

NRC MOV Course

Design Basis Operation



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Background

- *Much of what the nuclear industry knows about MOV design-basis operation comes from NRC-sponsored research and subsequent industry research.*
- *Observed anomalous performance of MOVs in the early 1980s identified questions about standard sizing equations and performance assumptions.*



NRC Sponsored MOV Research

- *From 1984 to 2001, the NRC sponsored MOV research at the Idaho National Laboratory (INL).*
- *The purpose was to evaluate MOV operation at design basis conditions – conditions beyond the existing knowledge base.*
- *The Design Basis Operation chapter in this course presents MOV performance characteristics and analytical methods developed from this research.*
- *It is therefore appropriate to review the major research efforts.*



NRC MOV Research Supported

- *NUREG-0660, NRC Action plan resulting from the TMI-2 Accident.*
 - *II.E.4.2 - Containment Isolation Dependability*
 - *II.E.6.1 - In Situ Testing of Valves*
- *Generic Issue 87, “Failure of HPCI Steamline Without Isolation”*
- *Generic Letter 89-10, “Safety-Related Motor-Operated Valve Testing and Surveillance”*
- *Generic Letter 95-07, “Pressure Locking and Thermal Binding of Safety-Related Power-Operated Gate Valves”*
- *Generic Letter 96-05, “Periodic Verification of Design-Basis Capability of Safety-Related Motor-Operated Valves”*



Generic Issue 87 Research

- *Research was performed to determine if MOVs used for containment isolation were capable of performing their design basis function.*
- *Their design basis included the requirement to isolate flow in the event of a guillotine pipe break outside of containment.*
- *Systems of interest included BWR RWCU, RCIC, and HPCI systems*



Historical Industry Gate Valve Stem Force Equation

$$F_{\text{stem}} = \mu_d A_d \Delta P \pm A_s P + F_{\text{pack}}$$

- *+ for closing*
- *- for opening*



Historical Industry Gate Valve Stem Force Equation - Continued

- *The disc factor was assumed to be a constant 0.3, although some valves after 1980 have been sized with a 0.5 disc factor.*
- *In some applications, the disc area was based on the valve orifice area.*
- *The equation was used for all gate valves, parallel disc as well as wedge type gate valves.*
- *The equation was used to estimate the maximum stem force just before wedging (a bounding equation).*



The Phase I Program

- *The testing was performed in 1988 at Wyle Laboratory, Huntsville Alabama.*
- *Two gate valves were tested*
 - *6-inch Anchor/Darling 900 lb flexwedge gate valve, and*
 - *6-inch Velan 900 lb flexwedge gate valve.*



Phase I Results

This testing found two distinct valve performance parameters that were inconsistent with previous industry positions.

- One valve damaged itself during closure under high loads, and*
- Both valves required more thrust to close than the industry would have predicted.*



The Phase II Program

- *The testing was performed in 1989 at KWU, Federal Republic of Germany.*
- *Six gate valves were tested*
 - *6-inch Anchor/Darling 900 lb flexwedge gate valve,*
 - *6-inch Velan 900 lb flexwedge gate valve,*
 - *6-inch Walworth 600 lb flexwedge gate valve,*
 - *10-inch Anchor/Darling 900 lb flexwedge gate valve,*
 - *10-inch William Powell 900 lb flexwedge gate valve,*
 - *10-inch Velan 600 lb flexwedge gate valve.*



Phase II Results

- *Verified the earlier Phase I test results obtained at Wyle.*
- *Highlighted the industry's inability to calculate the stem thrust of a valve.*
- *The apparent inconsistencies in the industry's stem thrust equation caused us to investigate the flow and pressure dependencies in the valves and the resultant effect on stem thrust.*

