
Analysis of Ultimate Heat Sink Cooling Ponds

R. Codell, W. K. Nuttle

**Office of
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ABSTRACT

A method to analyze the performance of ultimate heat sink cooling ponds is presented. A simple mathematical model of a cooling pond is used to scan weather data to determine the period of the record for which the most adverse pond temperature or rate of evaporation would occur. Once the most adverse conditions have been determined, the peak pond temperature can be calculated. Several simple mathematical models of ponds are described; these could be used to determine peak pond temperature, using the identified meteorological record. Evaporative water loss may be found directly from the scanning by a simple and conservative heat-and-material balance.

Methodology by which short periods of onsite data can be compared with longer offsite records is developed, so that the adequacy of the offsite data for pond performance computations can be established.

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SYMBOLS

A	pond surface area, ft ² or acres
A ₀	one-half the daily insolation, Btu/ft ²
A _n	surface area of nth segment of the plug-flow model, ft ²
C	cloud cover in tenths of the total sky obscured
C ₁	Bowen's ratio, ~0.26 mm Hg/°F
C _p	heat capacity of water, Btu/lb/°F
E	equilibrium temperature, °F
E ₁ , E ₂	estimation of equilibrium temperatures using data from offsite and onsite records, respectively, °F
E(\bar{x})	estimation of equilibrium temperature using monthly average meteorologic data, °F
e _a	saturation pressure of air above pond surface, mm Hg
e _s	saturation pressure of air at surface temperature T _s , mm Hg
g	skew coefficient
H	heat content, Btu
H _N	heat transfer from segment N, Btu/day
H _{vap}	heat of vaporization of water, Btu/lb
\dot{H}	net heat flux, Btu/(ft ² day)
\dot{H}_{AN}	net atmospheric longwave radiation, Btu/(ft ² day)
\dot{H}_{BR}	back radiation from pond surface, Btu/(ft ² day)
\dot{H}_C	conductive and convective heat loss, Btu/(ft ² day)
\dot{H}_E	evaporative heat loss, Btu/(ft ² day)
\dot{H}_n	heat transfer from segment n, Btu/day
\dot{H}_{RJ}	net plant heat rejection, Btu/(ft ² day)
\dot{H}_S	gross solar radiation
\dot{H}_{SN}	net solar radiation, Btu/(ft ² day)
K	equilibrium heat transfer coefficient, Btu/(ft ² day° F)
k	error band scale factor
M	sample mean
P	probability
P _∞	probability of occurrence for an event from an infinite population
P _N	probability of occurrence for an event from a finite population
p	atmospheric pressure, mm Hg
q	heat flow inside a pond, Btu/hr

ANALYSIS OF ULTIMATE HEAT SINK COOLING PONDS

1. INTRODUCTION

The ultimate heat sink (UHS) is defined as the complex of sources of service or house water supply necessary to safely operate, shut down, and cool down a nuclear power plant. Cooling ponds, spray ponds, and mechanical draft cooling towers are some examples of the types of ultimate heat sinks in use today.

The U.S. Nuclear Regulatory Commission (NRC) has set forth in Regulatory Guide 1.27 (Ref. 1) the following positions on the design of ultimate heat sinks:

- (1) The ultimate heat sink must be able to dissipate the heat of a design-basis accident (e.g., loss-of-coolant accident) of one unit plus the heat of a safe shutdown and cooldown of all other units it serves.
- (2) The heat sink must provide a 30-day supply of cooling water at or below the design-basis temperature for all safety-related equipment.
- (3) The system must be shown to be capable of performing under the meteorologic conditions leading to the worst cooling performance and under the conditions leading to the highest water loss.

This report identifies methods that may be used to select the most severe combinations of controlling meteorologic parameters for surface cooling pond heat transfer and evaporative water loss. The procedure scans a long weather record, which is usually available from the National Weather Service for a nearby station, and it predicts the period for which either pond temperature or water loss would be maximized for a hydraulically simple cooling pond. The principle of linear superposition is assumed, which allows the peak ambient pond temperature to be superimposed on the peak "excess" temperature due to plant heat rejection. This procedure determines the timing within the weather record of the peak ambient pond temperature. The true peak can then be determined in a subsequent, more rigorous calculation.

Maximum evaporative water loss is determined by picking the 30-day continuous period of the record which has the highest evaporation losses and assuming that all heat rejected by the plant results in the evaporation of pond water.

To be effective the data scanning procedure requires a data record on the order of tens of years in length. Since these data will usually come from somewhere other than the site itself (such as an airport), methods to compare these data with the limited onsite data are developed so that the adequacy, or at least the conservatism, of the offsite data can be established. Conservative correction factors to be added to the final results are suggested.

These models and methods are provided as useful tools for UHS analyses of cooling ponds. They are intended as guidelines only. Use of these methods does not automatically assure NRC approval, nor are they required procedures

for nuclear power plant licensing. Furthermore, by publishing this guidance NRC does not wish to discourage independent assessments of UHS performance or the furtherance of the state of the art.

2. HEAT AND MASS TRANSFER RELATIONSHIPS IN PONDS

The relationship used in this report for the transfer of heat and water vapor from the pond surface is developed along the lines of the "equilibrium temperature" procedure of Brady et al. (Ref. 2) and Edinger et al. (Ref. 3). The main reasons for the choice of this procedure are:

- It is inherently simple.
- It can be shown to be conservative.
- It makes possible visualization of the concept of "excess temperature."

This last point serves as a basis for the separation of the pond temperature responses as a result of environmental forces from those which result from plant driving forces; this separation further facilitates the scanning of weather data as described below.

Other heat transfer relationships may be more accurate than the one used here; however, the selection of the period of meteorological record giving the most adverse pond temperature or evaporation should be fairly insensitive to the heat transfer relationship or pond model. Therefore, it is acceptable to use the proposed heat transfer and pond hydraulic model to scan the weather record, and then to use that record with a more sophisticated heat transfer and pond model for final determination of the maximum pond temperature and water losses.

2.1 Equilibrium Temperature Heat Transfer Model

The temperature the pond would reach at steady state without external heat inputs and under constant environmental conditions is known as the equilibrium temperature E . The equilibrium temperature is the temperature at which the heat removal from the pond balances the heat addition. This relation is graphically illustrated in Figure 2.1. Equilibrium temperature, therefore, is a rigorously definable property, dependent on the meteorological conditions at an instant in time. The equilibrium heat transfer coefficient K is also illustrated in Figure 2.1 and is defined as the slope of the heat removal curve at pond temperature $T_s = E$ for a unit surface area:

$$K = \left. \frac{\partial \dot{H}}{\partial T} \right) E \quad (2-1)$$

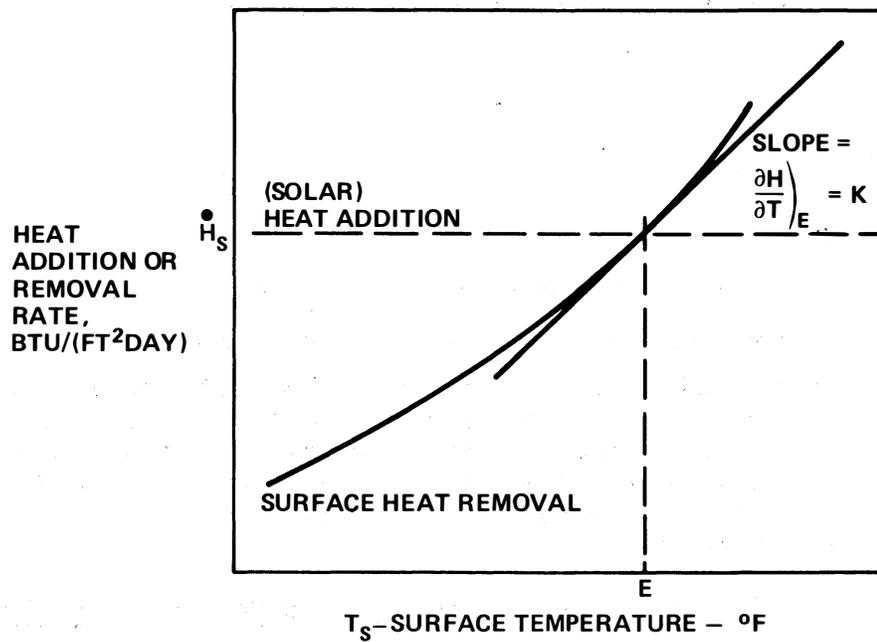


Figure 2.1 Definition of Equilibrium Coefficients.

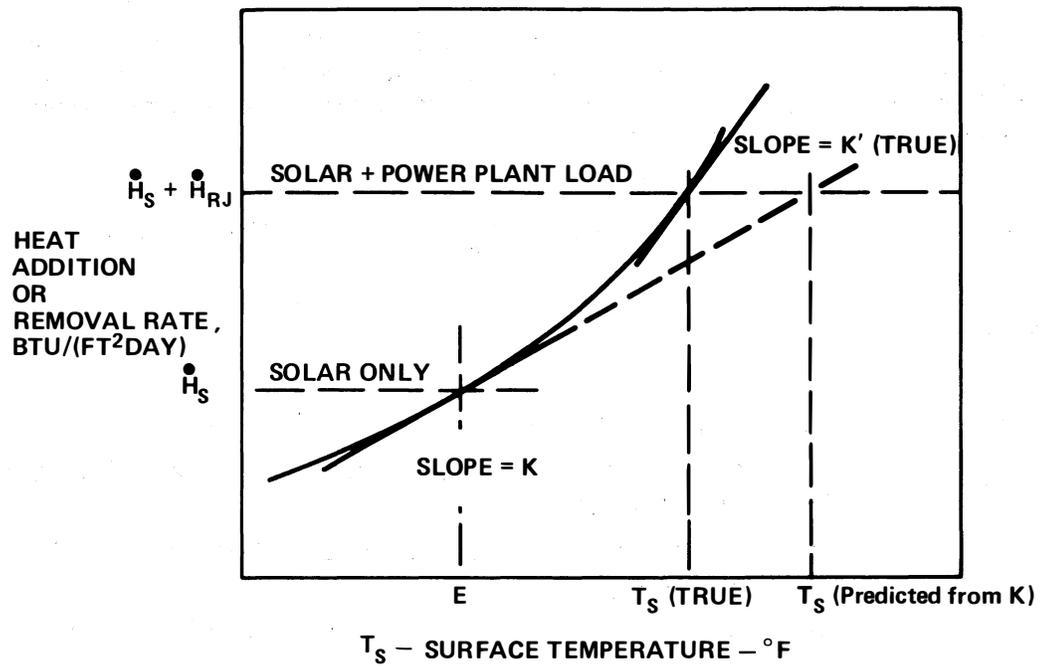


Figure 2.2 Pond Temperature Computations (Steady State).

In this case, the heat transfer \dot{H} can be described as

$$\int_0^{\dot{H}} d\dot{H} = \int_E^{T_S} K dT, \quad (2-2)$$

providing that K is reasonably constant in the interval T_S to E . This is, of course, approximately true only if T_S is very close to E . In a thermally heavily loaded pond, this assumption is not correct. The heat removal curve has an increasing slope at higher pond temperatures; therefore, the heat transfer may be underestimated for high heat loadings, and the predicted pond temperature may be too high. This potential error is shown graphically in Figure 2.2. The external heat load on the pond must, therefore, be factored into the determination of pond temperature.

2.2 Development of the Basis for Surface Heat and Mass Transfer From a Pond

Mechanisms of surface heat and mass transfer have been extensively studied in connection with large, lightly loaded bodies of water, such as lakes and reservoirs. Much less work exists on small, heavily loaded ponds. Application of results from large water bodies must be applied to small, heavily loaded ponds cautiously and conservatively until further experimental evidence of pond performance can be gathered. The NRC is sponsoring experiments on such ponds with Battelle, Pacific Northwest Laboratories.

A relationship for the rate of net heat flow into the pond can be developed through consideration of each heat source and heat loss. It is assumed that all heat exchange with an isolated body of water takes place through its surface. The rate of heat exchange \dot{H} is

$$\dot{H} = \dot{H}_{SN} + \dot{H}_{AN} - \dot{H}_{BR} - \dot{H}_E - \dot{H}_C + \dot{H}_{RJ} \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-3)$$

in which:

- \dot{H} = net rate of heat flow into the pond
- \dot{H}_{SN} = net rate of shortwave solar radiation entering the pond, measured directly
- \dot{H}_{AN} = net rate of longwave atmospheric radiation entering the pond, measured directly
- \dot{H}_{BR} = net rate of back radiation leaving the pond surface
- \dot{H}_E = net rate of heat loss due to evaporation
- \dot{H}_C = net rate of heat flow from the pond due to conduction and convection
- \dot{H}_{RJ} = net rate of heat addition by the plant

This relationship is illustrated graphically in Figure 2.3.

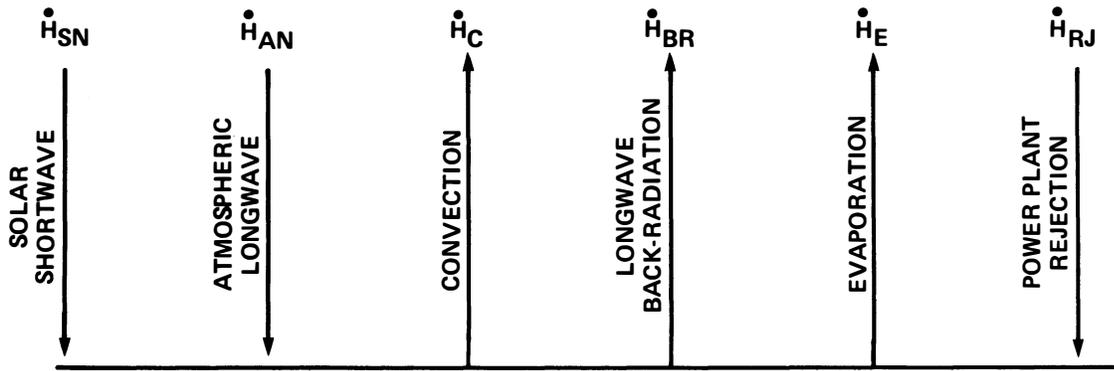


Figure 2.3 Heat Loads on a Pond.

Of the heat flows into the pond as a result of radiation \dot{H}_{SN} and \dot{H}_{AN} , only the net atmospheric radiation can be estimated from meteorologic parameters. The net atmospheric radiation term can be approximated using air temperature T_A and cloud cover C (in tenths). Ryan and Harleman (Ref. 4) developed the following formula for \dot{H}_{AN} :

$$\dot{H}_{AN} = 1.2 \cdot 10^{-13} (T_A + 460)^6 (1 + 0.17C^2) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-4)$$

Three components of the heat exchange equation, \dot{H}_{BR} , \dot{H}_E , and \dot{H}_C , are functions of the pond surface temperature. The back radiation term may be expressed using the relation for radiation from a black body (Ref. 2):

$$\dot{H}_{BR} = 4.026 \times 10^{-8} (460 + T_S)^4 \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-5)$$

where T_S is the surface temperature of the pond. Using the linear terms of the Taylor series expansion of this relation gives

$$\dot{H}_{BR} = 1801 + 15.7(T_S) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-6)$$

The evaporative heat flow can be estimated by

$$\dot{H}_E = (e_s - e_a)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-7)$$

in which e_s is the saturation vapor pressure at the temperature of the water surface (mm Hg) and e_a is the saturation vapor pressure of the air above the pond. The second term on the right is an empirical function of windspeed in miles per hour, U . The wind function proposed by Brady (Ref. 2) is used:

$$f(U) = 70 + 0.7U^2 \quad \text{Btu}/(\text{ft}^2 \text{ day})/\text{mm Hg} \quad (2-8)$$

where U is measured at the 18-foot level.

The quantity $(e_s - e_a)$ can be replaced by a relationship using the slope of the vapor pressure versus temperature curve for some temperature between the surface temperature of the pond and the dew point temperature T_D ,

$$(e_s - e_a) = \beta (T_S - T_D) \quad \text{mm Hg} \quad (2-9)$$

The following polynomial for β can be used in the temperature range normally encountered (Ref. 2):

$$\beta = 0.255 - 0.0085T^* + 0.00204(T^*)^2 \quad \text{mm Hg/}^\circ\text{F} \quad (2-10)$$

where

$$T^* = \frac{T_S + T_D}{2}$$

Making the appropriate substitutions,

$$\dot{H}_E = \beta (T_S - T_D)f(U) \quad \text{Btu/(ft}^2 \text{ day)} \quad (2-11)$$

The conduction and convection heat flow can be approximated by

$$\dot{H}_C = C_1 (T_S - T_A)f(U) \quad \text{Btu/(ft}^2 \text{ day)} \quad (2-12)$$

where

T_A = air temperature

C_1 = Bowen's coefficient, 0.26 mm Hg/ $^\circ$ F

Making the appropriate substitutions in Eq. (2-3), and neglecting the plant heat load for now, leads to

$$\begin{aligned} \dot{H} = & H_{SN} + 1.2 \times 10^{-13}(T_A + 460)^6(1 + 0.17C^2) - (1801 + 15.7T_S) \\ & - \beta(T_S - T_D)f(U) - 0.26(T_S - T_A)f(U) \quad \text{Btu/(ft}^2 \text{ day)} \quad (2-13) \end{aligned}$$

Equation (2-13) can be put into the equilibrium temperature form,

$$\dot{H} = K(E - T_S) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-14)$$

Equation (2-13) is solved for K by letting $T_S = E$ and $\dot{H} = 0$:

$$0 = \dot{H}_{SN} + 1.2 \times 10^{-13}(T_A + 460)^6 (1 + 0.17C^2) - (1801 + 15.7E) - \beta (E - T_D)f(U) - 0.26(E - T_A)f(U) \quad (2-15)$$

Subtracting Eq. (2-15) from Eq. (2-13) gives

$$\dot{H} = 15.7(E - T_S) + (\beta + 0.26)(E - T_S)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-16)$$

Comparison with Eq. (2-14) leads to a relation for K:

$$K = 15.7 + (\beta + 0.26)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day}^\circ\text{F}) \quad (2-17)$$

The pond is likely to have its lowest cooling capacity during the summer months, since ambient temperatures will be higher. It can be shown, using Eqs. (2-4) and (2-5), that the components of atmospheric radiation and back radiation from the pond surface nearly balance in the warmer months. The error of neglecting both terms under these conditions is small. The elimination of the atmospheric- and back-radiation terms from Eq. (2-13) allows for the explicit solution for the equilibrium temperature. Equation (2-13) becomes

$$\dot{H} = \dot{H}_{SN} - \beta(T_S - T_D)f(U) - 0.26(T_S - T_A)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-18)$$

Substituting $E = T_S$, $\dot{H} = 0$, and solving for E gives

$$E = \frac{\dot{H}_{SN}}{(\beta + 0.26)f(U)} + \frac{(\beta T_D + 0.26T_A)}{(\beta + 0.26)} \quad ^\circ\text{F} \quad (2-19)$$

Equating Eq. (2-14) with Eq. (2-18),

$$K(E - T_S) = \dot{H}_{SN} - \beta(T_S - T_D)f(U) - 0.26(T_S - T_A)f(U) \quad (2-20)$$

Substituting from Eq. (2-19) for E and solving for K gives

$$K = (\beta + 0.26)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day } ^\circ\text{F}) \quad (2-21)$$

This allows Eq. (2-19) to be put in its final form,

$$E = \frac{\dot{H}_{SN}}{K} + \frac{(\beta T_D + 0.26 T_A)}{(\beta + 0.26)} \quad ^\circ\text{F} \quad (2-22)$$

Equation (2-23) is the alternate formulation of Eq. (2-17) which follows from the approximation $H_{AN} \sim H_{BR}$. So, the surface heat transfer equation as it is used in the model has the form

$$\dot{H} = K(E - T_S) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-14)$$

$$K = 15.7 + (\beta + 0.26)f(U) \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (2-17)$$

$$\beta = 0.255 - 0.0085T^* + 0.00204(T^*)^2 \quad \text{mm Hg}/^\circ\text{F} \quad (2-10)$$

$$T^* = \frac{T_S + T_D}{2} \quad ^\circ\text{F}$$

$$f(U) = 70 + 0.7U^2 \quad \text{Btu}/(\text{ft}^2 \text{ day})/\text{mm Hg} \quad (2-8)$$

$$E = \frac{\dot{H}_{SN}}{K} + \frac{(\beta T_D + 0.26 T_A)}{(\beta + 0.26)} \quad ^\circ\text{F} \quad (2-22)$$

in which

- T_S = pond surface temperature, °F
 T_A = air temperature, °F
 T_D = dew point temperature, °F
 U = windspeed, mph, measured at the 18-foot level
 \dot{H}_{SN} = net short wave solar radiation received by the pond, Btu/(ft² day)

Evaporation is calculated directly from the evaporative heat flux:

$$W_e = \frac{\beta(T_S - T_D)f(U)}{\rho H_{vap}} \quad (2-23)$$

where

- W_e = evaporative flux per unit area of surface ft³/hr/ft²
 H_{vap} = heat of vaporization of water Btu/lb

2.3 Conservatism of Equilibrium Temperature Formulation

The formulation of the heat transfer formulae used has a number of built-in conservatisms, which tend to overestimate pond temperature. One of the larger conservatisms is the choice of a wind dependence $f(U)$. The Brady wind function employed seems to underestimate the evaporative flux, even when compared to Brady's own data (Ref. 4).

Brady's wind function is derived empirically from large lake data. A more accurate, but less conservative formula was derived by Ryan (Ref. 4) on firmer physical grounds:

$$f(U_2) = [22.4 (\Delta\theta_v)^{1/3} + 14U_2] \quad (2-24)$$

$$\Delta\theta_v = \frac{T_S + 460}{1 - \frac{0.378e_s}{p}} - \frac{T_A + 460}{1 - \frac{0.378e_a}{p}}$$

where U_2 is expressed in mph measured 2 m above water surface, and

- $\Delta\theta_v$ = virtual temperature, °F

and where

- p = atmospheric pressure, mm Hg

This formula accounts for an expected increase in natural convection with increasing pond temperature, whereas Brady's wind function is not temperature dependent.

A simple example illustrates the different heat transfer formulations and how they can drastically affect the temperature calculations. The parameters refer to a one-square-foot section of pond surface:

Solar input = 2100 Btu/(ft² day)
Dew point temperature = 70°F
Ambient air temperature = 90°F
Windspeed = 2 mph
Power plant load = 0 to 11,000 Btu/(ft² day)

Four heat transfer formulas are used to calculate the steady-state pond temperature in response to these meteorological parameters:

- (1) The equilibrium temperature and heat transfer coefficients based on unloaded pond conditions (not a function of pond temperature).
- (2) The equilibrium temperature and heat transfer coefficients based on pond temperature (method used in present models).
- (3) Rigorous formula--each of heat transfer terms in Eq. (2-3) is explicitly calculated with Brady wind function used.
- (4) Rigorous formula--same as case 3 but with Ryan wind function used.

The results of this calculation are presented in Figure 2.4. Although all of the four formulas are in good agreement at light pond loadings, they deviate substantially at high loadings. The conservatism of the Brady wind function over the Ryan wind function is evident, as is the conservatism of the approximation formula over the rigorous formula.

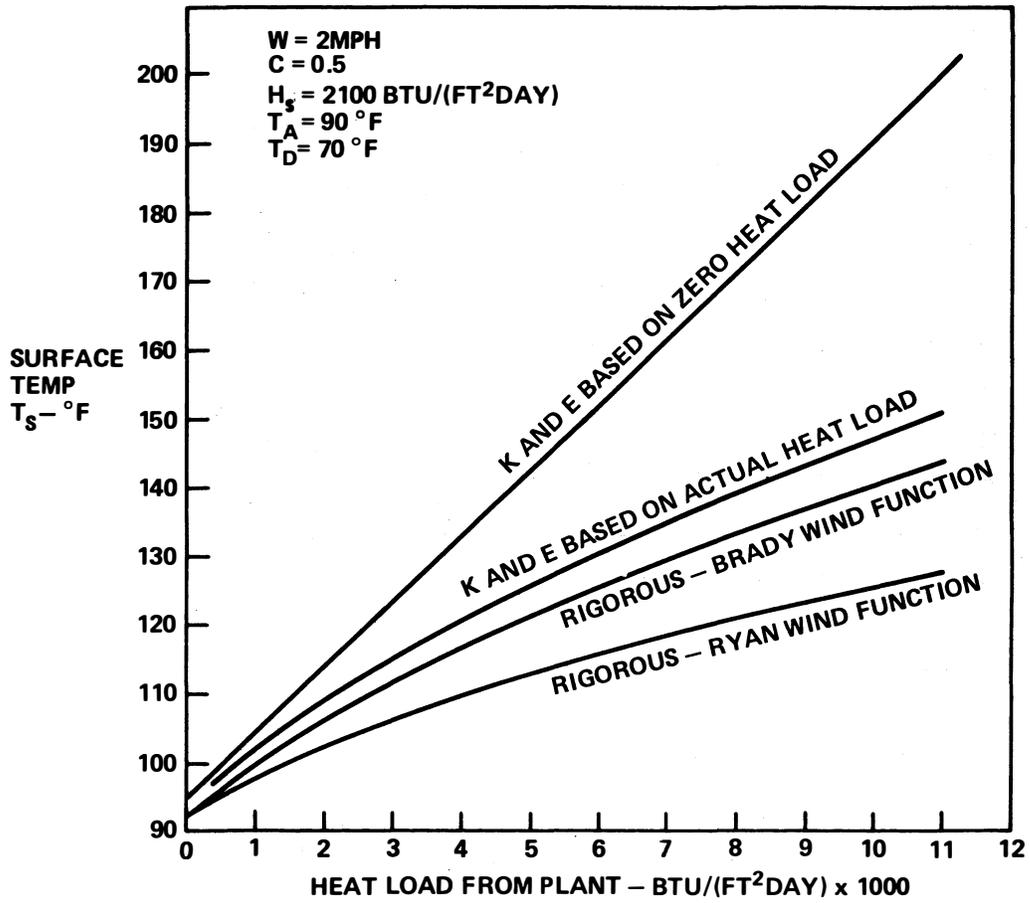


Figure 2.4 Steady-State Surface Temperatures.

3. POND MODELS

The hydrodynamics of small cooling ponds typically used for ultimate heat sinks can be extremely complicated. Because of its lower density, heated water may stratify on the surface of the pond. In many cases, this stratification may be used to good advantage in order to segregate the heated upper water layer from the cooler underlying water. This may be accomplished by designing and locating the intake from and discharges to the pond so as to minimize mixing. Mixing of the waters in the pond because of improper design, or mixing induced by high winds will tend to lower the efficiency of the pond by "short-circuiting" the hot and cool layers.

Mathematical models capable of accurately simulating thermal hydraulics of ponds are becoming increasingly available (Refs. 5 and 6). The methods described here, however, involve only very simple, idealized pond models. Complicated mathematical models are only as good as their data input and the ability of the modeler to describe the pond and its environment. It has not been found necessary to employ sophisticated pond models to the meteorological screening procedure.

Three of the simple models will be described.

- (1) The mixed-tank model assumes total mixing of all heated effluent throughout the volume of the pond.
- (2) The stratified-flow model assumes complete density stratification with the heated effluent entering the surface layer and the cooled water being withdrawn from the bottom layer.
- (3) The plug-flow model assumes that the thermal effluent is discharged to the pond and travels as a "plug" through the entire volume of the pond, all the while transferring heat to the atmosphere.

Only the mixed-tank model is used in the data scanning procedure.

A well designed cooling pond will have hydraulic properties approaching those of the stratified- or plug-flow models, which are most efficient at dissipating heat (heated and cooled water do not mix in these designs). The mixed-tank model represents an inefficient design. Heated water entering the pond will be completely and instantly mixed with the total pond inventory. Therefore, part of the heated water will be recirculated before it has had the opportunity to be cooled; but part of the water will stay in the pond for a long period of time.

It is not necessarily true, however, that any of the three models would represent the prototype. In some cases, there could be conditions in the prototype pond that would lead to less efficient operation than predicted by any of the three models described here. For example, "side arms" of irregularly shaped reservoirs used for power plant cooling may be less efficient at rejecting heat than is the main body of the reservoir because circulation in these regions can be poor. Also, there exists the possibility that stratification may cause short-circuiting between the intake and discharge which would tend to isolate

the cold water of the lower layer from the intake and thereby effectively reduce the thermal inertia of the pond, that is, its capacity to absorb initially high heat loads. For example, see the analysis in Jirka (Ref. 7).

These pond models do not explicitly simulate the complicated hydrodynamic features of ponds. If the possibility of factors that would reduce efficiency exist, arbitrary reductions of surface area and pond volume can be made to assure conservatism. Furthermore, the relative simplicity of the models allows their incorporation into a pond temperature computer program "UHS3," to be described later, in which all three pond configurations are considered simultaneously.

3.1 Mixed-Tank Model

The mixed-tank model depicted in Figure 3.1 presumes that the heated effluent is instantaneously and uniformly mixed throughout the volume of the tank, and that the water in the tank is uniform in temperature. Heat transfer with the atmosphere occurs at the surface of the tank. This heat transfer is less efficient in the case of a completely mixed pond than in a pond where the hot and cool water do not mix. Atmospheric heat transfer is related to the pond surface temperature, which is diminished in the former case and preserved in the latter.

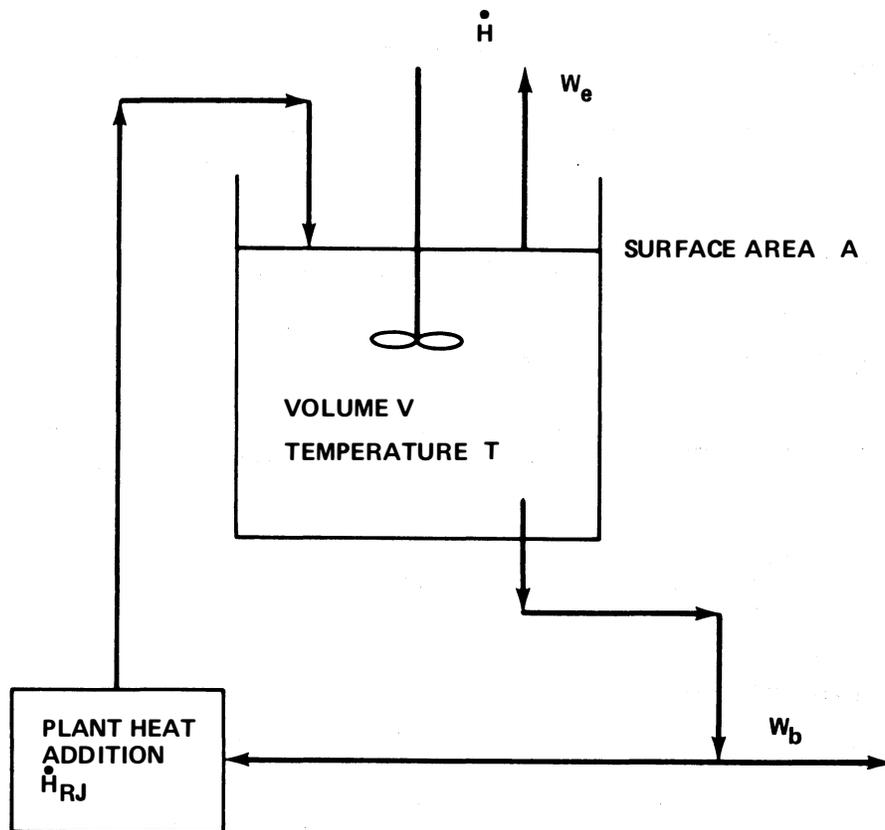


Figure 3.1 Mixed-Tank Model.

