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 YOUNGBLOOD, B.J. Licensing Branch 1

SUBJECT: Forwards info re Category I masonry walls employed by plants under CP & OL review, in response to NRC 800420 request. Original reply was encl in 800908 ltr.

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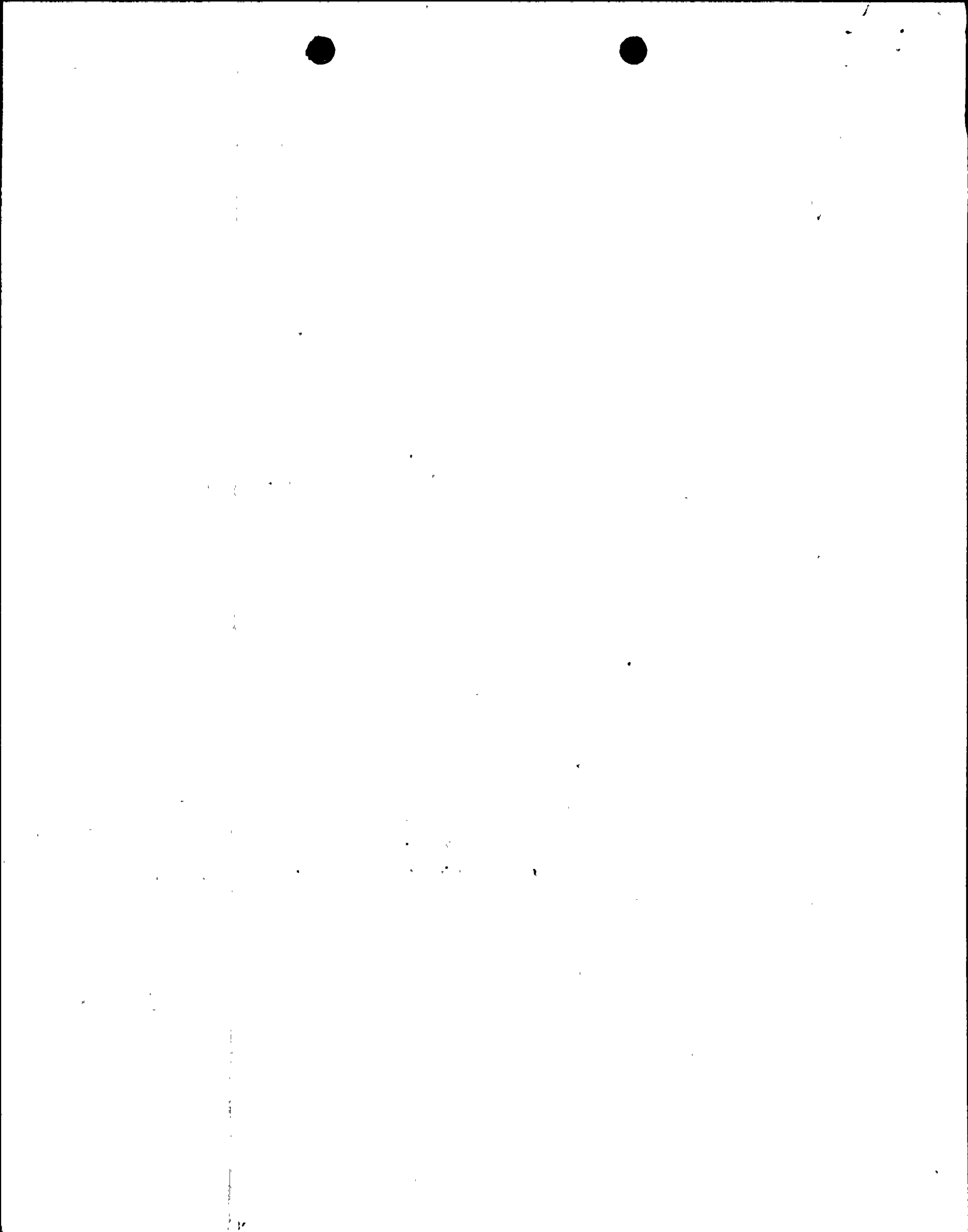
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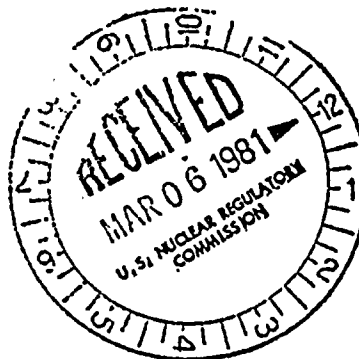


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MAR 03 1981

Mr. B. J. Youngblood, Chief
Licensing Branch No. 1
Division of Licensing
Nuclear Regulatory Commission
Washington, D.C. 20555



SUSQUEHANNA STEAM ELECTRIC STATION
NRC INFORMATION REQUEST:
CATEGORY I MASONRY WALLS
ER 100450 FILE 841-2
PLA-628

Dear Mr. Youngblood:

This is a follow-up reply to Mr. S. A. Varga's letter dated April 21, 1980 requesting information on Category I Masonry Walls employed by plants under construction permit and operating license review. Our original reply to you on this subject was by our letter (PLA-523) of September 8, 1980.

Enclosed are the numerical examples for block wall design and a design example employed for Category I pipe supports/hangers on block walls. This completes our reply to Question #5 of the Information Request and, therefore, all questions have hereby been completely answered.

We trust these responses satisfactorily answer any concerns you may have pertaining to the design adequacy of the Category I Masonry Walls employed at the Susquehanna Steam Electric Station. However, should any questions arise, please do not hesitate to contact us.

Very truly yours,

A handwritten signature in cursive script that reads "Norman W. Curtis".

Norman W. Curtis
Vice President - Engineering and Construction, Nuclear

DRR:saw

Enclosure

Response required: No

Boo/s
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PENNSYLVANIA POWER & LIGHT COMPANY

A

DESIGN EXAMPLE FOR CATEGORY I BLOCK-WALLS

1. Reference Documents:

1.1 Applicable section of FSAR

3.7b Seismic Design

3.8 Design of Category I Structures

3.8.c Concrete Unit Masonry, Masonry Materials and Quality Control

1.2 Uniform Building Code (1976) Section 24

1.3 Building code requirements for Reinforced Concrete (ACI-318-71)

1.4 Building code requirements for Concrete Masonry Structures (ACI-531-79)

1.5 Project Specifications 8856-C-72 Expansion Anchors

8856-A-2 Concrete Unit Masonry

8856-G-24 Floor Response Spectra

1.6 Design Drawing 8856-C-807

1.7 J.E. Amrhein: Reinforced Masonry Engineering Handbook - 3rd Edition.

Published by Masonry Institute of America 1978.