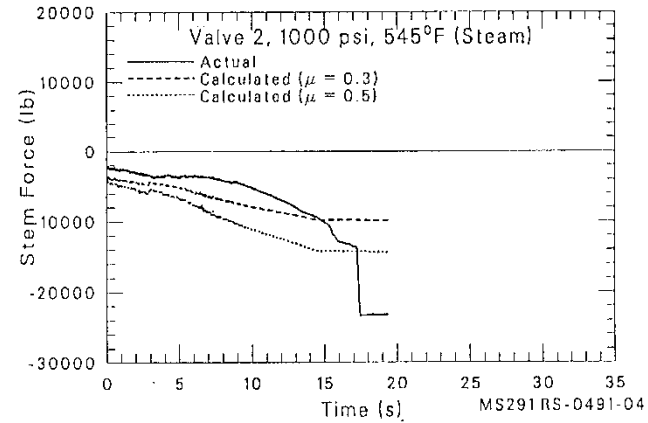
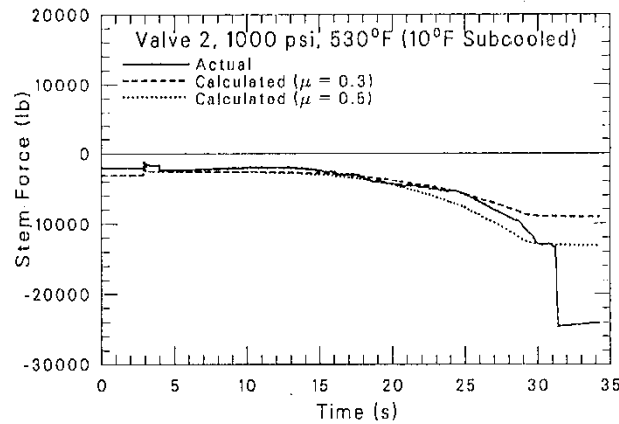
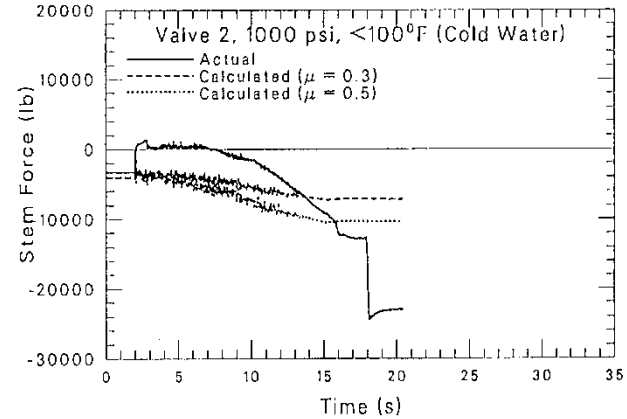
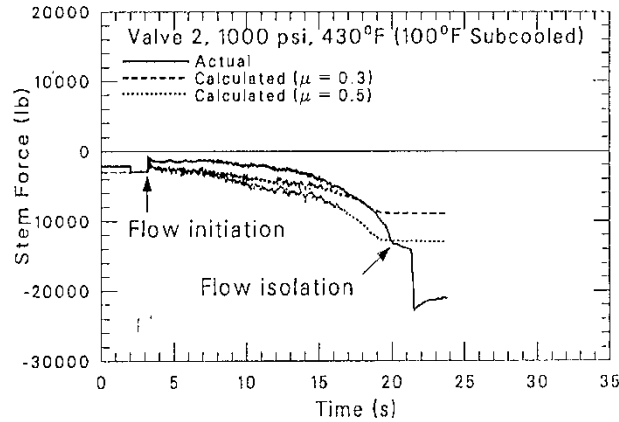


GI-87 Video



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Gate Valve Performance Was Influenced by Fluid Subcooling



MOV Functional Margin



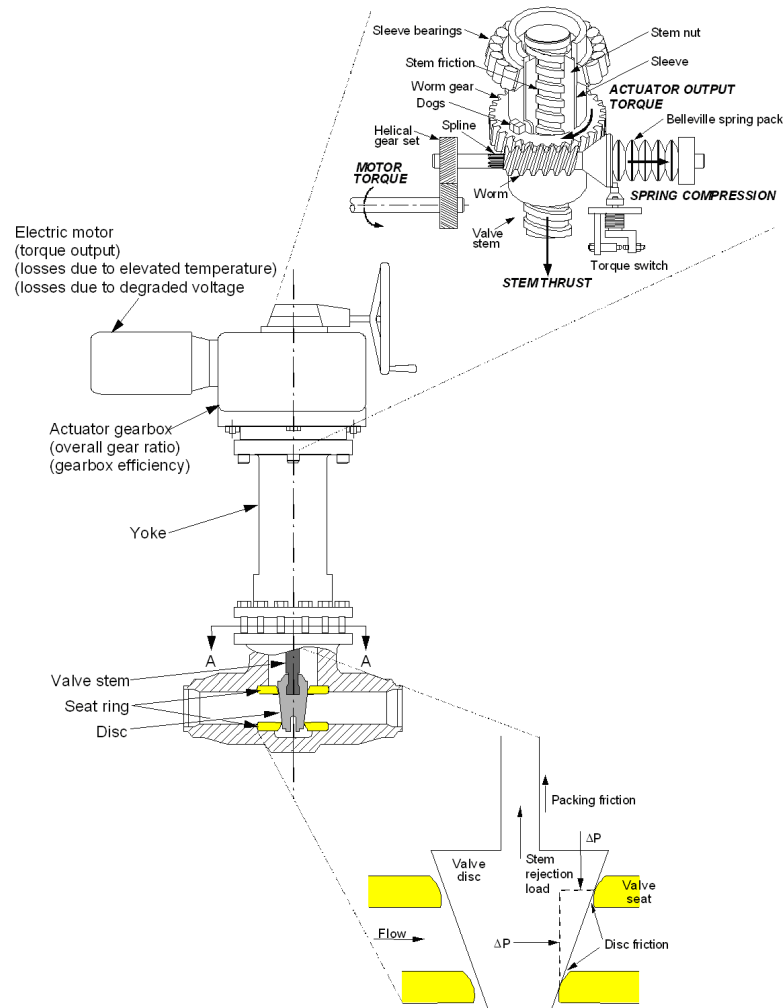
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MOV Functional Margin

