

Attachment 2  
RBG-47505

Calculation G.13.18.2.7-116, Rev. 0  
Load Drop Calculation for Spent Fuel Pool Gates (FNS-GATE1 and FNS-GATE2)

(208 pages)

ANO-1       ANO-2       GGNS       IP-2       IP-3       PLP  
 JAF       PNPS       RBS       VY       W3  
 NP-GGNS-3       NP-RBS-3

**CALCULATION COVER PAGE**      **EC # 52637**      **Page 1 of 208**

Design Basis Calc.    YES    NO       CALCULATION       EC Markup

**Calculation No: G13.18.2.7-116**      **Revision: 0**

**Title: Load Drop Calculation for Spent Fuel Pool Gates (FNS-GATE1 and FNS-GATE2)**      **Editorial:**  
 YES    NO

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**REVIEWS**

Name/Signature/Date <u>See AS</u> <b>Responsible Engineer:</b> <u>Jordan Carter</u> <u>Melissa Litherland</u>	Name/Signature/Date <u>See AS</u> <input checked="" type="checkbox"/> <b>Design Verifier:</b> <u>Eugene Desir</u> <u>Nasser Pazooki</u> <input type="checkbox"/> Reviewer <input type="checkbox"/> Comments Attached	Name/Signature/Date <u>See AS</u> <b>Supervisor/Approval:</b> <u>Isaac Wells</u> <input type="checkbox"/> Comments Attached
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**CALCULATION  
REFERENCE SHEET**

**CALCULATION NO: G13.18.2.7-116  
REVISION: 0**

**I. EC Markups Incorporated (N/A to NP calculations)**

None

<b>II. Relationships:</b>	<b>Sht</b>	<b>Rev</b>	<b>Input Doc</b>	<b>Output Doc</b>	<b>Impact Y/N</b>	<b>Tracking No.</b>
1. FB-1592	N/A	002	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
2. ER-RB-1996-0082-000	N/A	000	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
3. G13.18.2.7*031	N/A	000	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
4. 4200.060-003-001A	N/A	A	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
5. G13.18.9.5*059	N/A	001	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
6. 8.2.102	N/A	000	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
7. 4223.321-258-007A	N/A	300	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
8. 0223.321-258-004	N/A	300	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
9. G13.18.2.7*091	N/A	000	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
10. 223.321	N/A	001	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
11. EV-003A	N/A	011	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
12. 0219.721-213-045	N/A	300	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
13. EC-062H	N/A	006	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
14. PN-311	N/A	002	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
15. C62.500	N/A	003	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
16. PID-34-02A	N/A	021	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
17. LDT-SFC	N/A	000	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
18. PCD-SFC-001-CD-A	N/A	007	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
19. PCD-SFC-014-CD-A	N/A	007	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
20. PCD-SFC-006-CD-A	N/A	006	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
21. PCD-SFC-007-CD-A	N/A	010	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
22. PCD-SFC-006-CD-C	N/A	005	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	
23. 228.000	N/A	004	<input checked="" type="checkbox"/>	<input type="checkbox"/>	N	

**III. CROSS REFERENCES:**

1. EC 42063 "Seismic Qualification of Fuel Building Bridge Crane MHF-CRN1 for Load of 2500 lbs and Revision of Fuel Pool Gate Rigging Plan for Resubmission of License Amendment Request LAR-2010-04"
2. EC 14186 "24 Month Cycles USAR Chapter 15 Safety Analysis"
3. NUREG/CR-6604, "RADTRAD: A Simplified Model for RADionuclide Transport and Removal And Dose Estimation", Published April December 1998 1997, and Supplement 1 Dated 6/8/99, and Supplement 2 Dated 10/2002.
4. Regulatory Guide 1.183, "Alternative Radiological Source Terms for Evaluating Design Basis Accidents at Nuclear Power Reactors", July 2000
5. Code of Federal Regulations, Title 10, Section 50.67, "Accident Source Term"

6. NUREG-0800, Standard Review Plan (July 1981), Section 6.4 (Rev. 2), "Control Room Habitability Systems"
7. American Institute of Steel Construction (AISC) Manual of Steel Construction, 13<sup>th</sup> Edition
8. General Electric Company, GESSAR II Nuclear Island Design, (22A7007)
9. Crane Technical Paper No. 410 "Flow of Fluids"
10. River Bend Technical Specifications Section 3.7.6, Fuel Pool Water Level
11. Web page [http://www.engineeringtoolbox.com/water-dynamic-kinematic-viscosity-d\\_596.html](http://www.engineeringtoolbox.com/water-dynamic-kinematic-viscosity-d_596.html) (Copy provided as Attachment C)
12. Perry's Chemical Engineer's Handbook, Sixth Edition, 1984
13. ASME III 1974, Section NA

**IV. SOFTWARE USED:**

Title: RADTRAD Version/Release: 3.02 Disk/CD No. N/A SDDF: 6244.400-912-001B Rev 300

**V. DISK/CDS INCLUDED:**

Title: N/A Version/Release \_\_\_\_\_ Disk/CD No. \_\_\_\_\_

**VI. OTHER CHANGES:**

None

Revision	Record of Revision
0	Initial issue.

<b>TABLE OF CONTENTS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 5

Section	Description	Page
1.0	CALCULATION COVER PAGE	1
2.0	CALCULATION REFERENCE SHEET	2
3.0	RECORD OF REVISION	4
4.0	TABLE OF CONTENTS	5
5.0	PURPOSE	6
6.0	CONCLUSION	6
7.0	INPUT AND DESIGN CRITERIA	7
8.0	ASSUMPTIONS	19
9.0	METHOD OF ANALYSIS	23
10.0	CALCULATIONS	26
	ATTACHMENTS	
	ATTACHMENT A - RADTRAD Nuclide Input File RBS_fhaRev1a266.nif	131
	ATTACHMENT B – RADTRAD Results File	144
	ATTACHMENT C – Water Dynamic and Kinematic Viscosity	182
	ATTACHMENT D – Excel Spread Sheet Formula Views, Sections 10.2 through 10.4	183

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 6

## 5.0 PURPOSE

The purpose of this calculation is to perform a load drop analysis for the Spent Fuel Pool gates (FNS-GATE1 and FNS-GATE2) during the rigging and gate movement operations to perform gate seal replacement. This load drop analysis will conform to the recommended guidelines within NUREG-0612.

## 6.0 CONCLUSION

The drop of a Spent Fuel Pool Gate (FNS-GATE1 or FNS-GATE2) and the associated rigging from a maximum height of 6.00 feet above the top of spent fuel bundles will result in a maximum of 209 damaged fuel rods. To provide additional margin for changes in rigging or fuel design, a failure of 266 rods is postulated and analyzed for dose consequences.

The dose analysis for a load drop resulting in a failure of 266 fuel rods with a decay time of 14 days (336 hours) gives the following Total Effective Dose Equivalent (TEDE) at the Exclusion Area Boundary (EAB), Low Population Zone (LPZ) and Control Room (CR). As shown in the results table, the dose resulting from a drop of a Spent Fuel Pool Gate and the associated rigging is less than the RG 1.183 dose limits and is bounded by the dose analyzed for the design basis Fuel Handling Accident in the Fuel Building.

### Calculation Results TEDE (REM)

Dose Receptor	Acceptance Criteria	FHA in Fuel Building	Gate Drop in Fuel Building
EAB*	6.3	2.5725	1.2155
LPZ	6.3	0.33912	0.16017
CR	5	1.6790	0.87328

\*Worst 2-hour period

Analysis of the penetration of the steel spent fuel pool liner as a result of the drop of the gate and associated rigging components has determined that the minimum required liner thickness required to prevent perforation resulting from object impact is less than the thickness of the stainless steel liner. Given the liner will not be penetrated due to impact of objects being moved for Spent Fuel Pool gate seal replacement, there will be no water leakage from the pool. Thus, no minimum water makeup capability to accommodate leakage from the load drop is required.

Analysis of a load drop on the spent fuel storage racks has determined that the impact force for each potential dropped object is bounded by the existing fuel storage rack load drop analysis. Thus, the required  $k_{eff}$  for stored spent fuel is maintained in the event that a load drop occurs during Spent Fuel Pool gate movement.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 7

The assessment of the impact load drop on the Spent Fuel Pool Cooling piping located in the pool has determined that the Fuel Pool Cooling piping has adequate ductility to accommodate the impact of a fuel pool gate transitioning from an initial drop onto the spent fuel or racks and will not be perforated as a result of the impact. Based upon adequate ductility of the piping and the level of impact of the gate with the piping being below the minimum water level in the pool, it can be concluded that any damage to the piping will not affect the ability of the pool water to be transferred to or from the Spent Fuel Pool Cooling system. As a result, a load drop of the gates will not adversely affect the safe shutdown function to maintain spent fuel pool cooling.

The total weight of the objects utilized in this analysis is 2375 lbs. This is rounded to approximately 2500 lbs for inclusion in USAR Section 9.1.2.3.3. The use of "approximately 2500 lbs" in the USAR is appropriate given the conservatism included in this calculation and the 20% margin included in the dose analysis to account for any minor changes in rigging or fuel design.

## 7.0 INPUT AND DESIGN CRITERIA

### Definitions

AST	Alternate Source Term (same as RST)
CR	Control Room
EAB	Exclusion Area Boundary
FB	Fuel Building
FHA	Fuel Handling Accident
LPZ	Low Population Zone
RADTRAD	Radionuclide Transport and Removal and Dose Estimate
RG	Regulatory Guide
RPF	Radial Peaking Factor
RST	Revised Source Term (same as AST)
TEDE	Total Effective Dose Equivalent

Per References III.4 and III.5, the calculated Total Effective Dose Equivalent (TEDE) limits are as follows:

EAB:	6.3 REM TEDE* (2 hour duration)
LPZ:	6.3 REM TEDE (30 day duration)
Control Room:	5 REM TEDE (30 day duration)

\*Worst 2-hour period



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 8

### Equations

$$E_{dif} = 1 - [M_1 / (M_1 + M_2)] \quad (\text{Ref. III.8, pg. 15.7-21; Ref. II.3, pg. 6-7})$$

Where:

$E_{dif}$  = Fraction of kinetic energy absorbed during impact

$M_1$  = Mass of Gate

$M_2$  = Mass of Impacted Fuel Bundles

= (# of fuel bundles)(Buoyant bundle wt, lbs/bundle)

$$E_{abs} = (PE)(E_{dif}) \quad (\text{Ref. III.8, pg. 15.7-24; Ref. II.3, pg. 6-7})$$

Where:

$E_{abs}$  = Energy absorbed during impact

PE = Potential Energy

$E_{dif}$  = Fraction of kinetic energy absorbed during impact

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb} \quad (\text{Ref. III.8, pg. 15.7-24; Ref. II.5, pg. 15})$$

Where:

$F_{comp}$  = number of fuel rod failures caused by compression

$E_{abs}$  = Energy absorbed during impact

$$A_i = AC * FD * FRP * FG * (1/DF) \quad (\text{Ref. II.5\_EC 14186 markup pg. 24})$$

Where:

$A_i$  = total activity of isotope i released to the environment (Ci/MWt)

AC = total activity in the reactor core (Ci/MWt)

FD = fraction of core damaged (unitless)

= Number of rods damaged / (Rods per bundle \* Bundles in core)

FRP = maximum radial peaking factor (unitless)

FG = fraction of isotope activity in damaged rods escaping as gap release (unitless).

DF = decontamination factor within pool water for isotope i (unitless)

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 9

$$L = E_i / (U)(A_i)$$

(Ref. II.7, pg. 4.2-240)

Where:

L = Length of Damage (in)

E<sub>i</sub> = Total Impact Energy of Falling Object (in\*lb)

U = Strain Energy for Unit Volume (in\*lb/in<sup>3</sup>)

A<sub>i</sub> = Area of Impact Contact (in<sup>2</sup>)

$$A_i = (N)(l)(t)$$

(Ref. II.7, pg. 4.2-240)

Where:

A<sub>i</sub> = Area of Impact Contact (in<sup>2</sup>)

N = Number of Plates in Impact Zone

l = Contact Length per Plate (in)

t = Plate Thickness (in)

$$E = U + K$$

(Ref. II.9, pg. 4)

Where:

E = Total Energy

U = Potential Energy

K = Kinetic Energy

$$U = (M)(G)(H)$$

(Ref. II.9, pg. 4)

Where:

U = Potential Energy

M = Mass

G = Acceleration of Gravity

H = Height of Drop

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 10

$$K = \frac{1}{2}(M)(V^2)$$

(Ref. II.9, pg. 4)

Where:

K = Kinetic Energy

M = Mass

V = Velocity

$$T^{3/2} = 0.5 M V_s^2 / (17,400 K^2 D^{3/2})$$

(Ref. II.4, pg. C-8)

Where:

T = steel thickness to just be perforated, in

M = mass of the missile, lb-s<sup>2</sup>/ft

V<sub>s</sub> = striking velocity of the missile normal to target surface, ft/s

K = constant depending on the grade of the steel, K is usually = 1

D = diameter or equivalent diameter of the missile, in

$$\text{Thickness required to prevent steel perforation} = T * 1.25 \quad (\text{Ref. II.4 pg. 2})$$

Where:

T = steel thickness to just be perforated, in

$$V_0 = (2gh)^{1/2}$$

(Ref. II.4, pg. E-4, 5-3)

Where:

V<sub>0</sub> = velocity of the missile at contact with the water surface, ft/s

g = gravitational acceleration = 32.17 ft/s<sup>2</sup>

h = distance between the missile and the water surface, ft

$$V_s = [Z(H)]^{1/2}$$

(Ref. II.4, pg. 5-2)

Where:

V<sub>s</sub> = velocity of the missile striking the steel surface, ft/s

Z(H) = function for determination of striking velocity (see formulas below)

H = feet of fluid between fluid surface and surface of steel target

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 11

The following equations are from Ref. II.4, pg. 5-2:

$$Z_1(x) = (g/a) + (bA_0)[(1-2ax)/2a^2] + e^{-2ax}[(V_0^2 - (g/a) - (bA_0/2a^2)]$$

$$Z_2(x) = V_0^2 + e^{-2ax} \{ (bA_0/2a^2)[e^{2aL}(1-2aL) - 1] + V_0^2 + [(g/a)[(e^{2aL}(\gamma/\gamma_m) - 1)] \}$$

Where:

$Z_1(x)$  = function for determining the striking velocity at depth  $H = x$  when  $0 \leq x \leq L$

$Z_2(x)$  = function for determining the striking velocity at depth  $H = x$  when  $x \geq L$

$$a = (\gamma * A_0 * C_D) / (2 * W) \quad (\text{Ref. II.4, pg. 5-3})$$

$$b = (\gamma * g) / W \quad (\text{Ref. II.4, pg. 5-3})$$

$$g = \text{gravitational acceleration} = 32.17 \text{ ft/s}^2 \quad (\text{Ref. II.4, pg. 5-3})$$

$$W = \text{weight of missile, lb} \quad (\text{Ref. II.4, pg. 5-3})$$

$$\gamma = \text{weight density of liquid, lb/ft}^3 \quad (\text{Ref. II.4, pg. 5-3})$$

$$\gamma_m = \text{weight density of missile, lb/ft}^3 \quad (\text{Ref. II.4, pg. 5-3})$$

$x$  = depth of missile center of gravity below the water surface, ft  
(Ref. II.4, pg. 5-3, 5-5)

$A_0$  = horizontal cross-sectional area of the missile (constant over length  $L$ ),  $\text{ft}^2$   
(Ref. II.4, pg. 5-3)

$C_D$  = drag coefficient given in table 5-1 of the reference or other references on fluid mechanics which is a function of  $L/d$ ,  $R$  and shape of the missile  
(Ref. II.4, pg. 5-3, 5-4)

$L$  = vertical length of the missile, ft (Ref. II.4, pg. 5-3)

$d$  = characteristic dimension of the missile, for a rectangular surface  $d$  = width, ft  
(Ref. II.4, pg. 5-3, 5-4)

$$R = \text{Reynolds Number} = (V_0 * d) / \nu \quad (\text{Ref. II.4, pg. 5-3})$$

$$\nu = \text{kinematic viscosity of the liquid, ft}^2/\text{s} \quad (\text{Ref. II.4, pg. 5-3})$$

$$V_0 = \text{initial velocity of the missile at } x = 0, \text{ ft/s} \quad (\text{Ref. II.4, pg. 5-3, 5-5})$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 12

$V_s$  = striking velocity of the missile at  $x = H$ , ft/s (Ref. II.4, pg. 5-2)

$V_2$  = terminal velocity, ft/s =  $[(g/a) * (1 - \gamma/\gamma_m)]^{1/2}$  (Ref. II.4, pg. 5-3)

$H$  = depth of the fluid, ft (Ref. II.4, pg. 5-3)

$a^2 + b^2 = c^2$  (Ref. III.12, pg. 2-27)

Where:

$a$  = triangle side length

$b$  = triangle side length

$c$  = triangle hypotenuse length

$M_e = (D_x + 2d) * M_x$  Ref. II.4 pg. 3-6

Where:

$M_e$  = Average effective mass of target during impact, lb

$M_x$  = Mass per unit length of steel beam, lb/in

$D_x$  = Maximum missile contact dimension in the x direction (longitudinal axis for beams), inches

$d$  = depth of steel beam, inches

$E_s = (M_m^2 * V_s^2) / [2 * (M_m + M_e)]$  Ref. II.4 pg. 3-5

Where:

$E_s$  = strain energy, in-lb

$M_m$  = Mass of the missile, lb

$M_e$  = Effective mass of target during impact, lb

$V_s$  = Missile striking velocity, in/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 13

$$R_m = (8 * I * f_{dy}) / (L * d)$$

Ref. II.4 pg. E-3

Where:

$R_m$  = plastic resisting force, lb

$I$  = moment of inertia, in<sup>4</sup>

$f_{dy}$  = allowable dynamic strength value = (DIF) \*  $f_{stat}$

DIF = dynamic increase factor = 1

$F_{stat}$  = static strength (yield strength), psi

$L$  = Length of beam, inches

$d$  = depth of steel beam, inches

$$x_e = R_m L^3 / 48EI$$

Ref. II.4 pg. 4-5

Where:

$x_e$  = yield displacement, in

$R_m$  = plastic resisting force, lb

$L$  = Length of beam, inches

$E$  = modulus of elasticity, lb/in<sup>2</sup>

$I$  = moment of inertia, in<sup>4</sup>

$$\mu_r = [(E_s / (x_e * R_m))] + 0.5$$

Ref. II.4 pg. 3-8

Where:

$\mu_r$  = required ductility ratio

$E_s$  = strain energy, in-lb

$R_m$  = plastic resisting force, lb

$x_e$  = yield displacement, in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 14

Data

L = Length of Spent Fuel Pool Gate = 24'-4 5/8" = 24.39 ft	(Ref. II.1, pg. A11)
W = Width of Spent Fuel Pool Gate = 4'-9 1/4" = 4.771 ft	(Ref. II.1, pg. A11)
T = Thickness of Spent Fuel Pool Gate = 4 3/4" = 0.3958 ft	(Ref. II.1, pg. 17)
M <sub>G</sub> = Weight of Spent Fuel Pool Gate = 1600 lbs	(Ref. II.1, pg. 28)
M <sub>1</sub> = Estimated Total Weight of Spent Fuel Pool Gate and Rigging = 2000 lbs	(Ref. III.1, pg. 4);
M <sub>2</sub> = Buoyant Weight of Fuel Bundle = 562 lbs	(Ref. II.5, pg. 15)
Clad Yield Strength = 200 ft-lb	(Ref. II.5, pg. 15)
Spacing between Fuel Bundles = 6.25" = 0.5208 ft	(Ref. II.3, pg. 4)
L = Length of Intermediate Lifting Beam = 4'-9" = 4.75 ft	(Ref. II.2, pg. 6)
W = Width of Intermediate Lifting Beam = 5" = 0.4167 ft	(Ref. II.2, pg. 6)
D = Depth of Intermediate Lifting Beam = 5" = 0.4167 ft	(Ref. II.2, pg. 6)
Nominal Weight of HSS6x5x1/2 = 31.71 lbs/ft	(Ref. III.7, pg. 1-82)
W = Width of Alternate Lifting Beam = 4" = 0.333 ft	(Ref. III.7, pg. 1-26)
D = Depth of Alternate Lifting Beam = 6" = 0.5 ft	(Ref. III.7, pg. 1-26)
Nominal Weight of W6x12 Steel Beam = 12 lbs/ft	(Ref. III.7, pg. 1-27)
U = Strain Energy for Unit Volume (in*lb/in <sup>3</sup> ) = 19740 in-lb/in <sup>3</sup>	(Ref. II.7, pg. 4.2-240)
t = thickness of cell assembly = 0.075 inches	(Ref. II.7, pg. 3.2-1)
Depth of poison material below top of rack = 16.22 inches	(Ref. II.7, pg. 4.2-235)
Elevation of Top of Fuel Racks = 177" + 70'1-5/16" = 84.86'	(Ref. II.8)
Elevation of bottom of Gate = 90'	(Ref. II.2, pg. 8)
Elevation of bottom of Intermediate Lifting Beam = 115'	(Ref. II.2, pg. 8)
Elevation of bottom of Alternate Lifting Beam = 123'	(Ref. II.2, pg. 12)
Acceleration of Gravity = 32.174 ft/sec <sup>2</sup>	(Ref. III.9, pg. B-10)
Impact Energy rating for Fuel Racks = 3800 ft-lb	(Ref. II.10, pg. 1-18)
Spent Fuel and Cask Pool floor elevation = 70' 0" or 70.0'	(Ref. II.11)
Spent Fuel Pool and Cask Pool floor steel liner thickness = 3/16" or 0.188"	(Ref. II.12)
Elevation of Fuel and Cask Pool Curb = 113' 4"	(Ref. II.13)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 15

Approximate lift height above laydown floor elevation obstructions = 6"	(Ref. III.1, pg. 16)
Minimum water level above the top of irradiated fuel = $\geq 23'$	(Ref. III.10, pg. 3.7-15)
Stored fuel bundle upper tie plate elevation = 84.6645'	(Ref. II.3, pg. 4)
Maximum Spent Fuel Pool Water Temperature 155.6 deg. F	(Ref. II.14, pg. 5)
Density of water @ 160 deg. F 60.994 lb/ft <sup>3</sup>	(Ref. III.9, pg. A-6)
Kinematic viscosity of water @ 160 deg. F = 0.439 E-5 ft <sup>2</sup> /s	(Ref. III.11)
Allowable ductility ratio $\mu$ for steel elements, members proportioned to preclude lateral and local buckling; Flexure, compression and shear $\mu \leq 20$	(Ref. II.4 pg. 4-7)
Fuel Pool Cooling Lines Penetrating Spent Fuel Pool	(Ref. II.16)
SFC-012-001-3	
SFC-012-014-3	
SFC-012-006-3	
SFC-012-007-3	
Pipe Class (Spec. 228.000) of Spent Fuel Pool Cooling Piping = Class 153	(Ref. II.17)
Fuel Pool Cooling Piping Diameter and Schedule	
SFC-012-001-3      12" diameter Schedule STD	(Ref. II.23 pg. 16, II.17)
SFC-012-014-3      12" diameter Schedule STD	(Ref. II.23 pg. 16, II.17)
SFC-012-006-3      12" diameter Schedule STD	(Ref. II.23 pg. 16, II.17)
SFC-012-007-3      12" diameter Schedule STD	(Ref. II.23 pg. 16, II.17)
Fuel Pool Cooling Piping Material	
SFC-012-001-3 = SA312 Type 304 Stainless Steel	(Ref. II.23 pg. 167, II.18)
SFC-012-014-3 = SA312 Type 304 Stainless Steel	(Ref. II.23 pg. 167, II.19)
SFC-012-006-3 = SA312 Type 304 Stainless Steel	(Ref. II.23 pg. 167, II.20)
SFC-012-007-3 = SA312 Type 304 Stainless Steel	(Ref. II.23 pg. 167, II.21)



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 16

Piping Parameters, 12" Schedule Standard

(Ref. III.9, pg. B-17)

Outer diameter = 12.75"  
 Wall thickness = 0.375"  
 Pipe weight per unit length = 49.56 lb / ft of length  
 Moment of inertia (I) = 279.3 in<sup>4</sup>

Modulus of Elasticity, E, at 200 deg F for TP 304 SS = 27.7E6 lb<sub>f</sub> / in<sup>2</sup> (Ref. III.12, pg. 6-92)

Material Properties, SA312 Type 304 Seamless Pipe

(Ref. III.13, pg. 76, 77)

Minimum Yield Strength = 30 ksi  
 Minimum Ultimate Tensile Strength = 75 ksi

Distance Fuel Pool Cooling Piping Extends into Pool

SFC-012-001-3 = 1.302'	(Ref. II.18)
SFC-012-014-3 = 1.302'	(Ref. II.19)
SFC-012-006-3 = 1.5'	(Ref. II.20)
SFC-012-007-3 = 1.33'	(Ref. II.21)

Elevation of Fuel Pool Cooling Piping Connection to Liner Embed

SFC-012-001-3 = 110' 0"	(Ref. II.18)
SFC-012-014-3 = 110' 0"	(Ref. II.19)
SFC-012-006-3 = 110' 0"	(Ref. II.20, II.22)
SFC-012-007-3 = 110' 0"	(Ref. II.21)

Elevation of First Support below Liner Embed Connection

SFC-012-001-3 = 86' 0"	(Ref. II.18)
SFC-012-014-3 = 86' 0"	(Ref. II.19)
SFC-012-006-3 = 92' 0"	(Ref. II.20, II.22)
SFC-012-007-3 = 92' 0"	(Ref. II.21)

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 17

*Meteorology Data (FB/RB X/Q Values)*

EAB: (0 - 2 hours):	8.58E-04 sec/m <sup>3</sup>	(Ref. II.6)
LPZ: (0 - 8 hours):	1.13E-04 sec/m <sup>3</sup>	(Ref. II.6)
(8 - 24 hours):	7.89E-05 sec/m <sup>3</sup>	(Ref. II.6)
(1 - 4 days):	3.65E-05 sec/m <sup>3</sup>	(Ref. II.6)
(4 - 30 days):	1.21E-05 sec/m <sup>3</sup>	(Ref. II.6)
CR: (0 - 20 min):	1.62E-03 sec/m <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 9)
(20 min - 8 hr):	4.05E-04 sec/m <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 9)
(8 - 24 hours):	3.00E-04 sec/m <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 9)
(1 - 4 days):	1.01E-04 sec/m <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 9)
(4 - 30 days):	1.62E-05 sec/m <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 9)
Power Level:	3100 MWt	(Ref. II.5_EC 14186 markup pg. 9)
Source Term:		(Ref. II.5_EC 14186 markup pg. 9)

24 Month Fuel Cycle Core Inventory (Ci/MW) at Time 0	
Isotope	
I-131	2.70E+04
I-132	3.92E+04
I-133	5.52E+04
I-134	6.06E+04
I-135	5.17E+04
Kr-85	3.66E+02
Kr-85m	7.02E+03
Kr-87	1.35E+04
Kr-88	1.89E+04
Xe-133	5.26E+04
Xe-135	1.99E+04

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 18

Fuel Building Volume:	7.42E5 ft <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 10)
CR Free Air Volume:	1.88E5 ft <sup>3</sup>	(Ref. II.5_EC 14186 markup pg. 10)
CR Filtration Credited Iodine Efficiency:	0%	(Ref. II.5_EC 14186 markup pg. 10)
CR Filtered Air Modeled Intake Flow:	1700 cfm	(Ref. II.5_EC 14186 markup pg. 11)
CR Unfiltered Air Modeled Inleakage Flow:	300 cfm	(Ref. II.5_EC 14186 markup pg. 11)
CR Total Modeled Intake Flow:	2000 cfm	(Ref. II.5_EC 14186 markup pg. 11)
CR Total Modeled Discharge Flow:	2000 cfm	(Ref. II.5_EC 14186 markup pg. 11)
Number of Bundles in Core:	624	(Ref. II.5_EC 14186 markup pg. 17)
Core Radial Peaking Factor:	2.00	(Ref. II.5_EC 14186 markup pg. 17)
Peak Assembly Burnup:	≤ 62,000 MWd/t	(Ref. II.5_EC 14186 markup pg. 17)
Maximum Fuel Rod Pressurization:	< 1200 psig	(Ref. II.5_EC 14186 markup pg. 17)
Minimum Spent Fuel Pool Water Depth:	≥ 23 feet	(Ref. II.5_EC 14186 markup pg. 17, Ref. III.10, pg. 3.7-15)
Number of Rods per Bundle for GE 9x9 Fuel:	74	(Ref. II.5_EC 14186 markup pg. 17)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 19

## 8.0 ASSUMPTIONS

1. The kinetic energy acquired by a falling fuel assembly may be dissipated in one or more impacts. This assumption is consistent with GE methodology used in GESSAR II 22A7007 (Ref. III.8, Section 15.7.4.3.1).
2. The kinetic energy of a dropped assembly is assumed to be absorbed by only the cladding, non-fuel components of the assembly, and other pool structures (i.e., no energy is absorbed by the fuel). This assumption is consistent with GE methodology used in GESSAR II 22A7007 (Ref. III.8, Section 15.7.4.3.1).
3. The fraction of the energy absorbed by the non-fuel parts of the assembly is assumed to be the same as the fraction of the structural material. As a result, the cladding absorbs  $19/(19+5)$  of the energy absorbed during impact. This assumption is consistent with GE methodology used in GESSAR II 22A7007 (Ref. III.8, Section 15.7.4.3.1).
4. For conservatism, dissipation of some of the mechanical energy of the falling Spent Fuel Pool Gate due to fluid drag is neglected. This assumption is consistent with GE methodology used in GESSAR II 22A7007 (Ref. III.8, Section 15.7.4.3.2).
5. For conservatism, the Spent Fuel Pool Storage racks are assumed to be 50% filled in Cases 2 and 4 (minimum impact fuel bundle cases) of the pool gate analysis. This condition would maximize the force of the gate on a fewer number of fuel bundles, failing a higher number of fuel rods.
6. In the design basis analysis, it is assumed that 50% of the energy is absorbed by the dropped fuel bundle and 50% by the struck assemblies. For conservatism, this analysis assumes that 100% of the energy is absorbed by the struck assemblies.
7. The decay time used in the radiological analysis is 14 days (336 hours). This decay time is based upon the gate seal replacement being done with the plant on-line or in non-refueling outage conditions. The minimum realistic refueling outage duration is 14 days, thus the minimum decay time for newly discharged fuel bundles in the spent fuel pool is 14 days. This is conservative based on the following:

Gate seal replacement is typically scheduled late in the operating cycle. As a result, the actual fuel decay time will be greater than the assumed 14 days.

The area of the gate and rigging members is significantly greater than the previously analyzed fuel bundle load drop, with a substantially larger number of fuel bundles impacted in the postulated gate and rigging drop scenario. A portion of these bundles will have been discharged prior to the most recent refueling outage with a minimum decay time exceeding 18 months. As a result, assuming all damaged bundles have a decay time of 14 days is conservative.

CALCULATION DETAILS	CALCULATION NO:	G13.18.2.7-116
	REVISION:	0
	PAGE:	20

## 8. Regulatory Guide 1.183-based Assumptions

The following assumptions are documented in Ref. II.5 EC 14186 markup Section 5.1 pages 18 and 19 with detailed summary of specific compliance to RG 1.183 located in Attachment C of the markup. The Attachment C discussion is applicable to the information reproduced below with the exception of the time after shutdown of 24 hours in Attachment C paragraph 3.3.a. For this analysis, the conformance statement is as follows:

### **3.3 The applicable requirements of Subsection 3.3 of Regulatory Position 3 state:**

**a) For non-LOCA DBAs in which fuel damage is projected, the release from the fuel gap and the fuel pellet should be assumed to occur instantaneously with the onset of the projected damage. Conformance:** In this analysis, all of the activity which is available for release from the fuel to the pool or reactor cavity is assumed to have been instantaneously released from the fuel gap to the water at the onset of the gate load drop analysis, 336 hours after shutdown. This assumption from RG 1.183 is met in its entirety.

8.1 The gap activity fractions of Table 3 in Regulatory Position 3 of RG 1.183 (Ref. III.1) are utilized, as follows:

I-131	0.08
All other halogens	0.05
Kr-85	0.10
All other noble gases	0.05

8.2 All gap activity in the damaged fuel rods is assumed to be instantaneously released.

8.3 Radionuclides considered include the xenons, kryptons, halogens, cesiums, and rubidiums. However, all particulate radionuclides species (some halogens, cesiums, and rubidiums) are assumed to be retained in the fuel pool (infinite decontamination factor) consistent with RG 1.183 Appendix B Section 3 (Ref. III.1). Also consistent with RG 1.183 Appendix B Section 3, all noble gases (xenons & kryptons) escape to the environment.

8.4 Of the radioiodine released from the damaged fuel rods, 99.85% of the released iodine is effectively assumed to be in the form of elemental iodine and 0.15% of the released iodine is assumed to be in the organic species (Ref. III.1, Appendix B, Section 2.0).

8.5 Consistent with RG 1.183 Appendix B Section 4.1 and 5.3 (Ref. III.1), all radionuclide releases from the pool to the environment are assumed to occur over a 2-hour period. This is accomplished via a 2-hour linear release from the pool to the building atmosphere with a simulated instantaneous release to the environment.

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 21

8.6 Consistent with RG 1.183 Appendix B Section 2 (Ref. III.1), the decontamination factor for organic iodine is assumed to be 1. The pool decontamination factor for elemental iodine is assumed such that the overall pool decontamination factor is 200 for all iodine species with a 23-foot water level above the postulated damaged fuel assembly.

8.7 The control room breathing rate is assumed to be  $3.5E-04 \text{ m}^3/\text{sec}$ . for the duration (Ref. III.1, Section 4.2.6).