1.8 Roark: Formulas for Stress & Strain - 5th Edition.

2. Materials:

2.1 Concrete hollow blocks H or A shaped with ultimate compressive strength $f'_m = 1500$ psi and mortar with $f'_c = 2500$ psi.

2.2 Cells are filled with concrete grout with $f'_c = 2500$ psi.

2.3 Concrete fill for core of double wythe walls, $f'_c = 2500$ psi.

2.4 Reinforcing steel grade 60, $f_y = 60$ ksi.

3. Wall Geometry:

Wall Thickness: 8"

Span: 10.88 ft.

End Conditions: Hinged at top and bottom - Local and Global Analysis
Fixed bottom and free top - Story Drift and In-plane Loading

Attachment: 100 lbs. of vertical load applied at 8 inches from the
face of wall.

Reinforcement: #6 @ 16" vertical

#4 @ 24" horizontal.

4. Symbols and Notations:

A = Gross²Section Area (in)

A_s = Tension Steel Area (in²)

A' = Compression Steel Area (in²)

b = Width of Member (in.)

c = Distance of the neutral axis of the cracked section from the extreme
compression fibers (in.)

d = Distance between extreme compression fibers and centroid of tension
reinforcement (in.)

d' = Distance between extreme compression fibers and centroid of compression
reinforcement (in.)

E_v = Modulus of rigidity (psi)

f_m = Stress in masonry (psi)

f_n = Lowest natural frequency of the wall (Hz)

F = $bd^2/12000$ dimensional coefficient used in determination of resisting
moment of masonry sections

g = Acceleration due to gravity, 386.4 in/sec²

I_{cr} = Moment of inertia of the cracked section (in⁴)

I_e = Equivalent moment of inertia (in^4)

I_g = Moment of inertia of gross section (in^4)

$j = 1 - k/3$

K = Numerical coefficient depending on structural lateral force resisting system

$k = c/d$

Y = Story drift or displacement of wall (in.)

D_s = Force corresponding to displacement Y (lbs.)

M_L = Local bending moment (in-lb)

M_a = Global bending moment (in-lb)

$n = E_s/E_m$ = Ratio of Young's modulus of reinforcing steel to Young's modulus of masonry

P_a = Attachment inertia load

t = Thickness of blockwall inches

$\rho = A_s/bd$

$\rho' = A's/bd$

γ = Unit weight (lbs/cuft)

v = Shearing stress (psi)

V = Total lateral load or shear at the base (lbs.)

w = Weight per linear foot of wall

W = Total wt. of wall

5. Frequency Calculation:

5.1 Frequency of cracked section.

5.1.1 Moment of inertia of cracked section:

Refer to ACI-318-71 Handbook p. 390

$$c/d = \sqrt{(np + [n-1] \rho')^2 + 2 (np + [n-1] \rho' d'/d)} - (np + [n-1] \rho')$$

And

$$I_{cr} = \frac{bd^3(c/d)^3}{3} + npbd(d-c)^2 + (n-1)\rho'bd(c-d')^2$$

in our case:

$$b = 12 \text{ inches}$$

$$A_s = .331 \text{ in}^2$$

$$n = 20$$

$$\rho = A_s/bd = .331/12 \times 3.75 = .0074$$

$$np = .1471$$

$$A'_s = 0 \text{ (since } d' = \rho' = 0)$$

$$k = c/d = \sqrt{(.1471)^2 + 2(.1471)} - .1471 = .415$$

$$c = kd = .415 \times 3.75 = 1.56 \text{ in}$$

$$I_{cr} = (.415)^3/3 \times 12 \times 3.75^3 + .1471 \times 12 \times 3.75 (3.75 - 1.56)^2$$

$$I_{cr} = 46.94 \text{ in}^4$$

5.1.2 Deflection (simple beam)

weight of wall:

$$w = \gamma \times b \times t = 125 \times 7.63/12 \times 1 = 79.48 \text{ lbs/ft}$$

Static deflection

$$\Delta_{\text{static}} = \frac{5wl^4}{384 \times E_m I_{cr}}$$

$$\Delta_{\text{static}} = \frac{5 \times 79.48 \times 10.88^4 \times 12^3}{384 \times 1500000 \times 46.94} = .35589 \text{ in}$$

5.1.3 Frequency

$$f_n = \frac{1}{2\pi} \sqrt{g/\Delta \text{ static}}$$

$$f_n = \frac{1}{2\pi} \sqrt{386.4/.35589} = 5.24 \text{ Hz}$$

$$1.15 f_n = 6.03 \text{ Hz}$$

$$.85 f_n = 4.46 \text{ Hz}$$

6. Response Summary:

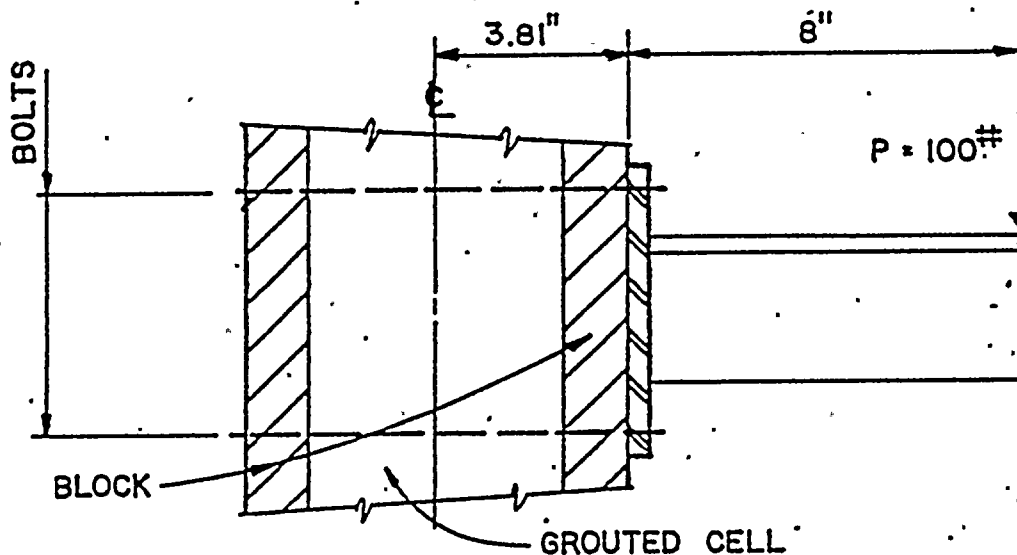
For acceleration refer to Project Specification 8856-G-24 or

FSAR Section 3.7b.