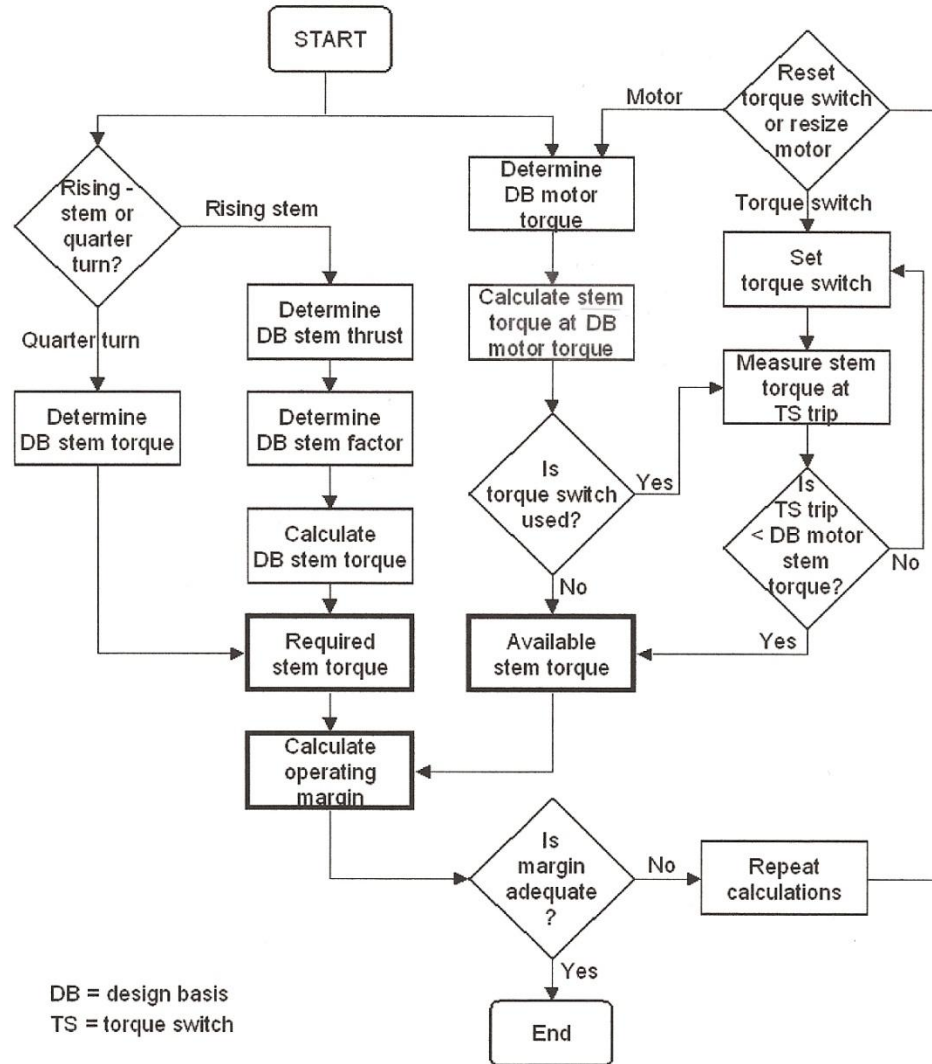
- *The evaluation of an MOV to determine it's ability to function begins with two questions.*
 1. *How much torque or thrust will be needed to close or open the valve? This is called the required torque or thrust.*
 2. *How much torque or thrust is the actuator capable of delivering? This is called the available torque or thrust.*



Limitorque Actuator With A Flexible Wedge Gate Valve



Functional Margin Flow Chart



Required Torque

The analysis determines the required torque for the valve's design basis, including

- *Packing load*
- *Stem rejection load*
- *Differential pressure (flow, seat friction, and guide friction)*
- *Stem factor (conversion of torque to thrust, including stem thread friction)*



Available Torque

The analysis determines the available torque for the actuator's design basis, including

- *Torque switch setting*
- *Rated motor torque*
- *Motor torque losses at design basis (reduced voltage and elevated temperature)*
- *Overall gear ratio of the actuator*
- *Gearbox efficiency at design basis (speed and lubrication)*
- *Structural limits of the actuator and valve*



Functional Margin

Limiter torque actuators are torque producing devices.

