DO 130 I=1,NR
R2=CR(I) **2
BR2=B2/
AR2=A2/
CDCHE(I)= A2*(1.+BR2)*CDI -CBDBA2*(1.+AR2)*CDD
CDCRE(I)=-CADBA2*(1.-BR2)*CDI -CBDBA2*(1.-AR2)*CDD
130 CDCZE(I)=2.*CP*(A2*CDI -B2*CDQ )/BA2
DO 77 I=1,NR
CSTSH(I)=CSTSH(I) +CDCHE(I)
CSTSR(I)=CSTSR(I) +CDCRE(I)
77 CONTINUE
RETURN
END
SUBROUTINE CBCWP(DUFA,DUFB,S13,S2B,S3B,S18C )
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FUR(5,15),FSTSH(5),
1 FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),N2,NR,MFR,MP,BADLEE,MTEST,FLUX(15)
COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,COU,CE,CP,CTF(5,15),
1 CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UAS,UA6,B2BA2,
2 CUA3U,CADBA2,CBD9A2
COMMON/CCREPM/CDTSH(5),CDTSR(5),CDTSZ(5),CDSTRH(5),CDSTRR(5),
1 CDSTRZ(5),S1(5),S2(5),S3(5),CP3,CSTSHB(5,15),CSTSRB(5,15),
2 CSTSZB(5,15),SHCB(5,15),SHCB(5,15),SZCB(5,15),CN(5),CSE(5),
3 CSH(5),CSR(5),CSZ(5)
COMMON/CSWLM/CSW(5),CSW(15),CSW(5),CSWH(5),CSWH(5),CSWZ(5),
1 CUSWA(15),CUSWB(15),CTS(5),CSWB(5,15)
COMMON/MIX1/FDHE(5),FDRE(3),FDZE(5),FDCPB,UCPA(15),UCPB(15),
1 PL(15),CUEA(15),CUEB(15),FUBJ(15),BULE(15),CUAB(15),CUBB(15),
2 UCPAB(15),UCPBB(15),CUEAB(15),CUEBB(15),CUSWAB(15),CUSWBB(15),
3 CTSWB(15),CSWB2(5,15),DU,GF,PNB(5,15),FNTSW(5,15),CE3,CW3,
4 TCE3,TCW3,ICP3,C3,FW3,TFE,TFP,TFW,FCPZB(5,15),FCPBB(5,15),
5 FCPBB(5,15),CCPBB(5,15),CCPBB(5,15),CCPZB(5,15),FSWUBB(15),
6 FCPBB(15),FUEB(15),FUEBB(15),FERH(5),FERH(5),FERZ(5),FCPZ(5,15)
7 ,FCPR(5,15),FCPB(5,15),CCPH(5,15),CCPR(5,15),CCPZ(5,15),
8 FSWUB(15),FCPB(15),FTRH(5),FTRR(5),FTRZ(5),CTRH(5),CTRR(5),
9 CTRZ(5),CERH(5),CERR(5),CERZ(5)
COMMON/MIX2/DPGAS,PGAS,FPD,FDPO,FP1,FDPI,PFC(15),DPFC,CPC,CP1,
1 FDSWUB,FDSWH(5),FDSWZ(5),FDSW(5,15),CDPI,CDPO,CDCHE(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDFB1,TDFB2,DPI,DP2,
3 FTSW(5,15)
*****CLADDING BOUNDARY DISPLACEMENT
***** CREEP EFFECTS
DG=UA1/B2
DI2=DG*S1B

```

```

DR021120
DR021140
DR021160
DR021180
DR021200
DR021220
DR021240
DR021260
DR021280
DR021300
DR021320
DR021340
DR021360
DR021500
DR021520
DR021540
DR021820
DR021840
DR021860
DR021900
DR021920
DR021940
YHS00160
YHS00180
YHS00200
YHS00220
YHS00240
YHS00260
YHS00420
YHS00440
YHS00460
YHS00480
YHS00500
YHS00520
YHS00540
YHS00560
YHS00580
YHS00600
YHS00620
YHS00640
YHS00660
YHS00680
YHS00700
YHS00720
YHS00740
YHS00760
YHS00780
YHS00800
DR018700
DR018720

```

POOR ORIGINAL

733 338