3.1.1 Heat Balance

A heat and mass balance can be formulated for the mixed-tank model. The terms of the heat balance are:

3.1.1.1 Heat Load Into Pond

$$\text{Heat in} = \dot{H}_{RJ} \quad \text{Btu/hr} \quad (3-1)$$

3.1.1.2 Heat Out From Surface

$$\dot{H} = \frac{AK(T-E)}{24} \quad \text{Btu/hr} \quad (3-2)$$

where

- A = surface area of the pond, ft².
- K = equilibrium heat transfer coefficient, Btu/(ft² day)/°F
- T = mixed-pond temperature, °F
- E = equilibrium temperature, °F

3.1.1.3 Heat Out in Blowdown or Leakage Stream

With reference to the mixed-pond temperature T, heat loss from blowdown is by definition zero:

$$q_b = W_b C_p (T - T) = 0 \quad (3-3)$$

where

- W_b = flowrate of the blowdown or leakage stream
- ρ = density of water, lb/ft³
- C_p = specific heat of water, Btu/lb/°F

Combining all heat inputs to and outputs from the pond, and using the relationship relating temperature to heat, the following is obtained:

$$\frac{dT}{dt} = \frac{\dot{H}_{RJ}}{C_p V} - \frac{AK}{24 C_p V} (T - E) \quad \text{°F/hr} \quad (3-4)$$

where V is the pond volume.

3.1.2 Mass Balance

The mass balance on the pond includes evaporative loss from the surface and the blowdown or leakage. The terms of the mass balance are:

Blowdown on leakage flow = W ft³/hr
 Evaporative loss from surface = W_e ft³/hr/ft²

$$W_e = \frac{\beta(T_S - T_D) f(U) A}{24 \rho H_{vap}} \quad (3-5)$$

where

β = slope of the vapor pressure-temperature curve, mm Hg/°F
 T_D = dew point temperature, °F
 H_{vap} = heat of vaporization of water, Btu/lb

Combining all terms of the mass balance yields the expression:

$$\frac{dV}{dt} = -W_b - \frac{\beta(T_S - T_D) f^*U) A}{24 \rho C_p H_{vap}} \quad \text{ft}^3 \quad (3-6)$$

3.2 Stratified-Flow Model

In the stratified-flow model (Figure 3.2) the assumption is made that the heated effluent enters on the surface of the pond and cooled water is withdrawn from the bottom of the pond. Water does not mix vertically but simply moves from the surface layer to the bottom as a "plug." Heat transfer occurs only from the surface layer.

The pond is segmented into N horizontal slices of thickness ΔZ as shown in Figure 3.2. In the computer program subsequently described, $N = 10$. The terms of the energy balance of segment n are:

3.2.1 Heat Balance

3.2.1.1 Heat Entering From Above

$$q_{n-1} = W \rho C_p T_{n-1} \quad \text{Btu/hr} \quad (3-7)$$

where

W = flowrate through pond ft³/hr

3.2.1.2 Heat Leaving From Segment by Advection

$$q_n = W \rho C_p T_n \quad \text{Btu/hr} \quad (3-8)$$

3.2.1.3 Change in Heat Content During Time Δt

$$\Delta H = A \Delta Z \rho C_p \Delta T \quad \text{Btu/hr} \quad (3-9)$$

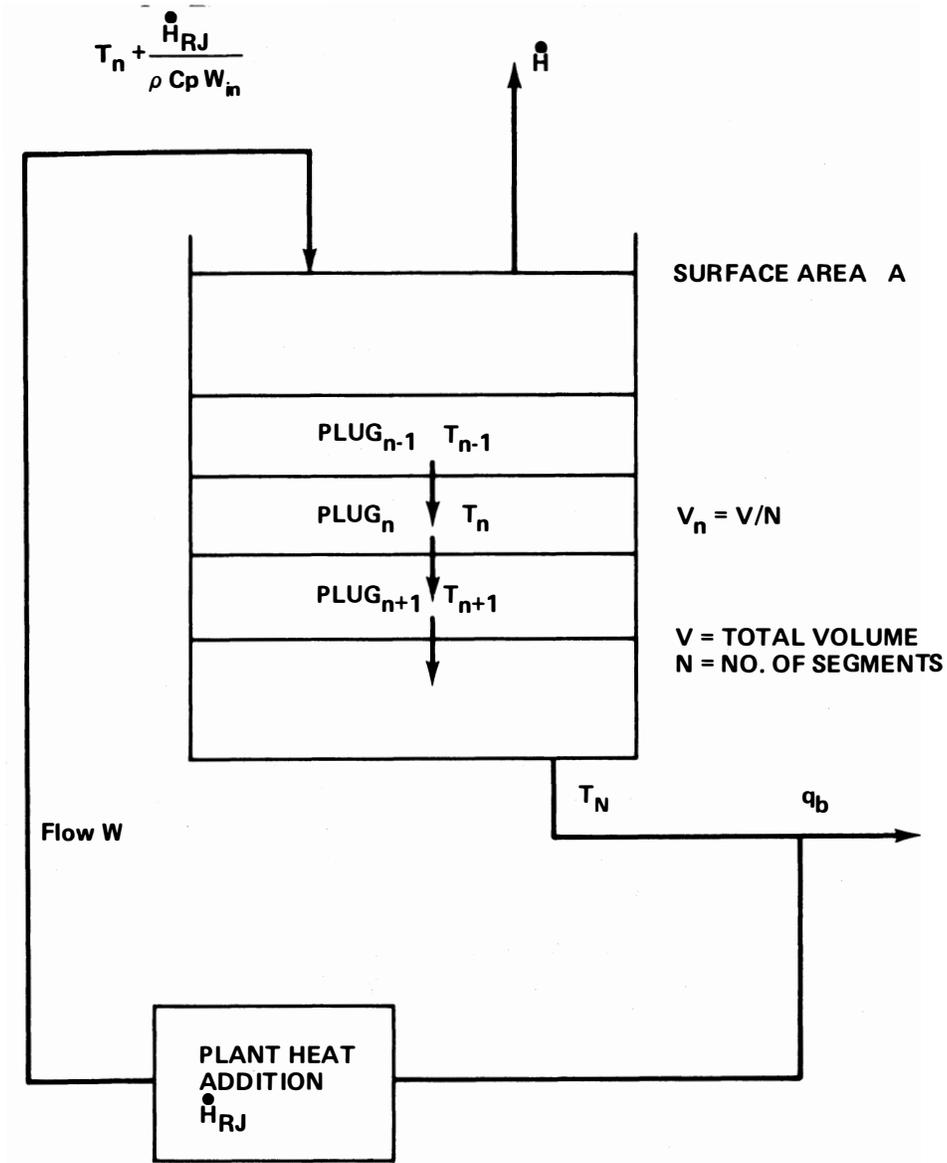


Figure 3.2 Stratified-Flow Model.

Combining all terms yields the following expression for segment n:

$$\frac{\Delta T_n}{\Delta t} = \frac{W}{A} \frac{(T_{n-1} - T_n)}{\Delta Z} \quad \text{°F/hr} \quad (3-10)$$

The heat balance of the uppermost segment includes the atmospheric heat transfer and the heat addition from the plant. The additional terms of this heat balance are:

3.2.1.4 Heat Entering Segment 1 From Plant

$$q_0 = (W \rho C_p T_N + \dot{H}_{RJ}) \quad \text{Btu/hr} \quad (3-11)$$

3.2.1.5 Heat Transferred to Atmosphere

$$\dot{H} = \frac{KA}{24} (T_1 - E) \quad \text{Btu/hr} \quad (3-12)$$

combining Eqs. (3-8), (3-9), (3-11), and (3-12) yields the expression for the first segment:

$$\frac{\Delta T_1}{\Delta t} = \frac{W}{A} \frac{(T_N - T_1)}{\Delta Z} + \frac{\dot{H}_{RJ}}{24} - \frac{KA (T_1 - E)}{\rho C_p A \Delta Z} \quad \text{°F/hr} \quad (3-13)$$

3.2.2 Mass Balance

No mass balance is formulated for the stratified-flow model, or the plug-flow model subsequently described. Instead, the mass balance performed on the mixed-tank model is used to correct the volume of the stratified- and plug-flow models. This approach is justified because the amount of heat leaving the pond surface is roughly the same regardless of the model chosen. Since 50% to 80% of atmospheric heat transfer is by latent heat (evaporation), the consumptive water use predicted by each model is assumed to be about the same.

3.3 Plug-Flow Model

The plug-flow model depicted in Figure 3.3 assumes that the heated effluent enters the pond and travels horizontally as a "plug" of water through the entire volume of the pond, exchanging heat to the atmosphere. Water in the plug does not mix horizontally, but the temperature in the plug is assumed to be uniform vertically.

The pond is segmented into N vertical slices of length ΔX as depicted in Figure 3.3. In the computer program subsequently described, $N = 10$. The terms of the energy budget on segment n are:

3.3.1 Heat Balance

3.3.1.1 Heat Entering by Advection From Previous Segment

$$q_{n-1} = W \rho C_p T_{n-1} \quad \text{Btu/hr} \quad (3-14)$$

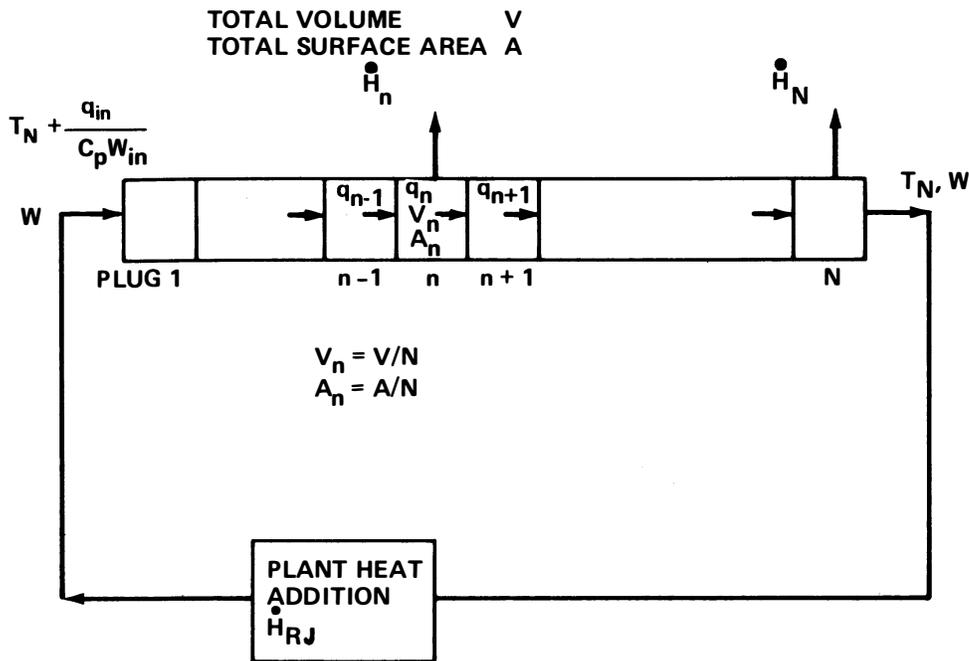


Figure 3.3 Plug-Flow Model.

3.3.1.2 Heat Leaving Segment by Advection

$$q_n = W \rho C_p T_n \quad \text{Btu/hr} \quad (3-15)$$

3.3.1.3 Heat Transfer to Atmosphere From Segment

$$\dot{H} = \frac{KA}{24 N} (T_n - E) \quad \text{Btu/hr,} \quad (3-16)$$

3.3.1.4 Change in Segment Heat Content During Time Δt

$$\Delta H = \frac{A \Delta X}{N} (\rho C_p \Delta T) \quad \text{Btu/hr} \quad (3-17)$$

combining all terms yields the expression for the temperature of segment n:

$$\frac{\Delta T_n}{\Delta t} = \frac{WN}{A} \frac{(T_{n-1} - T_n)}{\Delta X} - \frac{K (T_n - E)}{24 \rho C_p \Delta X} \quad \text{°F/hr} \quad (3-18)$$

The heat balance on the first segment includes the heat released from the plant and the recirculated heat from the pond. The additional term in this heat balance is:

3.3.1.5 Heat Entering From Plant

$$q_0 = W \rho C_p T_N + \dot{H}_{RJ} \quad (3-19)$$

Combining Eqs. (3-15), (3-16), (3-17), and (3-19) yields the expression for the temperature of the first segment:

$$\frac{\Delta T_1}{\Delta t} = \frac{WN}{A} \frac{(T_N - T_1)}{\Delta X} - \frac{K(T_n - E)}{24 \rho C_p \Delta X} + \frac{\dot{H}_{RJ} N}{\rho C_p A \Delta X} \quad ^\circ\text{F/hr} \quad (3-20)$$

4. DATA SCREENING METHODOLOGY

In this section, a method is described with which long-term weather records can be screened to find the period in which the cooling pond temperature will be maximized.

The "equilibrium temperature" heat transfer approach is used in a method that decouples the plant heat input effects from environmental effects on the pond. The temperature of the pond may be determined by the solution of the differential equation for the mixed-tank model,

$$\frac{dT}{dt} = \frac{AK}{\rho C_p V} (E - T) + \frac{\dot{H}_{RJ}}{\rho C_p V} \quad (4-1)$$

For the purpose of developing the model, K, E, and V are temporarily assumed to be constant. Equation (4-1) will, therefore, be linear with respect to T, the fully mixed pond temperature.

Since the equation is linear, it is possible to consider that the pond temperature is a sum of the unloaded pond temperature T' and an "excess" temperature θ .

$$T = T' + \theta \quad (4-2)$$

But T' would be determined by the solution of Eq. (4-1) without external loading:

$$\frac{dT'}{dt} = \frac{AK}{\rho C_p V} (T' - E) \quad (4-3)$$

Subtracting Eq. (4-3) from Eq. (4-1) gives the differential equation for excess temperature

$$\frac{d\theta}{dt} = \frac{AK\theta}{\rho C_p V} + \frac{\dot{H}_{RJ}}{\rho C_p V} \quad (4-4)$$

The determination of pond temperature has, therefore, been separated into two simpler problems, because now the ambient and excess pond temperatures can be determined independently of one another. The excess temperature θ does not depend on the meteorological record, so it can be solved directly from Eq. (4-4) using the plant heat rejection rate. The pond ambient temperature T' does not depend on the heat rejection from the plant, so it can be

calculated from Eq. (4-3) using only the long meteorological record. The peak pond temperature can, therefore, be found by summing (superimposing) the peak T' and θ :

$$(T)_{\text{peak}} = (T')_{\text{peak}} + \theta_{\text{peak}} \quad (4-5)$$

Unfortunately, the basic premise that Eq. (4-1) is linear is incorrect. Both K and E are functions of T . In addition, the pond volume V will change as water on the pond is lost by seepage and evaporation. (Makeup water is assumed to be unavailable during the operation of the pond.) The thermal hydraulics of the pond and, therefore, how it responds to heat input, will depend on how and when heat is rejected to the pond. If the pond can be represented by the completely mixed model, the superposition of T' and θ may overestimate the peak pond temperature for very high loadings.

The utility of the methods just described is to identify the timing of maximum ambient pond temperature T' and maximum excess temperature θ so that more accurate computations can be made in which the pond temperature T can be determined directly. A more sophisticated model of the pond may in fact be desirable for the actual pond temperature calculations rather than the simpler models employed to screen the meteorological data. The initial temperature and starting time for this computation is determined from the screening procedure. Since the heat transfer relationships are nonlinear with respect to pond temperature, and since the model ultimately used for temperature calculations may be different from those used in the screening, there are no firm guarantees that the optimal starting time for peak temperature will necessarily be found. Most likely, the optimal starting time will fall within hours of that determined by the screening procedure. A series of sensitivity runs spaced several hours apart, starting both before and after the starting time indicated by the screening procedure will assure that the peak pond temperature has indeed been found.

4.1 Meteorological Inputs to Screening Model

The screening model developed in Section 4 required two types of data: (1) weather data (dry bulb temperature, dew point, windspeed, and cloud cover) which may be obtained from National Weather Service records, and (2) rates of net solar radiation which do not exist for long periods of record. A method for synthesizing solar radiation using cloud cover data has been developed. National Weather Service tapes of Tape Data Family-14 (TDF-14) are used by the model as a source of temperature and windspeed data and the cloud cover observations. These tapes are available for major observation points throughout the United States.

The solar radiation term for the heat exchange relation must be either taken from direct measurements or estimated. The model estimates hourly solar radiation rates in a three-step process. First, given the latitude of the pond and the time of year, the maximum solar radiation available to the pond for the day under conditions is estimated. Second, this gross figure is fitted to a sinusoidal function to find the rate of insolation for each hour

of daylight. Finally, these hourly rates are modified to take into account the effect of cloud cover.

A subroutine based on the work of R. W. Hamon (Ref. 8) is used to estimate the maximum daily solar radiation. This total daily radiation figure is fitted to a sinusoidal function as shown in Figure 4.1. The hourly variation of radiation is

$$\dot{H}_S(t_0) = 2t_1[\alpha \cos(\omega t_0) - \alpha \cos(\omega t_1)] \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (4-6)$$

where

$$\alpha = \frac{A_0}{\frac{1}{\omega} \sin(\omega t_1) - t_1 \cos(\omega t_1)} \quad (4-7)$$

$$\omega = \frac{\pi}{12} \quad \text{hr} \quad (4-8)$$

and

- A_0 = one-half the daily insolation
- t_0 = time of observation before or after midday, hr
- t_1 = half-length the time of daylight, hr

Solar radiation ultimately reaching the earth's surface is greatly affected by atmospheric conditions, especially by cloud cover. The amount of cloud cover in tenths of the total sky obscured is available from the data tapes. This information is used in a relationship developed by Wunderlich (Ref. 9) to modify the insolation rates:

$$\dot{H}_{SN} = \dot{H}_S(1 - 0.65 C^2)0.94 \quad \text{Btu}/(\text{ft}^2 \text{ day}) \quad (4-9)$$

In which:

- \dot{H}_{SN} = net solar radiation Btu/(ft² day)
- \dot{H}_S = gross rate of solar radiation Btu/(ft² day)
- C = cloud cover in tenths
- 0.94 = factor that adjusts for the average 6% reflection from the water surface

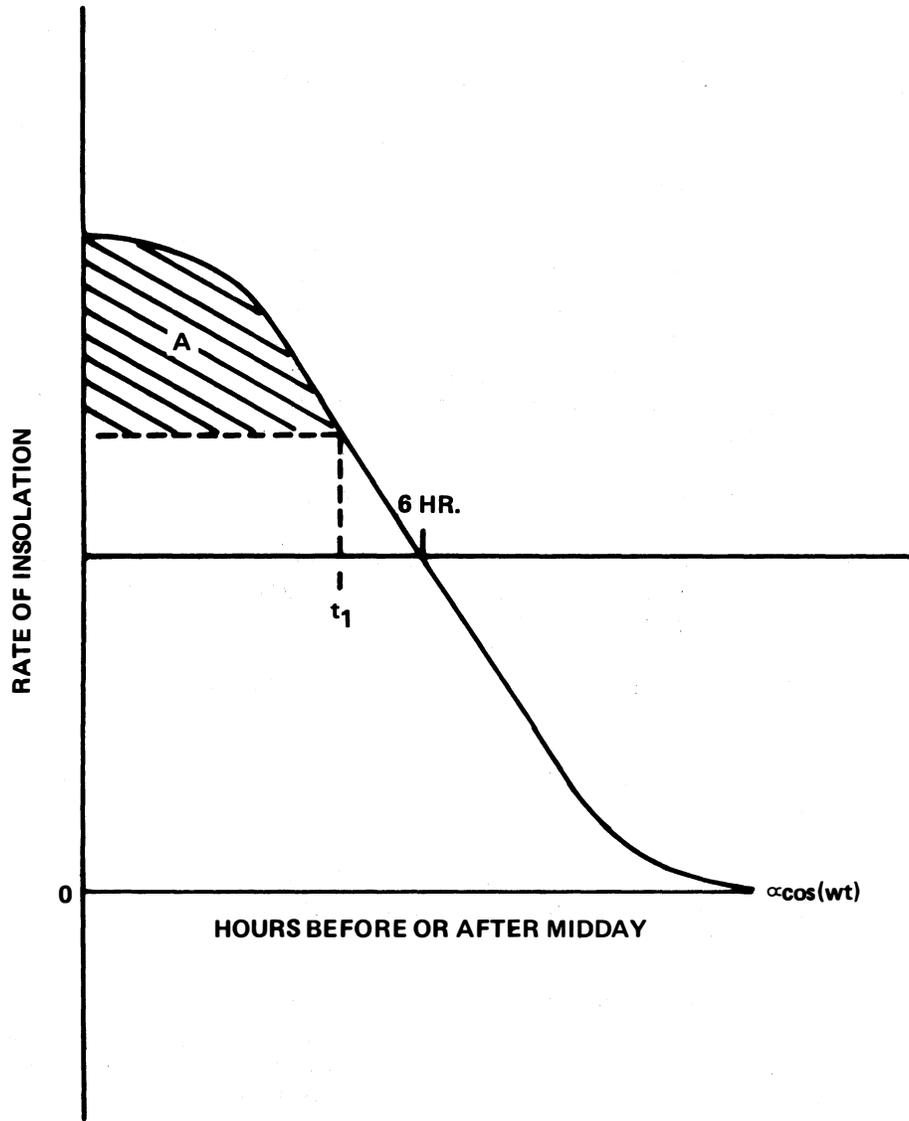


Figure 4.1 Insolation as a Function of Time.

5. APPLICABILITY OF WEATHER RECORD

Long-term meteorological records at the site itself are not usually available. Current NRC practice requires only limited onsite data collection. Meteorological data collected onsite may be inadequate for cooling pond analysis because measurements of solar radiation and cloud cover are not required by current regulations or guidelines.

In the absence of long-term onsite data, the meteorological data for analyzing UHS performance must be obtained from offsite weather stations (such as airports) for which long-term records, including solar radiation or cloud cover, are available. Additionally, the site and offsite data may display significant differences because of orographic effects. Because long-term records are absolutely necessary, some method to ensure applicability of the offsite data is required.

To develop the method, several assumptions are required:

- (1) A representative norm of the true pond temperature will be the equilibrium temperature E , which can be calculated from the monthly mean values of the meteorological variables, and
- (2) The response of the pond hydrodynamics will be fast compared to meteorological changes.

The validity of the assumptions will be subsequently shown by way of an illustrative example.

The assumptions greatly simplify the analysis of the problem and allow a meaningful quantitative appraisal of the onsite and offsite data without a dynamic analysis of the pond itself.

The principal tool in the methodology is the equilibrium temperature calculated by the transient mixed-pond model (UHS3) using monthly average data. The equilibrium temperatures are determined using offsite data [that is, $E(\bar{x})_{\text{offsite}}$] and again using onsite data [that is, $E(\bar{x})_{\text{onsite}}$]. Of course, the data cover the same period.* The difference,

$$\Delta T = E(\bar{x})_{\text{offsite}} - E(\bar{x})_{\text{onsite}},$$

is ultimately added to the peak temperature T_{max} calculated by the UHS3 model to reflect the bias induced by using the available long-term offsite data versus the onsite data.

The ΔT thus calculated represents the total bias induced by the different data sets. It may be of interest to know the relative effects of each meteorological parameter on the ΔT .

The important differences are long term. We assume that by using monthly (30-day) averages, the effects of short-term, local variations have been adequately included without having to deal analytically with such phenomena as thunderstorms.

The difference of the pond temperature ΔE , in response to difference in meteorological data onsite and offsite, can be determined by considering the partial differentials of E with respect to the independent variables T_D , T_A , U , and \dot{H}_{SN} :

$$dE = \frac{\partial E}{\partial T_D} dT_D + \frac{\partial E}{\partial T_A} dT_A + \frac{\partial E}{\partial U} dU + \frac{\partial E}{\partial \dot{H}_{SN}} d\dot{H}_{SN} \quad (5-1)$$

If the differences between offsite and onsite parameters are small, the difference ΔE can be approximated by the sum of the individual differences due to changes in a single meteorological parameter, holding the others constant:

$$\Delta E \sim \Delta E_{T_A, U, \dot{H}_{SN}} + \Delta E_{T_D, U, \dot{H}_{SN}} + \Delta E_{T_A, T_D, \dot{H}_{SN}} + \Delta E_{T_A, T_D, U} \quad (5-2)$$

The sum of the four terms on the right-hand side of Eq. (5-2) will probably not add up to the ΔE predicted directly from the calculation of E_1 and E_2 because of nonlinearities. The breakdown into individual components should be largely indicative of the true differences between the data sets, however.

A brief computer program, COMET (COmpare METEorology), has been written which evaluates the differences in steady state temperatures between two data sets and their sensitivity to differences in the averages of dew point, air temperature, windspeed, and solar radiation between the two sets of data. This program also calculates the correction factor, in cubic feet of water, for the differences in evaporation between two sites based on the 30-day average meteorology. Resultant steady state temperatures and water loss rates between the two data sets are correlated. The standard errors σ and coefficients of determination r^2 are calculated for temperature and evaporation.

The use of the correction factors from program COMET alleviates the ambiguity of location of the weather station instruments at either site. The conservatism of using the difference in equilibrium temperatures $E(\bar{x})$ from monthly average data to correct for peak temperature at the site can be demonstrated by example. Consider that the "estimated" correction factor $\Delta T_1 = E(\bar{x})_{\text{offsite}} - E(\bar{x})_{\text{onsite}}$ is to be added to the peak temperature calculated by the UHS3 model of pond performance. A 40-day continuous record of meteorological data at Harrisburg, Pennsylvania, was used as the data base for the offsite location. To represent the onsite data base, the same 40-day record was used, but a bias was added to each of the values of T_A , T_D , H_S , and U , one parameter at a time. Peak thermally loaded pond temperatures were then calculated for the onsite data base with no bias, and recalculated with a bias on each meteorological parameter. The "true" correction factor is observed from this calculation as the difference in the peak temperature of the biased and unbiased case.

The true correction factor for peak temperature using the mixed-tank model were compared with the differences in equilibrium temperature based on a 40-day average of the meteorological parameters (estimated correction factor). The results of this comparison are presented in Table 5.1. The table shows

Table 5.1 Estimated Correction Factor $wE(\bar{x})$ Compared to Actual Transient Model Response ΔT_{\max}^* (True Correction Factors)

Bias on meteorological terms*				$E(\bar{x})$	$\bar{\Delta E(x)}^{**}$ (estimated correction factor) from Eq. (5-2)	T_{\max}	ΔT_{\max} true correction factors) from program UHS3
$\Delta T_{\text{of } A}^{***}$	$\Delta T_{\text{of } D}^+$	ΔH_S^{++} Btu/ft ² hr	ΔU^{+++} mph				
0	0	0	0	74.93	0	104.36	0
10	0	0	0	77.44	2.51	106.01	1.65
0	10	0	0	80.89	5.96	109.14	5.03
0	0	1000	0	82.00	7.07	110.14	5.78
0	0	0	5	72.49	-2.45	97.6	-6.76

* ΔT_{\max} is based on actual peak temperature with example heat load in example pond using mixed-tank model.

** $\Delta E(\bar{x})$ is based on 40-day average of T_A , T_D , H_S , and rms U.

*** ΔT_A = bias added to each hourly value of dry bulb temperature T_A .

+ ΔT_D = bias added to each hourly value of dew point temperature T_D .

++ $\Delta \hat{H}_S$ = bias added to each hourly value of solar radiation \hat{H}_S .

+++ ΔU = bias added to each hourly value of windspeed U.

that, as expected, the estimated correction factors $\Delta E(\bar{x})$ were always larger positively than the actual increases in pond temperature predicted by the mixed-tank transient model ΔT_{\max} , (the "true" correction factor) and are, therefore, conservative.

Table 5.1 provides, in part, an indication of the bias induced by an arbitrary variation of each parameter. The variations $[\Delta E(\bar{x})]$ indicate that, with the exception of solar radiation, H_S , the most important factor is the dew point.

*Unfortunately, the relative magnitude of the arbitrary variations (i.e., ΔT_A of 10°F is well within the range of variation potentially expected between sites: the variation of ΔH_S by 1000 Btu/ft² hr) is a major change.

6. DESCRIPTION OF COMPUTER PROGRAMS AND THEIR OPERATION

6.1 Introduction

Three separate computer programs are described which may be used for several facets of the cooling pond analysis. The programs rely on the procedures and methods described in the previous sections. All programs are written in CDC 7600 FORTRAN IV. Minor modifications may be necessary for other computer systems.

- (1) Program UHSPND is used to scan the weather record tapes to predict the likely periods of lowest cooling performance and highest evaporative loss.
- (2) Program COMET compares the limited quantity of onsite meteorological data with summaries of offsite data provided by program UHSPND to determine if there are significant differences between the two which might lead to differences in predicted pond performance.
- (3) Program UHS3 can be used to calculate the most pessimistic cooling pond temperature using idealized pond hydraulic models and the abbreviated weather record furnished from program UHSPND. These programs are described in greater detail in the following sections.

6.2 Meteorological Data Screening Program UHSPND

Program UHSPND can be used to scan long weather records to determine the period of lowest cooling performance and highest evaporation for small cooling ponds in UHS service. A simple mixed-tank hydraulic model and the Brady-Geyer heat transfer formulae are employed in a running simulation for the entire length of the weather record. The time of maximum ambient pond temperature and the 30-day period giving maximum evaporation are determined from the simulation.

6.2.1 Program Operation

The program first reads and screens meteorological data from National Weather Service Tape Data Family 14 (TDF-14) magnetic tapes. Hourly or three-hourly values of up to 48 meteorological variables are stored on these tapes in a compact alphanumeric code. Subroutine SUB1 interprets the code and extracts the values of windspeed, dry bulb temperature, dew point temperature, cloud cover, relative humidity, and atmospheric pressure. As a computational expedient, only the months May through September are scanned, since it is highly unlikely that either the peak temperature or evaporation losses would occur in the other months.

The stored data are checked for missing or inconsistent values. If one or two consecutive observations of a meteorological parameter are missing, they will be replaced by interpolated values. If, however, more than two consecutive observations are missing or in error, the entire day of data is skipped and a message to this effect is printed.

The program synthesizes solar radiation needed for subsequent calculations from the cloud cover, date, and latitude, since no direct observations of solar radiation are contained in the TDF-14 tapes. This procedure is discussed in Section 4. Direct observations of solar radiation would be most desirable if available from other sources, but no provisions for their input are presently incorporated in the program.

Subroutine SUB2 numerically calculates the ambient unloaded pond temperature and evaporative loss with the mixed-tank model and the Brady-Geyer heat transfer relationships using the meteorological variables generated in subroutine SUB1. The yearly maximum pond temperature and yearly maximum 30-day evaporative water loss are determined along with their dates of occurrence.

Subroutine SUB5 statistically treats the data base consisting of the annual maximum pond temperatures and maximum annual 30-day evaporations for further manual analysis.

6.2.2 Program Outputs

The program provides the following information, depending in some cases on the options selected:

- (1) An informative message is printed if missing or inconsistent data are encountered, so that it is clear that the record for that day has been skipped.
- (2) A table of hourly values of windspeed, dry bulb temperature, dew point temperature, solar radiation, cloud cover, and relative humidity is printed and/or punched for the 35 days preceding the time of maximum ambient temperature and the 5 days following. This table may subsequently be used in a more rigorous computation of thermally loaded pond temperature with program UHS3, or may be used with some other dynamic temperature model. Although only the values of windspeed, dry bulb temperature, dew point temperature and solar radiation are used in the UHSPND and UHS3 models, other formulations of the heat transfer relationships may require the cloud cover and relative humidity, so these are also outputted.
- (3) The dates and quantity of evaporation for the yearly worst 30-day ambient period in an unloaded pond is outputted. The quantity of (unloaded) evaporated water loss may be added to a conservative estimate of excess evaporative loss from added heat to determine total evaporative water loss directly, without the need for an additional computer program as is necessary with the peak temperature calculations.
- (4) Monthly averages of meteorological parameters for all specified years of the record are printed for the purpose of comparing offsite data with limited quantities of onsite data using program COMET described later.
- (5) The maximum annual ambient pond temperature and 30-day evaporation for all years on the tape are printed, ranked in order from highest to lowest magnitude. Approximate probabilities are calculated so that the ranked outputs can be plotted on an arithmetic-probability scale. The mean,

standard deviation, and skew of the data are also printed. Further statistical manipulation may be performed manually using the procedures outlined in Appendix A, Statistical Treatment of Output.

