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SOLA-DF: A Solution Algorithm for Nonequilibrium Two-Phase Flow

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CONTENTS

ABSTRACT	1
I. INTRODUCTION	1
II. EQUATIONS AND CONSTITUTIVE RELATIONS	4
A. Equations of Motion	4
B. Void Fraction	6
C. Equation of State	6
D. Vapor and Liquid Internal Energies	7
E. Relative Velocity	8
F. Phase Transitions	10
G. Pipe Friction	13
III. NUMERICAL SOLUTION METHOD	14
A. Mesh Construction	15
B. Solution Algorithm	15
1. Explicit Updating of Velocities	16
2. Implicit Pressure Calculation	21
3. Updating of Remaining Variables	24
C. Boundary Conditions	29
1. Rigid Free-Slip	29
2. Rigid No-Slip	29
3. Continuative Outflow	30
4. Periodic	30
5. Constant Pressure	31
D. Internal Obstacles	32
E. Variable Time Steps	32
IV. INPUT DATA, COMMON VARIABLES, AND SUBROUTINES AND GRAPHICS OUTPUT	33
A. Input Data	33
B. COMMON Variables	38
C. Subroutines and Graphics Output	42
V. EXAMPLE PROBLEM	42
VI. SUMMARY	43
ACKNOWLEDGMENTS	61
REFERENCES	62
APPENDIX: FORTRAN IV Listing of the SOLA-DF Code	64

SOLA-DF: A SOLUTION ALGORITHM FOR NONEQUILIBRIUM TWO-PHASE FLOW

by

C. W. Hirt, N. C. Romero, M. D. Torrey, and J. R. Travis

ABSTRACT

A numerical solution algorithm, SOLA-DF, is presented for the solution of gas-liquid mixture dynamics in two space dimensions and time. The two-phase system is described by a set of mixture equations plus a relation describing the relative flow of one phase with respect to the other. In addition, the algorithm contains models to represent the interphase exchange rates of mass, momentum, and energy for water-steam mixtures.

I. INTRODUCTION

Fluid dynamic problems involving multiphase mixtures occur in abundance in nearly all branches of engineering and technology. Yet the ability to theoretically study these flows in more than one space dimension and with time-dependent behavior has only recently evolved.^{1,2} For many applications it is unnecessary to solve complete sets of mass, momentum, and energy conservation equations for each phase.³ For example, when the two phases are moving together, a mixture momentum equation can replace the individual momentum equations, or if the phases are in thermodynamic equilibrium, it is unnecessary to keep two energy equations. When small deviations are expected from equilibrium or equal phase velocities, it is possible to introduce correction terms into the mixture equations without having to increase the number of equations. It is the latter approach that is considered in this report.

In the next section a theoretical formulation is described for a two-phase mixture using one variation of the so-called "drift-flux" approximation.⁴

These equations are formulated for two-dimensional planar or axisymmetric coordinate systems. All constitutive relations and equations of state are relatively simple models designed for water-steam mixtures. These relations have been used successfully for many important applications arising in nuclear reactor safety studies.⁵ They should not, however, be used indiscriminately. For other applications, consideration should always be given to their suitability for the temperature-pressure ranges of interest and to the possibility that additional physical processes may be needed in the basic theoretical description. In any case, it is emphasized that the constitutive relations used in this report may be easily changed without altering the basic numerical solution algorithm that forms the heart of the SOLA-DF code.

The solution algorithm used in SOLA-DF has evolved from algorithms used in earlier codes in the SOLA series. The original SOLA code⁶ was designed for problems involving a single, incompressible fluid in a fixed region. The SOLA-SURF code⁶ is an extended form of SOLA that allows for the inclusion of free surfaces. SOLA-ICE,⁷ the third member of the family, was designed to handle single-component, compressible fluids. An implicit solution method is used in SOLA-ICE so that, in addition to shock and rarefaction dominated flows, it can also treat very low speed (incompressible) fluid flows. All of these SOLA codes are available from the National Energy Software Center, 9700 South Cass Avenue, Argonne, Illinois 60439.

The SOLA-DF code is a direct descendent of SOLA-ICE. It utilizes finite-difference approximations with respect to a mesh of equal rectangular cells covering the flow region of interest. A semi-implicit formulation is available as a user option so that large time steps can be used in many circumstances to reduce problem run times.

The solution algorithm also has an option for one-dimensional computations. In this case the mesh is limited to one column of cells, and derivatives of dependent variables normal to this column are automatically suppressed by the setting of a large mesh-interval in the normal direction. Furthermore, for one-dimensional computations of flow in pipes there is an option for a two-phase flow pipe friction model.

In addition, SOLA-DF is formulated with a variable, denoted by A , representing the "thickness" of a mesh cell. That is, in a one-dimensional computation the volume of a cell of length δy is $A\delta y$. In two-dimensional computations the volume of a cell of width δx and height δy is $A\delta x\delta y$. The presence

532 207

of the A quantity provides SOLA-DF with many useful features. For example, in one-dimensional applications a variable A can be used to model nozzles or other pipe area changes. If A increases as the square of the distance from the bottom of the mesh column then the equations reduce to a one-dimensional spherical system that could be used to study spherical bubbles or explosive flashing processes.

In two-dimensional applications a variable A may be used to represent flow through a two-dimensional duct of slowly varying thickness. The use of zero values of A in selected mesh cells provides a convenient means of including internal obstacles in the flow region. In particular, a cell with $A = 0$ will allow no flow across its boundaries. Axisymmetric coordinates are generated by having A increase linearly with distance from the axis. In the present version of SOLA-DF the A-quantity must be constant in time. However, it would not be difficult to introduce time-dependent corrections so that flows in flexible pipes and ducts might be modeled.⁸

In constructing SOLA-DF some consideration has been given to providing subroutines for most of the important or controversial constitutive relations and for the equations of state for each phase. Thus, changes in these quantities can be made with relative ease. Although the code was developed on a CDC-7600 computer, ANSI-Standard FORTRAN has been used throughout to facilitate its use on other computers. This does not apply, however, to the output subroutines used in the code for graphic display purposes. A list of these subroutines and their functions is provided in Section IV for those users who have access to graphic display systems and wish to convert them to their system routines. All calls to graphic output routines can be avoided by inputting a plot time larger than the requested problem time.

A sample problem is discussed in Section V to illustrate the type of results that may be obtained with the SOLA-DF code. The results of this test problem are presented in detail so that new users may check that their codes are running correctly.

A listing of the code and its subroutines are provided in the Appendix.

Two SOLA codes,^{5,8} which were referenced above, offer complementary capabilities to SOLA-DF and deserve an expanded explanation. A variation of SOLA-DF is contained in SOLA-LOOP, which is a one-dimensional network code.⁵ The SOLA-LOOP program is designed to handle systems of one-dimensional components

coupled together through junctions. Variable time steps may be used in different components, and provisions are available for defining trips, breaks, valves, and other transient features. SOLA-FLX consists of SOLA-DF coupled to a three-dimensional shell code.⁸ This combination may be used for problems involving coupled fluid-structure interactions in which the structure is a cylindrical shell. Following the basic procedure used in SOLA-FLX, other types of structure models could be coupled to SOLA-DF.

II. EQUATIONS AND CONSTITUTIVE RELATIONS

The drift-flux equations describing the dynamics of two-phase fluid mixtures have been cast in many forms.⁹ In the present case we choose as dependent variables the mixture density ρ , the macroscopic vapor density ρ_v , (vapor mass per unit volume of mixture) the center-of-mass velocity $\underline{u} = (u, v)$, and the mixture specific internal energy I . Important auxiliary variables are the void fraction θ , the relative velocity between phases $\underline{u}_r = (u_r, v_r)$, and the mixture pressure p .

A. Equations of Motion

In terms of the chosen dependent variables, the basic two-dimensional drift-flux equations used in SOLA-DF are

the continuity equations,

$$\frac{\partial \rho}{\partial t} + \frac{1}{A} \left(\frac{\partial A \rho u}{\partial x} + \frac{\partial A \rho v}{\partial y} \right) = 0 \quad (2.1)$$

$$\frac{\partial \rho_v}{\partial t} + \frac{1}{A} \left[\frac{\partial}{\partial x} A \left(\rho_v u + \frac{\rho_v \rho_l}{\rho} u_r \right) + \frac{\partial}{\partial y} A \left(\rho_v v + \frac{\rho_v \rho_l}{\rho} v_r \right) \right] = \Gamma \quad ; \quad (2.2)$$

the momentum equations,

$$\begin{aligned} \frac{\partial \rho u}{\partial t} + \frac{1}{A} \left[\frac{\partial}{\partial x} A \left(\rho u^2 + \frac{\rho_v \rho_l}{\rho} u_r^2 \right) + \frac{\partial}{\partial y} A \left(\rho u v + \frac{\rho_v \rho_l}{\rho} u_r v_r \right) \right] \\ = - \frac{\partial p}{\partial x} + \rho g_x + f_{visx} \end{aligned}$$

$$\frac{\partial \rho v}{\partial t} + \frac{1}{A} \left[\frac{\partial}{\partial x} A \left(\rho u v + \frac{\rho_v \rho_\ell}{\rho} u_r v_r \right) + \frac{\partial}{\partial y} A \left(\rho v^2 + \frac{\rho_v \rho_\ell}{\rho} v_r^2 \right) \right]$$

$$= - \frac{\partial p}{\partial y} + \rho g_y + f_{visy} \quad ; \quad (2.3)$$

and the internal energy equation,

$$\frac{\partial \rho I}{\partial t} + \frac{1}{A} \left\{ \frac{\partial}{\partial x} A \left[\rho I u + \frac{\rho_v \rho_\ell}{\rho} (I_v - I_\ell) u_r \right] + \frac{\partial}{\partial y} A \left[\rho I v + \frac{\rho_v \rho_\ell}{\rho} (I_v - I_\ell) v_r \right] \right\}$$

$$= - \frac{p}{A} \left\{ \frac{\partial}{\partial x} A \left[u + \frac{\rho_v \rho_\ell}{\rho} \left(\frac{1}{\rho_v} - \frac{1}{\rho_\ell} \right) u_r \right] + \frac{\partial}{\partial y} A \left[v + \frac{\rho_v \rho_\ell}{\rho} \left(\frac{1}{\rho_v} \right. \right. \right.$$

$$\left. \left. - \frac{1}{\rho_\ell} \right) v_r \right] \right\} + K (u_r^2 + v_r^2) + J_{vis} \quad . \quad (2.4)$$

In these equations, the independent variables are time t and coordinates x, y . The exchange functions for mass and momentum are Γ and K , respectively. Subscripts v and ℓ refer to properties in the vapor and liquid states while a superscript zero refers to microscopic quantities. The gravitational acceleration is denoted by $\underline{g} = (g_x, g_y)$.

The quantity A is the time-independent "thickness" of the flow channel. That is, $A \Delta x \Delta y$ is the volume associated with an area Δx wide and Δy high. In addition to representing variable area ducts, we may use suitably defined A values to represent cylindrical coordinates ($A = x$, the circumferential area per unit azimuthal angle) or obstacle regions ($A = 0$).

To complete these equations a variety of constitutive relations must be defined. It is in the definition of these relations that considerable caution must be exercised. The choices made are governed by the applications for which the code is intended. The best choices are those that can be tested against suitable experimental data. Even with careful testing, however, the prejudices of different researchers often lead to different constitutive relations. In the following we describe one set of simple constitutive models that have been used

532-219

in the initial development of the SOLA-DF, SOLA-FLX, and SOLA-LOOP codes. These models should not, therefore, be taken as invariant features of these codes. Instead, the codes are to be thought of as skeletons offering numerical solution algorithms that will work with a variety of constitutive relations.

B. Void Fraction

The volume of vapor per unit volume of mixture, that is, the void fraction θ is defined through the relation

$$\theta = (\rho_l^0 - \rho + \rho_v) / \rho_l^0 \quad . \quad (2.5)$$

C. Equation of State

In the present formulation of SOLA-DF the equation of state is assumed to be a relation that gives pressure as a function of density and internal energy. Although fits to steam table data could be inserted in the equation-of-state subroutine, for developmental purposes we have chosen to use a much simpler approach. When the void fraction is below a small, predetermined value, $\theta < \theta_c$, (typically $\theta_c \approx 0.005$) the fluid is assumed to be a pure liquid with the equation of state

$$p = p_0 + a^2 (\rho - \rho_l^0) \quad ,$$

where a is a representative speed of sound in the liquid phase and p_0 is chosen (see Eq. 2.6) to ensure pressure continuity between the pure liquid and two-phase states when $\theta = \theta_c$. In the two-phase region, $\theta > \theta_c$, the mixture pressure is equal to that of the vapor and is given by the polytropic gas equation,

$$p = (\gamma - 1) \rho_v^0 I_v \quad .$$

In the code these equations are combined into the single equation

$$p = (\gamma - 1) \rho_v I_v / \theta^* + a^2 \rho_l^o (\theta^* - \theta) \quad , \quad (2.6)$$

$$\text{where } \theta^* = \begin{cases} \theta & \text{if } \theta \geq \theta_c \\ \theta_c & \text{if } \theta < \theta_c \end{cases} .$$

For saturated conditions we have found that $\gamma = 1.07$ and $a^2 \approx 10^4 \text{ cm}^2/\text{ms}^2$ offer reasonable approximations for many reactor safety problems.

D. Vapor and Liquid Internal Energies

In the equation of state and in the relative velocity convection terms in the internal energy equation, it is necessary to have separate values for vapor and liquid internal energies. Because the basic dependent energy variable is the mixture internal energy, a separate prescription must be given for unfolding the individual phase energies. Two prescriptions have been used. In one the phases are assumed to be at equal temperatures. In the other, the vapor phase is assumed to be saturated. For many applications there is little difference between the two assumptions, because the large heat content of the more massive liquid phase keeps the liquid temperature nearly the same in either case.

To implement either of these assumptions we approximate the temperature dependence of the internal energies as

$$I_v = E_v + C_v (T_v - T_o) \quad (2.7)$$

$$I_l = E_l + C_l (T_l - T_o) \quad ,$$

where E_v and E_l are saturated internal energies at temperature T_o and C_v and C_l are constants chosen to fit the steam table versus T curves in the temperature range of interest. For example, in the system of units g, cm, ms, K the

values $E_v = 2.506 \times 10^4$, $E_l = 0.4174 \times 10^4$, $C_v = 6.67$ and $C_l = 44.34$ are good approximations for temperatures up to about $T = 550$ K.

With these definitions, and assuming equal phase temperatures, the mixture temperature can be computed from the mixture internal energy as the solution of the linear equation,

$$\rho I = \rho_v I_v + \rho_l I_l \quad (2.8)$$

When the vapor is assumed to be saturated its temperature and pressure are related by

$$T_v = 255.2 + 117.8 p^{0.223} \quad (2.9)$$

where in this expression p must be in bars and T in kelvins. Knowing the vapor temperature it is then an easy task to compute the separate liquid and vapor internal energies and liquid temperature using Eqs. (2.7) and (2.8).

E. Relative Velocity

An equation of motion for the relative velocity can be derived from equations describing a complete two-fluid model,¹⁰ given by

$$\begin{aligned} \frac{\partial u_r}{\partial t} + \frac{1}{2} \frac{\partial}{\partial x} \left\{ u_r \left[2u + \frac{u_r}{\rho} (\rho_l - \rho_v) \right] \right\} + v_v \frac{\partial u_v}{\partial y} - v_l \frac{\partial u_l}{\partial y} \\ - \left(\frac{1}{\rho_l^o} - \frac{1}{\rho_v^o} \right) \frac{\partial p}{\partial x} - K \frac{\rho}{\rho_v \rho_l} u_r \\ \frac{\partial v_r}{\partial t} + \frac{1}{2} \frac{\partial}{\partial y} \left\{ v_r \left[2v + \frac{v_r}{\rho} (\rho_l - \rho_v) \right] \right\} + u_v \frac{\partial v_v}{\partial x} - u_l \frac{\partial v_l}{\partial x} \\ = \left(\frac{1}{\rho_l^o} - \frac{1}{\rho_v^o} \right) \frac{\partial p}{\partial y} - K \frac{\rho}{\rho_v \rho_l} v_r \end{aligned} \quad (2.10)$$

where $u_r = u_v - u_l$, $v_r = v_v - v_l$,

$$u = \frac{\rho_v u_v + \rho_l u_l}{\rho} , \quad v = \frac{\rho_v v_v + \rho_l v_l}{\rho} ,$$

$$\rho = \rho_v + \rho_l ,$$

and K is the interfacial friction coefficient.

The current version of SOLA-DF neglects all but the temporal term on the left side of Eq. 2.10. Assuming the vapor is a dispersed phase of small bubbles when θ is small, or the liquid is a dispersed phase of small droplets when θ is large, we can estimate K from the drag on an individual bubble (or droplet) times the number of bubbles (droplets) per unit volume, N . The result is

$$K = \frac{\rho S}{8\theta_1} \left[C_d \frac{|u_r|}{r} + \frac{12\nu}{r_o} \right] , \quad (2.11)$$

where

$$\theta_1 = \theta, \quad \nu = \nu_l (1-\theta)^{-2.5} \quad \text{for } \theta \leq 1/2$$

$$\theta_1 = 1-\theta, \quad \nu = \nu_v \theta^{-2.5} \quad \text{for } \theta > 1/2 .$$

C_d is a drag coefficient (generally of order unity), S is the cross-sectional area per unit volume of bubbles (droplets) with radius r_o ,

$$S = \begin{cases} \frac{3\theta}{4r_b} \text{ and } r_o = r_b & \text{if } \theta \leq 1/2 \\ \frac{3(1-\theta)}{4r_d} \text{ and } r_o = r_d & \text{if } \theta > 1/2 \end{cases} , \quad (2.12)$$

532 214 9

and ν is the kinematic viscosity. The average radius is related to the number density by the expressions

$$\begin{aligned} r_b &= \left(\frac{3\theta}{4\pi N} \right)^{1/3} && \text{for } \theta \leq 1/2 \\ r_d &= \left[\frac{3(1-\theta)}{4\pi N} \right]^{1/3} && \text{for } \theta > 1/2 \end{aligned} \quad (2.13)$$

The bubble number N is often assumed to be a constant independent of space and time. This, of course, is an approximation that will not work when preferential nucleating sites are desired. Although N must be estimated for each calculation, as described in the next section, a locally variable N can sometimes be estimated in terms of a critical Weber number.

F. Phase Transitions

The form of the phase change model embodied in Γ is crucial if nonequilibrium effects are to be correctly predicted. The model we describe here is still under development and is not yet sophisticated enough to be used as a predictive tool without some adjustment. Nevertheless, this model has proven useful in numerous applications and its presentation here illustrates the types of considerations necessary in the development of such models.

Defining q as the interfacial heat flux, a simple energy balance shows that

$$\Gamma = \frac{qZ}{\lambda} \quad ,$$

where λ is the latent heat of vaporization and interfacial area Z is related to the bubble radius, r , according to $Z = 3\theta/r$. The heat flux can be further defined as

$$q = k(T_2 - T_s)/\delta \quad ,$$

where T_s is the saturation temperature and k_ℓ is the thermal conductivity of the liquid whose bulk temperature is T_ℓ . The length ℓ characterizes the thickness of the thermal boundary layer over which the liquid temperature changes from its interior, bulk value, T_ℓ , to the value T_s assumed to exist at the two-phase interface. Thus,

$$\Gamma = \frac{k_\ell (T_\ell - T_s) Z}{\lambda \ell} \quad (2.14)$$

For a single, nontranslating bubble growing in an infinite fluid region, it has been shown¹¹ that $\ell = \ell_c$, where

$$\ell_c = r \left[\frac{6}{\pi} \frac{\rho_\ell^0 C_\ell |T_\ell - T_s|}{\rho_v^0 \lambda} \right]^{-1}$$

In this expression r is the instantaneous bubble radius, which is defined later.

When the bubbles are translating with respect to the surrounding liquid with speed, U , then $\ell = \ell_u$, and Moalem and Sideman¹² give the general expression

$$\ell_u = r \left(\frac{\pi}{Re_b Pr} \right)^{1/3}$$

where $Re_b = 2rU \rho_\ell^0 / \mu_\ell$ is the bubble Reynolds number, $Pr = C_\ell \mu_\ell / k_\ell$ is the liquid Prandtl number, and μ_ℓ is the liquid shear viscosity. As the relative speed U increases, the length ℓ_u rapidly decreases below the value of ℓ_c , which represents stripping away of the thermal boundary layer by relative flow. In an attempt to smoothly combine both these effects, we have defined ℓ as the reciprocal average of these limiting characteristic lengths,

$$\frac{1}{\ell} = \frac{1}{\ell_c} + \frac{1}{\ell_u} \quad (2.15)$$

Equation (2.14) with λ defined by the above equation is a vapor generation rate that includes both finite heat conduction and relative velocity effects. However, the model still requires the definition of r and U .

If we know the number of bubbles per unit volume, then we can calculate the average bubble radius by Eq. (2.13) and use $r=r_o$. Unfortunately, the number of bubbles generally does not remain constant in a dynamic flow environment because bubbles larger than a certain size will break up. The maximum stable bubble radius r_w can be estimated in terms of a critical Weber number W_c ,

$$r_w = \frac{\sigma W_c}{2\rho_o U^2} \quad , \quad (2.16)$$

where σ is the interfacial surface tension. The value of W_c is often taken as 4 for turbulent flow conditions.¹³ Thus, we define r as equal to the minimum of r_o and r_w and reserve N as an input parameter that defines the initial number of nucleating sites per unit volume (or more correctly, the minimum number of bubbles).

Finally, the relative speed U could simply be set equal to the magnitude of the average relative speed $|\underline{u}_T|$ between phases, but this would not account for local turbulent fluctuations that have been averaged out in the definition of \underline{u}_T . Fluctuations in \underline{u}_T can locally strip away the individual bubble thermal boundary layers and break up large bubbles. To account for such local effects we define

$$U = |\underline{u}_T| + \beta |\underline{u}| \quad , \quad (2.17)$$

where \underline{u} is the mass averaged mixture velocity and β is a parameter. The β term accounts for turbulent fluctuations. We might expect β to have a magnitude of 0.1 or less because large turbulent velocity fluctuations are often observed to have magnitudes as large as 10% of the mean velocities. In general, the best value of β must be determined by comparisons with experimental data.

532 217

Again, it should be stressed that the vapor generation rate described above is preliminary and needs to be critically tested against a wide variety of situations before it can be recommended for general use. Nevertheless, this model does embrace, as special cases, the models used by many other investigators and it has produced good results in several different applications.

G. Pipe Friction

In one-dimensional applications involving flow in pipes it is desirable to have a model for pipe wall friction. SOLA-DF contains a subroutine, PFRIC for this purpose. This subroutine is only called when the one-dimensional option (DIM = 1) is set in the input data list, and only when the pipe radius, RPIPE, is initialized to a nonzero value.

Flow losses arising from wall friction affect the momentum and energy of the flow through the terms f_{vis} and W_{vis} in Eqs. (2.3) and (2.4), respectively. The pipe friction model f_{vis} contained in PFRIC is based on the Armand two-phase flow friction multiplier and uses the Colebrook approximation for the single-phase friction factor

$$f_{vis} = - \frac{f}{R} \frac{\rho}{\rho_0} (1-\psi)^2 \phi_{TP} \rho_0^0 u^2 \quad . \quad (2.18)$$

Here the friction coefficient f depends on the relative roughness (k/R) and the Reynolds number $Re = 2uR/v_\lambda$,

$$f = a + b Re^{-c} \quad , \quad (2.19)$$

where

$$a = 0.026 (k/2R)^{0.225} + 0.133 (k/2R) \quad ,$$

$$b = 22.0 (k/2R)^{0.44} \quad ,$$

$$c = 1.62 (k/2R)^{0.134} ,$$

and R is the hydraulic radius. The quantity ϕ_{TP} is a two-phase friction multiplier

$$\phi_{TP}^2 = (1-\theta)^{-1.75} ,$$

and ψ accounts for the effects of relative velocity

$$\psi = \rho_v [1 + (\rho - \rho_v) u_r / \rho u]^2 / \rho .$$

The value of W_{vis} is determined from the rate of change of the fluid kinetic energy associated with the f_{vis} flow loss.

III. NUMERICAL SOLUTION METHOD

Numerous schemes can be devised to numerically solve the equations outlined in the previous section. Different schemes will have varying degrees of accuracy, numerical stability, programming simplicity, flexibility for change, and computational efficiency. Unfortunately, these desirable traits are often mutually exclusive. For example, the use of implicit difference equations to achieve unconditional numerical stability can also result in poor accuracy and generally requires more complex programming and more computer memory. Because different applications require different mixtures of the desirable features, the choice of an optimum solution algorithm can rarely be made. Thus, the choice of a numerical solution procedure generally requires a balance to be made primarily between programming simplicity and the flexibility for future evolution versus stability, accuracy, and computational speed. Inevitably, the choice rests on the particular experience and prejudices of the developer.

In the SOLA-DF code an attempt has been made to keep the programming simple and to use a limited implicitness. In all cases, point relaxation methods have been retained in place of direct solvers for coupled sets of equations.

Although point relaxation methods are generally recognized as simple, but inferior to direct methods for linear equation systems, this is not necessarily the case for nonlinear equations where iterative methods must be used anyway. The point relaxation method permits considerable latitude for adding new features, changing boundary conditions, varying time steps, and making other gross changes in the basic code to adapt it to new applications.

Additionally, the code has been written in a modular form consisting of numerous subroutines that isolate individual logical and physical processes. This structure makes the present code particularly easy to modify and extend for new applications.

A. Mesh Construction

The finite-difference mesh used for numerical solution of the above equations consists of rectangular cells of width δx and height δy . The part of the mesh that contains fluid is composed of IBAR cells in the x-direction, labeled with the index i , and JBAR cells in the y-direction, labeled with the index j . This region is surrounded by a single layer of fictitious cells so that the complete mesh is $IMAX = IBAR + 2$ by $JMAX = JBAR + 2$ cells (see Fig. 1). The dependent variables are located within a cell as shown in Fig. 2: x-directed velocities at the middle of the vertical sides, y-directed velocities at the middle of the horizontal sides, and all other variables at the cell center.

Finite-difference subscripting used in the computer code is based on the convention that (i,j) refers to the center of the cell labeled by (i,j) or to the right or top boundary of the cell in the case of velocities, which are located at those cell boundaries.

B. Solution Algorithm

A time cycle of calculation is broken down into four tasks. First, the momentum equations, Eq. (2.3), are advanced explicitly using the previous cycle values for evaluating all contributions. Next an iteration is undertaken to replace the pressure used in the first task with advanced time values. An iteration is needed because the advanced pressures depend on the velocities being calculated. This part of the cycle contains the main implicitness of the numerical scheme. The pressure iteration permits sound waves to propagate more than one mesh cell per cycle. In fact, this scheme is a variant of the ICE technique,¹⁴ which may be used for very low speed (incompressible) flows as well as for high-speed flows containing shock waves and rarefactions. The third

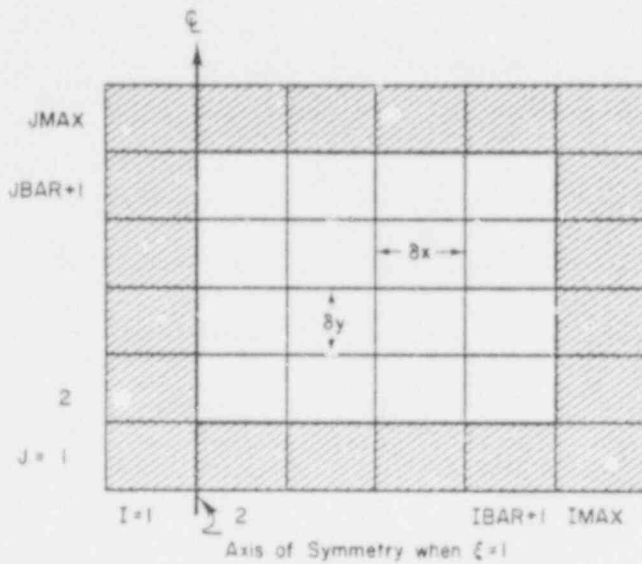


Fig. 1. General mesh arrangement. Fictitious boundary cells are shaded.