```

DI3=DG*S2B
DI4=(2.*CUU)*S7B
UF1=CB*(DI2+DI3)/(2.*CUU)
UFF1=CB/(CAA+CUU)+(A2/(CB*CUU))
UFF2=(B2/(B2-A2))/2.
UF2=UFF1*UFF2^(DI2+DI3-DI4)
DUFB =UF1+UF2
DGP1=1./((CAA+CUU)
DGP2=1./CUU
DUFAC=CA*B2*(DGP1+DGP2)*(DI2+DI3-DI4)/(2.*BA2,
UCPA(K)= DUFAC+UCPAB(K)
UCPB(K)= DUFAC+UCPBB(K)
C***** SWELLING EFFECTS
DUSWA=(CBDBA2*CA/2.)*(1./A1U+1./CUU)*SIBC
DUSWB=(CB/U2)*SIBC+(CBDBA2/2.)*(CB/A1U+A2/CUU/CU)*SIUC
CUSWA(K)= +DUSWA+CUSWAB(K)
CUSWB(K)= +DUSWB+CUSWBB(K)
C***** PRESSURE EFFECTS
CDI= CDP1
CDD= CDP0
PP1=A2*(CDI -CDD )/2./BA2/(CAA+CUU)
PP2=CDD /2./((CAA+CUU)
PP3=A2*B2*(CDI -CDD )/BA2/2./CUU
DUEA=(PP1-PP2)*CA+PP3/CA
DUEB=(PP1-PP2)*CB+PP3/CB
CUEA(K)= DUEA+CUEAB(K)
CUEB(K)= DUEB+CUEBB(K)
TDCA=DUFAC+CUSWA+DUEA
TDCB=DUFAC+CUSWB+DUEB-CP*CP3*(CB-CA)/CE
CUA(K)=CUEA(K)+TDCA
CUB(K)=CUEB(K)+TDCB
RETURN
END
SUBROUTINE PPRCI( FCK,MPFC
COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),
1 FSTSZ(5),FSTSZ(5),CH(5,15),CDR(5,15),CSTSH(5),CSTSR(5),
2 CSTSZ(5),NZ,NR,NFR,MP,BAOLEE,MTEST,FLUX(15)
COMMON/CONSTC/CA,CB,A2,B2,BA2,UA1,CAA,CUU,CE,CP,CTF(5,15),
1 CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA2,UA3,U2,UA5,UA6,B2BA2,
2 CUA3UU,CADBA2,CBCBA2
COMMON/CONSTF/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,
1 FUA5,FUA6,FTF(5,15),TDFB,TDFE,FDEB,FUH(15),FAA,FUU,FHHA2,
2 FBA22,FBB26,FUA3UU,U1,U3,FADBA2,FBJBA2,FA1U
COMMON/MIX2/DPGAS,PGAS,FPD,FDPO,FP1,FDP1,PF(15),DPFC,CPD,CP1,
1 FDSWB,FDSWH(5),FDSWR(5),FDSWZ(5),FDSW(5,15),CDP1,CDPL,CDCHE(5)
2 ,CDCRE(5),CDCZE(5),DUEA,DUEB,TDCA1,TDCA2,TDCB, TDFB2,CP1,DP2,
3 FTSW(5,15)
DIMENSION DPFC(15),MPFC(15)
DPFC=DPFC(K)
IF(MP .NE. 1) GO TO 993
PFC(K)=PFC(K)-DPFC
DP1=DPFC
IF(TIME .EQ. DTIME) DP1=PGAS
P1=DP1
TDCAT=(TDCA+TDFB)/2.
DDP=DP1*(TDCAT-TDCA)/TDCA
DP2=DP1+DDP
DPFC=DP2
PFC(K)=PFC(K)+DP2
IF(TIME .EQ. DTIME) PFC(K)=DP2

```