The analysis must determine that

- The torque switch setting is adequate to close or open the valve against design basis loads*
- The motor is powerful enough to trip the torque switch under design basis conditions*
- The torque switch setting does not exceed the physical displacement limits of the torque spring*
- The torque switch setting does not exceed the maximum load limits of the valve or actuator*



Design Basis Valve Stem Thrust

Rising-Stem Valves



Design Basis Valve Stem Thrust

For rising-stem valves (gate and globe), the thrust needed to operate the valve is a summation of two types of loads:

- *Loads not dependent on fluid conditions*
 - *Disc and stem weight (usually very small compared to other loads)*
 - *Stem packing drag*
- *Loads dependent on fluid conditions*
 - *Stem rejection load (piston-like effect)*
 - *Differential pressure load*



Basic Stem Thrust Equation

$$F_{Stem} = F_{Packing} \pm F_{Stem\ rejection} + F_{Disc}$$

- *Note the sign for the stem rejection load. This appears because the stem rejection load is always out of the valve body, thus it resists closure and assists opening.*

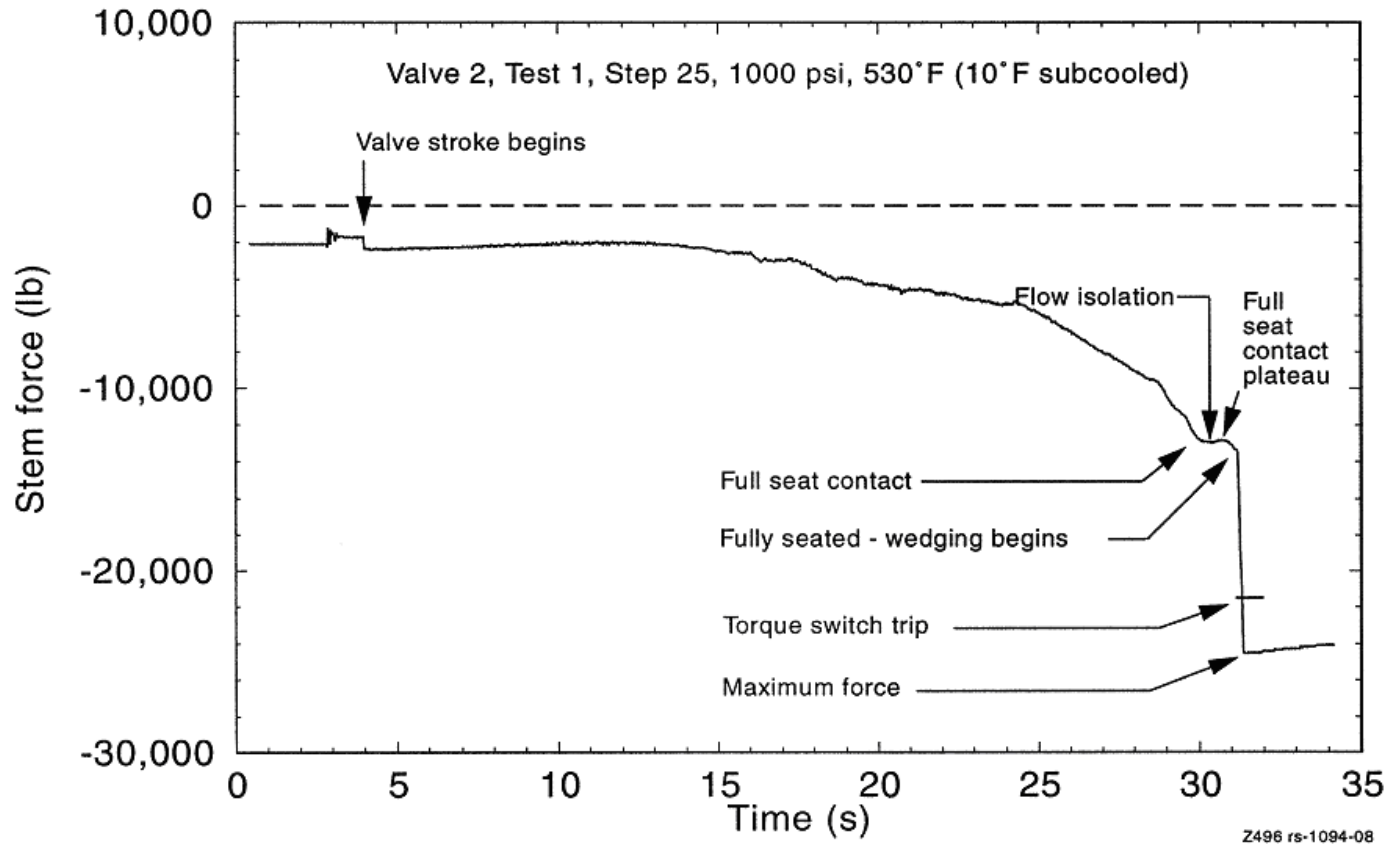


Gate Valve Stem Thrust



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Typical Gate Valve Closure Thrust