6.2.3 Program Inputs

The following input data are necessary to run program UHSPND:

- (1) Pond surface area, ft² or acres.
- (2) Pond volume, ft³.
- (3) Latitude, °N.
- (4) A TDF-14 weather tape from a representative station near the site.

The TDF-14 weather tapes can be obtained from the National Climatic Center, Federal Building, Asheville, North Carolina 28801.

Computer and peripheral requirements to run program UHSPND on the Brookhaven National Laboratories CDC 7600 computer are one magnetic tape drive, two disk files, and about 12,000 (decimal) words.

Specific instructions for running the program apply to the NRC version on the Brookhaven computer. Versions of UHSPND for use at other centers can be expected to differ in their use of tapes and job control cards. Minor modifications to the program may be necessary for computer systems other than CDC.

The data deck required to operate program UHSPND consists of three types of data cards; the pond data card, the monthly average card, and the end card. The input data are read in NAMELIST form named INPUT.

The following tables explain the meaning of each variables in the NAMELIST:

6.2.3.1 Pond Data Card

This NAMELIST specifies the pond parameters for the mixed-tank models and specifies certain printing options as shown in Table 6.1.

6.2.3.2 Monthly Average Card

This NAMELIST specifies the year and month to start computing monthly meteorological summaries to be used for comparison with onsite meteorological data.

6.2.3.3 End Card

By specifying N = 0, the program terminates.

One set of output is generated from each pond data card or monthly average card. These cards are unrelated and may be inserted in any order.

Table 6.1 Pond Data Card Input Parameters

Variable	Value	Type and description
N	1-99	Integer--card number used to identify the the card as a "pond data" card and to identify the results in the output
A	≥ 0	Real, pond surface area in square feet
	< 0	Real, pond surface area in acres
V	≥ 0	Real, pond volume in cubic feet
	< 0	Real, pond volume in acre-feet
LAT	25-50	Real, latitude of pond in decimal degrees north latitude
IPRNT		Integer--print option
	0	Prints and punches hourly meteorological data
	1	Printed output only
	-1	Punched output only

If a second pond data or monthly average card is used, say to test the sensitivity to a variation in a pond parameter, only the variable changed needs to be inputted on the NAMELIST card.

6.2.4 Data Input Example

Consider a pond with volume $1.5 \times 10^7 \text{ ft}^3$ and $8 \times 10^5 \text{ ft}^2$ surface area at latitude 45°N . Determine the highest ambient temperature and evaporation rate, and print the worst case meteorology. Rerun the calculation with half the volume, determine the periods of highest temperature and evaporation, and print and punch the output for the worst temperature period. Finally, compute the monthly averages of the meteorological data from June 1971 to the end of the tape.

The data input for this example would be:

```
$INPUT N=1, A=8.0E5, V=1.5E7, LAT=45.0, PRINT=1$
$INPUT N=2, V=0.75E7, ISRCH=1, IPRINT=0$
$INPUT N=101, YRMODY(1)=71, YRMODY(2)=6$
$INPUT N=0$
```

Table 6.2 Monthly Average Card Input Parameters

Variable	Value	Type and description
N	> 99	Integer--identified this card as a monthly average card.
YRMODY(1)		Real, the year of the beginning date for the computation of monthly averages of meteorological data
YRMODY(2)	5-9	Real, the month of the beginning date for the computation of monthly averages.
LAT	25-50	Real, the latitude in decimal degrees north if different from that previously specified.

6.3 Program COMET

Program COMET (COmpare METeorology) compares equilibrium temperature and evaporation rates computed from monthly average values of solar radiation, dew point temperature, dry bulb temperature, and rms (root mean square) windspeed for two data sets. It has been previously demonstrated in Section 5 that equilibrium temperature computed from monthly average meteorological conditions can be a meaningful norm for the comparison of two data sets used to compute peak temperatures.

Program UHSPND computes the monthly averages of the meteorological parameters from the offsite weather station record provided on the National Climatic Center tape. The other data set would be taken from limited onsite measurements.

If onsite data are not complete (for example, if solar radiation is not available), the offsite data can be substituted for the missing parameters. The program calculates the equilibrium temperature $E(x)$ and 30-day evaporation $W_e(x)$ for each data set, the difference in calculated values of E , and the apparent differences in E due to differences between each of the meteorological parameters. Therefore, if one of the meteorological parameters for the site is unknown, the apparent differences due to only the other three parameters can still be determined.

The output values of onsite and offsite equilibrium temperature and evaporation rates are correlated for as many months as available to determine if there is a significant difference between the locations. The coefficient of determination r^2 is computed for $E(x)$ onsite and offsite. A coefficient of determination of 0.9 would indicate that 90% of the variance in one data set is accounted for by variation of the other data set, and that 10% of the variation is unexplained.

The average equilibrium temperature difference and average evaporation rate difference between the two data sets are the biases $E(x)$ and $W_e(x)$, respectively. The biases may be used cautiously as correction factors to the peak loaded pond temperature and 30-day evaporation loss. The coefficient of determination r^2 should be high. Lower values may indicate poor quality data, real orographic differences between sites, or a combination of the two. Because the data bases are generally small and may be incomplete, we suggest that the biases be used only in the conservative sense; that is, if onsite $E(x)$ or $W_e(x)$ are greater than corresponding offsite values, the difference should be added to the peak loaded pond temperature or evaporation as a correction. If the opposite is the case, no corrections should be made.

6.3.1 Program Inputs

Program COMET requires monthly averages of dry bulb temperature, dew point temperature, solar radiation and rms windspeed for each site. The first card specifies the number of months of data I and is read in I5 format. The next I cards contain the following information read in 8F10.0 format:

Field	Variable	Description
1	TD1	Dew point temperature, °F, data set 1
2	TA1	Dry bulb temperature, °F, data set 1
3	W1	Rms windspeed, mph, data set 1
4	H1	Solar radiation, Btu/(ft ² day), data set 1
5	TD2	Dew point temperature, °F, data set 2
6	TA2	Dry bulb temperature, °F, data set 2
7	W2	Rms wind speed, mph, data set 2
8	H2	Solar radiation, Btu/(ft ² day) data set 2

If dew point temperature is not available directly, it can be synthesized from dry bulb temperature, wet bulb temperature, and atmospheric pressure using a psychrometric chart, or subroutine PSY1 described in Appendix B.

6.4 Program UHS3

Program UHS3 calculates the temperature in the ultimate heat sink pond under the combined influence of the meteorology and the external plant heat load. Hourly meteorological data are provided on cards from program UHSPND.

The pond is represented by three simplified hydraulic models simultaneously: the mixed-tank model as used in the screening program UHSPND, the stratified-flow model, and the plug-flow model. Heat transfer relationships are based on the Brady-Geyer method as in program UHSPND.

The pond outlet temperatures and volume for all three models are printed simultaneously. Maximum temperature for each pond model is determined and the time of occurrence of the maximum is printed.

6.4.1 Program Input

Necessary input data for this program include a title card, the external heat input, meteorological conditions, volume and surface area, makeup, blowdown, leakage, and circulation flowrate of the pond:

- (1) The first card of the data deck is a title card. Information entered on this card will be printed at the beginning of the program output. If no information is to be printed out, this card should be left blank.
- (2) Meteorological data are generally provided directly from program UHSPND. The first card in the meteorological deck specifies the number of time periods in the table (usually 960) and is read in I5 format. The subsequent cards are read two time periods (usually 1 hour each) per card as illustrated in Table 6.3.

If constant meteorological conditions are specified, only the first values of W, TA, TD, and HSN need to be inputted.

- (3) The heat and flowrate table is inputted next. The plant heat rejection and UHS flowrate during the design accident should be plotted on a semilog plot, with heat and flowrate on the linear scale and time on the logarithmic scale. A table of heat and flowrate to the pond versus time should then be created from a straight line approximation of the graph. This procedure must be followed because a log-linear interpolation of the heat and flowrate table is used in the program. Plant heat is often provided in this graphic form directly.

Heat and flowrate are inputted in a NAMELIST format named HFT. For example, a typical heat load and flowrate table would be:

```
$HFT HEAT(1) = 0.0, 1.0E8, 1.6E8, 1.0E8, 4.9E8, 5.6E8, 6.9E8, 5.1E8,  
1.4E8, 0.8E8, 0.5E8, FLOW(1) = 40, 50, 8*60, TH(1) = 0.001, 0.025, 0.04,  
0.08, 6, 50, 600, 1000, NH = 9$
```

where

HEAT = array of plant heat input, Btu/hr

FLOW = array of flow inputs, ft³/hr

TH = array of corresponding times (relative to the start of the accident) for the HEAT and FLOW arrays

NH = number of entries in the table.

Table 6.3 Meteorological Input for Program UHS3
Format [13, 2(3F5.1, F6.1, F4.0)]

Field	Variable	Description
1	ISEQ	Sequence number--not used
2	W(I)	Windspeed, mph
3	TA(I)	Dry bulb temperature, °F
4	TD(I)	Dew point temperature, °F
5	HS(I)	Solar radiation, Btu/(ft ² day)
6	CC	Cloud cover--not used in this program but punched from UHSPND
7	RH	Relative humidity--not used in this program, but punched from UHSPND
8	W(I+1)	Windspeed--second set on card
9	TA(I+1)	Dry bulb temperature, °F
10	TD(I+1)	Dew point temperature, °F
11	HS(I+1)	Solar radiation
12	CC	Cloud cover
13	RH	Relative humidity

It should be noted that the start of the heat and flowrate table does not necessarily have to correspond to the start of the meteorological input table. The time for the start of the heat and flowrate table is delayed by a variable TSKIP (HR), described below.

- (4) Pond parameters and constants are read next in a NAMELIST format called INLIST. The variables in INLIST are described in Table 6.4.

6.4.2 Utilization of Program UHS3

Program UHS3 is usually employed to determine maximum pond temperature in the following manner:

- (1) Two initial pond simulations should be performed (in the same run):
- (a) The first run simulates the pond ambient temperature resulting only from meteorological inputs without the external heat load. This is most easily done by setting TSKIP to a large number of hours in INLIST (for example, TSKIP=5000). The peak ambient pond temperature and time of occurrence generally will not be the same as those predicted from UHSPND.

Table 6.4 NAMELIST INLIST for Program UHS3

Variable	Default value	Description
VZERO	0.0	Pond volumes, ft ³ --if zero, terminates program
BLOW	0.0	Blowdown flow out, ft ³ /hr
A	0.0	Pond surface area, ft ²
NSTEPS	100	Number of timesteps to be performed
NPRINT	10	Printouts of pond temperatures every NPRINT steps
DT	0.2	Integration timestep, hours
TZERO	80	Initial pond temperature, °F
TSKIP	0	Time after start of program that corresponds to start of heat and flow table. Shifts this table relative to meteorology table which starts at time zero. For time less than TSKIP, evaporation is suppressed so that the pond volume does not decrease.
QBASE	0	Bias to be added to all HEAT in heat-flow table, Btu/hr
FBASE	0	Bias to be added to all flowrate in heat-flow table, ft ³ /hr
E	80	Constant equilibrium temperature °F, if so specified by IMET=1
AK1	150	Constant surface heat exchange coefficient, Btu/(ft ² day)/°F if IMET=1
IMET	0	Optional constant E and AK1 if IMET=1
BTA	0	Bias to be added to all TA in table (dry bulb temperature), °F
BTD	0	Bias to be added to all TD in table (dew point temperature), °F
BHS	0	Bias to be added to all HS (solar radiation), Btu/(ft ² hr)
BW	0	Bias to be called to all W in Table 6.3 (windspeed), mph
HEAT FLOW NH	Same as specified input in NAMELIST HFT	Heat-flow table if different from that specified by previous input in NAMELIST HFT

Note: Multiple runs may be made by inserting several INLIST cards in succession. Only the variables which are different from the previous namelist card read are changed. The program terminates by setting VZERO=0.

- (b) The second simulation determines the peak pond temperature only from the effects of external heat input. This is done by resetting TSKIP to zero, and specifying that E and AK1 are constants in namelist INLIST (for example, IMET=1, TSKIP=0, AK1=120, E=85, TZERO=85). The choice of AK1 and E is somewhat arbitrary, but the initial pond temperature TZERO should always be set equal to E.
- (2) A second run is prepared so that peak ambient pond temperature determined from the first simulation will coincide with the peak excess temperature caused by plant input alone:
- (a) By inspection of the two previous simulations, choose the model desired (for example, mixed tank) and the time of peak temperature for each.
- (b) The approximate time to delay the start of the heat input TSKIP is then defined:
- TSKIP = time of peak ambient temperature minus time of peak excess temperature.
- (d) Because of nonlinearities in the pond models, the peak temperature will not necessarily coincide with that of the direct linear superposition, and the time to the peak may be shifted. Several simulations may be made within the same run, varying the parameters TSKIP by several hours to assure that the peak temperature has been found, although in general the differences should be minor.

An example run of all programs from start to finish will be covered in the next section.

7. SAMPLE CALCULATIONS

This section describes the analysis of a hypothetical UHS cooling pond and shows how the computer programs and methods presented in this paper can be used with historical weather records to determine the design basis return temperature and worst-case 30-day evaporative water loss for a given pond.

The following information is needed for computer programs UHSPND, COMET, and UHS3 in order to perform these analyses.

(1) For UHSPND:

- (a) Pond area and volume.
- (b) Latitude of the pond.
- (c) A National Weather Service data tape (TDF-14) for an observation point near the pond site.
- (d) Date of the beginning of onsite data collection.

(2) For COMET:

- (a) Monthly averages for the months of May through September of onsite observations of daily insolation, dry bulb temperature, dew point temperature; and the monthly rms windspeed. If onsite insolation is not available, the offsite insolation term generated by UHSPND can be used in its place as long as this fact is acknowledged in the analysis of the results.
- (b) Monthly averages as described above from the long-term (offsite) weather record for the period that corresponds to the period of onsite meteorological observations. This information can be obtained from UHSPND by using a monthly average card in the data deck.

(3) For UHS3:

- (a) The punched output from UHSPND consisting of the meteorological parameters for the 40-day period that encompasses peak ambient pond temperature.
- (b) A heat-flowrate table describing the heat rejected by the plant and the flowrate through the pond during the period of time following a design basis accident.
- (c) Pond initial volume and surface area.
- (d) Blowdown and seepage rates for the pond.

7.1 Finding the Period of Worst-Case Cooling Performance and 30-Day Evaporative Water Loss--Program UHSPND

The first step in the analysis is to use UHSPND to find the periods of recorded weather data that will result in the worst-case cooling performance (that is, highest pond temperature) and highest 30-day evaporative water loss. UHSPND can also be used at this point to generate the monthly averages of the meteorologic parameters needed to run program COMET.

A hypothetical pond located at 40.25°N and having a surface area of 40 acres (1,742,400 ft²) and a volume of 320 acre-feet (13,939,200 ft³) is used in this sample analysis. The long-term (1948-75) weather record from Harrisburg, Pennsylvania, is used. Limited onsite data from a facility located on the Susquehanna River are used as the onsite record for the hypothetical pond.

The data deck for UHSPND has been constructed as described in Section 6. The period of onsite data available at the time of this study was January 1, 1973, to December 31, 1976. Since UHSPND only scans the weather record during the months of May through September, the first month of the long-term record for which onsite data are available is May 1973. Entering this month and year on a monthly average card in the UHSPND data deck causes the program to print the monthly averages necessary to run COMET for each summer month, beginning with May 1973, until the end of the long-term weather record is reached. Figure 7.1 shows the data deck for UHSPND used for this example.

The following information is printed by UHSPND as a result of the data supplied in the data deck:

- (1) A list of the dates ignored by UHSPND due to periods of bad data in the long-term record.
- (2) A list of the pond parameters used by UHSPND to run its pond model.
- (3) A table of the yearly maximum modeled pond temperatures and 30-day evaporative losses, their dates of occurrence and their "plotting positions." Both the temperatures and evaporative losses have been ranked from highest to lowest magnitude and their sample means, standard deviations, and skews have been calculated.
- (4) The daily meteorological data consisting of hourly observations for each day in the period of the 35 days ending with the date of the highest modeled pond temperature and 5 days following it. This information is also punched on cards as a result of using IPRNT=0 and a message indicating the number of the cards punched follows the printed output. No printed or punched output is provided for the days skipped because of bad data.
- (5) A table of the monthly rms windspeeds and mean values of dry bulb temperature, dewpoint temperature, daily solar radiation, cloud cover in tenths, and relative humidity for the months of May through September during the period beginning May 1973 and continuing to the end of the long-term record in 1975.

```
$INPUT N=1,A=1742400.,V=13939200.,LAT=40.25,ISRCH=1,IPRNT=03
$INPUT N=100,YRMODY(1)=73,YRMODY(2)=5,LAT=40.25$
$INPUT N=0$
```

Figure 7.1 Listing of Input for Program ULTSNK.

A partial listing of the output generated by UHSPND in this example is provided in Figure 7.2,

7.2 Statistical Treatment of UHSPND Output

The statistical methods of frequency analysis using Pearson type III coordinates, outlined in Appendix A, have been applied to the sample of yearly maximum pond temperatures in order to gain some insight into the trend in the data. The histogram in Figure 7.3 gives some idea of the distribution of the yearly maximum temperatures. A frequency plot of the yearly maximum temperature data is presented in Figure 7.4. Here the temperatures were first plotted on arithmetic-probability paper using the exceedence frequencies (plotting positions) computed by UHSPND. Next, the most likely probability curve and the 5% and 95% error bands were constructed from the mean and standard deviation computed by UHSPND and the methods and tables of Appendix A.

Note that the skew was taken to be zero because of the small size of the sample. The computed frequency curve can be used to extrapolate the 1% per year ambient exceedance pond temperature from the UHSPND results. This temperature is found to be 85.5° F. Since this is less than the maximum modeled temperature of 85.7° F, no temperature correction factor will be used in subsequent calculations. Note, however, that the maximum falls within the 5% and 95% confidence limits and is not considered anomalous.

These statistical procedures can also be applied to the sample of yearly maximum 30-day evaporative loss. The predicted loss is 992,000 ft³. Again, the modeled maximum evaporative loss of 1,023,650 ft³ is larger than the 1% per year exceedence loss found by extrapolation and no correction will be made for this in subsequent evaporation calculations.

7.3 Determining the Applicability of the Offsite Data Set--Program COMET

There is a potential for error because of the use of an offsite data record. The second step in the cooling pond analysis is to compare the offsite record with the limited onsite record and generate some reasonable correction factors if a significant difference exists between the two records. Program COMET is used for this task.

COMET compares equilibrium temperatures generated from the monthly arithmetic mean values of dew point, dry bulb temperatures, daily solar radiation, and the root mean square (rms) windspeeds from two different sites. The rms windspeed is used as the representative average because of the quadratic function of windspeed in the model equations. This information is input to COMET in the form described in Section 6, one month per data card. In this case, a period of 15 spring and summer months, May 1973-September 1975, was available for study. The offsite information was input as set 1 and the onsite information

U.S. NUCLEAR REGULATORY COMMISSION- ULTIMATE HEAT SINK COOLING POND METEOROLOGICAL SCANNING MODEL
R CODELL AND W NUTTLE, NOVEMBER 1979

***** SUBROUTINE SUB1 HAS BEEN CALLED FOR LATITUDE = 40.25 DEG. NORTH *****

DISCONTINUITY IN DATA CAUSED 6/11/71 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 9/25/71 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 5/ 5/72 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 5/ 6/72 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 5/ 7/72 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 5/ 8/72 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 8/ 7/72 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 7/11/73 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 7/15/73 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 7/16/73 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 7/17/73 TO BE SKIPPED
DISCONTINUITY IN DATA CAUSED 5/ 1/75 TO BE SKIPPED

***** POND NUMBER 1 HAS THE FOLLOWING PARAMETERS *****

SURFACE AREA 1742400.00 FT**2 (40.00 ACRES)
VOLUME 13939200.00 FT**3 (320.00 ACRE-FT)
ISRCH = 1 IPRNT = 0

***** POND NUMBER 1 HAS BEEN MODELLED TO DETERMINE THE WORST *****
PERIODS FOR COOLING AND EVAPORATIVE WATER LOSS

Figure 7.2 Output From Program UHSPND.

*****THE SAMPLE OF YEARLY MAXIMUM POND TEMPERATURES AND 30 DAY
 EVAPORATIVE LOSSES GENERATED BY THIS MODEL IS DESCRIBED BELOW.

.....TEMPERATURE.....	EVAPORATIVE LOSS.....	
*EXCEEDED	DATE	*EXCEEDED	DATE
/100 YR	(DEG.F)	*/100 YR*	FT**3 *(YR.MO.DY.)*
* 2.45 *	85.71	* 2.45 *	1024361.9 * 66. 7.23. *
* 5.97 *	83.50	* 5.97 *	948619.5 * 63. 7.10. *
* 9.49 *	83.15	* 9.49 *	904377.5 * 55. 8. 9. *
* 13.01 *	82.82	* 13.01 *	887364.3 * 57. 7.27. *
* 16.54 *	82.00	* 16.54 *	870331.8 * 74. 7.22. *
* 20.06 *	81.85	* 20.06 *	870192.1 * 71. 7.28. *
* 23.58 *	81.29	* 23.58 *	864591.4 * 54. 8.12. *
* 27.10 *	81.15	* 27.10 *	855142.4 * 61. 7.12. *
* 30.63 *	80.98	* 30.63 *	836959.1 * 65. 7. 9. *
* 34.15 *	80.90	* 34.15 *	836561.6 * 62. 7.27. *
* 37.67 *	80.84	* 37.67 *	826182.2 * 59. 7. 9. *
* 41.19 *	80.46	* 41.19 *	823344.4 * 53. 9.13. *
* 44.72 *	80.44	* 44.72 *	801589.5 * 64. 6.17. *
* 48.24 *	80.38	* 48.24 *	794705.2 * 73. 8. 6. *
* 51.76 *	80.30	* 51.76 *	783720.5 * 68. 7.31. *
* 55.28 *	80.25	* 55.28 *	782405.7 * 70. 8.31. *
* 58.81 *	80.12	* 58.81 *	764858.0 * 60. 7. 6. *
* 62.33 *	79.91	* 62.33 *	763910.1 * 56. 7.15. *
* 65.85 *	78.99	* 65.85 *	754682.3 * 72. 8.21. *
* 69.37 *	78.68	* 69.37 *	753861.1 * 52. 7.29. *
* 72.90 *	78.42	* 72.90 *	741111.9 * 75. 8.19. *
* 76.42 *	78.23	* 76.42 *	739849.6 * 51. 8. 3. *
* 79.94 *	78.19	* 79.94 *	736522.0 * 58. 6.18. *
* 83.46 *	77.92	* 83.46 *	735030.0 * 67. 7. 6. *
* 86.99 *	77.88	* 86.99 *	728814.0 * 69. 6.19. *
* 90.51 *	77.86	* 90.51 *	719320.1 * 49. 6.23. *
* 94.03 *	77.08	* 94.03 *	691244.7 * 50. 7. 3. *
* 97.55 *	76.98	* 97.55 *	671605.5 * 48. 7.29. *

MEAN	80.22	803973.5
STANDARD DEV.	2.089	80296.12
SKEW	.545	.773

Figure 7.2 (Continued).

***** METEOROLOGY FOR 6/20/72*****

HOUR	WIND SP. (MPH)	DRY BULB (DEG.F)	DEWPOINT (DEG.F)	SOLAR RAD ,BTU/FT2/D,	CLOUD COVER	RELATIVE HUMIDITY
0.	7.3	72.0	64.0	0.0	.10	76.3
1.	6.9	71.0	64.0	0.0	0.00	79.0
2.	4.6	70.3	64.3	0.0	.27	81.7
3.	2.3	69.7	64.7	0.0	.53	84.3
4.	0.0	69.0	65.0	0.0	.80	87.0
5.	3.1	70.3	65.7	213.4	.83	85.3
6.	6.1	71.7	66.3	595.8	.87	83.7
7.	9.2	73.0	67.0	918.4	.90	82.0
8.	9.2	74.3	67.3	1154.7	.93	79.3
9.	9.2	75.7	67.7	1288.7	.97	76.7
10.	9.2	77.0	68.0	1315.4	1.00	74.0
11.	10.0	78.0	67.3	1420.2	1.00	70.0
12.	10.7	79.0	66.7	1455.9	1.00	66.0
13.	11.5	80.0	66.0	1420.2	1.00	62.0
14.	10.7	79.7	66.3	1315.4	1.00	63.7
15.	10.0	79.3	66.7	1148.8	1.00	65.3
16.	9.2	79.0	67.0	931.7	1.00	67.0
17.	10.7	78.0	67.0	678.8	1.00	69.3
18.	12.3	77.0	67.0	407.5	1.00	71.7
19.	13.8	76.0	67.0	136.1	1.00	74.0
20.	12.3	75.3	67.0	0.0	1.00	75.7
21.	10.7	74.7	67.0	0.0	1.00	77.3
22.	9.2	74.0	67.0	0.0	1.00	79.0
23.	11.1	74.0	66.7	0.0	1.00	78.0

Figure 7.2 (Continued).

OUTPUT FROM PROGRAM UHSPND FOR THE PERIOD
 6-21-72 THROUGH 7-28-72
 HAS BEEN OMITTED BECAUSE OF ITS LENGTH

***** METEOROLOGY FOR 7/29/72*****

HOUR	WIND SP. (MPH)	DRY BULB (DEG.F)	DEWPOINT (DEG.F)	SOLAR RAD ,BTU/FT2/D,	CLOUD COVER	RELATIVE HUMIDITY
0.	0.0	61.3	56.0	0.0	.07	83.0
1.	0.0	60.0	56.0	0.0	0.00	87.0
2.	1.9	59.3	55.7	0.0	.07	88.0
3.	3.8	58.7	55.3	0.0	.13	89.0
4.	5.8	58.0	55.0	0.0	.20	90.0
5.	5.4	59.7	56.0	68.0	.33	88.0
6.	5.0	61.3	57.0	726.0	.47	86.0
7.	4.6	63.0	58.0	1239.5	.60	84.0
8.	5.0	65.0	57.3	1520.7	.73	77.0
9.	5.4	67.0	56.7	1512.7	.87	70.0
10.	5.8	69.0	56.0	1200.6	1.00	63.0
11.	5.0	71.7	56.3	1617.2	.93	58.7
12.	4.2	74.3	56.7	1960.1	.87	54.3
13.	3.5	77.0	57.0	2177.3	.80	50.0
14.	2.3	78.0	56.7	2003.2	.80	48.0
15.	1.2	79.0	56.3	1726.3	.80	46.0
16.	0.0	80.0	56.0	1365.3	.80	44.0
17.	0.0	78.3	56.3	828.1	.87	47.3
18.	0.0	76.7	56.7	366.8	.93	50.7
19.	0.0	75.0	57.0	25.7	1.00	54.0
20.	0.0	75.0	56.7	0.0	1.00	53.3
21.	0.0	75.0	56.3	0.0	1.00	52.7
22.	0.0	75.0	56.0	0.0	1.00	52.0
23.	0.0	71.7	56.7	0.0	.93	60.7

*****NUMBER OF CARDS PUNCHED = 492*****

Figure 7.2 (Continued).

***** THE MONTHLY AVERAGE VALUES FROM 5/ 1/73 TO END OF DATA *****

	*RMS WIND * SPEED	*DRY BULB * (DEG.F)	*DEWPOINT * (DEG.F)	* SOLAR * RADIATION*	* CLOUD * COVER	*RELATIVE * HUMIDITY *
1973						
MAY	8.91	57.38	47.16	1381.6	.68	72.0
JUNE	6.12	72.79	62.67	1662.5	.61	73.1
JULY	6.43	76.14	63.78	1888.2	.46	67.7
AUGUST	5.90	75.38	64.59	1549.9	.52	71.2
SEPTEMBER	7.37	67.87	55.93	1309.3	.51	68.0
1974						
MAY	8.61	63.47	46.71	1653.4	.57	56.8
JUNE	7.59	70.60	57.27	1687.0	.61	64.7
JULY	7.54	77.27	59.89	1766.7	.51	57.6
AUGUST	5.74	76.47	63.89	1386.5	.62	66.3
SEPTEMBER	7.46	64.24	55.62	1199.7	.62	75.1
1975						
MAY	6.65	64.74	55.96	1563.7	.66	76.2
JUNE	7.61	70.57	62.24	1636.6	.58	77.0
JULY	6.84	75.01	66.34	1750.1	.50	76.7
AUGUST	6.75	75.12	66.77	1517.8	.60	77.7
SEPTEMBER	7.31	62.82	56.25	1173.4	.60	81.3

Figure 7.2 (Continued).

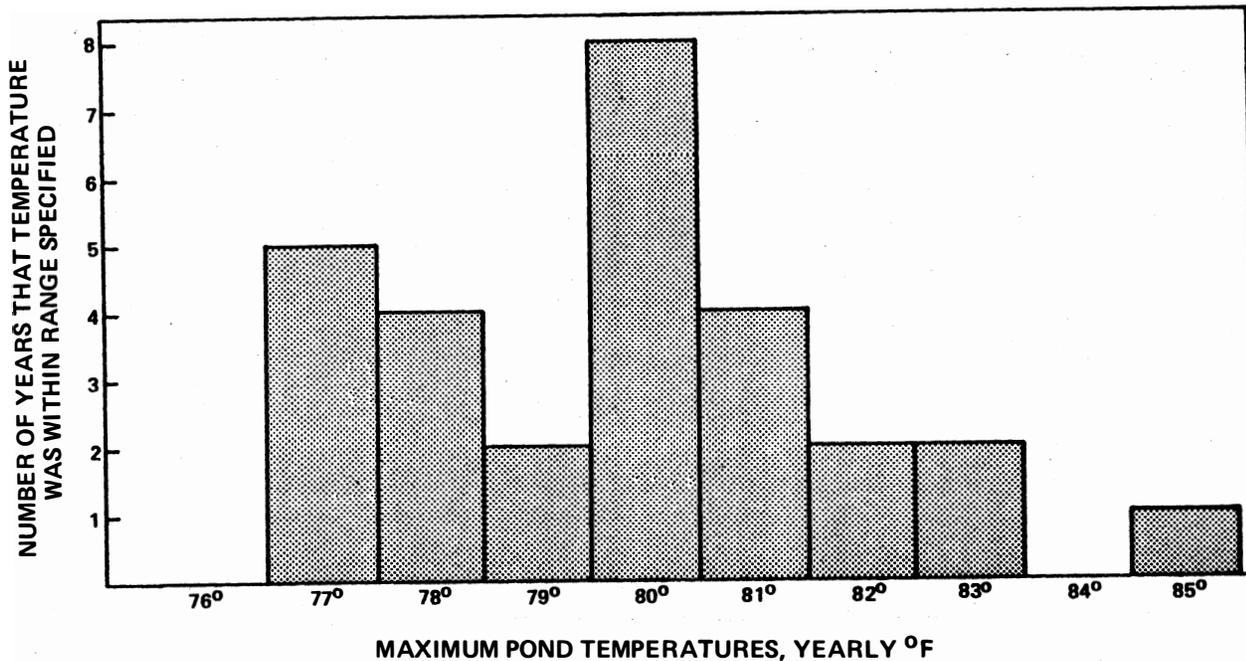


Figure 7.3 Yearly Maximum Ambient Pond Temperatures.

as set 2. The latter record lacked two of the parameters needed, solar radiation and dew point. The onsite information did include wet bulb temperature observations which allowed calculation of dew point temperatures using subroutine PSY1 presented in Appendix B. The synthesized solar radiation values from the offsite record provided by UHSPND were substituted for the onsite solar radiation. A copy of the input file for COMET is shown in Figure 7.5. Output is generated by COMET for each data card containing monthly averages. This output consists of the following information:

- (1) Monthly meteorologic averages as input for each.
- (2) Calculated monthly average equilibrium temperature and evaporation.
- (3) Differences between the average equilibrium temperatures and evaporations of the two data sets.
- (4) Component differences in the equilibrium temperature due to each meteorological parameter.

