INTRAVAL Test Case 6

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Synthetic Migration Experiment

U.S. Nuclear Regulatory Commission Battelle Pacific Northwest Laboratories NAGRA

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INTRAVAL

Synthetic Migration Experiment

Phase I - Non-Diffusing Inert Tracer

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I. INTRODUCTION

This document identifies INTRAVAL Case 6, which deals with the modeling of hydraulic and tracer migration tests at a synthetic site patterned after the tracer migration experiment at the Grimsel Rock Laboratory in Switzerland.

- A. Pilot Group Identification Joint U.S. Nuclear Regulatory Commission, Battelle Pacific Northwest Laboratories, and NAGRA. The pilot team consists of the following individuals:
	- 1. Richard Codell, USNRC
2. Charles Cole, Pacific
	- 2. Charles Cole, Pacific Northwest Laboratories
	- 3. Stratis Vomvoris, NAGRA.
- B. Experimental Location This site is synthetic, and therefore exists only as concepts in digital computer programs. Geologic and hydrologic boundaries, and the mean, variance and spatial correlation scales of the model parameters are conditioned with real-world data from the Grimsel Rock Laboratory in Switzerland. The synthetic site is intended to resemble an instrumented single fracture plane in a mountainous, granitic geosphere, similar to such a fracture plane at Grimsel. We emphasize that the conditioning process is not meant to make the synthetic geosphere represent the real site. The purpose of the conditioning is to set the problem parameters and scales so that the synthetic site is plausible.
- C. Objectives The object of this synthetic experiment is to help improve our understanding of the "identifiability problem" which plays an important role in the validation process. Identifiability problems arise because of the variability (both spatial and temporal) in geometry, parameters, boundary conditions, and competing processes (e.g., in the sense that they produce similar effects in terms of observable transport results). In turn, the variability problem leads to the important and related issues of measurement scale, sampling density and location, interpretation and interpolation. These problems can be examined to some degree with synthetic experiments. We have developed a highly detailed, realistic but synthetic geosphere whose geometry, processes and parameter ranges have been conditioned in a broad sense with both quantitative and qualitative data from a real-world site, the Grimsel Rock Laboratory. We have conducted a limited number of experiments, much like those already performed and proposed for the Grimsel site, through numerical simulations with our synthetic geosphere. We provide the project teams that participate in this experiment with hard (quantitative) data in the form of simulated measurements from the numerical experiments along with soft

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(qualitative) information of the type used to design the numerical experiments and condition the data sets used in the synthetic geosphere. We have attempted to supply these descriptions and the data in a form and in quantities equivalent to that which would be available at the real site.

Project teams participating in this test case will be expected to treat it like any other (real) experiment. From the qualitative and quantitative descriptions of the site, the measurements, and the various experiments, the project teams would be expected to calibrate their models and make predictions for other experiments made on the same configuration. The modelers will assess the uncertainty in their predictions based on the state of model calibration achieved, and make recommendations for ways to improve the identifiability process (e.g., additional measurements, different experiments, different tracers). We hope that project teams will use a variety of geostatistical, inverse, stochastic, and deterministic methods for interpreting the data, modeling, calibrating, assessing uncertainty, and making predictions. We can develop a better understanding of different strategies to interpret and model the synthetic geosphere by comparing the predicted performance measures to the "true" measures.

- D. Theories Tested The synthetic migration experiment will partially test the ability of existing groundwater flow and transport modeling strategies to interpret and characterize transport of tracer, including an assessment of the uncertainty in the interpretation and the ability to predict based
on this uncertain interpretation, through a large fracture zone on the on this uncertain interpretation, through a large fracture zone basis of a sparse network of borehole hydraulic tests, dipole tracer tests and other observations. This synthetic experiment would provide a better understanding of various geostatistical, inverse, stochastic, and deterministic methods (i.e., groundwater modeling strategies) for interpreting the data and making predictions of the performance complete with estimates of the uncertainty in spatially variable systems with competing processes.
- E. Validation Aspects The data on the complete synthetic geospheres will be used to calculate a "true" measure of performance in great detail; e.g., the breakthrough distribution of tracer at a particular boundary. Various strategies should be tried to calculate independently the performance measure based on sparse data as they would be collected from indirect tests of the synthetic geosphere.
- F. Background information Synthetic migration experiments can fulfill an important role in INTRAVAL. Figure 1 is a schematic representation of where various experiments fit into "validation" efforts for INTRAVAL. Laboratory experiments are tightly controlled, and usually allow ample data collection, but their complexity is low. Field scale experiments are more complex, but allow a less detailed program of field exploration. Most complex of all are the full size experiments on a repository scale.