8.8 The offsite breathing rates are as follows (Ref. III.1, Section 4.1.3):

0-8 hours:	$3.5E-04 \text{ m}^3/\text{sec}$
8-24 hours:	$1.8E-04 \text{ m}^3/\text{sec}$
1-30 days:	$2.3E-04 \text{ m}^3/\text{sec}$

8.9 Control Room Operator Occupancy Factors are as follows (Ref. III.1, Section 4.2.6):

0-24 hours:	1.0
1-4 days:	0.6
4-10 days:	0.4

*Note: The Occupancy Factors are already included in the X/Q's. They will not be defined in the Control Room input, since in doing so they will be taken into account twice. Instead the occupancy factors in the RADTRAD model will be set to 1.0.*

8.10 Iodine Species Breakdown (Ref. III.1, Appendix B, Section 2):

Aerosol	0%
Elemental	57%
Organic	43%

9. The Intermediate Lifting Beam is TS5x5x½ per ER-RB-1996-082-000. This intermediate lifting beam is conservatively assumed to be HSS6x5x½ for the determination of the lifting beam mass only. The weight per foot of HSS6x5x½ bound the weight per foot of TS5x5x½. Therefore, the mass calculation of this beam using HSS6x5x½ weight per foot is conservative.

10. In the fuel impact damage cases, the length of the Intermediate Lifting Beam is assumed to be 5 ft. This length is conservative because the actual length of this beam is 4'-9" per ER-RB-1996-082-000 pg. 6 and assuming a greater length maximizes the potential energy change.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 22

11. For the impact analysis on the pool liner and fuel storage racks, the density and viscosity water at 160 deg. F is used. This temperature exceeds the maximum pool temperature of the spent fuel pool water of 155.6 deg. F per Ref. II.14, pg. 5. Use of density and viscosity values for a slightly higher water temperature than the maximum pool water temperature is conservative as it results in a higher impact velocity.
12. For the impact analysis on the pool liner cases, the nominal top of active fuel is treated as the stored fuel bundle upper tie plate at elevation 84.6645' per Ref. II.3, pg. 4.
13. The purpose of this alternate lifting beam was to allow the option to have a rigging configuration that doesn't pull the crane hooks out of vertical. Per Ref. II.2, pg. 8, the Bridge Crane hook and Cask Crane hook are 9'-2" apart. For conservatism, the alternate lifting beam is assumed to be 12' in length.
14. For the impact analysis on the pool liner cases, the gate weight is assumed to be the weight of the gate and rigging to maximize the velocity and density of the object, thereby maximizing the penetration thickness of the pool liner.
15. For the impact analysis on the Fuel Pool Cooling piping, a strike area of 2 square inches is assumed. This is reasonable based upon the curvature of the nominal 12" piping and as all of the force is assumed to be delivered to the piping, when some force will be absorbed by the gates.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 23

## 9.0 METHOD OF ANALYSIS

As in the design basis Fuel Handling Accident analysis, the potential energy associated with a free air drop will be calculated first. The drop height will be based on the distance from the approximate elevation of the bottom of the gate to the elevation of the Fuel Bundles. Two sets of fall geometries will be analyzed. The first fall geometry will have an air-drop impact with only one laydown impact. The second fall geometry will have an air-drop impact with two laydown impacts. Based on the irregularities in the Spent Fuel Pool Gate's geometry, there is the potential for the gate to fall on its edge (rather than on its face) before resting with this largest surface area against the spent fuel. These laydown impacts are calculated with 100% of the potential energy being transmitted into the impacted fuel rods.

These impact energies (multiplied by a cladding to other structural material fraction) are then divided by the cladding yield strength to determine the number of fuel rod failures caused by compression. The fuel rod failures are totaled for each impact.

Three dropped objects are analyzed: the Spent Fuel Pool gate, an intermediate lifting beam, and an alternate lifting beam. The dimensions of W6x12 that is 12 ft in length are used for analysis of the Alternate Lifting Beam. The dimensions of TS5x5x½ are used for analysis of the Intermediate Lifting Beam. The bounding cases of all these dropped objects are totaled to determine the potential maximum number of failed fuel rods in compression.

The radiological analysis is performed utilizing the methodology described in calculation G13.18.9.5\*059, Evaluation of Exclusion Area Boundary, Low Population Zone, and Control Room TEDE due to a Design Basis Fuel Handling Accident with Regulatory Guide 1.183 AST-based Assumptions (Ref. II.5). Doses are evaluated at the Exclusion Area Boundary (EAB), Low Population Zone (LPZ), and the Control Room (CR) using the NRC-developed computer Code RADTRAD (Ref. III.3). These cases use the same methodology as the design basis Fuel Handling Accident (FHA) in the Fuel Building (FB) as described in USAR Section 15.7.4 with the following changes:

- The number of rods damaged in the load drop event represent the calculated number of rods damaged for a drop of the gate and rigging plus a nominal 20% margin to account for future fuel design or rigging configuration changes.
- An assumed decay time of 14 days (336 hours) rather than the 24 hour decay time assumed in the design basis FHA analysis.

A 2-hour linear release from the fuel pool to the building atmosphere is assumed with no credit taken for Fuel Building (FB) or Control Room (CR) filtration.



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 24

The design basis decay time of 24 hours for Fuel Handling Accident analysis represents the earliest time that a fuel bundle discharged from the reactor could be handled during the refueling evolution. The gate seal replacement will be performed on-line or during non-refueling shutdown conditions. As a result, the assumed decay time will be 14 days. This time period is based upon the minimum realistic refueling outage duration.

The second portion of the load drop analysis is to assess the effect of the dropped load on the spent fuel pool, cask pool, and gate opening area liner. The River Bend Fuel Building pools are equipped with a 3/16" thick stainless steel liner. The liner is designed to provide a leak-proof barrier for the pools. If it is determined that the dropped load will not completely penetrate the stainless steel liner, no water leakage will result from the dropped load and consequently no water makeup to the pools as a result of the load drop event will be required. The cask pool has been previously analyzed for a drop of a 250 ton fuel storage cask in Reference II.15 with no adverse impact to the structural integrity of the concrete pool structure. The cask drop analysis bounds the drop of all of the objects in the cask pool, gate area and spent fuel pool being analyzed in this calculation with respect to the concrete pool floor structure. As a result, this calculation will not analyze the concrete pool floor structure.

This portion of the calculation will also determine the impact velocities of the dropped objects on the fuel storage racks to be used in the effect on the fuel storage racks due to impact of the dropped objects.

The methodology used to determine the strike velocity on the submerged structures and the penetration in steel is from Reference II.4, BC-TOP-9A Revision 2, September 1984, "Topical Report, Design of Structures for Missile Impact" for a missile impacting steel when dropping through air and/or water. This methodology does consider buoyancy and drag forces during the object travel through the water and is the same general methodology used in Reference II.15 associated with the analysis of the concrete structure for the cask drop.

The third portion of the load drop analysis is to assess the effect on the spent fuel storage racks as a result of a drop of the gate, intermediate beam or alternate beam on the spent fuel storage racks to ensure that the required  $k_{eff}$  is maintained. This analysis compares the forces resulting from the subject dropped objects to the required force the racks must withstand per the rack design specification and analysis (References II.7 and II.10).

The final portion of the load drop analysis is to assess the effect on the Spent Fuel Pool Cooling piping that penetrates into the Spent Fuel Pool and has the potential to be struck by the gate in a secondary impact (i.e. transition to Position II or Position III as described in Section 10.1.1). Note that only a falling gate has adequate mass to result in any potential damage to the Spent Fuel Pool Cooling piping. The distance between the nearest potential drop point and the piping is determined for each of the lines. Then the elevation where the top of the gate impacts the line is then determined to assess if any potential damage is below the minimum pool water level. If any potential damage is below the minimum water level, no loss of cooling function will occur as water will still flow into/out of the damaged piping. The velocity of the impact of the gate on the piping is determined using the Reference II.4, BC-TOP-9A

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 25

Revision 2, September 1984, "Topical Report, Design of Structures for Missile Impact" for a missile impacting steel when dropping through air and/or water. Note that this methodology is primarily for a missile impacting perpendicular to the target. In this case, the impact will not be directly perpendicular and thus, the velocity value will be conservative. The structural effect on the piping will be assessed using the methodology from Reference II.4, treating the piping as a simply supported steel beam.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 26

## 10.0 Calculations

### 10.1 Damage to Fuel Bundles

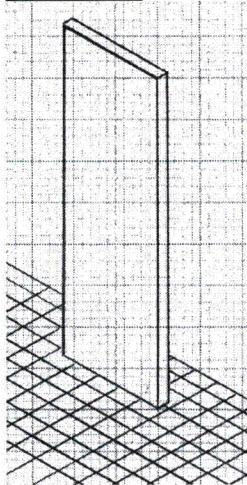
The damage to the spent fuel bundles will be analyzed first. Three dropped objects are analyzed: the Spent Fuel Pool gate, an intermediate lifting beam, and an alternate lifting beam.

#### 10.1.1 Spent Fuel Pool Gate

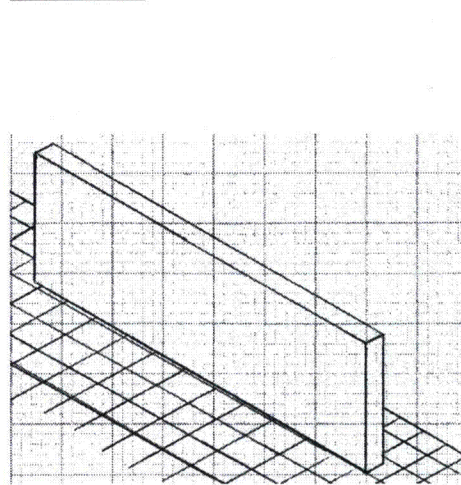
##### Fall Geometries

The following geometric orientations of Spent Fuel Pool Gate (FNS-GATE1 or FNS-GATE2) will be analyzed for a potential maximum and minimum number of fuel bundle impacts. All analyzed cases will begin with an impact in Position 1 and a final impact in Position 3. Two analyzed cases will incorporate a possible impact in Position 2 after Position 1 and before Position 3. There will be a total of 4 load drop cases analyzed.

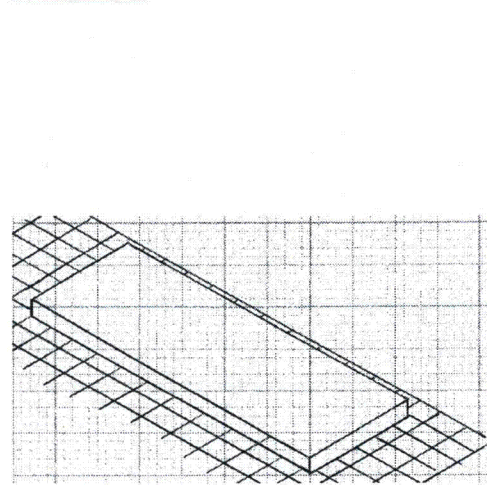
Position 1



Position 2



Position 3



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 27

In the table below, the specifics of each load case are detailed.

	Position 1 Impact	Position 2 Impact	Position 3 Impact	Max or Min Impacted Fuel Bundles
<b>Case 1</b>	x		x	Max
<b>Case 2</b>	x		x	Min
<b>Case 3</b>	x	x	x	Max
<b>Case 4</b>	x	x	x	Min

### Maximum Impacted Fuel Bundles

Position 1:

In order to estimate the maximum number of impacted fuel bundles for this geometry, the width and thickness must be divided by spacing between bundles.

(Width of Gate) / (Spacing between bundles)

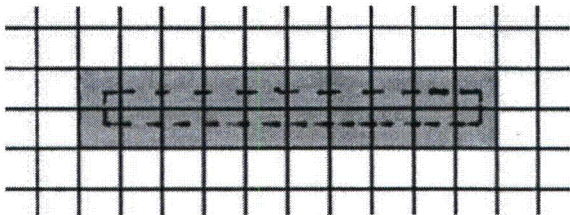
(4.771 ft) / (0.5208 ft) = 9.161 or 10 bundles

(Thickness of Gate) / (Spacing between bundles)

(0.3958 ft) / (0.5208 ft) = 0.7599 or 1 bundle

Because the thickness of the gate is over half the spacing of fuel bundles, it has the maximum potential to hit two rows of fuel bundles.

Total Bundles = (10 bundles)(2 bundles) = 20 impacted fuel bundles



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 28

**Position 2:**

In order to estimate the maximum number of impacted fuel bundles for this geometry, the length and thickness must be divided by spacing between bundles.

(Length of Gate) / (Spacing between bundles)

$$(24.39 \text{ ft}) / (0.5208 \text{ ft}) = 46.83 \text{ or } 47 \text{ bundles}$$

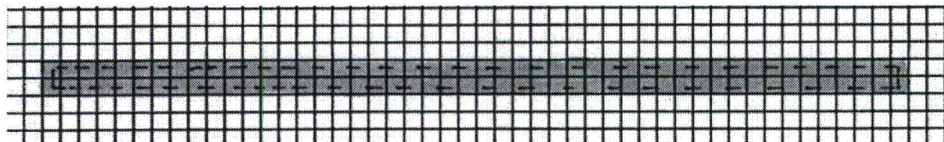
Because the fractional unit of length of the gate is over half the spacing of fuel bundles, it has the maximum potential to hit 48 rows of fuel bundles.

(Thickness of Gate) / (Spacing between bundles)

$$(0.3958 \text{ ft}) / (0.5208 \text{ ft}) = 0.7599 \text{ or } 1 \text{ bundle}$$

Because the thickness of the gate is over half the spacing of fuel bundles, it has the maximum potential to hit two rows of fuel bundles.

$$\text{Total Bundles} = (48 \text{ bundles})(2 \text{ bundles}) = 96 \text{ impacted fuel bundles}$$



**Position 3:**

In order to estimate the maximum number of impacted fuel bundles for this geometry, the length and width must be divided by spacing between bundles.

(Length of Gate) / (Spacing between bundles)

$$(24.39 \text{ ft}) / (0.5208 \text{ ft}) = 46.83 \text{ or } 47 \text{ bundles}$$

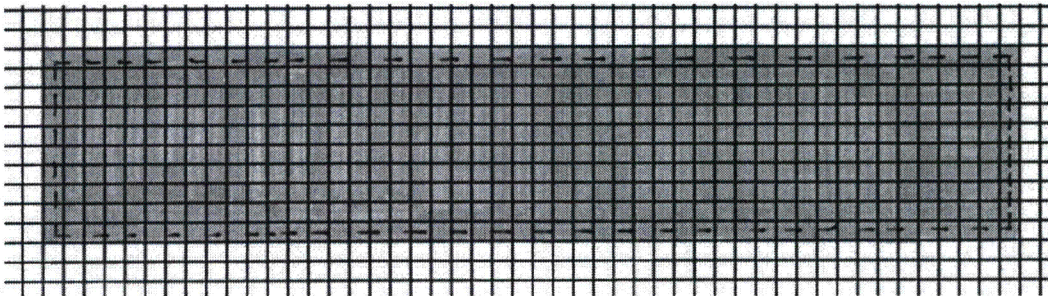
<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 29

For the maximized case this object has the potential to hit 48 rows of fuel bundles (impact across the full width of 46 bundles and partial width of one bundle on each end)

(Width of Gate) / (Spacing between bundles)

$$(4.771 \text{ ft}) / (0.5208 \text{ ft}) = 9.161 \text{ or } 10 \text{ bundles}$$

$$\text{Total Bundles} = (48 \text{ bundles})(10 \text{ bundles}) = 480 \text{ impacted fuel bundles}$$



Minimum Impacted Fuel Bundles

The minimum number of impacted fuel bundles for each position is obtained by conservatively assuming that 50% of the Spent Fuel Pool racks are filled

Position 1:

In order to estimate the minimum number of impacted fuel bundles for this geometry, the width and thickness must be divided by spacing between bundles.

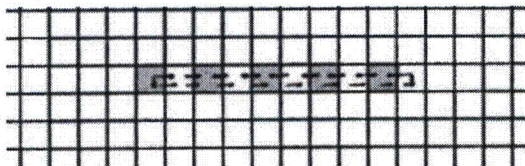
(Width of Gate) / (Spacing between bundles)

$$(4.771 \text{ ft}) / (0.5208 \text{ ft}) = 9.161 \text{ or } 10 \text{ bundles}$$

(Thickness of Gate) / (Spacing between bundles)

$$(0.3958 \text{ ft}) / (0.5208 \text{ ft}) = 0.7599 \text{ or } 1 \text{ bundle}$$

$$\text{Total Bundles} = (0.50)(10 \text{ bundles})(1 \text{ bundle}) = 5 \text{ impacted fuel bundles}$$



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 30

Position 2:

In order to estimate the minimum number of impacted fuel bundles for this geometry, the length and thickness must be divided by spacing between bundles.

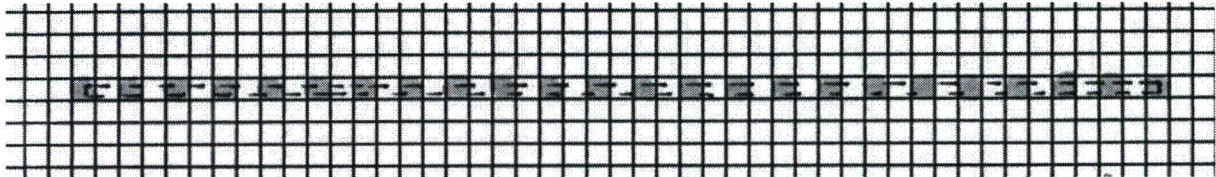
(Length of Gate) / (Spacing between bundles)

(24.39 ft) / (0.5208 ft) = 46.83 or 47 bundles

(Thickness of Gate) / (Spacing between bundles)

(0.3958 ft) / (0.5208 ft) = 0.7599 or 1 bundle

Total Bundles = (0.50)(47 bundles)(1 bundle)= 23 impacted fuel bundles



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 31

Position 3:

In order to estimate the minimum number of impacted fuel bundles for this geometry, the length and width must be divided by spacing between bundles.

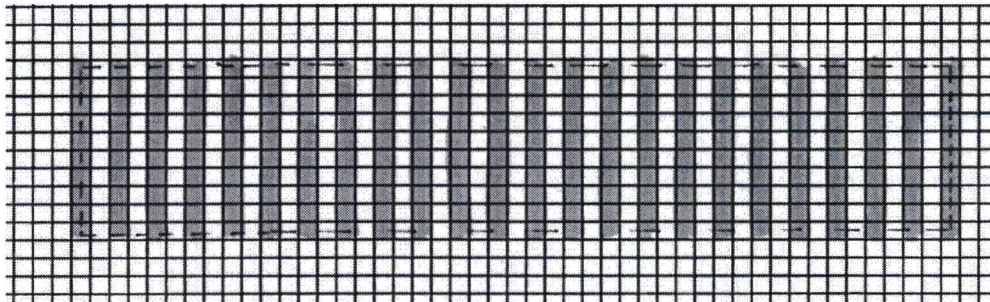
(Length of Gate) / (Spacing between bundles)

(24.39 ft) / (0.5208 ft) = 46.83 or 47 bundles

(Width of Gate) / (Spacing between bundles)

(4.771 ft) / (0.5208 ft) = 9.161 or 10 bundles

Total Bundles = (0.50)(47 bundles)(10 bundles) = 235 impacted fuel bundles



	<b>Max Impacted Fuel Bundles</b>	<b>Min Impacted Fuel Bundles</b>
<b>Position 1 Impact</b>	20	5
<b>Position 2 Impact</b>	96	23
<b>Position 3 Impact</b>	480	235



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 32

Initial Potential Energy

$$PE = M_1 * H_d$$

$M_1$  = Mass of Gate and Rigging Equipment = 2000 lbs

$H_d$  = (Elev. bottom of Pool Gate – Elev. top of Fuel Racks) = (90' – 84.27') = 5.73 ft use 6 ft

$$PE = (2000 \text{ lb})(6.00 \text{ ft})$$

$$PE = 12000 \text{ ft-lb}$$

Energy Difference

The energy absorbed during the impact is determined based upon the relationship as given in the design basis Fuel Handling Accident analysis. For conservatism,  $M_1$  (weight of the Spend Fuel Pool Gate and associate rigging equipment) has been maximized and  $M_2$  (buoyant weight of the fuel bundles) has minimized.

$$E_{dif} = 1 - [M_1 / (M_1 + M_2)]$$

$M_1$  = Mass of Gate and Rigging Equipment = 2000 lbs

$M_2$  = Mass of Impacted Fuel Bundles = (# of fuel bundles)(562 lbs/bundle)

Case 1

This case analyzes the free air drop resulting in a position 1 impact, and one laydown impact in position 3 with maximized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (20 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.1511]$$

$$E_{dif} = 0.8489$$

For the second impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (480 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0074]$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 33

$$E_{dif} = 0.9926$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 84.89% of the initial energy or,

$$E_{abs} = (PE)(0.8489)$$

$$E_{abs} = (12000 \text{ ft-lb})(0.8489)$$

$$E_{abs} = 10187 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(10187 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 40.32 \text{ or } 41 \text{ rods}$$

The second impact involves a rebound consisting of 15.11% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately 1/2 of the Spent Fuel Pool Gate length.

### Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (24.39 \text{ ft}) / 2 = 12.20 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3958 \text{ ft}) / 2 = 0.1979 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 12.20 \text{ ft} - 0.1979 \text{ ft} = 12.00 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 24000 \text{ ft-lb}$$

The second impact:

$$E_{2nd} = (0.1511)(PE) + 24000 \text{ ft-lb}$$

$$E_{2nd} = (0.1511)(12000 \text{ ft-lb}) + 24000 \text{ ft-lb}$$

$$E_{2nd} = 25813 \text{ ft-lb}$$

$$F_{comp} = [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 34

$$F_{\text{comp}} = [(25813 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 102.2 \text{ or } 103 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (41) + (103) = 144 \text{ rods}$$

### Case 2

This case analyzes the free air drop resulting in a position 1 impact, and one laydown impact in position 3 with minimized fuel bundle impacts.

For the first impact:

$$E_{\text{dif}} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (5 \text{ bundles})(562 \text{ lb})]$$

$$E_{\text{dif}} = 1 - [0.4158]$$

$$E_{\text{dif}} = 0.5842$$

For the second impact:

$$E_{\text{dif}} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (235 \text{ bundles})(562 \text{ lb})]$$

$$E_{\text{dif}} = 1 - [0.0149]$$

$$E_{\text{dif}} = 0.9851$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 58.42% of the initial energy or,

$$E_{\text{abs}} = (PE)(0.5842)$$

$$E_{\text{abs}} = (12000 \text{ ft-lb})(0.5842)$$

$$E_{\text{abs}} = 7010 \text{ ft-lb}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 35

$$F_{\text{comp}} = [(E_{\text{abs}})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = [(7010 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 27.75 \text{ or } 28 \text{ rods}$$

The second impact involves a rebound consisting of 41.58% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately 1/2 of the Spent Fuel Pool Gate length.

Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (24.39 \text{ ft}) / 2 = 12.20 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3958 \text{ ft}) / 2 = 0.1979 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 12.20 \text{ ft} - 0.1979 \text{ ft} = 12.00 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 24000 \text{ ft-lb}$$

The second impact:

$$E_{2\text{nd}} = (0.4158)(PE) + 24000 \text{ ft-lb}$$

$$E_{2\text{nd}} = (0.4158)(12000 \text{ ft-lb}) + 24000 \text{ ft-lb}$$

$$E_{2\text{nd}} = 28990 \text{ ft-lb}$$

$$F_{\text{comp}} = [(E_{2\text{nd}})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = [(28990 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 114.8 \text{ or } 115 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (28) + (115) = 143 \text{ rods}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 36

### Case 3

This case analyzes the free air drop resulting in a position 1 impact, and two laydown impacts in position 2 and 3 with maximized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (20 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.1511]$$

$$E_{dif} = 0.8489$$

For the second impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (96 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0357]$$

$$E_{dif} = 0.9643$$

For the third impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (480 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0074]$$

$$E_{dif} = 0.9926$$

Essentially all of the third impact energy would be absorbed. As a result, fourth or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 84.89% of the initial energy or,

$$E_{abs} = (PE)(0.8489)$$

$$E_{abs} = (12000 \text{ ft-lb})(0.8489)$$

$$E_{abs} = 10187 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 37

$$F_{\text{comp}} = [(10187 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 40.32 \text{ or } 41 \text{ rods}$$

The second impact involves a rebound consisting of 15.11% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately ½ of the Spent Fuel Pool Gate length.

Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (24.39 \text{ ft}) / 2 = 12.20 \text{ ft}$$

$$CG_2 = \text{Center of Gravity (Position Two)} = (W / 2) = (4.771 \text{ ft}) / 2 = 2.386 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_2 = 12.20 \text{ ft} - 2.386 \text{ ft} = 9.814 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 19628 \text{ ft-lb}$$

The second impact:

$$E_{2\text{nd}} = (0.1511)(PE) + 19628 \text{ ft-lb}$$

$$E_{2\text{nd}} = (0.1511)(12000 \text{ ft-lb}) + 19628 \text{ ft-lb}$$

$$E_{2\text{nd}} = 21441 \text{ ft-lb}$$

$$F_{\text{comp}} = [(E_{2\text{nd}})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = [(21441 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 84.87 \text{ or } 85 \text{ rods}$$

The third impact involves a rebound consisting of 3.57% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately ½ of the Spent Fuel Pool Gate length.

Potential Energy Change

$$CG_2 = \text{Center of Gravity (Position Two)} = (W / 2) = (4.771 \text{ ft}) / 2 = 2.386 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3958 \text{ ft}) / 2 = 0.1979 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_2 - CG_3 = 2.386 \text{ ft} - 0.1979 \text{ ft} = 2.188 \text{ ft}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 38

Change in Potential Energy =  $(CG_{\Delta})(M_1) = 4376 \text{ ft-lb}$

The third impact:

$$E_{3rd} = (0.0357)(PE) + 4376 \text{ ft-lb}$$

$$E_{3rd} = (0.0357)(12000 \text{ ft-lb}) + 4376 \text{ ft-lb}$$

$$E_{3rd} = 4804 \text{ ft-lb}$$

$$F_{comp} = [(E_{3rd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(4804 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 19.02 \text{ or } 20 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) + (3^{\text{rd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (41) + (85) + (20) = 146 \text{ rods}$$

#### Case 4

This case analyzes the free air drop resulting in a position 1 impact, and two laydown impacts in position 2 and 3 with maximized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (5 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.4160]$$

$$E_{dif} = 0.5840$$

For the second impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (23 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.1340]$$

$$E_{dif} = 0.8660$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 39

For the third impact:

$$E_{dif} = 1 - [2000 \text{ lb} / (2000 \text{ lb} + (235 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0149]$$

$$E_{dif} = 0.9851$$

Essentially all of the third impact energy would be absorbed. As a result, fourth or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 58.40% of the initial energy or,

$$E_{abs} = (PE)(0.5840)$$

$$E_{abs} = (12000 \text{ ft-lb})(0.5840)$$

$$E_{abs} = 7008 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(7008 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 27.74 \text{ or } 28 \text{ rods}$$

The second impact involves a rebound consisting of 41.60% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately ½ of the Spent Fuel Pool Gate length.

### Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (24.39 \text{ ft}) / 2 = 12.20 \text{ ft}$$

$$CG_2 = \text{Center of Gravity (Position Two)} = (W / 2) = (4.771 \text{ ft}) / 2 = 2.386 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_2 = 12.20 \text{ ft} - 2.386 \text{ ft} = 9.814 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 19628 \text{ ft-lb}$$

The second impact:

$$E_{2nd} = (0.4160)(PE) + 19628 \text{ ft-lb}$$



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 40

$$E_{2nd} = (0.4160)(12000 \text{ ft-lb}) + 19628 \text{ ft-lb}$$

$$E_{2nd} = 24620 \text{ ft-lb}$$

$$F_{comp} = [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(24620 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 97.45 \text{ or } 98 \text{ rods}$$

The third impact involves a rebound consisting of 8.66% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately ½ of the Spent Fuel Pool Gate length.

#### Potential Energy Change

$$CG_2 = \text{Center of Gravity (Position Two)} = (W / 2) = (4.771 \text{ ft}) / 2 = 2.386 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3958 \text{ ft}) / 2 = 0.1979 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_2 - CG_3 = 2.386 \text{ ft} - 0.1979 \text{ ft} = 2.188 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 4376 \text{ ft-lb}$$

The third impact:

$$E_{3rd} = (0.0866)(PE) + 4376 \text{ ft-lb}$$

$$E_{3rd} = (0.0866)(12000 \text{ ft-lb}) + 4376 \text{ ft-lb}$$

$$E_{3rd} = 5415 \text{ ft-lb}$$

$$F_{comp} = [(E_{3rd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(5415 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 21.43 \text{ or } 22 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) + (3^{\text{rd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (28) + (98) + (22) = 149 \text{ rods}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 41

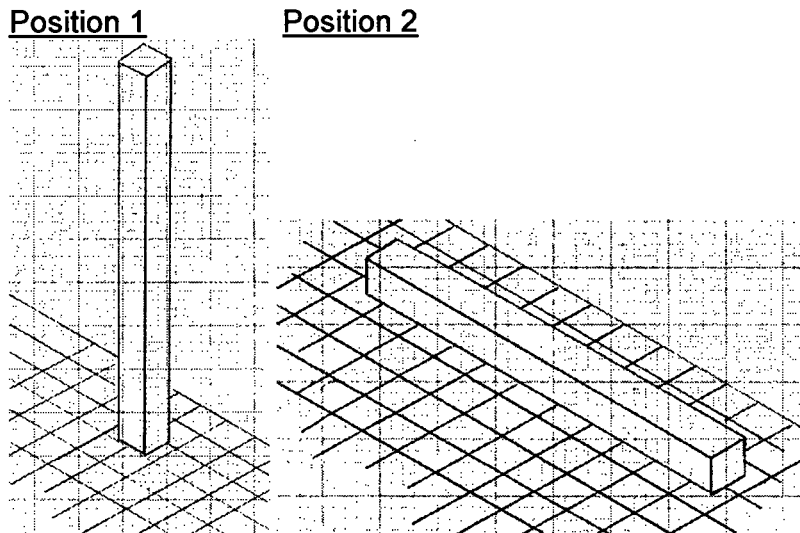
	<b>Damaged Fuel Rods</b>
<b>Case 1</b>	144
<b>Case 2</b>	143
<b>Case 3</b>	146
<b>Case 4</b>	148

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 42

### 10.1.2 Alternate Lifting Beam

#### Fall Geometries

Lifting beams are long, slender members. For this reason, only two positions will be analyzed. Since the width and depth of both beams has the same potential for impacting rods, there is no need to analyze a position 3.



Position 1: Impact of beam on its end (width \* depth).

Position 2: Impact of beam on its side (length \* width).

	Position 1 Impact	Position 2 Impact	Max or Min Impacted Fuel Bundles
<b>Case 1</b>	x	x	Max
<b>Case 2</b>	x		Max
<b>Case 3</b>	x	x	Min
<b>Case 4</b>	x		Min

#### Initial Potential Energy

$$PE = M_1 * H_d$$

A W6x12 beam (12 ft long) is used for calculation of the Alternate Lifting Beam.

$M_1$  = Mass of Beam and Rigging Equipment = (12 ft)(12 lbs/ft) = 144 lbs use 200 lbs

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 43

$H_d = (\text{Elev. bottom of Beam} - \text{Elev. top of Fuel Racks}) = (123' - 84.27') = 38.73 \text{ ft}$  use 39 ft

$PE = (200 \text{ lbs})(39 \text{ ft})$

$PE = 7800 \text{ ft-lb}$

#### Energy Difference

The energy absorbed during the impact is determined using the same relationship as given in the design basis Fuel Handling Accident analysis. For conservatism,  $M_1$  (weight of the Spent Fuel Pool Gate and associate rigging equipment) has been maximized and  $M_2$  (buoyant weight of the fuel bundles) has minimized.

$$E_{dif} = 1 - [M_1 / (M_1 + M_2)]$$

$M_1 = \text{Mass of Gate and Rigging Equipment} = 200 \text{ lbs}$

$M_2 = \text{Mass of Impacted Fuel Bundles} = (\# \text{ of fuel bundles})(562 \text{ lbs/bundle})$

#### Geometry

Position 1:

In order to estimate the maximum/minimum number of impacted fuel bundles for this geometry, the width and thickness must be divided by spacing between bundles.

$(\text{Width of Beam}) / (\text{Spacing between bundles})$

$$(0.333 \text{ ft}) / (0.5208 \text{ ft}) = 0.6394 \text{ or } 1 \text{ bundle}$$

Because the width of the beam is over half the spacing of fuel bundles, it has the maximum potential to hit two rows of fuel bundles.

$(\text{Depth of Beam}) / (\text{Spacing between bundles})$

$$(0.5 \text{ ft}) / (0.5208 \text{ ft}) = 0.9601 \text{ or } 1 \text{ bundle}$$

Because the depth of the beam is over half the spacing of fuel bundles, it has the maximum potential to hit two rows of fuel bundles.

Maximum Impacted Bundles =  $(2 \text{ bundles})(2 \text{ bundles}) = 4 \text{ impacted fuel bundles}$

Minimum Impacted Bundles =  $(1 \text{ bundle})(1 \text{ bundle}) = 1 \text{ bundle}$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 44

**Position 2:**

In order to estimate the maximum/minimum number of impacted fuel bundles for this geometry, the length and width/depth must be divided by spacing between bundles. Because the width and depth of the beam have the same potential to impact fuel bundles, no position 3 will be analyzed.

(Width of Beam) / (Spacing between bundles)

$$(0.333 \text{ ft}) / (0.5208 \text{ ft}) = 0.6394 \text{ or } 1 \text{ bundle}$$

Because the width of the beam is over half the spacing of fuel bundles, it has the maximum potential to hit two rows of fuel bundles.