In addition to this output, the following information is printed once all of the monthly data have been read:

- (1) Coefficients of determination r^2 for the equilibrium temperatures and evaporations.
- (2) Biases between the two data sets for the equilibrium temperatures and evaporations.

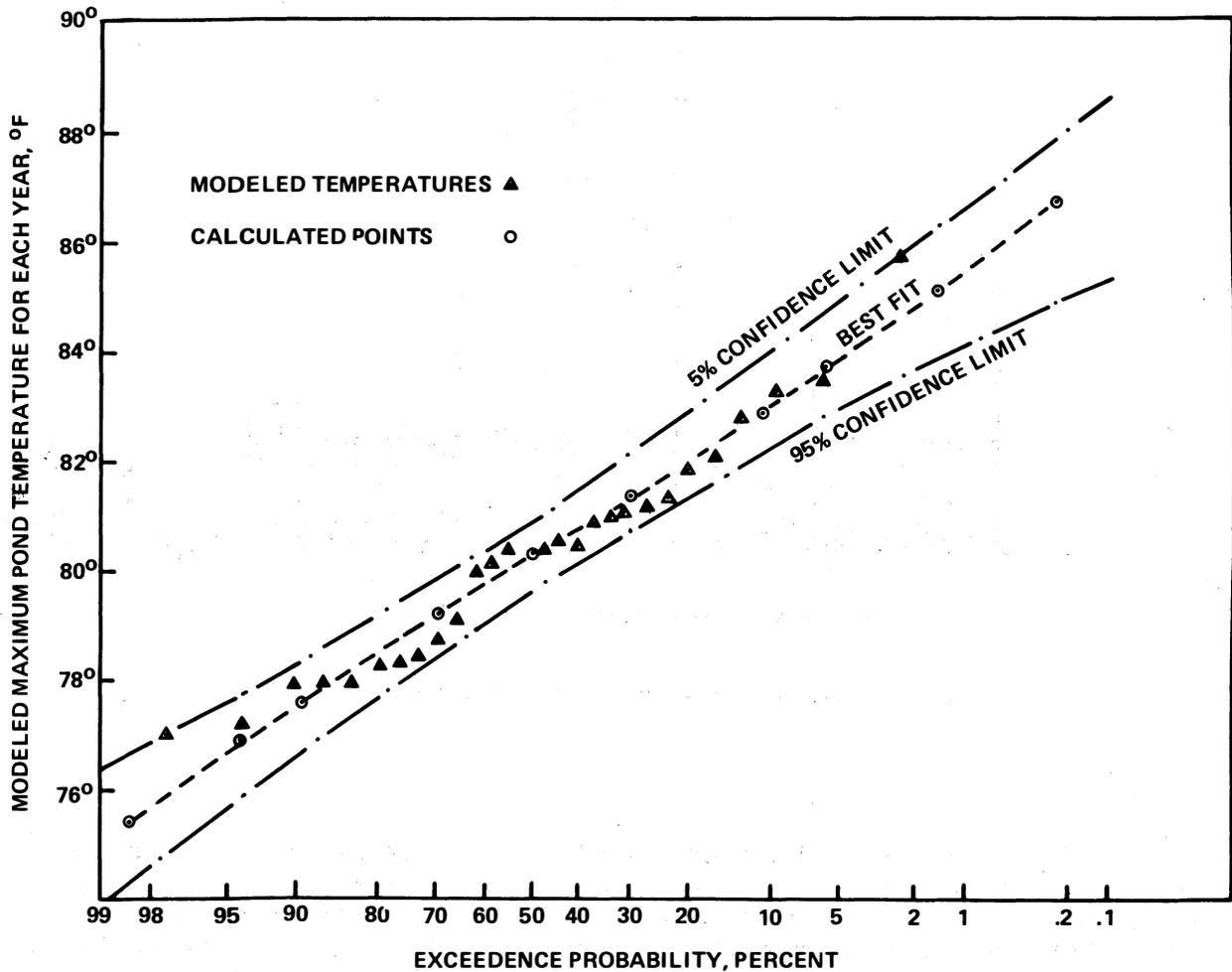


Figure 7.4 Yearly Maximum Ambient Pond Temperatures, Maximum Likelihood Frequency Curve, 0.05 and 0.95 Error Bands.

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47.2	57.4	8.91	1381.6	46.8	53.8	5.48
62.7	72.8	6.12	1662.5	61.3	67.5	3.9
63.8	76.1	6.43	1888.2	63.9	67.8	3.7
64.6	75.4	5.9	1549.9	64.8	69.4	3.2
55.9	67.9	7.37	1309.3	54.7	60.4	4.
46.7	63.5	8.61	1653.4	45.	56.7	5.6
57.3	70.6	7.59	1687.	54.5	63.1	4.8
59.9	77.3	7.54	1766.7	59.9	68.4	4.12
63.9	76.5	5.74	1386.5	62.4	68.	3.39
55.6	64.2	7.46	1199.7	53.2	58.5	4.18
56.	64.7	6.65	1563.7	53.6	61.0	4.36
62.2	70.6	7.61	1636.6	59.9	65.7	4.53
66.3	75.	6.84	1750.1	63.9	69.4	3.54
66.8	75.1	6.75	1517.8	62.6	68.2	3.94
56.3	62.8	7.31	1173.4	52.9	57.9	4.47

Figure 7.5 Input to Program COMET.

A copy of the COMET output generated for this example is presented in Figure 7.6. The correlation coefficient for the two sets of equilibrium temperatures is high (0.976), indicating that the predicted effects of the offsite meteorology on the hypothetical pond's temperature correlates closely with the effects that would have been produced by onsite meteorology had that been available. This correlation is shown graphically in Figure 7.7.

The positive bias between the onsite and offsite equilibrium temperatures indicates that the onsite equilibrium temperatures are, on the average, higher than those predicted using offsite meteorology. The primary reason for this bias is indicated from the differences due to individual meteorologic parameters. Onsite windspeeds are smaller, which leads to lower evaporation and cooling. This effect is partially offset by higher dew point and dry bulb temperatures onsite.

The positive (onsite-offsite) temperature bias will therefore be used as a temperature correction factor in subsequent calculations. Evaporation is on the average, higher for the offsite data, however, and no negative correction factor will be applied.

7.4 Final Design Basis Pond Temperature and Water Loss Computations-- Program UHS3

The final step in the cooling pond analysis is to combine the results of the programs COMET and UHS3 run from data provided by UHSPND, and the results of the manual statistical analyses to obtain a maximum water return temperature. Pond water loss is conservatively calculated manually.

Following the procedure of Section 6, two runs of UHS3 are made. The first run performs two simulations:

- (1) Calculate the pond temperature in response only to the meteorologic variables with no emergency heat load.
- (2) Calculate pond temperature in response only to heat load.

The input deck for the first run is shown in Figure 7.8. Notice that in the first INLIST input, TSKIP is set to a large time (5000 hours), to bypass the heat input table. The starting value of temperature TZERO is noncritical for this step and is set to 80°F. In the second INLIST input, TSKIP is reset to zero, and the values of K and E are chosen on the basis of experience to be 150 Btu/(ft² day)/°F and 90°F, respectively. Notice also that TZERO should be set equal to E which is 90°F.

The output from the first run is shown in Figure 7.9. If the mixed-tank model is chosen, the peak ambient pond temperature would be 86.32° F occurring 833 hours after the start. This is plotted graphically in Figure 7.10. The analysis would be similar if either the stratified- or plug-flow model had been chosen. The peak temperature due to pond heat load only would be 108.8°F or a rise of 18.8°F above the starting temperature of 90°F, and occurring at 191.6 hours after the start. This is plotted graphically in Figure 7.11.

PROGRAM TO COMPARE EQUILIBRIUM TEMPERATURES FROM TWO DATA SETS AND COMPUTE THE SENSITIVITY OF EACH VARIABLE

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	47.20	57.40	8.91	1381.60	64.80	.44
DATA SET 2	46.80	53.80	5.48	1381.60	66.99	.38
					E2-E1 = 2.197	EVAP2-EVAP1 = -.06

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = .155 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.200 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 3.481 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = 2.126 DEG. F

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	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	62.70	72.80	6.12	1662.50	80.88	.59
DATA SET 2	61.30	67.50	3.90	1662.50	81.11	.53
					E2-E1 = .228	EVAP2-EVAP1 = -.06

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -.652 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.244 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.081 DEG. F
 DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .185 DEG. F

Figure 7.6 Output of Program COMET.

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	63.80	76.10	6.43	1888.20	83.54	.69
DATA SET 2	63.90	67.80	3.70	1888.20	84.58	.59
					E2-E1 = 1.046	EVAP2-EVAP1 = -.10

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = .046 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.856 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.770 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .960 DEG. F

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	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	64.60	75.40	5.90	1549.90	81.72	.56
DATA SET 2	64.80	69.40	3.20	1549.90	82.72	.49
					E2-E1 = 1.001	EVAP2-EVAP1 = -.07

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = .099 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.381 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.231 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .949 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	55.90	67.90	7.37	1309.30	72.45	.47
DATA SET 2	54.70	60.40	4.00	1309.30	72.75	.38
					E2-E1 = .306	EVAP2-EVAP1 = -.09

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -.530 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -2.123 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.863 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .211 DEG. F

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	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	46.70	63.50	8.61	1653.40	69.11	.59
DATA SET 2	45.00	56.70	5.60	1653.40	69.98	.49
					E2-E1 = .867	EVAP2-EVAP1 = -.10

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -.572 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -2.107 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 3.432 DEG. F
 DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .753 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	57.30	70.60	7.59	1687.00	76.58	.61
DATA SET 2	54.50	63.10	4.80	1687.00	76.47	.52
					E2-E1 = -.103	EVAP2-EVAP1 = -.09

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.162 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.949 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.920 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = -.191 DEG. F

54

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	59.90	77.30	7.54	1766.70	79.99	.70
DATA SET 2	59.90	68.40	4.12	1766.70	81.45	.57
					E2-E1 = 1.463	EVAP2-EVAP1 = -.13

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = .000 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -2.152 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 3.489 DEG. F
 DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = 1.337 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	63.90	76.50	5.74	1386.50	80.45	.52
DATA SET 2	62.40	68.00	3.39	1386.50	79.53	.44

E2-E1 = -.919 EVAP2-EVAP1 = -.08

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -.729 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -2.020 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 1.786 DEG. F
 DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = -0.963 DEG. F

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	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	55.60	64.20	7.46	1199.70	70.25	.41
DATA SET 2	53.20	58.50	4.18	1199.70	70.22	.34

E2-E1 = -.031 EVAP2-EVAP1 = -.06

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.085 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.680 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.664 DEG. F
 DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = -0.100 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	56.00	64.70	6.65	1563.70	74.47	.51
DATA SET 2	53.60	61.00	4.36	1563.70	74.78	.47

E2-E1 = .309 EVAP2-EVAP1 = -.04

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.014 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -.998 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.278 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .266 DEG. F

56

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	62.20	70.60	7.61	1636.60	78.42	.57
DATA SET 2	59.90	65.70	4.53	1636.60	79.24	.51

E2-E1 = .815 EVAP2-EVAP1 = -.06

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.090 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.204 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 3.031 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .737 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	66.30	75.00	6.84	1750.10	83.07	.63
DATA SET 2	63.90	69.40	3.54	1750.10	83.85	.56

E2-E1 = .780 EVAP2-EVAP1 = -.07

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.178 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.248 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 3.123 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = .696 DEG. F

57

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	66.80	75.10	6.75	1517.80	81.75	.55
DATA SET 2	62.60	68.20	3.94	1517.80	80.52	.48

E2-E1 = -1.230 EVAP2-EVAP1 = -.07

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -2.110 DEG. F
 DIFFERENCE DUE TO DRY BULB TEMP. = -1.580 DEG. F
 DIFFERENCE DUE TO WIND SPEED = 2.402 DEG. F
 DIFFERENCE DUE TO INSOLATION = .000 DEG. F
 SUMMATION OF INDIVIDUAL DIFFERENCES = -1.288 DEG. F

Figure 7.6 (Continued).

	DEW POINT (DEG. F)	DRY BULB	WIND SPEED (MPH)	SOLAR RAD. (BTU/FT**2/DY)	EQUILIBRIUM TEMP. (DEG. F)	EVAPORATION (FT**3/FT**2)
DATA SET 1	56.30	62.80	7.31	1173.40	70.07	.38
DATA SET 2	52.90	57.90	4.47	1173.40	69.40	.33

E2-E1 = -.673 EVAP2-EVAP1 = -.05

DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1 BY PARAMETER

DIFFERENCE DUE TO DEW POINT = -1.564 DEG. F
DIFFERENCE DUE TO DRY BULB TEMP. = -1.444 DEG. F
DIFFERENCE DUE TO WIND SPEED = 2.288 DEG. F
DIFFERENCE DUE TO INSOLATION = -.000 DEG. F
SUMMATION OF INDIVIDUAL DIFFERENCES = -0.721 DEG. F

58

SAMPLE R SQUARED FOR EQUILIBRIUM TEMP. = .976 STANDARD ERROR = .932 DEG.F
SAMPLE R SQUARED FOR EVAPORATION = .956E+00 STANDARD ERROR = .177E-01FT**3/FT**2
AVERAGE E, DATA SET 1 = 76.502
AVERAGE E, DATA SET 2 = 76.906
AVERAGE E2 - AVERAGE E1 = .4036
AVERAGE EVAP2 - AVERAGE EVAP1 = -.0762

Figure 7.6 (Continued).

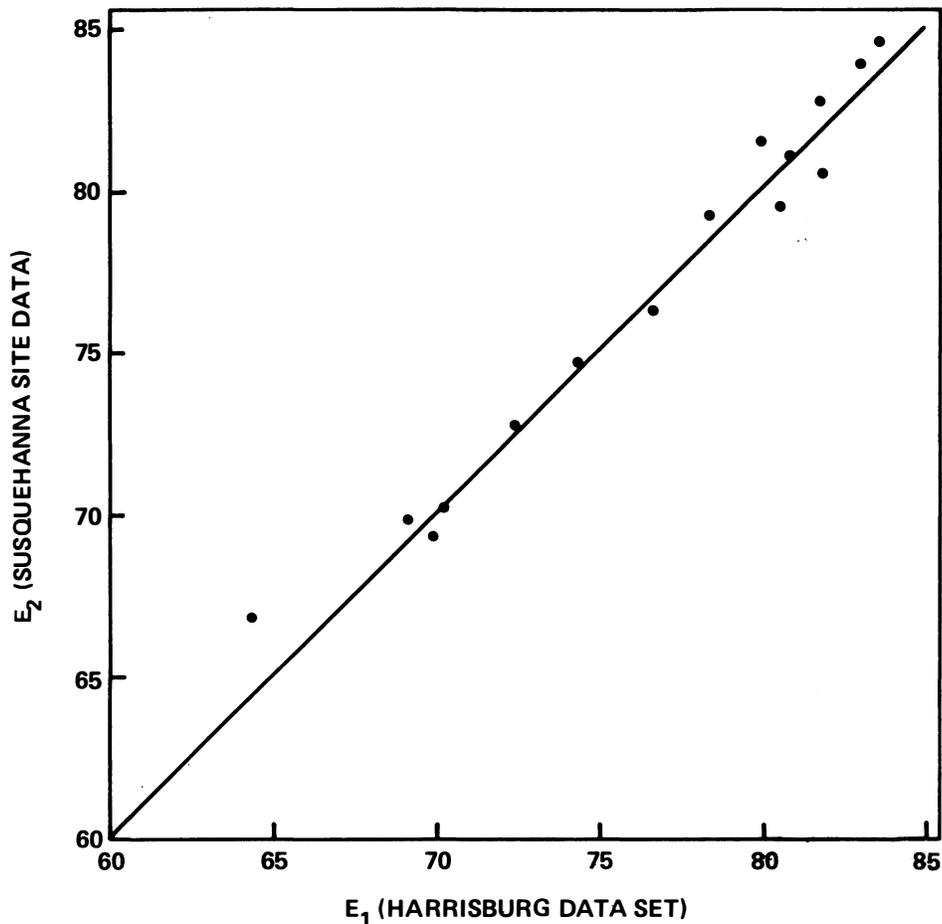


Figure 7.7 Correlation of Equilibrium Temperatures, Susquehanna River Site vs. Harrisburg Station.

The second run of program UHS3 is set up after inspection of the first run. The parameter TSKIP, which delays the start of the heat input table, is adjusted so that the temperature peaks would be superimposed:

$$TSKIP = 833 - 191.6 = 641.4 \text{ hours}$$

The data deck for this run is shown in Figure 7.12. The output from this run is shown in Figure 7.13, and shown graphically in Figure 7.14. The calculated peak pond temperature is 105.22°F occurring at 810.6 hours after start. Note that the predicted peak temperature by direct superposition of the preliminary runs is 86.32°F + 18.8°F = 105.12°F, and would occur at 833.0 hours. The close agreement is partially due to the good choice of K and E for the excess temperature calculation in the first run, and must not be deemed to be necessarily true in every case.

Because of nonlinearities in the heat transfer terms of the model, the true maximum will not necessarily occur at the time predicted for direct superposition. In fact, the calculated peak in the above example actually

```

960
1 1.9 71.3 66.3 0.01.00 84. 0.0 71.0 66.0 0.01.00 84.
2 1.5 71.0 66.0 0.01.00 84. 3.1 71.0 66.0 0.01.00 84.
3 4.6 71.0 66.0 0.01.00 84. 5.0 71.3 66.7 134.61.00 85.
4 5.4 71.7 67.3 406.21.00 86. 5.8 72.0 68.0 677.81.00 87.
5 5.8 73.7 68.0 931.01.00 83. 5.8 75.3 68.01148.31.00 78.
6 5.8 77.0 68.01315.11.00 74. 6.9 78.7 68.71759.8 .93 72.
7 8.1 80.3 69.32128.5 .87 69. 9.2 82.0 70.02369.2 .80 67.
8 8.8 82.3 70.02321.8 .77 66. 8.4 82.7 70.02134.0 .73 66.
9 8.1 83.0 70.01812.7 .70 65. 8.1 82.0 69.71259.7 .73 66.
10 8.1 81.0 69.3 717.2 .77 68. 8.1 80.0 69.0 224.6 .80 69.
11 8.1 78.0 67.3 0.0 .63 70. 8.1 76.0 65.7 0.0 .47 70.
12 8.1 74.0 64.0 0.0 .30 71. 7.7 73.0 64.0 0.0 .20 74.
13 7.3 72.0 64.0 0.0 .10 76. 6.9 71.0 64.0 0.00.00 79.
14 4.6 70.3 64.3 0.0 .27 82. 2.3 69.7 64.7 0.0 .53 84.
15 0.0 69.0 65.0 0.0 .80 87. 3.1 70.3 65.7 213.4 .83 85.

```

*** CARDS 16 TO 470 ARE NOT SHOWN ***

```

471 3.5 66.0 61.0 0.01.00 84. 2.3 67.3 60.7 30.61.00 80.
472 1.2 68.7 60.3 300.91.00 75. 0.0 70.0 60.0 571.11.00 71.
473 0.0 71.3 60.01203.3 .87 68. 0.0 72.7 60.01931.3 .73 65.
474 0.0 74.0 60.02637.6 .60 62. 1.9 75.3 58.32960.5 .57 56.
475 3.8 76.7 56.73132.5 .53 51. 5.8 78.0 55.03133.4 .50 45.
476 7.7 78.7 55.32883.8 .50 45. 9.6 79.3 55.72486.7 .50 44.
477 11.5 80.0 56.01969.2 .50 44. 9.6 78.3 55.71160.4 .67 46.
478 7.7 76.7 55.3 471.6 .83 48. 5.8 75.0 55.0 30.61.00 50.
479 3.8 71.3 55.3 0.0 .73 58. 1.9 67.7 55.7 0.0 .47 67.
480 0.0 64.0 56.0 0.0 .20 75. 0.0 62.7 56.0 0.0 .13 79.
$HFT NH=14,TH(1)=0,.01,1,1.1,1.9,3.9,5.8,12,24,29,140,840,2000,
HEAT(1)=0,0,.85E9,2*.51E9,.5E9,.68E9,.6E9,.4E9,.31E9,.27E9,.21E9,
.18E9,.1E9,FLOW(1)=14*3.6E5$
RUN TO DETERMINE AMBIENT POND TEMPERATURE
$INLIST VZERO=1.39392E7,A=1.7424E6,NSTEPS=4500,NPRINT=100,
TZERO=80,TSKIP=5000,DT=0.2$
RUN TO DETERMINE FORCED POND TEMPERATURE WITHOUT AMBIENT EFFECTS
$INLIST TSKIP=0,IMET=1,AK1=150,E=90,TZERO=90,NPRINT=100$
TERMINATE RUN
$INLIST VZERO=0$

```

Figure 7.8 Data Deck for Program UHS3, First Set.

occurred about one day earlier than predicted (an error of a day is reasonable because of the variation of meteorology on a 1-day cycle). Table 7.1 illustrates the peak temperature predicted by varying the parameter TSKIP over a range of up to 30 hours.

The results indicate that, in this case, the maximum temperature is very nearly predicted at the time indicated by the direct superposition of the peaks.

RUN TO DETERMINE AMBIENT POND TEMPERATURE

VZERO	A	BLOW	AMAKE	
.13939E+08	.17424E+07	0.	0.	
NSTEPS	NPRINT	DT	TZERO	TSKIP
4500	100	.200	80.0	5000.0
QBASE	FBASE	E	AK1	IMET
0.	0.	80.0	150.0	0
BTA	BTD	BHS	BW	
0.0	0.0	0.0	0.0	

```

.....
: HEAT IN : TIME FROM : FLOW IN :
: BTU/HR : START : FT**3/HR :
.....
:0. : 0.00 : .360E+06 :
:0. : .01 : .360E+06 :
: .850E+09 : 1.00 : .360E+06 :
: .510E+09 : 1.10 : .360E+06 :
: .510E+09 : 1.90 : .360E+06 :
: .500E+09 : 3.90 : .360E+06 :
: .680E+09 : 5.00 : .360E+06 :
: .600E+09 : 8.00 : .360E+06 :
: .400E+09 : 12.00 : .360E+06 :
: .310E+09 : 24.00 : .360E+06 :
: .270E+09 : 29.00 : .360E+06 :
: .210E+09 : 140.00 : .360E+06 :
: .180E+09 : 840.00 : .360E+06 :
: .100E+09 : 2000.00 : .360E+06 :
.....

```

Figure 7.9 Output From Program UHS3, First Set.

***** MODEL RESULTS *****

TIME	TEMPERATURE (F)			VOLUME
HR	MIXED	STRAT	PLUG	FT**3
20.0	79.9	79.9	79.9	.13920E+08
40.0	78.7	79.6	78.7	.13895E+08
60.0	77.0	78.5	77.0	.13868E+08
80.0	73.8	77.1	73.8	.13828E+08
100.0	68.2	74.8	68.2	.13765E+08
120.0	66.1	70.0	66.1	.13737E+08
140.0	65.7	68.2	65.7	.13723E+08
160.0	65.7	67.3	65.7	.13713E+08
180.0	65.9	67.1	65.9	.13705E+08
200.0	66.3	67.2	66.3	.13692E+08
220.0	68.3	67.8	68.3	.13682E+08
240.0	70.2	69.6	70.2	.13672E+08
260.0	70.3	70.6	70.3	.13661E+08
280.0	70.7	70.3	70.8	.13650E+08
300.0	70.8	70.6	70.9	.13635E+08
320.0	72.1	70.8	72.2	.13622E+08
340.0	73.2	72.4	73.2	.13612E+08
360.0	74.5	73.2	74.5	.13597E+08
380.0	74.5	74.3	74.5	.13569E+08
400.0	72.5	73.7	72.5	.13541E+08
420.0	70.8	72.1	70.8	.13519E+08
440.0	70.1	70.8	70.1	.13503E+08
460.0	70.7	70.6	70.7	.13488E+08
480.0	71.3	71.3	71.3	.13472E+08
500.0	71.6	71.5	71.6	.13458E+08
520.0	73.1	71.3	73.1	.13444E+08
540.0	74.0	72.4	74.0	.13431E+08
560.0	75.1	73.3	75.1	.13420E+08
580.0	75.9	75.0	75.9	.13409E+08
600.0	75.8	75.6	75.8	.13383E+08
620.0	77.4	75.5	77.4	.13371E+08
640.0	78.9	76.7	78.9	.13356E+08
660.0	79.4	77.5	79.4	.13340E+08
680.0	79.0	78.2	79.0	.13322E+08
700.0	79.6	78.6	79.6	.13308E+08
720.0	80.6	79.1	80.6	.13299E+08
740.0	82.5	80.0	82.5	.13288E+08
760.0	83.7	81.5	83.7	.13273E+08
780.0	83.8	82.4	83.9	.13259E+08
800.0	83.6	82.8	83.6	.13240E+08
820.0	84.6	83.3	84.6	.13220E+08
840.0	85.2	84.4	85.2	.13193E+08
860.0	84.8	84.6	84.8	.13159E+08
880.0	83.8	84.0	83.8	.13125E+08
900.0	80.0	82.8	80.0	.13068E+08

MAXIMUM MODELLED TEMPERATURES:
MIXED MODEL = 85.90 AT 833.20 HOURS
STRAT MODEL = 84.69 AT 855.80 HOURS
PLUG MODEL = 85.91 AT 833.00 HOURS

Figure 7.9 (Continued).

RUN TO DETERMINE FORCED POND TEMPERATURE WITHOUT AMBIENT EFFECTS

VZERO	A	BLOW	AMAKE	
.13939E+08	.17424E+07	0.	0.	
NSTEPS	NPRINT	DT	TZERO	TSKIP
4500	100	.200	90.0	0.0
QBASE	FBASE	E	AK1	IMET
0.	0.	90.0	150.0	1
BTA	BTD	BHS	BW	
0.0	0.0	0.0	0.0	

```

.....
: HEAT IN : TIME FROM : FLOW IN :
: BTU/HR : START : FT**3/HR :
.....
:0. : 0.00 : .360E+06 :
:0. : .01 : .360E+06 :
: .850E+09 : 1.00 : .360E+06 :
: .510E+09 : 1.10 : .360E+06 :
: .510E+09 : 1.90 : .360E+06 :
: .500E+09 : 3.90 : .360E+06 :
: .680E+09 : 5.00 : .360E+06 :
: .600E+09 : 8.00 : .360E+06 :
: .400E+09 : 12.00 : .360E+06 :
: .310E+09 : 24.00 : .360E+06 :
: .270E+09 : 29.00 : .360E+06 :
: .210E+09 : 140.00 : .360E+06 :
: .180E+09 : 840.00 : .360E+06 :
: .100E+09 : 2000.00 : .360E+06 :
.....

```

Figure 7.9 (Continued).

***** MODEL RESULTS *****

TIME	TEMPERATURE (F)			VOLUME
HR	MIXED	STRAT	PLUG	FT**3
20.0	99.6	90.8	91.6	.13878E+08
40.0	103.2	99.4	100.4	.13799E+08
60.0	105.4	101.7	101.5	.13716E+08
80.0	106.8	103.9	103.5	.13620E+08
100.0	107.7	105.3	104.4	.13496E+08
120.0	108.3	106.4	105.1	.13365E+08
140.0	108.6	107.1	105.4	.13240E+08
160.0	108.7	107.6	105.6	.13120E+08
180.0	108.8	107.9	105.7	.13006E+08
200.0	108.8	108.1	105.8	.12888E+08
220.0	108.7	108.2	105.8	.12776E+08
240.0	108.7	108.3	105.7	.12675E+08
260.0	108.6	108.3	105.7	.12576E+08
280.0	108.5	108.4	105.6	.12476E+08
300.0	108.4	108.3	105.5	.12371E+08
320.0	108.3	108.3	105.4	.12275E+08
340.0	108.3	108.2	105.4	.12184E+08
360.0	108.2	108.2	105.3	.12094E+08
380.0	108.1	108.1	105.2	.11976E+08
400.0	108.0	108.0	105.1	.11857E+08
420.0	107.9	108.0	105.1	.11741E+08
440.0	107.8	107.9	105.0	.11625E+08
460.0	107.7	107.8	104.9	.11513E+08
480.0	107.6	107.7	104.8	.11404E+08
500.0	107.6	107.7	104.8	.11301E+08
520.0	107.5	107.6	104.7	.11207E+08
540.0	107.4	107.5	104.7	.11114E+08
560.0	107.4	107.4	104.6	.11025E+08
580.0	107.3	107.4	104.5	.10940E+08
600.0	107.2	107.3	104.5	.10851E+08
620.0	107.2	107.3	104.4	.10765E+08
640.0	107.1	107.2	104.4	.10680E+08
660.0	107.1	107.1	104.3	.10599E+08
680.0	107.0	107.1	104.3	.10517E+08
700.0	107.0	107.0	104.3	.10438E+08
720.0	106.9	107.0	104.2	.10365E+08
740.0	106.9	106.9	104.2	.10291E+08
760.0	106.8	106.9	104.1	.10221E+08
780.0	106.8	106.8	104.1	.10151E+08
800.0	106.7	106.8	104.1	.10078E+08
820.0	106.7	106.7	104.0	.10005E+08
840.0	106.6	106.7	104.0	.99302E+07
860.0	106.6	106.7	103.9	.98446E+07
880.0	106.5	106.6	103.9	.97571E+07
900.0	106.3	106.5	103.8	.96482E+07

MAXIMUM MODELLED TEMPERATURES:
MIXED MODEL = 108.78 AT 194.20 HOURS
STRAT MODEL = 108.35 AT 272.20 HOURS
PLUG MODEL = 105.03 AT 209.60 HOURS

Figure 7.9 (Continued).

RUN TO DETERMINE FORCED POND TEMPERATURE WITHOUT AMBIENT EFFECTS

VZERO	A	BLOW	AMAKE	
.13939E+08	.17424E+07	0.	0.	
NSTEPS	NPRINT	DT	TZERO	TSKIP
4500	100	.200	90.0	0.0
QBASE	FBASE	E	AK1	IMET
0.	0.	90.0	150.0	1.
BTA	BTD	BHS	BW	
0.0	0.0	0.0	0.0	

```

.....
: HEAT IN : TIME FROM : FLOW IN :
: BTU/HR  : START    : FT**3/HR :
.....
: 0.       : 0.00    : .360E+06 :
: 0.       : .01     : .360E+06 :
: .850E+09 : 1.00    : .360E+06 :
: .510E+09 : 1.10    : .360E+06 :
: .510E+09 : 1.90    : .360E+06 :
: .500E+09 : 3.90    : .360E+06 :
: .680E+09 : 5.00    : .360E+06 :
: .600E+09 : 8.00    : .360E+06 :
: .400E+09 : 12.00   : .360E+06 :
: .310E+09 : 24.00   : .360E+06 :
: .270E+09 : 29.00   : .360E+06 :
: .210E+09 : 140.00  : .360E+06 :
: .180E+09 : 840.00  : .360E+06 :
: .100E+09 : 2000.00 : .360E+06 :
.....