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At this scale, all complexities are present, but the measurability is severely limited, and we often have only a poor picture of the phenomena of importance. Synthetic experiments can approach the complexity of field and repository scale experiments, and allow a high degree of measurability.

The idea of using a computer-generated reality on which to conduct experiments has been contemplated for several decades. The advent of inexpensive, fast computers with large memories has made the idea feasible. The idea dates at least from von Neumann, who envisioned the use of computers to generate solutions to nonlinear fluid dynamic problems. Von Neumann observed that scientists conducted difficult and expensive experiments to investigate physical behavior even when the underlying principles and governing equations were known: "The purpose of the experiments is not to verify a proposed theory but to replace a computation from an unquestioned theory by direct measurements.... Thus wind tunnels are used at present, at least in large part, as computing devices of the so-called analogy type to integrate the nonlinear partial differential equations of fluid dynamics" (Winkler, 1987).

The present use of synthetic experiments is not exactly as von Neumann envisioned; e.g., the theory is not unquestioned, and unlike air in a wind tunnel, the geosphere is non-homogeneous. The analogy to using a computer for the purpose of testing a methodology instead of a real, expensive and often inadequate experimental site remains however.

There are several advantages that synthetic experiments have over real-world experiments: (1) There is no final information uncertainty when interpreting and comparing the results of conceptually different performance assessment codes; and (2) the experiment is non-destructive, allowing the exploration of different testing procedures on the same piece of computerized geosphere (Hufschmied, 1986). In addition, synthetic experiments can produce results that would be infeasible with real sites; e.g., natural gradient tracer experiments that would take hundreds or thousands of years. However, synthetic experiments can't actually determine the correct mathematical formulation for the laws that are operative in nature; only carefully controlled, real experiments can do this. Consequently, it is important for us to describe the models used in generating the experimental results in some detail so that the modelers choosing to participate in this problem are not distracted from the primary purpose of the exercise by arguments over the correct natural laws that apply in the synthetic reality. We will describe the laws governing the synthetic universe a priori, and recommend (but do not insist) that project teams modeling this synthetic experiment consider the described processes and mechanisms in any of their modeling and interpretation efforts. Our selection of certain laws for our synthetic universe is not meant as an endorsement of a particular mathematical formulation for a process, but simply allows the issue of mathematical formulation of the process laws to be excluded from the identifiability issues being studied through the use of synthetic experiments. The investigators may choose to I

consider only the laws that apply to the synthetic universe. Alternatively, they may choose to use more general or different laws to interpret the data, especially if they feel that some of the mechanisms are unidentifiable with the available information. The specific nature of these laws is given below:

Laws of Nature that Apply to the Synthetic Geosphere - Our ability to construct a realistic synthetic geosphere is limited by the understanding of physical phenomena in the real world and the degree that we can discretize space so it can be represented and solved in a reasonable way on a digital computer. In order to make this a tractable exercise, the synthetic geosphere is restricted to a subset of a complete reality. The synthetic experiments are not intended to determine which laws are operative in nature. As a result it is important to define the laws that have been assumed to describe the various mechanisms in our synthetic reality. Wherever possible, the laws of nature for the synthetic geosphere are similar to laws that govern the processes in the real world.

These assumptions, processes, and mathematical formulations are:

- (1) The entire modeled domain is two dimensional, in that flow is considered to take place in a single fracture zone.
- (2) Advective flow in the fracture follows Darcy's Law (Eq. 1).

