70.36 R-3/D2#31



August 9, 1991

George H. Bidinger, Section Leader Uranium Fuel Section Fuel Cycle Safety Branch Division Of Industrial and Medical Nuclear Safety, NMSS U. S. Nuclear Regulatory Commission Washington, DC 20555

SUBJECT: SPENT LIMESTONE SAMPLING

Dear Mr. Bidinger:

Enclosed is a report describing a new sampling procedure for spent limestone as it is unloaded from the dry scrubbers. The report also includes a study to compare contamination levels from different elevations in the scrubbers. It concludes that there is no statistically significant difference in results between the different elevations, and that all results are within the 30 pCi/gram release limit. However, sampling at the bottom of the scrubber would efficiently detect a contamination event, should it occur.

We believe that this improved sampling and analysis procedure adequately supports our request for approval to release spent limestone as on-site unrestricted area fill material, and would like to discuss the results of this study with you during your visit to Hematite on August 19-20.

Cordially yours,

ZI E. Est

H. E. Eskridge, Manager, Nuclear Licensing, Safety, and Accountability

HEE/s1d/9055

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cc: George France

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## ABB Combustion Engineering Nuclear Power

Combustion Engineering Inc.

P O Box 107, Highway P Hematite, Missouri 63047 Telephone (314) 937-4691 Telephone (314) 296-5640 Fax: Extension 15



Telephone (314) 937-4691 Fax (314) 296-5640 Ext. 15

# Inter-Office Correspondence

### July 25, 1991

TO: J. A. Rode

FROM: R. W. Griscom KWC-

SUBJECT: Sampling Spent Limestone From The Dry Scrubbers

#### Summary

Spent limestone was sampled from different levels within a dry scrubber and compared with samples from the bottom of all the dry scrubbers. There was no significant difference between any of the sample locations. Subsequently, samples were evaluated for five months. All samples were within the 30 pci/g release limit and all of the values within three standard deviations of the mean of all the samples are within the release limit.

#### Sampling Procedure

The sampling of spent limestone when unloading the dry scrubbers into hoppers was accomplished by placing a sample collection container in the hopper lid opening. The hopper was then lifted into place to seal the lid opening against the bottom of the scrubber. The first limestone out of the scrubber filled the sample container and the remaining limestone flowed around the container into the hopper. Since the offgas enters the bottom of the dry scrubber, as shown in Figure 1, this location was felt to provide the best chance to pick up a high sample.

An evaluation of this sampling procedure was conducted in December, 1990. Each of the five dry scrubbers was sampled ten times during normal operating conditions. Four of the scrubbers were sampled with the method described above. The other scrubber was emptied into two 55 gallon drums and samples were taken from the bottom, one quarter up from the bottom, middle, three quarters up from the bottom, and the top of the scrubber.

The samples were spread out to cool and then surface counted with a PAC-4G counter. After counting, the samples were milled in a hammer mill and collected in a vacuum cleaner. A 50 gram sample of milled limestone was submitted to Health Physics. A 0.5 gram sample was counted on the Tennelec counter. The samples were counted for 10 min. and 60 min. The 60 min. counts are presented in Table I.

#### Data Evaluation

One of the initial objectives was to show that the bottom samples exhibited the highest results. This would then be the most conservative place to sample in order to disposition the spent limestone for onsite burial. As it turned out from the sampling results, the bottom samples are not any higher than anywhere within the scrubbers. The mean value for all the bottom samples was 4.3 pci/g versus 5.975 pci/g for the upper samples.

As noted in Table I, negative data values have been included. These have been evaluated as negative numbers and not zero value to provide a better representation of the full range of values obtained by this method. The reported values are the difference from the background count. The background count is subject to the same system accuracy as the sample count, thus the variability can cause a negative value. The accuracy of the counting method can be expressed as a counting error, which equals 2 times # of counts. This would mean a possible error range of almost  $\pm 100\%$  at 0 pci/g to  $\pm 17.6\%$  at 30 pci/g. At the sample mean of 5.044 pci/g the counting error is  $\pm 43\%$ , or  $\pm 2.16$  pci/g.

Since it was not evident that the bottom samples were higher, the sample results were compared statistically to determine if there was any significant difference between any of the sampling locations. Table II is a presentation of the range, mean, and standard deviation for each of the sampling locations. The results from the third guarter position in scrubber 2 indicates that this position may have higher results than other positions. Using a standard, two-tailed, t test to evaluate the difference between sample means, each position was compared against all other positions. The results presented in Table III show that there are no significant differences between the sample means. An analysis of variance test was then conducted for the five vertical positions within a scrubber. The results presented on Figure 2 demonstrate that there is no significant difference between the vertical sampling positions. An analysis of variance test was finally conducted for all nine sample positions. The results presented in Figure 3 show there is no significant difference between any of the sampling positions. A t test was run to compare all the bottom samples with the group of upper samples. The result presented in Figure 4 shows that the sample means are essentially the same.