```

DR018800
DR018820
DR018840
DR018860
DR018880
DR018940
DR018960
DR018980
DR019040
DR019050
DR020600
DR020620
DR044860
DR004880
DR019120
DR019140
YHS00160
YHS00180
YHS00200
YHS00220
YHS00240
YHS00260
YHS00280
YHS00300
YHS00320
YHS00740
YHS00760
YHS00780
YHS00800
DR022200
DR022240
DR022260
DR022280
DR022300
DR022320
DR022340
DR022380

```

ORIGINAL
 POOR

	NP=MP+1	DR022400
	IF (MPFC(K) .EQ. 2) GO TO 994	
	MPFC(K)=MPFC(K)+1	
994	CONTINUE	
	TDCA1=TDCA	DR022420
	TDFB1=TDFB	DR022440
	GC TO 999	DR022460
993	PFC(K)=PFC(K)-DPFC	DR022480
	TDCA2=TDCA	DR022500
	TDFB2=TDFB	DR022520
	DP2=DPFC	DR022560
	AP=(TDCA2-TDCA1)/(TDFB2-TDFB1)	DR022580
	BP=TDCA2-AP*TDFB2	DR022600
	Y0=BP/(1.-AP)	DR022620
	X0=Y0	DR022640
	PL2=(X0-TDFB2)**2+(Y0-TDCA2)**2	DR022660
	PL2=PL2**0.5	DR022680
	P12=(TDFB1-TDFB2)**2+(TDCA1-TDCA2)**2	DR022700
	P12=P12**0.5	DR022720
	ALP=P12/PL2	DR022740
	IF (TDFB1 .GT. TDCA1 .AND. TDFB2 .GT. TDCA2) GO TO 10	DR022760
	IF (TDFB1 .LT. TDCA1 .AND. TDFB2 .LT. TDCA2) GO TO 13	DR022780
	DPFC=DP2+(DP1-DP2)/ALP	DR022800
	GO TO 16	DR022820
10	IF (DP2 .LT. DP1) GO TO 11	DR022840
	DPFC=DP2+(DP2-DP1)/ALP	DR022860
	GO TO 16	DR022880
11	DPFC=DP2+(DP1-DP2)/ALP	DR022900
	GO TO 16	DR022920
13	IF (DP2 .LT. DP1) GO TO 14	DR022940
	DPFC=DP2+(DP1-DP2)/ALP	DR022960
	GO TO 16	DR022980
14	DPFC=DP2+(DP2-DP1)/ALP	DR023000
16	CONTINUE	DR023020
	DP1=DP2	DR023040
	PFC(K)=PFC(K)+DPFC	DR023060
	TDCA1=TDCA2	DR023080
	TDFB1=TDFB2	DR023100
	MP=MP+1	DR023120
999	CONTINUE	DR023200
	DPFC(K)=DPFC	DR023240
	RETURN	
	END	
	SUBROUTINE PUNCH (CTR,DTIME,DPFC,PFC,CIPFC,FJMX,NBOLE,RCC,	
1	FSQ1,FSQ2,TF SQ1,TF SQ2,NF SW,NCSW,FTSWB,SPFC,PFPC,SPC,YCLUSE,	
2	DCL,DFL,REOPEN,MSHP,TGRM,TGGM,AVCV,FPDEN,FFLUX)	
	COMMON/FCBV/ACB(15),BCB(15),AFB(15),BFB(15),FTIME,ET,EIT,RF1,	YHS00100
1	RF2,DPO,MF,MG,JF,MPRINT,RV1,RV2,MPUNCH,MBOLE,TCL6,TFLB,RRES(15)	YHS00120
2	VOLM,VOLU,VQL,AVETK,GAS,AC(15),BC(15),AF(15),BF(15),FL(15)	YHS0014
	COMMON/COMFC/J,K,TIME,DTIME,FR(5,15),FDR(5,15),FSTSH(5),	YHS00160
1	FSTSR(5),FSTSZ(5),CR(5,15),CDR(5,15),CSTSH(5),CSTSR(5),	YHS00180
2	CSTSZ(5),NZ,NR,MFR,MP,BADLEE,MTEST,FLUX(15)	YHS00200
	COMMON/CONSTC/CA,CB,A2,B2,BA2,U1,CAA,CUU,CE,CP,CTF(5,15),	YHS00220
1	CUA(15),CUB(15),TDCA,TDCB,A1U,A2U,UA1,UA3,U2,UAS,UAB,B2BA2,	YHS00240
2	CUA3UU,CADBA2,CBDBA2	YHS00260
	COMMON/COMSTF/FA,FB,FA2,FB2,FBA2,FE,FP,FU2,FUA1,FUA2,FUA3,	YHS00280
1	FUA5,FUA6,FTF(5,15),TDFB,TDFB2,FUB(15),FAA,FUU,FBA2,	YHS00300
2	FBA22,FBB26,FUA3UU,U1,U3,FADBA2,FBDAB2,FAIU	YHS00320
	COMMON/FCREPN/FC3,FDTSH(5),FDTSR(5),FDTSZ(5),FS1(5),FS2(5),	YHS00340
1	FS3(5),FDSTRH(5),FDSTRR(5),FDSTRZ(5),FSTSHB(5,15),FSTSRB(5,15),	YHS00360

ORIGINAL
 POOR