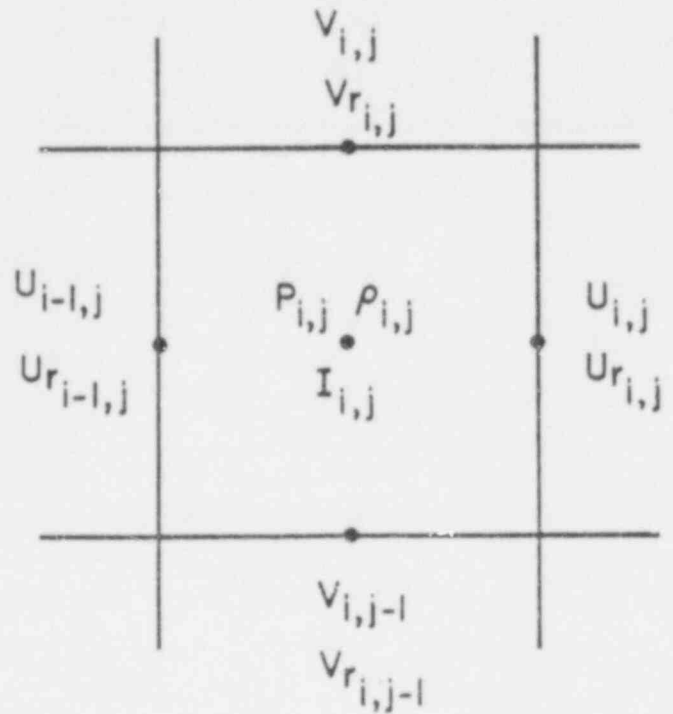


Fig. 2. Arrangement of finite difference variables in a typical mesh cell.

task in a cycle is to update all other dependent variables. Finally, the fourth task consists of data output, time step controls, and bookkeeping operations.

For a purely explicit calculation, the iteration making up the second task may be omitted by setting the input number IMP equal to zero.

1. Explicit Updating of Velocities. Before introducing finite difference approximations for the momentum equation, Eq. (2.3), it is first written in the equivalent differential form,

$$\begin{aligned} \frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + \frac{1}{\rho A} \frac{\partial}{\partial x} \left(\frac{\rho_0 v_0}{\rho} u_r^2 \right) + v \frac{\partial u}{\partial y} + \frac{1}{\rho A} \frac{\partial}{\partial y} \left(\frac{\rho_0 v_0}{\rho} u_r v_r \right) \\ = - \frac{1}{\rho} \frac{\partial p}{\partial x} + g_x + \frac{1}{\rho} f_{visx} \end{aligned}$$

$$\begin{aligned} \frac{\partial v}{\partial t} + u \frac{\partial v}{\partial x} + \frac{1}{\rho A} \frac{\partial}{\partial x} \left(\frac{\rho v \Delta x}{\rho} u_r v_r \right) + v \frac{\partial v}{\partial y} + \frac{1}{\rho A} \frac{\partial}{\partial y} \left(\frac{\rho v \Delta y}{\rho} v_r^2 \right) \\ = - \frac{1}{\rho} \frac{\partial p}{\partial y} + g_y + \frac{1}{\rho} f_{visy} \end{aligned} \quad (3.1)$$

This form is a carryover from previous codes in the SOLA series. Its advantage is that u^{n+1} and v^{n+1} are calculated directly rather than $(\rho u)^{n+1}$ and $(\rho v)^{n+1}$. The disadvantage of this equation is that it is not in conservation form so we do not get rigorous conservation of momentum in the difference approximation. When percentage changes in dependent variables from one cell to the next are not large this nonconservation form of the momentum equations should not cause any problems. In general, it would probably be a good idea to monitor the total momentum of the system in order to have a check on the accuracy of Eq. (3.1), but this has not been included in the present version of the code. The difference equations used to approximate Eq. (3.1) are

$$\begin{aligned} \tilde{u}_{i,j} = u_{i,j} + \delta t \left[\frac{2(p_{i,j} - p_{i+1,j})}{\delta x (\rho_{i,j} + \rho_{i+1,j})} + g_x \right. \\ \left. + f_{visx_{i,j}} - FUX - FUY - FDU \right] \\ \tilde{v}_{i,j} = v_{i,j} + \delta t \left[\frac{2(p_{i,j} - p_{i,j+1})}{\delta y (\rho_{i,j} + \rho_{i,j+1})} + g_y \right. \\ \left. + f_{visy_{i,j}} - FVX - FVY - FDV \right], \end{aligned} \quad (3.2)$$

where $\tilde{u}_{i,j}$ and $\tilde{v}_{i,j}$ are the explicit guesses for $u_{i,j}^{n+1}$ and $v_{i,j}^{n+1}$, respectively. In all cases, the boundary values of cell-centered quantities will be defined by linear interpolation, as for ρ used above, unless otherwise noted. The indexing in this equation looks uncentered but recall from Fig. 2 that $u_{i,j}$ and $v_{i,j}$ refer to the velocities at the boundary between cells i and $i+1$ and j and $j+1$, respectively. The convective fluxes are defined as

532 222

$$FUX = \frac{1}{2\delta x} [u_{i,j} (u_{i+1,j} - u_{i-1,j}) - \alpha |u_{i,j}| (u_{i+1,j} - 2u_{i,j} + u_{i-1,j})]$$

$$FUY = \frac{1}{8\delta y} [(v_{i,j} + v_{i+1,j} + v_{i,j-1} + v_{i+1,j-1})(u_{i,j+1} - u_{i,j-1}) - \alpha |v_{i,j} + v_{i+1,j} + v_{i,j-1} + v_{i+1,j-1}| (u_{i,j+1} - 2u_{i,j} + u_{i,j-1})]$$

The parameter α appearing in the convective fluxes is used to give a variable amount of upstream differencing. When α is zero the approximations reduce to the usual centered differenced form; however, this is known to result in an unstable algorithm.¹⁵ When α is unity the approximations are the so-called donor cell or fully upstream (or upwind) difference expressions, which are stable provided fluid does not convect through more than one mesh cell in one time step. In general, numerical stability is expected (see Ref. 15) when α is chosen such that

$$\alpha > \max \left[\frac{u\delta t}{\delta x}, \frac{v\delta t}{\delta y}, \frac{\rho_v \rho_u u_r \delta t}{\rho^2 \delta x}, \frac{\rho_v \rho_u v_r \delta t}{\rho^2 \delta x} \right]$$

The remaining flux terms are

$$\begin{aligned} FDU = \frac{1}{A_R} \left\{ \frac{1}{\delta x} \left[(RUR) (u_{r_{i,j}} + u_{r_{i+1,j}}) + \alpha |RUR| (u_{r_{i,j}} - u_{r_{i+1,j}}) \right] \right. \\ \left. - (RUL) (u_{r_{i-1,j}} + u_{r_{i,j}}) - \alpha |RUL| (u_{r_{i-1,j}} - u_{r_{i,j}}) \right] \\ + \frac{1}{\delta y} \left[(VDT) (RUC - RUT) + \alpha |VDT| (RUC - RUT) - (VDB) (RUB + RUC) \right. \\ \left. - \alpha |VDB| (RUB - RUC) \right] \left\{ / (\rho_{i,j} + \rho_{i+1,j}) \right. \end{aligned}$$

$$FVX = \frac{1}{2\delta x} [(u_{i-1,j+1} + u_{i,j+1} + u_{i-1,j} + u_{i,j})(v_{i+1,j} + v_{i-1,j}) - \alpha |u_{i-1,j+1} + u_{i,j+1} + u_{i-1,j} + u_{i,j}| (v_{i+1,j} - 2v_{i,j} + v_{i-1,j})]$$

$$FVY = \frac{1}{2\delta y} [v_{i,j}(v_{i,j+1} - v_{i,j-1}) - \alpha |v_{i,j}| (v_{i,j+1} - 2v_{i,j} + v_{i,j-1})]$$

$$FDV = \frac{1}{A_T} \left\{ \frac{1}{\delta x} [(UDR)(RVC + RVR) + \alpha |(UDR)| (RVC - RVR) - (UDL)(RVL + RVC) - \alpha |(UDL)| (RVL - RVC)] + \frac{1}{\delta y} \left[RVT(v_{r_{i,j}} + v_{r_{i,j+1}}) + \alpha |(RVT)| (v_{r_{i,j}} - v_{r_{i,j+1}}) - (RVB)(v_{r_{i,j-1}} + v_{r_{i,j}}) - \alpha |(RVB)| (v_{r_{i,j-1}} - v_{r_{i,j}}) \right] \right\} / (\rho_{i,j} + \rho_{i,j+1})$$

where

$$A_R = \frac{2 A_{i,i} A_{i+1,i}}{A_{i,j} + A_{i+1,j}}$$

$$RUR = \frac{\rho_{v_{i+1,j}} \rho_{l_{i+1,i}}}{\rho_{i+1,j}} \left(\frac{u_{r_{i,i}} + u_{r_{i+1,i}}}{2} \right) A_{i+1,j}$$

$$RUL = \frac{\rho_{v_{i,i}} \rho_{l_{i,j}}}{\rho_{i,j}} \left(\frac{u_{r_{i-1,i}} + u_{r_{i,j}}}{2} \right) A_{i,j}$$

$$VDT = \frac{(v_{r_{i,i}} + v_{r_{i+1,i}})}{2} \left(\frac{A_{i,i} A_{i,i+1}}{A_{i,j} + A_{i,j+1}} + \frac{A_{i+1,i} A_{i+1,i+1}}{A_{i+1,j} + A_{i+1,j+1}} \right)$$

$$RUC = \frac{u_{r_{i,i}}}{2} \left(\frac{\rho_{v_{i,i}} \rho_{l_{i,i}}}{\rho_{i,j}} + \frac{\rho_{v_{i+1,j}} \rho_{l_{i+1,j}}}{\rho_{i+1,j}} \right),$$

$$RUT = \frac{u_{r_{i,i+1}}}{2} \left(\frac{\rho_{v_{i,i+1}} \rho_{l_{i,i+1}}}{\rho_{i,j+1}} + \frac{\rho_{v_{i+1,i+1}} \rho_{l_{i+1,i+1}}}{\rho_{i+1,j+1}} \right),$$

$$VDB = \frac{(v_{r_{i,j-1}} + r_{i+1,j-1})}{2} \left(\frac{A_{i,j} A_{i,j-1}}{A_{i,j} + A_{i,j-1}} + \frac{A_{i+1,j} A_{i+1,j-1}}{A_{i+1,j} + A_{i+1,j-1}} \right),$$

$$RUB = \frac{u_{r_{i,i-1}}}{2} \left(\frac{\rho_{v_{i,i-1}} \rho_{l_{i,i-1}}}{\rho_{i,j-1}} + \frac{\rho_{v_{i+1,i-1}} \rho_{l_{i+1,i-1}}}{\rho_{i+1,j-1}} \right),$$

$$A_T = \frac{2 A_{i,i} A_{i,i+1}}{A_{i,j} + A_{i,j+1}},$$

$$UDR = \frac{(u_{r_{i,i}} + u_{r_{i,i+1}})}{2} \left(\frac{A_{i,j} A_{i+1,j}}{A_{i,j} + A_{i+1,j}} + \frac{A_{i,i+1} A_{i+1,i+1}}{A_{i,j+1} + A_{i+1,j+1}} \right),$$

$$RVC = \frac{v_{r_{i,i}}}{2} \left(\frac{\rho_{v_{i,i}} \rho_{l_{i,i}}}{\rho_{i,j}} + \frac{\rho_{v_{i,i+1}} \rho_{l_{i,i+1}}}{\rho_{i,j+1}} \right),$$

$$RVR = \frac{v_{r_{i+1,i}}}{2} \left(\frac{\rho_{v_{i+1,i}} \rho_{l_{i+1,i}}}{\rho_{i+1,j}} + \frac{\rho_{v_{i+1,i+1}} \rho_{l_{i+1,i+1}}}{\rho_{i+1,j+1}} \right),$$

$$UDL = \frac{(u_{r_{i-1,i}} + u_{r_{i-1,i+1}})}{2} \left(\frac{A_{i,i} A_{i-1,i}}{A_{i,j} + A_{i-1,j}} + \frac{A_{i,i+1} A_{i-1,i+1}}{A_{i,j+1} + A_{i-1,j+1}} \right),$$

$$RVL = \frac{v_{r_{i-1,i}}}{2} \left(\frac{\rho_{v_{i-1,i}} \rho_{l_{i-1,i}}}{\rho_{i-1,j}} + \frac{\rho_{v_{i-1,i+1}} \rho_{l_{i-1,i+1}}}{\rho_{i-1,j+1}} \right),$$

$$RVT = \frac{\rho_{v,i,j+1} \rho_{l,i,j+1}}{\rho_{i,j+1}} \left(\frac{v_{r,i,j} + v_{r,i,j+1}}{2} \right) A_{i,j+1} \quad , \text{ and}$$

$$RVB = \frac{\rho_{v,i,j} \rho_{l,i,j}}{\rho_{i,j}} \left(\frac{v_{r,i,j-1} + v_{r,i,j}}{2} \right) A_{i,j} \quad .$$

For the cell boundary areas, we do not use a linearly interpolated value, but instead, prefer a combined geometric and arithmetic average, e.g.,

$$A_{i,j+\frac{1}{2}} = \frac{2 A_{i,j} A_{i,j+1}}{(A_{i,j} + A_{i,j+1})} \quad .$$

This choice has the convenient feature that $A_{i,j+\frac{1}{2}}$ vanishes when either $A_{i,j}$ or $A_{i,j+1}$ is zero.

2. Implicit Pressure Calculation. In this part of the calculational cycle the n level pressures appearing in Eq. (3.2) are to be replaced by approximations for the $n+1$ level pressures. This is done by solving for the pressure in each cell that satisfies the implicit equation

$$F = p - f(\bar{\rho}, \bar{\rho}_v, \bar{I}) = 0 \quad , \tag{3.3}$$

where $f(\bar{\rho}, \bar{\rho}_v, \bar{I})$ is the equation of state evaluated using

$$\bar{\rho} = \rho^{11}/(1 + D) \quad ,$$

$$\bar{\rho}_v = \rho_v^n/(1 + D) \quad ,$$

$$\bar{I} = I^n - \frac{p^n}{\rho^n} D, \quad (3.4)$$

and D is an approximation to cell volume change per unit volume,

$$\begin{aligned} D &= \frac{\delta t}{A} \left[\frac{\partial}{\partial x} (Au) + \frac{\partial}{\partial y} (Av) \right] \\ &= \frac{\delta t}{A} \left[\frac{1}{\delta x} (A_{i+\frac{1}{2},j} u_{i,j} - A_{i-\frac{1}{2},j} u_{i-1,j}) \right. \\ &\quad \left. + \frac{1}{\delta y} (A_{i,j+\frac{1}{2}} v_{i,j} - A_{i,j-\frac{1}{2}} v_{i,j-1}) \right]. \end{aligned} \quad (3.5)$$

The n+1 level velocities must be used in evaluating D; that is,

$$u_{i,j}^{n+1} = \tilde{u}_{i,j} - \frac{2\delta t}{(\rho_{i+1,j} + \rho_{i,j})} (p_{i+1,j} - p_{i+1,j}^n - p_{i,j} + p_{i,j}^n), \quad (3.6)$$

and

$$v_{i,j}^{n+1} = v_{i,j} - \frac{2\delta t}{(\rho_{i,j+1} + \rho_{i,j})} (p_{i,j+1} - p_{i,j+1}^n - p_{i,j} + p_{i,j}^n). \quad (3.7)$$

Because the n+1 level velocities depend on p the implicit nature of Eq. (3.3) is obvious. The pressure that satisfies Eqs. (3.3)-(3.7) is not quite p^{n+1} , because convective fluxes are omitted from the estimates of the new densities $\bar{\rho}$, $\bar{\rho}_v$, and energy \bar{I} . It would be equal to p^{n+1} if the remainder of the equations were in Lagrangian form. The difference is not significant, however, because the iteration is always trying to drive p to its equation-of-state value every cycle. In this sense p is a stored variable and is not identically equal to the equation-of-state value unless the iterations are omitted and an explicit

calculation is used. It is important to note that densities and energies are not actually changed during the iteration, because Eq. (3.4) is only used to estimate the new values. To obtain a solution of Eqs. (3.3)-(3.7) a local Newton-Raphson procedure is followed. For this purpose an estimate is needed for $\partial F/\partial p$ in each cell. In SOLA-DF, first guesses for these values are computed by a numerical differentiation. This is done at the beginning of each cycle and the values stored. Once the iteration has started, new values are computed and stored after each iteration. In summary, the following steps are performed for a single cell (i,j):

- a. compute D according to Eq. (3.5) using the most updated values of u and v from Eqs. (3.6) and (3.7),
- b. compute $\bar{\rho}$, $\bar{\rho}_v$, and \bar{I} from Eq. (3.4),
- c. evaluate the equation-of-state function and calculate $\delta p = -F/\partial F/\partial p$,
- d. replace $p_{i,j}$ by $p_{i,j} + \delta p_{i,j}$, and $u_{i,j}$, $u_{i-1,j}$, $v_{i,j}$, and $v_{i,j-1}$ by

$$u_{i,j} = u_{i,j} + \frac{2 \delta t \delta p}{\delta x (\rho_{i,j} + \rho_{i+1,j})} ,$$

$$u_{i-1,j} = u_{i-1,j} - \frac{2 \delta t \delta p}{\delta x (\rho_{i-1,j} + \rho_{i,j})} ,$$

$$v_{i,j} = v_{i,j} + \frac{2 \delta t \delta p}{\delta y (\rho_{i,j} + \rho_{i,j+1})} ,$$

and

$$v_{i,j-1} = v_{i,j-1} - \frac{2 \delta t \delta p}{\delta y (\rho_{i,j-1} + \rho_{i,j})} .$$

This iteration process is continued until all cells satisfy the convergence test

$$\left| \frac{p - f(\bar{\rho}, \bar{\rho}_v, \bar{I})}{p + f(\bar{\rho}, \bar{\rho}_v, \bar{I})} \right| < \epsilon ,$$

532 228

where ϵ is typically equal to 0.001.

3. Updating of Remaining Variables. After the implicit portion of the cycle has been completed new time values for the remaining variables are readily computed. The mixture density changes only by convection,

$$\rho_{i,j}^{n+1} = \rho_{i,j} - \frac{\delta t}{A_{i,j}} \left\{ \frac{1}{\delta x} \left[A_{i+\frac{1}{2},j} (\rho u)_{i+\frac{1}{2},j} - A_{i-\frac{1}{2},j} (\rho u)_{i-\frac{1}{2},j} \right] + \frac{1}{\delta y} \left[A_{i,j+\frac{1}{2}} (\rho v)_{i,j+\frac{1}{2}} - A_{i,j-\frac{1}{2}} (\rho v)_{i,j-\frac{1}{2}} \right] \right\}, \quad (3.8)$$

where

$$(\rho u)_{i+\frac{1}{2},j} = \frac{1}{2} \left[u_{i,j} (\rho_{i,j} + \rho_{i+1,j}) + \alpha |u_{i,j}| (\rho_{i,j} - \rho_{i+1,j}) \right],$$

$$(\rho u)_{i-\frac{1}{2},j} = \frac{1}{2} \left[u_{i-1,j} (\rho_{i-1,j} + \rho_{i,j}) + \alpha |u_{i-1,j}| (\rho_{i-1,j} - \rho_{i,j}) \right],$$

$$(\rho v)_{i,j+\frac{1}{2}} = \frac{1}{2} \left[v_{i,j} (\rho_{i,j} + \rho_{i,j+1}) + \alpha |v_{i,j}| (\rho_{i,j} - \rho_{i,j+1}) \right],$$

and

$$(\rho v)_{i,j-\frac{1}{2}} = \frac{1}{2} \left[v_{i,j-1} (\rho_{i,j} + \rho_{i,j-1}) + \alpha |v_{i,j-1}| (\rho_{i,j} - \rho_{i,j-1}) \right].$$

Quantities on the right side of Eq. (3.8) are evaluated using n level values for ρ and the available $n+1$ level values of u .

The mixture energy equation is next approximated by

$$I_{i,j}^{n+1} = \frac{\rho_{i,j} I_{i,j}}{\rho_{i,j}^{n+1}} + \frac{\delta t}{\rho_{i,j}^{n+1}} \left\{ -FU - FV - FWK + \frac{1}{4} K_{i,j} \left[(u_{r_{i,j}} + u_{r_{i-1,j}})^2 + (v_{r_{i,j}} + v_{r_{i,j-1}})^2 \right] + (W_{vis_{i,j}}) \right\}, \quad (3.9)$$

where

$$FU = \frac{1}{A_{i,j} \delta x} \left\{ A_{i+\frac{1}{2},j} \left[(\rho I u)_{i+\frac{1}{2},j} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) u_r \right)_{i+\frac{1}{2},j} \right] \right. \\ \left. - A_{i-\frac{1}{2},j} \left[(\rho I u)_{i-\frac{1}{2},j} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) u_r \right)_{i-\frac{1}{2},j} \right] \right\} ,$$

$$FV = \frac{1}{A_{i,j} \delta y} \left\{ A_{i,j+\frac{1}{2}} \left[(\rho I v)_{i,j+\frac{1}{2}} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) v_r \right)_{i,j+\frac{1}{2}} \right] \right. \\ \left. - A_{i,j-\frac{1}{2}} \left[(\rho I v)_{i,j-\frac{1}{2}} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) v_r \right)_{i,j-\frac{1}{2}} \right] \right\} .$$

For this formulation the boundary convective fluxes are approximated by

$$\left[(\rho I u)_{i+\frac{1}{2},j} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) u_r \right)_{i+\frac{1}{2},j} \right] \\ = \frac{1}{2} \left\{ u_{i,j} \left[(\rho I)_{i,j} + (\rho I)_{i+1,j} \right] + \alpha |u_{i,j}| \left[(\rho I)_{i,j} \right. \right. \\ \left. \left. - (\rho I)_{i+1,j} \right] + u_{r,i,j} \left[\left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) \right)_{i,j} \right. \right. \\ \left. \left. + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) \right)_{i+1,j} \right] \right. \\ \left. + \alpha |u_{r,i,j}| \left[\left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) \right)_{i,j} - \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) \right)_{i+1,j} \right] \right\} ,$$

and similarly for $\left[(\rho I u)_{i-\frac{1}{2},j} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) u_r \right)_{i-\frac{1}{2},j} \right]$,

$$\left[(\rho I v)_{i,j+\frac{1}{2}} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) v_r \right)_{i,j+\frac{1}{2}} \right], \text{ and } \left[(\rho I v)_{i,j-\frac{1}{2}} + \left(\frac{\rho_v \rho_l}{\rho} (I_v - I_l) v_r \right)_{i,j-\frac{1}{2}} \right].$$

The pressure work term in Eq. (3.9) is approximated as

$$\begin{aligned} \text{FWK} = & \frac{p_{i,j}}{A_{i,j}} \left\{ \frac{1}{\delta x} \left[A_{i+\frac{1}{2},j} \left(u_{i,j} + \frac{\rho_{v,i+\frac{1}{2},j} \rho_{l,i+\frac{1}{2},j}}{\rho_{i+\frac{1}{2},j}} \left(\frac{1}{\rho_{v,i+\frac{1}{2},j}^o} \right. \right. \right. \right. \\ & \left. \left. \left. - \frac{1}{\rho_{l,i+\frac{1}{2},j}^o} \right) u_{r,i,j} \right) - A_{i-\frac{1}{2},j} \left(u_{i-1,j} \right. \right. \\ & \left. \left. + \frac{\rho_{v,i-\frac{1}{2},j} \rho_{l,i-\frac{1}{2},j}}{\rho_{i-\frac{1}{2},j}} \left(\frac{1}{\rho_{v,i-\frac{1}{2},j}^o} - \frac{1}{\rho_{l,i-\frac{1}{2},j}^o} \right) u_{r,i-1,j} \right) \right] \\ & + \frac{1}{\delta y} \left[A_{i,j+\frac{1}{2}} \left(v_{i,j} + \frac{\rho_{v,i,j+\frac{1}{2}} \rho_{l,i,j+\frac{1}{2}}}{\rho_{i,j+\frac{1}{2}}} \left(\frac{1}{\rho_{v,i,j+\frac{1}{2}}^o} \right. \right. \right. \\ & \left. \left. \left. - \frac{1}{\rho_{l,i,j+\frac{1}{2}}^o} \right) v_{r,i,j} \right) - A_{i,j-\frac{1}{2}} \left(v_{i,j-1} \right. \right. \\ & \left. \left. + \frac{\rho_{v,i,j-\frac{1}{2}} \rho_{l,i,j-\frac{1}{2}}}{\rho_{i,j-\frac{1}{2}}} \left(\frac{1}{\rho_{v,i,j-\frac{1}{2}}^o} - \frac{1}{\rho_{l,i,j-\frac{1}{2}}^o} \right) v_{r,i,j-1} \right) \right] \right\} \end{aligned}$$

Quantities on the right side of Eq. (3.9) are evaluated using n level values for ρ , ρ_v , and I while $n+1$ level values are used for $u_{i,j}$, $p_{i,j}$, and the overall divisor $\rho_{i,j}$. Finally, the vapor density is updated as

$$(\rho_v)_{i,j}^{n+1} = (\rho_v)_{i,j} + \delta t [-FRU + \Gamma_{i,j}] \quad , \quad (3.10)$$

where

$$FRU = \frac{1}{A_{i,j}} \left\{ \frac{1}{\delta x} \left[A_{i+\frac{1}{2},j} (\rho_v u_v)_{i+\frac{1}{2},j} - A_{i-\frac{1}{2},j} (\rho_v u_v)_{i-\frac{1}{2},j} \right] + \frac{1}{\delta y} \left[A_{i,j+\frac{1}{2}} (\rho_v v_v)_{i,j+\frac{1}{2}} - A_{i,j-\frac{1}{2}} (\rho_v v_v)_{i,j-\frac{1}{2}} \right] \right\}$$

and

$$(\rho_v u_v)_{i+\frac{1}{2},j} = \frac{1}{2} \left\{ (u_v)_{i,j} \left[(\rho_v)_{i,j} + (\rho_v)_{i+1,j} \right] + \alpha |u_v|_{i,j} \left[(\rho_v)_{i,j} - (\rho_v)_{i+1,j} \right] \right\} .$$

The $i-\frac{1}{2}$ boundary flux is obtained by replacing i with $i-1$ in the above expression. In a similar fashion,

$$(\rho_v v_v)_{i,j+\frac{1}{2}} = \frac{1}{2} \left\{ (v_v)_{i,j} \left[(\rho_v)_{i,j} + (\rho_v)_{i,j+1} \right] + \alpha |v_v|_{i,j} \left[(\rho_v)_{i,j} - (\rho_v)_{i,j+1} \right] \right\} .$$

where the $j-\frac{1}{2}$ boundary flux is obtained by replacing j with $j-1$ in the above equation. The vapor velocities used in these expressions are defined as

$$\left(u_v\right)_{i,j} = u_{i,j} + \left(\rho_l\right)_{i+\frac{1}{2},j} \left(u_r\right)_{i,j} / \rho_{i+\frac{1}{2},j} ,$$

with a corresponding expression for the $i-\frac{1}{2}$ boundary obtained by replacing i with $i-1$, and

$$\left(v_v\right)_{i,j} = v_{i,j} + \left(\rho_l\right)_{i,j+\frac{1}{2}} \left(v_r\right)_{i,j} / \rho_{i,j+\frac{1}{2}} ,$$

with a corresponding expression for the $j-\frac{1}{2}$ boundary obtained by replacing j with $j-1$.

Some care must be taken with the way the vapor source term Γ , is approximated. When the mixture is not at equilibrium and the relaxation rate is fast, Γ can be large. Under such circumstances Eq. (3.10) may be numerically unstable. To avoid this the densities in Γ should be evaluated at level $n+1$. For general formulations of Γ it is usually necessary to use an iterative technique to solve Eq. (3.10). Such an iteration is provided in subroutine PHCHR for the Γ given by Eq. (2.14). There is, however, another more serious problem that can arise when phase transitions are important. Because the effect of Γ is included at the end of a cycle of calculation, its influence on the pressure, and hence the dynamics, is not accounted for in the implicit pressure iteration. This means that some inaccuracies can be introduced in the propagation of compression and rarefaction waves when significant phase change occurs during a single time step. In addition, a large phase change may also drive the equation-of-state pressure far from the value arrived at in the pressure iteration; so that excessive iterations may be required to solve the implicit equation in the next time cycle. In extreme cases the iteration may not even converge. The above problem can be eliminated by using sufficiently small time increments, δt , but in some cases this may lead to long computing times. A better solution that has been utilized recently in the multidimensional code K-FIX (see Ref. 2) is to incorporate the Γ into the implicit portion of the cycle. Basically, the idea is to include Γ in

Eq. (3.4) for the estimated new time vapor density. Since this more complicated formulation is not in SOLA-DF, the user should check his results for time step dependence (accuracy) by performing a smaller time step calculation when necessary.

Thermodynamic equilibrium calculations can be achieved by using a large phase change rate or by replacing the vapor density equation with a calculation of the saturated vapor density and using an equilibrium equation of state. The latter procedure is often preferable because it effectively puts Γ into the pressure iteration.

C. Boundary Conditions

Various types of boundary conditions may be used at the ends and sides of the computational mesh. Prescribed velocities or prescribed pressures together with densities and temperatures may be used to represent inlet and exit conditions. For example, a guillotine break in a pipe of a reactor system can be represented by assigning the ambient pressure in the containment structure to the end of the mesh.