 $V_f = k_f \frac{\rho}{\mu}$ grad h_f (1) where:
 V_f
 k_f^f V_f = Darcy velocity, [L/t] k_f^I = permeability, $[L^2]$ ρ^{T} = density, [M/L³] $g =$ gravitational constant, $[L/t^2]$ p = viscosity, M/L/t] h_f = hydraulic head or potential, [L] $g[†] ad = gradient operator$

The mathematical equations that govern the calculation of flow in the fracture zone are:

$$
\frac{\partial}{\partial x} (T_{xf} \frac{\partial h}{\partial x}f) + \frac{\partial}{\partial y} (T_{yf} \frac{\partial h}{\partial y}f) + q_f = S_f \frac{\partial h_f}{\partial t}
$$
 (2)

where:

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h_f = potential in the fracture at (x,y) [L]
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T_f^r = transmissivity in x direction at (x,y) [L2/t]
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T_{yf}^{xf} = transmissivity in y direction at (x,y) [L2/t]
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q_f
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 = flow source term at (x,y) [L³/t]
 S_f = storage coefficient [L⁰]

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The pore velocity is the velocity at which the inert, non-diffusing tracer particles will move. It is defined:

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U_x = -\frac{T_{xf}}{\theta} \frac{\partial h_f}{\partial x}
$$
 (3)

Similarly:

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U_y = -\frac{T_{yf}}{\theta} \frac{\partial h_f}{\partial y} \tag{4}
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where 6 is the effective thickness of the fracture zone. Transport is assumed to be dominated by flow in open spaces rather than through porous media, and therefore the effective thickness is proportional to the cube root of the local transmissivity. One cannot assume, however, that flow occurs in a single smooth, parallel fracture, so it would be inappropriate to estimate effective thickness directly from transmissivity.

- (3) The synthetic universe is isothermal at 25 C.
- (4) Fluid properties are considered to be constant. Density of the water, ρ , with and without tracers is constant at 1000 kg/m³.
- (5) In Phase I of this study, the tracer moves strictly in the fracture plane. It does not diffuse into the rock, nor is it retarded by sorption. Simulation of sorbing tracer and matrix diffusion will be explored in Phase II.
- (6) Tunnels and drifts are at atmospheric pressure, so that the hydraulic potential at this boundary is equal to the elevation. The open boreholes are connected to tubes whose outlets are at the center of the experimental drift. The head in open boreholes is therefore zero.
- (7) The hydraulic potential of the land surface is equal to the elevation relative'to the center of the experimental drift.

In modeling this synthetic experiment, the investigators need only consider the listed mechanisms if they so desire. It is important to reiterate that these are not the only mechanisms that can and do occur in nature, nor that these are the only or most appropriate mathematical descriptions for the proposed processes. Only properly designed, well controlled, real experiments can determine which kind of processes occur and which mathematical description is the most appropriate.

II. EXPERIMENTAL DESIGN

- A. Overview The synthetic migration experiment for Phase I will be performed in the following steps:
	- 1. Generate a highly detailed field of synthetic hydraulic and transport properties;
	- 2. Generate a steady state field of hydraulic potentials (heads) by imposing boundary conditions and solving the necessary differential equations in a very fine grid. The steady state models are used to simulate the transport of tracer either introduced passively or under pressure in a dipole test. These models are also used to calculate the steady state flows to or from boreholes and tunnels.
	- 3. Perform a limited number of simulated tests on the synthetic data base with a transient hydraulic model to estimate the hydraulic properties. Only data provided to the modeler from the indirect sampling of the synthetic geosphere may be used, not the synthetic data itself.
	- 4. Calibrate the performance model with the available hydraulic and transport data.
	- 5. Compute the performance measure (the breakthrough of tracer at the boreholes and drift) and the confidence in the result.
	- 6. Recommend additional data to be collected and repeat steps 4 and 5, until satisfied with result.
	- 7. At the conclusion of the calibration and prediction steps, compare the results of the prediction to the "true" results calculated and supplied by the pilot team using the complete synthetic geosphere.

Transmissivity for the synthetic migration experiment is generated with a fractal surface generator (Jeffery, 1987), adjusted to give values of mean, variance and spatial scaling similar to the observed data at the Grimsel site. An advantage of using the fractal landscape as an analog to transmissivity is that the data field contain multiple scales of spatial correlation, and is not restricted to stationary random processes. Distributions of properties in sedimentary environments have been characterized as "fractal", exhibiting multiple scales of correlation (Hewitt, 1986). Many properties of geologic systems are also known to have multiple scales of correlation. There are essentially three choices for treating the variability of the transmissivity; uniform throughout the domain, spatially correlated with one scale of correlation or spatially correlated with multiple levels of correlation. Of the three choices, the last is most appealing.