(Length of Beam) / (Spacing between bundles)

$$(12 \text{ ft}) / (0.5208 \text{ ft}) = 23.04 \text{ or } 24 \text{ bundles}$$

Maximum Impacted Bundles = (2 bundles)(24 bundles) = 48 impacted fuel bundles

Minimum Impacted Bundles = (1 bundle)(24 bundle) = 24 bundle

**Case 1**

This case analyzes the free air drop impact and one laydown impact with maximized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (4 \text{ bundles})(562 \text{ lb}))]$$

$$E_{dif} = 1 - [0.0817]$$

$$E_{dif} = 0.9183$$

For the second impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (48 \text{ bundles})(562 \text{ lb}))]$$

$$E_{dif} = 1 - [0.0074]$$

$$E_{dif} = 0.9926$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 45

### Energy Absorbed

The first impact absorbs 91.83% of the initial energy or,

$$E_{abs} = (PE)(0.9183)$$

$$E_{abs} = (7800 \text{ ft-lb})(0.9183)$$

$$E_{abs} = 7163 \text{ ft-lb}$$

$$F_{comp} \approx [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} \approx [(7163 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} \approx 28.35 \text{ or } 29 \text{ rods}$$

The second impact involves a rebound consisting of 8.17% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately 1/2 of the Spent Fuel Pool Gate length.

### Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (12 \text{ ft}) / 2 = 6 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3333 \text{ ft}) / 2 = 0.1667 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 6 \text{ ft} - 0.1667 \text{ ft} = 5.833 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 1167 \text{ ft-lb}$$

The second impact:

$$E_{2nd} = (0.0817)(PE) + 1167 \text{ ft-lb}$$

$$E_{2nd} = (0.0817)(7800 \text{ ft-lb}) + 1167 \text{ ft-lb}$$

$$E_{2nd} = 1804 \text{ ft-lb}$$

$$F_{comp} \approx [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} \approx [(1804 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} \approx 7.14 \text{ or } 8 \text{ rods}$$

The total fuel rod failures during this scenario are:

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 46

Total Fuel Rod Failures = (1<sup>st</sup> Impact) + (2<sup>nd</sup> Impact) =

Total Fuel Rod Failures = (29) + (8) = 37 rods

### Case 2

This case analyzes the free air drop impact with the maximum potential for impacted fuel rods.

For the first impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (48 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0074]$$

$$E_{dif} = 0.9926$$

Essentially all of the first impact energy would be absorbed. As a result, second or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 99.26% of the initial energy or,

$$E_{abs} = (PE)(0.9926)$$

$$E_{abs} = (7800 \text{ ft-lb})(0.9926)$$

$$E_{abs} = 7742 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(7742 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 30.65 \text{ or } 31 \text{ rods}$$

### Case 3

This case analyzes the free air drop impact and one laydown impact with minimized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (1 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.2625]$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 47

$$E_{dif} = 0.7375$$

For the second impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (24 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0146]$$

$$E_{dif} = 0.9854$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 73.75% of the initial energy or,

$$E_{abs} = (PE)(0.7375)$$

$$E_{abs} = (7800 \text{ ft-lb})(0.7375)$$

$$E_{abs} = 5753 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(5753 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 22.77 \text{ or } 23 \text{ rods}$$

The second impact involves a rebound consisting of 26.25% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately 1/2 of the Spent Fuel Pool Gate length.

### Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (12 \text{ ft}) / 2 = 6 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.3333 \text{ ft}) / 2 = 0.1667 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 6 \text{ ft} - 0.1667 \text{ ft} = 5.833 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 1167 \text{ ft-lb}$$



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 48

The second impact:

$$E_{2nd} = (0.2625)(PE) + 1167 \text{ ft-lb}$$

$$E_{2nd} = (0.2625)(7800 \text{ ft-lb}) + 1167 \text{ ft-lb}$$

$$E_{2nd} = 3215 \text{ ft-lb}$$

$$F_{comp} = [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(3215 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 12.73 \text{ or } 13 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (23) + (13) = 36 \text{ rods}$$

#### Case 4

This case analyzes the free air drop impact with the minimum potential for impacted fuel rods.

For the first impact:

$$E_{dif} = 1 - [200 \text{ lb} / (200 \text{ lb} + (24 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0146]$$

$$E_{dif} = 0.9854$$

Essentially all of the first impact energy would be absorbed. As a result, second or subsequent impacts need not be considered.

#### Energy Absorbed

The first impact absorbs 98.54% of the initial energy or,

$$E_{abs} = (PE)(0.9854)$$

$$E_{abs} = (7800 \text{ ft-lb})(0.9854)$$

$$E_{abs} = 7686 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 49

$$F_{comp} = [(7686 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 30.42 \text{ or } 31 \text{ rods}$$

	<b>Damaged Fuel Rods</b>
<b>Case 1</b>	37
<b>Case 2</b>	31
<b>Case 3</b>	36
<b>Case 4</b>	31

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 50

### 10.1.3 Intermediate Lifting Beam

#### Fall Geometries

Lifting beams are long, slender members. For this reason, only two positions will be analyzed. Since the width and depth of both beams has the same potential for impacting rods, there is no need to analyze a position 3.

Position 1: Impact of beam on its end (width \* depth).

Position 2: Impact of beam on its side (length \* width).

	Position 1 Impact	Position 2 Impact	Max or Min Impacted Fuel Bundles
Case 1	x	x	Max
Case 2	x		Max
Case 3	x	x	Min
Case 4	x		Min

#### Initial Potential Energy

$$PE = M_1 * H_d$$

A HSS6x5x1/2 beam (5 ft long) is used for calculation of the Intermediate Lifting Beam.

$$M_1 = \text{Mass of Beam and Rigging Equipment} = (5 \text{ ft})(31.71 \text{ lbs/ft}) = 158.55 \text{ lbs } \underline{\text{use 175 lbs}}$$

$$H_d = (\text{Elev. bottom of Beam} - \text{Elev. top of Fuel Racks}) = (115' - 84.27') = 30.73 \text{ ft } \underline{\text{use 31 ft}}$$

$$PE = (175 \text{ lb})(31 \text{ ft})$$

$$PE = 5425 \text{ ft-lb}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 51

Energy Difference

The energy absorbed during the impact is assumed to be the same relationship as given in the original calculation. For conservatism,  $M_1$  (weight of the Spent Fuel Pool Gate and associate rigging equipment) has been maximized and  $M_2$  (buoyant weight of the fuel bundles) has minimized.

$$E_{dif} = 1 - [M_1 / (M_1 + M_2)]$$

$M_1$  = Mass of Beam and Rigging Equipment = (5 ft)(31.71 lbs/ft) = 158 lbs (175 lbs is conservatively used for all further calculation)

$M_2$  = Mass of Impacted Fuel Bundles = (# of fuel bundles)(562 lbs/bundle)

Geometry

Position 1:

In order to estimate the maximum/minimum number of impacted fuel bundles for this geometry, the width and thickness must be divided by spacing between bundles.

(Width of Beam) / (Spacing between bundles)

$$(0.4167\text{ft}) / (0.5208\text{ ft}) = 0.8001 \text{ or } 1 \text{ bundle}$$

For the maximized case this object has the potential to hit two rows of fuel bundles (impact across the partial width of two bundles)

(Depth of Beam) / (Spacing between bundles)

$$(0.4167\text{ ft}) / (0.5208\text{ ft}) = 0.8001 \text{ or } 1 \text{ bundle}$$

For the maximized case this object has the potential to hit two rows of fuel bundles (impact across the partial width of two bundles)

Maximum Impacted Bundles = (2 bundles)(2 bundles) = 4 impacted fuel bundles

Minimum Impacted Bundles = (1 bundle)(1 bundle) = 1 bundle

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 52

Position 2:

In order to estimate the maximum/minimum number of impacted fuel bundles for this geometry, the length and width/depth must be divided by spacing between bundles. Because the width and depth of the beam have the same potential to impact fuel bundles, no position 3 will be analyzed.

(Width of Beam) / (Spacing between bundles)

$$(0.4167\text{ft}) / (0.5208\text{ft}) = 0.8001 \text{ or } 1 \text{ bundle}$$

For the maximized case this object has the potential to hit two rows of fuel bundles (impact across the partial width of two bundles)

(Length of Beam) / (Spacing between bundles)

$$(5\text{ft}) / (0.5208\text{ft}) = 9.601 \text{ or } 10 \text{ bundles}$$

For the maximized case this object has the potential to hit eleven rows of fuel bundles (Impact across the full width of 9 bundles and partial width of one bundle on each end.)

Maximum Impacted Bundles = (2 bundles)(11 bundles) = 22 impacted fuel bundles

Minimum Impacted Bundles = (1 bundle)(10 bundle) = 10 bundles

### Case 1

This case analyzes the free air drop impact and one laydown impact with maximized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [175\text{ lb} / (175\text{ lb} + (4\text{ bundles})(562\text{ lb}))]$$

$$E_{dif} = 1 - [0.0722]$$

$$E_{dif} = 0.9278$$

For the second impact:

$$E_{dif} = 1 - [175\text{ lb} / (175\text{ lb} + (22\text{ bundles})(562\text{ lb}))]$$

$$E_{dif} = 1 - [0.0140]$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 53

$$E_{dif} = 0.986$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 92.78% of the initial energy or,

$$E_{abs} = (PE)(0.9278)$$

$$E_{abs} = (5425 \text{ ft-lb})(0.9278)$$

$$E_{abs} = 5033 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(5033 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 19.92 \text{ or } 20 \text{ rods}$$

The second impact involves a rebound consisting of 7.22% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately 1/2 of the Spent Fuel Pool Gate length.

### Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (5 \text{ ft}) / 2 = 2.5 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.4167 \text{ ft}) / 2 = 0.2084 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 2.5 \text{ ft} - 0.2084 \text{ ft} = 2.292 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 401 \text{ ft-lb}$$

The second impact:

$$E_{2nd} = (0.0722)(PE) + 401 \text{ ft-lb}$$

$$E_{2nd} = (0.0722)(5425 \text{ ft-lb}) + 401 \text{ ft-lb}$$

$$E_{2nd} = 792.7 \text{ ft-lb}$$

$$F_{comp} = [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 54

$$F_{\text{comp}} = [(792.7 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 3.14 \text{ or } 4 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (20) + (4) = 24 \text{ rods}$$

### Case 2

This case analyzes the free air drop impact with the maximum potential to impact fuel bundles.

For the first impact:

$$E_{\text{dif}} = 1 - [175 \text{ lb} / (175 \text{ lb} + (22 \text{ bundles})(562 \text{ lb})]$$

$$E_{\text{dif}} = 1 - [0.0140]$$

$$E_{\text{dif}} = 0.986$$

Essentially all of the first impact energy would be absorbed. As a result, second or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 98.60% of the initial energy or,

$$E_{\text{abs}} = (PE)(0.9860)$$

$$E_{\text{abs}} = (5425 \text{ ft-lb})(0.9860)$$

$$E_{\text{abs}} = 5349 \text{ ft-lb}$$

$$F_{\text{comp}} = [(E_{\text{abs}})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = [(5349 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{\text{comp}} = 21.17 \text{ or } 22 \text{ rods}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 55

### Case 3

This case analyzes the free air drop impact and one laydown impact with minimized fuel bundle impacts.

For the first impact:

$$E_{dif} = 1 - [175 \text{ lb} / (175 \text{ lb} + (1 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.2374]$$

$$E_{dif} = 0.7626$$

For the second impact:

$$E_{dif} = 1 - [175 \text{ lb} / (175 \text{ lb} + (10 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0302]$$

$$E_{dif} = 0.9698$$

Essentially all of the second impact energy would be absorbed. As a result, third or subsequent impacts need not be considered.

### Energy Absorbed

The first impact absorbs 76.26% of the initial energy or,

$$E_{abs} = (PE)(0.7626)$$

$$E_{abs} = (5425 \text{ ft-lb})(0.7626)$$

$$E_{abs} = 4137 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(4137 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 16.38 \text{ or } 17 \text{ rods}$$

The second impact involves a rebound consisting of 23.74% of the initial drop energy and the laydown drop energy. The laydown drop provides additional energy due to the potential energy change resulting from the change of the Spent Fuel Pool Gate center of gravity of approximately ½ of the Spent Fuel Pool Gate length.



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 56

Potential Energy Change

$$CG_1 = \text{Center of Gravity (Position One)} = (L / 2) = (5 \text{ ft}) / 2 = 2.5 \text{ ft}$$

$$CG_3 = \text{Center of Gravity (Position Three)} = (T / 2) = (0.4167 \text{ ft}) / 2 = 0.2084 \text{ ft}$$

$$CG_{\Delta} = \text{Change in Center of Gravity} = CG_1 - CG_3 = 2.5 \text{ ft} - 0.2084 \text{ ft} = 2.292 \text{ ft}$$

$$\text{Change in Potential Energy} = (CG_{\Delta})(M_1) = 401 \text{ ft-lb}$$

The second impact:

$$E_{2nd} = (0.2374)(PE) + 401 \text{ ft-lb}$$

$$E_{2nd} = (0.2374)(5425 \text{ ft-lb}) + 401 \text{ ft-lb}$$

$$E_{2nd} = 1689 \text{ ft-lb}$$

$$F_{comp} = [(E_{2nd})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(1689 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 6.69 \text{ or } 7 \text{ rods}$$

The total fuel rod failures during this scenario are:

$$\text{Total Fuel Rod Failures} = (1^{\text{st}} \text{ Impact}) + (2^{\text{nd}} \text{ Impact}) =$$

$$\text{Total Fuel Rod Failures} = (17) + (7) = 24 \text{ rods}$$

Case 4

This case analyzes the free air drop impact with the minimum potential to impact fuel bundles.

For the first impact:

$$E_{dif} = 1 - [175 \text{ lb} / (175 \text{ lb} + (10 \text{ bundles})(562 \text{ lb})]$$

$$E_{dif} = 1 - [0.0302]$$

$$E_{dif} = 0.9698$$

Essentially all of the first impact energy would be absorbed. As a result, second or subsequent impacts need not be considered.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 57

Energy Absorbed

The first impact absorbs 96.98% of the initial energy or,

$$E_{abs} = (PE)(0.9698)$$

$$E_{abs} = (5425 \text{ ft-lb})(0.9698)$$

$$E_{abs} = 5261 \text{ ft-lb}$$

$$F_{comp} = [(E_{abs})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = [(5261 \text{ ft-lb})(19/(19+5))] / 200 \text{ ft-lb}$$

$$F_{comp} = 20.82 \text{ or } 21 \text{ rods}$$

	<b>Damaged Fuel Rods</b>
<b>Case 1</b>	24
<b>Case 2</b>	22
<b>Case 3</b>	24
<b>Case 4</b>	21

By totaling the bounding cases of each dropped object (pool gate, intermediate lifting beam, and alternate lifting beam), a maximum total number of 209 fuel rods will fail in compression.

CALCULATION DETAILS	CALCULATION NO:	G13.18.2.7-116
	REVISION:	0
	PAGE:	58

## Dose Analysis

Based upon the load drop analysis, the maximum number of damaged rods is 209. This number of rods is increased 20% to account for potential future fuel design changes or changes in rigging. This provides the following number of damaged rods to use in the dose analysis:

209 damaged rods \* 1.20 = 265.2 use 266 damaged rods

The activity of each isotope released to the environment is determined using the following relationship:

$$A_i = AC * FD * FRP * FG * (1/DF)$$

where:

$A_i$  = total activity of isotope i released to the environment (Ci/MWt)

AC = total activity in the reactor core (Ci/MWt)

FD = fraction of core damaged (unitless)

= Number of rods damaged / (Rods per bundle \* Bundles in core)

FRP = maximum radial peaking factor (unitless)

FG = fraction of isotope activity in damaged rods escaping as gap release (unitless).

DF = decontamination factor within pool water for isotope i (unitless)

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 59

AC for each isotope is shown in the following table:

Source Term:

(Ref. II.5\_EC 14186 markup pg. 9)

Isotope	24 Month Fuel Cycle Core Inventory (Ci/MW) at Time 0
I-131	2.70E+04
I-132	3.92E+04
I-133	5.52E+04
I-134	6.06E+04
I-135	5.17E+04
Kr-85	3.66E+02
Kr-85m	7.02E+03
Kr-87	1.35E+04
Kr-88	1.89E+04
Xe-133	5.26E+04
Xe-135	1.99E+04

FD = fraction of core damaged (unitless)

= Number of rods damaged / (Rods per bundle \* Bundles in core)

Number of rods damaged = 266

Number of Rods per Bundle for GE 9x9 Fuel: 74

(Ref. II.5\_EC 14186 markup pg. 17)

Number of Bundles in Core: 624

(Ref. II.5\_EC 14186 markup pg. 17)

FD = 266 rods damaged / ( 74 rods per bundle \* 624 Bundles in core)

FD = 0.005761 or **5.761E-3**

FRP = maximum radial peaking factor (unitless)

Core Radial Peaking Factor: 2.00

(Ref. II.5\_EC 14186 markup pg. 17)

FRP = **2.0**

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 60

FG = fraction of isotope activity in damaged rods escaping as gap release (unitless).

From Assumption 8.8.1, the gap activity fractions of Table 3 in Regulatory Position 3 of RG 1.183 (Ref. III.1) are utilized, as follows:

I-131	0.08
All other halogens	0.05
Kr-85	0.10
All other noble gases	0.05

$$FG_{I-131} = \underline{0.08}$$

$$FG_{\text{Other halogens}} = \underline{0.05}$$

$$FG_{Kr-85} = \underline{0.10}$$

$$FG_{\text{Other noble gases}} = \underline{0.05}$$

DF = decontamination factor within pool water for isotope i (unitless)

DF Noble Gases = 1

Per Assumption 8.8.6:

DF Iodines = 200

Ai for each isotope is calculated using an Excel spread sheet shown on the following page. A copy of the formula view of the spread sheet is also included on the subsequent page.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO: G13.18.2.7-116</b>
	<b>REVISION: 0</b>
	<b>PAGE: 61</b>

Gate Drop Case 266 failed rods							
	AC	FD	FRP	FG	DF	Ai	Ai * 3100 MWt
Isotope	24 Mo Core Inventory (Ci/MW) at time = 0	FHA Damaged Fuel - Fraction of Core	FHA Damaged Fuel - Radial Peaking Factor	AST FHA Gap Fraction Released	Effective Pool DF	Activity Released (Ci/MWt)	Activity Released (Ci)
I-131	2.70E+04	5.761E-03	2.00	0.08	200	1.244E-01	3.857E+02
I-132	3.92E+04	5.761E-03	2.00	0.05	200	1.129E-01	3.500E+02
I-133	5.52E+04	5.761E-03	2.00	0.05	200	1.590E-01	4.929E+02
I-134	6.06E+04	5.761E-03	2.00	0.05	200	1.745E-01	5.411E+02
I-135	5.17E+04	5.761E-03	2.00	0.05	200	1.489E-01	4.616E+02
I-136	N/A	N/A	N/A	N/A		N/A	N/A
KR-83m	N/A	N/A	N/A	N/A		N/A	N/A
Kr-85	3.66E+02	5.761E-03	2.00	0.1	1	4.217E-01	1.307E+03
KR-85m	7.02E+03	5.761E-03	2.00	0.05	1	4.044E+00	1.254E+04
Kr-87	1.35E+04	5.761E-03	2.00	0.05	1	7.777E+00	2.411E+04
KR-88	1.89E+04	5.761E-03	2.00	0.05	1	1.089E+01	3.375E+04
KR-89	N/A	N/A	N/A	N/A		N/A	N/A
Xe-131m	N/A	N/A	N/A	N/A		N/A	N/A
Xe-133m	N/A	N/A	N/A	N/A		N/A	N/A
Xe-133	5.26E+04	5.761E-03	2.00	0.05	1	3.030E+01	9.393E+04
Xe-135m	N/A	N/A	N/A	N/A		N/A	N/A
Xe-135	1.99E+04	5.761E-03	2.00	0.05	1	1.146E+01	3.554E+04
Xe-137	N/A	N/A	N/A	N/A		N/A	N/A
Xe-138	N/A	N/A	N/A	N/A		N/A	N/A

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 62

Formula view of Excel Spread Sheet

	A	B	C	D	E	F	G	H
189								
190	Isotope	24 Mo Core Inventory (Ci/MW) at time = 0	FHA Damaged Fuel - Fraction of Core	FHA Damaged Fuel - Radial Peaking Factor	AST FHA Gap Fraction Released	Effective Pool DF	Activity Released (Ci/MWt)	Activity Released (Ci)
191	I-131	27000	=266/(74*624)	2	0.08	200	=(B191*C191*D191*E191)/F191	=G191*3100
192	I-132	39200	=266/(74*624)	2	0.05	200	=(B192*C192*D192*E192)/F192	=G192*3100
193	I-133	55200	=266/(74*624)	2	0.05	200	=(B193*C193*D193*E193)/F193	=G193*3100
194	I-134	60600	=266/(74*624)	2	0.05	200	=(B194*C194*D194*E194)/F194	=G194*3100
195	I-135	51700	=266/(74*624)	2	0.05	200	=(B195*C195*D195*E195)/F195	=G195*3100
196	I-136	N/A	N/A	N/A	N/A		N/A	N/A
197								
198	KR-83m	N/A	N/A	N/A	N/A		N/A	N/A
199	Kr-85	366	=266/(74*624)	2	0.1	1	=(B199*C199*D199*E199)/F199	=G199*3100
200	KR-85m	7020	=266/(74*624)	2	0.05	1	=(B200*C200*D200*E200)/F200	=G200*3100
201	Kr-87	13500	=266/(74*624)	2	0.05	1	=(B201*C201*D201*E201)/F201	=G201*3100
202	KR-88	18900	=266/(74*624)	2	0.05	1	=(B202*C202*D202*E202)/F202	=G202*3100
203	KR-89	N/A	N/A	N/A	N/A		N/A	N/A
204								
205	Xe-131m	N/A	N/A	N/A	N/A		N/A	N/A
206	Xe-133m	N/A	N/A	N/A	N/A		N/A	N/A
207	Xe-133	52600	=266/(74*624)	2	0.05	1	=(B207*C207*D207*E207)/F207	=G207*3100
208	Xe-135m	N/A	N/A	N/A	N/A		N/A	N/A
209	Xe-135	19900	=266/(74*624)	2	0.05	1	=(B209*C209*D209*E209)/F209	=G209*3100
210	Xe-137	N/A	N/A	N/A	N/A		N/A	N/A
211	Xe-138	N/A	N/A	N/A	N/A		N/A	N/A

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 63

*RADTRAD Model – Load Drop over Spent Fuel Pool – 336 Hours Decay with no Credit Taken for FB, Containment Integrity or CR Filtration*

A RADTRAD CR model based on ventilation system parameters as described in Sections 7, 8 and 9 is developed as discussed below. Note that this model is identical to the model developed for Case 1 in calculation G13.18.9.5\*059 (Ref. II.5) with the exception of the source term and the assumed decay time. RADTRAD model information from G13.18.9.5\*059 is provided in this section. References for the various inputs are provided in the inputs section of this calculation, thus the references are not duplicated in this section.

The activity released to the environment previously calculated is modeled to be released at ground level from the Fuel Building in a time period not to exceed 2 hours. This is accomplished by purging the actual FB free volume at a very high rate while releasing the available activity in the Fuel Pool over a 2 hour period. All leakage is immediately released to the environment from the FB without holdup, plateout, or dilution.

RADTRAD Volume 1 represents the FB

- RBS FB volume is modeled as 7.42E+05 ft<sup>3</sup>
- 100% of the AST FHA source term exiting the pool is released to the Environment
- No additional inputs

RADTRAD Volume 2 represents the Environment

- No inputs

RADTRAD Volume 3 represents the Control Room

- Control Room habitability volume equals 188,000 ft<sup>3</sup>
- No additional inputs

RADTRAD Pathway 1 represents the FB leakage term (total release in 24 hours)

- FB air exhaust rate modeled as 7.42E+09 cfm (to allow for a 2 hour release)
- 0% efficient filters for elemental & organic species
- No additional inputs.

RADTRAD Source Term:

- User Inventory file RBS\_FHARev1a266.nif. This file is developed by using the calculated release for the individual isotopes (Ai) previously determined based upon a failure of 266 fuel rods.

- Modeled RBS AEP power level as 3100 MWth

Model isotopic decay and daughter in-growth

- Use the user defined RADTRAD release fraction file, rbs\_fharev1.rft. This file defines a .001 - hour release duration with a 100% release fraction in that period after allowing a 336-hour decay period.

- The specified iodine species fractions are 0.57 elemental and 0.43 organic

- Use the default RADTRAD FGR 11 & 12 dose conversion factors for the MACCS 60 isotope inventory, FGR11&12.inp



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 64

- No additional inputs

RADTRAD Analysis Results

**Calculation Results**  
**TEDE (REM)**

Dose Receptor	Acceptance Criteria	Gate Drop in Fuel Building
EAB*	6.3	1.2155
LPZ	6.3	0.16017
CR	5	0.87328

\*Worst 2-hour period

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 65

## 10.2 Damage to Pool Liner

In assessing the damage to the pool liner the following cases are analyzed based upon the load path.

### Drop from Maximum Lift Height

The maximum lift height occurs when transferring the gate from the cask pool to the laydown area on the Fuel Building 113' elevation. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. Potential points of impact for this drop are:

- 1) Cask pool floor at 70' elevation;
- 2) Cask pool shelf at 93' elevation;
- 3) Gate opening at 88' elevation.

### Load Drop with Gate in Pool

This scenario is during the movement of the gate from its installed location in the spent fuel pool to the gate opening between the spent fuel pool and cask pool, through the gate opening, then into the cask pool. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. Potential points of impact for this drop are:

- 1) Spent fuel pool or cask pool floor at 70' elevation;
- 2) Gate opening floor at 88' elevation.

### Load Drop onto Fuel Storage Racks

This scenario postulates a load drop during movement of the load in the spent fuel pool area that impacts the fuel storage racks. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. ***This scenario only determines the impact velocity of the objects as an input to the evaluation in Section 10.3.***

#### 10.2.1 Drop from Maximum Lift Height

The maximum lift height occurs when transferring the gate from the cask pool to the laydown area on the Fuel Building 113' elevation. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. Potential points of impact for this drop are:

- 1) Cask pool floor at 70' elevation;
- 2) Cask pool shelf at 93' elevation;
- 3) Gate opening at 88' elevation.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 66

*Determine Pool Minimum Water Level Elevation*

TS Minimum water level above the top of irradiated fuel =  $\geq 23'$  (Ref. III.10, pg. 3.7-15)

Stored fuel bundle upper tie plate elevation = 84.6645'  
(Ref. II.3, pg. 4 and Assumption 8.12)

Pool Min Level Elevation = Top of Irradiated Fuel Elevation + Min TS Water Coverage

Pool Min Level Elevation = 84.6645' + 23' = 107.6645'      **use 107.7'**

*Determine Maximum Object Lift Elevation*

For the initial movement the objects being evaluated had the following elevations:

Elevation of bottom of Gate = 90' (Ref. II.2, pg. 8)

Elevation of bottom of Intermediate Lifting Beam = 115' (Ref. II.2, pg. 8)

Elevation of bottom of Alternate Lifting Beam = 123' (Ref. II.2, pg. 12)

**Maximum Lift Elevation of the Gate Bottom**

Elevation of Fuel and Cask Pool Curb = 113' 4" (Ref. II.13)

Approximate lift height above laydown floor elevation obstructions = 6" (Ref. III.1, pg. 16)

Max Gate Bottom Lift Elevation = Curb elevation + lift height above obstructions

Max Gate Bottom Lift Elevation = 113' 4" + 6" = 113' 10"      **use 115' 0" or 115.0'**

Using the elevations of the bottom of the gate, intermediate lifting beam and alternate lifting beam from the initial movement, determine the Maximum Lift Elevation for the Intermediate Beam and Alternate Beam.

**Max Lift Elevation of Intermediate Beam**

= Max Gate Bottom Lift El. + (Initial Lift Int. Beam Bottom El. – Initial Lift Gate Bottom El.)

Max Lift Elevation of Intermediate Beam = 115.0' + (115'-90') = **140'**

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 67

Max Lift Elevation of Alternate Beam  
= Max Gate Bottom Lift El. + (Initial Lift Alt. Beam Bottom El. – Initial Lift Gate Bottom El.)

Max Lift Elevation of Alternate Beam = 115' + (123'-90') = 148'

*Determine Object Air Drop Distance*

Air Drop Distance = Max Lift Elevation – Pool Min Level Elevation

Gate Air Drop Distance = Max Lift Elevation – Pool Min Level Elevation

Gate Air Drop Distance = 115' – 107.7' = 7.3'

Intermediate Beam Air Drop Distance = Max Lift Elevation – Pool Min Level Elevation

Intermediate Beam Air Drop Distance = 140' – 107.7' = 32.3'

Alternate Beam Air Drop Distance = Max Lift Elevation – Pool Min Level Elevation

Alternate Beam Air Drop Distance = 148' – 107.7' = 40.3'

*Determine Water Drop Distance*

Water Drop Distance = Pool Min Level Elevation – Elevation of Impact Point

Cask Pool Floor Water Drop Distance = 107.7' – 70' = 37.7'

Cask Pool Shelf Water Drop Distance = 107.7' – 93' = 14.7'

Gate Opening Water Drop Distance = 107.7' – 88' = 19.7'

The equation to determine strike velocity is selected based upon the relationship of object length (L) to water depth (H) as follows:

$Z_1(x)$  = function for determining the striking velocity at depth  $H = x$  when  $0 \leq x \leq L$

$Z_2(x)$  = function for determining the striking velocity at depth  $H = x$  when  $x \geq L$

The following table provides a summary of the air drop distance, water drop distance H, the length of the dropped object, and the selected strike velocity function based upon the criteria above for each Maximum Lift Load Drop case.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 68

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Gate Drop to Cask Pool Floor	7.3'	37.7'	24.39'	Z <sub>2</sub> (x)
Gate Drop to Cask Pool Shelf	7.3'	14.7'	24.39'	Z <sub>1</sub> (x)
Gate Drop to Gate Opening	7.3'	19.7'	24.39'	Z <sub>1</sub> (x)
Intermediate Beam Drop to Cask Pool Floor	32.3'	37.7'	4.75'	Z <sub>2</sub> (x)
Intermediate Beam Drop to Cask Pool Shelf	32.3'	14.7'	4.75'	Z <sub>2</sub> (x)
Intermediate Beam Drop to Gate Opening	32.3'	19.7'	4.75'	Z <sub>2</sub> (x)
Alternate Beam Drop to Cask Pool Floor	40.3'	37.7'	12'	Z <sub>2</sub> (x)
Alternate Beam Drop to Cask Pool Shelf	40.3'	14.7'	12'	Z <sub>2</sub> (x)
Alternate Beam Drop to Gate Opening	40.3'	19.7'	12'	Z <sub>2</sub> (x)

For the Object Drop cases to assess liner damage, the following equations will be used:

$$V_0 = (2gh)^{1/2} \quad (\text{Ref. II.4, pg. E-4, 5-3})$$

Where:

V<sub>0</sub> = velocity of the missile at contact with the water surface, ft/s

g = gravitational acceleration = 32.17 ft/s<sup>2</sup>

h = distance between the missile and the water surface, ft

$$V_s = [Z(H)]^{1/2} \quad (\text{Ref. II.4, pg. 5-2})$$

Where:

V<sub>s</sub> = velocity of the missile striking the steel surface, ft/s

Z(H) = function for determination of striking velocity (see formulas below)

H = feet of fluid between fluid surface and surface of steel target

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 69

The following equations are from Ref. II.4, pg. 5-2:

$$Z_1(x) = (g/a) + (bA_0)[(1-2ax)/2a^2] + e^{-2ax}[(V_0^2 - (g/a) - (bA_0/2a^2)]$$

$$Z_2(x) = V_0^2 + e^{-2ax} \{ (bA_0/2a^2)[e^{2aL}(1-2aL) - 1] + V_0^2 + [(g/a)[(e^{2aL}(\gamma/\gamma_m) - 1)] \}$$

Where:

$Z_1(x)$  = function for determining the striking velocity at depth  $H = x$  when  $0 \leq x \leq L$

$Z_2(x)$  = function for determining the striking velocity at depth  $H = x$  when  $x \geq L$

$$a = (\gamma * A_0 * C_D) / (2 * W) \quad (\text{Ref. II.4, pg. 5-3})$$

$$b = (\gamma * g) / W \quad (\text{Ref. II.4, pg. 5-3})$$

$$g = \text{gravitational acceleration} = 32.17 \text{ ft/s}^2 \quad (\text{Ref. II.4, pg. 5-3})$$

$$W = \text{weight of missile, lb} \quad (\text{Ref. II.4, pg. 5-3})$$

$$\gamma = \text{weight density of liquid, lb/ft}^3 \quad (\text{Ref. II.4, pg. 5-3})$$

$$\gamma_m = \text{weight density of missile, lb/ft}^3 \quad (\text{Ref. II.4, pg. 5-3})$$

$x = H$  = depth of missile center of gravity below the water surface, ft  
(Ref. II.4, pg. 5-3, 5-5)

$A_0$  = horizontal cross-sectional area of the missile (constant over length  $L$ ),  $\text{ft}^2$   
(Ref. II.4, pg. 5-3)

$C_D$  = drag coefficient given in table 5-1 of the reference or other references on fluid mechanics which is a function of  $L/d$ ,  $R$  and shape of the missile  
(Ref. II.4, pg. 5-3, 5-4)

$L$  = vertical length of the missile, ft (Ref. II.4, pg. 5-3)

$d$  = characteristic dimension of the missile, for a rectangular surface  $d$  = width, ft  
(Ref. II.4, pg. 5-3, 5-4)

$$R = \text{Reynolds Number} = (V_0 * d) / \nu \quad (\text{Ref. II.4, pg. 5-3})$$

$$\nu = \text{kinematic viscosity of the liquid, ft}^2/\text{s} \quad (\text{Ref. II.4, pg. 5-3})$$

$$V_0 = \text{initial velocity of the missile at } x = 0, \text{ ft/s} \quad (\text{Ref. II.4, pg. 5-3, 5-5})$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 70