These boundary conditions are easily imposed by setting appropriate values of the dependent variables in the fictitious cells surrounding the mesh. Five kinds of boundary conditions have been specifically built into the code: (1) rigid free-slip, (2) rigid no-slip, (3) continuative outflow, (4) periodic, and (5) constant pressure. As an example of how to treat these boundary conditions, consider the left boundary.

1. Rigid Free-Slip. The normal velocity component must be zero and the tangential velocity component must have no normal gradient, i.e.,

$$\left. \begin{array}{l} u_{1,j} = 0 \\ v_{1,j} = v_{2,j} \end{array} \right\} \text{for all } j.$$

The variables ρ , p , and I are treated the same as v .

2. Rigid No-Slip. The normal velocity component must be zero and the tangential velocity component at the wall must also be zero, i.e.,

$$\left. \begin{array}{l} u_{1,j} = 0 \\ v_{1,j} = -v_{2,j} \end{array} \right\} \text{for all } j.$$

The variables ρ , p , and I are treated the same as for a free-slip boundary.

For both of the above rigid boundary conditions, the designated conditions are imposed after each pass through the mesh during the pressure iteration.

3. Continuative Outflow. Continuative or outflow boundaries always pose a problem for low-speed calculations, because whatever prescription is chosen it can potentially affect the entire flow field upstream. What is needed is a prescription that permits fluid to flow out of the mesh with a minimum of upstream influence. In this code we have used a continuative boundary condition that involves setting, for the left boundary, for example,

$$\left. \begin{array}{l} u_{1,j} = u_{2,j} \\ v_{1,j} = v_{2,j} \end{array} \right\} \text{for all } j.$$

These conditions, however, are only imposed after applying the complete momentum equations (3.2) and not after each pass through the mesh during the pressure iteration. During the iteration the normal boundary velocities can vary with the changes in pressure, as any interior velocity component. The treatment of ρ , p , and I is the same as (u,v) .

4. Periodic. For periodic boundary conditions in the x-direction, the left and right boundaries must be set to reflect the periodicity. This is easiest when the period length is chosen equal to $(IBAR-1)\delta x$. Then the boundary condition for the fictitious cells on the left are

$$\left. \begin{aligned} u_{1,j} &= u_{IBAR,j} \\ v_{1,j} &= v_{IBAR,j} \\ \rho_{1,j} &= \rho_{IBAR,j} \\ p_{1,j} &= p_{IBAR,j} \\ I_{1,j} &= I_{IBAR,j} \end{aligned} \right\} \text{ for all } j.$$

and on the right

$$\left. \begin{aligned} u_{IBAR+1,j} &= u_{2,j} \\ v_{IBAR+2,j} &= v_{3,j} \\ \rho_{IBAR+2,j} &= \rho_{3,j} \\ p_{IBAR+2,j} &= p_{3,j} \\ I_{IBAR+2,j} &= I_{3,j} \end{aligned} \right\} \text{ for all } j.$$

In this case these conditions are imposed after applying Eqs. (3.2) and after each pressure iteration.

5. Constant Pressure. When constant pressure is prescribed at a boundary, the fluid must stream freely into or out of the specified pressure region, i.e.,

$$\left. \begin{aligned} p_{1,j} &= p_{2,j} = p_{bc} \\ u_{1,j} &= u_{2,j} \\ v_{1,j} &= v_{2,j} \end{aligned} \right\} \text{ for all } j.$$

The variables ρ and I are treated the same as v .

Boundary conditions similar to those for the left wall are used at the right, top, and bottom boundaries of the mesh. Of course, the normal and tangential velocities at the top and bottom boundaries are v and u , respectively.

For convenience, the SOLA-DF code has been written so that any of the above boundary conditions can be automatically imposed by setting input numbers. The appropriate input number for the left wall is designated WL, where

$$WL = \left\{ \begin{array}{l} 1, \text{ rigid free-slip left wall} \\ 2, \text{ rigid no-slip left wall} \\ 3, \text{ continuative outflow left wall} \\ 4, \text{ periodic in } x \text{ (provided } WR = 4) \\ 5. \text{ constant pressure left wall.} \end{array} \right.$$

Similar input numbers are used for the right boundary (WR), top boundary (WT), and bottom boundary (WB). Clearly, when periodic conditions are desired in a given direction, both boundaries in that direction must be assigned wall numbers of 4.

D. Internal Obstacles

To increase the usefulness of the basic code, internal obstacles may be inserted within the fluid region. Internal obstacles with rigid boundary conditions can be taken into account by simply setting $A_{i,j} = 0.0$ for the desired obstacle cell. The code is equipped to handle these simple obstacles by means of the INPUT stream; however, if a more complex internal obstacle treatment is desired, the user must provide additional coding at the end of the boundary condition routine BC.

E. Variable Time Steps

SOLA-DF contains provisions that allow the use of different time steps of integration. The time steps are determined by numerical stability requirements and other user-specified conditions. For numerical stability the time step is limited by the flux criterion that $u\delta t/\delta x \leq 1/4$, $u_r\delta t/\delta x \leq 1/4$, $v\delta t/\delta y \leq 1/4$, and $v_r\delta t/\delta x \leq 1/4$. The minimum time step determined according to this criterion is then increased or decreased by 1%. The direction of this adjustment is deter-

mined by the relative ease of the previous time integration of the system. If fewer than five system iterations were required, the time step is increased, otherwise it is decreased. The time step determined by the above methods is never allowed to be greater than the user-specified maximum time step DELTMX.

IV. INPUT DATA, COMMON VARIABLES, AND SUBROUTINES AND GRAPHICS OUTPUT

The input data, COMMON variables, and subroutines and FORTRAN functions in SOLA-DF are listed and described in this section. While the input quantities are tabulated and defined separately, they also appear in the COMMON variable lists and are identified there simply as an input quantity. These descriptions of the input and COMMON variables are necessarily brief but hopefully will assist in relating the methodology, described in Sec. III, to its implementation in the code. The units the code was written for are g, cm, ms, K with pressure in bars.

A. Input Data

DEFAULT VALUE	FORTRAN SYMBOL	ALGEBRAIC SYMBOL	DEFINITION
1.0	ALPHA	α	Parameter that determines the amount of upstream differencing in the convective flux terms. Equal to one gives full donor cell differencing.
1.234×10^4	ASQ	a^2	Square of the speed of sound for the liquid phase.
10^4	BUBN	N	Representative bubble (or droplet) number density per cm^3 , used in phase change and interfacial friction model.
0.50	CDG	C_d	Drag coefficient used in the interfacial friction model.

44.34	CHL	C_λ	Coefficient of the linear term in the liquid internal energy function.
6.67	CHV	C_v	Similar to CHL but for the vapor energy function.
1.0	CYL	-	Define coordinate system; cylindrical (CYL = 1.0) and Cartesian (CYL = 0.0).
1.0×10^{-4}	DELT	δt	Starting time step for the calculation in ms.
1.0×10^3	DELTMX	δt_{\max}	Maximum time step in ms.
1.0	DELX	δx	Cell length in cm - radial length in cylindrical coordinates.
1.0	DELY	δy	Cell length in cm - axial length in cylindrical coordinates.
0.0	DFVEL	-	Program control parameter that determines whether the relative velocity is to be calculated (DFVEL = 1.) or set to zero (DFVEL = 0.)
2.0	DIM	-	Problem dimension: (DIM = 2.0) is a two-dimensional problem and (DIM = 1.0) is a one-dimensional problem.
4.174×10^3	ECL	E_λ	Constant in the liquid internal energy function.

2.506×10^4	ECV	E_v	Similar to ECL but for the vapor energy function.
1.6×10^{-6}	EDL	-	Ratio of the thermal conductivity to the specific heat for the liquid.
1.6×10^{-7}	EDV	-	Ratio of the thermal conductivity to the specific heat for the vapor.
1.76×10^4	ELHT	λ	Latent heat of vaporization.
0.001	EPSI	ϵ	Pressure iteration convergence test parameter.
1.0	ETEM	-	The liquid and vapor phases are maintained at equal temperatures if ETEM = 1.0 whereas if ETEM = 0.0 the vapor temperature is maintained equal to the saturation temperature at the local pressure.
0.07	GAML	$(\gamma-1)$	Parameter in the equation of state.
0.0	GX	g_x	Gravitational acceleration in the x- or r-direction.
0.0	GY	g_y	Gravitational acceleration in the y- or z-direction.
10.0	IBAR	-	Number of active computational cells in the x- or r-direction.

552 240

1.0	IMP	-	Program control parameter whose values determines whether an implicit (IMP = 1) or explicit (IMP = 0) solution method is utilized.
10.0	JBAR	-	Number of active computational cells in the y- or z-direction.
NO NAME	NAME	-	80-character problem name.
1.0	OMG	-	Relaxation parameter for the calculation of δp in the pressure iteration. A value of $OMG = 1.7$ often improves the rate of convergences for low Mach number flows.
0.0	PBC	-	Constant pressure boundary condition in bars.
1.0	PHCH	-	Parameter whose value determines whether phase change is computed (PHCH = 1) or omitted (PHCH = 0).
1.0	PIN	-	Initial pressure condition in bars.
0.1	PLIDT	-	Time intervals between plots in ms.
0.1	PRTDT	-	Time intervals between prints in ms.
0.0	RADIUS	-	Inner radius of an annulus in cm.
0.0	RG	k	Pipe wall roughness.

0.958	ROL	ρ_l^o	Microscopic density of the liquid in g/cm ³ .
0.0	RPIPE	-	Pipe radius in cm.
.0008	SGWN	-	Product of the liquid surface tension and the critical Weber number.
373.0	TC	T_o	Reference temperature for liquid and vapor internal energy functions in K.
0.001	THC	θ_c	Void fraction below which the fluid is treated as pure liquid.
0.0	THIN	-	Initial void fraction condition.
373.0	TIN	-	Initial temperature condition in K.
10^4	TWFIN	-	Time when the problem is complete in ms.
0.	UI	-	Initial u velocity in cm/ms.
2.0	VELMX	-	Normalizing velocity for velocity plots in cm/ms.
0.	VI	-	Initial v velocity in cm/ms.
3.0×10^{-6}	VISL	ν_l	Kinematic viscosity of the liquid.
2×10^{-4}	VISV	ν_v	Kinematic viscosity of the vapor.

532 242

- 1.0 WB - Parameter that specifies the boundary condition for the bottom boundary.
- 1.0 WL - Parameter that specifies the boundary condition for the left boundary.
- 1.0 WR - Parameter that specifies the boundary condition for the right boundary.
- 1.0 WT - Parameter that specifies the boundary condition for the top boundary.

Following the NAMELIST data INPUT, the user has the option of defining rigid interior obstacles. If no interior obstacles are going to be defined, one blank card must follow the NAMELIST data INPUT defined above.

First Card After NAMELIST INPUT: NØ (Format I5)

NØ = Number of interior obstacles. If NØ ≠ 0, NØ additional cards are read; i.e., there is one card defining each obstacle.

NO Cards Following the Above Card: IBØB, IEØB, JBØB, JEØB, (Format 4I5)

IBØB = total number of δx cells, including the fictitious boundary cells, to the left side of the obstacle.

IEØB = total number of δx cells, including the fictitious boundary cells, to the right side of the obstacle.

JBØB = total number of δy cells, including the fictitious boundary cells, to the bottom side of the obstacle.

JEØB = total number of δy cells, including the fictitious boundary cells, to the top side of the obstacle.

B. COMMON Variables

	FORTRAN	ALGEBRAIC	
	SYMBOL	SYMBOL	DEFINITION
ASQ		a^2	Input quantity
CDG		C_d	Input quantity

CHL	C_λ	Input quantity
CHV	C_V	Input quantity
CYL	-	Input quantity
DELT	δt	Input quantity
DELTMX	δt_{\max}	Input quantity
DELX	δx	Input quantity
DELY	δy	Input quantity
DFVEL	-	Input quantity
DIM	-	Input quantity
ECL	E_λ	Input quantity
ECV	E_V	Input quantity
EDL	-	Input quantity
EDV	-	Input quantity
EIL	-	Initial total energy of the liquid state
EIV	-	Initial total energy of the vapor state
EI2	-	Initial total energy of the two-phase mixture
ELHT	λ	Input quantity
EPSI	ϵ	Input quantity
ET	-	Total energy
ETEM	-	Input quantity
ETEM1	-	1.0 - ETEM
FLG	-	Iteration logic control flag
GAM1	$(\gamma-1)$	Input quantity
II	-	Indexing variable
IMAX	-	Total number of cells in the x-direction (including fictitious cells)
IM1	-	IMAX - 1
IM2	-	IMAX - 2
IPL	-	Index of the first cell in the x-direction whose centered quantities are computed
IPR	-	Index of the last cell in the x-direction whose centered quantities are computed
ITER	-	Counter for the number of iterations between junctions and components to achieve convergence during one system time step
JJ	-	Indexing variable

JMAX	-	Total number of cells in the y-direction (including fictitious cells)
JM1	-	JMAX - 1
JM2	-	JMAX - 2
JPB	-	Index of the first cell in the y-direction whose centered quantities are computed
JPT	-	Index of the last cell in the y-direction whose centered quantities are computed
ØMG	-	Input quantity
PBC	-	Input quantity
PIN	-	Input quantity
PMAX	-	Temporary pressure variable
PNV	-	$4/3 \pi N$
PT	-	Temporary pressure variable
RDX	$1/\delta x$	Reciprocal δx
RDY	$1/\delta y$	Reciprocal δy
RG	k	Input quantity
RØIL	-	Initial total density of the liquid state
RØIV	-	Initial total density of the vapor state
RØI2	-	Initial total density of the two-phase mixture
RØL	ρ_l^0	Input quantity
RØT	-	Temporary total density variable
RPIPE	-	Pipe radius in cm
RVIL	-	Initial vapor density in the liquid state
RVIV	-	Initial vapor density in the vapor state
RVI2	-	Initial vapor density in the two-phase mixture
RVT	-	Temporary total vapor density variable
SGWN	-	Input quantity
TC	T_o	Input quantity
THC	θ_c	Input quantity
THC1	-	$1.0 - \theta_c$
THIN	-	Input quantity
THIM	-	Temporary void fraction variable
TH1	-	Temporary void fraction variable

VISL	v_l	Input quantity
VISV	v_v	Input quantity
WB	-	Input quantity
WL	-	Input quantity
WR	-	Input quantity
WT	-	Input quantity
A(I,J)	-	Thickness of a mesh cell
BETA(I,J)	$(\partial F / \partial p)_{i,j}^{-1}$	Reciprocal derivative of the pressure function
E(I,J)	$I_{i,j}^{n+1}$	Time n+1 specific internal energy
EN(I,J)	$I_{i,j}^n$	Time n specific internal energy
ITITLE(K)	-	Two-word array used by LASL plotting package
NAME(K)	-	Input quantity
P(I,J)	$p_{i,j}$	Pressure
Q(I,J)	-	Two-dimensional array used by LASL plotting package
QL(K)	-	One-dimensional used to set up plotting
RØ(I,J)	$\rho_{i,j}^{n+1}$	Time n+1 mixture densities
RØN(I,J)	$\rho_{i,j}^n$	Time n mixture densities
RV(I,J)	$(\rho_v)_{i,j}^{n+1}$	Time n+1 macroscopic vapor density
RVN(I,J)	$(\rho_v)_{i,j}^n$	Time n macroscopic vapor density
U(I,J)	$u_{i,j}^{n+1}$	Time n+1 center-of-mass velocity in the x-direction
UD(I,J)	$(u_r)_{i,j}^{n+1}$	Time n+1 relative or drift velocity in the x-direction
UN(I,J)	$u_{i,j}^n$	Time n center-of-mass velocity in the x-direction
V(I,J)	$u_{i,j}^{n+1}$	Time n+1 center-of-mass velocity in the y-direction
VD(I,J)	$(u_r)_{i,j}^{n+1}$	Time n+1 relative or drift velocity in the y-direction
VN(I,J)	$u_{i,j}^n$	Time n center-of-mass velocity in the y-direction

XC(K) - One-dimensional array used by LASL plotting package
 YC(K) - One-dimensional array used by LASL plotting package

C. Subroutines and Graphics Output

BC Implements specified boundary conditions.
 DRIFT Calculates the relative velocity between phases.
 EØS Calculates the equation of state.
 PFRIC Calculates the effects of pipe friction.
 PHCHR Calculates the phase change rate
 PITER Determines the n+1 pressure and velocities by an iterative procedure.
 TSTEP Calculates the variable time step and the iteration parameter BETA(I,J).

Installations without graphics capabilities should delete lines SOLADF.613 thru SOLADF.698. to eliminate film writing and plotting commands. Installations with graphics should have routines equivalent to those listed below. A brief description of their function is included.

In addition the FORTRAN WRITE(N,XX) has special meaning under LASL operating systems. Its use results in printed data being sent automatically to the system graphics file.

ROUTINE	COMMENTS
ADV	Advance film
CONTRJB	Produce contour plots
CONVRT	Convert problem coordinates to plotting coordinates
DRV	Draw a vector
FRAME	Draw a frame
LINCNT	Position film line counter
SPLOT	Standard plotting routine

V. EXAMPLE PROBLEM

To verify the proper implementation of the SOLA-DF code on a users computing system, the following example problem is included. A schematic of the problem geometry is shown in Fig. 3. A two-phase equilibrium mixture of steam and water (void fraction = 0.329, temperature = 557.1 K, and pressure = 68.0

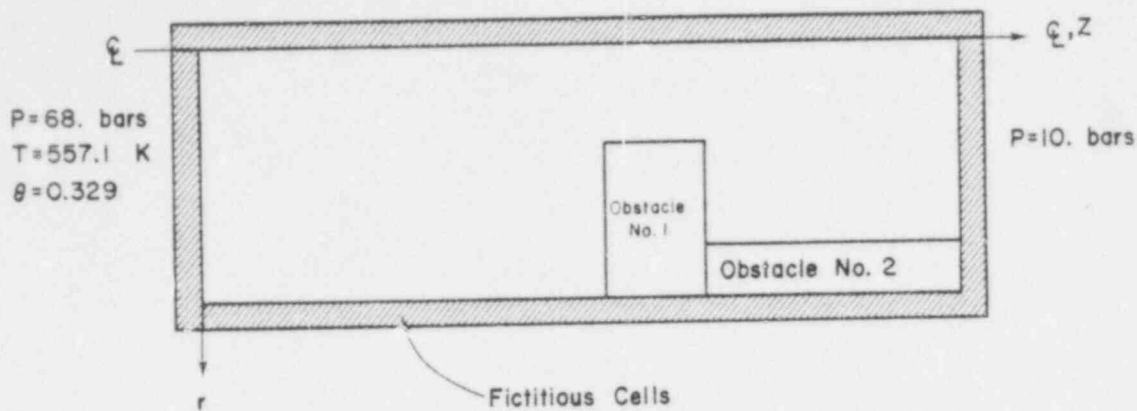


Fig. 3. Schematic of the computing mesh for the example problem.

bars) flows through a nozzle before exiting into a region of constant pressure = 10.0 bars. The flow, which begins from rest, is calculated until a steady state is achieved. The input data that specifies the problem is presented in Table I. The second part of this table shows a listing of the $A(I,J)$ array, which in this case (cylindrical coordinates) merely represents the radial distance from the center line to the center of the mesh cell. Note that obstacle cells set $A(I,J) = 0$. The data that specifies the initial states in the computational mesh is printed in Table II as the $CYCLE = 0$, $TIME = 0$ solution. The solution after 1000 time steps or 1s is given in Table III to provide the user with the transient solution check. The steady state solution is 4000 time steps or 4s and is given in Table IV. Velocity vector plots are presented at 1s and 4s in Figs. 4 and 5, respectively.

VI. SUMMARY

A description has been presented of a new computer program, SOLA-DF, for the solution of transient, one- and two-dimensional, two-phase flows. The one-dimensional formulation includes a variable area treatment. The fluid dynamics is described by a nonequilibrium, drift-flux formulation of the fluid conservation laws. An effort has been made to use relatively simple numerical solution procedures and modular programming in order to provide a framework that can be easily modified and adapted to different kinds of flow problems. In addition, a limited amount of implicitness is used to relax excessively restrictive time step limitations encountered in purely explicit integration methods. Even though the SOLA-DF code has a simple structure its flexibility offers capabilities for treating a wide range of two-phase flow problems.

TABLE I
EXAMPLE PROBLEM INPUT DATA

SOLA-OF EXAMPLE PROBLEM 01/23/79

```

ALPHA= 1.00000E+00
ASQ= 1.12470E+04
BURN= 1.00000E+02
CDG= 5.00000E-01
CHL= 4.43400E+01
CHV= 6.67000E+00
CYL= 1.00000E+00
DELT= 4.00000E-03
DELTMX= 1.00000E-03
DELX= 2.20027E-01
DELY= 4.81753E-01
DFVEL= 0.
DIM= 2.00000E+00
ECL= 4.17400E+03
ECV= 2.50000E+04
EDL= 1.46600E-06
EDV= 6.00000E-07
ELHT= 1.76000E+04
EPSI= 1.00000E-04
ETEM= 1.00000E+00
GAMI= 7.00000E-02
GX= 0.
GY= 0.
IBAR= 10
IMP= 1.00000E+00
JBAR= 30
OMG= 1.00000E+00
PBC= 1.00000E+01
PHCH= 1.00000E+00
PIN= 6.80000E+01
PLTDT= 1.00000E+00
PRTDT= 1.00000E+00
RADIUS= 0.
RO= 3.66000E-03
ROL= 7.41900E-01
RPIPE= 0.
SOHN= 8.00000E-04
TC= 3.73000E+02
THC= 5.00000E-03
THIN= 3.29000E-01
TIN= 5.57100E+02
TWFIN= 1.00000E+01
UI= 0.
VELMX= 2.00000E+00
VI= 0.
VISL= 2.50000E-06
VISV= 1.23000E-04
WB= 5
WL= 1
WR= 1
WT= 5

```


TABLE III

EXAMPLE PROBLEM SOLUTION AT CYCLE 1000

ITER#	2	TIME=	1.00000E+00	CYCLE=	1000	DELT=	1.00000E-03	F=	1.91639E+00	F1=	6.86668E+01
	J	U	V	P	RO	TH	TEM				
1	2	0.	4.93766E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
2	2	0.	4.92385E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
3	2	0.	4.90343E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
4	2	0.	4.87702E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
5	2	0.	4.84719E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
6	2	0.	4.81695E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
7	2	0.	4.78924E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
8	2	0.	4.76658E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
9	2	0.	4.75079E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
10	2	0.	4.74284E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02				
11	2	0.	4.86619E-01	6.77802E+01	5.09430E-01	3.29714E-01	5.57049E+02				
2	3	-3.06617E-03	4.85957E-01	6.77904E+01	5.09455E-01	3.29681E-01	5.57049E+02				
3	3	-4.53113E-03	4.84971E-01	6.78058E+01	5.09493E-01	3.29631E-01	5.57050E+02				
4	3	-5.86615E-03	4.83680E-01	6.78260E+01	5.09543E-01	3.29565E-01	5.57050E+02				
5	3	-6.62983E-03	4.82199E-01	6.78494E+01	5.09601E-01	3.29489E-01	5.57050E+02				
6	3	-6.72538E-03	4.80673E-01	6.78737E+01	5.09661E-01	3.29410E-01	5.57051E+02				
7	3	-6.16631E-03	4.79252E-01	6.78964E+01	5.09717E-01	3.29336E-01	5.57051E+02				
8	3	-5.04665E-03	4.78072E-01	6.79154E+01	5.09764E-01	3.29275E-01	5.57051E+02				
9	3	-3.51869E-03	4.77240E-01	6.79288E+01	5.09797E-01	3.29231E-01	5.57051E+02				
10	3	-1.76983E-03	4.76819E-01	6.79356E+01	5.09814E-01	3.29209E-01	5.57052E+02				
11	3	0.	4.80544E-01	6.78420E+01	5.09087E-01	3.30166E-01	5.57047E+02				
2	4	-4.51694E-03	4.80647E-01	6.78565E+01	5.09123E-01	3.30118E-01	5.57047E+02				
3	4	-6.69533E-03	4.80775E-01	6.78783E+01	5.09177E-01	3.30047E-01	5.57048E+02				
4	4	-8.70128E-03	4.80902E-01	6.77074E+01	5.09249E-01	3.29952E-01	5.57049E+02				
5	4	-9.87953E-03	4.80991E-01	6.77412E+01	5.09333E-01	3.29842E-01	5.57049E+02				
6	4	-1.00729E-02	4.81023E-01	6.7766E+01	5.09421E-01	3.29726E-01	5.57050E+02				
7	4	-9.28277E-03	4.80999E-01	6.78101E+01	5.09504E-01	3.29617E-01	5.57050E+02				
8	4	-7.63261E-03	4.80939E-01	6.78323E+01	5.09573E-01	3.29525E-01	5.57050E+02				
9	4	-5.34156E-03	4.80876E-01	6.78544E+01	5.09623E-01	3.29460E-01	5.57050E+02				
10	4	-2.69320E-03	4.80837E-01	6.78686E+01	5.09648E-01	3.29427E-01	5.57051E+02				
11	4	0.	4.79990E-01	6.78052E+01	5.08995E-01	3.30266E-01	5.57047E+02				
2	5	-4.29691E-03	4.80399E-01	6.78172E+01	5.09025E-01	3.30247E-01	5.57047E+02				
3	5	-6.42264E-03	4.80978E-01	6.78355E+01	5.09070E-01	3.30187E-01	5.57047E+02				
4	5	-8.43373E-03	4.81690E-01	6.78602E+01	5.09132E-01	3.30107E-01	5.57047E+02				
5	5	-9.69201E-03	4.82444E-01	6.78892E+01	5.09204E-01	3.30012E-01	5.57048E+02				
6	5	-1.00096E-02	4.83153E-01	6.77201E+01	5.09270E-01	3.29911E-01	5.57048E+02				
7	5	-9.34046E-03	4.83753E-01	6.77496E+01	5.09354E-01	3.29814E-01	5.57049E+02				
8	5	-7.76530E-03	4.84208E-01	6.77747E+01	5.09416E-01	3.29733E-01	5.57049E+02				
9	5	-5.48145E-03	4.84505E-01	6.77926E+01	5.09460E-01	3.29674E-01	5.57049E+02				
10	5	-2.77887E-03	4.84649E-01	6.78018E+01	5.09483E-01	3.29644E-01	5.57050E+02				
11	5	0.	4.81527E-01	6.78329E+01	5.09064E-01	3.30196E-01	5.57047E+02				
2	6	-3.40798E-03	4.81944E-01	6.78381E+01	5.09077E-01	3.30179E-01	5.57047E+02				
3	6	-5.16127E-03	4.82562E-01	6.78461E+01	5.09097E-01	3.30153E-01	5.57047E+02				
4	6	-6.88357E-03	4.83363E-01	6.78567E+01	5.09123E-01	3.30118E-01	5.57047E+02				
5	6	-8.05020E-03	4.84271E-01	6.78691E+01	5.09174E-01	3.30077E-01	5.57048E+02				
6	6	-8.46348E-03	4.85196E-01	6.78822E+01	5.09186E-01	3.30035E-01	5.57048E+02				
7	6	-8.02967E-03	4.86047E-01	6.78945E+01	5.09217E-01	3.29994E-01	5.57048E+02				
8	6	-6.76078E-03	4.86747E-01	6.77049E+01	5.09243E-01	3.29960E-01	5.57048E+02				
9	6	-4.82939E-03	4.87236E-01	6.77123E+01	5.09261E-01	3.29936E-01	5.57048E+02				
10	6	-2.46433E-03	4.87482E-01	6.77161E+01	5.09271E-01	3.29924E-01	5.57048E+02				
11	6	0.	4.82576E-01	6.78469E+01	5.09099E-01	3.30150E-01	5.57047E+02				
2	7	-2.49839E-03	4.82905E-01	6.78444E+01	5.09092E-01	3.30156E-01	5.57047E+02				
3	7	-3.81468E-03	4.83422E-01	6.78401E+01	5.09082E-01	3.30172E-01	5.57047E+02				
4	7	-5.13544E-03	4.84140E-01	6.78337E+01	5.09066E-01	3.30193E-01	5.57047E+02				
5	7	-6.06674E-03	4.85015E-01	6.78252E+01	5.09045E-01	3.30221E-01	5.57047E+02				
6	7	-6.44157E-03	4.85970E-01	6.78154E+01	5.09021E-01	3.30253E-01	5.57047E+02				
7	7	-6.18589E-03	4.86903E-01	6.78053E+01	5.08996E-01	3.30286E-01	5.57047E+02				
8	7	-5.23662E-03	4.87707E-01	6.78963E+01	5.08973E-01	3.30315E-01	5.57046E+02				
9	7	-3.75594E-03									

532 256
POOR ORIGINAL

TABLE III (con't)