Effective thickness was calculated from the transmissivity information using a cubic law, adjusted to give breakthrough results in the synthetic experiment similar to those actually observed at the Grimsel site for inert tracers (Hadermann, 1988).

B. Parameters measured -

The models have been run to produce the following (simulated) hydraulic and tracer data:

- 1. Steady state hydraulic head at closed boreholes.
2. Transient and steady state outflow to or from op
- Transient and steady state outflow to or from open boreholes and tunnels.
- 3. Response to transient pressure tests in all boreholes resulting from a pressure stress in one borehole.
- 4. Dipole tracer tests between two pairs of boreholes.
- Response in tunnels to borehole tests (e.g., increased or diminished flow or appearance of tracer)

Hydraulic tests are available from 8 simulated boreholes and the 4 tunnels that penetrate the fracture plane. Requests will be honored from participants to simulate tests in a limited number of addition ! boreholes to refine their models. Phase I is restricted to the hydraulic measurements and conservative, non-diffusing tracer tests. Future developments of this problem set will consider tracer experiments with the effects of diffusion and sorption.

- C. Spatial and Temporal Scales The simulated experiment will be patterned after a single fracture plane at the Grimsel Rock Laboratory, covering a lateral distance of a few tens of meters. Simulated experimental measurements will cover a few tens of meters, and time scales of seconds to weeks.
- D. Experimental setup The experimental design for the rock laboratory is illustrated in Figs. 2, 3 and 4. Figure 2 shows the site as it is positioned in the mountainside on a scale of kilometers. Two water bodies bound the site on either side of the mountain. The rock laboratory is shown positioned within Figure 2. The plane to be studied is an essentially vertical two dimensional fracture. At this scale the tunnels and boreholes are not individually discernible, but their effect on the potential field must be taken into account.

Figure 3 illustrates the migration fracture on a scale of several hundred meters. The individual tunnels can be seen on this scale. It is assumed that the tunnels are open to the atmosphere, and therefore the potential at their surfaces is equal to their elevation.

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Figure 4 shows the migration fracture on a scale of tens of meters. The location of the boreholes in relation to the experimental shaft are given on this scale. Pressures and transmissivity values from single and multiple hole tests are provided for boreholes at the locations shown in this figure.

There is a four step modeling procedure for generating the synthetic geosphere:

- 1. The first step is to calculate the hydraulic head on the scale of the distance between the water bodies, about 5000 m. This is accomplished with a finite difference computer program using a 107 \times 47 uniform grid with spacing of 45.5 m and the boundary conditions shown in Figure 2. The effect of the tunnels is taken into account by sink terms in which the flow rate has been estimated from analytical formulas. The transmissivity is assumed to be uniform throughout the grid at this scale. Boundary conditions for this model are given in Fig. 2. The hydraulic head is considered to be equal to the land or water surface elevation along the top boundaries and no-flow on the other three boundaries. The purpose of the solution is to specify boundary conditions for the next finer resolution solution.
- 2. The second model deals with the intermediate scale problem shown in Fig.3. The domain is 182×182 m, and is discretized into a regular finite difference grid of dimensions 513×513 grid cells. The transmissivity field is taken from a 4096 x 4096 fractal data set by arithmetic averaging. The topographic data are conditioned to approximately agree with the mean, variance and spatial scales for transmissivities measured at the Grimsel site. Boundary conditions of hydraulic head on the boundary of the domain are take from the coarse scale model. The hydraulic heads of the tunnels are specified to be equal to the elevation. The results of this calculation are used to set the boundary conditions for the finest scale model, and to estimate flows in some of the tunnels. The heads are solved in a 5-level multigrid finite difference program.
- 3. The finest scale model is represented by a 29.9 x 22.75 m area discretized into a 673 x 513 grid. Boreholes are modeled separately in a radial coordinate system, with a one cm. resolution, and matched to the rectangular grid. Each borehole is 8.6 cm in diameter. A fixed head is specified at the borehole radius in the radial system. Boundary conditions on the edges of the rectangular domain are specified by the output of the intermediate scale model. The finest level solution is used to simulate the dipole test, and to calculate the steady state inflows to the experimental tunnel and boreholes. It also supplies the head field for the tracer migration calculations. The heads are solved in a 4-level multigrid program.