HORIZONTAL RESPONSE						PEAK VERT. RESP.	
TYPE	FREQ. For Max Acc	DAMP.	ACCEL, ft/sec ²	FIG.	Direction	ACCEL, ft/sec ²	FIG.
OBE	4.5	4%	1.25 g	EN9-1	N/S	.60 g	BV10-1
SSE	4.5	7%	.78 g	FN9-2		.63 g	FV10-2
SRV	4.5	4%	.03 g	EN9-3		.72 g	BV10-3
LOCA	4.5	7%	negl.	FN9-4		.40 g	FV10-4
OBE	4.5	4%	1.40 g	FE10-1	E/W		
SSE	4.5	7%	1.13 g	FE10-2			
SRV	4.5	4%	.03 g	BE10-3			
LOCA	4.5	7%	negl.	FE10-4			

7. Local Analysis:

For load of attachment (see dwg. C-807)





7.1 Normal load combination: $D + L + T_o + H_o$

For load combinations see FSAR table 3-8.8 or 3-8.9 respectively.

$$I_g = t^3 = 7.625^3 \times 1 = 443.32 \text{ in}^4$$

$$M_a = 100 \times (8 + 3.81) = 1181 \text{ lbs in}$$

$$S = \frac{Mc}{I_g} = \frac{1181 \times 3.81}{443.32} = 10.5 \text{ psi} < 25 \text{ psi} \text{ O.K.} \quad \text{See reference 1.2, Table 24-B}$$

7.2 Vertical Response (Normal/Severe)

Load combination: $D + L + H_o + E + SRV + P_s$ See Section 'C' of FSAR Table 3.8-8

Amplified acceleration = $1.5 a_v$

$$(1.5) (E+SRV) = (1.5) (.60 + .72) = 1.98 \text{ g}$$

$$M_L = (1.98 + 1) (100) (11.81) = 3519.4 \text{ lb.in} = 293.3 \text{ lb.ft}$$

Assume the following: (refer to project standard drawings C-805/sh. 1, 2 & 3 and drawing C-807)

1. Min. of 2 anchors are used
2. Min. Spacing = 6" for anchors

$$T = C = (3519.4/6) = 586.6 \text{ lbs.}$$

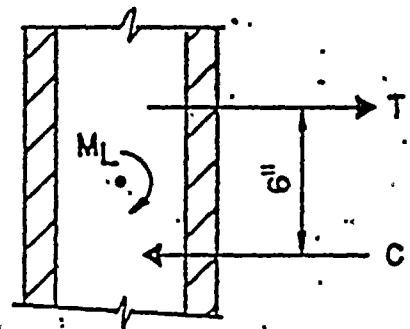
$$\rho = .0074$$

Then from reference 1.7 Table E-15

$$j = .861 \quad b = 12" \quad d = 3.75"$$

$$v = (V/jdb) = (586.6)/(12)(.861)(3.75)$$

$$= 15.30 \text{ psi} < 25 \times 1.33 \text{ psi} \text{ O.K.} \quad \text{Ref. 1.2 Table 24-B}$$



Where:

T = The tensile force acting at the center line of bolts.

C = The compressive force at the centroid of the compressive block.

Check stress in rebar and in masonry: (Ref. 1.7 Table E-15)

$$F = bd^2/12000 = (12)(3.75)^2/12000$$

$$= .0141$$

$$K = \frac{M}{F} = .2933/.0141 = 20.80$$

Stress in masonry:

$$f_m = 2K/jk = (2)(20.8)/(.861)(.415) = 116.4 \text{ psi} < 500 \text{ psi}$$

Ref. 1.2

Stress in re-bars:

$$f_s = M/A_s j d = 3519.4/.331 \times .861 \times 3.75 = 3293.1 \text{ psi} < 24000 \text{ psi} \times 1.33$$

For combination of horizontal and vertical response see global analysis.

8. Global Analysis: OBE Condition (normal/severe)

8.1 Vertical - loads due to attachment

$$M_L = 293.3 \text{ lbs.ft (see above - local analysis)}$$

8.2 Horizontal $\overset{\circ}{P} + \overset{\circ}{L} + \overset{\circ}{A}_O + \overset{\circ}{T}_O + \text{SRV} + \text{E}$

$$(E+\text{SRV}) = (1.4+.03) = 1.43g$$

$$w = (1.43)(79.48) = 113.66 \text{ lbs/ft (wall inertia load)}$$

$$P_a = (100)(1.43) = 143 \text{ lbs (attachment inertia load)}$$

8.3 Story Drift - for displacements refer to FSAR Fig. 3.7b-58, 59, 60 & 61

$$Y = (.001-.00078)(12) = .00264''$$

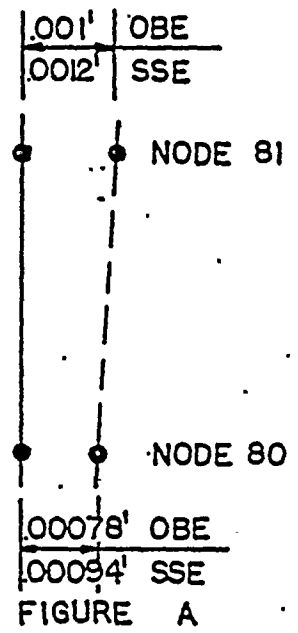
$$D_s = 3E_{m} IY/L^3 = (3)(1500000)(46.94)(.00264)/(10.88 \times 12)^3$$

$$= .25 \text{ lb. ... negligible}$$

8.4 Summation of above $\overset{\circ}{P} + \overset{\circ}{L} + \overset{\circ}{A}_O + \overset{\circ}{T}_O + \text{SRV} + \text{E} + D_s$

$$M = \frac{wL^2}{8} + P_a L/4 + (M_L)(1/2) + (D_s)1/2 \text{ for maximum bending analysis}$$

$$= \frac{(113.66)(10.88)^2}{8} + (143)(10.88)(1/4) + (293.3)(1/2) + (.25)(10.88)(1/2)$$