10	7	-1.92288E-03	4.86299E-01	6.75895E+01	5.08956E-01	3.30337E-01	5.57046E+02
11	7	0.	4.88587E-01	6.75660E+01	5.08948E-01	3.30349E-01	5.57046E+02
2	8	-1.78343E-03	4.83188E-01	6.75756E+01	5.08922E-01	3.30383E-01	5.57046E+02
3	8	-2.68944E-03	4.83291E-01	6.75686E+01	5.08904E-01	3.30406E-01	5.57046E+02
4	8	-3.57002E-03	4.83486E-01	6.75571E+01	5.08876E-01	3.30444E-01	5.57046E+02
5	8	+1.5566E+02	4.83804E-01	6.75404E+01	5.08834E-01	3.30498E-01	5.57046E+02
6	8	-4.35293E-03	4.84248E-01	6.75191E+01	5.08781E-01	3.30568E-01	5.57046E+02
7	8	-4.12117E-03	4.84790E-01	6.74950E+01	5.08721E-01	3.30647E-01	5.57046E+02
8	8	-3.47342E-03	4.85364E-01	6.74706E+01	5.08660E-01	3.30727E-01	5.57046E+02
9	8	-2.48001E-03	4.85890E-01	6.74491E+01	5.08607E-01	3.30797E-01	5.57046E+02
10	8	-1.26688E-03	4.86295E-01	6.74333E+01	5.08567E-01	3.30849E-01	5.57046E+02
11	8	0.	4.86492E-01	6.74251E+01	5.08547E-01	3.30878E-01	5.57046E+02
2	9	-1.56255E-03	4.82421E-01	6.74138E+01	5.08519E-01	3.30913E-01	5.57046E+02
3	9	-2.27048E-03	4.82228E-01	6.74065E+01	5.08501E-01	3.30937E-01	5.57046E+02
4	9	-2.88179E-03	4.81969E-01	6.73946E+01	5.08471E-01	3.30976E-01	5.57046E+02
5	9	-3.18769E-03	4.81680E-01	6.73774E+01	5.08426E-01	3.31033E-01	5.57046E+02
6	9	-3.16943E-03	4.81416E-01	6.73553E+01	5.08373E-01	3.31105E-01	5.57046E+02
7	9	-2.86107E-03	4.81224E-01	6.73302E+01	5.08310E-01	3.31188E-01	5.57046E+02
8	9	-2.31959E-03	4.81120E-01	6.73045E+01	5.08246E-01	3.31272E-01	5.57046E+02
9	9	-1.61109E-03	4.81091E-01	6.72817E+01	5.08189E-01	3.31348E-01	5.57046E+02
10	9	-8.09873E-04	4.81103E-01	6.72646E+01	5.08146E-01	3.31404E-01	5.57046E+02
11	9	0.	4.81120E-01	6.72557E+01	5.08124E-01	3.31433E-01	5.57046E+02
2	10	-1.98936E-03	4.79032E-01	6.71927E+01	5.07966E-01	3.31840E-01	5.57046E+02
3	10	-2.84288E-03	4.78433E-01	6.71866E+01	5.07951E-01	3.31661E-01	5.57046E+02
4	10	-3.52214E-03	4.77567E-01	6.71767E+01	5.07925E-01	3.31693E-01	5.57046E+02
5	10	-3.76727E-03	4.76476E-01	6.71626E+01	5.07890E-01	3.31740E-01	5.57046E+02
6	10	-3.58909E-03	4.75291E-01	6.71447E+01	5.07845E-01	3.31799E-01	5.57046E+02
7	10	-3.08415E-03	4.74146E-01	6.71243E+01	5.07794E-01	3.31866E-01	5.57039E+02
8	10	-2.37720E-03	4.73151E-01	6.71033E+01	5.07742E-01	3.31936E-01	5.57039E+02
9	10	-1.57933E-03	4.72375E-01	6.70844E+01	5.07694E-01	3.31998E-01	5.57039E+02
10	10	-7.69902E-04	4.71894E-01	6.70702E+01	5.07658E-01	3.32045E-01	5.57039E+02
11	10	0.	4.71597E-01	6.70627E+01	5.07639E-01	3.32070E-01	5.57038E+02
2	11	-3.30235E-03	4.74266E-01	6.69131E+01	5.07263E-01	3.32565E-01	5.57036E+02
3	11	-4.74546E-03	4.72631E-01	6.69094E+01	5.07254E-01	3.32577E-01	5.57036E+02
4	11	-5.91393E-03	4.70311E-01	6.69028E+01	5.07237E-01	3.32599E-01	5.57036E+02
5	11	-6.36074E-03	4.67432E-01	6.68930E+01	5.07213E-01	3.32632E-01	5.57036E+02
6	11	-6.08935E-03	4.64313E-01	6.68801E+01	5.07180E-01	3.32674E-01	5.57036E+02
7	11	-5.25506E-03	4.61267E-01	6.68653E+01	5.07143E-01	3.32724E-01	5.57036E+02
8	11	-4.06661E-03	4.58563E-01	6.68501E+01	5.07104E-01	3.32774E-01	5.57036E+02
9	11	-2.71233E-03	4.56409E-01	6.68365E+01	5.07070E-01	3.32819E-01	5.57035E+02
10	11	-1.32947E-03	4.54939E-01	6.68262E+01	5.07044E-01	3.32854E-01	5.57035E+02
11	11	0.	4.54207E-01	6.68208E+01	5.07030E-01	3.32872E-01	5.57035E+02
2	12	-6.87591E-03	4.74470E-01	6.65517E+01	5.06349E-01	3.33767E-01	5.57031E+02
3	12	-9.82204E-03	4.70441E-01	6.65526E+01	5.06352E-01	3.33765E-01	5.57031E+02
4	12	-1.22123E-02	4.64742E-01	6.65520E+01	5.06350E-01	3.33767E-01	5.57031E+02
5	12	-1.31813E-02	4.57719E-01	6.65489E+01	5.06342E-01	3.33777E-01	5.57031E+02
6	12	-1.27450E-02	4.50199E-01	6.65434E+01	5.06328E-01	3.33796E-01	5.57031E+02
7	12	-1.11624E-02	4.42984E-01	6.65361E+01	5.06309E-01	3.33820E-01	5.57031E+02
8	12	-8.76820E-03	4.36753E-01	6.65278E+01	5.06289E-01	3.33847E-01	5.57030E+02
9	12	-5.92035E-03	4.31991E-01	6.65194E+01	5.06267E-01	3.33876E-01	5.57030E+02
10	12	-2.92152E-03	4.28902E-01	6.65119E+01	5.06248E-01	3.33901E-01	5.57030E+02
11	12	0.	4.27430E-01	6.65076E+01	5.06237E-01	3.33915E-01	5.57030E+02
2	13	-1.56377E-02	4.97533E-01	6.61149E+01	5.05236E-01	3.35233E-01	5.57024E+02
3	13	-2.22604E-02	4.86278E-01	6.61175E+01	5.05242E-01	3.35224E-01	5.57024E+02
4	13	-2.75395E-02	4.74765E-01	6.61220E+01	5.05254E-01	3.35209E-01	5.57024E+02
5	13	-2.96050E-02	4.57850E-01	6.61274E+01	5.05268E-01	3.35191E-01	5.57024E+02
6	13	-2.85057E-02	4.39951E-01	6.61319E+01	5.05279E-01	3.35176E-01	5.57024E+02
7	13	-2.47773E-02	4.23494E-01	6.61338E+01	5.05284E-01	3.35169E-01	5.57024E+02
8	13	-1.91725E-02	4.09991E-01	6.61315E+01	5.05278E-01	3.35177E-01	5.57024E+02
9	13	-1.26644E-02	4.00165E-01	6.61253E+01	5.05262E-01	3.35198E-01	5.57024E+02
10	13	-6.13007E-03	3.94048E-01	6.61172E+01	5.05241E-01	3.35225E-01	5.57024E+02
11	13	0.	3.91232E-01	6.61114E+01	5.05227E-01	3.35245E-01	5.57024E+02

TABLE III (con't)

2	14	-3.55428E-02	5.86690E-01	6.56253E+01	5.03976E-01	3.36890E-01	5.57017E+02
3	14	-5.15844E-02	5.65247E-01	6.56222E+01	5.03968E-01	3.36910E-01	5.57017E+02
4	14	-6.42868E-02	5.33224E-01	6.56273E+01	5.03981E-01	3.36894E-01	5.57017E+02
5	14	-6.895708E-02	4.91757E-01	6.56449E+01	5.04026E-01	3.36824E-01	5.57017E+02
6	14	-6.44257E-02	4.47870E-01	6.56680E+01	5.04086E-01	3.36746E-01	5.57017E+02
7	14	-5.42459E-02	4.09690E-01	6.56861E+01	5.04133E-01	3.36684E-01	5.57018E+02
8	14	-4.08429E-02	3.79934E-01	6.56945E+01	5.04154E-01	3.36656E-01	5.57018E+02
9	14	-2.60222E-02	3.58875E-01	6.56969E+01	5.04161E-01	3.36647E-01	5.57018E+02
10	14	-1.22584E-02	3.45902E-01	6.56964E+01	5.04159E-01	3.36649E-01	5.57018E+02
11	14	0.	3.39971E-01	6.56943E+01	5.04154E-01	3.36657E-01	5.57018E+02
2	15	-8.04607E-02	8.31414E-01	6.50894E+01	5.02582E-01	3.38724E-01	5.57008E+02
3	15	-1.20059E-01	7.82558E-01	6.50949E+01	5.02597E-01	3.38705E-01	5.57008E+02
4	15	-1.53270E-01	7.06972E-01	6.50919E+01	5.02589E-01	3.38715E-01	5.57008E+02
5	15	-1.63358E-01	6.01351E-01	6.51118E+01	5.02641E-01	3.38647E-01	5.57009E+02
6	15	-1.47525E-01	4.89506E-01	6.51508E+01	5.02743E-01	3.38513E-01	5.57009E+02
7	15	-1.19231E-01	4.00707E-01	6.51984E+01	5.02867E-01	3.38350E-01	5.57010E+02
8	15	-8.66769E-02	3.40556E-01	6.52454E+01	5.02989E-01	3.38189E-01	5.57011E+02
9	15	-5.43474E-02	3.00008E-01	6.52927E+01	5.03112E-01	3.38027E-01	5.57011E+02
10	15	-2.51312E-02	2.75526E-01	6.53339E+01	5.03219E-01	3.37886E-01	5.57012E+02
11	15	0.	2.64383E-01	6.53559E+01	5.03276E-01	3.37811E-01	5.57012E+02
2	16	-1.77715E-01	1.40477E+00	6.44483E+01	5.00896E-01	3.40942E-01	5.56998E+02
3	16	-2.75205E-01	1.33491E+00	6.44966E+01	5.01024E-01	3.40774E-01	5.56999E+02
4	16	-3.71320E-01	1.18822E+00	6.45337E+01	5.01122E-01	3.40645E-01	5.57000E+02
5	16	-4.06605E-01	9.06923E-01	6.46006E+01	5.01298E-01	3.40413E-01	5.57001E+02
6	16	-3.33136E-01	4.97246E-01	6.46718E+01	5.01486E-01	3.40167E-01	5.57002E+02
7	16	-2.51395E-01	3.36586E-01	6.47470E+01	5.01684E-01	3.39906E-01	5.57003E+02
8	16	-1.75620E-01	2.48905E-01	6.48309E+01	5.01904E-01	3.39616E-01	5.57004E+02
9	16	-1.07817E-01	1.95724E-01	6.49297E+01	5.02163E-01	3.39275E-01	5.57006E+02
10	16	-4.92099E-02	1.66866E-01	6.50361E+01	5.02442E-01	3.38909E-01	5.57008E+02
11	16	0.	1.53717E-01	6.51070E+01	5.02627E-01	3.38665E-01	5.57009E+02
2	17	-2.98669E-01	2.90869E+00	6.33738E+01	4.58711E-01	4.00352E-01	5.54689E+02
3	17	-5.23241E-01	2.96732E+00	6.33641E+01	4.57054E-01	4.02692E-01	5.54585E+02
4	17	-8.41856E-01	2.99763E+00	6.34369E+01	4.58450E-01	4.00740E-01	5.54661E+02
5	17	-1.14810E+00	2.64362E+00	6.38362E+01	4.74694E-01	3.77894E-01	5.55591E+02
6	17	-7.14797E-01	0.	6.43107E+01	5.00531E-01	3.41423E-01	5.56996E+02
7	17	-4.55897E-01	0.	6.45002E+01	5.01032E-01	3.40764E-01	5.56999E+02
8	17	-2.89584E-01	0.	6.46219E+01	5.01353E-01	3.40341E-01	5.57001E+02
9	17	-1.71106E-01	0.	6.47144E+01	5.01597E-01	3.40020E-01	5.57003E+02
10	17	-7.75216E-02	0.	6.48354E+01	5.01915E-01	3.39672E-01	5.57004E+02
11	17	0.	0.	6.49385E+01	5.02186E-01	3.39246E-01	5.57006E+02
2	18	-8.66567E-02	4.27947E+00	5.96560E+01	3.77858E-01	5.13252E-01	5.49370E+02
3	18	-1.05781E-01	4.30759E+00	5.96148E+01	3.75997E-01	5.15824E-01	5.49236E+02
4	18	-6.50200E-02	4.27994E+00	5.92436E+01	3.72263E-01	5.20998E-01	5.48958E+02
5	18	0.	3.88442E+00	5.87519E+01	3.69495E-01	5.24701E-01	5.48842E+02
6	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	19	8.30582E-03	5.61365E+00	5.55252E+01	3.17999E-01	5.95798E-01	5.44418E+02
3	19	2.86174E-02	5.62759E+00	5.55141E+01	3.17557E-01	5.96403E-01	5.44377E+02
4	19	5.18300E-02	5.59424E+00	5.54048E+01	3.16259E-01	5.98163E-01	5.44262E+02
5	19	0.	5.30635E+00	5.52862E+01	3.15343E-01	5.99403E-01	5.44204E+02
6	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	20	5.10297E-02	7.16563E+00	5.13675E+01	2.68167E-01	6.63739E-01	5.39261E+02
3	20	7.03789E-02	7.20343E+00	5.13419E+01	2.68256E-01	6.63616E-01	5.39293E+02

TABLE III (con't)

4	20	7.64582E-02	7.22776E+00	5.13135E+01	2.67776E-01	3.64275E-01	5.39230E+02
5	20	0.	7.08588E+00	5.12915E+01	2.67463E-01	6.04682E-01	5.39214E+02
6	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	21	1.42057E-01	8.91352E+00	4.67900E+01	2.22956E-01	7.24602E-01	5.33480E+02
3	21	2.01133E-01	9.07760E+00	4.57169E+01	2.22351E-01	7.25406E-01	5.33397E+02
4	21	2.07763E-01	9.36120E+00	4.65668E+01	2.20960E-01	7.27267E-01	5.33193E+02
5	21	0.	9.80650E+00	4.64211E+01	2.19674E-01	7.29130E-01	5.32981E+02
6	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	22	5.27337E-01	1.01670E+01	4.18037E+01	1.81109E-01	7.80124E-01	5.26654E+02
3	22	9.53176E-01	1.02501E+01	4.14104E+01	1.78237E-01	7.83999E-01	5.26124E+02
4	22	1.66567E+00	1.03179E+01	4.06353E+01	1.72665E-01	7.91214E-01	5.26058E+02
5	22	2.95846E+00	1.02084E+01	3.91551E+01	1.62615E-01	8.04339E-01	5.23076E+02
6	22	1.11179E+00	4.36016E+00	3.6909E+01	1.62096E-01	8.03454E-01	5.25687E+02
7	22	4.53415E-01	2.08142E+00	3.69908E+01	1.95101E-01	7.57701E-01	5.34910E+02
8	22	3.19656E-01	1.54262E+00	3.68766E+01	2.08029E-01	7.39707E-01	5.37857E+02
9	22	0.	1.44054E+00	3.63273E+01	2.07909E-01	7.39564E-01	5.38290E+02
10	22	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	22	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	23	7.11971E-01	1.08186E+01	3.78987E+01	1.52287E-01	8.17792E-01	5.26736E+02
3	23	1.17115E+00	1.07827E+01	3.76315E+01	1.50424E-01	8.20208E-01	5.20310E+02
4	23	1.70289E+00	1.06688E+01	3.72974E+01	1.48013E-01	8.23334E-01	5.19746E+02
5	23	2.13710E+00	1.03790E+01	3.68362E+01	1.45618E-01	8.26437E-01	5.19178E+02
6	23	1.35084E+00	6.77062E+00	3.70332E+01	1.46965E-01	8.24531E-01	5.19833E+02
7	23	8.81194E-01	4.60567E+00	3.68301E+01	1.55080E-01	8.13149E-01	5.23419E+02
8	23	4.16199E-01	3.76429E+00	3.64112E+01	1.64795E-01	7.99387E-01	5.27430E+02
9	23	0.	3.53939E+00	3.59688E+01	1.67256E-01	7.96704E-01	5.28723E+02
10	23	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	23	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	24	6.31266E-01	1.12441E+01	3.52991E+01	1.34825E-01	8.40328E-01	5.16475E+02
3	24	9.58922E-01	1.11623E+01	3.52629E+01	1.34416E-01	8.40869E-01	5.16333E+02
4	24	1.25206E+00	1.10176E+01	3.53375E+01	1.34711E-01	8.40481E-01	5.16428E+02
5	24	1.45141E+00	1.07821E+01	3.55320E+01	1.35679E-01	8.39257E-01	5.16642E+02
6	24	1.03889E+00	8.39504E+00	3.57654E+01	1.37492E-01	8.36862E-01	5.17266E+02
7	24	6.99631E-01	6.73977E+00	3.58558E+01	1.39373E-01	8.34325E-01	5.18131E+02
8	24	2.43612E-01	6.10357E+00	3.58028E+01	1.40336E-01	8.32971E-01	5.18748E+02
9	24	0.	5.96067E+00	3.58049E+01	1.41010E-01	8.32036E-01	5.19125E+02
10	24	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	24	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	25	4.56556E-01	1.18198E+01	3.34368E+01	1.23177E-01	8.53237E-01	5.13235E+02
3	25	6.67861E-01	1.17478E+01	3.35202E+01	1.23629E-01	8.54654E-01	5.13377E+02
4	25	8.69688E-01	1.16449E+01	3.36895E+01	1.24458E-01	8.53615E-01	5.13571E+02
5	25	1.01738E+00	1.14785E+01	3.39147E+01	1.25756E-01	8.51955E-01	5.13953E+02
6	25	8.21457E-01	9.81713E+00	3.41034E+01	1.26979E-01	8.50368E-01	5.14387E+02
7	25	4.96073E-01	8.56974E+00	3.41966E+01	1.27733E-01	8.49400E-01	5.14726E+02
8	25	2.08905E-01	8.07215E+00	3.42146E+01	1.27848E-01	8.49230E-01	5.14929E+02
9	25	0.	7.95608E+00	3.42225E+01	1.27861E-01	8.49216E-01	5.14987E+02
10	25	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	25	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	26	3.08673E-01	1.27509E+01	3.17520E+01	1.13251E-01	8.67844E-01	5.10201E+02
3	26	4.64919E-01	1.27017E+01	3.18303E+01	1.13709E-01	8.67270E-01	5.10330E+02
4	26	6.10612E-01	1.26300E+01	3.19509E+01	1.14383E-01	8.66412E-01	5.10557E+02
5	26	7.28446E-01	1.25104E+01	3.21120E+01	1.15286E-01	8.65268E-01	5.10839E+02

TABLE III (con't)

6	26	6.29152E-01	1.13137E+01	3.22459E+01	1.16025E-01	8.64329E-01	5.11112E+02
7	26	4.03106E-01	1.03855E+01	3.23216E+01	1.16364E-01	8.63896E-01	5.11323E+02
8	26	1.80217E-01	1.00021E+01	3.23275E+01	1.16414E-01	8.63861E-01	5.11391E+02
9	26	0.	9.90407E+00	3.23513E+01	1.16395E-01	8.63871E-01	5.11442E+02
10	26	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	26	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	27	2.12902E-01	1.41400E+01	2.98623E+01	1.02983E-01	8.80780E-01	5.06762E+02
3	27	3.30814E-01	1.41081E+01	2.99055E+01	1.03219E-01	8.80489E-01	5.06828E+02
4	27	4.37235E-01	1.40573E+01	2.99707E+01	1.03564E-01	8.80051E-01	5.06964E+02
5	27	5.26643E-01	1.39675E+01	3.00676E+01	1.04079E-01	8.79404E-01	5.07145E+02
6	27	4.69815E-01	1.30903E+01	3.01430E+01	1.04440E-01	8.78953E-01	5.07305E+02
7	27	3.08514E-01	1.24057E+01	3.01845E+01	1.04552E-01	8.78622E-01	5.07402E+02
8	27	1.39920E-01	1.21196E+01	3.02052E+01	1.04570E-01	8.78809E-01	5.07456E+02
9	27	0.	1.20430E+01	3.02080E+01	1.04543E-01	8.78849E-01	5.07470E+02
10	27	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	27	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	28	1.55952E-01	1.61958E+01	2.75477E+01	9.11775E-02	8.95514E-01	5.02319E+02
3	28	2.43678E-01	1.61750E+01	2.75513E+01	9.12226E-02	8.95460E-01	5.02327E+02
4	28	3.19094E-01	1.61394E+01	2.75754E+01	9.13310E-02	8.95323E-01	5.02380E+02
5	28	3.90869E-01	1.60739E+01	2.76153E+01	9.15496E-02	8.95054E-01	5.02460E+02
6	28	3.50941E-01	1.54272E+01	2.76407E+01	9.16276E-02	8.94962E-01	5.02517E+02
7	28	2.30672E-01	1.49277E+01	2.76576E+01	9.15850E-02	8.95022E-01	5.02554E+02
8	28	1.04408E-01	1.47194E+01	2.76577E+01	9.15474E-02	8.95081E-01	5.02559E+02
9	28	0.	1.46624E+01	2.76657E+01	9.15199E-02	8.95115E-01	5.02580E+02
10	28	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	28	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	29	1.24154E-01	1.94840E+01	2.44554E+01	7.67776E-02	9.13253E-01	4.96008E+02
3	29	1.91311E-01	1.94697E+01	2.44421E+01	7.67210E-02	9.13324E-01	4.95980E+02
4	29	2.46998E-01	1.94442E+01	2.44381E+01	7.66999E-02	9.13348E-01	4.95970E+02
5	29	3.07863E-01	1.93974E+01	2.44439E+01	7.67298E-02	9.13312E-01	4.95986E+02
6	29	2.75077E-01	1.89250E+01	2.44329E+01	7.66326E-02	9.13434E-01	4.95969E+02
7	29	1.77560E-01	1.85658E+01	2.44193E+01	7.65011E-02	9.13603E-01	4.95936E+02
8	29	7.95699E-02	1.84185E+01	2.44108E+01	7.64162E-02	9.13713E-01	4.95921E+02
9	29	0.	1.83778E+01	2.44067E+01	7.63776E-02	9.13764E-01	4.95915E+02
10	29	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	29	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	30	1.07179E-01	2.59769E+01	1.99430E+01	5.80527E-02	9.35875E-01	4.85683E+02
3	30	1.61900E-01	2.59586E+01	1.99252E+01	5.79816E-02	9.35959E-01	4.85637E+02
4	30	2.09543E-01	2.59316E+01	1.99118E+01	5.79249E-02	9.36027E-01	4.85600E+02
5	30	2.67661E-01	2.58887E+01	1.98986E+01	5.78731E-02	9.36089E-01	4.85569E+02
6	30	2.36996E-01	2.55385E+01	1.98698E+01	5.77173E-02	9.36278E-01	4.85490E+02
7	30	1.50288E-01	2.52773E+01	1.98439E+01	5.75641E-02	9.36467E-01	4.85420E+02
8	30	6.63849E-02	2.51701E+01	1.98255E+01	5.74650E-02	9.36589E-01	4.85376E+02
9	30	0.	2.51395E+01	1.98186E+01	5.74211E-02	9.36644E-01	4.85357E+02
10	30	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	30	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	31	0.	2.59769E+01	1.00000E+01	5.90199E-02	9.34738E-01	4.86228E+02
3	31	0.	2.59586E+01	1.00000E+01	5.89517E-02	9.34819E-01	4.86185E+02
4	31	0.	2.59316E+01	1.00000E+01	5.88760E-02	9.34910E-01	4.86132E+02
5	31	0.	2.58887E+01	1.00000E+01	5.88350E-02	9.34960E-01	4.86108E+02
6	31	0.	2.55385E+01	1.00000E+01	5.87113E-02	9.35040E-01	4.86085E+02
7	31	0.	2.52773E+01	1.00000E+01	5.87138E-02	9.35114E-01	4.86073E+02
8	31	0.	2.51701E+01	1.00000E+01	5.86953E-02	9.35141E-01	4.86061E+02
9	31	0.	2.51395E+01	1.00000E+01	5.86951E-02	9.35144E-01	4.86083E+02
10	31	0.	0.	1.00000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	31	0.	0.	1.00000E+01	5.09973E-01	3.29000E-01	5.57053E+02

532 260
POOR ORIGINAL

TABLE IV

EXAMPLE PROBLEM SOLUTION AT CYCLE 4000

ITER#	2	TIME#	4.00000E+00	CYCLE#	4000	DELTA#	1.00000E-03	F#	2.68191E+00	F1#	6.83025E+01
			U	V	P	RO	TH	TEM			
1	2	0.	0.	8.60350E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
2	2	0.	0.	8.60322E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
3	2	0.	0.	8.60290E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
4	2	0.	0.	8.60229E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
5	2	0.	0.	8.60174E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
6	2	0.	0.	8.60121E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
7	2	0.	0.	8.60077E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
8	2	0.	0.	8.60043E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
9	2	0.	0.	8.60021E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
10	2	0.	0.	8.60011E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
11	2	0.	0.	8.60000E-01	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02			
2	3	-2.86329E-05	0.	8.60050E-01	6.80329E+01	5.10054E-01	3.28894E-01	5.57053E+02			
3	3	-4.21305E-05	0.	8.60006E-01	6.80330E+01	5.10054E-01	3.28893E-01	5.57053E+02			
4	3	-5.35231E-05	0.	8.59951E-01	6.80332E+01	5.10054E-01	3.28892E-01	5.57053E+02			
5	3	-5.87578E-05	0.	8.59892E-01	6.80334E+01	5.10054E-01	3.28892E-01	5.57053E+02			
6	3	-5.72863E-05	0.	8.59834E-01	6.80337E+01	5.10056E-01	3.28891E-01	5.57053E+02			
7	3	-5.00591E-05	0.	8.59782E-01	6.80340E+01	5.10056E-01	3.28890E-01	5.57053E+02			
8	3	-3.89228E-05	0.	8.59746E-01	6.80342E+01	5.10057E-01	3.28889E-01	5.57053E+02			
9	3	-2.59036E-05	0.	8.59720E-01	6.80344E+01	5.10057E-01	3.28889E-01	5.57053E+02			
10	3	-1.26071E-05	0.	8.59708E-01	6.80345E+01	5.10058E-01	3.28888E-01	5.57053E+02			
11	3	0.	0.	8.59674E-01	6.80674E+01	5.10139E-01	3.28782E-01	5.57054E+02			
2	4	-6.41577E-05	0.	8.59614E-01	6.80675E+01	5.10139E-01	3.28781E-01	5.57054E+02			
3	4	-9.44277E-05	0.	8.59565E-01	6.80676E+01	5.10139E-01	3.28781E-01	5.57054E+02			
4	4	-1.21214E-04	0.	8.59503E-01	6.80679E+01	5.10140E-01	3.28780E-01	5.57054E+02			
5	4	-1.34952E-04	0.	8.59434E-01	6.80682E+01	5.10141E-01	3.28779E-01	5.57054E+02			
6	4	-1.33856E-04	0.	8.59366E-01	6.80686E+01	5.10142E-01	3.28778E-01	5.57054E+02			
7	4	-1.19218E-04	0.	8.59306E-01	6.80689E+01	5.10142E-01	3.28777E-01	5.57054E+02			
8	4	-9.44644E-05	0.	8.59257E-01	6.80692E+01	5.10143E-01	3.28776E-01	5.57054E+02			
9	4	-6.38978E-05	0.	8.59225E-01	6.80694E+01	5.10144E-01	3.28775E-01	5.57054E+02			
10	4	-3.14454E-05	0.	8.59208E-01	6.80695E+01	5.10144E-01	3.28775E-01	5.57054E+02			
11	4	0.	0.	8.59126E-01	6.81038E+01	5.10229E-01	3.28664E-01	5.57054E+02			
2	5	-1.12056E-04	0.	8.59082E-01	6.81038E+01	5.10229E-01	3.28664E-01	5.57054E+02			
3	5	-1.65507E-04	0.	8.59017E-01	6.81040E+01	5.10229E-01	3.28663E-01	5.57054E+02			
4	5	-2.13868E-04	0.	8.58933E-01	6.81041E+01	5.10229E-01	3.28663E-01	5.57054E+02			
5	5	-2.40681E-04	0.	8.58839E-01	6.81043E+01	5.10230E-01	3.28662E-01	5.57054E+02			
6	5	-2.42341E-04	0.	8.58745E-01	6.81045E+01	5.10230E-01	3.28661E-01	5.57054E+02			
7	5	-2.19841E-04	0.	8.58659E-01	6.81047E+01	5.10231E-01	3.28660E-01	5.57054E+02			
8	5	-1.77643E-04	0.	8.58589E-01	6.81049E+01	5.10231E-01	3.28660E-01	5.57054E+02			
9	5	-1.22319E-04	0.	8.58516E-01	6.81050E+01	5.10231E-01	3.28660E-01	5.57054E+02			
10	5	-6.09572E-05	0.	8.58409E-01	6.81409E+01	5.10320E-01	3.28544E-01	5.57055E+02			
11	5	0.	0.	8.58350E-01	6.81408E+01	5.10319E-01	3.28544E-01	5.57055E+02			
2	6	-1.88445E-04	0.	8.58250E-01	6.81406E+01	5.10319E-01	3.28545E-01	5.57055E+02			
3	6	-2.79094E-04	0.	8.58189E-01	6.81407E+01	5.10319E-01	3.28544E-01	5.57055E+02			
4	6	-3.62334E-04	0.	8.58103E-01	6.81408E+01	5.10319E-01	3.28544E-01	5.57055E+02			
5	6	-4.10865E-04	0.	8.58039E-01	6.81409E+01	5.10318E-01	3.28545E-01	5.57055E+02			
6	6	-4.18219E-04	0.	8.57941E-01	6.81403E+01	5.10318E-01	3.28545E-01	5.57055E+02			
7	6	-3.84651E-04	0.	8.57820E-01	6.81402E+01	5.10318E-01	3.28546E-01	5.57055E+02			
8	6	-3.15589E-04	0.	8.57735E-01	6.81401E+01	5.10318E-01	3.28546E-01	5.57055E+02			
9	6	-2.20412E-04	0.	8.57692E-01	6.81758E+01	5.10409E-01	3.28427E-01	5.57055E+02			
10	6	-1.10967E-04	0.	8.57653E-01	6.81756E+01	5.10407E-01	3.28429E-01	5.57055E+02			
11	6	0.	0.	8.57435E-01	6.81763E+01	5.10407E-01	3.28429E-01	5.57055E+02			
2	7	-3.33858E-04	0.	8.5732E-01	6.81759E+01	5.10406E-01	3.28430E-01	5.57055E+02			
3	7	-4.95548E-04	0.	8.5720E-01	6.81753E+01	5.10404E-01	3.28432E-01	5.57055E+02			
4	7	-6.45376E-04	0.	8.5705E-01	6.81748E+01	5.10403E-01	3.28434E-01	5.57055E+02			
5	7	-7.34327E-04	0.	8.57206E-01	6.81737E+01	5.10400E-01	3.28437E-01	5.57055E+02			
6	7	-7.50320E-04	0.								
7	7	-6.93060E-04	0.								
8	7	-5.71254E-04	0.								
9	7	-4.00717E-04	0.								

