

Session 5: General Treatment of Incoherency

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2:15 to 2:30

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CLASSI-SASSI Methodologies

- CLASSlinco
 - Deterministic phasing
- CLASSlinco-SRSS
 - Structure response to each foundation input motion combined by SRSS
- SASSI-Simulation (Randomization)
 - Spatial modes assigned random phasing
 - Mean of structural response to spatial modes computed
- SASSI-SRSS
 - Structural responses to each spatial mode are combined by SRSS
- SASSI-AS
 - Linear combination (algebraic sum) of spatial modes used to compute structural response

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Coherency Matrix Gamma [$\gamma(\omega)$]

- CLASSI and SASSI – foundation footprint divided into sub-regions
 - CLASSI – centroids of the sub-regions
 - SASSI – interaction nodes
- Gamma [$\gamma(\omega)$]
 - $3N \times 3N$ where N is the number of sub-regions or interaction nodes (3 is three directions of free-field motion)
 - If centroids of sub-regions (C) coincide with locations of interaction nodes (S) - [$\gamma(\omega)$] is identical

Coherency Matrix Gamma [$\gamma(\omega)$]

- CLASSI
 - Applies the constraint of rigid massless foundation behavior to determine the amplitude of the multipliers to be applied to the sub-region tractions
 - Rigid body motion
 - CPSD matrix - square root of the diagonal terms = incoherency transfer functions (scattering functions)
 - FIM = IFFT[(FFT - free-field ground motion) * Incoherency Transfer Functions (ITFs)]

Coherency Matrix Gamma [$\gamma(\omega)$]

- SASSI

- Decomposes [$\gamma(\omega)$] into spatial modes

$$([\gamma(\omega)] - \lambda_i^2[I]) \{\phi(\omega)\}_i = \{0\}, \quad i = 1, 2, \dots, N$$

- Generalized solution denoted Karhunen-Loeve (KL) based on the spectral factorization of the coherency kernel

- $\{U_g\} = [\phi(\omega)] [\lambda(\omega)] \{\eta_\theta(\omega)\} U_0(\omega)$

$\{U_g\}$ = interaction node motion

$\{\eta_\theta(\omega)\}$ = random phase vector of form $\exp [i\theta(\omega)]$

where $-\pi \leq \theta \leq \pi$

$U_0(\omega)$ is the free-field ground motion component

SASSI – General considerations

- For each SASSI frequency of solution, the spatial modes are derived
 - Total number of spatial modes equals the number of interaction node points (N) for each direction of excitation
 - Complete set of spatial modes may be used (SASSI-Simulation and SASSI-AS) or a subset (SASSI-SRSS)
- Treatment of the spatial modes distinguishes the three methods

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