$V_s$  = striking velocity of the missile at  $x = H$ , ft/s (Ref. II.4, pg. 5-3)

$V_2$  = terminal velocity, ft/s =  $[(g/a) * (1 - \gamma/\gamma_m)]^{1/2}$  (Ref. II.4, pg. 5-3)

$H$  = depth of the fluid, ft (Ref. II.4, pg. 5-1)

$$T^{3/2} = 0.5 M V_s^2 / (17,400 K^2 D^{3/2}) \quad (\text{Ref. II.4, pg. C-8})$$

Where:

$T$  = steel thickness to just be perforated, in

$M$  = mass of the missile, lb-s<sup>2</sup>/ft

$V_s$  = striking velocity of the missile normal to target surface, ft/s

$K$  = constant depending on the grade of the steel,  $K$  is usually = 1

$D$  = diameter or equivalent diameter of the missile, in

The inputs for the maximum lift load drop cases are as follows:

All cases:

$g$  = Acceleration of Gravity = 32.174 ft/sec<sup>2</sup> (Ref. III.9, pg. B-10)

$\gamma$  = Density of water @ 160 deg. F = 60.994 lb/ft<sup>3</sup> (Ref. III.9, pg. A-6)

$\nu$  = Kinematic viscosity of water @ 160 deg. F = 0.439 E-5 ft<sup>2</sup>/s (Ref. III.11)

$K$  = constant related to grade of steel = 1

The inputs for the maximum lift gate load drop cases are as follows:

$L$  = Length of Spent Fuel Pool Gate = 24.39 ft (Ref. II.1, pg. A11)

$d$  = Width of Spent Fuel Pool Gate = 4.771 ft (Ref. II.1, pg. A11)

$t$  = Thickness of Spent Fuel Pool Gate = 0.3958 ft (Ref. II.1, pg. 17)

$W$  = Weight of Spent Fuel Pool Gate and Rigging = 2000 lbs (Ref. III.1, pg. 4);

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 71

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Gate Drop to Cask Pool Floor	7.3'	37.7'	24.39'	Z <sub>2</sub> (x)
Gate Drop to Cask Pool Shelf	7.3'	14.7'	24.39'	Z <sub>1</sub> (x)
Gate Drop to Gate Opening	7.3'	19.7'	24.39'	Z <sub>1</sub> (x)

$\gamma_m$  = weight density of missile, lb/ft<sup>3</sup> = weight, lb / (L, ft \* d, ft \* t, ft)

$\gamma_m$  = weight density of gate, lb/ft<sup>3</sup> = 2000 lb / (24.39 ft \* 4.771 ft \* 0.3958 ft) = 43.424 lb/ft<sup>3</sup>

### For Gate Drop to Cask Pool Floor

#### Determine V<sub>0</sub>

$$V_0 = (2gh)^{1/2}$$

Where:

V<sub>0</sub> = velocity of the missile at contact with the water surface, ft/s

g = gravitational acceleration = 32.17 ft/s<sup>2</sup>

h = distance between the missile and the water surface, ft

$$V_0 = (2 * 32.17 \text{ ft/s}^2 * 7.3 \text{ ft})^{1/2} = 21.672 \text{ ft/s}$$

#### Determine R

Note that d in the Reynolds number represents the width of the gate.

$$R = (V_0 * d) / \nu = (21.672 \text{ ft/s} * 4.771 \text{ ft}) / 0.439 \text{ E-5 ft}^2/\text{s} = 2.355\text{E}7$$

#### Determine C<sub>D</sub>

In determining C<sub>D</sub> for rectangular bodies L = length of the body, d = width

Gate length (height) = 24.39'

Gate width = 4.771'

$$L/d = 24.39' / 4.771' = 5.112$$

Using Ref. II.4, pg. 5-4 Table 5-1

C<sub>D</sub> = 1.20



CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 72

Determine  $A_0$

$A_0$  = horizontal cross-sectional area of the missile (constant over length L), ft<sup>2</sup>  
(Ref. II.4, pg. 5-3)

$$A_0 = \text{gate width} * \text{gate thickness} = 4.771 * 0.3958 = 1.888 \text{ ft}^2$$

Determine Coefficient a

$$a = (\gamma * A_0 * C_D) / (2 * W) = (60.994 \text{ lb/ft}^3 * 1.888 \text{ ft}^2 * 1.20) / (2 * 2000 \text{ lb}) = 0.035$$

Determine Coefficient b

$$b = (\gamma * g) / W = (60.994 \text{ lb/ft}^3 * 32.17 \text{ ft/s}^2) / 2000 \text{ lb} = 0.981$$

Determine Terminal Velocity  $V_2$

$$V_2 = [(g/a) * (1 - \gamma/\gamma_m)]^{1/2} = [(32.17 \text{ ft/s}^2 / 0.035) * (1 - (60.994 \text{ lb/ft}^3 / 43.424 \text{ lb/ft}^3))]^{1/2}$$

$$V_2 = [919.143 * (1 - 1.405)]^{1/2}$$

$$V_2 = [-372.253]^{1/2}$$

As the square root of a negative number is indeterminate, this indicates that the gate will float as the density of the gate is less than the density of water. Although the value determined for the overall gate density is correct, it is unlikely that the gate will float. Therefore the thickness of the gate will be adjusted to achieve a gate density greater than water. The smaller gate thickness will be used throughout this case. This will ultimately reduce the impact area experienced by the liner which increases the penetration thickness and is thus conservative.

**Note that this dimension adjustment is only used for this case.**

The adjusted gate thickness is 0.275' or 3.3"

The adjusted density of the gate is as follows:

$$\gamma_m = 2000 \text{ lb} / (24.39 \text{ ft} * 4.771 \text{ ft} * 0.275 \text{ ft}) = 62.499 \text{ lb/ft}^3$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 73

Determine Revised  $A_0$

$A_0$  = horizontal cross-sectional area of the missile (constant over length L), ft<sup>2</sup>  
(Ref. II.4, pg. 5-3)

$$A_0 = \text{gate width} * \text{gate thickness} = 4.771 * 0.275 = 1.312 \text{ ft}^2$$

Determine Revised Coefficient a

$$a = (\gamma * A_0 * C_D) / (2 * W) = (60.994 \text{ lb/ft}^3 * 1.312 \text{ ft}^2 * 1.20) / (2 * 2000 \text{ lb}) = 0.024$$

Determine Revised Terminal Velocity  $V_2$

$$V_2 = [(g/a) * (1 - \gamma/\gamma_m)]^{1/2} = [(32.17 \text{ ft/s}^2 / 0.024) * (1 - (60.994 \text{ lb/ft}^3 / 62.499 \text{ lb/ft}^3))]^{1/2}$$

$$V_2 = [1340.417 * (1 - 0.976)]^{1/2} = 5.681 \text{ ft/s}$$

Determine  $Z_2(x)$

Note that  $x=H$  such that the result of  $Z_2(x)$  can be directly used to determine strike velocity.

$$Z_2(x) = V_2^2 + e^{-2ax} \{ (bA_0/2a^2) [ e^{2aL}(1-2aL) - 1 ] + V_0^2 + [(g/a)[(e^{2aL}(\gamma/\gamma_m) - 1)] \}$$

For simplicity the various intermediate relations in the formula are determined individually. Only results values are listed without units.

$$V_2^2 = (5.681 \text{ ft/s})^2 = 32.274$$

$$e^{-2ax} = e^{(-2 * 0.024 * 37.7)} = 0.164$$

$$(bA_0/2a^2) = (0.981 * 1.312) / (2 * (0.024)^2) = 1117.250$$

$$2aL = 2 * 0.024 * 24.39 = 1.171$$

$$e^{2aL} = e^{(1.171)} = 3.225$$

$$[ e^{2aL}(1-2aL) - 1 ] = [ (3.225(1 - 1.171)) - 1 ] = -1.551$$

$$V_0^2 = (21.672 \text{ ft/s})^2 = 469.676$$

$$g/a = 32.17 / 0.024 = 1340.417$$

$$\gamma/\gamma_m = 60.994 \text{ lb/ft}^3 / 62.499 \text{ lb/ft}^3 = 0.976$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 74

$$Z_2(x) = V_2^2 + e^{-2ax} \{ (bA_0/2a^2) [ e^{2aL}(1-2aL) - 1 ] + V_0^2 + [(g/a)[(e^{2aL}(\gamma/\gamma_m) - 1)] \}$$

$$Z_2(x) = 32.274 + 0.164 \{ (1117.250)[-1.551] + 469.676 + [(1340.417)[(3.225(0.976) - 1)] \}$$

$$Z_2(x) = 32.274 + 0.164 \{ -1732.855 + 469.676 + 2878.679 \} = 297.216$$

Determine  $V_s$

$$V_s = [Z(H)]^{1/2} \quad (\text{Ref. II.4, pg. 5-2})$$

Where:

$V_s$  = velocity of the missile striking the steel surface, ft/s

$Z(H)$  = function for determination of striking velocity

$H$  = feet of fluid between fluid surface and surface of steel target

$$V_s = [297.216]^{1/2} = 17.239 \text{ ft/s}$$

Convert the impact area to equivalent diameter  $D$

The impact area is equal to  $A_0$  calculated previously.

$$A_0 = 1.312 \text{ ft}^2$$

$$1.312 \text{ ft}^2 * 144 \text{ in}^2/\text{ft}^2 = 188.928 \text{ in}^2$$

$$188.928 \text{ in}^2 = \pi r^2 \quad r = 7.755 \text{ in}$$

$$D = 2*r = 2 * 7.755 \text{ in} = 15.509 \text{ in}$$

Determine  $M$

$$M = W / g$$

$$M = 2000 \text{ lb} / 32.17 \text{ ft/s}^2 = 62.170 \text{ lb-s}^2/\text{ft}$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 75

Determine Steel Penetration Thickness

$$T^{3/2} = 0.5 M V_s^2 / (17,400 K^2 D^{3/2}) \quad (\text{Ref. II.4, pg. C-8})$$

Where:

T = steel thickness to just be perforated, in

M = mass of the missile, lb-s<sup>2</sup>/ft

V<sub>s</sub> = striking velocity of the missile normal to target surface, ft/s

K = constant depending on the grade of the steel, K is usually = 1

D = diameter or equivalent diameter of the missile, in

$$T^{3/2} = 0.5 * 62.170 * (17.239)^2 / (17,400 *(1)^2 (15.509^{3/2})) = 0.008693$$

$$T = 0.042 \text{ in}$$

The analysis methodology to calculate Z<sub>2</sub>(x) and T has been input into an Excel spread sheet. The results of the spread sheet for the previously calculated case is on the following page. Note that there are differences in some values due to variations the significant figures stored in Excel verses those displayed in the manual calculation. Due to the Excel limitations with respect to formatting, some of the variables are indicated by description rather than symbol. The spread sheet method will be used in all of the subsequent cases.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>76</b>

	Value	Units
<b>Gate Drop from Max Lift Height to Pool Floor 70'</b>		
Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness (reduced to obtain density greater than water)	0.275	ft
Gate weight, W	2000.000	lb
Gate density	62.499	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/s
water density/gate density	0.976	
drop distance in air	7.300	ft
drop distance in water	37.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.355E+07	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	17.349	
Drag Coefficient CD	1.200	
Ao = width * thickness	1.312	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.024	
$b = (\text{water density} * g) / W$	0.981	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density gate}) / a)$	5.681	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.164	
bAo	1.287	
$\exp(2aL)$	3.226	
2aL	1.171	
V2 <sup>2</sup>	32.276	
Vo <sup>2</sup>	469.682	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-1732.907	
$g * (\exp(2aL) * \text{wtr dens} / \text{gate dens} - 1) / a$	2878.065	
Z2x	296.504	
$V_s = (Zx)^{.5}$	17.219	ft/s
Convert impact area to equivalent diameter	15.509	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness T	0.042	in

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 77

### For Gate Drop to Cask Pool Shelf

$$Z_1(x) = (g/a) + (bA_0)[(1-2ax)/2a^2] + e^{-2ax}[(V_0^2 - (g/a) - (bA_0 / 2a^2)]$$

#### Determine $V_0$

$$V_0 = (2gh)^{1/2}$$

Where:

$V_0$  = velocity of the missile at contact with the water surface, ft/s

$g$  = gravitational acceleration = 32.17 ft/s<sup>2</sup>

$h$  = distance between the missile and the water surface, ft

$$V_0 = (2 * 32.17 \text{ ft/s}^2 * 7.3 \text{ ft})^{1/2} = 21.672 \text{ ft/s}$$

#### Determine $R$

Note that  $d$  in the Reynolds number represents the width of the gate.

$$R = (V_0 * d) / \nu = (21.672 \text{ ft/s} * 4.771 \text{ ft}) / 0.439 \text{ E-5 ft}^2/\text{s} = 2.355\text{E}7$$

#### Determine $C_D$

In determining  $C_D$  for rectangular bodies  $L$  = length of the body,  $d$  = width

Gate length (height) = 24.39'

Gate width = 4.771'

$$L/d = 24.39' / 4.771' = 5.112$$

Using Ref. II.4, pg. 5-4 Table 5-1

$$C_D = 1.20$$

#### Determine $A_0$

$A_0$  = horizontal cross-sectional area of the missile (constant over length  $L$ ), ft<sup>2</sup>  
(Ref. II.4, pg. 5-3)

$$A_0 = \text{gate width} * \text{gate thickness} = 4.771 * 0.3958 = 1.888 \text{ ft}^2$$

#### Determine Coefficient $a$

$$a = (\gamma * A_0 * C_D) / (2 * W) = (60.994 \text{ lb/ft}^3 * 1.888 \text{ ft}^2 * 1.20) / (2 * 2000 \text{ lb}) = 0.0345$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 78

Determine Coefficient b

$$b = (\gamma * g) / W = (60.994 \text{ lb/ft}^3 * 32.17 \text{ ft/s}^2) / 2000 \text{ lb} = 0.981$$

Determine  $Z_1(x)$

Note that  $x=H$  such that the result of  $Z_2(x)$  can be directly used to determine strike velocity.

$$Z_1(x) = (g/a) + (bA_0)[(1-2ax)/2a^2] + e^{-2ax}[(V_0^2 - (g/a) - (bA_0 / 2a^2)]$$

For simplicity the various intermediate relations in the formula are determined individually. Only results values are listed without units.

$$e^{-2ax} = e^{(-2 * 0.0345 * 14.7)} = 0.3627$$

$$bA_0 = (0.981 * 1.888) = 1.852$$

$$2ax = 2 * 0.0345 * 14.700 = 1.014$$

$$V_0^2 = (21.672 \text{ ft/s})^2 = 469.676$$

$$g/a = 32.17 / 0.0345 = 932.464$$

$$(bA_0)[(1-2ax)/2a^2] = (1.852)[(1-1.014)/2*(0.0345)^2] = -10.892$$

$$e^{-2ax}[(V_0^2 - (g/a) - (bA_0 / 2a^2)] = (0.3627)[(469.676)-(932.464)-(1.852/2*0.0345^2)] = -450.029$$

$$Z_1(x) = (g/a) + (bA_0)[(1-2ax)/2a] + e^{-2ax}[(V_0^2 - (g/a) - (bA_0 / 2a^2)]$$

$$Z_1(x) = 932.464 + (-10.892) + (-450.029) = 471.543$$

Determine  $V_s$

$$V_s = [Z(H)]^{1/2} \quad (\text{Ref. II.4, pg. 5-2})$$

Where:

$V_s$  = velocity of the missile striking the steel surface, ft/s

$Z(H)$  = function for determination of striking velocity

$H$  = feet of fluid between fluid surface and surface of steel target

$$V_s = [471.543]^{1/2} = 21.712 \text{ ft/s}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 79

Convert the impact area to equivalent diameter D

The impact area is equal to  $A_0$  calculated previously.

$$A_0 = 1.888 \text{ ft}^2$$

$$1.888 \text{ ft}^2 * 144 \text{ in}^2/\text{ft}^2 = 271.872 \text{ in}^2$$

$$271.872 \text{ in}^2 = \pi r^2 \quad r = 9.302 \text{ in}$$

$$D = 2*r = 2 * 9.302 \text{ in} = 18.605 \text{ in}$$

Determine M

$$M = W / g$$

$$M = 2000 \text{ lb} / 32.17 \text{ ft/s}^2 = 62.170 \text{ lb-s}^2/\text{ft}$$

Determine Steel Penetration Thickness

$$T^{3/2} = 0.5 M V_s^2 / (17,400 K^2 D^{3/2}) \quad (\text{Ref. II.4, pg. C-8})$$

Where:

T = steel thickness to just be perforated, in

M = mass of the missile, lb-s<sup>2</sup>/ft

V<sub>s</sub> = striking velocity of the missile normal to target surface, ft/s

K = constant depending on the grade of the steel, K is usually = 1

D = diameter or equivalent diameter of the missile, in

$$T^{3/2} = 0.5 * 62.170 * (21.712)^2 / (17,400 *(1)^2 (18.605^{3/2}) = 0.010494$$

$$T = 0.048 \text{ in}$$

The analysis methodology to calculate  $Z_1(x)$  and T has been input into an Excel spread sheet. The results of the spread sheet for the previously calculated case is shown on the following page. Note that there are differences in some values due to variations the significant figures stored in Excel verses those displayed in the manual calculation. Due to the Excel limitations with respect to formatting, some of the variables are indicated by description rather than symbol. The spread sheet method will be used in all of the subsequent cases.



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 80

**Gate Drop from Max Lift Height to Cask Shelf**

	Value	Units
Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.424	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/s
water density/gate density	1.405	
drop distance in air	7.300	ft
drop distance in water	14.700	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.355E+07	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	12.054	
Drag Coefficient CD	1.200	
Ao = width * thickness	1.888	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
$b = (\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.362	
bAo	1.853	
2ax	1.016	
Vo <sup>2</sup>	469.682	
g/a	931.017	
$bA_o * [(1 - 2ax)] / 2a^2$	-12.318	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2))]$	-447.965	
Z1x	470.734	
Vs = $(Zx)^{0.5}$	21.696	ft/s
Convert impact area to equivalent diameter	18.606	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.048	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>81</b>

### For Gate Drop to Gate Opening

	Value	Units
<b>Gate Drop from Max Lift Height to Gate Opening</b>		
Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.424	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/s
water density/gate density	1.405	
drop distance in air	7.300	ft
drop distance in water	19.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.355E+07	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	12.054	
Drag Coefficient CD	1.200	
Ao = width * thickness	1.888	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
b = $(\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.256	
bAo	1.853	
2ax	1.361	
Vo <sup>2</sup>	469.682	
g/a	931.017	
$bA_o * [(1 - 2ax)] / 2a^2$	-280.401	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-317.088	
Z1x	333.528	
Vs = $(Zx)^{.5}$	18.263	ft/s
Convert impact area to equivalent diameter	18.606	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.038	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 82

**Intermediate Beam Cases**

The inputs for the maximum lift intermediate beam load drop cases are as follows:

L = Length of Intermediate Lifting Beam = 4.75 ft (Ref. II.2, pg. 6)

d = Width of Intermediate Lifting Beam = 0.4167 ft (Ref. II.2, pg. 6)

t = Thickness of Intermediate Lifting Beam = 0.4167 ft (Ref. II.2, pg. 6)

W = Weight of Beam and Rigging = 175 lbs (Section 10.1.3)

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Intermediate Beam Drop to Cask Pool Floor	32.3'	37.7'	4.75'	Z <sub>2</sub> (x)
Intermediate Beam Drop to Cask Pool Shelf	32.3'	14.7'	4.75'	Z <sub>2</sub> (x)
Intermediate Beam Drop to Gate Opening	32.3'	19.7'	4.75'	Z <sub>2</sub> (x)

$\gamma_m$  = weight density of missile, lb/ft<sup>3</sup> = weight, lb / (L, ft \* d, ft \* t, ft)

$\gamma_m$  = weight density of beam, lb/ft<sup>3</sup> = 175 lb / (4.75 ft \* 0.4167 ft \* 0.4167 ft) = 212.177 lb/ft<sup>3</sup>

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 83

### For Intermediate Beam Drop to Cask Pool Floor

#### Intermediate Beam Drop from Max Lift Height to Pool Floor 70'

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.287	
drop distance in air	32.300	ft
drop distance in water	37.700	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	45.587	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	4.327E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
$b = (\text{water density} * g)/W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water}/\text{density beam})/a)$	25.554	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.071	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
V2 <sup>2</sup>	653.027	
Vo <sup>2</sup>	2078.182	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-55.030	
$g * (\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1) / a$	-548.751	
Z2x	757.546	
$V_s = (Z_x)^{0.5}$	27.524	ft/s
Convert impact area to equivalent diameter	5.642	in
mass = weight/g	5.440	lb-s <sup>2</sup> /ft
thickness	0.043	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 84

**For Intermediate Beam Drop to Cask Pool Shelf**

**Intermediate Beam Drop from Max Lift Height to Cask Shelf 93' EI**

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/s
water density/gate density	0.287	
drop distance in air	32.300	ft
drop distance in water	14.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	45.587	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	4.327E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
$b = (\text{water density} * g) / W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam}) / a)$	25.554	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.356	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
V2 <sup>2</sup>	653.027	
Vo <sup>2</sup>	2078.182	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-55.030	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	-548.751	
Z2x	1178.357	
$V_s = (Zx)^{.5}$	34.327	ft/s
Convert impact area to equivalent diameter	5.642	in
mass = weight/g	5.440	lb-s <sup>2</sup> /ft
thickness	0.057	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 85

**For Intermediate Beam Drop to Gate Opening**

**Intermediate Beam Drop from Max Lift Height to Gate Opening 88'**

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/s
water density/gate density	0.287	
drop distance in air	32.300	ft
drop distance in water	19.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	45.587	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	4.327E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	0.035	
$b = (\text{water density} * g)/W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam}))/a)$	25.554	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	0.251	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
V2 <sup>2</sup>	653.027	
Vo <sup>2</sup>	2078.182	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	-55.030	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1)/a$	-548.751	
Z2x	1022.846	
$V_s = (Zx)^{.5}$	31.982	ft/s
Convert impact area to equivalent diameter	5.642	in
mass = weight/g	5.440	lb-s <sup>2</sup> /ft
thickness	0.052	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 86

The inputs for the maximum lift alternate beam load drop cases are as follows:

- L = Length of Alternate Lifting Beam = 12' (Assumption 8.13)  
d = Width of Alternate Lifting Beam = 0.5 ft (Ref. III.7, pg. 1-26)  
t = Thickness of Alternate Lifting Beam = 0.333 ft (Ref. III.7, pg. 1-26)  
W = Weight of Beam and Rigging = 200 lbs (Section 10.1.2)

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Alternate Beam Drop to Cask Pool Floor	40.3'	37.7'	12'	Z <sub>2</sub> (x)
Alternate Beam Drop to Cask Pool Shelf	40.3'	14.7'	12'	Z <sub>2</sub> (x)
Alternate Beam Drop to Gate Opening	40.3'	19.7'	12'	Z <sub>2</sub> (x)

$\gamma_m$  = weight density of missile, lb/ft<sup>3</sup> = weight, lb / (L, ft \* d, ft \* t, ft)

$\gamma_m$  = weight density of beam, lb/ft<sup>3</sup> = 200 lb / (12 ft \* 0.333 ft \* 0.5 ft) = 100.100 lb/ft<sup>3</sup>

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 87

### For Alternate Beam Drop to Cask Pool Floor

#### Alternate Beam Drop from Max Lift Height to Pool Floor 70'

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.609	
drop distance in air	40.300	ft
drop distance in water	37.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	50.921	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	5.800E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.109	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
V2 <sup>2</sup>	426.738	
Vo <sup>2</sup>	2592.902	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z2x	694.643	
Vs = $(Zx)^{.5}$	26.356	ft/s
Convert impact area to equivalent diameter	5.525	in
mass = weight/g	6.217	lb-s <sup>2</sup> /ft
thickness	0.045	in



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>88</b>

### For Alternate Beam Drop to Cask Pool Shelf

#### Alternate Beam Drop from Max Lift Height to Cask Shelf 93' EI

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.609	
drop distance in air	40.300	ft
drop distance in water	14.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	50.921	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	5.800E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.421	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
V2 <sup>2</sup>	426.738	
Vo <sup>2</sup>	2592.902	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z2x	1465.074	
$V_s = (Zx)^{.5}$	38.276	ft/s
Convert impact area to equivalent diameter	5.525	in
mass = weight/g	6.217	lb-s <sup>2</sup> /ft
thickness	0.074	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 89

### For Alternate Beam Drop to Gate Opening

#### Alternate Beam Drop from Max Lift Height to to Gate Opening 88'

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.609	
drop distance in air	40.300	ft
drop distance in water	19.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	50.921	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	5.800E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.313	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
$V_2^2$	426.738	
$V_o^2$	2592.902	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z2x	1200.191	
$V_s = (Zx)^{.5}$	34.644	ft/s
Convert impact area to equivalent diameter	5.525	in
mass = weight/g	6.217	lb-s <sup>2</sup> /ft
thickness	0.065	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 90

### 10.2.2 Load Drop with Gate in Pool

This scenario is during the movement of the gate from its installed location in the spent fuel pool to the gate opening between the spent fuel pool and cask pool, through the gate opening, then into the cask pool. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. Potential points of impact for this drop are:

- 1) Spent fuel pool or cask pool floor at 70' elevation;
- 2) Gate opening floor at 88' elevation.

#### *Object Lift Elevation*

For the initial movement the objects being evaluated had the following elevations:

Elevation of bottom of Gate = 90'	(Ref. II.2, pg. 8)
Elevation of bottom of Intermediate Lifting Beam = 115'	(Ref. II.2, pg. 8)
Elevation of bottom of Alternate Lifting Beam = 123'	(Ref. II.2, pg. 12)

$$\text{Pool Min Level Elevation} = 84.6645' + 23' = 107.6645' \quad \text{use } \mathbf{107.7'}$$

#### *Determine Object Air Drop Distance*

$$\text{Air Drop Distance} = \text{Lift Elevation} - \text{Pool Min Level Elevation}$$

$$\text{Gate Air Drop Distance} = \text{Lift Elevation} - \text{Pool Min Level Elevation}$$

$$\text{Gate Air Drop Distance} = 90' - 107.7' = -17.7'$$

As the gate is mostly submerged, the air drop distance for the gate is 0'. Correspondingly, the value for  $V_0$  and  $R$  will also be zero. As the Reynolds number is less than  $1E3$ , the drag coefficient,  $C_D$  will be assumed to be 1.00.

$$\text{Intermediate Beam Air Drop Distance} = \text{Lift Elevation} - \text{Pool Min Level Elevation}$$

$$\text{Intermediate Beam Air Drop Distance} = 115' - 107.7' = 7.3'$$

$$\text{Alternate Beam Air Drop Distance} = \text{Lift Elevation} - \text{Pool Min Level Elevation}$$

$$\text{Alternate Beam Air Drop Distance} = 123' - 107.7' = 15.3'$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 91

*Determine Water Drop Distance*

Because the gate is partially submerged, the water drop distance formula is as follows:

$$\text{Gate Water Drop Distance} = \text{Elevation of Gate Bottom} - \text{Elevation of Impact Point}$$

For the Pool Floors

$$\text{Gate Water Drop Distance} = 90' - 70' = 20'$$

For the Gate Opening

$$\text{Gate Water Drop Distance} = 90' - 88' = 2'$$

As the beams have an initial elevation above the pool level, the beam water drop distance utilizes the same relationship as that utilized in Section 10.2.1.

$$\text{Water Drop Distance} = \text{Pool Min Level Elevation} - \text{Elevation of Impact Point}$$

$$\text{Pool Floor Water Drop Distance} = 107.7 - 70' = 37.7'$$

$$\text{Gate Opening Water Drop Distance} = 107.7' - 88' = 19.7'$$

The following table provides a summary of the air drop distance, water drop distance H, the length of the dropped object, and the selected strike velocity function based upon the criteria above for each Load Drop case.

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Gate Drop to Pool Floor	0'	20'	24.39'	Z <sub>1</sub> (x)
Gate Drop to Gate Opening	0'	2'	24.39'	Z <sub>1</sub> (x)
Intermediate Beam Drop to Pool Floor	7.3'	37.7'	4.75'	Z <sub>2</sub> (x)
Intermediate Beam Drop to Gate Opening	7.3'	19.7'	4.75'	Z <sub>2</sub> (x)
Alternate Beam Drop to Pool Floor	15.3'	37.7'	12'	Z <sub>2</sub> (x)
Alternate Beam Drop to Gate Opening	15.3'	19.7'	12'	Z <sub>2</sub> (x)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>92</b>

The inputs for the load drop cases are as follows:

All cases:

$$g = \text{Acceleration of Gravity} = 32.174 \text{ ft/sec}^2 \quad (\text{Ref. III.9, pg. B-10})$$

$$\gamma = \text{Density of water @ 160 deg. F} = 60.994 \text{ lb/ft}^3 \quad (\text{Ref. III.9, pg. A-6})$$

$$\nu = \text{Kinematic viscosity of water @ 160 deg. F} = 0.439 \text{ E-5 ft}^2/\text{s} \quad (\text{Ref. III.11})$$

$$K = \text{constant related to grade of steel} = 1$$

The inputs for the gate load drop cases are as follows:

$$L = \text{Length of Spent Fuel Pool Gate} = 24.39 \text{ ft} \quad (\text{Ref. II.1, pg. A11})$$

$$d = \text{Width of Spent Fuel Pool Gate} = 4.771 \text{ ft} \quad (\text{Ref. II.1, pg. A11})$$

$$t = \text{Thickness of Spent Fuel Pool Gate} = 0.3958 \text{ ft} \quad (\text{Ref. II.1, pg. 17})$$

$$W = \text{Weight of Spent Fuel Pool Gate and Rigging} = 2000 \text{ lbs} \quad (\text{Ref. III.1, pg. 4});$$

$$\gamma_m = \text{weight density of gate, lb/ft}^3 = 2000 \text{ lb} / (24.39 \text{ ft} * 4.771 \text{ ft} * 0.3958 \text{ ft}) = 43.424 \text{ lb/ft}^3$$

The inputs for the intermediate beam load drop cases are as follows:

$$L = \text{Length of Intermediate Lifting Beam} = 4.75 \text{ ft} \quad (\text{Ref. II.2, pg. 6})$$

$$d = \text{Width of Intermediate Lifting Beam} = 0.4167 \text{ ft} \quad (\text{Ref. II.2, pg. 6})$$

$$t = \text{Thickness of Intermediate Lifting Beam} = 0.4167 \text{ ft} \quad (\text{Ref. II.2, pg. 6})$$

$$W = \text{Weight of Beam and Rigging} = 175 \text{ lbs} \quad (\text{Section 10.1.3})$$

$$\gamma_m = \text{weight density of beam, lb/ft}^3 = 175 \text{ lb} / (4.75 \text{ ft} * 0.4167 \text{ ft} * 0.4167 \text{ ft}) = 212.177 \text{ lb/ft}^3$$

The inputs for the alternate beam load drop cases are as follows:

$$L = \text{Length of Alternate Lifting Beam} = 12' \quad (\text{Assumption 8.13})$$

$$d = \text{Width of Alternate Lifting Beam} = 0.5 \text{ ft} \quad (\text{Ref. III.7, pg. 1-26})$$

$$t = \text{Thickness of Alternate Lifting Beam} = 0.333 \text{ ft} \quad (\text{Ref. III.7, pg. 1-26})$$

$$W = \text{Weight of Beam and Rigging} = 200 \text{ lbs} \quad (\text{Section 10.1.2})$$

$$\gamma_m = \text{weight density of beam, lb/ft}^3 = 200 \text{ lb} / (12 \text{ ft} * 0.333 \text{ ft} * 0.5 \text{ ft}) = 100.100 \text{ lb/ft}^3$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 93

The inputs were entered into the Excel spread sheet with the results for each case shown in the following tables.

**Gate Drop to Pool Floor**

Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.424	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	20.000	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000E+00	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	12.054	
Drag Coefficient CD	1.000	
Ao = width * thickness	1.888	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.316	
bAo	1.853	
2ax	1.152	
Vo <sup>2</sup>	0.000	
g/a	1117.220	
$bA_o * [(1 - 2ax)] / 2a^2$	-169.580	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-706.242	
Z1x	241.398	
$V_s = (Zx)^{.5}$	15.537	ft/s
Convert impact area to equivalent diameter	18.606	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.031	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>94</b>

**Gate Drop in Gate Opening**

Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.424	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	2.000	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	12.054	
Drag Coefficient CD	1.000	
Ao = width * thickness	1.888	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
b = $(\text{water density} * g) / W$	0.981	
$\exp(-2*a*x)$ where x = drop distance in water	0.891	
bAo	1.853	
2ax	0.115	
Vo <sup>2</sup>	0.000	
g/a	1117.220	
$bA_o * [(1-2ax)] / 2a^2$	988.540	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-1991.348	
Z1x	114.412	
Vs = $(Zx)^{.5}$	10.696	ft/s
Convert impact area to equivalent diameter	18.606	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.019	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>95</b>

**Intermediate Beam Drop to Pool Floor**

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.287	
drop distance in air	7.300	ft
drop distance in water	37.700	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.057E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
b = $(\text{water density} * g) / W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	25.554	
$\exp(-2 * a * x)$ where x = drop distance in water	0.071	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
V2 <sup>2</sup>	653.027	
Vo <sup>2</sup>	469.682	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-55.030	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	-548.751	
Z2x	643.521	
$V_s = (Zx)^{0.5}$	25.368	ft/s
Convert impact area to equivalent diameter	5.642	in
mass = weight/g	5.440	lb-s <sup>2</sup> /ft
thickness	0.038	in



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 96

**Intermediate Beam Drop to Gate Opening**

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.287	
drop distance in air	7.300	ft
drop distance in water	19.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.057E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
$b = (\text{water density} * g) / W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	25.554	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.251	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
V2 <sup>2</sup>	653.027	
Vo <sup>2</sup>	469.682	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-55.030	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	-548.751	
Z2x	619.392	
$V_s = (Zx)^{.5}$	24.888	ft/s
Convert impact area to equivalent diameter	5.642	in
mass = weight/g	5.440	lb-s <sup>2</sup> /ft
thickness	0.037	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 97

**Alternate Beam Drop to Pool Floor**

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.609	
drop distance in air	15.300	ft
drop distance in water	37.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	31.375	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	3.573E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
b = $(\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.109	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
V2 <sup>2</sup>	426.738	
Vo <sup>2</sup>	984.402	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z2x	520.050	
Vs = $(Zx)^{.5}$	22.805	ft/s
Convert impact area to equivalent diameter	5.525	in
mass = weight/g	6.217	lb-s <sup>2</sup> /ft
thickness	0.037	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 98

**Alternate Beam Drop to Gate Opening**

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	0.609	
drop distance in air	15.300	ft
drop distance in water	19.700	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	31.375	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	3.573E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam})) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.313	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
V2 <sup>2</sup>	426.738	
Vo <sup>2</sup>	984.402	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z2x	696.134	
$V_s = (Zx)^{.5}$	26.384	ft/s
Convert impact area to equivalent diameter	5.525	in
mass = weight/g	6.217	lb-s <sup>2</sup> /ft
thickness	0.045	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 99

Using the calculated steel thickness to just experience perforation calculated in Sections 10.2.1 and 10.2.2, determine the minimum required liner thickness to prevent perforation based upon the following equation:

$$\text{Thickness required to prevent steel perforation} = T * 1.25 \quad (\text{Ref. II.4 pg. 2})$$

Where:

T = steel thickness to just be perforated, in

For the Max Gate Drop to Cask Pool Floor case  $T = 0.042$  in

$$\text{Thickness required to prevent steel perforation} = T * 1.25$$

$$\text{Thickness required to prevent steel perforation} = 0.042 \text{ in} * 1.25 = 0.053 \text{ in}$$

This formula was placed in an Excel spread sheet to determine the thickness required to prevent steel perforation for the balance of the liner impact drop cases. The results are shown in the table below.