$$= 1681.8 + 388.96 + 146.65 + 1.36 = 2218.8 \text{ lbs.ft}$$

$$R = \frac{wL}{2} + Pa + (M_L)(1/L) + D_s \quad \text{for maximum shear analysis}$$

$$= (113.66)(10.88)(1/2) + 143 + (293.3)(1/10.88) + .25$$

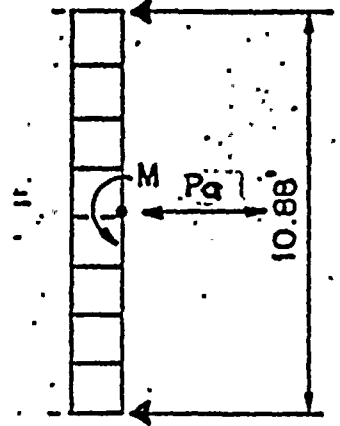
$$= 788.52 \text{ lbs}$$

Stress in rebar:

$$\rho = .0074 \quad k = .415 \quad j = .861 \quad A_s = .331 \text{ in}^2$$

$$f_2 = M/A_s j d = (2218.8)(12)/(.331)(.861)(3.75)$$

$$= 24914 \text{ psi} < (24000)(1.33) \text{ O.K. (Ref. 1.2)}$$



Stress in masonry: $K = M/F$

$$F = bd^2/12000$$

$$F = 0.0141$$

$$K = (2.2188)/.0141 = 157.4 \quad M \text{ in [K ft]}$$

$$f_m = 2K/jk$$

$$= (2)(157.4)/(.861)(.415) = 876.8 \text{ psi} > 500 \times 1.33 = 665 \text{ psi N.G. (Ref. 1.1)}$$

Since the stress in wall has exceeded the allowable stress, a redesign of wall with reduced span is required.

However, since the purpose of this example is to demonstrate the design procedure, such redesign is not provided.

Shear at N.A.

$$v = \frac{V}{jbd} = (788.52)/(12)(.861)(3.75)$$

$$= 20.35 \text{ psi} < 50 \times 1.33 \text{ psi O.K. (Ref. 1.1)}$$

8.5 Check of partial cracking in accordance with ACI-318 (Refer to FSAR 3.7b:3.1.5)

Deflection (OBE).

$$I_{cr} = 46.94 \text{ in}^4$$

$$\Delta = \Delta_o + \Delta_F + \Delta_{mL}$$

$$\Delta_o = \frac{5wL^4}{384E_m I} = \frac{(5)(113.66)(10.88)^4(12)^3}{(384)(1500000)(46.94)} = .509 \text{ in}$$

$$\Delta_F = (FL^3/48E_m I) = (143)(10.88 \times 12)^3 / (48 \times 1500000 \times 46.94) = .0942 \text{ in}$$

$$\Delta_{mL} = (M_L L^2 / E_m I) (.0642)$$

$$= (3519.4)(10.88 \times 12)^2 / (1500000 \times 46.94) \times .0642 = .0547 \text{ in}$$

$$\Delta = .509 + .0942 + .0547 = .6579 \text{ in}$$

$$I_e = (M_{cr}/M_a)^3 I_g + [1 - (M_{cr}/M_a)^3] I_{cr}$$

$$M_{cr} = 2f_r I_g / t = (50)(443.32) / 3.81 = 5817.8 \text{ lbs.in}$$

$$M_a = (2218.8)(12) = 26,625.6 \text{ lbs. in}$$

$$I_e = \frac{(5817.8)^3}{(26,625.6)^3} (443.32) + \frac{1 - (5817.8)^3}{(26,625.6)^3} (46.94)$$

$$= 4.62 + 46.45$$

$$= 51.07 \text{ in}^4$$

Since $I_e \approx I_{cr}$ partial cracking need not be checked.

Revised

$$\Delta = (.6579)(46.94) / 51.07$$

$$\Delta = .6047 \text{ in}$$

9.0 Global Analysis - SSE Condition (abnormal/extreme)

9.1 Vertical - Loads due to attachment.

Abnormal/Extreme: $D + L + (D_o + T) + R + P + H + D_s + SRV + LOCA$

$D + 1.5 (E' + SRV + LOCA) = 1 + 1.5(.63 + .50 + .4)g$ (See Fig. FV10-3 of Ref. 1.5 for Value of SRV accl. under SSE condition)

$$M'_L = (3.3)(100)(11.81)/12 = 324.8 \text{ lb.ft.} \\ = 3897.3 \text{ lb.in.}$$

$$T' = C' = 3897 \text{ lb.in.}/6 \text{ in.} = 649.5 \text{ lbs.}$$

$$v' = V'/bjd = 649.5/(12)(.861)(3.75)$$

$$= 16.76 \text{ psi} < (25)(1.67) = 41.74 \text{ psi}$$

Ref. 1.1 Table 3.8-8, 3.8-9

The attachment load will be transferred to the wall by shear.

Stress in rebar - (Due to attachment only)

$$f_s = M'_L/A_s j d = (3885.5)/.33 \times .861 \times 3.75$$

$$= 3657.76 \text{ psi} < (60,000)(.9) \quad \text{Ref. 1.1 Table 3.8-8, 3.8-9} \\ = 54,000 \text{ psi}$$

Stress in masonry - (due to attachment only)

$$K = M/F = .3238/.0141 = 22.965 \quad M = K\text{-FT}$$

$$f_m = 2K/jk = (2)(22.96)/(.861)(.415) \\ = 128.94 < 500 \times 1.67 = 835 \text{ psi}$$

9.2 Horizontal $D + L + H^* + T^* + SRV + 1.25E_o + LOCA$

$$(1.25 E_o + SRV + LOCA) = (1.25 \times 1.4 + .03 + 0)g = 1.78_g$$

$$w' = (79.48)(1.78) = 141.47 \text{ lbs/ft}$$

$$F' = (100)(1.78) = 178 \text{ lbs}$$

9.3 Story Drift (see Fig. A Pg. 6)

$$Y' = (.0012 - .00094)(12) = .00312''$$

$$D'_s = (3E_m Y')/(L)^3 = (3)(1500000)(46.94)(.00312)/(10.88 \times 12)^3 \\ = .296 \text{ lbs}$$