```

Figure 7.9 (Continued).

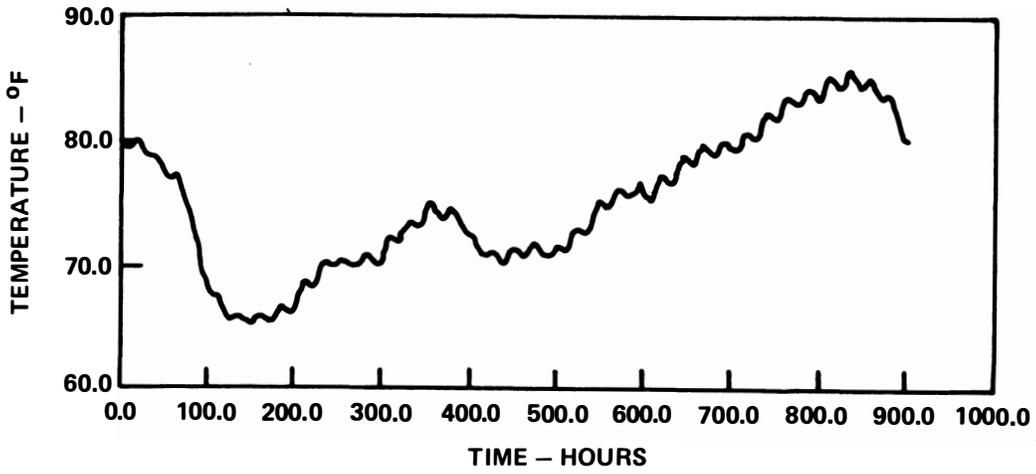


Figure 7.10 Ambient Pond Temperature as a Function of Time.

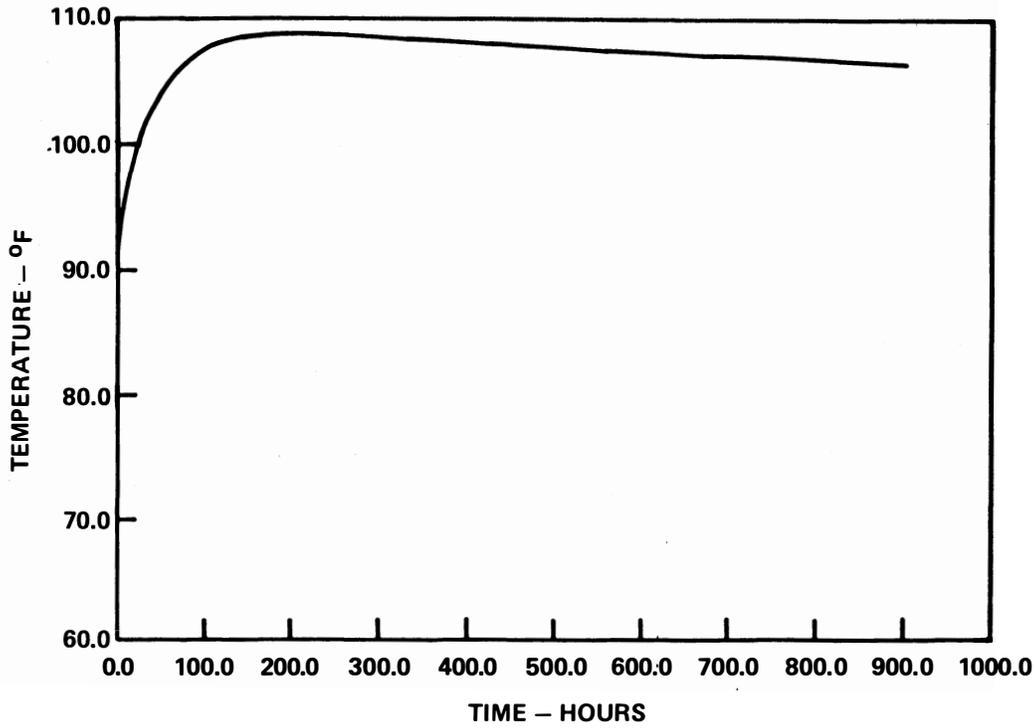


Figure 7.11 Pond Temperature With External Plant Heat Load and Constants E and K as a Function of Time.

```

960
1 1.9 71.3 66.3 0.01.00 84. 0.0 71.0 66.0 0.01.00 84.
2 1.5 71.0 66.0 0.01.00 84. 3.1 71.0 66.0 0.01.00 84.
3 4.6 71.0 66.0 0.01.00 84. 5.0 71.3 66.7 134.61.00 85.
4 5.4 71.7 67.3 406.21.00 86. 5.8 72.0 68.0 677.81.00 87.
5 5.8 73.7 68.0 931.01.00 83. 5.8 75.3 68.01148.31.00 78.
6 5.8 77.0 68.01315.11.00 74. 6.9 78.7 68.71759.8 .93 72.
7 8.1 80.3 69.32128.5 .87 69. 9.2 82.0 70.02369.2 .80 67.
8 8.8 82.3 70.02321.8 .77 66. 8.4 82.7 70.02134.0 .73 66.
9 8.1 83.0 70.01812.7 .70 65. 8.1 82.0 69.71259.7 .73 66.
10 8.1 81.0 69.3 717.2 .77 68. 8.1 80.0 69.0 224.6 .80 69.
11 8.1 78.0 67.3 0.0 .63 70. 8.1 76.0 65.7 0.0 .47 70.
12 8.1 74.0 64.0 0.0 .30 71. 7.7 73.0 64.0 0.0 .20 74.
13 7.3 72.0 64.0 0.0 .10 76. 6.9 71.0 64.0 0.00.00 79.
14 4.6 70.3 64.3 0.0 .27 82. 2.3 69.7 64.7 0.0 .53 84.
15 0.0 69.0 65.0 0.0 .80 87. 3.1 70.3 65.7 213.4 .83 85.

```

*** CARDS 16 TO 470 ARE NOT SHOWN ***

```

471 3.5 66.0 61.0 0.01.00 84. 2.3 67.3 60.7 30.61.00 80.
472 1.2 68.7 60.3 300.91.00 75. 0.0 70.0 60.0 571.11.00 71.
473 0.0 71.3 60.01203.3 .87 68. 0.0 72.7 60.01931.3 .73 65.
474 0.0 74.0 60.02637.6 .60 62. 1.9 75.3 58.32960.5 .57 56.
475 3.8 76.7 56.73132.5 .53 51. 5.8 78.0 55.03133.4 .50 45.
476 7.7 78.7 55.32883.8 .50 45. 9.6 79.3 55.72486.7 .50 44.
477 11.5 80.0 56.01969.2 .50 44. 9.6 78.3 55.71160.4 .67 46.
478 7.7 76.7 55.3 471.6 .83 48. 5.8 75.0 55.0 30.61.00 50.
479 3.8 71.3 55.3 0.0 .73 58. 1.9 67.7 55.7 0.0 .47 67.
480 0.0 64.0 56.0 0.0 .20 75. 0.0 62.7 56.0 0.0 .13 79.
$HFT NH=14,TH(1)=0,.01,1,1.1,1.9,3.9,5.8,12,24,29,140,840,2000,
HEAT(1)=0,0,.85E9,2*.51E9,.5E9,.68E9,.6E9,.4E9,.31E9,.27E9,.21E9,
.18E9,.1E9,FLOW(1)=14*3.6E5$
RUN TO DETERMINE PEAK POND TEMPERATURE
$INLIST VZERO=1.39392E7,A=1.7424E6,NSTEPS=4500,NPRINT=100,TZERO=80,
TSKIP=639.0,DT=0.2$
TERMINATE RUN
$INLIST VZERO=0$

```

Figure 7.12 Data Deck for Program UHS3, Second Set.

7.4.1 Evaporative Loss

A conservative water loss calculation will be employed in which the maximum ambient 30-day water loss will be added to the 30-day seepage loss and the evaporative loss due to heat addition assuming 100% of the excess heat is lost by evaporation:

RUN TO DETERMINE PEAK POND TEMPERATURE

VZERO	A	BLOW	AMAKE	
.13939E+08	.17424E+07	0.	0.	
NSTEPS	NPRINT	DT	TZERO	TSKIP
4500	100	.200	80.0	639.0
QBASE	FBASE	E	AK1	IMET
0.	0.	80.0	150.0	0
BTA	BTD	BHS	BW	
0.0	0.0	0.0	0.0	

```

.....
: HEAT IN : TIME FROM : FLOW IN :
: BTU/HR  : START    : FT**3/HR :
.....
: 0.       : 0.00    : .360E+06 :
: 0.       : .01     : .360E+06 :
: .850E+09 : 1.00    : .360E+06 :
: .510E+09 : 1.10    : .360E+06 :
: .510E+09 : 1.90    : .360E+06 :
: .500E+09 : 3.90    : .360E+06 :
: .680E+09 : 5.00    : .360E+06 :
: .600E+09 : 8.00    : .360E+06 :
: .400E+09 : 12.00   : .360E+06 :
: .310E+09 : 24.00   : .360E+06 :
: .270E+09 : 29.00   : .360E+06 :
: .210E+09 : 140.00  : .360E+06 :
: .180E+09 : 840.00  : .360E+06 :
: .100E+09 : 2000.00 : .360E+06 :
.....

```

Figure 7.13 Output From Program UHS3, Second Set.

***** MODEL RESULTS *****

TIME	TEMPERATURE (F)			VOLUME
HR	MIXED	STRAT	PLUG	FT**3
20.0	79.9	79.9	79.9	.13920E+08
40.0	78.7	79.6	78.7	.13895E+08
60.0	77.0	78.5	77.0	.13868E+08
80.0	73.8	77.1	73.8	.13828E+08
100.0	68.2	74.8	68.2	.13765E+08
120.0	66.1	70.0	66.1	.13737E+08
140.0	65.7	68.2	65.7	.13723E+08
160.0	65.7	67.3	65.7	.13713E+08
180.0	65.9	67.1	65.9	.13705E+08
200.0	66.3	67.2	66.3	.13692E+08
220.0	68.3	67.8	68.3	.13682E+08
240.0	70.2	69.6	70.2	.13672E+08
260.0	70.3	70.6	70.3	.13661E+08
280.0	70.7	70.3	70.8	.13650E+08
300.0	70.8	70.6	70.9	.13635E+08
320.0	72.1	70.8	72.2	.13622E+08
340.0	73.2	72.4	73.2	.13612E+08
360.0	74.5	73.2	74.5	.13597E+08
380.0	74.5	74.3	74.5	.13569E+08
400.0	72.5	73.7	72.5	.13541E+08
420.0	70.8	72.1	70.8	.13519E+08
440.0	70.1	70.8	70.1	.13503E+08
460.0	70.7	70.6	70.7	.13488E+08
480.0	71.3	71.3	71.3	.13472E+08
500.0	71.6	71.5	71.6	.13458E+08
520.0	73.1	71.3	73.1	.13444E+08
540.0	74.0	72.4	74.0	.13431E+08
560.0	75.1	73.3	75.1	.13420E+08
580.0	75.9	75.0	75.9	.13409E+08
600.0	75.8	75.6	75.8	.13383E+08
620.0	77.4	75.5	77.4	.13371E+08
640.0	79.7	76.7	78.9	.13356E+08
660.0	89.8	78.6	81.8	.13325E+08
680.0	92.9	88.5	90.0	.13277E+08
700.0	95.9	90.8	91.9	.13230E+08
720.0	98.8	94.0	95.3	.13184E+08
740.0	101.9	96.6	98.6	.13133E+08
760.0	102.8	99.7	99.7	.13063E+08
780.0	103.3	100.5	100.1	.13003E+08
800.0	102.8	101.4	99.7	.12931E+08
820.0	103.8	101.8	100.7	.12863E+08
840.0	103.0	103.1	100.0	.12772E+08
860.0	102.1	102.2	99.1	.12685E+08
880.0	100.4	101.7	97.5	.12596E+08
900.0	94.9	99.8	92.0	.12477E+08

MAXIMUM MODELLED TEMPERATURES:
MIXED MODEL = 104.61 AT 810.80 HOURS
STRAT MODEL = 103.19 AT 836.20 HOURS
PLUG MODEL = 100.77 AT 810.60 HOURS

Figure 7.13 (Continued).

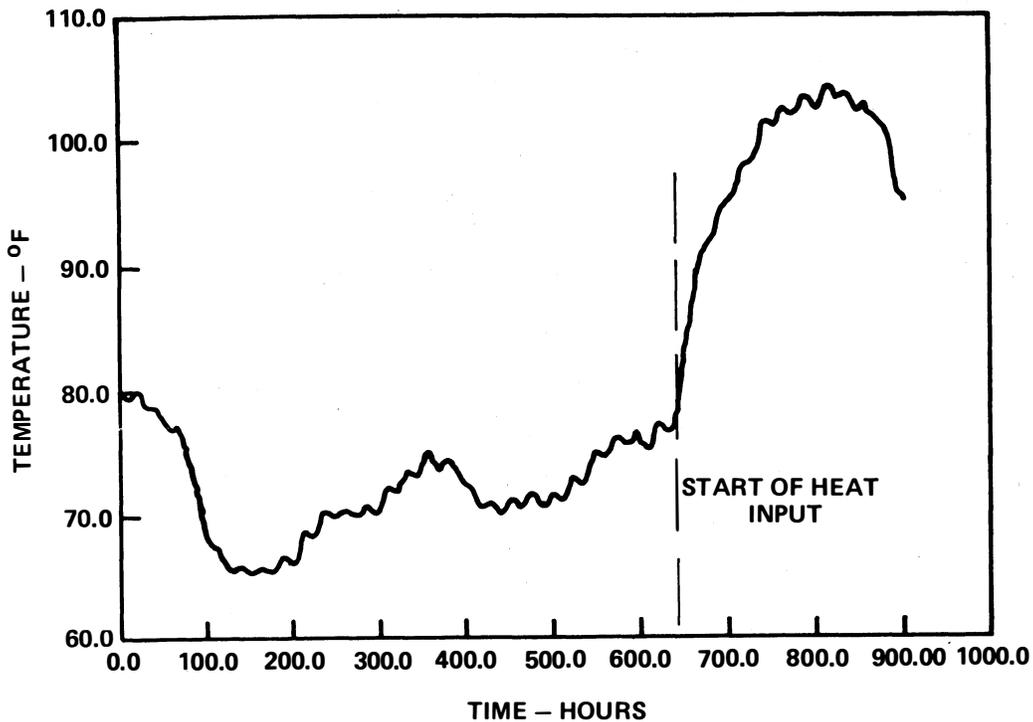


Figure 7.14 Pond Temperature (Final Calculation) as a Function of Time.

Maximum ambient 30-day loss	= $1.024 \times 10^6 \text{ ft}^3$
+ 30-day seepage	= $1.44 \times 10^6 \text{ ft}^3$
+ $\frac{153 \times 10^9 \text{ Btu}}{1000 \text{ Btu/lb} \times 62.4 \text{ lb/ft}^3}$	= $2.45 \times 10^6 \text{ ft}^3$
Total 30-day water loss	= $4.91 \times 10^6 \text{ ft}^3$

The total volume of the pond is $13.9 \times 10^6 \text{ ft}^3$, so 65% of the pond water would be left after 30 days.

7.4.2 Correction Factors for Peak Temperature and Water Loss

To the peak temperature and 30-day water loss should be added the correction factors due to (1) statistical extrapolation of the offsite data to the 1% per year exceedence values and (2) the onsite versus offsite comparison of meteorological data.

The statistical extrapolation performed with the results of the program UHSPND indicate that the maximum ambient pond temperature and 30-day evaporation are greater than the extrapolated 1% per year exceedence values. Since only positive (conservative) correction factors are taken, no correction is necessary for (1).

Table 7.1 UHS3 Final Temperature Runs Varying Starting Time

Run No.	TSKIP, hours	Hours from best estimate	Peak temperature, °F	Time of peak hours
1	641.4	0	105.22	810.6
2	617.4	-24	105.08	810.6
3	665.4	+24	105.29	810.8
4	629.4	-12	105.14	810.6
5	653.4	+12	105.26	810.8
6	635.4	- 6	105.19	810.6
7	647.4	+ 6	105.24	810.8
8	639	-2.4	105.21	810.6
9	643	+1.6	105.23	810.6

The onsite-offsite comparison of meteorological data from program COMET indicates that the onsite data would predict about a 0.4°F higher pond equilibrium temperature. Therefore, the maximum pond temperature should be raised accordingly:

$$\text{Maximum pond temperature} = 105.12^{\circ}\text{F} + 0.4^{\circ}\text{F} = 105.52^{\circ}\text{F}.$$

Offsite evaporation is predicted to be higher than that onsite, so no correction factor for evaporation should be taken.



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*Available for purchase from the NRC/GPO Sales Program, U.S. Nuclear Regulatory Commission, Washington, DC 20555.

**Available for purchase from the NRC/GPO Sales Program, U.S. Nuclear Regulatory Commission, Washington, DC 20555, and/or the National Technical Information Service, Springfield, VA 22161



APPENDIX A

Statistical Treatment of Output

Program UHSPND, in addition to determining the peak ambient pond temperature for the entire length of record, determines the maximum ambient temperature and evaporation for each year of the record. Subroutine SUB5 performs several simple manipulations of the yearly maximums to facilitate graphic analyses:

- (1) The data are ranked from highest to lowest temperature.
- (2) Their "probability" or plotting position is determined based on the number of years in the data set using the formulae (Ref. 10):

$$P_1 = 1 - (0.5)^{1/N} \quad (A-1)$$

$$P_N = (0.5)^{1/N} \quad (A-2)$$

$$P_i = P_1 - (i-1)\Delta P \quad (A-3)$$

where

$$\Delta P = \frac{2(0.5)^{1/N}}{N-1}$$

where

N = number of data points in the set

P_1 = plotting position of the highest yearly maximum

P_N = plotting position of the lowest yearly maximum

P_i = plotting position of each individual point

- (3) The first three moments of the distribution (mean, standard deviation, and skew) are determined from the formulae (Ref. 10):

$$M = \frac{\sum T}{N} \quad (\text{mean}) \quad (A-4)$$

$$s^2 = \frac{\sum T^2 - (\sum T)^2/N}{N-1} \quad (\text{standard deviation})^2 \quad (A-5)$$

$$g = \frac{N^2 \sum T^3 - 3N \sum T \sum T^2 + 2(\sum T)^3}{N(N-1)(N-2)s^3} \quad (\text{skew}) \quad (A-6)$$

where

Σ implies the sum over all N values in the data set

A.1 Additional Statistical Manipulation

The ranked annual maximum ambient temperature and evaporation data should be plotted in arithmetic-probability coordinates directly from the output from step 2 in order to get a qualitative look at the trends in the yearly maximum temperatures. A histogram of the same output may also be useful.

A maximum likelihood curve and error bands should be drawn on the probability graph following standard statistical procedures such as those outlined in Reference :

For convenience, several of the necessary tables and procedures described in this reference for Pearson type III coordinates are duplicated in the present report and will be described.

A.2 Maximum Likelihood Curve

The maximum likelihood frequency curve in probability coordinates is described by the following equation:

$$T = M + ks \quad (A-7)$$

where

M = the mean

s = the standard deviation

k = a tabulated factor dependent on probability and skew

The procedures shown here involve only temperatures, but evaporation may be treated in exactly the same way. The maximum likelihood frequency curve should be computed using the following steps:

- (1) Arbitrarily select values of P_{∞} , the probability of occurrence if the data set were drawn from an infinite population, to cover the range of interest on the graph. Suggested values would be $P_{\infty} = 0.1, 1, 10, 50, 90, 99$ and 99.9%.
- (2) For each selected value of P_{∞} , find the k value corresponding to the adopted skew coefficient using Figure A.1. (Note: Beard suggests that skew cannot be reliably determined from small data sets, so zero skew is usually adopted.)
- (3) Calculate T from Eq. (A-7) for each value of k determined.
- (4) Find the corresponding value of P_N , the probability corrected for the limited size N of the data set, for each value of P_{∞} using Figure A.2.
- (5) Plot T vs P_N for each value selected on the same probability plot that the raw data were plotted.

PEARSON TYPE III COORDINATES

g (Skew coefficient)	k = Magnitude in standard deviations from mean for exceedence percentages of:												
	0.01	0.1	1.0	5	10	30	50	70	90	95	99	99.9	99.99
1.0	5.92	4.54	3.03	1.87	1.34	0.38	-0.16	-0.61	-1.12	-1.31	-1.59	-1.80	-1.88
0.8	5.48	4.25	2.90	1.83	1.34	0.42	-0.13	-0.60	-1.16	-1.38	-1.74	-2.03	-2.18
0.6	5.04	3.96	2.77	1.79	1.33	0.45	-0.09	-0.58	-1.19	-1.45	-1.88	-2.28	-2.53
0.4	4.60	3.67	2.62	1.74	1.32	0.48	-0.06	-0.57	-1.22	-1.51	-2.03	-2.54	-2.92
0.2	4.16	3.38	2.48	1.69	1.30	0.51	-0.03	-0.55	-1.25	-1.58	-2.18	-2.81	-3.32
0.0	3.73	3.09	2.33	1.64	1.28	0.52	0.00	-0.52	-1.28	-1.64	-2.33	-3.09	-3.73
-0.2	3.32	2.81	2.18	1.58	1.25	0.55	0.03	-0.51	-1.30	-1.69	-2.48	-3.38	-4.16
-0.4	2.92	2.54	2.03	1.51	1.22	0.57	0.06	-0.48	-1.32	-1.74	-2.62	-3.67	-4.60
-0.6	2.53	2.28	1.88	1.45	1.19	0.58	0.09	-0.45	-1.33	-1.79	-2.77	-3.96	-5.04
-0.8	2.18	2.03	1.74	1.38	1.16	0.60	0.13	-0.42	-1.34	-1.83	-2.90	-4.25	-5.48
-1.0	1.88	1.80	1.59	1.31	1.12	0.61	0.16	-0.38	-1.34	-1.87	-3.03	-4.54	-5.92
Skew Coefficients Commonly Used													
.00	3.73	3.09	2.33	1.64	1.28	0.52	0.00	-0.52	-1.28	-1.64	-2.33	-3.09	-3.73
-.04	3.65	3.03	2.30	1.63	1.27	0.53	0.01	-0.52	-1.28	-1.65	-2.36	-3.15	-3.82
-.12	3.48	2.92	2.24	1.60	1.26	0.54	0.02	-0.51	-1.29	-1.67	-2.42	-3.26	-3.99
-.23	3.26	2.77	2.16	1.57	1.25	0.55	0.03	-0.50	-1.30	-1.70	-2.50	-3.42	-4.23
-.32	3.08	2.68	2.09	1.54	1.23	0.56	0.05	-0.49	-1.31	-1.72	-2.56	-3.55	-4.42
-.37	2.98	2.58	2.05	1.52	1.22	0.57	0.06	-0.48	-1.32	-1.73	-2.60	-3.63	-4.53
-.40	2.92	2.54	2.03	1.51	1.22	0.57	0.06	-0.48	-1.32	-1.74	-2.62	-3.67	-4.60
NOTE: Approximate transformations between normal deviate (X) and Pearson Type III deviate k can be accomplished with the following equation:													
$k = \frac{2}{g} \left\{ \left[\frac{g}{6} (X - \frac{g}{6}) + 1 \right]^3 - 1 \right\}$													

Figure A.1 Pearson Type III Coordinates (After Ref. 10, Exhibit 39).

TABLE OF P_N VERSUS P_∞ IN PERCENT

For use with samples drawn from a normal population

$N-1$ \ P_∞	50.0	30.0	10.0	5.0	1.0	0.1	0.01
1	50.0	37.2	24.3	20.4	15.4	12.1	10.2
2	50.0	34.7	19.3	14.6	9.0	5.7	4.3
3	50.0	33.6	16.9	11.9	6.4	3.5	2.3
4	50.0	33.0	15.4	10.4	5.0	2.4	1.37
5	50.0	32.5	14.6	9.4	4.2	1.79	.92
6	50.0	32.2	13.8	8.8	3.6	1.38	.66
7	50.0	31.9	13.5	8.3	3.2	1.13	.50
8	50.0	31.7	13.1	7.9	2.9	.94	.39
9	50.0	31.6	12.7	7.6	2.7	.82	.31
10	50.0	31.5	12.5	7.3	2.5	.72	.25
11	50.0	31.4	12.3	7.1	2.3	.64	.21
12	50.0	31.3	12.1	6.9	2.2	.58	.18
13	50.0	31.2	11.9	6.8	2.1	.52	.16
14	50.0	31.1	11.8	6.7	2.0	.48	.14
15	50.0	31.1	11.7	6.6	1.96	.45	.13
16	50.0	31.0	11.6	6.5	1.90	.42	.12
17	50.0	31.0	11.5	6.4	1.84	.40	.11
18	50.0	30.9	11.4	6.3	1.79	.38	.10
19	50.0	30.9	11.3	6.2	1.74	.36	.091
20	50.0	30.8	11.3	6.2	1.70	.34	.084
21	50.0	30.8	11.2	6.1	1.67	.33	.078
22	50.0	30.8	11.1	6.1	1.63	.31	.073
23	50.0	30.7	11.1	6.0	1.61	.30	.068
24	50.0	30.7	11.0	6.0	1.58	.29	.064
25	50.0	30.7	11.0	5.9	1.55	.28	.060
26	50.0	30.6	10.9	5.9	1.53	.27	.057
27	50.0	30.6	10.9	5.9	1.51	.26	.054
28	50.0	30.6	10.9	5.8	1.49	.26	.051
29	50.0	30.6	10.8	5.8	1.47	.25	.049
30	50.0	30.6	10.8	5.8	1.45	.24	.046
40	50.0	30.4	10.6	5.6	1.33	.20	.034
60	50.0	30.3	10.4	5.4	1.22	.16	.025
120	50.0	30.2	10.2	5.2	1.11	.13	.017
∞	50.0	30.0	10.0	5.0	1.00	.10	.010

NOTE: P_N values above are usable approximately with Pearson Type III distributions having small skew coefficients.

Figure A. 2 Table of P_N Versus P_∞ in Percent (After Ref. 10, Exhibit 40).

A.3 Error Bands

Error bands for the 5% and the 95% confidence limits may also be plotted using the following procedure:

- (1) For the same values of P_{∞} selected in the computation of the maximum likelihood frequency curve, select the error of estimation from Figure A.3 for the 0.05 and 0.95 levels of confidence ϵ_5 and ϵ_{95} , respectively.
- (2) Determine the coordinate of the error band lines using the formulae:

$$T_{0.95} = M + (k + \epsilon_{95})s \quad (A-8)$$

$$T_{0.05} = M + (k + \epsilon_5)s \quad (A-9)$$

for each value of P_{∞} .

- (3) Plot $T_{0.95}$ and $T_{0.05}$ vs P_{∞} on the same plot as the maximum likelihood curve and the raw data. (Note: Do not plot $T_{0.95}$ and $T_{0.05}$ vs P_N as in the maximum likelihood curve.)

The error limit curves express the probability of a value falling outside of the error bands in any given year. For the 95% and 5% bands, therefore, there is 1 chance in 20 that the ambient temperature value for any given recurrence interval is greater than indicated by the 5% curve and 1 chance in 20 that it is less than the 95% curve.

An example of the statistical procedure is offered in Section 7.

The maximum likelihood curves for temperature T and 30-day evaporation rate W_e are extrapolated to the 100-year recurrence interval (0.01 probability per year) to determine T_{100} and W_{100} .^{*} Correction factors for peak temperature ΔT and evaporation ΔW_e are determined by comparing T_{100} and W_{100} with their corresponding highest observed values from the record, T_{\max} and W_{\max} :

$$\Delta T = T_{100} - T_{\max} \quad (A-10)$$

$$\Delta W_e = W_{100} - W_{\max} \quad (A-11)$$

Only correction factors greater than zero are considered. If the maximum observed temperature or evaporation is higher than the 100-year recurrence values, no correction factor is taken. These correction factors may be added directly to the peak loaded pond temperature and evaporations determined in subsequent calculations.

^{*}Other recurrence intervals may be used.

ERRORS OF ESTIMATED VALUES

As Coefficients of Standard Deviation

Level of Significance*	Years of Record (N)	Exceedence Frequency in Percent						
		0.1	1	10	50	90	99	99.9
.05	5	4.41	3.41	2.12	.95	.76	1.00	1.22
	10	2.11	1.65	1.07	.58	.57	.76	.94
	15	1.52	1.19	.79	.46	.48	.65	.80
	20	1.23	.97	.64	.39	.42	.58	.71
	30	.93	.74	.50	.31	.35	.49	.60
	40	.77	.61	.42	.27	.31	.43	.53
	50	.67	.54	.36	.24	.28	.39	.49
	100	.45	.36	.25	.17	.21	.29	.37
.25	5	1.41	1.09	.68	.33	.31	.41	.49
	10	.77	.60	.39	.22	.24	.32	.39
	15	.57	.45	.29	.18	.20	.27	.34
	20	.47	.37	.25	.15	.18	.24	.30
	30	.36	.29	.19	.12	.15	.20	.25
	40	.30	.24	.16	.11	.13	.18	.22
	50	.27	.21	.14	.10	.12	.16	.20
	100	.18	.14	.10	.07	.09	.12	.15
.75	5	-.49	-.41	-.31	-.33	-.68	-1.09	-1.41
	10	-.39	-.32	-.24	-.22	-.39	-.60	-.77
	15	-.34	-.27	-.20	-.18	-.29	-.45	-.57
	20	-.30	-.24	-.18	-.15	-.25	-.37	-.47
	30	-.25	-.20	-.15	-.12	-.19	-.29	-.36
	40	-.22	-.18	-.13	-.11	-.16	-.24	-.30
	50	-.20	-.16	-.12	-.10	-.14	-.21	-.27
	100	-.15	-.12	-.09	-.07	-.10	-.14	-.18
.95	5	-1.22	-1.00	-.76	-.95	-2.12	-3.41	-4.41
	10	-.94	-.76	-.57	-.58	-1.07	-1.65	-2.11
	15	-.80	-.65	-.48	-.46	-.79	-1.19	-1.52
	20	-.71	-.58	-.42	-.39	-.64	-.97	-1.23
	30	-.60	-.49	-.35	-.31	-.50	-.74	-.93
	40	-.53	-.43	-.31	-.27	-.42	-.61	-.77
	50	-.49	-.39	-.28	-.24	-.36	-.54	-.67
	100	-.37	-.29	-.21	-.17	-.25	-.36	-.45

* Chance of true value being greater than sum of normal-curve value and given error.

Figure A.3 Errors of Estimated Values (After Ref. 10, Exhibit 6).