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- 4. Borehole tests are simulated with a transient model. For the sake of computer run times, the transient hydraulic tests are performed in a grid twice as coarse (337x257). This appeared to give only minor differences from the finer grid results. Transient responses are limited to about 100 seconds of simulated time. Cross-hole tests are available at boreholes near the opened borehole. We expect to have longer-term transient tests available in the near future.
- E. Sampling strategy The location of boreholes, shafts and tunnels correspond as nearly as possible to the actual locations in the Grimsel Rock Laboratory. At the request of a participant, additional boreholes and tests will be performed within reasonable limits of (real-world) expected cost and feasibility, and computational resources of the pilot team.
- F. Independence between data sets Not applicable
- G. Biases Inherent in the Design Since this is a simulated geosphere, there is an inherent danger of introducing our bias to the model, therefore making it unrealistic. These concerns are addressed by specifying the rules that apply to the synthetic geospheres as discussed in Section I.F.

Tracer experiments initially will be for non-sorbing, non-diffusing tracer particles. Matrix diffusion and sorption will be studied in Phase II of this exercise.

III. CURRENT STATUS AND EXPERIMENTAL SCHEDULE

The Phase I modeling is complete, except for additional requests that might be made by the participating modelers. The results are presented in the Appendix. The authors will present a "modeler's" interpretation of the experimental results at the Helsinki meeting, and predict the breakthrough to open boreholes and the experimental drift of tracer introduced at low pressure to one of the peripheral boreholes.

Models to include diffusion and geochemical retardation are being developed for Phase II of this experiment.

Parts of the synthetic experiments are being duplicated by separate teams from NRC and AGRA in order to confirm that the models for calculating the synthetic data are correct and free from computational problems. Present transient tests are limited to about 100 seconds, and are only applicable to nearby boreholes.

IV. EXPERIMENTAL RESULTS

Geometrical information for setting up the problem was distributed at the Tucson meeting, Nov.14-18, 1988.

The following data has been included in the Appendix:

- A. Raw Data configuration of mountainside, head and outflow in boreholes and tunnels, response to pressure tests in boreholes, increases in flow rate to tunnels from borehole pressure disturbances, breakthrough curves for simulated dipole tracer tests, and arrival of tracer at the experimental drift.
- B. Processed data Interpretation of the raw data is left to the the modeler.
- C. Data Storage All data from the imulated tests are available in printed form, floppy disks and on BITNET.
- V. PREVIOUS MODELING

Codell (1988) presented a two dimensional synthetic migration experiment on a repository-scale problem (about 10 kilometer scale), in which he tested the ability to predict the performance of the repository on the basis of limited samples. Cole (1987) has performed numerical laboratory experiments of the movement of tracers on both small scale heterogeneous soils and large scale regional models. The Grimsel site itself has been digitized for modeling exercises (Herzog, 1988), but not in connection with a synthetic data set, nor at the overall fine resolution of this experiment.

- VI EXPECTATION FROM INTRAVAL PARTICIPATION
	- A. Experimentalists' View The experimenters will be those individuals who will run the computer models composing the synthetic geosphere. They will simulate tests, and will work with the modelers to interpret them. On the basis of this interpretation, both the experimentalists and the modelers will specify the locations and types of additional tests.

The experimentalists will benefit from comparing interpretations of the parameters and their distribution to the synthetic geosphere and understanding how possible misinterpretations had occurred. In addition, the experimentalists could gain insight into which types of tests prbvide the best data in terms of the ultimate goal of the predictive model; e.g., transport of tracer.