Gate Valve Closing Stem Force Equation

$$F_{stem} = F_{pack} + F_{stem\ rej} - F_{elps} + F_{net\ stem}$$

Where

F_{stem} = total stem load

F_{pack} = stem packing load

$F_{stem\ rej}$ = stem rejection load

F_{elps} = elliptical pressure load

$F_{net\ stem}$ = net stem load (discussed in detail later)



Gate Valve Closing Stem Force Equation – Stem Rejection

$$F_{stem\ rej} = P_{up} A_{stem}$$

Where

$F_{stem\ rej}$ = *stem rejection load*

P_{up} = *upstream pressure*

A_{stem} = *stem area*



Gate Valve Closing Stem Force Equation – Elliptical Pressure

$$F_{elps} = \Delta P A_{disc} \tan \alpha$$

Where

F_{elps} = *elliptical pressure load*

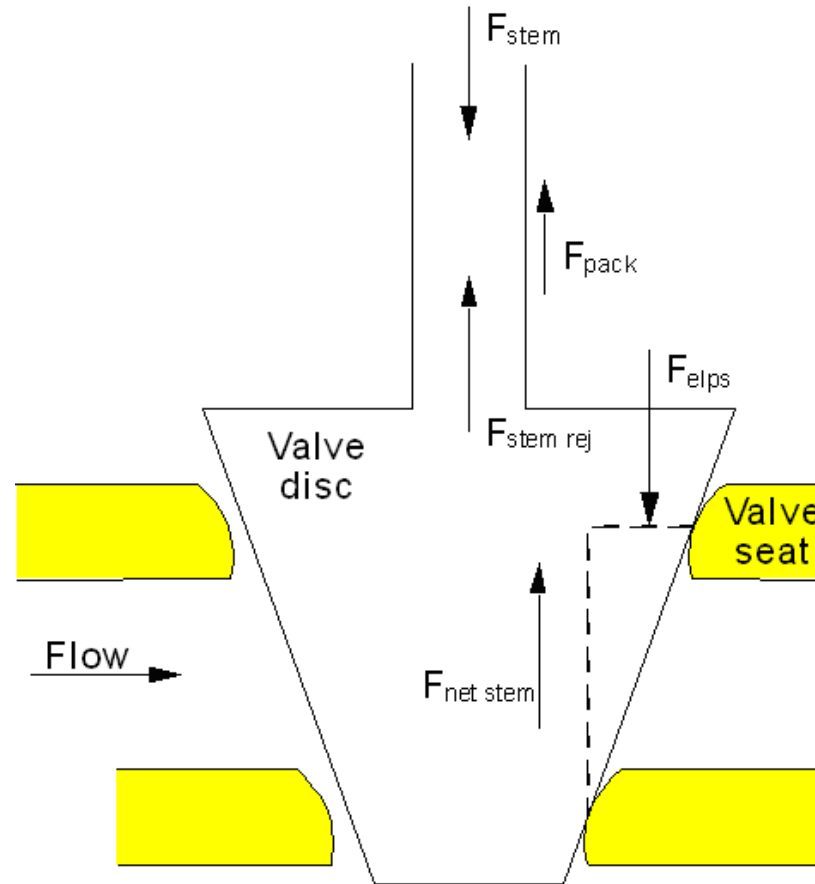
ΔP = *differential pressure across the disc*