APPENDIX B
Computer Codes


```

PROGRAM UHSPND(INPUT,OUTPUT,TAPE9,TAPE8=/495,TAPE5=INPUT
1,TAPE6=OUTPUT,PUNCH,TAPE4=PUNCH)
C
C PROGRAM UHSPND IS A PROGRAM UNDER DEVELOPMENT BY THE STAFF OF THE
C HYDROLOGIC ENGINEERING SECTION OF THE U.S. NUCLEAR REGULATORY
C COMMISSION FOR USE IN EVALUATING THE DESIGN BASIS METEOROLOGY OF
C SMALL COOLING PONDS USED AS THE ULTIMATE HEAT SINK OF A NUCLEAR
C POWER PLANT. THE PROGRAM USES HISTORICAL WEATHER DATA PROVIDED
C ON TAPE BY THE NATIONAL WEATHER SERVICE AND A SIMPLIFIED POND
C TEMPERATURE MODEL TO DETERMINE THE PERIOD OF RECORD WHICH WOULD
C RESULT IN EITHER THE LOWEST COOLING PERFORMANCE OR HIGHEST
C EVAPORATIVE WATER LOSS IN A GIVEN POND. THE USE OF THE PROGRAM
C AND THE ANALYTICAL TECHNIQUES WHICH IT EMPLOYS ARE FULLY DESCRIBED
C IN LITERATURE AVAILABLE THROUGH THE HYDROLOGIC ENGINEERING
C SECTION. ALL QUESTIONS AND COMMENTS SHOULD BE ADDRESSED TO
C R. CODELL.
C
REAL LAT1,LAT,YRMODEY(3),YRMAX(40,8)
LAT1=0.
WRITE(6,100)
100 FORMAT(1H1,20(/),10X,'U.S. NUCLEAR REGULATORY COMMISSION- ULTIMATE
1 HEAT SINK COOLING POND METEOROLOGICAL SCANNING MODEL',/10X,'R COD
2ELL AND W NUTTLE, NOVEMBER 1979',/1H1)
NAMELIST/INPUT/N,A,V,LAT,ISRCH,IPRNT,YRMODEY
DATA N,ISRCH,IPRNT/1,1,0/
C
C READ DATA CARD
C
1 READ(5,INPUT)
IF(N.EQ.0) STOP
C
C IF THIS IS THE FIRST DATA CARD OR IF LAT HAS CHANGED, GENERATE A
C NEW INTERMEDIATE FILE.
C
IF(ABS(LAT1-LAT).GE..001) CALL SUB1(LAT)
LAT1=LAT
IF(N.GT.99) GO TO 4
IF(V.LT.0.)V=V*(-43560.)
IF(A.LT.0.)A=A*(-43560.)
A1=A/43560.
V1=V/43560.
C
C PRINT POND PARAMETERS.
C
WRITE(6,510)N,A,A1,V,V1,ISRCH,IPRNT
510 FORMAT(5(/),T20,10('*'),' POND NUMBER ',I2,' HAS THE FOLLOWING PAR
1AMETERS ',25('*'),//,T35,'SURFACE AREA',2X,F12.2,' FT**2 (',F9.2,
2' ACRES)',//,T35,'VOLUME',8X,F12.2,' FT**3 (',F9.2,' ACRE-FT)',//,
3T35,'ISRCH = ',I2,T65,'IPRNT = ',I2)
WRITE(6,550)N
550 FORMAT(5(/),T20,10('*'),' POND NUMBER ',I2,' HAS BEEN MODELLED TO
1DETERMINE THE WORST ',13('*'),//,T38,' PERIODS FOR COOLING AND EVA
2PORATIVE WATER LOSS',/1H1)
C
C MODEL TO FIND YEARLY MAXIMUM TEMPERATURES AND 30 DAY EVAPORATIVE
C LOSSES.
C
CALL SUB2(A,V,YRMAX)
C
C RANK YEARLY MAXIMUM TEMPERATURES AND 30 DAY EVAPORATIVE LOSSES\
C COMPUTE 100 YEAR EXCEEDENCES, SAMPLE MEANS, STANDARD DEVIATIONS,
C AND SKEWS.

```

Figure B.1 Listing of Program UHSPND.

C	CALL SUB5(YRMAX)	ULTSIN65
	IF(ISRCH.LE.0.OR.ISRCH.GE.6) GO TO 1	ULTSIN66
C		ULTSIN67
C	PRINT AND/OR PUNCH DAILY METEOROLOGY FOR THE PERIODS OF RECORD	ULTSIN68
C	PRECEEDING THE HIGHEST ISRCH POND TEMPERATURES. (ISRCH) 6)	ULTSIN69
C		ULTSIN70
	DO 2 I=1,ISRCH	ULTSIN71
	DO 3 J=1,3	ULTSIN72
	J1=J+1	ULTSIN73
	3 YRMODY(J)=YRMAX(I,J1)	ULTSIN74
	CALL SUB3(YRMODY,IPRNT)	ULTSIN75
	IF(IPRNT.EQ.1) WRITE(6,520)	JULY9 3
520	FORMAT(1H1)	ULTSIN77
	2 CONTINUE	ULTSIN78
	GO TO 1	ULTSIN92
	4 YRMODY(3)=1.	ULTSIN93
C		ULTSIN94
C	CALCULATE AND PRINT MONTHLY AVERAGES OF EACH PARAMETER IN METABL.	ULTSIN95
C		ULTSIN96
C	CALL SUB4(YRMODY,LAT)	ULTSIN97
	GO TO 1	ULTSIN98
	END	ULTSIN99
	SUBROUTINE SUB1(LAT)	ULTSI100
C		SUB1 2
C		SUB1 3
		SUB1 4
	REAL METABL(27,10),SRAD(25),LAT	SUB1 5
	COMMON IDATE(3), IHOURL(6),WINDSP(6),TEMPDB(6),TEMPWB(6),TEMPDP(6),	SUB1 6
	1HUMID(6),PRESSR(6),SKY(6)	SUB1 7
	DATA METABL/270*0./	SUB1 8
	DATA SRAD /25*0./	SUB1 9
	WRITE(6,520) LAT	SUB1 10
520	FORMAT(5(/),T20,10('*'),' SUBROUTINE SUB1 HAS BEEN CALLED FOR LATI	SUB1 11
	ITUDE = ',F5.2,' DEG. NORTH ',5('*'),/)	SUB1 12
C		SUB1 13
C	POSITION TAPE TO FIRST OF MAY.	SUB1 14
C		SUB1 15
	CALL READRC	SUB1 16
	I=(121-IDATE(3))*4-2	SUB1 17
	DO 2 J=1,I	SUB1 18
	2 READ(8)	SUB1 19
	3 CALL READRC	SUB1 20
	IF(IHOURL(1).NE.0) GO TO 3	SUB1 21
	IF(IDATE(2).LT.5) GO TO 3	SUB1 22
C		SUB1 23
C	READ IN FIRST 6 LINES OF DATA	SUB1 24
C		SUB1 25
	DO 4 I=1,6	SUB1 26
	METABL(I,1)=IDATE(1)	SUB1 27
	METABL(I,2)=IDATE(2)	SUB1 28
	METABL(I,3)=IDATE(3)	SUB1 29
	METABL(I,4)=IHOURL(I)	SUB1 30
	METABL(I,5)=WINDSP(I)	SUB1 31
	METABL(I,6)=TEMPDB(I)	SUB1 32
	METABL(I,7)=TEMPDP(I)	SUB1 33
	METABL(I,8)=SKY(I)	SUB1 34
	METABL(I,9)=SKY(I)	SUB1 35
	4 METABL(I,10)=HUMID(I)	SUB1 36
C		SUB1 37
C	MAKE SURE THAT THE FIRST LINE OF DATA IS COMPLETE.	SUB1 38
C	IF DATA ARE MISSING, SUBSTITUTE FROM THE SECOND OR THIRD LINES	SUB1 39
C	IF FIRST THREE LINES ARE BAD, SKIP TO THE NEXT DAY.	SUB1 40
C		SUB1 41

Figure B.1 (Continued).

	INDEX=1	SUB1	42
	IYR=IDATE(1)	SUB1	43
	IMON=IDATE(2)	SUB1	44
	IOAY=IDATE(3)	SUB1	45
	I=1	SUB1	46
	GO TO 6	SUB1	47
	5 IF(I.EQ.3) GO TO 12	SUB1	48
	I=I+1	SUB1	49
	DO 7 J=5,10	SUB1	50
	7 IF(METABL(1,J).GE.999.) METABL(1,J)=METABL(I,J)	SUB1	51
	6 DO 1 J=5,10	SUB1	52
	IF(METABL(1,J).GE.9999.) GO TO 5	SUB1	53
	1 CONTINUE	SUB1	54
	INDEX=2	SUB1	55
C		SUB1	56
C	READ IN REST OF FIRST DAY'S DATA.	SUB1	57
C		SUB1	58
	DO 8 K=7,19,6	SUB1	59
	K5=K+5	SUB1	60
	CALL READRC	SUB1	61
	DO 8 J=K,K5	SUB1	62
	IK1=I-K+1	SUB1	63
	DO 8 I=K,K5	SUB1	64
	IK1=I-K+1	SUB1	65
	METABL(I,1)=IDATE(1)	SUB1	66
	METABL(I,2)=IDATE(2)	SUB1	67
	METABL(I,3)=IDATE(3)	SUB1	68
	METABL(I,4)=IHOURL(IK1)	SUB1	69
	METABL(I,5)=WINDSP(IK1)	SUB1	70
	METABL(I,6)=TEMPDB(IK1)	SUB1	71
	METABL(I,7)=TEMPOP(IK1)	SUB1	72
	METABL(I,8)=SKY(IK1)	SUB1	73
	METABL(I,9)=SKY(IK1)	SUB1	74
	8 METABL(I,10)=HUMID(IK1)	SUB1	75
	CALL READRC	SUB1	76
	DO 9 I=1,3	SUB1	77
	I24=I+24	SUB1	78
	METABL(I24,1)=IDATE(1)	SUB1	79
	METABL(I24,2)=IDATE(2)	SUB1	80
	METABL(I24,3)=IDATE(3)	SUB1	81
	METABL(I24,4)=IHOURL(I)	SUB1	82
	METABL(I24,5)=WINDSP(I)	SUB1	83
	METABL(I24,6)=TEMPDB(I)	SUB1	84
	METABL(I24,7)=TEMPOP(I)	SUB1	85
	METABL(I24,8)=SKY(I)	SUB1	86
	METABL(I24,9)=SKY(I)	SUB1	87
	9 METABL(I24,10)=HUMID(I)	SUB1	88
	METABL(25,4)=24.	SUB1	89
C		SUB1	90
C	SEARCH DATA RECORD FOR MISSING DATA AND INTERPOLATE TO	SUB1	91
C	COMPLETE RECORD.	SUB1	92
C		SUB1	93
	DO 10 I=1,25	SUB1	94
	DO 10 K=5,10	SUB1	95
	IF (METABL(I,K).LT.9999.) GO TO 10	SUB1	96
	I1=I+1	SUB1	97
	IF(METABL(I1,K).GE.9999.) GO TO 11	SUB1	98
	I0=I-1	SUB1	99
	METABL(I,K)=METABL(I1,K)-(METABL(I1,K)-METABL(I0,K))*.5	SUB1	100
	GO TO 10	SUB1	101
	11 I2=I+2	SUB1	102
C		SUB1	103
C	IF THREE OR MORE CONSECUTIVE HOURS OF DATA ARE MISSING, SKIP	SUB1	104

Figure B.1 (Continued).

C	TO THE NEXT DAY.	SUB1 105
C		SUB1 106
	IF(METABL(I2,K).GE.9999.) GO TO 12	SUB1 107
	I0=I-1	SUB1 108
	METABL(I,K)=METABL(I2,K)-(METABL(I2,K)-METABL(I0,K))*0.6667	SUB1 109
	METABL(I1,K)=METABL(I2,K)-(METABL(I2,K)-METABL(I0,K))*0.3333	SUB1 110
	10 CONTINUE	SUB1 111
C		SUB1 112
C	GENERATE SOLAR RADIATION TERM.	SUB1 113
C		SUB1 114
	CALL SOLAR(LAT,IYR,IMON,IDAY,SRAD)	SUB1 115
		SUB1 116
C		SUB1 117
C	APPLY CLOUD COVER ADJUSTMENT (AFTER WUNDERLICH) AND READ SOLAR RAD	SUB1 118
C	IATION TERM INTO METABL.	SUB1 119
		SUB1 120
		SUB1 121
C		SUB1 122
	DO 13 I=1,25	SUB1 123
	13 METABL(I,8)=SRAD(I)*0.94*(1.-0.65*METABL(I,8)**2)	SUB1 124
C		SUB1 125
C	WRITE ONE DAY'S WEATHER RECORD IN TO INTERMEDIATE STORAGE.	SUB1 126
C		SUB1 127
	WRITE(9) METABL	SUB1 128
C		SUB1 129
C	IF NEXT DAY IS FIRST OF OCTOBER,SKIP TO NEXT MAY FIRST.	SUB1 130
C		SUB1 131
	20 IF(METABL(26,2).LE.9) GO TO 14	SUB1 132
C		SUB1 133
C	SEPARATE YEARS BY BLANK DATA RECORD.	SUB1 134
C		SUB1 135
	DO 15 I=1,27	SUB1 136
	DO 15 J=1,10	SUB1 137
	15 METABL(I,J)=0.	SUB1 138
	WRITE(9) METABL	SUB1 139
	DO 16 I=1,847	SUB1 140
	READ(8)	SUB1 141
		SUB1 142
C		SUB1 143
C	IF END OF RECORD ENCOUNTERED,RETURN TO MAIN PROGRAM.	SUB1 144
C		SUB1 145
	IF(EOF(8).NE.0) GO TO 17	SUB1 146
	16 CONTINUE	SUB1 147
	GO TO 3	SUB1 148
C		SUB1 149
C	READ IN NEXT DAY'S DATA.	SUB1 150
C		SUB1 151
	14 DO 18 I=1,3	SUB1 152
	I24=I+24	SUB1 153
	DO 18 K=1,10	SUB1 154
	18 METABL(I,K)=METABL(I24,K)	SUB1 155
	METABL(1,4)=0.	SUB1 156
	DO 19 I=4,6	SUB1 157
	METABL(I,1)=IDATE(1)	SUB1 158
	METABL(I,2)=IDATE(2)	SUB1 159
	METABL(I,3)=IDATE(3)	SUB1 160
	METABL(I,4)=IHOURL(I)	SUB1 161
	METABL(I,5)=WINDSP(I)	SUB1 162
	METABL(I,6)=TEMPDB(I)	SUB1 163
	METABL(I,7)=TEMPDP(I)	SUB1 164
	METABL(I,8)=SKY(I)	SUB1 165
	METABL(I,9)=SKY(I)	SUB1 166
	19 METABL(I,10)=HUMID(I)	SUB1 167
	INDEX=1	

Figure B.1 (Continued).

	IYR=IDATE(1)	SUB1 168
	IMON=IDATE(2)	SUB1 169
	IDAY=IDATE(3)	SUB1 170
	I=1	SUB1 171
	GO TO 6	SUB1 172
C		SUB1 173
C	WRITE ERROR MESSAGE WHEN DATA ARE SKIPPED	SUB1 174
C		SUB1 175
	12 WRITE(6,500) IMON,IDAY,IYR	SUB1 176
	500 FORMAT(T35,'DISCONTINUITY IN DATA CAUSED ',I2,'/',I2,'/',I2,' TO BSUB1'	SUB1 177
	1E SKIPPED')	SUB1 178
		SUB1 179
C	FLAG RECORD CONTAINING BAD DATA.	SUB1 180
C		SUB1 181
	METABL(2,1)=9999.	SUB1 182
	WRITE(9) METABL	SUB1 183
	GO TO (3,20),INDEX	SUB1 184
	17 REWIND 9	SUB1 185
	REWIND 8	SUB1 186
	RETURN	SUB1 187
	END	SUB1 188
	SUBROUTINE SUB2(A,V,YRMAX)	JULY9 4
C	IMPROVED VERSION OF NUTTLE PROGRAM USING 2ND ORDER RK	SUB2 3
C	R CODELL,SEPT 19,1979	SUB2 4
C		SUB2 5
C	MODELS POND TEMPERATURE RESPONSE USING DATA IN INTERMEDIATE	SUB2 6
C	STORAGE. RETURNS YEARLY MAXIMUM TEMPERATURES AND 30 DAY EVAPOR-	SUB2 7
C	ATIVE LOSSES WITH THEIR DATES OF OCCURENCE.	SUB2 8
C		SUB2 9
	COMMON/TFUNC/ CON1,CON2	SUB2 10
	REAL ABSMAX(4),METABL(27,10),TIME(25),SRAD(25),TEMPOB(25),	SUB2 11
	1TEMPDP(25),WINDSP(25),KN(4),EV(4),EVAP(30),TEMPMX(5)	SUB2 12
	2,EVPMAX(4),YRMAX(40,8),MAXT	JULY9 5
	COMMON/COEF/ CEH(6),CEL(6),CH(6),CL(6)	SUB2 14
	DATA TSTEP/1.0/	SUB2 15
	DATA STEP/.5/	SUB2 16
	DATA DTO2,DT06,DT/.5,.16666667,1.0/	SUB2 17
	DO 39 I=1,40	SUB2 18
	DO 39 J=1,8	SUB2 19
	39 YRMAX(I,J)=0.	SUB2 20
	CON1=A/(1498*V)	SUB2 21
	CON2=A/1497600.	SUB2 22
	LNDX=0	SUB2 23
	MAXT=0.	JULY9 6
	ABSMAX(1)=0.	SUB2 29
	EVPMAX(1)=0.	SUB2 30
	TEMPMX(1)=0.	SUB2 31
	EVTOT=0.	SUB2 32
	10 READ(9) METABL	SUB2 33
	IF(EOF(9).NE.0) GO TO 12	SUB2 34
	IF(METABL(2,1).GE.9999.) GO TO 10	SUB2 35
	PONDTP=METABL(1,7)	SUB2 36
	DO 30 I=1,30	SUB2 37
	30 EVAP(I)=0	SUB2 38
	1 CONTINUE	SUB2 39
	DO 131 J=1,25	SUB2 40
	SRAD(J)=METABL(J,8)	SUB2 41
	TEMPOB(J)=METABL(J,6)	SUB2 42
	TEMPDP(J)=METABL(J,7)	SUB2 43
	WINDSP(J)=METABL(J,5)	SUB2 44
	131 CONTINUE	SUB2 45
	DO 132 J=1,24	SUB2 46
	JP1=J+1	SUB2 47

Figure B.1 (Continued).

C		SUB2	48
C	CALCULATION OF POND TEMPERATURE AND EVAPORATIVE WATER LOSS USING	SUB2	49
C	THE LINEAR HEAT EXCHANGE EQUATIONS IN A SECOND ORDER RUNGE-KUTTA	SUB2	50
C	NUMERICAL INTEGRATION.	SUB2	51
C		SUB2	52
	CALL TFUN(PONDTP,TEMPDB(J),WINDSP(J),SRAD(J),TEMPDP(J),	SUB2	53
	1 KN(1),EV(1))	SUB2	54
	PTP1=PONDTP+KN(1)*DT	SUB2	55
	CALL TFUN(PTP1,TEMPDB(JP1),WINDSP(JP1),SRAD(JP1),TEMPDP(JP1),	SUB2	56
	1 KN(2),EV(2))	SUB2	57
	PONDTP=PONDTP+(KN(1)+KN(2))*DT02	SUB2	58
	EVAP(1)=EVAP(1)+(EV(1)+EV(2))*DT02	SUB2	59
C		SUB2	60
C	COLLECT MAXIMUM TEMPERATURE	SUB2	61
C		SUB2	62
	IF(PONDTP.GT.MAXT) MAXT=PONDTP	JULY9	7
132	CONTINUE	SUB2	64
C		SUB2	65
C	SEARCH FOR YEARLY MAXIMUM TEMPERATURE AND EVAPORATIVE WATER LOSS.	SUB2	66
C		SUB2	67
	DO 33 I=1,30	SUB2	68
33	EVTOT=EVTOT+EVAP(I)	SUB2	69
	IF(EVTOT.LT.EVPMAX(1))GO TO 13	SUB2	70
	EVPMAX(1)=EVTOT	SUB2	71
	EVPMAX(2)=METABL(1,1)	SUB2	72
	EVPMAX(3)=METABL(1,2)	SUB2	73
	EVPMAX(4)=METABL(1,3)	SUB2	74
13	DO 29 I=1,29	SUB2	75
	I30=30-I	SUB2	76
	I1=I30+1	SUB2	77
29	EVAP(I1)=EVAP(I30)	SUB2	78
	EVAP(1)=0.	SUB2	79
	EVTOT=0.	SUB2	80
	IF(MAXT.LT.ABSMAX(1)) GO TO 8	JULY9	8
	ABSMAX(1)=MAXT	JULY9	9
	ABSMAX(2)=METABL(1,1)	SUB2	83
	ABSMAX(3)=METABL(1,2)	SUB2	84
	ABSMAX(4)=METABL(1,3)	SUB2	85
8	CONTINUE	JULY9	10
	MAXT=0.	JULY9	11
C		SUB2	90
C	READ IN NEXT DAY'S DATA.	SUB2	91
C		SUB2	92
11	READ(9) METABL	SUB2	93
	IF(EOF(9).NE.0.0) GOTO 12	SUB2	94
	IF(METABL(1,1).GT.0.) GO TO 14	SUB2	95
	LNDX=LNDX+1	SUB2	96
	YRMAX(LNDX,1)=ABSMAX(1)	SUB2	97
	YRMAX(LNDX,2)=ABSMAX(2)	SUB2	98
	YRMAX(LNDX,3)=ABSMAX(3)	SUB2	99
	YRMAX(LNDX,4)=ABSMAX(4)	SUB2	100
	YRMAX(LNDX,5)=EVPMAX(1)	SUB2	101
	YRMAX(LNDX,6)=EVPMAX(2)	SUB2	102
	YRMAX(LNDX,7)=EVPMAX(3)	SUB2	103
	YRMAX(LNDX,8)=EVPMAX(4)	SUB2	104
	I=1	SUB2	105
	IF(ABSMAX(1).GE.TEMPMX(1))GO TO 16	SUB2	106
	I=6	SUB2	107
	GO TO 20	SUB2	108
16	IF(I.GE.5) GO TO 17	SUB2	109
	I5=5-I	SUB2	110
	DO 18 J=1,I5	SUB2	111
	L=5-J	SUB2	112

Figure B.1 (Continued).

	L1=L+1	SUB2 113
	18 TEMPMX(L1)=TEMPMX(L)	SUB2 114
	17 TEMPMX(I)=ABSMAX(1)	SUB2 117
	20 ABSMAX(1)=0.	SUB2 120
	EVPMAX(1)=0.	SUB2 121
	MAXT=0.0	JULY9 12
	GO TO 10	SUB2 124
	14 IF(METABL(2,1).LT.9999.) GO TO 1	SUB2 125
	DO 37 I=1,35	SUB2 126
	I1=I+1	SUB2 127
	37 CONTINUE	JULY9 13
	GO TO 11	SUB2 130
C		SUB2 131
C	END OF DATA FILE ENCOUNTERED. RETURN TO MAIN PROGRAM.	SUB2 132
C		SUB2 133
	12 REWIND 9	SUB2 134
	RETURN	SUB2 135
	END	SUB2 136
	SUBROUTINE TFUN(PT,DB,W,SRAD,DP,DT,DE)	TFUN 2
	COMMON/TFUNC/ CON1,CON2	TFUN 3
	DATA HSPRAY,HIN,ESPRAY/3*0.0/	TFUN 4
	TSTAR=(DP+PT)*.5	TFUN 5
	BETA=.255-.0085*TSTAR+.000204*TSTAR**2	TFUN 6
	WINFUN=70+.7*W**2	TFUN 7
	RK=15.7+(.26+BETA)*WINFUN	TFUN 8
	E=SRAD/RK+(.26*DB+BETA*DP)/(.26+BETA)	TFUN 9
	DT=(RK*(E-PT)+HIN-HSPRAY)*CON1	TFUN 10
	DE=BETA*(PT-DP)*WINFUN*CON2=ESPRAY	TFUN 11
	RETURN	TFUN 12
	END	TFUN 13
	SUBROUTINE SUB3(YRMODY,IPRNT)	JULY9 14
C		JULY9 15
C	PRINTS AND/OR PRNCHES DATA FROM INTERMEDIATE	JULY9 16
C	FILE FOR PERIOD OF 'NDYS' DAYS BEFORE AND 5	JULY9 17
C	DAYS FOLLOWING YRMODY.	JULY9 18
C		JULY9 19
C	IF IPRNT=1,DATA IS PRINTED	JULY9 20
C	IF IPRNT=-1, DATA IS PUNCHED	JULY9 21
C	IF IPRNT=0, DATA IS BOTH PRINTED AND PUNCHED	JULY9 22
C		JULY9 23
	REAL YRMODY(3),METABL(27,10),JNDX	JULY9 24
	INTEGER IDATE(3)	JULY9 25
	N=0	JULY9 26
	DATA NDYS/35/	JULY9 27
	JNDX=0.	JULY9 28
	IPNCH=0	JULY9 29
	IF(IPRNT.EQ.1) GO TO 40	JULY9 30
	IF(IPRNT.EQ.0)IPRNT=1	JULY9 31
	IPNCH=1	JULY9 32
	40 CONTINUE	JULY9 33
C		JULY9 34
C	POSITION TAPE9 TO 'NDYS' DAYS BEFORE DATE	JULY9 35
C	PROVIDED IN YRMODY. IF DATA IS NOT AVAILABLE,	JULY9 36
C	POSITION TAPE9 TO FIRST DAY OF DATA IN THE	JULY9 37
C	SAME YEAR AS YRMODY.	JULY9 38
C		JULY9 39
	READ(9) METABL	JULY9 40
	YR=METABL(1,1)	JULY9 41
	REWIND 9	JULY9 42
	IF (YRMODY(1).LE.YR) GO TO 1	JULY9 43
	N=(YRMODY(1)-YR)*154.	JULY9 44
	DO 2 I=1,N	JULY9 45
	2 READ(9) METABL	JULY9 46

Figure B.1 (Continued).

	N=0	JULY9 47
	1 IF (YRMODY(2).LE.5.)GO TO 3	JULY9 48
	N=((YRMODY(2)-5.)*31.)	JULY9 49
	IF(YRMODY(2).GT.6.)N=N-1	JULY9 50
	3 CONTINUE	JULY9 51
	N=YRMODY(3)+N-NDYS	JULY9 52
	IF(N.GT.0)GO TO 4	JULY9 53
	NDYS=NDYS+N	JULY9 54
	GO TO 6	JULY9 55
	4 DO 5 I=1,N	JULY9 56
	5 READ(9) METABL	JULY9 57
	6 CONTINUE	JULY9 58
	NDYS6=NDYS+6	JULY9 59
	N=0	JULY9 60
C		JULY9 61
C	GENERATE OUTPUT	JULY9 62
C		JULY9 63
	DO 35 I=1,NDYS6	JULY9 64
	READ(9)METABL	JULY9 65
	IF(METABL(2,1).GE.9999.)GO TO 35	JULY9 66
	IF(IPNCH.NE.1) GO TO 41	JULY9 67
	IF(I.EQ.1) PUNCH(4,610)NDYS6,METABL(1,2),METABL(1,3),METABL(1,1)	JULY9 68
610	FORMAT('** APPROXIMATELY ',I2,' DAYS OF MET. DATA FOLLOW. DATA ARE	JULY9 69
	1 PUNCHED 2 HOURS TO A',/, '**** CARD BEGINNING WITH HOUR 0 ON ',3F3SUB3	43
	2.0,' THE FORMAT FOR THE DATA IS I3,2(',/, '**** 3F5.1,F6.1,F4.2,F4SUB3	44
	2.0) WHERE FIELD 1 IS THE CARD NUMBER AND THE FOLLOWING',/, '**** VASUB3	45
	3RIABLE SEQUENCE IS REPEATED= WIND SPEED,DRY BULB,DEWPOINT,SOLAR RASUB3	46
	50=',/, '**** IATION, CLOUD COVER,AND RELATIVE HUMIDITY.')	SUB3 47
	DO 42 L=1,23,2	SUB3 48
	L1=L+1	SUB3 49
	N=N+1	SUB3 50
	42 WRITE(4,590)N,((METABL(J,K),K=5,10),J=L,L1)	SUB3 51
590	FORMAT (I3,2(3F5.1,F6.1,F4.2,F4.0))	SUB3 52
	IF(IPRNT.NE.1) GO TO 35	SUB3 53
	41 CONTINUE	SUB3 54
	IDATE(1)=METABL(1,2)	SUB3 55
	IDATE(2)=METABL(1,3)	SUB3 56
	IDATE(3)=METABL(1,1)	SUB3 57
	WRITE(6,500) IDATE	SUB3 58
	DO 39 J=1,24	SUB3 59
	39 WRITE(6,520)(METABL(J,K),K=4,10)	SUB3 60
	WRITE(6,510)	SUB3 61
500	FORMAT(1H1,5(/),T20,10('*'),' METEOROLOGY FOR '2(I2, '/') ,I2,44('*'SUB3	62
	1),///,T25,71('.'),/,T25,' HOUR , WIND SP.,DRY BULB ,DEWPOINT ,SUB3	63
	2SOLAR RAD CLOUD ,RELATIVE ',/,T25,' ,T35,' (MPH) ,(DEG.F)SUB3	64
	3 ,(DEG.F) ,BTU/FT2/D, COVER ,HUMIDITY ',/,T25,71('.'))	SUB3 65
510	FORMAT(T25,71('.'))	SUB3 66
520	FORMAT(T25,' ',3X,F3.0,3X,' ',2X,F4.1,3X,' ',2X,F5.1,2X,' ',2X,	SUB3 67
	1F5.1,2X,' ',2X,F6.1,1X,' ',3X,F4.2,2X,' ',2X,F5.1,2X,' ')	SUB3 68
	35 CONTINUE	SUB3 69
	20 CONTINUE	SUB3 100
	IF(IPNCH.EQ.1) WRITE(6,600)N	SUB3 101
600	FORMAT(1H1,5(/),T20,10('*'),' IMBER OF CARDS PUNCHED = ',I3,' ',	SUB3 102
	140('*'))	SUB3 103
	REWIND 9	SUB3 104
	RETURN	SUB3 105
	END	JULY9 70
	SUBROUTINE SUB4(YRMODY,LAT)	SUB4 2
C		SUB4 3
C	PRINTS OUT AVERAGE MONTHLY VALUES FOR METEOROLOGIC PARAMETERS	SUB4 4
C	BEGINNING WITH DATE GIVEN IN YRMODY AND ENDING WITH THE LAST	SUB4 5
C	DAY ON THE DATA TAPE.	SUB4 6
C		SUB4 7

Figure B.1 (Continued).