B. Modelers' View - The modeler will be presented with the results of a limited number of tests on the synthetic geosphere, and will be asked to estimate the performance measure on the basis of these limited data. The performance measure will be the breakthrough at open boreholes and the experimental drift of tracer released at very low injection rates in peripheral boreholes and moving under the steady-state, non-uniform gradient. Details of the performance tests

are given in the appendix. The results of the modeler's prediction will be compared to the "true" breakthrough calculated from the detailed synthetic geosphere model. The worth of various modeling and characterization strategies can therefore be determined. The modeler will work closely with the experimentalists to plan the collection of additional data to refine the predictive models.

VII INFORMATION EXCHANGE Addresses of Key Personnel

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VIII POSSIBILITIES FOR FUTURE EXPERIMENTS AND DATA COLLECTION

The pilot team is working on an improved transient model for simulating borehole hydraulic tests for longer periods of time, and will provide these results at the earliest opportunity.

Synthetic geosphere models are being developed to take into account the complications of matrix diffusion and geochemical sorption, discrete fractures and other discontinuities in the heterogeneous but continuous medium, and geochemical sorption. These will be presented in Phase II of this exercise.

Additional synthetic sites could be created, possibly based on actual INTRAVAL cases. These would be useful for investigating the range of interpretations of the real-world site's data.

IX OUTPUT FORMAT

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Output for the prediction of tracer migration experiments should be in the form of tracer breakthrough curves, with estimates of uncertainty.

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X REFERENCES

Codell, R., "Testing site characterization strategies with synthetic data bases", Presented at "Hydrogeologic Aspects of Radioactive Waste Disposal", Geological Society of America, Portland Maine, March 12, 1988

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Hewitt, "Fractal distributions of reservoir heterogeneity and their influence on fluid transport", SPE 15386, Society of Petroleum Engineers, October 1986

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Appendix A, INTRAVAL Problem 6 Synthetic Migration Experiment Data Sets

A.1. Introduction

The "data" presented here represent the results of simulated measurements on the INTRAVAL Problem 6 synthetic geosphere, which is patterned after the real-world migration experiment at the Grimsel Rock Laboratory. There are three types of data:

- 1. Steady-state hydraulic test data consisting of head and flow measurements at boreholes and tunnels.
- 2. Transient hydraulic test data consisting of head and flow measurements in boreholes as a result of opening one borehole to the head in the center of the experimental drift. We have provided a floppy disk with all of the transient data in ASCII format.
- 3. Breakthrough data consisting of the arrival time distribution of tracer (represented as diffusionless particles) released instantaneously in a dipole experiment. Where applicable, the arrival at locations other than the extraction well (i.e., the experimental drift) has also been given.

The datum for all hydraulic tests is the center of the experimental drift, where the head is specified to be zero.

A.2 Steady-state hydraulic test data

Table Al gives the results of steady state measurements of head and flow in the boreholes and tunnels of the site. It consists of steady-state head for all boreholes closed, steady state head for opening one or two boreholes at a time, outflow or inflow to the boreholes when opened, and outflow at the tunnels.

A.3 Transient hydraulic test data

Table A2 gives the results of the transient borehole tests. For each test, a borehole is opened, setting its head to zero. The outflow or inflow of water from the open borehole and the pressure response in several nearby closed boreholes are presented as a function of time. Note that all boreholes except borehole 10 have outflow from the open boreholes and drawdown in the closed boreholes (i.e., negative sign for Q and S). Water would flow into rather than out of borehole 10. Table A2(i) for borehole 11 presents only outflow and not drawdown for surrounding boreholes. For convenience, An ASCII version of Tables Al and A2 has been created on a floppy disk and a BITNET file for distribution. The project team will distribute the disk at the Helsinki meeting.

A4. Breakthrough data

Figures Al and A2 present the cumulative arrival time distribution for diffusionless inert tracer introduced instantaneously at two dipole tests. The first test is between boreholes 4 and 6, with 0.2 liters per minute injected to borehole 4 and 0.4 liters per minute extracted from borehole 6. Recovery of tracer is 100%. The second test is between boreholes 9 and 7, with injection of 0.2 liters per minute in borehole 9 and extraction of 0.4 liters per minute at borehole 7. Recovery in borehole 7 is 47.5%, with the rest of the tracer arriving at the experimental drift. The breakthrough .curve for tracer arrival at the experimental drift is also given on Figure $A\tilde{Z}$.*