All of the samples were combined to determine the mean and standard deviation which were 5.04 pci/g and 5.886 pci/g respectively. This means that under normal operating conditions, 99.7% of the time the samples will be within the release limit of 30 pci/g.

#### Subsequent Evaluation

From Dec. 7, 1990 through May 9, 1991, 349 spent limestone samples were taken from the bottom of the dry scrubbers. All of the samples were milled and counted for 60 minutes as described above. A summary of the results is included on Table II. The mean for all samples is 4.65 pci/g with a standard deviation of 3.66 pci/g. This indicates that under normal conditions all of the spent limestone will be within the release limit of 30 pci/g.

#### <u>Conclusion</u>

All of these tests indicate that there is no significant difference between the samples, thus a sample from any location is a fair representation of the rock within the scrubber. Taking this a step

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further, the proposed bottom sample is an acceptable location for sampling the scrubbers. The limestone dry scrubbers can be effectively sampled at the bottom while emptying into a bulk unload hopper. Provided the samples are not contaminated during handling, these samples can be milled and counted by Health Physics for subsequent disposition of the limestone. A preliminary surface count with a PAC-4G will avoid putting grossly contaminated limestone through the mill. Samples from upset conditions will enable the isolation of the contaminated spent limestone. This will be the sampling procedure for all subsequent testing of the spent limestone for release.

cc: W. C. Christopher

L. F. Deul

H. E. Eskridge

G. F. Palmer

RWG/91/0092



## TABLE I

## DRY SCRUBBER SAMPLES Tennelec Counter (60 minute counts, pci/g)

SCRUBBER													
	1.			2					3			4	5
Sample	Bot	Bot	1/4B	Mid	3/4B	Тор	Bot	1/4B	Mid	3/4B	Тор	Bot	Bot
1. <b>1996 1</b> - 1996							6	3	4	4	9	3	5
2	5	1			·		4	3	3	2	5	5	4
3	7	2					1					5	2
4	4	3	11	1	9	8	4					19	3
5	0 -	-2	-1	0	-1	2	-1					2	4
6	4	2	2	1	-4	1	7	Ι				-1	5
7.1	4	6					9	2	0	6	26	2	14
. 8	4	5	11	13	21	4	-3					3	-1
9	20	3	7	4	19	4	1	1		1.		-1	1
10	6	8	5	0	9	1	6	Ι				4	12
11	7	2	5	4	30	6		1		1			

Total number of samples = 90 Sample mean = 5.044 pci/g Sample total = 454 Sample standard deviation = 5.886 pci/g

# TABLE II

# DATA SUMMARY

Sample	Sample	Minimum	Maximum	Sample	Standard	Standard
Location	Size	Value	Value	Mean	Deviation	Error
Bottom 1	10	0	20	6.1	5.28	1.67
Bottom 2	10	-2	9	4.0	3.20	1.01
Quarter 2	10	-1	11	4.8	3.91	1.24
Middle 2	10	0	13	3.0	3.92	1.24
Thquart 2	10	4	30	9.7	11.16	3.53
Top 2	10	1	26	6.6	7.34	2.32
Bottom 3	10	-3	7	2.4	3.27	1.03
Bottom 4	10	-1	19	4.1	5.65	1.79
Bottom 5	10	-1	14	4.9	4.68	1.48
12/7-12/15/90	35	1	16	5	4	.68
12/16-1/10/91	35	1	16	6	4	.68
1/11-1/27/91	35	2	18-	7 -	_ 4	68
1/28-2/7/91	35	1	15	6	3	.51
2/8-2/18/91	35	0	12	3	3	.51
2/19-3/4/91	35	0	10	3	3	.51
3/5-3/24/91	35	0	16	4	3	.51
3/25-4/13/91	34	0	9	. 4	2	.34
4/14-4/26/91	35	0	10	5	3	.51
4/27-5/7/91	35	0	24	3	4	.68
Clean rock	5	1.4	5.5	3	1.83	.82