REAL YRMODY(3),METABL(27,10),LAT	SUB4	8
INTEGER IDATE(3),MON(5),MON:H(5)	SUB4	9
DATA MON/121,152,182,213,244/	SUB4	10
DATA MONTH/'MAY','JUNE','JULY','AUGUST','SEPTEMBER'/	SUB4	11
INDX=0	SUB4	12
WINDSP=0.	SUB4	13
TEMPDP=0.	SUB4	14
TEMPDR=0.	SUB4	15
SOLARD=0.	SUB4	16
IDATE(1)=YRMODY(2)	SUB4	17
CLOUD=0.	SUB4	18
HUMID=0.	SUB4	19
IDATE(2)=YRMODY(3)	SUB4	20
IDATE(3)=YRMODY(1)	SUB4	21
WRITE(6,500) IDATE	SUB4	22
500 FORMAT(5(/),T20,10('*')), ' THE MONTHLY AVERAGE VALUES FROM',	SUB4	23
12(I2,'/'),I2,' TO END OF DATA ',I3('*'),//)	SUB4	24
WRITE(6,510)	SUB4	25
510 FORMAT(T30,61('.'),/,T30'*RMS WIND *DRY BULB *DEWPOINT * SOLAR *SUB4	SUB4	26
1 CLOUD *RELATIVE *',/,T30,'* SPEED * (DEG.F) * (DEG.F) *RADIATSUB4	SUB4	27
2ION* COVER *HUMIDITY *')	SUB4	28
IYR=1900+IDATE(3)	SUB4	29
WRITE(6,520) IYR	SUB4	30
520 FORMAT(T20,I4,T30,61('.'),/,T30,'*',T40,'*',T50,'*',T60,'*',T70,	SUB4	31
1'*,T80,'*',T90,'*')	SUB4	32
C	SUB4	33
C	SUB4	34
POSITION TAPE9 TO FIRST DAY OF MONTH PROVIDED IN YRMODY.	SUB4	35
C	SUB4	36
READ(9) METABL	SUB4	37
YR=METABL(1,1)	SUB4	38
REWIND 9	SUB4	39
IF(YRMODY(1).LE.YR) GO TO 1	SUB4	40
N=(YRMODY(1)-YR)*154.+1.	SUB4	41
DO 2 I=1,N	SUB4	42
2 READ(9)METABL	SUB4	43
1 N=((YRMODY(2)-5.)*31.)	SUB4	44
IF(N.LE.0) GO TO 6	SUB4	45
DO 4 I=1,N	SUB4	46
4 READ(9) METABL	SUB4	47
6 IF(METABL(1,3).LE.1.) GO TO 5	SUB4	48
BACKSPACE 9	SUB4	49
READ(9)METABL	SUB4	50
GO TO 6	SUB4	51
5 IF(METABL(2,1).GE.9999.) GO TO 9	SUB4	52
C	SUB4	53
C	SUB4	54
READ IN ONE MONTH'S DATA	SUB4	55
C	SUB4	56
8 INDX=INDX+1	SUB4	57
IDATE(1)=METABL(1,2)	SUB4	58
IDATE(2)=METABL(1,3)	SUB4	59
IDATE(3)=METABL(1,1)	SUB4	60
DAYNUM=MON(IDATE(1)-4)+IDATE(2)-1	SUB4	61
IF(MOD(IDATE(3),4).EQ.0) DAYNUM=DAYNUM+1.	SUB4	62
DAYLEN=DAYLIT(LAT,DAYNUM)	SUB4	63
DO 7 I=1,24	SUB4	64
WINDSP=METABL(I,5)**2+WINDSP	SUB4	65
TEMPDR=METABL(I,6)+TEMPDR	SUB4	66
TEMPDP=METABL(I,7)+TEMPDP	SUB4	67
CLOUD=METABL(I,9)+CLOUD	SUB4	68
HUMID=METABL(I,10)+HUMID	SUB4	69
7 SOLARD=SOLARD+METABL(I,8)/DAYLEN	SUB4	70
9 READ (9) METABL	SUB4	71
IF(METABL(1,1).LE.0.) GO TO 11	SUB4	72

Figure B.1 (Continued).

	IF(METABL(1,3).LE.1.) GO TO 10	SUB4	71
	IF(METABL(2,1).GE.9999.) GO TO 9	SUB4	72
	GO TO 8	SUB4	73
	10 DAYS=INDX	SUB4	74
C		SUB4	75
C	CALCULATE AND PRINT AVERAGES	SUB4	76
C		SUB4	77
	INDX=0	SUB4	78
	AVGWS=(WINDSP/DAYS/24.)*.5	SUB4	79
	AVGDP=TEMPDP/DAYS /24.	SUB4	80
	AVGDB=TEMPDB/DAYS/24.	SUB4	81
	AVGCL=CLOUD/DAYS/24.	SUB4	82
	AVGHM=HUMID/DAYS/24.	SUB4	83
	AVGSR=SOLARD/DAYS	SUB4	84
	I=IDATE(1)-4	SUB4	85
	WRITE(6,530)MONTH(I),AVGWS,AVGDB,AVGDP,AVGSR,AVGCL,AVGHM	SUB4	86
530	FORMAT(T20,A10,'*',2X,F5.2,2X,'*',2X,F5.2,2X,'*',2X,F5.2,2X,'*',1X	SUB4	87
	1,F6.1,2X,'*',2X,F4.2,3X,'*',1X,F5.1,3X,'*',/,T30,'*',T40,'*',T50,	SUB4	88
	3'*',T60,'*',T70,'*',T80,'*',T90,'*')	SUB4	89
	WINDSP=0.	SUB4	90
	TEMPDP=0.	SUB4	91
	TEMPDB=0.	SUB4	92
	CLOUD=0.	SUB4	93
	HUMID=0.	SUB4	94
	SOLARD=0.	SUB4	95
	GO TO 5	SUB4	96
	11 DAYS=INDX	SUB4	97
C		SUB4	98
C	CALCULATE AND PRINT AVERAGES FOR THE LAST MONTH OF EACH DATA	SUB4	99
C	PERIOD	SUB4	100
C		SUB4	101
	INDX=0	SUB4	102
	AVGWS=(WINDSP/DAYS/24.)*.5	SUB4	103
	AVGDP=TEMPDP/DAYS/24.	SUB4	104
	AVGDB=TEMPDB/DAYS/24.	SUB4	105
	AVGCL=CLOUD/DAYS/24.	SUB4	106
	AVGHM=HUMID/DAYS/24.	SUB4	107
	AVGSR=SOLARD/DAYS	SUB4	108
	WRITE(6,530) MONTH(5),AVGWS,AVGDB,AVGDP,AVGSR,AVGCL,AVGHM	SUB4	109
	WINDSP=0.	SUB4	110
	TEMPDP=0.	SUB4	111
	TEMPDB=0.	SUB4	112
	SOLARD=0.	SUB4	113
	CLOUD=0.	SUB4	114
	HUMID=0.	SUB4	115
	READ(9) METABL	SUB4	116
	IF(EOF(9).NE.0) GO TO 12	SUB4	117
	IYR=1900+METABL(1,1)	SUB4	118
	WRITE(6,520) IYR	SUB4	119
	IF(METABL(2,1).GE.9999.) GO TO 9	SUB4	120
	GO TO 8	SUB4	121
	12 WRITE(6,540)	SUB4	122
540	FORMAT(T30,61('.'))	SUB4	123
	RETURN	SUB4	124
	END	SUB4	125
	SUBROUTINE SUB5(YRMAX)	SUB5	2
C		SUB5	3
C	COMPUTES SAMPLE MEAN, STANDARD DEVIATION, SKEW, AND EXCEEDENCE FOR	SUB5	4
C	YEARLY MAXIMUM TEMPERATURES AND WATER LOSSES GENERATED BY SUB2	SUB5	5
C		SUB5	6
	REAL YRMAX(40,8),JUNK(4),P(40),MT,ME	SUB5	7
	SUMT=0.	SUB5	8
	SUMT2=0.	SUB5	9
	SUMT3=0.	SUB5	10

Figure B.1 (Continued).

	SUME=0.	SUB5	11
	SUME2=0.	SUB5	12
	SUME3=0.	SUB5	13
	DO 20 L=1,40	SUB5	14
	IF(YRMAX(L,1).LE.0.) GO TO 21	SUB5	15
20	CONTINUE	SUB5	16
	L=L+1	SUB5	17
21	L=L-1	SUB5	18
C		SUB5	19
C	RANK DATA IN ORDER OF DECREASING MAGNITUDE	SUB5	20
C		SUB5	21
	DO 1 J=1,5,4	SUB5	22
	DO 1 I=2,L	SUB5	23
	I1=I-1	SUB5	24
	IF(YRMAX(I,J).LE.YRMAX(I1,J)) GO TO 1	SUB5	25
	DO 2 M=1,4	SUB5	26
	MJ=M+J-1	SUB5	27
2	JUNK(M)=YRMAX(I,MJ)	SUB5	28
	DO 3 M=1,I	SUB5	29
	IF(JUNK(1).GT.YRMAX(M,J)) GO TO 4	SUB5	30
3	CONTINUE	SUB5	31
4	DO 5 K=M,I1	SUB5	32
	KM=I-K+M	SUB5	33
	KM1=KM-1	SUB5	34
	DO 5 L2=1,4	SUB5	35
	LJ=L2+J-1	SUB5	36
5	YRMAX(KM,LJ)=YRMAX(KM1,LJ)	SUB5	37
	DO 6 L2=1,4	SUB5	38
	LJ=L2+J-1	SUB5	39
6	YRMAX(M,LJ)=JUNK(L2)	SUB5	40
1	CONTINUE	SUB5	41
C		SUB5	42
C	COMPUTE EXCEEDENCES	SUB5	43
C		SUB5	44
	RL=L	SUB5	45
	P(1)=(1.-(.5)**(1./RL))*100.	SUB5	46
	X=2.*(50.-P(1))/(RL-1.)	SUB5	47
	DO 7 I=2,L	SUB5	48
	I1=I-1	SUB5	49
7	P(I)=P(I1)+X	SUB5	50
	DO 22 I=1,L	SUB5	51
	SUMT=SUMT+YRMAX(I,1)	SUB5	52
	SUMT2=SUMT2+YRMAX(I,1)**2	SUB5	53
	SUMT3=SUMT3+YRMAX(I,1)**3	SUB5	54
	SUME=SUME+YRMAX(I,5)	SUB5	55
	SUME2=SUME2+YRMAX(I,5)**2	SUB5	56
22	SUME3=SUME3+YRMAX(I,5)**3	SUB5	57
	MT=SUMT/RL	SUB5	58
	ST=SQRT((SUMT2-(SUMT**2/RL))/(RL-1.))	SUB5	59
	GT=(RL**2*SUMT3-3.*RL*SUMT*SUMT2+2.*SUMT**3)/(ST**3*RL*(RL-1.))*	SUB5	60
1	(RL-2.)	SUB5	61
	ME=SUME/RL	SUB5	62
	SE=SQRT((SUME2-(SUME**2/RL))/(RL-1.))	SUB5	63
	GE=(RL**2*SUME3-3.*RL*SUME*SUME2+2.*SUME**3)/(SE**3*RL*(RL-1.))*	SUB5	64
1	(RL-2.)	SUB5	65
	WRITE(6,530)	SUB5	66
530	FORMAT(////)	SUB5	67
	WRITE(6,500)	SUB5	68
500	FORMAT(T20,10('*'),'THE SAMPLE OF YEARLY MAXIMUM POND TEMPERATURES	SUB5	69
	1 AND 30 DAY ',10('*'),/,T31,'EVAPORATIVE LOSSES GENERATED BY THIS	SUB5	70
	2S MODEL IS DESCRIBED BELOW.',/,T28,10(' '), 'TEMPERATURE',19(' ')	SUB5	71
	3,'EVAPORATIVE LOSS',9(' '),/,T28,'*EXCEEDED',15X, 'DATE *EXCEEDS	SUB5	72
	4DED',15X,'DATE *',/, T28,'*/100 YR* (DEG.F) *(YR.MO.DY.)*100	SUB5	73
	5 YR* FT**3 *(YR.MO.DY.)*',/,T28,65(' ')	SUB5	74

Figure B.1 (Continued).

	DO 10 I=1,L	SUB5 75
	10 WRITE(6,510) P(I),(YRMAX(I,J),J=1,4),P(I),(YRMAX(I,K),K=5,8)	SUB5 76
	510 FORMAT(T28,'*',1X,F5.2,1X,'*',3X,F5.2,3X,'*',1X,3F3.0,1X,'*',1X,	SUB5 77
	2F5.2,1X,'*',1X,F9.1,1X,'*',1X,3F3.0,1X,'*')	SUB5 78
	WRITE(6,520) MT,ME,ST,SE,GT,GE	SUB5 79
	520 FORMAT(T28,65('.'),//,T26,'MEAN',T40,F5.2,T70,F9.1,//,T17,	SUB5 80
	1'STANDARD DEV.',T40,F6.3,T70,F10.2,//,T26,'SKEW',T40,F6.3,T70,	SUB5 81
	2F11.3)	SUB5 82
	RETURN	SUB5 83
	END	SUB5 84
	SUBROUTINE READRC	READRC 2
C		READRC 3
C	READS WIND SPEED, DRY BULB TEMPERATURE, WET BULB TEMPERATURE,	READRC 4
C	DEW POINT, RELATIVE HUMIDITY, STATION PRESSURE, AND TENTHS OF	READRC 5
C	CLOUD COVER FROM NATIONAL WEATHER SERVICE DATA TAPES. WIND SPEED	READRC 6
C	IS RETURNED IN MPH, TEMPERATURE IN DEGREES FARENHEIT, AND PRESSURE	READRC 7
C	IN MM-HG. INPUT RECORD IS 495 CHARACTERS LONG.	READRC 8
C		READRC 9
	INTEGER JUNK(6,9),ISTAT(2),IWIND(6,4),ITEMP(6,6),IHUMID(6,2),	READRC10
	1IPRESS(6,4),ISKY(6,6)	READRC11
	COMMON IDATE(3), IHOURL(6),WINDSP(6),TEMPDB(6),TEMPWB(6),TEMPDP(6),	READRC12
	1HUMID(6),PRESSR(6),SKY(6)	READRC13
	READ(8,500) ISTAT, IDATE, (IHOURL(I), (JUNK(I,K),K=1,4),	READRC14
	1(IWIND(I,K),K=1,4), (ITEMP(I,K),K=1,6), IHUMID(I,1), IHUMID(I,2),	READRC15
	2(IPRESS(I,K),K=1,4), (ISKY(I,K),K=1,6), (JUNK(I,K),K=5,9), I=1,6)	READRC16
	500 FORMAT (I4,I5,3I2,6(I2,1X,I2,A1,1X,I2,A1,I1,A1,4(I2,A1),1X,	READRC17
	1I2,A1,I4,A1,I3,A1,1X,6A1, 2(A10),A2,A8,A2,4X))	READRC18
	DO 100 I=1,6	READRC19
	CALL SIGNCK (IWIND(I,3),IWIND(I,4))	READRC20
	WINDSP(I)=IWIND(I,3)	READRC21
	CALL SIGNCK (ITEMP(I,1),ITEMP(I,2))	READRC22
	WINDSP(I)=WINDSP(I)*1.15078	READRC23
	CALL SIGNCK (ITEMP(I,3),ITEMP(I,4))	READRC24
	CALL SIGNCK (ITEMP(I,5),ITEMP(I,6))	READRC25
	TEMPDB(I)=ITEMP(I,1)	READRC26
	TEMPWB(I)=ITEMP(I,3)	READRC27
	TEMPDP(I)=ITEMP(I,5)	READRC28
	CALL SIGNCK (IHUMID(I,1),IHUMID(I,2))	READRC29
	HUMID(I)=IHUMID(I,1)	READRC30
	CALL SIGNCK (IPRESS(I,3),IPRESS(I,4))	READRC31
	PRESSR(I)=IPRESS(I,3)	READRC32
	PRESSR(I)=PRESSR(I)*.01	READRC33
	ICOVER=0	READRC34
	CALL SIGNCK(ICOVER,ISKY(I,5))	READRC35
	100 SKY(I)=ICOVER*.1	READRC36
	RETURN	READRC37
	END	READRC38
	SUBROUTINE SIGNCK(IFLD,ISGN)	SIGNCK 2
C	THIS SUBROUTINE FURNISHED BY NATIONAL CLIMATIC CENTER, ASHEVILLE	SIGNCK 3
C	WILL TEST ANY PSYCHROMETRIC WITH A SIGN-OVER-UNITS	SIGNCK 4
C	POSITION READ AS A1 AND THE HIGH ORDER POSITION AS AN	SIGNCK 5
C	I SPECIFICATION OF PROPER WIDTH	SIGNCK 6
C	THE SIGN SHOULD ENTER THE PARAMETER LIST AS ISGN,	SIGNCK 7
C	THE REMAINING PORTION AS IFLD	SIGNCK 8
C	UPON RETURN FROM THE SUBROUTINE THE VALUE OF IFLD WILL BE	SIGNCK 9
C	AN INTEGER WITH PROPER SIGN	SIGNCK10
C	IT WILL BE THE USER'S RESPONSIBILITY TO CONVERT THIS	SIGNCK11
C	TO DECIMAL WITH PROPER DECIMAL ALIGNMENT	SIGNCK12
C	INVALID CONDITION CAUSES IFLD TO BE SET TO 9999	SIGNCK13
	DIMENSION IP(10),MIN(10),NUM(10)	SIGNCK14
	DIMENSION INUM(10)	SIGNCK15
	DATA INUM/'1','2','3','4','5','6','7','8','9','0'/	SIGNCK16
C	NOTE - SOME COMPUTER SYSTEMS MAY REQUIRE DIFFERENT CHARACTERS AS	SIGNCK17
C	THE LAST CHARACTERS IN ARRAYS IP AND MIN	SIGNCK18

Figure B.1 (Continued).

	DATA MIN/'J','K','L','M','N','O','P','Q','R','I'/	SIGNCK19
	DATA IP/'A','B','C','D','E','F','G','H','I',	SIGNCK20
	I 72555555555555555558/	SIGNCK21
	DATA NUM/1,2,3,4,5,6,7,8,9,0/	SIGNCK22
	DATA IAST/'*'/	SIGNCK23
	DATA MINUS/'-'/	SIGNCK24
	DATA NULL/' '/	SIGNCK25
	IF (ISGN.EQ.NULL.AND.IFLD.NE.0) GO TO 125	SIGNCK26
	IF (ISGN.EQ.IAST) GO TO 105	SIGNCK27
	IF (ISGN.EQ.MINUS) GO TO 110	SIGNCK28
	DO 100 K=1,10	SIGNCK29
	IF (ISGN.EQ.IP(K)) GO TO 115	SIGNCK30
	IF (ISGN.EQ.MIN(K)) GO TO 120	SIGNCK31
	IF (ISGN.EQ.INUM(K)) GO TO 115	SIGNCK32
100	CONTINUE	SIGNCK33
105	IFLD=999999	JULY9 71
	RETURN	SIGNCK35
110	IFLD=10	SIGNCK36
	RETURN	SIGNCK37
125	IFLD=IFLD*10	SIGNCK38
	RETURN	SIGNCK39
115	IFLD=IFLD+10+NUM(K)	SIGNCK40
	RETURN	SIGNCK41
120	IFLD=- (IFLD*10+NUM(K))	SIGNCK42
	RETURN	SIGNCK43
	END	SIGNCK44
	SUBROUTINE SOLAR (LAT,YR,MONTH,DAY,SRAD)	SOLAR 2
C		SOLAR 3
C	RETURNS INSOLATION IN BTU/FT**2/DAY AT EACH HOUR OF THE DAY.	SOLAR 4
C		SOLAR 5
	INTEGER YR,MONTH,DAY,MONDAT(12)	SOLAR 6
	REAL LAT,SRAD(25)	SOLAR 7
	DATA MONDAT/0,31,59,90,120,151,181,212,243,273,304,334/	SOLAR 8
	LP=MOD(YR,4)	SOLAR 9
	IF(LP.NE.0)GO TO 120	SOLAR 10
	DO 100 I=3,12	SOLAR 11
100	MONDAT(I)=MONDAT(I)+1	SOLAR 12
120	NUM=MONDAT(MONTH)+DAY	SOLAR 13
C		SOLAR 14
C	FIND TOTAL POSSIBLE DAILY RADIATION AND LENGTH OF DAYLIGHT.	SOLAR 15
C		SOLAR 16
	TOTRAD=HAMN(LAT,YR,NUM)	SOLAR 17
	DAYNUM=NUM	SOLAR 18
	DAYLEN=DAYLIT(LAT,DAYNUM)	SOLAR 19
C		SOLAR 20
C	CALCULATE THE SINUSOIDAL VARIATION IN DAILY RADIATION.	SOLAR 21
C		SOLAR 22
	T1=.5*DAYLEN	SOLAR 23
	A=.5*TOTRAD	SOLAR 24
	W=.2618	SOLAR 25
	ALPHA=1./(1./(A*W)*SIN(W*T1)-T1/A*COS(W*T1))	SOLAR 26
	ALPT0=ALPHA*COS(W*T1)	SOLAR 27
	DO 130 I=1,25	SOLAR 28
	T0=I-1.	SOLAR 29
	SRAD(I)=0.	SOLAR 30
	T0=ABS(T0-12.)	SOLAR 31
C		SOLAR 32
C	CALCULATE RATE OF INSOLATION FOR EACH HOUR OF DAYLIGHT.	SOLAR 33
C		SOLAR 34
	IF(T0.LE.T1)SRAD(I)=(ALPHA*COS(W*T0)-ALPT0)*DAYLEN	SOLAR 35
130	CONTINUE	SOLAR 36
	IF(LP.NE.0) RETURN	SOLAR 37
	DO 140 I=3,12	SOLAR 38
140	MONDAT(I)=MONDAT(I)-1	SOLAR 39
	RETURN	SOLAR 40
	END	SOLAR 41

Figure B.1 (Continued).

```

FUNCTION DAYLIT(LAT, DAYNUM)
C
C RETURNS HOURS OF DAYLIGHT GIVEN LATITUDE OF OBSERVATION AND
C NUMBER OF THE DAY OF THE YEAR. LATITUDE MUST BE BETWEEN 25 AND
C 50 DEGREES NORTH. THE SOURCE FOR THE LENGTH OF DAYLIGHT INFOR-
C MATION (STORED IN ARRAY 'LENGTH') IS THE SMITHSONIAN METEOROLOG-
C ICAL TABLES.
C
REAL LAT, LATBL(6), LENGTH(6,10), DAY(10)
DATA LATBL/25.,30.,35.,40.,45.,50.01/
DATA DAY/-10.,13.,79.,145.,172.,197.,263.,333.,355.,378./
DATA (LENGTH(I,I), I=1,10)
1 /10.58,10.73,12.15,13.50,13.68,13.53,12.17,10.73,10.58,10.73/
DATA (LENGTH(2,I), I=1,10)
2 /10.20,10.40,12.15,13.83,14.08,13.87,12.17,10.40,10.20,10.40/
DATA (LENGTH(3,I), I=1,10)
3 /9.80,10.03,12.15,14.23,14.52,14.26,12.20,10.02,9.80,10.03/
DATA (LENGTH(4,I), I=1,10)
4 /9.33,9.60,12.18,14.67,15.02,14.70,12.22,9.60,9.33,9.60/
DATA (LENGTH(5,I), I=1,10)
5 /8.75,9.10,12.19,15.28,15.61,15.23,12.23,9.09,8.75,9.10/
DATA (LENGTH(6,I), I=1,10)
6 /8.07,8.50,12.22,15.83,16.38,15.88,12.28,8.48,8.07,8.50/
DO 100 I=2,10
I1=I-1
IF(DAYNUM.GE.DAY(I1).AND.DAYNUM.LT.DAY(I))GO TO 110
100 CONTINUE
110 DO 120 K=2,6
K1=K-1
IF(LAT.GE.LATBL(K1).AND.LAT.LT.LATBL(K)) GO TO 130
120 CONTINUE
C
C LINEAR INTERPOLATION OF TABLE 'LENGTH'.
C
130 DELDY=(DAY(I)-DAYNUM)/(DAY(I)-DAY(I1))
A=LENGTH(K1,I)-(DELDY*(LENGTH(K1,I)-LENGTH(K1,I1)))
B=LENGTH(K,I)-(DELDY*(LENGTH(K,I)-LENGTH(K,I1)))
DAYLIT=B-(LATBL(K)-LAT)/5.*(B-A)
RETURN
END
FUNCTION HAMN(LAT, YR, MODA)
C
C SOLAR RADIATION ON HORIZONTAL SURFACE
C FROM HAMON, WEISS, + WILSON )100(>
C #MONTHLY WEATHER REVIEW#--PAGE 141--JUNE 1954
C PROGRAM AUTHOR--E.C.LONG. COMPUTER SCIENCES DIVISION--ORNL
C UNION CARBIDE NUCLEAR DIVISION. OAK RIDGE, TENNESSEE
C **** DAILY RADIATION RETURNED IN BTU'S ****
REAL DATE(16), L25(16), L30(16), L35(16), L40(16), L45(16), L50(16),
1 LT(6), LAT, X(3), Y(3), L(96)
INTEGER IM(12), N(12), YR
EQUIVALENCE (L(1),L25(1)), (L(17),L30(1)), (L(33),L35(1)),
1 (L(49),L40(1)), (L(65),L45(1)), (L(81),L50(1))
DATA DATE /-41.0,-11.0,20.0,51.0,79.0,110.0,140.0,
1 171.0,201.0,232.0,263.0,293.0,324.0,354.0,385.0,416.0/
DATA L25 /1754.0,1616.0,1794.0,2116.0,2399.0,2611.0,2708.0,
1 2729.0,2695.0,2571.0,2338.0,2030.0,1754.0,1616.0,
2 1794.0,2116.0/
DATA L30 /1557.0,1390.0,1570.0,1909.0,2266.0,2557.0,2699.0,
1 2729.0,2662.0,2503.0,2224.0,1873.0,1557.0,1390.0,
2 1570.0,1909.0/
DATA L35 /1338.0,1149.0,1351.0,1723.0,2124.0,2492.0,2680.0,
1 2729.0,2645.0,2426.0,2064.0,1685.0,1338.0,1149.0,
2 1351.0,1723.0/
DAYLIT 2
DAYLIT 3
DAYLIT 4
DAYLIT 5
DAYLIT 6
DAYLIT 7
DAYLIT 8
DAYLIT 9
DAYLIT 10
DAYLIT 11
DAYLIT 12
DAYLIT 13
DAYLIT 14
DAYLIT 15
DAYLIT 16
DAYLIT 17
DAYLIT 18
DAYLIT 19
DAYLIT 20
DAYLIT 21
DAYLIT 22
DAYLIT 23
DAYLIT 24
DAYLIT 25
DAYLIT 26
DAYLIT 27
DAYLIT 28
DAYLIT 29
DAYLIT 30
DAYLIT 31
DAYLIT 32
DAYLIT 33
DAYLIT 34
DAYLIT 35
DAYLIT 36
DAYLIT 37
DAYLIT 38
DAYLIT 39
DAYLIT 40
DAYLIT 41
HAMN 2
HAMN 3
HAMN 4
HAMN 5
HAMN 6
HAMN 7
HAMN 8
HAMN 9
HAMN 10
HAMN 11
HAMN 12
HAMN 13
HAMN 14
HAMN 15
HAMN 16
HAMN 17
HAMN 18
HAMN 19
HAMN 20
HAMN 21
HAMN 22
HAMN 23
HAMN 24

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Figure B.1 (Continued).

	DATA L40	/1103.0,909.7,1103.0,1514.0,1947.0,2397.0,2655.0,	HAMN	25
1	2729.0,2603.0,2342.0,1951.0,1479.0,1103.0,909.7,		HAMN	26
2	1103.0,1514.0/		HAMN	27
	DATA L45	/882.7,687.3,881.0,1311.0,1778.0,2289.0,2618.0,	HAMN	28
1	2729.0,2571.0,2247.0,1769.0,1274.0,882.7,687.3,881.0,1311.0/		HAMN	29
	DATA L50	/682.3,463.3,631.0,1053.0,1568.0,2165.0,2581.0,	HAMN	30
1	2729.0,2527.0,2136.0,1584.0,1060.0,682.3,463.3,631.7,1053.0/		HAMN	31
	DATA LT	/25.0,30.0,35.0,40.0,45.0,50.0/	HAMN	32
	DATA IM	/1,32,60,91,121,152,182,213,244,274,305,335/	HAMN	33
	DATA N	/31,28,31,30,31,30,31,31,30,31,30,31/	HAMN	34
	DAYC=MODA		HAMN	35
	LEAP=MOD(YR,4)		HAMN	36
	IF (LEAP.NE.0) GO TO 110		HAMN	37
	DO 100 I=4,16		HAMN	38
	DATE(I)=DATE(I)+L.0		HAMN	39
100	CONTINUE		HAMN	40
	DO 105 I=2,11		HAMN	41
	IM(I)=IM(I)+1		HAMN	42
	N(I)=N(I)+1		HAMN	43
105	CONTINUE		HAMN	44
110	SUM=0.0		HAMN	45
	IF (MODA.GT.0) GO TO 115		HAMN	46
C	FOR MODA)0 FIND AVERAGE SOLAR RADIATION FOR MONTH -MODA		HAMN	47
	MO=-MODA		HAMN	48
	I1=IM(MO)		HAMN	49
	ID=N(MO)		HAMN	50
	I2=I1+ID-1		HAMN	51
	DAYS=ID		HAMN	52
	DAY=I1		HAMN	53
	GO TO 120		HAMN	54
C	FOR MODA>0 FIND RADIATION FOR DAY #DAYC#		HAMN	55
C	DAYC IS EQUIVALENCED TO MODA		HAMN	56
115	I1=1		HAMN	57
	ID=1		HAMN	58
	I2=1		HAMN	59
	DAY=DAYC		HAMN	60
	DAYS=1.0		HAMN	61
120	DO 180 II=I1,I2		HAMN	62
C	DETERMINE IF DAY IS TABULAR		HAMN	63
C	OF IF DAY NOT TABULAR, INDEX OF DAY		HAMN	64
	MD=0		HAMN	65
	MI=0		HAMN	66
	DO 130 I=2,14		HAMN	67
	DATEI=DATE(I)		HAMN	68
	IF (DAY.NE.DATEI) GO TO 125		HAMN	69
	MD=I		HAMN	70
	GO TO 140		HAMN	71
C	MD HAS INDEX I IF DAY=DATE(I)		HAMN	72
125	IF (DAY.GT.DATEI.AND.DAY.LT.DATE(I+1)) GO TO 135		HAMN	73
130	CONTINUE		HAMN	74
	GO TO 140		HAMN	75
135	MI=I		HAMN	76
C	MI=I FOR DATE(I)DAY)DATE(I+1)		HAMN	77
C	DETERMINE IF LAT IS TABULAR VALUE		HAMN	78
140	IF (MODA.LT.0.AND.II.GT.I1) GO TO 150		HAMN	79
	ML=0		HAMN	80
	DO 145 I=1,6		HAMN	81
	IF (LAT.NE.LT(I)) GO TO 145		HAMN	82
	ML=I		HAMN	83
C	ML=I FOR LAT TABULAR VALUE		HAMN	84
	GO TO 150		HAMN	85
145	CONTINUE		HAMN	86
150	IF (MD*ML.EQ.0) GO TO 155		HAMN	87

Figure B.1 (Continued).

C	TABULAR DATE + LATITUDE	HAMN	88
	J=(ML-1)*16+MD	HAMN	89
	HAMN=L(J)	HAMN	90
	GO TO 175	HAMN	91
155	IF (ML.EQ.0) GO TO 160	HAMN	92
C	NON TABULAR DATE + TABULAR LATITUDE	HAMN	93
	MI=MI-1	HAMN	94
	J=(ML-1)*16+MI1	HAMN	95
	HAMN=YLAG(DAY,DATE(MI1),L(J),4)	HAMN	96
	GO TO 175	HAMN	97
160	IF (LAT.LE.32.5) LATF=1	HAMN	98
	IF (LAT.GT.32.5.AND.LAT.LE.37.5) LATF=2	HAMN	99
	IF (LAT.GT.37.5.AND.LAT.LE.42.5) LATF=3	HAMN	100
	IF (LAT.GT.42.5) LATF=4	HAMN	101
	X(1)=LT(LATF)	HAMN	102
	X(2)=LT(LATF+1)	HAMN	103
	X(3)=LT(LATF+2)	HAMN	104
	IF (MD.EQ.0) GO TO 165	HAMN	105
C	TABULAR DAY + NON TABULAR LATITUDE	HAMN	106
	Y(1)=L((LATF-1)*16+MD)	HAMN	107
	Y(2)=L(LATF*16+MD)	HAMN	108
	Y(3)=L((LATF+1)*16+MD)	HAMN	109
	GO TO 170	HAMN	110
C	NON TABULAR DATE + NON TABULAR LATITUDE	HAMN	111
165	M1=MI-1	HAMN	112
	Y(1)=YLAG(DAY,DATE(M1),L((LATF-1)*16+M1),4)	HAMN	113
	Y(2)=YLAG(DAY,DATE(M1),L(LATF*16+M1),4)	HAMN	114
	Y(3)=YLAG(DAY,DATE(M1),L((LATF+1)*16+M1),4)	HAMN	115
170	HAMN=YLAG(LAT,X,Y,3)	HAMN	116
	DAY=DAY+1.0	HAMN	117
175	DAY=DAY+1.0	HAMN	118
180	SUM=SUM+HAMN	HAMN	119
	HAMN=AMIN1(2729.0,AMAX1(SUM/DAYS,0.0))	HAMN	120
	IF (LEAP.NE.0) RETURN	HAMN	121
	DO 185 I=4,16	HAMN	122
	DATE(I)=DATE(I)-1.0	HAMN	123
185	CONTINUE	HAMN	124
	DO 190 I=2,11	HAMN	125
	IM(I)=IM(I)-1	HAMN	126
	N(I)=N(I)-1	HAMN	127
190	CONTINUE	HAMN	128
	RETURN	HAMN	129
	END	HAMN	130
	FUNCTION YLAG(XI,X,Y,N)	YLAG	2
C	N=POINT LAGRANGIAN INTERPOLATION WHERE I=1,N	YLAG	3
C	SPECIAL VERSION FOR USE WITH FUNCTION #HAMN#	YLAG	4
C	PROGRAM AUTHOR--E.C.LONG. COMPUTER SCIENCES DIVISION--ORNL	YLAG	5
C	UNION CARBIDE NUCLEAR DIVISION. OAK RIDGE, TENNESSEE	YLAG	6
	DIMENSION X(N),Y(N)	YLAG	7
	S=0.0	YLAG	8
	P=1.0	YLAG	9
	DO 110 J=1,N	YLAG	10
	P=P*(XI-X(J))	YLAG	11
	D=1.0	YLAG	12
	DO 105 I=1,N	YLAG	13
	IF (I.NE.J) GO TO 100	YLAG	14
	XD=XI	YLAG	15
	GO TO 105	YLAG	16
100	XD=X(J)	YLAG	17
105	D=D*(XD-X(I))	YLAG	18
110	S=S+Y(J)/D	YLAG	19
	YLAG=S*P	YLAG	20
	RETURN	YLAG	21
	END	YLAG	22

Figure B.1 (Continued).