9.4 Summation of above. $D + L + H^* + T^* + SRV + 1.25 E_o + LOCA + D'_s$

$$M' = w'L^2/8 + F'L/4 + (M'_L)(1/2) + (D'_s)(1/2)$$

$$= (141.47)(10.88)^2/8 + (178)(10.88/4) + 323.5/2 + (.296)(10.88)(1/2)$$

$$= 2741 \text{ lbs.ft}$$

$$R' = (w'L/2) + F' + M'_L/L + D'_S = (141.47)(10.88)(1/2) + 178 + \frac{323.8}{10.88} + .29$$

$$= 769.6 + 178 + 29.76 + .29$$

$$= 977.65 \text{ lbs}$$

$$v' = (978)/(12 \times .861 \times 3.75) = 25.24 \text{ psi} < 45 \text{ psi}$$

Stress in rebar:

$$\rho = .0074 \quad k = .415 \quad j = .861 \quad A_s = .331$$

$$f_s = (M/A_s j d) = (2741.8 \times 12 / (.331 \times .861 \times 3.75))$$

$$= 30,777 \text{ psi} < 54000 \text{ psi O.K.}$$

Stress in masonry:

$$K = M/F = 2741 / .0141 = 194.39$$

$$f_m = 2K/jk = (2)(194.39) / (.415)(.861)$$

$$= 1082.88 \text{ psi} > 500 \times 1.67 \text{ (see Ref. 1.1)}$$

9.5 Check for partial cracking in accordance with ACI-318 (Refer to FSAR 3.7b.3.1.5)

Deflection (SSE)

$$I_{cr} = 46.94 \text{ in}^4$$

$$\Delta = \Delta' + \Delta_{F'} + \Delta_{M'L}$$

$$\Delta' = .509(141.47/113.66) = .634 \text{ in. See page 8 for OBE deflection.}$$

$$\Delta_{F'} = (.0942)(178/143) = .117 \text{ in. See page 8 for OBE deflection.}$$

$$\Delta_{M'L} = .0547 \text{ in.}$$

$$\Delta = .634 + .117 + .0547 = .8057 \text{ in.}$$

$$I'_e = (M_{cr}/M'_a)^3 I_g + (1 - M_{cr}/M'_a)^3 I_{cr}$$

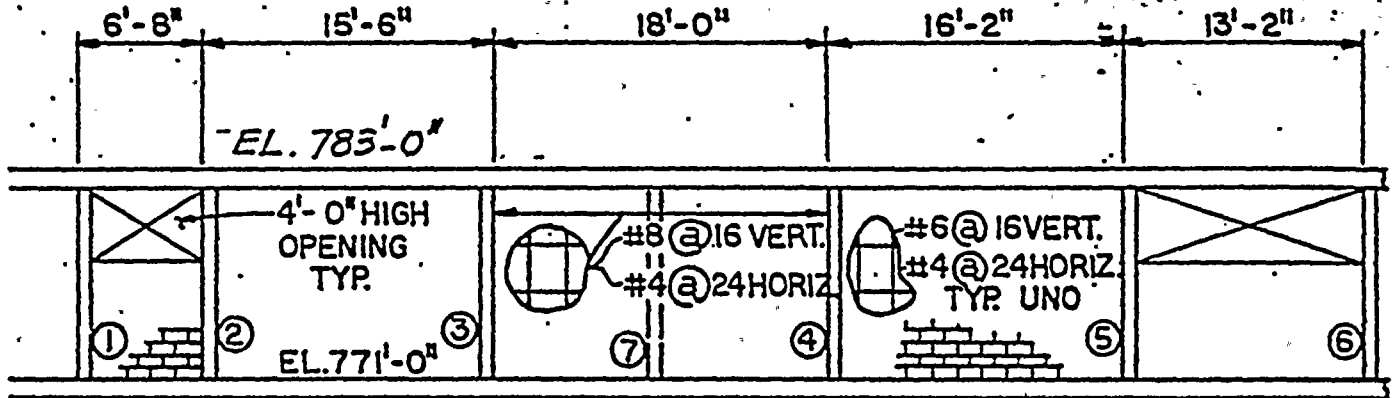
$$= \left[\frac{2218.8}{32892} \right]^3 (443.32) + \left[1 - \left(\frac{2218.8}{32892} \right)^3 \right] 46.94$$

$$= 47.06 \text{ in}^4 \approx 46.94 \text{ in}^4$$

No further checking for partial cracking is required.

10. In Plane Loading:

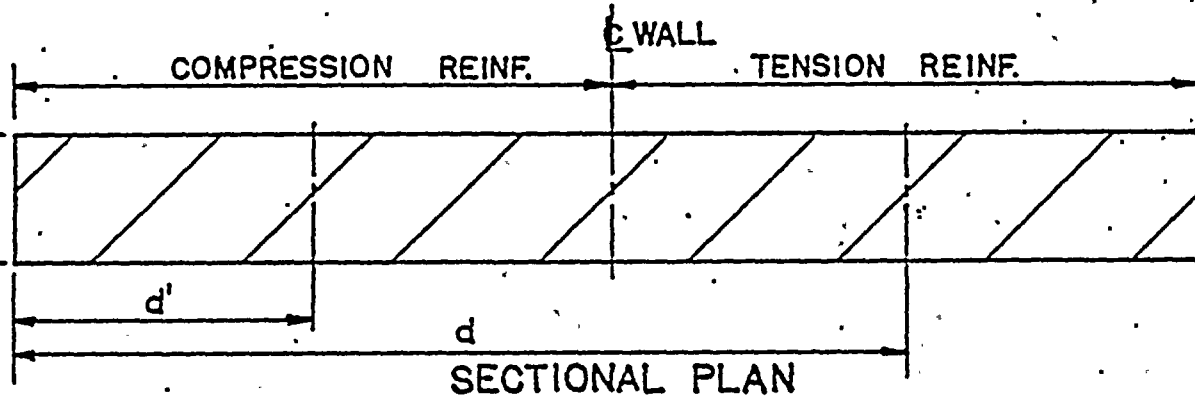
Reference: Section-B dwg. C-1305



$$L = (6.67 + 15.5 + 18 + 16.17 + 13.17) = 69.51'$$

Assume the following:

1. Reinforcement #6 @ 16 vert. (conservative)
2. Perpendicular walls contribute to loading but not to stiffness of wall in in-plane direction
3. Deflection is less than 1 1/2" and therefore ceiling structural steel beams do not support the wall (See drawing C-805 for gap details)



$$d = (3/4)(L) = (3/4)(69.51)(12) = 625.59 \text{ in}$$

$$d' = (1/4)(L) = (1/4)(69.51)(12) = 208.53 \text{ in}$$

$$A_s = A'_s = (27 \text{ bars})(.44) = 11.88 \text{ in}^2$$

$$\rho = A_s/bd = 11.88/(7.625)(625.6) = .0025$$

$$d'/d = .333$$

$$\rho' = A'_s/bd = 11.88/(7.625)(625.5) = .0025$$

$$(n \rho) = (20)(.0025) = .050$$

$$(n-1) \rho' = (19)(.0025) = .0475$$

$$\begin{aligned} c/d &= \sqrt{[n\rho + (n-1)\rho']^2 + 2[n\rho + (n-1)\rho'] d'/d} - [n\rho + (n-1)\rho'] \\ &= [(.05 + .0475)^2 + 2(.05 + .0475 \times .333)]^{1/2} - (.05 + .0475) \\ &= .2778 \end{aligned}$$

$$c = (.2778)(625.59) = 173.79 \text{ in}$$

$$\begin{aligned} I_{cr} &= \frac{bd^3(c/d)^3}{3} + n b d (d-c)^2 + (n-1) \rho' b d (c-d')^2 \\ &= \frac{1}{3} (7.625)(625.59)^3 (.2778)^3 + .05 (625.59)(7.625) \times \\ &\quad (625.59 - 173.79)^2 + (.0475)(7.625)(625.59)(173.79 - 208.53)^2 \\ &= 13,340,887.18 + 48,648,655.75 + 273,453.12 \\ &= 62,298,996 \end{aligned}$$

Note: The above approach for selecting "d", "d'", tension reinforcement and compression reinforcement is approx. only. An iterative process would be required to locate actual "d" and reinforcement.

$$\Delta = \Delta_b + \Delta_v = \frac{wL^4}{8E_m I} + \frac{3WL}{5AE_v} \quad \text{Ref. 1.8 page 185}$$

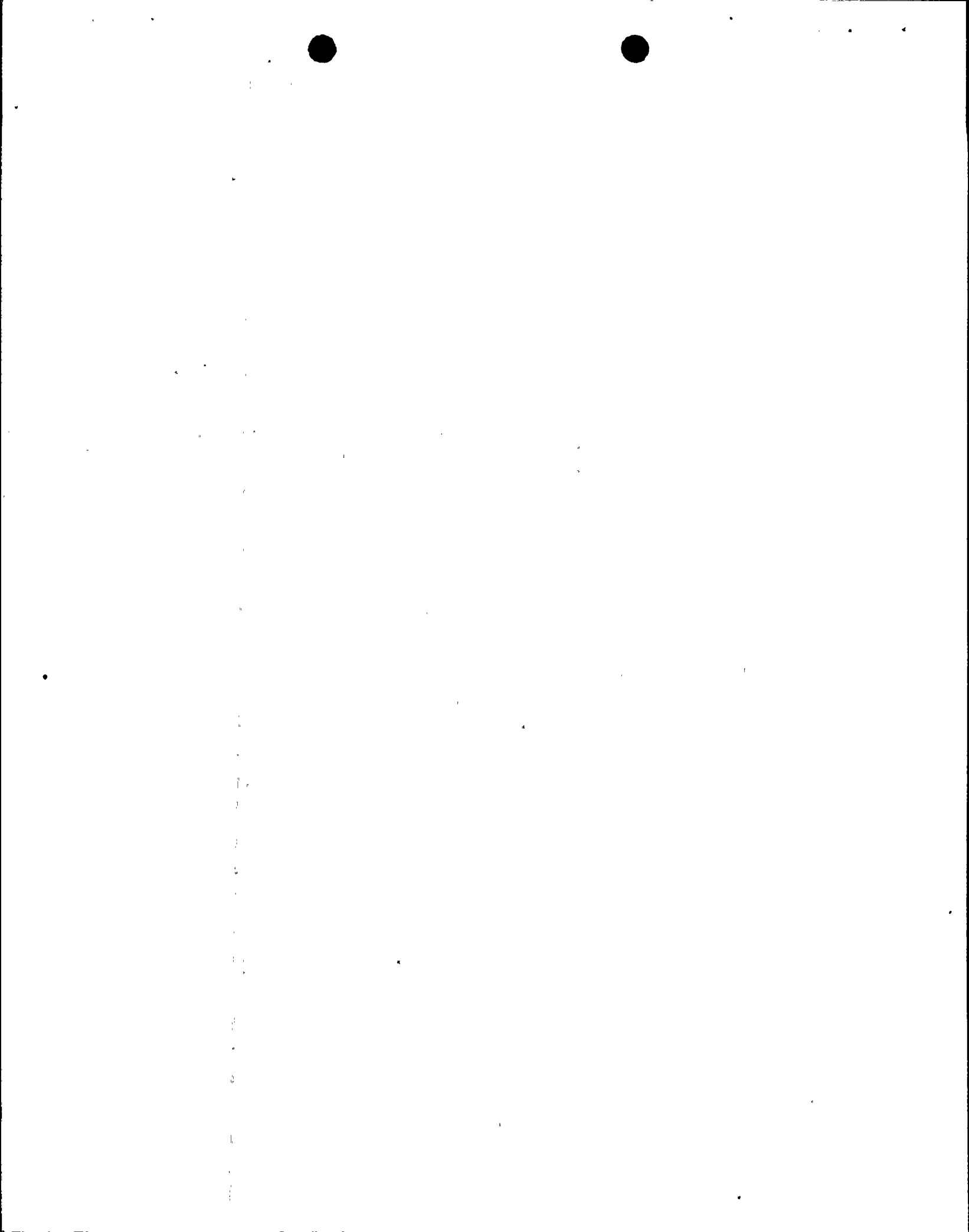
$$w = b \times \gamma \times L$$

$$w = (.6354)(125)(69.51) = 5520.9 \text{ lbs.ft (openings included)}$$

$$W = wH - \text{opening}$$

$$W = (5520.9)(10.88) - .6354 (4 \times 6.67 + 4 \times 12.5 + 7 \times 3.33) 125$$

$$= 52,125.69 \text{ lb}$$



Load from Perpendicular Walls.

The loading from cross walls is added to the wall inertia. The magnitude of the load depends on spacing of seismic supports (clip angles) for the cross wall, stiffness and acceleration of that wall.

In this example maximum spacing of clip angles is 4'-0" O.C.