A_{disc} = *disc area (based on mean seat diameter)*

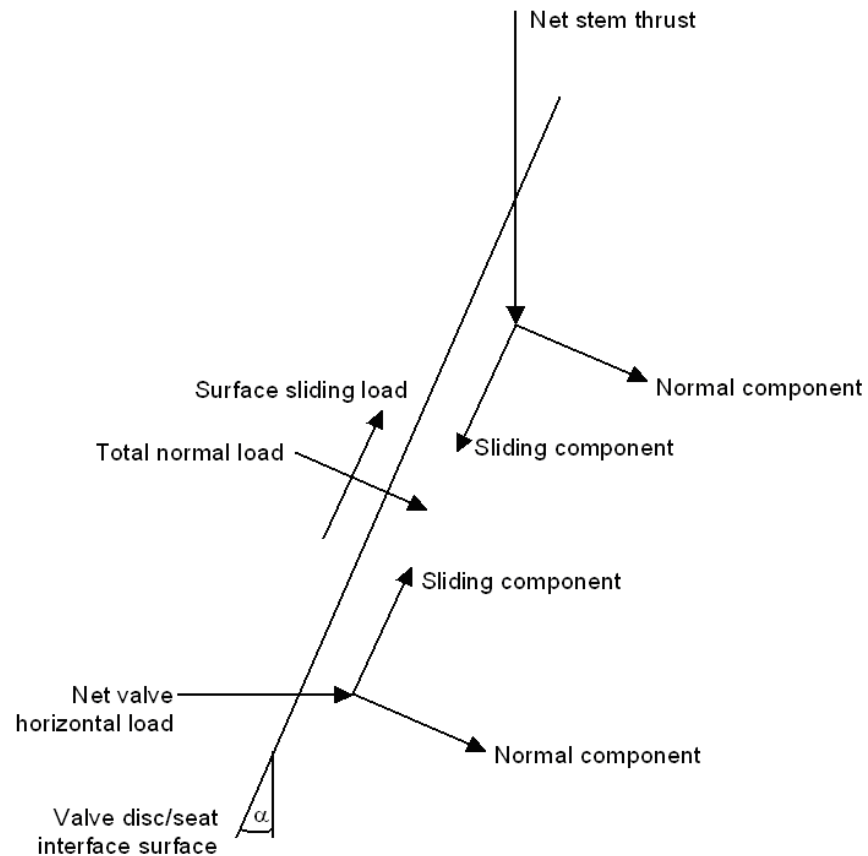
α = *disc seat angle*



Gate Valve Stem Loads



Net Gate Valve Stem Loads During Closure



Normal and Sliding Force

$$F_n = \Delta P A_{disc} \cos \alpha + F_{net\ stem} \sin \alpha$$

$$F_s = \Delta P A_{disc} \sin \alpha - F_{net\ stem} \cos \alpha$$

Where

F_n = *normal force*

F_s = *sliding force*

ΔP = *differential pressure across the disc*

A_{disc} = *disc area (based on mean seat diameter)*

α = *disc seat angle*

$F_{net\ stem}$ = *net stem load*



Disc/Seat Coefficient of Friction

- *Coefficient of friction is defined as the sliding load divided by the normal load.*
- *Previous equation was solved for net stem load.*



Gate Valve Closing Stem Force Equation – Net Stem Load

$$F_{net\ stem} = \frac{\Delta P A_{disc} (f \cos \alpha + \sin \alpha)}{\cos \alpha - f \sin \alpha}$$

Where

$F_{net\ stem}$ = net stem load

ΔP = differential pressure across the disc

A_{disc} = disc area (based on mean seat diameter)

f = disc/seat coefficient of friction

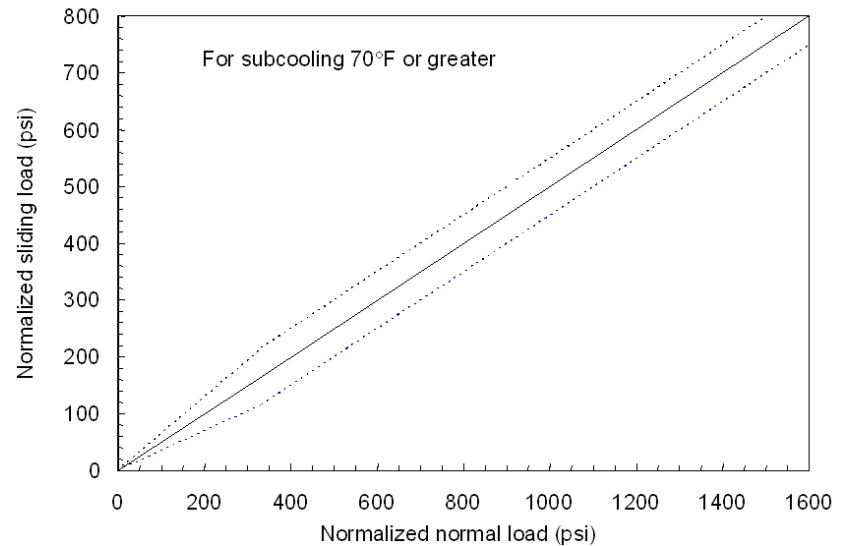
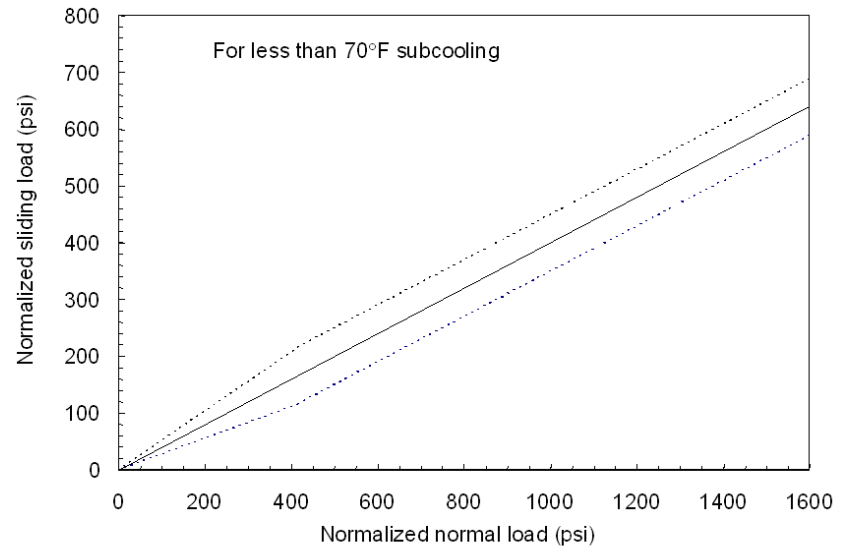
α = disc seat angle