POOR ORIGINAL

TABLE IV (con't)

10	7	-2.02382E-04	8.56791E-01	6.81734E+01	5.10400E-01	3.28438E-01	5.57055E+02
11	7	0.	8.56706E-01	6.81732E+01	5.10399E-01	3.28439E-01	5.57055E+02
2	8	-6.46514E-04	8.59839E-01	6.82099E+01	5.10489E-01	3.28320E-01	5.57056E+02
3	8	-9.60232E-04	8.59514E-01	6.82095E+01	5.10488E-01	3.28321E-01	5.57056E+02
4	8	-1.25036E-03	8.59036E-01	6.82090E+01	5.10487E-01	3.28323E-01	5.57056E+02
5	8	-1.42182E-03	8.58416E-01	6.82084E+01	5.10486E-01	3.28325E-01	5.57056E+02
6	8	-1.45082E-03	8.57716E-01	6.82076E+01	5.10484E-01	3.28328E-01	5.57056E+02
7	8	-1.33780E-03	8.57005E-01	6.82067E+01	5.10481E-01	3.28331E-01	5.57056E+02
8	d	-1.10028E-03	8.56353E-01	6.82059E+01	5.10479E-01	3.28333E-01	5.57056E+02
9	s	-7.70210E-04	8.55818E-01	6.82052E+01	5.10478E-01	3.28336E-01	5.57056E+02
10	b	-3.88432E-04	8.55445E-01	6.82047E+01	5.10476E-01	3.28337E-01	5.57056E+02
11	8	0.	8.55258E-01	6.82044E+01	5.10476E-01	3.28338E-01	5.57056E+02
2	9	-1.35278E-03	8.62926E-01	6.82399E+01	5.10563E-01	3.28223E-01	5.57056E+02
3	9	-2.00217E-03	8.62204E-01	6.82396E+01	5.10562E-01	3.28224E-01	5.57056E+02
4	9	-2.59894E-03	8.61143E-01	6.82391E+01	5.10561E-01	3.28226E-01	5.57056E+02
5	9	-2.94734E-03	8.59776E-01	6.82384E+01	5.10559E-01	3.28228E-01	5.57056E+02
6	9	-3.00988E-03	8.58236E-01	6.82375E+01	5.10557E-01	3.28231E-01	5.57056E+02
7	9	-2.76123E-03	8.56676E-01	6.82367E+01	5.10555E-01	3.28234E-01	5.57056E+02
8	9	-2.26652E-03	8.55248E-01	6.82359E+01	5.10553E-01	3.28236E-01	5.57056E+02
9	9	-1.58371E-03	8.54079E-01	6.82352E+01	5.10552E-01	3.28238E-01	5.57056E+02
10	9	-7.97642E-04	8.53263E-01	6.82349E+01	5.10551E-01	3.28240E-01	5.57056E+02
11	9	0.	8.52853E-01	6.82347E+01	5.10550E-01	3.28240E-01	5.57056E+02
2	10	-2.92841E-03	8.70797E-01	6.82679E+01	5.10632E-01	3.28132E-01	5.57056E+02
3	10	-4.31912E-03	8.69170E-01	6.82675E+01	5.10631E-01	3.28134E-01	5.57056E+02
4	10	-5.58677E-03	8.66795E-01	6.82670E+01	5.10629E-01	3.28136E-01	5.57056E+02
5	10	-6.31365E-03	8.63746E-01	6.82663E+01	5.10628E-01	3.28138E-01	5.57056E+02
6	10	-6.40916E-03	8.60336E-01	6.82655E+01	5.10626E-01	3.28141E-01	5.57056E+02
7	10	-5.88349E-03	8.56915E-01	6.82648E+01	5.10624E-01	3.28143E-01	5.57056E+02
8	10	-4.82169E-03	8.53809E-01	6.82642E+01	5.10623E-01	3.28145E-01	5.57056E+02
9	10	-3.36584E-03	8.51284E-01	6.82638E+01	5.10622E-01	3.28146E-01	5.57056E+02
10	10	-1.69443E-03	8.49532E-01	6.82635E+01	5.10621E-01	3.28147E-01	5.57056E+02
11	10	0.	8.48650E-01	6.82634E+01	5.10621E-01	3.28147E-01	5.57056E+02
2	11	-6.45974E-03	8.90232E-01	6.82919E+01	5.10690E-01	3.28056E-01	5.57057E+02
3	11	-9.49851E-03	8.86375E-01	6.82915E+01	5.10690E-01	3.28057E-01	5.57057E+02
4	11	-1.22368E-02	8.80837E-01	6.82911E+01	5.10689E-01	3.28058E-01	5.57057E+02
5	11	-1.37545E-02	8.73817E-01	6.82907E+01	5.10688E-01	3.28059E-01	5.57057E+02
6	11	-1.38794E-02	8.66087E-01	6.82904E+01	5.10687E-01	3.28060E-01	5.57057E+02
7	11	-1.26701E-02	8.58457E-01	6.82901E+01	5.10686E-01	3.28061E-01	5.57057E+02
8	11	-1.03373E-02	8.51636E-01	6.82899E+01	5.10686E-01	3.28062E-01	5.57057E+02
9	11	-7.19464E-03	8.46168E-01	6.82898E+01	5.10685E-01	3.28062E-01	5.57057E+02
10	11	-3.61640E-03	8.42409E-01	6.82898E+01	5.10685E-01	3.28062E-01	5.57057E+02
11	11	0.	8.40527E-01	6.82898E+01	5.10685E-01	3.28062E-01	5.57057E+02
2	12	-1.47323E-02	9.37135E-01	6.83049E+01	5.10723E-01	3.28013E-01	5.57057E+02
3	12	-2.14983E-02	9.27544E-01	6.83058E+01	5.10725E-01	3.28010E-01	5.57057E+02
4	12	-2.74642E-02	9.14158E-01	6.83071E+01	5.10728E-01	3.28006E-01	5.57057E+02
5	12	-3.05552E-02	8.97523E-01	6.83087E+01	5.10732E-01	3.28001E-01	5.57057E+02
6	12	-3.04321E-02	8.79662E-01	6.83104E+01	5.10736E-01	3.27996E-01	5.57057E+02
7	12	-2.75416E-02	8.62501E-01	6.83121E+01	5.10740E-01	3.27990E-01	5.57057E+02
8	12	-2.22690E-02	8.47531E-01	6.83136E+01	5.10744E-01	3.27985E-01	5.57057E+02
9	12	-1.53961E-02	8.35766E-01	6.83147E+01	5.10747E-01	3.27982E-01	5.57057E+02
10	12	-7.70944E-03	8.27787E-01	6.83155E+01	5.10748E-01	3.27979E-01	5.57057E+02
11	12	0.	8.23813E-01	6.83158E+01	5.10749E-01	3.27978E-01	5.57057E+02
2	13	-3.47936E-02	1.04981E+00	6.83298E+01	5.10710E-01	3.28030E-01	5.57057E+02
3	13	-5.01244E-02	1.02508E+00	6.83340E+01	5.10720E-01	3.28016E-01	5.57057E+02
4	13	-6.31510E-02	9.91672E-01	6.83393E+01	5.10733E-01	3.27999E-01	5.57057E+02
5	13	-6.90715E-02	9.51045E-01	6.83457E+01	5.10749E-01	3.27978E-01	5.57057E+02
6	13	-6.76604E-02	9.08995E-01	6.83225E+01	5.10766E-01	3.27957E-01	5.57057E+02
7	13	-6.00695E-02	8.70446E-01	6.83290E+01	5.10782E-01	3.27936E-01	5.57057E+02
8	13	-4.78772E-02	8.36176E-01	6.83347E+01	5.10796E-01	3.27917E-01	5.57057E+02
9	13	-3.27522E-02	8.13615E-01	6.83392E+01	5.10805E-01	3.27903E-01	5.57058E+02
10	13	-1.63001E-02	7.97301E-01	6.83421E+01	5.10814E-01	3.27893E-01	5.57058E+02
11	13	0.	7.89218E-01	6.83435E+01	5.10817E-01	3.27889E-01	5.57058E+02

POOR ORIGINAL

TABLE IV (con't)

2	14	-8.39742E-02	1.32418E+00	6.82558E+01	5.10602E-01	3.28172E-01	5.57056E+02
3	14	-1.19691E-01	1.25945E+00	6.82668E+01	5.10629E-01	3.28136E-01	5.57056E+02
4	14	-1.48487E-01	1.17318E+00	6.82819E+01	5.10666E-01	3.28068E-01	5.57057E+02
5	14	-1.58510E-01	1.06929E+00	6.83004E+01	5.10712E-01	3.28029E-01	5.57057E+02
6	14	-1.50513E-01	9.66533E-01	6.83201E+01	5.10760E-01	3.27964E-01	5.57057E+02
7	14	-1.29856E-01	8.80531E-01	6.83384E+01	5.10805E-01	3.27905E-01	5.57058E+02
8	14	-1.01133E-01	8.13501E-01	6.83532E+01	5.10841E-01	3.27858E-01	5.57058E+02
9	14	-6.80485E-02	7.65177E-01	6.83642E+01	5.10868E-01	3.27822E-01	5.57058E+02
10	14	-3.35472E-02	7.34172E-01	6.83713E+01	5.10895E-01	3.27799E-01	5.57058E+02
11	14	0.	7.18932E-01	6.83747E+01	5.10893E-01	3.27789E-01	5.57058E+02
2	15	-2.02274E-01	1.98855E+00	6.80798E+01	5.10171E-01	3.28740E-01	5.57054E+02
3	15	-2.90648E-01	1.83340E+00	6.81134E+01	5.10253E-01	3.28631E-01	5.57054E+02
4	15	-3.58912E-01	1.61242E+00	6.81602E+01	5.10368E-01	3.28480E-01	5.57055E+02
5	15	-3.72786E-01	1.33188E+00	6.82197E+01	5.10514E-01	3.28287E-01	5.57056E+02
6	15	-3.34554E-01	1.05709E+00	6.82812E+01	5.10665E-01	3.28089E-01	5.57057E+02
7	15	-2.74614E-01	8.71568E-01	6.83317E+01	5.10789E-01	3.27827E-01	5.57057E+02
8	15	-9.0598E-01	7.43431E-01	6.83687E+01	5.10879E-01	3.27808E-01	5.57058E+02
9	15	-1.34534E-01	6.58946E-01	6.83926E+01	5.10938E-01	3.27730E-01	5.57058E+02
10	15	-6.52558E-02	6.07777E-01	6.84070E+01	5.10973E-01	3.27684E-01	5.57059E+02
11	15	0.	5.83021E-01	6.84135E+01	5.10988E-01	3.27664E-01	5.57059E+02
2	16	-4.51145E-01	3.49172E+00	6.73963E+01	5.0913E-01	3.37824E-01	5.56780E+02
3	16	-6.89359E-01	3.23160E+00	6.74947E+01	5.09471E-01	3.33129E-01	5.56950E+02
4	16	-8.91421E-01	2.76253E+00	6.76395E+01	5.08801E-01	3.30570E-01	5.57032E+02
5	16	-9.28325E-01	1.99584E+00	6.78588E+01	5.09629E-01	3.29452E-01	5.57050E+02
6	16	-7.41788E-01	1.06570E+00	6.81205E+01	5.10272E-01	3.28606E-01	5.57054E+02
7	16	-5.56499E-01	7.29581E-01	6.82771E+01	5.10655E-01	3.28102E-01	5.57057E+02
8	16	-3.89445E-01	5.39475E-01	6.83709E+01	5.10885E-01	3.27800E-01	5.57058E+02
9	16	-2.43053E-01	4.31840E-01	6.84242E+01	5.11015E-01	3.27629E-01	5.57059E+02
10	16	-1.14559E-01	3.72565E-01	6.84520E+01	5.11083E-01	3.27540E-01	5.57059E+02
11	16	0.	3.45032E-01	6.84635E+01	5.11111E-01	3.27503E-01	5.57059E+02
2	17	-7.57993E-01	6.36348E+00	6.48306E+01	4.53420E-01	4.08285E-01	5.54103E+02
3	17	-1.31705E+00	6.38409E+00	6.49595E+01	4.55446E-01	4.05447E-01	5.54221E+02
4	17	-2.04419E+00	6.26574E+00	6.51177E+01	4.58848E-01	4.00692E-01	5.54410E+02
5	17	-2.55570E+00	5.20298E+00	6.56170E+01	4.71831E-01	3.82480E-01	5.55140E+02
6	17	-1.58569E+00	0.	6.75804E+01	5.08888E-01	3.30433E-01	5.57043E+02
7	17	-1.00898E+00	0.	6.81306E+01	5.10298E-01	3.28572E-01	5.57054E+02
8	17	-6.33448E-01	0.	6.83547E+01	5.10845E-01	3.27852E-01	5.57058E+02
9	17	-3.68461E-01	0.	6.84518E+01	5.11082E-01	3.27540E-01	5.57059E+02
10	17	-1.66439E-01	0.	6.84945E+01	5.11187E-01	3.27403E-01	5.57060E+02
11	17	0.	0.	6.85107E+01	5.11226E-01	3.27351E-01	5.57060E+02
2	18	-2.28677E-01	9.09712E+00	5.75928E+01	3.44314E-01	5.59753E-01	5.46664E+02
3	18	-2.77905E-01	9.10771E+00	5.69506E+01	3.36249E-01	5.70847E-01	5.48000E+02
4	18	-1.96968E-01	8.91705E+00	5.57590E+01	3.21756E-01	5.90735E-01	5.44757E+02
5	18	0.	7.78329E+00	5.39212E+01	3.00781E-01	6.19375E-01	5.42874E+02
6	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	18	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	19	1.53179E-01	1.16846E+01	5.01579E+01	2.56624E-01	6.79420E-01	5.37943E+02
3	19	2.51099E-01	1.16335E+01	4.96919E+01	2.51686E-01	6.86113E-01	5.37344E+02
4	19	2.91867E-01	1.13734E+01	4.90712E+01	2.44901E-01	6.95231E-01	5.36502E+02
5	19	0.	1.03367E+01	4.85549E+01	2.38611E-01	7.03689E-01	5.35716E+02
6	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	19	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	20	2.88779E-01	1.44952E+01	4.33796E+01	1.93917E-01	7.63299E-01	5.28971E+02
3	20	3.79980E-01	1.44838E+01	4.32081E+01	1.92288E-01	7.65442E-01	5.28695E+02

POOR ORIGINAL

TABLE IV (con't)

4	20	3.43752E-01	1.43396E+01	4.30542E+01	1.90664E-01	7.67607E-01	5.28409E+02
5	20	0.	1.36139E+01	4.30039E+01	1.89660E-01	7.68934E-01	5.28254E+02
6	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	20	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	21	4.49768E-01	1.80571E+01	3.65273E+01	1.43750E-01	8.28920E-01	5.18817E+02
3	21	6.17451E-01	1.83423E+01	3.63274E+01	1.42421E-01	8.30637E-01	5.18496E+02
4	21	6.20887E-01	1.88582E+01	3.6061E+01	1.40659E-01	8.32911E-01	5.18064E+02
5	21	0.	1.97540E+01	3.57664E+01	1.38632E-01	8.35527E-01	5.17570E+02
6	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
7	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
8	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
9	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
10	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	21	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	22	1.25666E+00	2.21328E+01	2.87475E+01	9.87755E-02	8.86133E-01	5.05513E+02
3	22	2.36718E+00	2.25679E+01	2.78733E+01	9.45504E-02	8.91407E-01	5.03951E+02
4	22	4.57561E+00	2.31896E+01	2.61351E+01	8.65452E-02	9.01342E-01	5.00792E+02
5	22	1.02896E+01	2.37741E+01	2.23095E+01	7.04360E-02	9.21085E-01	4.93457E+02
6	22	7.74648E+00	1.44161E+01	1.51804E+01	4.19587E-02	9.54595E-01	4.76931E+02
7	22	3.10440E+00	8.65347E+00	1.51486E+01	3.99345E-02	9.57040E-01	4.74249E+02
8	22	6.63907E-01	4.52284E+00	1.55455E+01	4.08213E-02	9.56094E-01	4.74411E+02
9	22	0.	1.33291E+00	1.55939E+01	4.10204E-02	9.55860E-01	4.74604E+02
10	22	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	22	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	23	2.32259E+00	2.62111E+01	2.13930E+01	6.45713E-02	9.28150E-01	4.89967E+02
3	23	4.22336E+00	2.65567E+01	2.03163E+01	6.02615E-02	9.33323E-01	4.87446E+02
4	23	7.10971E+00	2.68658E+01	1.86596E+01	5.36329E-02	9.40978E-01	4.83321E+02
5	23	1.07171E+01	2.67269E+01	1.62168E+01	4.46514E-02	9.51770E-01	4.76480E+02
6	23	8.26143E+00	2.08516E+01	1.44624E+01	3.73256E-02	9.60221E-01	4.69893E+02
7	23	4.21510E+00	1.45880E+01	1.51023E+01	3.87455E-02	9.58606E-01	4.71269E+02
8	23	1.56767E+00	9.02387E+00	1.55917E+01	4.02822E-02	9.56865E-01	4.72578E+02
9	23	0.	4.48266E+00	1.56789E+01	4.07186E-02	9.56337E-01	4.73214E+02
10	23	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	23	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	24	3.08280E+00	2.97059E+01	1.56798E+01	4.24743E-02	9.54277E-01	4.74476E+02
3	24	5.16599E+00	2.97585E+01	1.48992E+01	3.97070E-02	9.57476E-01	4.72007E+02
4	24	7.49026E+00	2.95342E+01	1.40157E+01	3.66261E-02	9.61015E-01	4.69031E+02
5	24	8.78639E+00	2.86463E+01	1.32333E+01	3.36339E-02	9.64385E-01	4.65919E+02
6	24	6.40206E+00	2.40539E+01	1.35950E+01	3.40634E-02	9.63952E-01	4.66276E+02
7	24	3.52285E+00	1.82292E+01	1.47297E+01	3.73954E-02	9.60178E-01	4.69683E+02
8	24	1.48825E+00	1.24857E+01	1.52849E+01	3.92054E-02	9.58119E-01	4.71388E+02
9	24	0.	7.56585E+00	1.54151E+01	3.98488E-02	9.57336E-01	4.72403E+02
10	24	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	24	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	25	3.14566E+00	3.19897E+01	1.19331E+01	2.98028E-02	9.68743E-01	4.61413E+02
3	25	4.76962E+00	3.16323E+01	1.18178E+01	2.87290E-02	9.69948E-01	4.60059E+02
4	25	5.97177E+00	3.08688E+01	1.15541E+01	2.83221E-02	9.70405E-01	4.59507E+02
5	25	5.78222E+00	2.95089E+01	1.19397E+01	2.91243E-02	9.69511E-01	4.60495E+02
6	25	3.96656E+00	2.56503E+01	1.31235E+01	3.23922E-02	9.65848E-01	4.64370E+02
7	25	2.37812E+00	2.04627E+01	1.42013E+01	3.57947E-02	9.61992E-01	4.68155E+02
8	25	1.13793E+00	1.50085E+01	1.46616E+01	3.73404E-02	9.67223E-01	4.69829E+02
9	25	0.	1.01538E+01	1.47770E+01	3.80977E-02	9.59269E-01	4.71403E+02
10	25	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	25	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	26	2.35123E+00	3.26967E+01	9.98430E+00	2.36378E-02	9.75598E-01	4.52917E+02
3	26	3.13058E+00	3.19377E+01	1.01294E+01	2.39291E-02	9.75278E-01	4.53329E+02
4	26	3.33742E+00	3.09686E+01	1.06465E+01	2.52423E-02	9.73830E-01	4.55221E+02
5	26	2.72666E+00	2.96861E+01	1.15943E+01	2.78198E-02	9.70973E-01	4.58745E+02

TABLE IV (con't)

6	26	1.90987E+00	2.65044E+01	1.27843E+01	3.13681E-02	9.67002E-01	4.63183E+02
7	26	1.34003E+00	2.19408E+01	1.35614E+01	3.38370E-02	9.64215E-01	4.66039E+02
8	26	7.30983E-01	1.69420E+01	1.38846E+01	3.48997E-02	9.63007E-01	4.67253E+02
9	26	0.	1.23919E+01	1.39929E+01	3.53486E-02	9.62468E-01	4.68036E+02
10	26	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	26	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	27	9.75137E-01	3.17932E+01	9.53500E+00	2.20091E-02	9.77387E-01	4.50244E+02
3	27	1.03747E+00	3.12037E+01	9.96543E+00	2.31305E-02	9.76159E-01	4.52019E+02
4	27	8.49159E-01	3.05162E+01	1.06621E+01	2.51114E-02	9.73976E-01	4.55013E+02
5	27	5.82177E-01	2.97166E+01	1.15948E+01	2.77505E-02	9.71053E-01	4.58629E+02
6	27	5.86646E-01	2.70868E+01	1.24002E+01	3.02442E-02	9.68265E-01	4.61819E+02
7	27	6.21527E-01	2.30276E+01	1.28617E+01	3.17052E-02	9.66624E-01	4.63591E+02
8	27	4.25708E-01	1.84796E+01	1.30689E+01	3.23548E-02	9.65888E-01	4.64418E+02
9	27	0.	1.42768E+01	1.31441E+01	3.26224E-02	9.65573E-01	4.64886E+02
10	27	0.	0.	6.80000E-01	5.09973E-01	3.29000E-01	5.57053E+02
11	27	0.	0.	6.80000E-01	5.09973E-01	3.29000E-01	5.57053E+02
2	28	-2.28070E-01	3.07341E+01	1.01167E+01	2.33562E-02	9.75919E-01	4.52330E+02
3	28	-4.44996E-01	3.04749E+01	1.05239E+01	2.45147E-02	9.74644E-01	4.54089E+02
4	28	-5.84845E-01	3.02319E+01	1.10467E+01	2.60756E-02	9.72914E-01	4.56359E+02
5	28	-4.47161E-01	2.98198E+01	1.15781E+01	2.77218E-02	9.71082E-01	4.58625E+02
6	28	-6.86925E-02	2.75861E+01	1.19633E+01	2.89624E-02	9.69696E-01	4.60257E+02
7	28	2.17916E-01	2.39495E+01	1.21886E+01	2.96571E-02	9.68920E-01	4.61155E+02
8	28	2.36443E-01	1.97982E+01	1.23052E+01	2.99933E-02	9.68545E-01	4.61580E+02
9	28	0.	1.59187E+01	1.23509E+01	3.01441E-02	9.68363E-01	4.61934E+02
10	28	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	28	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	29	-7.08758E-01	3.04779E+01	1.09105E+01	2.55364E-02	9.73520E-01	4.55602E+02
3	29	-9.32277E-01	3.04627E+01	1.10781E+01	2.60872E-02	9.72910E-01	4.56377E+02
4	29	-9.63059E-01	3.04816E+01	1.12570E+01	2.67091E-02	9.72212E-01	4.57246E+02
5	29	-6.70082E-01	3.02427E+01	1.14056E+01	2.72462E-02	9.71611E-01	4.57975E+02
6	29	-2.34953E-01	2.82432E+01	1.14952E+01	2.75807E-02	9.71236E-01	4.58449E+02
7	29	8.07452E-02	2.49196E+01	1.15509E+01	2.77604E-02	9.71036E-01	4.58730E+02
8	29	1.57163E-01	2.10938E+01	1.15930E+01	2.78633E-02	9.70925E-01	4.58848E+02
9	29	0.	1.74947E+01	1.16144E+01	2.79200E-02	9.70855E-01	4.59034E+02
10	29	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	29	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	30	-6.55800E-01	3.18081E+01	1.11120E+01	2.2380E-02	9.72745E-01	4.56647E+02
3	30	-8.06014E-01	3.17675E+01	1.10893E+01	2.62358E-02	9.72743E-01	4.56612E+02
4	30	-7.74254E-01	3.17273E+01	1.10440E+01	2.61843E-02	9.72792E-01	4.56529E+02
5	30	-4.93386E-01	3.13943E+01	1.09803E+01	2.60696E-02	9.72915E-01	4.56377E+02
6	30	-1.35281E-01	2.94113E+01	1.03222E+01	2.59324E-02	9.73066E-01	4.56176E+02
7	30	1.12993E-01	2.62255E+01	1.08932E+01	2.58424E-02	9.73166E-01	4.56084E+02
8	30	1.63176E-01	2.26174E+01	1.08833E+01	2.58010E-02	9.73213E-01	4.56038E+02
9	30	0.	1.92660E+01	1.08798E+01	2.57871E-02	9.73226E-01	4.56071E+02
10	30	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	30	0.	0.	6.80000E+01	5.09973E-01	3.29000E-01	5.57053E+02
2	31	0.	3.18081E+01	1.00000E+01	2.62316E-02	9.72752E-01	4.56639E+02
3	31	0.	3.17675E+01	1.00000E+01	2.62291E-02	9.72750E-01	4.56608E+02
4	31	0.	3.17273E+01	1.00000E+01	2.61774E-02	9.72800E-01	4.56520E+02
5	31	0.	3.13943E+01	1.00000E+01	2.60620E-02	9.72924E-01	4.56357E+02
6	31	0.	2.94113E+01	1.00000E+01	2.59255E-02	9.73074E-01	4.56165E+02
7	31	0.	2.62255E+01	1.00000E+01	2.58355E-02	9.73174E-01	4.56066E+02
8	31	0.	2.26174E+01	1.00000E+01	2.57920E-02	9.73223E-01	4.56026E+02
9	31	0.	1.92660E+01	1.00000E+01	2.57777E-02	9.73237E-01	4.56052E+02
10	31	0.	0.	1.00000E+01	5.09973E-01	3.29000E-01	5.57053E+02
11	31	0.	0.	1.00000E+01	5.09973E-01	3.29000E-01	5.57053E+02

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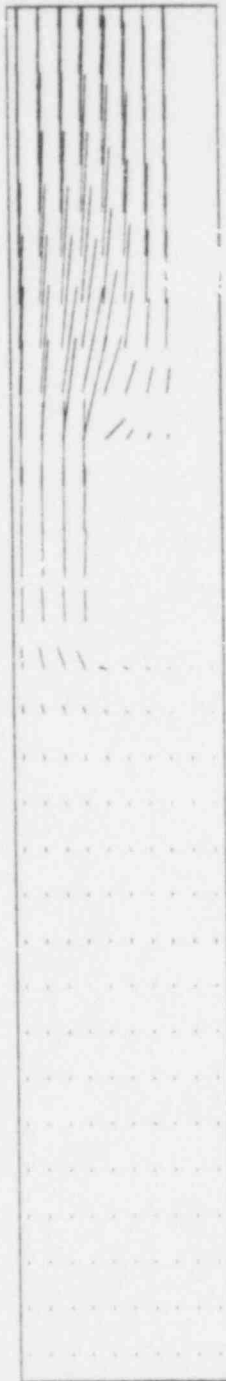


Fig. 4. Velocity vector plot of cycle 1000 for the example problem.