```

2 FSTS ZB(5,15), SHB(5,15), SRB(5,15), SZB(5,15), PN(5), SE(5), SH(5), YHS00380
3 SR(5), SZ(5), FMX YHS00400
COMMON/CCREPM/CDTSH(5), CDTSR(5), CDTSZ(5), CDSTRH(5), CDSTRR(5), YHS00420
1 CDSTRZ(5), S1(5), S2(5), S3(5), CP3, CSTSHB(5,15), CSTSRB(5,15), YHS00440
2 CSTSZB(5,15), SHCB(5,15), SRCB(5,15), SZCB(5,15), CN(5), CSE(5), YHS00460
3 CSH(5), CSR(5), CSZ(5) YHS00480
COMMON/CSWLM/CSW(5), CSW1(5), CSW(5), CSWH(5), CSWR(5), CSWZ(5), YHS00500
1 CUSWA(15), CUSWB(15), CTSW(5), CSWB(5,15) YHS00520
COMMON/MIX1/FDHE(5), FDRE(5), FDZE(5), FDCPB, UCPA(15), UCPB(15), YHS00540
1 PL(15), CUEA(15), CUEB(15), FUBB(15), BOLE(15), CUAB(15), CUBB(15), YHS00560
2 UCPAB(15), UCPBB(15), CUEAB(15), CUEBB(15), CUSWAB(15), CUSWBB(15), YHS00580
3 CTSWB(15), CSWB2(5,15), BU, GF, PNB(5,15), FNTSW(5,15), CE3, CW3, YHS00600
4 TCE3, TCW3, TCP3, C3, FW3, TFE, TFP, TFW, FCPZB(5,15), FCPRB(5,15), YHS00620
5 FCPHB(5,15), CCPHB(5,15), CCPRB(5,15), CCPZB(5,15), FSWUBB(15), YHS00640
6 FCPBB(15), FUEB(15), FUEBB(15), FEHH(5), FERR(5), FERZ(5), FCPZ(5,15) YHS00660
7 FCPR(5,15), FCPH(5,15), CCPH(5,15), CCPR(5,15), CCPZ(5,15), YHS00680
8 FSWUB(15), FCPB(15), FTRH(5), FTR(5), FTRZ(5), CTRH(5), CTRR(5), YHS00700
9 CTRZ(5), CERH(5), CERR(5), CERZ(5) YHS00720
COMMON/MIX2/DPGAS, PGAS, FPO, FOPU, FPI, FDP1, PFC(15), BPFC, CPO, C-1, YHS00740
1 FDSWUB, FDSWH(5), FDSWR(5), FDSWZ(5), FDSW(5,15), CDPI, CDPO, CDCHE(5) YHS00760
2 CDCRE(5), CDCZE(5), DUEA, DUEB, TDCA1, TDCA2, TDFB1, TDFB2, DP1, DP2, YHS00780
3 FTSW(5,15)
DIMENSION DPFCK(15), MPFC(15), NBOLE(15), FTSWB(5,15), RFLPEN(15),
1 FFLUX(15)
NZ1=NZ-1
GO TO 1000
PUNCH 70, TIME, FTIME, ET, EIT, JF, MPRINT, RF1, RF2, RV1, RV2, MPL, CH,
1 J, MSHB
PUNCH 75, NR, NZ, MFR, NG, MP, DPO, CPO, CDPO, PGAS, CTR, DTIMEL
PUNCH 76, NFSW, NCSW, FCF, FJMX, SPFC, FPFC, SPC
PUNCH 54, RCC, FSQ1, FSQ2, TFSQ1, TFSQ2, TCLOSE, DFL, DCL
PUNCH 10, (REQPE(K), K=1, NZ1)
PUNCH 14, (DPFCK(K), K=1, NZ1)
PUNCH 11, (PFC(K), K=1, NZ1)
PUNCH 12, (MPFC(K), K=1, NZ1), (NBOLE(K), K=1, NZ1)
PUNCH 13, (RRES(K), K=1, NZ1)
PUNCH 72, (AFB(K), K=1, NZ1)
PUNCH 72, (BFB(K), K=1, NZ1)
PUNCH 72, (ACB(K), K=1, NZ)
PUNCH 72, (BCB(K), K=1, NZ)
PUNCH 5, TFLB, TCLB, AVCV, FPDEN, TGRM, TGGM
PUNCH 7, (PL(K), K=1, NZ)
PUNCH 72, (FLUX(K), K=1, NZ)
PUNCH 72, (FFLUX(K), K=1, NZ)
PUNCH 7, ((FTF(I, K), I=1, MFR), K=1, NZ1)
PUNCH 74, ((CTF(I, K), I=1, NR), K=1, NZ)
PUNCH 2, ((FSTSHB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FSTSRB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FSTS ZB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FNTSW(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FTSWB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FCPHB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FCPRB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 2, ((FCPZB(I, K), I=1, MFR), K=1, NZ1)
PUNCH 74, ((CSTSHB(I, K), I=1, NR), K=1, NZ)
PUNCH 74, ((CSTSRB(I, K), I=1, NR), K=1, NZ)
PUNCH 74, ((CSTS ZB(I, K), I=1, NR), K=1, NZ)
PUNCH 73, ((CSWB(I, K), I=1, NR), K=1, NZ)
PUNCH 73, ((CCPHB(I, K), I=1, NR), K=1, NZ)
PUNCH 73, ((CCPRB(I, K), I=1, NR), K=1, NZ)

```

ORIGINAL
POOR