INL Secondary Equation Correlation



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INL Gate Valve Closing Correlations

For $DP > 415$ psi (330 psi if the fluid subcooling is greater than 70°F)

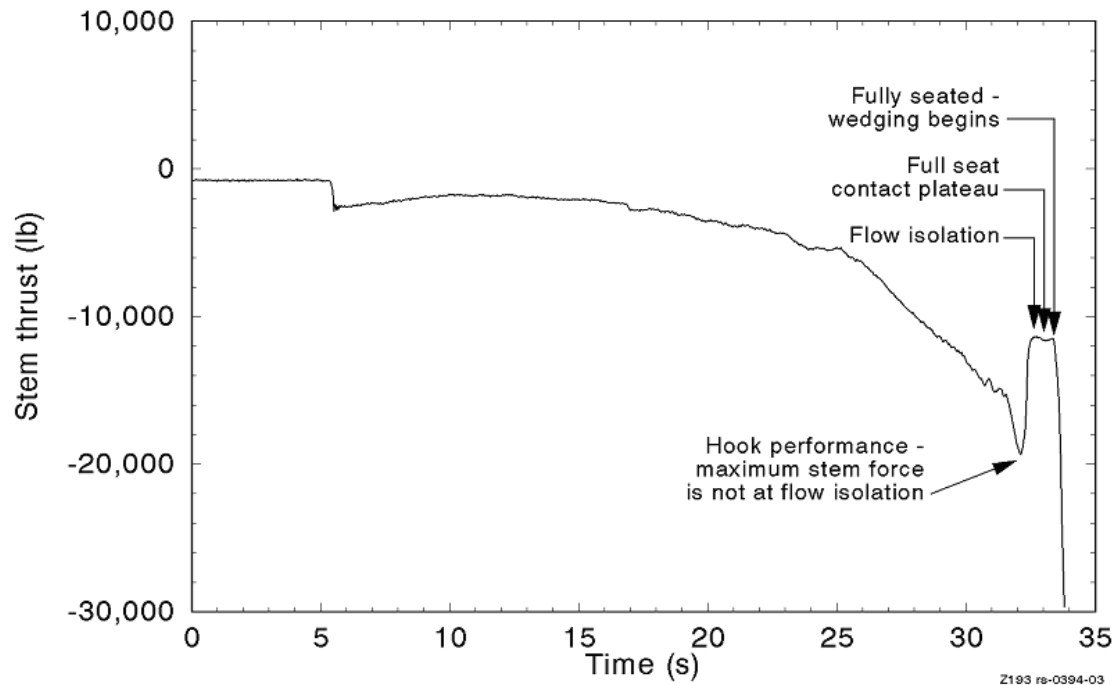
$$F_{stem} = F_{pack} + F_{stem\ rej} - F_{elps} + \frac{\Delta PA_{disc} \left[f \cos \alpha + \sin \alpha \right] 50 A_{disc}}{\cos \alpha - f \sin \alpha}$$

For $DP < 415$ psi (330 psi if the fluid subcooling is greater than 70°F)

$$F_{stem} = F_{pack} + F_{stem\ rej} - F_{elps} + \frac{\Delta PA_{disc} \left[f \cos \alpha \left(.0 \pm 0.3 \right) + \sin \alpha \right]}{\cos \alpha - f \sin \alpha \left(.0 \pm 0.3 \right)}$$



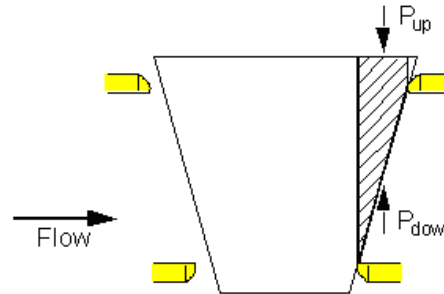
Nonlinear Gate Valve Stem Thrust Measurement