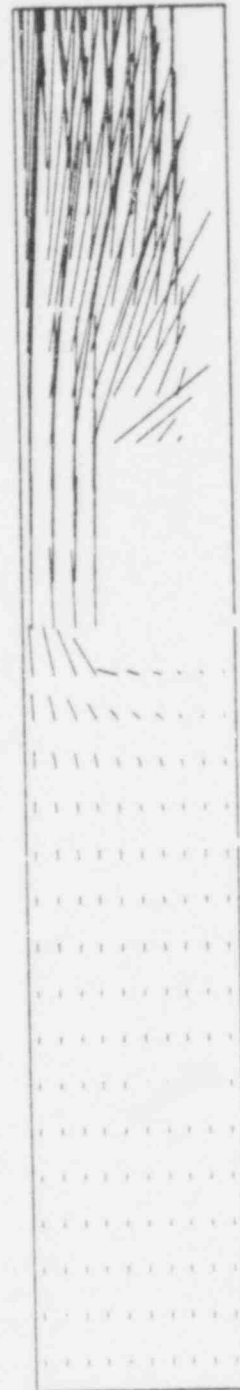


Fig. 5. Velocity vector plot of cycle 4000 for the example problem.

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APPENDIX

FORTTRAN IV Listing of the SOLA-DF Code

LASL Code: LP#-0772

*COMDECK.COMDK								COMDK	1
C								COMDK	2
	COMMON / SOL1 /							COMDK	3
	1A (27,82),	BETA(27,82),	E (27,82),	EN (27,82),				COMDK	4
	2ITITLE (2),	NAME (10),	P (27,82),	Q (27,82),				COMDK	5
	3QL (82),	RO (27,82),	RON (27,82),	RV (27,82),				COMDK	6
	4RVN (27,82),	U (27,82),	UD (27,82),	UN (27,82),				COMDK	7
	5V (27,82),	VD (27,82),	VN (27,82),	XC (27),				COMDK	8
	6YC (82)							COMDK	9
C								COMDK	10
	COMMON / SOL2 /							COMDK	11
	1ASQ,	CDG,	CHL,	CHV,	CYL,	DELT,	DELTMX,	COMDK	12
	2DELX,	DELY,	ECL,	ECV,	EDL,	EDV,	EIL,	COMDK	13
	3EIV,	E12,	ELHT,	EPS1,	ET,	ETEM,	ETEM1,	COMDK	14
	4FLG,	GAM1,	11,	IMAX,	IM1,	IM2,	IPL,	COMDK	15
	5IPR,	ITER,	JJ,	JMAX,	JM1,	JM2,	JFB,	COMDK	16
	6JPT,	OMG,	PBC,	PIN,	PMAX,	PNV,	PT,	COMDK	17
	7ROX,	RDY,	RG,	RO1L,	RO1V,	RO12,	ROL,	COMDK	18
	8ROT,	RPIPE,	RV1L,	RV1V,	RV12,	RVT,	SGAN,	COMDK	19
	9TC,	THC,	THC1,	THIN,	THTM,	TH1,	VISL,	COMDK	20
	1VISV,	WB,	WL,	WR,	WT			COMDK	21
C								COMDK	22
	INTEGER	CYCLE,	WB,	WL,	WR,	WT		COMDK	23
	REAL	IMP,	LONG,	NJA,	NUC			COMDK	24
C								COMDK	25

POOR ORIGINAL

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*DECK, SOLADF
PROGRAM: SOLA(INPUT,TAPE10=INPUT,OUTPUT,TAPE9=OUTPUT)
*CALL COMDK
C
DIMENSION ZC(10)
C
EVCAL(X)=ECV+CHV*(X-TC)
ELCAL(X)=ECL+CHL*(X-TC)
SATT(X)=255.2+117.8*X**0.223
SATP(X)=((X-255.2)/117.8)**4.48
C
NAMLIST / SOLDA /
1ALPHA, ASQ, BUBN, CDG, CHL, CHV,
2CYL, DELT, DELTMX, DELX, DELY, DFVEL,
3DIM, ECL, ECV, EDL, EDV, ELHT,
4EPS1, ETEM, GAM1, GX, GY, IBAR,
5IMP, JBAR, NAME, OMG, PBC, PHCH,
6PIN, PLTOT, PRTOT, RADIUS, RG, ROL,
7RPIPE, SGWN, TC, THC, THIN, TIN,
8TWAIN, UI, VELMX, VI, VISL, VISV,
9WB, WL, WR, WT
C
ZERO OUT THE DATA AND CONSTANT STORAGES
DO 1 I=1,35518
1 A(I)=0.
DO 2 I=1,27
2 XC(I)=0.
DO 3 I=1,82
3 YC(I)=0.
C
SET DEFAULT VALUES
C
ALPHA=1.
ASQ=1.234E+4
BUBN=1.E+4
CDG=0.5
CHL=44.34
CHV=6.67
CYL=1.0
DFVEL = 0.0
DELT=1.0E-4
DELTMX=1.0E-3
DELX=1.0
DELY=1.0
DIM=2.0
ECL=4.174E+3
ECV=2.506E+4
EDL=1.6E-6
EDV=1.6E-7
ELHT=1.76E+4
EPS1=0.001
ETEM=1.0
GAM1=0.07
GX = 0.0
GY = 0.0
IBAR=10
IMP=1.0
JBAR=10

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SOLADF 1
SOLADF 2
SOLADF 3
SOLADF 4
SOLADF 5
SOLADF 6
SOLADF 7
SOLADF 8
SOLADF 9
SOLADF 10
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SOLADF 12
SOLADF 13
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SOLADF 36
SOLADF 37
SOLADF 38
SOLADF 39
SOLADF 40
SOLADF 41
SOLADF 42
SOLADF 43
SOLADF 44
SOLADF 45
SOLADF 46
SOLADF 47
SOLADF 48
SOLADF 49
SOLADF 50
SOLADF 51
SOLADF 52
SOLADF 53
SOLADF 54
SOLADF 55
SOLADF 56
SOLADF 57
SOLADF 58

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POOR ORIGINAL

NAME(1)=10H *NO NAME*
 OMC=1.0
 PBC=1.0
 PHCH=1.0
 PIN=1.0
 PLTDT=0.1
 PRDT=0.1
 RADIUS = 0.0
 RG = 0.0
 ROL=0.958
 HPIPE = 0.0
 SQWN=8.0E-4
 TC=373.0
 THC=0.001
 THIN = 0.0
 TIN=373.0
 TWFIN=1.E+4
 UI = 0.0
 VELMX=2.0
 VI = 0.0
 VISL=3.0E-6
 VISV=2.0E-4
 WB=1
 WL=1
 WR=1
 WT=1

C
 C
 C
 C

READ AND WRITE INITIAL INPUT DATA

READ(10,SOLDA)

WRITE(9,901) (NAME(1),I=1,10)
 WRITE(9,985) ALPHA
 WRITE(9,1015) ASQ
 WRITE(9,1050) BUBN
 WRITE(9,1055) CDG
 WRITE(9,1090) CHL
 WRITE(9,1095) CHV
 WRITE(9,930) CYL
 WRITE(9,920) DELT
 WRITE(9,890) DELTMX
 WRITE(9,910) DELX
 WRITE(9,915) DELY
 WRITE(9,1030) DFVEL
 WRITE(9,880) DIM
 WRITE(9,1100) ECL
 WRITE(9,1095) ECV
 WRITE(9,1115) ECL
 WRITE(9,1110) EDV
 WRITE(9,1120) ELHT
 WRITE(9,935) EPS1
 WRITE(9,1025) ETEM
 WRITE(9,1010) GAM1
 WRITE(9,940) GX
 WRITE(9,945) GY
 WRITE(9,900) IBAR
 WRITE(9,1020) IMP
 WRITE(9,905) JBAR

SOL ADF 59
 SOL ADF 60
 SOL ADF 61
 SOL ADF 62
 SOL ADF 63
 SOL ADF 64
 SOL ADF 65
 SOL ADF 66
 SOL ADF 67
 SOL ADF 68
 SOL ADF 69
 SOL ADF 70
 SOL ADF 71
 SOL ADF 72
 SOL ADF 73
 SOL ADF 74
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 SOL ADF 109
 SOL ADF 110
 SOL ADF 111
 SOL ADF 112
 SOL ADF 113
 SOL ADF 114
 SOL ADF 115
 SOL ADF 116

WRITE(9.980) OMG	SOLADF	117
WRITE(9.1028) PBC	SOLADF	118
WRITE(9.1035) PHCH	SOLADF	119
WRITE(9.1130) PIN	SOLADF	120
WRITE(9.975) PLTOT	SOLADF	121
WRITE(9.970) PRTOT	SOLADF	122
WRITE(9.1125) RADIUS	SOLADF	123
WRITE(9.1070) RG	SOLADF	124
WRITE(9.1045) ROL	SOLADF	125
WRITE(9.1065) RPIPE	SOLADF	126
WRITE(9.1060) SGWN	SOLADF	127
WRITE(9.1105) TC	SOLADF	128
WRITE(9.1040) THC	SOLADF	129
WRITE(9.1140) THIN	SOLADF	130
WRITE(9.1135) TIN	SOLADF	131
WRITE(9.965) TWF IN	SOLADF	132
WRITE(9.950) UI	SOLADF	133
WRITE(9.960) VELMX	SOLADF	134
WRITE(9.955) VI	SOLADF	135
WRITE(9.1080) VISL	SOLADF	136
WRITE(9.1075) VISV	SOLADF	137
WRITE(9.1005) WB	SOLADF	138
WRITE(9.990) WL	SOLADF	139
WRITE(9.995) WR	SOLADF	140
WRITE(9.1000) WT	SOLADF	141
880 FORMAT(10X, 10H DIM= ,1PE12.5)	SOLADF	142
890 FORMAT(10X, 10H DELTMX= ,1PE12.5)	SOLADF	143
900 FORMAT(10X, 10H IBAR= ,15)	SOLADF	144
905 FORMAT(10X, 10H JBAR= ,15)	SOLADF	145
910 FORMAT(10X, 10H DELX= ,1PE12.5)	SOLADF	146
915 FORMAT(10X, 10H DELY= ,1PE12.5)	SOLADF	147
920 FORMAT(10X, 10H DELT= ,1PE12.5)	SOLADF	148
930 FORMAT(10X, 10H CYL= ,1PE12.5)	SOLADF	149
935 FORMAT(10X, 10H EPSI= ,1PE12.5)	SOLADF	150
940 FORMAT(10X, 10H GX= ,1PE12.5)	SOLADF	151
945 FORMAT(10X, 10H OY= ,1PE12.5)	SOLADF	152
950 FORMAT(10X, 10H UI= ,1PE12.5)	SOLADF	153
955 FORMAT(10X, 10H VI= ,1PE12.5)	SOLADF	154
960 FORMAT(10X, 10H VELMX= ,1PE12.5)	SOLADF	155
965 FORMAT(10X, 10H TWF IN= ,1PE12.5)	SOLADF	156
970 FORMAT(10X, 10H PRTOT= ,1PE12.5)	SOLADF	157
975 FORMAT(10X, 10H PLTOT= ,1PE12.5)	SOLADF	158
980 FORMAT(10X, 10H OMG= ,1PE12.5)	SOLADF	159
985 FORMAT(10X, 10H ALPHA= ,1PE12.5)	SOLADF	160
990 FORMAT(10X, 10H WL= ,15)	SOLADF	161
995 FORMAT(10X, 10H WR= ,15)	SOLADF	162
1000 FORMAT(10X, 10H WT= ,15)	SOLADF	163
1005 FORMAT(10X, 10H WB= ,15)	SOLADF	164
1010 FORMAT(10X, 10H GAM1= ,1PE12.5)	SOLADF	165
1015 FORMAT(10X, 10H ASQ= ,1PE12.5)	SOLADF	166
1020 FORMAT(10X, 10H IMP= ,1PE12.5)	SOLADF	167
1025 FORMAT(10X, 10H ETEM= ,1PE12.5)	SOLADF	168
1028 FORMAT(10X, 10H PBC= ,1PE12.5)	SOLADF	169
1030 FORMAT(10X, 10H DFVEL= ,1PE12.5)	SOLADF	170
1035 FORMAT(10X, 10H PHCH= ,1PE12.5)	SOLADF	171
1040 FORMAT(10X, 10H THC= ,1PE12.5)	SOLADF	172
1045 FORMAT(10X, 10H ROL= ,1PE12.5)	SOLADF	173
1050 FORMAT(10X, 10H BUEN= ,1PE12.5)	SOLADF	174

532 272

POOR ORIGINAL

1055	FORMAT(10X, 10H	CDG=	,1PE12.5)	SOLADF	175
1060	FORMAT(10X, 10H	SGWN=	,1PE12.5)	SOLADF	176
1065	FORMAT(10X, 10H	RPIPE=	,1PE12.5)	SOLADF	177
1070	FORMAT(10X, 10H	RG=	,1PE12.5)	SOLADF	178
1075	FORMAT(10X, 10H	VISV=	,1PE12.5)	SOLADF	179
1080	FORMAT(10X, 10H	VISL=	,1PE12.5)	SOLADF	180
1085	FORMAT(10X, 10H	CHV=	,1PE12.5)	SOLADF	181
1090	FORMAT(10X, 10H	CHL=	,1PE12.5)	SOLADF	182
1095	FORMAT(10X, 10H	ECV=	,1PE12.5)	SOLADF	183
1100	FORMAT(10X, 10H	ECL=	,1PE12.5)	SOLADF	184
1105	FORMAT(10X, 10H	TC=	,1PE12.5)	SOLADF	185
1110	FORMAT(10X, 10H	EDV=	,1PE12.5)	SOLADF	186
1115	FORMAT(10X, 10H	EDL=	,1PE12.5)	SOLADF	187
1120	FORMAT(10X, 10H	ELHT=	,1PE12.5)	SOLADF	188
1125	FORMAT(10X, 10H	RADIUS=	,1PE12.5)	SOLADF	189
1130	FORMAT(10X, 10H	PIN=	,1PE12.5)	SO'ADF	190
1135	FORMAT(10X, 10H	TIN=	,1PE12.5)	SOLADF	191
1140	FORMAT(10X, 10H	THIN=	,1PE12.5)	SOLADF	192
	5	FORMAT(6X, 1H1, 7X, 1HJ, 12X, 2HJD, 17X, 2HVD, 18X, 2HRV)		SOLADF	193
	10	FORMAT(5X, 12.6X, 12.5X, 1PE12.5, 6X, E12.5, 6X, E12.5)		SOLADF	194
	35	FORMAT(1H1)		SOLADF	195
901	FORMAT(1H1, 10A10, //)			SOLADF	196
44	FORMAT(6X, 7HCYCLE=	,15, 8X, 4HTD=	,1PE12.5, 8X, 4HT2=	SOLADF	197
	19X, 5HITER=	,15)		SO'ADF	198
45	FORMAT(10A8)			S'ADF	199
46	FORMAT(1H+, 80X, 2HT=	,1PE10.3, 4X, 6HCYCLE=	,14)	ADF	200
47	FORMAT(6X, 1H1, 4X, 1HJ, 12X	1HJ, 12X, 1HV, 17X, 1HP, 14X, 2HRO, 14X, 2HTH,		ADF	201
	114X, 3HTEM)			SOLADF	202
48	FORMAT(5X, 12.3X, 12.5X, 1PE12.5, 3X, E12.5, 3X, E12.5, 3X, E12.5, 3X, E12.5,			SOLADF	203
	15X, E12.5)			SOLADF	204
49	FORMAT(2X, 6HITER=	,15, 3X, 6HTIME=	,1PE12.5, 3X, 7HCYCLE=	SOLADF	205
	14,	14X, 6HDELTA=	,E12.5, 4X, 3HF=	SOLADF	205
		,E12.5, 4X, 4HF1=	,E12.5)	SOLADF	207
C	COMPUTE CONSTANT TERMS			SOLADF	208
	IMAX=IBAR+2			SOLADF	209
	JMAX=JBAR+2			SOLADF	210
	IM1=IMAX-1			SOLADF	211
	JM1=JMAX-1			SOLADF	212
	JM2=JMAX-2			SOLADF	213
	IM2=IMAX-2			SOLADF	214
	RDX=1.0/DELX			SOLADF	215
	RDY=1.0/DELY			SOLADF	216
C	CONTOUR PLOT, SETTING UP VARIABLE VALUES			SOLADF	217
	XC(1)=0.0			SOLADF	218
	DO 15 I=2, IM1			SOLADF	219
	XC(I)=DELX*(FLOAT(I)-1.5)			SOLADF	220
15	CONTINUE			SOLADF	221
	MNX=-IBAR			SOLADF	222
	YC(1)=0.0			SOLADF	223
	DO 20 J=2, JM1			SOLADF	224
	YC(J)=DELY*(FLOAT(J)-1.5)			SOLADF	225
20	CONTINUE			SOLADF	226
	MNY=-JBAR			SOLADF	227
	NZX=27			SOLADF	228
	NTY=82			SOLADF	229
	NL=10			SOLADF	230
	ZMN=-1.0			SOLADF	231
	ZMX=-1.0			SOLADF	232
	DLZ=0.0			SOLADF	232

POOR ORIGINAL

552 273

ZC=1.0	SOL ADF	233
DMPX=DELX*(FLOAT(1BAR))	SOL ADF	234
DMPY=DELY*(FLOAT(1BAR))	SOL ADF	235
IGRD=0.0	SOL ADF	236
NTITLE=.0	SOL ADF	237
XLABEL=1HX	SOL ADF	238
YLABEL=1HY	SOL ADF	239
NXLBL=1	SOL ADF	240
NYLBL=1	SOL ADF	241
LONG=1BAR*DELX,	SOL ADF	242
HIGH=1BAR*DELY	SOL ADF	243
IYB=916	SOL ADF	244
IF(LONG.LE.(1.13556*HIGH))GO TO 30	SOL ADF	245
IXL=0	SOL ADF	246
IXR=1022	SOL ADF	247
IYT=916-HIGH*1022/LONG	SOL ADF	248
GO TO 33	SOL ADF	249
30 X=LONG*.50/HIGH	SOL ADF	250
IXL=511-X	SOL ADF	251
IXR=511+X	SOL ADF	252
IYT=16	SOL ADF	253
33 CONTINUE	SOL ADF	254
VELMX)=AMIN1(DELX,DELY)/VELMX	SOL ADF	255
C INITIALIZE NUMERICAL CONSTANTS	SOL ADF	256
TWRPT=0.	SOL ADF	257
TWPLT=0.	SOL ADF	258
T=0.	SOL ADF	259
ITER=0	SOL ADF	260
CYCLE=0	SOL ADF	261
NEX=0	SOL ADF	262
IPL=2	SOL ADF	263
IF(WL.EQ.5)IPL=3	SOL ADF	264
IPR=1/1	SOL ADF	265
IF(WR.EQ.5)IPR=1/1-1	SOL ADF	266
JPB=2	SOL ADF	267
IF(WB.EQ.5)JPB=3	SOL ADF	268
JPT=J/1	SOL ADF	269
IF(WT.EQ.5)JPT=J/1-1	SOL ADF	270
C INITIALIZE PHYSICAL CONSTANTS	SOL ADF	271
IF(DIM.LT.1.5)DELX=1.0E+10	SOL ADF	272
ETEM1=1.0-ETEM	SOL ADF	273
THC1=1.0-THC	SOL ADF	274
PNV=BUBN*4.1868	SOL ADF	275
TC2=2.0*TC	SOL ADF	276
C INITIALIZE AREAS	SOL ADF	277
DO 53 J=1,JMAX	SOL ADF	278
DO 53 I=1,IJMAX	SOL ADF	279
A(I,J)=1.0-CYL*CYL*(RADIUS+DELX*(FLOAT(I)-1.5))	SOL ADF	280
IF(I.EQ.1.AND.WL.LT.3)A(I,J)=0.0	SOL ADF	281
IF(I.EQ.IJMAX.AND.WR.LT.3)A(I,J)=0.0	SOL ADF	282
IF(J.EQ.1.AND.WB.LT.3)A(I,J)=0.0	SOL ADF	283
IF(J.EQ.IJMAX.AND.WT.LT.3)A(I,J)=0.0	SOL ADF	284
53 CONTINUE	SOL ADF	285
C DEFINE SPECIAL AREAS	SOL ADF	286
READ(10,210) NO	SOL ADF	287
210 FORMAT(4I5)	SOL ADF	288
IF(NO.LE.0)GO TO 216	SOL ADF	289
DO 215 K=1,NO	SOL ADF	290

POOR ORIGINAL

532 274

READ(10,210) 1B08,1E08,J808,JE08	SOLADF	291
DO 211 J=J808,JE08	SOLADF	292
DO 211 I=1B08,1E08	SOLADF	293
211 A(I,J)=0.0	SOLADF	294
215 CONTINUE	SOLADF	295
216 CONTINUE	SOLADF	296
WRITE(9,220)	SOLADF	297
220 FORMAT(1H1,12H AREA ARRAY)	SOLADF	298
DO 230 J=1,JMAX	SOLADF	299
JJ=JMAX+1-J	SOLADF	300
230 WRITE(9,225)(A(I,JJ),I=1,IMAX)	SOLADF	301
225 FORMAT(1H ,12(1X,1PE9.2))	SOLADF	302
WRITE(9,235)	SOLADF	303
235 FORMAT(1H1)	SOLADF	304
C INITIALIZE VARIABLES	SOLADF	305
DO 36 J=1,JMAX	SOLADF	306
DO 56 I=1,IMAX	SOLADF	307
U(I,J)=U	SOLADF	308
V(I,J)=V	SOLADF	309
UD(I,J)=VD(I,J)=0.0	SOLADF	310
IF (THIN.LT.THC)GO TO 38	SOLADF	311
IF (THIN.LT.THC)GO TO 36	SOLADF	312
C VAPOR STATE (P,T)	SOLADF	313
TH=THIN	SOLADF	314
EVT=EVCAL(TIN)	SOLADF	315
RV(I,J)=RVIV=TH*PIN/(GAM)*EVT	SOLADF	316
RO(I,J)=ROIV=RV(I,J)+(1.0-TH)*ROL	SOLADF	317
E(I,J)=EIV=(RV(I,J)*EVT+(RO(I,J)-RV(I,J))*ELCAL(TIN))/	SOLADF	318
IRO(I,J)	SOLADF	319
GO TO 40	SOLADF	320
36 CONTINUE	SOLADF	321
TSAT=SATT(PIN)	SOLADF	322
EVSAT=EVCAL(TSAT)	SOLADF	323
IF (THIN.LT.THC)GO TO 38	SOLADF	324
C SATURATED STATE (P,TH)	SOLADF	325
RV12=RV(I,J)*THIN*PIN/(GAM)*EVSAT	SOLADF	326
RO12=RO(I,J)*RV(I,J)+(1.0-THIN)*ROL	SOLADF	327
E12=E(I,J)=(RV(I,J)*EVSAT+(1.0-THIN)*ROL*ELCAL(TSAT))/RO(I,J)	SOLADF	328
GO TO 40	SOLADF	329
38 CONTINUE	SOLADF	330
C LIQUID STATE (P,T)	SOLADF	331
EVSAT=EVCAL(TIN)	SOLADF	332
PSAT=SATP(TIN)	SOLADF	333
RV(I,J)=RVIL=THC*PSAT/(GAM)*EVSAT	SOLADF	334
TH=(PSAT-PIN)/(ASQ*ROL)+THC	SOLADF	335
RO(I,J)=ROIL=RV(I,J)+(1.0-TH)*ROL	SOLADF	336
E(I,J)=EIL=(RV(I,J)*EVSAT+(1.0-TH)*ROL*ELCAL(TIN))/RO(I,J)	SOLADF	337
40 CONTINUE	SOLADF	338
ET=E(I,J)	SOLADF	339
ROT=RO(I,J)	SOLADF	340
RVT=RV(I,J)	SOLADF	341
II=I	SOLADF	342
JJ=J	SOLADF	343
CALL EOS	SOLADF	344
P(I,J)=PT	SOLADF	345
56 CONTINUE	SOLADF	346
CALL BC	SOLADF	347
GO TO 502	SOLADF	348

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C      START CYCLE
59     CONTINUE
      TER=0
      FLG=IMP
      PMAX=0.0
C      COMPUTE TEMPERARY U AND V
      DO 70 J=2,JM1
      DO 70 I=2,IM1
      U(I,J)=0.0
      AUB=2.0*A(I,J)*A(I+1,J)
      IF(AUB.EQ.0.0)GO TO 60
      AUBR=(A(I,J)+A(I+1,J))/AUB
      FUX=0.5*RODX*(UN(I,J)*(UN(I+1,J)-UN(I-1,J))
1-ALPHA*ABS(UN(I,J))*(UN(I+1,J)-2.0*UN(I,J)+UN(I-1,J)))
      FUY=RDY/8.0*(VN(I,J)+VN(I+1,J)+VN(I,J-1)+VN(I+1,J-1))
1*(UN(I,J+1)-UN(I,J-1))
2-ALPHA*ABS(VN(I,J)+VN(I+1,J)+VN(I,J-1)+VN(I+1,J-1))
3*(UN(I,J+1)-2.0*UN(I,J)+UN(I,J-1))
      VDT=0.5*(VD(I,J)+VD(I+1,J))*(A(I,J)+A(I,J+1))/(A(I,J)+A(I,J+1))+
1A(I+1,J)*A(I+1,J+1)/(A(I+1,J)+A(I+1,J+1))
      VDB=0.5*(VD(I,J-1)+VD(I+1,J-1))*(A(I,J)+A(I,J-1))/(A(I,J)+
1A(I,J-1))+A(I+1,J)*A(I+1,J-1)/(A(I+1,J)+A(I+1,J-1))
      RUR=0.5*RVN(I+1,J)*(RON(I+1,J)-RVN(I+1,J))/RO(I+1,J)-
1(UD(I,J)+UD(I+1,J))*A(I+1,J)
      RUL=0.5*RVN(I,J)*(RON(I,J)-RVN(I,J))/RON(I,J)*(UD(I-1,J)+UD(I,J))
1*A(I,J)
      RUC=0.5*UD(I,J)*(RVN(I,J)*(RON(I,J)-RVN(I,J))/RON(I,J)+RVN(I+1,J)*
1(RON(I+1,J)-RVN(I+1,J))/RON(I+1,J))
      RUT=0.5*UD(I,J+1)*(RVN(I,J+1)*(RON(I,J+1)-RVN(I,J+1))/RON(I,J+1)+
1RVN(I+1,J+1)*(RON(I+1,J+1)-RVN(I+1,J+1))/RON(I+1,J+1))
      RUB=0.5*UD(I,J-1)*(RVN(I,J-1)*(RON(I,J-1)-RVN(I,J-1))/RON(I,J-1)+
1RVN(I+1,J-1)*(RON(I+1,J-1)-RVN(I+1,J-1))/RON(I+1,J-1))
      FDU=AUBR*(RODX*(RUR*(UD(I,J)+UD(I+1,J))+ALPHA*ABS(RUR)*(UD(I,J)-
1UD(I+1,J))-RUL*(UD(I-1,J)+UD(I,J))-ALPHA*ABS(RUL)*(UD(I-1,J)-
2UD(I,J))+RDY*(VDT*(RUC+RUT)+ALPHA*ABS(VDT)*(RUC-RUT)-
3VDB*(RUB+RUC)-ALPHA*ABS(VDB)*(RUB-RUC)))/(RO(I,J)+RO(I+1,J))
      VISX=0.0
      U(I,J)=UN(I,J)+DELT*(2.0*(P(I,J)-P(I+1,J))*RODX/(RO(I,J)+RO(I+1,J))
1+GX-FUX-FUY+VISX-FDU)
60     CONTINUE
      V(I,J)=0.0
      AVB=2.0*A(I,J)*A(I,J+1)
      IF(AVB.EQ.0.0)GO TO 65
      AVBR=(A(I,J)+A(I,J+1))/AVB
      FVX=RODX/8.0*(UN(I-1,J+1)+UN(I,J+1)+UN(I-1,J)+UN(I,J))*
1(VN(I+1,J)-VN(I-1,J))-
2ALPHA*ABS(UN(I-1,J+1)+UN(I,J+1)+UN(I-1,J)+UN(I,J))*
3(VN(I+1,J)-2.0*VN(I,J)+VN(I-1,J))
      FVY=0.5*RDY*(VN(I,J)*(VN(I,J+1)-VN(I,J-1))-
1ALPHA*ABS(VN(I,J))*(VN(I,J+1)-2.0*VN(I,J)+VN(I,J-1))
      UDR=0.5*(UD(I,J)+UD(I,J+1))*(A(I,J)+A(I+1,J))/(A(I,J)+A(I+1,J))
1+A(I+1,J)*A(I+1,J+1)/(A(I+1,J)+A(I+1,J+1))
      UDL=0.5*(UD(I-1,J)+UD(I-1,J+1))*(A(I,J)+A(I-1,J))/(A(I,J)+A(I-1,J))
1+A(I+1,J)*A(I-1,J+1)/(A(I+1,J)+A(I-1,J+1))
      RVT=0.5*RVN(I,J+1)*(RON(I,J+1)-RVN(I,J+1))/RON(I,J+1)*(VD(I,J)+
1VD(I,J+1))*A(I,J+1)
      RVB=0.5*RVN(I,J)*(RON(I,J)-RVN(I,J))/RON(I,J)*(VD(I,J-1)+VD(I,J))
1*A(I,J)