```

PUNCH 73 ,((CCPZB(I,K),I=1,NR),K=1,NZ)
PUNCH 72, (FSWBB(K),K=1,NZ1)
PUNCH 72, ( FCPBB(K),K=1,NZ1)
PUNCH 72, ( FUEBB(K),K=1,NZ1)
PUNCH 72, (CUEAB(K),K=1,NZ)
PUNCH 72, (CUEBB(K),K=1,NZ)
PUNCH 72, (CUAB(K),K=1,NZ)
PUNCH 72, (CUB(K),K=1,NZ)
PUNCH 72, (UCPAB(K),K=1,NZ)
PUNCH 72, (UCPBB(K),K=1,NZ)
PUNCH 72, (CUSWAB(K),K=1,NZ)
PUNCH 72, (CUSWBB(K),K=1,NZ)
PUNCH 72, (FUBB(K),K=1,NZ1)
70  FORMAT(4F8.1,18.15,4F5.2,215.12 )
75  FORMAT(6I2,5E12.4, F4.1)
76  FORMAT(215,F10.3,E15.4,3F10.2)
54  FORMAT(E10.3,4F5.1, F10.2,2E12.4)
10  FORMAT(13F4.1)
14  FORMAT(8F10.5)
11  FORMAT(8F10.3)
12  FORMAT(26I3)
13  FORMAT(13F6.4)
72  FORMAT(5E15.7)
5   FORMAT(2F10.2,2F5.3,2E15.8)
7   FORMAT(8F10.2)
74  FORMAT(6F10.2)
2   FORMAT(4E15.7)
73  FORMAT(6E13.7)
1000 NZ1=NZ-1
      RETURN
      END

```

POOR ORIGINAL

UNITED STATES
NUCLEAR REGULATORY COMMISSION
WASHINGTON, D. C. 20555

OFFICIAL BUSINESS
PENALTY FOR PRIVATE USE, \$300

POSTAGE AND FEES PAID
UNITED STATES NUCLEAR
REGULATORY COMMISSION



POOR
ORIGINAL

733 343