Case Description	Calculated Perforation Thickness, T, in	Thickness Required to Prevent Perforation, in	Actual Liner Thickness, in
Max Gate Drop to Cask Pool Floor	0.042	0.053	0.188
Max Gate Drop to Cask Pool Shelf	0.048	0.060	0.188
Max Gate Drop to Gate Opening	0.038	0.048	0.188
Max Intermediate Beam Drop to Cask Pool Floor	0.043	0.054	0.188
Max Intermediate Beam Drop to Cask Pool Shelf	0.057	0.071	0.188
Max Intermediate Beam Drop to Gate Opening	0.052	0.065	0.188
Max Alternate Beam Drop to Cask Pool Floor	0.045	0.056	0.188
Max Alternate Beam Drop to Cask Pool Shelf	0.074	0.093	0.188
Max Alternate Beam Drop to Gate Opening	0.065	0.081	0.188
Gate in Water Gate Drop to Pool Floor	0.031	0.039	0.188
Gate in Water Gate Drop to Gate Opening	0.019	0.024	0.188
Gate in Water Intermediate Beam Drop to Pool Floor	0.038	0.048	0.188
Gate in Water Intermediate Beam Drop to Gate Opening	0.037	0.046	0.188
Gate In Water Alternate Beam Drop to Pool Floor	0.037	0.046	0.188
Gate in Water Alternate Beam Drop to Gate Opening	0.045	0.056	0.188

In all analyzed cases, the actual pool liner thickness exceeds the thickness required to prevent steel perforation resulting from impact of the dropped load. As the steel liner will not be perforated as a result of the analyzed load drops, no liner leakage will occur as a result of the impact. Given that no leakage will occur due to impact of the dropped load, no water makeup to accommodate leakage is required.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 100

### 10.2.3 Load Drop Spent Fuel Storage Rack Strike Velocity

This section is to determine the strike velocity of the objects during the movement of the gate from its installed location in the spent fuel pool to the gate opening when the potential exists for these objects to impact the fuel storage racks. Objects analyzed for this drop are the gate, intermediate lifting beam and alternate lifting beam. The point of impact for this scenario is the top of the racks.

$$\text{Elevation of Top of Fuel Racks} = 177'' + 70'1\text{-}5/16'' = 84.86' \quad (\text{Ref. II.8})$$

#### *Object Lift Elevation*

For the initial movement the objects being evaluated had the following elevations:

$$\text{Elevation of bottom of Gate} = 90' \quad (\text{Ref. II.2, pg. 8})$$

$$\text{Elevation of bottom of Intermediate Lifting Beam} = 115' \quad (\text{Ref. II.2, pg. 8})$$

$$\text{Elevation of bottom of Alternate Lifting Beam} = 123' \quad (\text{Ref. II.2, pg. 12})$$

$$\text{Pool Min Level Elevation} = 84.6645' + 23' = 107.6645' \quad \text{use } 107.7'$$

#### *Determine Object Air Drop Distance*

As the initial drop elevations are identical to that in Section 10.2.2, the air drop distance is unchanged from that determined in Section 10.2.2.

#### *Determine Water Drop Distance to Top of Racks*

Because the gate is partially submerged, the water drop distance formula is as follows:

$$\text{Gate Water Drop Distance} = \text{Elevation of Gate Bottom} - \text{Elevation of Impact Point}$$

$$\text{Gate Water Drop Distance} = 90' - 84.86' = 5.14'$$

As the beams have an initial elevation above the pool level, the beam water drop distance utilizes the same relationship as that utilized in Section 10.2.1.

$$\text{Water Drop Distance} = \text{Pool Min Level Elevation} - \text{Elevation of Impact Point}$$

$$\text{Rack Water Drop Distance} = 107.7 - 84.86'' = 22.84'$$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 101

The following table provides a summary of the air drop distance, water drop distance H, the length of the dropped object, and the selected strike velocity function based upon the criteria above for each Load Drop case.

Case Description	Air Drop Distance, h ft	Water Drop Distance, H ft	L ft	Strike Velocity Function
Gate Drop to Racks	0'	5.14'	24.39'	$Z_1(x)$
Intermediate Beam Drop to Racks	7.3'	22.84'	4.75'	$Z_2(x)$
Alternate Beam Drop to Racks	15.3'	22.84'	12'	$Z_2(x)$

The other inputs for the load drop cases are the same as Section 10.2.2.

The inputs were entered into the Excel spread sheet with the results for each case shown in the following tables.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 102

**Gate Drop to Racks**

Gate Length L	24.390	ft
Gate Width, d	4.771	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.424	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	5.140	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	5.112	
Check L/D using gate width and thickness	12.054	
Drag Coefficient CD	1.000	
Ao = width * thickness	1.888	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
$b = (\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.744	
bAo	1.853	
2ax	0.296	
Vo <sup>2</sup>	0.000	
g/a	1117.220	
$bA_o * [(1 - 2ax)] / 2a^2$	786.512	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-1661.933	
Z1x	241.800	
Vs = $(Zx)^{0.5}$	15.550	ft/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 103

**Intermediate Beam Drop to Racks**

Beam Length L	4.750	ft
Beam Width, d	0.417	ft
Beam thickness	0.417	ft
Beam weight, W	175.000	lb
Beam density	212.177	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/beam density	0.287	
drop distance in air	7.300	ft
drop distance in water	22.841	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	21.672	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	2.057E+06	
Check L/d using beam length and width	11.399	
Check L/D using beam width and thickness	1.000	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.174	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.035	
b = $(\text{water density} * g) / W$	11.212	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam}) / a)$	25.554	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.201	
bAo	1.947	
$\exp(2aL)$	1.396	
2aL	0.333	
$V_2^2$	653.027	
$V_o^2$	469.682	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-55.030	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	-548.751	
Z <sup>2</sup> x	626.048	
$V_s = (Zx)^{0.5}$	25.021	ft/s



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 104

**Alternate Beam Drop to Racks**

Beam Length L	12.000	ft
Beam Width, d	0.500	ft
Beam thickness	0.333	ft
Beam weight, W	200.000	lb
Beam density	100.100	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/beam density	0.609	
drop distance in air	15.300	ft
drop distance in water	22.840	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	31.375	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	3.573E+06	
Check L/d using beam length and width	24.000	
Check L/D using beam width and thickness	1.502	
Drag Coefficient CD	1.160	
Ao = width * thickness	0.167	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.029	
b = $(\text{water density} * g) / W$	9.811	
Terminal Velocity, $V_2 = \text{SQRT}((g * (1 - \text{density water} / \text{density beam}) / a)$	20.658	ft/s
$\exp(-2 * a * x)$ where x = drop distance in water	0.260	
bAo	1.634	
$\exp(2aL)$	2.028	
2aL	0.707	
$V_2^2$	426.738	
$V_o^2$	984.402	
$bA_o * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	-381.910	
$g * (\exp(2aL) * \text{wtr dens} / \text{beam dens} - 1) / a$	257.178	
Z <sup>2</sup> x	650.645	
$V_s = (Zx)^{.5}$	25.508	ft/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 105

Results summary

The strike velocity of each object on the spent fuel pool storage racks is as follows:

Gate	15.550 ft/s
Intermediate Beam	25.021 ft/s
Alternate Beam	25.508 ft/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 106

### 10.3 Damage to Fuel Rack Assembly

Damage to the Spent Fuel Pool Rack will be analyzed within two impact cases. Case 1 will analyze the damage to the fuel rack by objects (gate, intermediate lifting beam, alternate lifting beam) that impact the centerline of empty fuel cells. This bounding case would analyze the minimum amount of structural material resisting the energy of each object dropped, which would maximize the length of damage.

The fuel racks are rated for an impact energy of 3800 ft-lb. Case 2 will analyze the impact velocities of the dropped objects to determine if these impact energies are bounded. Each impact case will evaluate all previously analyzed objects (gate, intermediate lifting beam, alternate lifting beam).

#### Case 1

The poison material within the fuel pool racks is 16.22 inches below the top of the rack. It is necessary to demonstrate that the accidental drop of an object will not violate the criticality requirements. The following equation can be used to determine the length of damage.

$$L = E_i / (U)(A_i)$$

L = Length of Damage (in)

E<sub>i</sub> = Total Impact Energy of Falling Object (in-lb)

U = Strain Energy for Unit Volume (in-lb/in<sup>3</sup>)

A<sub>i</sub> = Area of Impact Contact (in<sup>2</sup>)

In order to solve for length of damage, the area of impact contact must first be calculated. The following equation can be used to determine the area of impact contact.

$$A_i = (N)(l)(t)$$

A<sub>i</sub> = Area of Impact Contact (in<sup>2</sup>)

N = Number of Plates in Impact Zone

l = Contact Length per Plate (in)

t = Plate Thickness (in)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 107

Part A (Spent Fuel Pool Gate)

The number of plates within the impact zone is determined by dividing the width of the gate by the bundle spacing.

$$(4.771 \text{ ft}) / (0.5208 \text{ ft}) = 9.16 \text{ bundles are impacted}$$

Therefore, the gate has the potential to impact a minimum of 9 plates. Using the minimum number of plates for calculation is conservative because this minimizes the area of support that resists the energy of the drop.

$$A_i = (N)(l)(t)$$

$$A_i = (9)(4.75 \text{ in.})(0.075 \text{ in.})$$

$$A_i = 3.206 \text{ in}^2$$

It is conservatively assumed that the entire potential energy of the drop is transferred into the rack in one impact.

$$L = E_i / (U)(A_i)$$

$$E_i = PE = 12000 \text{ ft-lb} = 144000 \text{ in-lb} \quad (\text{Section 10.1.1, pg. 27})$$

$$L = (144000 \text{ in-lb}) / (19740 \text{ in-lb/in}^3)(3.206 \text{ in}^2)$$

$$L = 2.275 \text{ in} < 16.22 \text{ in to poison material}$$

Part B (Alternate Lifting Beam)

The number of plates within the impact zone is determined by dividing the width and depth of the beam by the bundle spacing.

$$(0.333 \text{ ft}) / (0.5208 \text{ ft}) = 0.6394 \text{ bundles are impacted}$$

$$(0.5 \text{ ft}) / (0.5208 \text{ ft}) = 0.9601 \text{ bundles are impacted}$$

Therefore, the beam has the potential to impact a minimum of 1 plate. Using the minimum number of plates for calculation is conservative because this minimizes the area of support that resists the energy of the drop.

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 108

*Note: A W6x12 beam will be used for the Alternate Lifting Beam. 4"x6"x½" plates will be welded to each end of the beam. These plates will increase the surface area of the ends of the beam, reducing the damage to the fuel rack, if dropped. Four inches is used for the length of impact because this will be the smallest dimension of the plate that is attached to the beam.*

$$A_i = (N)(l)(t)$$

$$A_i = (1)(4 \text{ in.})(0.075 \text{ in.})$$

$$A_i = 0.3 \text{ in}^2$$

It is conservatively assumed that the entire potential energy of the drop is transferred into the rack in one impact.

$$L = E_i / (U)(A_i)$$

$$E_i = PE = 7800 \text{ ft-lb} = 93600 \text{ in-lb}$$

(Section 10.1.2, pg. 37)

$$L = (93600 \text{ in-lb}) / (19740 \text{ in-lb/in}^3)(0.3 \text{ in}^2)$$

$$L = 15.81 \text{ in} < 16.22 \text{ in to poison material}$$

### Part C (Intermediate Lifting Beam)

The number of plates within the impact zone is determined by dividing the width and depth of the beam by the bundle spacing.

$$(0.4167 \text{ ft}) / (0.5208 \text{ ft}) = 0.8001 \text{ bundles are impacted}$$

$$(0.4167 \text{ ft}) / (0.5208 \text{ ft}) = 0.8001 \text{ bundles are impacted}$$

Therefore, the beam has the potential to impact a minimum of 1 plate. Using the minimum number of plates for calculation is conservative because this minimizes the area of support that resists the energy of the drop.

*Note: A TS5x5x½ beam will be used for the Intermediate Lifting Beam. Plates will be welded to each end of the beam, per Ref II-2, pg. 6. These plates will increase the surface area of the ends of the beam, reducing the damage to the fuel rack, if dropped. Five inches is used for the length of impact because this will be the smallest dimension of the plate that is attached to the beam.*

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 109

$$A_i = (N)(l)(t)$$

$$A_i = (1)(5 \text{ in.})(0.075 \text{ in.})$$

$$A_i = 0.375 \text{ in}^2$$

It is conservatively assumed that the entire potential energy of the drop is transferred into the rack in one impact.

$$L = E_i / (U)(A_i)$$

$$E_i = PE = 5425 \text{ ft-lb} = 65100 \text{ in-lb} \quad (\text{Section 10.1.3, pg. 45})$$

$$L = (65100 \text{ in-lb}) / (19740 \text{ in-lb/in}^3)(0.375 \text{ in}^2)$$

$$L = 8.794 \text{ in} < 16.22 \text{ in to poison material}$$

### Case 2

The fuel racks are rated for an impact energy of 3800 ft-lb. Case 2 will analyze the impact velocities of the dropped objects to determine if these impact energies are bounded per (Ref. II-10).

The rack strike velocity for each object determined in Section 10.2.3 are as follows:

Gate	15.550 ft/s
Intermediate Beam	25.021 ft/s
Alternate Beam	25.508 ft/s

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 110

Part A (Spent Fuel Pool Gate)

$$K = \frac{1}{2}(M)(V^2) \quad (\text{Ref. II-9, pg. 4})$$

Where:

K = Kinetic Energy

M = Mass

V = Velocity

$$K = \frac{1}{2} (2000 \text{ lbs})(15.550 \text{ ft/s})^2(1 / 32.174 \text{ ft/s}^2)$$

Note: The (1 / 32.174 ft/s<sup>2</sup>) term in the equation above is needed to convert to the correct units.

$$K = 7515.463 \text{ ft-lb}$$

Since the Spent Fuel Pool Gate has the minimum potential to impact 5 fuel bundles (conservatively assuming that the fuel rack is 50% full), we must divide this impact energy by 5.

$$K = (7515.463) / (5) = 1503.093 \text{ ft-lb} < 3800 \text{ ft-lb} \quad \text{Therefore, OK.}$$

Part B (Alternate Lifting Beam)

$$K = \frac{1}{2}(M)(V^2) \quad (\text{Ref. II-9, pg. 4})$$

Where:

K = Kinetic Energy

M = Mass

V = Velocity

$$K = \frac{1}{2} (200 \text{ lbs})(25.508 \text{ ft/s})^2(1 / 32.174 \text{ ft/s}^2)$$

Note: The (1 / 32.174 ft/s<sup>2</sup>) term in the equation above is needed to convert to the correct units.

$$K = 2022.31 \text{ ft-lb} < 3800 \text{ ft-lb} \quad \text{Therefore, OK.}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 111

Part C (Intermediate Lifting Beam)

$$K = \frac{1}{2}(M)(V^2)$$

(Ref. II-9, pg. 4)

Where:

K = Kinetic Energy

M = Mass

V = Velocity

$$K = \frac{1}{2} (175 \text{ lbs})(25.021 \text{ ft/s})^2(1 / 32.174 \text{ ft/s}^2)$$

Note: The  $(1 / 32.174 \text{ ft/s}^2)$  term in the equation above is needed to convert to the correct units.

$$K = 1702.599 \text{ ft-lb} < 3800 \text{ ft-lb} \quad \text{Therefore, OK.}$$



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 112

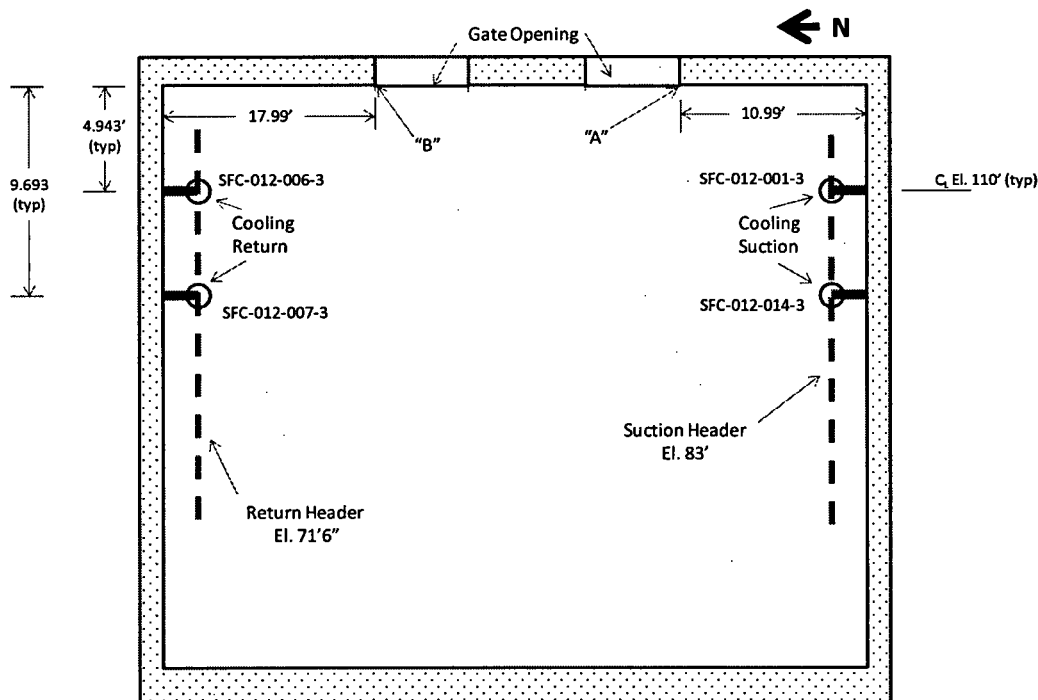
#### 10.4 Impact of Gate Drop on Fuel Pool Cooling Piping

The only safe shutdown equipment with the potential to be affected by a Spent Fuel Pool Gate Movement load drop are the suction and return lines for the Spent Fuel Pool Cooling portion of the Fuel Pool Cooling and Cleanup System (SFC).

The Spent Fuel Cooling suction piping consists of two (2) 12" diameter lines located on the south wall of the Spent Fuel Pool. Each line penetrates horizontally into the pool at elevation 110' for approximately 16 inches then turns 90 degrees downward extending to nominal elevation 83' 6" where the lines transition into a nominal 6" diameter horizontal suction header located at elevation 83'. (Ref. II.16, 18, 19, 20, 21, 22)

The Spent Fuel Cooling discharge piping consists of two (2) 12" diameter lines located on the north wall of the Spent Fuel Pool. Each line penetrates horizontally into the pool at elevation 110' for approximately 16 inches then turns 90 degrees downward extending to nominal elevation 72'0" where the lines transition into a nominal 6" diameter horizontal distribution sparger located at elevation 71'6". (Ref. II.16, 18, 19, 20, 21, 22)

A general diagram of the piping layout is shown below. (Ref. II.11, 13, 16, 18, 19, 20, 21, 22)



Plan Elevation 113' Spent Fuel Pool Area

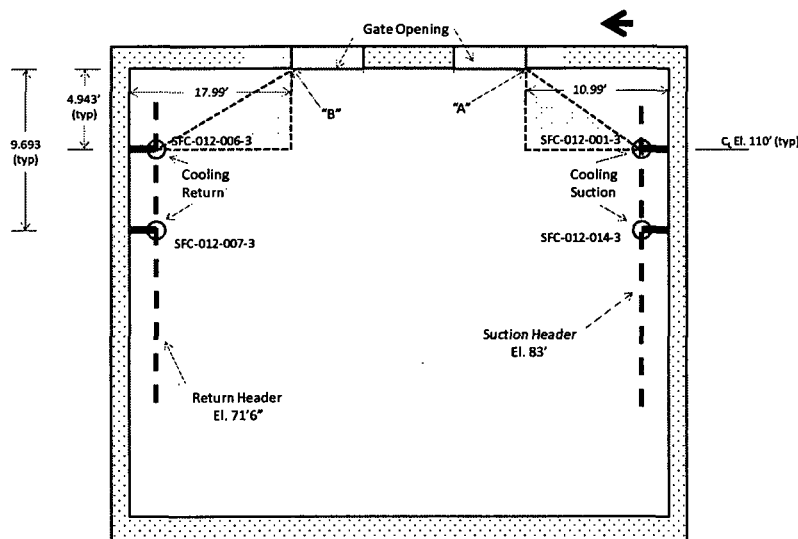
<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 113

The pool gates have adequate length that they could potentially strike the cooling piping following an initial impact on the spent fuel storage racks, i.e. in the transition to Position 2 or 3 as described in Section 10.1.1. The piping could be struck as the top of the gate moves downward toward the storage racks. The highest potential location for the impact of each line is determined by:

1. Calculating the horizontal distance between the following locations using the formula  $a^2 + b^2 = c^2$ . Refer to the previous general diagram for the locations of Points A and B.
  - Point A and line SFC-012-001-3.
  - Point A and line SFC-012-014-3.
  - Point B and line SFC-012-006-3.
2. Using the  $a^2 + b^2 = c^2$  formula with the previously calculated horizontal distance and the 24.39' gate length, the vertical distance where the subject pipe will be struck by the top of the gate is determined. The vertical distance is added to the top elevation of the spent fuel storage racks of 84.86' to determine the elevation where the gate strikes the applicable line.
3. The elevation of the gate strike is compared to the minimum water level elevation. As long as any damage, such as distortion (denting), a crack or other opening, is below the elevation of the minimum water level, the cooling function can continue to be maintained as the flowpath via the line will still be intact.

### Horizontal Distance

The triangles shown on the diagram below represent determination of the distance between Point A and line SFC-012-001-3 and the determination of the distance between Point B and line SFC-012-006-3. Determination of the distance for the remaining two lines is similar.



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 114

Distance Fuel Pool Cooling Piping Extends into Pool

SFC-012-001-3 = 1.302'	(Ref. II.18)
SFC-012-014-3 = 1.302'	(Ref. II.19)
SFC-012-006-3 = 1.5'	(Ref. II.20)
SFC-012-007-3 = 1.33'	(Ref. II.21)

Point A and line SFC-012-001-3. SFC-012-001-3 extends 1.302' into the pool. (Ref. II.18)

Distance from southeast pool corner to SFC-012-001-3 = 4.943'

North-South distance from Point A to line SFC-012-001-3 = 10.99' – 1.302'

Distance from Point A to SFC-012-001-3 =  $[(4.943')^2 + (10.99' - 1.302')^2]^{0.5} = \underline{10.88'}$

Point A and line SFC-012-014-3. SFC-012-014-3 extends 1.302' into the pool. (Ref. II.19)

Distance from southeast pool corner to SFC-012-014-3 = 9.693'

North-South distance from Point A to line SFC-012-001-3 = 10.99' – 1.302'

Distance from Point A to SFC-012-014-3 =  $[(9.693')^2 + (10.99' - 1.302')^2]^{0.5} = \underline{13.70'}$

Point B and line SFC-012-006-3. SFC-012-006-3 extends 1.5' into the pool. (Ref. II.20)

Distance from northeast pool corner to SFC-012-006-3 = 4.943'

North-South distance from Point B to line SFC-012-006-3 = 17.99' – 1.5'

Distance from Point B to SFC-012-006-3 =  $[(4.943')^2 + (17.99' - 1.5')^2]^{0.5} = \underline{17.21'}$

Point B and line SFC-012-007-3. SFC-012-007-3 extends 1.33' into the pool. (Ref. II.21)

Distance from northeast pool corner to SFC-012-007-3 = 9.693'

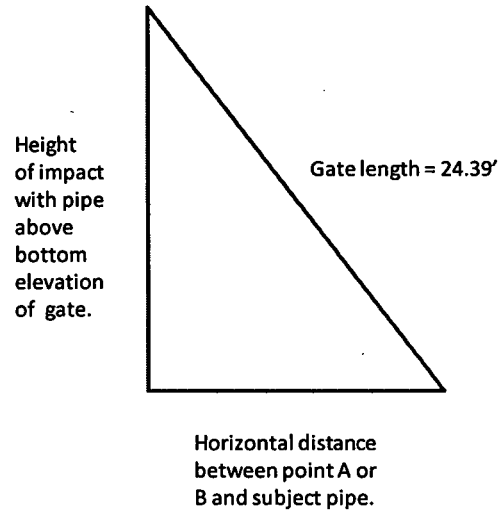
North-South distance from Point B to line SFC-012-007-3 = 17.99' – 1.33'

Distance from Point B to SFC-012-007-3 =  $[(9.693')^2 + (17.99' - 1.33')^2]^{0.5} = \underline{19.27'}$

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 115

Vertical Distance and Gate Strike Elevation

The diagram below represents the determination of the vertical height above the gate bottom elevation where the top of the gate will impact the subject pipe.



SFC-012-001-3

Horizontal distance = 10.88'

Gate length = 24.39'

Vertical distance =  $[(24.39')^2 - (10.88')^2]^{0.5} = 21.83'$

Gate strike elevation = Top of rack elevation + vertical distance

Gate strike elevation = 84.86 + 21.83 = 106.69' elevation

SFC-012-014-3

Horizontal distance = 13.70'

Gate length = 24.39'

Vertical distance =  $[(24.39')^2 - (13.70')^2]^{0.5} = 20.18'$

Gate strike elevation = Top of rack elevation + vertical distance

Gate strike elevation = 84.86 + 20.18 = 105.04' elevation

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 116

SFC-012-006-3

Horizontal distance = 17.21'

Gate length = 24.39'

Vertical distance =  $[(24.39')^2 - (17.21')^2]^{0.5} = 17.28'$

Gate strike elevation = Top of rack elevation + vertical distance

Gate strike elevation = 84.86 + 17.28 = 102.14' elevation

SFC-012-007-3

Horizontal distance = 19.27'

Gate length = 24.39'

Vertical distance =  $[(24.39')^2 - (19.27')^2]^{0.5} = 14.95'$

Gate strike elevation = Top of rack elevation + vertical distance

Gate strike elevation = 84.86 + 14.95 = 99.81' elevation

Minimum spent fuel pool water level elevation = 107.7' (previously determined in Section 10.2.1)

#### Results Summary

Line Number	Gate Strike Elevation	Minimum Pool Level Elevation
SFC-012-001-3	106.69'	107.7'
SFC-012-014-3	105.04'	107.7'
SFC-012-006-3	102.14'	107.7'
SFC-012-007-3	99.81'	107.7'

To assess the structural response of the piping due to the impact of the gate, the strike velocity is estimated using the methodology in Section 10.2.3. Because the gate has already struck the racks/fuel after dropping vertically, and is moving to Position 2 or 3 as indicated in Section 10.1.1, the dimensions representing length, width, and thickness with respect to the velocity equation have changed, as the area moving approximately perpendicular to the piping is the dimension of 24.390' and either the dimension of 4.771' (transition to Position 2) or the dimension of 0.396' (transition to Position 3). For the purposes of the velocity determination the gate width will be established as the 24.390' dimension and the gate dimension of 0.396' as the thickness.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 117

The Top of Gate drop distance is determined as follows:

$$\text{Top of Gate drop distance} = (\text{Gate length} + \text{top of rack elevation}) - \text{Gate strike elevation}$$

As the center of gravity of the gate is located at the halfway point of the gate length, the water drop distance of the center of gravity is determined as follows:

$$\text{Water drop distance} = \text{Top of gate drop distance} / 2$$

The piping is treated as a simply supported steel beam as indicated in Ref. II.4 page 4-5 description 2. This is based upon the upper end of the pipe being fixed in position via the attachment to the liner embedment above the strike elevation and supported by a pipe support below the strike elevation as shown on Ref. II.18, 19, 20, 21, 22.

Determine Top of Gate Drop Distance:

$$\text{Top of gate drop distance} = (\text{Gate length} + \text{top of rack elevation}) - \text{Gate strike elevation}$$

$$\text{Gate length} = 24.39'$$

$$\text{Top of rack elevation} = 84.86'$$

$$\text{SFC-012-001-3 Gate Strike Elevation} = 106.69'$$

$$\text{SFC-012-001-3 Top of gate drop distance} = (24.39' + 84.86') - 106.69' = 2.56'$$

Determine Water Drop Distance

As the center of gravity of the gate is located at the halfway point of the gate length, the water drop distance of the center of gravity is determined as follows:

$$\text{Water drop distance} = \text{Top of gate drop distance} / 2$$

$$\text{SFC-012-001-3 Water drop distance} = 2.56' / 2 = 1.28'$$

The water drop distance for the balance of the lines is shown in the table below.

Line Number	Gate Strike Elevation	Water Drop Distance
SFC-012-001-3	106.69'	1.28'
SFC-012-014-3	105.04'	2.105'
SFC-012-006-3	102.14'	3.555'
SFC-012-007-3	99.81'	4.72'

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>118</b>

The strike velocity is calculated using the methodology from Section 10.2.3. The Excel spread sheet for each line is shown on the following pages.

**Gate Tip Onto Piping SFC-012-001-3**

Gate Length L	4.771	ft
Gate Width, d	24.390	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.402	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	1.280	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	0.196	
Check L/D using gate width and thickness	61.591	
Drag Coefficient CD	1.000	
Ao = width * thickness	9.658	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.147	
$b = (\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.686	
bAo	9.476	
2ax	0.377	
Vo <sup>2</sup>	0.000	
g/a	218.432	
$bA_o * [(1 - 2ax)] / 2a^2$	136.077	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-299.644	
Z1x	54.865	
 Vs = $(Zx)^{.5}$	 7.407	 ft/s
 Convert impact area to equivalent diameter	 1.596	 in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.133	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 119

**Gate Tip Onto Piping SFC-012-014-3**

Gate Length L	4.771	ft
Gate Width, d	24.390	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.402	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	2.105	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	0.196	
Check L/D using gate width and thickness	61.591	
Drag Coefficient CD	1.000	
Ao = width * thickness	9.658	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.147	
$b = (\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.538	
bAo	9.476	
2ax	0.620	
Vo <sup>2</sup>	0.000	
g/a	218.432	
$bA_o * [(1 - 2ax)] / 2a^2$	82.997	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-235.001	
Z1x	66.428	
Vs = $(Zx)^{.5}$	8.150	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.151	in



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>120</b>

**Gate Tip Onto Piping SFC-012-006-3**

Gate Length L	4.771	ft
Gate Width, d	24.390	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.402	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	3.555	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	0.196	
Check L/D using gate width and thickness	61.591	
Drag Coefficient CD	1.000	
Ao = width * thickness	9.658	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.147	
b = $(\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.351	
bAo	9.476	
2ax	1.047	
Vo <sup>2</sup>	0.000	
g/a	218.432	
$bA_o * [(1 - 2ax)] / 2a^2$	-10.296	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-153.314	
Z1x	54.822	
Vs = $(Zx)^{.5}$	<b>7.404</b>	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.133	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 121

**Gate Tip Onto Piping SFC-012-007-3**

Gate Length L	4.771	ft
Gate Width, d	24.390	ft
Gate thickness	0.396	ft
Gate weight, W	2000.000	lb
Gate density	43.402	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	4.390E-06	sq ft/sec
water density/gate density	1.405	
drop distance in air	0.000	ft
drop distance in water	4.720	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	0.000	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	0.000	
Check L/d using gate length and width	0.196	
Check L/D using gate width and thickness	61.591	
Drag Coefficient CD	1.000	
Ao = width * thickness	9.658	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * A_o) / (2 * W)$	0.147	
b = $(\text{water density} * g) / W$	0.981	
$\exp(-2 * a * x)$ where x = drop distance in water	0.249	
bAo	9.476	
2ax	1.390	
Vo <sup>2</sup>	0.000	
g/a	218.432	
$bA_o * [(1 - 2ax)] / 2a^2$	-85.252	
$\exp(-2ax) * [(V_o^2 - (g/a) - (bA_o / 2 * a^2)]$	-108.780	
Z1x	24.399	
Vs = $(Zx)^{0.5}$	4.940	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	62.170	lb-s <sup>2</sup> /ft
thickness	0.078	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 122

For the structural evaluation of the piping, the piping is treated as a simply supported steel beam as indicated in Ref. II.4 page 4-5 description 2. This is based upon the upper end of the pipe being fixed in position via the attachment to the liner embedment above the strike elevation and supported by a pipe support below the strike elevation as shown on References II.16, 18, 19, 20, 21, and 22

Because the pipe has a round surface subject to impact rather than a flat surface subject to impact as in the case of the beam configuration, the contact length between the pipe and the gate is assumed to be 2" (Refer to Assumption 8.15).