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532 276

POOR ORIGINAL

	RVR=0.5*VD(I+1,J)*(RVN(I+1,J)*(RON(I+1,J)-RVN(I+1,J))/RON(I+1,J)+	SOLADF	407
	(RVN(I+1,J+1)*(RON(I+1,J+1)-RVN(I+1,J+1))/RON(I+1,J+1))	SOLADF	408
	RVC=0.5*VD(I,J)*(RVN(I,J)*(RON(I,J)-RVN(I,J))/RON(I,J)+RVN(I,J+1)*	SOLADF	409
	(RON(I,J+1)-RVN(I,J+1))/RON(I,J+1))	SOLADF	410
	RVL=0.5*VD(I-1,J)*(RVN(I-1,J)*(RON(I-1,J)-RVN(I-1,J))/RON(I-1,J)+	SOLADF	411
	(RVN(I-1,J+1)*(RON(I-1,J+1)-RVN(I-1,J+1))/RON(I-1,J+1))	SOLADF	412
	FDV=AVBR*(RDX*(UDR*(RVC+RVR)+ALPHA*ABS(UDR)*(RVC-RVR)-UDL*(RVL+RVC	SOLADF	413
)-ALPHA*ABS(UDL)*(RVL-RVC))+RDY*(RVT*(VD(I,J)+VD(I,J+1))+	SOLADF	414
	2ALPHA*ABS(RVT)*(VD(I,J)-VD(I,J+1))-RVB*(VD(I,J-1)+VD(I,J))-	SOLADF	415
	3ALPHA*ABS(RVB)*(VD(I,J-1)-VD(I,J)))/(RON(I,J)+RON(I,J+1))	SOLADF	416
	VISY=0.0	SOLADF	417
	V(I,J)=VN(I,J)+DELTA*(2.0*(P(I,J)-P(I,J+1))*RDY/(RO(I,J)+RO(I,J+1))	SOLADF	418
	+GY-FVX-FVY+V(SY-FDV)	SOLADF	419
65	CONTINUE	SOLADF	420
C	ADD PIPE FRICTION	SOLADF	421
	IF(RPIPE.EQ.0.0.OR.DIM.GT.1.5)GO TO 70	SOLADF	422
	II=1	SOLADF	423
	JJ=J	SOLADF	424
	CALL PFRIC	SOLADF	425
70	CONTINUE	SOLADF	426
	CALL BC	SOLADF	427
250	CONTINUE	SOLADF	428
C	HAS CONVERGENCE BEEN REACHED	SOLADF	429
	IF(FLG.EQ.0.100 TO 400	SOLADF	430
	ITER=ITER+1	SOLADF	431
	IF(ITER.LT.50)GO TO 255	SOLADF	432
	NEX=NEX+1	SOLADF	433
	IF(NEX.LT.1000) GO TO 400	SOLADF	434
	T=10000000000.0	SOLADF	435
	GO TO 502	SOLADF	436
C	COMPUTE UPDATED CELL VELOCITIES U,V	SOLADF	437
255	CONTINUE	SOLADF	438
	CALL PITER	SOLADF	439
	CALL BC	SOLADF	440
	GO TO 250	SOLADF	441
400	CONTINUE	SOLADF	442
C	COMPUTE UPDATED QUANTITIES RO, E, RV	SOLADF	443
	DO 4500 J=2,JM1	SOLADF	444
	DO 4500 I=2,IM1	SOLADF	445
	IF(A(I,J).EQ.0.0)GO TO 4500	SOLADF	446
	ABR=2.0*A(I,J)*A(I+1,J)/(A(I,J)+A(I+1,J))	SOLADF	447
	ABL=2.0*A(I,J)*A(I-1,J)/(A(I,J)+A(I-1,J))	SOLADF	448
	ABT=2.0*A(I,J)*A(I,J+1)/(A(I,J)+A(I,J+1))	SOLADF	449
	ABB=2.0*A(I,J)*A(I,J-1)/(A(I,J)+A(I,J-1))	SOLADF	450
C	DENSITY EQUATION	SOLADF	451
	ULR=U(I,J)-UD(I,J)*(RVN(I,J)+RVN(I+1,J))/(RON(I,J)+RON(I+1,J))	SOLADF	452
	ULL=U(I-1,J)-UD(I-1,J)*(RVN(I-1,J)+RVN(I,J))/(RON(I-1,J)+RON(I,J))	SOLADF	453
	ULT=V(I,J)-VD(I,J)*(RVN(I,J)+RVN(I,J+1))/(RON(I,J)+RON(I,J+1))	SOLADF	454
	ULB=V(I,J-1)-VD(I,J-1)*(RVN(I,J-1)+RVN(I,J))/(RON(I,J-1)+RON(I,J))	SOLADF	455
	UVR=U(I,J)+UD(I,J)*(RON(I,J)+RON(I+1,J)-RVN(I,J)-RVN(I+1,J))/	SOLADF	456
	(RON(I,J)+RON(I+1,J))	SOLADF	457
	UVL=U(I-1,J)+UD(I-1,J)*(RON(I-1,J)+RON(I,J)-RVN(I-1,J)-RVN(I,J))/	SOLADF	458
	(RON(I-1,J)+RON(I,J))	SOLADF	459
	UVT=V(I,J)+VD(I,J)*(RON(I,J)+RON(I,J+1)-RVN(I,J)-RVN(I,J+1))/	SOLADF	460
	(RON(I,J)+RON(I,J+1))	SOLADF	461
	UVB=V(I,J-1)+VD(I,J-1)*(RON(I,J-1)+RON(I,J)-RVN(I,J-1)-RVN(I,J))/	SOLADF	462
	(RON(I,J-1)+RON(I,J))	SOLADF	463
	FLR=(ULR*(RON(I,J)-RVN(I,J))+RON(I+1,J)-RVN(I+1,J))+ALPHA*ABS(ULR)*	SOLADF	464

	(RON(I,J)-RVN(I,J)-RON(I+1,J)+RVN(I+1,J))*ABR	SOL ADF	465
	FLL=(ULL*(RON(I-1,J)-RVN(I-1,J)+RON(I,J)-RVN(I,J))+ALPHA*ABS(ULL))*	SOL ADF	466
	(RON(I-1,J)-RVN(I-1,J)-RON(I,J)+RVN(I,J))*ABL	SOL ADF	467
	FLT=(ULT*(RON(I,J)-RVN(I,J)+RON(I,J+1)-RVN(I,J+1))+ALPHA*ABS(ULT))*	SOL ADF	468
	(RON(I,J)-RVN(I,J)-RON(I,J+1)+RVN(I,J+1))*ABT	SOL ADF	469
	FLB=(ULB*(RON(I,J-1)-RVN(I,J-1)+RON(I,J)-RVN(I,J))+ALPHA*ABS(ULB))*	SOL ADF	470
	(RON(I,J-1)-RVN(I,J-1)-RON(I,J)+RVN(I,J))*ABB	SOL ADF	471
	FVR=(UVR*(RVN(I,J)+RVN(I+1,J))+ALPHA*ABS(UVR))*(RVN(I,J)-	SOL ADF	472
	RVN(I+1,J))*ABR	SOL ADF	473
	FVL=(UVL*(RVN(I-1,J)+RVN(I,J))+ALPHA*ABS(UVL))*(RVN(I-1,J)-	SOL ADF	474
	RVN(I,J))*ABL	SOL ADF	475
	FVT=(UVT*(RVN(I,J)+RVN(I,J+1))+ALPHA*ABS(UVT))*(RVN(I,J)-	SOL ADF	476
	RVN(I,J+1))*ABT	SOL ADF	477
	FVB=(UVB*(RVN(I,J-1)+RVN(I,J))+ALPHA*ABS(UVB))*(RVN(I,J-1)-	SOL ADF	478
	RVN(I,J))*ABB	SOL ADF	479
C	UPDATE RO	SOL ADF	480
	RO(I,J)=RON(I,J)-0.5*DELT*((FLR+FVR-FLL-FVL)*RDX+(FLT+FVT-FLB-	SOL ADF	481
	FVB)*RDY)/A(I,J)	SOL ADF	482
C	ENERGY EQUATION	SOL ADF	483
	ROEC=RON(I,J)*EN(I,J)	SOL ADF	484
	ROER=RON(I+1,J)*EN(I+1,J)	SOL ADF	485
	ROEL=RON(I-1,J)*EN(I-1,J)	SOL ADF	486
	ROET=RON(I,J+1)*EN(I,J+1)	SOL ADF	487
	ROEB=RON(I,J-1)*EN(I,J-1)	SOL ADF	488
	IF(ETEM.GT.0.5)GO TO 425	SOL ADF	489
	TVC=SATT(P(I,J))	SOL ADF	490
	TVF=SATT(P(I+1,J))	SOL ADF	491
	TVL=SATT(P(I-1,J))	SOL ADF	492
	TVT=SATT(P(I,J+1))	SOL ADF	493
	TVB=SATT(P(I,J-1))	SOL ADF	494
	GO TO 410	SOL ADF	495
425	TVC=TC+(ROEC-RON(I,J)*ECL-RVN(I,J)*(ECV-ECL))/(RON(I,J)*CHL*	SOL ADF	496
	RVN(I,J)* CHV-CHL)	SOL ADF	497
	TVR=TC+(ROER-RON(I+1,J)*ECL-RVN(I+1,J)*(ECV-ECL))/(RON(I+1,J)*	SOL ADF	498
	CHL+RVN(I+1,J)* CHV-CHL)	SOL ADF	499
	TVL=TC+(ROEL-RON(I-1,J)*ECL-RVN(I-1,J)*(ECV-ECL))/(RON(I-1,J)*	SOL ADF	500
	CHL+RVN(I-1,J)* CHV-CHL)	SOL ADF	501
	TVT=TC+(ROET-RON(I,J+1)*ECL-RVN(I,J+1)*(ECV-ECL))/(RON(I,J+1)*	SOL ADF	502
	CHL+RVN(I,J+1)* CHV-CHL)	SOL ADF	503
	TVB=TC+(ROEB-RON(I,J-1)*ECL-RVN(I,J-1)*(ECV-ECL))/(RON(I,J-1)*	SOL ADF	504
	CHL+RVN(I,J-1)* CHV-CHL)	SOL ADF	505
430	CONTINUE	SOL ADF	506
	REVC=RVN(I,J)*EVCAL(TVC)	SOL ADF	507
	REVR=RVN(I+1,J)*EVCAL(TVR)	SOL ADF	508
	REVL=RVN(I-1,J)*EVCAL(TVL)	SOL ADF	509
	REVT=RVN(I,J+1)*EVCAL(TVT)	SOL ADF	510
	REVB=RVN(I,J-1)*EVCAL(TVB)	SOL ADF	511
	RELC=ROEC-REVC	SOL ADF	512
	RELR=ROER-REVR	SOL ADF	513
	RELL=ROEL-REVL	SOL ADF	514
	RELT=ROET-REVT	SOL ADF	515
	RELB=ROEB-REVB	SOL ADF	516
	FRER=0.5*(UVR*(REVC+REVR)+ALPHA*ABS(UVR))*(REVC-REVR)	SOL ADF	517
	+ ULR*(RELC+RELR)+ALPHA*ABS(ULR)*(RELC-RELR))*ABR	SOL ADF	518
	FREL=0.5*(UVL*(REVL+REVC)+ALPHA*ABS(UVL))*(REVL-REVC)+ULL*	SOL ADF	519
	RELL+RELC)+ALPHA*ABS(ULL)*(RELL-RELC))*ABL	SOL ADF	520
	FRET=0.5*(UVT*(REVC+REVT)+ALPHA*ABS(UVT))*(REVC-REVT)+ULT*(RELC+	SOL ADF	521
	RELT)+ALPHA*ABS(ULT)*(RELC-RELT))*ABT	SOL ADF	522

POOR ORIGINAL

	FREB=0.5*(UVB*(REVB+REVC)+ALPHA*ABS(UVB)*(REVB-REVC)+ULB*(RELB+RELC)+ALPHA*ABS(ULB)*(RELB-RELC))*ABB	SOLADF	523
	FEL=(ROX*(FRER-FRFL)+RDY*(FRET-FREB))/A(I,J)	SOLADF	524
	FPW=-P(I,J)*(ABR*U(I,J)-ABL*U(I-1,J))*ROX*(ABT*V(I,J)+ABB*V(I,J-1))*RDY)/A(I,J)	SOLADF	525
	TH=(ROL+RVN(I,J)-RON(I,J))/ROL	SOLADF	526
	TH=AMAXI(TH,THC)	SOLADF	527
	TH=AMINI(TH,THC)	SOLADF	528
	THI=TH	SOLADF	529
	IF(THI.GT.0.5)THI=1.0-THI	SOLADF	530
440	RB=(THI/PNV)**0.333	SOLADF	531
	CKN=0.5*COG*((UD(I,J)+UD(I-1,J))*2+(VD(I,J)+VD(I,J-1))*2)**0.5	SOLADF	532
	I*12.0*VISV/RB	SOLADF	533
	FDIS=0.25*CKN*(0.375*THI/RB)*((UD(I,J)+UD(I-1,J))*2+(VD(I,J)+VD(I,J-1))*2)*RO(I,J)	SOLADF	534
	FDP=-P(I,J)*(((RVN(I,J)+RVN(I+1,J)-RON(I,J)-RON(I+1,J)+12.0*ROL)/(ROL*2.0)-(RVN(I,J)+RVN(I+1,J))/(RON(I,J)+RON(I+1,J)))*ABR*	SOLADF	535
	2*UD(I,J)-((RVN(I-1,J)+RVN(I,J)-RON(I-1,J)-RON(I,J)+2.0*ROL)/(2.0*3*ROL)-(RVN(I-1,J)+RVN(I,J))/(RON(I-1,J)+RON(I,J)))*UD(I-1,J)	SOLADF	536
	3*ABL)/DELT	SOLADF	537
	4*((RVN(I,J)+RVN(I,J+1)-RON(I,J)-RON(I,J+1)+2.0*ROL)/(2.0*ROL)	SOLADF	538
	5-(RVN(I,J)+RVN(I,J+1))/(RON(I,J)+RON(I,J+1))*VD(I,J)*ABT	SOLADF	539
	5-(RVN(I,J-1)	SOLADF	540
	5+RVN(I,J)-	SOLADF	541
	6*RON(I,J-1)-RON(I,J)+2.0*ROL)/(2.0*ROL)-(RVN(I,J-1)+RVN(I,J))/	SOLADF	542
	7*(RON(I,J-1)+RON(I,J))*VD(I,J-1)*ABB)/DELT)/A(I,J)	SOLADF	543
C	ENERGY DIFFUSION	SOLADF	544
	TEM=EN(I,J)	SOLADF	545
	TEMR=EN(I+1,J)	SOLADF	546
	TEML=EN(I-1,J)	SOLADF	547
	TEMT=EN(I,J+1)	SOLADF	548
	TEMB=EN(I,J-1)	SOLADF	549
	THR=(ROL+RVN(I+1,J)-RON(I+1,J))/ROL	SOLADF	550
	THR=AMAXI(THR,THC)	SOLADF	551
	THR=AMINI(THR,THC)	SOLADF	552
	THL=(ROL+RVN(I-1,J)-RON(I-1,J))/ROL	SOLADF	553
	THL=AMAXI(THL,THC)	SOLADF	554
	THL=AMINI(THL,THC)	SOLADF	555
	THT=(ROL+RVN(I,J+1)-RON(I,J+1))/ROL	SOLADF	556
	THT=AMAXI(THT,THC)	SOLADF	557
	THT=AMINI(THT,THC)	SOLADF	558
	THB=(ROL+RVN(I,J-1)-RON(I,J-1))/ROL	SOLADF	559
	THB=AMAXI(THB,THC)	SOLADF	560
	THB=AMINI(THB,THC)	SOLADF	561
	EKR=0.5*(EDV*(TH+THR)+EDL*(2.0-TH-THR))*ABR	SOLADF	562
	EKT=0.5*(EDV*(TH+THT)+EDL*(2.0-TH-THT))*ABT	SOLADF	563
	EKL=0.5*(EDV*(TH+THL)+EDL*(2.0-TH-THL))*ABL	SOLADF	564
	EKB=0.5*(EDV*(TH+THB)+EDL*(2.0-TH-THB))*ABB	SOLADF	565
	DIFE=(ROX*ROX*(EKR*(TEMR-TEM)-EKL*(TEM-TEML))	SOLADF	566
	+RDY*RDY*(EKT*(TEMT-TEMB)-EKB*(TEM-TEMB))/A(I,J)	SOLADF	567
C	UPDATE ENERGY	SOLADF	568
	E(I,J)=(ROEC+DELT*(-FEC+FDIS+FDP+DIFE+FPW))/RO(I,J)	SOLADF	569
C	VAPOR DENSITY EQUATION	SOLADF	570
	RV(I,J)=RVN(I,J)-DELT*0.5*(FVR-FVL)*ROX*(FVT-FVB)+	SOLADF	571
	IRDY)/A(I,J)	SOLADF	572
	RV(I,J)=AMINI(RV(I,J),RO(I,J))	SOLADF	573
	RV(I,J)=AMAXI(RV(I,J),0.0)	SOLADF	574

POOR ORIGINAL

C	PHASE CHANGE	SOLADF	581
	IF(PHCH.LT.0.5)GO TO 4500	SOLADF	582
	II=I	SOLADF	583
	JJ=J	SOLADF	584
	CALL PHCHR	SOLADF	585
4500	CONTINUE	SOLADF	586
	CALL BC	SOLADF	587
4600	CONTINUE	SOLADF	588
C	COMPUTE DRIFT VELOCITY	SOLADF	589
	IF(DFVEL.LT.0.5)GO TO 502	SOLADF	590
	CALL DRIFT	SOLADF	591
500	CONTINUE	SOLADF	592
	CALL BC	SOLADF	593
502	CONTINUE	SOLADF	594
C	PRINT AND PLOT	SOLADF	595
	IF(T.GT.0.)GO TO 503	SOLADF	596
	CALL LINCNT(1)	SOLADF	597
	WRITE(12,45)	SOLADF	598
503	CONTINUE	SOLADF	599
C	DEFINE OUTPUT QUANTITY F AND F1	SOLADF	600
	F=0.0	SOLADF	601
	INZ=4	SOLADF	602
	J=20	SOLADF	603
	DO 505 I=2,5	SOLADF	604
505	F=F+RO(I,J)*V(I,J)*(FLOAT(I)-1.5)	SOLADF	605
	F=2.0*F/INZ**2	SOLADF	606
	F1=0.34264*P(5,11)+0.65736*P(5,12)	SOLADF	607
	WRITE(9,49)ITER,T,CYCLE,DELT,F,F1	SOLADF	608
	IF(CYCLE.LE.0)GO TO 510	SOLADF	609
	IF(T.LT.TWPLT)GO TO 560	SOLADF	610
	TWPLT=TWPLT+PLTDT	SOLADF	611
510	CONTINUE	SOLADF	612
C	FILM LONG PRINT	SOLADF	613
	CALL ADV(1)	SOLADF	614
	CALL LINCNT(3)	SOLADF	615
	WRITE(12,49)ITER,T,CYCLE,DELT,F,F1	SOLADF	616
	CALL LINCNT(4)	SOLADF	617
	WRITE(12,47)	SOLADF	618
	DO 525 J=2,JM1	SOLADF	619
	DO 525 I=2,IM1	SOLADF	620
	TH=(ROL-RO(I,J)+RV(I,J))/ROL	SOLADF	621
	D=RDY*(U(I,J)-U(I-1,J))+RDY*(V(I,J)-V(I,J-1))+CYL*(U(I,J)	SOLADF	622
	+U(I-1,J))/(2.*DELX*(FLOAT(I)-1.5))	SOLADF	623
	TSAT=SATT(P(I,J))	SOLADF	624
	EVT=EVCAL(TSAT)*ETEM1+ECV*ETEM	SOLADF	625
	TEM=TC+(RO(I,J)*(E(I,J)-ECL)-RV(I,J)*(EVT-ECL))/(RV(I,J)*(CHV*	SOLADF	626
	1ETEM-CHL)+RO(I,J)*CHL)	SOLADF	627
	WRITE(12,48) (I,J,U(I,J),V(I,J),P(I,J),RO(I,J),TH,TEM)	SOLADF	628
525	CONTINUE	SOLADF	629
	CALL ADV(1)	SOLADF	630
	CALL LINCNT(3)	SOLADF	631
	WRITE(12,49)ITER,T,CYCLE,DELT,F,F1	SOLADF	632
	CALL LINCNT(4)	SOLADF	633
	WRITE(12,5)	SOLADF	634
	DO 528 J=2,JM1	SOLADF	635
	DO 528 I=2,IM1	SOLADF	636
	WRITE(12,10) (I,J,UD(I,J),VD(I,J),RV(I,J))	SOLADF	637
528	CONTINUE	SOLADF	638

POOR ORIGINAL

532 280

C	VELOCITY VECTOR PLOT	SOLADF	639
	CALL ADV(1)	SOLADF	640
	CALL DGA(IXL,IXR,IYT,IYB,0.,LONG,HIGH,0.)	SOLADF	641
	CALL FRAME(IXL,IXR,IYT,IYB)	SOLADF	642
	CALL FRAME(IXL,IXR,IYT,IYB)	SOLADF	643
	CALL LINCNT(61)	SOLADF	644
	WRITE(12,45)	SOLADF	645
	CALL LINCNT(61)	SOLADF	646
	WRITE(12,46)T,CYCLE	SOLADF	647
	DO 530 J=2,JM1	SOLADF	648
	DO 530 I=2,IM1	SOLADF	649
	XCC=DELX*(FLOAT(I)-1.5)	SOLADF	650
	YCC=DELY*(FLOAT(J)-1.5)	SOLADF	651
	UVEC=(U(I-1,J)+U(I,J))*0.5*VELMX1+XCC	SOLADF	652
	VVEC=(V(I,J-1)+V(I,J))*0.5*VELMX1+YCC	SOLADF	653
	CALL CONVRT(UVEC,IUVEC,0.,LONG,IXL,IXR)	SOLADF	654
	CALL CONVRT(VVEC,JVVEC,HIGH,0.,IYT,IYB)	SOLADF	655
	CALL CONVRT(XCC,IXCC,0.,LONG,IXL,IXR)	SOLADF	656
	CALL CONVRT(YCC,JYCC,HIGH,0.,IYT,IYB)	SOLADF	657
	CALL DRV(IXCC,JYCC,IUVEC,JVVEC)	SOLADF	658
530	CONTINUE	SOLADF	659
C	CONTOURS PLOT STARTS	SOLADF	660
	NCO=0	SOLADF	661
532	NCO=NCO+1	SOLADF	662
	DO 545 I=1,IM1	SOLADF	663
	DO 545 J=1,JM1	SOLADF	664
	GO TO(533,534,535,536,537,560),NCO	SOLADF	665
533	Q(I,J)=RO(I+1,J+1)	SOLADF	666
	GO TO 540	SOLADF	667
534	Q(I,J)=E(I+1,J+1)	SOLADF	668
	GO TO 540	SOLADF	669
535	Q(I,J)=P(I+1,J+1)	SOLADF	670
	GO TO 540	SOLADF	671
536	Q(I,J)=RV(I+1,J+1)	SOLADF	672
	GO TO 540	SOLADF	673
537	Q(I,J)=(ROL+RV(I+1,J+1)-RO(I+1,J+1))/ROL	SOLADF	674
540	QL(I)=Q(I,J)	SOLADF	675
545	CONTINUE	SOLADF	676
	CALL LINCNT(61)	SOLADF	677
	WRITE(12,45)	SOLADF	678
	CALL LINCNT(61)	SOLADF	679
	WRITE(12,46)T,CYCLE	SOLADF	680
	GO TO (553,554,555,556,557),NCO	SOLADF	681
553	ITITLE(1)=10HRO CONTOUR	SOLADF	682
	GO TO 559	SOLADF	683
554	ITITLE(1)=9HE CONTOUR	SOLADF	684
	GO TO 559	SOLADF	685
555	ITITLE(1)=9HP CONTOUR	SOLADF	686
	GO TO 559	SOLADF	687
556	ITITLE(1)=10HRV CONTOUR	SOLADF	688
	GO TO 559	SOLADF	689
557	ITITLE(1)=9HVOID FRAC	SOLADF	690
559	CONTINUE	SOLADF	691
	IF(1BAR.GT.1)GO TO 5601	SOLADF	692
	CALL SPLOT(1,JBAR,YC(2),QL(2),42,1)	SOLADF	693
	GO TO 532	SOLADF	694
5601	CONTINUE	SOLADF	695
	CALL CONTRJB(XC(2),NNX,YC(2),NNY,Q,NZX,NZY,NC,ZMN,ZMX,DLZ,ZC,	SOLADF	696

1	IDMPX,DMPY,'GRD,ITITLE,NTITLE,XLABEL,NXLBL,YLABEL,NYLBL)	SOLADF	697
	GO TO 532	SOLADF	698
560	CONTINUE	SOLADF	699
C	LONG PRINT	SOLADF	700
	IF(CYCLE.LE.0) GO TO 565	SOLADF	701
	IF(T.LT.TWPRT)GO TO 580	SOLADF	702
	TWPRT=TWPRT+PRTOT	SOLADF	703
565	CONTINUE	SOLADF	704
	WRITE(9,35)	SOLADF	705
	WRITE(9,49)ITER,T,CYCLE,DELT,F,F1	SOLADF	706
	WRITE(9,47)	SOLADF	707
	DO 575 J=2,JM1	SOLADF	708
	DO 575 I=2,IM1	SOLADF	709
	TH=(ROL-RO(I,J)+RV(I,J))/ROL	SOLADF	710
	TSAT=SATT(P(I,J))	SOLADF	711
	EVT=EVCAL(TSAT)*ETEM1+ECV*ETEM	SOLADF	712
	TEM=TC +(RO(I,J)*(E(I,J)-ECL)-RV(I,J)*(EVT-ECL))/(RV(I,J)*(CHV*	SOLADF	713
	1ETEM-CHL)+RO(I,J)*CHL)	SOLADF	714
	WRITE(9,48)(I,J,U(I,J),V(I,J),P(I,J),RO(I,J),TH,TEM)	SOLADF	715
575	CONTINUE	SOLADF	716
C	SET THE ADVANCE TIME QUANTITIES INTO OLD ARRAYS	SOLADF	717
580	CONTINUE	SOLADF	718
	DO 600 J=1,JMAX	SOLADF	719
	DO 600 I=1,IMAX	SOLADF	720
	UN(I,J)=U(I,J)	SOLADF	721
	VN(I,J)=V(I,J)	SOLADF	722
	RON(I,J)=ROT+RO(I,J)	SOLADF	723
	RVN(I,J)=RVT+RV(I,J)	SOLADF	724
	EN(I,J)=ET=E(I,J)	SOLADF	725
	IF(IMP.GT.0.5)GO TO 600	SOLADF	726
	II=I	SOLADF	727
	JJ=J	SOLADF	728
	CALL EOS	SOLADF	729
	P(I,J)=PT	SOLADF	730
600	CONTINUE	SOLADF	731
C	ADJUST TIME STEP	SOLADF	732
	CALL TSTEP	SOLADF	733
C	ADVANCE TIME T=T+DELT	SOLADF	734
	IF(T.GT.TWFIN)GO TO 550	SOLADF	735
	T=T+DELT	SOLADF	736
	CYCLE=CYCLE+1	SOLADF	737
	GO TO 59	SOLADF	738
650	CALL EXIT(1)	SOLADF	739
	END	SOLADF	740