```

PROGRAM COMET(INPUT,OUTPUT,TAPE5=INPUT,TAPE6=OUTPUT)
C
C THIS PROGRAM CALCULATES THE DIFFERENCE BETWEEN THE EQUILIBRIUM TEMPERATURES OF TWO DATA SETS AND THE SENSITIVITY TO THE VARIOUS PARAMETERS.
C
C R. CODELL AND W. NUTTLE; USNRC, OCTOBER, 1978
C
C TD1= DEW POINT TEMP. FOR DATA SET 1 (F)
C TA1= DRY BULB TEMP. FOR DATA SET 1 (F)
C W1= WIND SPEED FOR DATA SET 1 (MPH)
C H1= RATE OF INSOLATION FOR DATA SET 1 (BTU/FT**2/DAY)
C TD2= DEW POINT TEMP. FOR DATA SET 2 (F)
C TA2= DRY BULB TEMP. FOR DATA SET 2 (F)
C W2= WIND SPEED FOR DATA SET 2 (MPH)
C H2= RATE OF INSOLATION FOR DATA SET 2 (BTU/FT**2/DAY)
C
COMMON/EVAP/AK,B
DATA QX,QY,QX2,QY2,QCROSS/5*0.0/
DATA ERR/1.0E-30/
DATA SX,SY,SX2,SY2,SCROSS/5*0.0/
WRITE(6,100)
100 FORMAT(1H1,10X,'PROGRAM TO COMPARE EQUILIBRIUM TEMPERATURES FROM TWO DATA SETS AND COMPUTE THE SENSITIVITY OF EACH VARIABLE',/)
READ(5,499)I
499 FORMAT(I2)
DO 2 J=1,I
READ(5,500) TD1,TA1,W1,H1,TD2,TA2,W2,H2
500 FORMAT(8F10,1)
IF(H2.EQ.0.) H2=H1
C
C CALCULATE EQUILIBRIUM TEMPERATURES
C
E1=E(TD1,TA1,W1,H1)
EVAP1=30.*(AK-15.7)*B*(E1-TD1)/(62.4*(.26+B)*1000)
E2=E(TD2,TA2,W2,H2)
EVAP2=30.*(AK-15.7)*B*(E2-TD2)/(62.4*(.26+B)*1000)
DE=E2-E1
DEVAP=EVAP2-EVAP1
WRITE(6,99)
WRITE(6,101)TD1,TA1,W1,H1,E1,EVAP1
WRITE(6,200) TD2,TA2,W2,H2,E2,EVAP2
99 FORMAT(T26,'DEW POINT',T42,'DRY BULB',T56,'WIND SPEED',T69,'SOLAR RAD.',T82,'EQUILIRRIUM TEMP.',T104,'EVAPORATION',/,T27,2'(DEG. F)',T59,'(MPH)',T67,'(BTU/FT**2/DY)',T86,'(DEG. F)',T102,3'(FT**3/FT**2)',/)
101 FORMAT(10X,'DATA SET 1',F12.2,4F15.2,F20.2,/)
200 FORMAT(10X,'DATA SET 2',F12.2,4F15.2,F20.2,/)
WRITE(6,102) DE,DEVAP
102 FORMAT(T77,'E2-E1 = ',F6.3,5X,'EVAP2-EVAP1 = ',F7.2)
C
C CALCULATE SUMS FOR CORRELATION COEFFICIENTS
C
SX=SX+E1
SX2=SX2+E1**2
SY=SY+E2
SY2=SY2+E2**2
SCROSS=SCROSS+E1*E2
QX=QX+EVAP1
QX2=QX2+EVAP1**2
QY=QY+EVAP2
QY2=QY2+EVAP2**2
QCROSS=QCROSS+EVAP1*EVAP2

```

Figure B.2 Listing of Program COMET.

```

C
C DIFFERENCES IN EQUILIBRIUM TEMP DUE TO EACH PARAMETER.
C
DTD=E(TD2,TA1,W1,H1)-E1
DTA=E(TD1,TA2,W1,H1)-E1
DW=E(TD1,TA1,W2,H1)-E1
DH=E(TD1,TA1,W1,H2)-E1
DTOT=DTD+DTA+DW+DH
WRITE(6,5)
5 FORMAT(/10X, 'DIFFERENCES IN E BETWEEN DATA SET 2 AND DATA SET 1
1BY PARAMETER',/)
WRITE(6,6)DTD
6 FORMAT(10X, 'DIFFERENCE DUE TO DEW POINT = ',T50,F10.3,' DEG. F')
WRITE(6,7)DTA
7 FORMAT(10X, 'DIFFERENCE DUE TO DRY BULB TEMP. = ',T50,F10.3,' DEG.
1F')
WRITE(6,8) DW
8 FORMAT(10X, 'DIFFERENCE DUE TO WIND SPEED = ',T50,F10.3,' DEG. F')
WRITE(6,9)DH
9 FORMAT(10X, 'DIFFERENCE DUE TO INSOLATION = ',T50,F10.3,' DEG. F')
WRITE(6,10)DTOT
10 FORMAT(10X, 'SUMMATION OF INDIVIDUAL DIFFERENCES = ',T50,F10.3,' DE
1G. F',/,1X,130('*'),/,,)
2 CONTINUE

C
C CORRELATION ANALYSIS
C
SXX=I*SX2-SX**2
SYY=I*SY2-SY**2
SXY=I*SCROSS-SX*SY
RSQ=(SXY**2+ERR)/(SXX*SYY+ERR)
QXX=I*QX2-QX**2
QYY=I*QY2-QY**2
QXY=I*QCROSS-QX*QY
QRSQ=(QXY**2+ERR)/(QXX*QYY+ERR)
SERR=SQRT(((SXX*SYY)-SXY**2)/(I*(I-2)*SXX))
QSERR=SQRT(((QXX*QYY)-QXY**2)/(I*(I-2)*QXX))
WRITE(6,300) RSQ,SERR
WRITE(6,310) QRSQ,QSERR
300 FORMAT(10X, 'SAMPLE R SQUARED FOR EQUILIBRIUM TEMP. = ',F10.3,
1 10X, 'STANDARD ERROR = ',F10.3,' DEG.F')
310 FORMAT(10X, 'SAMPLE R SQUARED FOR EVAPORATION = ',E13.3,
1 10X, 'STANDARD ERROR = ',E13.3, 'FT**3/FT**2')
SXXI=SX / I
SYYI=SY / I
BIAS=SYYI-SXXI
WRITE(6,250) SXXI,SYYI,BIAS
250 FORMAT(10X, 'AVERAGE E, DATA SET 1 = ',F12.3,/,10X, 'AVERAGE E, DATA
1 SET 2 = ',F12.3,/,10X, 'AVERAGE E2 - AVERAGE E1 = ',F12.4)
EBIAS=(QY-QX)/I
WRITE(6,251) EBIAS
251 FORMAT(10X, 'AVERAGE EVAP2 - AVERAGE EVAP1 = ',F12.4)
STOP
END
FUNCTION E(TD,TA,W,H)

C
C CALCULATES THE EQUILIBRIUM TEMPERATURE BY THE BRADY METHOD IN
C AN ITERATIVE PROCESS.
C
COMMON/EVAP/AK,B
DATA AK,ES/100.,100./
DO 1 I=1,50
TSTAR=(ES+TD)/2.

B=.255-.0085*TSTAR+.000204*TSTAR**2
AK=15.7+(B+.26)*(70+.7*W**2)
E=H/AK+(B*TD+.26*TA)/(B+.26)
IF(ABS(ES-E).LT..001) GO TO 2
ES=E
1 CDNTINUE
2 RETURN
END

```

Figure B.2 (Continued).

```

PROGRAM UHS3 (INPUT,OUTPUT,TAPES=INPUT,TAPE6=OUTPUT,
1 TAPE8)
C PROGRAM TO CALCULATE MAX TEMPERATURE IN A UHS POND
C BY PLUG,MIXED,AND STRATIFIED MODELS
C R CODELL USNRC NOV 1978
C DIMENSION R(10),S(10),B(10),C(11) , TIME(20),ITITLE(80)
LOGICAL FLAG1
COMMON AK1,E,E2,BETA,TSKIP,QBASE,FBASE,M1,M2,BTA,BTD,BHS,BW,
1 IMET,BLOW,F1,Q1,TD,TA,HS,W,G(1000,4),HEAT(20),FLOW(20),TH(20),
2 NMET,NH,A,DTMET
NAMELIST/HFT/ NH,HEAT,FLOW,TH
DATA M4,NSTEPS,NPRINT/0,100,10/
DATA DT,TZERO/0.2,80.0/
DATA TIMEM,TIMEST,TIMEPL/3*0.0/
NAMELIST /INLIST/ VZERO,BLOW,A,NH,NSTEPS,NPRINT,DT,TZERO,DTMET
1 ,TSKIP,QBASE,FBASE,E,AK1,IMET,AMAKE
2 ,BTA,BTD,BHS,BW
2 ,HEAT,FLOW,TH
READ(5,101) NMET
101 FORMAT(I5)
C READ IN MET TABLE(WIND SP., DRY BULB,DEW PT,SOL RAD)
READ(5,1) (G(I,4),G(I,2),G(I,1),G(I,3),CC,RH,I=1,NMET)
1 FORMAT(3X,3F5.0,F6.0,2F4.0,3F5.0,F6.0,2F4.0)
C VZERO = VOLUME OF POND FT**3
C BLOW = BLOWDOWN RATE OUT FT**3/HR
C A = SURFACE AREA FT**2
C NSTEPS = NUMBER OF INTEGRATION STEPS
C NPRINT = PRINT EVERY NPRINT STEPS
C DT = INTEGRATION TIMESTEP, HRS
C TZERO = INITIAL POND TEMP DEG.F
C G(I,1)=TD=DEW POINT, DEG.F
C G(I,2)=TA=DRY BULB DEG.F
C G(I,3)=HS = SOLAR RADIATION BTU/(FT**2 DAY)
C G(I,4)= W = WIND SPEED MPH
C TSKIP = DELAY START OF HEAT TABLE BY TSKIP HRS
C QBASE = BASE HEAT LOAD, BTU/HR
C FBASE = BASE FLOW, FT**3/HR
C E CONST EQUILIBRIUM TEMP, DEG.F IF USED
C AK1 = CONSTANT H.T.COEFF, BTU/(FT**2 DAY DEG.F), IF USED
C IMET = OPTIONAL CONSTANT E AND AK1 IF IMET = 1
C BTA,BTD,BHS,BW = BIASES TO BE ADDED TO ALL MET TABLE VALUES
C OF TA,TD,HS,AND W RESPECTIVELY
C NH = NUMBER OF ENTRIES IN HEAT TABLE
C HEAT = ARRAY OF HEAT INPUTS, BTU/HR
C FLOW = ARRAY OF FLOW RATES, FT**3/HR
C TH = ARRAY OF CORRESPONDING TIMES FOR HEAT AND FLOW ARRAYS
BLOW=0
AMAKE=0
DTMET=1
TSKIP=0
QBASE=0
FBASE=0
BTA=0
BTD=0
BHS=0
BW=0
E=80
AK1=150
IMET=0
TD=G(1,1)
TA=G(1,2)
HS=G(1,3)
W=G(1,4)
READ(5,HFT)
DO 4 I=1,NH
TIME(I)=TH(I)
TH(I)=TH(I)+1.0E-20
4 TH(I)=ALOG(TH(I))
IF(NH.GT.1) GOTO 710
FLOW(2)=FLOW(1)
HEAT(2)=HEAT(1)
NH=2
TH(2)=1.0E8
710 CONTINUE

```

```

000110
000120
000130
000140
000160
000235
000240
000255
000256
000280
000285
000310
000360
000370
000380
000390
000393
000394
000395
000396
000400
000410
000420
000430
000440
000450
000460
000520
000540
000550
000560
000570
000580
000590
000600
000610

```

Figure B.3 Listing of Program UHS3.

```

6000 CONTINUE                                000620
      READ(5,480) ITITLE
480  FORMAT(80A1)
      READ(5,INLIST)
      IF(VZERO.LE.0.0) STOP                    000640
      WRITE(6,490) ITITLE
490  FORMAT(1H1,5(/),T20,80A1)
      WRITE(6,500) VZERO,A,BLOW,AMAKE,NSTEPS,NPRINT,DT,TZERO,
      1TSKIP,QBASE,FBASE,E,AK1,IMET,BTA,BTD,BHS,BW
500  FORMAT( 5(/),T43,'VZERO',T57,'A',T66,'BLOW',T76,'AMAKE',/, T38,
      1E11.5,1X,E11.5,3X,E9.3,1X,E9.3,/,T43,'NSTEPS',T53,'NPRINT',T65,
      2'DT',T73,'TZERO',T84,'TSKIP',/,T43,I5,T54,I4,T64,F5.3,T73,F5.1,
      3T83,F6.1,/,T44,'QBASE',T54,'FBASE',T65,'E',T74,'AK1',T84,'IMET',/
      4,T41,E9.3,1X,E9.3,3X,F5.1,5X,F5.1,7X,I1,/,T45,'BTA',T55,'BTD',T64
      5,'BHS',T75,'BW',/,T44,F4.1,6X,F4.1,5X,F6.1,5X,F4.1,6(/),T43,
      635('.'),/,T43,' HEAT IN : TIME FROM : FLOW IN :',/,T43,' BTU/
      7HR : START : FT**3/HR :',/,T43,35('.'))
      DO 2 I=1,NH
      2 WRITE(6,510)HEAT(I),TIME(I),FLOW(I)
510  FORMAT(T43,' ', E9.3,1X,' ',2X,F7.2,2X,' ', E9.3,1X,' ')
      WRITE(6,520)
520  FORMAT(T43,35('.'),5(/),T41,13('*'),' MODEL RESULTS ',13('*'),///,
      1T38,'..TIME.....TEMPERATURE (F).....VOLUME.....',/,T38,' HR
      2 : MIXED : STRAT : PLUG : FT**3 :',/,T38,46('.'))
      FLAG1=.FALSE.                            000645
      TS=0                                       000650
      TMAXST=0                                  000660
      TMAXPL=0                                  000670
      M1=1                                       000680
      M2=1                                       000690
      X=.001                                    000700
      DO 3 I=1,10                               000710
      S(I)=TZERO                                000720
      3 C(I+1)=TZERO                             000730
      T=TZERO                                    000740
      V=VZERO                                    000745
C     BEGIN NUMERICAL INTEGRATIONS              000780
      DO 6 M=1,NSTEPS                            000790
C     MIXED TANK SOLUTIONS                      000800
      CALL MIXED(F2,F3,T,V,X)                   000810
      CALL MIXED(F7,F8,T+DT*F2,V+DT*F3,X+DT)   000820
      T=T+DT*(F2+F7)/2                          000830
      V=V+DT*(F3+F8)/2                          000840
C     FIND MAX TEMPERATURE FOR MIXED MODEL     000850
      IF(T.LT.T5) GOTO 63                       000860
      TS=T                                       000870
      TIMEM=X                                    000880
      63 CONTINUE                               000890
      M4=M4+1                                    000900
C     STRATIFIED MODEL                          000910
      AL1=V/A                                    000920
      AL3=V/10                                   000930
      AL4=AL1/10                                 000940
      AL6=DT/(62.4*AL3)                         000950
      AL2=F1/A                                    000960
      AL5=AL2*DT/AL4                            000970
      CALL EQTEMP(S(1))                          000980
      AK=AK1*A/24                                000990
      R(1)=S(1)+AL5*(S(10)-S(1))+(Q1-AK*(S(1)-E))*AL6
      DO 9 I=2,10                                001000
      9 R(I)=S(I)+AL5*(S(I-1)-S(I))             001010
      DO 10 I=1,10                               001020
      10 S(I)=R(I)                               001030
C     PLUG FLOW MODEL                           001040
      C(1)=C(11)                                 001140
      DO 20 I=1,10                               001150
      B(I)=C(I+1)+AL5*(C(I)-C(I+1))             001160
      CALL EQTEMP(C(I))                          001170
      AK=AK1*A/24                                001180
      20 B(I)=R(I)-AK*(B(I)-E)*AL6              001190
      R(1)=B(1)+AL6*Q1                          001200
      DO 21 I=1,10                               001210
      21 C(I+1)=B(I)                             001220
      IF(S(10).LT.TMAXST) GOTO 61               001230
      TMAXST=S(10)                              001240
      TIMEST=X                                   001250

```

Figure B.3 (Continued).

```

61 CONTINUE                                001270
   IF(C(11).LT.TMAXPL) GOTO 62             001280
   TMAXPL=C(11)                            001290
   TIMEPL=X                                001300
62 CONTINUE                                001310
   X=X+DT                                   001320
   IF(NPRINT.GT.M4) GOTO 6                 001330
   M4=0                                     001340
   WRITE(6,51) X,T,S(10),C(10),V
51 FORMAT(T38,' ',4(1X,F5.1,1X,' '),E11.5,1X,' ')
   6 CONTINUE                                001370
   WRITE(6,55) T5,TIMEM,TMAXST,TIMEST,TMAXPL,TIMEPL
55 FORMAT(T38,46(' '),///,T40,'MAXIMUM MODELLED TEMPERATURES:',/,T40
1,'MIXED MODEL = ',F8.2,' AT ',F8.2,' HOURS',/,T40,'STRAT MODEL = '
2,F8.2,' AT ',F8.2,' HOURS',/,T40,'PLUG MODEL = ',F8.2,' AT ',
3F8.2,' HOURS')
   GOTO 6000                                001430
   END                                       001440
   SUBROUTINE MIXED(FA,F8,T,V,X)            001450
C   MIXED TANK MODEL
   COMMON AK1,E,E2,BETA,TSKIP,QBASE,FBASE,M1,M2,BTA,BTD,BHS,BW,
1 IMET,BLOW,F1,Q1,TD,TA,HS,W,G(1000,4),HEAT(20),FLOW(20),TH(20),
2 NMET,NH,A,DTMET
C   LOG=LINEAR INTERPOLATION OF HEAT TABLE 001530
   DO 1 M1=M2,NH                             001540
   X1=X-TSKIP                                 001550
   IF(X1.LE.0,0) X1=,00001                  001560
   X9=ALOG(X1)                               001570
   IF(X9.LT.TH(M1)) GOTO 1                   001580
   IF(X9.LT.TH(M1+1)) GOTO 1210             001590
1 CONTINUE                                    001600
1210 F4=(X9-TH(M1))/(TH(M1+1)-TH(M1))      001610
   M2=M1                                     001620
C   EXTERNAL HEAT INPUT TO POND              001630
   Q1=HEAT(M1)+F4*(HEAT(M1+1)-HEAT(M1))
C   CIRCULATION THROUGH POND                001640
   F1=FLOW(M1)+F4*(FLOW(M1+1)-FLOW(M1))
C   ADD BASE HEAT LOAD AND FLOW, IF ANY     001650
   Q1=Q1+QBASE                               001660
   F1=F1+FBASE                               001670
C   LINEAR INTERPOLATION OF MET TABLE      001680
   IF(NMET.EQ.1) GOTO 100                   001690
   M1=X/DTMET+1                              001700
   F4=(X-(M1-1)*DTMET)/DTMET                001710
   TD=G(M1,1)+F4*(G(M1+1,1)-G(M1,1))        001720
   TA=G(M1,2)+F4*(G(M1+1,2)-G(M1,2))        001730
   HS=G(M1,3)+F4*(G(M1+1,3)-G(M1,3))        001740
   W=G(M1,4)+F4*(G(M1+1,4)-G(M1,4))         001742
   TD=TD+BTD                                 001743
   TA=TA+BTA                                 001744
   HS=HS+BHS                                 001745
   W=W+BW                                    001750
100 CONTINUE                                 001760
   CALL EQTEMP(T)                            001770
   AK=AK1*A/24
C   RATE OF TEMPERATURE CHANGE, DEG F/HR    001780
   FA=(Q1-AK*(T-E))/(62.4*V)
C   EVAPORATION RATE, FT**3/HR              001790
   E2=(AK1-15.7)*BETA*(T-TD)*A/(62.4*(.26+BETA)*24000)
C   RATE OF VOLUME CHANGE, FT**3/HR         001810
   FB=BLOW-E2
   RETURN                                     001820
   END                                       001830
   SUBROUTINE EQTEMP(T)                      001840
C   CALCULATE EQUILIBRIUM TEMPERATURE AND HEAT TRANSFER COEFF
   COMMON AK1,E,E2,BETA,TSKIP,QBASE,FBASE,M1,M2,BTA,BTD,BHS,BW,
1 IMET,BLOW,F1,Q1,TD,TA,HS,W,G(1000,4),HEAT(20),FLOW(20),TH(20),
2 NMET,NH,A,DTMET
   IF(IMET.EQ.1) RETURN                      001920
C   WIND FUNCTION                            001930
   G7=70+.7*W**2                             001940
   G5=(TD+T)/2                               001950
   BETA=.255-.0085*G5+.000204*G5**2
C   SURFACE HEAT TRANSFER                   001960
   AK1=15.7+(.26+BETA)*G7                    001970
   E=HS/AK1+(.26*TA+BETA*TD)/(.26+BETA)     001980
   RETURN                                     001990
   END                                       002000

```

Figure B.3 (Continued).

	SUBROUTINE PSY1(DB,WB,PB,DP,PV,W,H,V,RH)	PSY1	1
C	THIS ROUTINE CALCULATES VAPOR PRESSURE PV, HUMIDITY RATIO W,	PSY1	2
C	ENTHALPY H, VOLUME V, RELATIVE HUMIDITY RH, AND	PSY1	3
C	DEW POINT TEMPERATURE DP\	PSY1	4
C	WHEN THE DRY BULB TEMPERATURE DB, WET BULB TEMPERATURE WB,	PSY1	5
C	AND BAROMETRIC PRESSURE PB ARE GIVEN	PSY1	6
C	UNITS DB, WB, + DP)F>\ PB, + PV)IN OF HG>\ W)= WATER VAPOR	PSY1	7
C	PER = DRY AIR>\ H)BTU/= OF DRY AIR>\ V)FT**3/= OF DRY	PSY1	8
C	AIR\ RH IS A FRACTION, NOT (PSY1	9
	C(F)=(F-32.0E0)/1.8E0	PSY1	10
	PVP=PVSF(WB)	PSY1	11
	WSTAR=0.622*PVP/(PB-PVP)	PSY1	13
	IF (WB.GT.32.0) GO TO 105	PSY1	14
	PV=PVP-5.704E-4*PB*(DB-WB)/1.8	PSY1	15
	GO TO 110	PSY1	16
100	PV=PVP	PSY1	17
	GO TO 110	PSY1	18
105	CDB=C(DB)	PSY1	19
	CWB=C(WB)	PSY1	20
	HL=597.31+0.4409*CDB-CWB	PSY1	21
	CH=0.2402+0.4409*WSTAR	PSY1	22
	EX=(WSTAR-CH*(CDB-CWB)/HL)/0.622	PSY1	23
	PV=PB*EX/(1.+EX)	PSY1	24
110	W=0.622*PV/(PB-PV)	PSY1	25
	V=0.754*(DB+459.7)*(1.0+7000.0*W/4360.0)/PB	PSY1	26
	H=0.24*DB+(1061.0+0.444*DB)*W	PSY1	27
	IF (PV.GT.0.0) GO TO 115	PSY1	28
	PV=0.0	PSY1	29
	DP=0.0	PSY1	30
	RH=0.0	PSY1	31
	RETURN	PSY1	32
115	IF (DB.NE.WB) GO TO 120	PSY1	33
	DP=DB	PSY1	34
	RH=1.0	PSY1	35
	RETURN	PSY1	36
120	DP=DPF(PV)	PSY1	37
	RH=PV/PVSF(DB)	PSY1	38
	RETURN	PSY1	39
	END	PSY1	40
	SUBROUTINE PSY2(DB,DP,PB,WB,PV,W,H,V,RH)	PSY2	1
C	THIS ROUTINE CALCULATES WET BULB TEMPERATURE WB, HUMIDITY	PSY2	2
C	RATIO W, ENTHALPY H, VOLUME V, VAPOR PRESSURE PV,	PSY2	3
C	AND RELATIVE HUMIDITY RH\	PSY2	4
C	WHEN DRY BULB TEMPERATURE DB, DEW POINT TEMPERATURE DP,	PSY2	5
C	AND BAROMETRIC PRESSURE PB ARE GIVEN	PSY2	6
C	UNITS DB, WB, + DP)F>\ PB, + PV)IN OF HG>\ W)= WATER VAPOR	PSY2	7
C	PER = DRY AIR>\ H)BTU/= OF DRY AIR>\ V)FT**3/= OF DRY	PSY2	8
C	AIR\ RH IS A FRACTION, NOT (PSY2	9
	IF (DP.GT.DB) DP=DB	PSY2	10
	PV=PVSF(DP)	PSY2	11
	PVS=PVSF(DB)	PSY2	12
	RH=PV/PVS	PSY2	13
	W=0.622*PV/(PB-PV)	PSY2	14
	V=0.754*(DB+459.7)*(1.0+7000.0*W/4360.0)/PB	PSY2	15
	H=0.24*DB+(1061.0+0.444*DB)*W	PSY2	16
	IF (H.GT.0.0) GO TO 100	PSY2	17
	WB=DP	PSY2	18
	RETURN	PSY2	19
100	WB=WB*(H,PB)	PSY2	20
	RETURN	PSY2	21
	END	PSY2	22
	FUNCTION PVSF(X)	PVSF	1
	DIMENSION A(6),B(4),P(4)	PVSF	2
	DATA A/-7.90298,5.02808,-1.3816E-7,11.344,8.1328E-3,-3.49149/	PVSF	3
	DATA B/-9.09718,-3.56654,0.876793,0.0060273/	PVSF	4
	T=(X+459.688)/1.8	PVSF	5
	IF (T.LT.273.16) GO TO 100	PVSF	6
	Z=373.16/T	PVSF	7
	P(1)=A(1)*(Z-1.0)	PVSF	8
	P(2)=A(2)*ALOG10(Z)	PVSF	9
	Z1=A(4)*(1.0-1.0/Z)	PVSF	10
	P(3)=A(3)*(10.0**Z1-1.0)	PVSF	11

Figure B.4 Listing of Psychrometric Subroutines.

```

Z1=A(6)*(Z-1.0)
P(4)=A(5)*(10.0**Z1-1.0)
GO TO 105
100 Z=273.16/T
P(1)=B(1)*(Z-1.0)
P(2)=B(2)*ALOG10(Z)
P(3)=B(3)*(1.0-1.0/Z)
P(4)=ALOG10(B(4))
105 SUM=0.0
DO 110 I=1,4
110 SUM=SUM+P(I)
PVSF=29.921*10.0**SUM
RETURN
END
FUNCTION DPF(PV)
C THIS ROUTINE CALCULATES DEW-POINT TEMPERATURE FOR A GIVEN
C VAPOR PRESSURE PV
DP(A,B,C,Y)=A+(B+C*Y)*Y
Y=ALOG(PV)
IF (PV.GT.0.1836) GO TO 100
DPF=DP(71.98,24.873,0.8927,Y)
RETURN
100 DPF=DP(79.047,30.579,1.8893,Y)
RETURN
END
FUNCTION WBF(H,PB)
C THIS ROUTINE APPROXIMATES THE WET BULB TEMPERATURE FROM
C ENTHALPY H, AND BAROMETRIC PRESSURE PB
WB(A,B,C,D,Y)=A+(B+(C+D*Y)*Y)*Y
W(PV,PB)=0.622*PV/(PB-PV)
X(WB12,W12)=0.24*WB12+(1061.0+0.444*WB12)*W12
IF (H.LE.0.0) GO TO 105
Y=ALOG(H)
IF (H.GT.11.758) GO TO 100
WBF=WB(0.6041,3.4841,1.3601,0.97307,Y)
RETURN
100 WBF=WB(30.9185,-39.682,20.5841,-1.758,Y)
RETURN
105 WB1=150.0
PV1=PVSF(WB1)
W1=W(PV1,PB)
X1=X(WB1,W1)
Y1=H-X1
110 WB2=WB1-1.0
PV2=PVSF(WB2)
W2=W(PV2,PB)
X2=X(WB2,W2)
Y2=H-X2
IF (Y1*Y2) 130,120,115
115 WB1=WB2
Y1=Y2
GO TO 110
120 IF (Y1.NE.0.0) GO TO 125
WBF=WB1
RETURN
125 WBF=WB2
RETURN
130 Z=ABS(Y1/Y2)
WBF=(WB2*Z+WB1)/(1.0+Z)
RETURN
END
PVSF 12
PVSF 13
PVSF 14
PVSF 15
PVSF 16
PVSF 17
PVSF 18
PVSF 19
PVSF 20
PVSF 21
PVSF 22
PVSF 23
PVSF 24
PVSF 25
DPF 1
DPF 2
DPF 3
DPF 4
DPF 5
DPF 6
DPF 7
DPF 8
DPF 9
DPF 10
DPF 11
WBF 1
WBF 2
WBF 3
WBF 4
WBF 5
WBF 6
WBF 7
WBF 8
WBF 9
WBF 10
WBF 11
WBF 12
WBF 13
WBF 14
WBF 15
WBF 16
WBF 17
WBF 18
WBF 19
WBF 20
WBF 21
WBF 22
WBF 23
WBF 24
WBF 25
WBF 26
WBF 27
WBF 28
WBF 29
WBF 30
WBF 31
WBF 32
WBF 33
WBF 34
WBF 35
WBF 36

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Figure B.4 (Continued).

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16. ABSTRACT (200 words or less) <p>A method to analyze the performance of ultimate heat sink cooling ponds is presented. A simple mathematical model of a cooling pond is used to scan weather data to determine the period of the record for which the most adverse pond temperature or rate of evaporation would occur. Once the most adverse conditions have been determined, the peak pond temperature can be calculated. Several simple mathematical models of ponds are described; these could be used to determine peak pond temperature, using the identified meteorological record. Evaporative water loss may be found directly from the scanning by a simple and conservative heat-and-material balance.</p> <p>Methodology by which short periods of onsite data can be compared with longer offsite records is developed, so that the adequacy of the offsite data for pond performance computations can be established.</p>					
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