**Elevation of Fuel Pool Cooling Piping Connection to Liner Embed**

SFC-012-001-3 = 110' 0"	(Ref. II.18)
SFC-012-014-3 = 110' 0"	(Ref. II.19)
SFC-012-006-3 = 110' 0"	(Ref. II.20, II.22)
SFC-012-007-3 = 110' 0"	(Ref. II.21)

**Elevation of First Support below Liner Embed Connection**

SFC-012-001-3 = 86' 0"	(Ref. II.18)
SFC-012-014-3 = 86' 0"	(Ref. II.19)
SFC-012-006-3 = 92' 0"	(Ref. II.20, II.22)
SFC-012-007-3 = 92' 0"	(Ref. II.21)

**Distance between supports:**

SFC-012-001-3	$110' 0'' - 86' 0'' = 24'$	(Ref. II.18)
SFC-012-014-3	$110' 0'' - 86' 0'' = 24'$	(Ref. II.19)
SFC-012-006-3	$110' 0'' - 92' 0'' = 18'$	(Ref. II.20, II.22)
SFC-012-007-3	$110' 0'' - 92' 0'' = 18'$	(Ref. II.21)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 123

Note: The following sections are performed for line SFC-012-001-3. These formulas have been included in an Excel spread sheet and the cases for the balance of the lines will be shown in the spread sheet format.

Determine Target Effective Mass

$$M_e = (D_x + 2d) * M_x$$

Ref. II.4 pg. 3-6

Where:

$M_e$  = Average effective mass of target during impact, lb

$M_x$  = Mass per unit length of steel beam

$D_x$  = Maximum missile contact dimension in the x direction, inches

$d$  = depth of steel beam, inches

Pipe weight per unit length = 49.56 lb / ft of length

Ref. III.9 pg. B-17

$d$  = Pipe Outer Diameter = 12.75"

Ref. III.9 pg. B-17

$D_x$  = 2"

Assumption 8.15

$$M_e = (D_x + 2d) * M_x$$

$$M_e = (2"/12 \text{ in/ft} + (2 * 12.75)/12 \text{ in/ft}) * 49.56 \text{ lb/ft} / 32.174 = 3.53 \text{ lb}$$

Determine the Strain Energy resulting from the impact

$$E_s = (M_m^2 * V_s^2) / [2 * (M_m + M_e)]$$

Ref. II.4 pg. 3-5

Where:

$E_s$  = strain energy, in-lb

$M_m$  = Mass of the missile, lb

$M_e$  = Effective mass of target during impact, lb

$V_s$  = Missile striking velocity, in/s

$$M_m = \text{Mass of the gate} = 2000 \text{ lb} / 32.174 = 62.162 \text{ lb}$$

$$M_e = 3.53 \text{ lb}$$

$$V = 7.407 \text{ ft/s} * 12 \text{ in/ft} = 88.884 \text{ in/s}$$

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 124

$$E_s = (M_m^2 * V_s^2) / [ 2 * (M_m + M_e)]$$

$$E_s = (62.162^2 * 88.884^2) / [ 2 * (62.162 + 3.530)] = 232,356.411 \text{ in-lb}$$

Determine the Plastic Resisting Force

$$R_m = (8 * I * f_{dy}) / (L * d)$$

Ref. II.4 pg. E-3

Where:

$R_m$  = plastic resisting force, lb

$I$  = moment of inertia, in<sup>4</sup>

$f_{dy}$  = allowable dynamic strength value = (DIF) \*  $f_{stat}$

DIF = dynamic increase factor = 1

$F_{stat}$  = static strength (yield strength), psi

$L$  = Length of beam, inches

$d$  = depth of steel beam, inches

$I$  = moment of inertia, in<sup>4</sup> = 279.3 in<sup>4</sup>

(Ref. III.9, pg. B-17)

$F_{stat}$  = 30 ksi

(Ref. III.13, pg. 76, 77)

$L$  = 24' (convert to inches)

$d$  = 12.75"

(Ref. III.9, pg. B-17)

$$R_m = (8 * I * f_{dy}) / (L * d)$$

$$R_m = (8 * 279.3 \text{ in}^4 * 30,000 \text{ psi}) / (24 \text{ ft} * 12 \text{ in/ft} * 12.75 \text{ in}) = 18,254.902 \text{ lb}$$

Determine the Yield Displacement

$$x_e = R_m L^3 / 48EI$$

Ref. II.4 pg. 4-5

Where:

$x_e$  = yield displacement, in

$R_m$  = plastic resisting force, lb

$L$  = Length of beam, inches

$E$  = modulus of elasticity, lb/in<sup>2</sup>

$I$  = moment of inertia, in<sup>4</sup>

Modulus of Elasticity,  $E$ , at 200 deg F for TP 304 SS = 27.7E6 lb / in<sup>2</sup> (Ref. III.12, pg. 6-92)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 125

$$x_e = R_m L^3 / 48EI$$

$$x_e = (18,254.902 * (24' * 12 \text{ in/ft})^3) / (48 * 27.7 \text{ E6 lb/in}^2 * 279.3 \text{ in}^4) = 1.174 \text{ in}$$

Determine the Ductility Ratio

$$\mu_r = [(E_s / (x_e * R_m))] + 0.5$$

Ref. II.4 pg. 3-8

Where:

$\mu_r$  = required ductility ratio

$E_s$  = strain energy, in-lb

$R_m$  = plastic resisting force, lb

$x_e$  = yield displacement, in

$$E_s = 232,356.411 \text{ in-lb}$$

$$R_m = 18,254.902 \text{ lb}$$

$$x_e = 1.174 \text{ in}$$

$$\mu_r = [(E_s / (x_e * R_m))] + 0.5$$

$$\mu_r = [(232,356.411 \text{ in-lb} / (1.174 \text{ in} * 18,254.902 \text{ lb})) + 0.5 = 11.342$$

An Excel spread sheet has been developed reflecting these formulas and is shown below. As previously discussed, minor differences between the spread sheet values and those shown in the above hand calculation may occur. The spread sheet method is utilized for the balance of the lines.

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>126</b>

**Line SFC-012-001**

<b>g</b>	32.174	ft/s <sup>2</sup>
<b>mass per length</b>	49.560	lb/ft length
<b>Dx = 2 in</b>	0.167	ft
<b>d = 12.75 in</b>	1.063	ft
<b>(Dx+2d)</b>	2.292	ft
<b>Me = (Dx+2d)*Mx</b>	3.530	lb
<b>Mm = 2000/g</b>	62.162	lb
<b>Impact velocity</b>	7.407	ft/s
<b>Vs</b>	88.884	in/s
<b>Es = Mm<sup>2</sup>*Vs<sup>2</sup>/2(Mm+Me)</b>	232356.302	
<b>I</b>	279.300	in <sup>4</sup>
<b>E</b>	2.770E+07	lb/in <sup>2</sup>
<b>fdy</b>	30000.000	lb/in <sup>2</sup>
<b>length, ft</b>	24.000	ft
<b>L</b>	288.000	in
<b>Rm = 8*I*fdy/(L*d)</b>	18254.902	lb
<b>xe = RmL<sup>3</sup>/48EI</b>	1.174	in
<b>mu</b>	11.340	

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 127

**Line SFC-012-014**

<b>g</b>	32.174	ft/s <sup>2</sup>
<b>mass per length</b>	49.560	lb/ft length
<b>Dx = 2 in</b>	0.167	ft
<b>d = 12.75 in</b>	1.063	ft
<b>(Dx+2d)</b>	2.292	ft
<b>Me = (Dx+2d)*Mx</b>	3.530	lb
<b>Mm = 2000/g</b>	62.162	lb
<b>Impact velocity</b>	8.150	ft/s
<b>Vs</b>	97.800	in/s
<b>Es = Mm<sup>2</sup>*Vs<sup>2</sup>/2(Mm+Me)</b>	281309.879	
<b>I</b>	279.300	in <sup>4</sup>
<b>E</b>	2.770E+07	lb/in <sup>2</sup>
<b>fdy</b>	30000.000	lb/in <sup>2</sup>
<b>length, ft</b>	24.000	ft
<b>L</b>	288.000	in
<b>Rm = 8*I*fdy/(L*d)</b>	18254.902	
<b>xe = RmL<sup>3</sup>/48EI</b>	1.174	
<b>mu</b>	13.623	



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 128

**Line SFC-012-006**

<b>g</b>	32.174	ft/s <sup>2</sup>
<b>mass per length</b>	49.560	lb/ft length
<b>Dx = 2 in</b>	0.167	ft
<b>d = 12.75 in</b>	1.063	ft
<b>(Dx+2d)</b>	2.292	ft
<b>Me = (Dx+2d)*Mx</b>	3.530	lb
<b>Mm = 2000/g</b>	62.162	lb
<b>Impact velocity</b>	7.404	ft/s
<b>Vs</b>	88.848	in/s
<b>Es = Mm<sup>2</sup>*Vs<sup>2</sup>/2(Mm+Me)</b>	232168.121	
<b>I</b>	279.300	in <sup>4</sup>
<b>E</b>	2.770E+07	lb/in <sup>2</sup>
<b>fdy</b>	30000.000	lb/in <sup>2</sup>
<b>length, ft</b>	18.000	ft
<b>L</b>	216.000	in
<b>Rm = 8*I*fdy/(L*d)</b>	24339.869	
<b>xe = RmL<sup>3</sup>/48EI</b>	0.661	
<b>mu</b>	14.941	

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 129

**Line SFC-012-007**

g	32.174	ft/s <sup>2</sup>
mass per length	49.560	lb/ft length
Dx = 2 in	0.167	ft
d = 12.75 in	1.063	ft
(Dx+2d)	2.292	ft
Me = (Dx+2d)*Mx	3.530	lb
Mm = 2000/g	62.162	lb
Impact velocity	4.940	ft/s
Vs	59.280	in/s
Es = $Mm^2 * Vs^2 / 2(Mm + Me)$	103353.137	
I	279.300	in <sup>4</sup>
E	2.770E+07	lb/in <sup>2</sup>
fdy	30000.000	lb/in <sup>2</sup>
length, ft	18.000	ft
L	216.000	in
Rm = $8 * I * fdy / (L * d)$	24339.869	
xe = $RmL^3 / 48EI$	0.661	
mu	6.929	

**Results Summary**

Line Number	Yield Displacement	Ductility Ratio
SFC-012-001-3	1.174"	11.340
SFC-012-014-3	1.174"	13.623
SFC-012-006-3	0.661"	14.941
SFC-012-007-3	0.661"	6.929

The calculated ductility ratio is less than the maximum recommended ductility ratio of 20. Based on the above yield displacements and ductility ratio values, it is expected that the pipe will experience deformation, most likely in the form of a dent at the point of impact. A steel thickness determination was performed in conjunction with the determination of the strike velocity using an impact area of 2 square inches. The maximum calculated perforation thickness was 0.151". The thickness required to prevent perforation would then be 0.151" \* 1.25 = 0.189". The pipe wall thickness is 0.375". On the basis of the above assessment, the Fuel Pool Cooling piping has adequate ductility to accommodate the impact of a fuel pool gate

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 130

transitioning from an initial drop onto the spent fuel or racks and will not be perforated as a result of the impact.

This information, in conjunction with the level of impact being below the minimum water level in the pool such that any damage to the piping will not affect the ability of the pool water to be transferred to or from the Spent Fuel Pool Cooling system. As a result, a load drop of the gates will not affect the safe shutdown function to maintain spent fuel pool cooling.

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 131

ATTACHMENT A RADTRAD Nuclide Input File RBS\_fhaRev1a266.nif

Nuclide Inventory Name: RBS\_FHARev1.NIF  
River Bend Fuel Handling Accident with AST

Power Level:

0.1000E+01

Nuclides:

60

Nuclide 001:

Co-58

7

0.6117120000E+07

0.5800E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 002:

Co-60

7

0.1663401096E+09

0.6000E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 003:

Kr-85

1

0.3382974720E+09

0.8500E+02

0.4217E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 004:

Kr-85m

1

0.1612800000E+05

0.8500E+02

0.4044E+01

Kr-85 0.2100E+00

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 132

Nuclide 005:

Kr-87

1

0.4578000000E+04

0.8700E+02

0.7777E+01

Rb-87 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 006:

Kr-88

1

0.1022400000E+05

0.8800E+02

0.1089E+02

Rb-88 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 007:

Rb-86

3

0.1612224000E+07

0.8600E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 008:

Sr-89

5

0.4363200000E+07

0.8900E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 009:

Sr-90

5

0.9189573120E+09

0.9000E+02

0.0000E+00

Y-90 0.1000E+01

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 133

Nuclide 010:

Sr-91

5

0.3420000000E+05

0.9100E+02

0.0000E+00

Y-91m 0.5800E+00

Y-91 0.4200E+00

none 0.0000E+00

Nuclide 011:

Sr-92

5

0.9756000000E+04

0.9200E+02

0.0000E+00

Y-92 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 012:

Y-90

9

0.2304000000E+06

0.9000E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 013:

Y-91

9

0.5055264000E+07

0.9100E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 014:

Y-92

9

0.1274400000E+05

0.9200E+02

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 134

Nuclide 015:

Y-93  
 9  
 0.3636000000E+05  
 0.9300E+02  
 0.0000E+00  
 Zr-93 0.1000E+01  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 016:

Zr-95  
 9  
 0.5527872000E+07  
 0.9500E+02  
 0.0000E+00  
 Nb-95m 0.7000E-02  
 Nb-95 0.9900E+00  
 none 0.0000E+00

Nuclide 017:

Zr-97  
 9  
 0.6084000000E+05  
 0.9700E+02  
 0.0000E+00  
 Nb-97m 0.9500E+00  
 Nb-97 0.5300E-01  
 none 0.0000E+00

Nuclide 018:

Nb-95  
 9  
 0.3036960000E+07  
 0.9500E+02  
 0.0000E+00  
 none 0.0000E+00  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 019:

Mo-99  
 7  
 0.2376000000E+06  
 0.9900E+02  
 0.0000E+00  
 Tc-99m 0.8800E+00  
 Tc-99 0.1200E+00  
 none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 135

Nuclide 020:

Tc-99m

7

0.2167200000E+05

0.9900E+02

0.0000E+00

Tc-99 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 021:

Ru-103

7

0.3393792000E+07

0.1030E+03

0.0000E+00

Rh-103m 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 022:

Ru-105

7

0.1598400000E+05

0.1050E+03

0.0000E+00

Rh-105 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 023:

Ru-106

7

0.3181248000E+08

0.1060E+03

0.0000E+00

Rh-106 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 024:

Rh-105

7

0.1272960000E+06

0.1050E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 136

Nuclide 025:

Sb-127

4

0.3326400000E+06

0.1270E+03

0.0000E+00

Te-127m 0.1800E+00

Te-127 0.8200E+00

none 0.0000E+00

Nuclide 026:

Sb-129

4

0.1555200000E+05

0.1290E+03

0.0000E+00

Te-129m 0.2200E+00

Te-129 0.7700E+00

none 0.0000E+00

Nuclide 027:

Te-127

4

0.3366000000E+05

0.1270E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 028:

Te-127m

4

0.9417600000E+07

0.1270E+03

0.0000E+00

Te-127 0.9800E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 029:

Te-129

4

0.4176000000E+04

0.1290E+03

0.0000E+00

I-129 0.1000E+01

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 137

Nuclide 030:

Te-129m  
 4  
 0.2903040000E+07  
 0.1290E+03  
 0.0000E+00  
 Te-129 0.6500E+00  
 I-129 0.3500E+00  
 none 0.0000E+00

Nuclide 031:

Te-131m  
 4  
 0.1080000000E+06  
 0.1310E+03  
 0.0000E+00  
 Te-131 0.2200E+00  
 I-131 0.7800E+00  
 none 0.0000E+00

Nuclide 032:

Te-132  
 4  
 0.2815200000E+06  
 0.1320E+03  
 0.0000E+00  
 I-132 0.1000E+01  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 033:

I-131  
 2  
 0.6946560000E+06  
 0.1310E+03  
 0.1244E-00  
 Xe-131m 0.1100E-01  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 034:

I-132  
 2  
 0.8280000000E+04  
 0.1320E+03  
 0.1129E-00  
 none 0.0000E+00  
 none 0.0000E+00  
 none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 138

Nuclide 035:

I-133  
 2  
 0.7488000000E+05  
 0.1330E+03  
 0.1590E-00  
 Xe-133m 0.2900E-01  
 Xe-133 0.9700E+00  
 none 0.0000E+00

Nuclide 036:

I-134  
 2  
 0.3156000000E+04  
 0.1340E+03  
 0.1745E-00  
 none 0.0000E+00  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 037:

I-135  
 2  
 0.2379600000E+05  
 0.1350E+03  
 0.1489E-00  
 Xe-135m 0.1500E+00  
 Xe-135 0.8500E+00  
 none 0.0000E+00

Nuclide 038:

Xe-133  
 1  
 0.4531680000E+06  
 0.1330E+03  
 0.3030E+02  
 none 0.0000E+00  
 none 0.0000E+00  
 none 0.0000E+00

Nuclide 039:

Xe-135  
 1  
 0.3272400000E+05  
 0.1350E+03  
 0.1146E+02  
 Cs-135 0.1000E+01  
 none 0.0000E+00  
 none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 139

Nuclide 040:

Cs-134

3

0.6507177120E+08

0.1340E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 041:

Cs-136

3

0.1131840000E+07

0.1360E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 042:

Cs-137

3

0.9467280000E+09

0.1370E+03

0.0000E+00

Ba-137m 0.9500E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 043:

Ba-139

6

0.4962000000E+04

0.1390E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 044:

Ba-140

6

0.1100736000E+07

0.1400E+03

0.0000E+00

La-140 0.1000E+01

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 140

Nuclide 045:

La-140

9

0.1449792000E+06

0.1400E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 046:

La-141

9

0.1414800000E+05

0.1410E+03

0.0000E+00

Ce-141 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 047:

La-142

9

0.5550000000E+04

0.1420E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 048:

Ce-141

8

0.2808086400E+07

0.1410E+03

0.0000E+00

none 0.0000E+00

none 0.0000E+00

none 0.0000E+00

Nuclide 049:

Ce-143

8

0.1188000000E+06

0.1430E+03

0.0000E+00

Pr-143 0.1000E+01

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 141

Nuclide 050:

Ce-144  
8  
0.2456352000E+08  
0.1440E+03  
0.0000E+00  
Pr-144m 0.1800E-01  
Pr-144 0.9800E+00  
none 0.0000E+00

Nuclide 051:

Pr-143  
9  
0.1171584000E+07  
0.1430E+03  
0.0000E+00  
none 0.0000E+00  
none 0.0000E+00  
none 0.0000E+00

Nuclide 052:

Nd-147  
9  
0.9486720000E+06  
0.1470E+03  
0.0000E+00  
Pm-147 0.1000E+01  
none 0.0000E+00  
none 0.0000E+00

Nuclide 053:

Np-239  
8  
0.2034720000E+06  
0.2390E+03  
0.0000E+00  
Pu-239 0.1000E+01  
none 0.0000E+00  
none 0.0000E+00

Nuclide 054:

Pu-238  
8  
0.2768863824E+10  
0.2380E+03  
0.0000E+00  
U-234 0.1000E+01  
none 0.0000E+00  
none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 142

Nuclide 055:

Pu-239

8

0.7594336440E+12

0.2390E+03

0.0000E+00

U-235 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 056:

Pu-240

8

0.2062920312E+12

0.2400E+03

0.0000E+00

U-236 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 057:

Pu-241

8

0.4544294400E+09

0.2410E+03

0.0000E+00

U-237 0.2400E-04

Am-241 0.1000E+01

none 0.0000E+00

Nuclide 058:

Am-241

9

0.1363919472E+11

0.2410E+03

0.0000E+00

Np-237 0.1000E+01

none 0.0000E+00

none 0.0000E+00

Nuclide 059:

Cm-242

9

0.1406592000E+08

0.2420E+03

0.0000E+00

Pu-238 0.1000E+01

none 0.0000E+00

none 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 143

Nuclide 060:

Cm-244

9

0.5715081360E+09

0.2440E+03

0.0000E+00

Pu-240 0.1000E+01

none 0.0000E+00

none 0.0000E+00

End of Nuclear Inventory File



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 144

**ATTACHMENT B – RADTRAD Results File**

```
#####
RADTRAD Version 3.02 run on 8/11/2014 at 15:33:00
#####
```

```
#####
File information
#####
```

```
Plant file name           = C:\FHAMElissa266wd.psf
Inventory file name       = C:\radtrad files\Radtrad files\FHA\Rbs_fhaRev1a266.nif
Scenario file name       = C:\FHAMElissa266wd.psf
Release file name        = c:\radtrad files\radtrad files\fha\rbs_fharev1.rft
Dose conversion file name = c:\program files\u s nuclear regulatory
commission\radtrad\defaults\fgr11&12.inp
```

```
#####      #####      #####      # #      # #####      # #      #####
# # #      #      # ##      # #      # #      # #      #
# # #      #      # # #      # #      # #      # #      #
#####      #####      # # #      # #####      # #      #
# #      # #      # # #      # #      # #      # #      #
# #      # #      # #      # #      # #      # #      #
# #      #####      # #      # #      # #      # #      #
```

```
Radtrad 3.02 1/5/2000
First Time Through
Nuclide Inventory File:
C:\radtrad files\Radtrad files\FHA\Rbs_fhaRev1a266.nif
Plant Power Level:
3.1000E+03
Compartments:
3
Compartment 1:
RBS Fuel Building
3
7.4200E+05
0
0
0
0
0
```

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 145

Compartment 2:

RBS Environment

2

0.0000E+00

0

0

0

0

0

Compartment 3:

RBS Control Room

1

1.8800E+05

0

0

1

0

0

Pathways:

5

Pathway 1:

RBS Fuel Building to RBS Environment

1

2

2

Pathway 2:

RBS Environment to RBS Control Room

2

3

2

Pathway 3:

RBS Environment to RBS Control Room

2

3

2

Pathway 4:

RBS Environment to RBS Control Room

2

3

2

Pathway 5:

RBS Control Room to RBS Environment

3

2

2

End of Plant Model File

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 146

Scenario Description Name:

Plant Model Filename:

Source Term:

1  
1 1.0000E+00  
c:\program files\us nuclear regulatory commission\radtrad\defaults\fgr11&12.inp  
c:\radtrad files\radtrad files\fha\rbs\_fharev1.rft  
3.3600E+02  
1  
0.0000E+00 5.7000E-01 4.3000E-01 1.0000E+00

Overlying Pool:

0  
0.0000E+00  
0  
0  
0  
0

Compartments:

3  
Compartment 1:

1  
1  
0  
0  
0  
0  
0  
0  
0

Compartment 2:

1  
1  
0  
0  
0  
0  
0  
0  
0

Compartment 3:

1  
1  
0  
0  
0  
1  
2.0000E+03  
3  
3.3600E+02 1.0000E+02 0.0000E+00 0.0000E+00  
3.3602E+02 1.0000E+02 0.0000E+00 0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 147

1.0560E+03 0.0000E+00 0.0000E+00 0.0000E+00

0  
0

Pathways:

5

Pathway 1:

0  
0  
0  
0  
0

1

2

3.3600E+02 7.4200E+09 1.0000E+02 0.0000E+00 0.0000E+00

1.0560E+03 0.0000E+00 0.0000E+00 0.0000E+00 0.0000E+00

0  
0  
0  
0  
0  
0

Pathway 2:

0  
0  
0  
0  
0

1

3

3.3600E+02 1.7000E+03 1.0000E+02 0.0000E+00 0.0000E+00

3.3602E+02 0.0000E+00 1.0000E+02 1.0000E+02 1.0000E+02

1.0560E+03 0.0000E+00 0.0000E+00 0.0000E+00 0.0000E+00

0  
0  
0  
0  
0  
0

Pathway 3:

0  
0  
0  
0  
0

1

3

3.3600E+02 0.0000E+00 1.0000E+02 1.0000E+02 1.0000E+02

3.3602E+02 1.7000E+03 1.0000E+02 0.0000E+00 0.0000E+00

1.0560E+03 0.0000E+00 0.0000E+00 0.0000E+00 0.0000E+00

0  
0  
0  
0

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 148

0  
0  
Pathway 4:  
0  
0  
0  
0  
0  
1  
2  
3.3600E+02    3.0000E+02    1.0000E+02    0.0000E+00    0.0000E+00  
1.0560E+03    0.0000E+00    0.0000E+00    0.0000E+00    0.0000E+00

0  
0  
0  
0  
0  
0

Pathway 5:  
0  
0  
0  
0  
0  
1  
2  
3.3600E+02    2.0000E+03    1.0000E+02    0.0000E+00    0.0000E+00  
1.0560E+03    0.0000E+00    0.0000E+00    0.0000E+00    0.0000E+00

0  
0  
0  
0  
0  
0

Dose Locations:  
3

Location 1:  
EAB  
2  
1  
2  
3.3600E+02    8.5800E-04  
1.0560E+03    0.0000E+00

1  
4  
3.3600E+02    3.5000E-04  
3.4400E+02    1.8000E-04  
3.6000E+02    2.3000E-04  
1.0560E+03    0.0000E+00

0  
Location 2:  
LPZ  
2

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 149

1  
5  
3.3600E+02 1.1300E-04  
3.4400E+02 7.8900E-05  
3.6000E+02 3.6500E-05  
4.3200E+02 1.2100E-05  
1.0560E+03 0.0000E+00  
1  
4  
3.3600E+02 3.5000E-04  
3.4400E+02 1.8000E-04  
3.6000E+02 2.3000E-04  
1.0560E+03 0.0000E+00  
0

Location 3:  
Control Room

3  
0  
1  
2  
3.3600E+02 3.5000E-04  
1.0560E+03 0.0000E+00  
1  
4  
3.3600E+02 1.0000E+00  
3.6000E+02 1.0000E+00  
4.3200E+02 1.0000E+00  
1.0560E+03 0.0000E+00

Effective Volume Location:

1  
6  
3.3600E+02 1.6200E-03  
3.3633E+02 4.0500E-04  
3.4400E+02 3.0000E-04  
3.6000E+02 1.0100E-04  
4.3200E+02 6.2000E-05  
1.0560E+03 0.0000E+00

Simulation Parameters:

1  
3.3600E+02 0.0000E+00

Output Filename:  
C:\FHAMelissa266wd.o0

1  
1  
1  
1  
1

End of Scenario File

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 150

```
#####
RADTRAD Version 3.02 run on 8/11/2014 at 15:33:00
#####
#####
Plant Description
#####
```

Number of Nuclides = 60

Inventory Power = 1.0000E+00 MWth  
Plant Power Level = 3.1000E+03 MWth

Number of compartments = 3

Compartment information

Compartment number 1 (Source term fraction = 1.0000E+00  
)

Name: RBS Fuel Building

Compartment volume = 7.4200E+05 (Cubic feet)

Pathways into and out of compartment 1

Pathway to compartment number 2: RBS Fuel Building to RBS Environment

Compartment number 2

Name: RBS Environment

Pathways into and out of compartment 2

Pathway to compartment number 3: RBS Environment to RBS Control Room

Pathway to compartment number 3: RBS Environment to RBS Control Room

Pathway to compartment number 3: RBS Environment to RBS Control Room

Pathway from compartment number 1: RBS Fuel Building to RBS Environment

Pathway from compartment number 3: RBS Control Room to RBS Environment

Compartment number 3

Name: RBS Control Room

Compartment volume = 1.8800E+05 (Cubic feet)

Removal devices within compartment:

Filter(s)

Pathways into and out of compartment 3

Pathway to compartment number 2: RBS Control Room to RBS Environment

Pathway from compartment number 2: RBS Environment to RBS Control Room

Pathway from compartment number 2: RBS Environment to RBS Control Room

Pathway from compartment number 2: RBS Environment to RBS Control Room

Total number of pathways = 5

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 151

```
#####
RADTRAD Version 3.02 run on 8/11/2014 at 15:33:00
#####
#####
Scenario Description
#####
```

Time between shutdown and first release = 3.3600E+02 (Hours)

Radioactive Decay is enabled  
Calculation of Daughters is enabled  
RELEASE\_NAME = BWR, NUREG-1465, Tables 3.11 & 3.13, Jun  
Release Fractions and Timings

	GAP	EARLY IN-VESSEL
	2.0000 hrs	1.5000 hrs
NOBLES	1.0000E+00	0.0000E+00
IODINE	1.0000E+00	0.0000E+00
CESIUM	0.0000E+00	0.0000E+00
TELLURIUM	0.0000E+00	0.0000E+00
STRONTIUM	0.0000E+00	0.0000E+00
BARIUM	0.0000E+00	0.0000E+00
RUTHENIUM	0.0000E+00	0.0000E+00
CERIUM	0.0000E+00	0.0000E+00
LANTHANUM	0.0000E+00	0.0000E+00

Iodine fractions  
Aerosol = 0.0000E+00  
Elemental = 5.7000E-01  
Organic = 4.3000E-01

COMPARTMENT DATA

Compartment number 1: RBS Fuel Building  
Compartment number 2: RBS Environment  
Compartment number 3: RBS Control Room

Compartment Filter Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	2.0000E+03	1.0000E+02	0.0000E+00	0.0000E+00
3.3602E+02	2.0000E+03	1.0000E+02	0.0000E+00	0.0000E+00
1.0560E+03	2.0000E+03	0.0000E+00	0.0000E+00	0.0000E+00

PATHWAY DATA

Pathway number 1: RBS Fuel Building to RBS Environment



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 152

Pathway Filter: Removal Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	7.4200E+09	1.0000E+02	0.0000E+00	0.0000E+00
1.0560E+03	0.0000E+00	0.0000E+00	0.0000E+00	0.0000E+00

Pathway number 2: RBS Environment to RBS Control Room

Pathway Filter: Removal Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	1.7000E+03	1.0000E+02	0.0000E+00	0.0000E+00
3.3602E+02	0.0000E+00	1.0000E+02	1.0000E+02	1.0000E+02
1.0560E+03	0.0000E+00	0.0000E+00	0.0000E+00	0.0000E+00

Pathway number 3: RBS Environment to RBS Control Room

Pathway Filter: Removal Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	0.0000E+00	1.0000E+02	1.0000E+02	1.0000E+02
3.3602E+02	1.7000E+03	1.0000E+02	0.0000E+00	0.0000E+00
1.0560E+03	0.0000E+00	0.0000E+00	0.0000E+00	0.0000E+00

Pathway number 4: RBS Environment to RBS Control Room

Pathway Filter: Removal Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	3.0000E+02	1.0000E+02	0.0000E+00	0.0000E+00
1.0560E+03	0.0000E+00	0.0000E+00	0.0000E+00	0.0000E+00

Pathway number 5: RBS Control Room to RBS Environment

Pathway Filter: Removal Data

Time (hr)	Flow Rate (cfm)	Filter Efficiencies (%)		
		Aerosol	Elemental	Organic
3.3600E+02	2.0000E+03	1.0000E+02	0.0000E+00	0.0000E+00
1.0560E+03	0.0000E+00	0.0000E+00	0.0000E+00	0.0000E+00

LOCATION DATA

Location EAB is in compartment 2

Location X/Q Data

Time (hr)	X/Q (s * m <sup>-3</sup> )
3.3600E+02	8.5800E-04
1.0560E+03	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 153

Location Breathing Rate Data

Time (hr)	Breathing Rate (m <sup>3</sup> * sec <sup>-1</sup> )
3.3600E+02	3.5000E-04
3.4400E+02	1.8000E-04
3.6000E+02	2.3000E-04
1.0560E+03	0.0000E+00

Location LPZ is in compartment 2

Location X/Q Data

Time (hr)	X/Q (s * m <sup>-3</sup> )
3.3600E+02	1.1300E-04
3.4400E+02	7.8900E-05
3.6000E+02	3.6500E-05
4.3200E+02	1.2100E-05
1.0560E+03	0.0000E+00

Location Breathing Rate Data

Time (hr)	Breathing Rate (m <sup>3</sup> * sec <sup>-1</sup> )
3.3600E+02	3.5000E-04
3.4400E+02	1.8000E-04
3.6000E+02	2.3000E-04
1.0560E+03	0.0000E+00

Location Control Room is in compartment 3

Location X/Q Data

Time (hr)	X/Q (s * m <sup>-3</sup> )
3.3600E+02	1.6200E-03
3.3633E+02	4.0500E-04
3.4400E+02	3.0000E-04
3.6000E+02	1.0100E-04
4.3200E+02	6.2000E-05
1.0560E+03	0.0000E+00

Location Breathing Rate Data

Time (hr)	Breathing Rate (m <sup>3</sup> * sec <sup>-1</sup> )
3.3600E+02	3.5000E-04
1.0560E+03	0.0000E+00

Location Occupancy Factor Data

Time (hr)	Occupancy Factor
3.3600E+02	1.0000E+00
3.6000E+02	1.0000E+00
4.3200E+02	1.0000E+00
1.0560E+03	0.0000E+00

USER SPECIFIED TIME STEP DATA - SUPPLEMENTAL TIME STEPS

Time	Time step
0.0000E+00	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 154

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RADTRAD Version 3.02 run on 8/11/2014 at 15:33:00
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#####
Dose, Detailed model and Detailed Inventory Output
#####
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Detailed model information at time (H) = 336.0200

EAB Doses:

Time (h) = 336.0200	Whole Body	Thyroid	TEDE
Delta dose (rem)	8.0357E-04	3.7421E-01	1.2196E-02
Accumulated dose (rem)	8.0357E-04	3.7421E-01	1.2196E-02