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	SUBROUTINE BC	SOLADF	741
*CALL	COMDK	SOLADF	742
C	SET BOUNDARY CONDITION	SOLADF	743
	EVCAL(X)=ECV+CHV*(X-TC)	SOLADF	744
	ELCAL(X)=ECL+CHL*(X-TC)	SOLADF	745
	SATT(X)=255.2+117.8*X**0.223	SOLADF	746
	SATP(X)=((X-255.2)/117.8)**4.48	SOLADF	747
	DO 140 J=2,JM1	SOLADF	748

POOR ORIGINAL

532 77282

RO(1,J)=RO(2,J)	SOLADF	749
RV(1,J)=RV(2,J)	SOLADF	750
P(1,J)=P(2,J)	SOLADF	751
E(1,J)=E(2,J)	SOLADF	752
RO(IMAX,J)=RO(IM1,J)	SOLADF	753
RV(IMAX,J)=RV(IM1,J)	SOLADF	754
P(IMAX,J)=P(IM1,J)	SOLADF	755
E(IMAX,J)=E(IM1,J)	SOLADF	756
GO TO (102,104,106,108,106),WL	SOLADF	757
102 U(1,J)=0.0	SOLADF	758
V(1,J)=V(2,J)	SOLADF	759
GO TO 111	SOLADF	760
104 U(1,J)=0.0	SOLADF	761
V(1,J)=-V(2,J)	SOLADF	762
GO TO 111	SOLADF	763
106 IF(WL.EQ.5)P(2,J)=PBC	SOLADF	764
IF(ITER.GT.0.AND.FLG.GT.0)GO TO 111	SOLADF	765
U(1,J)=U(2,J)	SOLADF	766
V(1,J)=V(2,J)	SOLADF	767
GO TO 111	SOLADF	768
108 U(1,J)=U(IM2,J)	SOLADF	769
V(1,J)=V(IM2,J)	SOLADF	770
RO(1,J)=RO(IM2,J)	SOLADF	771
RV(1,J)=RV(IM2,J)	SOLADF	772
P(1,J)=P(IM2,J)	SOLADF	773
E(1,J)=E(IM2,J)	SOLADF	774
GO TO 111	SOLADF	775
111 GO TO (122,124,126,128,126),WR	SOLADF	776
122 U(IM1,J)=0.0	SOLADF	777
V(IMAX,J)=V(IM1,J)	SOLADF	778
GO TO 140	SOLADF	779
124 U(IM1,J)=0.0	SOLADF	780
V(IMAX,J)=-V(IM1,J)	SOLADF	781
GO TO 140	SOLADF	782
126 IF(WR.EQ.5)P(IM1,J)=PBC	SOLADF	783
IF(ITER.GT.0.AND.FLG.GT.0)GO TO 140	SOLADF	784
U(IM1,J)=U(IM2,J)*((IM2-1)/(IM1-1))*CYL+(1.0-CYL)	SOLADF	785
V(IMAX,J)=V(IM1,J)	SOLADF	786
GO TO 140	SOLADF	787
128 U(IM1,J)=U(2,J)	SOLADF	788
V(IMAX,J)=V(3,J)	SOLADF	789
RO(IMAX,J)=RO(3,J)	SOLADF	790
RV(IMAX,J)=RV(3,J)	SOLADF	791
P(IMAX,J)=P(3,J)	SOLADF	792
E(IMAX,J)=E(3,J)	SOLADF	793
140 CONTINUE	SOLADF	794
DO 180 I=2,IM1	SOLADF	795
RO(I,1)=RO(I,2)	SOLADF	796
RV(I,1)=RV(I,2)	SOLADF	797
P(I,1)=P(I,2)	SOLADF	798
E(I,1)=E(I,2)	SOLADF	799
RO(I,JMAX)=RO(I,JM1)	SOLADF	800
RV(I,JMAX)=RV(I,JM1)	SOLADF	801
P(I,JMAX)=P(I,JM1)	SOLADF	802
E(I,JMAX)=E(I,JM1)	SOLADF	803
GO TO (152,154,156,158,156),WT	SOLADF	804
152 V(I,JM1)=0.0	SOLADF	805
U(I,JMAX)=U(I,JM1)	SOLADF	806

POOR ORIGINAL

	GO TO 161	SOLADF	807
154	V(I,JM1)=0.0	SOLADF	808
	U(I,JMAX)=-U(I,JM1)	SOLADF	809
	GO TO 161	SOLADF	810
156	IF(WT.EQ.5)P(I,JM1)=PBC	SOLADF	811
	IF(ITER.GT.0.AND.FLG.GT.0)GO TO 161	SOLADF	812
	V(I,JM1)=V(I,JM2)	SOLADF	813
	U(I,JMAX)=U(I,JM1)	SOLADF	814
	GO TO 161	SOLADF	815
158	V(I,JM1)=V(I,2)	SOLADF	816
	U(I,JMAX)=U(I,3)	SOLADF	817
	RO(I,JMAX)=RO(I,3)	SOLADF	818
	RV(I,JMAX)=RV(I,3)	SOLADF	819
	P(I,JMAX)=P(I,3)	SOLADF	820
	E(I,JMAX)=E(I,3)	SOLADF	821
	GO TO 161	SOLADF	822
161	GO TO (172,174,176,178,176),WB	SOLADF	823
172	V(I,1)=0.0	SOLADF	824
	U(I,1)=U(I,2)	SOLADF	825
	GO TO 180	SOLADF	826
174	V(I,1)=0.0	SOLADF	827
	U(I,1)=-U(I,2)	SOLADF	828
	GO TO 180	SOLADF	829
176	IF(WB.EQ.5)P(I,2)=PBC	SOLADF	830
	IF(ITER.GT.0.AND.FLG.GT.0)GO TO 180	SOLADF	831
	V(I,1)=V(I,2)	SOLADF	832
	U(I,1)=U(I,2)	SOLADF	833
	GO TO 180	SOLADF	834
178	V(I,1)=V(I,JM2)	SOLADF	835
	U(I,1)=U(I,JM2)	SOLADF	836
	RO(I,1)=RO(I,JM2)	SOLADF	837
	RV(I,1)=RV(I,JM2)	SOLADF	838
	P(I,1)=P(I,JM2)	SOLADF	839
	E(I,1)=E(I,JM2)	SOLADF	840
180	CONTINUE	SOLADF	841
182	CONTINUE	SOLADF	842
C	SPECIAL BOUNDARY CONDITION	SOLADF	843
	DO 188 I=2,IM1	SOLADF	844
	P(I,2)=PIN	SOLADF	845
	U(I,2)=0.0	SOLADF	846
	U(I,JM1)=0.0	SOLADF	847
	IF(THIN.LT.THC) GO TO 38	SOLADF	848
	IF(THIN.LT.THC1) GO TO 36	SOLADF	849
	RV(I,2)=RV1V	SOLADF	850
	RO(I,2)=RO1V	SOLADF	851
	E(I,2)=E1V	SOLADF	852
	GO TO 188	SOLADF	853
36	RV(I,2)=RV12	SOLADF	854
	RO(I,2)=RO12	SOLADF	855
	E(I,2)=E12	SOLADF	856
	GO TO 188	SOLADF	857
38	RV(I,2)=RV1L	SOLADF	858
	RO(I,2)=RO1L	SOLADF	859
	E(I,2)=E1L	SOLADF	860
188	CONTINUE	SOLADF	861
	RETURN	SOLADF	862
	END	SOLADF	863

POOR ORIGINAL

532

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284

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SUBROUTINE DRIFT
*CALL COMDK
C CALCULATE RELATIVE OR DRIFT VELOCITY
EVCAL(X)=ECV+CHV*(X-TC)
ELCAL(X)=ECL+CHL*(X-TC)
SATT(X)=255.2+117.8*X**0.223
SATP(X)=((X-255.2)/117.8)**4.48
DO 5000 J=2,JM1
DO 5000 I=2,IM1
IF(A(I,J).EQ.0.0)GO TO 5000
TH=(ROL-RO(I,J)+RV(I,J))/ROL
IF(TH.GT.THC.AND.TH.LT.THC1)GO TO 4700
UD(I,J)=VD(I,J)=0.0
GO TO 5000
4700 CONTINUE
TH1=TH
IF(TH1.GT.0.5)TH1=1.0-TH1
4800 RB=(TH1/PNV)**0.333
UDN=UD(I,J)
VDN=VD(I,J)
AREA=3.0*TH1/RB
NUC=VISL
IF(TH1.GT.0.5)NUC=VISV
NUA=NUC/(1.0-TH1)**2.5
UDO=DELT*(1.0/ROL-2.0*TH/(RV(I,J)+RV(I+1,J)))*RDX*(P(I+1,J)-
P(I,J))
IF(A(I+1,J).EQ.0.0)UDO=0.0
VDO=DELT*(1.0/ROL-2.0*TH/(RV(I,J)+RV(I,J+1)))*RDY*(P(I,J+1)-
P(I,J))
IF(A(I,J+1).EQ.0.0)VDO=0.0
UDM=(UD(I,J)**2+VD(I,J)**2)**0.5+1.0E-10
UKPM=DELT*0.25*AREA*(RO(I,J)+RO(I+1,J))**2/((RV(I,J)+RV(I+1,J))*
(RO(I,J)+RO(I+1,J))-RV(I,J)-RV(I+1,J))
VKPM=DELT*0.25*AREA*(RO(I,J)+RO(I,J+1))**2/((RV(I,J)+RV(I,J+1))*
(RO(I,J)+RO(I,J+1))-RV(I,J)-RV(I,J+1))
4950 UDMT=UDM
UKP=UKPM*(CDG*UDM+12.0*NUA/RB)/TH1
VKP=VKPM*(CDG*UDM+12.0*NUA/RB)/TH1
UD(I,J)=UD(I,J)+UKP*UD(I,J)-UDO-UDN/(1.0+UKP+UKPM*CDG)
VD(I,J)=VD(I,J)+VKP*VD(I,J)-VDO-VDN/(1.0+VKP+VKPM*CDG)
UDM=(UD(I,J)**2+VD(I,J)**2)**0.5+1.0E-10
IF(ABS(UDMT-UDM)/(UDMT+UDM)).GT.0.01)GO TO 4950
5000 CONTINUE
RETURN
END

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SOLADF 864
SOLADF 865
SOLADF 866
SOLADF 867
SOLADF 868
SOLADF 869
SOLADF 870
SOLADF 871
SOLADF 872
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SOLADF 874
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SOLADF 900
SOLADF 901
SOLADF 902
SOLADF 903
SOLADF 904
SOLADF 905
SOLADF 906
SOLADF 907
SOLADF 908
SOLADF 909
SOLADF 910

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SUBROUTINE EOS
*CALL COMDK
C EQUATION OF STATE ROUTINE
EVCAL(X)=ECV+CHV*(X-TC)
ELCAL(X)=ECL+CHL*(X-TC)

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SOLADF 911
SOLADF 912
SOLADF 913
SOLADF 914
SOLADF 915

POOR ORIGINAL

SATT(X)=255.2+117.8*X**0.223	SOLADF	916
SATP(X)=((X-255.2)/117.8)**4.48	SOLADF	917
TH=THM=(ROL+RVT-ROT)/ROL	SOLADF	918
IF(TH.LT. THC)THM=THC	SOLADF	919
ETEM=ETEM	SOLADF	920
IF(TH.GT. THC)ETEM=1.0	SOLADF	921
TEM=TC+(ROT*(ET-ECL)-RVT*(ECV-ECL))/(RVT*(CHV-CHL)+ROT*CHL)	SOLADF	922
IF(ETEM.LT.0.5)TEM=255.2	SOLADF	923
PT=PTT=GAM1*RVT*(ECV+CHV*(TEM-TC))/THM+ASQ*ROL*(THM-TH)	SOLADF	924
IF(ETEM.GT.0.5)GO TO 6300	SOLADF	925
PCC=117.8*GAM1*RVT*CHV/THM	SOLADF	926
PT=PTT+2.0*(0.223*PCC)**1.287	SOLADF	927
6260 PTG=PT	SOLADF	928
PTA=PCC*PTG**0.223	SOLADF	929
PT=PTG*(PTT+PTA-PTG)/(1.0-0.223*PTA/PTG)	SOLADF	930
IF(ABS((PT-PTG)/(PT+PTG)).GT.0.01)GO TO 6260	SOLADF	931
PT=AMAX1(PT,0.0)	SOLADF	932
IF(PT.GT.0.0)GO TO 6300	SOLADF	933
WRITE(9,6200)	SOLADF	934
6200 FORMAT(5X,1HJ,12X,2HEI,12X,3HROT,17X,3HRVT,17X,2HET)	SOLADF	935
WRITE(9,6263)I,J,PT,ROT,RVT,ET	SOLADF	936
6263 FORMAT(6X,2I3,5X,1PE12.5,6X,E12.5,6X,E12.5,6X,E12.5)	SOLADF	937
6300 CONTINUE	SOLADF	938
RETURN	SOLADF	939
END	SOLADF	940

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SUBROUTINE PFRIC	SOLADF	941
*CALL COMDK	SOLADF	942
C PIPE FRICTION ROUTINE	SOLADF	943
EVCAL(X)=ECV+CHV*(X-TC)	SOLADF	944
ELCAL(X)=ECL+CHL*(X-TC)	SOLADF	945
SATT(X)=255.2+117.8*X**0.223	SOLADF	946
SATP(X)=((X-255.2)/117.8)**4.48	SOLADF	947
I=II	SOLADF	948
J=JJ	SOLADF	949
VA1=ABS(V(I,J))	SOLADF	950
IF(VA1.LT.EPSI)GO TO 60	SOLADF	951
TH=TH1=(ROL+RV(I,J)-RO(I,J))/ROL	SOLADF	952
IF(TH.LT. THC)TH=THC	SOLADF	953
IF(TH.GT. THC)TH=THC1	SOLADF	954
CH1=RV(I,J)/RO(I,J)*((1.0+(RO(I,J)-RV(I,J))/RO(I,J)*VD(I,J)/V(I,J))	SOLADF	955
REN=2.0*RP/PIPE*ABS(V(I,J))/VISL	SOLADF	956
RGR=0.5*RG/PIPE	SOLADF	957
FLA=0.026*RGR**0.225+0.133*RGR	SOLADF	958
FLB=22.0*RGR**0.44	SOLADF	959
FLC=1.62*RGR**0.134	SOLADF	960
FLC2=(FLA+FLB/REN**FLC)	SOLADF	961
PH1S=1.0/(1.0-TH)**1.75	SOLADF	962

532 286

POOR ORIGINAL

FLC=FLC2*(RO(I,J)/ROL)*(1.0-CHI)**2.0/RPIPE*PHIS	SOLADF	963
FLCT=2.0*DELT*FLC	SOLADF	964
V(I,J)=SIGN(1.0,V(I,J))*(-1.0+(1.0+2.0*FLCT*VAI)**0.5)/FLCT	SOLADF	965
EE=0.25*(VAI**2-V(I,J)**2)	SOLADF	966
E(I,J)=E(I,J)+EE	SOLADF	967
E(I,J+1)=E(I,J+1)+EE	SOLADF	968
60 CONTINUE	SOLADF	969
RETURN	SOLADF	970
END	SOLADF	971

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SUBROUTINE PHCHR	SOLADF	972
*CALL COMDK	SOLADF	973
C PHASE CHANGE ROUTINE	SOLADF	974
EVCAL(X)=ECV+CHV*(X-TC)	SOLADF	975
ECLCAL(X)=ECL+CHL*(X-TC)	SOLADF	976
SATT(X)=255.2+117.8*X**0.223	SOLADF	977
SATP(X)=(X-255.2)/117.8**4.48	SOLADF	978
I=1	SOLADF	979
J=JJ	SOLADF	980
RVT=RVO=RV(I,J)	SOLADF	981
ROT=RO(I,J)	SOLADF	982
ET=E(I,J)	SOLADF	983
TH1=TH=(ROL-ROT+RVO)/ROL	SOLADF	984
IF(TH.LT.TH.C.OR.TH.GT.TH.C)GO TO 5000	SOLADF	985
IF(TH.GT.0.5)TH1=1.0-TH	SOLADF	986
VAVE=0.5*(U(I,J)+U(I-1,J))**2+	SOLADF	987
1*(V(I,J)+V(I,J-1))**2**0.5	SOLADF	988
VDAVE=0.5*(UD(I,J)+UD(I-1,J))**2+(VD(I,J)+VD(I,J-1))**2**0.5	SOLADF	989
VTB=VDAVE+0.1*VAVE	SOLADF	990
4410 RB=(TH1/PNV)**0.333	SOLADF	991
RBW=SUWN/(ROT*VTB**2+1.0E-10)	SOLADF	992
RB=AMIN1(RB,RBW)	SOLADF	993
AREA=3.0*TH1/RB	SOLADF	994
TVAP=SATT(P(I,J))	SOLADF	995
EVT=EVCAL(TVAP)*ETEM1+ECV*ETEM	SOLADF	996
TLQ=TC+(ROT*ET-RVO*EVT-(ROT-RVO)*ECL)/(RVL*CHV*ETEM+(ROT-RVO)*CHL)	SOLADF	997
TLQ=AMAX1(TLQ,256.0)	SOLADF	998
PSAT=SATP(TLQ)	SOLADF	999
EVSAT=EVCAL(TLQ)	SOLADF	1000
RSAT=TH*PSAT/(GAM1*EVSAT)	SOLADF	1001
IVSL=0	SOLADF	1002
RBETA=1.0E-5*ROL	SOLADF	1003
IRVT=0	SOLADF	1004
RTOT=(RSAT+RVO)/2.0	SOLADF	1005
RET=ROT*(ET-ECL)	SOLADF	1006
RCH=ROT*CHL	SOLADF	1007
CEC=CHV*ETEM-CHL	SOLADF	1008
C START ITERATION	SOLADF	1009
4412 CONTINUE	SOLADF	1010
RVT=RV(I,J)	SOLADF	1011
I=1	SOLADF	1012
JJ=J	SOLADF	1013
CALL EOS	SOLADF	1014

TVAP=SATT(PT)	SOLADF	1015
EVTM=EVCAL(TVAP)*ETEM+ECV*ETEM-ECL	SOLADF	1016
TLQ=TC*(RET-RVT*EVTM)/(RCH+RVT*CEC)	SOLADF	1017
ELTBL=(1.0+1.91*ROL*TH/RTOT*CHL/ELHT*ABS(TLQ-TVAP)	SOLADF	1018
+ (0.637*VTB*RB*ROL/EDL)**0.5)/RB	SOLADF	1019
RATE=DELT*(ELTBL*AREA/ELHT*ECL*CHL*(TLQ-TVAP))*100.0	SOLADF	1020
RVEQ=RVT-RVO-RATE	SOLADF	1021
IF(ABS(RVEQ/RTOT).LT.0.001)GO TO 5000	SOLADF	1022
IRVT=IRVT+1	SOLADF	1023
IF(IPVT.GT.25)GO TO 5000	SOLADF	1024
IF(IRV.LT.0.1)SRH=SIGN(1.0,RVEQ)	SOLADF	1025
IF(IVSL.EQ.1)GO TO 4412	SOLADF	1026
IF(RVEQ.GE.0.0)GO TO 4415	SOLADF	1027
C SEEK BOUNDS	SOLADF	1028
FMN=RVEQ	SOLADF	1029
RVMN=RV(1,J)	SOLADF	1030
IF(SRH.GE.0.0)IVSL=1	SOLADF	1031
RV(1,J)=AMINI(RVT+RBETA,ROT)	SOLADF	1032
IF(IVSL.EQ.1)RV(1,J)=0.5*(RVMN+RVMX)	SOLADF	1033
RBETA=2.0*RBETA	SOLADF	1034
GO TO 4412	SOLADF	1035
4415 FMX=RVEQ	SOLADF	1036
RVMX=RV(1,J)	SOLADF	1037
IF(SRH.LT.0.0)IVSL=1	SOLADF	1038
RV(1,J)=AMAX1(RVT-RBETA,0.0)	SOLADF	1039
IF(IVSL.EQ.1)RV(1,J)=0.5*(RVMN+RVMX)	SOLADF	1040
RBETA=2.0*RBETA	SOLADF	1041
GO TO 4412	SOLADF	1042
CONTINUE	SOLADF	1043
C INVERSE BOUNDS	SOLADF	1044
IF(RVEQ.LT.0.0)GO TO 4422	SOLADF	1045
RVTP=RVT-RVEQ*(RVMX-RVT)/(FMX-RVEQ)	SOLADF	1046
FMN=RVEQ	SOLADF	1047
RVMX=RVT	SOLADF	1048
RV(1,J)=RVTP	SOLADF	1049
IF(RVTP.LT.RVMN)RV(1,J)=0.5*(RVMN+RVMX)	SOLADF	1050
GO TO 4412	SOLADF	1051
4422 RVTP=RVT-RVEQ*(RVT-RVMN)/(RVEQ-FMN)	SOLADF	1052
FMN=RVEQ	SOLADF	1053
RVMN=RVT	SOLADF	1054
RV(1,J)=RVTP	SOLADF	1055
IF(RVTP.GT.RVMX)RV(1,J)=0.5*(RVMN+RVMX)	SOLADF	1056
GO TO 4412	SOLADF	1057
5000 CONTINUE	SOLADF	1058
RETURN	SOLADF	1059
END	SOLADF	1060

=====

SUBROUTINE PITER	SOLADF	1061
C PRESSURE ITERATION ROUTINE	SOLADF	1062
*CALL COMDK	SOLADF	1063
EVCAL(X)=ECV+CHV*(X-TC)	SOLADF	1064
ELCAL(X)=ECL+CHL*(X-TC)	SOLADF	1065
SATT(X)=255.2+117.8*X**0.223	SOLADF	1066

532 288

POOR ORIGINAL

SATP(X)=((X-255.2)/117.8)**4.48	SOLADF	1067
FLG=0.0	SOLADF	1068
DO 300 J=JPB,JPT	SOLADF	1069
DO 300 I=IPL,IPT	SOLADF	1070
IF(A(I,J).EQ.0.0)GO TO 300	SOLADF	1071
ABR=2.0*A(I,J)*A(I+1,J)/(A(I,J)+A(I+1,J))	SOLADF	1072
ABL=2.0*A(I,J)*A(I-1,J)/(A(I,J)+A(I-1,J))	SOLADF	1073
ABT=2.0*A(I,J)*A(I,J+1)/(A(I,J)+A(I,J+1))	SOLADF	1074
ABB=2.0*A(I,J)*A(I,J-1)/(A(I,J)+A(I,J-1))	SOLADF	1075
PMAX=AMAX1(PMAX,P(I,J))	SOLADF	1076
SM=-1.0E+10	SOLADF	1077
ICT=0	SOLADF	1078
XXM=1.0E+10	SOLADF	1079
XXN=0.0	SOLADF	1080
PBB=0.0	SOLADF	1081
260 PB=P(I,J)	SOLADF	1082
D=(RDX*(ABR*U(I,J)-ABL*U(I-1,J))+RDY*(ABT*V(I,J)-	SOLADF	1083
ABB*V(I,J-1)))*DELT/A(I,J)	SOLADF	1084
DMAX=EN(I,J)*RO(I,J)/PB	SOLADF	1085
D=AMIN1(D,DMAX)	SOLADF	1086
D=AMAX1(D,-0.99)	SOLADF	1087
ROT=RON(I,J)/(1.0+D)	SOLADF	1088
RVT=RV(I,J)/(1.0+D)	SOLADF	1089
ET=EN(I,J)-P(I,J)*D/RO(I,J)	SOLADF	1090
II=1	SOLADF	1091
JJ=J	SOLADF	1092
CALL EOS	SOLADF	1093
S=PB-PT	SOLADF	1094
IF(IICT.NE.0)BETA(I,J)=(PB-PBB)/(S-SM)	SOLADF	1095
P(I,J)=PB-BETA(I,J)*S	SOLADF	1096
IF(S.GE.0.0)GO TO 262	SOLADF	1097
XXN=PB	SOLADF	1098
IF(P(I,J).GE.XMX)P(I,J)=0.5*(XXN+XMX)	SOLADF	1099
GO TO 266	SOLADF	1100
262 XMX=PB	SOLADF	1101
IF(P(I,J).LE.XMN)P(I,J)=0.5*(XXN+XMX)	SOLADF	1102
266 CONTINUE	SOLADF	1103
DELP=P(I,J)-PB	SOLADF	1104
IF(ABS(DELP).LE.EPS1*PMAX)ICT=100	SOLADF	1105
IF(ABR.EQ.0.0)GO TO 270	SOLADF	1106
U(I,J)=U(I,J)+2.0*DELT*RDX*DELP/(RO(I,J)+RO(I+1,J))	SOLADF	1107
270 IF(ABL.EQ.0.0)GO TO 272	SOLADF	1108
U(I-1,J)=U(I-1,J)-2.0*DELT*RDX*DELP/(RO(I-1,J)+RO(I,J))	SOLADF	1109
272 IF(ABB.EQ.0.0)GO TO 274	SOLADF	1110
V(I,J-1)=V(I,J-1)-2.0*DELT*RDY*DELP/(RO(I,J-1)+RO(I,J))	SOLADF	1111
274 IF(ABT.EQ.0.0)GO TO 276	SOLADF	1112
V(I,J)=V(I,J)+2.0*DELT*RDY*DELP/(RO(I,J)-RO(I,J+1))	SOLADF	1113
276 CONTINUE	SOLADF	1114
SM=S	SOLADF	1115
PBB=PB	SOLADF	1116
ICT=ICT+1	SOLADF	1117
IF(IICT.GT.10)GO TO 300	SOLADF	1118
FLG=1.0	SOLADF	1119
GO TO 260	SOLADF	1120
300 CONTINUE	SOLADF	1121
RETURN	SOLADF	1122
END	SOLADF	1123

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SUBROUTINE TSTEP
*CALL COMOK
C VARIABLE TIME STEP AND ITERATION PARAMETER ROUTINE
EVCAL(X)=ECV*CHV*(X-TC)
ELCAL(X)=ECL*CHL*(X-TC)
SATT(X)=255.2+117.8*X**0.223
SATP(X)=((X-255.2)/117.8)**4.48
DUMX=DVMX=1.0E-10
DO 615 I=2,IM1
DO 615 J=2,JM1
UDM=ABS(UD(I,J))
VDM=ABS(VD(I,J))
UMM=ABS(U(I,J))
VMM=ABS(V(I,J))
DUMX=AMAX1(DUMX,UDM,UMM)
615 DVMX=AMAX1(DVMX,VDM,VMM)
DUMX=4.0*DUMX
DVMX=4.0*DVMX
DTMY=1.01
IF(ITER.GT.5)DTMY=0.99
DELTO=DEL*DTMY
DELTA=AMINI(DELTO,DELX/DUMX,DELY/DVMX)
DELTA=AMINI(DELTA,DELTMX)
C RELAXATION FACTOR
DO 620 I=IPL,IPR
DO 620 J=JPB,JPT
IF(A(I,J).EQ.0.0)GO TO 620
ET=E(I,J)
ROT=RO(I,J)
RVT=RV(I,J)
II=I
JJ=J
CALL EOS
PTO=PT
DELP=-EPSI*PTO*HTM*RO(I,J)
UR=4.0*DELTA*RDY*DELP/(RO(I,J)+RO(I+1,J))*A(I,J)*A(I+1,J)/
(A(I,J)+A(I+1,J))
IF(A(I+1,J).EQ.0.0)UR=0.0
UL=-4.0*DELTA*RDY*DELP/(RO(I-1,J)+RO(I,J))*A(I,J)*A(I-1,J)/
(A(I,J)+A(I-1,J))
IF(A(I-1,J).EQ.0.0)UL=0.0
VT=4.0*DELTA*RDY*DELP/(RO(I,J)+RO(I,J+1))*A(I,J)*A(I,J+1)/
(A(I,J)+A(I,J+1))
IF(A(I,J+1).EQ.0.0)VT=0.0
VB=-4.0*DELTA*RDY*DELP/(RO(I,J-1)+RO(I,J))*A(I,J)*A(I,J-1)/
(A(I,J)+A(I,J-1))
IF(A(I,J-1).EQ.0.0)VB=0.0
DT=DELTA*(RDY*(UR-UL)+RDY*(VT-VB))/A(I,J)
ROT=RO(I,J)/(1.0+DT)
RVT=RV(I,J)/(1.0+DT)
ET=E(I,J)-PTO/RO(I,J)*DT
II=I
JJ=J
SOLADF 1124
SOLADF 1125
SOLADF 1126
SOLADF 1127
SOLADF 1128
SOLADF 1129
SOLADF 1130
SOLADF 1131
SOLADF 1132
SOLADF 1133
SOLADF 1134
SOLADF 1135
SOLADF 1136
SOLADF 1137
SOLADF 1138
SOLADF 1139
SOLADF 1140
SOLADF 1141
SOLADF 1142
SOLADF 1143
SOLADF 1144
SOLADF 1145
SOLADF 1146
SOLADF 1147
SOLADF 1148
SOLADF 1149
SOLADF 1150
SOLADF 1151
SOLADF 1152
SOLADF 1153
SOLADF 1154
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SOLADF 1156
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SOLADF 1176

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532 290

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