Let U be the added load due to cross wall then:

$$U_1 = U_2 = U_3 = U_4 = U_5 = U_6 = U_7 \quad \text{where 1 to 7 represent cross walls}$$

$$U_1 = (L)(\gamma)(b)(a)$$

a = acceleration, see page 5; use maximum

$$U_1 = (2')(125 \text{ pcf})(.635)(1.43) = 227 \text{ lbs/ft of height}$$

value in lieu of calculating frequency for each wall

$$W = [52126 + (\sum_{i=1}^7 U_i)] = 52126 + (7)(227)(10.88) = 69414.3 \text{ lb}$$

$$w = 5520.9 + (7)(227) = 7109.9 \text{ lbs/ft}$$

$$\Delta b = \frac{wL^4}{8E_m I} = \frac{(7109.9)(10.88)^4(12)^3}{(8)(1500000)(62,298,996)} = .00023 \text{ in}$$

$$\Delta v = \frac{3WL}{(5)(AE_v)} = \frac{(3)(69414.3)(10.88 \times 12)}{(5)(173.79 \times 7.625)(600,000)} = .00684 \text{ in}$$

$$\Delta \text{ static} = .00023 + .00684 = .00707 \text{ in}$$

$$f_n = 1/2 (g/\Delta)^{1/2} = 1/2 (386.4/.00707)^{1/2}$$

$$f_n = 37.21 \text{ Hz}$$

$$.85 f_n = 31.63 \text{ Hz}$$

$$1.15 f_n = 42.79 \text{ Hz}$$

Refer to Specification 8856-G-24 for the following:

RESPONSE SUMMARY

Horizontal Response					Peak Vert. Resp.		
Type	Freq.	Damp.	Accel.	Fig.		Accel.	Fig.
OBE	32	4%	.226	BN9-1	N/S		
SSE	32	7%	.287	FN9-2			
SRV	32	4%	.06	BN9-3			
LOCA	32	7%	.13	FN9-4			
OBE	32	4%	.218	BE10-1	E/W		
SSE	32	7%	.271	FE10-2			
SRV	32	4%	.05	BE10-3			
LOCA	32	7%	.13	FE10-4			

WALL EVALUATION

d = Distance to doorway
(very conservative)

Loading Combination: (Normal/Severe)

$$D+L+T_o+H_o+E+SRV+D_s$$

$$E+SRV = (.226+.06) = .29 \text{ g}$$

$$V = Wa + [a(100 \text{ lb})(L/3)] + U_1$$

$$V = (.29)(52126) + (.29)(100 \times 69.51/3) + (7 \times 227)(10.88)$$

$$= 15116.5 + 671.83 + 17288.3 = 33076.7 \text{ lbs}$$

100 lb = attachment load per 3 ft. strip as shown on dwg. C-807

$$v = V/bjd = 33076.7 / (7.625)(.907)(29 \times 12 + 4)$$

$$= 13.58 \text{ psi} < 43 \text{ psi} \text{ O.K.}$$

$$j = 1 - \frac{k}{3}$$

$$= 1 - (c/d)/3$$

$$= 1 - \frac{.2778}{3} = .9074$$

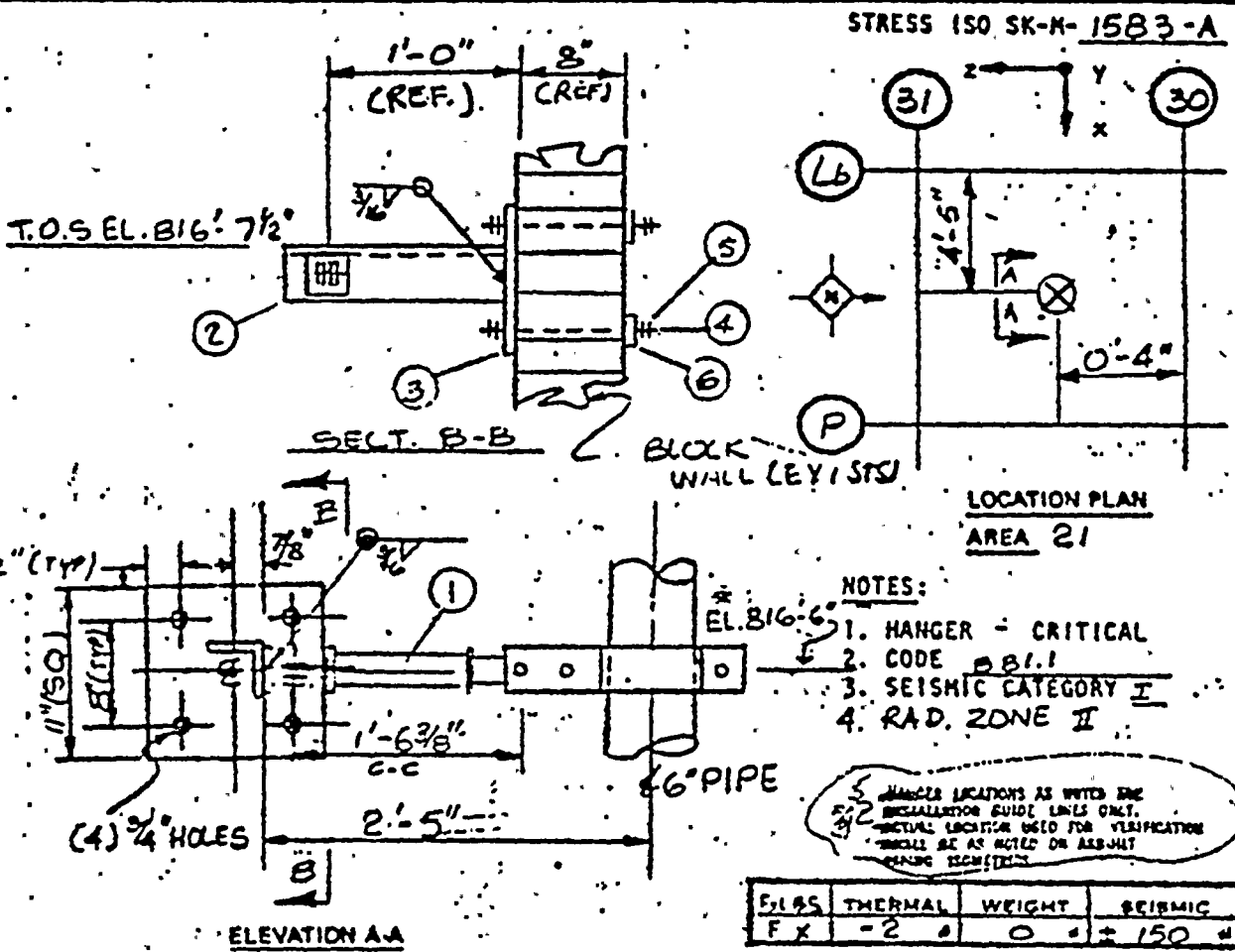
Note: By inspection for abnormal/extreme Environmental load combination,
in-plane shear is O.K.