LPZ Doses:

Time (h) = 336.0200	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.0583E-04	4.9284E-02	1.6063E-03
Accumulated dose (rem)	1.0583E-04	4.9284E-02	1.6063E-03

Control Room Doses:

Time (h) = 336.0200	Whole Body	Thyroid	TEDE
Delta dose (rem)	4.9747E-07	4.4823E-03	1.3696E-04
Accumulated dose (rem)	4.9747E-07	4.4823E-03	1.3696E-04

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 336.0200	Ci	kg	Atoms	Bq
Kr-85	1.0868E-03	2.7701E-09	1.9626E+16	4.0212E+07
I-131	9.6114E-05	7.7527E-13	3.5640E+12	3.5562E+06
I-133	5.6298E-09	4.9698E-18	2.2503E+07	2.0830E+02
Xe-133	1.2317E-02	6.5802E-11	2.9795E+14	4.5572E+08

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 155

RBS Fuel Building Transport Group Inventory:

	Atmosphere	Sump	Overlying Pool
Time (h) = 336.0200			
Noble gases (atoms)	1.9924E+16	0.0000E+00	0.0000E+00
Elemental I (atoms)	2.0316E+12	0.0000E+00	0.0000E+00
Organic I (atoms)	1.5326E+12	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition Surfaces	Recirculating Filter
Time (h) = 336.0200		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment Integral Nuclide Release:

Time (h) = 336.0200	Ci	kg	Atoms	Bq
Kr-85	1.3041E+01	3.3239E-05	2.3549E+20	4.8250E+11
I-131	1.1533E+00	9.3026E-09	4.2765E+16	4.2672E+10
I-133	6.7555E-05	5.9635E-14	2.7002E+11	2.4996E+06
Xe-133	1.4779E+02	7.8957E-07	3.5751E+18	5.4683E+12
Xe-135	2.7249E-09	1.0670E-18	4.7598E+06	1.0082E+02

RBS Environment Transport Group Inventory:

	Present Release	Release Rate/s	Total Release
Time (h) = 336.0200			
Noble gases (atoms)	2.3907E+20	3.3204E+18	2.3244E+20
Elemental I (atoms)	2.4378E+16	3.3858E+14	2.3702E+16
Organic I (atoms)	1.8390E+16	2.5542E+14	1.7881E+16
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 156

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 336.0200	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 336.0200	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 336.0200	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 336.0200	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 336.0200	Ci	kg	Atoms	Bq
Kr-85	1.9814E-02	5.0502E-08	3.5780E+17	7.3311E+08
I-131	1.7523E-03	1.4134E-11	6.4976E+13	6.4835E+07
I-133	1.0264E-07	9.0606E-17	4.1026E+08	3.7977E+03
Xe-133	2.2455E-01	1.1997E-09	5.4319E+15	8.3085E+09

RBS Control Room Transport Group Inventory:

			Overlying
Time (h) = 336.0200	Atmosphere	Sump	Pool
Noble gases (atoms)	3.6324E+17	0.0000E+00	0.0000E+00
Elemental I (atoms)	3.7039E+13	0.0000E+00	0.0000E+00
Organic I (atoms)	2.7942E+13	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 157

	Deposition Recirculating	
	Surfaces	Filter
Time (h) = 336.0200		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
	Filter
Time (h) = 336.0200	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 158

Detailed model information at time (H) = 338.0000

EAB Doses:

Time (h) = 338.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	7.9181E-02	3.6934E+01	1.2036E+00
Accumulated dose (rem)	7.9985E-02	3.7308E+01	1.2158E+00

LPZ Doses:

Time (h) = 338.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.0428E-02	4.8643E+00	1.5852E-01
Accumulated dose (rem)	1.0534E-02	4.9136E+00	1.6013E-01

Control Room Doses:

Time (h) = 338.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.6832E-03	1.5193E+01	4.6425E-01
Accumulated dose (rem)	1.6837E-03	1.5198E+01	4.6438E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 338.0000	Ci	kg	Atoms	Bq
Kr-85	1.0868E-03	2.7700E-09	1.9625E+16	4.0211E+07
I-131	9.5433E-05	7.6978E-13	3.5387E+12	3.5310E+06
I-133	5.2704E-09	4.6525E-18	2.1066E+07	1.9500E+02
Xe-133	1.2183E-02	6.5088E-11	2.9471E+14	4.5078E+08

RBS Fuel Building Transport Group Inventory:

Time (h) = 338.0000	Atmosphere	Sump	Overlying Pool
Noble gases (atoms)	1.9920E+16	0.0000E+00	0.0000E+00
Elemental I (atoms)	2.0177E+12	0.0000E+00	0.0000E+00
Organic I (atoms)	1.5221E+12	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

Time (h) = 338.0000	Deposition Surfaces	Recirculating Filter
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 338.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 159

RBS Environment Integral Nuclide Release:

Time (h) = 338.0000	Ci	kg	Atoms	Bq
Kr-85	1.3046E+03	3.3252E-03	2.3558E+22	4.8269E+13
I-131	1.1495E+02	9.2720E-07	4.2624E+18	4.2531E+12
I-133	6.5314E-03	5.7656E-12	2.6106E+13	2.4166E+08
Xe-133	1.4702E+04	7.8542E-05	3.5563E+20	5.4396E+14
Xe-135	2.5224E-07	9.8775E-17	4.4062E+08	9.3330E+03

RBS Environment Transport Group Inventory:

Time (h) = 338.0000	Present Release	Release Rate/s	Total Release
Noble gases (atoms)	2.3914E+22	3.3214E+18	2.3908E+22
Elemental I (atoms)	2.4304E+18	3.3756E+14	2.4298E+18
Organic I (atoms)	1.8335E+18	2.5465E+14	1.8330E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 338.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 338.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 338.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 160

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 338.0000	Ci	kg	Atoms	Bq
Kr-85	3.8219E-01	9.7413E-07	6.9016E+18	1.4141E+10
I-131	3.3561E-02	2.7071E-10	1.2444E+15	1.2417E+09
I-133	1.8534E-06	1.6361E-15	7.4082E+09	6.8576E+04
Xe-133	4.2845E+00	2.2889E-08	1.0364E+17	1.5853E+11
Xe-135	6.8663E-11	2.6887E-20	1.1994E+05	2.5405E+00

RBS Control Room Transport Group Inventory:

			Overlying
Time (h) = 338.0000	Atmosphere	Sump	Pool
Noble gases (atoms)	7.0059E+18	0.0000E+00	0.0000E+00
Elemental I (atoms)	7.1216E+14	0.0000E+00	0.0000E+00
Organic I (atoms)	5.3724E+14	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition	Recirculating
Time (h) = 338.0000	Surfaces	Filter
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 161

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 338.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

Detailed model information at time (H) = 339.5000

EAB Doses:

Time (h) = 339.5000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.4381E-05	6.7268E-03	2.1918E-04
Accumulated dose (rem)	7.9999E-02	3.7315E+01	1.2161E+00

LPZ Doses:

Time (h) = 339.5000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.8940E-06	8.8593E-04	2.8866E-05
Accumulated dose (rem)	1.0536E-02	4.9144E+00	1.6016E-01

Control Room Doses:

Time (h) = 339.5000	Whole Body	Thyroid	TEDE
Delta dose (rem)	9.1384E-04	8.2707E+00	2.5272E-01
Accumulated dose (rem)	2.5975E-03	2.3468E+01	7.1710E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 339.5000	Ci	kg	Atoms	Bq
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<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 162

RBS Fuel Building Transport Group Inventory:

	Atmosphere	Sump	Overlying Pool
Time (h) = 339.5000			
Noble gases (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition Surfaces	Recirculating Filter
Time (h) = 339.5000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment Integral Nuclide Release:

Time (h) = 339.5000	Ci	kg	Atoms	Bq
Kr-85	1.3048E+03	3.3258E-03	2.3563E+22	4.8278E+13
I-131	1.1497E+02	9.2737E-07	4.2632E+18	4.2539E+12
I-133	6.5325E-03	5.7666E-12	2.6111E+13	2.4170E+08
Xe-133	1.4704E+04	7.8556E-05	3.5570E+20	5.4406E+14
Xe-135	2.5228E-07	9.8790E-17	4.4069E+08	9.3345E+03

RBS Environment Transport Group Inventory:

	Present Release	Release Rate/s	Total Release
Time (h) = 339.5000			
Noble gases (atoms)	2.3919E+22	1.8983E+18	2.3912E+22
Elemental I (atoms)	2.4309E+18	1.9293E+14	2.4302E+18
Organic I (atoms)	1.8338E+18	1.4554E+14	1.8333E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 163

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 339.5000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 339.5000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 339.5000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 339.5000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 339.5000	Ci	kg	Atoms	Bq
Kr-85	1.4676E-01	3.7407E-07	2.6503E+18	5.4302E+09
I-131	1.2818E-02	1.0340E-10	4.7532E+14	4.7428E+08
I-133	6.7703E-07	5.9766E-16	2.7061E+09	2.5050E+04
Xe-133	1.6318E+00	8.7175E-09	3.9472E+16	6.0375E+10

RBS Control Room Transport Group Inventory:

			Overlying Pool
Time (h) = 339.5000	Atmosphere	Sump	
Noble gases (atoms)	2.6904E+18	0.0000E+00	0.0000E+00
Elemental I (atoms)	2.7348E+14	0.0000E+00	0.0000E+00
Organic I (atoms)	2.0631E+14	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 164

	Deposition	Recirculating
	Surfaces	Filter
Time (h) = 339.5000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
	Filter
Time (h) = 339.5000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 165

Detailed model information at time (H) = 344.0000

EAB Doses:

Time (h) = 344.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	8.3225E-06	3.9074E-03	1.2728E-04
Accumulated dose (rem)	8.0008E-02	3.7319E+01	1.2162E+00

LPZ Doses:

Time (h) = 344.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.0961E-06	5.1461E-04	1.6763E-05
Accumulated dose (rem)	1.0537E-02	4.9150E+00	1.6017E-01

Control Room Doses:

Time (h) = 344.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	5.3130E-04	4.8264E+00	1.4747E-01
Accumulated dose (rem)	3.1288E-03	2.8295E+01	8.6457E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 344.0000	Ci	kg	Atoms	Bq
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RBS Fuel Building Transport Group Inventory:

Time (h) = 344.0000	Atmosphere	Sump	Overlying Pool
Noble gases (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

Time (h) = 344.0000	Deposition Surfaces	Recirculating Filter
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 344.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 166

RBS Environment Integral Nuclide Release:

Time (h) = 344.0000	Ci	kg	Atoms	Bq
Kr-85	1.3050E+03	3.3261E-03	2.3565E+22	4.8283E+13
I-131	1.1498E+02	9.2747E-07	4.2636E+18	4.2543E+12
I-133	6.5331E-03	5.7672E-12	2.6113E+13	2.4173E+08
Xe-133	1.4706E+04	7.8564E-05	3.5573E+20	5.4412E+14
Xe-135	2.5230E-07	9.8798E-17	4.4072E+08	9.3352E+03

RBS Environment Transport Group Inventory:

Time (h) = 344.0000	Present	Release	Total
	Release	Rate/s	Release
Noble gases (atoms)	2.3921E+22	8.3059E+17	2.3914E+22
Elemental I (atoms)	2.4311E+18	8.4415E+13	2.4305E+18
Organic I (atoms)	1.8340E+18	6.3681E+13	1.8335E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 344.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 344.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 344.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 167

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 344.0000	Ci	kg	Atoms	Bq
Kr-85	8.3107E-03	2.1183E-08	1.5008E+17	3.0749E+08
I-131	7.1425E-04	5.7613E-12	2.6485E+13	2.6427E+07
I-133	3.3000E-08	2.9131E-17	1.3190E+08	1.2210E+03
Xe-133	9.0143E-02	4.8158E-10	2.1805E+15	3.3353E+09

RBS Control Room Transport Group Inventory:

			Overlying
Time (h) = 344.0000	Atmosphere	Sump	Pool
Noble gases (atoms)	1.5235E+17	0.0000E+00	0.0000E+00
Elemental I (atoms)	1.5487E+13	0.0000E+00	0.0000E+00
Organic I (atoms)	1.1683E+13	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition	Recirculating
Time (h) = 344.0000	Surfaces	Filter
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 168

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 344.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

Detailed model information at time (H) = 360.0000

EAB Doses:

Time (h) = 360.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	4.8707E-07	1.1857E-04	4.0970E-06
Accumulated dose (rem)	8.0008E-02	3.7319E+01	1.2162E+00

LPZ Doses:

Time (h) = 360.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	4.4790E-08	1.0903E-05	3.7675E-07
Accumulated dose (rem)	1.0537E-02	4.9150E+00	1.6017E-01

Control Room Doses:

Time (h) = 360.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	3.1138E-05	2.8518E-01	8.7135E-03
Accumulated dose (rem)	3.1599E-03	2.8580E+01	8.7328E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 360.0000	Ci	kg	Atoms	Bq
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<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 169

RBS Fuel Building Transport Group Inventory:

	Atmosphere	Sump	Overlying Pool
Time (h) = 360.0000			
Noble gases (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition Surfaces	Recirculating Filter
Time (h) = 360.0000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment Integral Nuclide Release:

Time (h) = 360.0000	Ci	kg	Atoms	Bq
Kr-85	1.3050E+03	3.3261E-03	2.3565E+22	4.8284E+13
I-131	1.1498E+02	9.2747E-07	4.2636E+18	4.2544E+12
I-133	6.5331E-03	5.7672E-12	2.6113E+13	2.4173E+08
Xe-133	1.4706E+04	7.8565E-05	3.5574E+20	5.4412E+14
Xe-135	2.5230E-07	9.8799E-17	4.4072E+08	9.3353E+03

RBS Environment Transport Group Inventory:

	Present Release	Release Rate/s	Total Release
Time (h) = 360.0000			
Noble gases (atoms)	2.3921E+22	2.7687E+17	2.3915E+22
Elemental I (atoms)	2.4312E+18	2.8138E+13	2.4305E+18
Organic I (atoms)	1.8340E+18	2.1227E+13	1.8335E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 170

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 360.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 360.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 360.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 360.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 360.0000	Ci	kg	Atoms	Bq
Kr-85	3.0584E-07	7.7954E-13	5.5229E+12	1.1316E+04
I-131	2.4820E-08	2.0020E-16	9.2033E+08	9.1833E+02
Xe-133	3.0379E-06	1.6230E-14	7.3487E+10	1.1240E+05

RBS Control Room Transport Group Inventory:

			Overlying
Time (h) = 360.0000	Atmosphere	Sump	Pool
Noble gases (atoms)	5.6073E+12	0.0000E+00	0.0000E+00
Elemental I (atoms)	5.6999E+08	0.0000E+00	0.0000E+00
Organic I (atoms)	4.2999E+08	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 171

	Deposition Recirculating	
	Surfaces	Filter
Time (h) = 360.0000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
	Filter
Time (h) = 360.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 172

Detailed model information at time (H) = 432.0000

EAB Doses:

Time (h) = 432.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.6498E-11	5.2711E-09	1.7698E-10
Accumulated dose (rem)	8.0008E-02	3.7319E+01	1.2162E+00

LPZ Doses:

Time (h) = 432.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	7.0186E-13	2.2424E-10	7.5288E-12
Accumulated dose (rem)	1.0537E-02	4.9150E+00	1.6017E-01

Control Room Doses:

Time (h) = 432.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.0884E-09	1.0238E-05	3.1280E-07
Accumulated dose (rem)	3.1599E-03	2.8580E+01	8.7328E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) = 432.0000	Ci	kg	Atoms	Bq
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RBS Fuel Building Transport Group Inventory:

Time (h) = 432.0000	Atmosphere	Sump	Overlying Pool
Noble gases (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

Time (h) = 432.0000	Deposition Surfaces	Recirculating Filter
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 432.0000	Pathway Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 173

RBS Environment Integral Nuclide Release:

Time (h) = 432.0000	Ci	kg	Atoms	Bq
Kr-85	1.3050E+03	3.3261E-03	2.3565E+22	4.8284E+13
I-131	1.1498E+02	9.2747E-07	4.2636E+18	4.2544E+12
I-133	6.5331E-03	5.7672E-12	2.6113E+13	2.4173E+08
Xe-133	1.4706E+04	7.8565E-05	3.5574E+20	5.4412E+14
Xe-135	2.5230E-07	9.8799E-17	4.4072E+08	9.3353E+03

RBS Environment Transport Group Inventory:

Time (h) = 432.0000	Present	Release	Total
	Release	Rate/s	Release
Noble gases (atoms)	2.3921E+22	6.9217E+16	2.3915E+22
Elemental I (atoms)	2.4312E+18	7.0346E+12	2.4305E+18
Organic I (atoms)	1.8340E+18	5.3068E+12	1.8335E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

Time (h) = 432.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 432.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

Time (h) = 432.0000	Pathway
	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 174

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) = 432.0000	Ci	kg	Atoms	Bq

RBS Control Room Transport Group Inventory:

	Atmosphere	Sump	Overlying Pool
Time (h) = 432.0000			
Noble gases (atoms)	6.1886E-08	0.0000E+00	0.0000E+00
Elemental I (atoms)	6.2907E-12	0.0000E+00	0.0000E+00
Organic I (atoms)	4.7456E-12	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition Surfaces	Recirculating Filter
Time (h) = 432.0000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 175

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) = 432.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

Detailed model information at time (H) = 1056.0000

EAB Doses:

Time (h) =1056.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.2447E-31	4.4915E-29	1.4919E-30
Accumulated dose (rem)	8.0008E-02	3.7319E+01	1.2162E+00

LPZ Doses:

Time (h) =1056.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	1.7553E-33	6.3342E-31	2.1040E-32
Accumulated dose (rem)	1.0537E-02	4.9150E+00	1.6017E-01

Control Room Doses:

Time (h) =1056.0000	Whole Body	Thyroid	TEDE
Delta dose (rem)	8.2110E-30	8.7242E-26	2.6643E-27
Accumulated dose (rem)	3.1599E-03	2.8580E+01	8.7328E-01

RBS Fuel Building Compartment Nuclide Inventory:

Time (h) =1056.0000	Ci	kg	Atoms	Bq
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<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 176

RBS Fuel Building Transport Group Inventory:

	Atmosphere	Sump	Overlying Pool
Time (h) =1056.0000			
Noble gases (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

	Deposition Surfaces	Recirculating Filter
Time (h) =1056.0000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment Integral Nuclide Release:

Time (h) =1056.0000	Ci	kg	Atoms	Bq
Kr-85	1.3050E+03	3.3261E-03	2.3565E+22	4.8284E+13
I-131	1.1498E+02	9.2747E-07	4.2636E+18	4.2544E+12
I-133	6.5331E-03	5.7672E-12	2.6113E+13	2.4173E+08
Xe-133	1.4706E+04	7.8565E-05	3.5574E+20	5.4412E+14
Xe-135	2.5230E-07	9.8799E-17	4.4072E+08	9.3353E+03

RBS Environment Transport Group Inventory:

	Present Release	Release Rate/s	Total Release
Time (h) =1056.0000			
Noble gases (atoms)	2.3921E+22	9.2289E+15	2.3915E+22
Elemental I (atoms)	2.4312E+18	9.3795E+11	2.4305E+18
Organic I (atoms)	1.8340E+18	7.0757E+11	1.8335E+18
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

RBS Fuel Building to RBS Environment Transport Group Inventory:

	Pathway Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 177

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) =1056.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) =1056.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
Time (h) =1056.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
Time (h) =1056.0000	Filter
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room Compartment Nuclide Inventory:

Time (h) =1056.0000	Ci	kg	Atoms	Bq
---------------------	----	----	-------	----

RBS Control Room Transport Group Inventory:

			Overlying Pool
Time (h) =1056.0000	Atmosphere	Sump	
Noble gases (atoms)	6.6550-181	0.0000E+00	0.0000E+00
Elemental I (atoms)	6.7648-185	0.0000E+00	0.0000E+00
Organic I (atoms)	5.1033-185	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 178

	Deposition	Recirculating
	Surfaces	Filter
Time (h) =1056.0000		
Noble gases (atoms)	0.0000E+00	0.0000E+00
Elemental I (atoms)	0.0000E+00	0.0000E+00
Organic I (atoms)	0.0000E+00	0.0000E+00
Aerosols (kg)	0.0000E+00	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Environment to RBS Control Room Transport Group Inventory:

	Pathway
	Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

RBS Control Room to RBS Environment Transport Group Inventory:

	Pathway
	Filter
Time (h) =1056.0000	
Noble gases (atoms)	0.0000E+00
Elemental I (atoms)	0.0000E+00
Organic I (atoms)	0.0000E+00
Aerosols (kg)	0.0000E+00

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 179

#####  
I-131 Summary  
#####

Time (hr)	RBS Fuel Building I-131 (Curies)	RBS Environment I-131 (Curies)	RBS Control Room I-131 (Curies)
336.001	9.6121E-05	3.1944E-02	4.8838E-05
336.020	9.6114E-05	1.1533E+00	1.7523E-03
336.420	9.5976E-05	2.4205E+01	3.2447E-02
336.720	9.5873E-05	4.1474E+01	3.2769E-02
337.020	9.5770E-05	5.8725E+01	3.3029E-02
337.320	9.5667E-05	7.5958E+01	3.3237E-02
337.620	9.5563E-05	9.3172E+01	3.3402E-02
337.920	9.5461E-05	1.1037E+02	3.3531E-02
338.000	9.5433E-05	1.1495E+02	3.3561E-02
338.300	0.0000E+00	1.1496E+02	2.7684E-02
338.600	0.0000E+00	1.1496E+02	2.2837E-02
338.900	0.0000E+00	1.1496E+02	1.8838E-02
339.200	0.0000E+00	1.1497E+02	1.5539E-02
339.500	0.0000E+00	1.1497E+02	1.2818E-02
339.800	0.0000E+00	1.1497E+02	1.0574E-02
340.100	0.0000E+00	1.1497E+02	8.7224E-03
340.400	0.0000E+00	1.1498E+02	7.1951E-03
340.700	0.0000E+00	1.1498E+02	5.9353E-03
341.000	0.0000E+00	1.1498E+02	4.8960E-03
341.300	0.0000E+00	1.1498E+02	4.0387E-03
341.600	0.0000E+00	1.1498E+02	3.3315E-03
341.900	0.0000E+00	1.1498E+02	2.7482E-03
342.200	0.0000E+00	1.1498E+02	2.2670E-03
342.500	0.0000E+00	1.1498E+02	1.8700E-03
342.800	0.0000E+00	1.1498E+02	1.5426E-03
343.100	0.0000E+00	1.1498E+02	1.2725E-03
343.400	0.0000E+00	1.1498E+02	1.0497E-03
343.700	0.0000E+00	1.1498E+02	8.6586E-04
344.000	0.0000E+00	1.1498E+02	7.1425E-04
344.300	0.0000E+00	1.1498E+02	5.8917E-04
344.600	0.0000E+00	1.1498E+02	4.8600E-04
344.900	0.0000E+00	1.1498E+02	4.0089E-04
345.200	0.0000E+00	1.1498E+02	3.3069E-04
345.500	0.0000E+00	1.1498E+02	2.7278E-04
345.800	0.0000E+00	1.1498E+02	2.2501E-04
346.100	0.0000E+00	1.1498E+02	1.8561E-04
346.400	0.0000E+00	1.1498E+02	1.5311E-04
360.000	0.0000E+00	1.1498E+02	2.4820E-08
432.000	0.0000E+00	1.1498E+02	2.1150E-28
1056.000	0.0000E+00	1.1498E+02	2.4176E-202

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 180

#####  
 Cumulative Dose Summary  
 #####

Time (hr)	EAB		LPZ		Control Room	
	Thyroid (rem)	TEDE (rem)	Thyroid (rem)	TEDE (rem)	Thyroid (rem)	TEDE (rem)
336.001	1.0364E-02	3.3780E-04	1.3650E-03	4.4489E-05	3.4690E-06	1.0600E-07
336.020	3.7421E-01	1.2196E-02	4.9284E-02	1.6063E-03	4.4823E-03	1.3696E-04
336.420	7.8558E+00	2.5604E-01	1.0346E+00	3.3720E-02	1.8171E+00	5.5525E-02
336.720	1.3461E+01	4.3871E-01	1.7728E+00	5.7779E-02	4.3195E+00	1.3199E-01
337.020	1.9060E+01	6.2118E-01	2.5102E+00	8.1811E-02	6.8441E+00	2.0913E-01
337.320	2.4653E+01	8.0345E-01	3.2468E+00	1.0582E-01	9.3866E+00	2.8682E-01
337.620	3.0240E+01	9.8552E-01	3.9827E+00	1.2979E-01	1.1943E+01	3.6494E-01
337.920	3.5821E+01	1.1674E+00	4.7177E+00	1.5375E-01	1.4511E+01	4.4341E-01
338.000	3.7308E+01	1.2158E+00	4.9136E+00	1.6013E-01	1.5198E+01	4.6438E-01
338.300	3.7310E+01	1.2159E+00	4.9138E+00	1.6014E-01	1.7541E+01	5.3598E-01
338.600	3.7312E+01	1.2160E+00	4.9140E+00	1.6014E-01	1.9474E+01	5.9504E-01
338.900	3.7313E+01	1.2160E+00	4.9142E+00	1.6015E-01	2.1068E+01	6.4376E-01
339.200	3.7314E+01	1.2160E+00	4.9143E+00	1.6015E-01	2.2383E+01	6.8395E-01
339.500	3.7315E+01	1.2161E+00	4.9144E+00	1.6016E-01	2.3468E+01	7.1710E-01
339.800	3.7316E+01	1.2161E+00	4.9145E+00	1.6016E-01	2.4363E+01	7.4445E-01
340.100	3.7316E+01	1.2161E+00	4.9146E+00	1.6016E-01	2.5102E+01	7.6700E-01
340.400	3.7317E+01	1.2161E+00	4.9147E+00	1.6017E-01	2.5711E+01	7.8561E-01
340.700	3.7317E+01	1.2161E+00	4.9147E+00	1.6017E-01	2.6213E+01	8.0096E-01
341.000	3.7318E+01	1.2161E+00	4.9148E+00	1.6017E-01	2.6627E+01	8.1362E-01
341.300	3.7318E+01	1.2162E+00	4.9148E+00	1.6017E-01	2.6969E+01	8.2407E-01
341.600	3.7318E+01	1.2162E+00	4.9148E+00	1.6017E-01	2.7251E+01	8.3268E-01
341.900	3.7318E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.7484E+01	8.3979E-01
342.200	3.7318E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.7676E+01	8.4565E-01
342.500	3.7319E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.7834E+01	8.5049E-01
342.800	3.7319E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.7965E+01	8.5448E-01
343.100	3.7319E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.8072E+01	8.5777E-01
343.400	3.7319E+01	1.2162E+00	4.9149E+00	1.6017E-01	2.8161E+01	8.6048E-01
343.700	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8234E+01	8.6272E-01
344.000	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8295E+01	8.6457E-01
344.300	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8345E+01	8.6609E-01
344.600	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8386E+01	8.6735E-01
344.900	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8420E+01	8.6839E-01
345.200	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8448E+01	8.6924E-01
345.500	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8471E+01	8.6995E-01
345.800	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8490E+01	8.7053E-01
346.100	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8506E+01	8.7101E-01
346.400	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8519E+01	8.7141E-01
360.000	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8580E+01	8.7328E-01
432.000	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8580E+01	8.7328E-01
1056.000	3.7319E+01	1.2162E+00	4.9150E+00	1.6017E-01	2.8580E+01	8.7328E-01

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 181

#####  
Worst Two-Hour Doses  
Note: All of the dose locations are shown below but the  
worst two-hour dose is only meaningful for the EAB  
dose location. Please disregard the two-hour worst  
doses for the other dose locations  
#####

EAB

Time (hr)	Whole Body (rem)	Thyroid (rem)	TEDE (rem)
336.0	7.9963E-02	3.7298E+01	1.2155E+00

LPZ

Time (hr)	Whole Body (rem)	Thyroid (rem)	TEDE (rem)
336.0	1.0531E-02	4.9122E+00	1.6008E-01

Control Room

Time (hr)	Whole Body (rem)	Thyroid (rem)	TEDE (rem)
336.4	1.8224E-03	1.6459E+01	5.0291E-01

CALCULATION DETAILS	CALCULATION NO: G13.18.2.7-116
	REVISION: 0
	PAGE: 182

## ATTACHMENT C - Water Dynamic and Kinematic Viscosity



Resources, Tools and Basic Information for Engineering and Design of Technical Applications! - adapts seamlessly to phones, pads and desktops!

Search  "the most efficient way to navigate the Engineering ToolBox!"

### Water - Dynamic and Kinematic Viscosity

Viscosity of water at temperatures between 0 - 100°C (32 - 212°F) - in Imperial and SI Units

Sponsored Links

Dynamic (Absolute) and Kinematic Viscosity of Water in Imperial Units (BG units):

Temperature - t - (°F)	Dynamic Viscosity - μ - (lb <sub>f</sub> /ft <sup>2</sup> ) × 10 <sup>-3</sup>	Kinematic Viscosity - ν - (ft <sup>2</sup> /s) × 10 <sup>-5</sup>
32	3.732	1.924
40	3.228	1.664
50	2.730	1.407
60	2.344	1.210
70	2.034	1.052
80	1.791	0.926
90	1.580	0.823
100	1.423	0.738
120	1.164	0.607
140	0.974	0.511
160	0.832	0.439
180	0.721	0.383
200	0.634	0.339
212	0.589	0.317

Dynamic (Absolute) and Kinematic Viscosity of Water in SI Units:

Temperature - t - (°C)	Dynamic Viscosity - μ - (Pa s, N s/m <sup>2</sup> ) × 10 <sup>-3</sup>	Kinematic Viscosity - ν - (m <sup>2</sup> /s) × 10 <sup>-6</sup>
0	1.787	1.787
5	1.519	1.519
10	1.307	1.307
20	1.002	1.004
30	0.798	0.801
40	0.653	0.658
50	0.547	0.553
60	0.467	0.475
70	0.404	0.413
80	0.355	0.365
90	0.315	0.326
100	0.282	0.29

Related Mobile Apps from The Engineering ToolBox

- [Kinematic Viscosity Converter App](#)

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 183

ATTACHMENT D – Excel Spread Sheet Formula Views, Sections 10.2 through 10.4

Load Drop Max Lift

Gate Drop from Max Lift Height to Pool Floor 70'

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness (reduced to obtain density greater than water)	0.275	ft
Gate weight, W	2000	lb
Gate density	=B5/(B2*B3*B4)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/s
water density/gate density	=B7/B6	
drop distance in air	7.3	ft
drop distance in water	37.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B10)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B12*B3)/B8	
Check L/d using gate length and width	=B2/B3	
Check L/D using gate width and thickness	=B3/B4	
Drag Coefficient CD	1.2	
Ao = width * thickness	=B3*B4	ft2
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B7*B16*B17)/(2*B5)	
$b = (\text{water density} * g)/W$	=(B7*32.17)/B5	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density gate})/a)$	=((32.17/B18)*(1-B9))^0.5	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B18*B11)	
bAo	=B19*B17	
$\exp(2aL)$	=EXP(2*B18*B2)	
2aL	=2*B18*B2	
$V2^2$	=B20^2	
$V_o^2$	=B12^2	
$bAo * [\exp(2aL) * (1-2aL) - 1] / 2a^2$	=B22*(B23*(1-B24)-1)/(2*(B18^2))	
$g * (\exp(2aL) * \text{wtr dens}/\text{gate dens} - 1) / a$	=32.17*(B23*B9-1)/B18	
Z2x	=B25+(B21*(B27+B26+B28))	
$V_s = (Zx)^{.5}$	=SQRT(B29)	ft/s
Convert impact area to equivalent diameter	=2*(((B17*144)/3.142)^0.5)	in
mass = weight/g	=B5/32.17	lb-s2/ft
thickness	=(B34*B31^2/2)^(2/3)/(672*B33)	in



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 184

**Gate Drop from Max Lift Height to Cask Shelf 93' EI**

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness	0.3958	ft
Gate weight, W	2000	lb
Gate density	=B42/(B39*B40*B41)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq ft/s
water density/gate density	=B44/B43	
drop distance in air	7.3	ft
drop distance in water	14.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B47)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B49*B40)/B45	
Check L/d using gate length and width	=B39/B40	
Check L/D using gate width and thickness	=B40/B41	
Drag Coefficient CD	1.2	
Ao = width * thickness	=B40*B41	ft2
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B44*B53*B54)/(2*B42)	
$b = (\text{water density} * g)/W$	=(B44*32.17)/B42	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B55*B48)	
bAo	=B56*B54	
2ax	=2*B55*B48	
Vo^2	=B49^2	
g/a	=32.17/B55	
$bAo * [(1-2ax)]/2a^2$	=B58*((1-B59)/(2*(B55^2)))	
$\exp(-2ax) * [(Vo^2-(g/a)-(bAo/2*a^2))]$	=B57*(B49^2-B61-(B58/(2*B55^2)))	
Z1x	=B61+B62+B63	
$Vs = (Zx)^{.5}$	=SQRT(B64)	ft/s
Convert impact area to equivalent diameter	=2*(((B54*144)/3.142)^{.5})	in
mass = weight/g	=B42/32.17	lb-s2/ft
thickness	=(B69*B66^2/2)^{(2/3)}/(672*B68)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 185