Valve Disc Tipping

Flow isolation point, disc on seat

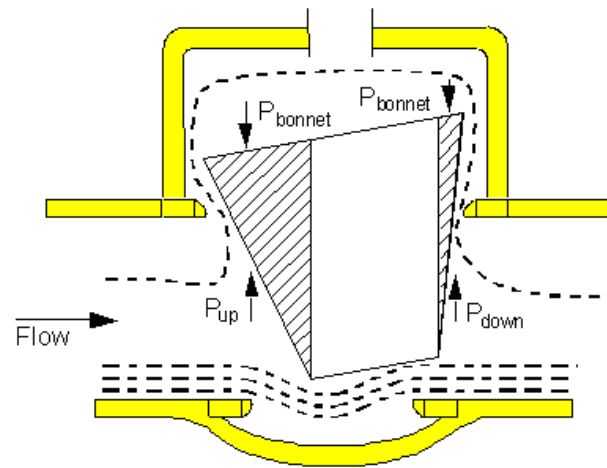
$$P_{up} > P_{down}$$



Disc on guide

$$P_{up} > P_{bonnet} > P_{down}$$

Disc tipped before isolation



Nonlinear Gate Valve Closing Correlation

$$F_{stem} = C_{hook} \Delta P + F_{stem\ rej} + F_{pack}$$

Where

F_{stem} = *total stem load*

C_{hook} = *hooking factor*

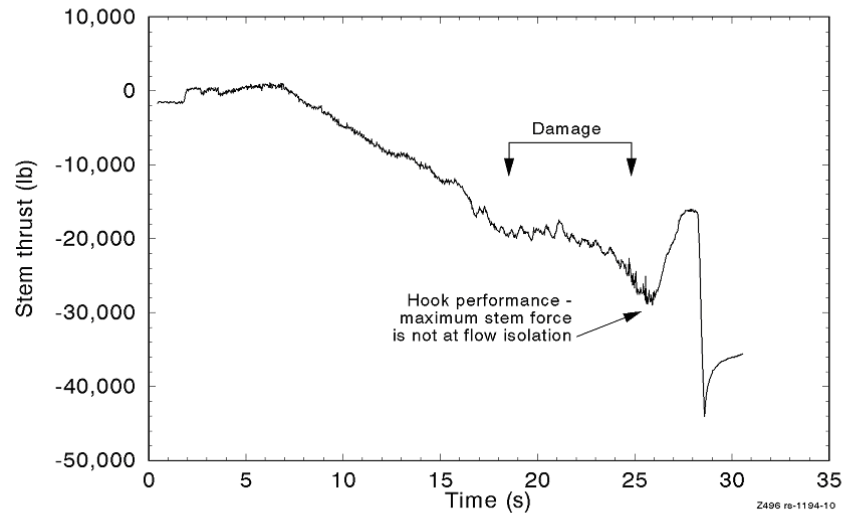
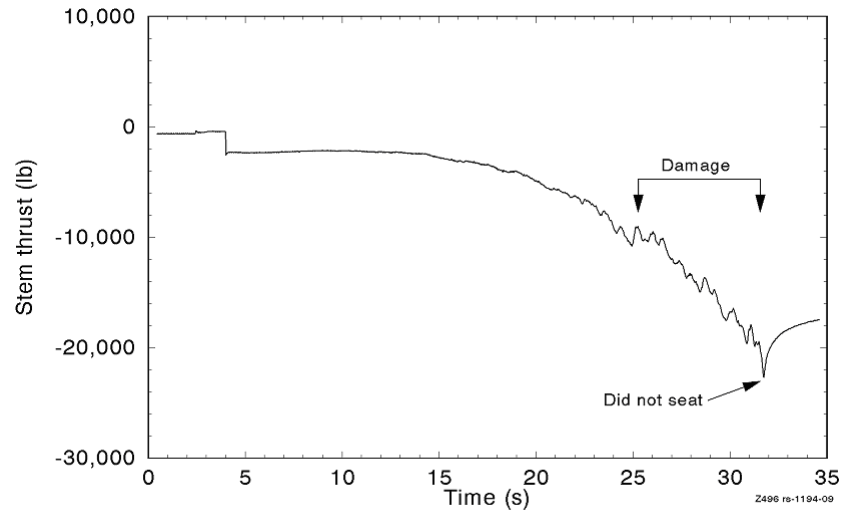
ΔP = *differential pressure across the disc*

F_{pack} = *stem packing load*

$F_{stem\ rej}$ = *stem rejection load*



Stem Thrust Measurement During Damage



Valve Damage To Disc Guides



Point of Contact Damage