A5. Performance Measure Tests

The model validation will be on the basis of breakthrough curves at open boreholes and the experimental drift for tracer introduced at boreholes 4, 5 and 11 (only one borehole at a time). Tracer will be introduced instantaneously with a flowrate at the injection boreholes of 0.05 liters per minute. Collection boreholes will be 6, 7, 8 and 9. Flows at the collection boreholes will be limited to 0.1 liters per minute or the normal outflow, whichever is less. Borehole 10 will be closed. Injection at boreholes 4, 5 and 11 will be 0.05 liters per minute, regardless of whether there is tracer injection or not (this is primarily for convenience, permitting us to perform all of the tracer experiments with only one calculation of the flow field. We do not expect that the small injection rates would have a significant effect on the flow field for the purposes of this test).

Results for release of tracer from borehole 4 and collection at boreholes 6, 7, 8, 9 and the experimental drift will be presented at the Helsinki meeting along with an attempted model validation.

Collection of simulated tracer poses no special problems in the numerical experiments, but would be difficult in practice in the real experimental drift. Planned experiments at Grimsel would rely mainly on collection of tracer at boreholes.

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* meters, relative to center of experimental drift, positive direction is up.

Table Al(b)

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Steady-state flow rate into experimental drift, cubic meters/second in response to opening boreholes (positive means flow into the drift)

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Table A1(c) Steady-state flows from open boreholes, cubic meters/second (negative means flow out)

Borehole		open 4&5 open 6&7 open 8&9 open 10		
4	$-2.94E-6$			
5	$-2.52E-7$			
6		$-1.64E-6$		
$\overline{\mathbf{z}}$		$-3.78E-6$		
8			$-1.86E-7$	
9			$-1.32E-6$	
10				$+2.25E-7$

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Table Al(d) - Miscellaneous Flowrates from other Tunnels with all boreholes closed Tunnel 5 = 4.055E-5 cubic meters/second out Tunnel 7 = 4.79E-6 cubic meters/second out Tunnel 8 = 3.7E-6 cubic meters/second out

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Table A2(a) Flowrate Q in borehole 4 and drawdown S in boreholes 6, 7 and 9 from opening borehole 4 to zero head

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Table A2(b) Flowrate Q in borehole 5 and drawdown and 10 from opening borehole 5 to zero head S in boreholes 8

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Table A2(c) Flowrate Q in borehole 6 and drawdown S in boreholes 7, 8 and 9 from opening borehole 6 to zero head

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Table A2(d) Flowrate Q from borehole boreholes 4, 6, 8 and 9 from opening 7 and drawdown S in borehole 7 to zero head.

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Table A2(e) Flowrate Q in borehole 8 and drawdown S in boreholes 6, 7 and 8 from opening borehole 8 to zero head

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Table A2(g) Flowrate Q from borehole 9 and drawdown S in boreholes 4, 6 and 7 resulting from opening borehole 9 to zero head

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Table A2(h) Flowrate Q from borehole 10 and drawdowns in boreholes 5 and 8 resulting from opening borehole 10 to zero head. Note: flow is into rather than discharging from borehole 10 and drawdowns are positive pressures.

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Table A2(i) Flowrate Q from borehole 11 in response to opening it to zero head

time - sec 0.44 0. 728 1.07 1.49 1.99 2.58 3.3 4.16 5.19 6.43 7.92 9.7 11.8 14.4 17. 5 21.2 25.6 30.9 37.3 45 54.2 65.2 78.5 94.4 113 136 $Q - 11$, cu m/s $-9.61E-05$ -8. 72E-05 $-8.10E-05$ -7. 58E-05 -7. 12E-05 -6.68E-05 -6.26E-05 -5.86E-05 -5.48E-05 -5. 11E-05 -4.75E-05 -4.40E-05 -4.05E-05 -3.72E-05 -3.39E-05 -3. 07E-05 -2. 77E-05 -2.48E-05 -2.20E-05 -1. 94E-05 -1. 69E-05 -1.46E-05 -1. 25E-05 -1. 05E-05 -8.78E-06 -7.24E-06

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Figure 1

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Measureability of Test Sites