**Gate Drop from Max Lift Height to Gate Opening**

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness	0.3958	ft
Gate weight, W	2000	lb
Gate density	=B77/(B74*B75*B76)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/s
water density/gate density	=B79/B78	
drop distance in air	7.3	ft
drop distance in water	19.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B82)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B84*B75)/B80	
Check L/d using gate length and width	=B74/B75	
Check L/D using gate width and thickness	=B75/B76	
Drag Coefficient CD	1.2	
Ao = width * thickness	=B75*B76	ft2
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B79*B88*B89)/(2*B77)	
$b = (\text{water density} * g)/W$	=(B79*32.17)/B77	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B90*B83)	
bAo	=B91*B89	
2ax	=2*B90*B83	
Vo^2	=B84^2	
g/a	=32.17/B90	
$bAo * [(1-2ax)] / 2a^2$	=B93*(1-B94)/(2*(B90^2))	
$\exp(-2ax) * [(Vo^2 - (g/a) - (bAo/2*a^2))]$	=B92*(B84^2 - B96 - (B93/(2*B90^2)))	
Z1x	=B96+B97+B98	
$V_s = (Zx)^{.5}$	=SQRT(B99)	ft/s
Convert impact area to equivalent diameter	=2*(((B89*144)/3.142)^.5)	in
mass = weight/g	=B77/32.17	lb-s2/ft
thickness	=(B104*B101^2/2)^(2/3)/(672*B103)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>186</b>

**Intermediate Beam Drop from Max Lift Height to Pool Floor 70'**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B112/(B109*B110*B111)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B114/B113	
drop distance in air	32.3	ft
drop distance in water	37.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B117)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B119*B110)/B115	
Check L/d using beam length and width	=B109/B110	
Check L/D using beam width and thickness	1	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B110*B111	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B114*B123*B124)/(2*B112)	
b = (water density * g)/W	=(B114*32.17)/B112	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam}))/a)$	=((32.17/B125)*(1-B116)) <sup>0.5</sup>	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B125*B118)	
bAo	=B126*B124	
$\exp(2aL)$	=EXP(2*B125*B109)	
2aL	=2*B125*B109	
V2 <sup>2</sup>	=B127 <sup>2</sup>	
Vo <sup>2</sup>	=B119 <sup>2</sup>	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B129*(B130*(1-B131)-1)/(2*(B125 <sup>2</sup> ))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1)/a$	=32.17*(B130*B116-1)/B125	
Z2x	=B132+(B128*(B134+B133+B135))	
Vs = (Zx) <sup>0.5</sup>	=SQRT(B136)	ft/s
Convert impact area to equivalent diameter	=2*(((B124*144)/3.142) <sup>0.5</sup> )	in
mass = weight/g	=B112/32.17	lb-s2/ft
thickness	=(B141*B138 <sup>2</sup> /2) <sup>(2/3)</sup> /(672*B140)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>187</b>

**Intermediate Beam Drop from Max Lift Height to to Cask Shelf 93' EI**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B149/(B146*B147*B148)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq ft/s
water density/gate density	=B151/B150	
drop distance in air	32.3	ft
drop distance in water	14.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B154)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B156*B147)/B152	
Check L/d using beam length and width	=B146/B147	
Check L/D using beam width and thickness	1	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B147*B148	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B151*B160*B161)/(2*B149)	
b = (water density * g)/W	=(B151*32.17)/B149	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam}))/a)$	=(32.17/B162)*(1-B153))^0.5	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B162*B155)	
bAo	=B163*B161	
$\exp(2aL)$	=EXP(2*B162*B146)	
2aL	=2*B162*B146	
$V2^2$	=B164^2	
$Vo^2$	=B156^2	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B166*(B167*(1-B168)-1)/(2*(B162^2))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} -1)/a$	=32.17*(B167*B153-1)/B162	
Z2x	=B169+(B165*(B171+B170+B172))	
$Vs = (Zx)^{.5}$	=SQRT(B173)	ft/s
Convert impact area to equivalent diameter	=2*(((B161*144)/3.142)^0.5)	in
mass = weight/g	=B149/32.17	lb-s2/ft
thickness	=(B178*B175^2/2)^(2/3)/(672*B177)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>188</b>

**Intermediate Beam Drop from Max Lift Height to to Gate Opening 88'**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B186/(B183*B184*B185)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/s
water density/gate density	=B188/B187	
drop distance in air	32.3	ft
drop distance in water	19.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B191)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B193*B184)/B189	
Check L/d using beam length and width	=B183/B184	
Check L/D using beam width and thickness	=B184/B185	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B184*B185	ft2
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B188*B197*B198)/(2*B186)	
$b = (\text{water density} * g)/W$	=(B188*32.17)/B186	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam}))/a)$	=(32.17/B199)*(1-B190)^0.5	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B199*B192)	
bAo	=B200*B198	
$\exp(2aL)$	=EXP(2*B199*B183)	
2aL	=2*B199*B183	
$V2^2$	=B201^2	
$Vo^2$	=B193^2	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B203*(B204*(1-B205)-1)/(2*(B199^2))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1)/a$	=32.17*(B204*B190-1)/B199	
Z2x	=B206+(B202*(B208+B207+B209))	
$Vs = (Zx)^{.5}$	=SQRT(B210)	ft/s
Convert impact area to equivalent diameter	=2*(((B198*144)/3.142)^0.5)	in
mass = weight/g	=B186/32.17	lb-s2/ft
thickness	=(B215*B212^2/2)^(2/3)/(672*B214)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>189</b>

**Alternate Beam Drop from Max Lift Height to Pool Floor 70'**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B223/(B220*B221*B222)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B225/B224	
drop distance in air	40.3	ft
drop distance in water	37.7	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B228)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B230*B221)/B226	
Check L/d using beam length and width	=B220/B221	
Check L/D using beam width and thickness	=B221/B222	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B221*B222	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * A_o) / (2*W)$	=(B225*B234*B235)/(2*B223)	
$b = (\text{water density} * g)/W$	=(B225*32.17)/B223	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=((32.17/B236)*(1-B227)) <sup>0.5</sup>	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B236*B229)	
bAo	=B237*B235	
$\exp(2aL)$	=EXP(2*B236*B220)	
2aL	=2*B236*B220	
V2 <sup>2</sup>	=B238 <sup>2</sup>	
Vo <sup>2</sup>	=B230 <sup>2</sup>	
$bA_o * [\exp(2aL) * (1-2aL) - 1] / 2a^2$	=B240*(B241*(1-B242) - 1)/(2*(B236 <sup>2</sup> ))	
$g * (\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1) / a$	=32.17*(B241*B227-1)/B236	
Z2x	=B243+(B239*(B245+B244+B246))	
Vs = $(Zx)^{0.5}$	=SQRT(B247)	ft/s
Convert impact area to equivalent diameter	=2*(((B235*144)/3.142) <sup>0.5</sup> )	in
mass = weight/g	=B223/32.17	lb-s <sup>2</sup> /ft
thickness	=(B252*B249 <sup>2</sup> /2) <sup>(2/3)</sup> /(672*B251)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 190

**Alternate Beam Drop from Max Lift Height to to Cask Shelf 93' El**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B260/(B257*B258*B259)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B262/B261	
drop distance in air	40.3	ft
drop distance in water	14.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B265)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B267*B258)/B263	
Check L/d using beam length and width	=B257/B258	
Check L/D using beam width and thickness	=B258/B259	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B258*B259	ft <sup>2</sup>
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B262*B271*B272)/(2*B260)	
b = (water density * g)/W	=(B262*32.17)/B260	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam}))/a)$	=(32.17/B273)*(1-B264) <sup>.5</sup>	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B273*B266)	
bAo	=B274*B272	
$\exp(2aL)$	=EXP(2*B273*B257)	
2aL	=2*B273*B257	
V <sup>2</sup>	=B275 <sup>2</sup>	
Vo <sup>2</sup>	=B267 <sup>2</sup>	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B277*(B278*(1-B279)-1)/(2*(B273 <sup>2</sup> ))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} -1)/a$	=32.17*(B278*B264-1)/B273	
Z <sup>2</sup> x	=B280+(B276*(B282+B281+B283))	
Vs = (Zx) <sup>.5</sup>	=SQRT(B284)	ft/s
Convert impact area to equivalent diameter	=2*(((B272*144)/3.142) <sup>.5</sup> )	in
mass = weight/g	=B260/32.17	lb-s <sup>2</sup> /ft
thickness	=(B289*B286 <sup>2</sup> /2) <sup>(2/3)</sup> /(672*B288)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>191</b>

**Alternate Beam Drop from Max Lift Height to to Gate Opening 88'**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B297/(B294*B295*B296)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B299/B298	
drop distance in air	40.3	ft
drop distance in water	19.7	ft
Vo where h is drop distance in air, V = (2gh) <sup>2</sup>	=SQRT(2*32.17*B302)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B304*B295)/B300	
Check L/d using beam length and width	=B294/B295	
Check L/D using beam width and thickness	=B295/B296	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B295*B296	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B299*B308*B309)/(2*B297)	
b = (water density * g)/W	=(B299*32.17)/B297	
Terminal Velocity, V2 = SQRT((g*(1-density water/density beam)/a)	=((32.17/B310)*(1-B301))^0.5	ft/s
exp(-2*a*x) where x = drop distance in water	=EXP(-2*B310*B303)	
bAo	=B311*B309	
exp(2aL)	=EXP(2*B310*B294)	
2aL	=2*B310*B294	
V2 <sup>2</sup>	=B312 <sup>2</sup>	
Vo <sup>2</sup>	=B304 <sup>2</sup>	
bAo*[exp(2aL)*(1-2aL)-1]/2a <sup>2</sup>	=B314*(B315*(1-B316)-1)/(2*(B310 <sup>2</sup> ))	
g*(exp(2aL) * wtr dens/beam dens -1)/a	=32.17*(B315*B301-1)/B310	
Z2x	=B317+(B313*(B319+B318+B320))	
Vs = (Zx) <sup>0.5</sup>	=SQRT(B321)	ft/s
Convert impact area to equivalent diameter	=2*(((B309*144)/3.142) <sup>0.5</sup> )	in
mass = weight/g	=B297/32.17	lb-s2/ft
thickness	=(B326*B323 <sup>2</sup> /2) <sup>(2/3)</sup> /(672*B325)	in



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>192</b>

### Load Drop in Pool

#### Gate Drop to Pool Floor

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness	0.3958	ft
Gate weight, W	2000	lb
Gate density	=B5/(B2*B3*B4)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B7/B6	
drop distance in air	0	ft
drop distance in water	20	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B10)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B12*B3)/B8	
Check L/d using gate length and width	=B2/B3	
Check L/D using gate width and thickness	=B3/B4	
Drag Coefficient CD	1	
Ao = width * thickness	=B3*B4	ft2
a = (water density * Drag Coeff * Ao) / (2*W)	=(B7*B16*B17)/(2*B5)	
b = (water density * g)/W	=(B7*32.17)/B5	
exp(-2*a*x) where x = drop distance in water	=EXP(-2*B18*B11)	
bAo	=B19*B17	
2ax	=2*B18*B11	
Vo^2	=B12^2	
g/a	=32.17/B18	
bAo*[(1-2ax)]/2a^2	=B21*(1-B22)/(2*(B18^2))	
exp(-2ax) *[(Vo^2-(g/a)-(bAo/2*a^2)]	=B20*(B12^2-B24-(B21/(2*B18^2)))	
Z1x	=B24+B25+B26	
Vs = (Zx)^0.5	=SQRT(B27)	ft/s
Convert impact area to equivalent diameter	=2*(((B17*144)/3.142)^0.5)	in
mass = weight/g	=B5/32.17	lb-s2/ft
thickness	=(B32*B29^2/2)^(2/3)/(672*B31)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>193</b>

**Gate Drop in Gate Opening**

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness	0.3958	ft
Gate weight, W	2000	lb
Gate density	=B39/(B36*B37*B38)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B41/B40	
drop distance in air	0	ft
drop distance in water	2	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B44)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B46*B37)/B42	
Check L/d using gate length and width	=B36/B37	
Check L/D using gate width and thickness	=B37/B38	
Drag Coefficient CD	1	
Ao = width * thickness	=B37*B38	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B41*B50*B51)/(2*B39)	
b = (water density * g)/W	=(B41*32.17)/B39	
exp(-2*a*x) where x = drop distance in water	=EXP(-2*B52*B45)	
bAo	=B53*B51	
2ax	=2*B52*B45	
Vo^2	=B46^2	
g/a	=32.17/B52	
bAo*[(1-2ax)]/2a^2	=B55*(1-B56)/(2*(B52^2))	
exp(-2ax) *[(Vo^2-(g/a)-(bAo/2*a^2)]	=B54*(B46^2-B58-(B55/(2*B52^2)))	
Z1x	=B58+B59+B60	
Vs = (Zx)^0.5	=SQRT(B61)	ft/s
Convert impact area to equivalent diameter	=2*(((B51*144)/3.142)^0.5)	in
mass = weight/g	=B39/32.17	lb-s2/ft
thickness	=(B66*B63^2/2)^(2/3)/(672*B65)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>194</b>

**Intermediate Beam Drop to Pool Floor**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B74/(B71*B72*B73)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B76/B75	
drop distance in air	7.3	ft
drop distance in water	37.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B79)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B81*B72)/B77	
Check L/d using beam length and width	=B71/B72	
Check L/D using beam width and thickness	=B72/B73	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B72*B73	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B76*B85*B86)/(2*B74)	
b = (water density * g)/W	=(B76*32.17)/B74	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=SQRT((32.17*((1-B78)/B87)))	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B87*B80)	
bAo	=B88*B86	
$\exp(2aL)$	=EXP(2*B87*B71)	
2aL	=2*B87*B71	
$V2^2$	=B89^2	
$Vo^2$	=B81^2	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B91*(B92*(1-B93)-1)/(2*(B87^2))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} -1)/a$	=32.17*(B92*B78-1)/B87	
Zz	=B94+(B90*(B96+B95+B98))	
$Vs = (Zz)^{.5}$	=SQRT(B99)	ft/s
Convert impact area to equivalent diameter	=2*(((B86*144)/3.142)^{.5})	in
mass = weight/g	=B74/32.17	lb-s/ft
thickness	=(B104*B101^2/2)^{(2/3)}/(672*B103)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>195</b>

**Intermediate Beam Drop to Gate Opening**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B112/(B109*B110*B111)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B114/B113	
drop distance in air	7.3	ft
drop distance in water	19.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B117)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B119*B110)/B115	
Check L/d using beam length and width	=B109/B110	
Check L/D using beam width and thickness	=B110/B111	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B110*B111	ft2
a = (water density * Drag Coeff * Ao) / (2*W)	=(B114*B123*B124)/(2*B112)	
b = (water density * g)/W	=(B114*32.17)/B112	
Terminal Velocity, $V2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a) \cdot \exp(-2*a*x))$ where x = drop distance in water	=SQRT((32.17*((1-B116)/B125)))	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B125*B118)	
bAo	=B126*B124	
$\exp(2aL)$	=EXP(2*B125*B109)	
2aL	=2*B125*B109	
V2^2	=B127^2	
Vo^2	=B119^2	
$bAo * [\exp(2aL) * (1 - 2aL) - 1] / 2a^2$	=B129*(B130*(1-B131)-1)/(2*(B125^2))	
$g * (\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1) / a$	=32.17*(B130*B116-1)/B125	
Z2x	=B132+(B128*(B134+B133+B135))	
$Vs = (Zx)^{.5}$	=SQRT(B136)	ft/s
Convert impact area to equivalent diameter	=2*(((B124*144)/3.142)^{.5})	in
mass = weight/g	=B112/32.17	lb-s2/ft
thickness	=(B141*B138^2/2)^{(2/3)}/(672*B140)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>196</b>

**Alternate Beam Drop to Pool Floor**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B149/(B146*B147*B148)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B151/B150	
drop distance in air	15.3	ft
drop distance in water	37.7	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B154)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B156*B147)/B152	
Check L/d using beam length and width	=B146/B147	
Check L/D using beam width and thickness	=B147/B148	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B147*B148	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B151*B160*B161)/(2*B149)	
b = (water density * g)/W	=(B151*32.17)/B149	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=SQRT((32.17*((1-B153)/B162)))	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B162*B155)	
bAo	=B163*B161	
$\exp(2aL)$	=EXP(2*B162*B146)	
2aL	=2*B162*B146	
$V_2^2$	=B164^2	
$V_0^2$	=B156^2	
$bAo*\{\exp(2aL)*(1-2aL)-1\}/2a^2$	=B166*(B167*(1-B168)-1)/(2*(B162^2))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} -1)/a$	=32.17*(B167*B153-1)/B162	
Z2x	=B169+(B165*(B171+B170+B172))	
$V_s = (Zx)^{0.5}$	=SQRT(B173)	ft/s
Convert impact area to equivalent diameter	=2*(((B161*144)/3.142)^0.5)	in
mass = weight/g	=B149/32.17	lb-s2/ft
thickness	=((B178*B175^2/2)^(2/3))/(672*B177)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>197</b>

**Alternate Beam Drop to Gate Opening**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B186/(B183*B184*B185)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B188/B187	
drop distance in air	15.3	ft
drop distance in water	19.7	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B191)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B193*B184)/B189	
Check L/d using beam length and width	=B183/B184	
Check L/D using beam width and thickness	=B184/B185	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B184*B185	ft2
a = $(\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B188*B197*B198)/(2*B186)	
b = $(\text{water density} * g)/W$	=(B188*32.17)/B186	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=SQRT((32.17*(1-B190)/B199))	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B199*B192)	
bAo	=B200*B198	
$\exp(2aL)$	=EXP(2*B199*B183)	
2aL	=2*B199*B183	
$V_2^2$	=B201^2	
$V_o^2$	=B193^2	
$bAo * [\exp(2aL) * (1-2aL) - 1] / 2a^2$	=B203*(B204*(1-B205) - 1)/(2*(B199^2))	
$g * (\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1) / a$	=32.17*(B204*B190-1)/B199	
Z2x	=B206+(B202*(B208+B207+B209))	
$V_s = (Zx)^{.5}$	=SQRT(B210)	ft/s
Convert impact area to equivalent diameter	=2*(((B198*144)/3.142)^{.5})	in
mass = weight/g	=B186/32.17	lb-s2/ft
thickness	=(B215*B212^2/2)^{(2/3)}/(672*B214)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 198

## Load Drop to Racks

### Gate Drop to Racks

Gate Length L	24.39	ft
Gate Width, d	4.771	ft
Gate thickness	0.3958	ft
Gate weight, W	2000	lb
Gate density	=B5/(B2*B3*B4)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B7/B6	
drop distance in air	0	ft
drop distance in water	5.14	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B10)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B12*B3)/B8	
Check L/d using gate length and width	=B2/B3	
Check L/D using gate width and thickness	=B3/B4	
Drag Coefficient CD	1	
Ao = width * thickness	=B3*B4	ft <sup>2</sup>
$a = (\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B7*B16*B17)/(2*B5)	
$b = (\text{water density} * g)/W$	=(B7*32.17)/B5	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B18*B11)	
bAo	=B19*B17	
2ax	=2*B18*B11	
Vo <sup>2</sup>	=B12 <sup>2</sup>	
g/a	=32.17/B18	
$bAo * [(1-2ax)] / 2a^2$	=B21*(1-B22)/(2*(B18 <sup>2</sup> ))	
$\exp(-2ax) * [(Vo^2 - (g/a) - (bAo/2*a^2))]$	=B20*(B12 <sup>2</sup> - B24 - (B21/(2*B18 <sup>2</sup> )))	
Z1x	=B24+B25+B26	
Vs = (Zx) <sup>0.5</sup>	=SQRT(B27)	ft/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 199

**Intermediate Beam Drop to Racks**

Beam Length L	4.75	ft
Beam Width, d	0.4167	ft
Beam thickness	0.4167	ft
Beam weight, W	175	lb
Beam density	=B35/(B32*B33*B34)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/beam density	=B37/B36	
drop distance in air	7.3	ft
drop distance in water	22.841	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B40)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B42*B33)/B38	
Check L/d using beam length and width	=B32/B33	
Check L/D using beam width and thickness	=B33/B34	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B33*B34	ft2
a = $(\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B37*B46*B47)/(2*B35)	
b = $(\text{water density} * g)/W$	=(B37*32.17)/B35	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=SQRT((32.17*(1-B39)/B48))	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B48*B41)	
bAo	=B49*B47	
$\exp(2aL)$	=EXP(2*B48*B32)	
2aL	=2*B48*B32	
$V_2^2$	=B50^2	
$V_o^2$	=B42^2	
$bAo * [\exp(2aL) * (1-2aL) - 1] / 2a^2$	=B52*(B53*(1-B54)-1)/(2*(B48^2))	
$g * (\exp(2aL) * \text{wtr dens}/\text{beam dens} - 1) / a$	=32.17*(B53*B39-1)/B48	
Z2x	=B55+(B51*(B57+B56+B58))	
$V_s = (Zx)^{0.5}$	=SQRT(B59)	ft/s



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b> G13.18.2.7-116
	<b>REVISION:</b> 0
	<b>PAGE:</b> 200

**Alternate Beam Drop to Racks**

Beam Length L	12	ft
Beam Width, d	0.5	ft
Beam thickness	0.333	ft
Beam weight, W	200	lb
Beam density	=B68/(B65*B66*B67)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.0000439	sq
		ft/sec
water density/beam density	=B70/B69	
drop distance in air	15.3	ft
drop distance in water	22.84	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B73)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B75*B66)/B71	
Check L/d using beam length and width	=B65/B66	
Check L/D using beam width and thickness	=B66/B67	
Drag Coefficient CD	1.16	
Ao = width * thickness	=B66*B67	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B70*B79*B80)/(2*B68)	
b = (water density * g)/W	=(B70*32.17)/B68	
Terminal Velocity, $V_2 = \text{SQRT}((g*(1-\text{density water}/\text{density beam})/a)$	=SQRT((32.17*(1-B72)/B81))	ft/s
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B81*B74)	
bAo	=B82*B80	
$\exp(2aL)$	=EXP(2*B81*B65)	
2aL	=2*B81*B65	
V2^2	=B83^2	
Vo^2	=B75^2	
$bAo*[\exp(2aL)*(1-2aL)-1]/2a^2$	=B85*(B86*(1-B87)-1)/(2*(B81^2))	
$g*(\exp(2aL) * \text{wtr dens}/\text{beam dens} -1)/a$	=32.17*(B86*B72-1)/B81	
Z2x	=B88+(B84*(B90+B89+B91))	
$V_s = (Zx)^{.5}$	=SQRT(B92)	ft/s

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>201</b>

### Gate Tip On Piping Velocity Cases

#### Gate Tip Onto Piping SFC-012-001-3

Gate Length L	4.771	ft
Gate Width, d	24.39	ft
Gate thickness	0.396	ft
Gate weight, W	2000	lb
Gate density	=B5/(B2*B3*B4)	lb/cu ft
water density @ 160F	60.994	lb/ cu ft
water kinematic viscosity @ 160F	0.00000439	sq ft/sec
water density/gate density	=B7/B6	
drop distance in air	0	ft
drop distance in water	1.28	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B10)	ft/s
Reynolds no =( Vo * d)/viscosity	=(B12*B3)/B8	
Check L/d using gate length and width	=B2/B3	
Check L/D using gate width and thickness	=B3/B4	
Drag Coefficient CD	1	
Ao = width * thickness	=B3*B4	ft2
a = (water density * Drag Coeff * Ao )/ (2*W)	=(B7*B16*B17)/(2*B5)	
b = (water density * g)/W	=(B7*32.17)/B5	
exp(-2*a*x) where x = drop distance in water	=EXP(-2*B18*B11)	
bAo	=B19*B17	
2ax	=2*B18*B11	
Vo^2	=B12^2	
g/a	=32.17/B18	
bAo*[(1-2ax)]/2a^2	=B21*(1-B22)/(2*(B18^2))	
exp(-2ax) *[(Vo^2-(g/a)-(bAo/2*a^2)]	=B20*(B12^2-B24-(B21/(2*B18^2)))	
Z1x	=B24+B25+B26	
Vs = (Zx)^0.5	=SQRT(B27)	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	=B5/32.17	lb-s2/ft
thickness	=((B32*B29^2/2)^(2/3))/(672*B31)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>202</b>

**Gate Tip On Piping SFC-012-014-3**

Gate Length L	4.771	ft
Gate Width, d	24.39	ft
Gate thickness	0.396	ft
Gate weight, W	2000	lb
Gate density	=B39/(B36*B37*B38)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B41/B40	
drop distance in air	0	ft
drop distance in water	2.105	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B44)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B46*B37)/B42	
Check L/d using gate length and width	=B36/B37	
Check L/D using gate width and thickness	=B37/B38	
Drag Coefficient CD	1	
Ao = width * thickness	=B37*B38	ft2
a = $(\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B41*B50*B51)/(2*B39)	
b = $(\text{water density} * g)/W$	=(B41*32.17)/B39	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B52*B45)	
bAo	=B53*B51	
2ax	=2*B52*B45	
Vo^2	=B46^2	
g/a	=32.17/B52	
$bAo * [(1-2ax)] / 2a^2$	=B55*(1-B56)/(2*(B52^2))	
$\exp(-2ax) * [(Vo^2 - (g/a) - (bAo/2*a^2))]$	=B54*(B46^2 - B58 - (B55/(2*B52^2)))	
Z1x	=B58+B59+B60	
$V_s = (Zx)^{.5}$	=SQRT(B61)	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	=B39/32.17	lb-s2/ft
thickness	=((B66*B63^2/2)^(2/3))/(672*B65)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>203</b>

**Gate Tip On Piping SFC-012-006-3**

Gate Length L	4.771	ft
Gate Width, d	24.39	ft
Gate thickness	0.396	ft
Gate weight, W	2000	lb
Gate density	=B74/(B71*B72*B73)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B76/B75	
drop distance in air	0	ft
drop distance in water	3.555	ft
Vo where h is drop distance in air, $V = (2gh)^{.5}$	=SQRT(2*32.17*B79)	ft/s
Reynolds no = (Vo * d)/viscosity	=(B81*B72)/B77	
Check L/d using gate length and width	=B71/B72	
Check L/D using gate width and thickness	=B72/B73	
Drag Coefficient CD	1	
Ao = width * thickness	=B72*B73	ft2
a = (water density * Drag Coeff * Ao) / (2*W)	=(B76*B85*B86)/(2*B74)	
b = (water density * g)/W	=(B76*32.17)/B74	
exp(-2*a*x) where x = drop distance in water	=EXP(-2*B87*B80)	
bAo	=B88*B86	
2ax	=2*B87*B80	
Vo^2	=B81^2	
g/a	=32.17/B87	
bAo*[(1-2ax)]/2a^2	=B90*(1-B91)/(2*(B87^2))	
exp(-2ax) * [(Vo^2-(g/a)-(bAo/2*a^2)]	=B89*(B81^2-B93-(B90/(2*B87^2)))	
Z1x	=B93+B94+B95	
Vs = (Zx)^0.5	=SQRT(B96)	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	=B74/32.17	lb-s2/ft
thickness	=(B101*B98^2/2)^(2/3)/(672*B100)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>204</b>

**Gate Tip On Piping SFC-012-007-3**

Gate Length L	4.771	ft
Gate Width, d	24.39	ft
Gate thickness	0.396	ft
Gate weight, W	2000	lb
Gate density	=B109/(B106*B107*B108)	lb/cu ft
water density @ 160F	60.994	lb/ cu
		ft
water kinematic viscosity @ 160F	0.00000439	sq
		ft/sec
water density/gate density	=B111/B110	
drop distance in air	0	ft
drop distance in water	4.72	ft
Vo where h is drop distance in air, $V = (2gh)^{0.5}$	=SQRT(2*32.17*B114)	ft/s
Reynolds no = $(V_o * d)/\text{viscosity}$	=(B116*B107)/B112	
Check L/d using gate length and width	=B106/B107	
Check L/D using gate width and thickness	=B107/B108	
Drag Coefficient CD	1	
Ao = width * thickness	=B107*B108	ft <sup>2</sup>
a = $(\text{water density} * \text{Drag Coeff} * Ao) / (2*W)$	=(B111*B120*B121)/(2*B109)	
b = $(\text{water density} * g)/W$	=(B111*32.17)/B109	
$\exp(-2*a*x)$ where x = drop distance in water	=EXP(-2*B122*B115)	
bAo	=B123*B121	
2ax	=2*B122*B115	
Vo <sup>2</sup>	=B116 <sup>2</sup>	
g/a	=32.17/B122	
bAo*[(1-2ax)]/2a <sup>2</sup>	=B125*(1-B126)/(2*(B122 <sup>2</sup> ))	
$\exp(-2ax) * [(Vo^2 - (g/a) - (bAo/2*a^2))]$	=B124*(B116 <sup>2</sup> - B128 - (B125/(2*B122 <sup>2</sup> )))	
Z1x	=B128+B129+B130	
Vs = $(Zx)^{0.5}$	=SQRT(B131)	ft/s
Convert impact area to equivalent diameter	1.596	in
mass = weight/g	=B109/32.17	lb-s <sup>2</sup> /ft
thickness	=(B136*B133 <sup>2</sup> /2) <sup>(2/3)</sup> /(672*B135)	in

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>205</b>

### Piping Yield and Ductility Ratio

<b>Line SFC-012-001</b>		
g	32.174	ft/s <sup>2</sup>
mass per length	49.56	lb/ft
		length
Dx = 2 in	=2/12	ft
d = 12.75 in	=12.75/12	ft
(Dx+2d)	=B4+(2*B5)	ft
Me = (Dx+2d)*Mx	=(B6*B3)/B2	lb
Mm = 2000/g	=2000/B2	lb
Impact velocity	7.407	ft/s
Vs	=B10*12	in/s
Es =	=(B9 <sup>2</sup> *B11 <sup>2</sup> )/(2*(B9+B7))	
Mm <sup>2</sup> *Vs <sup>2</sup> /2(Mm+Me)		
I	279.3	in <sup>4</sup>
E	27700000	lb/in <sup>2</sup>
fdy	30000	lb/in <sup>2</sup>
length, ft	24	ft
L	=B17*12	in
Rm = 8*I*fdy/(L*d)	=(8*B14*B16)/(B18*12.75)	lb
xe = RmL <sup>3</sup> /48EI	=(B19*B18 <sup>3</sup> )/(48*B15*B14)	in
mu	=B12/(B21*B19) + 0.5	

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>206</b>

**Line SFC-012-014**

g	32.174	ft/s <sup>2</sup>
mass per length	49.56	lb/ft length
Dx = 2 in	=2/12	ft
d = 12.75 in	=12.75/12	ft
(Dx+2d)	=B30+(2*B31)	ft
Me = (Dx+2d)*Mx	=(B32*B29)/B28	lb
Mm = 2000/g	=2000/B28	lb
Impact velocity	8.15	ft/s
Vs	=B36*12	in/s
Es =	=(B35 <sup>2</sup> *B37 <sup>2</sup> )/(2*(B35+B33))	
Mm <sup>2</sup> *Vs <sup>2</sup> /2(Mm+Me)	)	
I	279.3	in <sup>4</sup>
E	27700000	lb/in <sup>2</sup>
fdy	30000	lb/in <sup>2</sup>
length, ft	24	ft
L	=B43*12	in
Rm = 8*I*fdy/(L*d)	=(8*B40*B42)/(B44*12.75)	
xe = RmL <sup>3</sup> /48EI	=(B45*B44 <sup>3</sup> )/(48*B41*B40)	
mu	=B38/(B47*B45)+0.5	

<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>207</b>

**Line SFC-012-006**

g	32.174	ft/s <sup>2</sup>
mass per length	49.56	lb/ft
Dx = 2 in	=2/12	length ft
d = 12.75 in	=12.75/12	ft
(Dx+2d)	=B56+(2*B57)	ft
Me = (Dx+2d)*Mx	=(B58*B55)/B54	lb
Mm = 2000/g	=2000/B54	lb
Impact velocity	7.404	ft/s
Vs	=B62*12	in/s
Es =	=(B61 <sup>2</sup> *B63 <sup>2</sup> )/(2*(B61+B59))	
Mm <sup>2</sup> *Vs <sup>2</sup> /2(Mm+Me)	)	
I	279.3	in <sup>4</sup>
E	27700000	lb/in <sup>2</sup>
fdy	30000	lb/in <sup>2</sup>
length, ft	18	ft
L	=B69*12	in
Rm = 8*I*fdy/(L*d)	=(8*B66*B68)/(B70*12.75)	
xe = RmL <sup>3</sup> /48EI	=(B71*B70 <sup>3</sup> )/(48*B67*B66)	
mu	=B64/(B73*B71)+0.5	



<b>CALCULATION DETAILS</b>	<b>CALCULATION NO:</b>	<b>G13.18.2.7-116</b>
	<b>REVISION:</b>	<b>0</b>
	<b>PAGE:</b>	<b>208</b>

**Line SFC-012-007**

g	32.174	ft/s <sup>2</sup>
mass per length	49.56	lb/ft length
Dx = 2 in	=2/12	ft
d = 12.75 in	=12.75/12	ft
(Dx+2d)	=B82+(2*B83)	ft
Me = (Dx+2d)*Mx	=(B84*B81)/B80	lb
Mm = 2000/g	=2000/B80	lb
Impact velocity	4.94	ft/s
Vs	=B88*12	in/s
Es =	=(B87 <sup>2</sup> *B89 <sup>2</sup> )/(2*(B87+B85))	
Mm <sup>2</sup> *Vs <sup>2</sup> /2(Mm+Me)		
I	279.3	in <sup>4</sup>
E	27700000	lb/in <sup>2</sup>
fdy	30000	lb/in <sup>2</sup>
length, ft	18	ft
L	=B95*12	in
Rm = 8*I*fdy/(L*d)	=(8*B92*B94)/(B96*12.75)	
xe = RmL <sup>3</sup> /48EI	=(B97*B96 <sup>3</sup> )/(48*B93*B92)	
mu	=B90/(B99*B97)+0.5	

Attachment 3  
RBG-47505

Licensee Commitment  
(1 page)

This table identifies actions discussed in this letter for which Entergy commits to perform. Any other actions discussed in this submittal are described for the NRC's information and are not commitments.

COMMITMENT	TYPE (Check one)		SCHEDULED COMPLETION DATE (If Required)
	ONE- TIME ACTION	CONTINUING COMPLIANCE	
During movement of pool gates, no fuel in the affected pools will have been part of a critical core within the preceding 14 days.		x	Upon implementation of this amendment