AS-BUILT MINOR REVISION FOR PROJECT REVIEW ONLY

dfi skala

99-00-610 R-013-P

ITEM NO	NO REQD	FIG. NO.	SIZE	DESCRIPTION	TN #	MAT'L
* 1	1	211	#1	Sway Strut Assy. $6\frac{5}{8}$ " O.D. Pipe W = 0'-11" , Load = 152# /PH74, Rear Brkt Pin - A-193 Gr. 37. Rod = SA-26, PI=SA-36 (or SA-515Gr:65)		SA106GrB (pipe)
* 2	1	-	4 3X3X $\frac{3}{8}$ X 1'-3" LG		9	SA 36
3	1	-	R $\frac{5}{8}$ X 11" X 11"	CORSA-515-GR 65)		SA 36
4	4	140	$\frac{3}{8}$ " X 1'-2" ROD W/ALL THREAD			SA-36
5	16	-	$\frac{3}{8}$ " HEX NUT			SA307AB
6	4	60	$\frac{3}{8}$ " STL. WASHER P			SA 36



ISSUED FOR CONSTRUCTION		BY	CHK'D	DESIGN	COPY	ENG	STR	PROJ
REV. DATE	REVISIONS							
PENNSYLVANIA POWER & LIGHT COMPANY ALLENTOWN, PENNSYLVANIA SUSQUEHANNA STEAM ELECTRIC STATION UNIT 1 & UNIT 2				NO. HBD-3003-1(7) REF. DWGS. M-21-11-2 STEEL C-718-3				
PIPE SUPPORT CENTRAL CONTROL BLDG		JOB NO.	Q	DRAWING NO. SU 300		REV.		
CHILLED WATER UNIT 1 & 2		8856	HBD-3003-H4		0/1/2			

UNCONTROLLED COPY

LOADING REQUIREMENTS
PI-A-LH E-7018

REVISIONS TO BE MADE BY GINNELL. ALL OTHER REVISIONS WILL BE ORDERED IN WRITING FROM PROJECT MANAGER.



CALCULATION SHEET

2

ORIGINATOR PING Y. TANG DATE 2-19-81 CHECKED E. JILWAN DATE 2-20-81
 PROJECT SSES JOB NO. 8856
 SUBJECT HBD-3003-H4 SHEET NO. 1/1

CALC. NO. H-1583C REV. NO. 0

(1) Design Load (Normal):

$$P = F_x = -152 \# \text{ OR } P = 150 \#$$

$$M = 12 \times 152 = 1824 \#$$

(2) Bearing stress:

$$F = \frac{1}{2} \times 5.5 \times 11 \sigma_m = 30.25 \sigma_m \dots (i)$$

$$M = 2 \times F \times \frac{2}{3} \times 5.5 = 7.33 F \dots (ii)$$

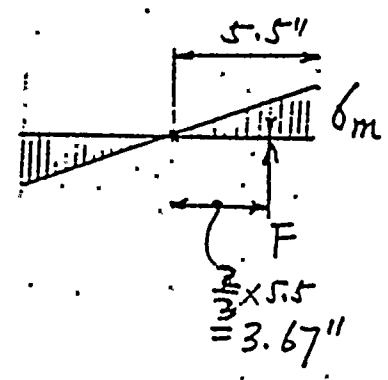
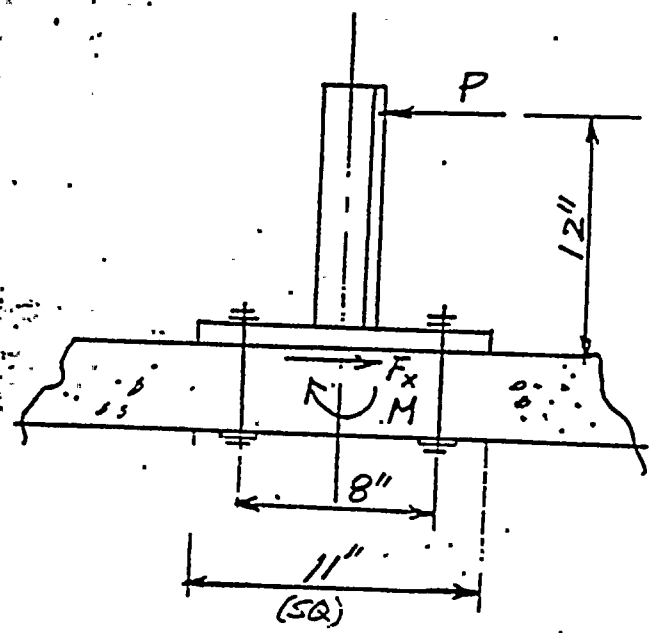
$$\therefore M = 1824$$

$$\text{From (ii), } F = 1824 / 7.33 = 248.73$$

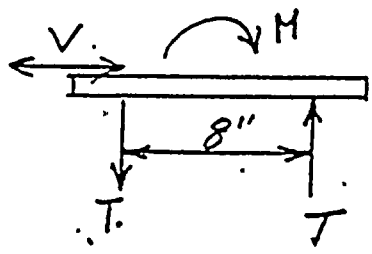
Sub. into (i)

$$\sigma_m = \frac{248.73}{30.25} = 8.22 \text{ psi}$$

< 300 psi O.K.
(Allowable stress on Block wall)



(3) Bolts (Tension & Shear):



$\frac{5}{8} \text{ } \phi$: Gross Area = 0.307 in^2

$$T = \frac{1824}{8 \times 2} = 114 \# / \text{Bolt} = \frac{114}{.307} = 371.33 \text{ psi}$$

$$V = \frac{152}{4} = 38 \# / \text{Bolt} = \frac{38}{.307} = 123.78 \text{ psi}$$

$$\therefore f_y = \left(\frac{114}{38} \right)^2 + \left(\frac{38}{38} \right)^2 \right)^{\frac{1}{2}} = 120.2 \# < 750 \#$$

(Allowable load for $\frac{5}{8} \text{ } \phi$ through bolt.)