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## TABLE III

location	bot 1	bot 2	qrtr 2	mid 2	thqrtr2	top 2	bot 3	bot 4	bot 5
bottom 1	-	1.076	.626	1.490	922	175	1.884	.818	.538
bottom 2	-1.076	-	501	.625	-1.553	-1.027	1.106	049	502
quarter 2	626	.501	-	1.028	-1.311	684	1.489	.322	052
middle 2	-1.49	625	-1.028	-	-1.791	-1.365	372	506	984
thqrtr 2	.922	1.553	1.311	1.791	-	.734	1.984	1.416	1.254
top 2	.175	1.027	.684	1.365	734	-	1.654	.854	.618
bottom 3	-1.884	-1.106	-1.489	.372	-1.984	-1.654	-	824	-1.385
bottom 4	818	.049	322	.506	-1.416	854	.824	-	345
bottom 5	538	.502	.052	.984	-1.254	618	1.385	.824	-

## t TEST OF SAMPLE MEANS

Ref: Statistics; Sanders, Eng, and Murph; 3rd Ed., McGraw-Hill, 1985

$$CR = \underbrace{x_1 - x_2}_{\sigma_{x1} - x2} \quad \text{where} \quad \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} \quad \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_1} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_2} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample mean} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_2} + \underbrace{\sigma_2 2}_{n_2}} \quad x_1 = \text{sample variance} \\ \sigma_{x1 - x2} = \sqrt{\underbrace{\sigma_1 2}_{n_2} + \underbrace{\sigma_2 2}_{n_2} + \underbrace{\sigma_2$$

degrees of freedom =  $(n_1 + n_2 - 2)$ Compare CR versus  $t_{table}$ , where  $t_{18,\alpha=.025} = 2.101$ Accept H<sub>0</sub> if CR is within ± 2.101

## Figure 3 ANALYSIS OF VARIANCE

Sample	Rottom 1	Rottom 3	Bottom 4	Rottom 5
1	5	1	3	5
2	7	2	5	4
3	4	1	5	2
4	0	4	19	3
5	4	-1	2	4
6	4	7	-1	5
7	4	6	2	- 14
8	20	-3	3	-1
9	6	. 1	-1	1
10	7	6	4	12
Σx	61	24	41	. 49
x	6.1	2.4	4.1	4.9
std. de	v. 5.28	3.27	5.65	4.68

All samples

ref: <u>Statistics</u>, Sanders, Eng, and Murph; 3rd Ed., McGraw-Hill, <u>1985</u> combining all nine groups of samples:  $\overline{\overline{X}} = \frac{456}{90} = 5.07$ 

 $\hat{\sigma}_{b}^{2} = \frac{10(4.0-5.07)^{2} + 10(4.8-5.07)^{2} + 10(3.0-5.07)^{2} + 10(9.7-5.07)^{2} + 8}{8}$   $\frac{10(6.6-5.07)^{2} + 10(6.1-5.07)^{2} + 10(2.4-5.07)^{2} + 10(4.1-5.07)^{2} + 8}{8}$   $\frac{10(4.9-5.07)^{2}}{8} = \frac{384.3}{8} = 48.04$   $\hat{\sigma}_{w}^{2} = \frac{(3.2)^{2} + (3.91)^{2} + (3.92)^{2} + (11.16)^{2} + (7.34)^{2} + (5.28)^{2} + (3.27)^{2} + 9}{9}$   $\frac{(5.65)^{2} + (4.68)^{2}}{9} = \frac{311.7}{9} = 34.6$   $CR_{F} = \frac{48.04}{34.6} = 1.39 \quad df_{num} = k-1 = 8 \quad F_{table} = 2.06$   $df_{den} = T-k = 81$ therefore, since CR\_{F} < F\_{table} accept H\_{0}: no significant difference

between sample means

#### Figure 4



Bottom Group: n=50  $\overline{x}=4.3$   $\hat{\sigma}=4.509$ Upper Group: n=40  $\overline{x}=5.975$   $\hat{\sigma}=7.206$ 

$$CR = \frac{\overline{x_1} - \overline{x_2}}{\partial \overline{x_1} - \overline{x_2}} \quad \text{where } \hat{\sigma}_{\overline{x_1} - \overline{x_2}} = \sqrt{\frac{\hat{\sigma}_1^2}{n_1} + \frac{\hat{\sigma}_2^2}{n_2}} \\ = \sqrt{\frac{(7.206)^2}{40} + \frac{(4.509)^2}{50}} \\ = 1.306$$

 $CR = \frac{5.975 - 4.3}{1.306}$ 

CR = 1.283 degrees of freedom = 40+50-2 = 88 ttable = 2.000

therefore, since CR<ttable accept H<sub>0</sub>:  $\mu_1 = \mu_2$